

Database management System :-

Collection of inter related data & a set of application program to access and process the data.

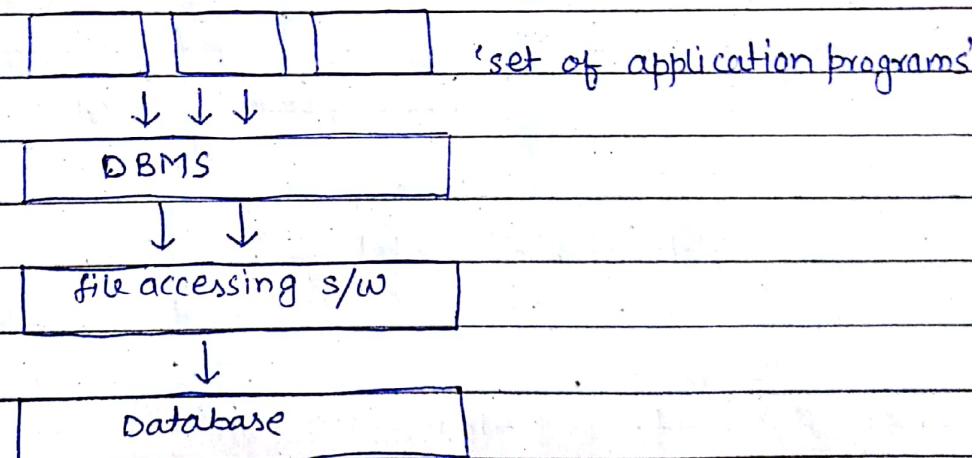
e.g. →

Banking, Railway reservation.

Problem with file system :-

- Security
- Redundancy
- Inconsistency
- Disorganised development

Role of DBMS :-



Data abstraction :-

1. Physical level (implementation)
2. Conceptual level (design level)

3. View level
4. Users level

Data Model :-

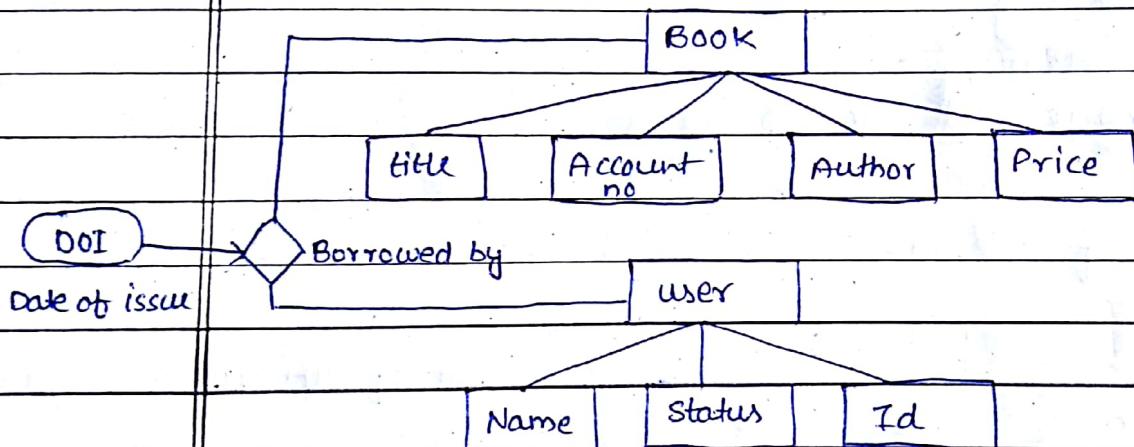
Tool to conceptualise a database.

e.g. →

Iterative

Recursive.

1. F-R model (Entity relationship)



2. Relationship model :-

Entity are represented by table

Book	Acc. No.	Title	Author	Price

3. Object oriented Model :-

E-R Model :-

Entity :- Any distinguished object is called a Entity.

e.g. →

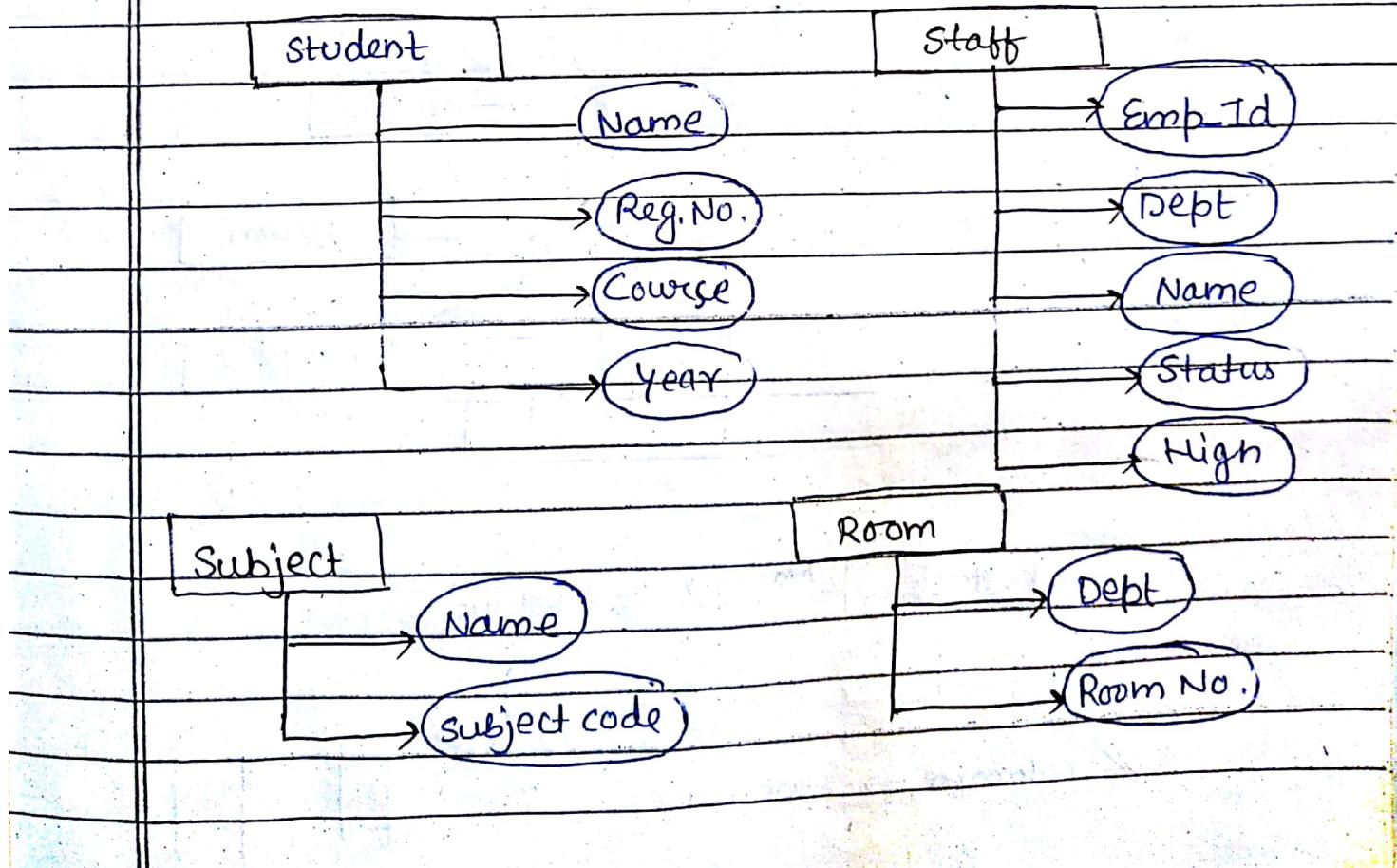
Book details

Acc. no.	Book Name	Author	Publication
232356	Computer design	Aho ulman sethi	2017, Pearson India

"Entity of same type form an entity set."

Time table Entity set :-

Name of class Date of Exams faculty held Exam List of student



lecture

→ Start time

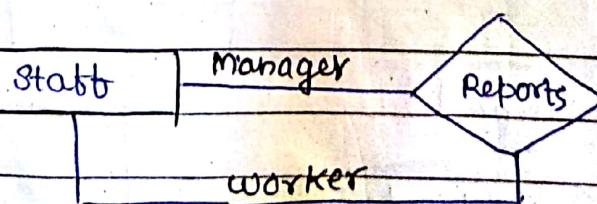
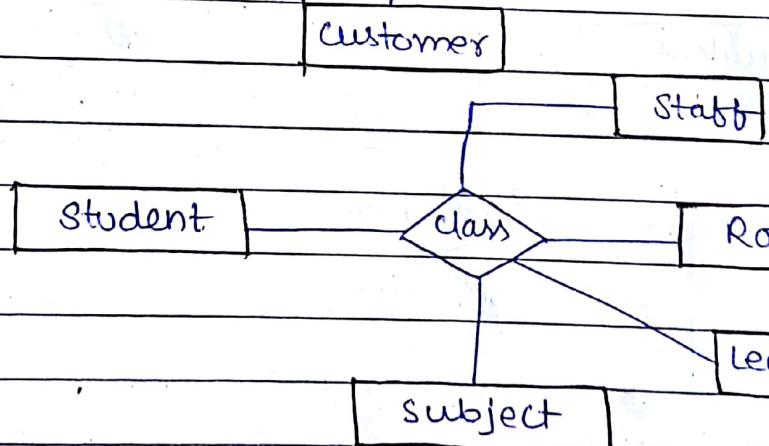
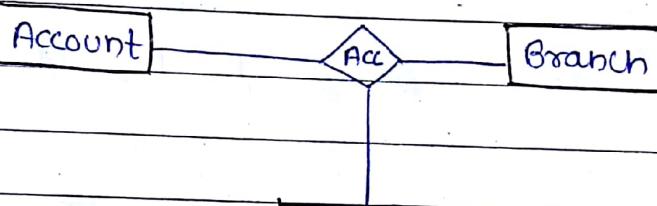
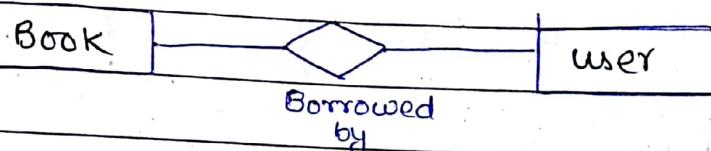
→ day

→ Hour

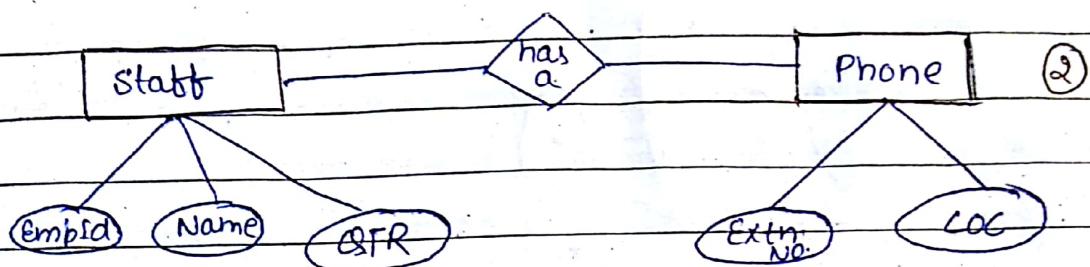
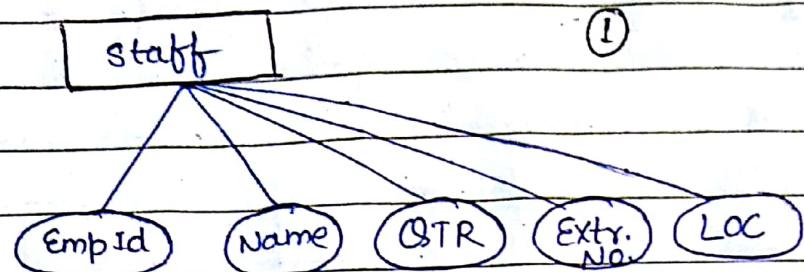
Relationship :—

Association between the entity.

e.g.



✓ column → attribute



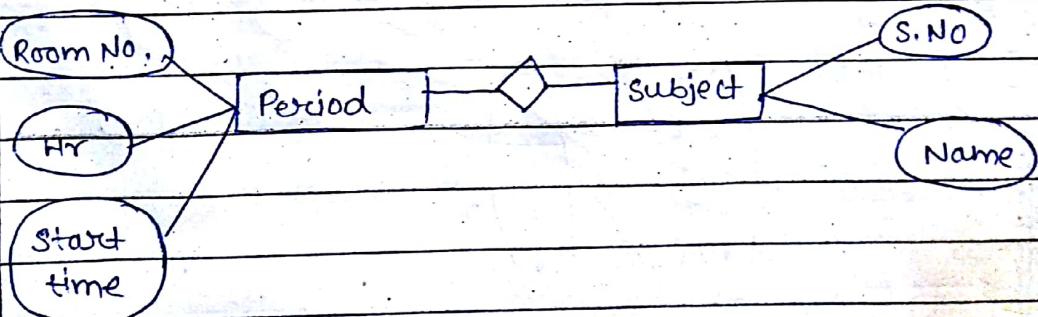
~~X~~ 's' is better than 'i'

E-R diagram for time-table :-

Period subject

can we club this Entity

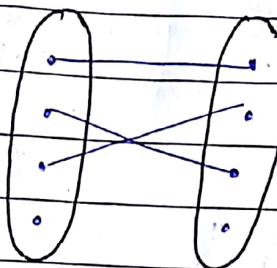
+ + +



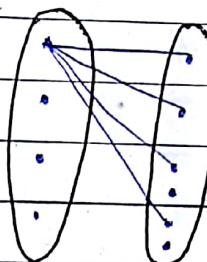
we do not club both of entities to one

Mapping Constraints :-

1. One - One
2. One - many
3. many - one
4. many - many

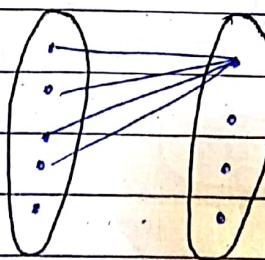


One - One



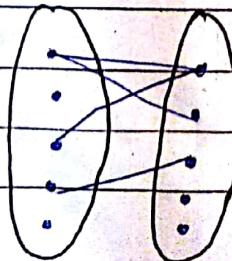
one - many

A B



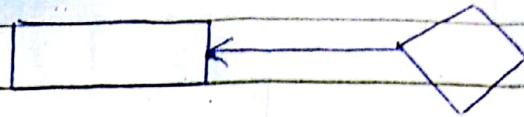
Many - One

A B



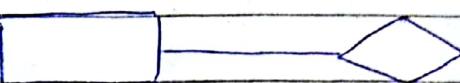
Many - Many

*



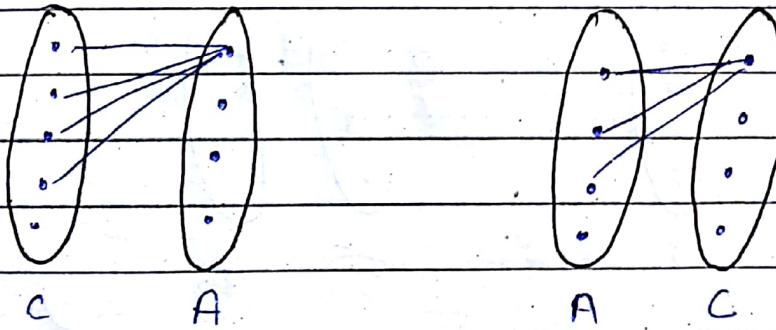
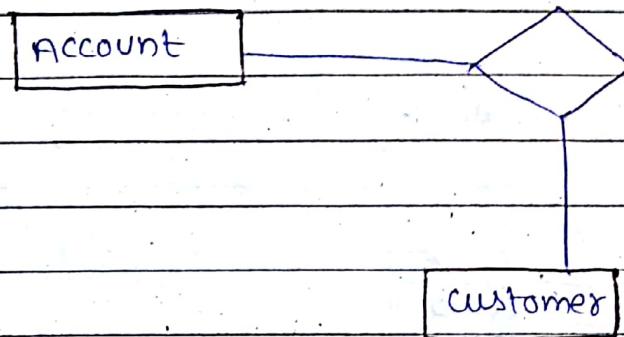
one-one / one-many relationship

*

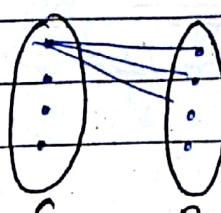
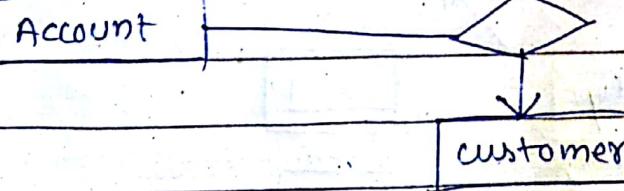


Many-one / many-many

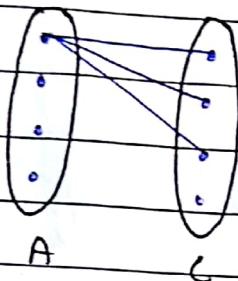
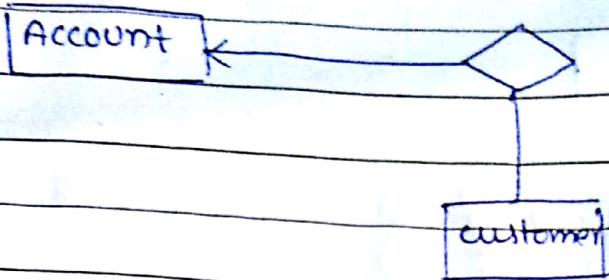
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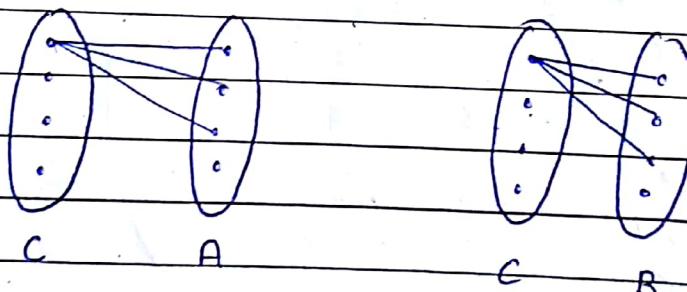
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#

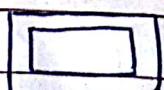


Customer



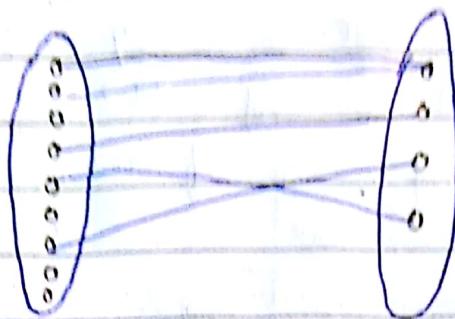
Existentia l dependency.

weak entity



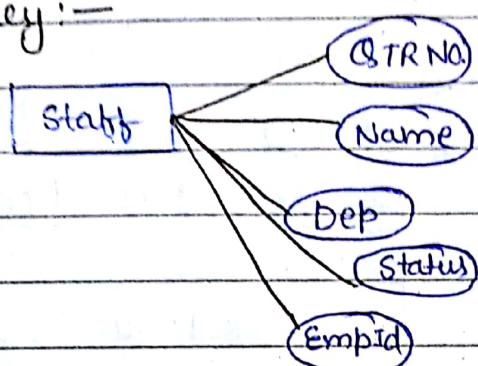
strong entity





Key :-

Super key :-



{ QTR No, Name, Dep }

{ QTR No., Name }

{ Name, Dep, Status }

{ Name, Dep }

{ EmpId }

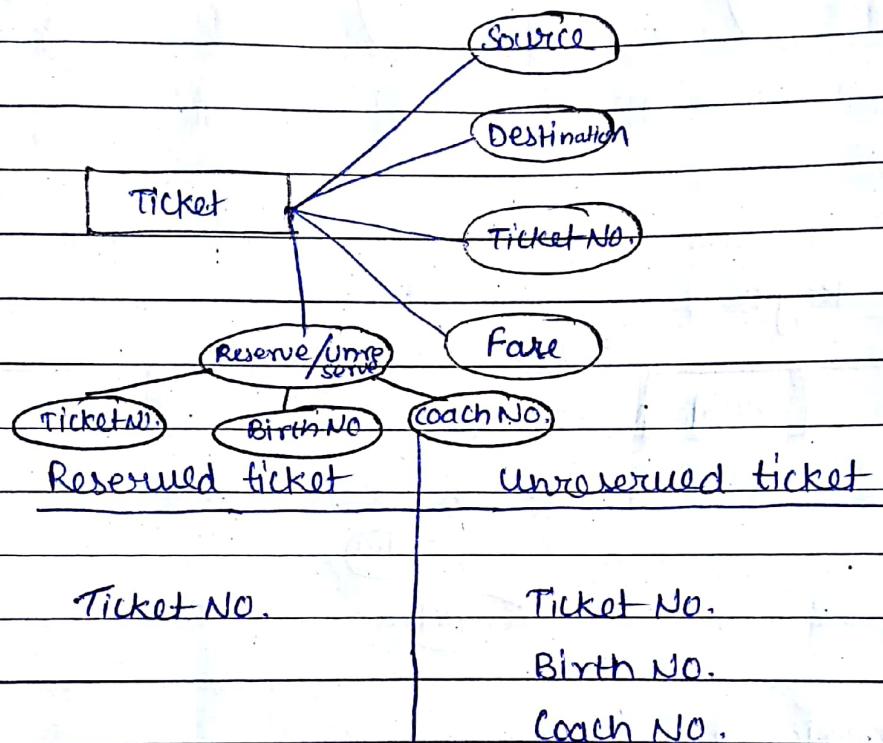
Candidate key :-

Primary key :-

Existentia l Dependancy :-

weak entity set:-

weak entity key do not have a Primary key . It is identified by the primary key of the strong entity set.



Ticket No.

Ticket No.

Source

Source

Destination

Destination

Fare

Fare

Reserve/Trip

Reserve/Trip

Ticket No.

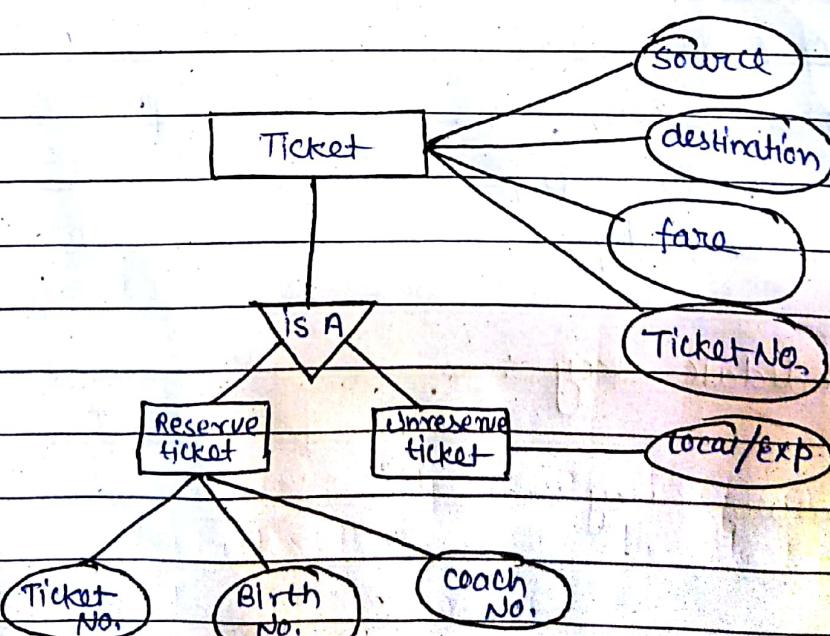
Ticket No.

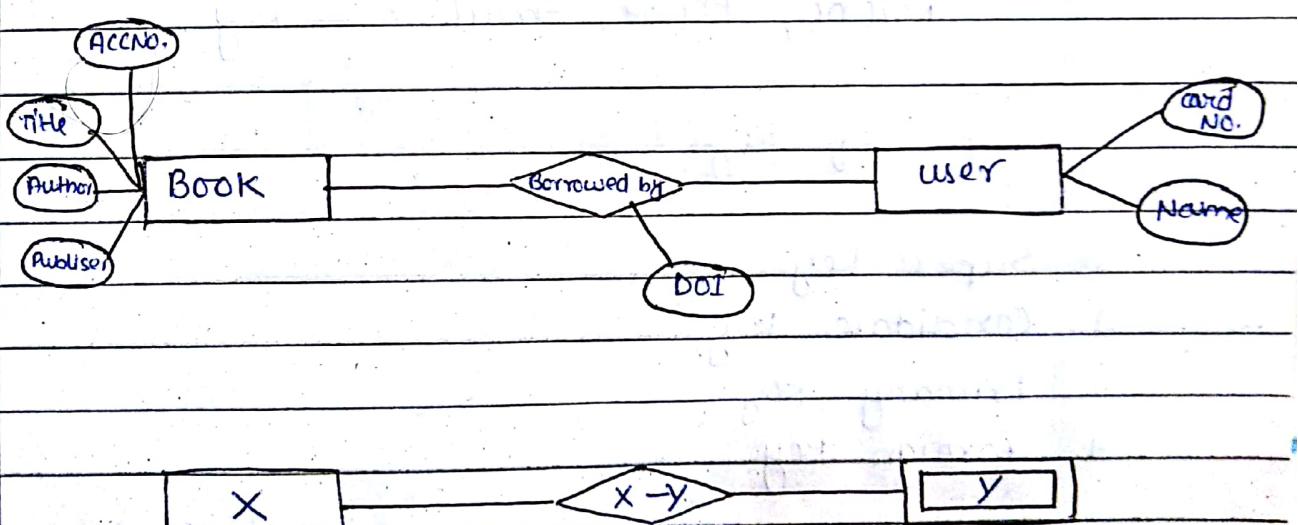
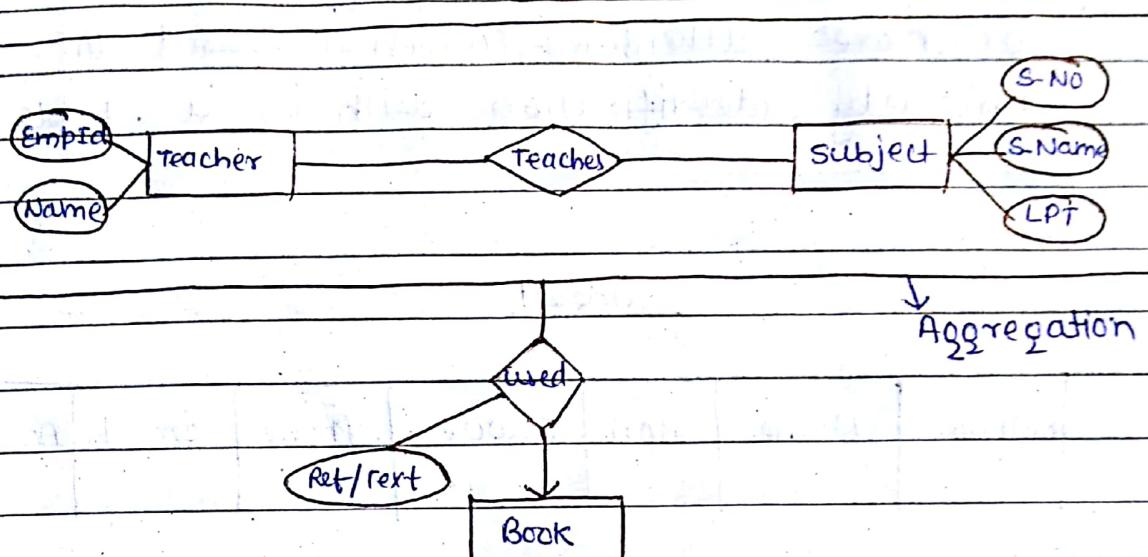
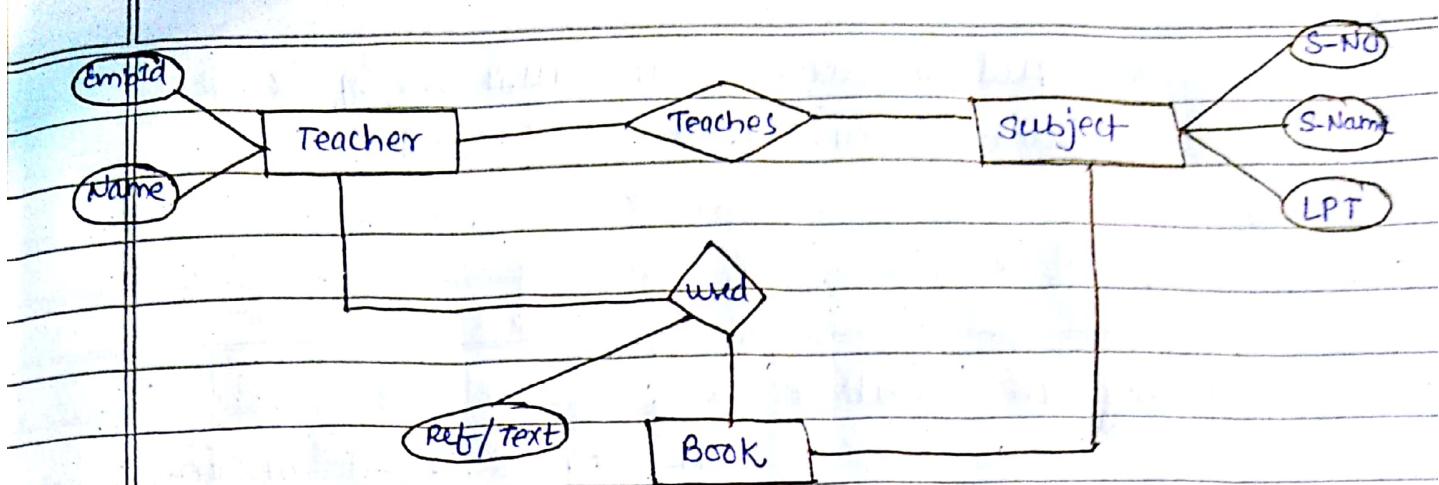
Birth No.

Birth No.

Coach No.

Coach No.





club or Not ?

Table of x-y

Primary key
of X

all the attributes of Y

Not club because all attributes of X not associated with Y.

* self *

key in database:-

A key is a set of one or more attributes, which is used to uniquely identification with in a table.

e.g.

Student

Rollno.	Name	BOB	course	Phone	Email	Address

Rollno, Phone, Email are key.

Types of keys

1. Super key
2. Candidate key
3. Primary key
4. Foreign key.

Super key:-

Super key is a set of one or more attributes that uniquely identifies each records with in a table.

e.g.

Roll no

Roll no + Name + course + Address

Roll no + Name

Candidate key :-

Candidate key is a minimal super key, which contains no extra attributes.

it consists of maximum possible attributes, which is uniquely identifies.

e.g.

Roll no is candidate key

Roll no + Phone + Email is candidate key.

Primary key :-

Primary key is an attributes, which is uniquely identifies each record with in a table.

e.g. - Roll no ✓

Foreign key :-

A foreign key are attributes in a table, whose value match as primary key in another table.

- foreign key can contains duplicate value
- Also can contain NULL value.

Employee				Department			
E.No.	E.Name	Salary	D.No	D.No	D.Name	D.Loc	
1	Pragati	50,000	D ₁	D ₁	Sales	Delhi	
2	Vipul	20,000	D ₂	D ₂	Purchase	Merut	
3	Anjelina	1,00000					
4	Abhishek	2,0000	D ₁				

4th class (Monday (4-6))

Relational Algebra :— (procedural language)

Fundamental operation :—

1. Select
2. Project
3. Cartesian product
4. Union
5. set difference
6. Rename.

Some additional operation :—

1. Natural join
2. Theta join
3. Assignment
4. Intersection
5. Division / quotient

1. ✓ Select :—

"select those constraint that satisfy certain conditions." it partition our relation horizontally.

Symbol of the select is σ

e.g. book (Acc. No., title, Price, YR_PUB)

$\sigma_{\text{Price} > 1000} (\text{book})$

This is unary relationship.

e.g.

$\sigma_{(\text{Price} > 1000)}$ (book)

$\wedge_{(\text{YR-PUB} = 1992)}$

2. ✓ Project :-

If we position our relation vertically, project operation can be represented by Π symbol.

e.g.

$\Pi_{\text{Acc. No, TITLE}}$ (book)

Ques -

which price is > 1000 & only attribute TITLE and Acc. No.

$\Pi_{\text{Acc. No, TITLE}} (\sigma_{\text{Price} > 1000} \text{ (book)})$

3. ✓ Cartiesion product operation :-

$R =$	A	B	S =	C	D
	a	b		d	e
	c	d		f	g
	e	f			

$R \times S =$

	A	B	C	D
	a	b	d	e
	a	b	f	g
	c	d	d	e
	c	d	f	g
	e	f	d	e
	e	f	f	g

$R =$

A	B
a	b
c	d
e	f

$S =$

B	C
d	e
f	g

$R \times S =$

R.A	R.B	S.B	S.C
a	b	d	e
a	b	f	g
c	d	d	e
c	d	f	g
e	f	d	e
e	f	f	g

Ques Find the names of all user who have the same address as Vijay.

user (card.no, bname, address)

USER X USER ✓

$\pi_{\text{name}} (\sigma_{\text{add} = \text{vijay}})$ /ot

$\pi_{\text{bname}} (\sigma_{(\text{bname} = 'VIJAY')})$ (USER X USER)
 $\wedge (\text{user.add} = \text{user.address})$

4. ✓ Rename operation :-

ρ_{user_1} (user)

$\pi_{\text{user.b-name}} (\sigma_{(\text{user}. \text{bname} = 'VIJAY')})$ (ρ_{user} (user))
 $\wedge (\text{user}. \text{address} = \text{user}. \text{address})$

Book (Acc. NO, YR_PUB, Title)

borrow (Acc. NO, card NO, DOI)

Ques find the accession no. of all books which are available in the library.

Here we use set difference operation.

set difference = Book - borrow.

$\pi_{ACC\cdot NO} (book) - \pi_{ACC\cdot NO} (borrow)$

Natural join operation :-

R =	A	B	C	S =	B	D
	a	b	c		b	e
	d	e	f		h	j
	g	h	i			

$r \bowtie s =$

	A	B	C	D
	a	b	c	e
	g	h	i	j

r =	A	B	C	s =	B	D	C
	a	b	c		b	e	c
	d	e	f		h	j	i
	g	h	i		b	f	z

$r \bowtie s =$

	A	B	C	D
	a	b	c	e
	g	h	i	i

$r \bowtie s =$

$r \times s$

(If value of
attribute are
same)

class 5th Tuesday (2-4)

Ques Find out all the books which are either issued or have been supplied by supplier.

book (Acc. NO, YR-PUB, title)

sby (Acc. , Sname , Price)

bby (Acc. NO , card NO , DOI)

$\pi_{ACCNO}(bby) \cup \pi_{ACCNO}(sby)$

Ans - $r - (r - s)$

Exam-

	A	B		A	B
$r =$	a	1	$s =$	a	1
	b	3		b	2

Ans

A	B
a	1

Division / Quotient operation :-

$r =$	A	B
	P	a

$s =$	B

$r/s = r-s$

A

r/s

r =	A	B	S	B	A
P	a			a	P
q	a			b	q
P	b				
P	c				
q	t				
m	a				
q	b				

so if we value each combination of slot
 which like a are present in S the
 its really present pa, pb in table Y

x

Ques Sailor (sid , sname , rating , age)

Reserve (sid , bid , day)

Boat (bid , bname , color)

- Find the names of sailors who have reserve boat no. 103 .

Reserves

$\Pi_{sname} ((\sigma_{bid=103} (\text{Reserves} \times \text{Sailor})) \bowtie \text{Sailor})$

Ques find the names of the sailors who have reserved a red boat.

$$\pi \text{ sname} \left(\sigma \text{ color} = \text{'red'} \right) \bowtie (\text{boat}) \bowtie (\text{sailor})$$

$$(\text{sailor})$$

Ques find the color of boats reserved by Lubber.

$$\pi \text{ color} \left(\text{boat} \right) \bowtie \pi \text{ name} = \text{lubber}$$

$$\pi \text{ color} \left(\sigma \text{ name} = \text{lubber}, \text{sailor} \right) \bowtie \text{Reserve}$$

$$(\text{boat})$$

Ques find the names of sailors who have reserved at least one boat.

$$\pi \text{ sname} \left(\text{Reserve} \right) \bowtie (\text{sailor})$$

Ques find the names of sailors who have reserved a red or a green boat.

$$\pi \text{ sname} \left(\sigma \text{ (color} = \text{'red')} \right) \text{ (boat)} \bowtie \text{Reserve}$$

$$\vee \left(\text{color} = \text{'green'} \right) \text{ (boat)} \bowtie (\text{sailor})$$

$\sigma(\text{tempbo}, \{\sigma_{\text{color} = 'Red'} (\text{Boats})\} \cup \{\sigma_{\text{color} = 'green'} (\text{Boat})\})$

$\text{Tempbo} = [\text{bid}] \ bname \ [\text{color}]$

$\pi_{\text{sname}} (\text{tempbo} \bowtie \text{Reserve} \bowtie \text{sailor})$

Ques Find the names of sailors who have reserved a red and green boat.

$\pi_{\text{sname}} ((\sigma_{\text{color} = 'Red'} (\text{Boat}) \bowtie \text{reserve} \bowtie \text{sailor}) \cap$

$\pi_{\text{sname}} ((\sigma_{\text{color} = 'green'} (\text{Boat}) \bowtie \text{reserve} \bowtie \text{sailor})$

$\sigma(\text{temp Red}, \pi_{\text{sid}} (\sigma_{\text{color} = 'Red'} \text{ Boat})) \bowtie \text{Reserve}$

$\sigma(\text{temp green}, \pi_{\text{sid}} (\sigma_{\text{color} = 'green'} \text{ Boat})) \bowtie \text{Reserve}$

$\pi_{\text{sname}} (\text{temp Red} \cap \text{temp green}) \bowtie \text{sailor}$

Ques Find the names of sailors who have reserved atleast one boat.
two

$\rho(\text{reser}, \pi_{\text{sname}, \text{sid}, \text{bid}}(\text{sailor} \bowtie \text{Reserve}))$

reser =	sid	sname	bid
	25	A.K	13
	25	S.K	14

$\rho(\text{reservpair}, (\text{1-sid1}, \text{2-sname1}, \text{3-bid1})$
 $\quad \quad \quad \text{4-sid2}, \text{5-sname2}, \text{6-bid2})$

Reser X Reser

$\pi_{\text{sname1}} \sigma_{(\text{bid1} \neq \text{bid2})} \times (\text{Reservpair})$
 $\quad \quad \quad (\text{sid1} = \text{sid2})$

class 6th Monday (4-6)

Relational calculus:- (Non procedural language)

"Based on notation of set theory."

- ✓ Explite Notation of set e.g. $S = \{1, 3, 5, \dots\}$
- ✓ Inspite notation of set . e.g. $S = \{x \text{ is odd int } | x=2y, y \in T\}$

tuple relation formula:-

$$S = \{t \mid P(t)\}$$

↓ ↓
tuple predicates

e.g. I want who books which are published in 1999.

$$S = \{t \mid t \in \text{Book} \wedge t[\text{YR_PUB}] = 1999\}$$

$\therefore t \rightarrow$ all the attributes of Book

$$S = \{t \mid \exists u \in \text{Book} (t[\text{title}] = u[\text{title}] \wedge t[\text{ACCNO}] = u[\text{ACCNO}] \wedge u[\text{YR_PUB}] = 1999)\}$$

Ques find the names of borrowers with there address who have issued a book on 14/8/95

user (card_no, name, add)

borrower (Acc_no, card_no, Date_of_issue)

$S = \{ t \mid \exists u \in user (t[\text{name}] = u[\text{name}] \wedge t[\text{add}] = u[\text{add}] \wedge \exists b \in borrow (t[\text{D-O-T}] = 14/8/95)) \}$

$\exists b \in borrow (b[\text{card-no}] = u[\text{card-no}] \wedge b[\text{D-O-T}] = 14/8/95) \}$

Ques Find the names of borrowers who have issued a book supplied by Narosa or Allied.

$user(b[\text{name}], b[\text{add}], cardno)$

$supp(s[\text{name}], price, D-O-S)$

$borrower(cardno, cardno, DOT)$

$S = \{ t \mid \exists u \in user (t[\text{name}] = u[\text{name}]) \wedge \exists b \in supp (b[\text{acc-no}] = u[\text{acc-no}] \wedge \exists c \in borrow (c[\text{acc-no}] = supp[\text{acc}] \wedge (c[\text{S-Name}] = 'Narosa' \vee c[\text{S-Name}] = 'Allied')) \}$

Ques Find the names of borrowers who have issued a book supplied by Narosa but have not issued any book supplied by Allied.

$S = \{ t \mid \exists u \in user (t[b[\text{name}]] = u[b[\text{name}]] \wedge \exists b \in borrower (b[\text{cardno}] = u[\text{cardno}] \wedge \exists s \in supp (s[\text{acc-no}] = b[\text{acc-no}] \wedge (s[\text{S-name}] = 'Narosa' \wedge s[\text{S-name}] \neq 'Allied')) \}) \}$

$\exists q \in \text{supplier} (q[\text{acc-no}] = b[\text{acc-no}] \wedge q[\text{s-name}] = \text{'Allied'}) \}$

Date - 30/01/18 Tuesday (2-4)

$\{t | t \in \text{Book} (t[\text{title}] = u[\text{title}]) \}$

means :-

t	u	ACCNO	title	YR
compiler		37	compiler, DS, DBms	
DS		38	compiler, DS, DBms	
DBms		39	compiler, DS, DBms	

$\{t | t \in \text{Book} (t[\text{title}] = u[\text{title}] \Rightarrow u[\text{YR_PUB}] = \text{'1991'}) \}$

Integrity Constraints :-

E-R model :-

1. Key constraints.
2. cardinality constraints.
3. weak entity and strong entity.

Schemes for checking integrity constraints :-

1. Domain constraints
2. Refrential constraints

3. Functional dependency

Book (Acc_NO, Title, YR_PUB)

Borrow (Acc_NO, card_NO, DOI)

X Acc NO = 57 present in Borrow but not book

✓ Acc NO = 57 present in Book but not Borrow

Foreign key :-

Let $r_1(R_1)$ & $r_2(R_2)$ be two relations. Suppose $d \in R_2$ is a foreign key referencing K (primary key of r_1) if $\pi_d(r_2) \subseteq \pi_K(r_1)$.

 $\therefore d \rightarrow$ foreign key.

Create table Borrow (Acc_NO char(20),
card_NO char(20),
DOI Date

primary key (Acc NO),
foreign key Acc NO references Book);

 $\pi_d(r_2) \subseteq \pi_K(r_1)$ Insert: t_2 in r_2 $t_2(d) \subseteq \pi_K(r_1)$ t_1 in r_1 , no check.Delete :- t_2 from r_2 No check t_1 from r_1 , No correspondingAcc-No present
in Borrower

Update :- delete followed by insert

t_1 in τ_1

t_2 in τ_2

Date - 06/02/18

Monday (4-6)

Employee

Fname	Minit	Cname	Ssn	Add	DNo

Dept

Dname	DNumber

foreign key DNo References Dept.

Foreign key :-

A set of attributes FK in relational schema R_1 is a foreign key of R_1 that references relation R_2 if it satisfied :-

1. The attributes of FK must have the same domain as primary key of R_2 . The attribute FK is said to refer to relation R_2 .

- Q. A value of FK in a tuple t_1 of R_1 either occurs as same value in tuple t_2 in R_2 or is null.

Ex-

Functional dependency :-

- decide the attributes

e.g.

lib management :-

title, accno, yr-pub, publisher, b-name, cardno,
sname, supp-add.

it is a constrain b/w two attributes

 $x: y$ if $t_1[x] = t_2[x]$ then $t_1[y] = t_2[y]$ $\text{Acc No} \rightarrow \text{Title}$ ✓ $\text{Acc No} \rightarrow \text{Yr-Pub}$ ✓ $\text{Title} \rightarrow \text{Yr-Pub}$ ✗e.g. Database system → 1994
concept

"

→ 2005

 $\text{Title} \rightarrow \text{Acc No}$ ✗

Compiler design . SG

11

49

Ex-

X	Y	Z	W
x_1	y_1	z_1	w_1
x_1	y_2	z_1	w_2
x_2	y_2	z_2	w_2
x_2	y_3	z_2	w_3
x_3	y_3	z_2	w_4

$x \rightarrow y \quad x$

$y \rightarrow z \quad x$

$x \rightarrow z \quad \checkmark$

$x \rightarrow w \quad x$

$y \rightarrow w \quad x$

$w \rightarrow y \quad \times \checkmark$

Dept \rightarrow head

13

250231

head \rightarrow phone

250231 231

Dep \rightarrow Phone

13

231

closure :-

F of FD's + all the FD's inferred from F

denoted by closure is F^+

there are 6 inference rule first three are known as Armstrong's rule.

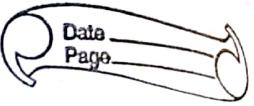
Inference Rule :-

1. Reflexive Rule :-

if $x \supseteq y \models x \rightarrow y$

e.g.

 $ACCNO \rightarrow ACCNO$



2. Augmentation rule :-

$$\text{if } \{x \rightarrow y\} \models xz \rightarrow yz$$

3. Transitive rule :-

$$\text{if } \{x \rightarrow y, y \rightarrow z\} \models x \rightarrow z$$

4. Decomposition rule :-

$$\text{if } \{x \rightarrow yz\} \models x \rightarrow y, x \rightarrow z$$

5. Union Rule :-

$$\text{if } \{x \rightarrow y, x \rightarrow z\} \models x \rightarrow yz$$

6. Pseudo transitive Rule :-

$$\begin{aligned} &\text{if } \{x \rightarrow y, wx \rightarrow z\} \\ &\models wx \rightarrow z \end{aligned}$$