# Automated Verification of Safety Properties of Declarative Networking Programs

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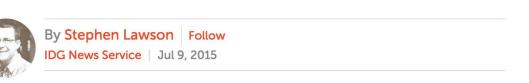
## Networks are complex and error-prone



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## United Airline's woes show what's hard about networking

SDN and cloud technology may cut down on big glitches like the router failure that grounded United planes, analysts say



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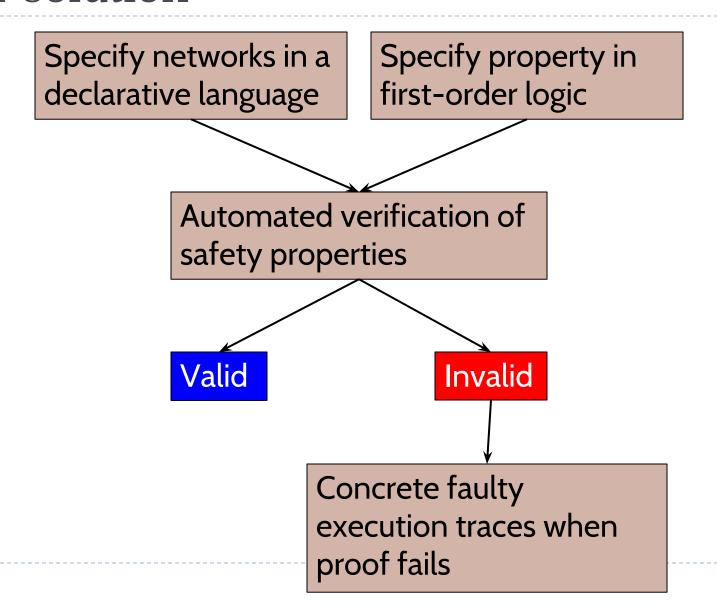


Pure Storage CEC huge savings with



Review: Portnox, lead NAC pack

#### Our solution

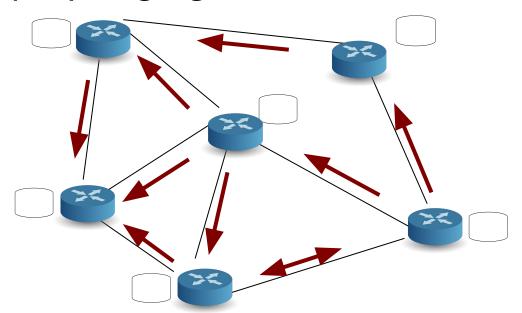


## Roadmap

- Introduction of NDLog (Network Datalog)
- Algorithm analysis
  - Derivation pool construction
  - Property query
  - Network constraints
  - Recursive programs
- Case study
- Conclusion

## Network Datalog (NDLog) [CACM'09]

- A distributed variant of Datalog
- Recursive query language over network states



#### **Traditional Networks**

- Network state
- Network Protocol

#### **Declarative Networks**

- Distributed Database
- Datalog Program

## Rule format of NDLog

- Rule Head :- Body<sub>1</sub>, Body<sub>2</sub>, ..., Body<sub>n</sub>, Constraint
- @: Location specifier

#### **Twohops**

```
R1 onehop(@z,x,c2) :- link(@z,x,c2)
```

R2 twohops(@x,y,c):- link(@z,y,c1), onehop(@z,x,c2), c=c1+c2

## Running an example NDLog program

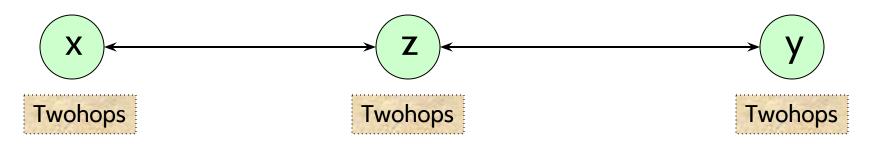
#### **Twohops**

R1 onehop(@z,x,c2) :- link(@z,x,c2)

R2 twohops( $\boldsymbol{\omega}$ x,y,c):- link( $\boldsymbol{\omega}$ z,y,c1), onehop( $\boldsymbol{\omega}$ z,x,c2), c=c1+c2

#### link

@Src	Dst	Cost
@z	у	c1
@z	X	c2



## Running an example NDLog program

#### **Twohops**

R1 onehop(@z,x,c2) :- link(@z,x,c2)

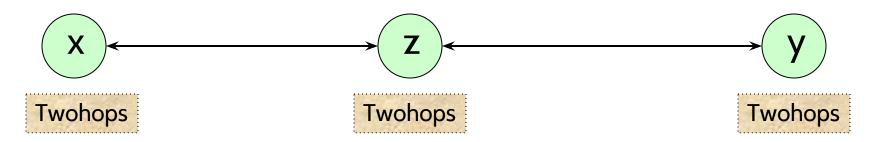
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link

oneho

@Src	Dst	Cost
@z	y	c1
@z	X	c2

@Src	o <sub>Dst</sub>	Cost
@z	X	c2



## Running an example NDLog program

#### **Twohops**

R1 onehop(@z,x,c2) :- link(@z,x,c2)

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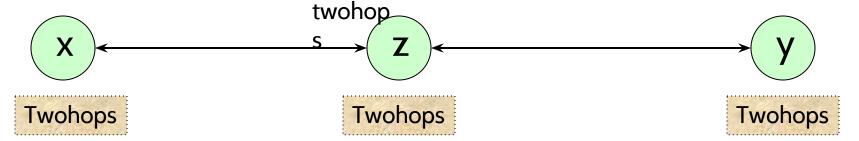
#### link

#### oneho

@Src	Dst	Cost
@x	y	c

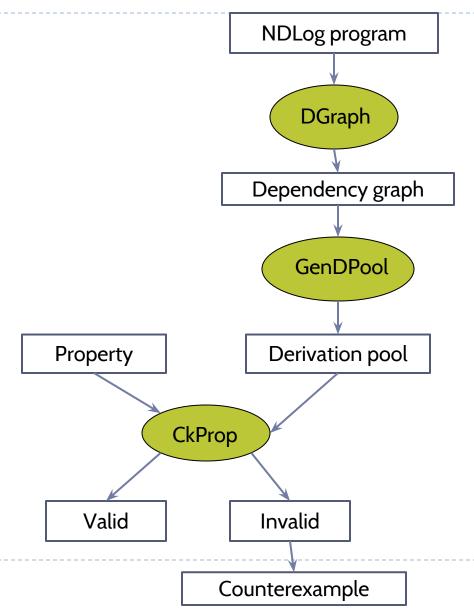
@Src	Dst	Cost
@z	y	c1
@z	X	c2

@Src	o <sub>Dst</sub>	Cost
@z	X	c2



#### Overview of framework

10



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## NDLog program ⇒ Dependency graph

Dependency Graph G:

#### Vertex:

- V1: Tuple nodes
- V2: Rule nodes

#### Edge:

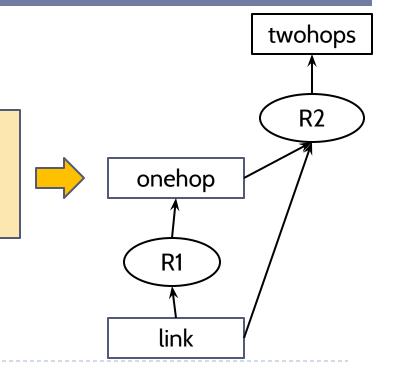
- (rule node  $\rightarrow$  head node)
- (body node → rule node)

#### **Twohops**

R1 onehop(@z,x,c2) :- link(@z,x,c2)

R2 twohops(@x,y,c) :- link(@z,y,c1), onehop(@z,x,c2),

c=c1+c2



## Dependency graph ⇒ Derivation pool

R1 onehop( $\boldsymbol{\varrho}$ z,x,c2) :- link( $\boldsymbol{\varrho}$ z,x,c2)

R2 twohops(@x,y,c):- link(@z,y,c1), onehop(@z,x,c2), c=c1+c2

R1 onehop( $\boldsymbol{\varrho} x_1, x_2, x_3$ ) :- link( $\boldsymbol{\varrho} x_4, x_5, x_6$ ),  $x_1 = x_4 \wedge x_2 = x_5 \wedge x_3 = x_6$ R2 twohops( $\boldsymbol{\varrho} x_7, x_8, x_9$ ) :- link( $\boldsymbol{\varrho} x_{10}, x_{11}, x_{12}$ ), onehop( $\boldsymbol{\varrho} x_{13}, x_{14}, x_{15}$ ),  $x_7 = x_{14} \wedge x_8 = x_{11} \wedge x_{10} = x_{13} \wedge x_9 = x_{12} + x_{15}$ 

	Link	Onehop
Derivations	(BaseTuple, link $(z_{\lambda 1}, z_{\lambda 2}, z_{\lambda 3})$ )	(R1, onehop(z <sub>01</sub> ,z <sub>02</sub> ,z <sub>03</sub> ), (BaseTuple, link(z <sub>04</sub> ,z <sub>05</sub> ,z <sub>06</sub> ))::nil)
onstraints	True	$z_{o1} = z_{o4} \wedge z_{o2} = z_{o5} \wedge z_{o3} = z_{o6}$

Twohops
(R2,
$twohops(z_{t7}, z_{t8}, z_{t9}),$
(BaseTuple, link( $z_{t10}$ , $z_{t11}$ , $z_{t12}$ ))
$::(R1,onehop(z_{t13},z_{t14},z_{t15}), (BT,link(z_{t3},z_{t4},z_{t5}))::$
nil)
::nil)
$ \begin{array}{ c c c }\hline (\mathbf{z_{t3}} = & \mathbf{z_{t13}} \land \mathbf{z_{t4}} = & \mathbf{z_{t14}} \land \mathbf{z_{t5}} = & \mathbf{z_{t15}}) \\ \land (\mathbf{x_{t7}} = & \mathbf{x_{t14}} \land \mathbf{x_{t8}} = & \mathbf{x_{t11}} \land \mathbf{x_{t10}} = & \mathbf{x_{t13}} \land \mathbf{x_{t9}} = & \mathbf{x_{t12}} + & \mathbf{x_{t15}}) \end{array} $

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## Property specification

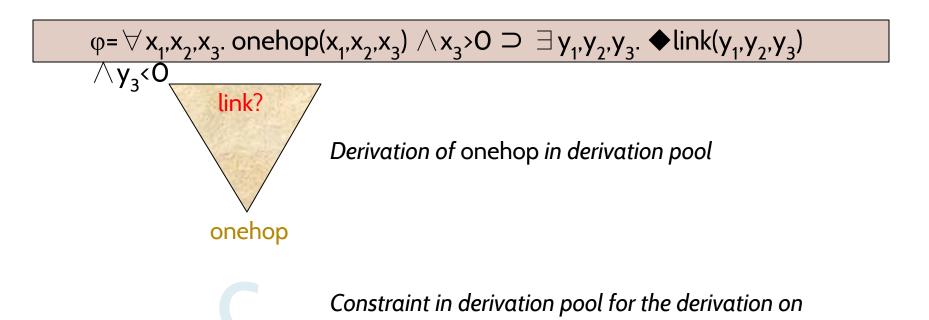
- Safety property
  - Something bad never happens
- Restricted property format:
  - Indicates the temporal operation "past"

$$\forall \mathbf{x_1}.\mathbf{p_1}(\mathbf{x_1}) \land \forall \mathbf{x_2}.\mathbf{p_2}(\mathbf{x_2}) \land \dots \land \forall \mathbf{x_n}.\mathbf{p_n}(\mathbf{x_n}) \land \mathbf{c_q}(\mathbf{x_1}, ..., \mathbf{x_n}) \supset \\ \exists \mathbf{y_1}. \spadesuit \mathbf{q_1}(\mathbf{y_1}) \land \exists \mathbf{y_2}. \spadesuit \mathbf{q_2}(\mathbf{y_2}) \land \dots \land \exists \mathbf{y_m}. \spadesuit \mathbf{q_m}(\mathbf{y_m}) \land \mathbf{c_q}(\mathbf{x_1}, ..., \mathbf{x_n}, \mathbf{y_1}, ..., \mathbf{y_m})$$

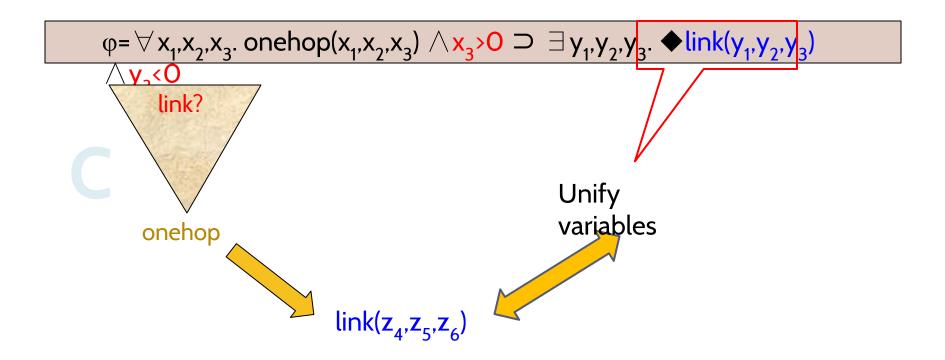
- Example:
  - $\forall x_1, x_2, x_3$ .onehop $(x_1, x_2, x_3) \land x_3 > 0 \supset \exists y_1, y_2, y_3. \spadesuit link(y_1, y_2, y_3) \land y_3 < 0$

onehop

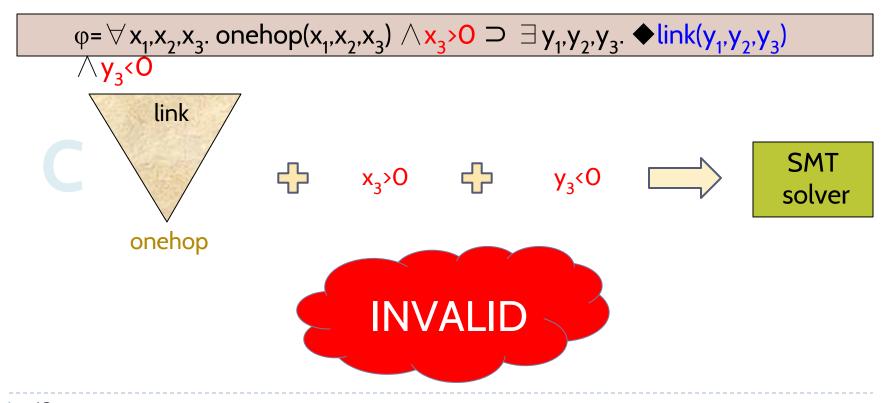
- Verify the property holds for all possible derivations
  - Enumerate all derivations for the tuples in the antecedent



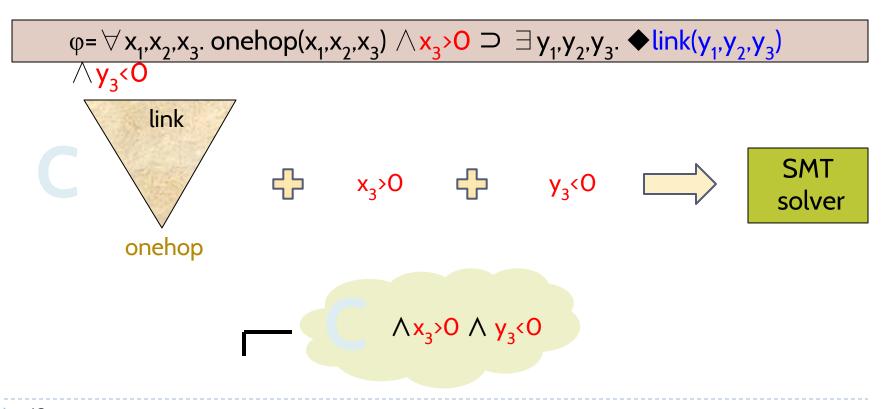
- Verify existence of tuples in the conclusion
  - Look for instances of tuples in the given derivation



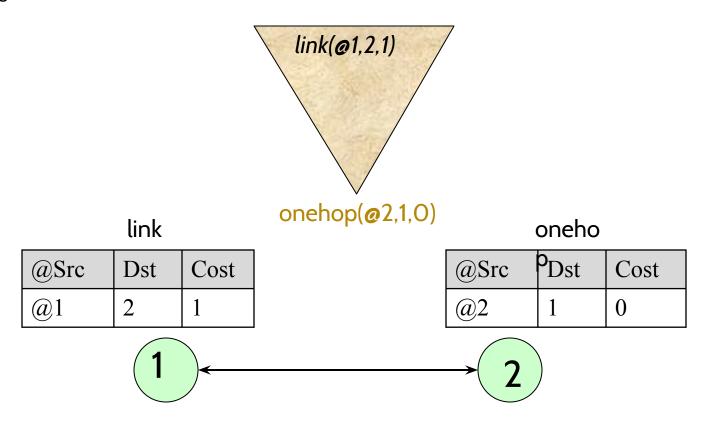
- Verify validity of constraints
  - SMT solver



• Find a satisfying substitution for the negation of the constraints to generate a concrete counterexample



$$\phi = \forall x_1, x_2, x_3$$
. onehop $(x_1, x_2, x_3) \land x_3 > 0 \supset \exists y_1, y_2, y_3$ .  $\spadesuit link(y_1, y_2, y_3) \land y_3 < 0$ 

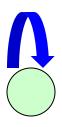


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## Network constraint examples

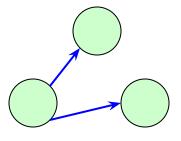
 $\phi_{\text{net}} = \forall u_1, u_2, u_3. \text{ link}(u_1, u_2, u_3) \supset u_1 \neq u_2$ 



No self-loops



$$\phi_{\text{net}} = \forall u_1, u_2, u_3. \ \text{link}(u_1, u_2, u_3) \land \forall u_4, u_5, u_6. \ \text{link}(u_4, u_5, u_6) \supset (u_1 = u_4 \rightarrow u_2 \neq u_5)$$



Every node in the network has only one outgoing link



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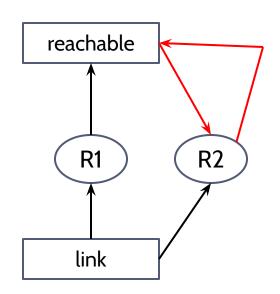
## Recursive programs

- Dependency graph has cycles
- Break the cycle using user-provided annotations on tuples on the cycle
  - Equivalent to disjunction of constraints over the list of possible derivations for tuples on the cycle

#### Reachability

R1 reachable( $\boldsymbol{o}$ x,y) :- link( $\boldsymbol{o}$ x,y)

R2 reachable( $\mathbf{o}_{x,y}$ ) :- link( $\mathbf{o}_{x,z}$ ), reachable( $\mathbf{o}_{z,y}$ )



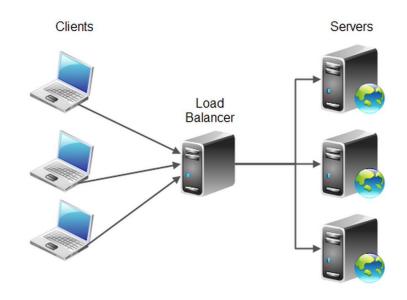
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#### Introduction to load balancers

- A way to distribute client requests to an application onto multiple servers
  - Allows application to process a higher work load
  - Provides redundancy in an application

- Flow affinity
  - Packets received on different servers cannot share the same source address



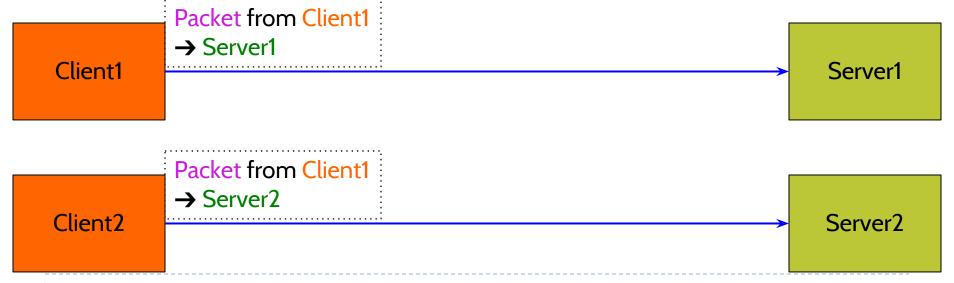
## Flow affinity

Packets received on different servers cannot share the same

```
∀ Server1, Client1, LoadBalancer1. ∀ Server2, Client2,
LoadBalancer2.
recvPacket(Server1, Client1, LoadBalancer1)

Λ recvPacket(Server2, Client2, LoadBalancer2)

Λ Server1≠ Server2 □
Client1 ≠ Client2
```



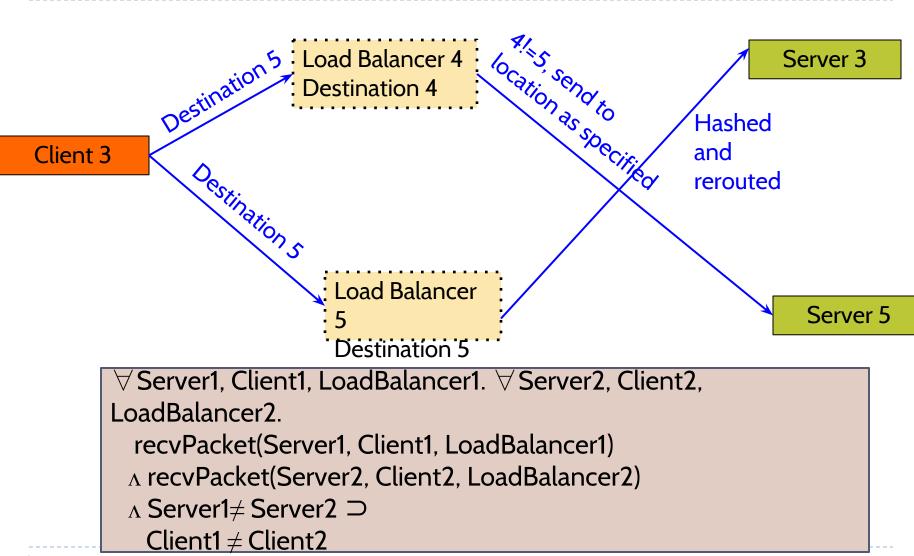
#### A naïve load balancer

- Our load balancer balances traffic towards a specific destination address
  - Determines the path of a packet based on the hash value of its source address



Server3

## Counterexample produced by our tool

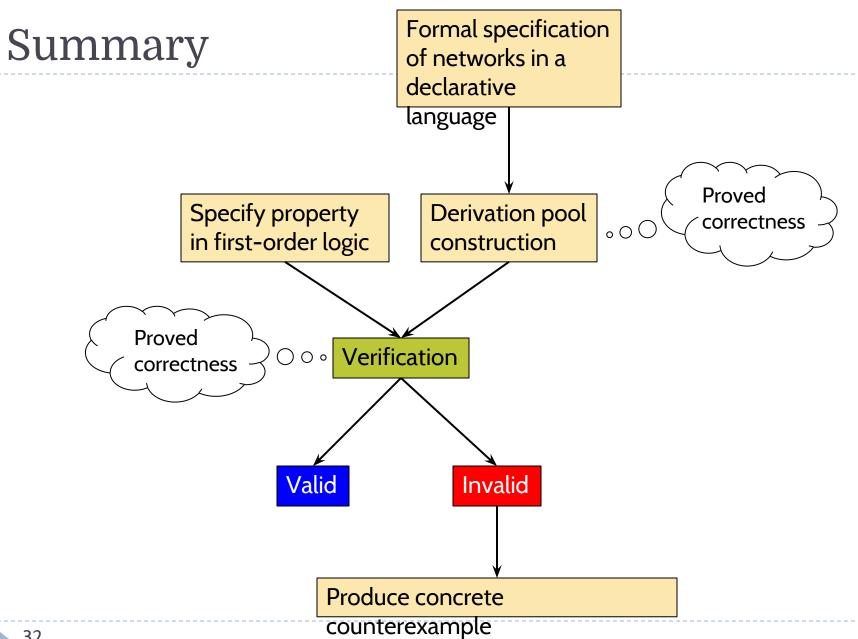


## Case studies

Test Case	# rules	# properties	# counterexamples	Max eval time (ms)
Ethernet source learning	11	5	2	60
Firewall	5	3	0	40
Load balancer	4	1	1	80
Address resolution	9	2	0	210

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#### Related work

#### Network verification

- Model network behavior using trace semantics. Relies on manual proofs
- Examples: FORTE'14, TPHOLs'09
- Our solution: Enables automated static analysis of safety properties, generates counterexamples for debugging purposes

#### Software defined networking (SDN) verification

- Specific to analyzing SDN controllers and data places
- Examples: PLDI'14, SIGCOMM'11
- Our solution: Does the above, can also analyze other distributed systems expressible in NDLog

#### Verification of declarative programs

- Proves correctness properties of networking protocols using theorem provers. User experience with theorem provers required.
- Example: PADL'09
- Our solution: Validate protocol correctness using an SMT solver. User experience with SMT solvers unnecessary.

#### Future work

- Analyze liveness properties
  - Something good eventually happens
- Provenance related topics

# Questions?

## Time complexity (non-recursive)

#### Notation

- $P = p_1,...,p_n$ • |P|=n
- $Q = q_1, ..., q_m$ 
  - |Q|=m

$$\forall \mathbf{x}_{1}.\mathsf{p}_{1}(\mathbf{x}_{1}) \land \forall \mathbf{x}_{2}.\mathsf{p}_{2}(\mathbf{x}_{2}) \land \dots \land \forall \mathbf{x}_{n}.\mathsf{p}_{n}(\mathbf{x}_{n}) \land \mathsf{c}_{q}(\mathbf{x}_{1}, \dots, \mathbf{x}_{n}) \supset \exists \mathbf{y}_{1}. \spadesuit \mathsf{q}_{1}(\mathbf{y}_{1}) \land \exists \mathbf{y}_{2}. \spadesuit \mathsf{q}_{2}(\mathbf{y}_{2}) \land \dots \land \exists \mathbf{y}_{m}. \spadesuit \mathsf{q}_{m} (\mathbf{y}_{m}) \land \mathsf{c}_{q}(\mathbf{x}_{1}, \dots, \mathbf{x}_{n}, \mathbf{y}_{1}, \dots, \mathbf{y}_{m})$$

- Given an NDLog program with R rules
  - Each rule has at most W body tuples
- Time complexity: O((R<sup>nW^R</sup>)n<sup>m</sup>W<sup>Rn</sup>)
- In practice, R and W are small
  - Can be treated as constants

# Possible ways to fix the network counterexample

- Add network assumptions
  - Servers are connected to at most one load balancer
- Change property specification
  - Load balanced packets that are forwarded out of different load balancers were not sent out by the same client