## Intercepts of the Quadratic

Casel:  $\Delta>0$   $k_{1,2}=\frac{-b\pm\sqrt{b^2-4\,ac}}{2a} \text{ computes the } k-\text{intercepts of multiplicity 1.}$   $g\left(0\right)=c \text{ computes the single } g-\text{intercept.}$ 

Given a quadratic  $g(k) = a k^2 + b k + c$  compute its discriminant  $\triangle$ :

g(0) = c computes the k-intercepts of muttiplicity 1. g(0) = c computes the single g-intercept. Example 1.

## $g(k) = -2 k^2 + 16 k + 18$ compute its discriminant $\triangle$ : $\triangle = 400 > 0$

Example 2.

g(0) = 108 g-intercept.

no k-intercepts.

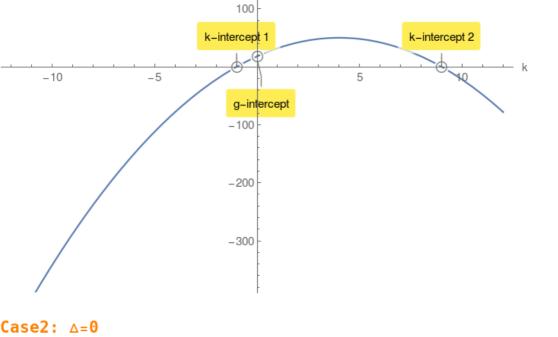
g(0) = -810 g-intercept.

Example 3.

 $\triangle = \sqrt{b^2 - 4ac}$ 

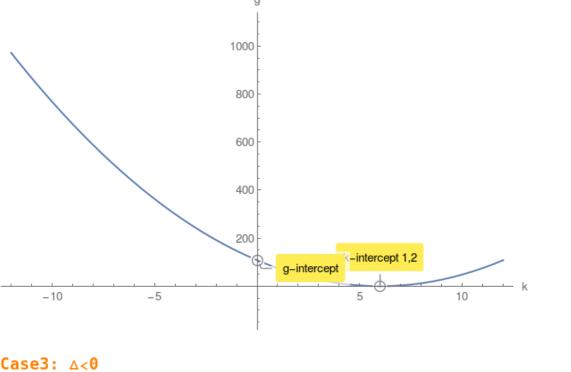
 $k_{1,2}=-1,9$  g(0)=18 g-intercept.

$$(0) = 18$$
 g-intercept.



 $k_{1,2} = \frac{-b \pm \sqrt{b^2 - 4 \text{ ac}}}{2a} = \frac{-b \pm 0}{2a} = \frac{-b}{2a}$  single k-intercept of multiplicity 2.

$$g(k) = 3 k^2 - 36 k + 108$$
 compute its discriminant  $\triangle$ :  $\triangle = 0$   $k_{1,2} = 6,6$ 



 $\sqrt{\,\mathsf{b}^2\,_-\,\mathsf{4}\,\mathsf{ac}}$  has no value in Real Numbers. Therefore there are

## $g(k) = -9 k^2 - 162 k - 810$ compute its discriminant $\triangle$ : $\triangle = -2916 < 0$

However there is a g-intercept.

