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#Import JuMP package to build an optimization model
using JuMP
#Import HiGHS solver
using HiGHS
#Create a JuMP model named picframe1 that will be solved using the
HiGHS solver
nutrition = Model(HiGHS.Optimizer);
#defining raw carrots, baked potatoes, wheat bread, cheddar cheese,
and peanut butter
@variable(nutrition, x1 \ge 0);
@variable(nutrition, x2 \ge 0);
@variable(nutrition, x3 \ge 0);
@variable(nutrition, x4 \ge 0);
@variable(nutrition, x5 \ge 0);
#Constraints
@constraint(nutrition, calories, \frac{23}{1} + \frac{171}{1} \times \frac{2}{1} + \frac{65}{1} \times \frac{3}{1} + \frac{112}{1} \times \frac{4}{1} \times \frac{188}{1} \times \frac{5}{1} \times \frac{1}{1} \times \frac{1
2000);
@constraint(nutrition, fat, 0.1x1 + 0.2x2 + 9.3x4 + 16x5 >= 50);
@constraint(nutrition, protein, 0.6x1 + 3.7x2 + 2.2x3 + 7x4 + 7.7x5 >=
100);
@constraint(nutrition, carbs, 6x1 + 30x2 + 13x3 + 2x5 \ge 250);
#Objective Function
@objective(nutrition, Min, 0.14x1 + 0.12x2 + 0.2x3 + 0.75x4 + 0.15x5);
#Print out the model
print(nutrition)
latex formulation(nutrition)
optimize!(nutrition)
# Print results
@show value(x1)
@show value(x2)
@show value(x3)
@show value(x4)
@show value(x5)
@show objective value(nutrition)
Min 0.14 \times 1 + 0.12 \times 2 + 0.2 \times 3 + 0.75 \times 4 + 0.15 \times 5
Subject to
   calories : 23 x1 + 171 x2 + 65 x3 + 112 x4 + 188 x5 \geq 2000
   fat : 0.1 \times 1 + 0.2 \times 2 + 9.3 \times 4 + 16 \times 5 \ge 50
    protein : 0.6 \times 1 + 3.7 \times 2 + 2.2 \times 3 + 7 \times 4 + 7.7 \times 5 \ge 100
    carbs : 6 \times 1 + 30 \times 2 + 13 \times 3 + 2 \times 5 \ge 250
   x1 \ge 0
   x2 \ge 0
   x3 \ge 0
```

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x4 \ge 0
 x5 \ge 0
Running HiGHS 1.7.2 (git hash: 5ce7a2753): Copyright (c) 2024 HiGHS
under MIT licence terms
Coefficient ranges:
  Matrix [1e-01, 2e+02]
         [1e-01, 8e-01]
  Cost
  Bound [0e+00, 0e+00]
         [5e+01, 2e+03]
 RHS
Presolving model
4 rows, 4 cols, 15 nonzeros Os
4 rows, 2 cols, 8 nonzeros 0s
Presolve: Reductions: rows 4(-0); columns 2(-3); elements 8(-10)
Solving the presolved LP
Using EKK dual simplex solver - serial
                                 Infeasibilities num(sum)
  Iteration
                   Objective
                0.0000000000e+00 Pr: 4(975) 0s
                2.3177549195e+00 Pr: 0(0) 0s
Solving the original LP from the solution after postsolve
Model
       status : Optimal
          iterations: 3
Simplex
Objective value : 2.3177549195e+00 HiGHS run time : 0.00
Optimal Solution:
value(x1) = 0.0
value(x2) = 7.714669051878355
value(x3) = 0.0
value(x4) = 0.0
value(x5) = 9.279964221824686
objective_value(nutrition) = 2.3177549194991056
2.3177549194991056
```