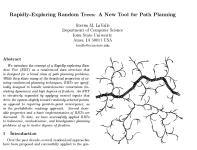
Rapidly-Exploring Random Trees (RRT)





(a) Technical Report 98-11 Oct. 1998

(b) S. M. LaValle

Figure: Currently Professor at University of Illinois and Chief Scientist of VR/AR/MR at Huawei.

RRT Construction Algorithm

```
GENERATE_RRT(x_{init}, K, \Delta t)
     \mathcal{T}.\operatorname{init}(x_{init});
     for k = 1 to K do
3
            x_{rand} \leftarrow \text{RANDOM\_STATE}();
            x_{near} \leftarrow \text{NEAREST\_NEIGHBOR}(x_{rand}, \mathcal{T});
            u \leftarrow \text{SELECT\_INPUT}(x_{rand}, x_{near});
5
            x_{new} \leftarrow \text{NEW\_STATE}(x_{near}, u, \Delta t);
6
            \mathcal{T}.add_vertex(x_{new});
            \mathcal{T}.add_edge(x_{near}, x_{new}, u);
      Return \mathcal{T}
```

Figure: Source [LaValle, 1998]

Properties

- Relative simplicity;
- Bias toward unexplored space:
 - State selection related to Voronoi region size;
- Probabilistic completeness;
- Metric determines performance.

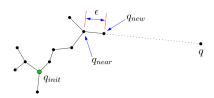


Figure: Source [Kuffner & LaValle, 2000]

Variants

- Obstacles:
 - Selection of random free states;
 - Transition validity for new states;
- Bias toward goal:
 - Avoid "bad luck";
 - Need to be slight;
- Movement constraints:
 - Nonholonomic;
 - Rigid-body;
- BiRRT, RRT*, Theta*-RRT, ...

References



S. M. Lavalle, Rapidly-Exploring Random Trees: A New Tool for Path Planning, 1998, [Online]. Available: http://msl.cs.uiuc.edu/~lavalle/papers/Lav98c.pdf



J. J. Kuffner and S. M. LaValle, "RRT-Connect: An Efficient Approach to Single-Query Path Planning," Proceedings IEEE International Conference on Robotics and Automation, pp 995–1001, 2000,