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**IMPLEMENTATION** 

## **INSPIRATION**

#### **Energy efficiency Data Set**

Download: Data Folder, Data Set Description

PSet 6 & 7 - From UCI ML Repo

**Abstract**: This study looked into assessing the heating load and cooling load requirements of buildings (that is, energy efficiency) as a function of building parameters.

Data Set Characteristics:	Multivariate	Number of Instances:	768	Area:	Computer
Attribute Characteristics:	Integer, Real	Number of Attributes:	8	Date Donated	2012-11-30
Associated Tasks:	Classification, Regression	Missing Values?	N/A	Number of Web Hits:	410571

#### Source:

The dataset was created by Angeliki Xifara (angxifara '@' gmail.com, Civil/Structural Engineer) and was processed by Athanasios Tsanas (tsanasthanasis '@' gmail.com, Oxford Centre for Industrial and Applied Mathematics, University of Oxford, UK).

#### **Data Set Information:**

We perform energy analysis using 12 different building shapes simulated in Ecotect. The buildings differ with respect to the glazing area, the glazing area distribution, and the orientation, amongst other parameters. We simulate various settings as functions of the afore-mentioned characteristics to obtain 768 building shapes. The dataset comprises 768 samples and 8 features, aiming to predict two real valued responses. It can also be used as a multi-class classification problem if the response is rounded to the nearest integer.

#### DATA



In this competition, you'll develop accurate models of metered building energy usage in the following areas: chilled water, electric, hot water, and steam meters. The data comes from over 1,000 buildings over a three-year timeframe. With better estimates of these energy-saving investments, large scale investors and financial institutions will be more inclined to invest in this area to enable progress in building efficiencies.

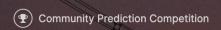
# DATA

#### **Evaluation Metric**

The evaluation metric for this competition is Root Mean Squared Logarithmic Error.

The RMSLE is calculated as

$$\epsilon = \sqrt{\frac{1}{n} \sum_{i=1}^{n} (\log(p_i + 1) - \log(a_i + 1))^2}$$



#### **Predicting Electricity Consumption**

inspired by the Ashrae Great Energy Predictor III

14 teams · a year ago

### DATA

This competition challenges you to build predictive models for electricity consumption based on building metadata, historic usage, and weather data. The dataset includes hourly meter readings from 100 buildings at several different sites around the world.

#### train.csv / test.csv

- id a combination of building\_id and time\_stamp (only present in test.csv)
- building\_id ID of the building.
- timestamp When the measurement was taken.
- primary\_use Indicator of the primary category of activities for the building based on EnergyStar property type definitions.
- square\_feet Gross floor area of the building.
- year\_built Year building was opened.
- floor\_count Number of floors of the building.
- air\_temperature Degrees Celsius.
- cloud\_coverage Portion of the sky covered in clouds, in oktas.
- dew\_temperature Degrees Celsius.
- precip\_depth\_1\_hr Millimeters.
- sea\_level\_pressure Millibar/hectopascals.
- wind\_direction Compass direction (0-360).
- wind\_speed Meters per second.
- meter\_reading The target variable. Energy consumption in kWh.

#### **DATA PREPARATION**

```
#import libraries
import matplotlib.pyplot as plt
import numpy as np
import pandas as pd
from numpy import array
from keras models import Segeuntial
from keras.layers import LSTM
from keras lavers import Dense
#import data file
data = pd.read_csv(r'/Users/laurah/Desktop/code/neural net proj/train.csv')
def parser(x):
    return pd.datetime.strptime('190'+x, '%Y-%m')
#delete meter readings of 0
condition = data["meter_reading"]>1e-10
data clean = data[condition]
column names = ["timestamp", "meter reading"]
#examine time and meter reading
data_clean = data_clean[["timestamp", "meter_reading"]]
data_clean = data_clean.astype({"timestamp": str})
data_clean = data_clean.astype({"meter_reading": float})
data_clean.reset_index(drop = True, inplace = True)
```

```
#create new pandas array to populate
newdata = pd.DataFrame(index = range(len(data_clean)), columns = column_names)

for i in range(len(data_clean)):
    new_timestamp = data_clean["timestamp"][i][0:10]
    new_meter = data_clean["meter_reading"][i]
    newdata.loc[i] = [new_timestamp, new_meter]

#print(newdata)

#find data from same day and average
avgdata = pd.DataFrame(index = range(366), columns = column_names)
avgdata = newdata.groupby("timestamp")["meter_reading"].mean()
print(avgdata)

avgdata = avgdata.to_frame()
ts = newdata["timestamp"].unique()
avgdata.insert(0, "timestamp", ts, True)
print(avgdata)
```

## **THEORY**

#### Long Short-Term Memory networks (LSTMs)

- Time series forecasting
- Univariate LSTM Model
  - Model learns from a series of past observations to predict the next value in the sequence
  - Single-step
- Type of RNN

#### Arguments

- units: Positive integer, dimensionality of the output space.
- activation: Activation function to use. Default: hyperbolic tangent (tanh). If you pass None, no activation is applied (ie. "linear" activation: a(x) = x).
- recurrent\_activation: Activation function to use for the recurrent step. Default: sigmoid (sigmoid). If you pass None, no activation is applied (ie. "linear" activation: a(x) = x).
- use bias: Boolean (default True), whether the layer uses a bias vector.
- kernel\_initializer: Initializer for the kernel weights matrix, used for the linear transformation of the inputs. Default: glorot\_uniform.
- recurrent\_initializer: Initializer for the recurrent\_kernel weights matrix, used for the linear transformation of the recurrent state. Default: orthogonal.
- bias\_initializer: Initializer for the bias vector. Default: zeros.
- unit\_forget\_bias: Boolean (default True). If True, add 1 to the bias of the forget gate at
  initialization. Setting it to true will also force bias\_initializer="zeros". This is recommended
  in Jozefowicz et al..

Args			
units	Positive integer, dimensionality of the output space.		
activation	Activation function to use. If you don't specify anything, no activation is applied (ie. "linear" activation: $a(x) = x$ ).		
use_bias	Boolean, whether the layer uses a bias vector.		
kernel_initializer	Initializer for the kernel weights matrix.		
bias_initializer	Initializer for the bias vector.		
kernel_regularizer	Regularizer function applied to the kernel weights matrix.		
bias_regularizer	Regularizer function applied to the bias vector.		
activity_regularizer	Regularizer function applied to the output of the layer (its "activation").		
kernel_constraint	Constraint function applied to the kernel weights matrix.		
bias_constraint	Constraint function applied to the bias vector.		

#### **VANILLA LSTM SETUP**

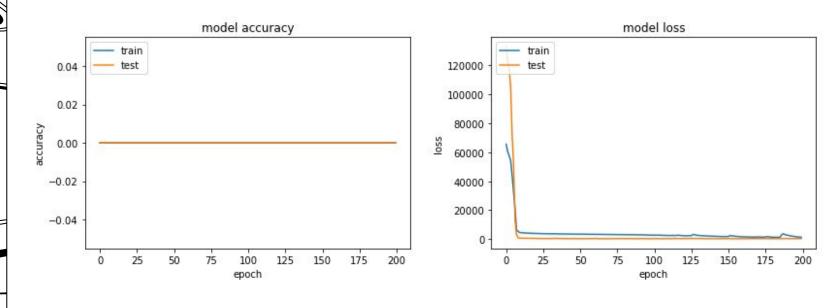
```
#create batches of three for training
def split sequence(sequence, n_steps):
    X, y = list(),list()
    for i in range(len(sequence)):
        end idx = i + n steps
        if end_idx > len(sequence) - 1:
            break
        seq_x, seq_y = sequence[i:end_idx], sequence[end_idx]
        X.append(seq_x)
        y_append(seq_y)
    return array(X), array(y)
#transform df to array/list
L = avgdata["meter_reading"].astype(float).values.tolist()
seq = \tilde{L}
#choosing my "batch size
n \text{ steps} = 3
#split into samples
X, y = split_sequence(seq, n_steps)
for i in range(len(X)):
    print(X[i], y[i])
```

```
[369.11430634 372.72968329 400.59049027] 404.45740663507166
[372,72968329 400,59049027 404,45740664] 403,0994655099904
[400.59049027 404.45740664 403.09946551] 403.2158354233656
[404.45740664 403.09946551 403.21583542] 394.8792171591497
[403.09946551 403.21583542 394.87921716] 362.85765151041636
[403.21583542 394.87921716 362.85765151] 365.30793608405975
[394.87921716 362.85765151 365.30793608] 405.90133534663863
[362.85765151 365.30793608 405.90133535] 407.1929332991279
[365.30793608 405.90133535 407.1929333 ] 396.50313933996796
[405.90133535 407.1929333 396.50313934] 347.2965687074823
[407.1929333 396.50313934 347.29656871] 333.9284730867998
[396.50313934 347.29656871 333.92847309] 330.1142059004621
[347.29656871 333.92847309 330.1142059 ] 345.1646184873957
[333.92847309 330.1142059 345.16461849] 380.9064657407408
[330.1142059 345.16461849 380.90646574] 399.1863428197067
[345.16461849 380.90646574 399.18634282] 404.1146188197769
[380.90646574 399.18634282 404.11461882] 407.6983155925152
[399.18634282 404.11461882 407.69831559] 387.25370419506925
[404.11461882 407.69831559 387.2537042 ] 367.9961961558436
[407.69831559 387.2537042 367.99619616] 366.42887063409586
[387.2537042 367.99619616 366.42887063] 405.9426812337999
[367.99619616 366.42887063 405.94268123] 406.50011753674596
[366.42887063 405.94268123 406.50011754] 391.9226042631582
[405.94268123 406.50011754 391.92260426] 402.1110292708323
[406.50011754 391.92260426 402.11102927] 389.8627600936529
[391.92260426 402.11102927 389.86276009] 343.2429351774529
[402.11102927 389.86276009 343.24293518] 349.4014188113692
[389.86276009 343.24293518 349.40141881] 381.4263567101833
[343.24293518 349.40141881 381.42635671] 386.1755111932417
```

#### **LSTM MODEL**

```
# create model
model = keras.models.Sequential()
n features = 1
                                                                        # summarize history for accuracy
model.add(LSTM(50, activation='relu', input_shape=(n_steps, n_features)))
                                                                        plt.plot(history.history['accuracy'])
model.add(Dense(1))
                                                                        plt.plot(history.history['val_accuracy'])
                                                                        plt.title('model accuracy')
#compile model
model.compile(loss = 'mse', optimizer='adam', metrics=['accuracy'])
                                                                        plt.ylabel('accuracy')
                                                                        plt.xlabel('epoch')
#reshape from [samples, timestamps] into [samples, timestamps, features]
                                                                        plt.legend(['train', 'test'], loc='upper left')
n features = 1
                                                                        plt.show()
X = X.reshape((X.shape[0], X.shape[1], n_features))
#fit model
                                                                        # summarize history for loss
history = model.fit(X, y, validation_split = 0.33, epochs = 200)
                                                                        plt.plot(history.history['loss'])
                                                                        plt.plot(history.history['val_loss'])
#demonstrate prediction
                                                                        plt.title('model loss')
for i in range(len(X)):
    x input = X[i]
                                                                        plt.vlabel('loss')
    x_input = x_input.reshape((1, n_steps, n_features))
                                                                        plt.xlabel('epoch')
   yhat = model.predict(x_input)
                                                                        plt.legend(['train', 'test'], loc='upper left')
    print(yhat)
                                                                        plt.show()
#list all data in history
print(history.history.kevs())
```

## **LSTM MODEL RESULTS**



# **DATA - PRELIMINARY DIRECTION**

#### Problem

- No accessible "test" meter\_reading values Solution
- Self-generate "test" values from taking median instead of average non-zero "train" meter\_reading for each "day"

```
#create test df to populate
testdata = pd.DataFrame(index = range(366), columns = column_names)
testdata = newdata.groupby("timestamp")["meter_reading"].median()
print(testdata)

testdata = testdata.to_frame()
ts = testdata["timestamp"].unique()
testdata.insert(0, "timestamp", ts, True)
print("test data")
print(testdata)
```

