of the vertex by finding $d(\frac{13}{4}) = -2(\frac{13}{4})^2 + 13(\frac{13}{4}) - 9 = -\frac{169}{9} + \frac{169}{4} - 9 = \frac{97}{9}$ Maximum = $\frac{97}{9}$

Solution

Here, we know that a=-2, b=13, c=-9

Ouadratic function: is a function that can be written in the form: $d(i) = ai^2 + bi + c$ where a, b, and c are real numbers and $a \neq 0$ we have $d(i) = -2i^2 + 13i - 9$, note: $-2i^2 + 13i - 9$ is in id-plane

Since a<0 ,we know that the d-coordinate of the vertex is a maximum.However,to find the d-coordinate of our vertex we first need to find the j-coordinate

of the vertex by using $j=-\frac{b}{2a}=-\frac{13}{2a}=\frac{13}{4}$ Now that we have the j-coordinate, we can find the d-coordinate