Intercepts of the Quadratic

Casel: $\Delta > 0$ $v_{1,2} = \frac{-b \pm \sqrt{b^2 - 4 \text{ ac}}}{2a}$ computes the v-intercepts of multiplicity 1. f(0) = c computes the single f-intercept.

Given a quadratic $f(v) = a v^2 + b v + c$ compute its discriminant \triangle :

$$f(0) = c$$
 computes the single f-intercept.
Example 1.

 $f(v) = 2v^2 + 2v - 24$ compute its discriminant \triangle :

 $\triangle = \sqrt{b^2 - 4ac}$

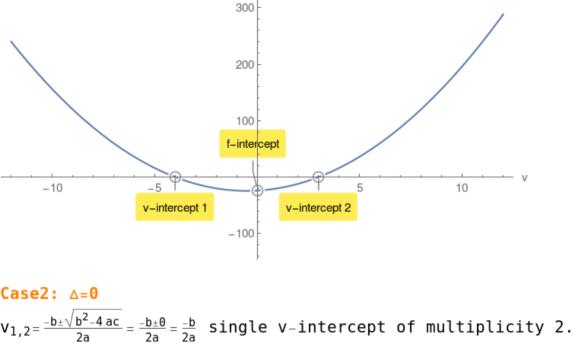
∆=196>0 v_{1,2}=-4,3

Example 2.

Case3: △<0

△=0

$$f(0) = -24$$
 f-intercept.



$v_{1,2}=8,8$ f(0)=128 f-intercept.

 $f(v) = 2v^2 - 32v + 128$ compute its discriminant \triangle :

800 -600 -400 -

200

$$\sqrt{b^2-4\,ac}$$
 has no value in Real Numbers. Therefore there are no v-intercepts. However there is a f-intercept.
Example 3.
$$f(v) = 9\ v^2 + 144\ v + 640$$
 compute its discriminant \triangle :

f-intercept

v-intercept 1,2

 $\triangle = -2304 < 0$ f (0) = 640 f - intercept.