Symmetric Techniques for Advanced Protocols: What *are* They?

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Inria, Paris

14th of March 2025

Trendy topics

MPC-friendly?

Arithmetization-Oriented?

Verification efficiency?

Algebraic attacks?

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Symmetric crypto **for the blockchain...**

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Symmetric crypto **for the blockchain...**

... for neural networks???

The conclusion of today: **symmetric cryptography** has always had to deal with specific **implementation criteria**, but the new ones are indeed a bit **stranger than before**.

Outline

Plan of this Section

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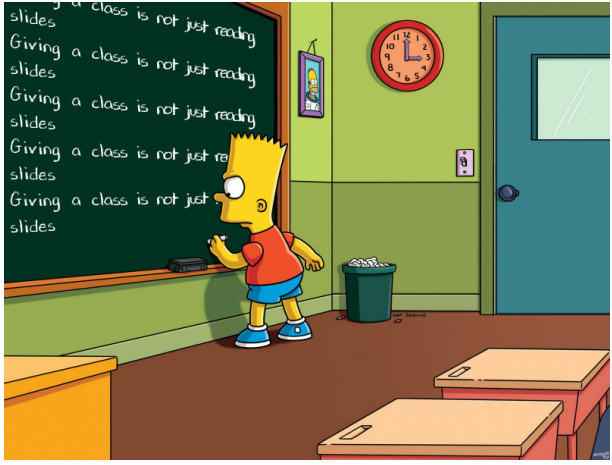
Why do we need symmetric primitives?



Unstable Definitions

What is "efficient" varies

- What are the operations that we **can** use?
- What are the associated **costs**?

How to get the best security for a given price?

What is "secure" varies

- Should the primitive work in many context?
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What is "secure" varies

- Should the primitive work in many context? — Modularity vs. Single use
- Do we care about nonce-misuse? — Robustness vs. "not our problem"

How do we define the **security** that the primitive must provide?

What are the relevant forms of cryptanalysis?

Plan of this Section

Web Encryption

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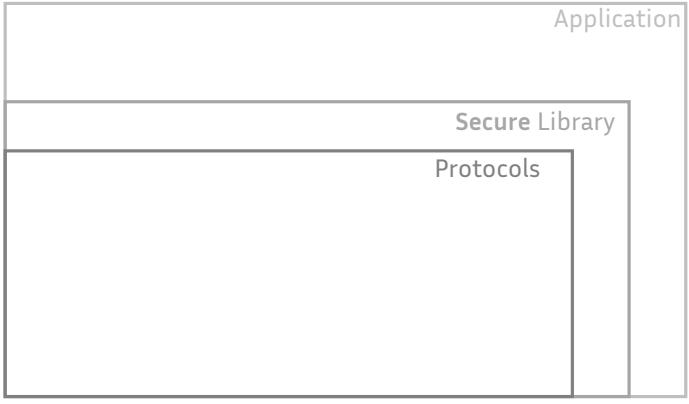

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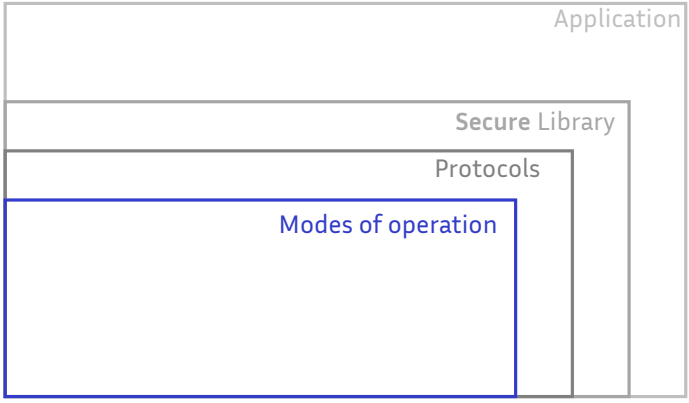

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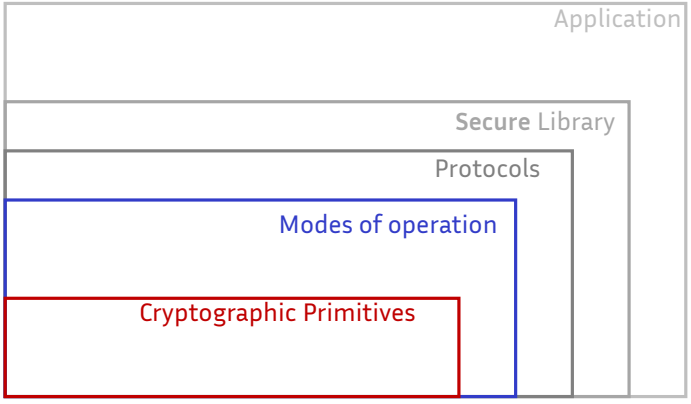

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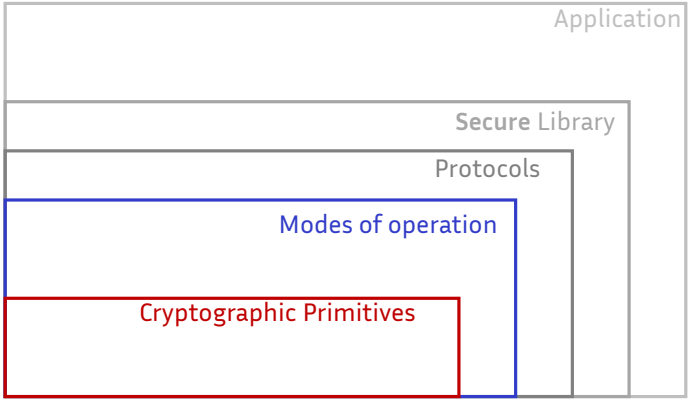

- We want software efficient (computer and smartphone but not micro-controllers) efficient AEAD for packets of a few tens to a few billion bytes.

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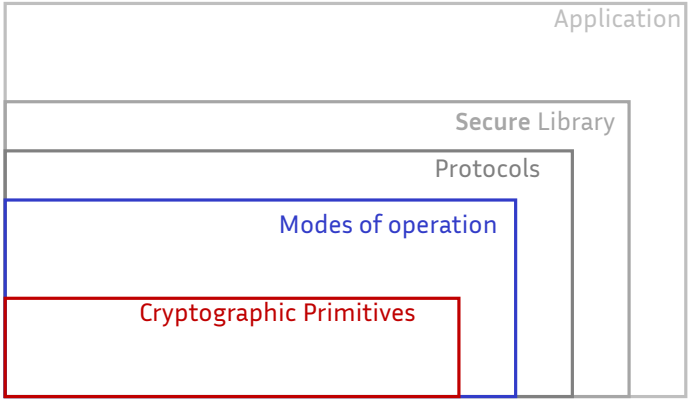

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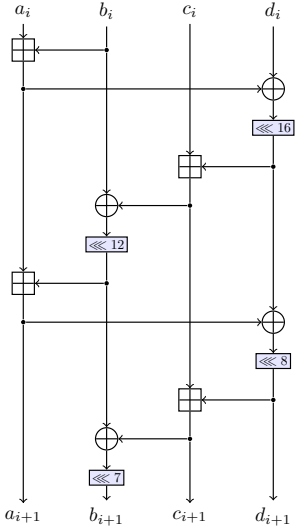
- AES-GCM; Chacha-poly1305.

What Chacha looks like



- Addition / Rotation / XOR
- 256-bit key
- 512-bit state
- Defined over 32-bit words

RAM Encryption

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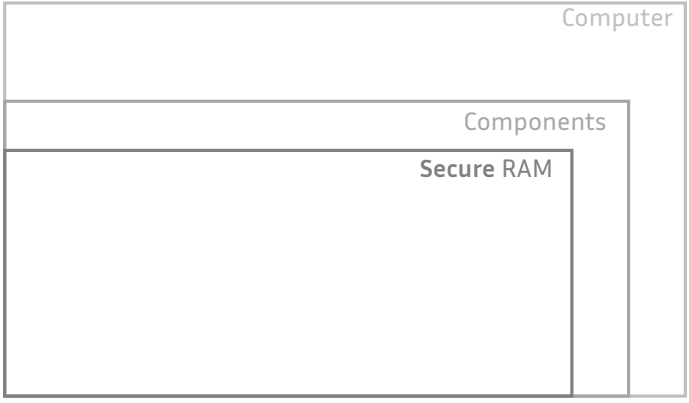

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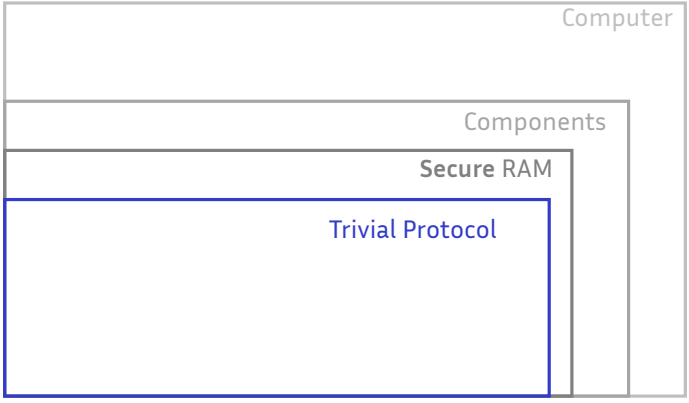

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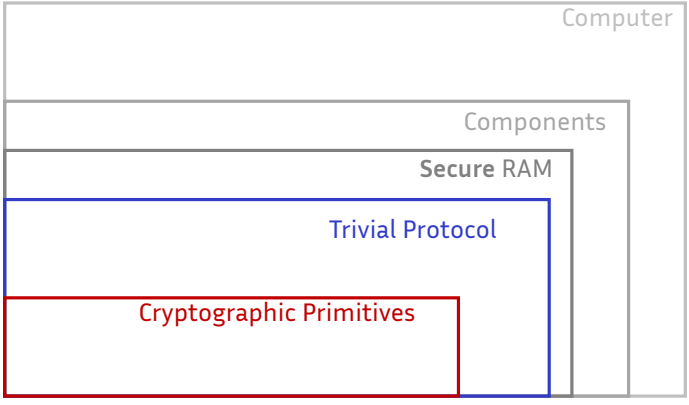

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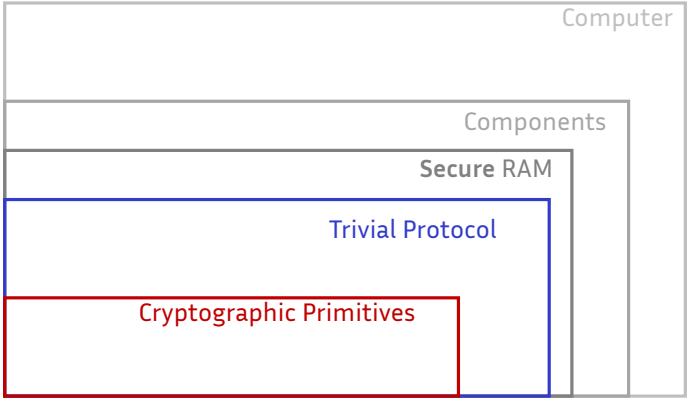

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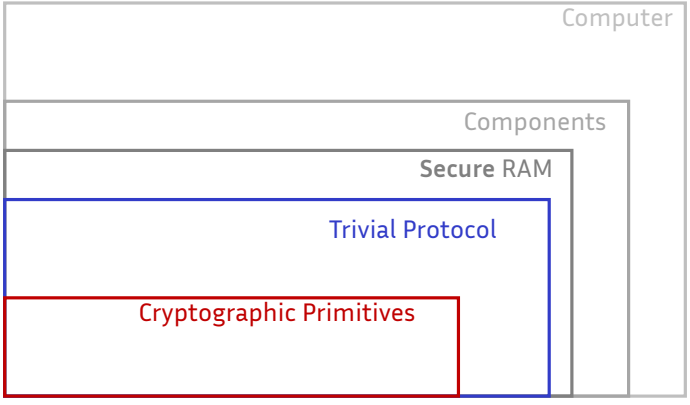

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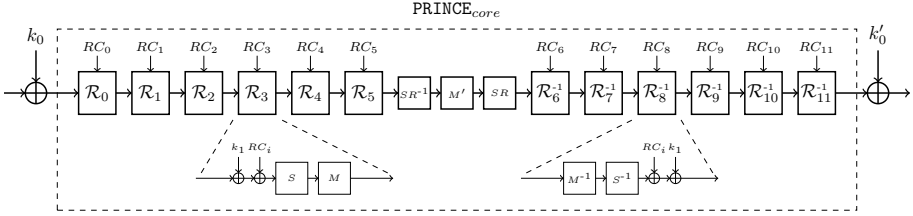
- PRINCE? QARMA? not so clear at this stage.

What PRINCE looks like



- 4-bit S-box optimized for hardware
- 2 different matrices
- FX construction
- "α-reflexion"
- inverse rounds used in the second half

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- A symmetric primitive is a very small (but crucial) cog in a very big machine,
- there are many different "big machines", and
- this has a huge influence on what the primitive looks like.

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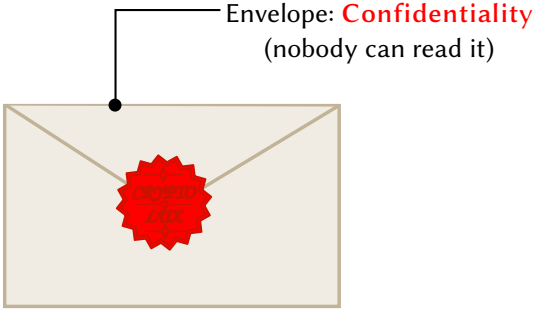

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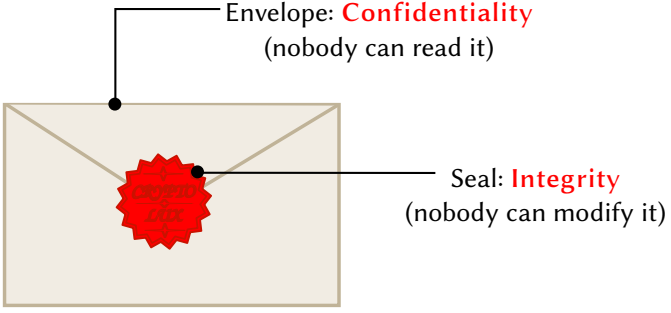

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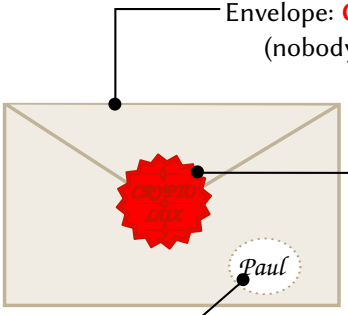

Securing Computation

More and more protocols intend to secure computations.

FHE Fully Homomorphic Encryption

MPC Multi Party Computations

ZK-* Zero Knowledge- [proof, argument...]

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Allow a third party to perform some operations on encrypted ciphertext that correspond to meaningful operations on the corresponding plaintext.

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$$C = F_K(P) \longrightarrow$$

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An example of (not F)HE

XOR-ing a constant to a ciphertext obtained using a stream cipher XORs the same constant in the plaintext:

$$C \oplus t = \left(P \oplus K\right) \oplus t = \left(P \oplus t\right) \oplus K$$

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Allow multiple parties to evaluate a function together even if some parties are not trustworthy.

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Shamir's secret sharing

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Applications

- Masking (the side-channel attack counter-measure)
- MPC-in-the-head paradigm (e.g. for Picnic signatures)
- ...

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- BLOCKCHAIN!!1!

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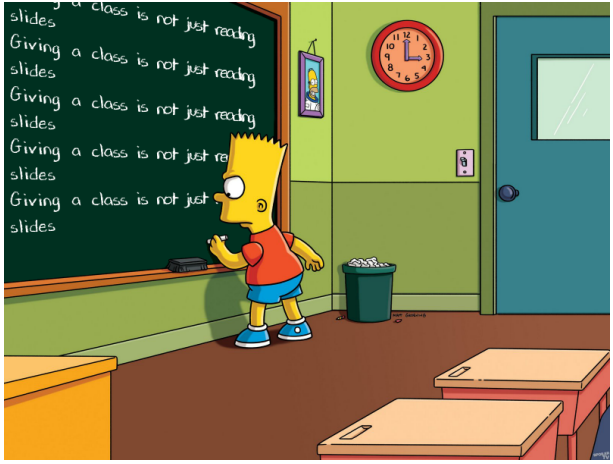
Arithmetization: General Principle



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Verifying if $y = c(ax + b)^{10} + x$ in R1CS

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3. $t_2 = t_1 \times t_1$
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- How to turn a computation into an arithmetic circuit depends on the operations allowed
- Its cost is also arithmetization-dependent—though low degree is usually welcome!

A not basic at all example of arithmetization

The cost of each operation depends on the arithmetization!

Plonk $\neq$ R1CS

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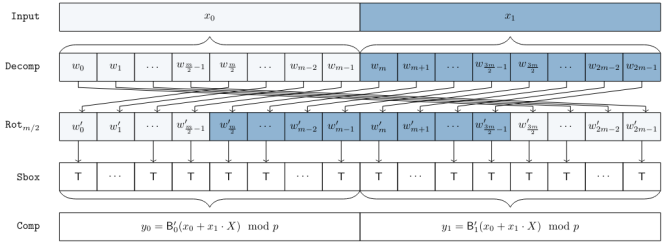
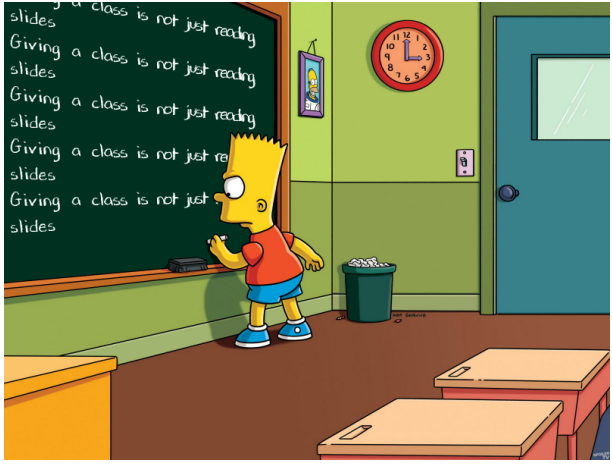


Figure 3: The Bar layer $\mathsf{B}' : \mathbb{F}_{p^n} \to \mathbb{F}_{p^n}$ for $n = 2$ in detail, including the decomposition, the rotation, the S-box, and the composition.

source: *Skyscraper: Fast Hashing on Big Primes*, `https://eprint.iacr.org/2025/058.pdf`

"Arithmetization-Oriented"? Evaluation vs. Verification

(the term was coined in [AAB+20])



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MPC-in-the-head (signatures...)	FV	AIR ...
PCF	TFHE	Plonk
VDF		

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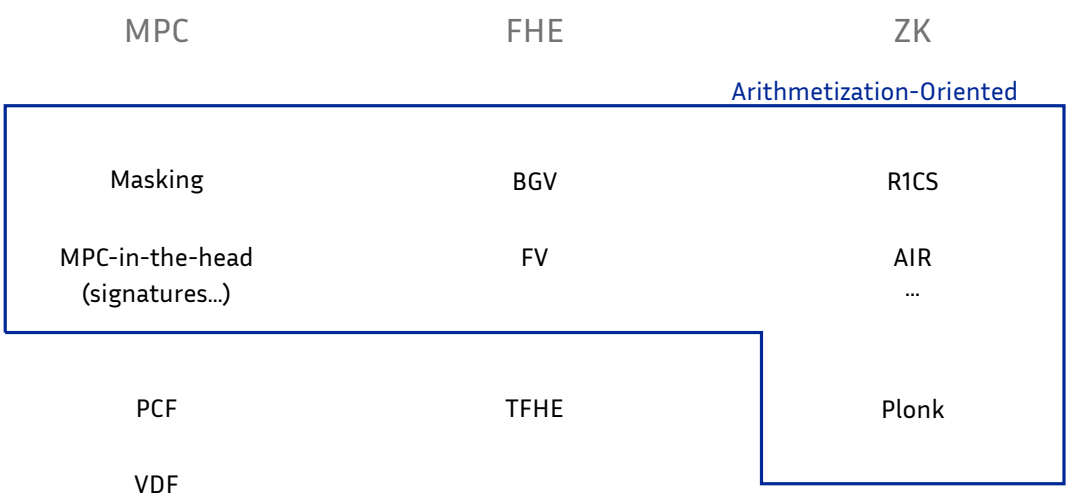

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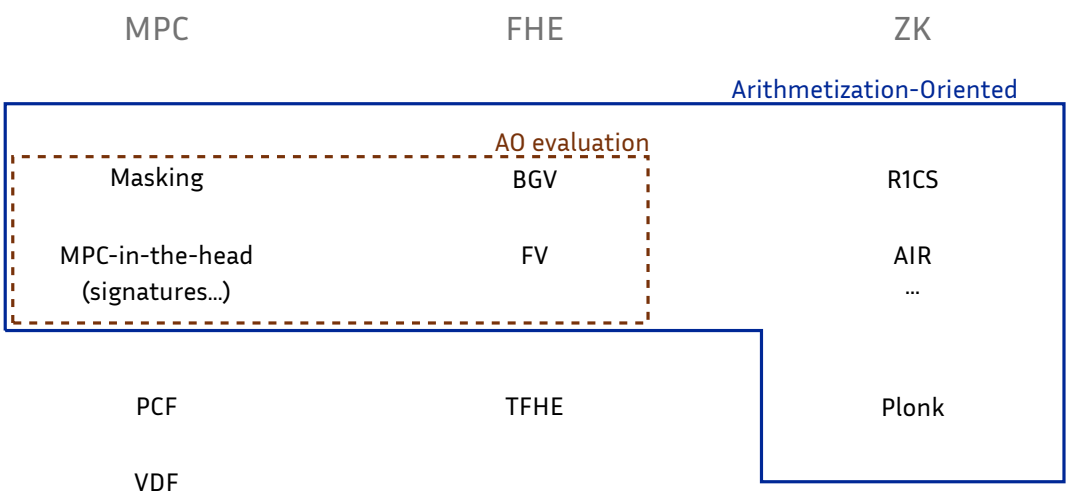

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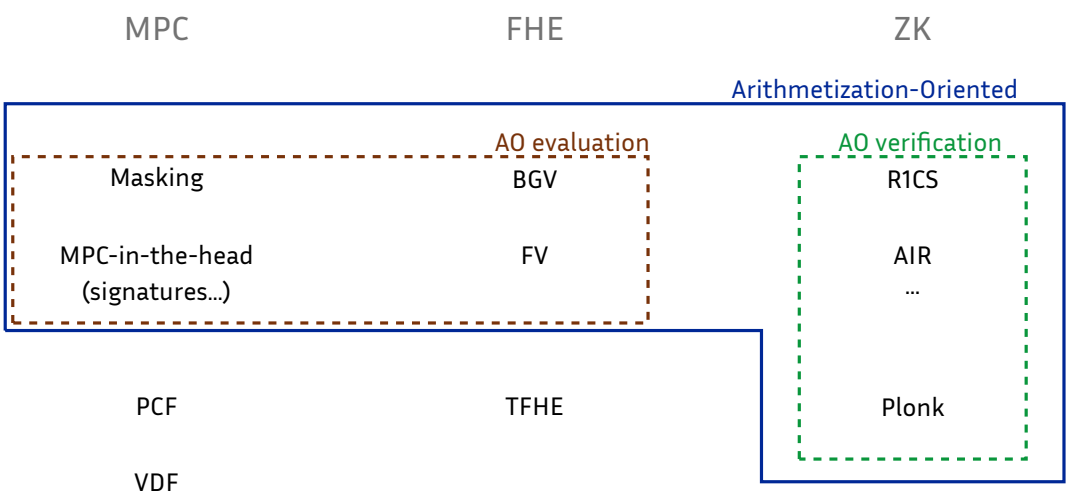

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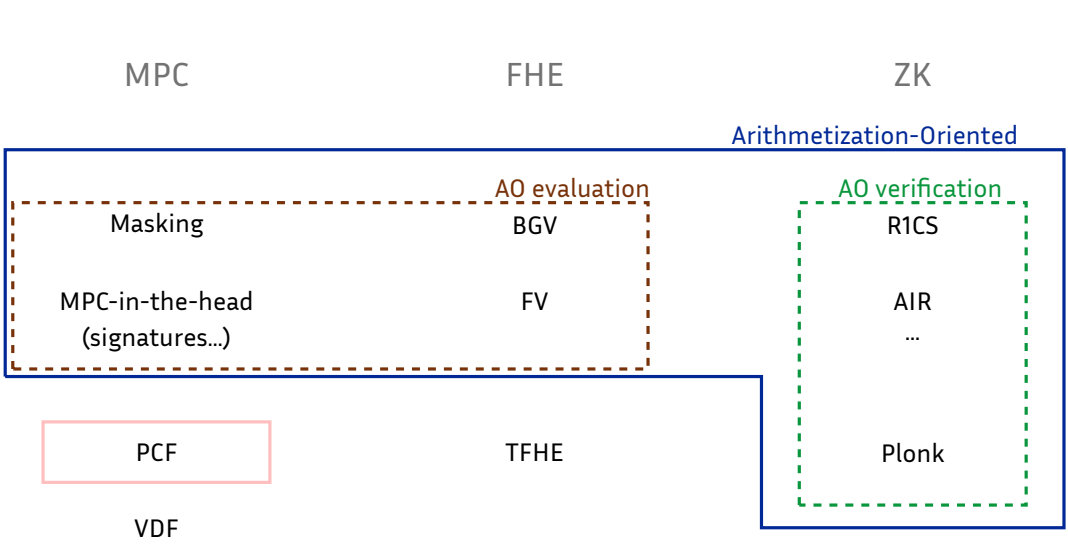

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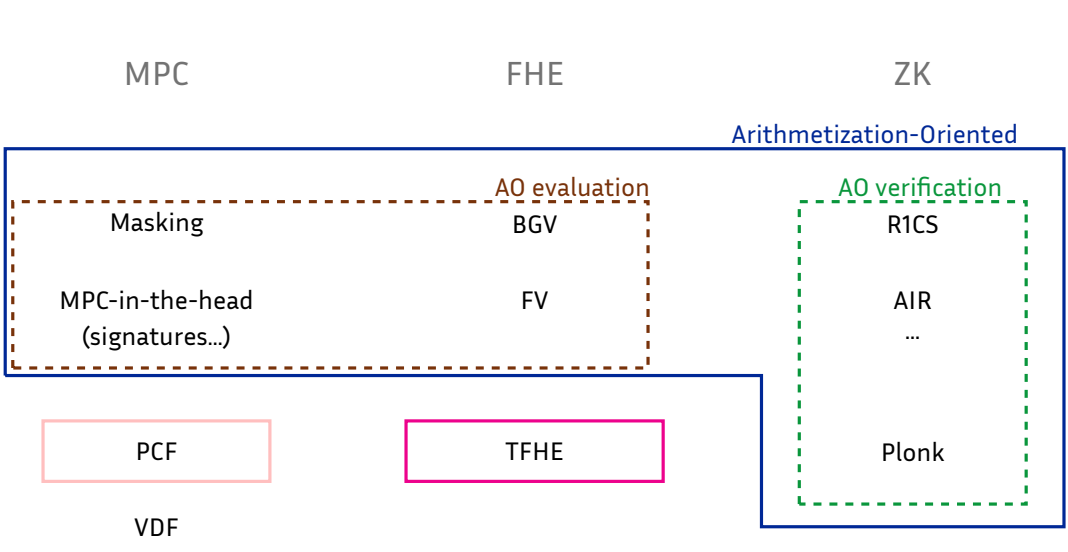

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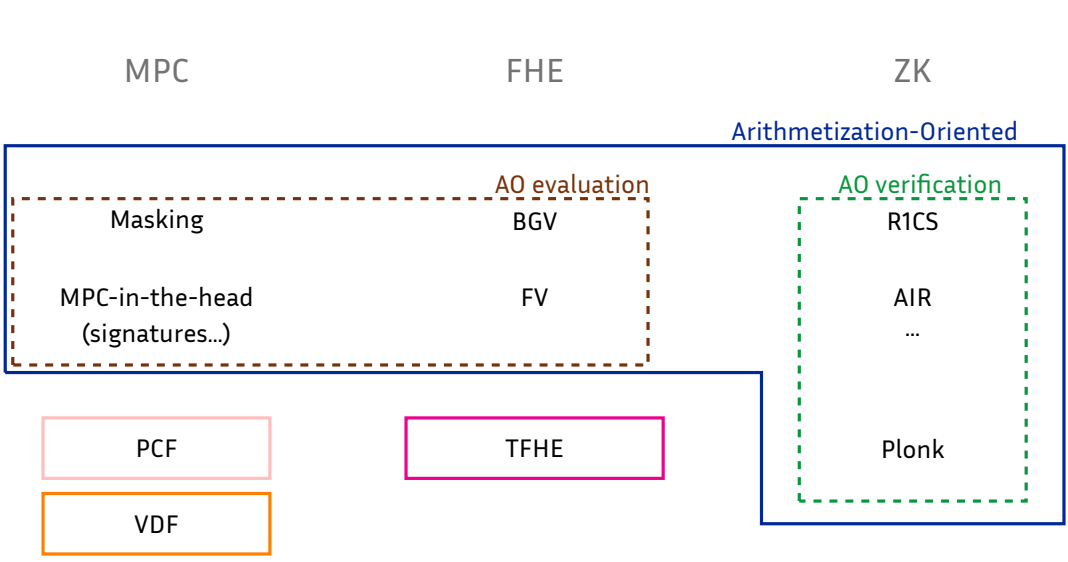

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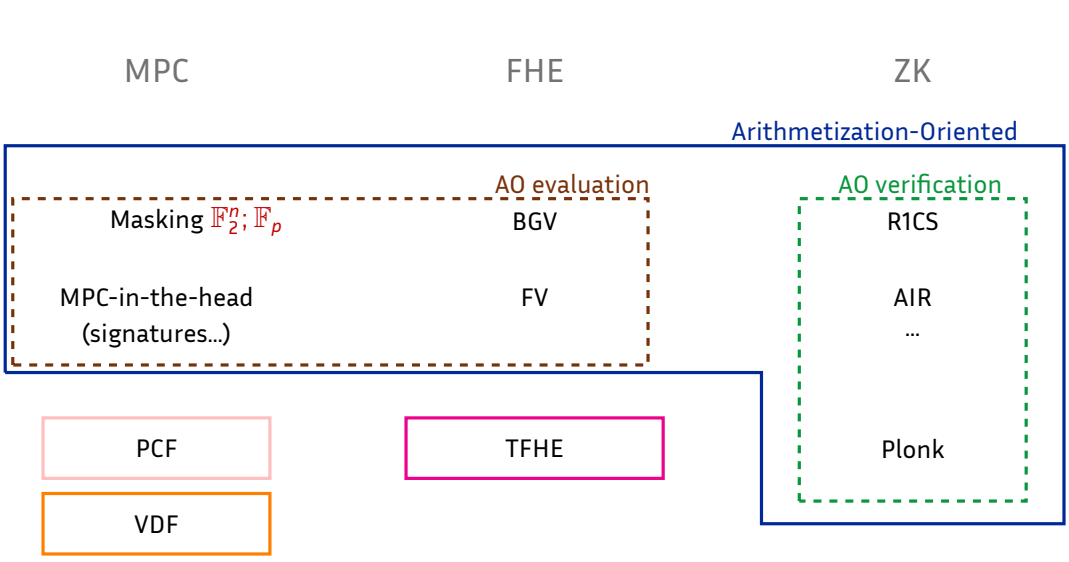

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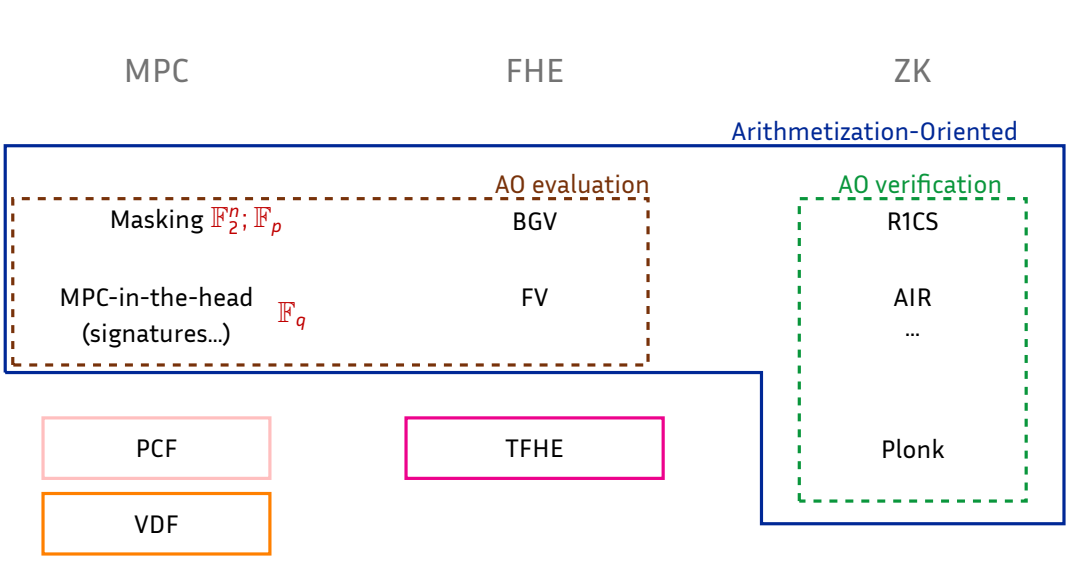

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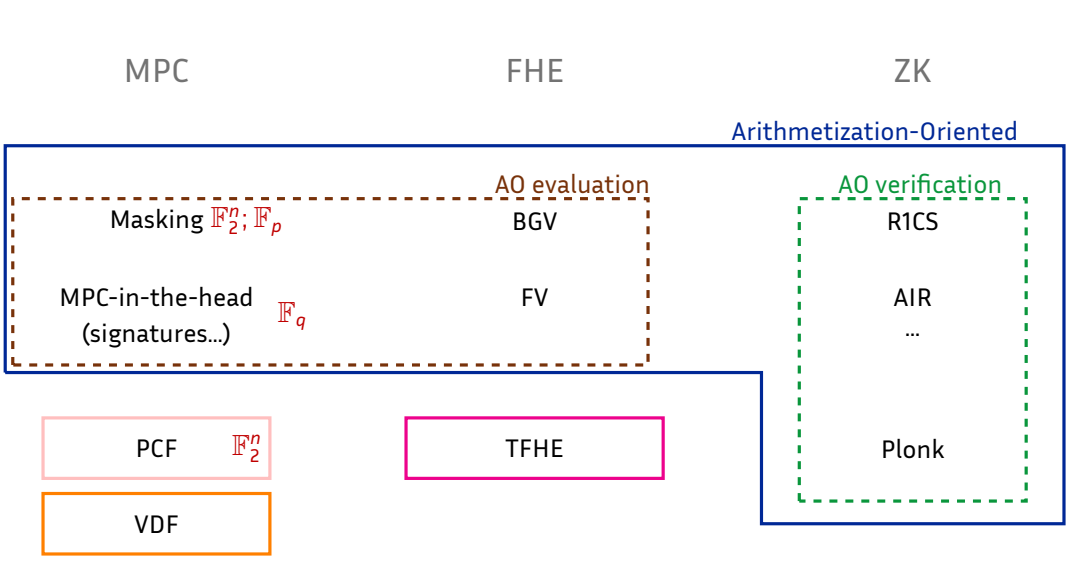

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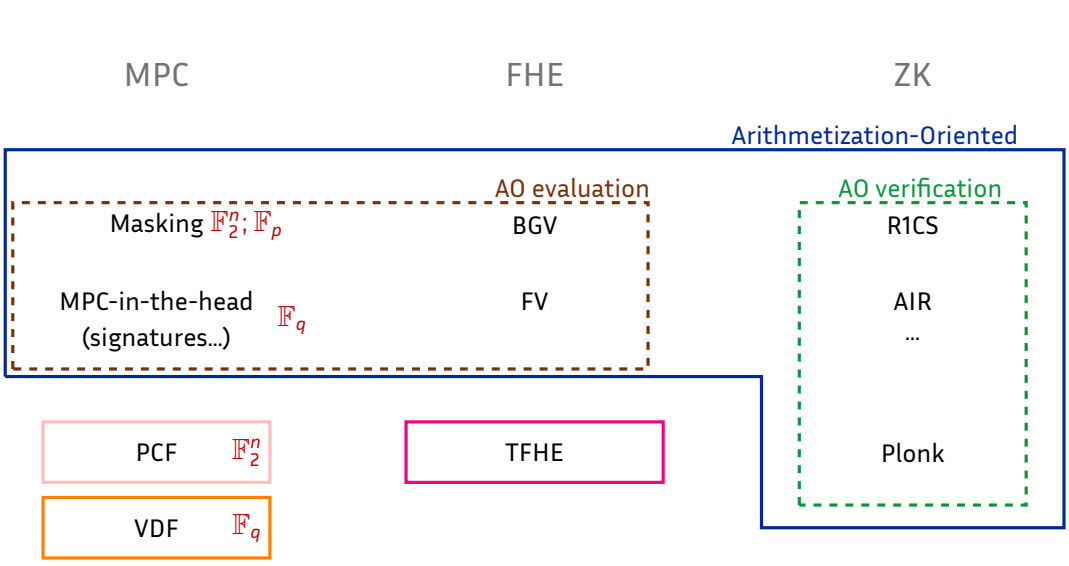

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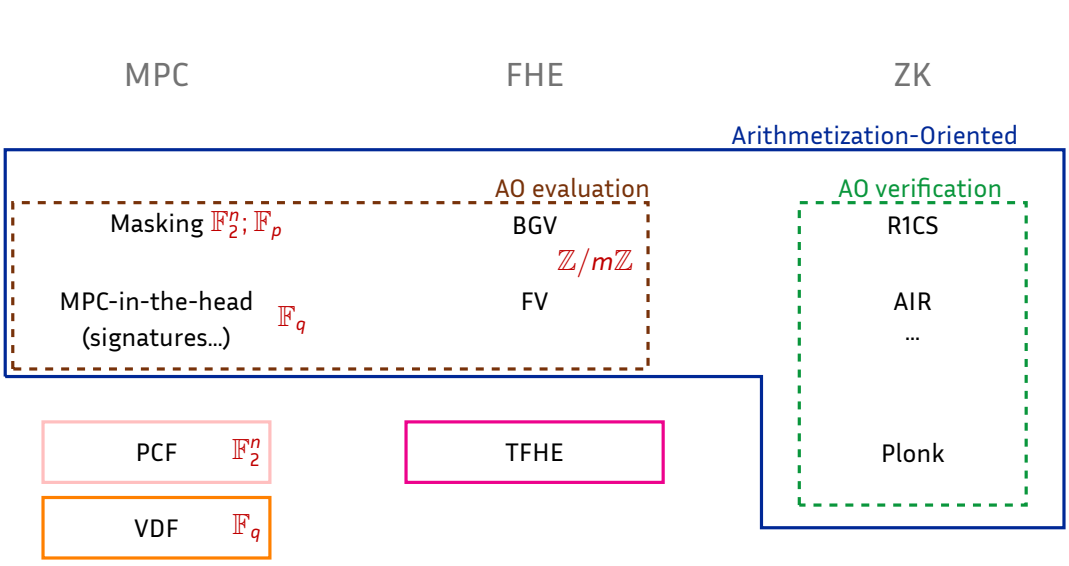

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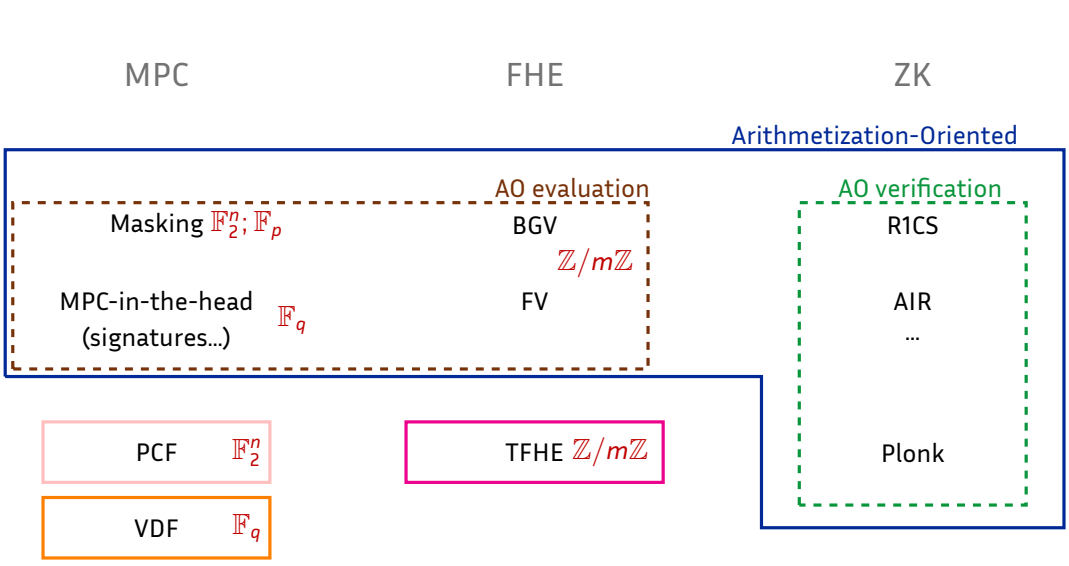

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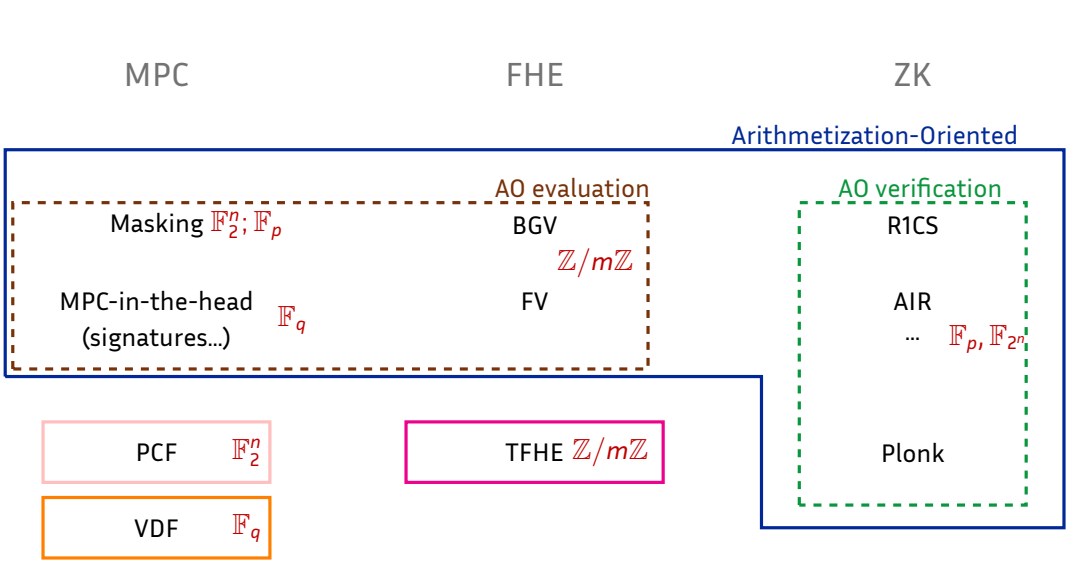

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$\mathbb{F}_q$ and $\mathbb{F}_2^n$ are not the same!

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Working over $\mathbb{F}_q$ (especially if low degree arithmetizations are needed) introduces new challenges, but solutions will rely on tried and true methods.

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Transciphering

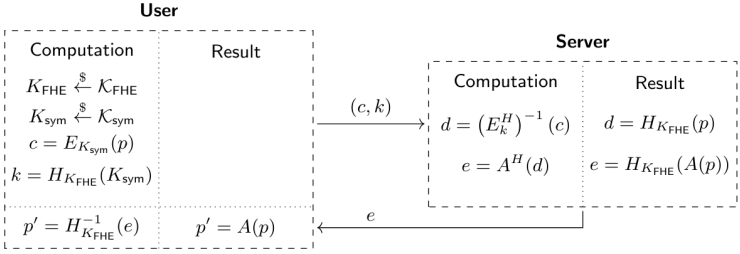

Fig. 1: The principle of transciphering, where E is a symmetric cipher (with secret key K_{sym} sampled from the space $\mathcal{K}_{\mathsf{sym}}$), H is a fully homomorphic cipher (with private key K_{FHE} sampled from the space $\mathcal{K}_{\mathsf{FHE}}$), E^H is a homomorphic evaluation of E, A corresponds to some arbitrary operations, and A^H to their homomorphic evaluation.

source: *Transistor: a TFHE-friendly Stream Cipher*

`https://eprint.iacr.org/2025/282`

The case of TFHE

Operates on $\mathbb{Z}/m\mathbb{Z}$, where m can be anything, though: more efficient if m is smaller.

Operations allowed

Linear Combinations $\sum_i \alpha_i x_i$, where the α_i are constant while x_i is input/key dependent.

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- Can be composed with arbitrary table lookups! *∗ S-box sounds ∗*
- If the ring size is even, it is better if it is nega-cyclic ($S(x + 2^{n-1}) = -S(x)$)

TFHE: corresponding stream ciphers

Elisabeth-4 [CHMS22] ; $q = 2^4$

Uses a constant key register on which index-dependent non-linear functions are applied.

Can be linearized [GBJR23]

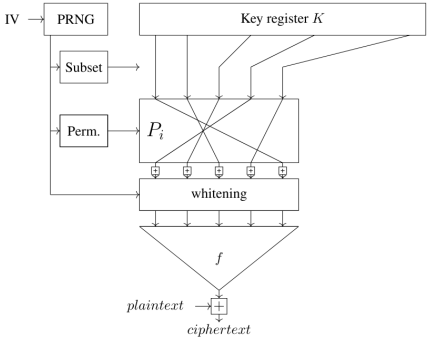

Fig. 1: The group filter permutator design

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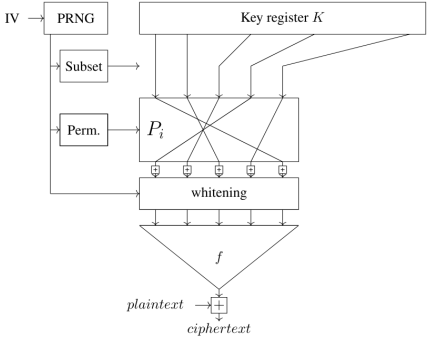

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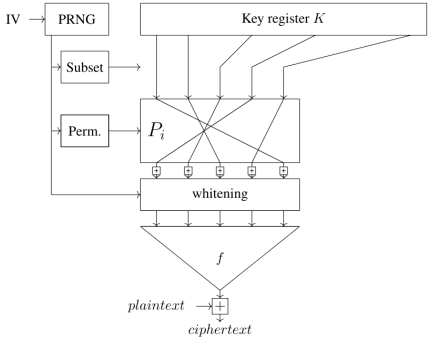

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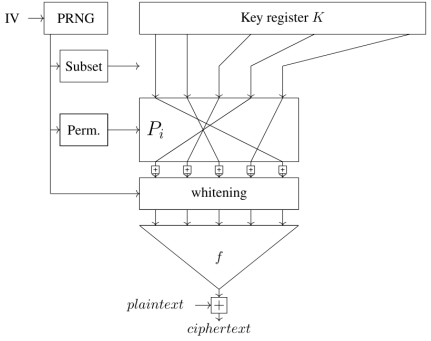
Transistor [BBB$^+$25] ; $q = 2^4 + 1$
SNOW-like round structure
See you at Anne's invited talk :D



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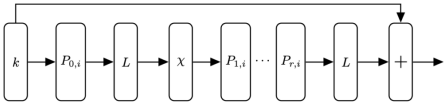

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Dasta – Alternative Linear Layer for Rasta

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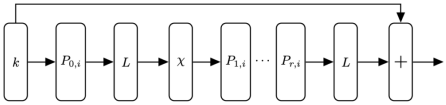

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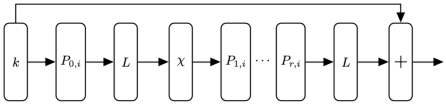

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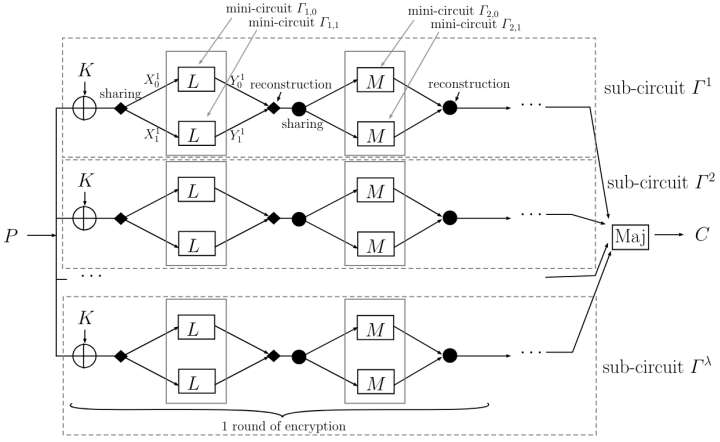
Trojan Resilience



source: *MOE: Multiplication Operated Encryption with Trojan Resilience*
`https://tosc.iacr.org/index.php/ToSC/article/view/8834`

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Rely on large, randomly generated matrices.

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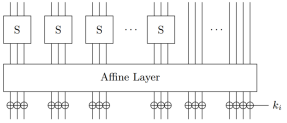

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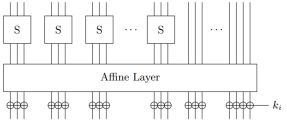

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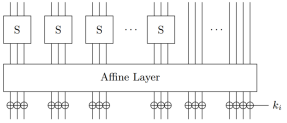

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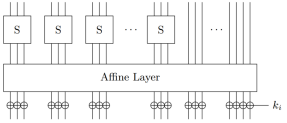
MOE [BFL+21] $q = 2^{128}, m = 2^{128}$
Dedicated structure with linear operations in $\mathbb{F}_q$ and $\mathbb{Z}/q\mathbb{Z}$. Intended for hardware trojan resilience.



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VDLPN [BCG+20]

$$f_k(x) = \bigoplus_{i=1}^{D} \bigoplus_{j=1}^{w} \bigwedge_{\ell=1}^{i} (x_{i,j,\ell} \oplus k_{i,j,\ell}),$$

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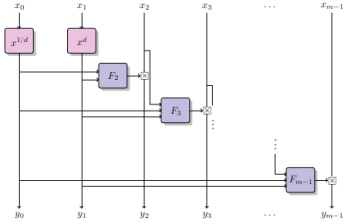

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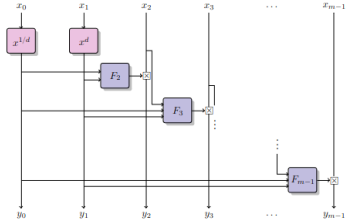
Anemoi [BBC+23]$q = 2^n$ or large prime
Uses the "Flystel", a high degree S-box
CCZ-equivalent to a function of low degree.



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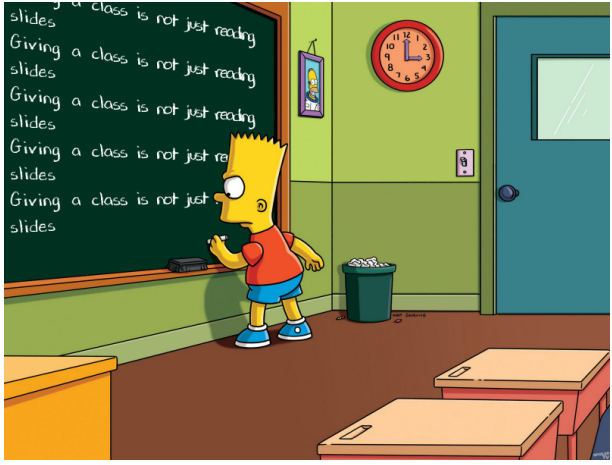
Arithmetization-Oriented Verification: CCZ-equivalence?



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Coffee Break!


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