In [ ]:	<pre>import ma from scip import sy import os sys.path</pre>	
	In this not	onstrating Derivative and Portfolio Classes: Payoff Profiles and Spreads  ebook, I will demonstrate the functionality of the Derivatives and Portfolio classes defined in methods.portfolio. The goal of these classes is to help visualise portfolio payoff different maturities, easily customise a portfolio and finally visualise spreads.
	1. Building 2. Pricing 3. Sprea	ng a Portfolio g
In [ ]:	I will first of profiles ar time1 = 1 time2 = 2	2
	call = Caput = Pur forward = # We can # To defi # '-' res	all(100, time1) t(120, time1) = Forward(105, time2)  assign these directly to the portfolio with or without a position. ine a long/short position for each derivative input a list of '+' and spectively o = Portfolio([call, put])
In [ ]:	# If we we we would be with the second point of the second point o	<pre>o = Portfolio([call, put], ['+', '+']) want to add more derivatives: o + [forward] o - [forward]</pre>
In [ ]: Out[ ]:	# desired portfolio  portfolio  [Call (s	ove derivatives one can look at the derivatives attribute and remove the d function by index.  o.remove(-1)  o.derivatives  ttrike = 100, maturity = 1),  trike = 120, maturity = 1)
In [ ]:	Forward We can de	<pre>trike = 120, maturity = 1), (strike = 105, maturity = 2)]  efine a custom derivative payoff (having the underlying asset price as input).  trike1 = 100 ayoff1 = lambda S: (S - custom_strike1)**(2)/20 = Derivative(custom_payoff1, 2, name='1')</pre>
	custom_pacustom2 = portfolio	<pre>utoff2 = 120 ayoff2 = lambda S: 50*(S&gt; custom_cutoff2) = Derivative(custom_payoff2, 1, name='2') 0 + [custom1] 0 - [custom2] 0.derivatives</pre>
Out[]: In []:	Put (st Forward Custom Custom	trike = 100, maturity = 1), trike = 120, maturity = 1), (strike = 105, maturity = 2), (maturity = 2), (maturity = 1)]  o.payoff()  Payoff Profiles
	125 -	Call (strike = 100, maturity = 1)  Put (strike = 120, maturity = 1)  Custom 2 (maturity = 1)  Total Portfolio Payoff
	100 - 75 -	
	- 25 -	
	0 - –25 -	
	<b>-</b> 50 -	0 25 50 75 100 125 150 175 200  Underlying Asset Value at Maturity 1  — Forward (strike = 105, maturity = 2) — Custom 1 (maturity = 2) — Total Portfolio Payoff
	600 - 500 -	
	400 - 300 - 200 -	
	100 -	
	-100 -	0 25 50 75 100 125 150 175 200  Underlying Asset Value at Maturity 2  Change the range in the plots either by directly changing the entries in the low and high attributes or by using the range method.
In [ ]:	print(Po	rtfoliodoc) sents a portfolio of derivatives. ortfolio class allows users to manage and analyze multiple derivative fs with different maturities.
	de po ma po lo	erivatives (list): List of Derivative objects held in the portfolio.  position (list): List of long/short positions.  aturities (list): Unique maturities of the derivatives in the portfolio.  pow (dict): Lower bounds of the asset price range for each maturity
In [ ]:	hi fo print(Po	igh (dict): Upper bounds of the asset price range for each maturity or payoff plotting.  rtfolio.rangedoc)  ets the price range (low and high) for plotting the payoff of erivatives at a specific maturity or all maturities.
In [ ]:	portfoli	rgs:     low (float): The lower bound of the price range.     high (float): The upper bound of the price range.     maturity (float, optional): The maturity for which to set the     range. If None, sets range for all maturities.  o.range(50, 175)
		Payoff Profiles  Call (strike = 100, maturity = 1)  Put (strike = 120, maturity = 1)  Custom 2 (maturity = 1)  Total Portfolio Payoff
	80 - 60 -	
	- 04 - 05	
	-20 - -40 -	
		60 80 100 120 140 160 180  Underlying Asset Value at Maturity 1  — Forward (strike = 105, maturity = 2) — Custom 1 (maturity = 2)
	350 -	Maturity 2 Total Portfolio Payoff
	250 - 200 - 150 -	
	100 - 50 - 0 -	
	-50 -	60 80 100 120 140 160 180 Underlying Asset Value at Maturity 2
	puts consi	current asset price, volatility and dividend yield q, an assumed constant risk-free interest rate and time to maturity, we can use the Black Scholes formulae to price the European calls and idered to have a better understanding of the payoff profiles. We can also use the interest rate to price the forward contracts.  In derivatives one can use numerical pricing procedures, some of which I have implemented in another project: (https://github.com/lr1021/Option_Pricing_Numerical_Methods).
In [ ]:	T = 0.333 # Current S = 100 X = 100	o maturity 33 t asset price and strike price/delivery price
	# NISK II	ree interest rate and asset volatility (we assume these are constant up
	# to mate r = 0.08 q = r sigma = 0 def price d1 = d2 =	<pre>0.4 e_call(S, X, T, r, q, sigma):     (np.log(S/X) + (r - q + sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(S/X) + (r - q - sigma**2/2)*T)/(sigma*np.sqrt(T))</pre>
	# to mate r = 0.08 q = r sigma = 0 def price d1 = d2 = c = 9 return def price d1 = d2 = c = - return	<pre>e_call(S, X, T, r, q, sigma):     (np.log(S/X) + (r - q + sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(S/X) + (r - q - sigma**2/2)*T)/(sigma*np.sqrt(T))     S*np.exp(-q*T)*norm.cdf(d1) - X*np.exp(-r*T)*norm.cdf(d2)     rn c e_put(S, X, T, r, q, sigma):     (np.log(S/X) + (r - q + sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(S/X) + (r - q - sigma**2/2)*T)/(sigma*np.sqrt(T))     -S*np.exp(-q*T)*norm.cdf(-d1) + X*np.exp(-r*T)*norm.cdf(-d2)     rn c</pre>
Out[]:	# to mate r = 0.08 q = r sigma = 0 def price d1 = d2 = return def price d2 = return def price return	<pre>0.4 e_call(S, X, T, r, q, sigma):     (np.log(S/X) + (r - q + sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(S/X) + (r - q - sigma**2/2)*T)/(sigma*np.sqrt(T))     S*np.exp(-q*T)*norm.cdf(d1) - X*np.exp(-r*T)*norm.cdf(d2) rn c e_put(S, X, T, r, q, sigma):     (np.log(S/X) + (r - q + sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(S/X) + (r - q - sigma**2/2)*T)/(sigma*np.sqrt(T))     -S*np.exp(-q*T)*norm.cdf(-d1) + X*np.exp(-r*T)*norm.cdf(-d2)</pre>
	# to mate r = 0.08 q = r sigma = 0  def price d1 = d2 = c = 9 return  def price return  price_pur  np.float  Spread  We can not	0.4 e_call(S, X, T, r, q, sigma):     (np.log(S/X) + (r - q + sigma+=2/2)*T)/(sigma+np.sqrt(T))     (np.log(S/X) + (r - q - sigma+=2/2)*T)/(sigma+np.sqrt(T))     s=np.expl-q=T)*norm.cdf(d1) - X*np.exp(-r*T)*norm.cdf(d2) rn c e_put(S, X, T, r, q, sigma):     (np.log(S/X) + (r - q + sigma+=2/2)*T)/(sigma+np.sqrt(T))     (np.log(S/X) + (r - q + sigma+=2/2)*T)/(sigma+np.sqrt(T))     (np.log(S/X) + (r - q + sigma+=2/2)*T)/(sigma+np.sqrt(T))     -s=np.exp(-q=T)*norm.cdf(-d1) + X*np.exp(-r*T)*norm.cdf(-d2) rn c e_forward(S, X, T, r, q): rn (S*np.exp((r-q)*T) - X)*np.exp(-r*T)  t(S, X, T, r, q, sigma) 64(8.95e422591972334)  ds  ov use this infrastructure to easilty visualise different types of spreads.  Derivative(lambda S: S, 1, name='Asset')
	# to mate r = 0.08 q = r sigma = 0  def price d1 = d2 = c = s return  def price return  price_pur  np.float  Spread  We can not asset = I ## Covere X0 = 100 call_price covered_covere	e_call(S, X, T, r, q, sigma):     (np.log(S/X) + (r - q + sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(S/X) + (r - q - sigma**2/2)*T)/(sigma*np.sqrt(T))     S*np.exp(-q*T)*norm.cdf(d1) - X*np.exp(-r*T)*norm.cdf(d2) rn c  e_put(S, X, T, r, q, sigma):     (np.log(S/X) + (r - q + sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(S/X) + (r - q + sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(S/X) + (r - q - sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(S/X) + (r - q - sigma**2/2)*T)/(sigma*np.sqrt(T))     (**rot color of the sigma**2/2)*T)/(sigma*np.sqrt(T))     (*sinp.exp(-q*T)*norm.cdf(-d1) + X*np.exp(-r*T)*norm.cdf(-d2) rn c  e_forward(S, X, T, r, q):     rn (S*np.exp((r-q)*T) - X)*np.exp(-r*T)  t(S, X, T, r, q, sigma)  64(8.950422591972334)  ds  ow use this infrastructure to easilty visualise different types of spreads.  Derivative(lambda S: S, 1, name='Asset')  ed Call
	# to mate r = 0.08 q = r sigma = 0  def price d1 = d2 = c = s return  def price return  price_pur  np.float  Spread  We can not asset = I ## Covere X0 = 100 call_price covered_covere	e_call(s, X, T, r, q, sigma):     (np.log(s/X) + (r - q + sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(s/X) + (r - q - sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(s/X) + (r - q - sigma**2/2)*T)/(sigma*np.sqrt(T))     synp.exp(-qT)*norm.cdf(d1) - X*np.exp(-r=T)*norm.cdf(d2)     rn c     e.put(s, X, T, r, q, sigma):     (np.log(s/X) + (r - q + sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(s/X) + (r - q - sigma**2/2)*T)/(sigma*np.sqrt(T))     (np.log(s/X) + (r - q - sigma**2/2)*T)/(sigma*np.sqrt(T))     synp.exp(-qT)*norm.cdf(-d1) + K*np.exp(-r=T)*norm.cdf(-d2)     m.     e.g.forward(s, X, T, r, q):     m (s*np.exp((r-q)*T) - X)*np.exp(-r=T)      t(s, X, T, r, q, sigma)     64(8.950422591972334)   ds  berivative(lambda 5: S, 1, name='Asset')  ed Gall     all(k0, 1)     ce.val = price_call(s, X, T, r, q, sigma)     ce = Derivative(lambda 5: call_price_val, 1, name='Call_price')     call_payoff(grid=True, suptitle='Covered Call')
	# to mate r = 0.08 q = r sigma = 0  def price d1 = d2 = c = 3 return  def price return  price_pur  np.float  Spreac  We can not asset = I ## Covere X0 = 100 call = Ca call_price covered_cove	e_call(s, X, T, r, q, sigma):  (np_log(s/X) + (r - q + sigma+2/2)=T)/(sigma+np.sqrt(T))  (np_log(s/X) + (r - q - sigma+2/2)=T)/(sigma+np.sqrt(T))  -snp_log(s/X) +
	# to mate r = 0.08 q = r sigma = 0  def price d1 = d2 = c = c retur  def price retur  price_pur  np.float  Spread  We can not asset = I ## Covere X0 = 100 call_pric call_pric covered_covered	e_call(s, X, T, r, q, sigma):  (np_log(s/X) + (r - q + sigma+2/2)=T)/(sigma+np.sqrt(T))  (np_log(s/X) + (r - q - sigma+2/2)=T)/(sigma+np.sqrt(T))  -snp_log(s/X) +
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