



# Risk Management Part II

Lecture 8 by Professor Vladimir Geroimenko

Module “Software Project Management”

01 November 2023 - Teaching Week 6

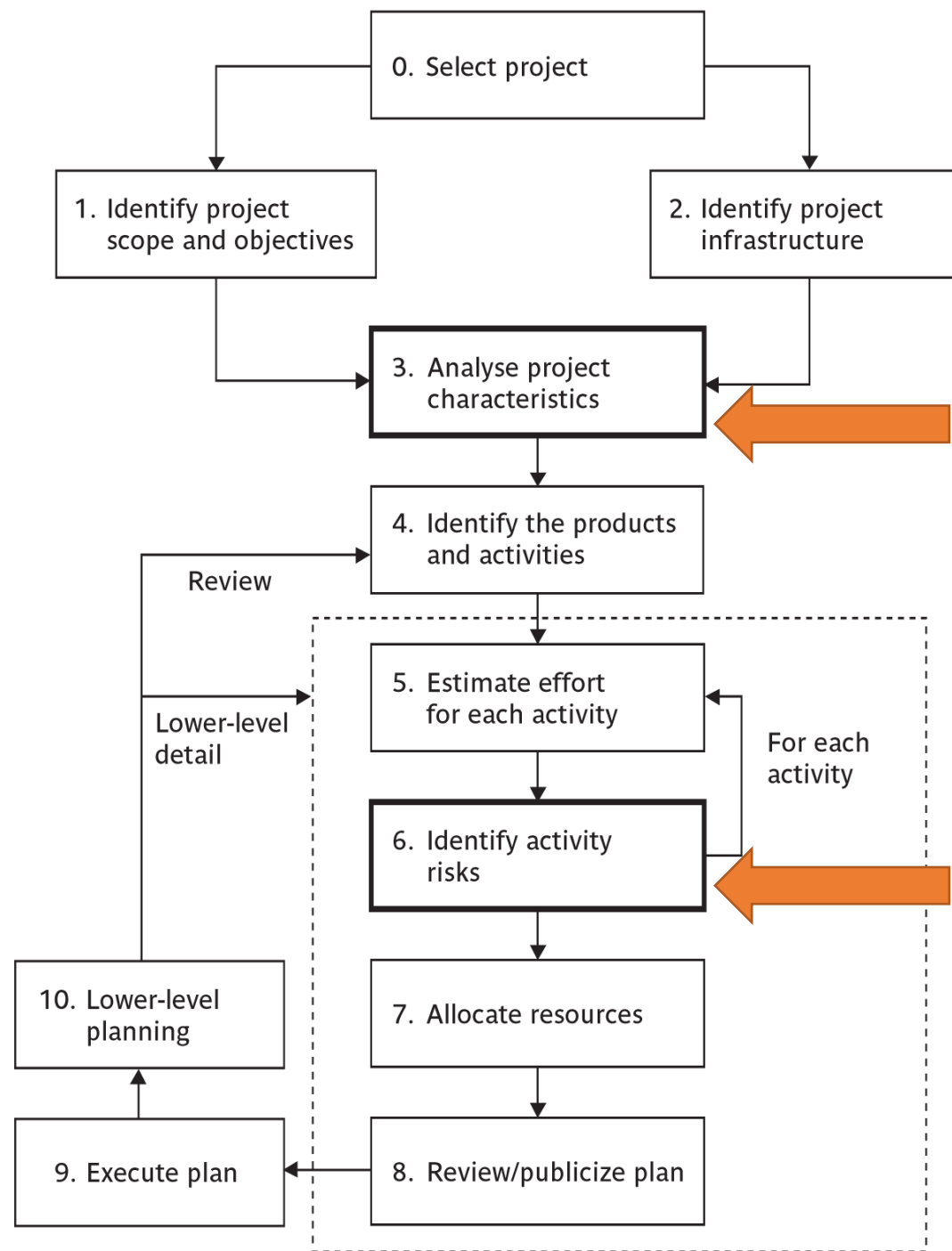
Textbook reference: Chapter 7

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# Lecture Outline

- Using PERT to evaluate the effects of uncertainty
- Critical chain planning concepts





# Using PERT to evaluate the effects of uncertainty

- **PERT** stands for **Program Evaluation and Review Technique**
- PERT was developed in the USA for the Fleet Ballistic Missiles Program.
- PERT was developed in an environment of expensive, high-risk and state-of-the-art projects – this is that are similar to many today's large software projects.
- **PERT was developed to take account of the uncertainty surrounding estimates of task durations.**

# The **three** PERT estimates

- PERT is very similar to CPM (Critical Path Method), however it requires not one but three estimates for each activity:
- **Optimistic time (a)** – the shortest time in which we could expect to complete the activity.
- **Most likely time (m)** – the time we would expect the task to take under normal circumstances.
- **Pessimistic time (b)** – the worst possible time, allowing for all reasonable eventualities.



# The expected duration

PERT combines the three estimates (**a**, **m** and **b**) into a single **expected duration  $t_e$**  using the following formula:

$$t_e = \frac{a + 4m + b}{6}$$

a - optimistic time

m - most likely time

b - pessimistic time



# Example: Calculating the expected durations

Activity	a Optimistic	m Most likely	b Pessimistic	t <sub>e</sub> Expected	
A	5	6	8	?	
B	3	4	5	?	
C	2	3	3	?	
D	3.5	4	5	?	
E	1	3	4	?	
F	8	10	15	?	
G	2	3	4	?	
H	2	2	2.5	?	

$$t_e = \frac{a + 4m + b}{6}$$



## Exercise: Expected durations (in weeks)

Activity	a Optimistic	m Most likely	b Pessimistic	t <sub>e</sub> Expected	
A	5	6	8	?	
B	3	4	5	?	
C	2	3	3	?	
D	3.5	4	5	?	
E	1	3	4	?	
F	8	10	15	?	
G	2	3	4	?	
H	2	2	2.5	?	

$$t_e = \frac{a + 4m + b}{6}$$

→ Let's calculate this



# Example: Expected durations (in weeks)

Activity	a Optimistic	m Most likely	b Pessimistic	t <sub>e</sub> Expected	
A	5	6	8	?	
B	3	4	5	?	
C	2	3	3	?	
D	3.5	4	5	?	
E	1	3	4	?	
F	8	10	15	?	
G	2	3	4	3.00	
H	2	2	2.5	?	

$$t_e = \frac{a + 4m + b}{6}$$

$$3.00 \longrightarrow 3.00 = \frac{2 + 4 * 3 + 4}{6}$$



# Example: Expected durations (in weeks)

Activity	a Optimistic	m Most likely	b Pessimistic	t <sub>e</sub> Expected	
A	5	6	8	6.17	
B	3	4	5	4.00	
C	2	3	3	2.83	
D	3.5	4	5	4.08	
E	1	3	4	2.83	
F	8	10	15	10.50	
G	2	3	4	3.00	
H	2	2	2.5	2.08	

$$t_e = \frac{a + 4m + b}{6}$$

$$3.00 \longrightarrow 3.00 = \frac{2 + 4 * 3 + 4}{6}$$



# The standard deviation

- The standard deviation is a quantitative measure of the degree of uncertainty of an activity duration estimate.
- The activity standard deviation can be used as a ranking measure of the degree of uncertainty or risk for each activity.
- PERT calculates **standard deviation** **s** using the following formula:

$$s = \frac{b - a}{6}$$

a - optimistic time

b - pessimistic time



# Example: Calculating standard deviations

Activity	a Optimistic	m Most likely	b Pessimistic	t <sub>e</sub> Expected	s St deviation
A	5	6	8	6.17	?
B	3	4	5	4.00	?
C	2	3	3	2.83	?
D	3.5	4	5	4.08	?
E	1	3	4	2.83	?
F	8	10	15	10.50	?
G	2	3	4	3.00	?
H	2	2	2.5	2.08	?

$$s = \frac{b - a}{6}$$



# Example: Standard deviations

Activity	a Optimistic	m Most likely	b Pessimistic	t <sub>e</sub> Expected	s St deviation
A	5	6	8	6.17	0.50
B	3	4	5	4.00	0.33
C	2	3	3	2.83	0.17
D	3.5	4	5	4.08	0.25
E	1	3	4	2.83	0.50
F	8	10	15	10.50	1.17
G	2	3	4	3.00	0.33
H	2	2	2.5	2.08	0.08

$$s = \frac{b - a}{6}$$



# Exercise: Rank the risks of the activities

Activity	a Optimistic	m Most likely	b Pessimistic	t <sub>e</sub> Expected	s St deviation
A	5	6	8	6.17	0.50
B	3	4	5	4.00	0.33
C	2	3	3	2.83	0.17
D	3.5	4	5	4.08	0.25
E	1	3	4	2.83	0.50
F	8	10	15	10.50	1.17
G	2	3	4	3.00	0.33
H	2	2	2.5	2.08	0.08

More Risky
?
?
?
?
?
?
?
Less Risky



# Exercise: Rank the risks of the activities

Activity	a Optimistic	m Most likely	b Pessimistic	t <sub>e</sub> Expected	s St deviation
A	5	6	8	6.17	0.50
B	3	4	5	4.00	0.33
C	2	3	3	2.83	0.17
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E	1	3	4	2.83	0.50
F	8	10	15	10.50	1.17
G	2	3	4	3.00	0.33
H	2	2	2.5	2.08	0.08

More Risky

F  
A, E  
B, G  
D  
C  
H

Less Risky



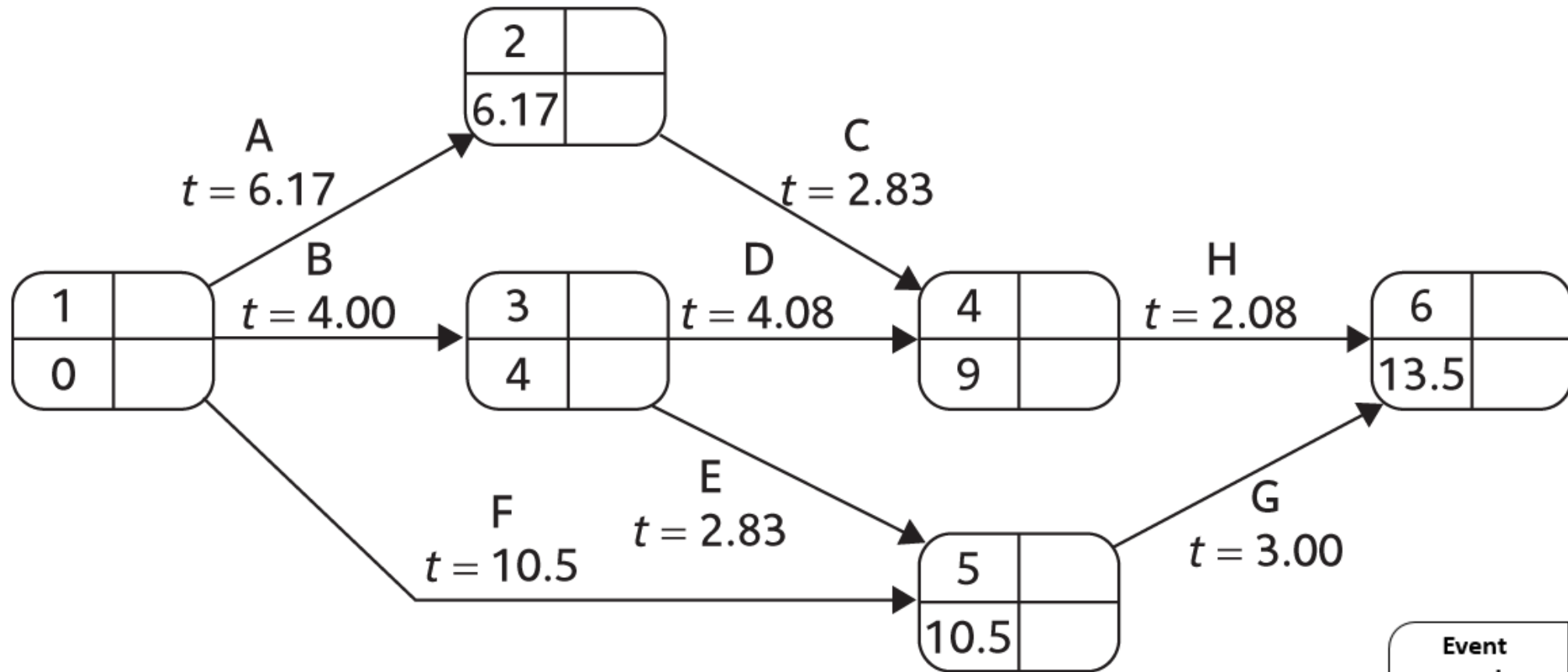
# Using expected durations

- The expected durations are used to carry out a **forward pass** through a network, using the same technique as CPM.
- Unlike the CPM approach, the PERT method does not indicate *the earliest date* by which we could complete the project but ***the expected date***: “***We expect to complete the project by ...***”
- Next slide – The PERT network after the forward pass (as an activity-on-arrow network):

Event number	Target date
Expected date	Standard deviation



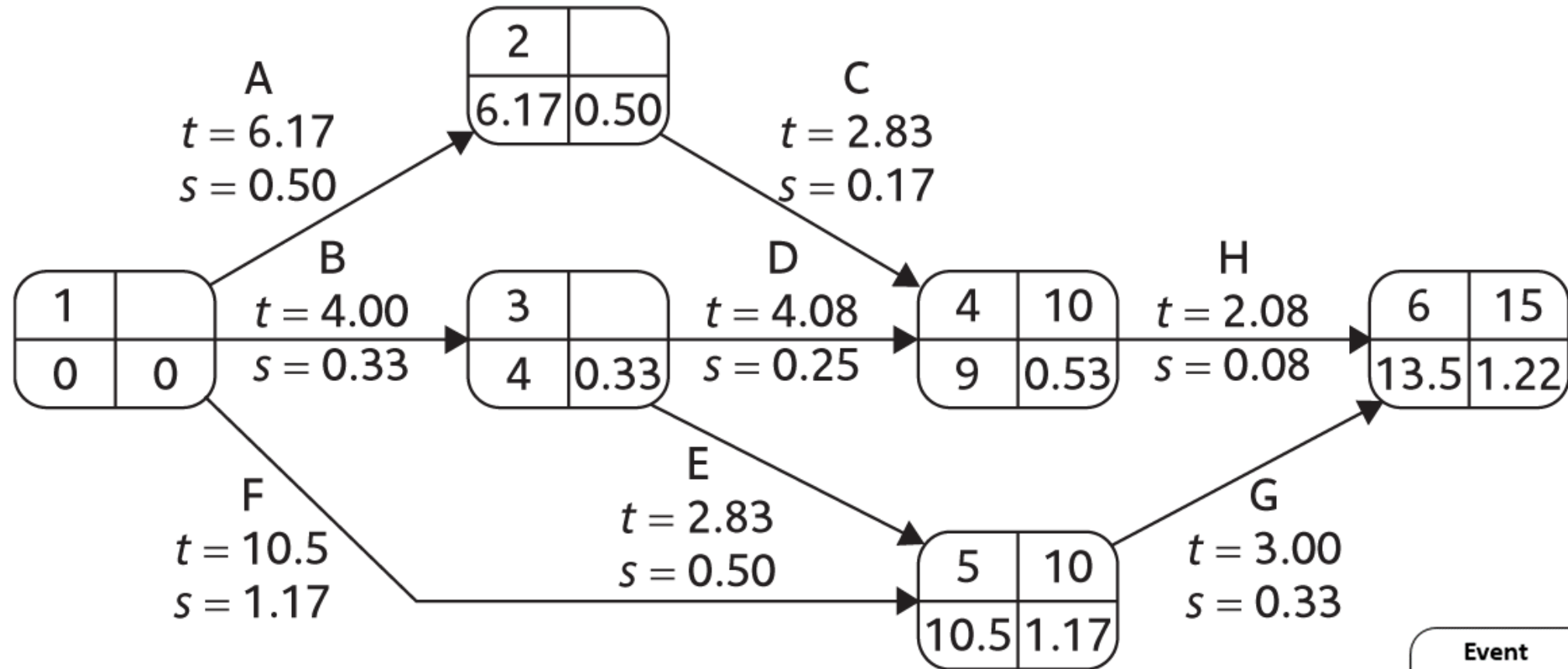
# The PERT network after the forward pass



Event number	Target date
Expected date	Standard deviation



# The PERT network with calculated event standard deviations and three target dates



Event number	Target date
Expected date	Standard deviation

# The likelihood of meeting targets

The PERT technique uses the following three-step method for calculating the probability of meeting or missing a **target date**:

1. Calculate the standard deviation of each project event;
2. Calculate the **z value** for each event that has a target date;
3. Convert z values to probabilities;

$$z = \frac{T - t_e}{s}$$

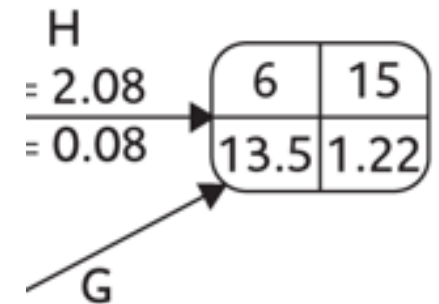
**T** is the target date  
**t<sub>e</sub>** is the expected date

# Calculating the z value: an example

The z value for event 6 (= completing the project by week 15):

$$\frac{15 - 13.5}{1.22} = 1.23$$

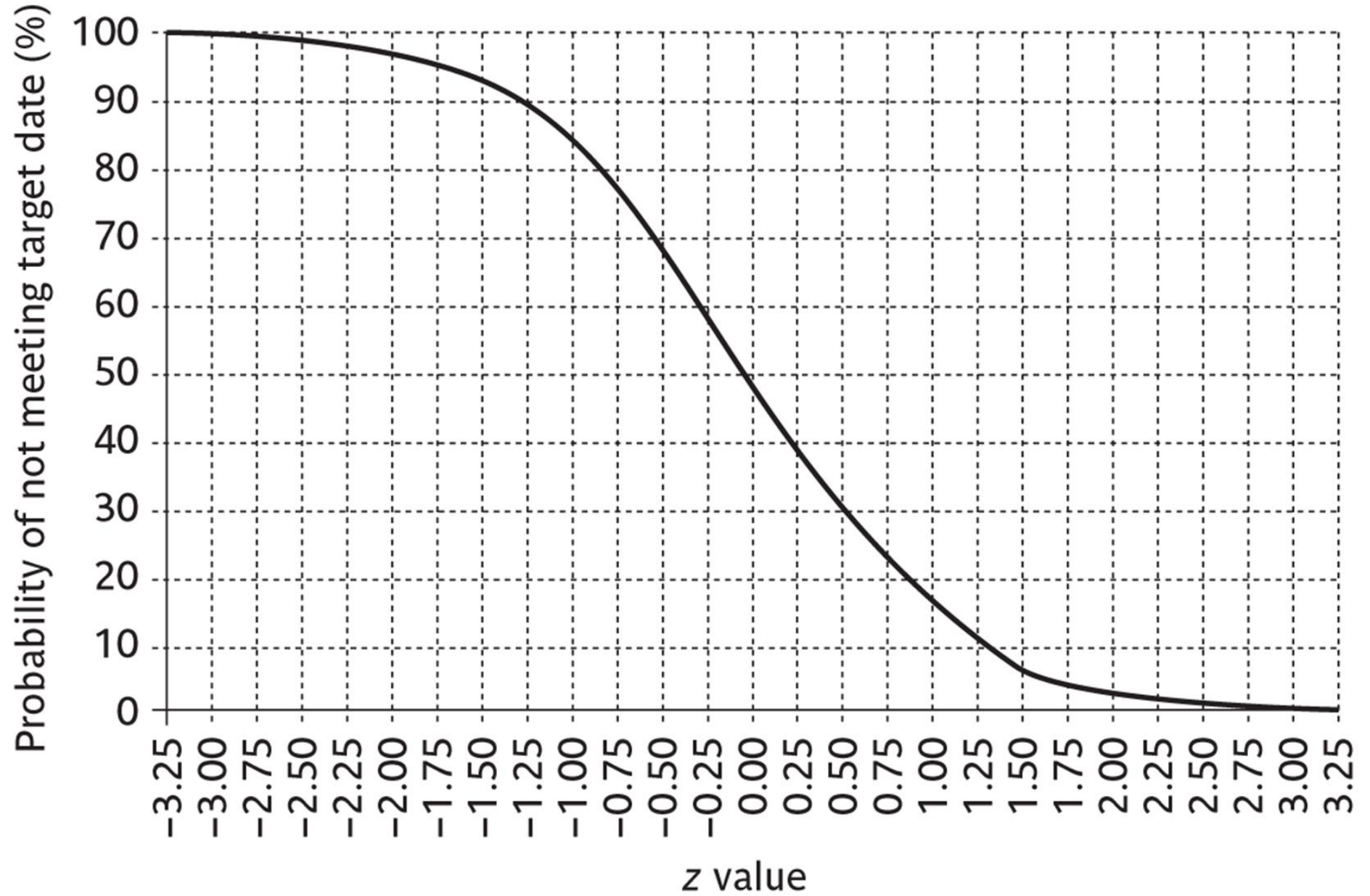
Event number	Target date
Expected date	Standard deviation



$$z = \frac{T - t_e}{s}$$

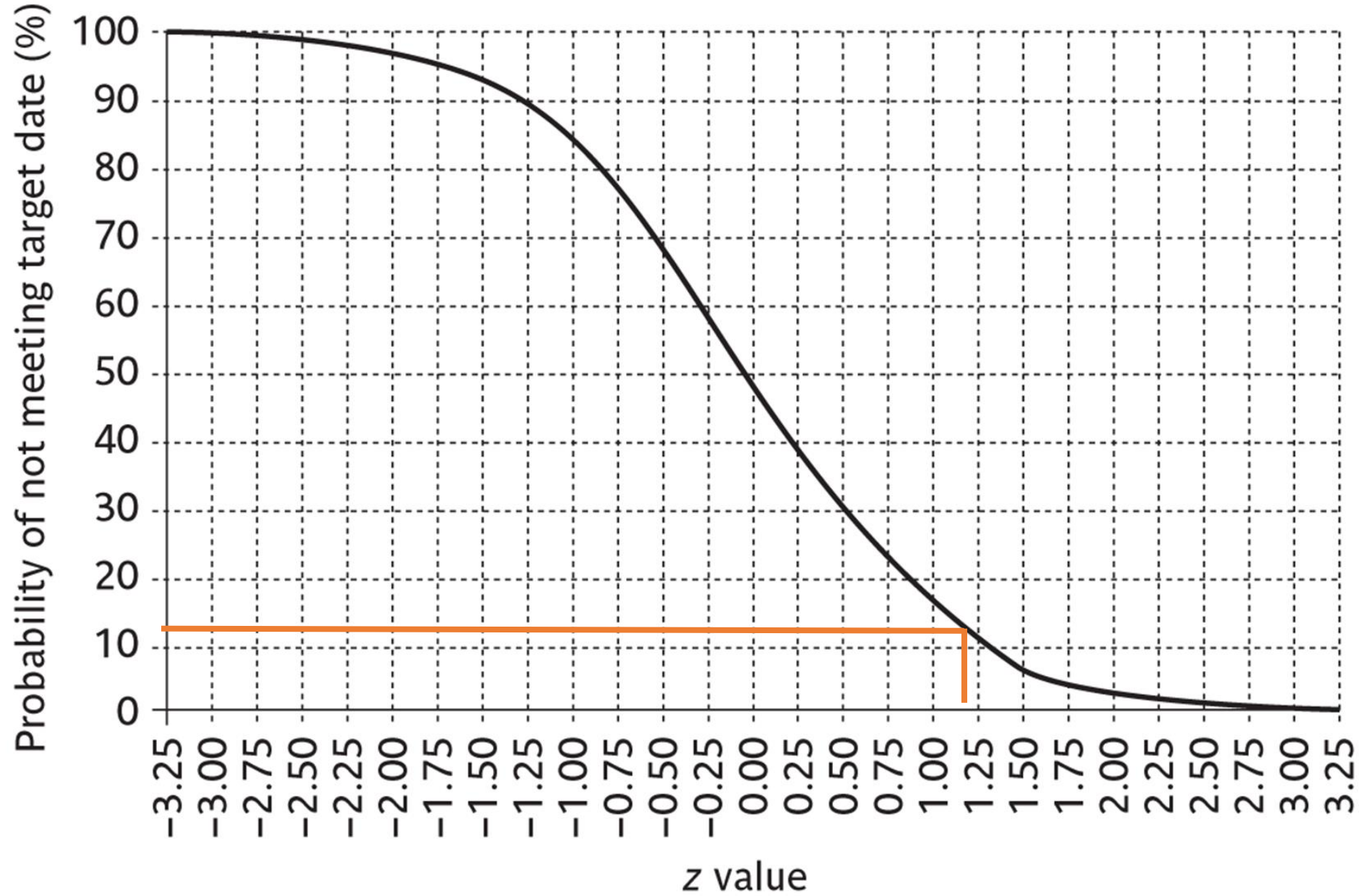
# Converting z values to probabilities

A **z value** can be converted to the **probability of not meeting the target date** by using the following graph.



For  $z = 1.23$  (in our example)

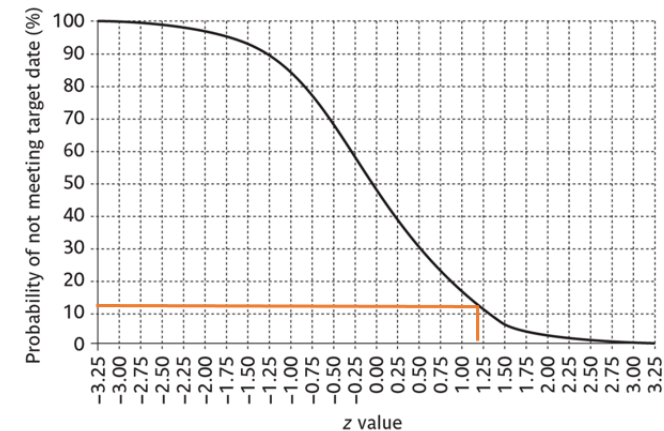
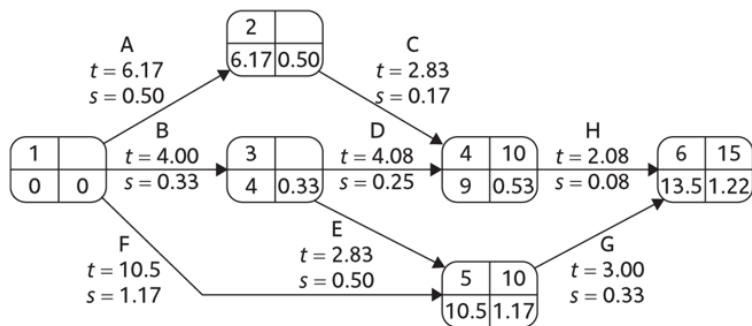
The probability  
of not meeting  
the target date is  
approx. 12%.  
The probability  
of meeting is ca.  
88%





# Summary: The advantages of PERT

- PERT focuses on uncertainty of forecasting.
- PERT can calculate the standard deviation for each activity and to rank them according to their degree of risk. Using this ranking: F have grater uncertainty, C – no big concern
- PERT allows to calculate the probability of meeting / not meeting of any set target.



More Risky

F  
A, E  
B, G  
D  
C  
H

Less Risky

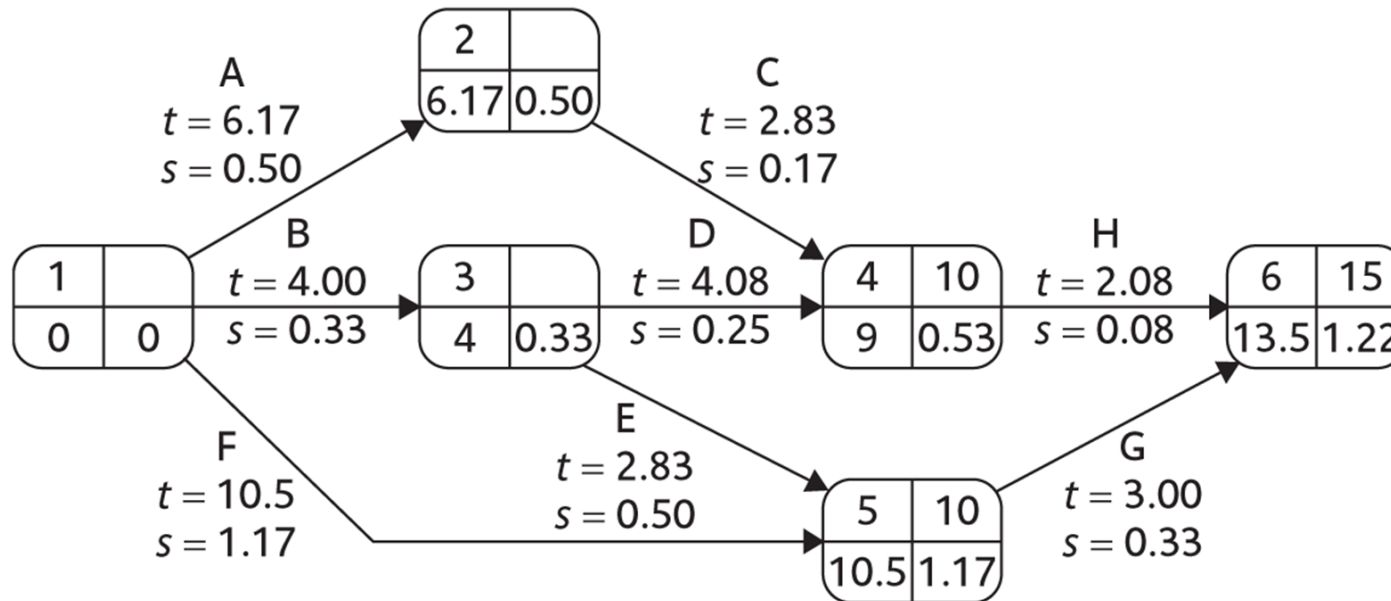
# Critical chain – The main idea

- The project manager is forced to focus on the activities where the actual durations exceed the target (i.e. that can be late)
- Activities which are actually completed **before** the target date are likely to be overlooked.
- But these early completions, properly handled, could allow the meet the target completion date if the later activities are delayed.

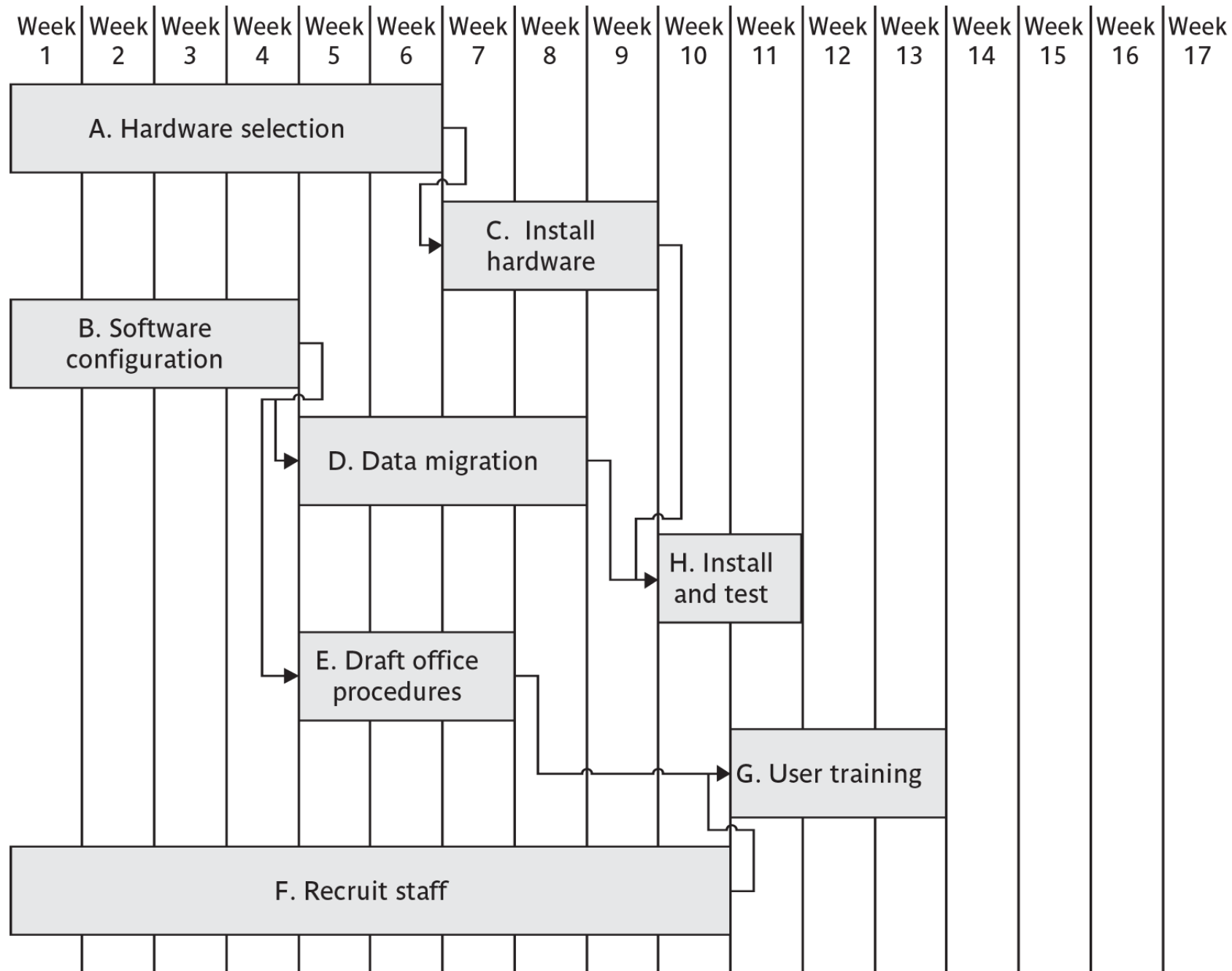


# An example

For example, let's rework our previous example



as a **Gantt chart** (see next slide)



Gantt chart -  
“traditional”  
planning  
approach



# Critical chain approach (1 of 5)

A problem with estimates of task duration:

- Estimators tend to add a safety zone to take account of possible difficulties
- Developers work to the estimate + safety zone, so time is lost
- **No advantage is taken of opportunities where tasks can finish early**  
– and provide a **buffer** for later activities

# Critical chain approach (2 of 5)

An answer to this:

1. Ask the estimators for two estimates
  - Most likely duration: 50% chance of meeting this
  - Comfort zone: additional time needed to have 95% chance
2. Schedule all activities using most likely values and starting all activities on latest start dates

# Most likely and comfort zone estimates (3 of 5)

Activity	Most likely	Plus comfort zone	Comfort zone
A	6	8	2
B	4	5	1
C	3	3	0
D	4	5	1
E	3	4	1
F	10	15	5
G	3	4	1
H	2	2.5	0.5

**TABLE 7.8** Most likely and comfort zone estimates (days)

# Critical chain approach (4 of 5)

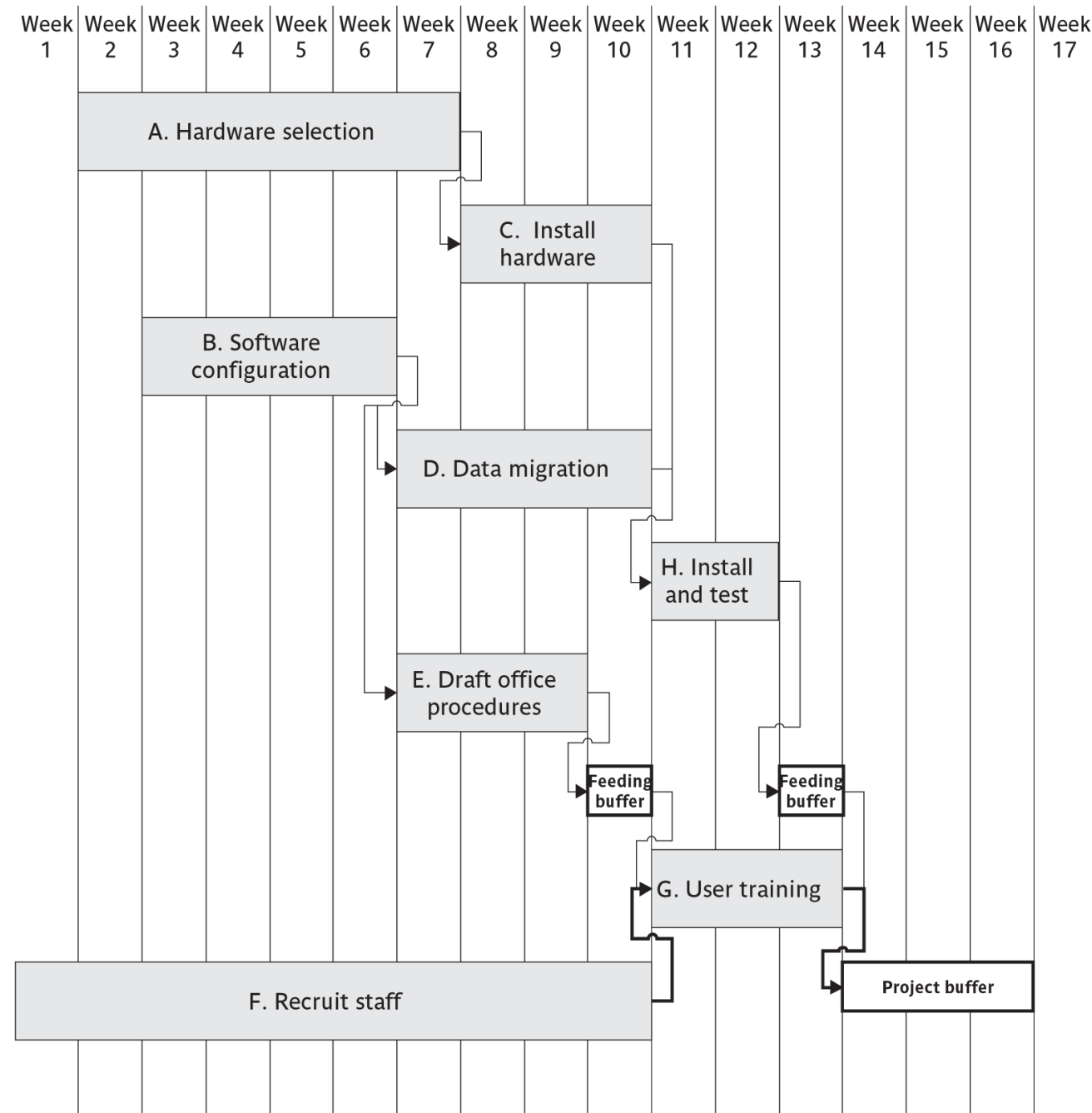
3. Identify **the critical chain** – same *a critical path* but **resource constraints** are also taken into account.
4. Put **a project buffer** at the end of the critical chain with duration 50% of sum of comfort zones of the activities on the critical chain.

# Critical chain approach (5 of 5)

5. Where subsidiary chains of activities *feed into critical chain*, add **a feeding buffer**
6. Duration of feeding buffer 50% of sum of comfort zones of activities in the feeding chain
7. Where there are parallel chains, take the longest and sum those activities

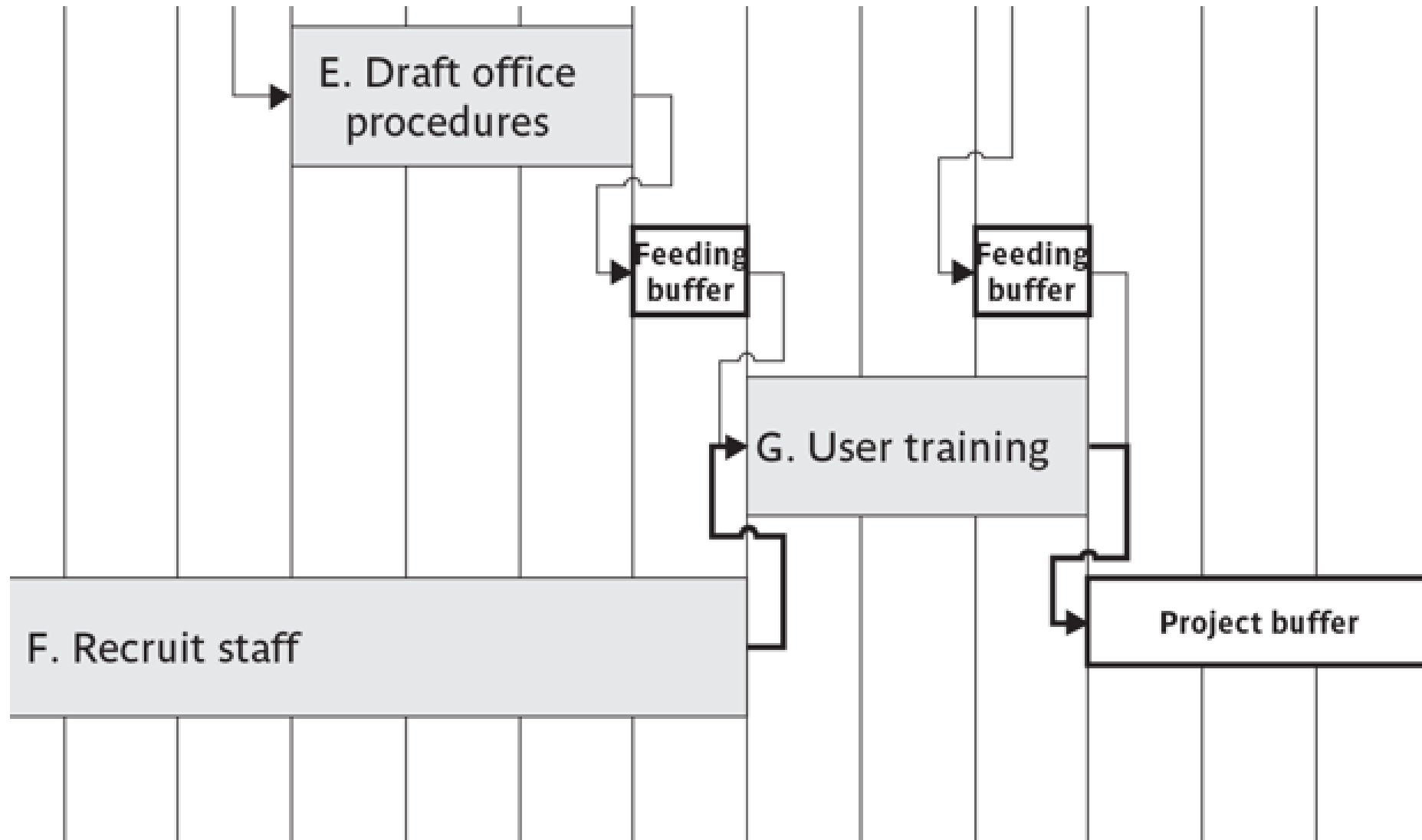


# Gantt chart - critical chain planning approach





# A closer look: critical chain



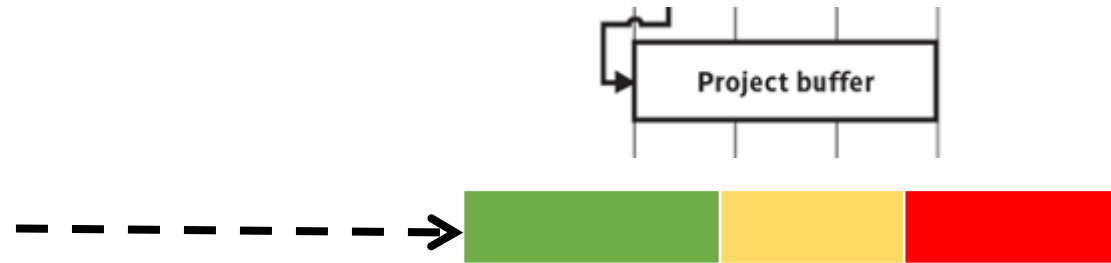
# Executing the critical chain-based plan

- No chain of tasks is started earlier than scheduled, but once it has started is finished as soon as possible
- This means the activity following the current one starts as soon as the current one is completed, even if this is early – **the relay race principle**



# Executing the critical chain-based plan

Buffers are divided into three zones of 33% each:



- **Green:** No action required if the project moves into this zone
- **Amber:** An action plan is formulated if the project moves into this zone
- **Red:** The action plan above is executed if the project moves into this zone

# Summary: Two Lectures on Risk Management

- Project risks
  - What causes project risks
- Risk Management Framework
  - Risk identification
  - Risk assessment
  - Risk reduction strategies
  - Risk monitoring
- Estimation techniques
  - Risk Exposure
  - Qualitative measures
- PERT
- Critical chain planning



# Thank you for your attention

Any questions, please?