Manage the Data from Indoor Spaces: Models, Indexes & Query Processing

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Overview

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- 3. Indoor Data Cleansing
- 4. Indoor Movement Analysis
- 5. Appendix

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About This Work...

Probabilistic Threshold k Nearest Neighbor Queries over Moving Objects in Symbolic Indoor Space. [3]
B. Yang, H. Lu, and C. S. Jensen.

- Published in year 2010 at the EDBT conference.
- Minimal Indoor Walking Distance(MIWD) along with algorithms and data structures are proposed for distance computing and storage.
- Effective object indexing structures, also capture the uncertainty of object locations.
- On this foundation, Probabilistic threshold kNN (PTkNN) query is studied.

Motivation

- Indoor positioning makes it possible to support interesting queries over large populations of moving objects.[4]
 - shopping mall, airports, office buildings
 - kNN queries over indoor moving objects enables the detection of approaching potential threats at sensitive locations in a subway system
- Existing kNN techniques in spatial and spatialtemporal databases are inapplicable in indoor spaces.
 - complex entities and topologies
 - indoor positioning techniques differ fundamentally from outdoor GPS, low sampling frequency and accuracy

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The mapping Doors maps a room to the doors that connect the room to an adjacent room:

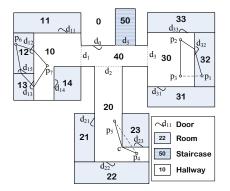
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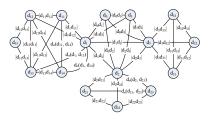
The mapping Doors maps a room to the doors that connect the room to an adjacent room:

$$Doors: \Sigma_{rooms} \to 2^{\Sigma_{doors}}$$
 (2)



- intra-room obstructed distance, termed as d_o . E.g., $d_o(p_2, p_3) = |p_2 p_3|$ and $d_o(p_4, p_5) = |p_4 c| + |cp_5|$.
- if in different rooms, it should take into account the doors connecting the rooms. E.g., $d_{MIN}(p_1, p_2) = |p_1 d_{32}| + |d_{17} p_9|.$
- if there exist several paths, the correct path should be the shortest one. E.g., $d_{MIN}(p_6,p_7) = |p_6d_{12}| + |d_{12}p_7| \\ \neq |p_6d_{15}| + |d_{15}d_{13}| + |d_{13}p_7|.$

Doors Graph is capable of retrieving the connecting doors between two rooms, which is convenient for computing MIWD.



Doors Graph

- $G_d = \{D, E, l_{weight}\}$
- $D = \Sigma_{doors}$ is the set of the vertices
- E: An edge $\{d_i, d_j\}$ exists if a room rm exists in Σ_{rooms} such that $\{d_i, d_j\} \subseteq Doors(rm)$
- l_{weight}: E → R assigns to an edge the obstructed distance between the two doors as d_o(d_i, d_i)

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$$d_{MIN}(d_p, d_q) = d_o(p, d_p) + D2D(d_p, d_q) + d_o(d_q, q)$$
(4)

where $d_p(d_q)$ ranges over all doors of room p(q).

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where $d_p(d_q)$ ranges over all doors of room p(q).

Algorithm $1 \ d_{MW}(Position \ p, Position \ q)$ 1: if Rooms(p)=Rooms(q) then 2: $minDist \leftarrow d_o(p,q);$ 3: else 4: $minDist \leftarrow +\infty$ 5: for each door d_p in Doors(Rooms(p)) do 6: for each door $d_p \neq d_p$ in Doors(Rooms(q)) do 7: $l \leftarrow d_o(p, d_p) + d_o(d_q, q) + D2D(d_p, d_q)$ 8: if l < minDist then 9: $minDist \leftarrow l$:

10: return minDist:

it is possible to adapt this notion of distance to accommodate other semantics. For example, a person might prefer a longer indoor path that passes as few doos as possible.

Symbolic Indoor Positioning

each device detects and reports the observed objects at a relatively high sampling rate.

A reading (deviceID, objectID, t) states that object objectID is detected by device objectID at time t.

Only its first and last appearances in a device's range are of interest.

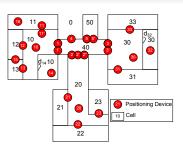
- $\bullet \ flag = ENTER$ indicates that the object is entering the device's activation range
- $\bullet \ flag = LEAVE$ indicates that the object is leaving the device's activation range

Positioning Devices Deployment Graph [2]

- Two types of positioning devices
 - Partitioning Device undirected
 (UP), e.g., d₂₁ directed (DP),
 e.g., d₁₁ and d₁₁
 - Presence Device (PR)
- Note an indoor space is partitioned into activation ranges and cells

Deployment Graph

- $G = \{C, E, \Sigma_{devices}, l_E\}$
- C: the set of cells
- E: the set of edges, $\{c_i, c_j\}$ where $c_i, c_j \in C$
- $\Sigma_{devices}$: a mapping from deviceID to activation range and type
- l_E maps an edge to a set of positioning devices, i.e., $E \to 2^{\sum_{devices}}$

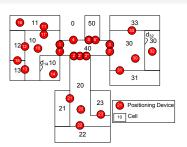


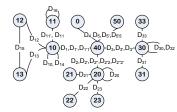
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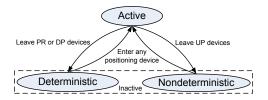
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States of Indoor Moving Objects [2]



- An object is in an active state when it is inside the activation range of a positioning device.
- Otherwise the object is in an inactive state
- When an object is in the inactive state it is
 - nondeterministic if it can be in more than one cell
 - deterministic if it is in one specific cell

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RFID Deployment Graph Construction [2]

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Algorithm 1 updateHashTables(Pre-processing output O, De-
ploymentGraph G)

 IDSet sSet ← ∅;

 2: if O.flag = ENTER then
      sSet \leftarrow OHT[O.objectID].IDSet;
      if OHT[O.objectID].STATE = Active then
         for the single element c in sSet do
6:
           Delete O.objectID from DHT[c];
      else if OHT[O.objectID].STATE = Deterministic then
8:
         for the single element c in sSet do
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            Delete O.objectID from CDHT[c];
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      else
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         for each element c in sSet do
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            Delete O.obiectID from CNHT[c]:
13:
      Add O.objectID to DHT[O.deviceID]:
       OHT[O.objectID] \leftarrow (Active, O.t, \{O.deviceID\});
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15: else
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      Delete O.objectID from DHT[O.deviceID];
       sSet \leftarrow G.\ell_E^{-1}(O.deviceID);
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      if Devices(\tilde{O}, deviceID), TYPE = UP then
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- **5** Lines 18–25: if the device is undirected, set *O* in OHT and add *O* to CNHT for the cells in sSet, else apply the same to CDHT

Deriving Uncertain Regions for Indoor Moving Objects

For outdoor moving objects [1], **Uncertainty Region**, denoted by UR(o,t), is a region such that o must be in this region at time t.

In general terms, an object o_i 's location can be modeled as a random variable with a probability density function $f_{o_i}(x, y, t)$ that has non-zero values only in o_i 's suncertainty region (o_i, t) .

$$\int_{UR(o_i,t)} f_{o_i}(x,y,t) dx dy = 1$$
 (5)

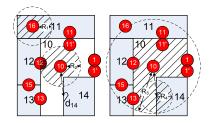
Deriving Uncertain Regions for Indoor Moving Objects

Assume that an *indoor object* has the same probability to be located anywhere inside its uncertainty region:

$$f_{o_i}(x,y,t) = \frac{1}{Area(UR(o_i,t))}, \quad (x,y) \in UR(o_i,t)$$
 (6)

- Active object: the activation range of the corresponding device.
- **Deterministic object**: the intersection between the object's cell and its *maximum-speed constrained circle*.
- Nondeterministic object: the union of the intersection between each cell and the circle.

Maximum-speed Constrained Circle



- assume o left $device_{16}$ at time t, intersection of maximum-speed constrained circle $C_{MSC}(o, device_{16}, t)$ and cell c_{11} .
- suppose o left $device_{1o}$ at time t, UR is the intersection between room 10 and $C_{MSC}(o, device_{1o}, t)$.
- ullet as time t passes by, UR therefore contains two parts...
- uncertainty region of an active object can be refined as the intersection of the activation range of device and C_{MSC} . suppose o left $device_{1o}$ and then is detected by $device_{1o}$, its uncertainty region is the intersection of $C_{MSC}(o, device_{1o}, t)$ and activation range of $device_{1o}$.

PTkNN Query Processing

Definition (Indoor Probabilistic Threshold kNN Query)

Given a set of indoor moving objects $O = \{o_1, o_2, ..., o_n\}$ and a threshold value $T \in (0, 1]$, a PTkNN query issued at time t with query location q returns a result set

 $\mathbb{R} = \{A|A \subseteq O \land |A| = k \land prob(A) > T\}$, where prob(A) is the probability that A contains the k nearest neighbors of the query location q at time t.

when the number of moving objects incrases, the number of k-subsets (A in Definition 1) in the result set \mathbb{R} increase exponentially. Specifically, there are $\binom{n}{k}$ possible k-subsets for a PTkNN query over n objects.

PTkNN Query Processing

Three techniques are proposed to speed up PTkNN query processing:

- minimum indoor walking distances between the query location and the (uncertainty regions of) objects are uesd to prune the objects too far away to be in any possible k-subset, results in a subset O' ⊂ O.
- ② for all k-subsets of O', cost-efficient probability estimates are used to prune the k-subsets whose probabilities definitely are lower than the threshold T.
- for each remaining k-subset A, add A to \mathbb{R} only if prob(A) > T.

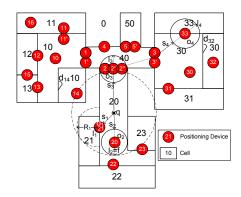
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PTkNN Query Processing

Let $s_i(l_i)$ be the minimum(maximum) MIWD from q to the uncertainty region of o_i :

$$s_i = \min_{p \in UR(o_i, t)} d_{MIW}(q, p); \quad l_i = \max_{p \in UR(o_i, t)} d_{MIW}(q, p)$$
 (7)



- o₁ is being observed by device₁₂
- o₂, o₃, o₄ recently left device₂₀, device_{2'}, device₃₃ respectively
- o₄'s MIWD computation should take into account the door connectivity

PTkNN Query Processing

Definition (k-bound)

Let f be the kth minimal one of all objects' l_i s. If s_i of object o_i is greater than f, object o_i has no chance to be in any k-subset of the result set \mathbb{R} . This f value is called the k-bound. [2]

- k-bound can be calculated and updated dynamically during the distance based pruning as soon as k objects have been seen from O.
- by taking advantage of indoor space distance definition, the computation cost can be further reduced. E.g., the objects in the same cell can be pruned if one is pruned by the k-bound.

Distance Pruning

if $|O'| \ge k$ then

 $f \leftarrow Bound(O')$:

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Algorithm 4 DistancePruning(Position q, int k) ObjectSet O'←∅;

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 Double f ←+∞;

 CellSet seeds←∅;

 Initialize a min-heap H(\(\langle d, v \rangle \rangle;

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       O' \leftarrow DHT[dev]; seeds \leftarrow G.\ell_{E}^{-1}(dev);
       for each cell c in seeds do
          O' \leftarrow O' \cup CDHT[c] \cup CNHT[c]; EnheapDoors(H, c);
 8:
 9: else

 Room r ← Rooms(q);

 Cell c← Cells<sup>-1</sup>(r);

12: O' ← CDHT[c] ∪ CNHT[c];
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        dev \leftarrow PA2D^{-1}(e.d); O' \leftarrow O' \cup DHT[dev];
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Therefore, if $P_{o_i}(f) \leq T$, o_i can be safely pruned from the candidate.

Probability Evaluation

After probability threshold pruning, each k-subset A in \mathbb{R} may have their Prob(A) greater than T.

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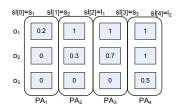
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- o_z is the k-th nearest neighbor of q.
- to evaluate the probabilities efficiently, a partition based approximate evaluation method is used.
- let an array sl records all the minimum distances s_i in O' and the maximum distances l_i that satisfy $l_i \leq f$.
- sl should have g = |O'| + k elements, sort it in ascending order.

Research Directions

- Analyzing historical trajectory data may discover associations among object movements, which can be used to design more efficient group pruning in processing a PTkNN query
- Regarding the uncertainty model of indoor moving objects, it is also interesting to conduct probabilistic analysis on other kinds of object distribution.

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The End. Thanks:)