# Recurrent Neural Network Introduction

Pritam Prakash Shete

Computer Division, BARC

Centre for Excellence in Basic Sciences

# **Topics**

- Applications
- Recurrent neural network (RNN) model
- Back propagation through time
- Different types of RNN

# Applications – Speech recognition

- Input
  - Audio clip Sequence data
- Output
  - Text transcript Sequence data
- Example
  - The Quick Brown Fox Jumps Over The Lazy Dog

#### Applications – Sentiment classification

- Input
  - Text Sequence data
- Output
  - Number of stars
- Example
  - Input This movie is excellent.
  - Output 5 stars

## Applications – Name entity recognition

- Input
  - Text Sequence data
- Output
  - Numbers 0 or 1
- Example
  - Input Mumbai is capital of Maharashtra.
  - Output 1 0 0 0 1

# Applications – Machine translation

- Input
  - Sentence in one language
    Sequence data
- Output
  - Translation in another language Sequence data
- Example
  - Input तू कसा आहेस?
  - Output How are you?

# Applications – Music generation

- Input
  - Genre of music (integer)
  - First few notes of music
- Output
  - Music Sequence data

# Applications – Image captioning

- Input
  - Image Image features Sequence data
- Output
  - Caption Sequence data



"man in black shirt is playing guitar."

# Applications – Action recognition

- Input
  - Video Sequence data
- Output
  - Caption Sequence data
- Example
  - Input Video
  - Output Reading a book

#### Recurrent neural network – Example

- Name entity recognition
- Input x Mumbai is capital of Maharashtra.

$$x^{<1>} x^{<2>} x^{<3>} x^{<4>} x^{<5>}$$
• Output  $-y-1 0 0 0 1$ 

$$y^{<1>} y^{<2>} y^{<3>} y^{<4>} y^{<5>}$$

•  $x^{<t>}$  and  $y^{<t>}-t$  - Temporal sequence

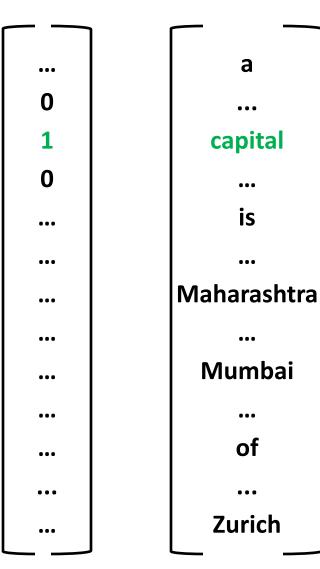
#### Recurrent neural network – Example

- Length of input sequence T<sub>x</sub>
- Length of output sequence T<sub>v</sub>
- (x<sup><t></sup>, y<sup><t></sup>) t<sup>th</sup> element of temporal sequence
- $(x^{(i)<t>}, y^{(i)<t>})$   $t^{th}$  element of  $i^{th}$  sample
- (Tx<sup>(i)</sup>, Ty<sup>(i)</sup>)– Input and output length of i<sup>th</sup> sample

- Word dictionary
- Top common words
- Dictionary size
  - Small 10000
  - Common 50000

	)	
a		1
•••		•••
capital		300
•••		•••
is		501
•••		•••
Maharashtra		2001
•••		•••
Mumbai		2301
•••		•••
of		2401
•••		•••
Zurich		10000

- One hot encoding
- Example
  - Word capital
  - 1 at 300<sup>th</sup> location
  - 0 everywhere



300

**501** 

•••

2001

•••

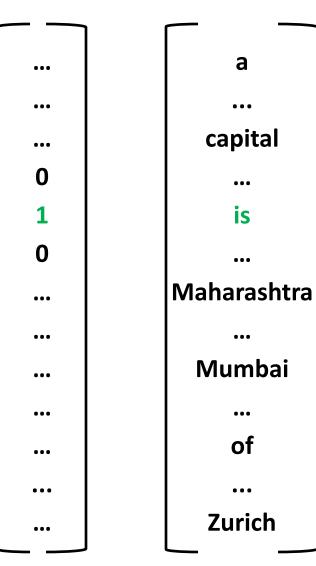
2301

•••

2401

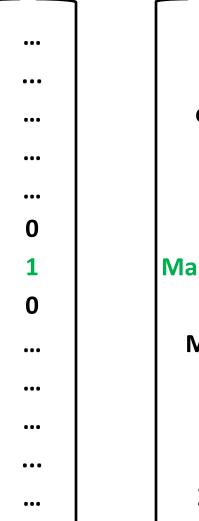
10000

- One hot encoding
- Example
  - Word is
  - 1 at 501st location
  - 0 everywhere





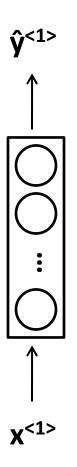
- One hot encoding
- Example
  - Word Maharashtra
  - 1 at 2001<sup>st</sup> location
  - 0 everywhere

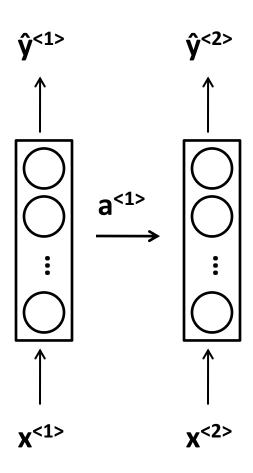


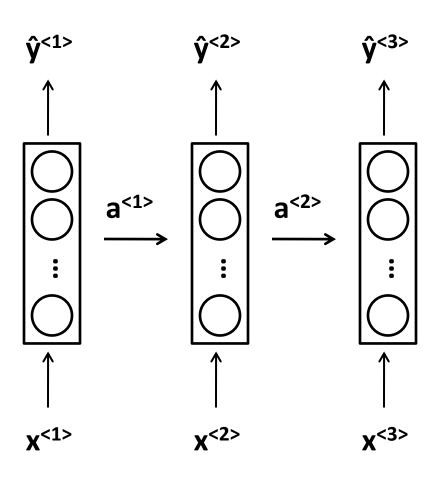
a capital 300 ••• is **501** ... ••• Maharashtra 2001 ••• Mumbai 2301 ••• of 2401 Zurich 10000

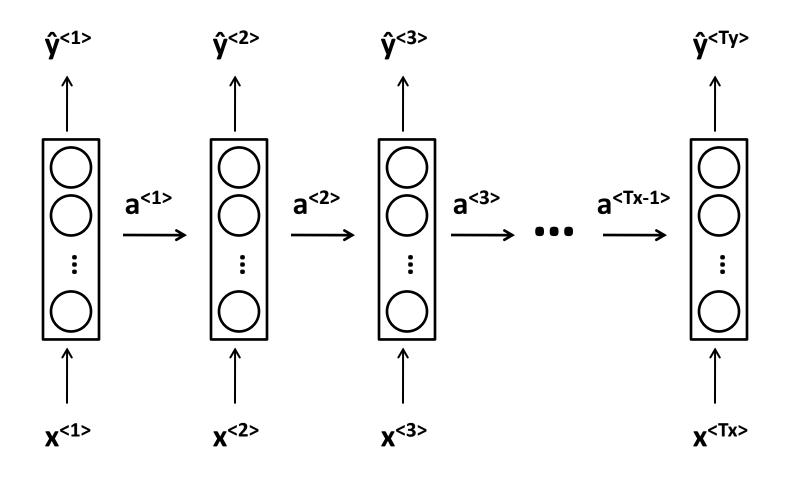
## Recurrent neural network – Why?

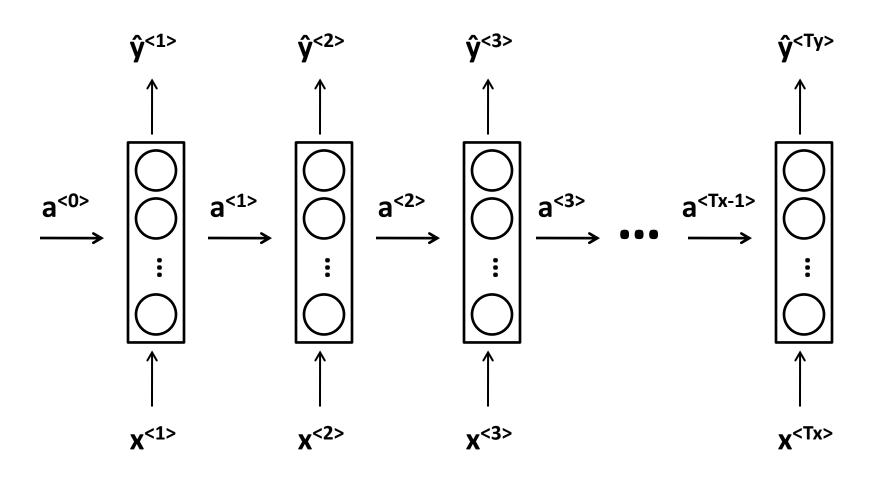
- Standard neural network
  - Different lengths in different samples for input and output sequences
  - No feature sharing across different text positions
  - Large vocabulary Large number of parameters

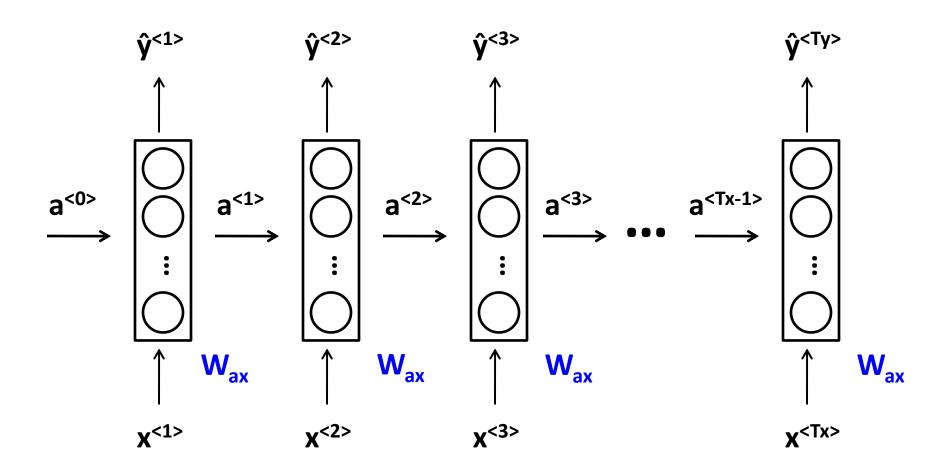


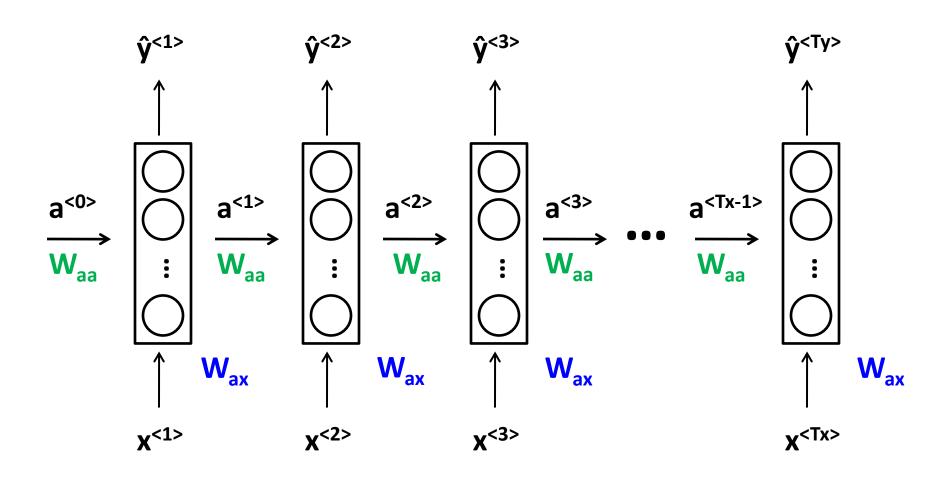


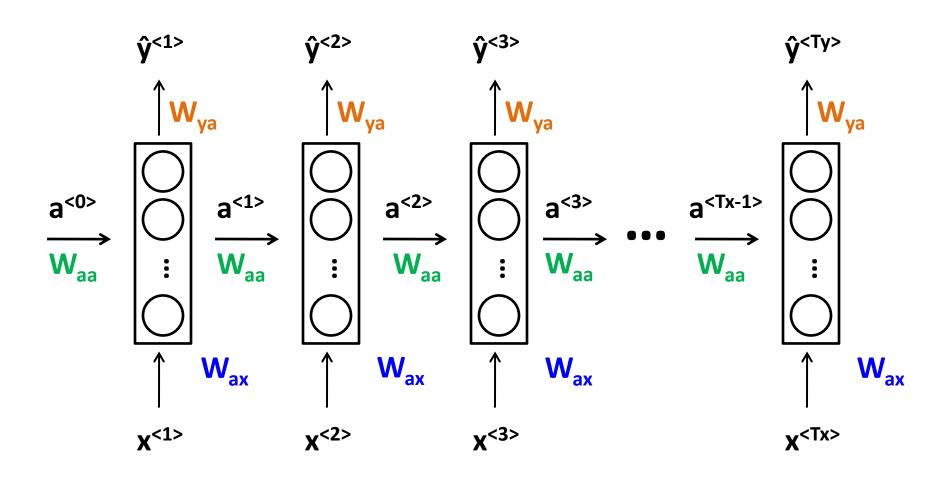


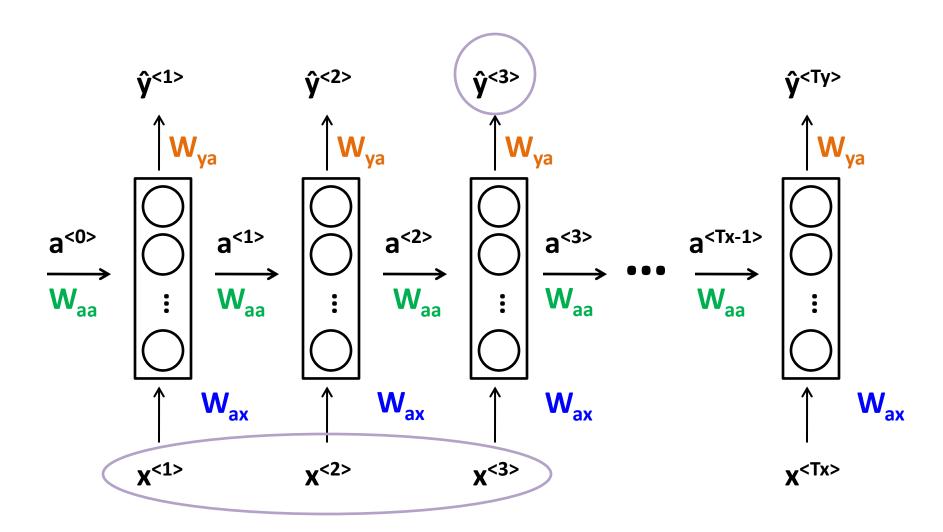






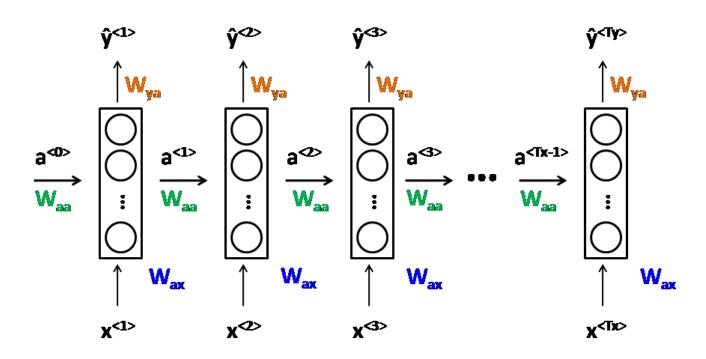






- Use information from previous input
  - Simple Recurrent neural network
- No information from future input
  - Solution Bi directional neural network

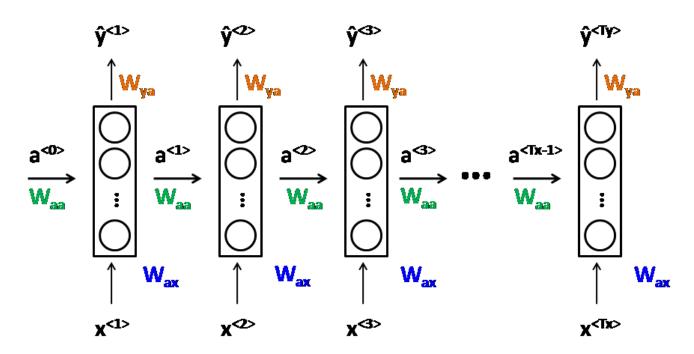
• 
$$a^{<0>} = 0$$



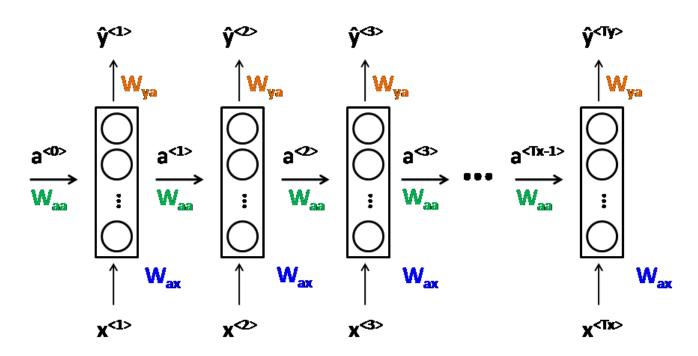
• 
$$a^{<0>} = 0$$

• 
$$a^{<1>} = g(W_{aa} a^{<0>} + W_{ax} x^{<1>} + b_a)$$

• 
$$\hat{y}^{<1>} = g(W_{ya} a^{<1>} + b_y)$$

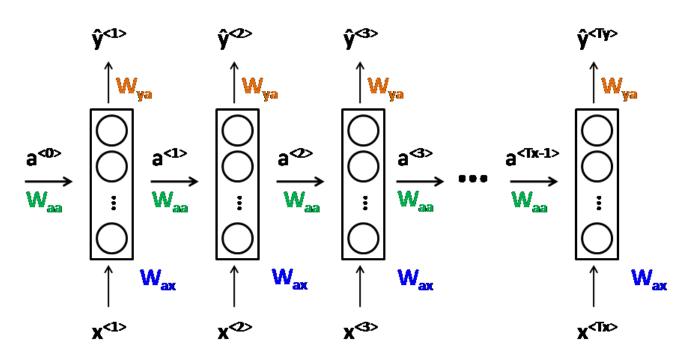


- $a^{<0>} = 0$
- $a^{<1>} = g(W_{aa} a^{<0>} + W_{ax} x^{<1>} + b_a) tanh or relu$
- $\hat{y}^{<1>} = g(W_{ya} a^{<1>} + b_y) sigmoid or softmax$

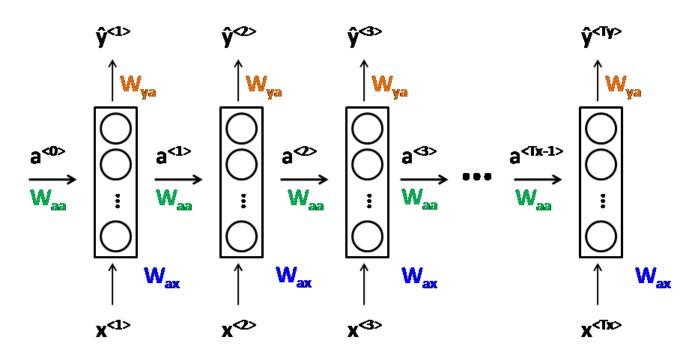


• 
$$a^{} = g(W_{aa} a^{} + W_{ax} x^{} + b_a)$$
  
•  $\hat{y}^{} = g(W_{ya} a^{} + b_y)$ 

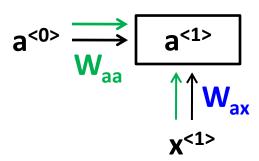
• 
$$\hat{y}^{} = g(W_{ya} a^{} + b_{y})$$



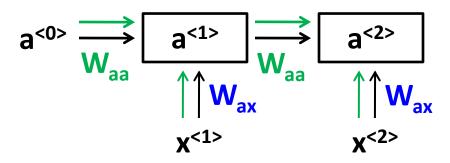
- $a^{<t>} = g(W_{aa} a^{<t-1>} + W_{ax} x^{<t>} + b_a)$
- $a^{<t>} = g(W_a [a^{<t-1>}, x^{<t>}] + b_a) Stack values$
- $\hat{y}^{<t>} = g(W_{ya} a^{<t>} + b_{y})$



• 
$$a^{<1>} = g(W_{aa} a^{<0>} + W_{ax} x^{<1>} + b_a)$$

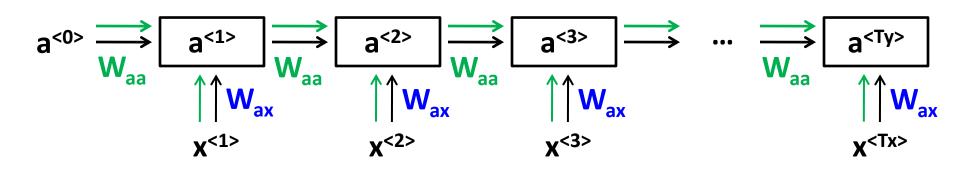


• 
$$a^{<2>} = g(W_{aa} a^{<1>} + W_{ax} x^{<2>} + b_a)$$

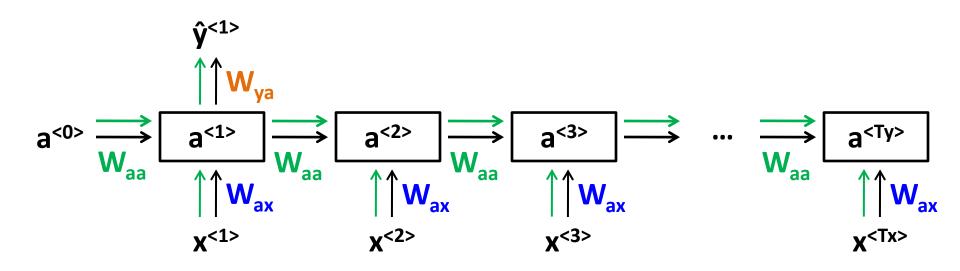


• 
$$a^{<3>} = g(W_{aa} a^{<2>} + W_{ax} x^{<3>} + b_a)$$

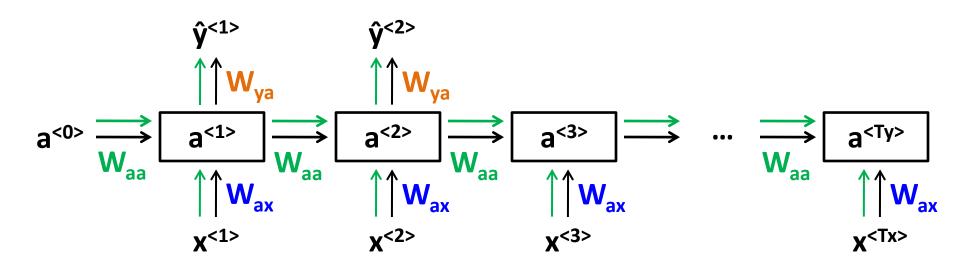
• 
$$a^{} = g(W_{aa} a^{} + W_{ax} x^{} + b_a)$$



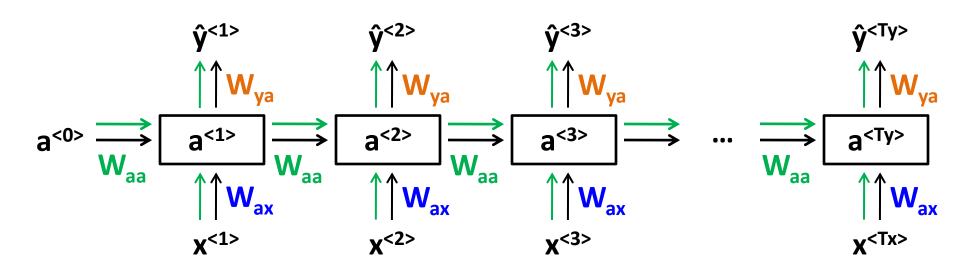
• 
$$\hat{y}^{<1>} = g(W_{ya} a^{<1>} + b_{y})$$



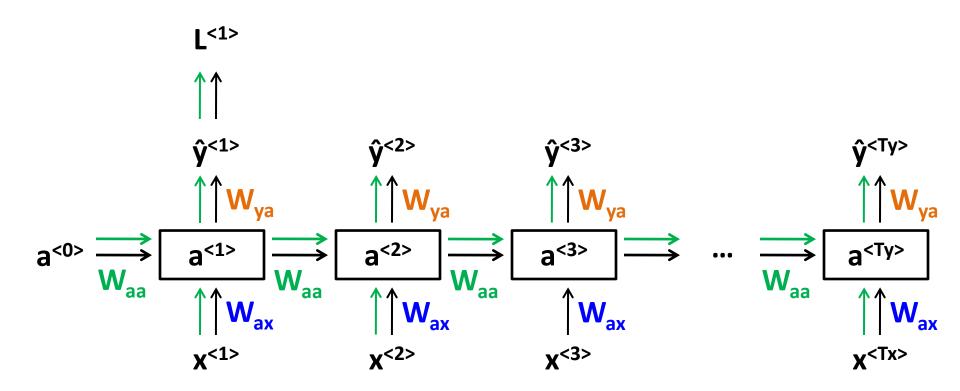
• 
$$\hat{y}^{<2>} = g(W_{ya} a^{<2>} + b_{y})$$



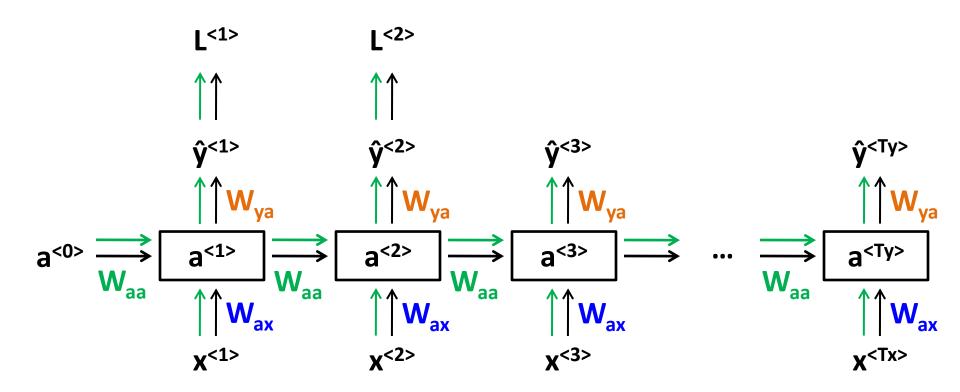
• 
$$\hat{y}^{} = g(W_{ya} a^{} + b_{y})$$



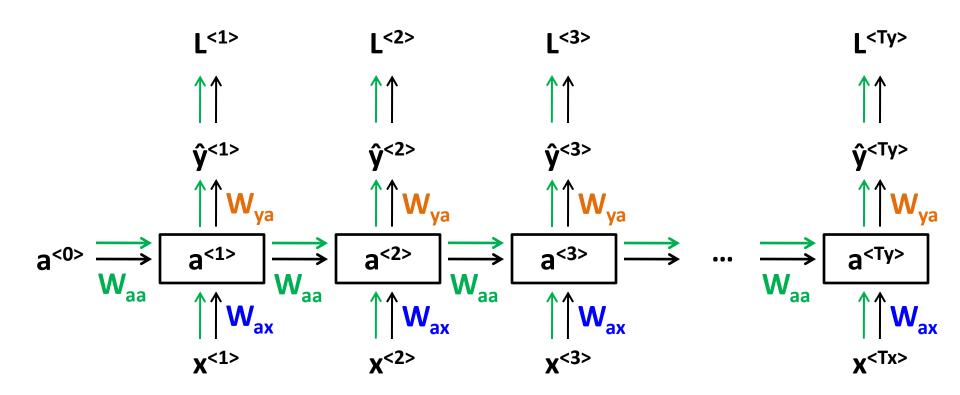
•  $L^{<1>}(\hat{y}^{<1>}, y^{<1>}) = -y^{<1>}log(\hat{y}^{<1>}) - (1-y^{<1>})log(1-\hat{y}^{<1>})$ 



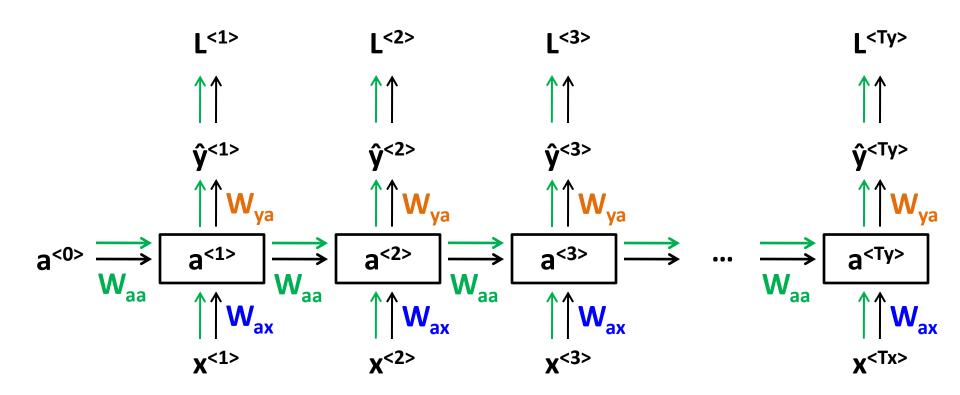
• 
$$L^{<2>}(\hat{y}^{<2>}, y^{<2>}) = -y^{<2>}log(\hat{y}^{<2>}) - (1-y^{<2>})log(1-\hat{y}^{<2>})$$



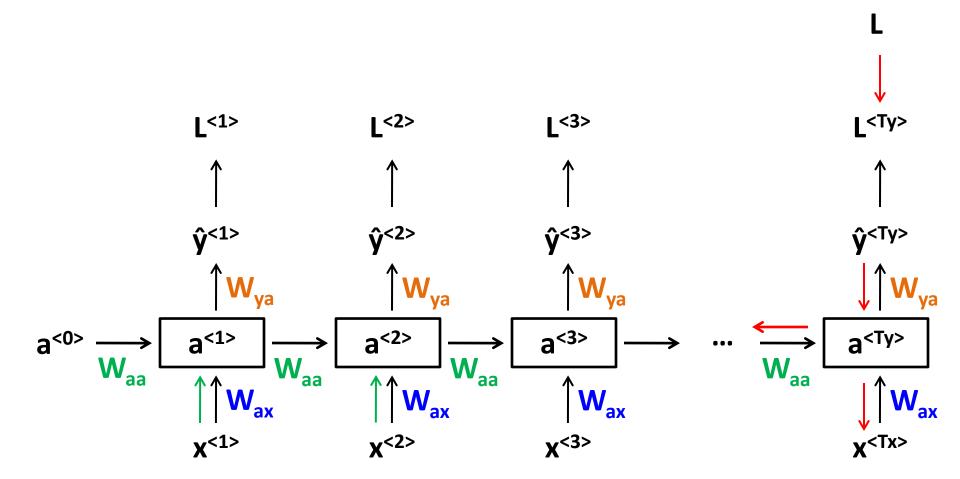
•  $L^{<t>}(\hat{y}^{<t>}, y^{<t>}) = -y^{<t>}log(\hat{y}^{<t>}) - (1-y^{<t>})log(1-\hat{y}^{<t>})$ 



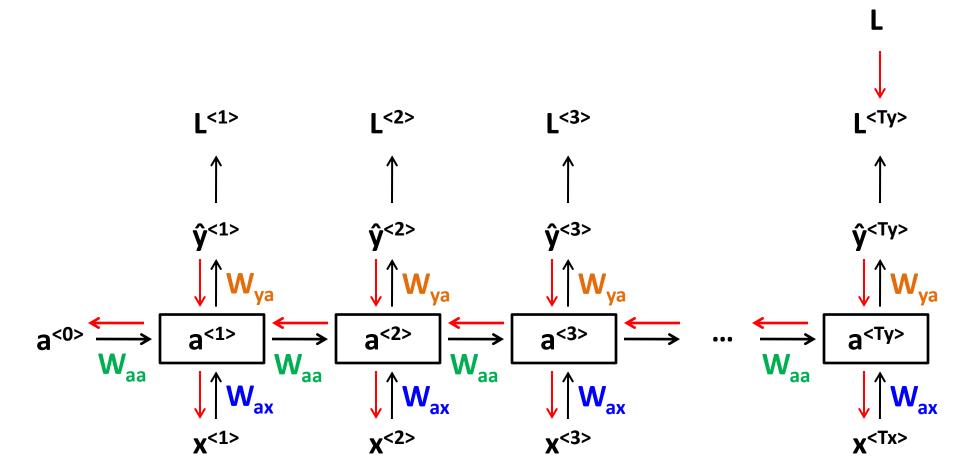
• 
$$L(\hat{y}, y) = L^{<1>} + L^{<2>} + L^{<3>} + ... + L^{}$$



• 
$$L(\hat{y}, y) = L^{<1>} + L^{<2>} + L^{<3>} + ... + L^{}$$



• 
$$L(\hat{y}, y) = L^{<1>} + L^{<2>} + L^{<3>} + ... + L^{}$$

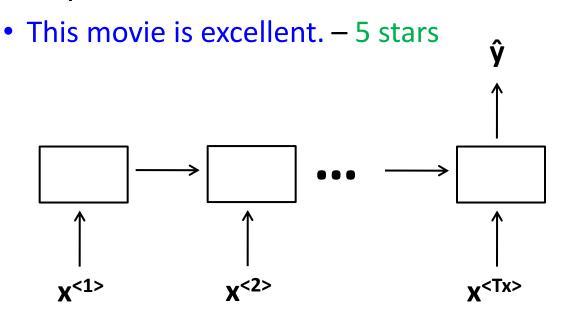


## Different types of RNN

- Many to one
- One to many
- Many to many  $(T_x = T_y)$
- Many to many  $(T_x != T_y)$

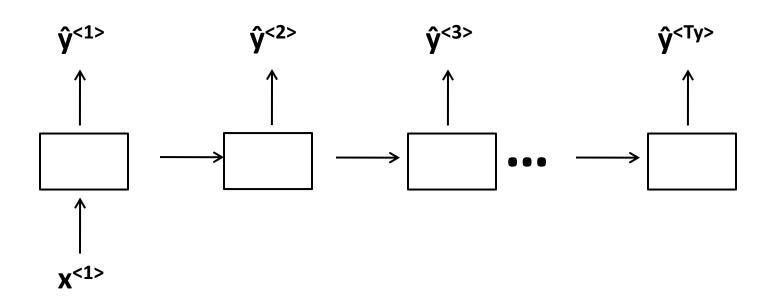
#### Different types of RNN – Many to one

- Sentiment classification
  - Input Text  $(x^{<1>}, x^{<2>}, ... x^{<Tx>})$  Many
  - Output Integer 1–5 One
  - Example



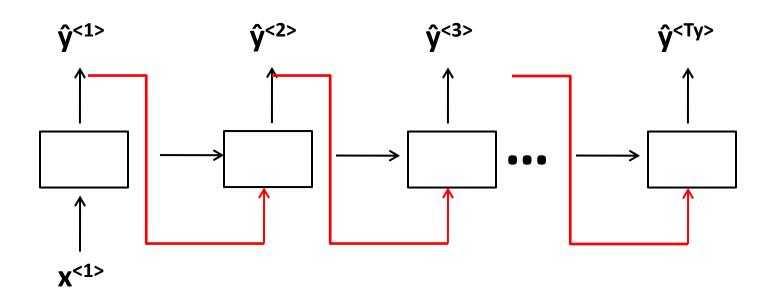
### Different types of RNN – One to many

- Music generation
  - Input Genre of music (integer) One
  - Output Set of notes Many



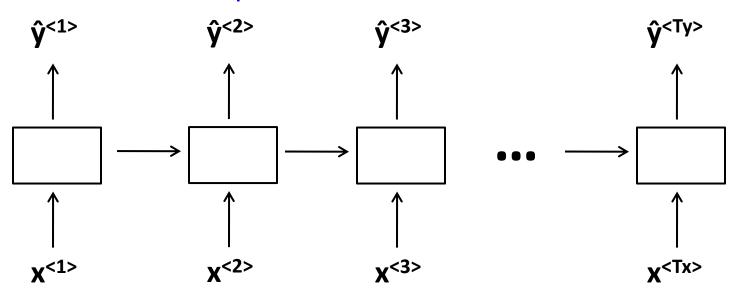
## Different types of RNN – One to many

- Music generation
  - Input Genre of music (integer) One
  - Output Set of notes Many



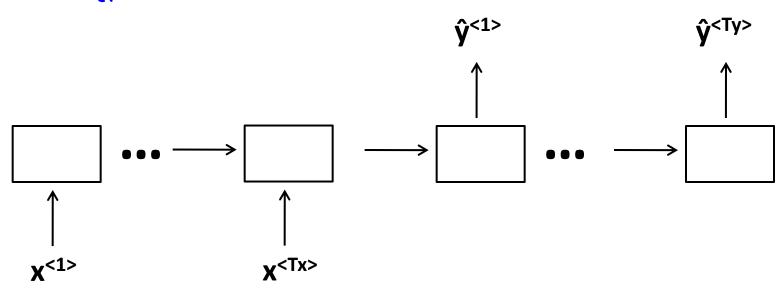
### Different types of RNN – Many to many

- Name entity recognition  $(T_x = T_y)$ 
  - Input Text  $(x^{<1>}, x^{<2>}, ... x^{<Tx>})$  Many
  - Output Numbers  $(y^{<1>}, y^{<2>}, ... y^{<Ty>})$  Many
  - Example
    - Mumbai is capital of Maharashtra. 1 0 0 0 1



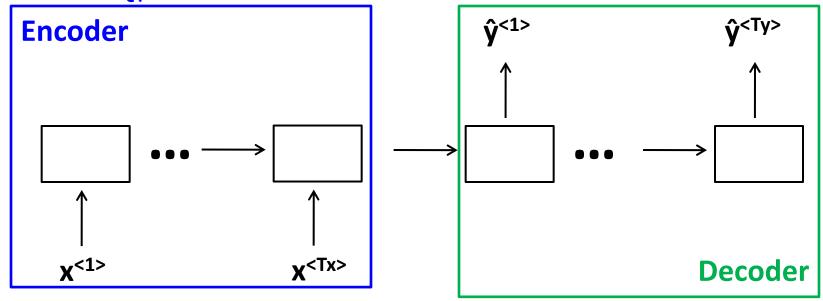
### Different types of RNN – Many to many

- Machine translation  $(T_x != T_y)$ 
  - Input Text  $(x^{<1>}, x^{<2>}, ... x^{<Tx>})$  Many
  - Output Text  $(y^{<1>}, y^{<2>}, ... y^{<Ty>})$  Many
  - Example
    - तू कसा आहेस? How are you?



## Different types of RNN – Many to many

- Machine translation  $(T_x != T_v)$ 
  - Input Text  $(x^{<1>}, x^{<2>}, ... x^{<Tx>})$  Many
  - Output Text  $(y^{<1>}, y^{<2>}, ... y^{<Ty>})$  Many
  - Example
    - तू कसा आहेस? How are you?



# Questions?

Thank you