



Lecture 3

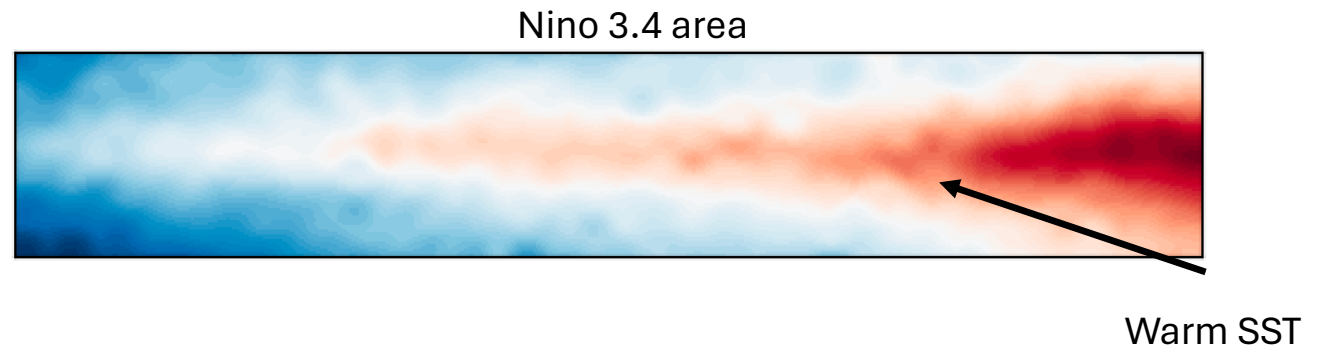
Commonly used indexes in geoscience and python plotting

ENSO Index



El Nino Southern Oscillation (ENSO) is a climate oscillation occurring with a period of every 3 to 7 years.

We call an "El Nino event" **the unusual warming of surface waters in the eastern equatorial Pacific Ocean**



There exist several indexes (all based on SST) to estimate the strength of ENSO.

See: <https://climatedataguide.ucar.edu/climate-data/nino-sst-indices-nino-12-3-34-4-oni-and-tni>

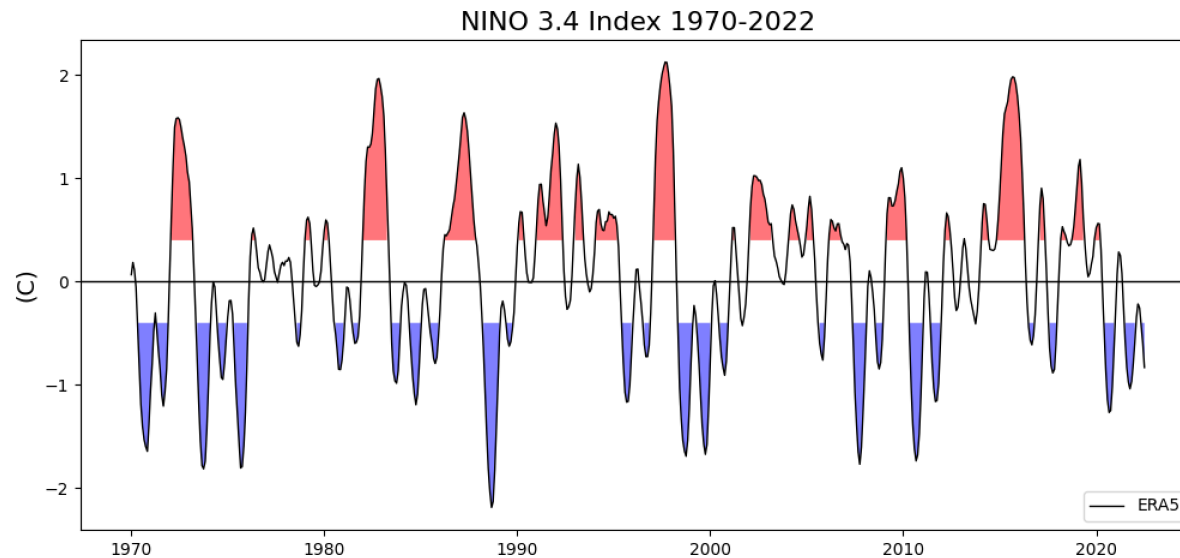
*"Niño 3.4 (**5N-5S, 170W-120W**): The Niño 3.4 anomalies may be thought of as representing the average equatorial SSTs across the Pacific from about the dateline to the South American coast. The Niño 3.4 index typically **uses a 5-month running mean**, and El Niño or La Niña events are defined when the Niño 3.4 SSTs exceed **+/- 0.4C** for a period of six months or more."*

ENSO Index



Steps to compute the NINO 3.4 index (from NCAR Climate Data Guide):

- Compute area averaged SST from Niño X region to get a SST timeseries;
- Compute a climatological mean (and its standard deviation) over 30 years of data (e.g., 1950-1979), this is called 'reference period';
- Subtract the climatology from the SST timeseries to obtain anomalies;
- Smooth the anomalies with a 5-month running mean;
- Normalize the smoothed values by the standard deviation over the climatological period.



ENSO Index



Computing the NINO 3.4 Index in python:

```
#Load monthly SST data
```

```
D1=iris.load_cube('SST_ERA5_monthly_1970_2022.nc')
```

```
print (D1)
```

```
#Extract NIN03.4 area
```

```
where='NINO_3_4'
```

```
D1=extract_area(D1, where=where)
```

SAME FUNCTION OF LECTURE 4

```
#Alternatively
```

```
D1=iris.load_cube('SST_ERA5_monthly_1970_2022.nc',  
                  iris.Constraint(latitude= lambda lat: -5 <= lat <= 5,  
                                  longitude= lambda lon: 190 <= lon <= 240  ))
```

```
#Call function to compute ENSO
```

```
ENSO=compute_ENSO(D1)
```

```
#Plot ENSO
```

```
Plot_ENSO(ENSO, label='ERA5', title='NINO 3.4 Index 1970-2022')
```

```
plt.show()
```

ENSO Index



```
##### CALCULATE ENSO INDEX #####
```

```
def compute_ENSO(data_in):
```

```
    #Compute area weighted mean
    data_in=area_weighted(data_in)
```

SAME FUNCTION OF LECTURE 4

```
    #compute a climatological mean (and its standard deviation) over the first 30 years
```

```
    mean=data_in[:30*12].collapsed('time', iris.analysis.MEAN)
    std_dev=data_in[:30*12].collapsed('time', iris.analysis.STD_DEV)
```

```
    #calculate anomalies:
    ENSO=data_in-mean
```

```
    #apply a 5-month running mean:
    months=ENSO.shape[0]
    ENSO_5month=iris.cube.CubeList()
```

```
    for i in range(0, months-5):
        ENSO_5month.append(ENSO[i:i+5].collapsed('time', iris.analysis.MEAN))
```

```
    ENSO_5month= ENSO_5month.merge_cube()
```

Running Mean
/Moving Average

ENSO Index



CONTINUED ...

```
#finally, normalize the timeseries by the standard deviation
ENSO_norm=ENSO_5month/std_dev

return(ENSO_norm)
#####
```

Running Mean:

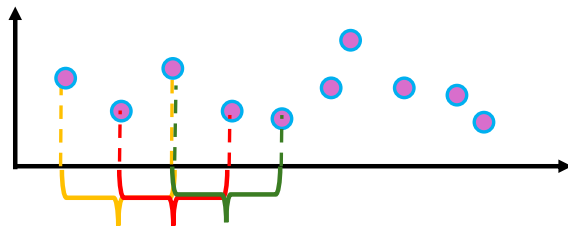
It is a way to smooth (or filter) a time-series by removing high-frequency components (the 'noise') to highlight timescale we are interested in.

Common window length for rolling means:

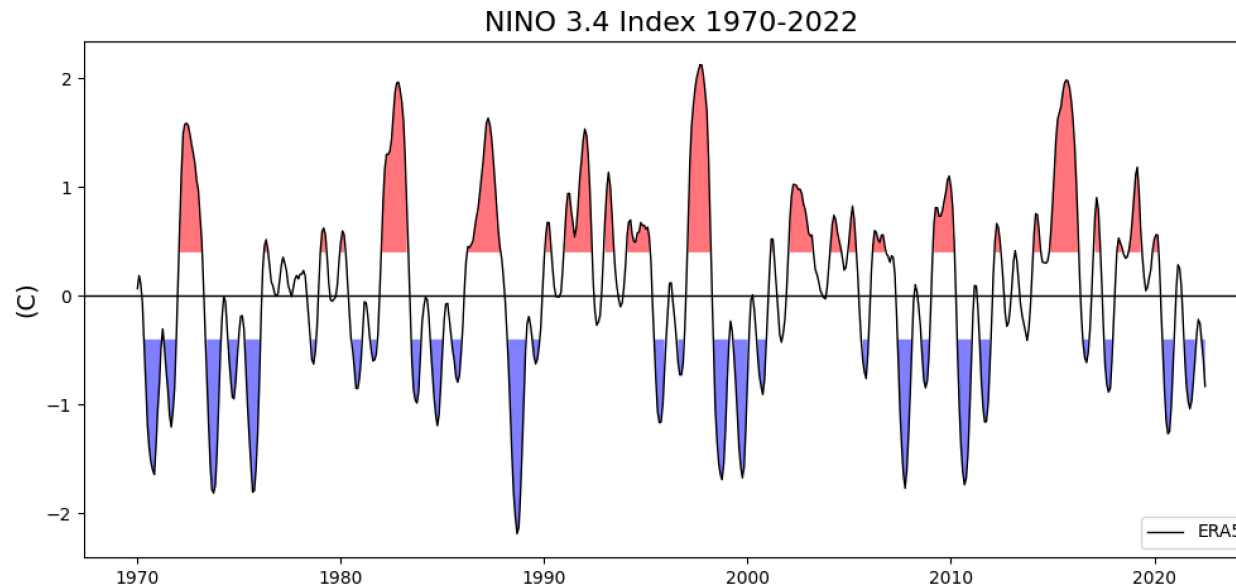
3/5 months (to remove very high frequencies in the dataset)

12 months (to filter intra-annual variations)

11 year (this is the length of a solar cycle)



ENSO Index



Shading selected values in a time-series in python (see also `DA_exercises_2_solutions.py`):

```
plt.fill_between(date, 0.4, np.ma.masked_where(data_set.data <= 0.4, data_set.data) , alpha=0.5,  
facecolor='red')  
plt.fill_between(date, -0.4, np.ma.masked_where(data_set.data >= -0.4, data_set.data) , alpha=0.5,  
facecolor='blue')
```

Maps



Python Basemap provides 24 projections, see documentation below:

<https://matplotlib.org/basemap/stable/users/mapsetup.html#:~:text=Basemap%20provides%2024%20different%20map,the%20map%20projection%20will%20describe>.

Gall Stereographic Projection 'gall'

#Plot global map

```
bmap=Basemap(projection= 'gall', llcrnrlat= -90,  urcrnrlat= 90,  
llcrnrlon=0,  urcrnrlon= 360, resolution='l')
```

llcrnrX: lower left corner

urcrnrX: upper right corner

#Plot selected area (North Atlantic)

```
bmap=Basemap(projection= 'gall', llcrnrlat= 0,  urcrnrlat= 60, llcrnrlon=  
280,  urcrnrlon= 360, resolution='l')
```


Maps



Polar Stereographic Projection 'npstere', 'spstere'

#Plot Southern Hemisphere

```
bmap=Basemap(projection='spstere',boundinglat=-55,lon_0=180,resolution='l')
```

boundinglat: 'cutting' latitude

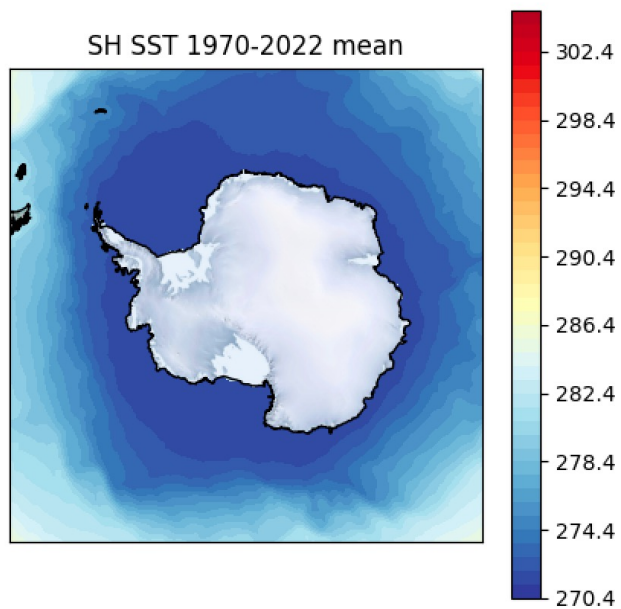
lon_0 : sets the orientation of your map ("the longitude at 6 o'clock")

Maps

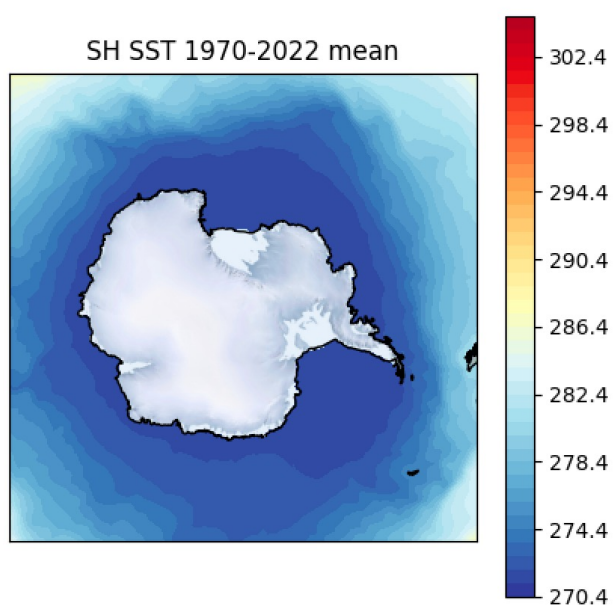


Polar Stereographic Projection 'npstere', 'spstere'

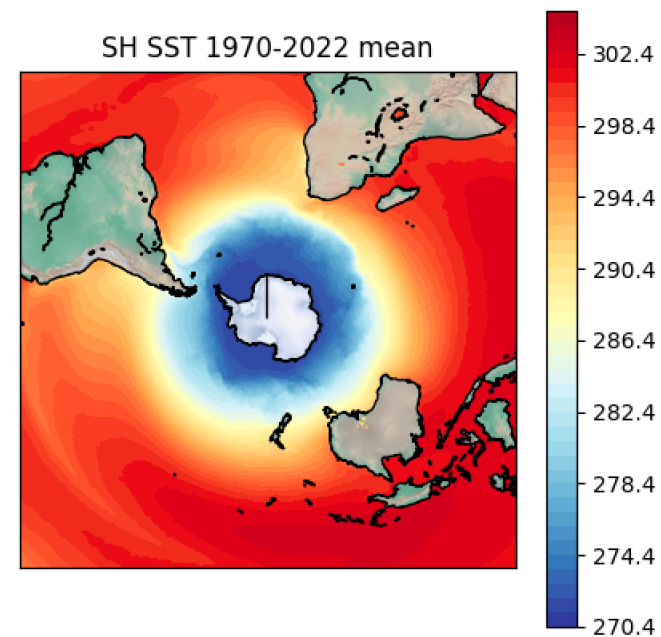
boundinglat=-55
lon_0=180



boundinglat=-55
lon_0=0



boundinglat=0
lon_0=180



Maps



A generic plotting function in python:

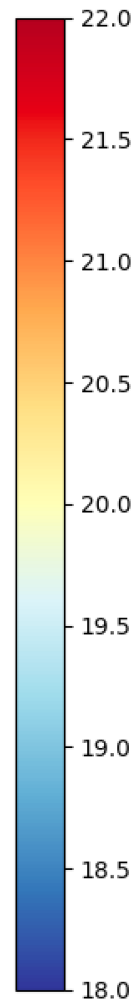
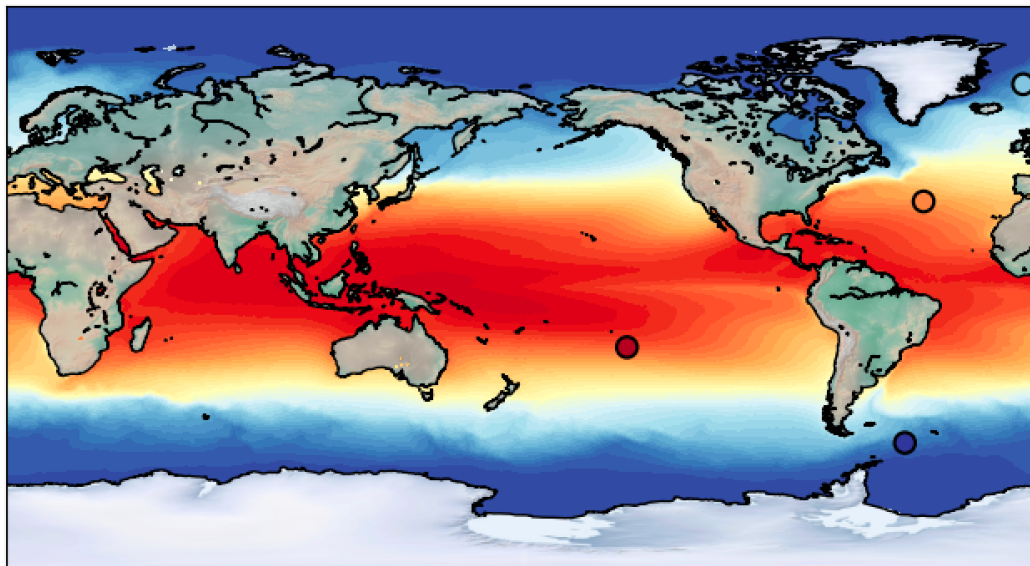
```
##### Plotting Function #####  
  
def plot_map(data_in, cmap, levels, title):  
  
    fig=plt.figure(figsize=(5,5))  
    ax=plt.gca()  
  
    #bmap=Basemap(projection= 'gall', llcrnrlat= -90, urcrnrlat= 90, llcrnrlon=0, urcrnrlon= 360,  
resolution='l')  
    bmap=Basemap(projection='spstere',boundinglat=-55,lon_0=180,resolution='l')  
  
    lon= data_in.coord('longitude').points  
    lat= data_in.coord('latitude').points  
    x,y=bmap(*np.meshgrid(lon,lat))  
    contours=bmap.contourf(x,y, data_in.data, levels, cmap=cmap)  
  
    bmap.shadedrelief(scale=0.5)  
    bmap.drawcoastlines()  
    plt.colorbar()  
    plt.title(title)  
  
    return()
```

Maps



Add observations to a map:

SH SST with Observations



```
bmap.scatter(x_obs, y_obs, c=obs_data)
```

Maps



Add observations to a map:

```
#Make up some 'observational' data (lat, lon, SST value) and plot it on a map
lats=[71.78, 34.12, -23.85, -57.71]
lons=[360-6, 360-40.65, 360-143.90, 360-47.17]
sst=[19,21,22,18]
sites=[lats,lons,sst]

plot_map_obs(D1, sites, cmap='RdYlBu_r', levels=50, title='SH SST with Observations')

def plot_map_obs(data_in, sites, cmap, levels, title):

    fig=plt.figure(figsize=(10,10))
    ax=plt.gca()

    #define latitude, longitude and data value of observations
    obs_lat=sites[0]
    obs_lon=sites[1]
    obs_sst=sites[2]
```

Maps



Add observations to a map:

```
bmap=Basemap(projection= 'gall', llcrnrlat= -90, urcrnrlat= 90, llcrnrlon=0, urcrnrlon= 360,  
resolution='l')
```

```
lon= data_in.coord('longitude').points  
lat= data_in.coord('latitude').points  
x,y=bmap(*np.meshgrid(lon,lat))  
contours=bmap.contourf(x,y, data_in.data, levels, cmap=cmap)
```

```
x_obs,y_obs = bmap(obs_lon,obs_lat) #transform coordinates into same projection used for model data  
obs=bmap.scatter(x_obs, y_obs, c=obs_sst, s=80, marker='o', linewidth=1.5,  
edgecolors='black',  cmap=cmap)
```

```
bmap.shadedrelief(scale=0.5)  
bmap.drawcoastlines()  
plt.colorbar()  
plt.title(title)
```

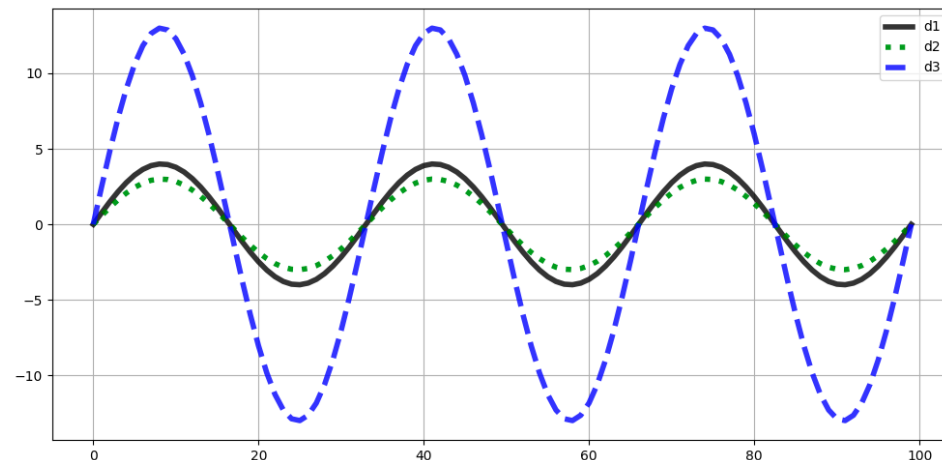
```
return()
```

Working with many datasets



Efficient way of plotting when working with many datasets:

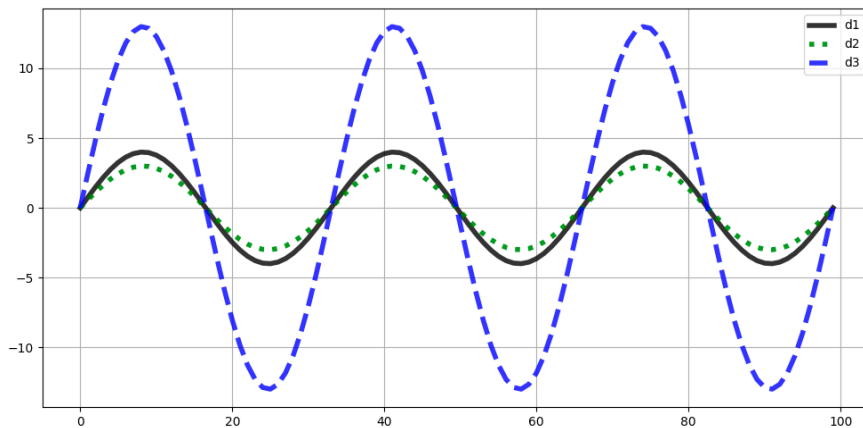
```
def plot_data(data_list, style, color, label):  
  
    fig=plt.figure(tight_layout=True, figsize=(10, 5))  
    ax=plt.gca()  
  
    for i in range(0, len(data_list)):  
        plt.plot(data_list[i], c=color[i], linewidth=4, linestyle=style[i], alpha=0.8, label=label[i])  
  
    plt.legend()  
    plt.grid()  
  
    return()
```



Working with many datasets

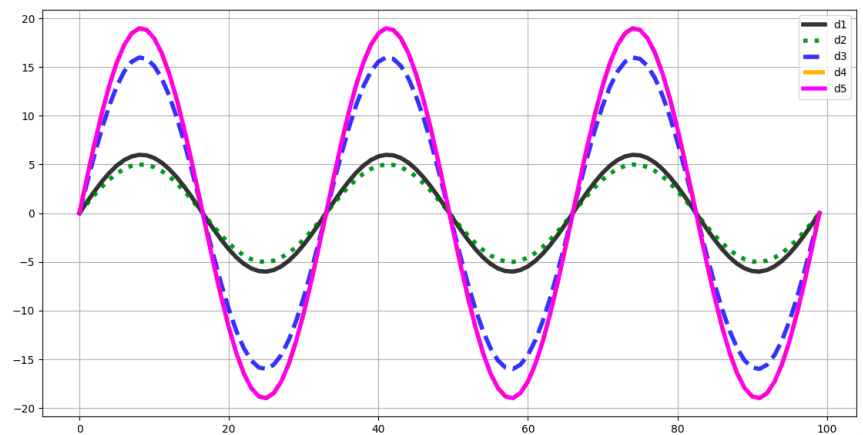


Efficient way of plotting when working with many datasets:

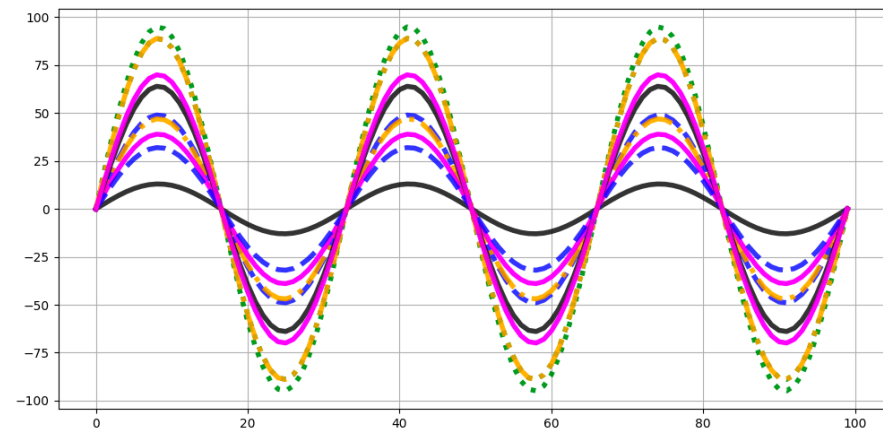


`len(data_list)=3`

`len(data_list)=5`



`len(data_list)=10`

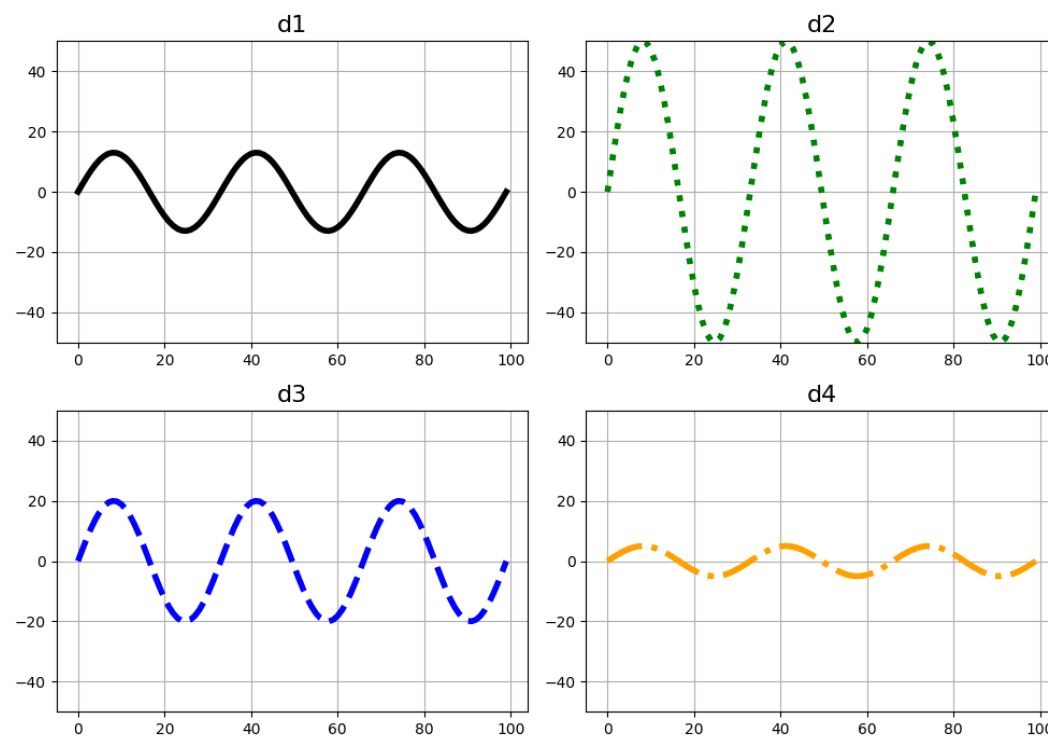


Working with many datasets



Efficient way of plotting when working with many datasets:

```
def plot_panels(data_list, style, color, title):  
  
    fig=plt.figure(figsize=(10,7),tight_layout=True)  
  
    n_r = 2 #number of rows  
    n_c = 2 #number o columns  
  
    for i in range (0, len(data_list)):  
        #n_of_row, n_of_columns, plot_id  
        ax = fig.add_subplot(int(n_r), int(n_c), i+1)  
        ax=plt.gca()  
        plt.plot(data_list[i], c=color[i],  
                linewidth=4, linestyle=style[i])  
  
        plt.grid()  
        plt.ylim(-50,50)  
        plt.title(title[i], fontsize=16)  
  
    return()
```



Command-line arguments



When processing large datasets you might have to process them in stages (e.g.. in batches of 10 years) and you might want/need to run python scripts on a cluster as a batch job.

To simplify this process, you could consider pass on to python keyword arguments via the command line (i.e. not in your python script, but in your '.sh' submission script).

Advantage : *you can modulate the script behavior without having to modify the source code every time.*

Diagram illustrating the command-line arguments for the script:

```
>> python3 process_ERA5.py 0 10 False
```

Annotations:

- End year (points to 10)
- Start year (points to 0)
- Logical argument (points to False)

```
import sys
```

```
start=int(sys.argv[1])  
end=int(sys.argv[2])  
condition=sys.argv[3] #True/False
```

`sys.argv[0]` Note the zero argument is the name of the script itself

On-click events



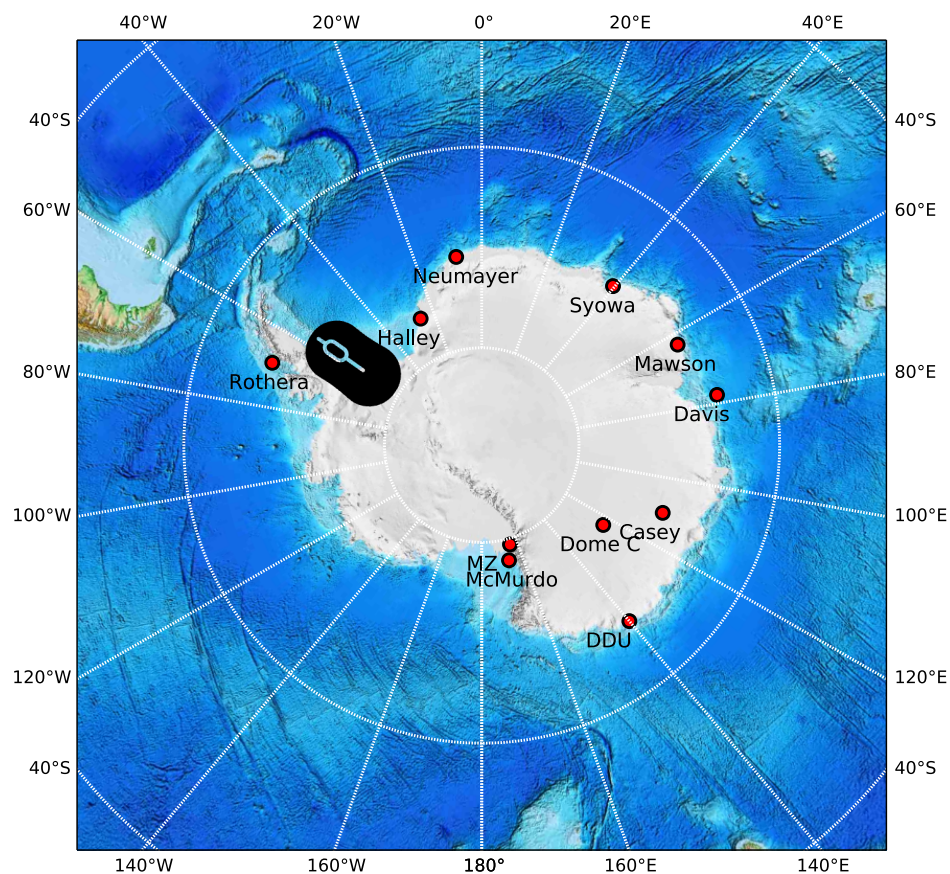
Relevant Documentation: https://matplotlib.org/stable/users/explain/figure/event_handling.html

You can create interactive maps/figures by defining within your code a series of ‘onclick events’.

Event type (a few examples):

One click	<code>event.button</code>
Double click	<code>event.dblclick</code>
Left Click	<code>event.button==1</code>
Middle Click	<code>event.button==2</code>
Right Click	<code>event.button==3</code>
Scroll Up	<code>event.button==4</code>
Scroll Down	<code>event.button==5</code>

On-click events



```
python3 interactive_map.py
```

```
single click: button=1, x=254, y=439, xdata=-  
2242070.049719, ydata=-5582140.158033
```

```
////////////////////////////////////  
(lon,lat) on click: -68.4841152905 -67.1495205054
```

```
Nearest Station: Rothera (lon,lat) -68.57 -67.12
```

```
Processing data for Rothera
```

```
////////////////////////////////////
```

On-click events



```
##### Create an Interactive Map #####
```

```
fig=plt.figure(figsize=(10,10),tight_layout=False)
ax=plt.gca()
```

```
#Plot map
```

```
bmap=Basemap(projection='spstere',boundinglat=-50,lon_0=180,resolution='l')
bmap.drawparallels()
bmap.drawmeridians()
bmap.etopo()
```

```
#convert site coordinates to map projection coordinates
```

```
data_in=np.loadtxt('station_coordinates.txt', skiprows=1, usecols=(1,2)) #skip header
lon, lat = data_in[:,0], data_in[:,1] # Location of station in degrees
```

```
#plot sites
```

```
x,y = bmap(lon,lat)
bmap.scatter(x, y, s=80, marker='o', color='red', linewidth=2, edgecolors='black')
```

```
...
```

On-click events



continued ...

```
def onclick_map(event):
    print('%s click: button=%d, x=%d, y=%d, xdata=%f, ydata=%f' %
          ('double' if event.dblclick else 'single', event.button,
            event.x, event.y, event.xdata, event.ydata))

    if event.button == 1: #if RIGHT CLICK: plot Brunt-Vaisala frequency N for model and obs

        #convert projection coordinates to geographical coordinates (these are the coordinates of our click)
        lon_cl, lat_cl = bmap(event.xdata, event.ydata, inverse=True)

        print '/////////////////////////////////////'
        print '(lon,lat) on click:', lon_cl, lat_cl

        #using the 'click coordinates' look for the closest station
        for i_site in range(0, len(lon)):
            if (lon[i_site]-1) <= lon_cl <= (lon[i_site]+1): #within +/- 1 degree lon of site location
                print 'Nearest Station:', labels[i_site], '(lon,lat)', lon[i_site], lat[i_site]

                #finally, call the function to plot model-observation comparisons
                process_data(lat[i_site], lon[i_site])
        print
        print '/////////////////////////////////////'

cid = fig.canvas.mpl_connect('button_press_event', onclick_map)

plt.show()
```

Exercises



Using the provided data set (`SST_ERA5_monthly_1970_2022.nc`) compute the NINO 3.4 Index.

In order to do this, follow the instructions at page 3 and the examples at pages 4-7.

Remember, for the computation of the mean of your “reference period” use the first 30 years of data (i.e. 1970-2000).

