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(1)

~~IF $i_{dm} = 0$~~

$$i_{dm} = 0$$

~~if $(M_j - \text{atmass1})/M_j =$~~

~~if $(\neq$~~

if $(M_j > \text{atmass1} \ \& \ i_{dm} = 0)$ \leftarrow this determines where the "bottom" of the atmosphere is ...

then $i_{dm} = j$

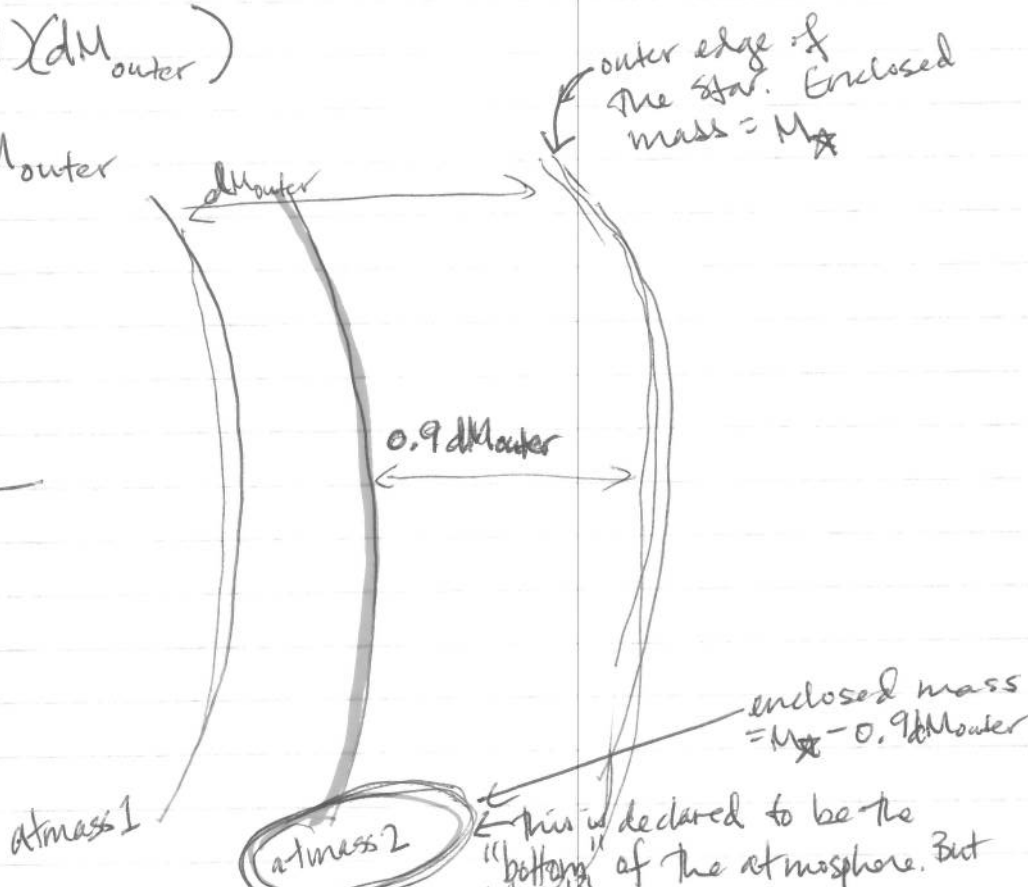


and calculate & store the T_{atm} , P_{atm} , & ρ_{atm} values as the outer stellar boundary cond.

$$\text{atmass1} = (0.9)(dM_{\text{outer}})$$

$$\text{atmass2} = dM_{\text{outer}}$$

towards center of the star. \leftarrow



enclosed mass = $M_* - 0.9 dM_{\text{outer}}$

\leftarrow this is declared to be the "bottom" of the atmosphere. But

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(2)

How are the physics of the atmosphere different fr. the physics of the interior (where you have to apply the Henryy calcs.)?

- something about radiative transport?
 - the eqns of HSE (i.e. the pressure diff. eqn.) has to be the same, though...
 - ^{within} ~~the~~ the atmos., all physical quantities seem to be functions of P & T only (not of R , or L , or M).
 - ↓
- according to ~~Kippenda~~ Kippenhahn & Weigert, this ~~is~~ is b/c the interior structure diff. eqns. depend on M . Since M changes so little in the atmos, however, you have to switch over to a variable/physical quantity that does change significantly w/in the atmos.

(3)

outer edge of star. Enclosed mass = M_* , $R = R_*$

$T = 2/3$ surface in photosphere. $T = T_{\text{eff}}$, $R = R_{L2/3}$, $M = M_{L2/3}$

mass2. enclosed mass = $M_* - 0.9 M_{\text{outer}}$. $P = P_{\text{atm}}$, $T = T_{\text{atm}}$, $g = g_{\text{atm}} \leftarrow$ all defined at this point.

at mass1. enclosed mass = $M_* - M_{\text{outer}}$. $R = R_{\text{atm}}$ ($M = M_{\text{atm}}$, in some sense $g = g_*$)

↑
towards the center of the star

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(4)

$R_{\tau 2/3}$ = Radius of the photosphere ($\tau = 2/3$ surface)

R_{n2} = Radius @ the (first?) $1/2$ way (in τ) pt. of the current RK4 step.

$$z\phi = 0.0$$

R_{star} = an input parameter to the atmos ~~to~~ subroutine; the total/outer radius of the star.

Initially $R_{\tau 2/3} = R_{\text{star}}$

$R_{\tau 0} = 0$ initially (in the RK4 process)

$$\begin{aligned} R_{\text{atm}} &= R_{\text{star}} - \max[0, R_{\text{current}} - R_{\tau 2/3}] \\ &= R_{\text{star}} - \max[0, \overset{R_{\tau 1} - R_{\tau 2/3}}{\cancel{0}} - R_{\star}] \end{aligned}$$

$R_{\text{at}} = R_{\star} + R_{\tau 2/3} - R_{\tau 1}$

$$R_{\text{at}} = R_{\text{star}}$$

$R_{\text{at}} = R_{\text{star}}$ until $\tau > 2/3$, at which pt. the value of $R_{\tau 2/3}$ gets reset to $R_{\tau 2/3} = R_{\star}$ to... something else.

→ figuring out what that "something else" is, specifically.

R_{\star} vs R_{τ}

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(10)

$$\begin{array}{r} \cancel{25005} \\ - \cancel{30006} \\ \hline \end{array}$$

$$\begin{array}{r} 2\cancel{1} \\ 80505 \\ - 28005 \\ \hline 0.2500 \end{array}$$

$$\frac{0.25}{10} = 0.025 \quad \leftarrow \frac{0.05}{2}$$

How is itane getting \div by 2 in my cales?!

$$\begin{array}{r} \cancel{1.3 \times 10^8} \\ \cancel{3 \times 10^7} \\ \cancel{1.5 \times 10^8} \end{array}$$

$$\begin{array}{l} 7.83e9 > 1.5e8 \\ 7.67e9 > 1.5e8 \\ 7.52e9 > 1.5e8 \\ 7.37e9 > 1.5e8 \end{array}$$

$$\begin{array}{r} 4\cancel{5} \\ 37 \\ \hline 15 \end{array}$$