

EXTENDS *Naturals*

CONSTANTS N , number of floors

Up, Dn represents direction

ASSUME $N \in Nat$

VARIABLES i, dir

True when elevator is at floor f

$At(f) \triangleq i = 2 * f - 1$

True when elevator is between floors

$IsBetween \triangleq i \% 2 = 0$

$Init \triangleq \wedge i = 1$

$\wedge dir \in \{Up, Dn\}$

move up when at a floor

$UpFlr \triangleq \wedge \exists f \in 1 \dots N - 1 : At(f)$

$\wedge i' = i + 1$

$\wedge dir' = Up$

move up when between floors

$UpBetween \triangleq \wedge IsBetween$

$\wedge dir = Up$

$\wedge i' = i + 1$

$\wedge \text{UNCHANGED } dir$

move down when at a floor

$DnFlr \triangleq \wedge \exists f \in 2 \dots N : At(f)$

$\wedge i' = i - 1$

$\wedge dir' = Dn$

move down when between floors

$DnBetween \triangleq \wedge IsBetween$

$\wedge dir = Dn$

$\wedge i' = i - 1$

$\wedge \text{UNCHANGED } dir$

$Next \triangleq \vee UpFlr$

$\vee UpBetween$

$\vee DnFlr$

$\vee DnBetween$

$v \triangleq \langle i, dir \rangle$

$L \triangleq \wedge \text{WF}_v(UpBetween)$

$\wedge \text{WF}_v(DnBetween)$

$$\begin{aligned}
& \wedge \text{WF}_v(\text{UpFlr} \wedge \text{At}(1)) \\
& \wedge \text{WF}_v(\text{DnFlr} \wedge \text{At}(N)) \\
& \wedge \forall f \in 2 \dots N - 1 : \\
& \quad \wedge \text{SF}_v(\text{UpFlr} \wedge \text{At}(f)) \\
& \quad \wedge \text{SF}_v(\text{DnFlr} \wedge \text{At}(f))
\end{aligned}$$

$$Spec \stackrel{\Delta}{=} Init \wedge \Box[Next]_v \wedge L$$
