6. Which of the following are correct calculations for difference quotient of: $t(d) = 7\ d^2 + 3\ d + 7$ $t(d) = 7\ d^2 + 3\ d + 7$ $t(d+h) = 7\ (d+h)^2 + 3\ (d+h) + 7$

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\begin{split} &t\left(d\right)=7\;d^2+3\;d+7\\ &t\left(d+h\right)=7\;\left(d+h\right)^2+3\;\left(d+h\right)+7\\ &=7\;d^2+14\;d\;h+3\;d+7\;h^2+3\;h+7\Big)\\ &\frac{t\left(d+h\right)-t\left(d\right)}{h}=\frac{\left(7\;d^2+14\;h\;d+3\;d+7\;h^2+3\;h+7\right)-\left(7\;\left(d+1\right)^2+3\;\left(d+1\right)+7\right)}{h}\\ &=\frac{7\;h^2+14\;d\;h+3\;h}{h}\\ &=\frac{h\left(14\;d+7\;h+3\right)}{h}\\ &=14\;d+7\;h+3 \end{split}
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$$\begin{split} &t\left(d\right)=7\ d^{2}+3\ d+7\\ &t\left(d+h\right)=7\ \left(d+h\right)^{2}+3\ \left(d+h\right)+7\\ &=7\ d^{2}+14\ d\ h+17\ d+7\ h^{2}+17\ h+17\\ &\frac{t\left(d+h\right)-t\left(d\right)}{h}=\frac{\left(7\ d^{2}+14\ h\ d+17\ d+7\ h^{2}+17\ h+17\right)-\left(7\ d^{2}+3\ d+7\right)}{h}\\ &=\frac{7\ h^{2}+14\ d\ h+3\ h}{h}\\ &=\frac{h\left(14\ d+7\ h+3\right)}{h}\\ &=14\ d+7\ h+3 \end{split}$$

$$\begin{split} t\,(d) &= 7\,\,d^2 + 3\,\,d + 7 \\ t\,(d+h) &= 7\,\,(d+h)^2 + 3\,\,(d+h) + 7 \\ &= 7\,\,d^2 + 14\,\,d\,\,h + 3\,\,d + 7\,\,h^2 + 3\,\,h + 7 \\ \frac{t\,(d+h) - t\,(d)}{h} &= \frac{\left(7\,d^2 + 14\,h\,d + 3\,d + 7\,\,h^2 + 3\,h + 7\right) - \left(7\,d^2 + 3\,d + 7\right)}{h} \\ &= \frac{7\,h^2 + 14\,d\,h + 3\,h}{h} \\ &= \frac{h\,(14\,d + 7\,h + 3)}{h} \\ &= 14\,d + 7\,h + 3 \end{split}$$

$$\begin{split} &t\;(d)=7\;d^2+3\;d+7\\ &t\;(d+h)=7\;\;(d+h)^2+3\;\;(d+h)^2+7\\ &=7\;d^2+14\;d\;h-11\;d+7\;h^2-11\;h+11\\ &\frac{t\;(d+h)-t\;(d)}{h}=\frac{\left(7\;d^2+14\;h\;d+31\;d+7\;h^2+31\;h+41\right)-\left(7\;d^2+3\;d+7\right)}{h}\\ &=\frac{7\;h^2+14\;d\;h+3\;h}{h}\\ &=\frac{h\;(14\;(d+1)+7\;h+3)}{h}\\ &=14\;d+7\;h+3 \end{split}$$

Solution