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## Header

```
% Name: Logan Calder
% Lab Number: 1
% Class: ECEN 50L
% Date: 4/9/24
% Section time: 14:15T
```

## PART 1

```
% Equation Creation

disp((3.7*4+3*5+2.3*3)/(4+5+3)); % Displaying the equation to console

3.0583
```

## PART 2

```
% Cosine of a value in even steps

a=pi*0.1*[0:19];
disp(cos(a)); % Displays the cos of a in even steps of 0.1pi * i, where i is
0:19.
```

*Columns 1 through 7*

1.0000	0.9511	0.8090	0.5878	0.3090	0.0000	-0.3090
--------	--------	--------	--------	--------	--------	---------

*Columns 8 through 14*

-0.5878	-0.8090	-0.9511	-1.0000	-0.9511	-0.8090	-0.5878
---------	---------	---------	---------	---------	---------	---------

*Columns 15 through 20*

-0.3090	-0.0000	0.3090	0.5878	0.8090	0.9511
---------	---------	--------	--------	--------	--------

---

## PART 3

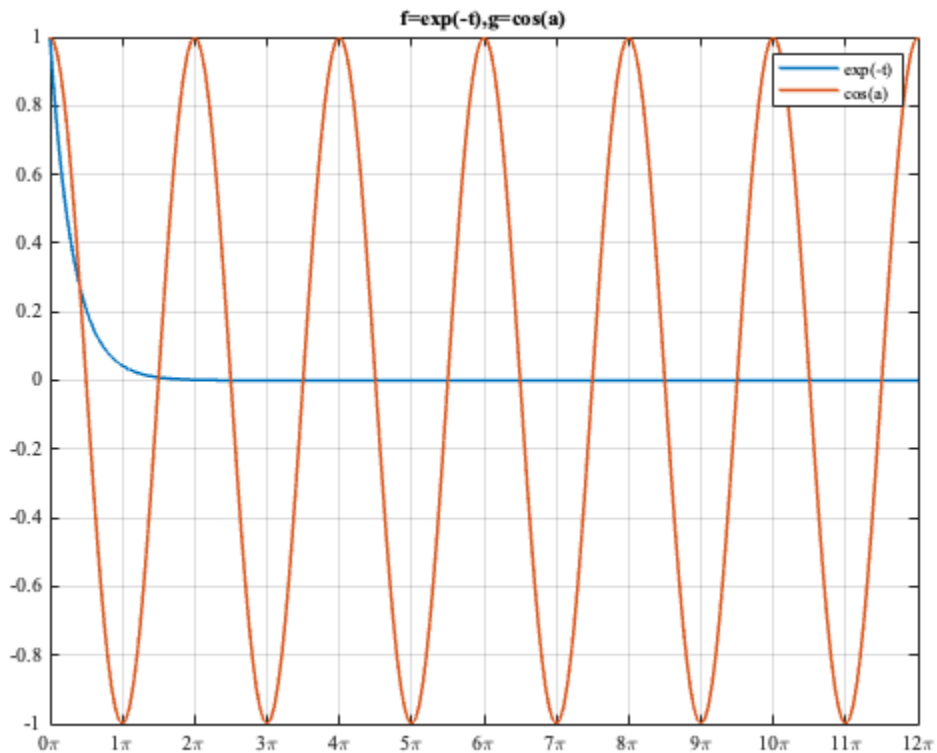
% Creating Plot

% Below is equation and varaible declaration

```
t=[0:0.01:100]; % This is the range for t var  
a = pi * [0:0.05:12]; % Range for a var  
plot (t, exp(-t), a, cos(a), linewidth=1.5); %% Plotting each var w/  
respective equations
```

% The bellow is plot formatting

```
xlim([0,12*pi]);  
title('f=exp(-t),g=cos(a)');  
xticks(pi*[0:1:12]);  
Labels = string([0:1:12]) + "\pi";  
xticklabels(Labels);  
legend("exp(-t)" , "cos(a)");  
set(findall(gca, '-Property', 'FontName'), 'FontName', 'Times New Roman');  
grid on;
```



---

## PART 4

```
clear all;
close all;

% Equation Creation
syms x;
f = (exp(-3*x) + 10*sin(x+1)) / (cos(x+1));
g = (exp(-2*x) / (1+(exp(-2*x))));
h = -4*x^2;

% Differentiation
Df1 = diff(f,x);
Df2 = diff(g,x);

pretty(Df1);
pretty(Df2);

% Integration
If1 = int(h,x, [-2,2]);

pretty(If1);
```

$$\frac{10 \cos(x + 1) - \exp(-3 x)^3 \sin(x + 1) (\exp(-3 x) + 10 \sin(x + 1))}{\cos(x + 1)} + \frac{\exp(-4 x)^2}{\cos(x + 1)^2} - \frac{\exp(-2 x)^2}{\exp(-2 x) + 1}$$
$$- \frac{64}{3}$$

## PART 5

```
A = [ 2,1; 3,2];
B = [ 3,1; 2,2];

% Transposes
disp(A');
disp(B');

% Matmul
A1 = A * B;
```

---

```

A2 = B * A;
A3 = (A' * B')';
A4 = (B' * A')';

disp(A1); % Same as A4
disp(A2); % Same as A3
disp(A3);
disp(A4);

A5 = inv (A * B);
A6 = inv(A) * inv(B);
A7 = inv (B * A);
A8 = inv(B) * inv(A);

% Inverses

% We may see that the below matrices being multiplied are inverses as they
% produce the identity matrix.

disp(A1*A5);
disp(A3*A6);
disp(A2*A7);
disp(A4*A8);

% Matrix Multiplications
% The below matrix multiplications produce the same results.

disp(A1*(A*B));
disp((A*B)*A1);

      2      3
      1      2

      3      2
      1      2

      8      4
     13      7

      9      5
     10      6

      9      5
     10      6

      8      4
     13      7

     1.0000    -0.0000
     0.0000     1.0000

      1      0
      0      1

```

---

---

```
1.0000    0.0000
0.0000    1.0000
```

```
1.0000    0
-0.0000    1.0000
```

```
116    60
195    101
```

```
116    60
195    101
```

## PART 6

```
% Matrix Declarations
```

```
C = [ 1,0,1; 3,3,4; 2,2,3];
```

```
S = [10;12;5];
```

```
% Inverting C
```

```
Ci = inv(C)
```

```
% Calculating Answer
```

```
V = Ci*S
```

```
% Double Checking Work
```

```
C*V % This gives us S, verifying the work
```

```
Ci =
```

```
1.0000    2.0000   -3.0000
-1.0000    1.0000   -1.0000
0         -2.0000    3.0000
```

```
V =
```

```
19.0000
-3.0000
-9.0000
```

```
ans =
```

```
10.0000
12.0000
5.0000
```

---

# PART 7

```
% Clearing

clear all;
close all;

% Entering Variables for Known Variables

% Voltages
Vs = 12;

% Current
Is1 = 4e-3;
Is2 = 2e-3;

% Resistance
R1 = 1e3;
R2 = R1;
R3 = R1;
R4 = R1;
R5 = R1;
R6 = R1;

% Define Unknown Symbolic Variables

syms Va Vb Vc Vd;

% Equations

eq1 = -Is1 + (Va-Vb)/R1 + (Vd-Vc)/R2 + Vd/R5 + Vd/(R3+R6) == 0;
eq2 = (Vb-Va)/R1 + Is2 + Vc/R4 + (Vc-Vd)/R2 == 0;
eq3 = Vc - Vb == Vs;
eq4 = Vd - Va == 2*Vc;

% Enter Equations & Variables
eqns = [eq1, eq2, eq3, eq4];
vars = [Va, Vb, Vc, Vd];

% Turning Equations to Matrix

[C, S] = equationsToMatrix(eqns, vars);

% Solving For V

V = inv(C) * S;
pretty(C);
pretty(S);
pretty(V)
```

$$\begin{array}{c} / \quad 1 \quad \quad 1 \quad \quad 1 \quad \quad 1 \quad \backslash \\ / \quad \text{----}, \quad - \text{----}, \quad - \text{----}, \quad \text{---} \quad / \end{array}$$

---


$$\begin{array}{ccccccc} / & 1000 & & 1000 & & 1000 & & 400 & / \\ / & & & & & & & & / \\ / & 1 & & 1 & & 1 & & 1 & / \\ / & - \frac{\quad}{1000}, & & \frac{\quad}{1000}, & & \frac{\quad}{500}, & & - \frac{\quad}{1000} & / \\ / & & & & & & & & / \\ / & 0, & & -1, & & 1, & & 0 & / \\ / & & & & & & & & / \\ \backslash & -1, & & 0, & & -2, & & 1 & / \end{array}$$

$$\begin{array}{ccc} / & 1 & \backslash \\ / & --- & / \\ / & 250 & / \\ / & & / \\ / & 1 & / \\ / & - --- & / \\ / & 500 & / \\ / & & / \\ / & 12 & / \\ / & & / \\ \backslash & 0 & / \end{array}$$

$$\begin{array}{ccc} / & -4 & \backslash \\ / & & / \\ / & -10 & / \\ / & & / \\ / & 2 & / \\ / & & / \\ \backslash & 0 & / \end{array}$$

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