DS – 510 Project 2

TO STUDY AND ATTEMPT TO PREDICT IF, BASED ON A NUMBER OF RISK FACTORS, A GIVEN PATIENT WILL HAVE HEART DISEASE.

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Our Analysis:

Log Odds

> exp(cbind(OR=coef(Model1),confint(Model1))) Waiting for profiling to be done...

```
2.5 %
                                               97.5 %
                   0.004060436 4.311547e-06 2.5384421
(Intercept)
                  1.003546094 9.474646e-01 1.0624847
Aae
Sex
                  7.848956904 2.356256e+00 30.1421557
ChestPainnonanginal 0.135133782 4.425756e-02 0.3755143
ChestPainnontypical 0.184762682 3.639128e-02 0.7268512
ChestPaintypical 0.080139725 1.587923e-02 0.3394161
RestBP
                 1.026710901 1.002147e+00 1.0539300
Chol
                 1.006961031 9.976412e-01 1.0164869
Fbs
                 0.333405944 8.125178e-02 1.2651664
                1.364393077 8.851698e-01 2.1378434
0.977052786 9.528498e-01 0.9999128
RestECG
MaxHR
                 2.353518734 9.062628e-01 6.1573254
Oldpeak
                1.552667497 9.330640e-01 2.6607787
Slope
                 1.905810142 7.851695e-01 4.6138495
Ca
                 3.083886165 1.786751e+00 5.6744888
                   0.820720590 9.363980e-02 7.4240971
Thalnormal
Thalreversable
                   2.975987592 3.424086e-01 27.0215838
```

Confidence interval should not contain 1. If it contains 1, that means that Predictor/Explanatory variable is not making any changes in Logit/log odds (Ratio of occurrence of event/not occurrence of that event).

- ➤ We can exclude ChestPainnontypical2 from our study, as it contains 1 in its confidence interval. So it is not an impacting factor for AHD.
- MaxHR is also not an impacting factor AHD study as it contains 1 in its confidence interval.

Intercept (0.004060436) is a constant.

- ➤ One-unit increase in Sex will increase your odds by 7.85 units.
- ➤ One-unit increase in ExAng will increase your odds by 2.35 units.
- ➤ One-unit increase in Ca will increase your odds by 3.08 units.
- > One-unit increase in Thalreversable will increase your odds by 2.97 units.
- ➤ One-unit increase in RestECG will increase your odds by 1.36 units.
- ➤ One-unit increase in Oldspeak, slope will increase your odds by 1.55 & 1.9 units respectively.
- ➤ ChestPainnontypical has four values {1,2,3,4}. If you change from 1 to 2, then its not significant.
 - But when you change from 1 to 3 and 4, it's significant and Intercepts <1: means its against heart disease. Changing from ChestPainnontypical 1 to 2 and 3 decreases odds.
- ➤ Fbs and Thalnormal have slope Intercepts <1, so increasing them one-unit will decrease odds.

Age, RestBP, Chol have Slope intercept close to 1,so you have to change these variables by large number to make any change in odds.

Backward Approach:

Logistic Model of AHD v/s all other predictor variables:

```
> summary(Model1) #values of logit
Call:
glm(formula = AHD ~ ., family = "binomial", data = Training)
Deviance Residuals:
   Min
          1Q Median
                             30
                                     Max
-2.4548 -0.4445 -0.1111 0.3157
Coefficients:
                   Estimate Std. Error z value Pr(>|z|)
(Intercept)
                  -5.506465 3.364858 -1.636 0.101743
Age
                   0.003540 0.029019 0.122 0.902912
Sex
                   2.060381 0.644627 3.196 0.001392 **
ChestPainnonanginal -2.001490 0.541224 -3.698 0.000217 ***
ChestPainnontypical -1.688683 0.750084 -2.251 0.024365 *
ChestPaintypical -2.523984 0.771765 -3.270 0.001074 **
RestBP
                  0.026360 0.012719 2.073 0.038214 *
                  0.006937 0.004669 1.486 0.137322
Chol
                  -1.098394 0.696691 -1.577 0.114890
Fbs
RestECG
                   0.310710 0.223293
                                       1.391 0.164077
                  MaxHR
ExAng
                   0.855912   0.485137   1.764   0.077687 .
Oldpeak
                  0.439974 0.265335 1.658 0.097280 .
Slope
                 0.644907 0.446312 1.445 0.148466
                 1.126191 0.292823 3.846 0.000120 ***
Thalnormal
                  -0.197573 1.093361 -0.181 0.856601
Thalreversable
                  1.090576 1.090946 1.000 0.317475
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
(Dispersion parameter for binomial family taken to be 1)
   Null deviance: 339.88 on 246 degrees of freedom
Residual deviance: 146.09 on 230 degrees of freedom
 (3 observations deleted due to missingness)
AIC: 180.09
Number of Fisher Scoring iterations: 6
```

> Sex, ChestPain, RestBP and Ca are four Significant variables. All other variables are not significant.

Pvalue < Alpha (Significance level)

Logistic model (Model2) of AHD v/s Sex, ChestPain, RestBP and Ca

```
> summary(Model2)
glm(formula = AHD ~ Sex + Ca + RestBP + ChestPain, family = "binomial",
     data = Trainina)
Deviance Residuals:
                                       3Q
   Min 1Q Median
                                                   Max
-2.6522 -0.6091 -0.2104 0.5977 2.2877
Coefficients:
                        Estimate Std. Error z value Pr(>|z|)
(Intercept) -4.58748 1.44995 -3.164 0.00156 **

      Sex
      1.86544
      0.43589
      4.280
      1.87e-05
      ***

      Ca
      1.09083
      0.21863
      4.989
      6.06e-07
      ***

      RestBP
      0.02719
      0.01008
      2.698
      0.00698
      **

      ChestPainnonanginal
      -2.38591
      0.43147
      -5.530
      3.21e-08
      ***

ChestPainnontypical -2.80997    0.61184   -4.593    4.38e-06 ***
ChestPaintypical -2.59897 0.65819 -3.949 7.86e-05 ***
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' '1
(Dispersion parameter for binomial family taken to be 1)
     Null deviance: 341.07 on 247 degrees of freedom
Residual deviance: 201.51 on 241 degrees of freedom
  (2 observations deleted due to missingness)
AIC: 215.51
Number of Fisher Scoring iterations: 5
```

- ➤ All variables are significant in this model.
- ➤ RestBP seems to be least important here as it is significant but at .001 level (Alpha=.001).(**)
- ➤ All other variables **Sex**, **ChestPain and Ca** are significant at 0 level. (***)
- ➤ Model 3 is the best Model

Error Rate: Error rate calculated is the percentage value of incorrect predictions of AHD that resulted from the models.

Model	AHD	VS	Independent Variables	LR Error (%)	SVM Error (%)
Model_1	AHD	VS	All	35.60	52.00
Model_2	AHD	VS	Sex + Ca + Chestpain + RestBP	32.40	30.00
Model_3	AHD	VS	Sex + Ca + Chestpain	32.40	28.00
Model_4	AHD	VS	Ca +ChestPain	34.00	30.00
Model_5	AHD	VS	ChestPain+Sex	24.40	30.00

Model_6	AHD	VS	Ca +Sex	32.40	24.00
Model_7	AHD	VS	Sex	38.40	38.00
Model_8	AHD	VS	RestBP	41.20	44.00
Model_9	AHD	VS	Ca	34.00	24.00
Model_10	AHD	VS	ChestPain	23.20	30.00

Model 3 is the Best Model

Backward approach

In Model1, Sex, ChestPain, RestBP and Ca are four Significant variables. All other variables are not significant.

Pvalue < Alpha (Significance level)

➤ In Model2, all variables are significant. But RestBP seems to be least important here as it is significant but at .001 level (Alpha=.001) and its individual error rate is also very high 41.2%.

All other variables Sex, ChestPain and Ca are significant at 0 level. (***)

In Model 3, Sex, Ca and chest Pain are most significant explanatory variables among others.

Forward Approach

AHD v/s Sex, Ca, ChestPain, RestBP (Model 7, 8, 9 and 10)

- ➤ ChestPain and Ca are the most significant explanatory variables as error rate for these two is lowest in Logistic and SVM models.
- RestBP is the least significant explanatory variable as error rate is highest.

AHD v/s Ca + ChestPain, ChestPain + Sex, Ca + Se.

➤ Ca +Sex and ChestPain+Sex (Model5 and 6) are best models among these three as error rate for them is lowest for logistic and SVM Models.

So Model 3 (Sex + Ca + ChestPain v/s AHD) is the best Model because its error rate is low (LR=32.40% and SVM=28%).

Comparison among Logistic regression and Support Vector Machine

```
> summary(SVM2)
Call:
svm(formula = AHD ~ Sex + Ca + ChestPain, data = Training, Kernel = "linear", scale = FALSE)

Parameters:
    SVM-Type: C-classification
    SVM-Kernel: radial
    cost: 1
        gamma: 0.1666667

Number of Support Vectors: 121
    ( 61 60 )

Number of Classes: 2

Levels:
    No Yes
```

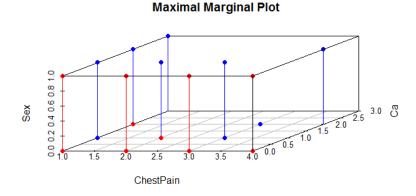
Model 3 is the best Model. SVM better predicts our model than logistic regression.

- ➤ Error rate is lesser for SVM than logistic regression because: Logistic regression focuses on maximizing the probability of the data. The farther the data lies from the separating hyperplane (on the correct side), the highest accuracy of the LR model is.
- An SVM tries to find the separating hyperplane that maximizes the distance of the closest points to the margin (the support vectors). If a point is not a support vector, it doesn't really matter. In this model support vectors are only 121.

Error rate depends on prediction of only these 121 data points only.

Testing Best Model with Test Data:

➤ When we used the best model to predict the test data, the error rate observed was lower than that of the training data with difference of 4% approximately.



Scatterplot for Test Data

Hence, our model ChestPain + Sex + Ca predicts the AHD with relatively best accuracy.

Reading Data File and Arranging for Analysis

Reading the data file Heart.csv

Project<-read.csv("C://Users//Mohit//Desktop//ds510_project//Project_2//Heart.csv") View(Project)

Selecting first 250 rows for Training data

```
Training<-Project[1:250,-1]
rownames(Training) <- seq(length=nrow(Training))
View(Training)
summary(Training)
```

Selecting last 53 rows for Test data

```
Test<-Project[251:303,-1]
View(Test)
rownames(Test) <- seq(length=nrow(Test))
```

Logistic Regression

Model 1: AHD vs all Explanatory Variables.

```
Model_1<-glm(AHD~.,data=Training,family = "binomial") summary(Model_1)
```

#Probability of AHD=1(Yes) given values of predictor variables

```
ProbModel_1<-predict(Model_1, data= Training, type="response")
ProbModel_0[1:10]
contrasts(Training$AHD) #To check values of Binary Response variable
```

#Checking Error rate

```
PredModel_1=rep("0",53)
PredModel_1[ProbModel_1 > 0.5]="1"
head(PredModel_1)
Tab_1<-table(PredModel_1,ahd_test) #Confusion Matrix
print(Tab_1)
mean(PredModel_1 !=ahd_test)
Error_1<-1-sum(diag(Tab_1))/sum(Tab_1) #Error rate
print(Error_1)
```

#Confidence Interval

exp(cbind(OR=coef(Model 1),confint(Model 1)))

Model 2: AHD vs Sex, Ca, Chest pain and RestBP.

Model_2<-glm(AHD~Sex+Ca+ChestPain+RestBP,data=Training,family = "binomial") summary(Model_2)

#Probability of AHD=1(Yes) given values of predictor variables

ProbModel_2<-predict(Model_2, data=Training, type="response")
ProbModel_2[1:10]

#Checking Error rate

```
PredModel_2=rep("0",250)
PredModel_2[ProbModel_2 > 0.5]="1"
head(PredModel_2)
Tab_2<-table(PredModel_2,Training$AHD) #Confusion Matrix
print(Tab_2)
Error_2<-1-sum(diag(Tab_2))/sum(Tab_2) #Training Error rate
print(Error_2)
```

Model 3: AHD vs Sex, Ca and Chest pain.

Model_3<-glm(AHD~Sex+Ca+ChestPain,data=Training,family = "binomial") summary(Model_3)

#Probability of AHD=1(Yes) given values of predictor variables

ProbModel_3<-predict(Model_3, Training, type="response")
ProbModel_3[1:10]

#Checking Error rate

PredModel_3=rep("0",250)
PredModel_3[ProbModel_2 > 0.5]="1"
head(PredModel_3)
Tab_3<-table(PredModel_3,Training\$AHD) #Confusion Matrix
print(Tab_3)
Error_3<-1-sum(diag(Tab_3))/sum(Tab_3) #Training Error rate
print(Error_3)

#Confidence Interval

exp(cbind(OR=coef(Model 3),confint(Model 3)))

Model 4: AHD vs Ca and Chest pain.

AHD vs Ca + Chestpain

Model_4<-glm(AHD~Ca+ChestPain,data=Training,family = "binomial") summary(Model 4)

#Probability of AHD=1(Yes) given values of predictor variables

ProbModel_4<-predict(Model_4, Training, type="response")
ProbModel_4[1:10]

#Checking Error rate

PredModel_4=rep("0",250)
PredModel_4[ProbModel_4 > 0.5]="1"
head(PredModel_4)
Tab_4<-table(PredModel_4,Training\$AHD) #Confusion Matrix
print(Tab_4)
Error_4<-1-sum(diag(Tab_4))/sum(Tab_4) #Training Error rate
print(Error_4)

Model 5: AHD vs ChestPain and Sex

AHD vs Chestpain + Sex

Model_5<-glm(AHD~ChestPain+Sex,data=Training,family = "binomial") summary(Model 5)

#Probability of AHD=1(Yes) given values of predictor variables

ProbModel_5<-predict(Model_5,type="response")
ProbModel_5[1:10]

#Checking Error rate

PredModel_5=rep("0",250)
PredModel_5[ProbModel_5 > 0.5]="1"
head(PredModel_5)
Tab_5<-table(PredModel_5,Training\$AHD) #Confusion Matrix
print(Tab_5)
Error_5<-1-sum(diag(Tab_5))/sum(Tab_5) #Training Error rate
print(Error_5)

Model 6: AHD vs Ca and Sex

AHD vs Ca+Sex

Model_6<-glm(AHD~Ca+Sex,data=Training,family = "binomial") summary(Model 6)

#Probability of AHD=1(Yes) given values of predictor variables

ProbModel_6<-predict(Model_6,type="response")
ProbModel 6[1:10]

#Checking Error rate

PredModel_6=rep("0",250)
PredModel_6[ProbModel_6 > 0.5]="1"
head(PredModel_6)
Tab_6<-table(PredModel_6,Training\$AHD) #Confusion Matrix
print(Tab_6)
Error_6<-1-sum(diag(Tab_6))/sum(Tab_6) #Training Error rate
print(Error_6)

Model 7: AHD vs Sex

AHD vs Sex

Model_7<-glm(AHD~Sex,data=Training,family = "binomial") summary(Model 7)

#Probability of AHD=1(Yes) given values of predictor variables

ProbModel_7<-predict(Model_7,type="response")
ProbModel_7[1:10]

#Checking Error rate

PredModel_7=rep("0",250)
PredModel_7[ProbModel_7 > 0.5]="1"
head(PredModel_7)
Tab_7<-table(PredModel_7,Training\$AHD) #Confusion Matrix
print(Tab_7)
Error_7<-1-sum(diag(Tab_7))/sum(Tab_7) #Training Error rate
print(Error_7)

Model 8: AHD vs RestBP

Model_8<-glm(AHD~RestBP,data=Training,family = "binomial") summary(Model_8)

#Probability of AHD=1(Yes) given values of predictor variables

ProbModel_8<-predict(Model_8,type="response")
ProbModel 8[1:10]

#Checking Error rate

PredModel_8=rep("0",250)
PredModel_8[ProbModel_8 > 0.5]="1"
head(PredModel_8)
Tab_8<-table(PredModel_8,Training\$AHD) #Confusion Matrix
print(Tab_8)
Error_8<-1-sum(diag(Tab_8))/sum(Tab_8) #Training Error rate
print(Error_8)

Model 9: AHD vs Ca

Model_9<-glm(AHD~Ca,data=Training,family = "binomial") summary(Model 9)

#Probability of AHD=1(Yes) given values of predictor variables

ProbModel_9<-predict(Model_9,type="response")
ProbModel 9[1:10]

#Checking Error rate

PredModel_9=rep("0",250)
PredModel_9[ProbModel_9 > 0.5]="1"
head(PredModel_9)
Tab_9<-table(PredModel_9,Training\$AHD) #Confusion Matrix print(Tab_9)
Error_9<-1-sum(diag(Tab_9))/sum(Tab_9) #Training Error rate print(Error 9)

Model 10: AHD vs ChestPain

Model_10<-glm(AHD~ChestPain,data=Training,family = "binomial") summary(Model_10)

#Probability of AHD=1(Yes) given values of predictor variables

ProbModel_10<-predict(Model_10,type="response")
ProbModel_10[1:10]

#Checking Error rate

PredModel_10=rep("0",250)
PredModel_10[ProbModel_10 > 0.5]="1"
head(PredModel_10)
Tab_10<-table(PredModel_10,Training\$AHD) #Confusion Matrix
print(Tab_10)
Error_10<-1-sum(diag(Tab_10))/sum(Tab_10) #Training Error rate
print(Error_10)

Predicting the Best Model:

Model_21<-glm(AHD~Sex+Ca+ChestPain,data=Test,family = "binomial") summary(Model_21)

#Probability of AHD=1(Yes) given values of predictor variables

ProbModel_21<-predict(Model_21, data=Test, type="response")
ProbModel_21[1:10]

#Checking Error rate

PredModel_21=rep("0",53)
PredModel_21[ProbModel_21 > 0.5]="1"
head(PredModel_21)
Tab_21<-table(PredModel_21,Test\$AHD) #Confusion Matrix
print(Tab_21)
Error_21<-1-sum(diag(Tab_21))/sum(Tab_21) #Training Error rate
print(Error_21)

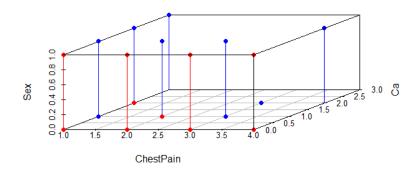
#Confidence Interval

exp(cbind(OR=coef(Model 21),confint(Model 21)))

Scatterplot for test data

colors <- c("red", "blue", "green")
colors <- colors[as.numeric(Test\$AHD)]
scatterplot3d(Test[,c(3,12,2)], pch = 16, type = "h", color = colors, grid = TRUE,
main="Maximal Marginal Plot", sub = "Scatterplot for Test Data")

Maximal Marginal Plot



Scatterplot for Test Data

Support Vector Machine

Model 11: AHD vs all Explanatory Variables.

```
SVM_11<-svm(AHD~.,data=Training,Kernel="linear",scale=FALSE) summary(SVM_11)
```

#Predicting values for Test AHD based on SVM1

```
Predict_11<-predict(SVM_11,Test[!rowSums(is.na(Test)),-14])
head(Predict_11,n=100)
tab_11 <- table(Predict_11,Test[!rowSums(is.na(Test)),14])  #Confusion Matrix
print(tab_11)
Error_11<-1-sum(diag(tab_11))/sum(tab_11)  #Test Error rate
print(Error_11)
```

Model 12: AHD vs Sex, Ca, Chest pain and RestBP.

```
SVM_12<-svm(AHD~Sex+Ca+ChestPain+RestBP,data=Training,Kernel="linear",scale=FALSE) summary(SVM_12)
```

#Predicting values for Test AHD based on SVM1

Model 13: AHD vs Sex, Ca and Chest pain.

SVM_13<-svm(AHD~Sex+Ca+ChestPain,data=Training,Kernel="linear",scale=FALSE) summary(SVM_13)

#Predicting values for Test AHD based on SVM1

Predict_13<-predict(SVM_13,Test[!rowSums(is.na(Test)),-14])
head(Predict_13,n=100)
tab_13 <- table(Predict_13,Test[!rowSums(is.na(Test)),14]) #Confusion Matrix
print(tab_13)
Error_13<-1-sum(diag(tab_13))/sum(tab_13) #Test Error rate
print(Error_13)

Model 14: AHD vs Ca and Chest pain.

SVM_14<-svm(AHD~Ca+ChestPain,data=Training,Kernel="linear",scale=FALSE) summary(SVM 14)

#Predicting values for Test AHD based on SVM1

Predict_14<-predict(SVM_14,Test[!rowSums(is.na(Test)),-14])
head(Predict_14,n=100)
tab_14 <- table(Predict_14,Test[!rowSums(is.na(Test)),14]) #Confusion Matrix
print(tab_14)
Error_14<-1-sum(diag(tab_14))/sum(tab_14) #Test Error rate
print(Error_14)

Model 15: AHD vs ChestPain and Sex

SVM_15<-svm(AHD~Sex+ChestPain,data=Training,Kernel="linear",scale=FALSE) summary(SVM_15)

#Predicting values for Test AHD based on SVM1

Predict_15<-predict(SVM_15,Test[!rowSums(is.na(Test)),-14]) head(Predict_15,n=100) tab_15 <- table(Predict_15,Test[!rowSums(is.na(Test)),14]) #Confusion Matrix print(tab 15)

```
Error_15<-1-sum(diag(tab_15))/sum(tab_15) #Test Error rate print(Error_15)
```

Model 16: AHD vs Ca and Sex

SVM_16<-svm(AHD~Sex+Ca,data=Training,Kernel="linear",scale=FALSE) summary(SVM_16)

#Predicting values for Test AHD based on SVM1

Model 17: AHD vs Sex

SVM_17<-svm(AHD~Sex,data=Training,Kernel="linear",scale=FALSE) summary(SVM 17)

#Predicting values for Test AHD based on SVM1

```
Predict_17<-predict(SVM_17,Test[!rowSums(is.na(Test)),-14])
head(Predict_17,n=100)
tab_17 <- table(Predict_17,Test[!rowSums(is.na(Test)),14]) #Confusion Matrix
print(tab_17)
Error_17<-1-sum(diag(tab_17))/sum(tab_17) #Test Error rate
print(Error_17)
```

Model 18: AHD vs RestBP

SVM_18<-svm(AHD~RestBP,data=Training,Kernel="linear",scale=FALSE) summary(SVM_18)

#Predicting values for Test AHD based on SVM1

Predict_18<-predict(SVM_18,Test[!rowSums(is.na(Test)),-14])
head(Predict_18,n=100)
tab_18 <- table(Predict_18,Test[!rowSums(is.na(Test)),14]) #Confusion Matrix
print(tab_18)
Error_18<-1-sum(diag(tab_18))/sum(tab_18) #Test Error rate
print(Error_18)

Model 19: AHD vs Ca

SVM_19<-svm(AHD~Ca,data=Training,Kernel="linear",scale=FALSE) summary(SVM 19)

#Predicting values for Test AHD based on SVM1

Predict_19<-predict(SVM_19,Test[!rowSums(is.na(Test)),-14])
head(Predict_19,n=100)
tab_19 <- table(Predict_19,Test[!rowSums(is.na(Test)),14]) #Confusion Matrix
print(tab_19)
Error_19<-1-sum(diag(tab_19))/sum(tab_19) #Test Error rate
print(Error_19)

Model 20: AHD vs ChestPain

SVM_20<-svm(AHD~ChestPain,data=Training,Kernel="linear",scale=FALSE) summary(SVM 20)

#Predicting values for Test AHD based on SVM1

Predict_20<-predict(SVM_20,Test[!rowSums(is.na(Test)),-14])
head(Predict_20,n=100)
tab_20 <- table(Predict_20,Test[!rowSums(is.na(Test)),14]) #Confusion Matrix
print(tab_20)
Error_20<-1-sum(diag(tab_20))/sum(tab_20) #Test Error rate
print(Error_20)