Persado Email Subject Lines Digital and Algorithmic Marketing (37304-01)

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Modeling objectives:

- ► Predict click behavior out of sample select variables via cross validation
- ► Prefer simplicity/parsimony to complexity choose a small model
- ► Main effects matter more than interaction effects impose a bias toward main effects

The model:

$$\frac{\Pr(\mathsf{click} = 1)}{1 - \Pr(\mathsf{click} = 1)} = \beta_0 + \underbrace{\sum_{j=1}^p x_j \beta_j}_{\text{main effects}} + \underbrace{\sum_{j=1}^p \sum_{k=1}^j x_j x_k \beta_{jk}}_{\text{interaction effects}} + \varepsilon$$

The lasso:

$$\min_{\beta} \left(-\frac{2}{n} \log \mathsf{LHD}(\beta) + \underbrace{\lambda \sum_{i} |\beta_{i}|}_{\mathsf{main} + \mathsf{int. effects}} \right)$$

We can vary the weight on λ to impose different shrinkage for different variables!

The lasso with a twist:

$$\min_{\beta} \left(-\frac{2}{n} \log \mathsf{LHD}(\beta) + \underbrace{\omega_1 \lambda \sum_{j=1}^{p} |\beta_j|}_{\mathsf{main effects}} + \underbrace{\omega_2 \lambda \sum_{j=1}^{p} \sum_{k=1}^{j} |\beta_{jk}|}_{\mathsf{interaction effects}} \right)$$

 $\omega_1 < \omega_2$: the lasso will penalize interaction effect parameters more than main effect parameters (*impose a bias toward main effects*)

Trade-off between accuracy (select variables via cross validation) and simplicity/parsimony (choose a small model)



