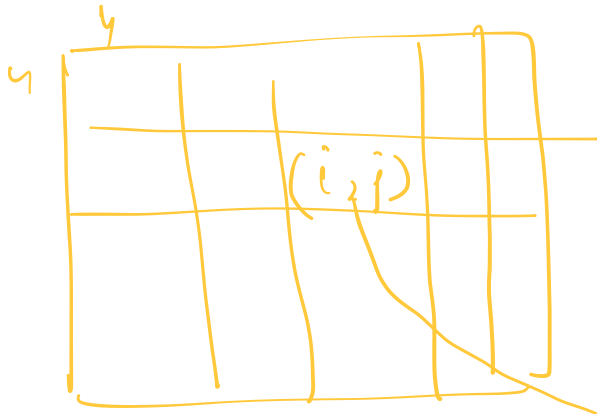


## Algorithm for encoding (simple version)

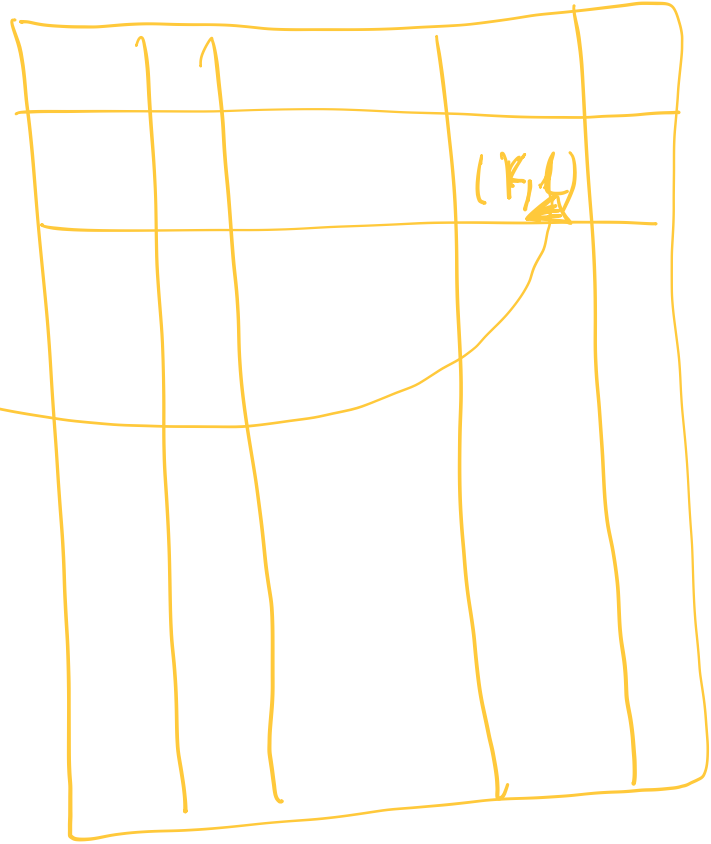
(Assuming gray scale images, each pixel represents a value from 0 to 255 the intensity of the color)



Domain  $(i, j)$

$$i, j \in [1, 16]$$

64 x 64



Range  $(k, l)$

$$k, l \in [1, 32]$$

128 x 128

Now applying domain transformations  $(T)$

$$T(D_{i,j}) = \alpha D_{i,j} + t_0$$

$$\boxed{T(D_{i,j}) \geq 0} \quad \alpha \in [0, 1] \text{ and } t_0 \in [-255, 255]$$

Now, we apply a Bernoulli force algorithm to map domain  $(i, j)$  to range  $(K, l)$

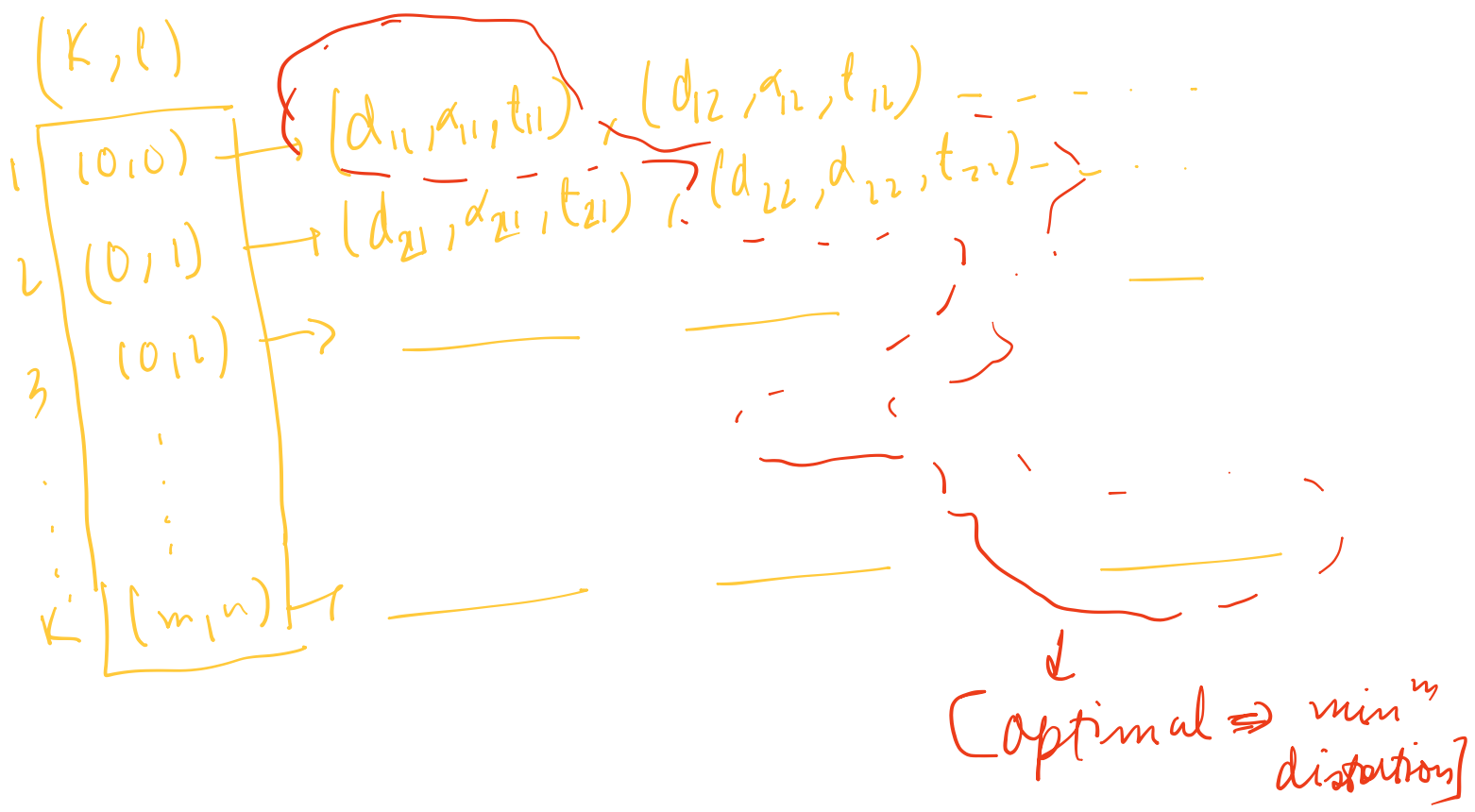
Take  $(K, l)$  from range:

Take  $\alpha$  from  $[0, 1]$ :

Take  $t$  from  $[-255, 255]$ :

Apply the affine transformation to all  $(i, j)$  in domain

and take the  $(i, j)$  for which difference in pixel value is  $\min^n$  for  $(K, l)$  and store in a list.



Now, we need to choose transformation such that distortion is minimized :-

$$\text{distortion } (d) = \sum \{T(D_{i,j}) - R_{k,l}\}^2$$

minimize this

Now, that we have the optimal transformations we can decode it from here. (These are stored in Fractal Code Book)

Algorithm for decoding (simple version) :-

Take some initial image  $\Omega_{\text{init}}$

$$\Omega_1 = \eta(\Omega_{\text{init}})$$

$$\Omega_2 = \eta(\Omega_1)$$

$$\Omega_3 = \eta(\Omega_2)$$

⋮

$$\Omega_n = \eta(\Omega_{n-1}) \rightarrow \text{converge to original}$$

$$\eta = \Psi(\Omega) T(\Omega)$$

$T \rightarrow$  affine trans<sup>fr</sup><sub>FCB</sub>  
 $\Psi \rightarrow$  down sampling  
 low pass<sup>+</sup> filtering