## It so happens that this function can be simplified as:

 $V(k) = \frac{-125 + k^3}{-20 - k + k^2}$ 

 $= \frac{(k-5) \ \left(k^2+5 \ k+25\right)}{(k-5) \ (k+4)}$   $= \frac{k^2+5 \ k+25}{k+4}$  To find the vertical asymptote :

$$k_{\,+}\,4_{\,=}0$$
  $k_{\,=\,-}\,4$  There is a vertical asymptote at  $k_{\,=\,-}\,4$  To find the horizontal asymptote :

First we must compare the degrees of the polynomials. The numerator contains a 3<sup>rd</sup> degree polynomial while the

The numerator contains a 3<sup>rd</sup> degree polynomia denominator contains a 2<sup>nd</sup> degree polynomial. Since the polynomial in the numerator is a b

Since the polynomial in the numerator is a higher degree than the denominator, there is no horizontal asymptote. To find the oblique asymptote :

we must divide the numerator by the denominator  $\frac{-125+k^3}{-20-k+k^2} = \frac{k^2+5}{k+4} = \frac{21}{k+4} + (k+1)$  There is an oblique asymptote at e=k+1

ere is an oblique asymptote at e=k+1  $\begin{pmatrix} e \\ 60 \\ -20 \end{pmatrix}$   $= 10 \qquad 15 \qquad k$