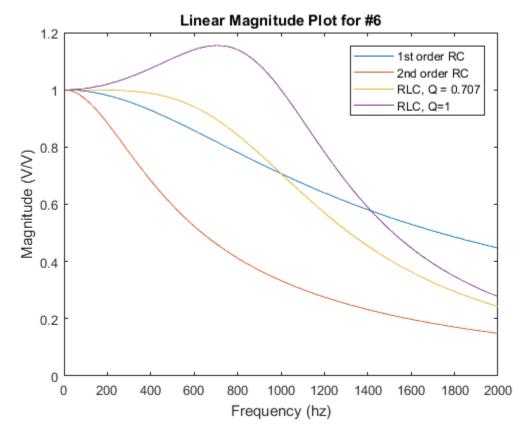
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```

Problem #6

```
j = sqrt(-1);
w = [0:10:2000]*2*pi;
a = w./(2*pi);
r1 = 1000/(2*pi);
c = 10^{-6};
% First order
p = abs(1./(r1*10^-6*j*w + 1));
plot(a,p)
title('Linear Magnitude Plot for #6')
xlabel('Frequency (hz)')
ylabel('Magnitude (V/V)')
hold
% Second order
k = abs((1/(r1*r1*c*c))./((j*w).^2 + (j*w)*((r1*(c+c) + r1 * c)/
(r1*r1*c*c)) + 1/(r1*r1*c*c)));
plot(a,k)
% Q = 0.707, RLC
r3 = sqrt(50660.59);
13 = 39.4784176^{-1};
n = abs((1/(13*c))./((j*w).^2 + (j*w)*(r3/13) + 1/(13*c)));
plot(a,n)
% Q = 1, RLC
r4 = (1000 * 2 * pi)*(0.02533);
```

```
m = abs((1/(13*c))./((j*w).^2 + (j*w)*(r4/l3)+ 1/(13*c)));
plot(a,m)
hold off
legend('1st order RC','2nd order RC', 'RLC, Q = 0.707', 'RLC, Q=1')
Current plot held
```



Problem #7

```
wmin = 0.01 * 2 * pi;
wmax = 100000 * 2 * pi;
com1 = logspace(log10(wmin),log10(wmax));
b = com1/(2*pi);
com2 = [0:100:100000];

g = 20 * log(abs(1./(r1*10^-6*j*com1 + 1)));

f = 20 * log(abs((1/(r1*r1*c*c))./((j*com1).^2 + (j*com1)*((r1*(c+c) + r1 * c)/(r1*r1*c*c)) + 1/(r1*r1*c*c)));

v = 20 * log(abs((1/(l3*c))./((j*com1).^2 + (j*com1)*(r3/l3)+ 1/(l3*c))));
```

```
x = 20 * log(abs((1/(13*c))./((j*com1).^2 + (j*com1)*(r4/l3)+ 1/
(13*c))));

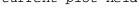
semilogx(b,g)
hold
semilogx(b,f)

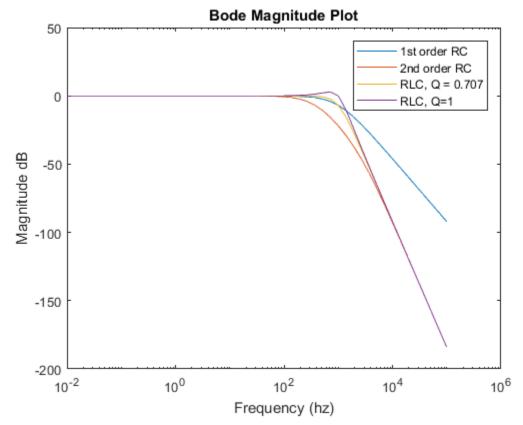
semilogx(b,v)

semilogx(b,x)
hold off

title('Bode Magnitude Plot')
xlabel('Frequency (hz)')
ylabel('Magnitude dB')
legend('1st order RC', '2nd order RC', 'RLC, Q = 0.707', 'RLC, Q=1')

Current plot held
```





Problem 8

Before the cutoff frequency the 2nd order RC curve, 1st order RC, and Q = 0.707 RLC experience some attenuation in descending intensity. Meanwhile the Q = 1 RLC curve manages to go above the initial DC gain before dropping down at the cutoff.

- % The Q=1 RLC curve behaves closest to the brickwall filter despite
- $\mbox{\ensuremath{\$}}$ increasing slightly before the cutoff. It has the steepest slope down.
- $\mbox{\ensuremath{\mbox{Well}}}$ beyond the cutoff the 1st order RC has the least steep slope of $\mbox{\ensuremath{\mbox{\ensuremath{\mbox{Well}}}}$ -40dB/dec.
- % Meanwhile the second order RC, and the two RLC circuits have slopes of
- % -100 dB/dec.

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