



Twinning



Göttingen, Februar 15th, 2012

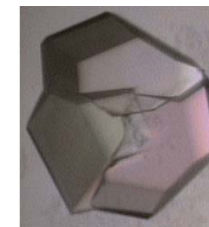
Examples of (Pseudo-) Merohedral Twins

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<http://shelx.uni-ac.gwdg.de/~rherbst/twin.html>



Space Group Determination



Crystal system H and Lattice type P selected

Mean $|E^*E-1| = 0.529$ [expected .968 centrosym and .736 non-centrosym]

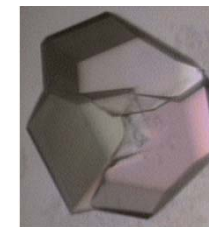
Systematic absence exceptions:

	$6_1/6_5$	$6_2=3_1$	6_3	-C-	--C
N	15	12	9	553	301
N $I > 3\sigma$	1	1	1	535	279
$\langle I \rangle$	1.3	1.3	1.4	265.5	253.1
$\langle I/\sigma \rangle$	1.1	1.1	1.3	42.6	40.3

Opt.	Space Gr.	CSD	R(int)	N(eq)	Syst. Abs.	CFOM
[A]	P6 ₁	62	0.061	5574	1.3 / 34.8	6.18
[B]	P6 ₅	62	0.061	5574	1.3 / 34.8	6.18
[C]	P6 ₁ 22	20	0.149	5954	1.3 / 34.8	85.55
[D]	P6 ₅ 22	20	0.149	5954	1.3 / 34.8	85.55



Symmetry Operators in P6/mmm



Atomic Coordinates

Indices

P-3

x, y, z	$-x, -y, -z$	h, k, l	$-h, -k, -l$
$-y, x-y, z$	$y, -x+y, -z$	$k, -h-k, l$	$-k, h+k, -l$
$-x+y, -x, z$	$x-y, x, -z$	$-h-k, h, l$	$h+k, -h, -l$

P-31m

$-y, -x, -z$	y, x, z	$-k, -h, -l$	k, h, l
$-x+y, y, -z$	$x-y, -y, z$	$-h, h+k, -l$	$h, -h-k, l$
$x, x-y, -z$	$-x, -x+y, z$	$h+k, -k, -l$	$-h-k, k, l$

P-3m1

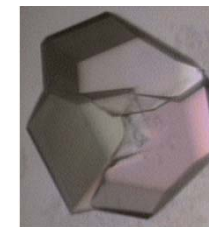
$y, x, -z$	$-y, -x, z$	$k, h, -l$	$-k, -h, l$
$x-y, -y, -z$	$-x+y, y, z$	$h, -h-k, -l$	$-h, h+k, l$
$-x, -x+y, -z$	$x, x-y, z$	$-h-k, k, -l$	$h+k, -k, l$

P6/m

$-x, -y, z$	$x, y, -z$	$-h, -k, l$	$h, k, -l$
$y, -x+y, z$	$-y, x-y, -z$	$-k, h+k, l$	$k, -h-k, -l$
$x-y, x, z$	$-x+y, -x, -z$	$h+k, -h, l$	$-h-k, h, -l$



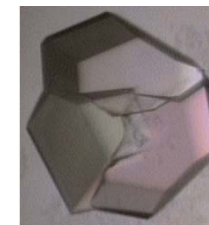
Merohedral Twins in the Trig./Hex. Crystal System



Laue group	Apparent Laue Group	Indices related by Twinning	Twin Law
-3	-31m	$-k, -h, -l$	$0 \ -1 \ 0 \ -1 \ 0 \ 0 \ 0 \ 0 \ -1$
-3	-3m1	$k, h, -l$	$0 \ 1 \ 0 \ 1 \ 0 \ 0 \ 0 \ 0 \ -1$
-3	6/m	$-h, -k, l$	$-1 \ 0 \ 0 \ 0 \ -1 \ 0 \ 0 \ 0 \ 1$
-3	6/mmm	$-k, -h, -l$	$0 \ -1 \ 0 \ -1 \ 0 \ 0 \ 0 \ 0 \ -1$
		$k, h, -l$	$0 \ 1 \ 0 \ 1 \ 0 \ 0 \ 0 \ 0 \ -1$
		$-h, -k, l$	$-1 \ 0 \ 0 \ 0 \ -1 \ 0 \ 0 \ 0 \ 1$
-3m1	6/mmm	$-h, -k, l$	$-1 \ 0 \ 0 \ 0 \ -1 \ 0 \ 0 \ 0 \ 1$
-31m	6/mmm	$-h, -k, l$	$-1 \ 0 \ 0 \ 0 \ -1 \ 0 \ 0 \ 0 \ 1$
6/m	6/mmm	$k, h, -l$	$0 \ 1 \ 0 \ 1 \ 0 \ 0 \ 0 \ 0 \ -1$



XPREP 6.12



[1] -3 / -31m:

R(int) 0.060(4612)/0.142(898), $\langle |E^{2-1}| \rangle$ 0.505/0.487

TWIN 0 -1 0 -1 0 0 0 0 -1 BASF 0.382 [C] or 0.350 [NC]

[2] -3 / -3m1:

R(int) 0.060(4612)/0.156(824), $\langle |E^{2-1}| \rangle$ 0.505/0.486

TWIN 0 1 0 1 0 0 0 0 -1 BASF 0.365 [C] or 0.328 [NC]

[3] -3 / 6/m:

R(int) 0.060(4612)/0.012(962), $\langle |E^{2-1}| \rangle$ 0.505/0.514

TWIN -1 0 0 0 -1 0 0 0 1 BASF 0.481 [C] or 0.475 [NC]

[4] -31m / 6/mmm:

R(int) 0.142(898)/0.021(444), $\langle |E^{2-1}| \rangle$ 0.487/0.505

TWIN -1 0 0 0 -1 0 0 0 1 BASF 0.479 [C] or 0.474 [NC]

[5] -3m1 / 6/mmm:

R(int) 0.156(824)/0.022(518), $\langle |E^{2-1}| \rangle$ 0.486/0.506

TWIN -1 0 0 0 -1 0 0 0 1 BASF 0.481 [C] or 0.476 [NC]

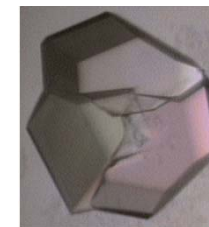
[6] 6/m / 6/mmm:

R(int) 0.012(962)/0.183(380), $\langle |E^{2-1}| \rangle$ 0.514/0.505

TWIN 0 1 0 1 0 0 0 0 -1 BASF 0.365 [C] or 0.328 [NC]



Solution and Refinement



Patterson in $P6_1$: 1 Cs

```
TWIN 0 1 0 1 0 0 0 0 -1  
BASF .4
```

Difference Fourier with these coordinates:

	without	with TWIN
R1($F > 4\sigma(F)$)	0.245	0.133
wR2 (all data)	0.617	0.384
K2		0.355(9)
E-density	only few peaks	nearly the whole structure interpretable

R1 = 0.022

wR2 = 0.057

K2 = 0.341(1)



BUT:

**** Possible racemic twinning or wrong absolute structure
- try TWIN refinement ****

Flack x: 0.87(5)



Absolute Structure



Flack absolute structure parameter x :

$$(F_c^2)^* = (1-x) F_{c\ hkl}^2 + x F_{c\ -h-k-l}^2$$

- $x = 0 \rightarrow$ correct absolute structure
- $x = 1 \rightarrow$ wrong absolute structure

Inversion of the structure: **MOVE 1 1 1 -1**

exceptions for some space groups like $Fdd2$, $I4_1$ etc.

sometimes it is necessary to change also the space group, e.g.

$P3_1 \rightarrow P3_2$

- $0 < x < 1 \rightarrow$

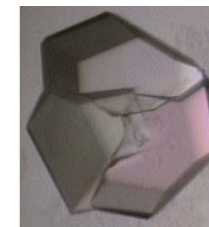
**** Possible racemic twinning or wrong absolute structure - try TWIN refinement ****

TWIN -1 0 0 0 -1 0 0 0 -1 2
BASF k2

H. D. Flack, *Acta Crystallogr.* A39, 876 (1983)



Additional Racemic Twinning ?



Perhaps four twin domains with following indices:

h, k, l

$k, h, -l$

$-h, -k, -l$

$-k, -h, l$

TWIN matrix

Racemic twinning

TWIN matrix and racemic twinning

```
TWIN 0 1 0 1 0 0 0 0 -1 -4
BASF .2 .2 .2
```

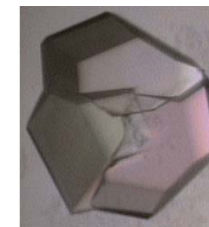
Parameter	Value	s.u.	Indices
K1	$1-(K2+K3+K4)$		h, k, l
K2	0.00395	0.02478	$k, h, -l$
K3	0.69754	0.03486	$-h, -k, -l$
K4	0.33611	0.02478	$-k, -h, l$

correct space group $P6_5$:

```
MOVE 1 1 1 -1
TWIN 0 1 0 1 0 0 0 0 -1
```



Different Refinements

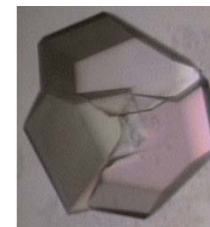


- A: Space group $P6_1$
TWIN 0 1 0 1 0 0 0 0 -1
- B: Space group $P6_1$
TWIN 0 -1 0 -1 0 0 0 0 1
- C: Space group $P6_5$
TWIN 0 -1 0 -1 0 0 0 0 1
- D: Space group $P6_5$
TWIN 0 1 0 1 0 0 0 0 -1

	R1	wR2	K2	Flack x	s.u. (C - C)
A	0.022	0.057	0.341(1)	0.87(5)	0.011 - 0.013
B	0.021	0.054	0.341(1)	0.35(3)	0.010 - 0.012
C	0.020	0.049	0.340(1)	0.09(3)	0.009 - 0.011
D	0.018	0.046	0.340(1)	-0.03(4)	0.008 - 0.010



Example of a Pseudo-Merohedrally-Twinned Structure



Very instable compound, difficult to mount,

But good crystal quality

unknown Al-compound, possible composition

$C_{27}H_{26}AlN_2$, perhaps some I from the starting material

cell: 16.934 16.934 12.603 90.00 90.00 120.00

hexagonal metric



Crystal System



Search for higher metric symmetry

Option A: FOM = 0.00 deg. HEXAG. P-lattice R(sym) = 0.653 [10906]

Cell: 16.934 16.934 12.603 90.00 90.00 120.00 Volume: 3129.81

Matrix: 1.000 0.000 0.000 0.000 1.000 0.000 0.000 0.000 1.000

Option B: FOM = 0.00 deg. ORTHO. C-lattice R(sym) = 0.493 [11989]

Cell: 16.934 29.330 12.603 90.00 90.00 90.00 Volume: 6259.63

Matrix: 0.000 1.000 0.000 2.000 1.000 0.000 0.000 0.000 -1.000

Option C: FOM = 0.00 deg. ORTHO. C-lattice R(sym) = 0.493 [12004]

Cell: 16.934 29.330 12.603 90.00 90.00 90.00 Volume: 6259.63

Matrix: 1.000 1.000 0.000 -1.000 1.000 0.000 0.000 0.000 1.000

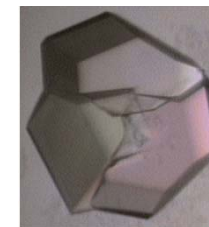
Option D: FOM = 0.00 deg. ORTHO. C-lattice R(sym) = 0.033 [12024]

Cell: 16.934 29.330 12.603 90.00 90.00 90.00 Volume: 6259.63

Matrix: 1.000 0.000 0.000 1.000 2.000 0.000 0.000 0.000 1.000



Orthorhombic?



Crystal system O and Lattice type C selected

Mean $|E^*E-1| = 0.702$ [expected .968 centrosym and .736 non-centrosym]

Systematic absence exceptions:

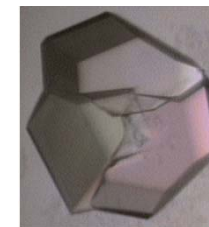
	c--	n--	-c-	-n-	--a	--b	--21
N	1259	1259	785	785	1602	1602	41
N I>3s	891	891	548	548	0	0	0
<I>	29.2	29.2	65.3	65.3	0.2	0.2	0.1
<I/s>	28.0	28.0	35.0	35.0	0.3	0.3	0.3

Opt.	Space Gr.	No.	CSD	R(sym)	N(eq)	Syst. Abs.	CFOM
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No acceptable space group - change tolerances or unset chiral flag
or possibly change input lattice type, then recheck cell using H-option



Monoclinic Space Group?



Cell: 16.934 12.603 16.934 90.00 120.00 90.00

Monoclinic P

$R_{\text{int}} = 0.026$

Crystal system M and Lattice type P selected

Mean $|E^*E-1| = 0.708$ [expected .968 centrosym and .736 non-centrosym]

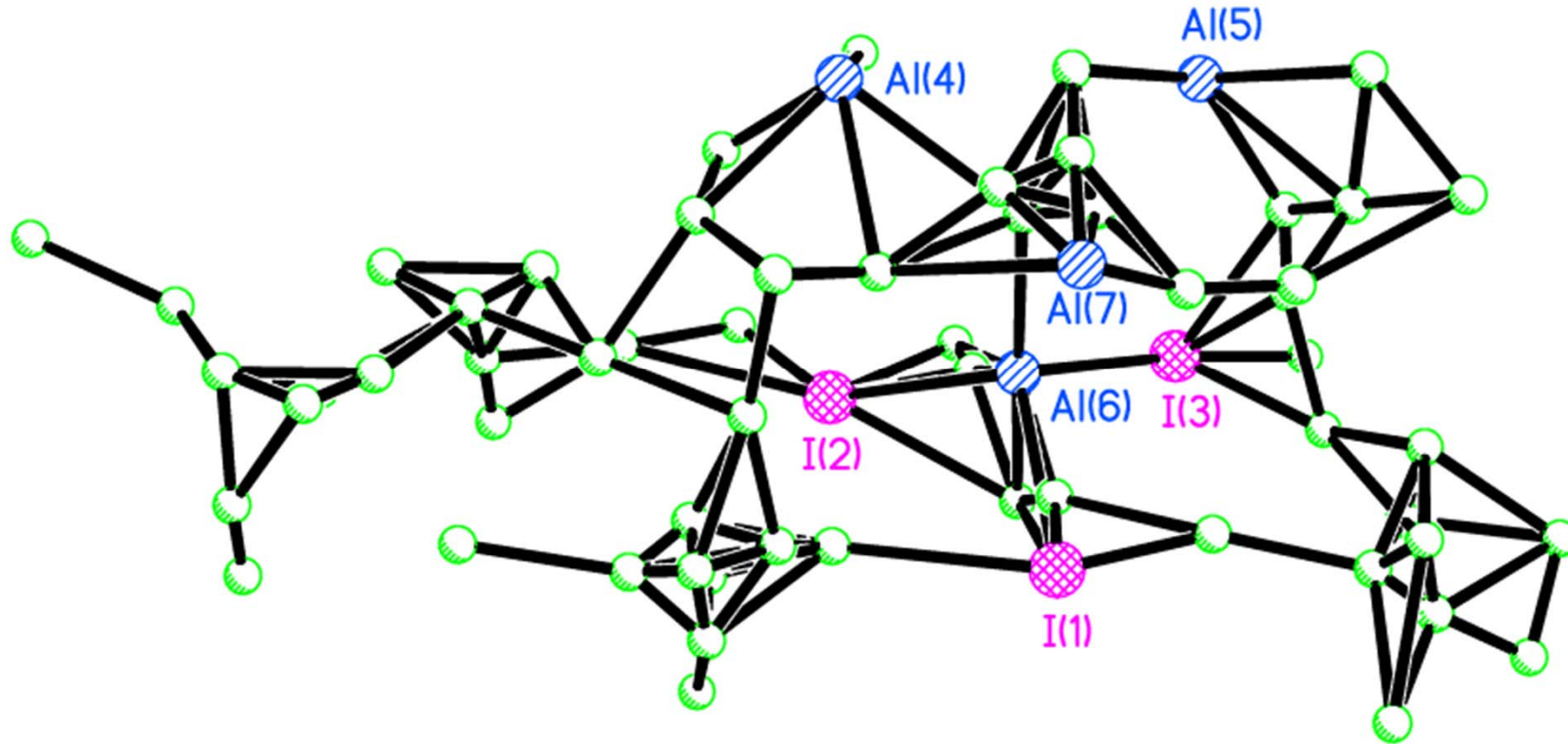
Systematic absence exceptions:

	-21-	-a-	-c-	-n-
N	41	1732	1602	1726
N ($I > 3\sigma$)	0	839	0	839
$\langle I \rangle$	0.1	35.3	0.2	35.4
$\langle I/\sigma \rangle$	0.3	17.9	0.3	18.0

Opt.	Space Gr.	No.	CSD	R(sym)	N(eq)	Syst. Abs.	CFOM
[A]	P2(1)/c	# 14	19410	0.026	7746	0.3 / 17.9	7.35



Solution in $P2_1/c$

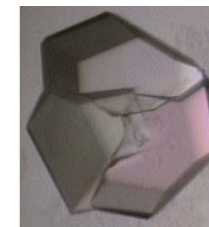


RE = 0.365 for 48 atoms and 2982 E-values

AlI_3 unit can be identified



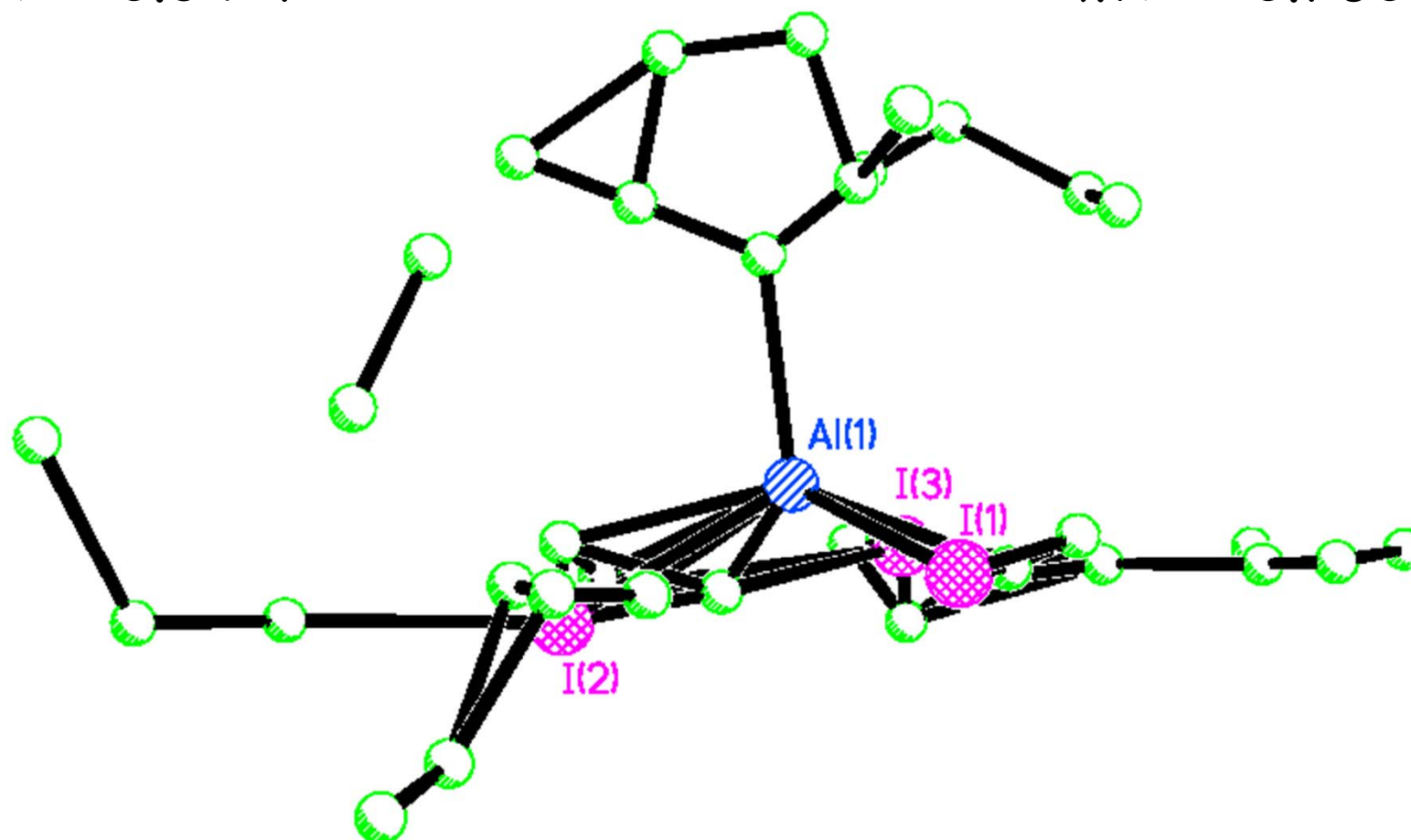
Refinement in $P2_1/c$



Refinement of the AlI_3 unit

$R1 = 0.3427$

$wR2 = 0.7607$





Determination of the Twin Matrix



orthorhombic
↓
monoclinic

twofold
axis

monoclinic
↓
orthorhombic

$$\begin{pmatrix} 0.5 & -0.5 & 0 \\ 0 & 0 & 1 \\ -1 & 0 & 0 \end{pmatrix}$$

$$\begin{pmatrix} -1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & -1 \end{pmatrix}$$

$$\begin{pmatrix} 0 & 0 & -1 \\ -2 & 0 & -1 \\ 0 & 1 & 0 \end{pmatrix}$$

=

$$\begin{pmatrix} 1 & 0 & 1 \\ 0 & -1 & 0 \\ 0 & 0 & -1 \end{pmatrix}$$



Check of the Matrix



- The matrix must transform the cell into an equivalent cell.
- The matrix must not be a symmetry operator of the Laue group of the structure.
- The refinement of the BASF factors is reasonable (i.e. the value is in between 0 and 1 and the s.u. is relatively small).
- The TWIN command must improve your refinement.



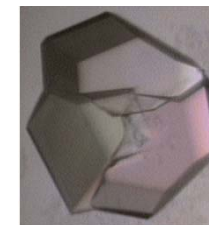
ROTAX / TwinRotMat -Theory



- Generation of matrices for possible two-fold axis about reciprocal or real axes with small indices
- Use of the data with the largest $(F^2_{\text{obs}} - F^2_{\text{calc}})/\sigma$ values)
- Transformation of the indices by the possible rotation matrix.
- Deviation from integral values as figure of merit
- A small figure of merit means that most (or all) of the indices were transformed to integers and this makes it a likely candidate for a twin law.



TwinRotMat - Output



PLATON-AUG 30 10:05:00 2011 - (300311)
Fc from Fo/Fc File

TwinRotMat

Analysis of Fo/Fc Data for Unaccounted (Non)Merohedral Twinning for: p21c

Cell: 0.71073 16.934 12.603 16.934 90.00 120.00 90.00 Spgr: P21/c
Criteria: DeltaI/SigmaI .GT. 4.0, DeltaTheta 0.10 Deg., NselMin = 50
N(refl) = 8918, N(selected) = 50, IndMax = 5, CritI = 0.1, CritT = 0.10

2-axis ([1 0 0] [2 0 1], Angle () [] = 0.00 Deg, Freq = 50	1
<pre> ***** (1.000 0.000 1.000) (h1) (h2) Nr Overlap = 8918 (0.000 -1.000 0.000) * (k1) = (k2) BASF = 0.50 (0.000 0.000 -1.000) (l1) (l2) DEL-R = -0.200 </pre>	
<pre> ***** 2-axis ([0 0 1] [1 0 2], Angle () [] = 0.00 Deg, Freq = 55 ***** (-1.000 0.000 0.000) (h1) (h2) Nr Overlap = 8740 (0.000 -1.000 0.000) * (k1) = (k2) BASF = 0.17 (1.000 0.000 1.000) (l1) (l2) DEL-R = -0.034 </pre>	2
<pre> ***** 2-axis ([1 0 -1] [1 0 -1], Angle () [] = 0.00 Deg, Freq = 50 ***** (0.000 0.000 -1.000) (h1) (h2) Nr Overlap = 8735 (0.000 -1.000 0.000) * (k1) = (k2) BASF = 0.18 (-1.000 0.000 0.000) (l1) (l2) DEL-R = -0.034 </pre>	3
<pre> ***** 2-axis ([0 1 -1] [-2 5 -4], Angle () [] = 2.27 Deg, Freq = 14 ***** (-1.000 0.000 0.000) (h1) (h2) Nr Overlap = 1542 (-0.425 0.150 -0.850) * (k1) = (k2) BASF = 0.14 (0.425 -1.150 -0.150) (l1) (l2) DEL-R = -0.007 </pre>	4
p21c	

INPUT INSTRUCTIONS via KEYBOARD or LEFT-MOUSE-CLICKS (HELP with RIGHT CLICKS)

TwinRotMat 25

NRefSelMin

DeltaI/Sigl

MaxIndexUVW

Delta Theta

FullListing

EPS-TwinLaw

Dsp TwinMat1

Dsp TwinMat2

Dsp TwinMat3

Dsp TwinMat4

EPS-TwinLat

Resolution>

IcalFromCIF

Zone-H,K,L

Up Down

RacemicTwin

SelectTMat1

SelectTMat2

SelectTMat3

SelectTMat4

HKLF5-CritI

HKLF5-CritT

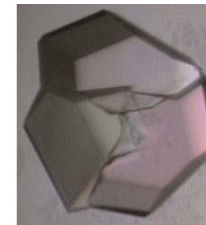
HKLF5-Gener

End

Exit



Refinement as Twin

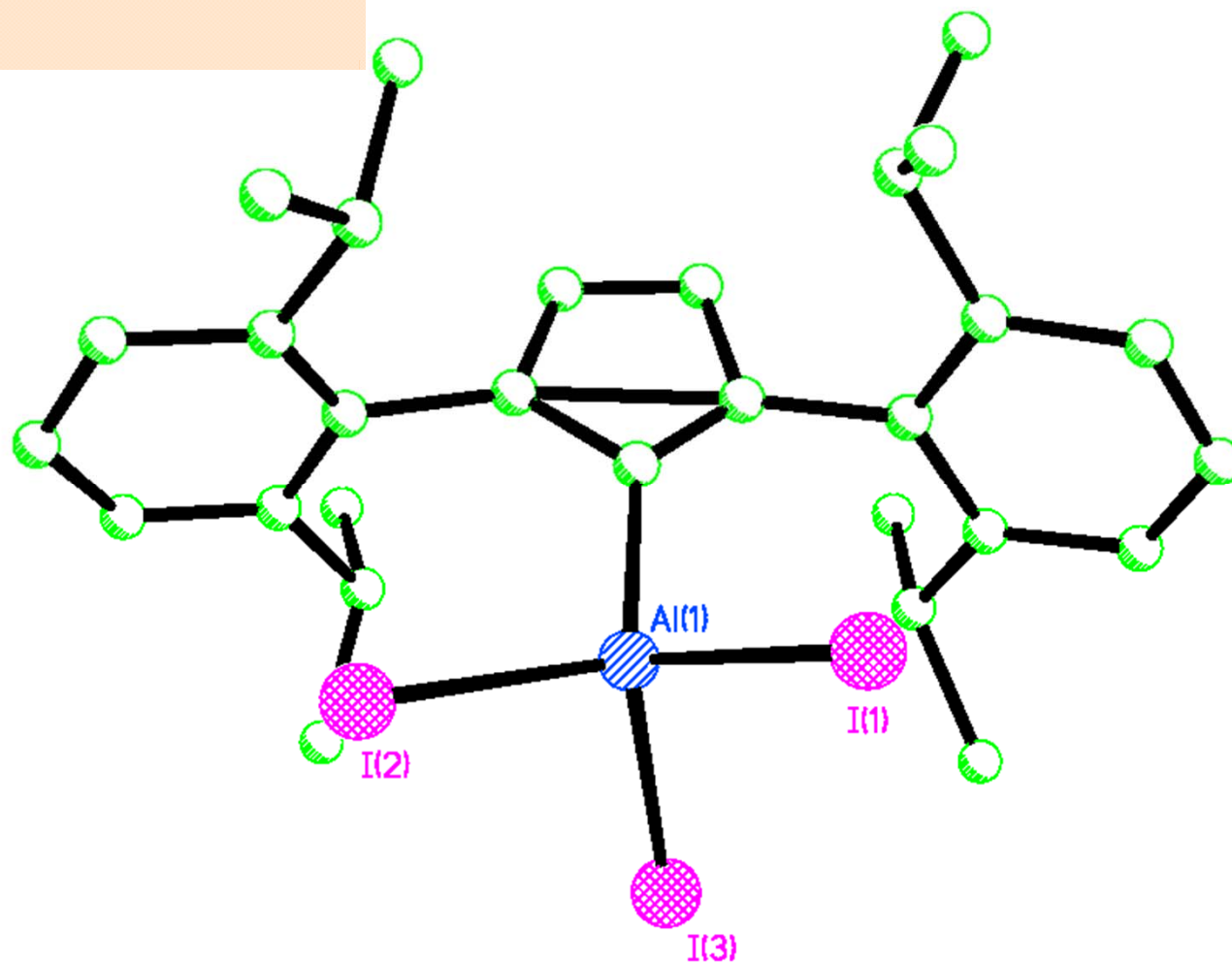


TWIN 1 0 1 0 -1 0 0 0 -1

BASF 0.5

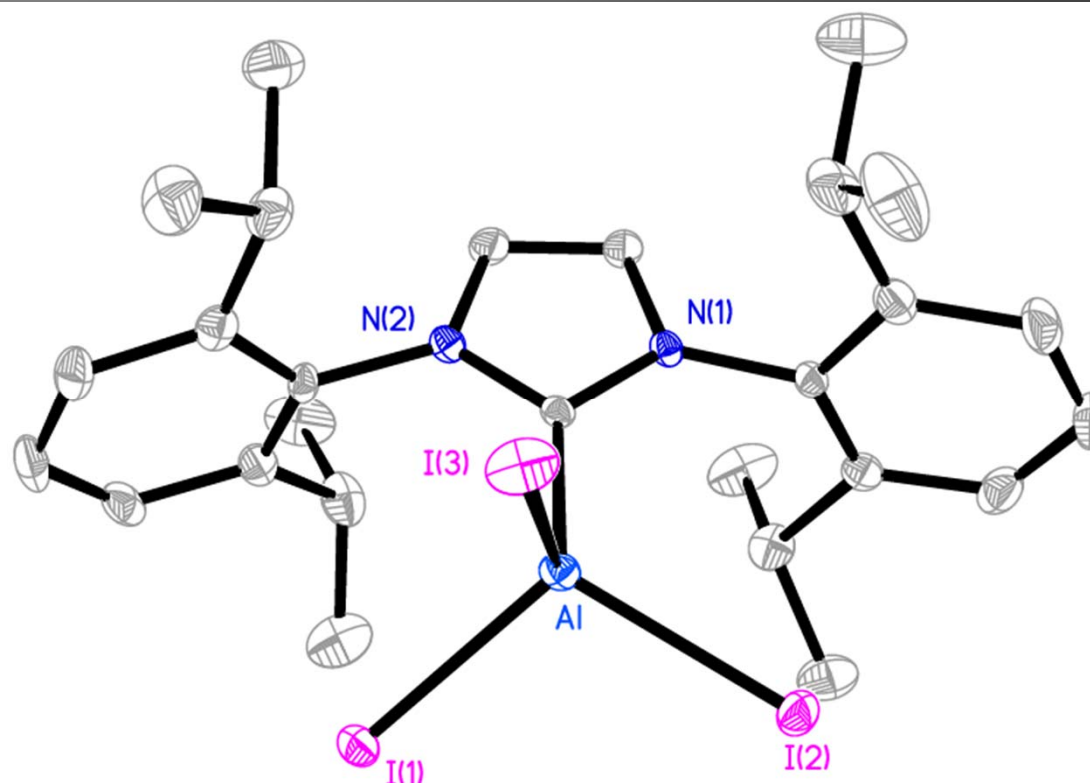
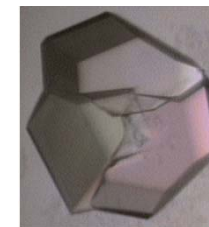
R1 = 0.1487

wR2 = 0.4103





Final Results



R1 ($F > 4\sigma(F)$)	0.022	wR2 (all data)	0.046
K2	0.4982(4)	Parameter	307
Data	8918	Residual Density [$e\text{\AA}^{-3}$]	1.07

R. S. Ghadwal, H. W. Roesky, R. Herbst-Irmer, P. G. Jones, N-Heterocyclic Carbene Adducts of Aluminum Triiodide, *Z. Anorg. Allgem. Chem.*, **635**, 431, 2009.

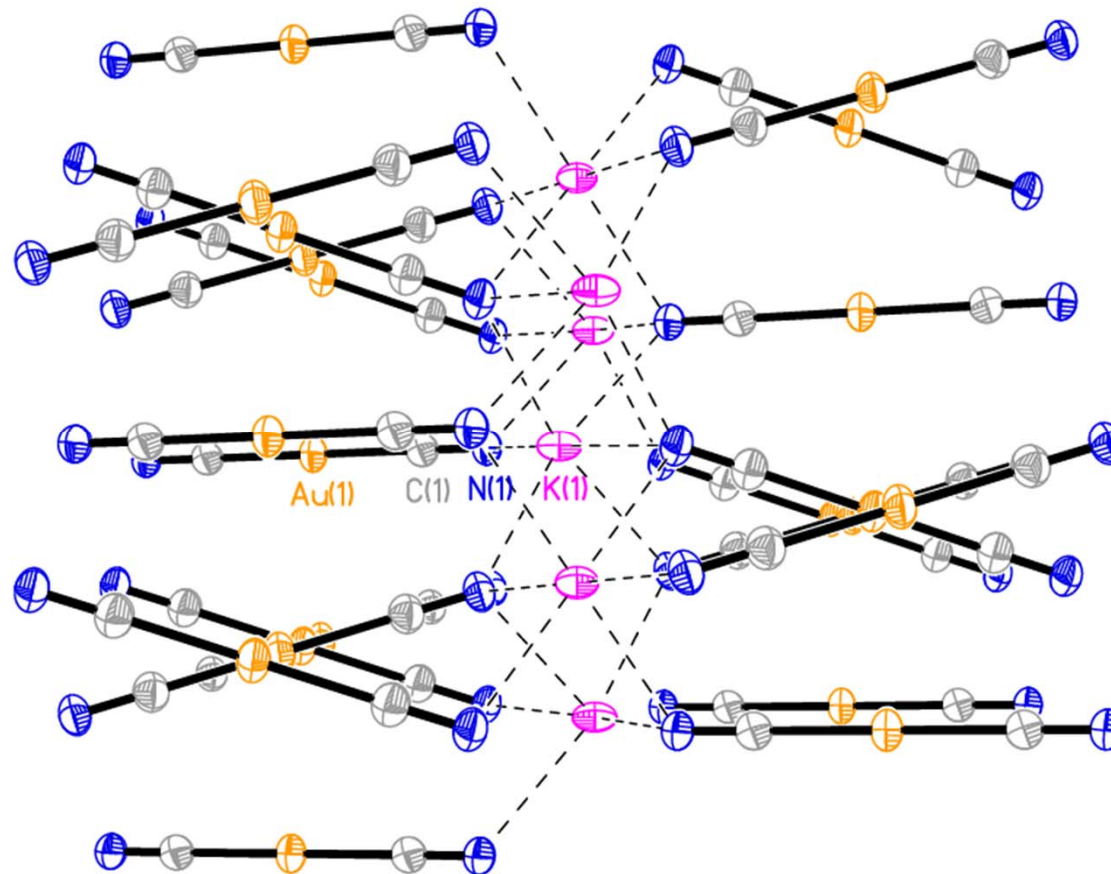


Twinning by Reticular Merohedry



Structure of $\text{K}[\text{Au}(\text{CN})_2]$

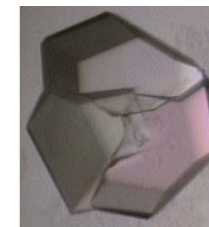
cell: 7.240 7.240 26.445 90 90 120, space group $R\bar{3}$



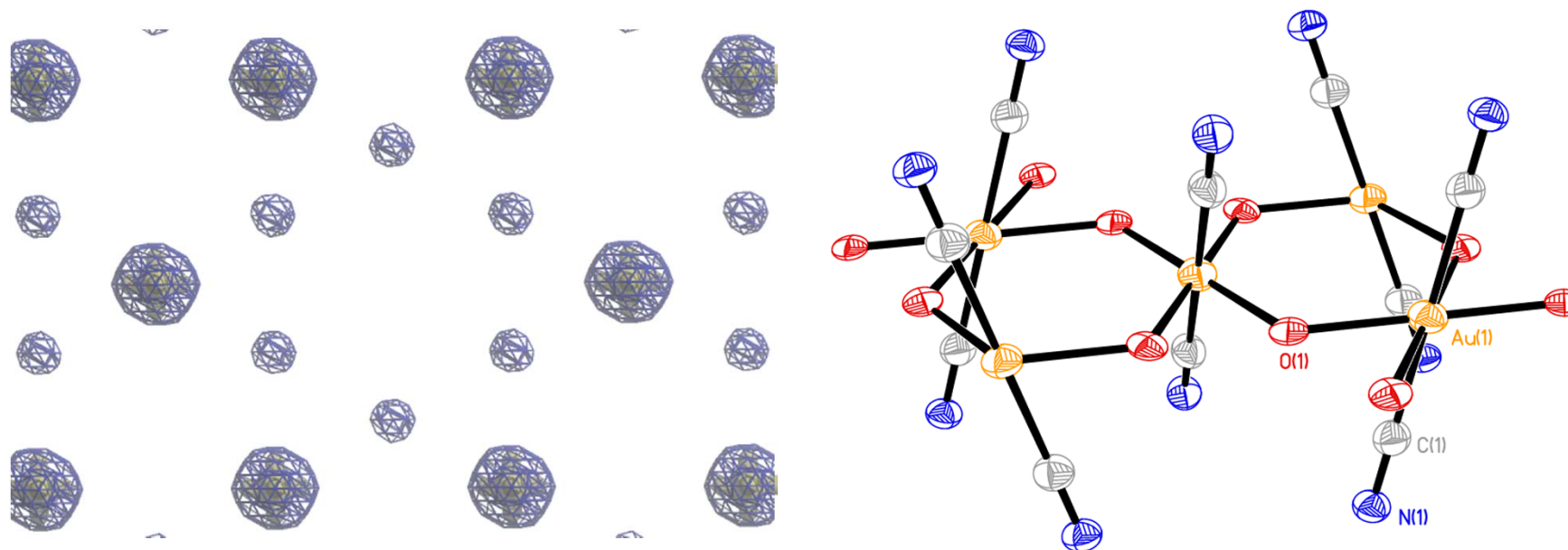
A. Rosenzweig, D. T. Cromer,
Acta Cryst. (1959). 12, 709.



$K[Au(CN)_2]$



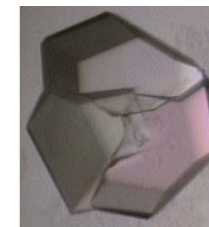
$R1 = 0.074$ for $640 F_o > 4\sigma(F_o)$, $wR2 = 0.170$ for all 648 data



$R1 = 0.027$ for $640 F_o > 4\sigma(F_o)$, $wR2 = 0.076$ for all 648 data
Residual density: 1.18/-1.48 e/A³



Warning Signs



Systematic Absences Violations:

2	0	0	8.08	2.00	observed but should be systematically absent
-1	0	1	507.42	32.65	observed but should be systematically absent
-1	0	1	610.89	37.97	observed but should be systematically absent
1	0	-1	517.12	34.48	observed but should be systematically absent
0	-1	-1	540.26	33.43	observed but should be systematically absent
1	-1	1	512.14	35.24	observed but should be systematically absent
10	-1	-1	557.75	34.37	observed but should be systematically absent

...

Most Disagreeable Reflections

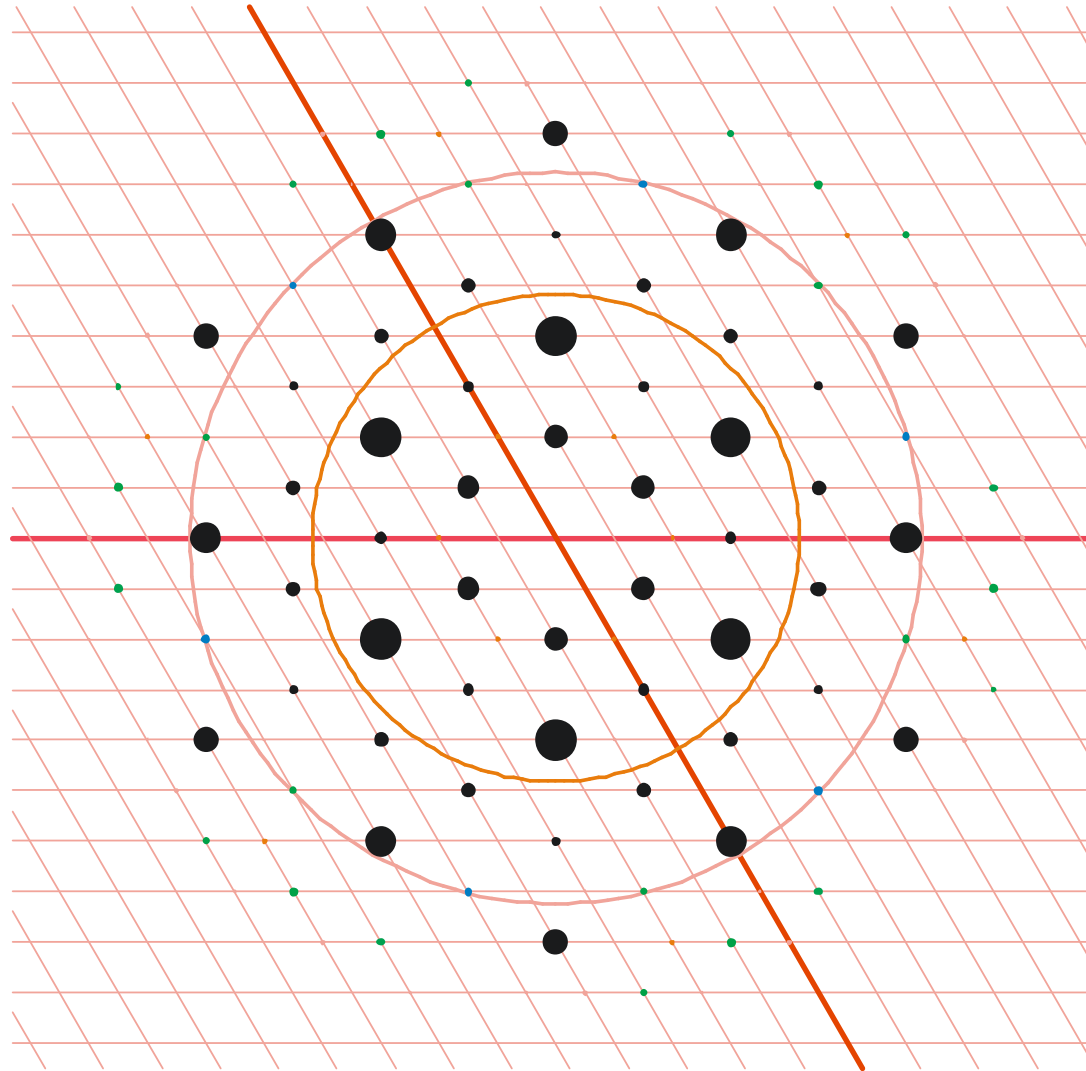
h	k	l	F_o^2	F_c^2	$\Delta(F^2)/\sigma$	F_c/F_{cmax}	Res.(Å)
0	3	0	1907.04	407.73	11.79	0.026	2.09
-1	2	6	7075.12	11145.69	6.78	0.137	2.80
1	1	6	1275.08	818.27	3.69	0.037	2.80
-1	2	0	27026.22	32870.20	3.53	0.235	3.60
-1	2	3	47884.52	56252.36	2.98	0.307	3.35
-1	2	12	7698.09	9417.93	2.98	0.126	1.88
-5	4	6	642.68	966.24	2.77	0.040	1.31

...

R. Herbst-Irmer, G. M. Sheldrick, Refinement of obverse/reverse twins, *Acta Crystallogr. B* **58**, 477, 2002

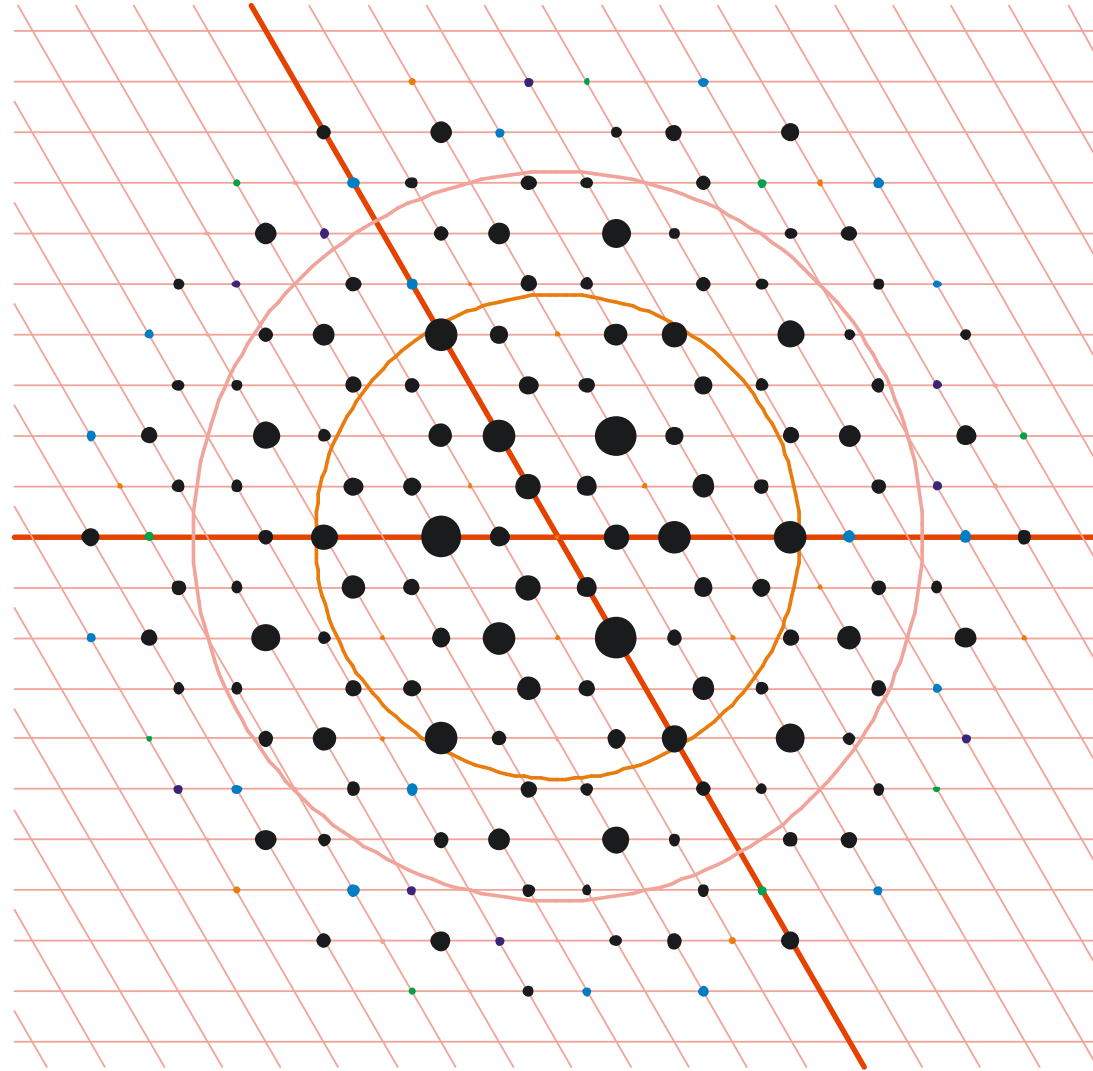


Reciprocal Space Plot $l = 0$



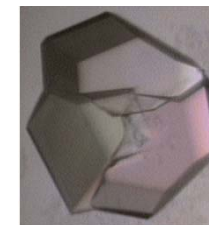


Reciprocal Space Plot $l = 2$





Obverse/Reverse Twinning



	P	A	B	C	I	F	Obv	Rev	All
N	0	4252	4264	4282	4258	6399	5663	5715	8516
N $I > 3\sigma$	0	2177	2189	2180	2198	3273	1698	1887	4447
$\langle I \rangle$	0.0	303.7	302.2	132.1	303.5	245.8	93.4	246.6	341.6
$\langle I/\sigma \rangle$	0.0	6.0	6.0	5.4	6.0	5.8	3.3	4.2	6.1

Obverse/reverse test for trigonal/hexagonal lattice

Mean I: obv only 619.5, rev only 252.1, neither obv nor rev 0.5,

Preparing dataset for refinement with BASF 0.289 and TWIN -1 0 0 0 -1 0

0 0 1

Reflections absent for both components will be removed



Obverse/Reverse Twinning



PLATON-Sep 02 09:57:00 2011 - (300311)

Fc from Fo/Fc File

TwinRotMat

Analysis of Fo/Fc Data for Unaccounted (Non)Merohedral Twinning for: hp33

Cell: 0.71073 7.240 7.240 26.445 90.00 90.00 120.00 Spgr: R-3

Criteria: DeltaI/SigmaI .GT. 4.0, DeltaTheta 0.10 Deg., NselMin = 50

N(refl) = 648, N(selected) = 50, IndMax = 5, CritI = 0.1, CritT = 0.10

<p>2-axls (0 1 0) [1 2 0], Angle () [] = 0.00 Deg, Freq = 50</p> <p style="text-align: center;">*****</p> <table style="width: 100%;"> <tr> <td style="width: 30%;">(-1.000 0.000 0.000)</td> <td style="width: 30%;">(h1) (h2)</td> <td style="width: 40%; text-align: right;">Nr Overlap = 223</td> </tr> <tr> <td>(1.000 1.000 0.000)</td> <td>* (k1) = (k2)</td> <td style="text-align: right;">BASF = 0.27</td> </tr> <tr> <td>(0.000 0.000 -1.000)</td> <td>(l1) (l2)</td> <td style="text-align: right;">DEL-R = -0.044</td> </tr> </table>	(-1.000 0.000 0.000)	(h1) (h2)	Nr Overlap = 223	(1.000 1.000 0.000)	* (k1) = (k2)	BASF = 0.27	(0.000 0.000 -1.000)	(l1) (l2)	DEL-R = -0.044	1
(-1.000 0.000 0.000)	(h1) (h2)	Nr Overlap = 223								
(1.000 1.000 0.000)	* (k1) = (k2)	BASF = 0.27								
(0.000 0.000 -1.000)	(l1) (l2)	DEL-R = -0.044								
<p>2-axls (0 0 1) [0 0 1], Angle () [] = 0.00 Deg, Freq = 46</p> <p style="text-align: center;">*****</p> <table style="width: 100%;"> <tr> <td style="width: 30%;">(-1.000 0.000 0.000)</td> <td style="width: 30%;">(h1) (h2)</td> <td style="width: 40%; text-align: right;">Nr Overlap = 223</td> </tr> <tr> <td>(0.000 -1.000 0.000)</td> <td>* (k1) = (k2)</td> <td style="text-align: right;">BASF = 0.23</td> </tr> <tr> <td>(0.000 0.000 1.000)</td> <td>(l1) (l2)</td> <td style="text-align: right;">DEL-R = -0.039</td> </tr> </table>	(-1.000 0.000 0.000)	(h1) (h2)	Nr Overlap = 223	(0.000 -1.000 0.000)	* (k1) = (k2)	BASF = 0.23	(0.000 0.000 1.000)	(l1) (l2)	DEL-R = -0.039	2
(-1.000 0.000 0.000)	(h1) (h2)	Nr Overlap = 223								
(0.000 -1.000 0.000)	* (k1) = (k2)	BASF = 0.23								
(0.000 0.000 1.000)	(l1) (l2)	DEL-R = -0.039								
<p>2-axls (1 -2 0) [0 -1 0], Angle () [] = 0.00 Deg, Freq = 50</p> <p style="text-align: center;">*****</p> <table style="width: 100%;"> <tr> <td style="width: 30%;">(-1.000 -1.000 0.000)</td> <td style="width: 30%;">(h1) (h2)</td> <td style="width: 40%; text-align: right;">Nr Overlap = 648</td> </tr> <tr> <td>(0.000 1.000 0.000)</td> <td>* (k1) = (k2)</td> <td style="text-align: right;">BASF = 0.03</td> </tr> <tr> <td>(0.000 0.000 -1.000)</td> <td>(l1) (l2)</td> <td style="text-align: right;">DEL-R = 0.000</td> </tr> </table>	(-1.000 -1.000 0.000)	(h1) (h2)	Nr Overlap = 648	(0.000 1.000 0.000)	* (k1) = (k2)	BASF = 0.03	(0.000 0.000 -1.000)	(l1) (l2)	DEL-R = 0.000	3
(-1.000 -1.000 0.000)	(h1) (h2)	Nr Overlap = 648								
(0.000 1.000 0.000)	* (k1) = (k2)	BASF = 0.03								
(0.000 0.000 -1.000)	(l1) (l2)	DEL-R = 0.000								

TwinRoMt 25

NRefSelMin

Delta/Sigl

MaxIndexUVW

Delta Theta

FullListing

EPS-TwinLaw

DspTwinMat1

DspTwinMat2

DspTwinMat3

DspTwinMat4

EPS-TwinLat

Resolution>

IcalFromCIF

Zone-H,K,L

Up Down

RacemicTwin

Select TMat1

Select TMat2

Select TMat3

Select TMat4

HKLF5-CritI

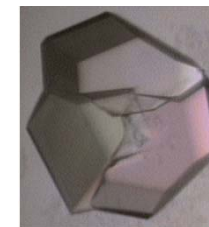
HKLF5-CritT

HKLF5-Gener

End



Refinement as Twin - SHELXL-97



MERG 0
BASF 0.3
HKLF 5

original hkl-file
after merging in XPREP

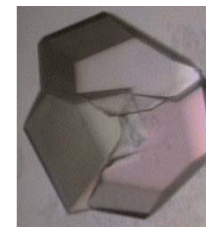
h	k	l	F ²	σ(F ²)
-3	2	1	547.68	13.89
-2	2	1	3919.92	91.76
-1	2	1	0.4728	0.786
-1	2	0	792.98	19.51
-5	4	3	1287.24	31.66

new hkl-file

h	k	l	F ²	σ(F ²)	N
-2	2	1	3919.92	91.76	1
2	-1	0	792.98	19.51	-2
-1	2	0	792.98	19.51	1
4	-5	3	1287.24	31.66	-2
-5	4	3	1287.24	31.66	1



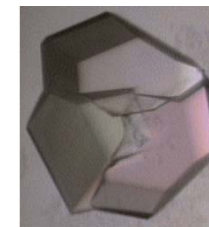
Refinement as Twin - SHELXL-2012



TWIN 0 -1 0 -1 0 0 0 0 -1
BASF 0.3
HKLF 4



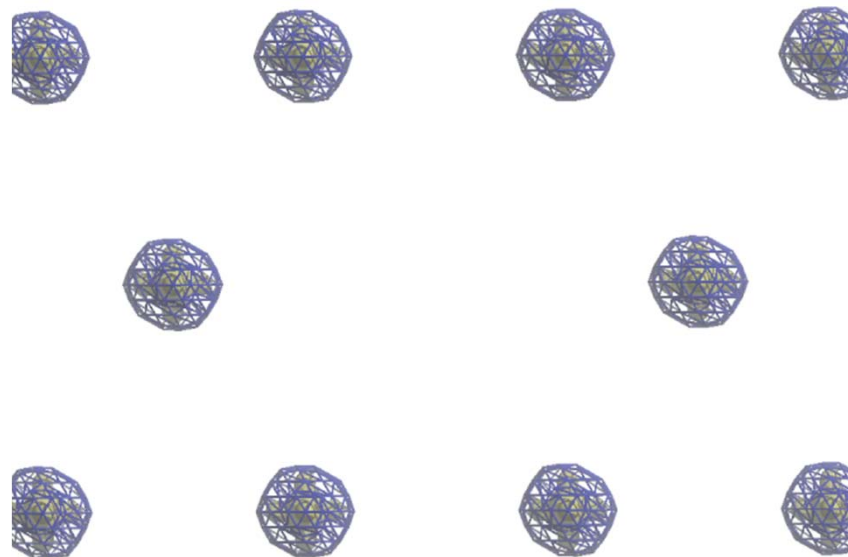
Refinement as Twin - Results



R1 = 0.0178 for 640 $F_o > 4 \sigma(F_o)$

wR2 = 0.0430 for 648 data

K2 = 0.290(4)



Residual density maximum = 1.03 e/Å³

S. R. Hettiarachchi, B. K. Schaefer, R. L. Yson, R. J. Staples, R. Herbst-Irmer, H. H. Patterson, *Inorg. Chem.*, **46**, 6997, 2007.



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