

# Traffic flow optimization for urban xDSL based access networks

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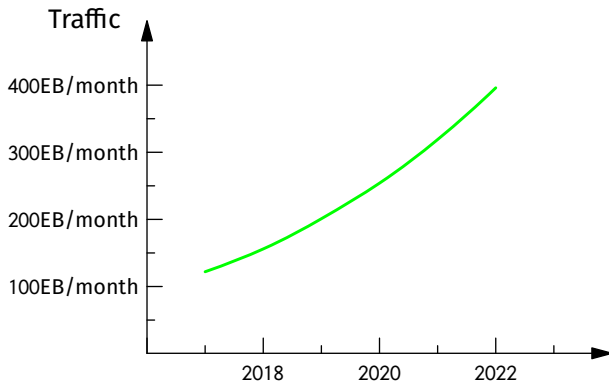


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# Introduction

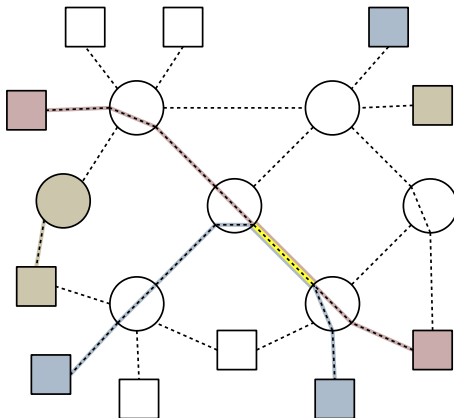
Internet is experiencing nowadays an unprecedented growth, both in terms of users and traffic.<sup>1</sup>



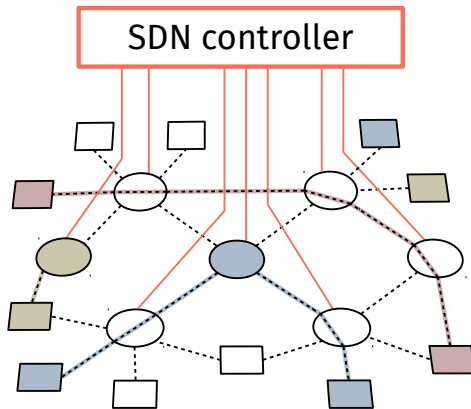
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<sup>1</sup>Cisco VNI Forecast, "Cisco Visual Networking Index: Forecast and Trends, 2017-2022, *Cisco Public Information*"

Implementing flow balancing, congestion avoidance and QoS guarantees is complex in current IP networks: their **fixed routing policies** are in fact difficult to adapt to the dynamic modern setting.



To guarantee flexibility it is necessary to decouple **data plane** and **control plane**, moving the routing logic to a central entity.



Currently no study quantifies the benefits provided by an SDN approach in common contexts, such as a city access network.



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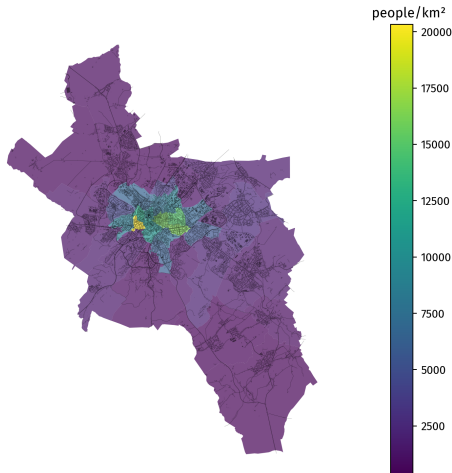
# Network design



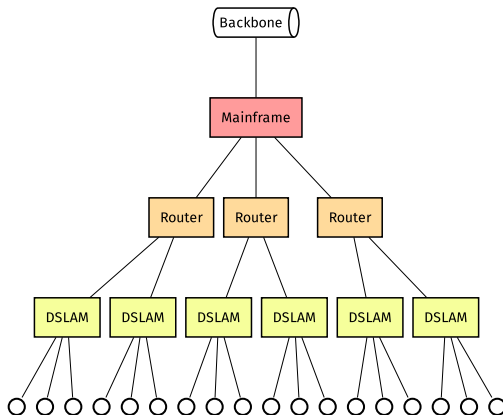
# Topographical analysis



Aachen access network schematics are not publicly available, so it was necessary to infer it from freely-accessible data.



An access network graph is typically a tree, whose root is connected to the backbone and leaves reach the customers.



Variable	Description
$G = (V, E)$	Graph describing the city topology
$T \subseteq V$	Set of terminal nodes
$l_e = l_{ij}$	Length of edge $e = (i, j) \in E$
$u_i$	Number of users at terminal $i \in T$
$x_e$	Indicator variable for edge $e$ activation
$c_r$	Cost of a single subtree root node
$c_f$	Cost of a fiber optic cable per meter
$c_e$	Cost of roadwork excavation per meter
$d_M$	Maximum distance from a terminal and its root
$n_M$	Maximum number of terminals per tree

$$\min_{\{x_e\}_{e \in E}} \left\{ \left( \sum_{t \in T} d_t u_t \right) c_c + \left( \sum_{e \in E} x_e l_e \right) c_e + \left( \sum_{e \in \delta^+(r)} x_e \right) c_r \right\} \quad \text{Minimize total cost}$$

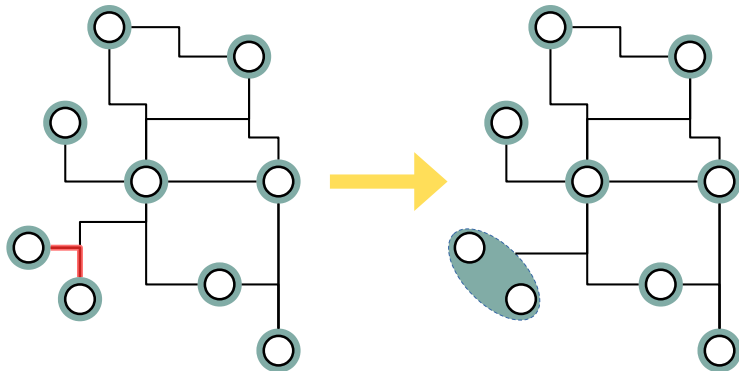
$$\left. \begin{aligned} \sum_{e \in \delta^-(j)} x_e & \begin{cases} = 0 & j = r \\ = 1 & j \in T \\ \leq 1 & j \in V \setminus T \end{cases} \\ \sum_{e \in \delta^+(r)} x_e & \geq 1 \end{aligned} \right\} \quad \text{Solution is a tree}$$

$$\left. \begin{aligned} \forall j \in V \cup \{r\}, d_j & \leq \left( \sum_{e \in \delta^-(j)} x_e \right) d_M \\ \forall (i, j) \in A & \begin{cases} d_j - d_i \geq l_{ij} x_{ij} - d_M (1 - x_{ij}) \\ d_j - d_i \leq l_{ij} x_{ij} + d_M (1 - x_{ij}) \end{cases} \end{aligned} \right\} \quad \text{Cable length is no more than } d_M$$

$$\left. \begin{aligned} \forall e \in A, n_e & \leq x_e n_M \\ \sum_{e \in \delta^-(j)} n_e - \sum_{e \in \delta^+(j)} n_e & = \begin{cases} p_j & j \in T \\ 0 & j \in V \setminus T \end{cases} \\ \sum_{e \in \delta^+(r)} n_e & = \sum_{i \in T} u_i \end{aligned} \right\} \quad \text{Users per group are up to } n_M$$

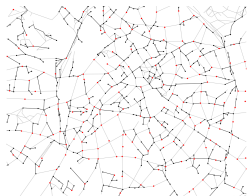
$$\forall e \in A, x_e \in \{0, 1\}, n_e \in \mathbb{N} \cup \{0\}, \forall j \in V \cup \{r\}, d_j \geq 0$$

CPLEX, our reference ILP solver, cannot find the optimum exactly above a certain instance size, because of resource limitations. In these cases we developed then an heuristic algorithm, inspired by **hierarchical clustering**.

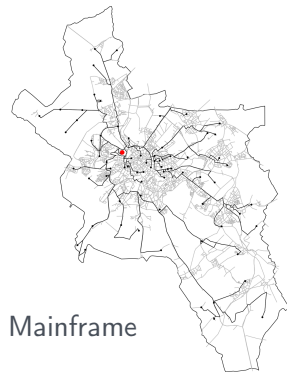


Proposed algorithm provides DSLAM, router and mainframe positions, shown in the maps. Heuristic solution cost gap with respect to the theoretical optimum, obtained via CPLEX on our case of study, is no more than 4%.

DSLAMs



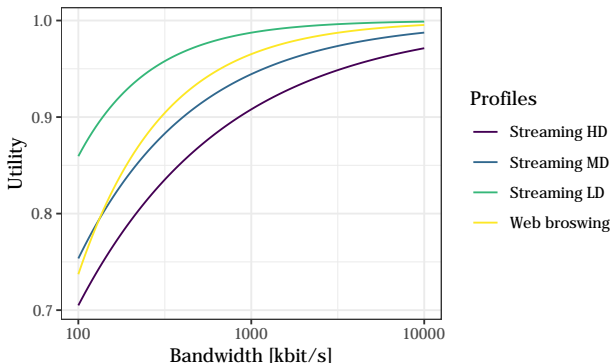
Routers



Mainframe

## Resource allocation

Every kind of user considered judges connection quality in different ways, according to the requested service.<sup>2, 3</sup>



<sup>2</sup>Laghari *et al.*, Quality-of-Experience perception for video streaming services

<sup>3</sup>Georgopoulos *et al.*, Towards network-wide QoE fairness using OpenFlow assisted adaptive video streaming

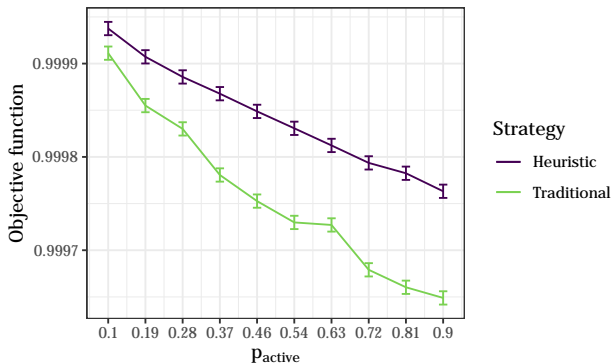


The only point that guarantees a **fair** resource distribution is the **Nash arbitration scheme**, an equilibrium point of the allocation game played among users.

$$f(\vec{\rho}) = \prod_i u_i(\rho_i) \quad (1)$$

This optimal working point is obtained maximizing the **objective function**  $f$ , product of the individual utilities.

Proposed resource allocation improves, in terms of objective  $f$  value, with respect to the legacy approach of **proportional fairness** of a significant extent, especially as traffic increases.



## Conclusions

- proposed heuristic is the most complete and performing available in literature, at the moment, to design an access network from geographical information
- using SDN principles can improve bandwidth allocation, and so network performance, especially when demand increases
- evaluating the **Nash arbitration scheme** requires limited computational resources