

Name: _____

Date: _____

Note: The purpose of the following questions is:

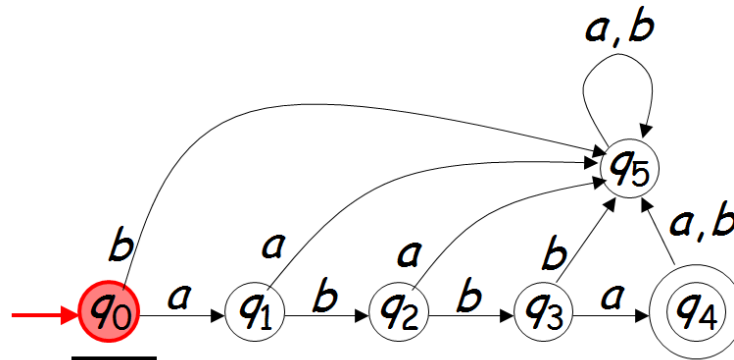
• Enhance learning	• Summarized points	• Analyze abstract ideas
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Class 2: Finite Automata

1. [Slide 2-3] What is the Deterministic Finite Accepters (dfa)?

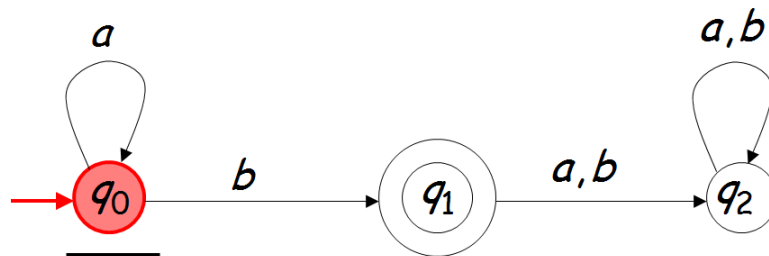
In common with all automata, a deterministic accepter has internal states, rules for transitions from one state to another, some input, and ways of making decisions.

2. [Slide 4] Consider the following dfa:



Does it accepts or rejects the following input strings

- a) abba [Slide 5-10]
 b) aba [slide 11-15]
 c) λ [Slide 16-17]
3. Consider the following dfa:



Does it accepts or rejects the following input strings

- a) aab [Slide 18-22]
 b) bab [Slide 23-27]

4. [Slide 28-36] For the dfa defined in question #2, all of these are incorporated in the following definition.

$$M = (Q, \Sigma, \delta, q_0, F)$$

Define the following:

$$Q =$$

$$\Sigma =$$

$$\delta =$$

$$q_0 =$$

$$F =$$

$$\delta(q_0, a) =$$

$$\delta(q_0, b) =$$

$$\delta(q_2, b) =$$

5. [Slide 37] For the dfa in question #2, the transition Function δ , complete the following table

δ	a	b
q_0		
q_1		
q_2		
q_3		
q_4		
q_5		

6. [Slide 38-41] Extended Transition Function δ^* is defined as

$$\delta^*: Q \times \Sigma^* \rightarrow Q$$

For the dfa in question #2:

$$\delta^*(q_0, ab) =$$

$$\delta^*(q_0, abba) =$$

$$\delta^*(q_0, abbbbaa) =$$

7. [Slide 44-45] In question #2, show how δ^* could be used recursively to prove that

$$\delta^*(q_0, ab) = q_2$$

8. [Slide 46] $L(M) = \{ \text{strings that drive } M \text{ to a final state} \}$

Define $L(M)$ for the Machine in question #2.

9. Find dfa's for the following languages on $\Sigma = \{a, b\}$.

a) $L(M) = \{\lambda, ab, abba\}$ [Slide 47-48]

b) $L(M) = \{a^n b : n \geq 0\}$ [Slide 51]

- c) $L(M) = \{all\ strings\ with\ prefix\ ab\}$ [Slide 52]
d) $L(M) = \{awa : w \in \{a, b\}^*\}$ [Slide 56]

10. [Slide 53] Find dfa's for the following languages on $\Sigma = \{0, 1\}$.

$$L(M) = \{all\ strings\ without\ substring\ 001\}$$

11. [Slide 55] Define regular languages, and give few examples for some regular languages.

Reading:

An Introduction to Formal Language and Automata, Peter Linz, 5th edition, Sec 2.1

Selected Exercises:

Section 2.1: 2(c), 5(a), 7(a, d), 9(a, d), 13, 14, 23(a, b), 25.