

# Lab 01: elements of corrections

Q1: 100% of butterfly pixels are in its bounding box



$$|I_{ROI} \cap I_{BB}| / |I_{ROI}| = 1$$

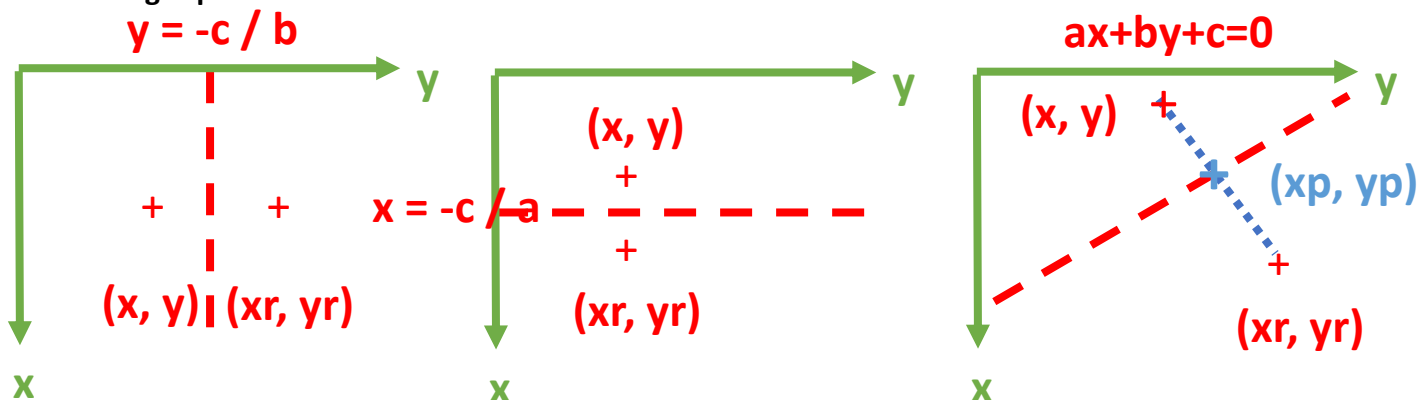
with  $I_{ROI}$  the binary image of the region of interest (the butterfly),  $I_{BB}$  the binary image of its bounding box, and  $|I|$  the number of pixels in the binary image  $I$  with intensity value equal to 1 ( $|I|$  is also called the area of  $I$ ).

The area can be computed using the sum function from Numpy, and the intersection the logical\_and function from Numpy.

Q2: The butterfly fills 59% of its bounding box

$$|I_{ROI}| / |I_{BB}| = 0.59$$

Q3: Compute the coordinated  $(x_r, y_r)$  of the symmetric point of  $(x, r)$  with respect to a line in the image space



with  $(x_p, y_p)$  the **orthogonal projection of  $(x, y)$  onto the line  $ax + by + c = 0$**  (to compute it, read Projection\_orthogonale, wikipedia)

Q6: using the min and argmin function from Numpy, you should **automatically** find

```
Best initial parameters: [0, 1, -324]
Best initial loss: 0.016286986732576305
```

Q6bis: There are 3 variables to optimize, namely the parameters of the line,  $a$ ,  $b$  and  $c$ . Thus, the Nelder-Mead method creates at each iteration a 3-simplex, namely a tetrahedron.

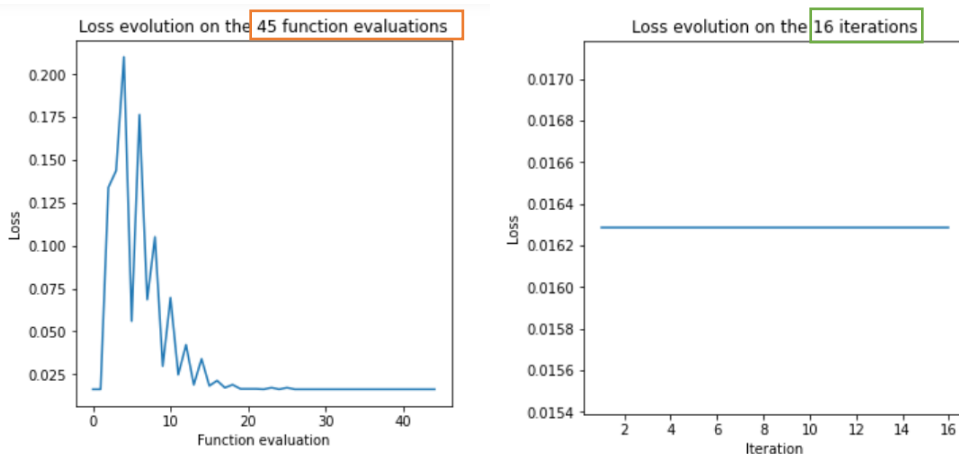
Q7: You have to use the minimize function of Scipy with input

- `sym_loss` (fun)
  - best parameters automatically obtained from Q6 (x0)
  - 'Nealder-Mead' (method)
  - 'return\_all' = True (options, cf documentation)
  - (`input_arr`, `mask_arr`, `back_val`) (args)
- With `input_arr=mask1_arr`, `mask_arr = mask1_arr` and `back_val=np.min(mask1_arr)`

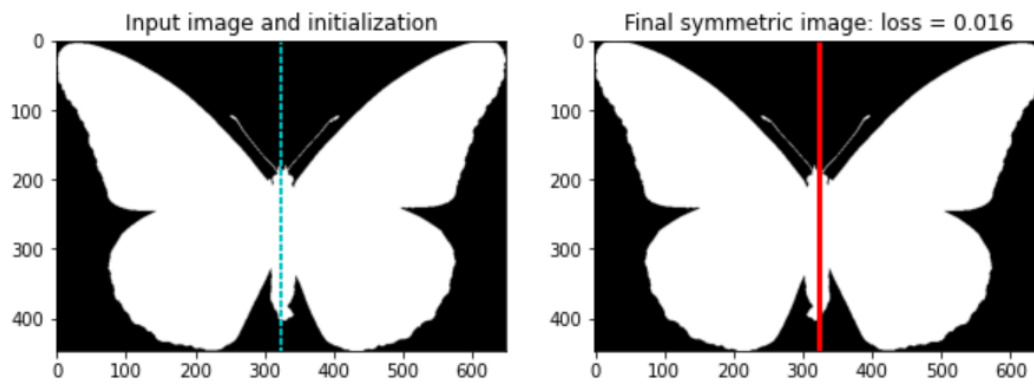
Q8:

```
allvecs: [array([ 0., 1., -324.]), array([ 0., 1., -324.]), array([ 0., 1., -324.]), arra
y([ 0., 1., -324.]), array([ 0., 1., -324.]), array([ 0., 1., -324.]), array([ 0., 1., -32
4.]), array([ 0., 1., -324.]), array([ 0., 1., -324.]), array([ 0., 1., -324.]), array([ 0.,
1., -324.]), array([ 0., 1., -324.]), array([ 0., 1., -324.]), array([ 0., 1., -324.]), arra
y([ 0., 1., -324.]), array([ 0., 1., -324.])]
final_simplex: (array([[ 0.00000000e+00, 1.00000000e+00, -3.24000000e+02],
[ 1.56250000e-05, 1.00000000e+00, -3.24000000e+02],
[ 6.91364778e-06, 1.00018868e+00, -3.24055358e+02],
[ 7.06318206e-06, 1.00013077e+00, -3.24054742e+02]]), array([0.01628699, 0.01628699, 0.01628699, 0.0162
8699]))
fun: 0.016286986732576305
message: 'Optimization terminated successfully.'
nfev: 45
nit: 16
status: 0
success: True
x: array([ 0., 1., -324.])
```

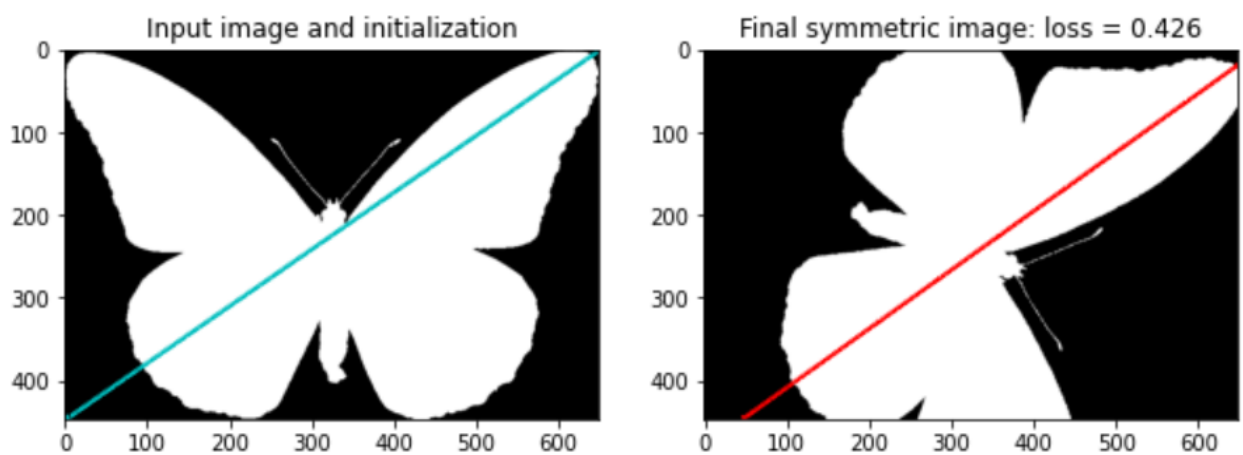
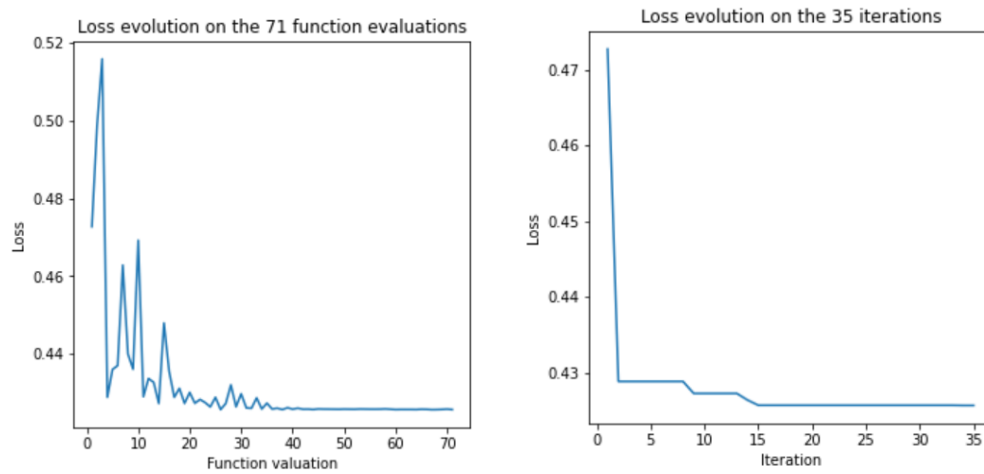
Q9 vs Q10:



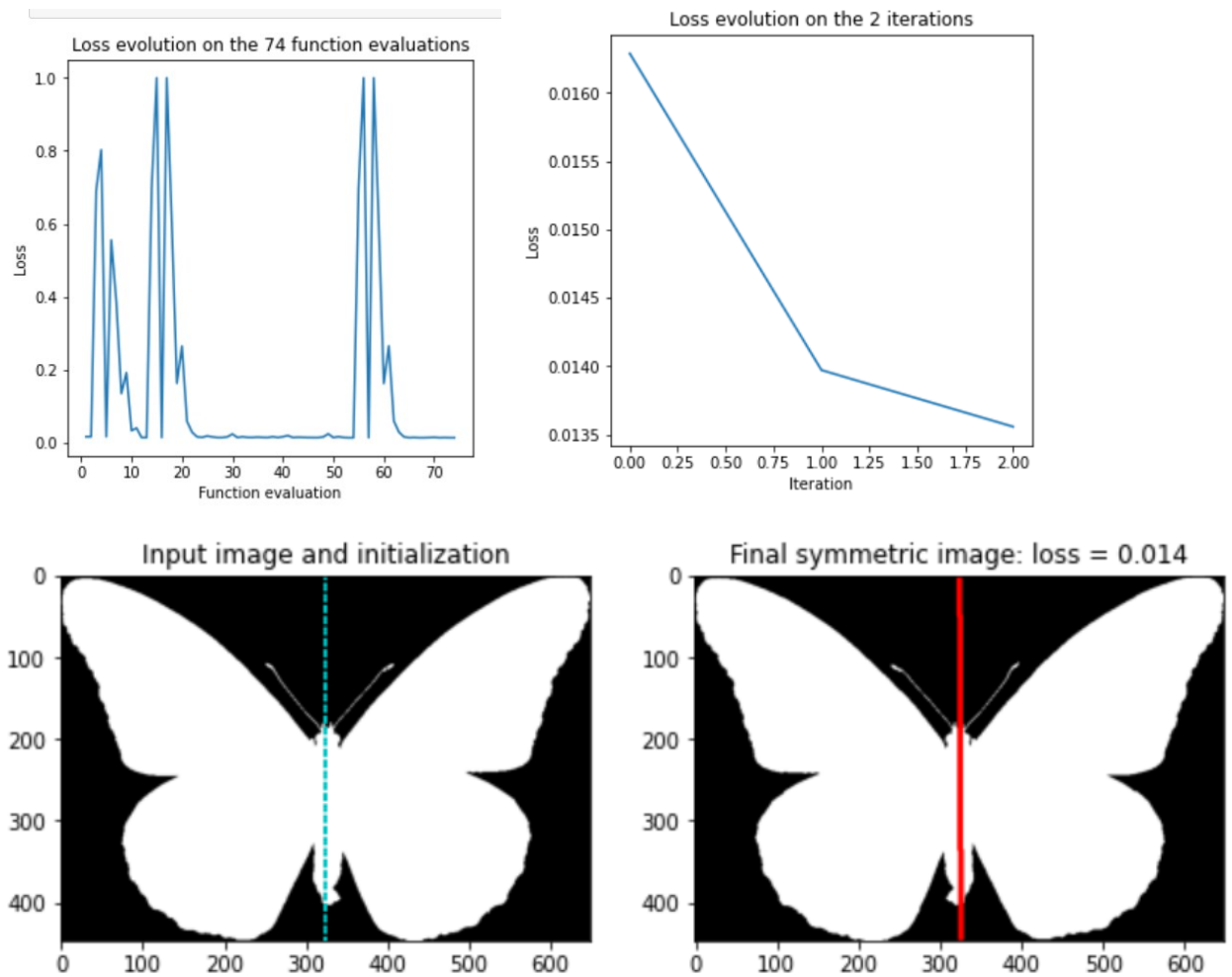
Q11:



Q12: Change x0 with init\_ps[2]

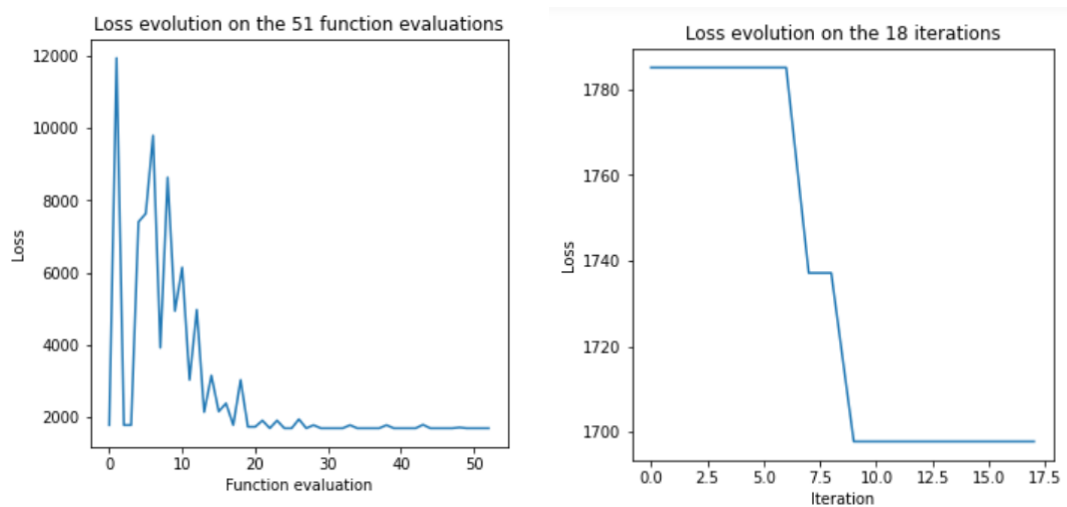


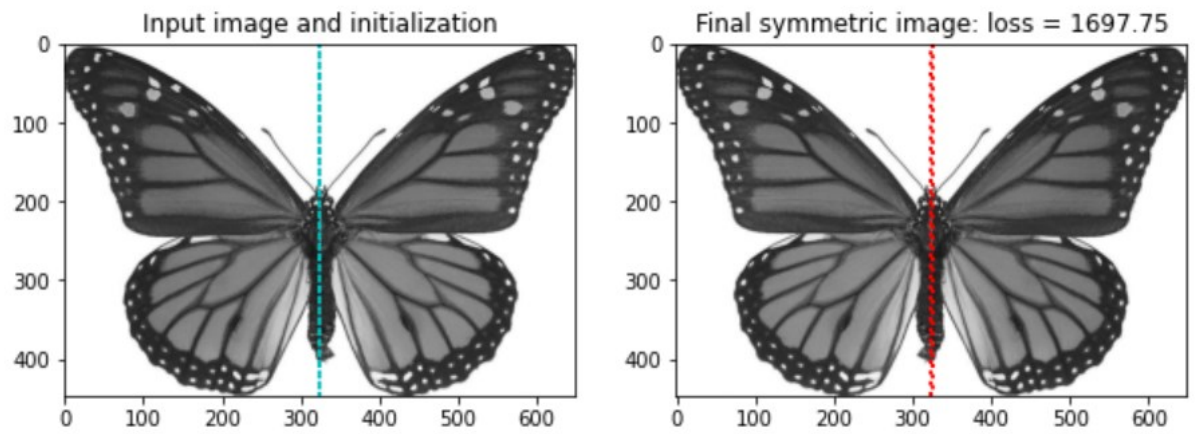
- Q13: Change x0 with the best parameters automatically obtained from Q6 (x0), and method with 'Powell'



Q13: change input\_arr with glim1\_arr and back\_val with np.max(glim1\_arr)

Best initial parameters: [0, 1, -324]  
Best initial loss: 1785.135350520619





That is quite satisfying, because the intensity values are in  $[0, 255]$ , and not in  $[0,1]$  anymore!!