



Compilers

Recursive Descent Algorithm Limitations

$E \rightarrow T \mid T + E$

$T \rightarrow \text{int} \mid \text{int} * T \mid (E)$

```
bool term(TOKEN tok) { return *next++ == tok; }
```

```
bool E1() { return T(); }
```

```
bool E2() { return T() && term(PLUS) && E(); }
```

```
bool E() { TOKEN *save = next; return (next = save, E1())  
      || (next = save, E2()); }
```

```
bool T1() { return term(INT); }
```

```
bool T2() { return term(INT) && term(TIMES) && T(); }
```

```
bool T3() { return term(OPEN) && E() && term(CLOSE); }
```

```
bool T() { TOKEN *save = next; return (next = save, T1())  
      || (next = save, T2())  
      || (next = save, T3()); }
```

- If a production for non-terminal X succeeds
 - Cannot backtrack to try a different production for X later
- Completely general recursive-descent algorithms support such “full” backtracking

- Presented recursive descent algorithm is not general
 - But is easy to implement by hand
- Is sufficient for grammars where for any non-terminal at most one production can match
- The example grammar can be rewritten to work with the presented algorithm
 - By *left factoring*, the topic of a future video