## **Vertex of the Quadratic**

 $w_1 = -\frac{b}{2a}$  namely  $d(w_1) = C - \frac{b^2}{4a}$ Now compute the same quadratic at  $\mathsf{w}_{1} ext{+}\mathsf{h}$ , namely

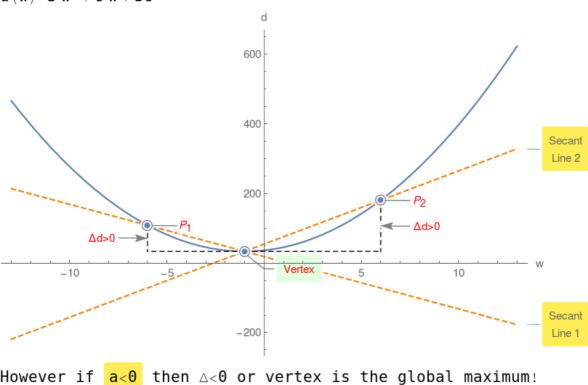
Given a quadratic  $d(w) = a w^2 + b w + c$  compute its value at

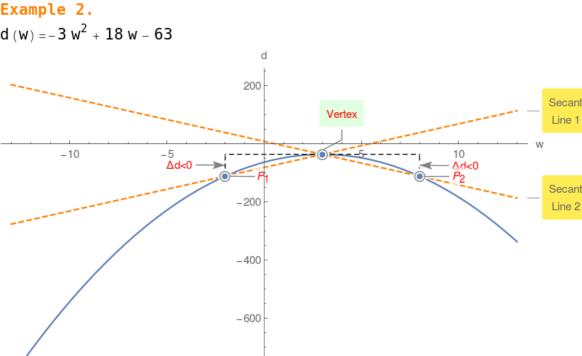
 $d(W_1+h) = -\frac{b^2}{4a} + a h^2 + c$ 

Compute  $\triangle = d(w_1 + h) - d(w_1) = a h^2$ Since  $h^2 > 0$ , therefore if a > 0 then  $\triangle > 0$  or vertex is the

global minimum!

## Example 1. $d(w) = 3 w^2 + 6 w + 36$





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