

Zayd

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Number of questions: 5
Positive points per question: 4.0
Negative points per question: 0.0
Your score: 20

Exam-4 CS154-03

1. Consider the grammar G and the language L:

$$G: S \rightarrow AB \mid a \mid abC, A \rightarrow b, C \rightarrow abC \mid c$$

L: {w | w a string of a's, b's, and c's with an equal number of a's and b's}.

Grammar G does not define language L. To prove, we use a string that either is produced by G and not contained in L or is contained in L but is not produced by G. Which string can be used to prove it?

- a) abababc
- b) abacccc
- c) cacaba
- d) abba

Answer submitted: d)

You have answered the question correctly.

2. Consider the following languages and grammars. $G_1: S \to aA|aS, A \to ab$

$$\begin{split} G_2: S &\rightarrow abS|aA, \, A \rightarrow a \\ G_3: S &\rightarrow Sa|AB, \, A \rightarrow aA|a, \, B \rightarrow b \\ G_4: S &\rightarrow aS|b \\ L_1: \left\{a^ib| \ i\!=\!1,2,\ldots\right\} \\ L_2: \left\{(ab)^iaa| \ i\!=\!0,1,\ldots\right\} \end{split}$$

$$L_3$$
: {aib| i=2,3,...}

$$L_4$$
: {aibai| i=1,2,..., j=0,1,...}

$$L_5$$
: { $a^ib| i=0,1,...$ }

Match each grammar with the language it defines. Then identify a correct match from the list helow

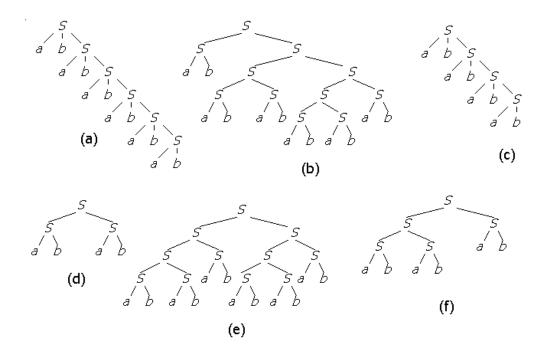
iviaten each grammar with the language it defines. Then, identity a correct mater from the ilst below.

- a) G_2 defines L_2 .
- b) G₄ defines L₃.
- c) G₄ defines L₄.
- d) G₃ defines L₅.

Answer submitted: a)

You have answered the question correctly.

3. Consider the grammar: $S \to SS$, $S \to ab$. Identify in the list below the one set of parse trees which includes a tree that is NOT a parse tree of this grammar?



- a) $\{(d)\}$
- b) {(e)}
- c) $\{(a),(e)\}$
- d) $\{(b),(d),(e)\}$

Answer submitted: c)

You have answered the question correctly.

represents logical OR, and juxtaposition represents logical AND (e.g., (x+y)(y+z) represents (x OR y) AND (y OR z).

Identify the expression that is satisfiable, from the list below.

- a) (z)(-z+-y)(-y+x)(-x+-z)
- b) (z+y)(-z)(z+-y)(y+x)
- c) (-z+y)(-z+-y)(y+x)(z)
- d) (-z+y)(-z+-y)(z+y)(z+-y)

Answer submitted: a)

You have answered the question correctly.

- **5.** Here are eight simple grammars, each of which generates an infinite language of strings. These strings tend to look like alternating *a*'s and *b*'s, although there are some exceptions, and not all grammars generate all such strings.
 - 1. $S \rightarrow abS \mid ab$
 - 2. $S \rightarrow SS \mid ab$
 - 3. $S \rightarrow aB; B \rightarrow bS \mid a$
 - 4. $S \rightarrow aB; B \rightarrow bS \mid b$
 - 5. $S \rightarrow aB; B \rightarrow bS \mid ab$
 - 6. $S \rightarrow aB \mid b; B \rightarrow bS$
 - 7. $S \rightarrow aB \mid a; B \rightarrow bS$
 - 8. $S \rightarrow aB \mid ab; B \rightarrow bS$

The initial symbol is S in all cases. Determine the language of each of these grammars. Then, find, in the list below, the pair of grammars that define the same language.

a) G1:
$$S \rightarrow abS$$
, $S \rightarrow ab$

G2:
$$S \rightarrow SS$$
, $S \rightarrow ab$

b) G1:
$$S \rightarrow aB, B \rightarrow bS, B \rightarrow a$$

G2: S
$$\rightarrow$$
 aB, B \rightarrow bS, B \rightarrow b

c) G1:
$$S \rightarrow aB, B \rightarrow bS, B \rightarrow b$$

G2:
$$S \rightarrow aB$$
, $B \rightarrow bS$, $S \rightarrow a$

d) G1:
$$S \rightarrow abS$$
, $S \rightarrow ab$

G2: S
$$\rightarrow$$
 aB, B \rightarrow bS, B \rightarrow ab

Answer submitted: a)

You have answered the question correctly.

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