

## **Traffic Data, Again**

# Say we are contacted from a local transportation authority

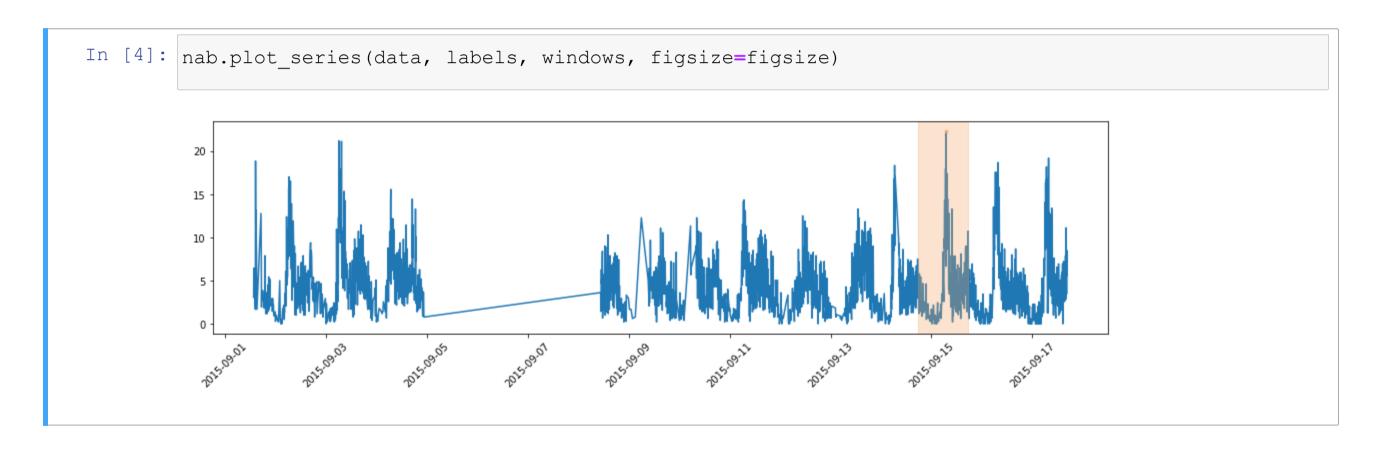


They want to improve their traffic monitoring system

## Traffic Data, Again

#### They give us data from an occupancy sensor

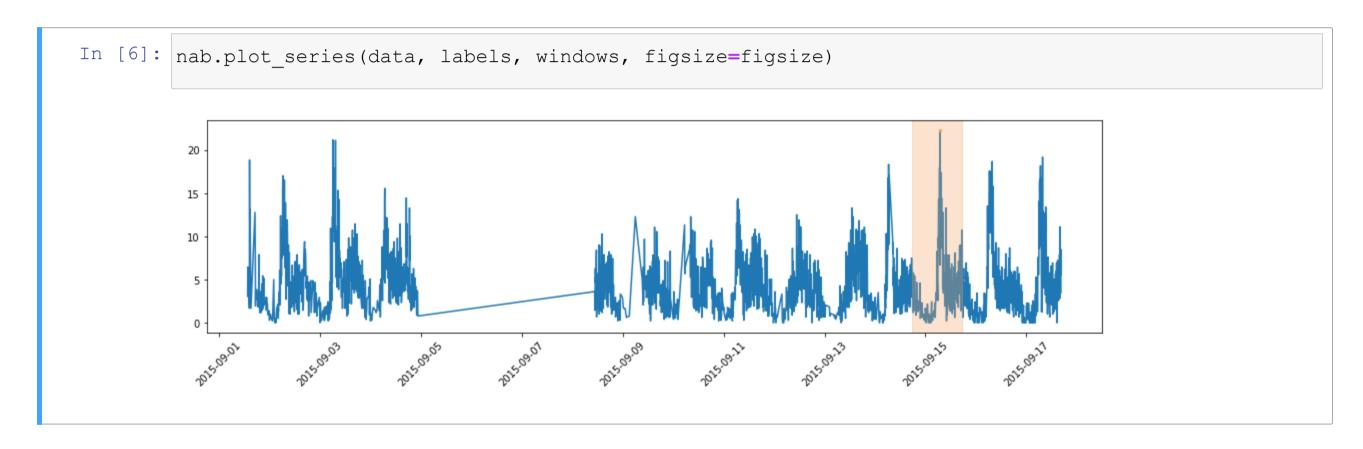
Our data refers to real traffic in the Minnesota Twin Cities Area



- They have pre-labeled an (easy) anomaly that they wish to detect
- ...But that is not the most striking aspect of this series

## **Traffic Data, Again**

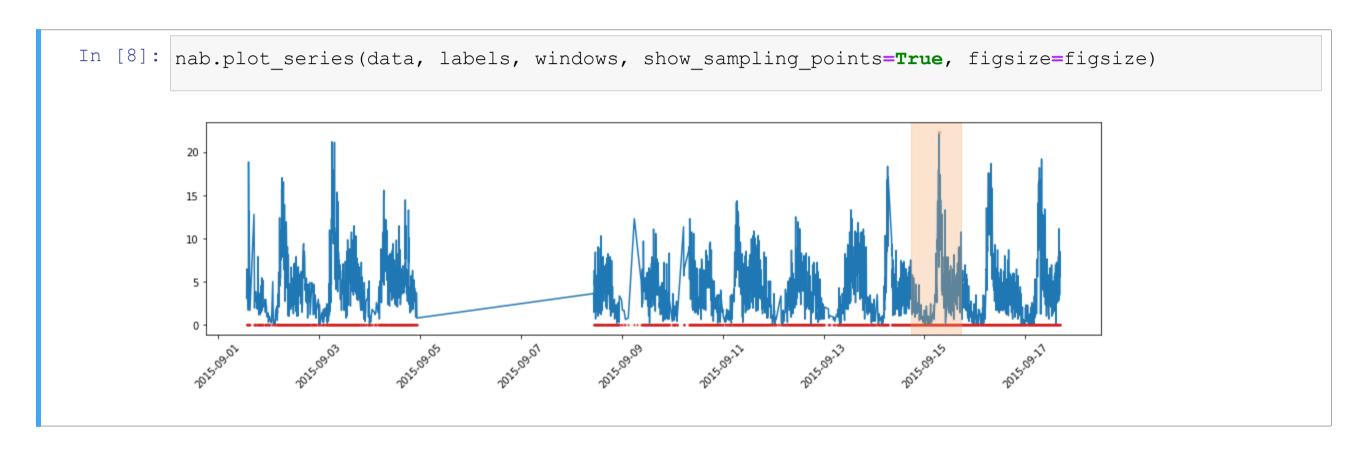
## There is a period, and straight lines in the plot



They are artefacts, due to missing values in the time series

## Missing Values

### We can make it clearer by explicitly plotting the sampling points



There is a large gap, plus scattered missing values here and there

## Missing Values in Time Series

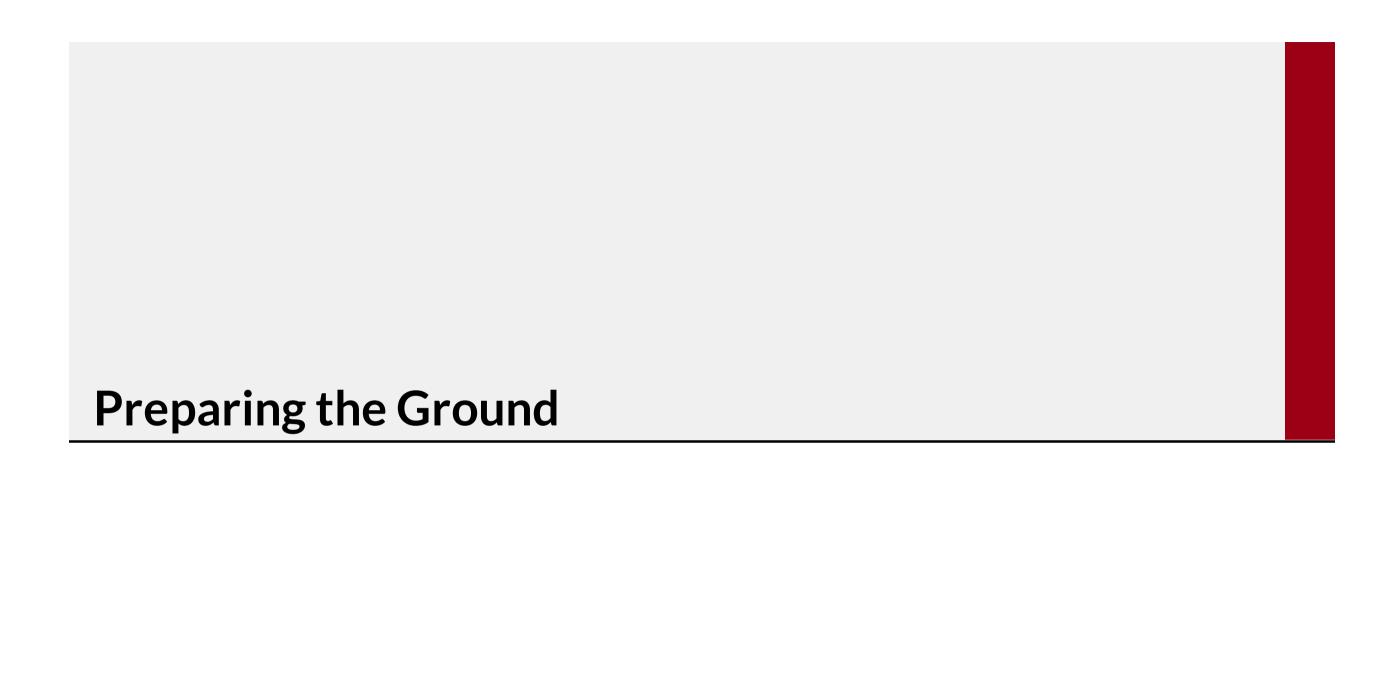
## Missing values in real-world time series are very common

They arise for a variety of reasons:

- Malfunctioning sensors
- Network problems
- Lost data
- Sensor maintenance/installation/removal
- ...

#### ...And can be very annoying to deal with

- They prevent the application of sliding windows
- They complicate the detection of periods
- ...



## **Preparing the Ground**

#### Before we can deal with missing values we need to tackle an issue

I.e. our main series has a sparse index

- ...Meaning that index values are non-contiguous
- ...And missing values are represented as gaps

#### If we want to fill the missing values...

...We need to decide where the missing values are

#### In other words, we need a dense (temporal) index

#### With a dense index:

- Missing values can be represented as NaN (Not a Number)
- ...And can be filled by replacing NaN with a meaningful value

## **Choosing a Sampling Frequency**

#### First, we need to pick a frequency for the new index

We start by having a look at the typical sampling step in our series:

```
In [9]: data.head()

Out[9]:

| value |
| timestamp |
| 2015-09-0113:45:00 | 3.06 |
| 2015-09-0113:50:00 | 6.44 |
| 2015-09-0113:55:00 | 5.17 |
| 2015-09-0114:00:00 | 3.83 |
| 2015-09-0114:05:00 | 4.50 |
```

- The interval between consecutive measurements seems to be 5 minute long
- ...But looking at just a few data points is not enough

## **Choosing a Sampling Frequency**

#### It is much better to compute the distance between consecutive index values

```
In [10]: delta = data.index[1:] - data.index[:-1]
    delta[:3]

Out[10]: TimedeltaIndex(['0 days 00:05:00', '0 days 00:05:00', '0 days 00:05:00'], dtype='timedelta64[n s]', name='timestamp', freq=None)
```

- The difference between two datetime objects is a timedelta object
- They are all parts of the datetime module

#### Then we can check the value counts

This can be done with the value\_counts method

The methods returns a series:

- The index contains values
- The series data are the corresponding counts

## **Choosing a Sampling Frequency**

#### Let's have a look at our value counts

```
In [11]: vc = pd.Series(delta).value_counts()
         vc.iloc[:10]
Out[11]: 0 days 00:05:00
                             1754
         0 days 00:10:00
                              340
         0 days 00:15:00
                              106
         0 days 00:20:00
                               37
                               26
         0 days 00:04:00
         0 days 00:25:00
         0 days 00:06:00
                               18
         0 days 00:30:00
         0 days 00:35:00
         0 days 00:11:00
         Name: timestamp, dtype: int64
```

#### By far the most common value is 5 minutes

- Some values are not multiples of 5 minutes (e.g. 4, 6, 11 minutes)
- I.e. they are out of alignment

## Resampling the Original Dataset

#### Therefore, first we need to realign the original index

This is also called resampling (or binning), and can be done in pandas with:

```
DatetimeIndex.resample(rule=None, ...)
```

- rule specifies the length of each individual interval (or "bin")
- The method has many additional options to control its behavior

\*Resample is an iterator: we need to choose what to do with each bin \*

E.g. compute the mean, stdev, take the first value

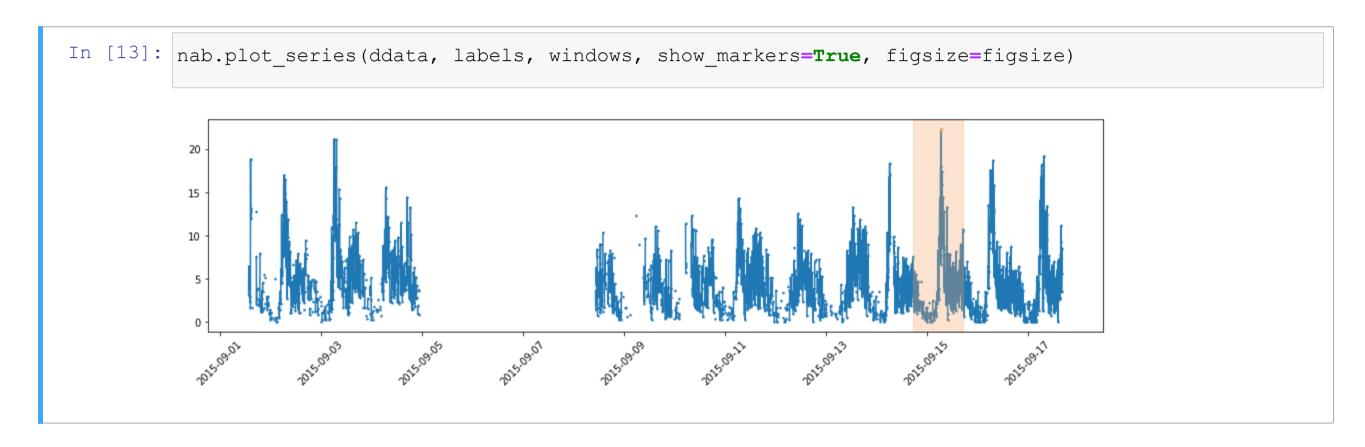
**2015-09-01 13:50:00** 6.44

**2015-09-01 13:55:00** 5.17

**2015-09-01 14:00:00** 3.83

# Inspecting the Resampled Dataset

### Now we can inspect this new "dense" series



- The artifacts have disappeared!
- ...And the true extent of our problem becomes apparent :-)

#### **Considerations**

#### Some considerations and take-home messages

Missing values are extremely common in real world data

■ Time series are no exception

Missing values are particularly problematic with time series

- Mostly, they prevent the application of a (classical) sliding window
- ...Though some forms of sliding windows are still fine

Realigning a time series can be useful in many context

- E.g. data from sensors with misaligned clocks
- E.g. data from sensors with different sampling frequencies
  - This case is however a bit more complicated