

# **DATA SCIENCE**

**SYD DAT 6**

**Week 5 – Decision Trees**  
**Monday 7th November**

1. What are decision trees?
2. What are decision trees useful for?
3. How decision trees work
4. Visual example on Titanic dataset
5. Lab
6. Talks
7. Discussion

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**DATA SCIENCE PART TIME COURSE**

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# **DECISION TREES**

# scikit-learn algorithm cheat-sheet

START

## classification



## regression



## clustering



## dimensionality reduction



Back

scikit  
learn

- A supervised learning technique that can be used for classification or regression.

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- Visually engaging and easy to interpret.

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- Foundation for getting into very powerful techniques.

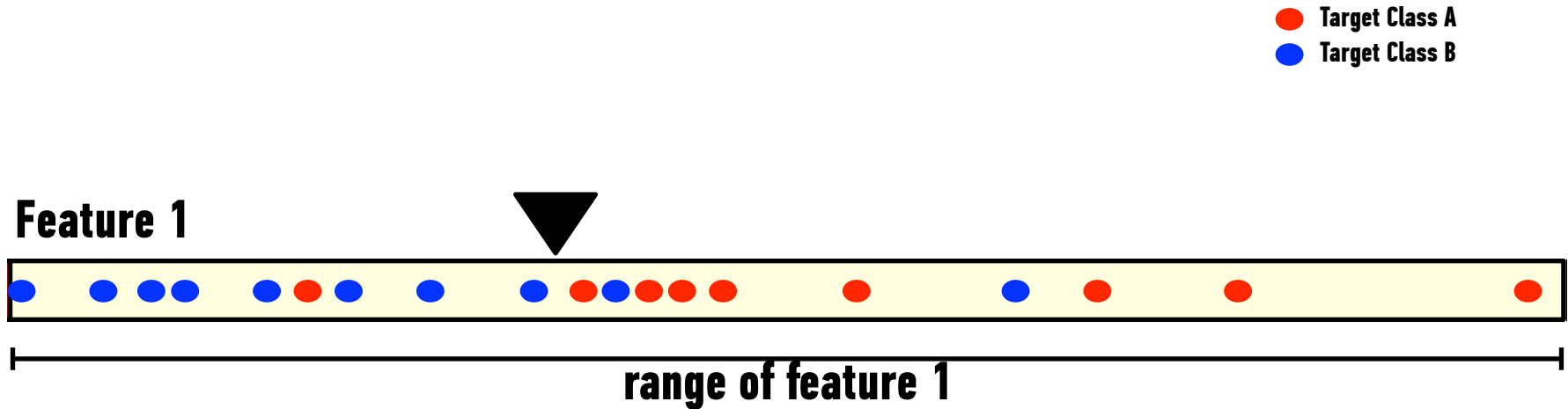
- A supervised learning technique that can be used for classification or regression.
- Visually engaging and easy to interpret.
- Foundation for getting into very powerful techniques.
- Great for explaining to people!



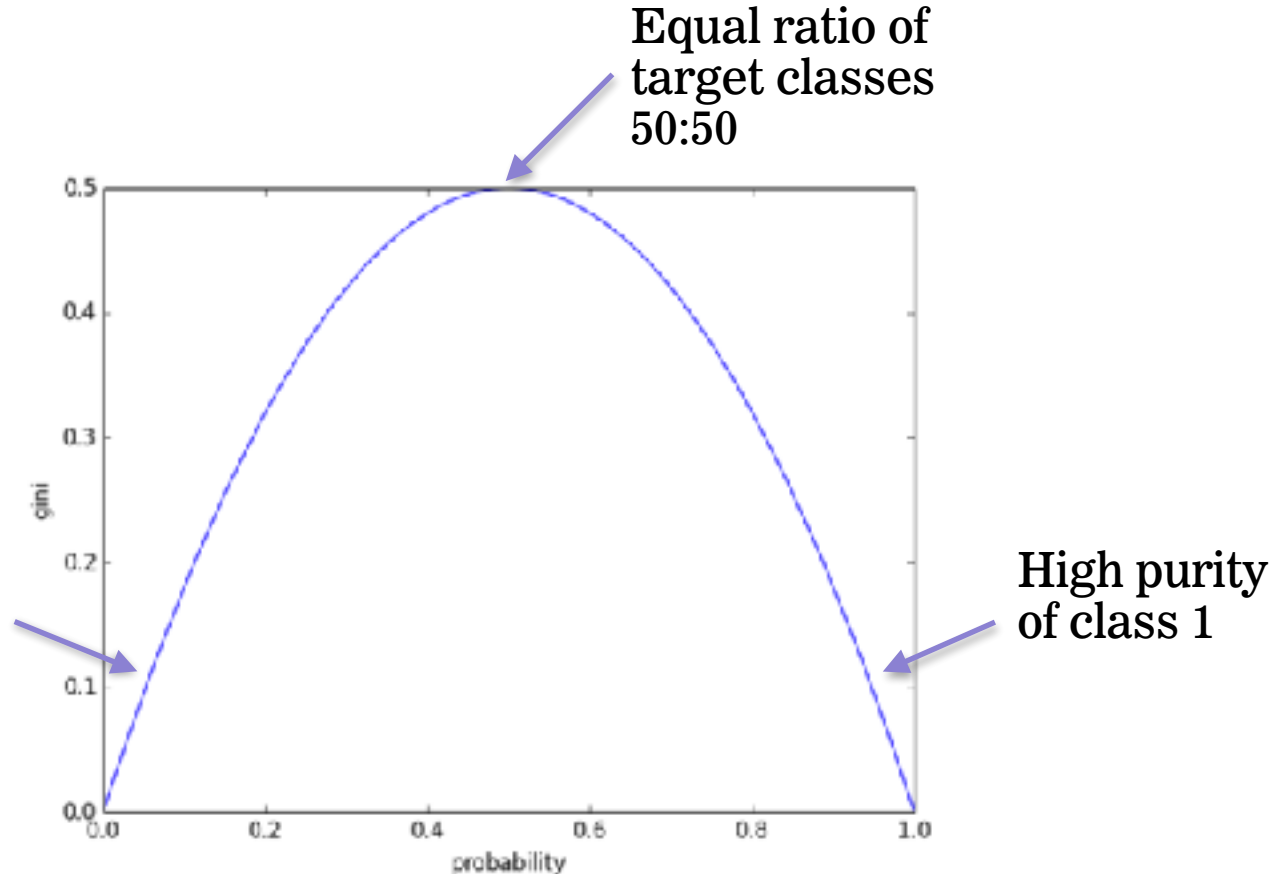
- Prone to overfitting.

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- Predictive power is lower in comparison to many other modern techniques.

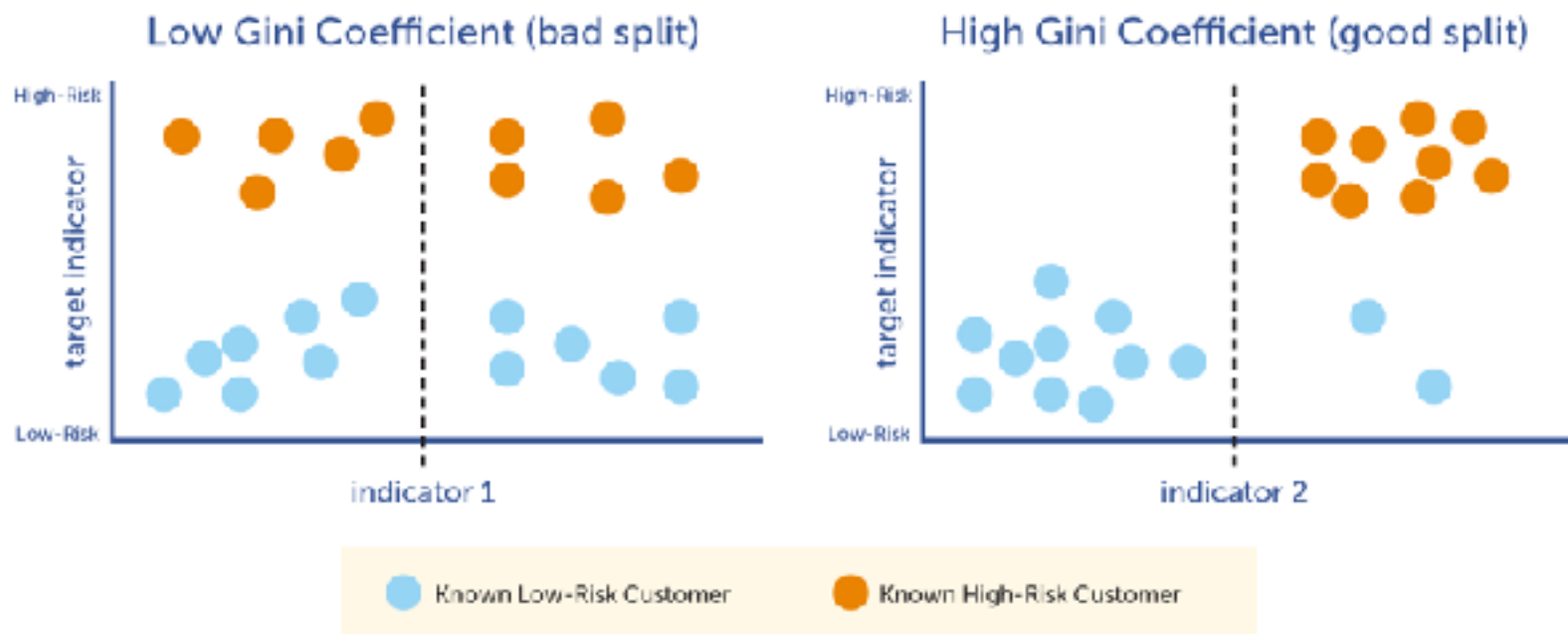
- Scans for a feature to split on that results in the greatest separation between classes in the resulting nodes.



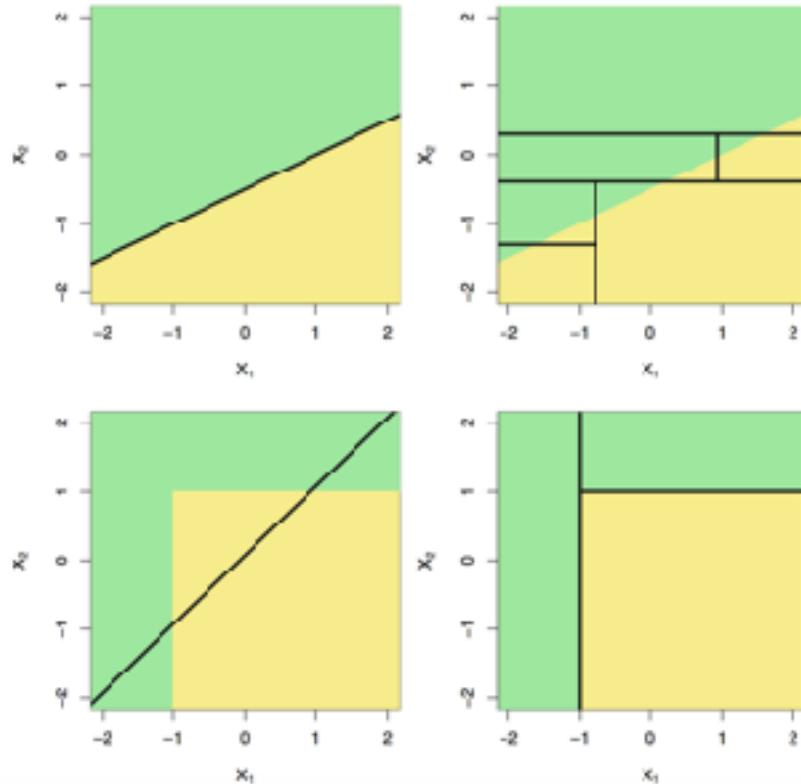
## The Gini Index



## The Gini Index



- Scans for a feature to split on that results in the greatest separation between classes in the resulting nodes.
- Non-linear.



← Linear  
decision  
boundary

← Non-linear  
decision  
boundary

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- Non-linear
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- Splits within splits
- For a classification tree, we predict that each observation belongs to the most commonly occurring class of training observations in the region to which it belongs.
- We naturally get combinations of features used for our prediction.

<http://www.r2d3.us/visual-intro-to-machine-learning-part-1/>

# TITANIC DATA

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Target



Features



PassengerId	Survived	Pclass	Name	Sex	Age	SibSp	Parch	Ticket	Fare
1	0	3	Braund, Mr. Owen Harris	male	22	1	0	A/5 21171	7
2	1	1	Cumings, Mrs. John Bradley (Florence Bri	female	38	1	0	PC 17599	71
3	1	3	Heikkinen, Miss. Laina	female	26	0	0	STON/O2. 3101282	8
4	1	1	Futrelle, Mrs. Jacques Heath (Lily May Pe	female	35	1	0	113803	53
5	0	3	Allen, Mr. William Henry	male	35	0	0	373450	8
6	0	3	Moran, Mr. James	male		0	0	330877	8
7	0	1	McCarthy, Mr. Timothy J	male	54	0	0	17463	52
8	0	3	Palsson, Master. Gosta Leonard	male	2	3	1	349909	21
9	1	3	Johnson, Mrs. Oscar W (Elisabeth Vilhelm	female	27	0	2	347742	11
10	1	2	Nasser, Mrs. Nicholas (Adele Achem)	female	14	1	0	237736	30

In pairs, pick the two features from the titanic dataset that you believe will be the most predictive of survival.

Variable	Description
survival	Survival (0 = No; 1 = Yes)
pclass	Passenger Class (1 = 1st; 2 = 2nd; 3 = 3rd)
name	Name
sex	Sex
age	Age
sibsp	Number of Siblings/Spouses Aboard
parch	Number of Parents/Children Aboard
ticket	Ticket Number
fare	Passenger Fare
cabin	Cabin

Before Split	All
Survived	10
Died	15

$$1 - \sum \left( \frac{class_i}{total} \right)^2$$

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$$1 - \sum \left( \frac{class_i}{total} \right)^2$$

$$1 - \left( \frac{survived}{total} \right)^2 - \left( \frac{died}{total} \right)^2$$



Before Split	All
Survived	10
Died	15

$$1 - \left( \frac{\textit{survived}}{\textit{total}} \right)^2 - \left( \frac{\textit{died}}{\textit{total}} \right)^2$$

$$1 - \left( \frac{10}{25} \right)^2 - \left( \frac{15}{25} \right)^2 = 0.48$$

## SPLITTING - USING GINI INDEX - How a first split GINI is calculated

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$Gini_0$

$= 0.48$

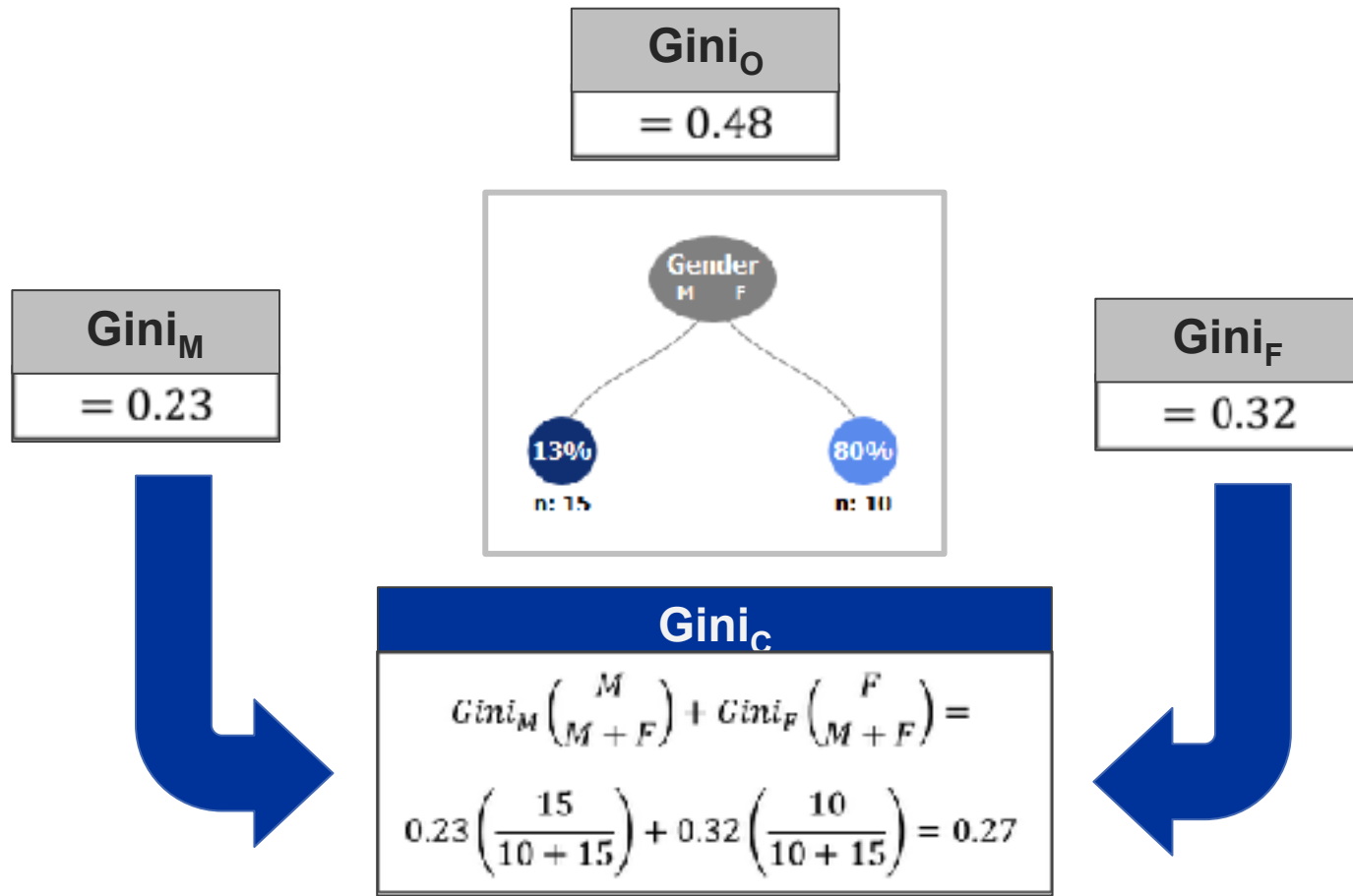
Gender  
M F

13%  
n: 15

80%  
n: 10

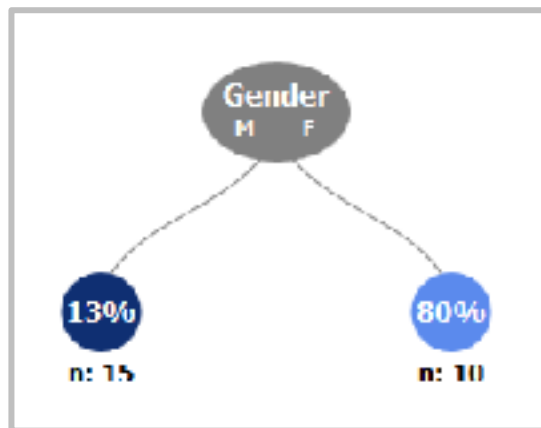
Gender	M
Survived	2
Died	13

Gender	F
Survived	8
Died	2

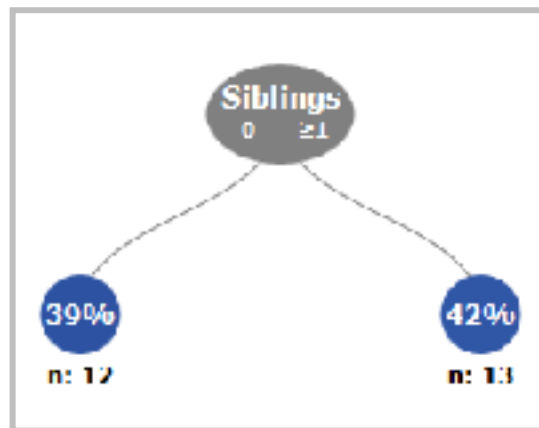


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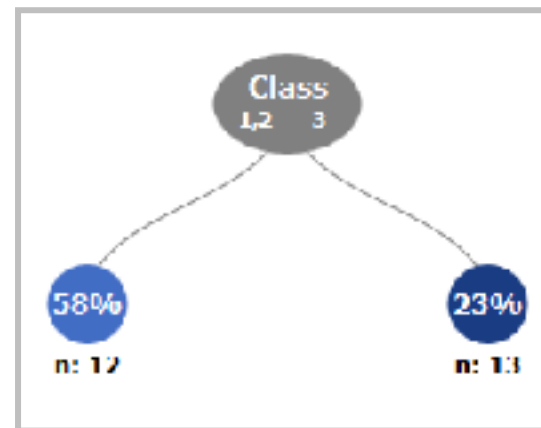
28



Gender	M	F
Survived	2	8
Died	13	2
Gini <sub>C</sub>	0.27	



Siblings	0	≥1
Survived	5	5
Died	7	8
Gini <sub>C</sub>	0.48	



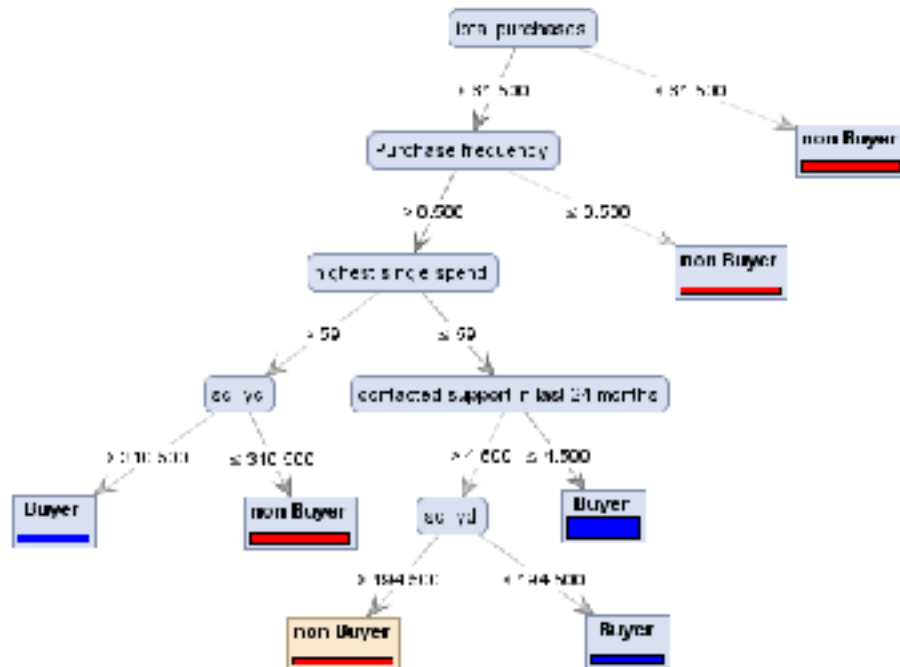
Class	1,2	3
Survived	7	3
Died	5	10
Gini <sub>C</sub>	0.42	

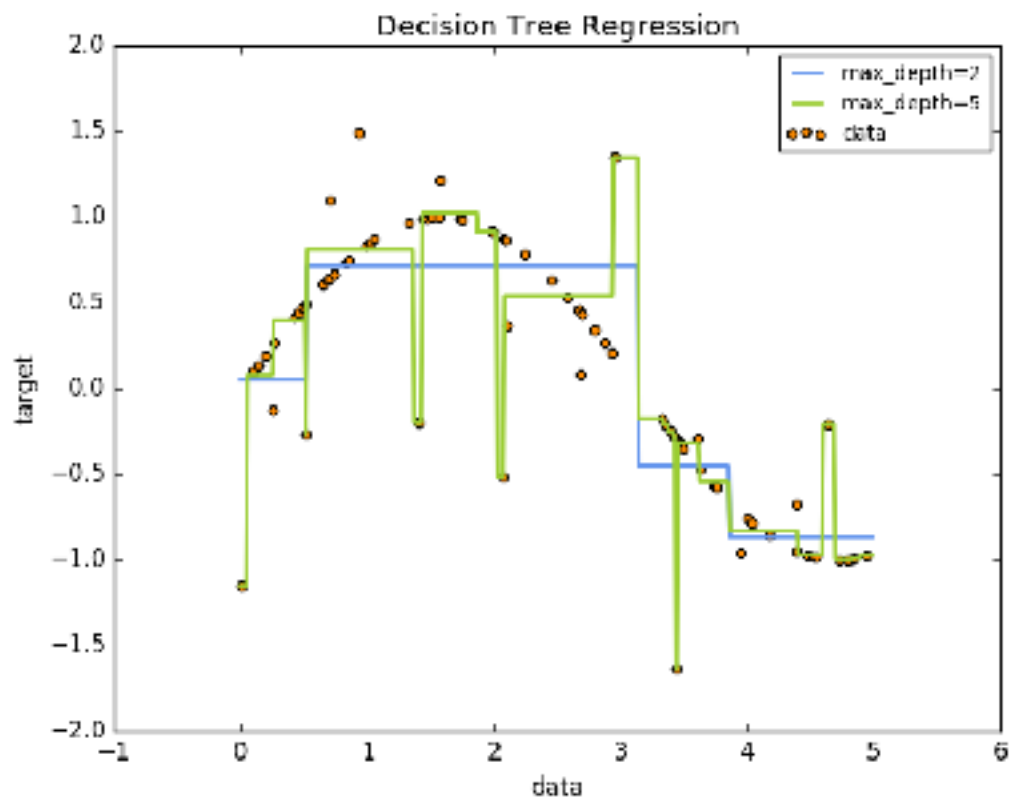
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**USES**





### ADVANTAGES

- Trees are easy to explain to people.
- Trees can be displayed graphically, and are easily interpreted even by a non-expert (especially if they are small).
- Trees can easily handle qualitative predictors without the need to create dummy variables.

### DISADVANTAGES

- Trees on their own generally do not have high predictive accuracy.



Using BigML to demonstrate a decision tree model on the Titanic dataset.

<https://bigml.com/dashboard/datasets>

BigML is a cloud based machine learning tool, designed to make machine learning more approachable.



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**LAB**

1. re-name your labs with lab\_name.<yourname>.ipynb (to prevent a conflict)
2. cd <path to the root of your SYD\_DAT\_6 local repo>
3. commit your changes ahead of sync
  - git status
  - git add .
  - git commit -m "descriptive label for the commit"
  - git status
4. download new material from official course repo (upstream) and merge it
  - git checkout master (ensures you are in the master branch)
  - git fetch upstream
  - git merge upstream/master



# **HOMEWORK**

## **Homework**

- **Homework 2 – Due Monday 14th of November**

## **Read the following**

- **Chapter 8.1 of Introduction to Statistical Learning – The Basics of Decision Trees**
- **Chapter 8.2 of Introduction to Statistical Learning – Bagging, Random Forests, Boosting**