# **EXPERIMENT NO.: 06**

- **6.1 Objective:** To evaluate the solution of fourth order differential equation by R K method using C/C++.
- **6.2 Theory:** The solution of the differential equation of first order  $\frac{d}{d} = f(,)$  is given by the formula:

$$k_{1} = h \times f(x_{0}, y_{0})$$

$$k_{2} = h \times f(_{0} + _{2}, _{0}^{h} + _{2}^{h})$$

$$k_{3} = h \times f(_{0} + _{2}, _{0}^{h} + _{2}^{h})$$

$$k_{4} = h \times f(_{0} + h, _{0} + k_{3})$$

$$\Delta y = \frac{1}{6} \times [k_{1} + 2(k_{2} + k_{3}) + k_{4}]$$

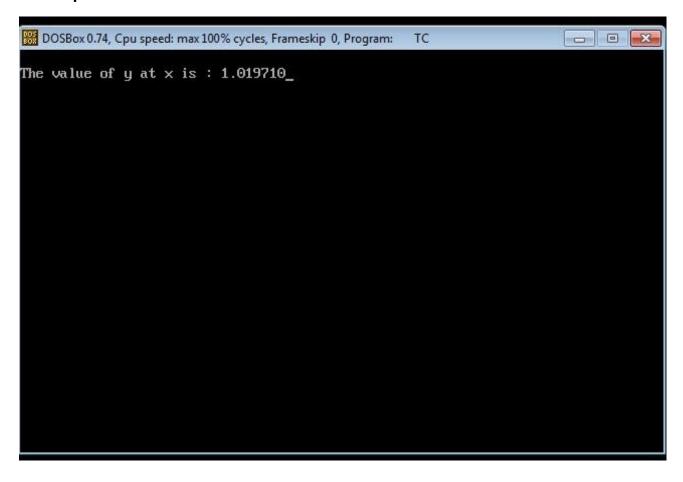
$$Y_{1} = y_{0} + \Delta y$$

#### **6.3 Procedure/Code:**

```
#include<iostream.h>
#include<conio.h>
#include<math.h>
float dydx(float x, float y)
{
    return((x - y)/2);
}
float RungeKutta(float x0, float y0, float x, float h)
{
    int n = (int)((x - x0) / h);
    float k1, k2, k3, k4, k5;
```

```
float y = y0;
for (int i=1; i<=n; i++)
{
      k1 = h*dydx(x0, y);
       k2 = h*dydx(x0 + 0.5*h, y + 0.5*k1);
       k3 = h*dydx(x0 + 0.5*h, y + 0.5*k2);
       k4 = h*dydx(x0 + h, y + k3);
      y = y + (1.0/6.0)*(k1 + 2*k2 + 2*k3 + k4);;
      x0 = x0 + h;
}
return y;
}
int main()
{
clrscr();
float x0 = 0, y = 1, x = 2, h = 0.2;
printf("\nThe value of y at x is : %f", RungeKutta(x0, y, x, h));
return 0;
getch();
}
```

## 6.4 Output:



## **EXPERIMENT NO.: 05**

- **5.1 Objective:** To evaluate the solution of first order differential equation by Euler's Method using C/C++.
- **5.2 Theory:** The solution of the differential equation of first order  $\frac{d}{d} = f(,)$  is given by the formula: n+1 = n + f(n,n)

#### **5.3 Procedure/Code:**

```
#include<iostream.h>
#include<conio.h>
#include<math.h> using
namespace std; float
func(float x, float y)
{
  return (x + y + x * y);
void Euler(float x0, float y, float h, float x)
  float temp = -0;
  while (x0 < x)
  {
         temp = y;
         y = y + h * func(x0, y);
         x0 = x0 + h;
  cout << "Approximate solution at x = "
         << x << " is " << y << endl;
int main()
{
  clrscr();
  float x0 = 0;
  float y0 = 1;
  float h = 0.025;
  float x = 0.1:
```

```
Euler(x0, y0, h, x);
getch();
return 0;
}
```

#### 5.4 Output:

```
DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program: TC

Approximate solution at x = 0.1 is 1.111673

-
```