## Intercepts of the Quadratic

 $p_{1,2} = \frac{-b \pm \sqrt{b^2 - 4 \text{ ac}}}{2a}$  computes the p-intercepts of multiplicity 1. h(0) = c computes the single h-intercept.

Given a quadratic  $h(p) = a p^2 + b p + c$  compute its discriminant  $\triangle$ :

$$D_{1,2} = \frac{-b \pm \sqrt{b^2 - 4 \text{ ac}}}{2a}$$
 computes the p-intercepts of multiplicity 1.  
 $D_{1,2} = \frac{-b \pm \sqrt{b^2 - 4 \text{ ac}}}{2a}$  computes the p-intercept.

Example 1.  $h(p) = p^2 - p - 42$  compute its discriminant  $\triangle$ :

$$\triangle=169>0$$
 $p_{1,2}=-6.7$ 

$$p_{1,2} = -6,7$$
  
 $h(0) = -42$  h-intercept.

-50

-100

 $h(p) = 3p^2 + 24p + 48$  compute its discriminant  $\triangle$ :

10

p-intercept 2

## $p_{1,2} = \frac{-b \pm \sqrt{b^2 - 4 \text{ ac}}}{2a} = \frac{-b \pm 0}{2a} = \frac{-b}{2a}$ single p-intercept of multiplicity 2. Example 2.

no p-intercepts.

h(0) = 500 h-intercept.

 $\triangle = -1600 < 0$ 

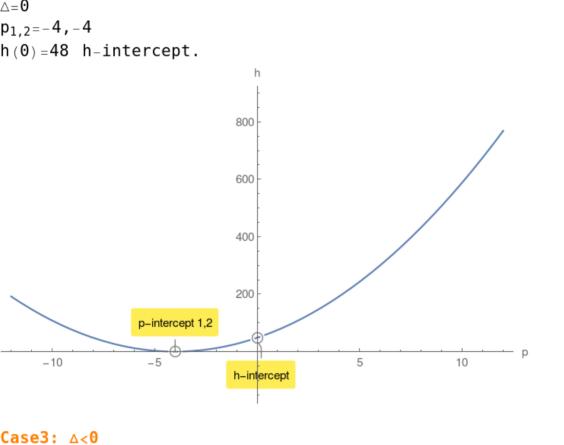
However there is a h-intercept.

Case2: △=0

-10

p-intercept 1

 $\triangle = \sqrt{b^2 - 4ac}$ Case1: △>0



## Example 3. $h(p) = 4p^2 + 80p + 500$ compute its discriminant $\triangle$ :

 $\sqrt{\,\mathsf{b}^2\,_-\,\!\mathsf{4}\,\!\mathsf{ac}}$  has no value in Real Numbers. Therefore there are