

--Aufgabe 6.1

```
data Nat = Zero | Succ Nat
```

--Aufgabe 6.1 a

```
instance Eq Nat where
```

```
    (==) Zero Zero = True
```

```
    (==) _ Zero = False
```

```
    (==) Zero _ = False
```

```
    (==) (Succ a) (Succ b) = (==) a b
```

--Aufgabe 6.1 b

```
instance Ord Nat where
```

```
    (<=) Zero Zero = True
```

```
    (<=) _ Zero = False
```

```
    (<=) Zero _ = True
```

```
    (<=) (Succ a) (Succ b) = (<=) a b
```

--Aufgabe 6.1 c

```
instance Enum Nat where
```

```
    toEnum 0 = Zero
```

```
    toEnum n = Succ(toEnum(n-1))
```

```
    fromEnum Zero = 0
```

```
    fromEnum (Succ n) = 1 + fromEnum n
```

--Aufgabe 6.1 d

```
instance Show Nat where
```

```
    show Zero = "0"
```

```
    show (Succ n) = show(read (show(n)) + 1)
```

--Aufgabe 6.1 e

instance Num Nat where

negate = undefined

abs n = n

signum Zero = Zero

signum n = Succ Zero

fromInteger = toEnum . fromInteger

(+) a Zero = a

(+) Zero b = b

(+) a (Succ b) = (Succ a) + b

(*) a Zero = Zero

(*) Zero b = Zero

(*) a (Succ b) = a + (a * (b))

--Aufgabe 6.1 f

solutions :: [(Nat,Nat,Nat)]

solutions = [(toEnum(x),toEnum(y),toEnum(z)) | z <- [0..], y <- [0..z^2], x <- [0..z^2], 2*x^3 + 5*y + 2 == z^2]

--Aufgabe 6.2

data STree a = BinS (STree a) a (STree a) | LeftS (STree a) a | RightS a (STree a) | LeafS a

instance Show a => Show (STree a) where

show (LeafS a) = show(a)

show (LeftS (a) b) = show(b) ++ "(" ++ show(a) ++ "," ++ show(b) ++ ")"

show (RightS (a) b) = show(a) ++ "(" ++ show(b) ++ "," ++ show(a) ++ ")"

show (BinS l a r) = show(a) ++ "(" ++ show(l) ++ "," ++ show(r) ++ ")"

--Aufgabe 6.3

data Tree a = V a | F a [Tree a] deriving (Show)

--Aufgabe 6.3 a

treeAnd :: Tree Bool -> Bool

treeAnd (V a) = if a == True then True else False

treeAnd (F a ts) = if a == False then False else and \$ map (treeAnd) ts

--Aufgabe 6.3 b

treeZip :: Tree a -> Tree b -> Tree (a,b)

treeZip (V a) (V b) = (V (a,b))

treeZip (F a ts) (F b xs) = F (a,b) \$ map' (treeZip) ts xs

treeZip (F a ts) (V b) = V (a,b)

treeZip (V a) (F b xs) = V (a,b)

map' f (a:as) (x:xs) = f a x : map' f as xs

map' _ _ _ = []