



Time Series Summer 2020

# Forecasting International Flight Passengers

Lola Johnston | Julian Kleindiek | Kelley Monzella | Jerry Sha

# AGENDA

Intro .....  
EDA .....  
Modeling .....  
Evaluation .....  
Implementation..  
Takeaways .....



# Our goal is to forecast the number of travelers flying to different regions of the world from America over time.

---

## PROBLEM TO SOLVE

Can we predict how many people will fly to specific regions of the world each month, over the next year?

## BUSINESS APPLICATION

- Airlines logistics
- Tourism planning



Our dataset comprises international flights over three decades.

---

**DATA SOURCE**

U.S. Department of Transportation Office of the Assistant Secretary for Aviation and International Affairs

**MONTHLY PASSENGERS  
600K+ ROWS  
YEARS 1990 - 2019**

**550+ airlines  
900+ airports (non-US)  
160+ countries**

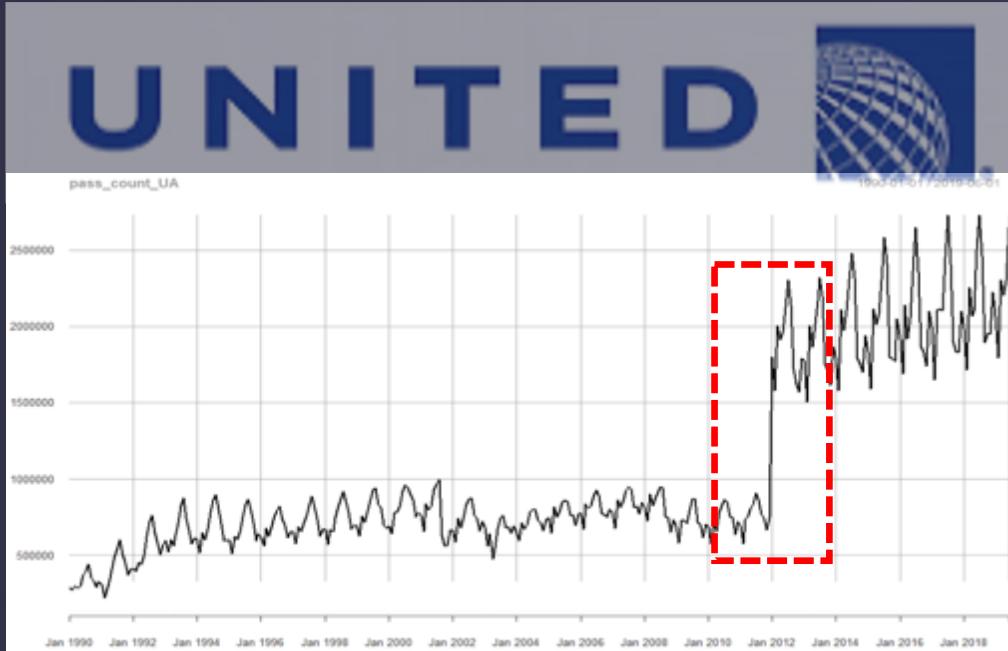


PART 2/6

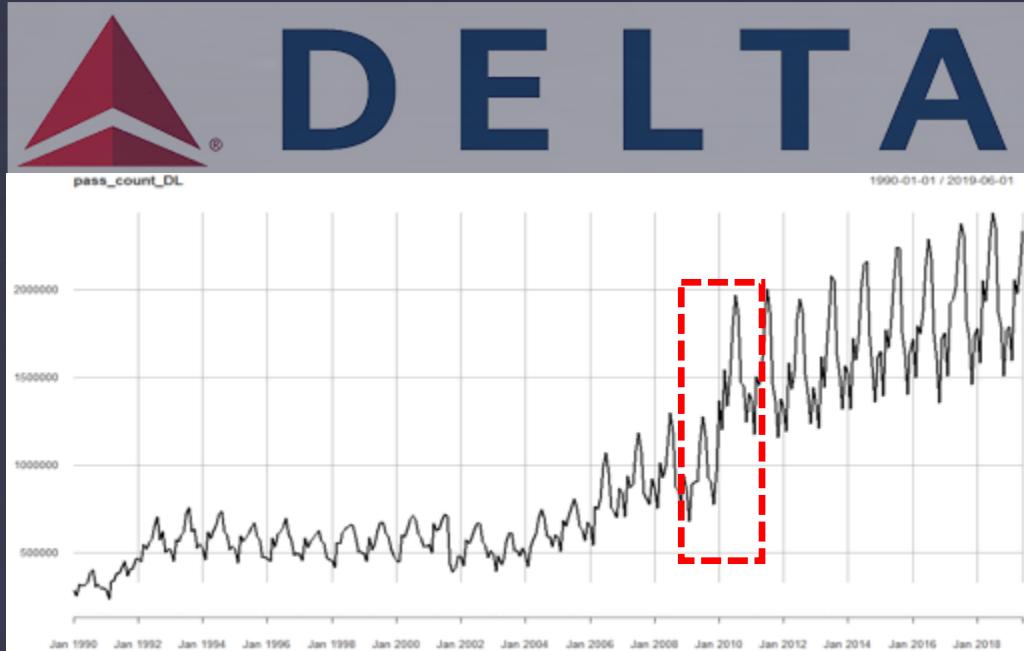
EDA

We attempted aggregation by carrier but found the data cumbersome due to frequent mergers between airlines.

---



United Airlines  
(merged with Continental Airlines in 2012)

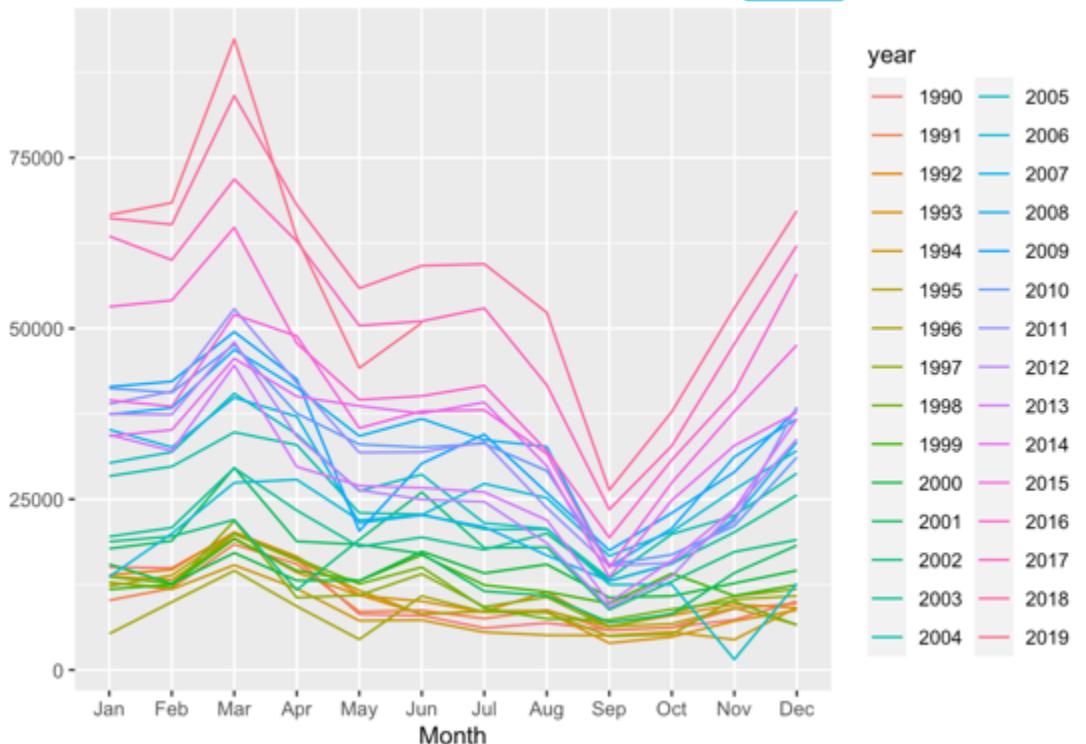


Delta Airlines  
(merged with Northwest Airlines in 2010)

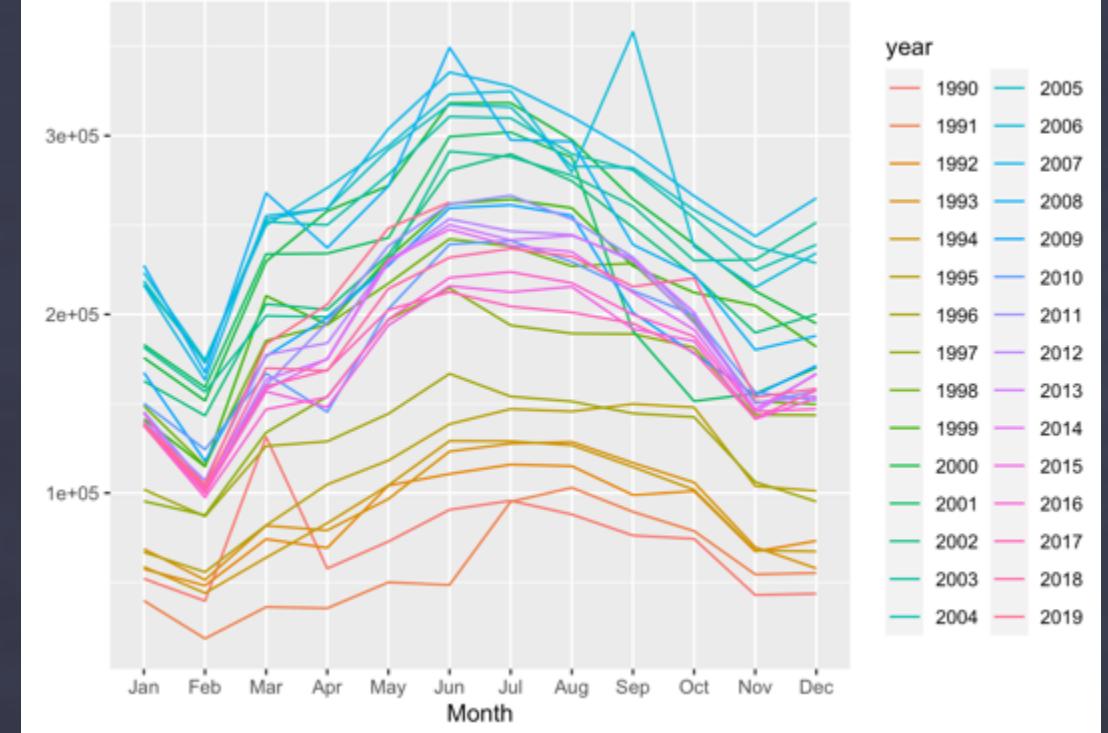
We explored our data by airports but didn't consider it further because of the number of possible combinations.



Seasonal plot ORD-CUN



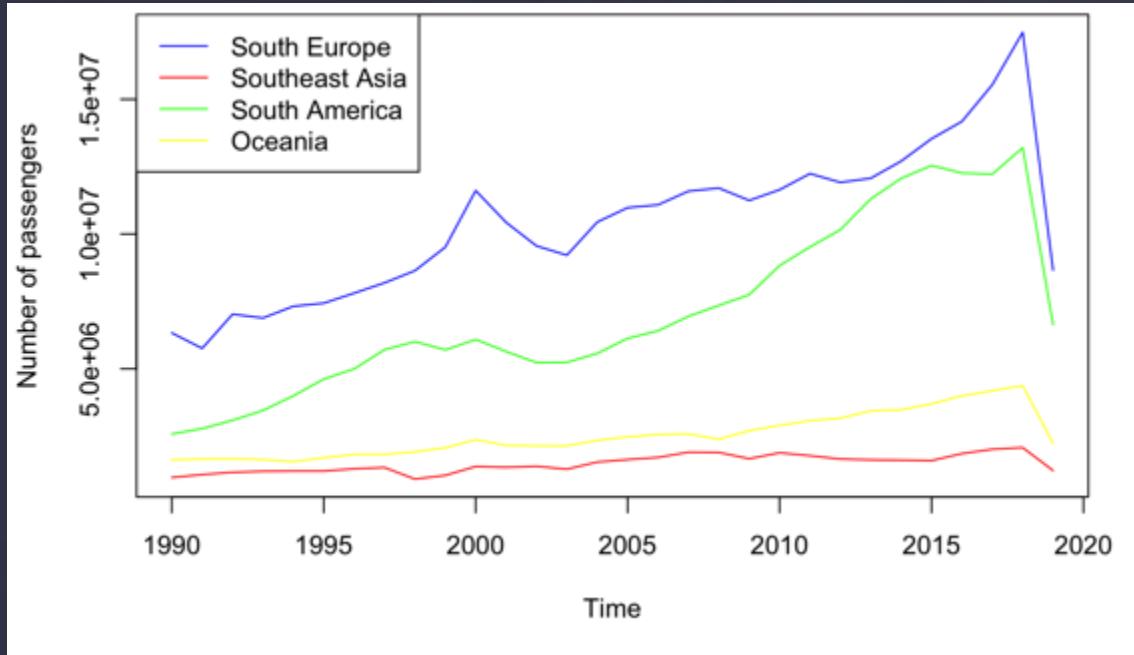
Seasonal plot ORD-LHR



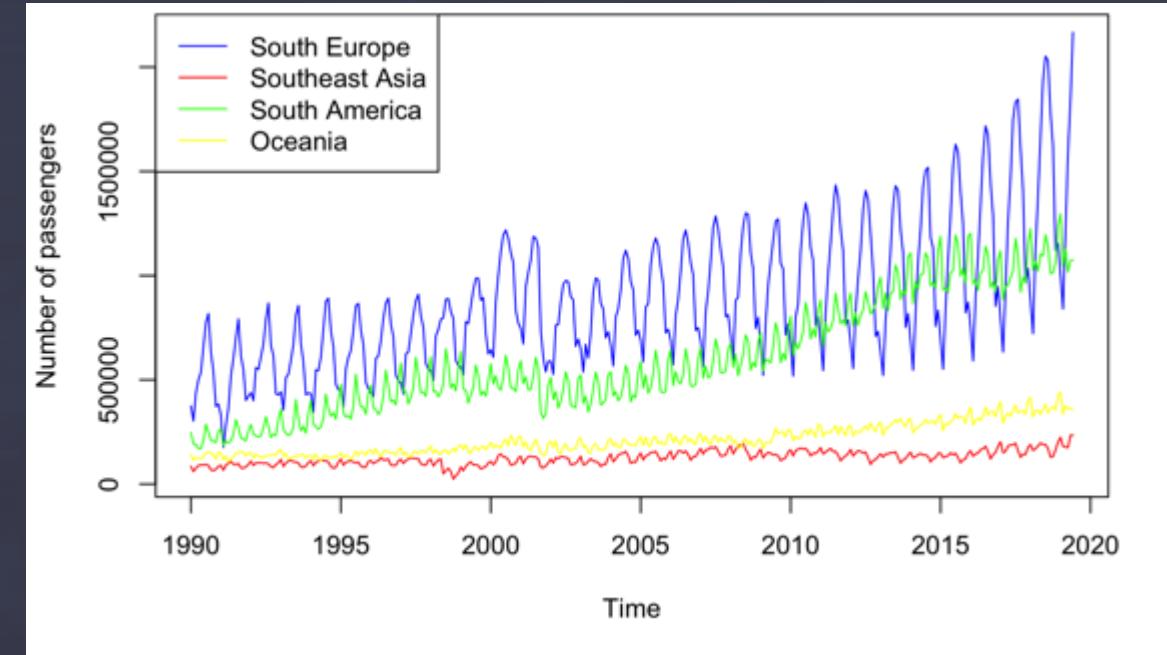
We then explored our data by region and selected South Europe as the focus for our modeling efforts.

---

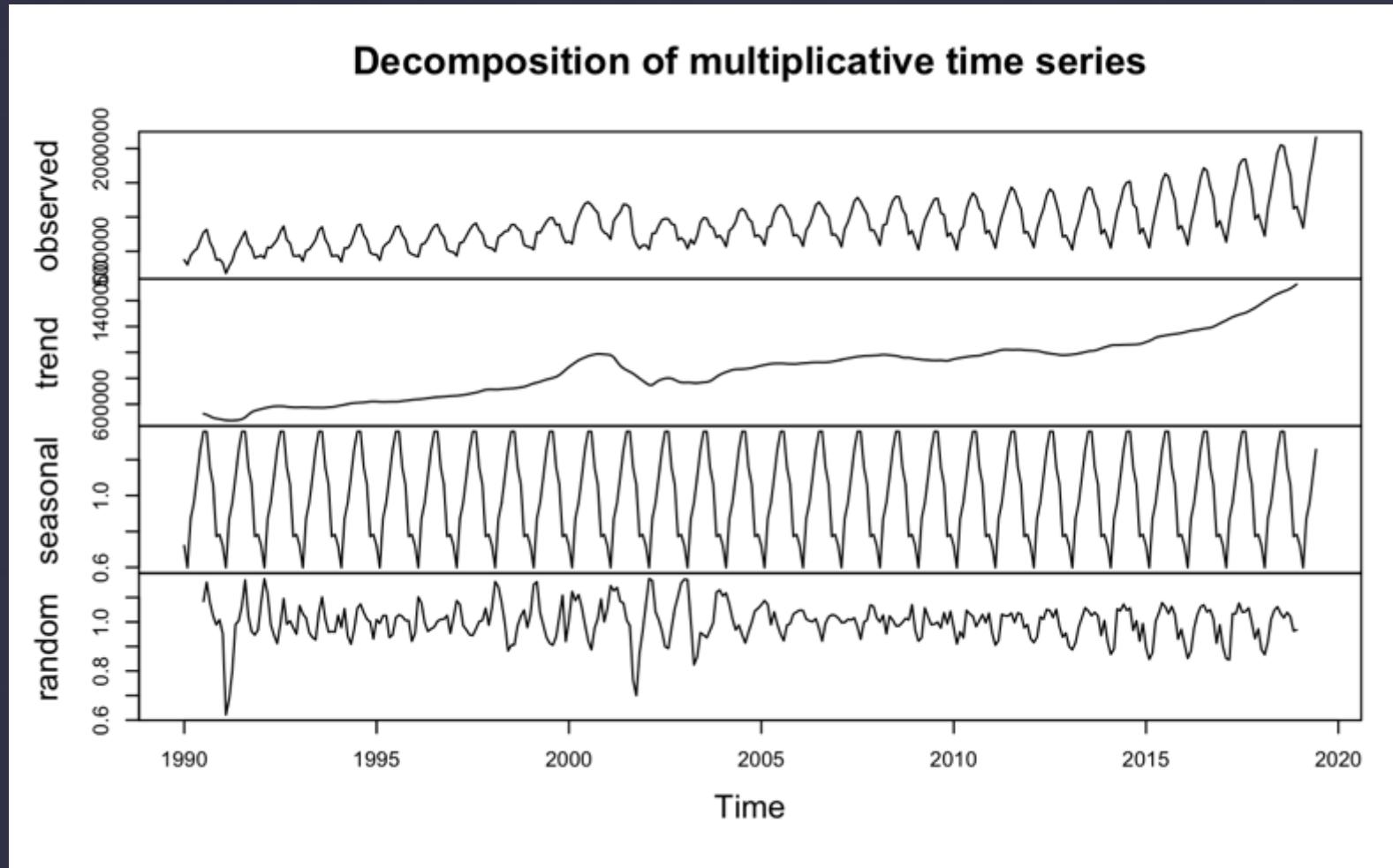
Int'l travel from the US by **year**



Int'l travel from the US by **month**



# South Europe represented an interesting subset of our data for further analysis.



- 1) **Positive trend**  
validated by KPSS test with a shock in 2001
- 2) **Multiplicative** time series so Box-Cox transformation needed
- 3) **Multiple seasonality**

# The ACF and PACF helped us better understand the data for modeling.

## Seasonal differencing

From earlier plots, we know that there was seasonality in the data ( $D = 1; s = 12$ )

## Non-seasonal differencing

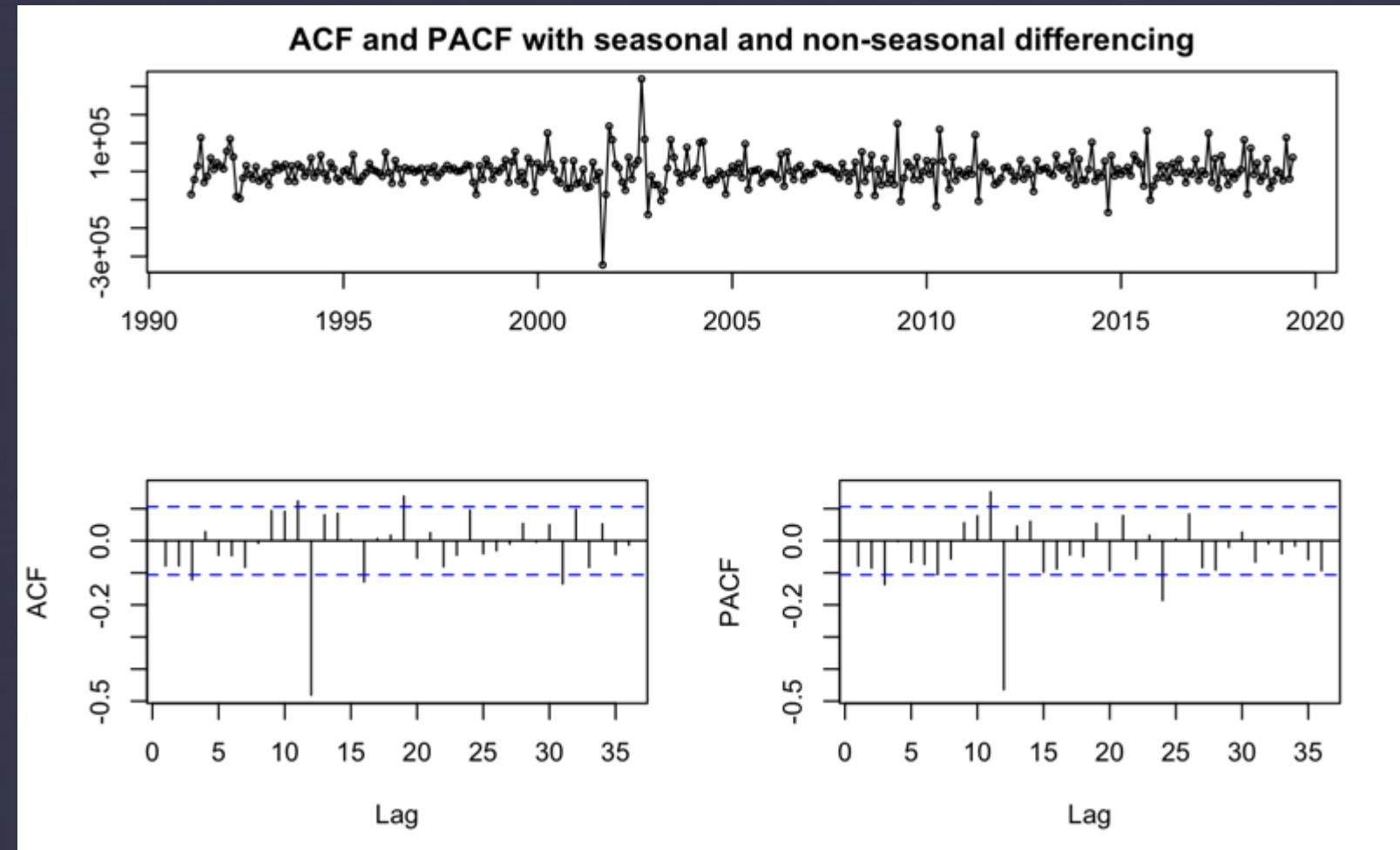
From earlier plots, we know that the data was non-stationary ( $d = 1$ )

## AFC

Cutoff at lag 12  
(Q could be 1)

## PACF

Cutoff at lag 12 and 24  
(P could be 1 or 2)



A photograph of a pilot in a cockpit. The pilot is wearing a blue uniform and glasses, looking down at a flight control panel. The panel is filled with numerous glowing blue and green digital displays, each showing different flight parameters like altitude, speed, and navigation information. The background shows the interior of a modern aircraft with various control sticks and levers.

PART 3/6

# Model selection

## MODELS

AVERAGE

NAÏVE

SEASONAL NAÏVE

RANDOM WALK

SES

HOLT WINTERS

ETS

TBATS

ARIMA

AUTO ARIMA

VAR

## MODELS

## QUICK DESCRIPTION

<b>AVERAGE</b>	Average of historical data, flat forecast
<b>NAÏVE</b>	Last point, flat forecast
<b>SEASONAL NAÏVE</b>	Last seasonal period
<b>RANDOM WALK</b>	Last point but with a constant/drift
<b>SES</b>	Considers level only, not suitable for trend & seasonality
<b>HOLT WINTERS</b>	SES but allows trend and seasonality (only 1 seasonal)
<b>ETS</b>	Holt Winters w/ state space, accepts non-stationary data
<b>TBATS</b>	Accepts non-stationary data, Holy grail
<b>ARIMA</b>	Requires stationary data
<b>AUTO ARIMA</b>	Accepts non-stationary data, Holy grail
<b>VAR</b>	Multivariate

# We learned that inconsistencies across inputs made evaluations difficult.

---

## problems

Insignificant insights to guide model selection

Inconsistency across inputs



# We learned that inconsistencies across inputs made evaluations difficult.

---

## problems

Insignificant insights to guide model selection

Inconsistency across inputs



## solution

Use consistent input across all models:

**differenced data**



# Final models.

---

MODELS	QUICK DESCRIPTION	PARAMETERS
<b>ETS</b>	Holt Winters w/ state space, accepts non-stationary data	(M,Ad,M) $\alpha$ 0.16   $\beta$ 0.09   $\gamma$ 0.84   $\phi$ 0.85
<b>TBATS</b>	Accepts non- stationary data, Holy grail	(0.001, {0,0}, -, {<12,5>}) $\lambda$ 0.0005   $\alpha$ 0.77   $\gamma$ 1: 0.001   $\gamma$ 2: 0.011 fourier 5
<b>ARIMA</b>	Requires stationary data	(3,1,3)(1,1,2)[12] boxcox lambda= -0.002
<b>AUTO ARIMA</b>	Accepts non-stationary data, Holy grail	(1,1,0)(2,1,0)[12] boxcox lambda= -0.002
<b>VAR</b>	Multivariate	VAR 4 , Additional variables: CPI & Inflation

# Using VAR() we attempted multi-variate forecasting.

---

PRICE ELASTICITY OF FLIGHTS = -0.7

 **PRICE +10%**  
 **DEMAND - 7%**

# Using VAR() we attempted multi-variate forecasting.

---

PRICE ELASTICITY OF FLIGHTS = -0.7

 **PRICE +10%**  
 **DEMAND - 7%**

ADDITIONAL VARIABLES:

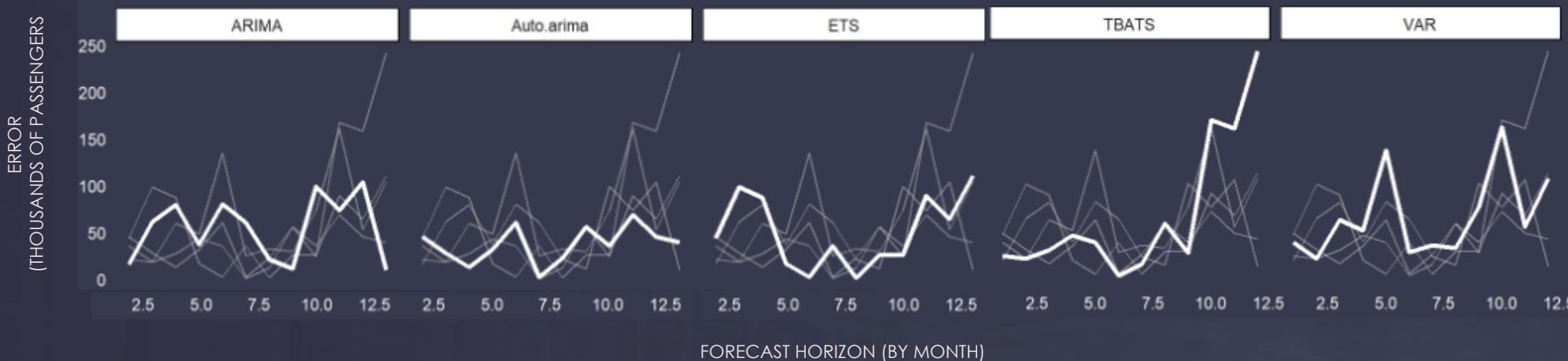


A silhouette of a large commercial airplane is centered against a background of a sunset or sunrise. The sky is a gradient from dark blue at the top to warm orange and yellow near the horizon. The airplane's tail, wings, and engines are clearly visible. A bright light source, likely the sun, is positioned directly behind the aircraft, creating a strong lens flare effect.

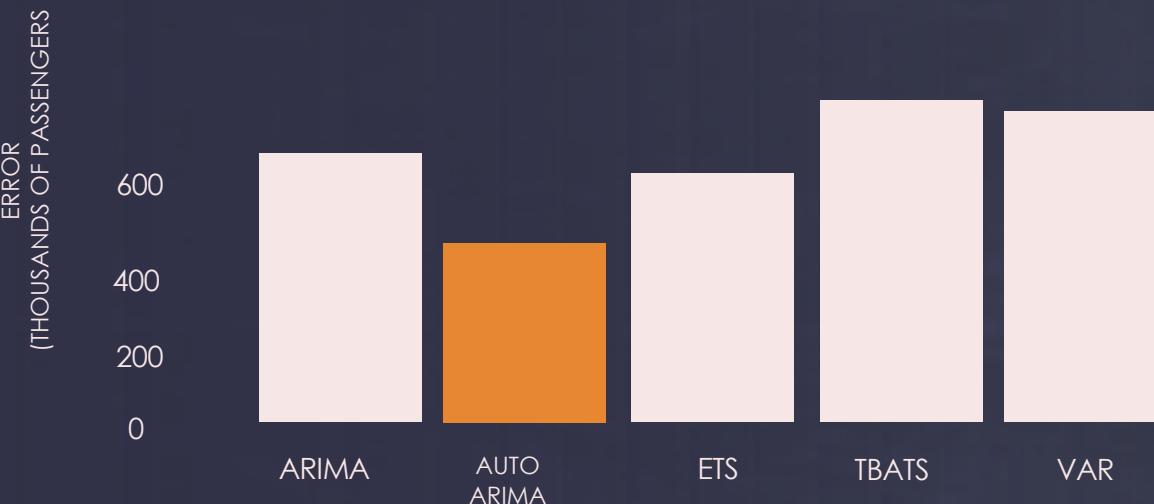
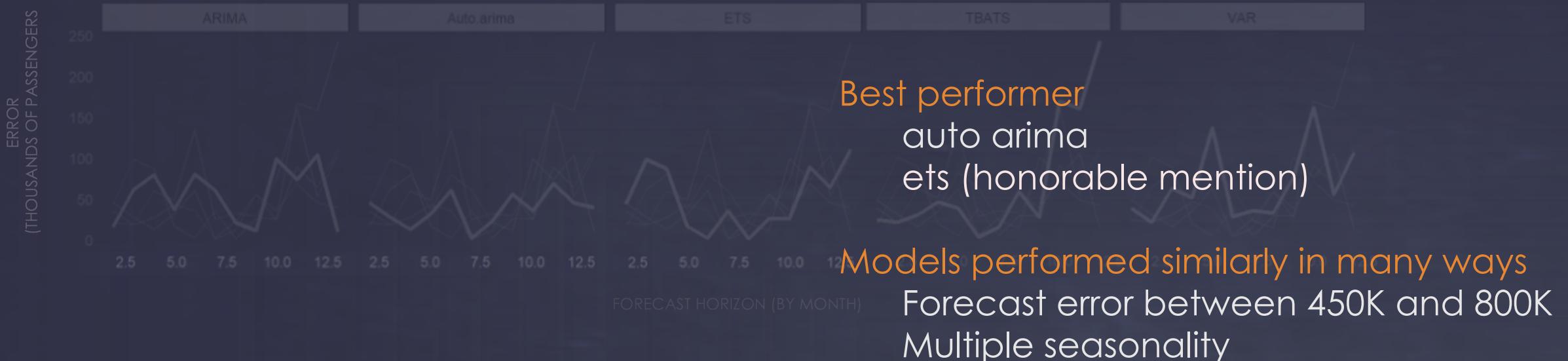
PART 4/6

# Evaluation

# Forecast accuracy by month



# Forecast accuracy takeaways



Notable difference exist  
TBATS forecast horizon  
Auto.arima vs. hand-tuned  
Not shown: naïve, average, other poor performing models

PART 5/6

# Implementation



# Future directions.

## International flights forecasting - Traveling to Southern Europe

Choose your parameters and start modeling time series data.

Departure airport

EWR

Arrival airport

BCN

Time Series Model

Autoarima

Choose forecast horizon



Submit

Step 1. Plot your data

Stationarity Summary:

Your data are not stationary according to a KPSS test and your data are not stationary according to an ADF test.

KPSS summary table

KPSS Test for Level Stationarity

```
data: ts(selectedTSData())
KPSS Level = 2.335, Truncation lag parameter = 2, p-value = 0.01
```

ADF summary table

Augmented Dickey-Fuller Test

```
data: ts(selectedTSData())
Dickey-Fuller = -1.4801, Lag order = 5, p-value = 0.7933
alternative hypothesis: stationary
```

Box Cox Transformation Summary:

Step 3. Forecast your data

Step 4. Check your residuals

A woman with blonde hair tied up in a bun is walking through an airport terminal. She is wearing a dark long-sleeved top and light-colored trousers. She is pulling a dark suitcase on a long strap. The terminal has large windows overlooking the tarmac where several airplanes are parked. The sky is overcast.

# takeaways

PART 6/6

# We successfully achieved our objective of forecasting airline passenger count by region.

---

## CONCLUSION

- International flight data is well-suited for time series modeling
- More complicated models don't always deliver superior results

## FUTURE WORK

- Introduce additional predictors (weather, economics, etc.)
- Additional model frameworks (NNAR, RNN, ARCH/GARCH)



A black and white photograph of a woman with long dark hair, wearing a flight helmet and goggles, smiling from inside the cockpit of a small aircraft. She is wearing a flight suit with patches on the shoulders. The cockpit has a large circular window. The background is blurred, suggesting motion or a runway.

Thank you.