



Deep Learning with Pytorch

CNN

강진규

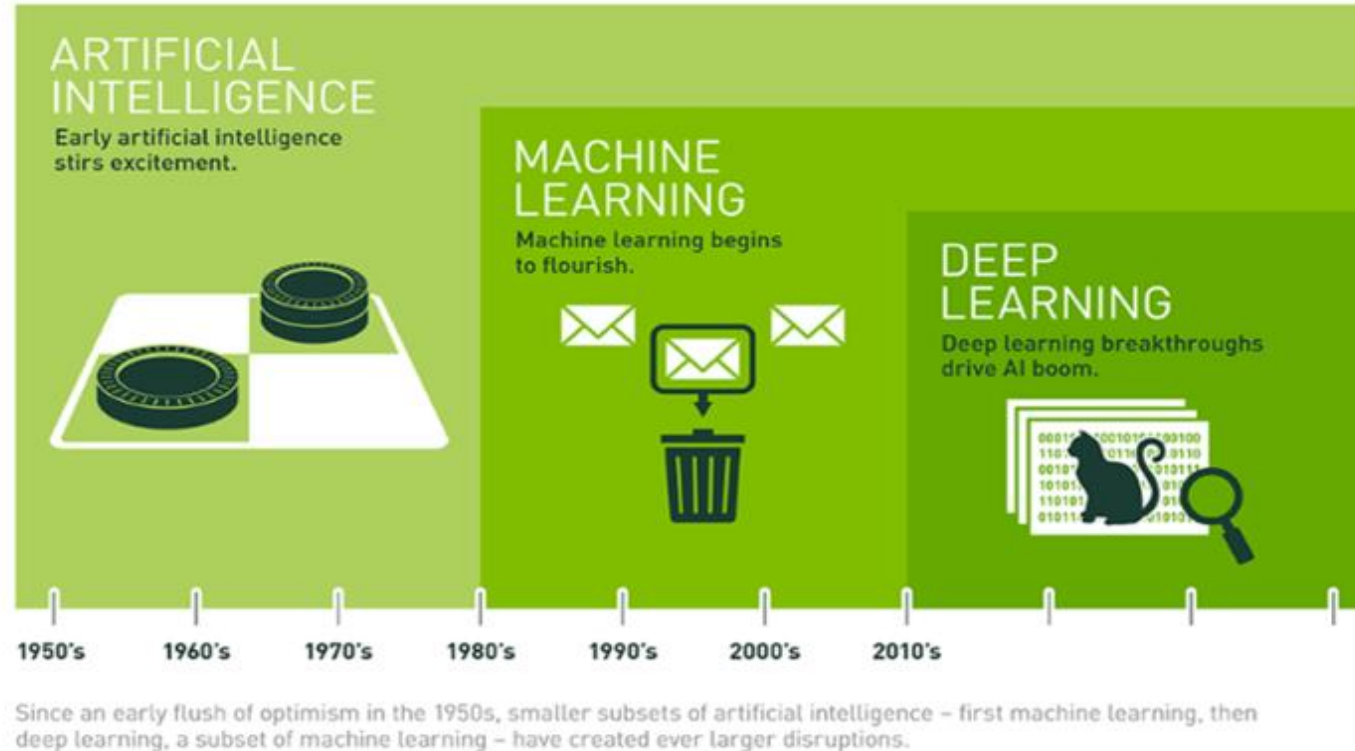
CONTENTS

1. Artificial Intelligence, Machine Learning, Deep Learning
2. Convolutional Neural Network (CNN)
3. Pytorch
4. CNN 실습





1. Artificial Intelligence, Machine Learning, Deep Learning

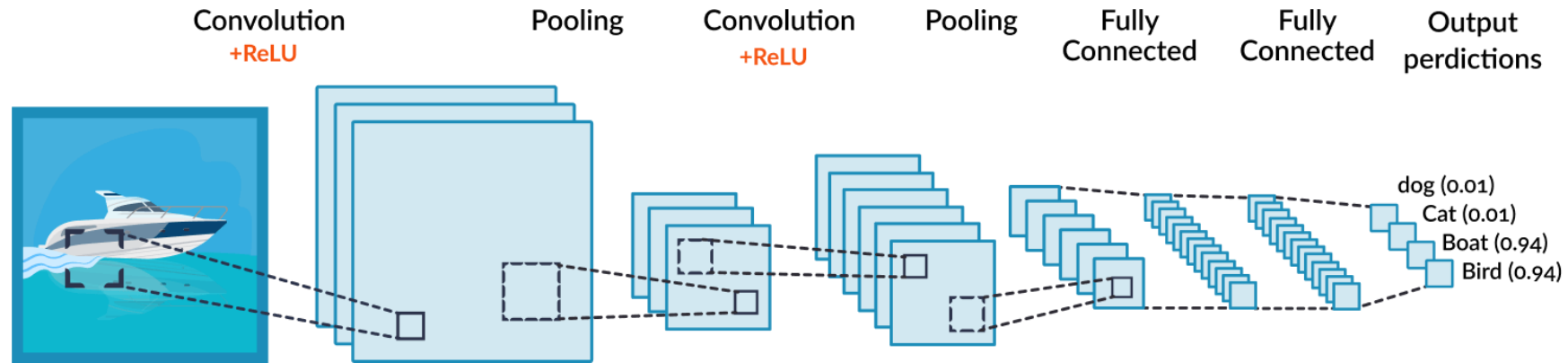


- ◆ Artificial Intelligence
 - ✓ 인간의 사고를 모방하는 모든 방법론
- ◆ Machine Learning
 - ✓ 인간이 지식을 얻는 과정인 학습을 이용한 접근 방식
 - ✓ Decision Tree, Bayesian Network, K-NN , Support Vector Machine (SVM), etc.
- ◆ Deep Learning
 - ✓ Artificial Neural Network (ANN)에서 발전한 형태로, 현재 가장 주목받는 학습법
 - ✓ Convolutional Neural Network (CNN), Generative Adversarial Network(GAN), etc.



2. Convolutional Neural Network

◆ Convolutional Neural Network 기본 구조 예시

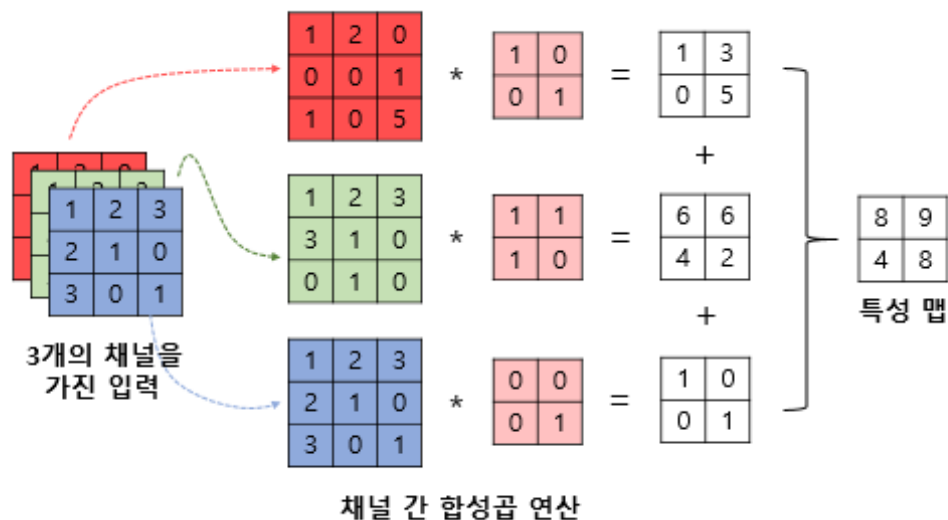


- ✓ Convolutional Layer
- ✓ Activation Function
- ✓ Pooling Layer
- ✓ Fully-Connected layer
- ✓ Softmax
- ✓ Loss Function
- ✓ Weight Initialization
- ✓ Optimization

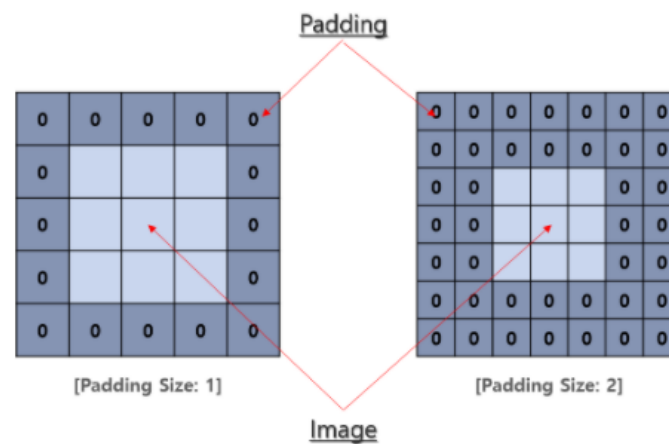
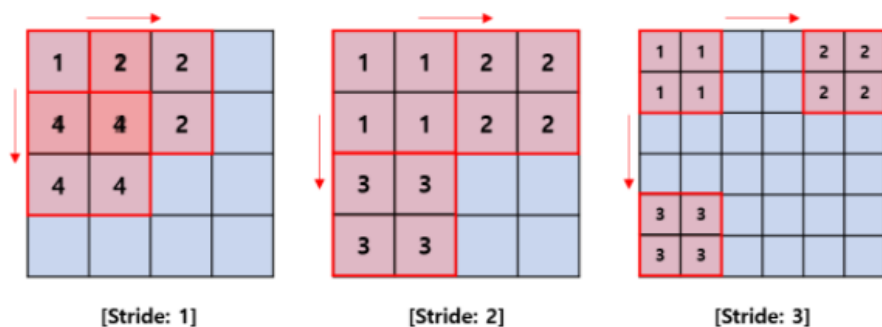


2. Convolutional Neural Network

- ◆ Convolutional Layer
 - ✓ Convolution 연산



- ✓ Stride & Padding



Stride: convolution 연산을 수행하는 kernel이 움직이는 간격

Padding: Image의 외곽 영역에 대한 데이터 손실을 막기 위해 Image 주변에 일정한 값을 채워 넣는 방법(ex. zero-padding, same padding, etc.)



2. Convolutional Neural Network

◆ Convolutional Layer

✓ 예시 1

Input = 5 x 5
Kernel = 3 x 3
Padding = 0
Stride = 1
Output = 3 x 3

1 _{x1}	1 _{x0}	1 _{x1}	0	0
0 _{x0}	1 _{x1}	1 _{x0}	1	0
0 _{x1}	0 _{x0}	1 _{x1}	1	1
0	0	1	1	0
0	1	1	0	0

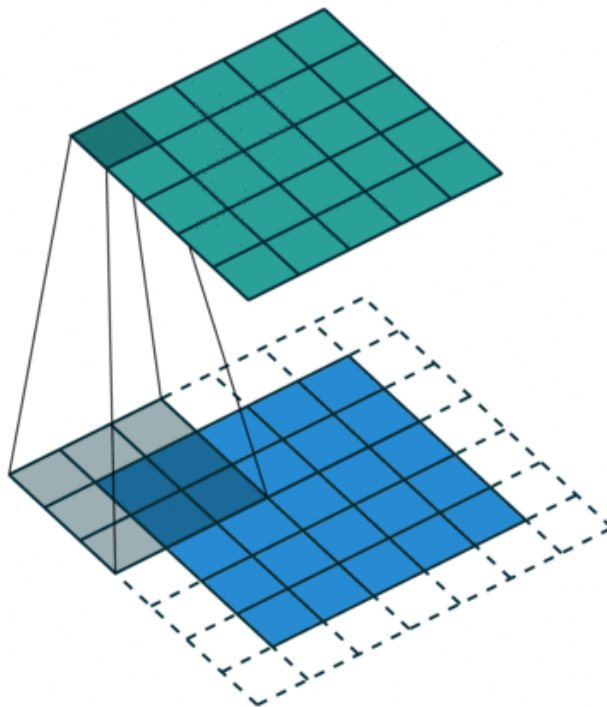
Image

4		

Convolved
Feature

✓ 예시 2

Input = 5 x 5
Kernel = 3 x 3
Padding = 1
Stride = 1
Output = 5 x 5



✓ Feature Map(output) 계산

I_h : 입력 데이터의 높이

I_w : 입력 데이터의 너비

K_h : 커널의 높이

K_w : 커널의 너비

S : stride

P : padding

O_h : feature map 의 높이

O_w : feature map 의 크기

$$(O_h, O_w) = (\lfloor \frac{I_h - K_h + 2P}{S} + 1 \rfloor, \lfloor \frac{I_w - K_w + 2P}{S} + 1 \rfloor)$$



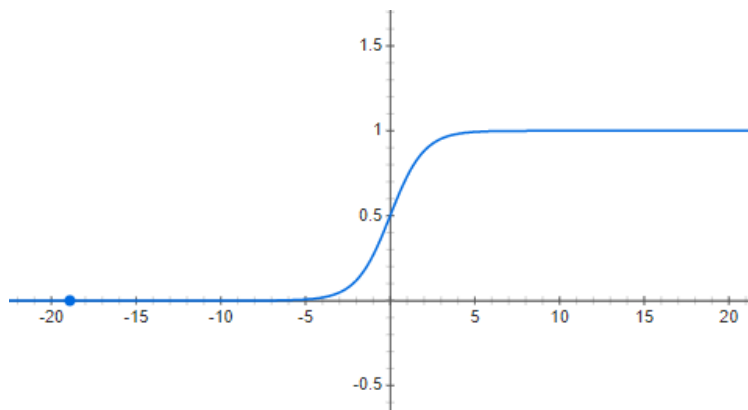
2. Convolutional Neural Network

◆ Activation Function

✓ Non-Linearity: Deep Neural Network(DNN)에 가치 부여

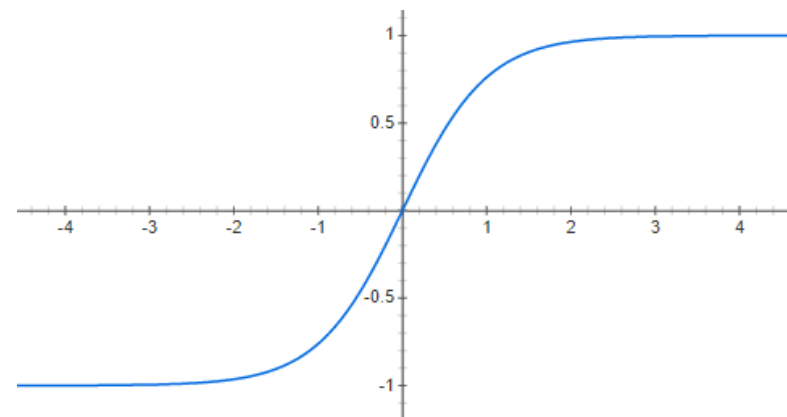
✓ Sigmoid Function

$$S(x) = \frac{1}{1 + e^{-x}} = \frac{e^x}{e^x + 1}$$



✓ Hyperbolic tangent

$$\tanh(x) = \frac{e^x - e^{-x}}{e^x + e^{-x}}$$



- x가 0에서 증가하거나 감소하는 방향으로 gradient 값이 빠르게 0으로 수렴
 - ➡ Back propagation (weight update)과정에서 업데이트가 잘 되지 않는 **Saturation현상 (Vanishing Gradient)** 발생
- Sigmoid Function은 output과 gradient 값이 항상 0보다 크거나 같으므로 **Zigzag현상** 발생
 - ➡ 업데이트 속도가 느려짐

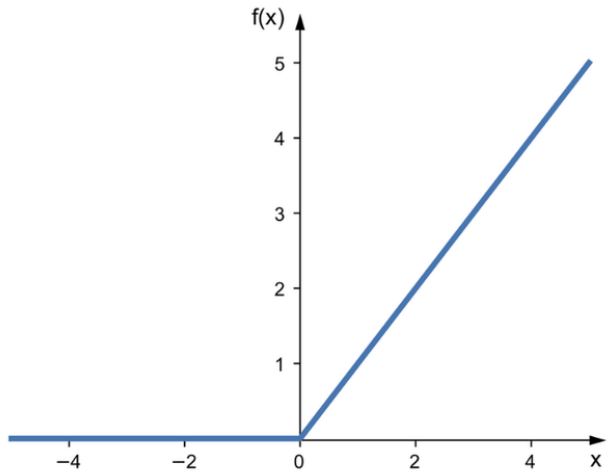


2. Convolutional Neural Network

◆ Activation Function

- ✓ ReLU (Rectified Linear Unit)

$$f(x) = \max(0, x)$$



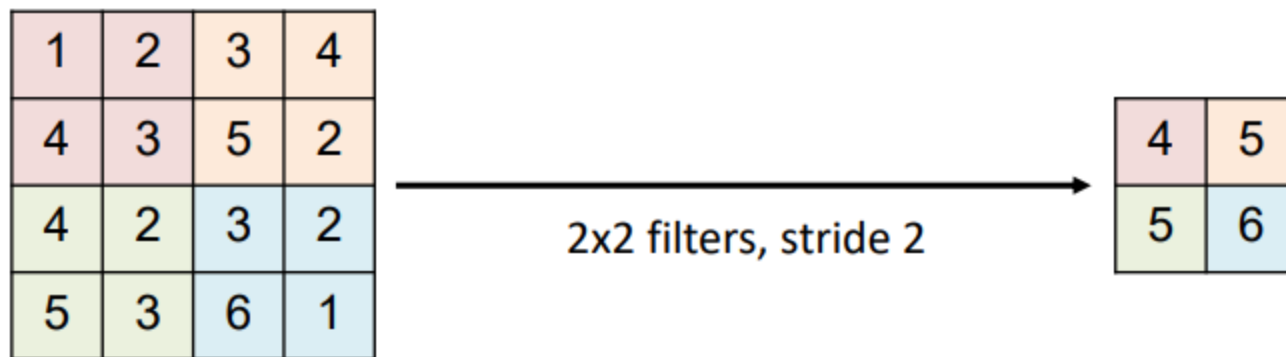
- Saturation 현상을 절반으로 감소
- 계산 복잡도가 낮음 (exponential function x)
- ReLU의 output과 gradient값이 항상 0보다 크거나 같으므로, zigzag현상 발생
- ReLU 이외에 Leaky ReLU, Parametric ReLU, ELU, SELU 등 다양한 Activation Function에 대한 연구



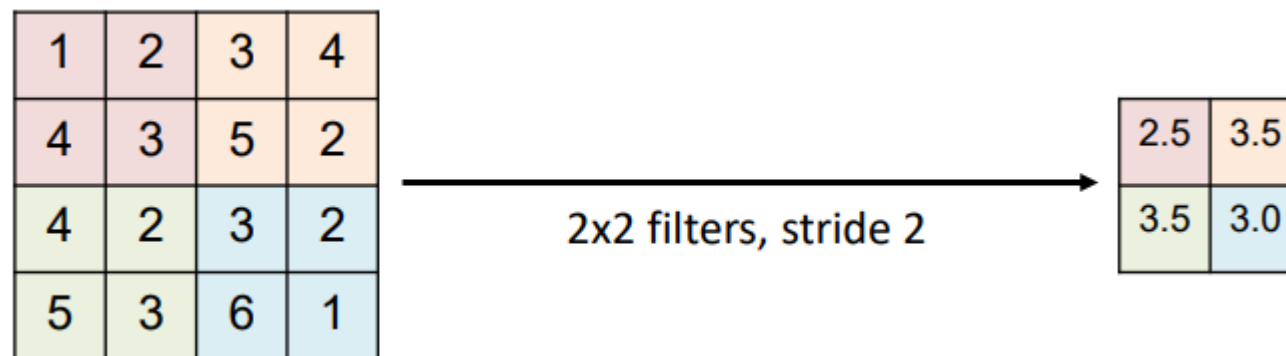
2. Convolutional Neural Network

◆ Pooling Layer

- ✓ Down sampling을 통해 feature map의 크기를 줄여주는 연산을 수행
- ✓ Max pooling



- ✓ Average pooling

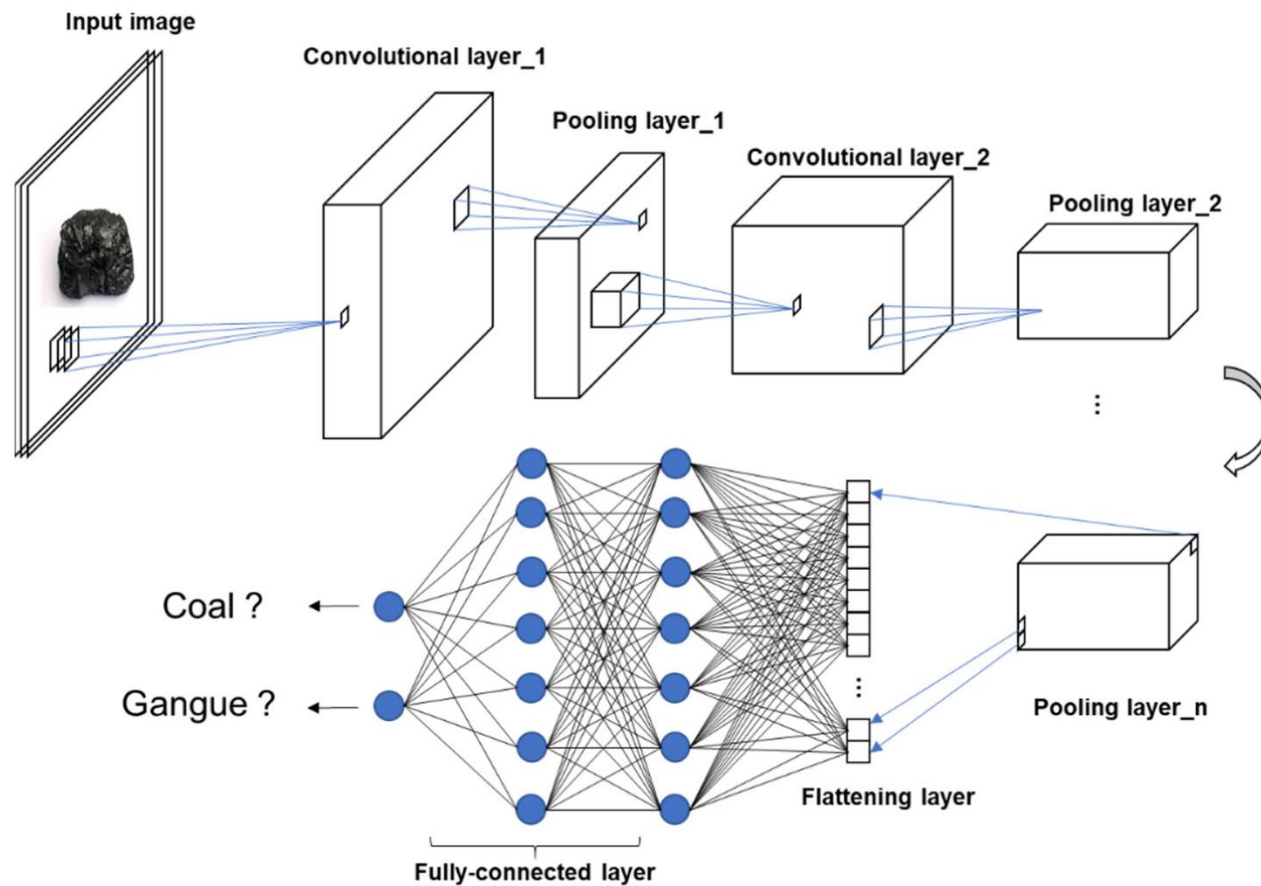




2. Convolutional Neural Network

◆ Fully-Connected Layer

- ✓ 전체 입력 node가 각 출력 node와 연결된 layer
- ✓ Spatial Feature 손실 발생
- ✓ 입력 데이터의 크기 변형에 취약



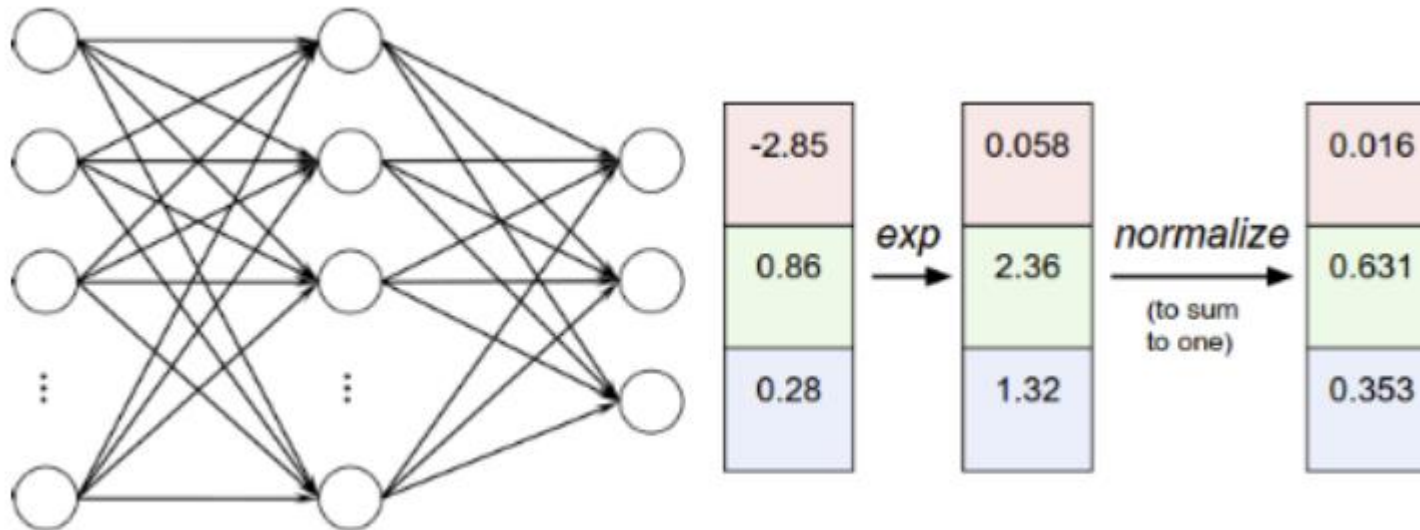


2. Convolutional Neural Network

◆ Softmax

- ✓ 주로 마지막 layer에서 확률분포를 얻기 위해 사용

$$P(y = j | x) = \frac{e^{w_j x}}{\sum_{k=1}^K e^{w_k x}}$$





2. Convolutional Neural Network

◆ Loss Function

✓ 학습의 목적을 의미하는 함수로, Loss 를 최소화 하는 방향으로 학습

✓ MSE (Mean Squared Error)

$$\text{MSE} = \frac{1}{N} \sum_{i=1}^N (y_i - \hat{y}_i)^2$$

✓ Cross Entropy

- 두 개의 확률분포 p 와 q 에 대해 하나의 사건 x 가 갖는 정보량

- $H_{p,q}(X) = -\sum_{i=1}^N p(x_i) \log q(x_i)$

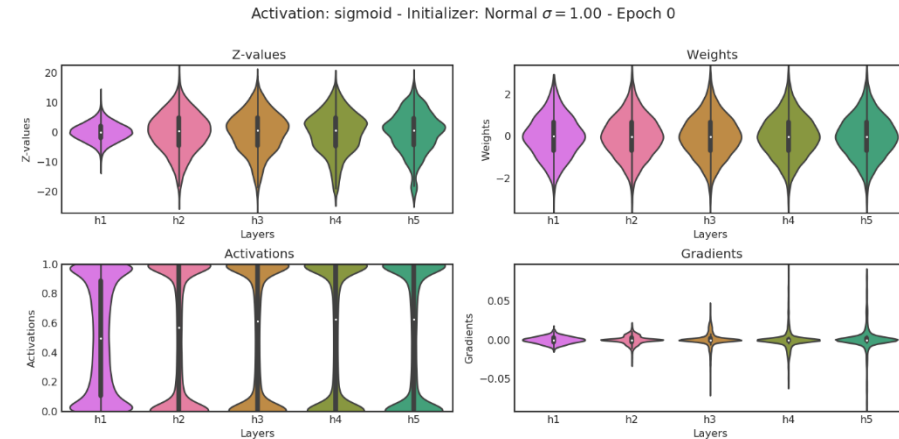
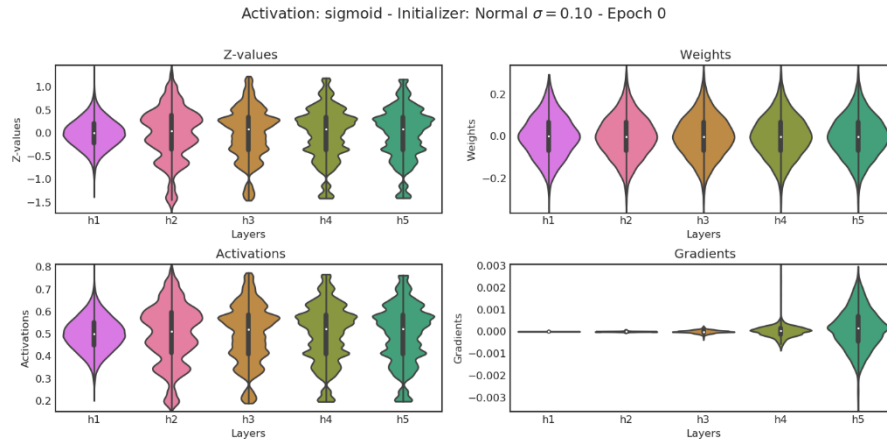
- p : True probability, q : prediction probability, N : # of classes



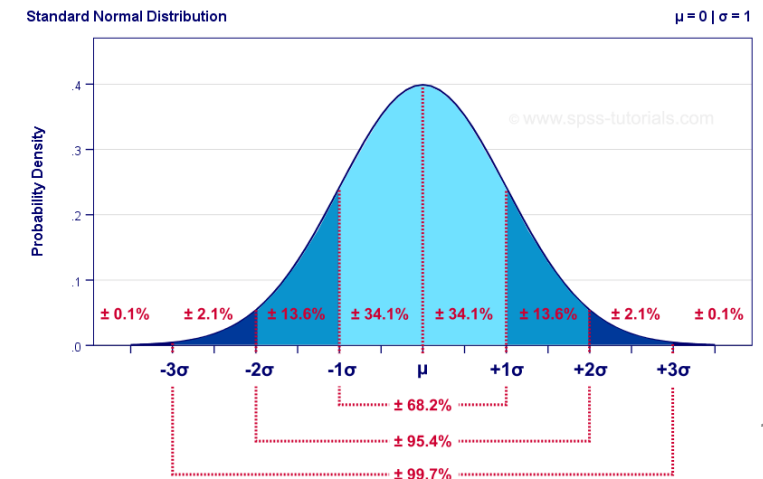
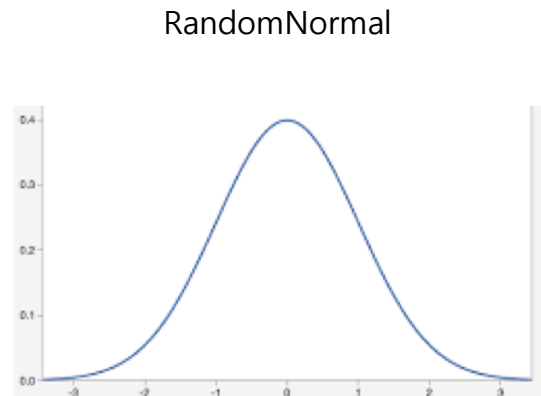
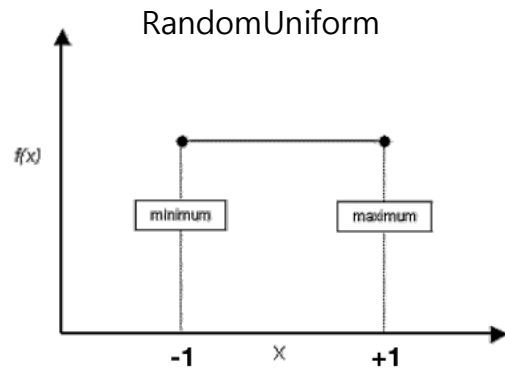
2. Convolutional Neural Network

◆ Weight Initialization

- ✓ Weight를 초기화 하는 방법에 따라, 성능이 달라짐



- ✓ 확률 분포 기반 초기화 (RandomUniform, RandomNormal, TruncatedNormal)
 - 레이어가 깊어질수록 vanishing gradient problem 발생 가능성 증가





2. Convolutional Neural Network

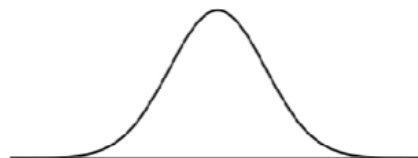
◆ Weight Initialization

✓ 분산 조정 기반 초기화 (**Xavier**, Lecun, He, etc.)

- Assumption: Activation Value가 평균과 표준편차가 일정하게 weight를 초기화 하면 Layer를 계속 쌓을 수 있을 것
- Fan in(입력 뉴런의 수)와 Fan out(출력 뉴런의 수)를 고려하여 확률 분포를 조정
- Fan in과 Fan out의 평균은 0, 분산은 일치하도록 초기화

Gaussian

$$Var(W) = \frac{2}{n_{in} + n_{out}}$$



Uniform

$$Var(W) = \sqrt{\frac{6}{n_{in} + n_{out}}}$$



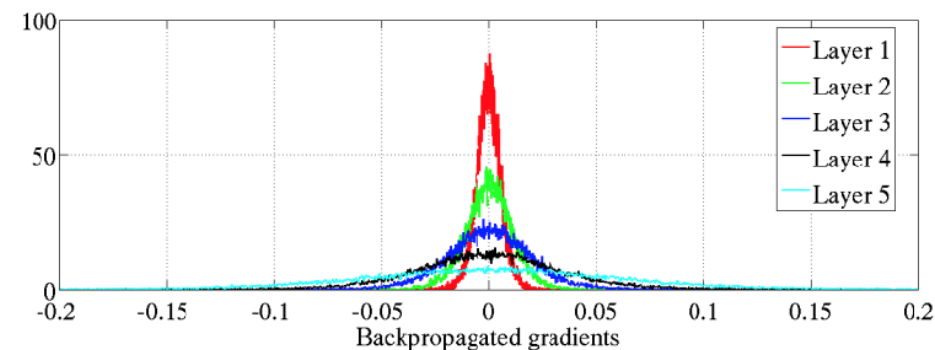
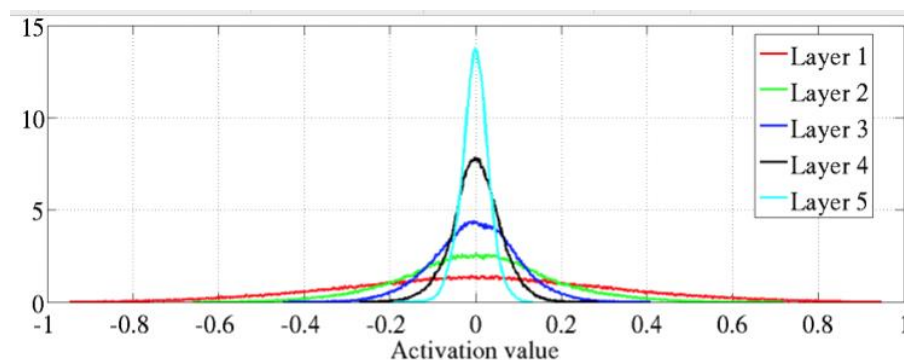


2. Convolutional Neural Network

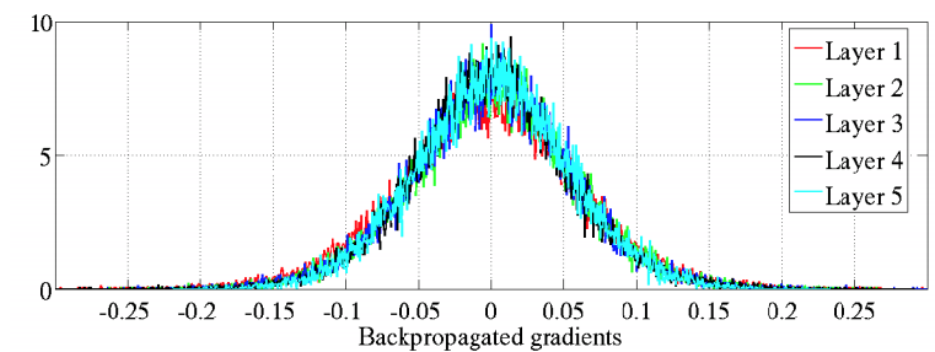
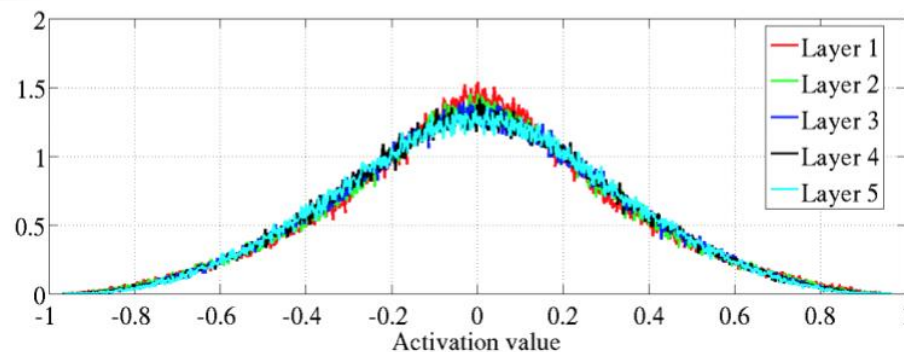
◆ Weight Initialization

- ✓ 분산 조정 기반 초기화 (**Xavier**, Lecun, He, etc.)
- ✓ `torch.nn.init.xavier_uniform_(layer.weight)`
- ✓ `torch.nn.init.xavier_normal_(layer.weight)`

RandomNormal



Xavier



forward propagation

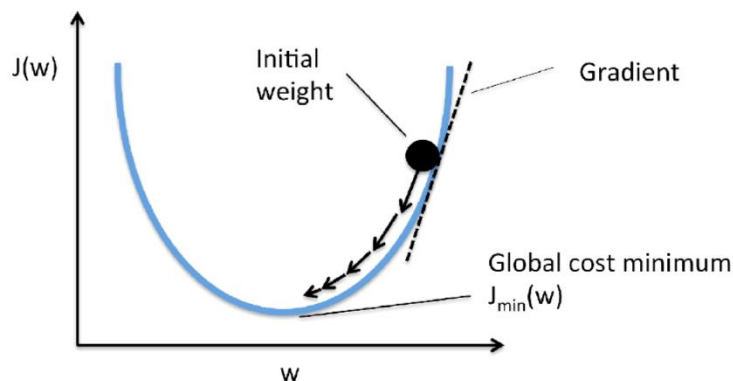
backpropagation



2. Convolutional Neural Network

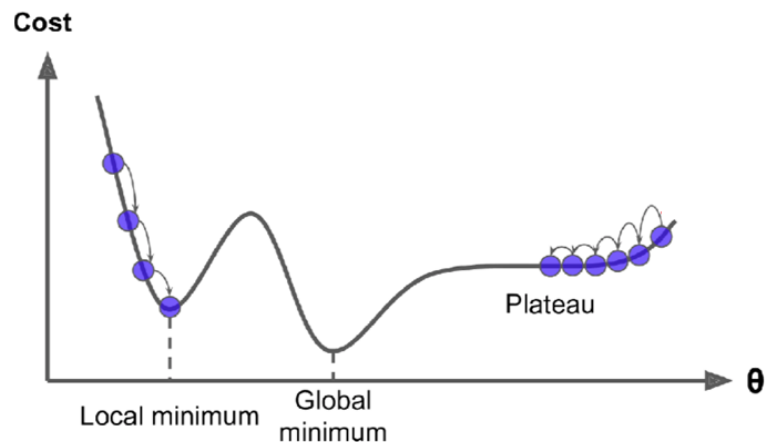
◆ Optimization

- ✓ Weight를 업데이트 하는 알고리즘



✓ SGD (Stochastic Gradient Decent)

- Loss function을 미분하여 weight를 업데이트하는 가장 기본적인 방법
- Local optimization 위험성, Plateau 취약성, zigzag현상, 기울기가 작은 곳에서 학습 속도 느림



$$\theta = \theta - \alpha * \frac{dJ(\theta)}{d\theta}$$



2. Convolutional Neural Network

◆ Optimization

✓ Momentum method (momentum, nesterov momentum)

- 현재 gradient와 이전 gradient를 고려하여 weight를 업데이트 하는 방법

$$vdw = \gamma * vdw + \nu * \frac{dJ(\theta)}{d\theta}$$

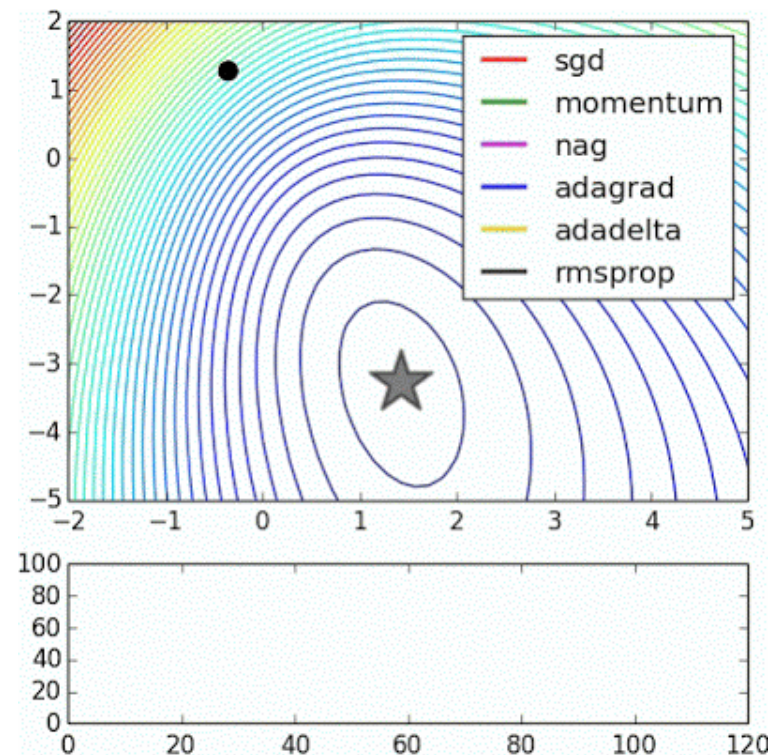
- Zigzag 현상

✓ Adaptive method

- Learning rate를 이전 gradient의 크기의 합으로 나누어주어, 학습이 진행됨에 따라 현재 gradient값을 작게 반영함으로써 효율적 학습을 진행하는 방법

$$\theta_{t+1} = \theta_t - \frac{\eta}{\sqrt{G_t + \epsilon}} \odot g_t$$

- G_t 의 누적으로 학습이 진행될수록 업데이트가 느려짐

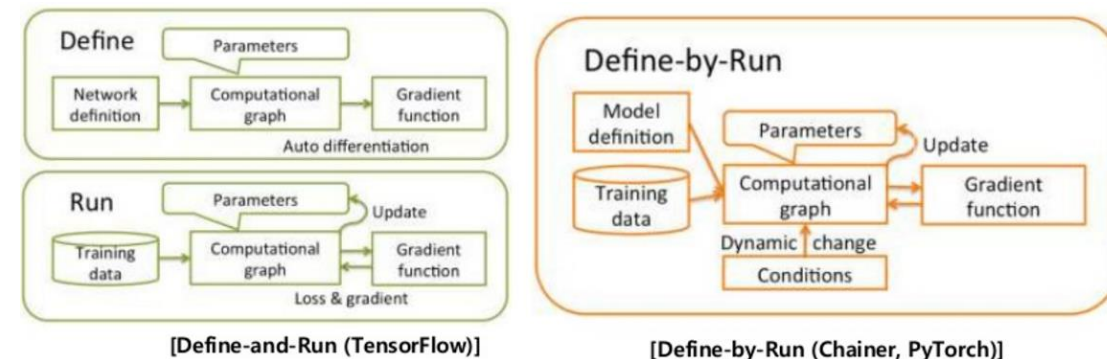




3. Pytorch

◆ Pytorch (Facebook) vs Tensorflow (Google)

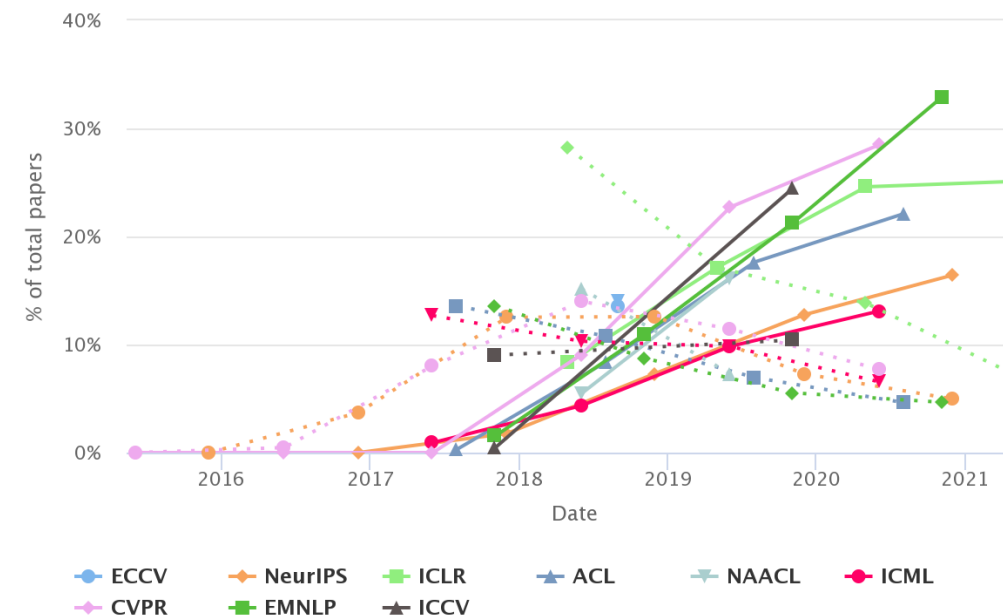
	Pytorch	TensorFlow
패러다임	Define by Run	Define and Run
그래프 형태	Dynamic Graph	Static Graph



◆ Pytorch의 장점

- ✓ 코드의 간결성과 직관성
- ✓ API (<https://pytorch.org/>)
- ✓ 최신 이용자 및 연구 증가

PyTorch (Solid) vs TensorFlow (Dotted) % of Total Papers





3. Pytorch

◆ 개발 환경 갖추기

- ✓ 파이썬(ver. 3.9.1) 설치
 - <https://www.python.org/downloads/release/python-391/>
 - "Add python 3.9.1 to path" 선택
 - 버전 확인: cmd에서 "python --version" 입력
- ✓ Pytorch(1.7.1 cpu ver) 설치
 - "pip install torch==1.7.1+cpu torchvision==0.8.2+cpu torchaudio==0.7.2 -f https://download.pytorch.org/whl/torch_stable.html"
 - "pip install numpy matplotlib scikit-learn"
- ✓ Jupyter Notebook 설치
 - "pip install jupyter"
 - 실행: "jupyter notebook" 입력



4. CNN 실습

◆ 실습 1-(1) MNIST 를 이용한 간단한 CNN 예제

```
import torch
import torch.nn as nn
import torch.optim as optim
import torch.nn.functional as F
from torchvision import transforms, datasets

USE_CUDA = torch.cuda.is_available()
DEVICE = torch.device("cuda" if USE_CUDA else "cpu")

EPOCHS = 40
BATCH_SIZE = 64

train_loader = torch.utils.data.DataLoader(
    datasets.MNIST('./.data',
                  train=True,
                  download=True,
                  transform=transforms.Compose([
                      transforms.ToTensor(),
                      transforms.Normalize((0.1307,), (0.3081,))
                  ])),
    batch_size=BATCH_SIZE, shuffle=True)
test_loader = torch.utils.data.DataLoader(
    datasets.MNIST('./.data',
                  train=False,
                  transform=transforms.Compose([
                      transforms.ToTensor(),
                      transforms.Normalize((0.1307,), (0.3081,))
                  ])),
    batch_size=BATCH_SIZE, shuffle=True)
```

```
class Net(nn.Module):
    def __init__(self):
        super(Net, self).__init__()
        self.conv1 = nn.Conv2d(1, 10, kernel_size=5)
        self.conv2 = nn.Conv2d(10, 20, kernel_size=5)
        self.conv2_drop = nn.Dropout2d()
        self.fc1 = nn.Linear(320, 50)
        self.fc2 = nn.Linear(50, 10)

    def forward(self, x):
        x = F.relu(F.max_pool2d(self.conv1(x), 2))
        x = F.relu(F.max_pool2d(self.conv2_drop(self.conv2(x)), 2))
        x = x.view(-1, 320)
        x = F.relu(self.fc1(x))
        x = F.dropout(x, training=self.training)
        x = self.fc2(x)
        return F.log_softmax(x, dim=1)

model = Net().to(DEVICE)
optimizer = optim.SGD(model.parameters(), lr=0.01, momentum=0.5)
```

```
def train(model, train_loader, optimizer, epoch):
    model.train()
    for batch_idx, (data, target) in enumerate(train_loader):
        data, target = data.to(DEVICE), target.to(DEVICE)
        optimizer.zero_grad()
        output = model(data)
        loss = F.cross_entropy(output, target)
        loss.backward()
        optimizer.step()

    if batch_idx % 200 == 0:
        print('Train Epoch: {} [{}/{}] ({:.0f}%) \t Loss: {:.6f}'.format(
            epoch, batch_idx * len(data), len(train_loader.dataset),
            100. * batch_idx / len(train_loader), loss.item()))
```



4. CNN 실습

◆ 실습 1-(2) MNIST 를 이용한 간단한 CNN 예제

```
def evaluate(model, test_loader):
    model.eval()
    test_loss = 0
    correct = 0
    with torch.no_grad():
        for data, target in test_loader:
            data, target = data.to(DEVICE), target.to(DEVICE)
            output = model(data)

            test_loss += F.cross_entropy(output, target,
                                         reduction='sum').item()

            pred = output.max(1, keepdim=True)[1]
            correct += pred.eq(target.view_as(pred)).sum().item()

    test_loss /= len(test_loader.dataset)
    test_accuracy = 100. * correct / len(test_loader.dataset)
    return test_loss, test_accuracy
```

```
for epoch in range(1, EPOCHS + 1):
    train(model, train_loader, optimizer, epoch)
    test_loss, test_accuracy = evaluate(model, test_loader)

    print('[{}] Test Loss: {:.4f}, Accuracy: {:.2f}%'.format(
        epoch, test_loss, test_accuracy))
```

```
Train Epoch: 37 [0/60000 (0%)] Loss: 0.054104
Train Epoch: 37 [12800/60000 (21%)] Loss: 0.038025
Train Epoch: 37 [25600/60000 (43%)] Loss: 0.080054
Train Epoch: 37 [38400/60000 (64%)] Loss: 0.090231
Train Epoch: 37 [51200/60000 (85%)] Loss: 0.078049
[37] Test Loss: 0.0342, Accuracy: 98.88%
Train Epoch: 38 [0/60000 (0%)] Loss: 0.078049
Train Epoch: 38 [12800/60000 (21%)] Loss: 0.270210
Train Epoch: 38 [25600/60000 (43%)] Loss: 0.115710
Train Epoch: 38 [38400/60000 (64%)] Loss: 0.152536
Train Epoch: 38 [51200/60000 (85%)] Loss: 0.045493
[38] Test Loss: 0.0336, Accuracy: 98.90%
Train Epoch: 39 [0/60000 (0%)] Loss: 0.259200
Train Epoch: 39 [12800/60000 (21%)] Loss: 0.318306
Train Epoch: 39 [25600/60000 (43%)] Loss: 0.042251
Train Epoch: 39 [38400/60000 (64%)] Loss: 0.025996
Train Epoch: 39 [51200/60000 (85%)] Loss: 0.136765
[39] Test Loss: 0.0350, Accuracy: 98.95%
Train Epoch: 40 [0/60000 (0%)] Loss: 0.056306
Train Epoch: 40 [12800/60000 (21%)] Loss: 0.055596
Train Epoch: 40 [25600/60000 (43%)] Loss: 0.142690
Train Epoch: 40 [38400/60000 (64%)] Loss: 0.279247
Train Epoch: 40 [51200/60000 (85%)] Loss: 0.147692
[40] Test Loss: 0.0331, Accuracy: 99.03%
```