

# Shortest Path Queries for Indoor Venues with Temporal Variations

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## 1. Introduction

### • Background.

- Indoor location-based services are becoming increasingly popular.
- Shortest path/distance queries are fundamental in many indoor location-based services.
- Some temporal variations could change the indoor topology.

### • Challenges of handling indoor temporal-variation aware shortest path query (ITSPQ).

- The existing graphs used to model the indoor space do not consider temporal variations.
- The pre-computed and materialized door-to-door distances become invalid when one or more doors open or close at certain times.

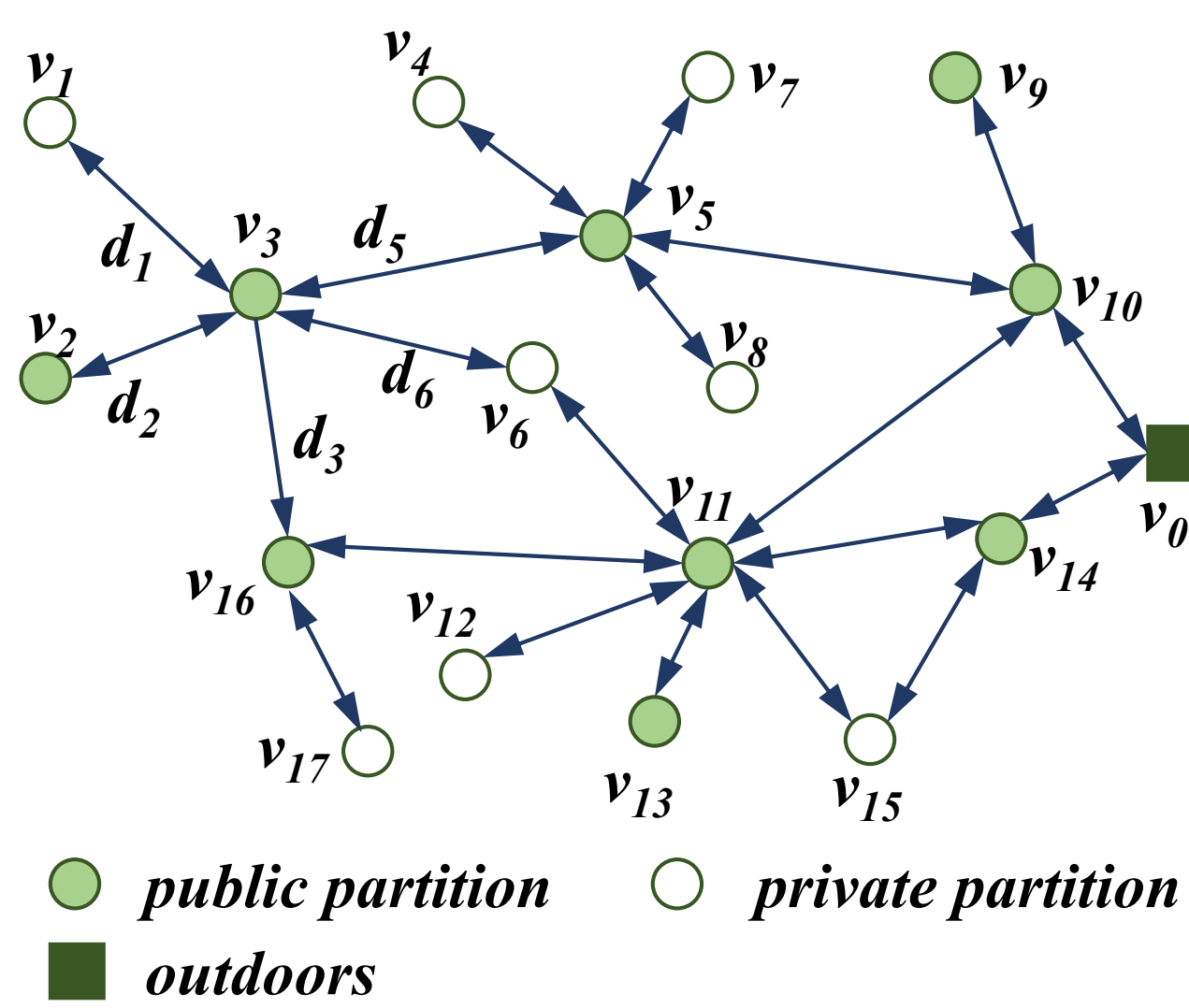
### • Contributions.

- A new type of query called Indoor Temporal-variation aware Shortest Path Query (ITSPQ) is defined.
- A graph structure (IT-Graph) that captures indoor temporal variations is designed.
- We design two algorithms that check a door's accessibility synchronously and asynchronously, respectively.
- We experimentally evaluate the proposed techniques using synthetic data. The results show that our methods are efficient.

## 3. ITSPQ Processing

### • Indoor temporal-variation graph (IT-GRAPH) $G_{IT}(V, E, L_V, L_E)$ :

- 1)  $V$  is the set of vertices such that each vertex  $v \in V$  is an indoor partition.
- 2)  $E$  is the set of directed edges such that each edge  $(v_i, v_j, d_k) \in E$  means one can reach  $v_j$  from  $v_i$  through a door  $d_k$ .
- 3)  $L_V$  is the set of vertex labels, each being a 3-tuple  $(ID_v, p\text{-type}, DM)$ .
- 4)  $L_E$  is the set of edge labels, each being a 3-tuple  $(ID_d, d\text{-type}, ATIs)$ .



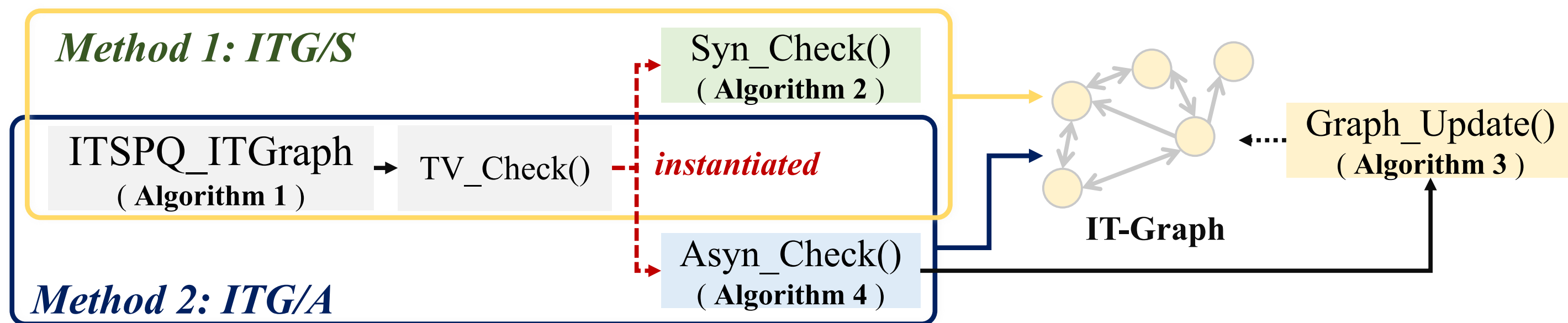
Door Table

$ID_d$	$d\text{-type}$	$ATIs$
$d_7$	PRD	$\langle [6:00, 23:30] \rangle$
$d_3$	PBD	$\langle [6:00, 23:00] \rangle$
...	...	...

Partition Table

$ID_v$	$p\text{-type}$	$DM$
$v_1$	PRP	$[[d_1, d_7], 0]$
$v_{16}$	PBP	$[[d_3, d_{17}], 2], [(d_3, d_{21}), 4], [(d_{17}, d_{21}), 5]$
...	...	...

### • Different Methods for ITSPQ Processing



- 1) **Synchronous Check.** Look up a door  $d$ 's  $ATIs$  and compare it to the arrival time when one just leaves for  $d$ .
- 2) **Asynchronous Check.** Directly refer to a time-dependent IT-GRAPH that only keeps all currently open doors. The information of IT-GRAPH only needs to be updated asynchronously at the next checkpoint.

## 2. Problem Formulation

- **Active Time Interval (ATI).** We use  $[open\text{-}time, close\text{-}time]$  to denote an active time interval (ATI) of a door.

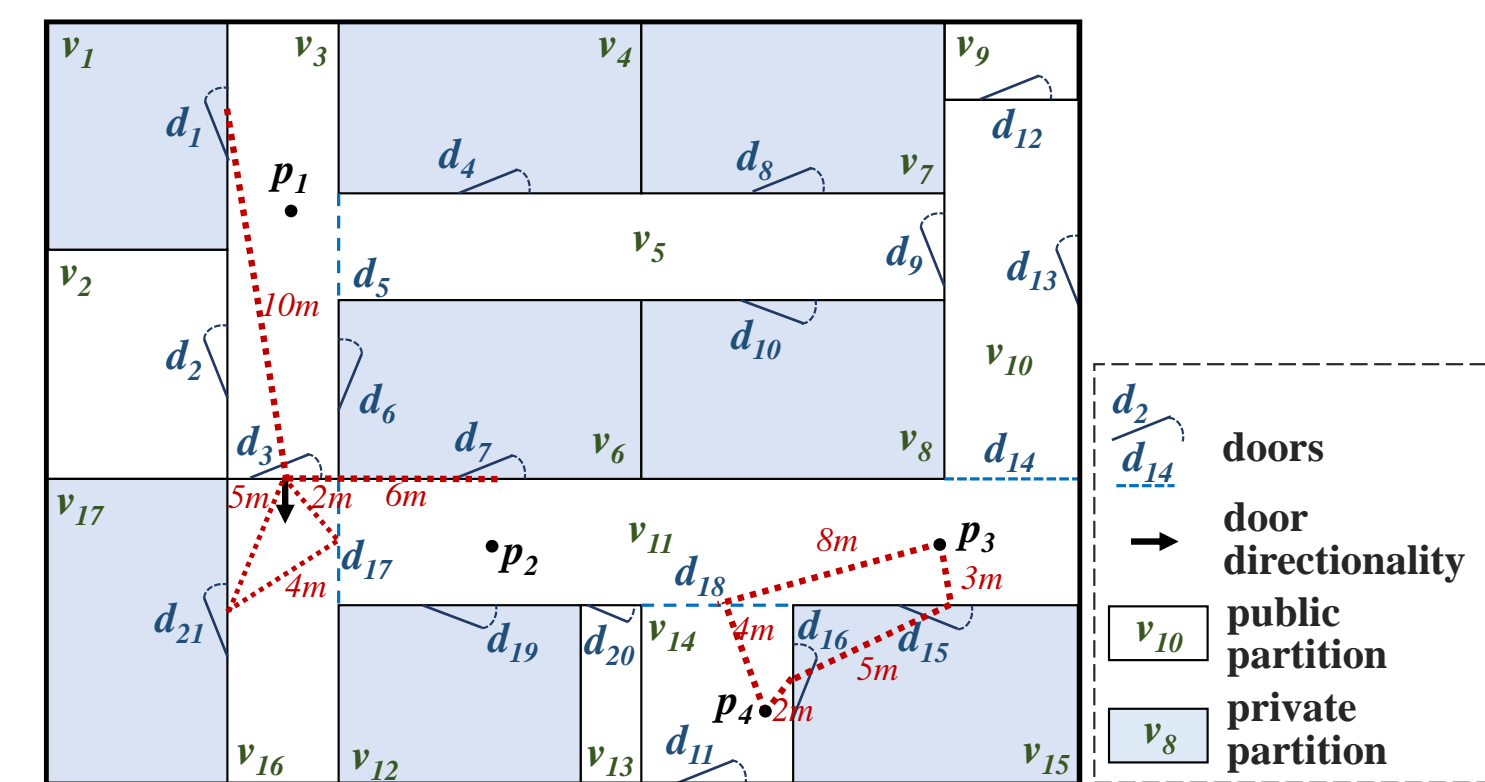
### • Indoor Temporal-variation Aware Shortest Path Query (ITSPQ).

Given a start point  $p_s$ , a target point  $p_t$ , and a current timestamp  $t$ , an *indoor temporal-variation aware shortest path query* ITSPQ( $p_s, p_t, t$ ) returns the valid shortest path from  $p_s$  to  $p_t$  that meets:

- 1) Each door  $d_i$  in the path should be open at  $t + \Delta t$ , where  $\Delta t$  is the walking time from  $p_s$  to  $d_i$  and it is computed based on human's average walking speed — 5km/h;
- 2) The path should not go through any private partition except the private partitions that contain  $p_s$  and/or  $p_t$ .

Active Time Intervals (ATIs) of Doors

Door, ATIs	Door, ATIs
$d_1, \langle [5:00, 23:00] \rangle$	$d_2, \langle [8:00, 16:00] \rangle$
$d_3, \langle [6:00, 23:00] \rangle$	$d_4, \langle [9:00, 18:00] \rangle$
$d_5, \langle [6:30, 23:00] \rangle$	$d_6, \langle [8:00, 16:00] \rangle$
$d_7, \langle [6:00, 23:30] \rangle$	$d_8, \langle [9:00, 18:00] \rangle$
$d_9, \langle [0:00, 6:00], [6:30, 23:00] \rangle$	$d_{10}, \langle [8:00, 16:00] \rangle$
$d_{11}, \langle [5:00, 23:00] \rangle$	$d_{12}, \langle [5:00, 23:00] \rangle$
$d_{13}, \langle [5:00, 17:00], [18:00, 23:00] \rangle$	$d_{14}, \langle [0:00, 24:00] \rangle$
$d_{15}, \langle [8:00, 16:00] \rangle$	$d_{16}, \langle [8:00, 17:00] \rangle$
$d_{17}, \langle [0:00, 24:00] \rangle$	$d_{18}, \langle [0:00, 23:00] \rangle$
$d_{19}, \langle [8:00, 16:00] \rangle$	$d_{20}, \langle [5:00, 23:00] \rangle$
$d_{21}, \langle [8:00, 16:00] \rangle$	



## 4. Experimental Results

- **Indoor Space Settings.** A 5-floor indoor space with 705 partitions and 1120 doors.

Parameter Settings for Synthetic Data

Parameters	Settings
$ T $	4, 8, 12, 16
$\delta_{s2t}$ (m)	1100, 1300, <b>1500</b> , 1700, 1900
$t$	0:00, 2:00, ..., <b>12:00</b> , ..., 22:00

- **Temporal Variations.** We select random pairs of open time and close time to form the checkpoint set  $T$  in size of 4, 8, 12, or 16.

- **Query Instances.** For each setting of  $\delta_{s2t}$ , we generate five pairs of  $p_s$  and  $p_t$  to form the query instances. In each query instance, time  $t$  is fixed to **12:00** to make a fair comparison.

- **Performance Metrics.** We run each query instance ten times, and measure the *average* running time and memory cost.

### • Results.

