Average Rate of Change & Secant Line

Average Rate of Change = $\frac{f(x_2) - f(x_1)}{x_2 - x_1} = \frac{f(x_1) - f(x_2)}{x_1 - x_2}$ Average Rate of Change is a single number indicating a rough amount

5

-5 **θ**

-10

-15

-20

-25

b could be temperature of a cup of tea and m time.

b could be gasoline amount and m distance traveled.

 $\Delta b = b(2) - b(-1) = \frac{13}{10} - \frac{11(2)^2}{10} - \left(\frac{13}{10} - \frac{11(-1)^2}{10}\right) = -\frac{33}{10}$

Secant Slope=Tan $(\theta) = \frac{b(2) - b(-1)}{2 - (-1)} = -\frac{11}{10}$

b could be speed of a car and m time.

Average Rate of Change= $A=-\frac{11}{10}$

Secant Line: $b = \frac{-\frac{11}{10}}{m} + (-\frac{9}{10})$

computed for some measurablte entity that changes or varies with time.

A **Secant Line**, also simply called a secant, is a line passing through

two points of a curve. Therefore slope of a secant line is the same as the Average Rate of Change.

Equation for Secant Line, if A indicates Average Rate of Change while ${f f}({\sf x})$ indicates horizontal axis value for secant line

computes as follows:

 $A = \frac{f(x) - f(x_1)}{x - x_1} \Longrightarrow A(x - x_1) = f(x) - f(x_1) \Longrightarrow A(x - x_1) + f(x_1) = f(x)$

 $f(x) = Ax + (f(x_1) - Ax_1)$

Example 1.

 $b = \frac{13}{10} - \frac{11 m^2}{10}$ average between -1, 2

Secant