

```
R = input("enter the relational matrix 'R': ")
S = input("enter the relational matrix 'S': ")
```

## transitivity

```
n=input('enter the order of the matrix R: ')
```

```
n =
3
```

```
R=input('enter the matrix R: ')
```

```
R = 3x3
     1     0     0
     0     1     1
     0     1     0
```

```
trans=1; %or true
for i=1:n
    for j=1:n
        for k=1:n
            if (R(i,k)==1 && R(k,j)==1 && R(i,j)==0)
                fprintf('Not transitive')
                trans=0; %or false
                break
            end
        end
    end
end
if trans==1
    fprintf('Transitive')
end
```

```
Transitive
```

## reflexivity

```
function thereflexivity(Matrics,nameomatrix)
    is_reflexive = true;
    for i = 1:width(Matrics)
        if(Matrics(i,i) ~= 1)
            is_reflexive = false;
            break
        end
    end

    if(is_reflexive)
        fprintf("The given matrix %s is reflexive",nameomatrix)
```

```

else
    fprintf("The given matrix %s is not reflexive",nameomatrix)
end
end

thereflexivity(R,"R")
thereflexivity(S,"S")

```

## symetric

```

function chk_symmetry(M, name_of_matrix)
    is_symmetric = true;
    for i = 1:size(M, 1)
        for j = 1:size(M, 2)
            if M(i, j) ~= M(j, i)
                is_symmetric = false;
                break
            end
        end
    end

    if(is_symmetric)
        fprintf('The given matrix %s is symmetric.\n', name_of_matrix);
    else
        fprintf('The given matrix %s is asymmetric.\n', name_of_matrix);
    end
end

chk_symmetry(R, 'R');
chk_symmetry(S, 'S');

```

## question 1)

### M (r union s)

```

R=input('enter the order of the matrix R: ')
S=input('enter the order of the matrix R: ')

R | S

```

## question 2)

### M (R intersection S)

```

R=input('enter the order of the matrix R: ')

```

```
S=input('enter the order of the matrix R: ')
```

$R \ \& \ S$

### question 3)

#### $M(R - S)$

$R \ \& \ \sim S$

### question 4)

#### $M(S - R)$

$S \ \& \ \sim R$

### question 5)

#### $M(R \text{ xor } S)$

$XOR(R, S)$

### composition of relation

$R * R$

$R * S$