## Intercepts of the Quadratic

Case1: △>0  $t_{1,2} = \frac{-b \pm \sqrt{b^2 - 4 \, ac}}{2a}$  computes the t-intercepts of multiplicity 1. n(0) = c computes the single n-intercept.

Given a quadratic  $n(t) = at^2 + bt + c$  compute its discriminant  $\triangle$ :

Example 1.

## $n(t) = 2t^2 - 13t - 7$ compute its discriminant $\triangle$ : ∆=**225**>**0**

**Case2:** △=0

Example 2.

n(0) = 108 n-intercept.

no t-intercepts.

Example 3.

However there is a n-intercept.

 $\triangle = \sqrt{b^2 - 4ac}$ 

 $t_{1,2} = -\frac{1}{2},7$ n(0) = -7 n-intercept.

 $n(t) = 3t^2 - 36t + 108$  compute its discriminant  $\triangle$ : ∆=0 t<sub>1,2=</sub>6,6

 $t_{1,2} = \frac{-b \pm \sqrt{b^2 - 4 \, ac}}{2a} = \frac{-b \pm 0}{2a} = \frac{-b}{2a}$  single t-intercept of multiplicity 2.

1000 800 600 400 200 intercept 1,2 Case3: △<0  $\sqrt{\,\mathsf{b}^2\,_-\,\mathsf{4}\,\mathsf{ac}}$  has no value in Real Numbers. Therefore there are

## $n(t) = 9t^2 - 126t + 490$ compute its discriminant $\triangle$ : $\triangle = -1764 < 0$ n(0) = 490 n-intercept.

3000 2500 2000 1500 1000 n-intercept -10 10