Prédiction des fleurs d'iris avec la RL

Ousmane lom

Installation des librairies

```
library(prettyR)
library(tidyverse)
library(gt)
library(corrplot)
library(nnet)
```

Dataset des Fleurs d'iris

```
data=iris
```

Structure des données

```
'data.frame': 150 obs. of 5 variables:
$ Sepal.Length: num 5.1 4.9 4.7 4.6 5 5.4 4.6 5 4.4 4.9 ...
$ Sepal.Width: num 3.5 3 3.2 3.1 3.6 3.9 3.4 3.4 2.9 3.1 ...
$ Petal.Length: num 1.4 1.4 1.3 1.5 1.4 1.7 1.4 1.5 1.4 1.5 ...
$ Petal.Width: num 0.2 0.2 0.2 0.2 0.4 0.3 0.2 0.2 0.1 ...
$ Species : Factor w/ 3 levels "setosa", "versicolor", ..: 1 1 1 1 1 1 1 1 1 1 ...
```

Visualisez les 1er lignes

```
iris %>%
    head(n=10) %>%
    gt()
```

Sepal.Length	Sepal.Width	Petal.Length	Petal.Width	Species
5.1	3.5	1.4	0.2	setosa
4.9	3.0	1.4	0.2	setosa
4.7	3.2	1.3	0.2	setosa
4.6	3.1	1.5	0.2	setosa
5.0	3.6	1.4	0.2	setosa
5.4	3.9	1.7	0.4	setosa
4.6	3.4	1.4	0.3	setosa
5.0	3.4	1.5	0.2	setosa
4.4	2.9	1.4	0.2	setosa
4.9	3.1	1.5	0.1	setosa

Analyse descriptive de l'ensemble des variables

describe(data)

Description of data

Numeric

	mean	${\tt median}$	var	sd	valid.n
Sepal.Length	5.84	5.80	0.69	0.83	150
Sepal.Width	3.06	3.00	0.19	0.44	150
Petal.Length	3.76	4.35	3.12	1.77	150
Petal.Width	1.20	1.30	0.58	0.76	150

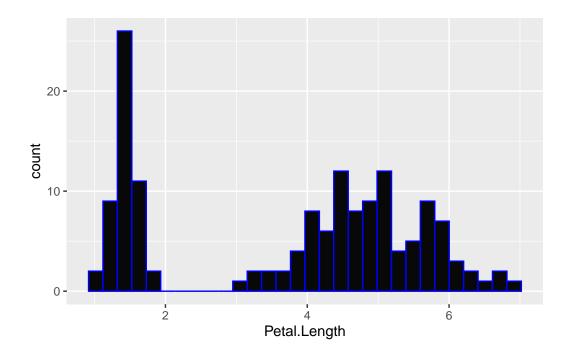
Factor

Species setosa versicolor virginica Count 50.00 50.00 50.00 Percent 33.33 33.33 33.33 Mode >1 mode

Visualisez les variables

Diagramme en histogramme de la variable Petal.length

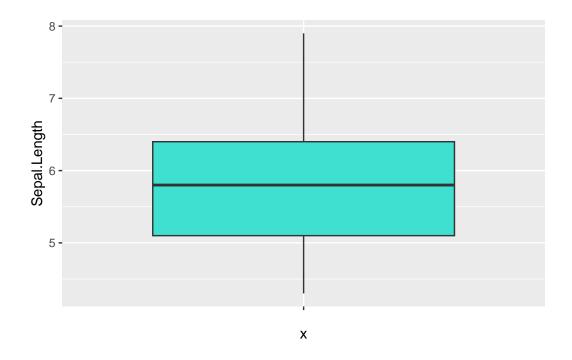
`stat_bin()` using `bins = 30`. Pick better value with `binwidth`.



Distribution de la variable Petal.length

Diagramme en boxplot

```
ggplot(iris,aes(x="",y=Sepal.Length))+geom_boxplot(fill="turquoise",outliers = TRUE)
```

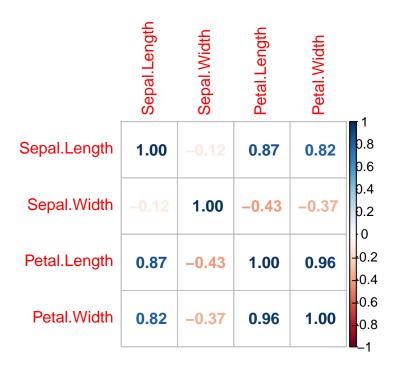


Correlation entre les variables quantitatives

```
corr=round(cor(iris[,-5]),2)
corr
```

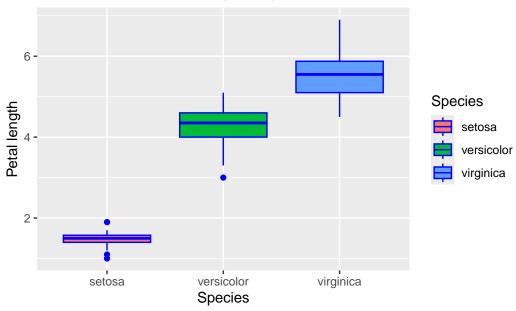
	Sepal.Length	Sepal.Width	Petal.Length	Petal.Width
Sepal.Length	1.00	-0.12	0.87	0.82
Sepal.Width	-0.12	1.00	-0.43	-0.37
Petal.Length	0.87	-0.43	1.00	0.96
Petal.Width	0.82	-0.37	0.96	1.00

corrplot(corr,method="number")



Distribution du Petal length par variété (Species)

Distribution des Pétales par espéce



Analyse de la variance

H0: Pas de différence significative de la longueur des pétales entre variétes

H1: Il ya une différence signicative entre la longueur des pétales entre variétes de fleurs

```
anova=aov(Petal.Length~Species,iris)
summary(anova)
```

```
Df Sum Sq Mean Sq F value Pr(>F)

Species 2 437.1 218.55 1180 <2e-16 ***

Residuals 147 27.2 0.19
---

Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

Conclusion: Donc on note un effet siginificatif entre les variétes selon la longueur des pétales

Apprentissage automatique

Prediction des fleurs par un modéle multinomial

Partitionner la base de donnée en donnée d'entrainement de notre modéle à 70% et test à 30%

```
set.seed(1234)
ind<-sample(2,nrow(iris),replace = T,prob = c(0.70,0.30))
train=iris[ind==1,]
test=iris[ind==2,]</pre>
```

Dimension train et test data

```
cat("dimension_train est:",dim(train),fill = T)

dimension_train est: 112 5

cat("dimension_test est:",dim(test),fill = T)

dimension_test est: 38 5
```

Construire le modéle

```
model=multinom(Species~., data=iris)
```

```
# weights: 18 (10 variable)
initial value 164.791843
iter 10 value 16.177348
iter 20 value 7.111438
iter 30 value 6.182999
iter 40 value 5.984028
iter 50 value 5.961278
iter 60 value 5.954900
iter 70 value 5.951851
iter 80 value 5.950343
iter 90 value 5.949904
iter 100 value 5.949867
final value 5.949867
stopped after 100 iterations
```

Resumé du modéle

summary(model)

Call:

multinom(formula = Species ~ ., data = iris)

Coefficients:

(Intercept) Sepal.Length Sepal.Width Petal.Length Petal.Width versicolor 18.69037 -5.458424 -8.707401 14.24477 -3.097684 virginica -23.83628 -7.923634 -15.370769 23.65978 15.135301

Std. Errors:

(Intercept) Sepal.Length Sepal.Width Petal.Length Petal.Width versicolor 34.97116 89.89215 157.0415 60.19170 45.48852 virginica 35.76649 89.91153 157.1196 60.46753 45.93406

Residual Deviance: 11.89973

AIC: 31.89973

Prédiction du model avec les données test

```
predictions=predict(model,test)
predictions[1:10]
```

[1] setosa setos

Calcul de l'accuracy du modéle

```
tab=table(test$Species,predictions)
tab
```

${\tt predictions}$

	setosa	${\tt versicolor}$	virginica
setosa	10	0	0
versicolor	0	12	0
virginica	0	0	16

Calcul de l'accuracy

$$accuray = \frac{\sum (diag(tab))}{\sum (tab)}$$

```
accuracy=sum(diag(tab))/sum(tab)
cat("accuracy est",accuracy,fill=T)
```

accuracy est 1

Le modéle prédit à 100% le type de fleur