Mobile App A/B Test

Introduction

There is a mobile app with two variations for an enrollment button. A says 'Secure Free Trial', and B says 'Enroll Now'. The goal is to see if changing to B will result in more clicks and boost the company's sales. In this experiment a one-tailed z-test for comparing two proportions will be used.

 $H_0: \mu_B \le \mu_A$ $H_1: \mu_B > \mu_A$

Data

Pilot Study

• This pilot study is set up for a power of 80% and a false positive rate of 5%. The practical significance determined by the company is 0.1%. So in addition to statistical significance, B needs to be atleast 0.1% better than A. A sample of 1,000 is being used to determine the number of measurements needed.

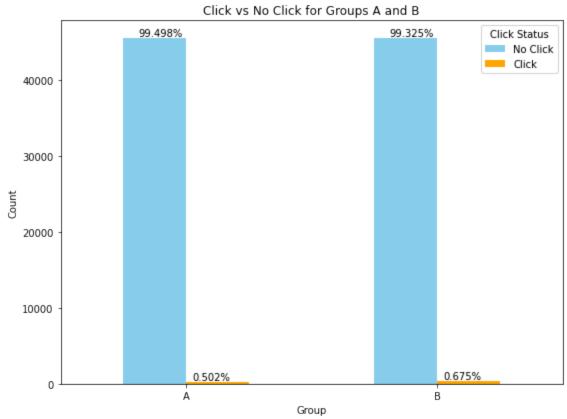
• So 91,561 individual measurements are needed to confidently detect a meaningful difference between the two variants.

Out[4]: 91561

Run A/B Test

Comparing CTRs

• By design, the samples sizes for A and B were balanced to provide more accurate results with reduced variability.



Analyzing Results

```
In [11]:
          def analyze_a_b_test(clicked_a, clicked_b):
                  mean_a = clicked_a.mean()
                  mean b = clicked b.mean()
                  std_a = clicked_a.std()
                  std_b = clicked_b.std()
                  m = mean_b - mean_a
                  se = np.sqrt((std_a**2+std_b**2)/num_ind)
                  z = m/se
                  return z, mean_a, mean_b, std_a, std_b
In [12]:
              z, mean_a, mean_b, std_a, std_b = analyze_a_b_test(clicked_a, clicked_b)
In [13]:
              np.random.seed(17)
              clicked_a, clicked_b = run_ab_test(num_ind)
              print(z.round(2))
             4.83
```

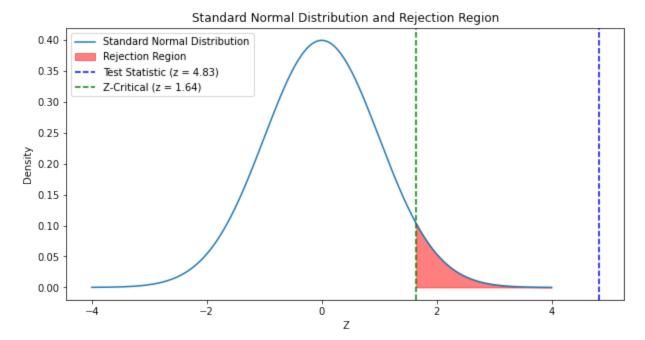
• The value of the test statistic being greater than the critical of 1.64 indicates strong evidence against the null hypothesis.

```
In [14]: | alpha=0.05
p_value = 1 - norm.cdf(z)
if p_value < alpha:
    print('Reject the null hypothesis')</pre>
```

Reject the null hypothesis

• Because the p value is less than our chosen alpha of 0.05 we reject the null hypothesis and conclude the mean ctr of B is significantly higher than the mean ctr of A.

Standard Normal Distribution with Rejection Region



• This graph shows our test statistic, z, being well within the rejection region.

95% Confidence Interval

```
In [16]: M mean_diff = mean_b - mean_a
    std_err = np.sqrt((std_a**2 + std_b**2) / num_ind)

lower_bound = mean_diff - 1.64 * std_err
    upper_bound = mean_diff + 1.64 * std_err

print(f"95% Confidence Interval: ({lower_bound:.6f}, {upper_bound:.6f})")

95% Confidence Interval: (0.001139, 0.002312)
```

• The lower bound of the CI is higher than our practical significance of 0.001.

Conclusion

• In conclusion, the A/B test above indicates variant B performs significantly better than variant A both statistically and practically. Therefore the mean CTR of B is greater than A, and that difference is large enough for motivation to change the product.