$$\begin{split} c\left(f\right) &= 6\ f^2 + 7\ f + 6 \\ c\left(f + h\right) &= 6\ \left(f + h\right)^2 + 7\ \left(f + h\right) + 6 \\ &= 6\ f^2 + 12\ f\ h + 7\ f + 6\ h^2 + 7\ h + 6 \\ \frac{c\left(f + h\right) - c\left(f\right)}{h} &= \frac{\left(6\ f^2 + 12\ h\ f + 7\ f + 6\ h^2 + 7\ h + 6\right) - \left(6\ \left(f + 1\right)^2 + 7\ \left(f + 1\right) + 6\right)}{h} \\ &= \frac{6\ h^2 + 12\ f\ h + 7\ h}{h} \\ &= \frac{h\left(12\ f + 6\ h + 7\right)}{h} \\ &= 12\ f + 6\ h + 7 \end{split}$$

$$\begin{split} c\left(f\right) &= 6\ f^2 + 7\ f + 6 \\ c\left(f + h\right) &= 6\ \left(f + h\right)^2 + 7\ \left(f + h\right) + 6 \\ &= 6\ f^2 + 12\ f\ h + 19\ f + 6\ h^2 + 19\ h + 19 \\ \frac{c\left(f + h\right) - c\left(f\right)}{h} &= \frac{\left(6\ f^2 + 12\ h\ f + 19\ f + 6\ h^2 + 19\ h + 19\right) - \left(6\ f^2 + 7\ f + 6\right)}{h} \\ &= \frac{6\ h^2 + 12\ f\ h + 7\ h}{h} \\ &= \frac{h\left(12\ f + 6\ h + 7\right)}{h} \\ &= 12\ f + 6\ h + 7 \end{split}$$

$$\begin{split} c\,(f) = &6\,\,f^2 + 7\,\,f + 6 \\ c\,(f+h) = &6\,\,(f+h)^2 + 7\,\,(f+h)^2 + 6 \\ = &6\,\,f^2 + 12\,\,f\,\,h + 7\,\,f + 6\,\,h^2 + 7\,\,h + 6 \\ \frac{c\,(f+h) - c\,(f)}{h} = &\frac{\left(6\,\,f^2 + 12\,\,h\,\,f + 7\,\,f + 6\,\,h^2 + 7\,\,h + 6\right) - \left(6\,\,f^2 + 7\,\,f + 6\right)}{h} \\ = &\frac{6\,h^2 + 12\,\,f\,\,h + 7\,\,h}{h} \\ = &\frac{h\,(12\,f + 6\,h + 7)}{h} \\ = &12\,\,f + 6\,\,h + 7 \end{split}$$

$$\begin{split} c\,(\,f\,) = &6\,\,f^2\,+\,7\,\,f\,+\,6\\ c\,(\,f+h) = &6\,\,(\,f+h\,)^{\,2}\,+\,7\,\,(\,f+h\,)\,\,+\,6\\ = &6\,\,f^2\,+\,12\,\,f\,\,h\,-\,5\,\,f\,+\,6\,\,h^2\,-\,5\,\,h\,+\,5\\ \frac{c\,(\,f+h\,)\,-\,c\,(\,f\,)}{h} = &\,\frac{\left(6\,\,f^2\,+\,12\,\,h\,\,f+31\,\,f+6\,\,h^2\,+\,31\,\,h+44\right)\,-\,\left(6\,\,f^2\,+\,7\,\,f+6\right)}{h}\\ = &\,\frac{6\,h^2\,+\,12\,\,f\,\,h+7\,\,h}{h}\\ = &\,\frac{h\,(\,12\,\,(\,f+1\,)\,+\,6\,\,h+7\,)}{h}\\ = &\,12\,\,f\,+\,6\,\,h\,+\,7 \end{split}$$

## Solution