

Example presentation using \LaTeX

Created for the GumbelTalks

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In \LaTeX , a presentation is not fundamentally different from a text document. Much the same syntax can be used for typesetting text or equations.

For example, we can write

$$e^{i\pi} + 1 = 0$$

, with e representing Euler's number, i being the imaginary unit and π being the ratio of a circle's diameter to its circumference, as usual.

Slides can also have titles!

⇒ this is a great way to provide some structure to your talk!

... or images!

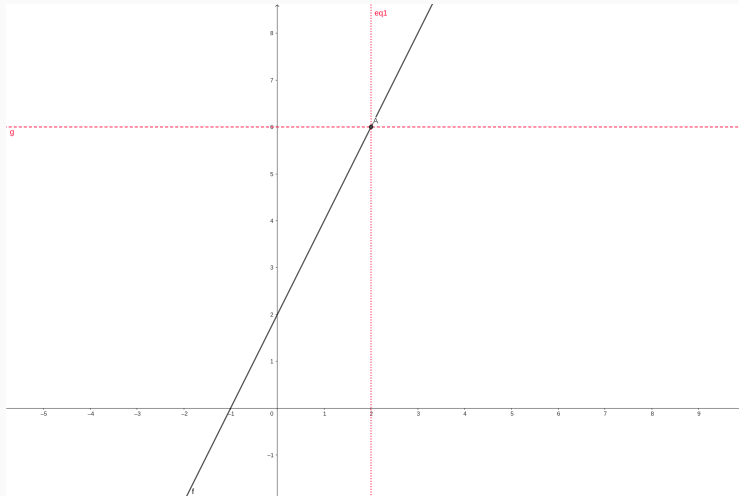


Image produced with GeoGebra

Lists, Lists, Lists!

Bullet points!

Bullet points are very useful for presentations. Advantages include:

- Less text
- easier to read
- + custom bullets!

Numbered Lists

1. Number your list items automatically
2. Easily insert new items or change the order
3. ???
4. Profit!

Animations

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... but it can do overlays!
 \Rightarrow less flashy, but more flexible

Simple overlays can add content on a slide.

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And they work inside of any other Code!

$$H_n = 1 + \frac{1}{2} + \frac{1}{3} + \frac{1}{4} + \frac{1}{5} + \frac{1}{6} + \frac{1}{7} + \frac{1}{8} + \frac{1}{9} + \frac{1}{10} + \frac{1}{11} + \cdots + \frac{1}{n}$$

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