A general way to plot the deflected shape of any 2D frame structure is to plot it element by element. This is achieved by the function Plot_ANY_Deflected_Shape(...) in MATLAB. The inputs to the function are:

1. <u>*U_glob*</u>: Once the converged displacements corresponding to Global DOFs for all load steps are determined, store them in a matrix <u>*U_glob*</u> as shown below –

$$U_glob = \begin{bmatrix} U_{glob,1}^{l=1} & U_{glob,1}^{l=2} & \cdots & U_{glob,1}^{l=nls} \\ U_{glob,2}^{l=1} & U_{glob,2}^{l=2} & \cdots & U_{glob,2}^{l=nls} \\ \vdots & \vdots & \ddots & \vdots \\ U_{glob,ndof}^{l=1} & U_{glob,ndof}^{l=2} & \cdots & U_{glob,ndof}^{l=nls} \end{bmatrix}_{ndof \times nls}$$

where *ndof* is the number of DOFs and *nls* is the total number of load steps

- 2. scale factor for the deflected shape
- 3. *ID*: is the ID array itself
- 4. XY: save all the nodal coordinates for all elements in a matrix XY as follows –

$$XY = \begin{bmatrix} ix_{e=1} & iy_{e=1} & jx_{e=1} & jy_{e=1} \\ ix_{e=2} & iy_{e=2} & jx_{e=2} & jy_{e=2} \\ \vdots & \vdots & \vdots & \vdots \\ ix_{e=n_ele} & iy_{e=n_ele} & jx_{e=n_ele} & jy_{e=n_ele} \end{bmatrix}_{n_ele \times 4}$$

Where.

$$ix_e = x$$
 – coordinate of i – node of element e $iy_e = y$ – coordinate of i – node of element e $jx_e = x$ – coordinate of j – node of element e $jy_e = y$ – coordinate of j – node of element e



5. *IsPlot*: vector of load step numbers to plot, e.g., [10:10:100]. You may not want to plot all load steps

- 6. *undefColor*: MATLAB color code (e.g., 'r', 'g', 'b', etc.) or RGB triplet (e.g., [1 0 0], [0 1 0], [0 0 1], etc.) for undeformed configuration
- 7. undefLineWidth: MATLAB line width for undeformed configuration
- 8. *defColor*: MATLAB color code (e.g., 'r', 'g', 'b', etc.) or RGB triplet (e.g., [1 0 0], [0 1 0], [0 0 1], etc.) for deformed configuration
- 9. defLineWidth: MATLAB line width for deformed configuration
- 10. figNum: A figure number for the MATLAB plot

The function first uses the *ID* Array to extract the **element end displacements in global coordinates** ($U_{-}ele$) for load steps corresponding to the *lsPlot* vector (e.g., [10:10:100]). These are stored in a 3D matrix $U_{-}ele$ as follows –

$$U_ele = egin{bmatrix} U_1^{l=10} & U_1^{l=20} & \cdots & U_1^{l=100} \\ U_2^{l=10} & U_2^{l=20} & \cdots & U_2^{l=100} \\ dots & dots & \ddots & dots \\ U_6^{l=10} & U_6^{l=20} & \cdots & U_6^{l=100} \end{bmatrix}_{e=1} m{U}_{e=2}^{l=100}$$

where, n_ele is the number of elements in the model. This is achieved by the following lines of code:

Deflected shapes corresponding to load steps in the lsPlot vector are then plotted using the XY matrix and the U_ele matrix as follows:

```
fig = figure(figNum);
hold on;
grid on;
box on;
% Undeformed Shape
for i = 1:n ele
    undefPlot = ...
        plot([XY(i,1) XY(i,3)], [XY(i,2) XY(i,4)], 'LineStyle','--',...
        'LineWidth', undefLineWidth, 'Color', undefColor);
end
% Deformed Shape
for ls = 1:nlsPlot
    figure(figNum)
    axis equal
    for i = 1:n ele
        plot([XY(i,1)+U ele(1,ls,i) XY(i,3)+U ele(4,ls,i)],...
            [XY(i,2)+U ele(2,ls,i) XY(i,4)+U ele(5,ls,i)],...
            'ks', 'LineWidth', 1, 'MarkerFaceColor', [0.5 0.5 0.5]);
        defPlot = ...
            plot([XY(i,1)+U ele(1,ls,i) XY(i,3)+U ele(4,ls,i)],...
            [XY(i,2)+U ele(2,ls,i) XY(i,4)+U ele(5,ls,i)],...
            'LineStyle', '-', 'LineWidth', defLineWidth, 'Color', defColor);
    end
end
axis equal
```

Example function call:

```
Plot_ANY_Deflected_Shape(U_glob, 1, ID, XY, [1,5], 'k', 1.5, 'b', 1.5, 1) Plot ANY Deflected Shape(U glob lin, 1, ID, XY, [1,5], 'k', 1.5, 'r', 1.5, 1)
```

