Vertex of the Quadratic

 $n_1 = -\frac{b}{2a}$ namely $j(n_1) = c - \frac{b^2}{4a}$ Now compute the same quadratic at $\mathsf{n}_{1^+}\mathsf{h}$, namely

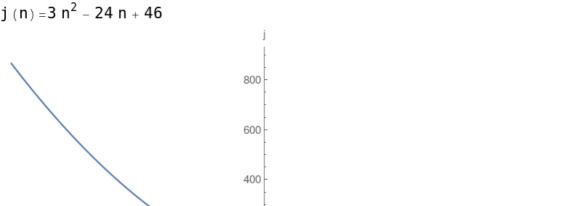
Given a quadratic $j(n) = a n^2 + b n + c$ compute its value at

 $j(n_1+h) = -\frac{b^2}{4a} + a h^2 + c$ Compute $\triangle = j(n_1 + h) - j(n_1) = a h^2$

Since $h^2 > 0$, therefore if a > 0 then $\triangle > 0$ or vertex is the

global minimum! Example 1.

-10



Secant Line 2

Secant

Line 1

However if a < 0 then riangle < 0 or vertex is the global maximum!

Vertex

200

-200

-5

