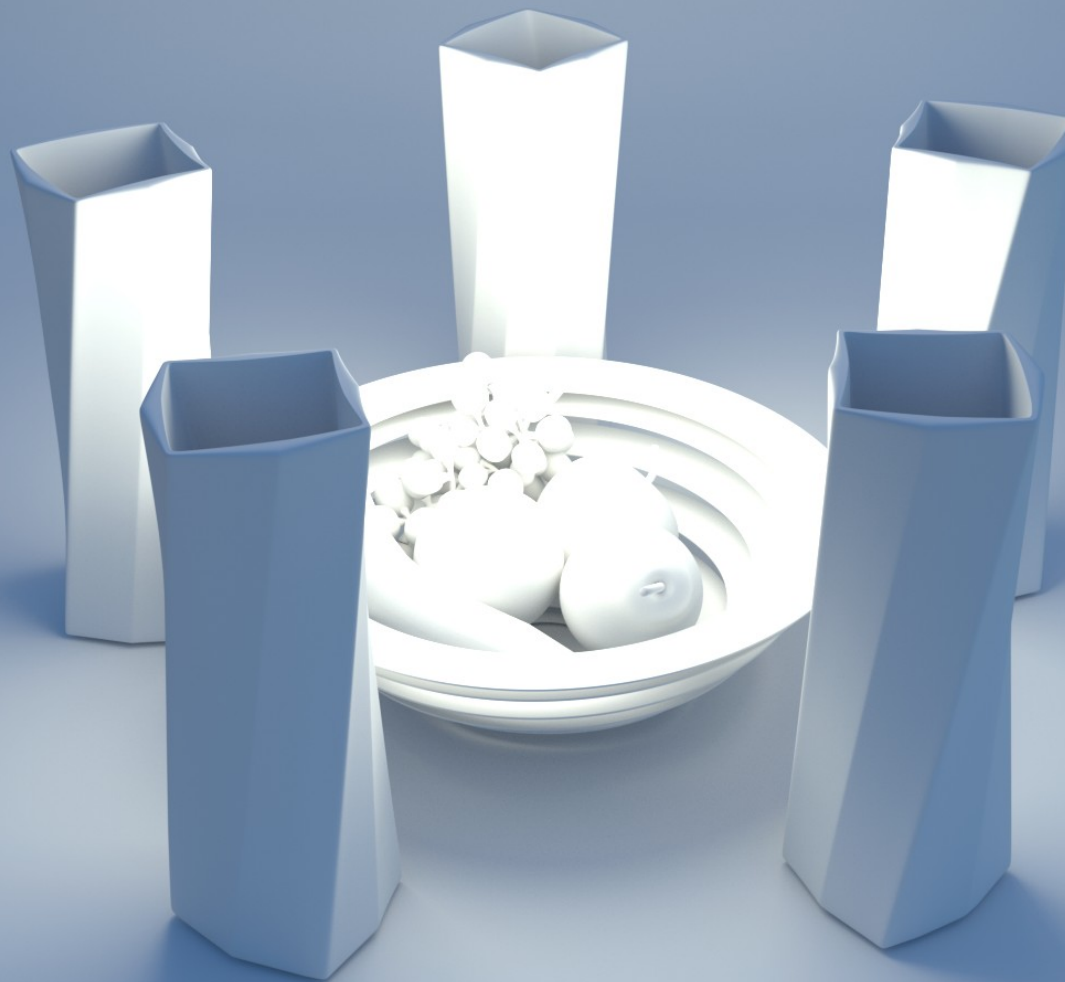


Gaussian Material Synthesis

Articol realizat de
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Prezentare de
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Ce propune acest articol?



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Ce propune acest articol?

- O metoda semi-automatizata de generare in masa de materiale in baza preferintelor unui utilizator
- De ce?
 - Grafica tinde catre materiale fotorealiste (ray tracing)
 - Acestea sunt costisitor de creat
 - Necesita experti

Studii anterioare - Materiale

- In trecut

- Se creau shadere pentru fiecare clasa de material
- Nr mic de parametri configurabili
- Limitat in expresivitate
- Uneori se creau in baza pozelor

- In prezent

- Popular este “principled shader” (Disney)
- Nr mare de parametri
- Cat mai expresiv
- “Uber-shader”

https://www.youtube.com/watch?v=6FzVhIV_t3s

Workflow

1) Invatarea preferintelor utilizatorului



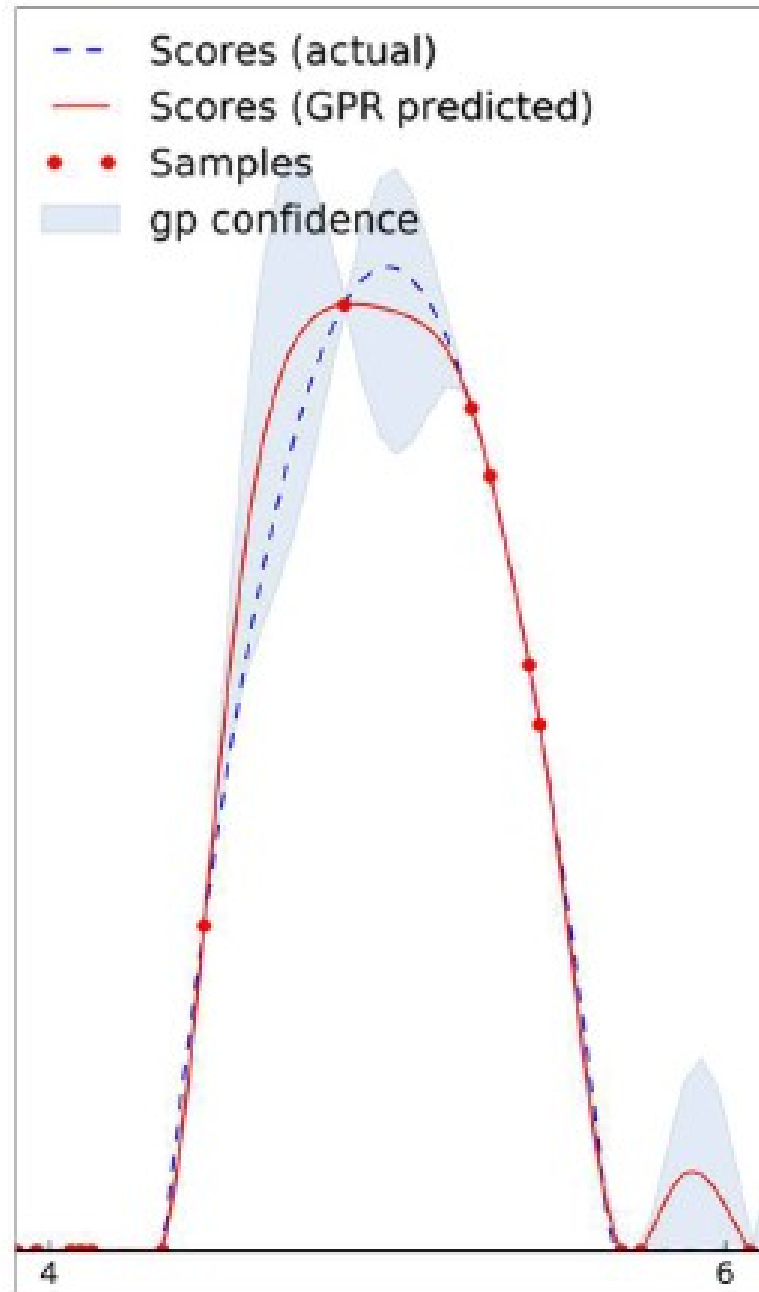
Gallery with scores

Gaussian Process Regression

- “kernel based Bayesian regression technique that leverages prior knowledge to perform high-quality regression from a low number of samples”

$$u(x), x \in \mathbb{R}^m, m \in \{19, 38\}$$

$$U = [u(x_1), u(x_2), \dots, u(x_n)]^T$$



Learning (GPR)

Gaussian Process Regression

- Functie de covarianta

$$k(\mathbf{x}, \mathbf{x}') = \sigma_f^2 \exp \left[-\frac{(\mathbf{x} - \mathbf{x}')^2}{2l^2} \right] + \beta^{-1} \delta_{\mathbf{x}\mathbf{x}'}, \quad (1)$$

Pentru $\|\mathbf{x} - \mathbf{x}'\| \sim 0$ k tinde catre max

$$\theta = \{\sigma_f^2, l\}$$

Gaussian Process Regression

- Matricea de covarianta

$$\mathbf{K} = \begin{bmatrix} k(\mathbf{x}_1, \mathbf{x}_1) & k(\mathbf{x}_1, \mathbf{x}_2) & \dots & k(\mathbf{x}_1, \mathbf{x}_n) \\ k(\mathbf{x}_2, \mathbf{x}_1) & k(\mathbf{x}_2, \mathbf{x}_2) & \dots & k(\mathbf{x}_2, \mathbf{x}_n) \\ \vdots & \vdots & \ddots & \vdots \\ k(\mathbf{x}_n, \mathbf{x}_1) & k(\mathbf{x}_n, \mathbf{x}_2) & \dots & k(\mathbf{x}_n, \mathbf{x}_n) \end{bmatrix}, \quad (2)$$

- Cat de similare sunt intre ele materialele

Gaussian Process Regression

- Pentru un material generat \mathbf{x}^*

$$\mathbf{k}_* = \left[k(\mathbf{x}^*, x_1), k(\mathbf{x}^*, x_2), \dots, k(\mathbf{x}^*, x_n) \right]^T, \quad (3)$$

Gaussian Process Regression

$$\begin{bmatrix} \mathbf{U} \\ u(\mathbf{x}^*) \end{bmatrix} \sim \mathcal{N}\left(0, \begin{bmatrix} \mathbf{K} & \mathbf{k}_*^T \\ \mathbf{k}_* & k_{**} \end{bmatrix}\right).$$

$$u(\mathbf{x}^*) = \mathbf{k}_*^T \mathbf{K}^{-1} \mathbf{U},$$

$$\sigma(u(\mathbf{x}^*)) = k_{**} - \mathbf{k}_* \mathbf{K}^{-1} \mathbf{k}_*^T.$$

Gaussian Process Regression

- Pentru invatarea lui θ se pot folosi algoritmi bazati pe optimizarea gradientului

$$\log P(\mathbf{U}|\mathbf{x}, \boldsymbol{\theta}) = -\frac{1}{2}\mathbf{U}^T \mathbf{K}^{-1} \mathbf{U} - \frac{1}{2} \log |\mathbf{K}| - \frac{n}{2} \log 2\pi. \quad (6)$$

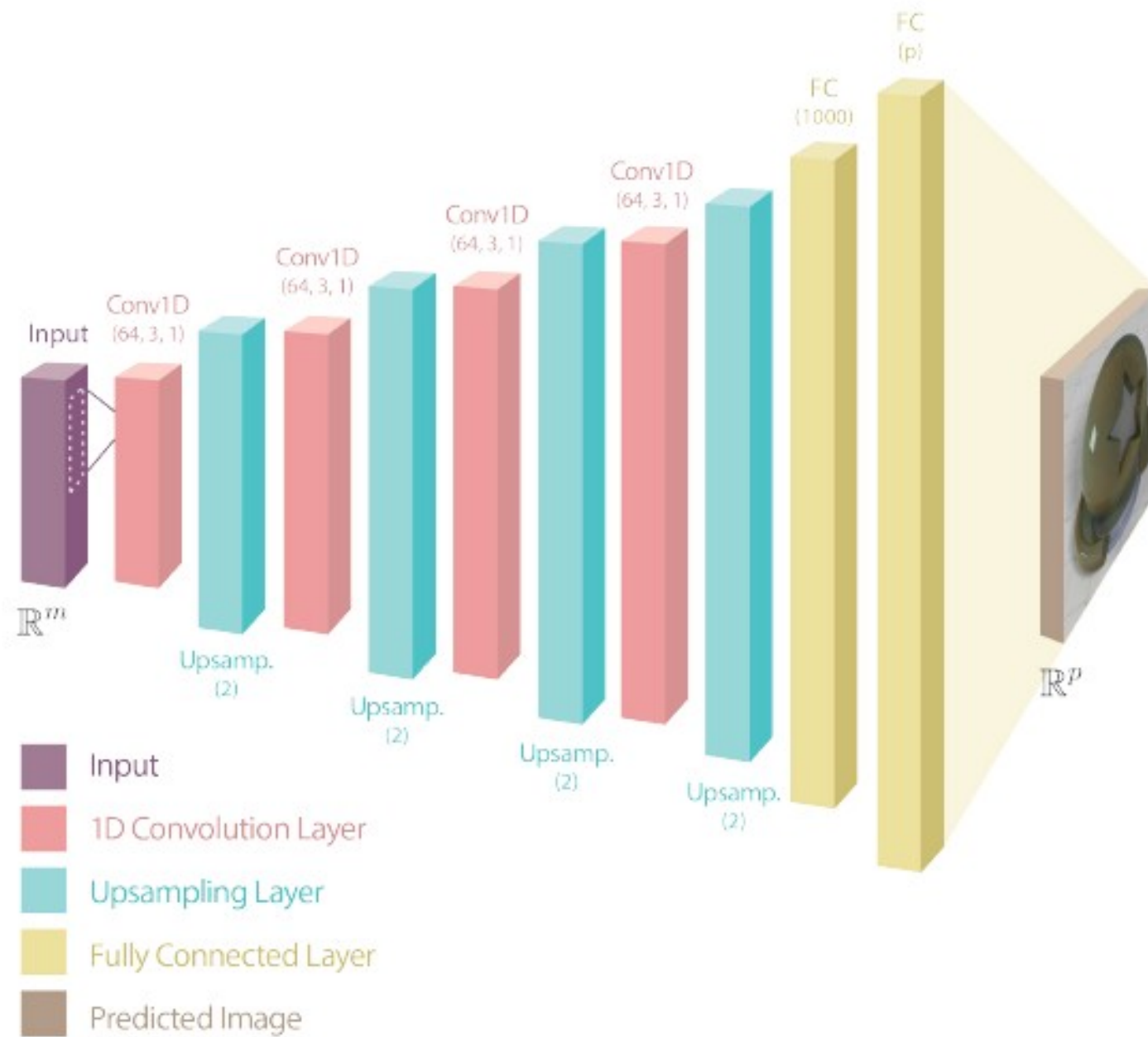
$$\frac{\partial}{\partial \theta_j} \log P(\mathbf{U}|\mathbf{x}, \boldsymbol{\theta}) = -\frac{1}{2} \operatorname{tr} \left\{ \left(\boldsymbol{\alpha} \boldsymbol{\alpha}^T \mathbf{K}^{-1} \right) \frac{\partial \mathbf{K}}{\partial \theta_j} \right\},$$

Rendering

- Procesarea grafica a celor 300 de recomandari ar dura 4 ore
- $19/38 \rightarrow 410^2 * 3$
- Geometria si iluminarea sunt constante



Gallery with scores



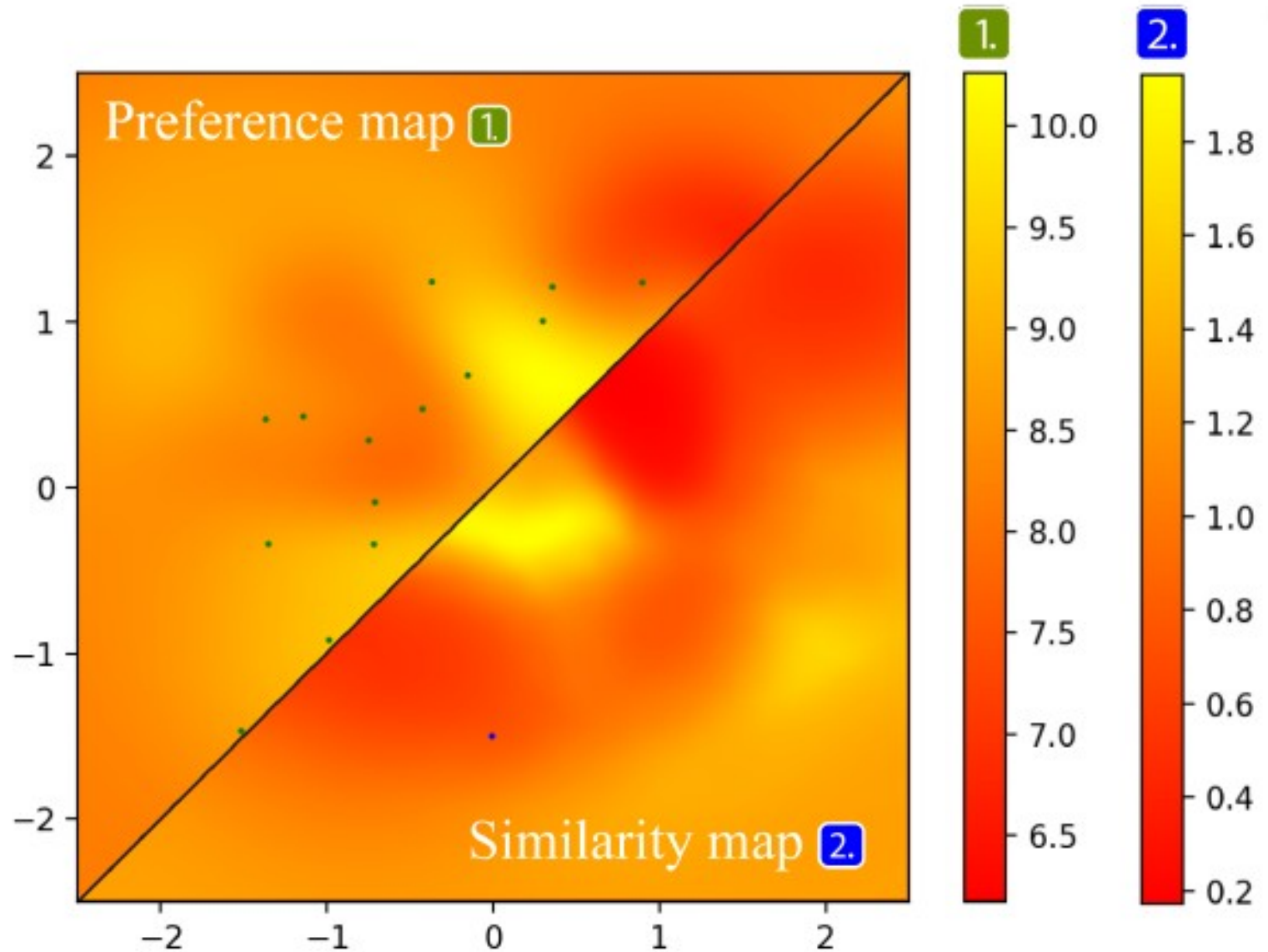
Convolutional Neural Network

- **Avantaje**
 - Si-au generat setul de antrenare
 - Timpul de predictie: 3-4 ms
- **Numarul de straturi e ales sa nu invete zgomotul**
- **Dezavantaje**
 - Rularea este prohibitiva hardware

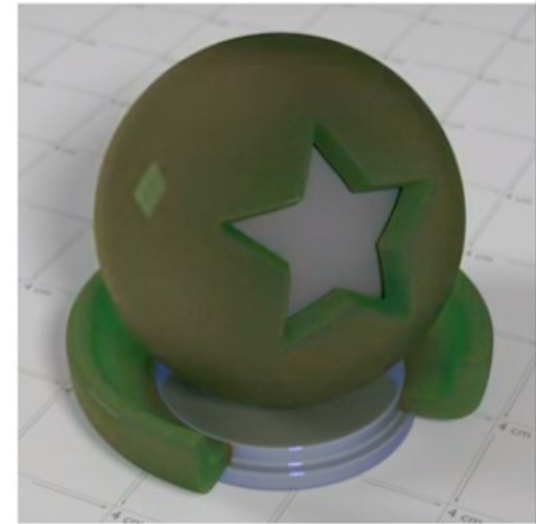
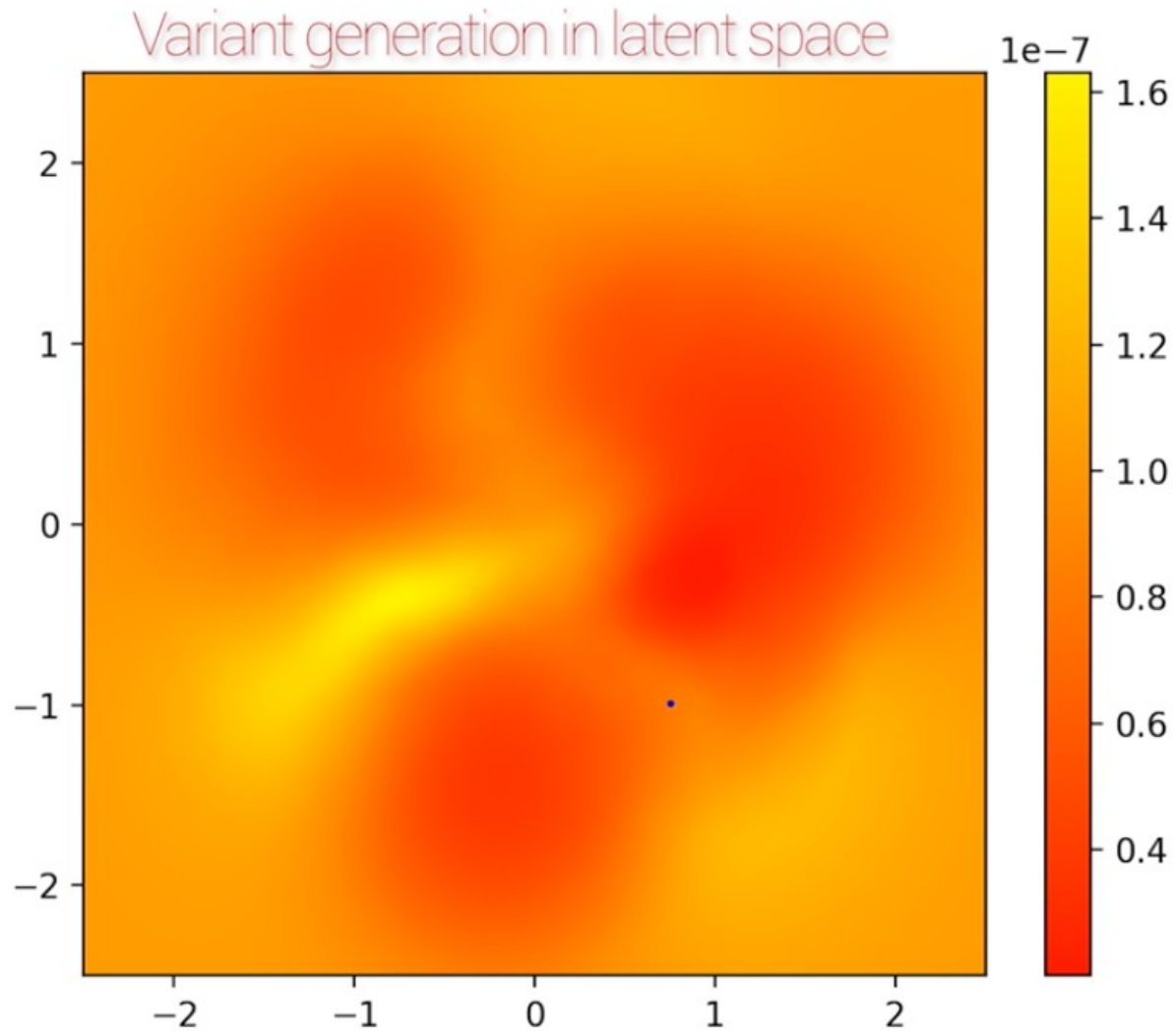
Fine-tuning

- Se doreste rafinarea unui material sugerat
- Gaussian Process Latent Variable Model
- $19 \rightarrow 2$
- Transforma materiale in puncte 2D si interpoleaza in plan

GPR + GPLVM



GPLVM + CNN (+ GPR)



Future work

- Adaptive learning
- Explorare mai agresiva a spatiilor generatoare de materiale
- “Two round recommandation”
- De la Imagini prezise la animatii
- Geometria si iluminarea sa nu mai fie constante

Multumesc!