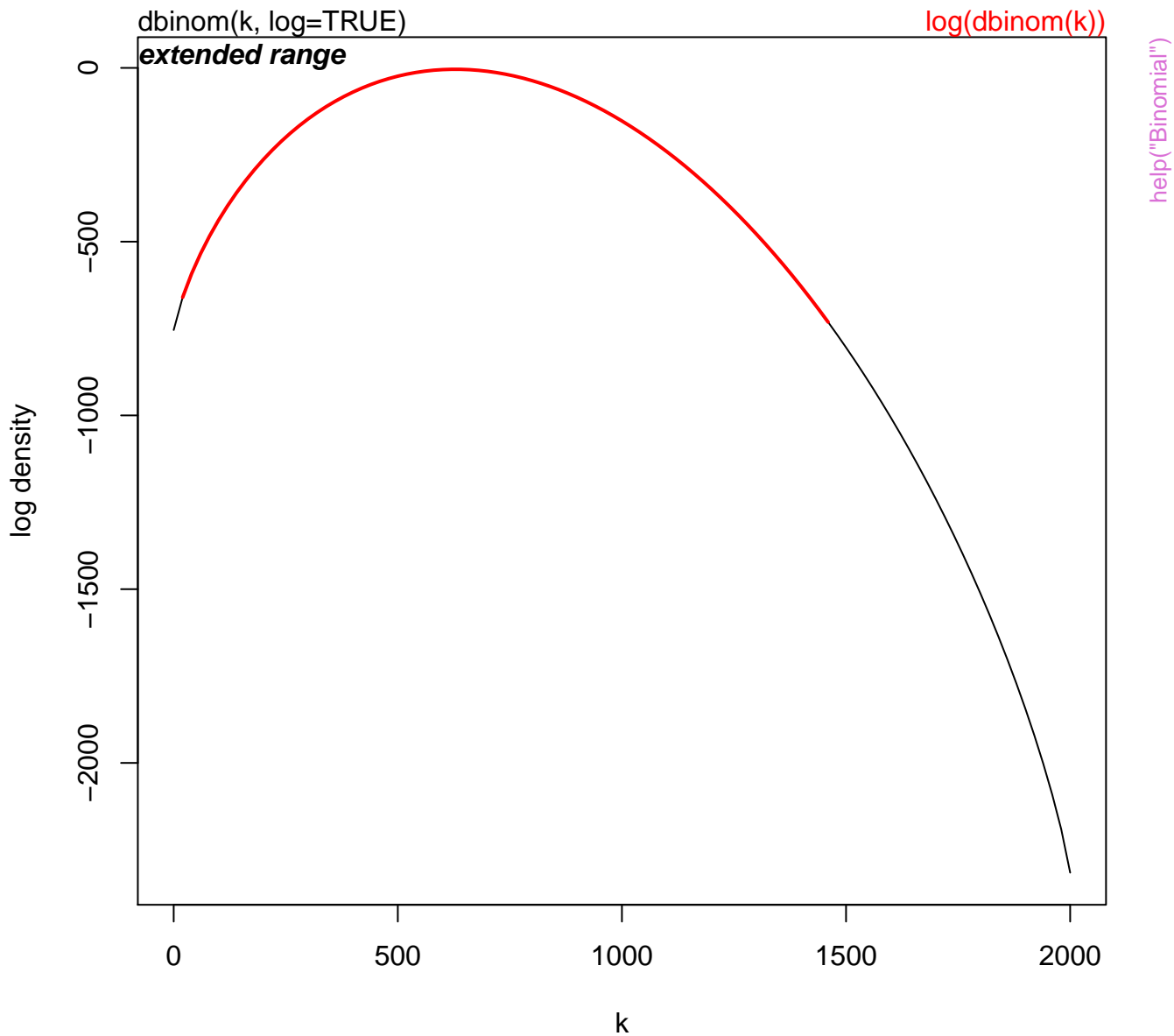
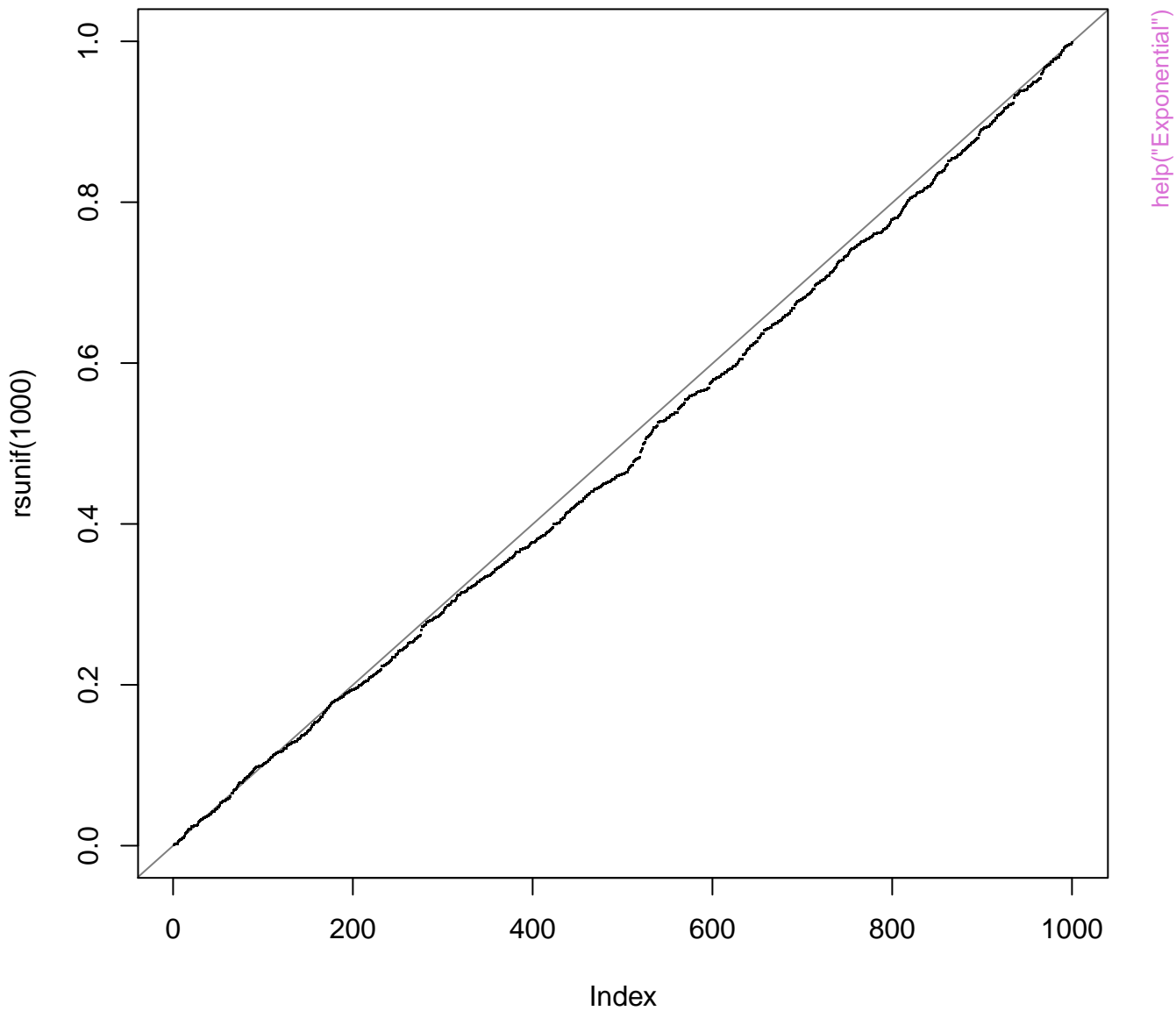
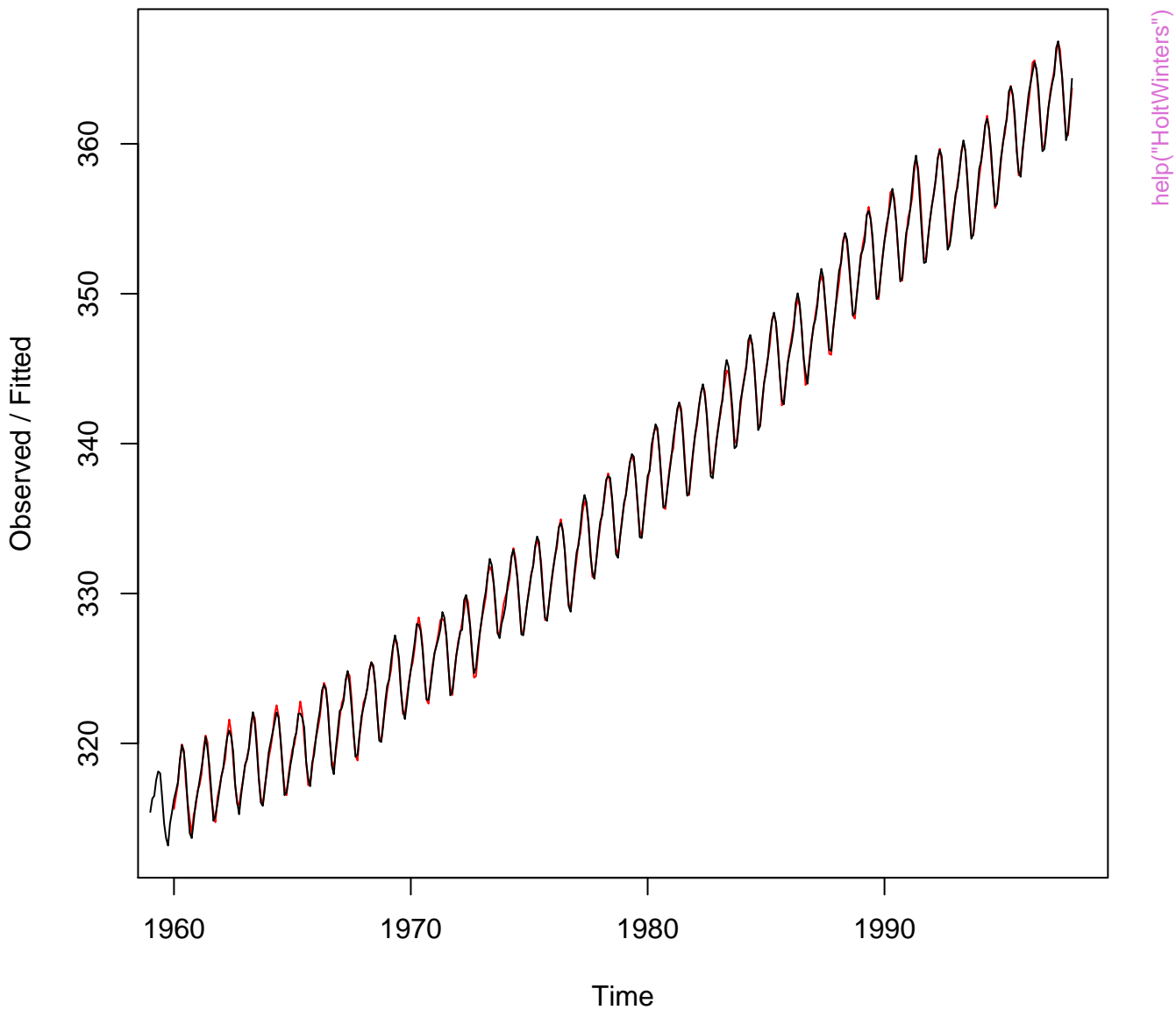


dbinom(*, log=TRUE) is better than log(dbinom(*))

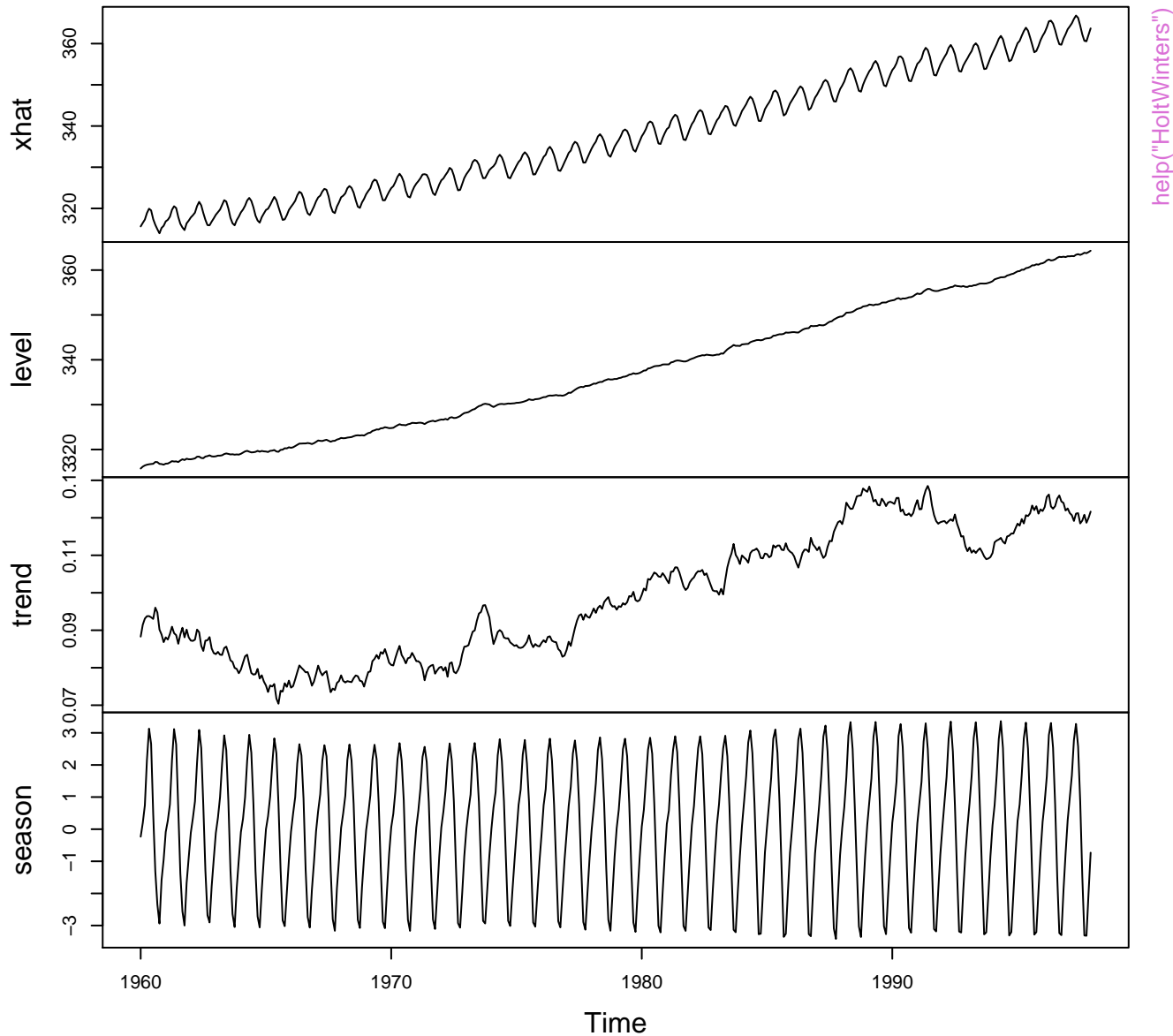




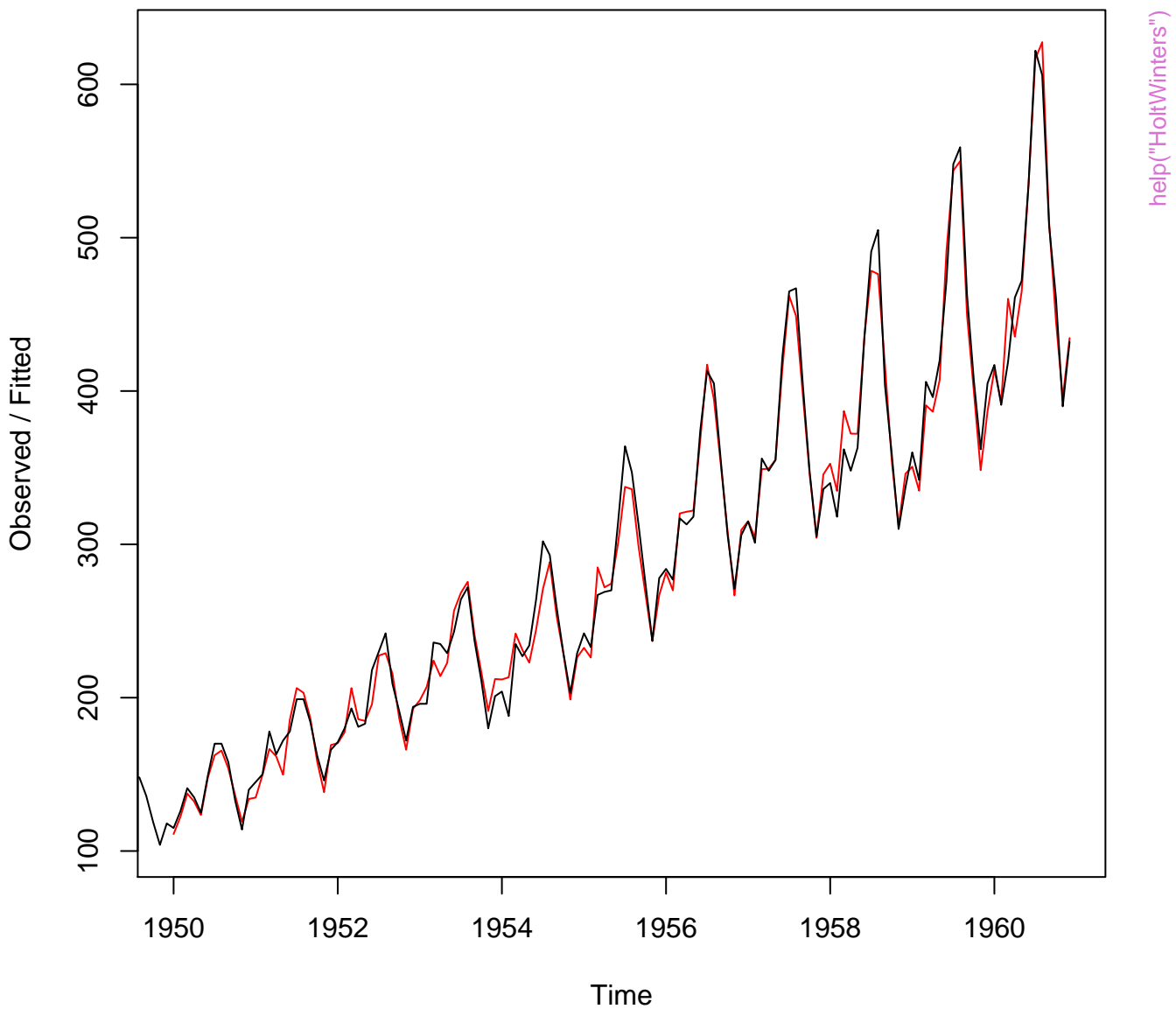
Holt-Winters filtering



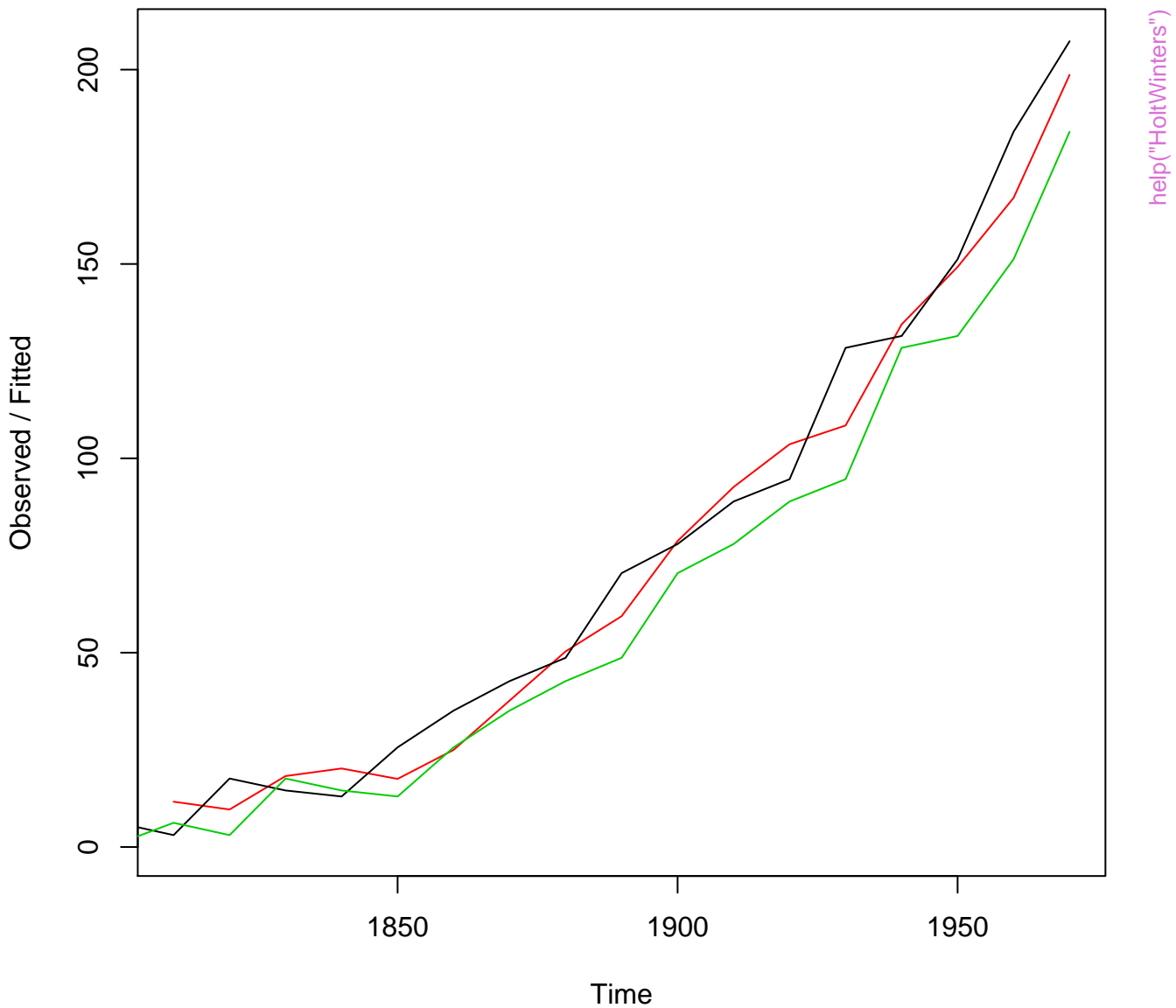
fitted(m)



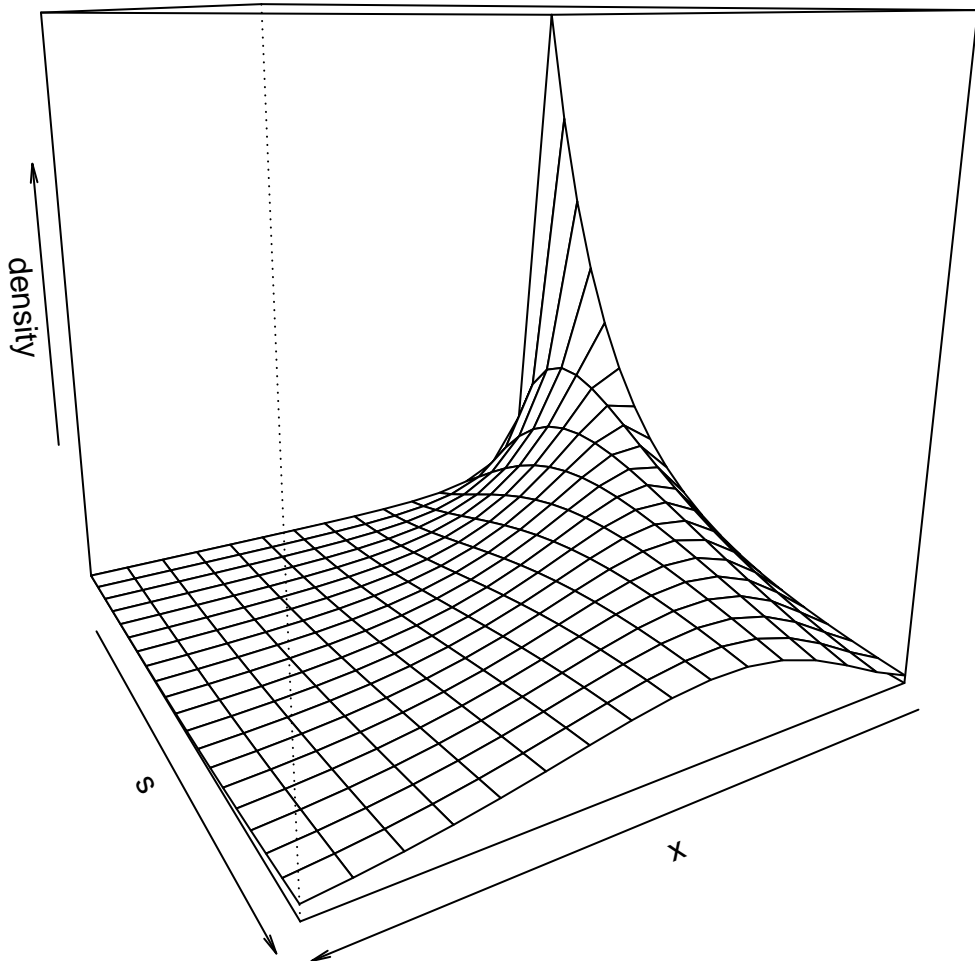
Holt-Winters filtering



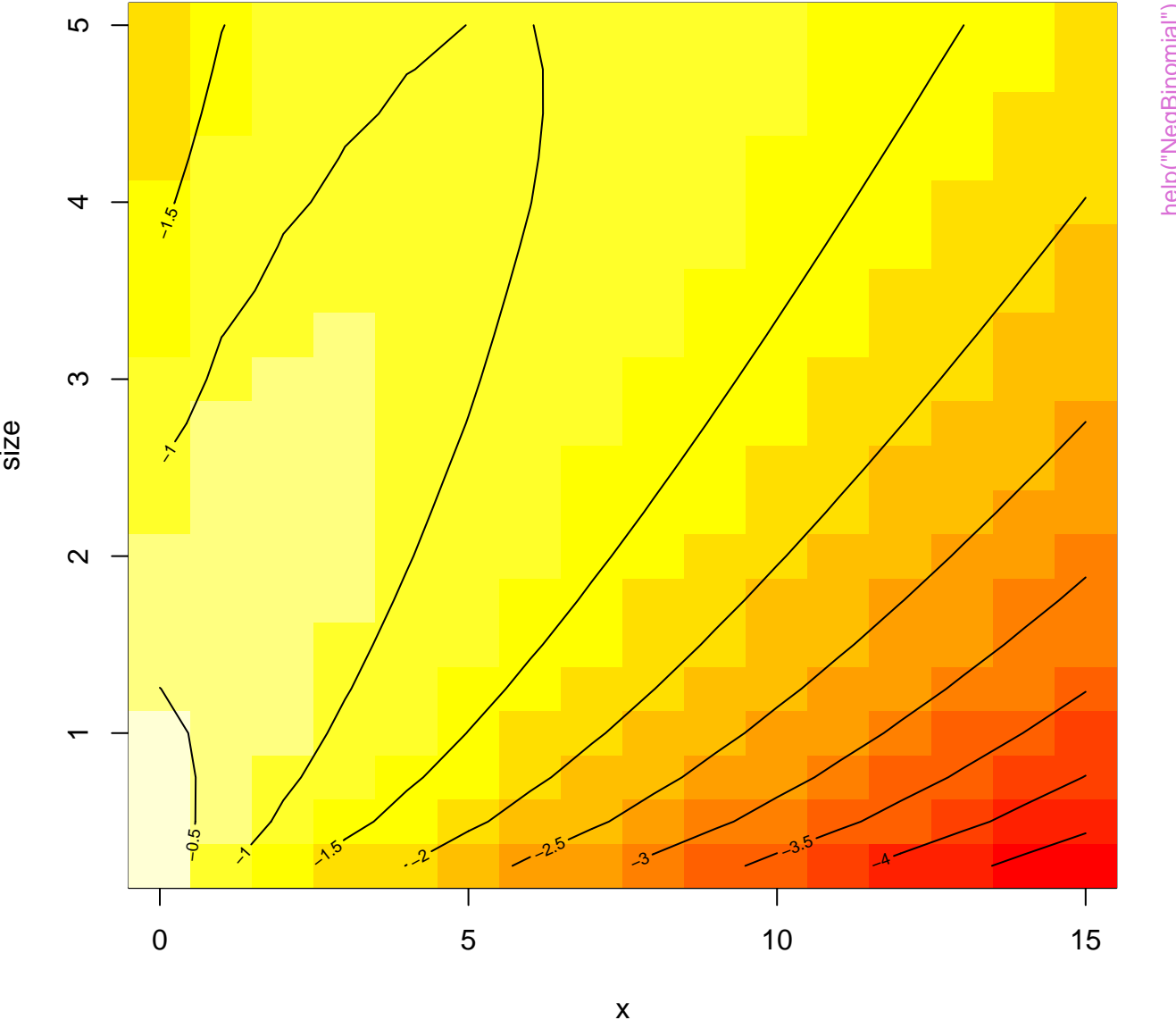
Holt-Winters filtering

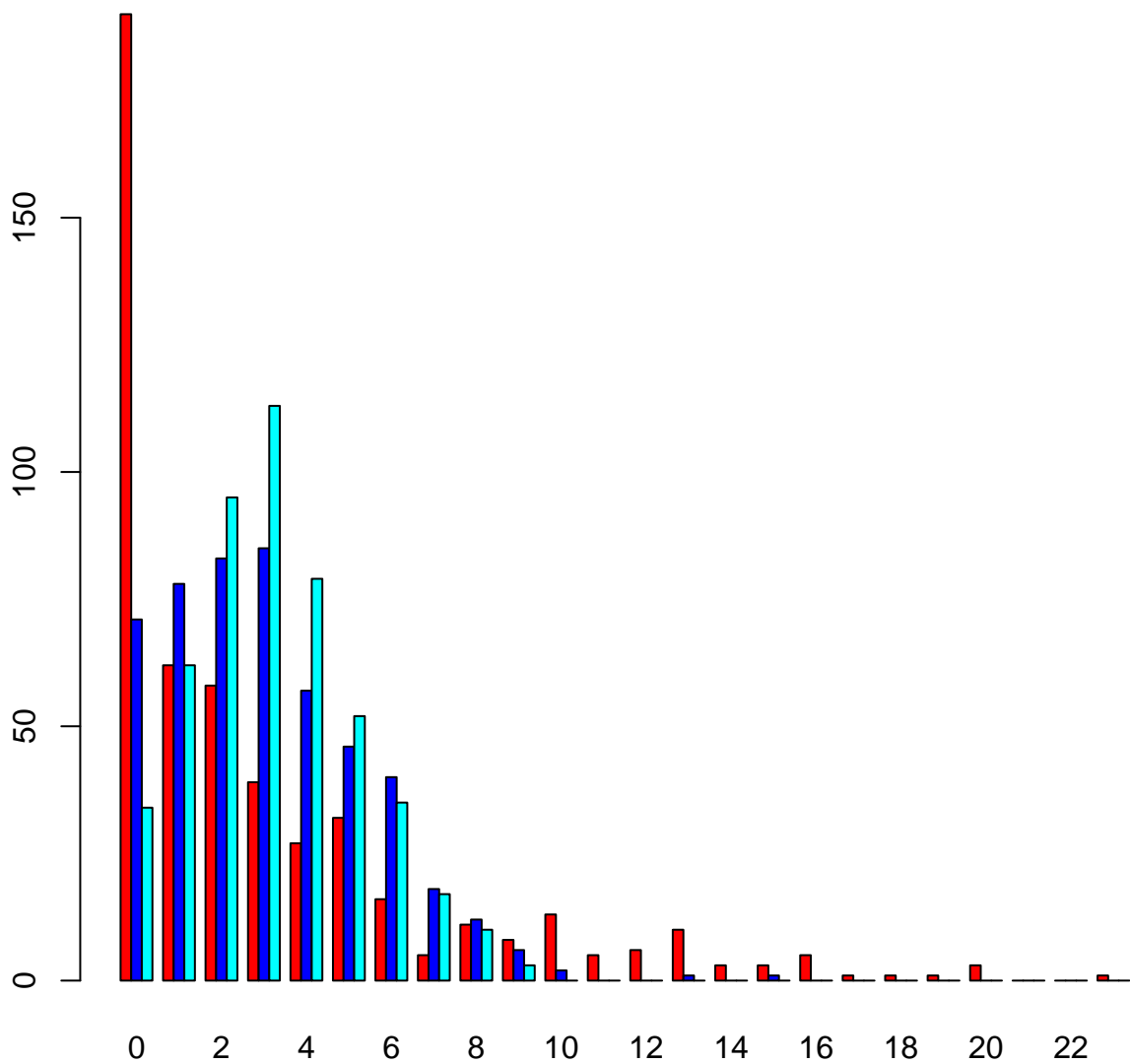


negative binomial density(x,s , $pr = 0.4$) vs. x & s



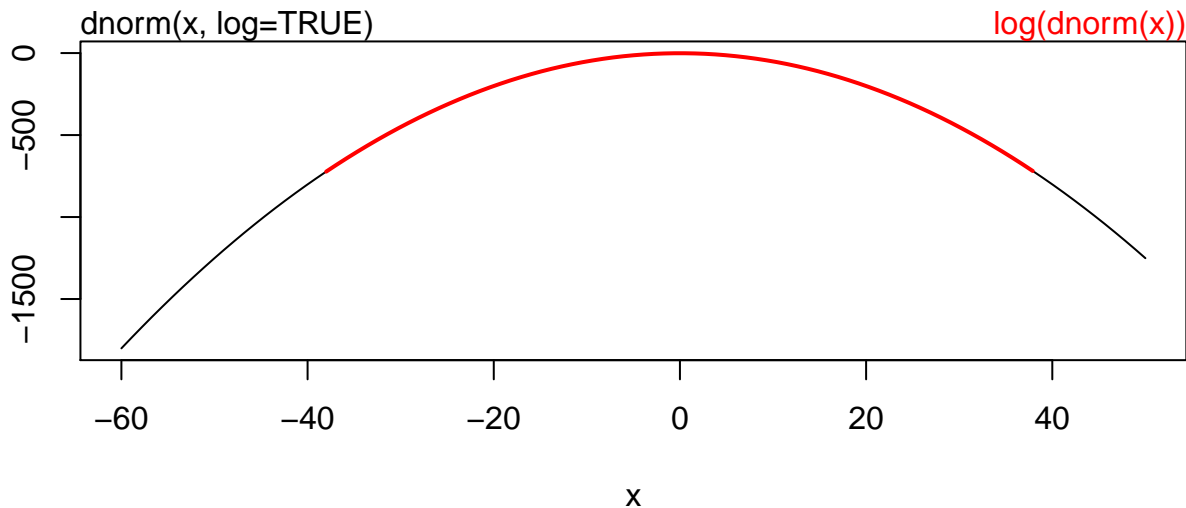
log [negative binomial density(x,s, pr = 0.4) vs. x & s]





function(x) dnorm(x, log = TRUE)

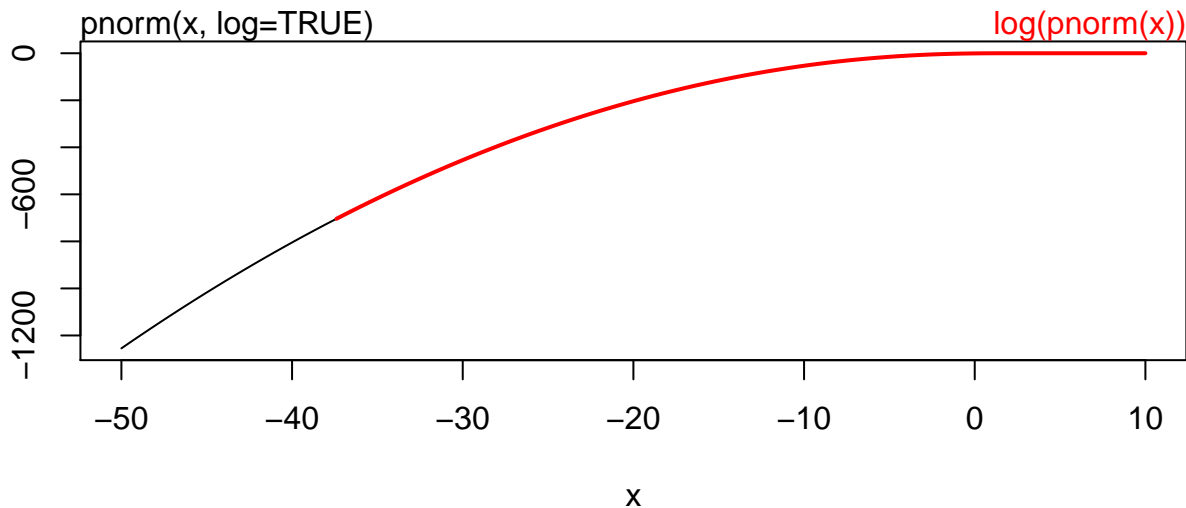
log { Normal density }



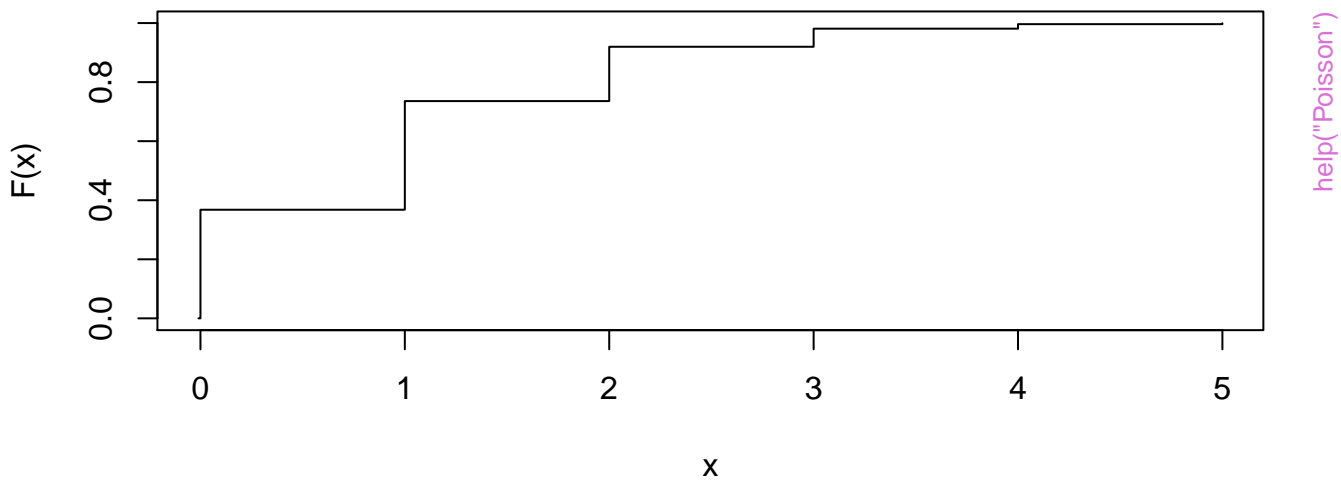
help("Normal")

function(x) pnorm(x, log.p = TRUE)

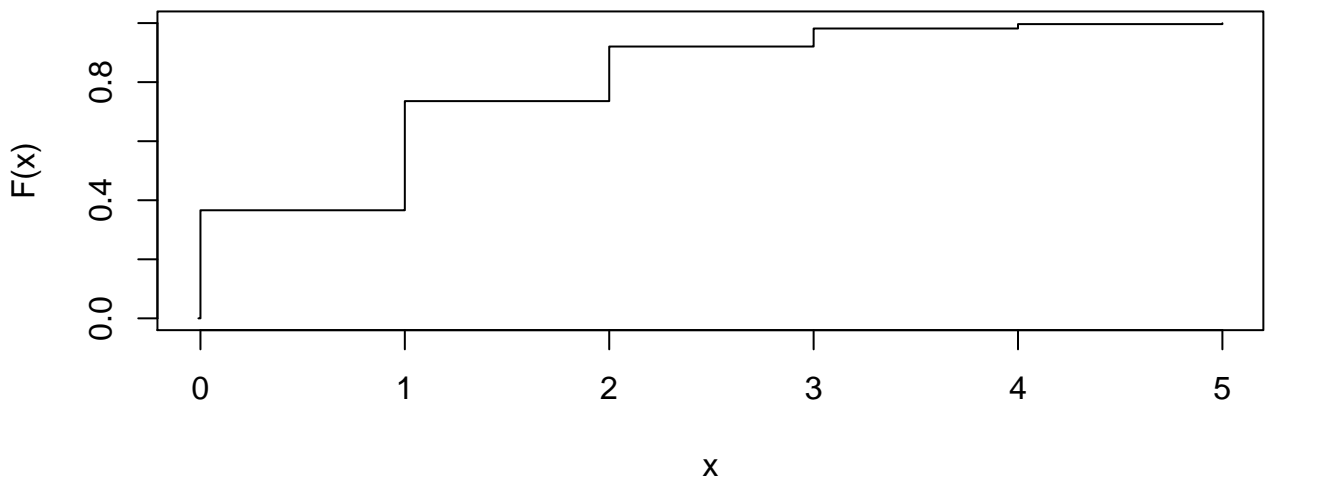
log { Normal Cumulative }



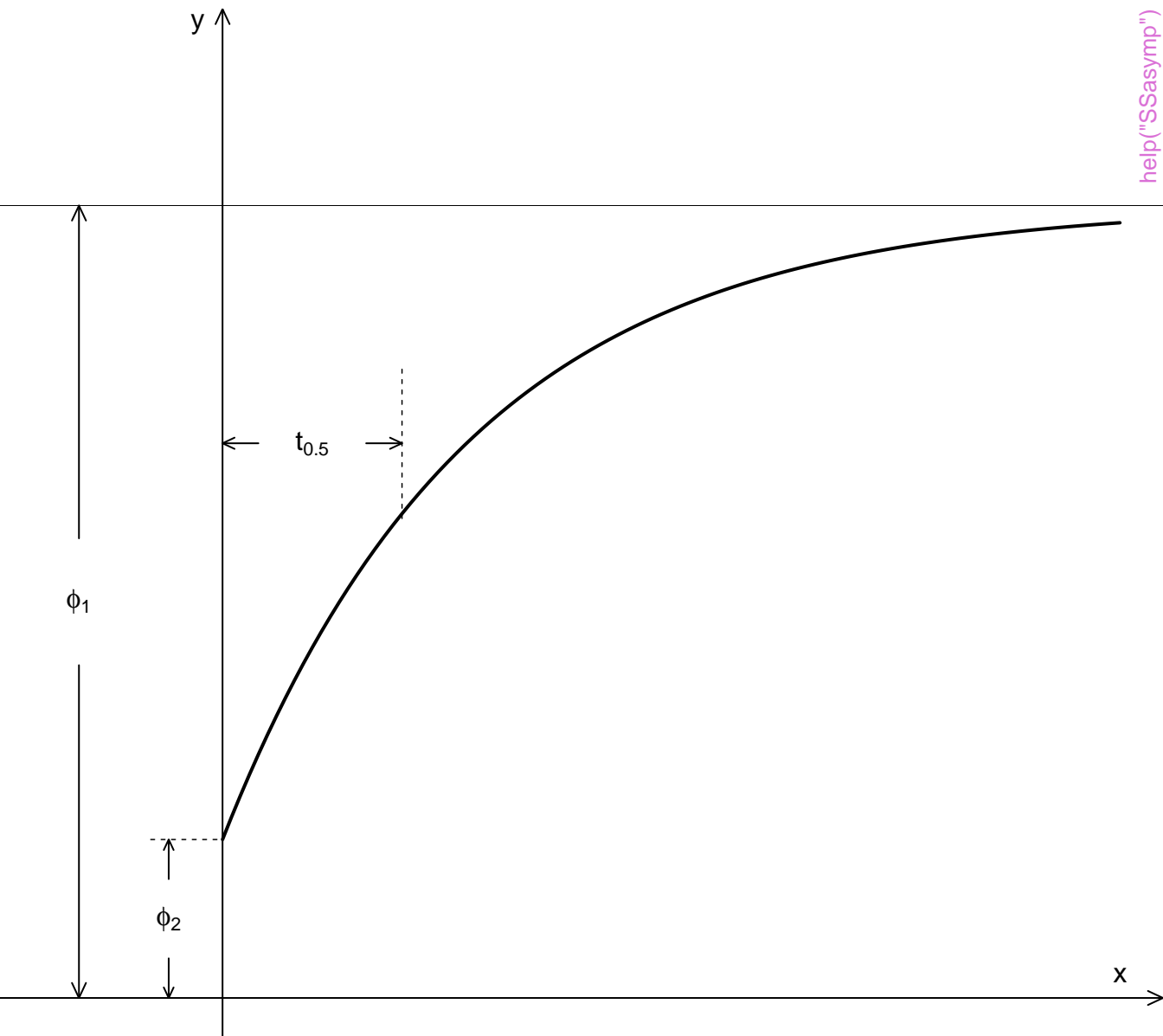
Poisson(1) CDF



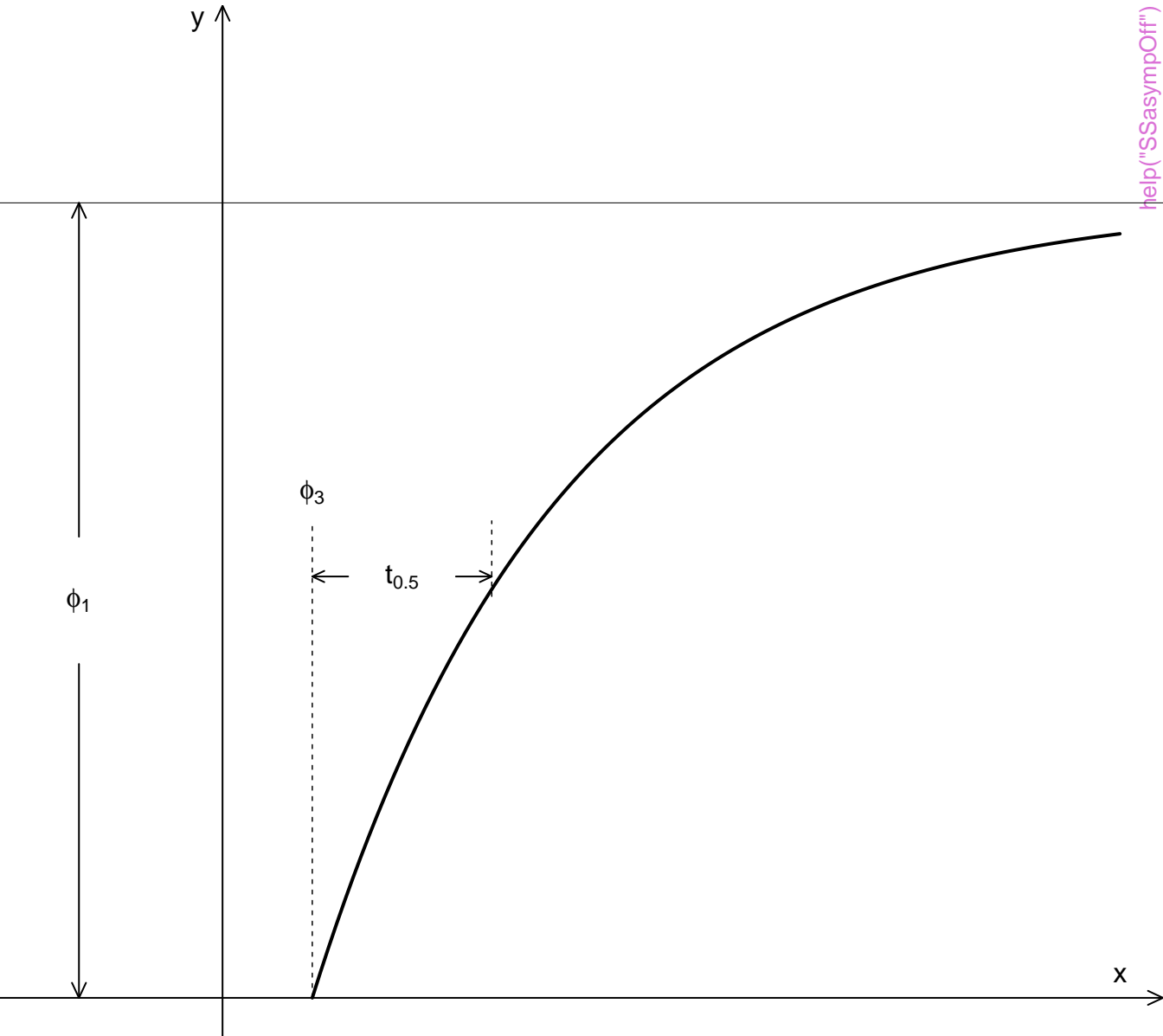
Binomial(100, 0.01) CDF



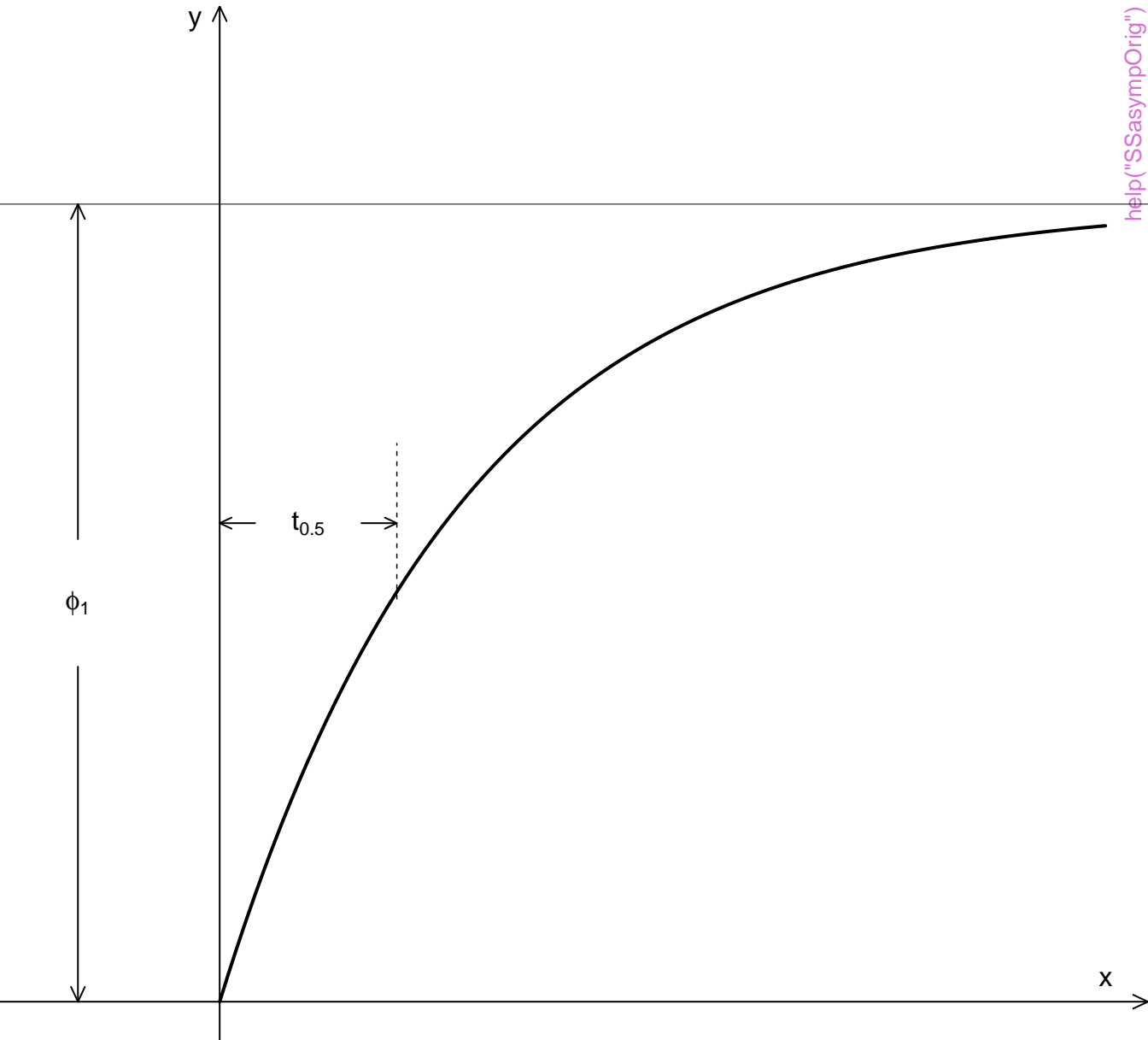
Parameters in the SSasymp model



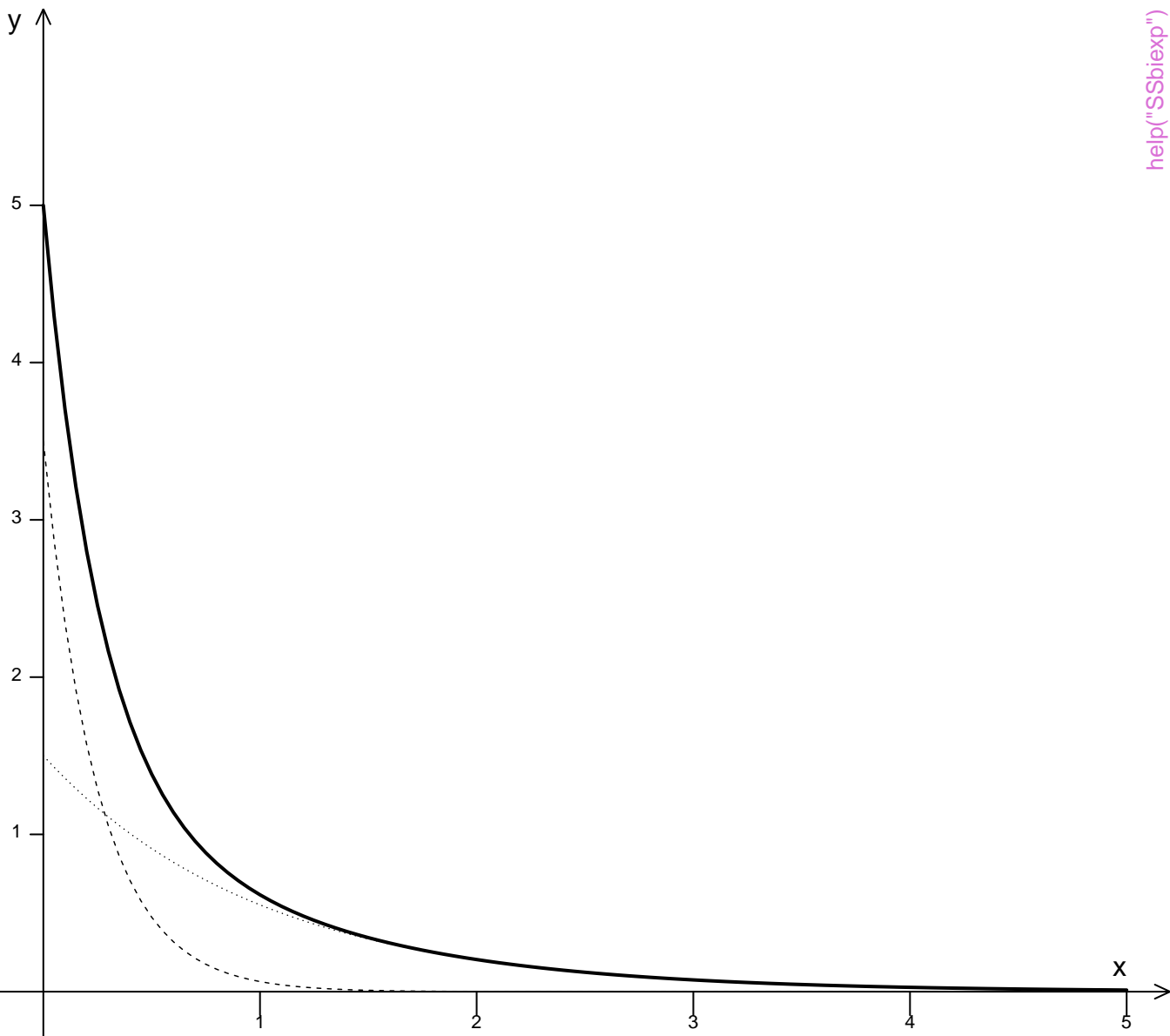
Parameters in the SSasymptOff model



Parameters in the SSasympOrig model

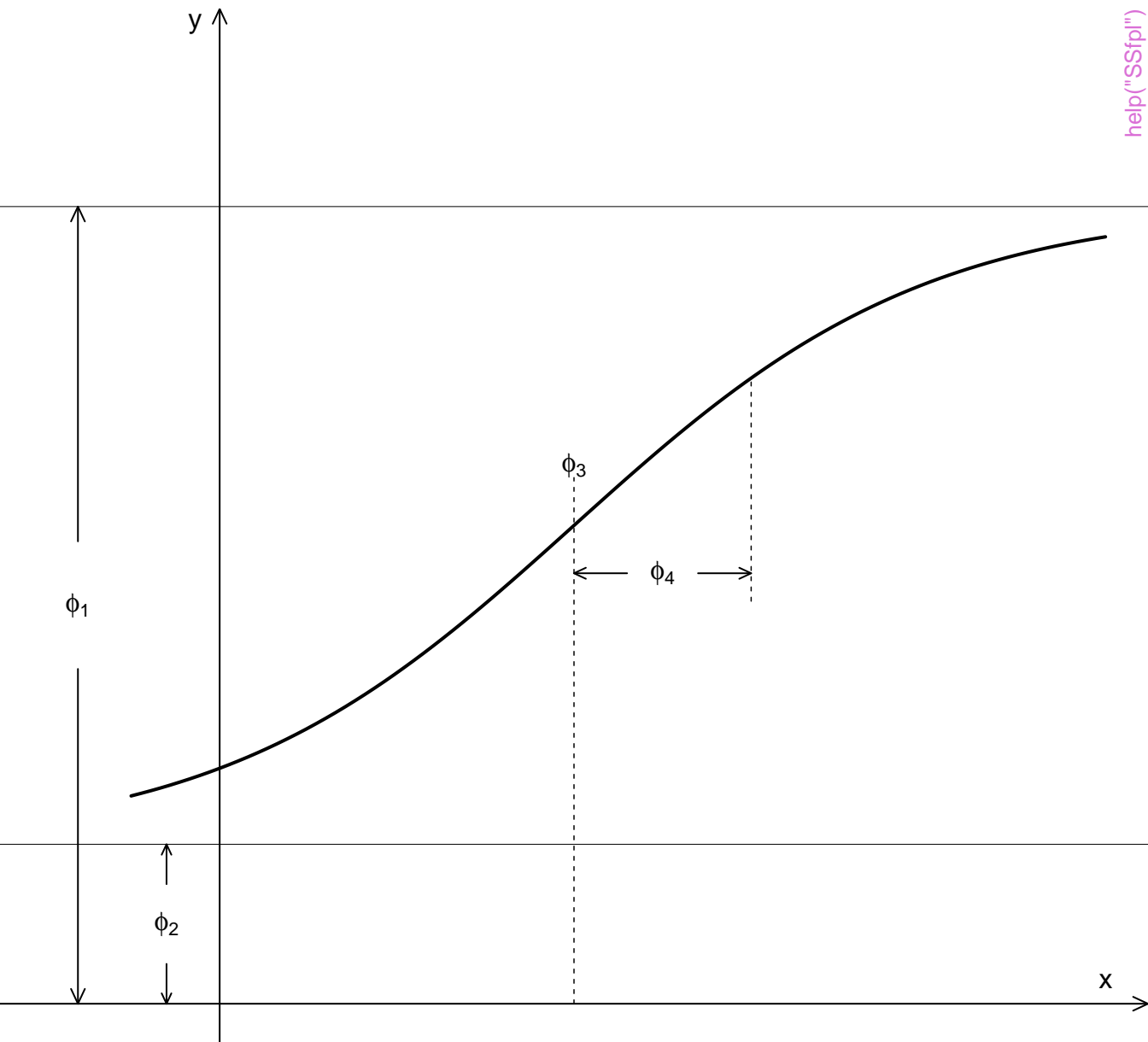


Components of the SSbiexp model

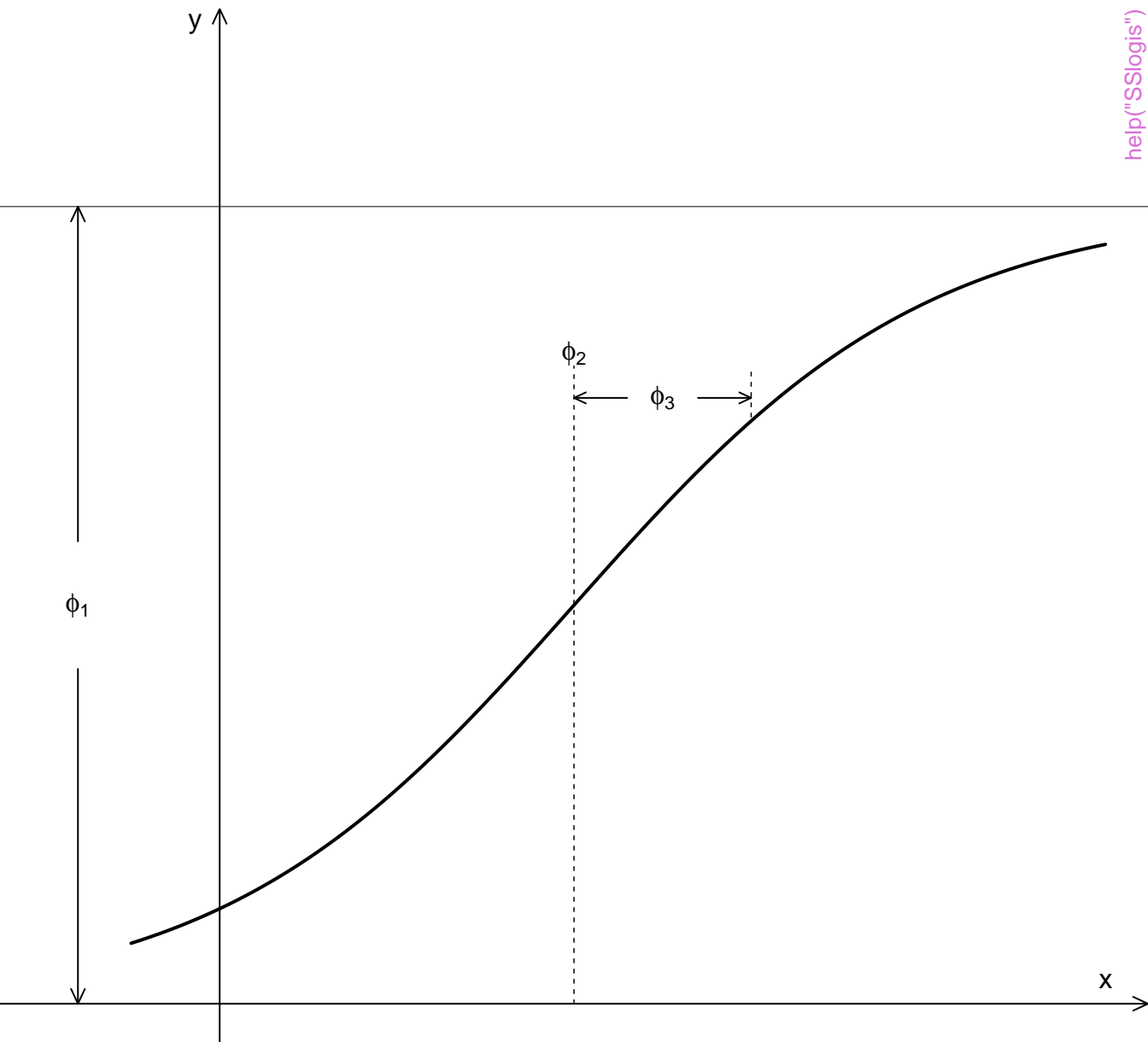


help("SSbiexp")

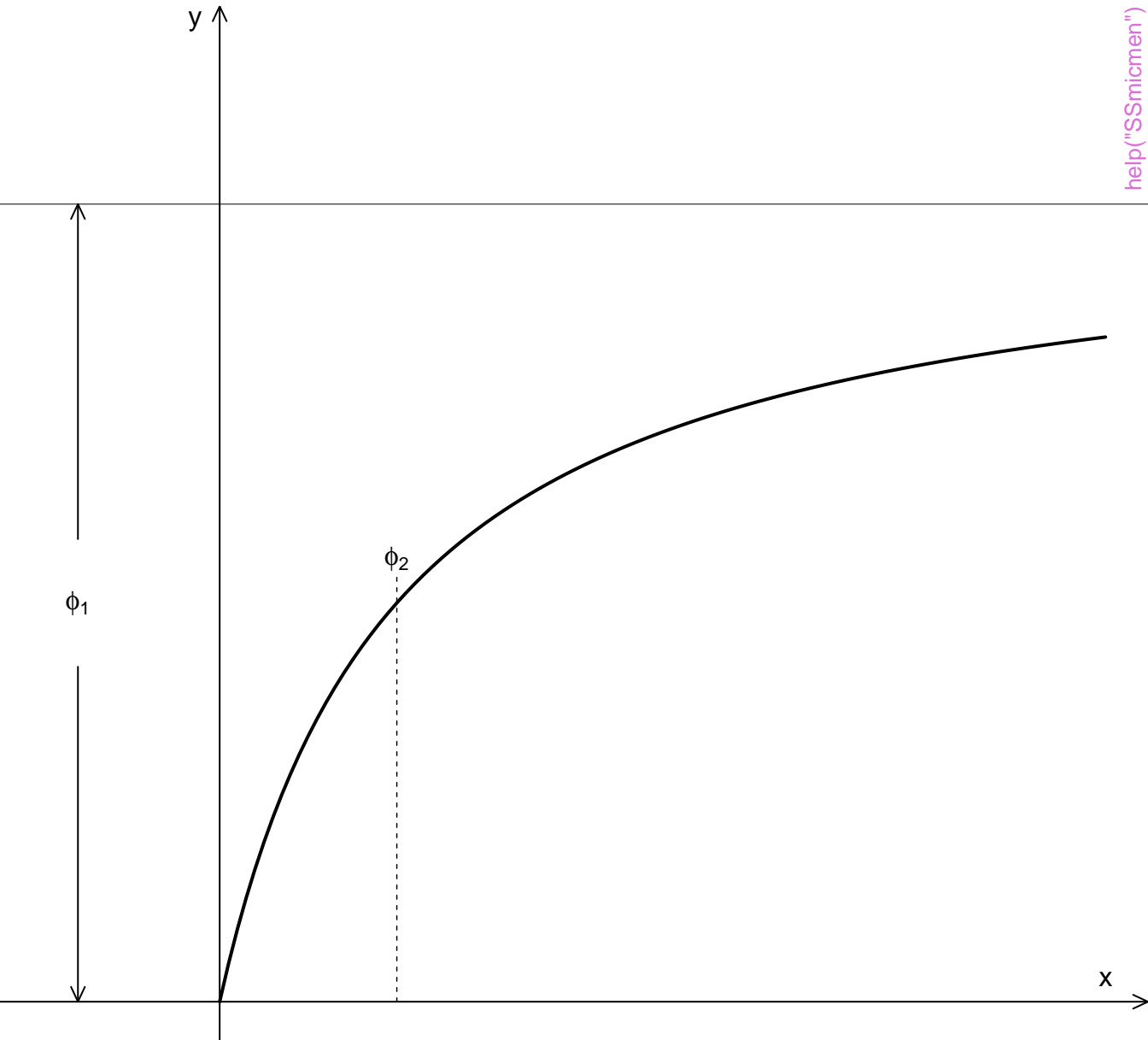
Parameters in the SSfpl model



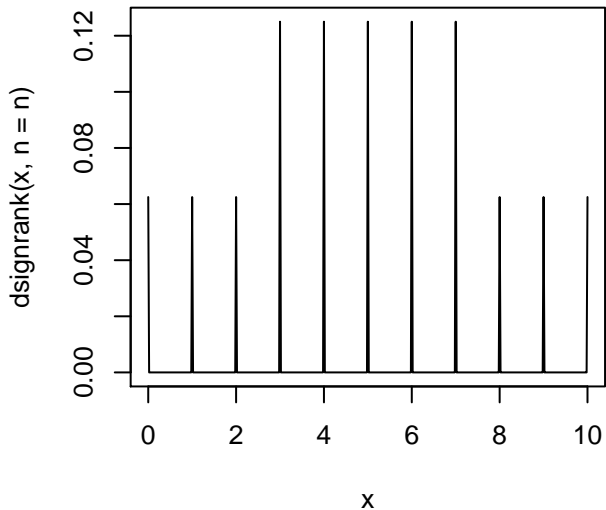
Parameters in the SSlogis model



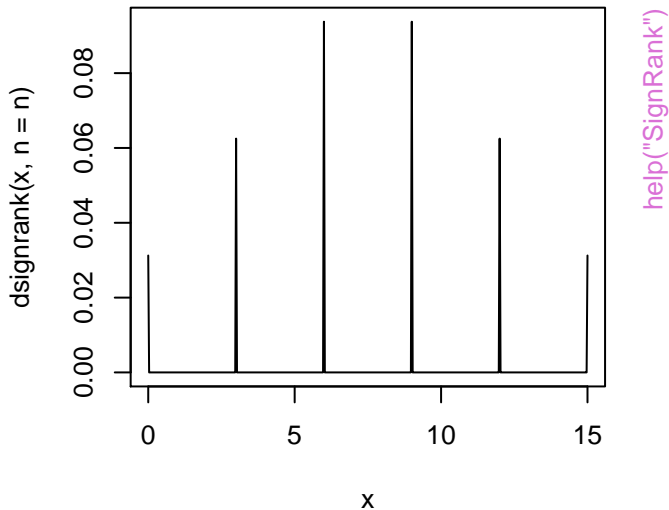
Parameters in the SSmicmen model



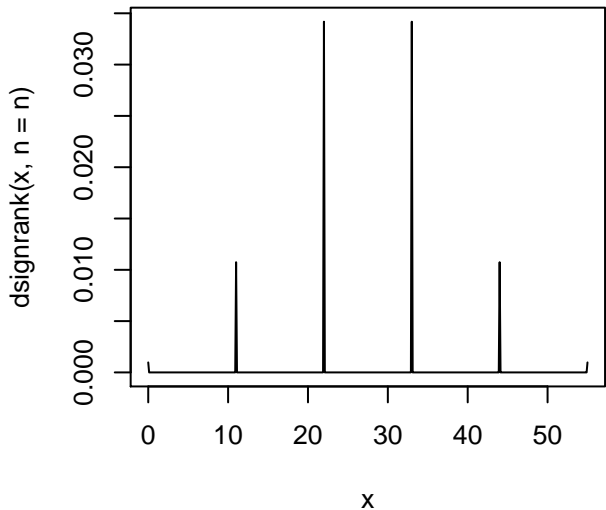
dsignrank(x, n = 4)



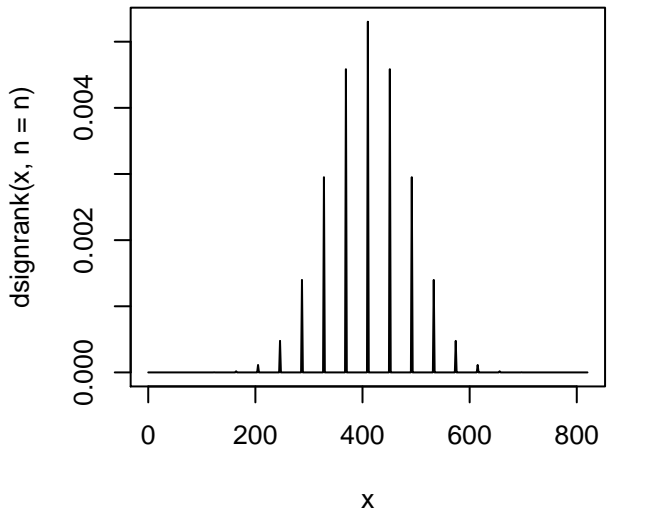
dsignrank(x, n = 5)

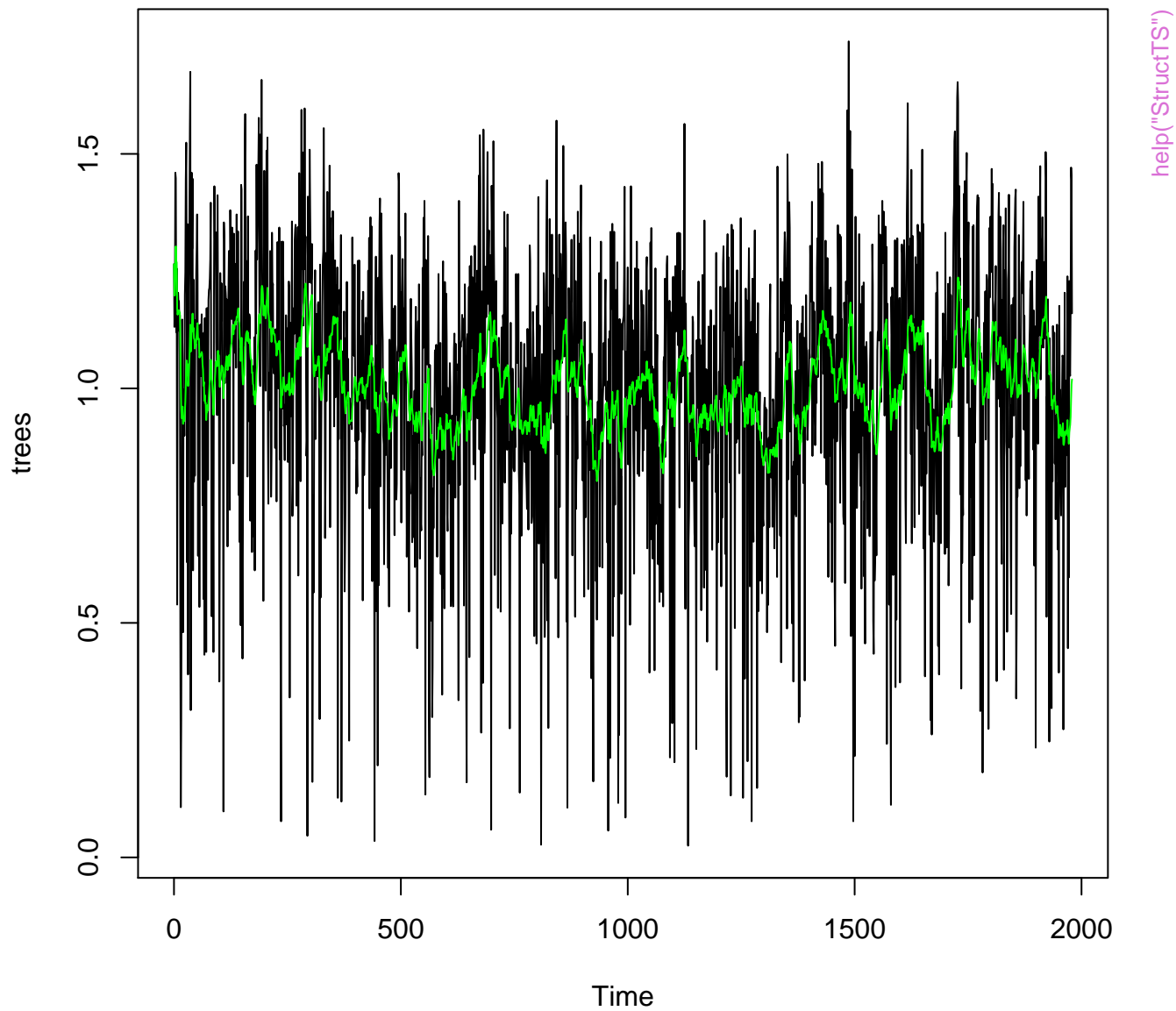


dsignrank(x, n = 10)

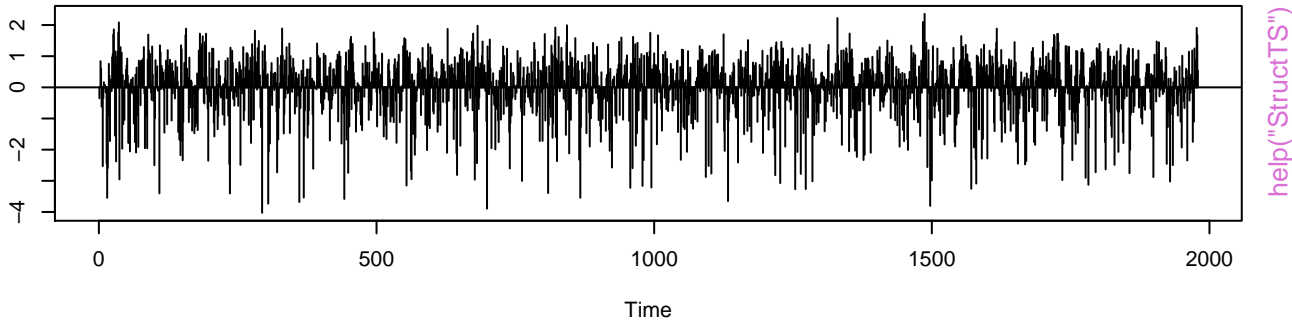


dsignrank(x, n = 40)

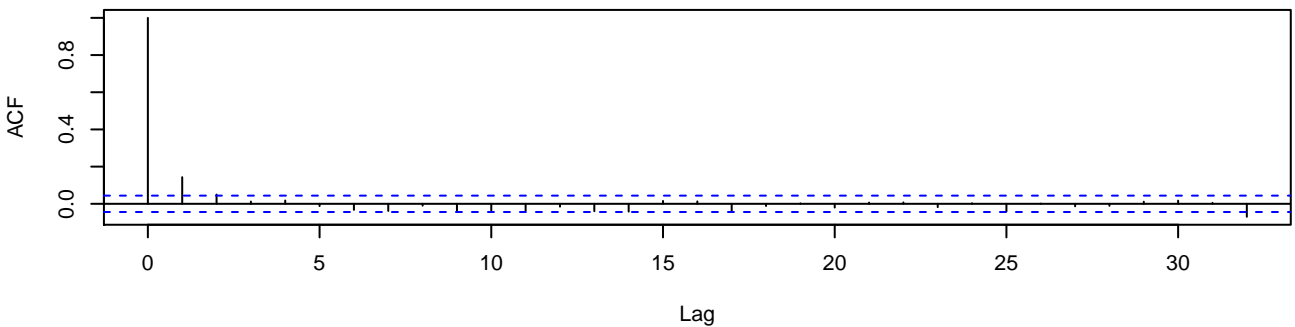




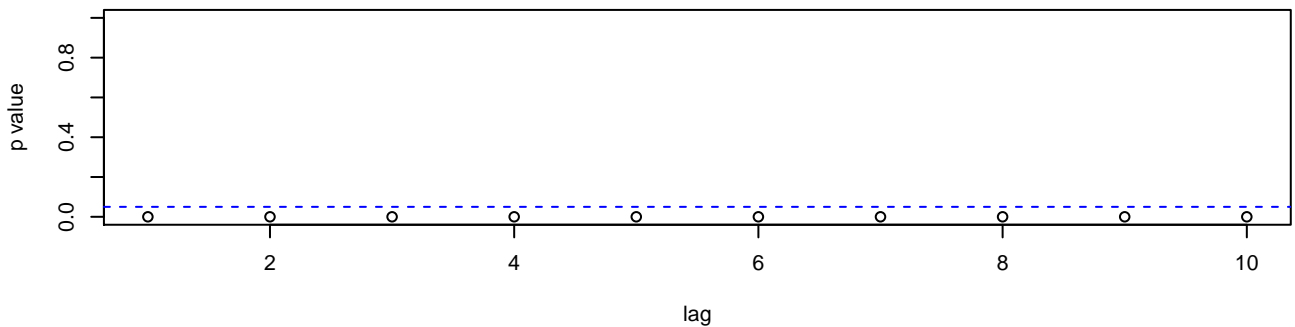
Standardized Residuals



ACF of Residuals



p values for Ljung–Box statistic



log10(UKgas)

2.0 2.6

1960

1965

1970

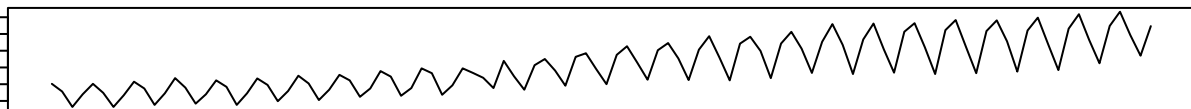
1975

1980

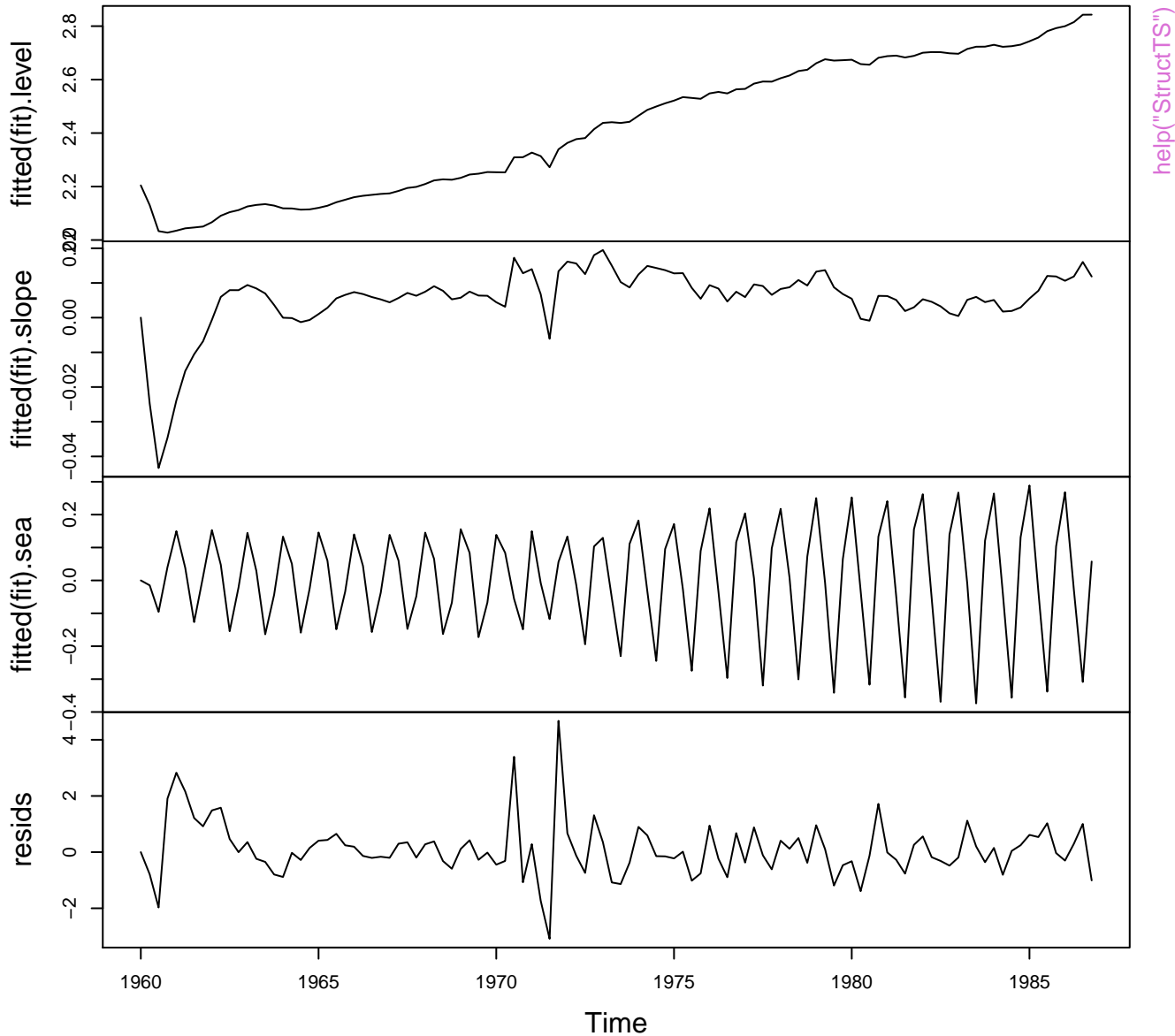
1985

Time

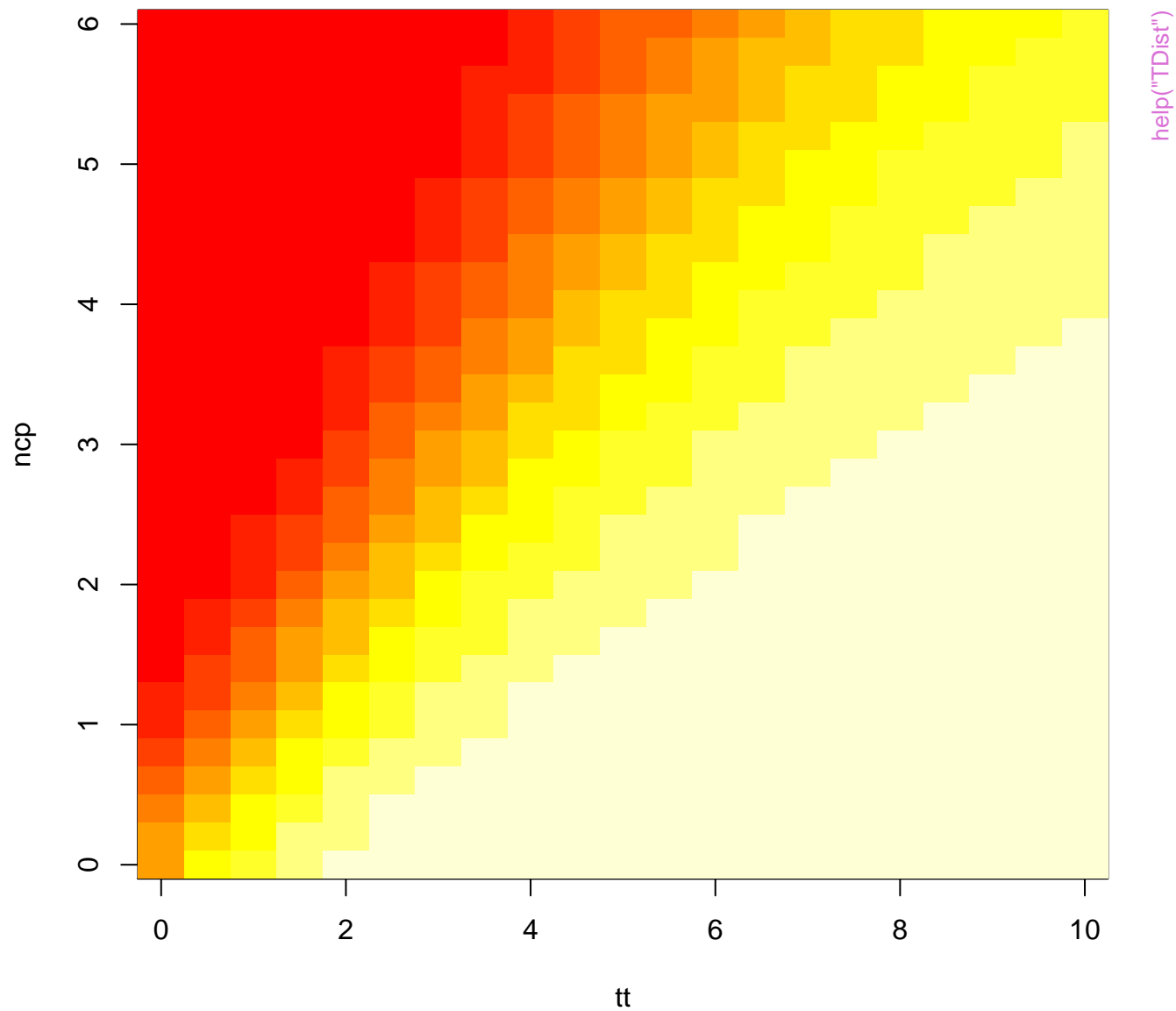
help("StructTS")



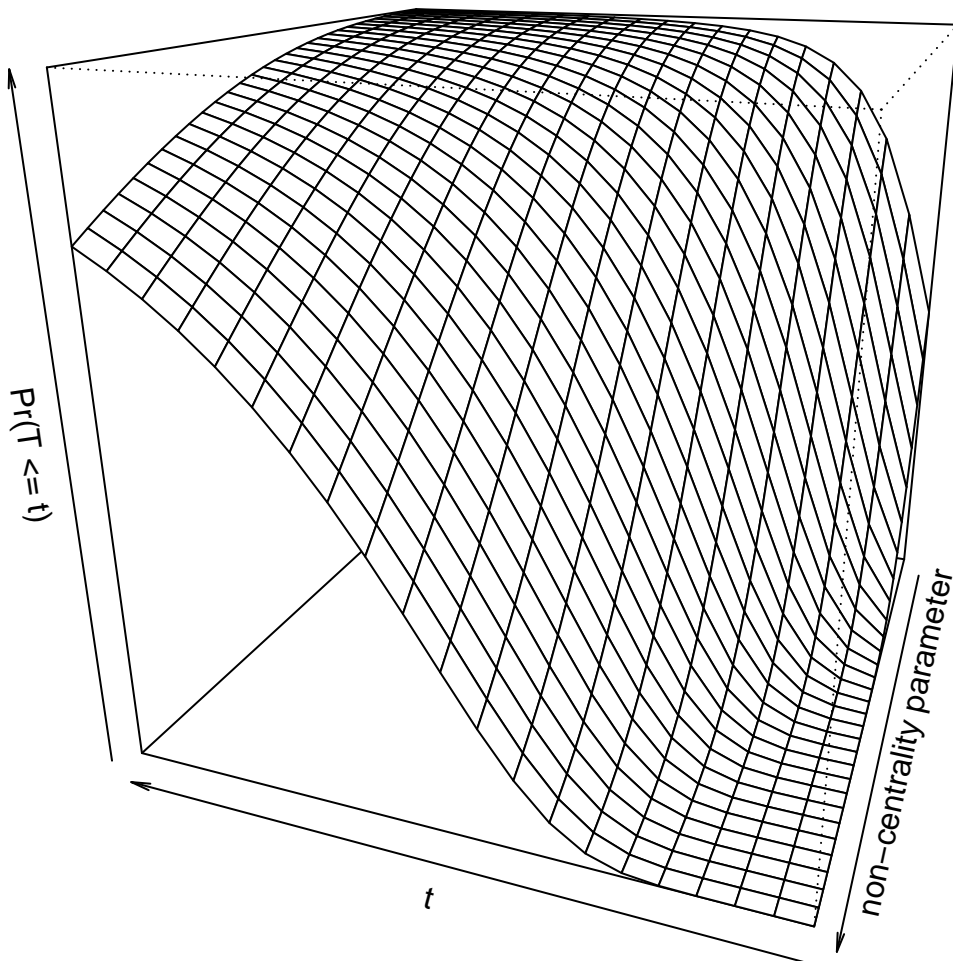
UK gas consumption



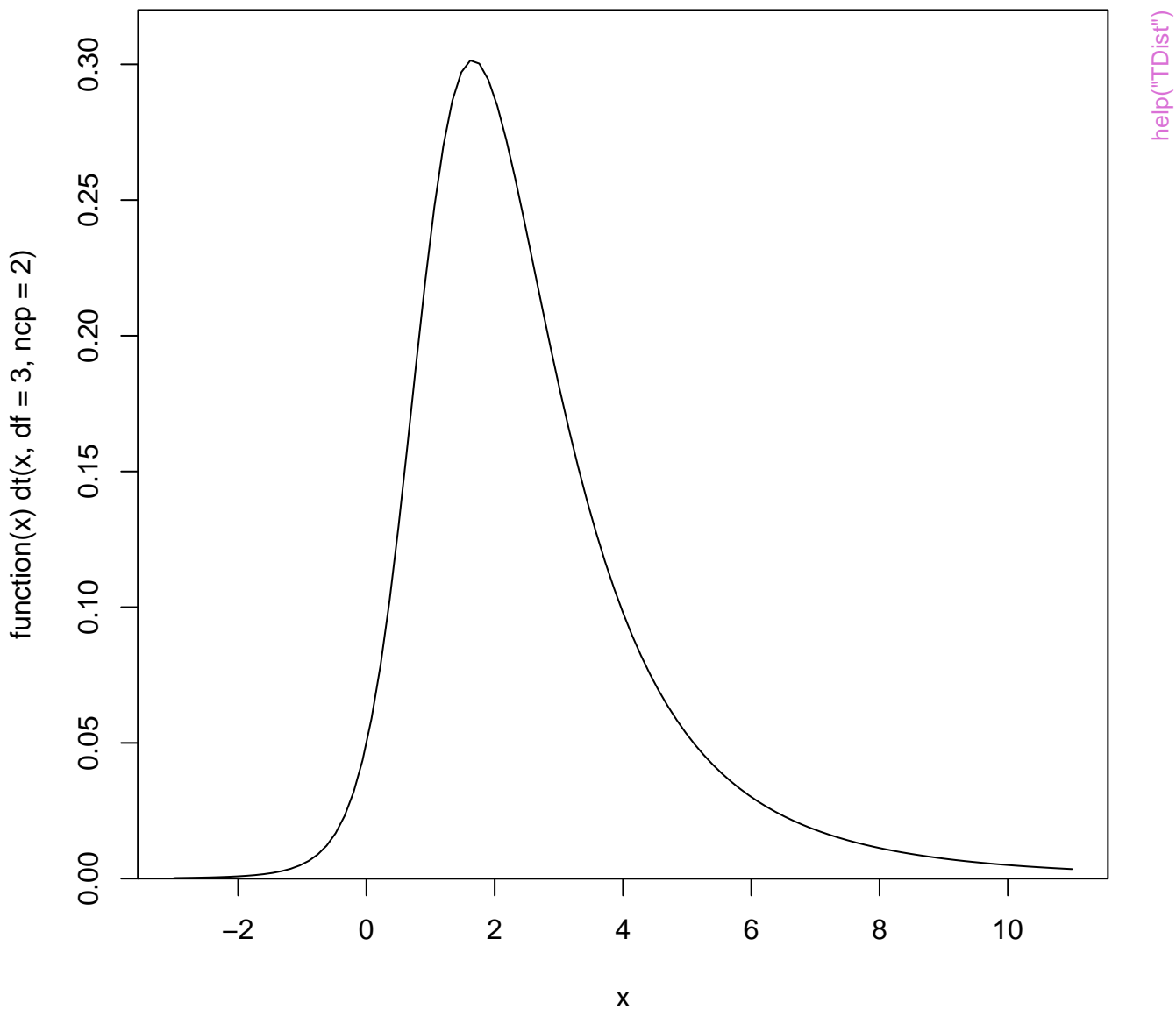
Non-central t – Probabilities



Non-central t – Probabilities

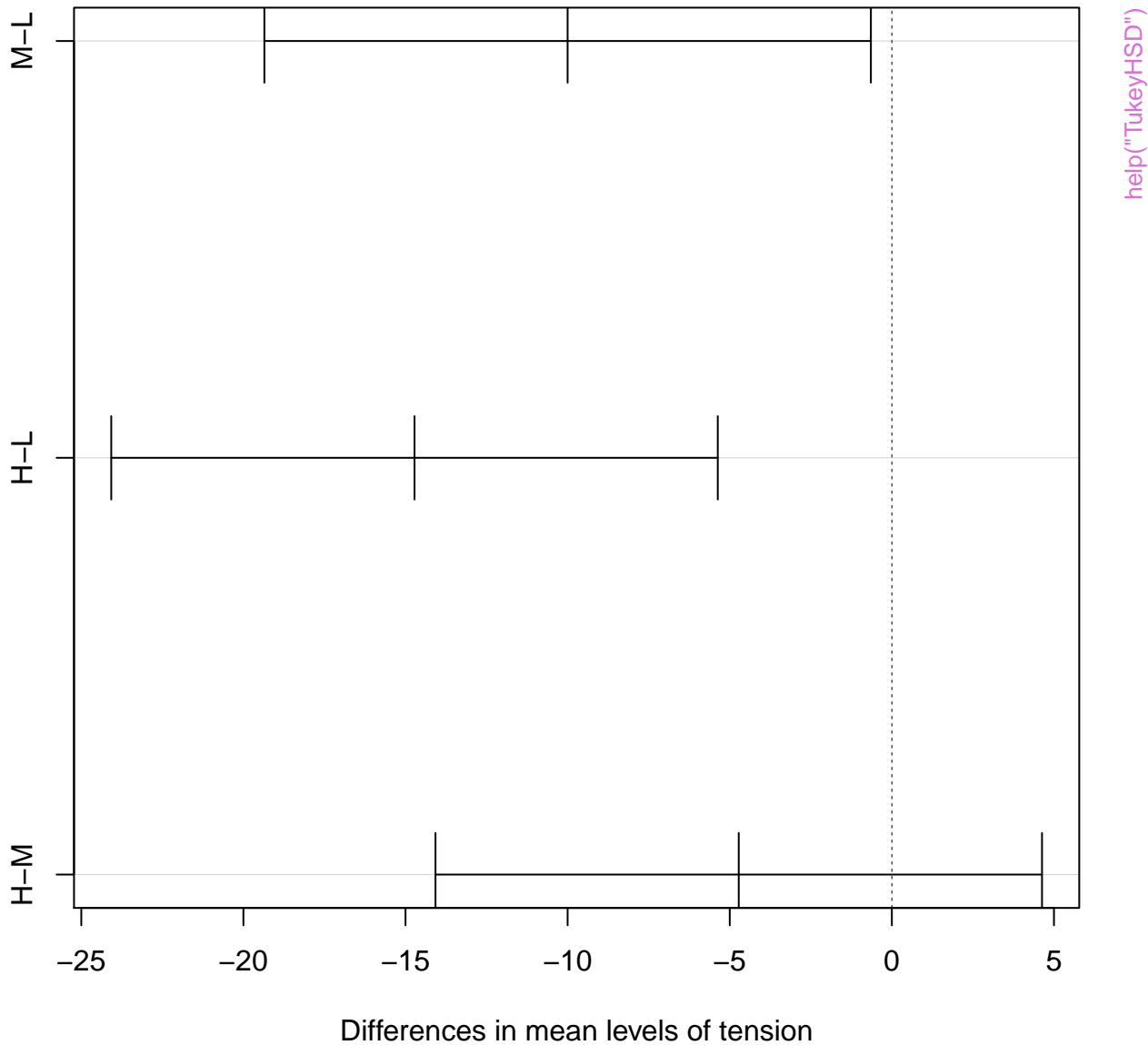


Non-central t – Density

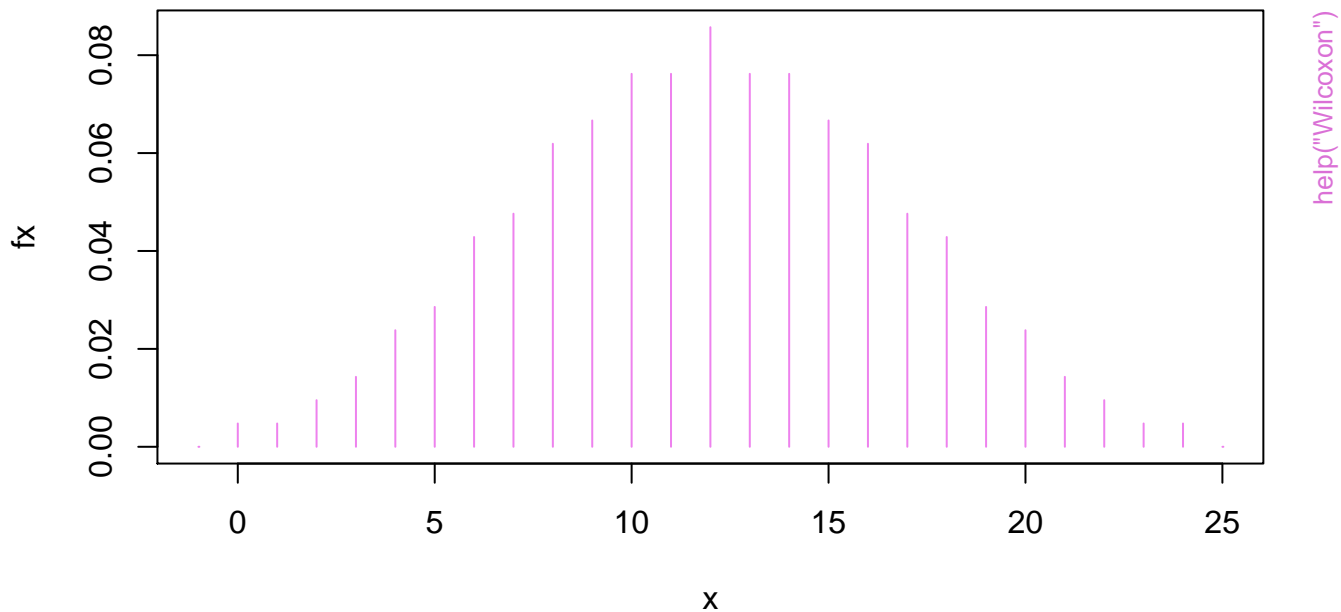


[help\("TDist"\)](#)

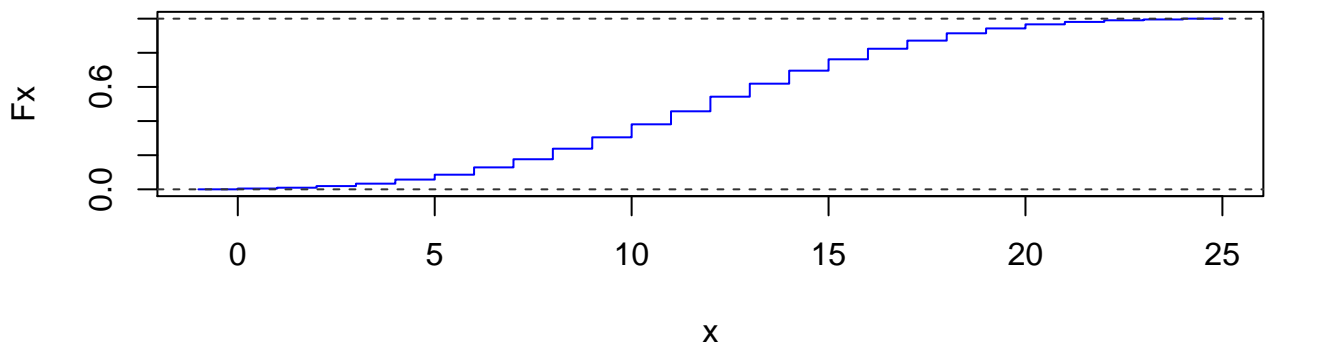
95% family-wise confidence level



Probabilities (density) of Wilcoxon-Statist.(n=6, m=4)

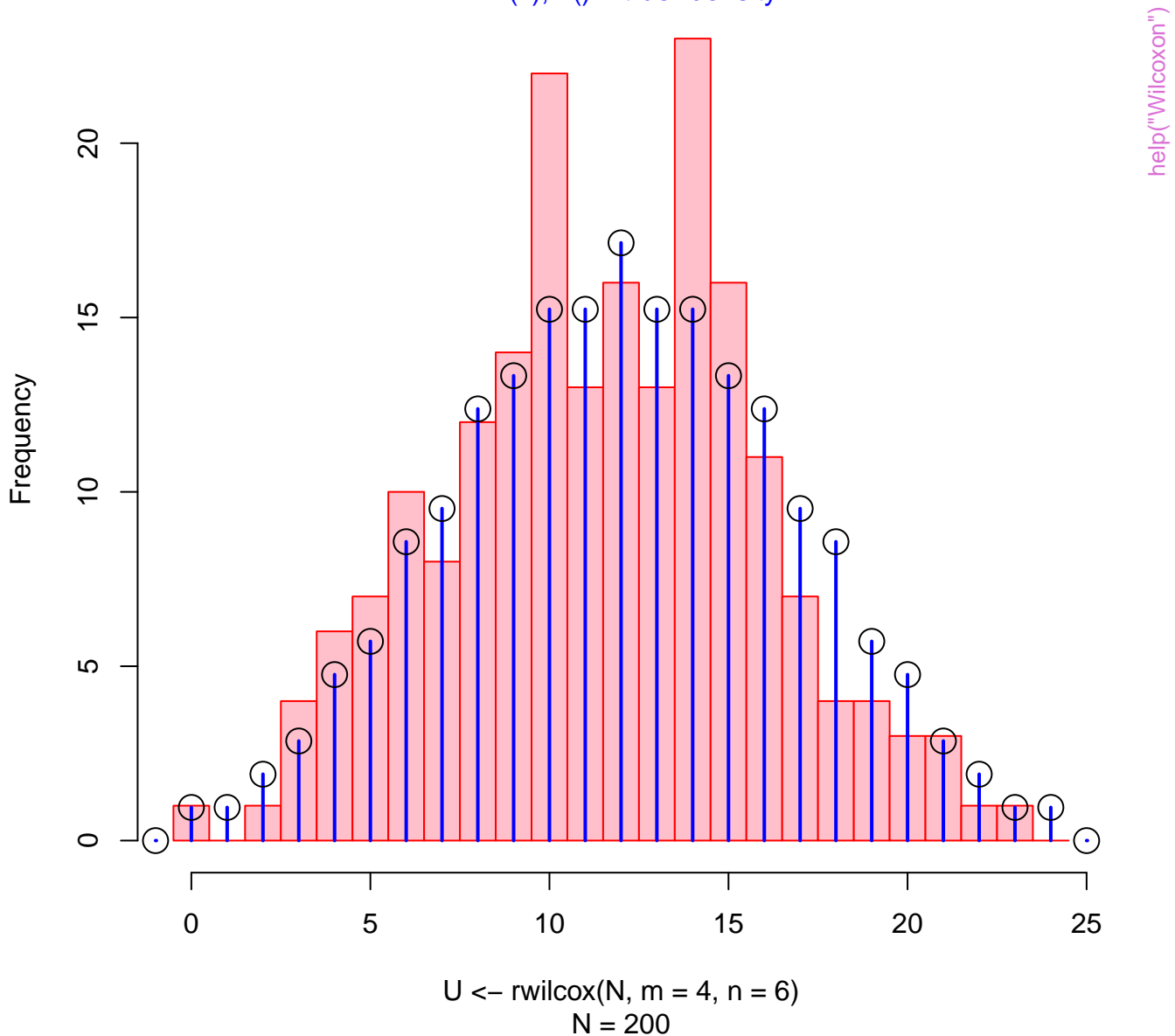


Distribution of Wilcoxon-Statist.(n=6, m=4)

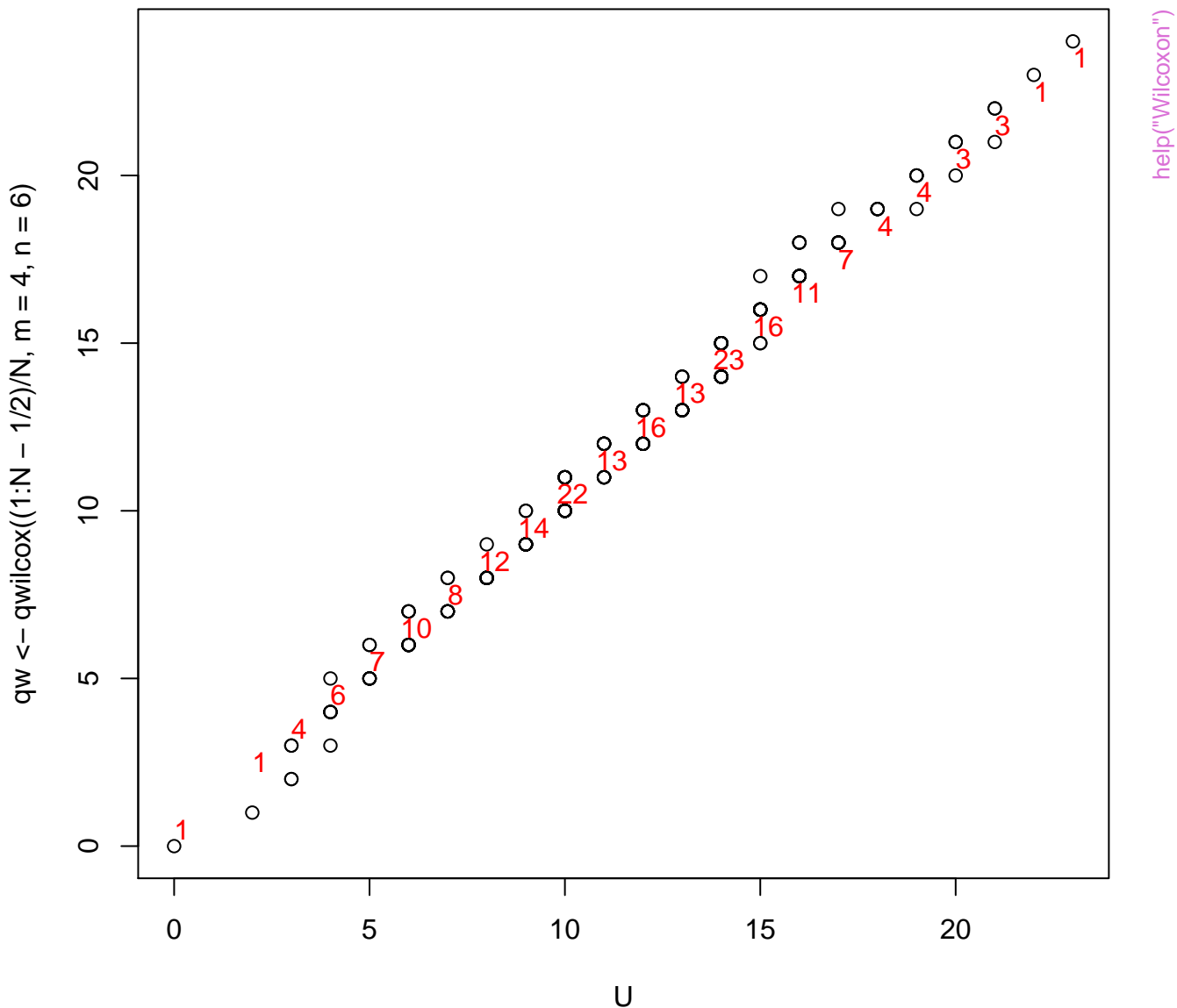


Histogram of $U \leftarrow \text{rwilcox}(N, m = 4, n = 6)$

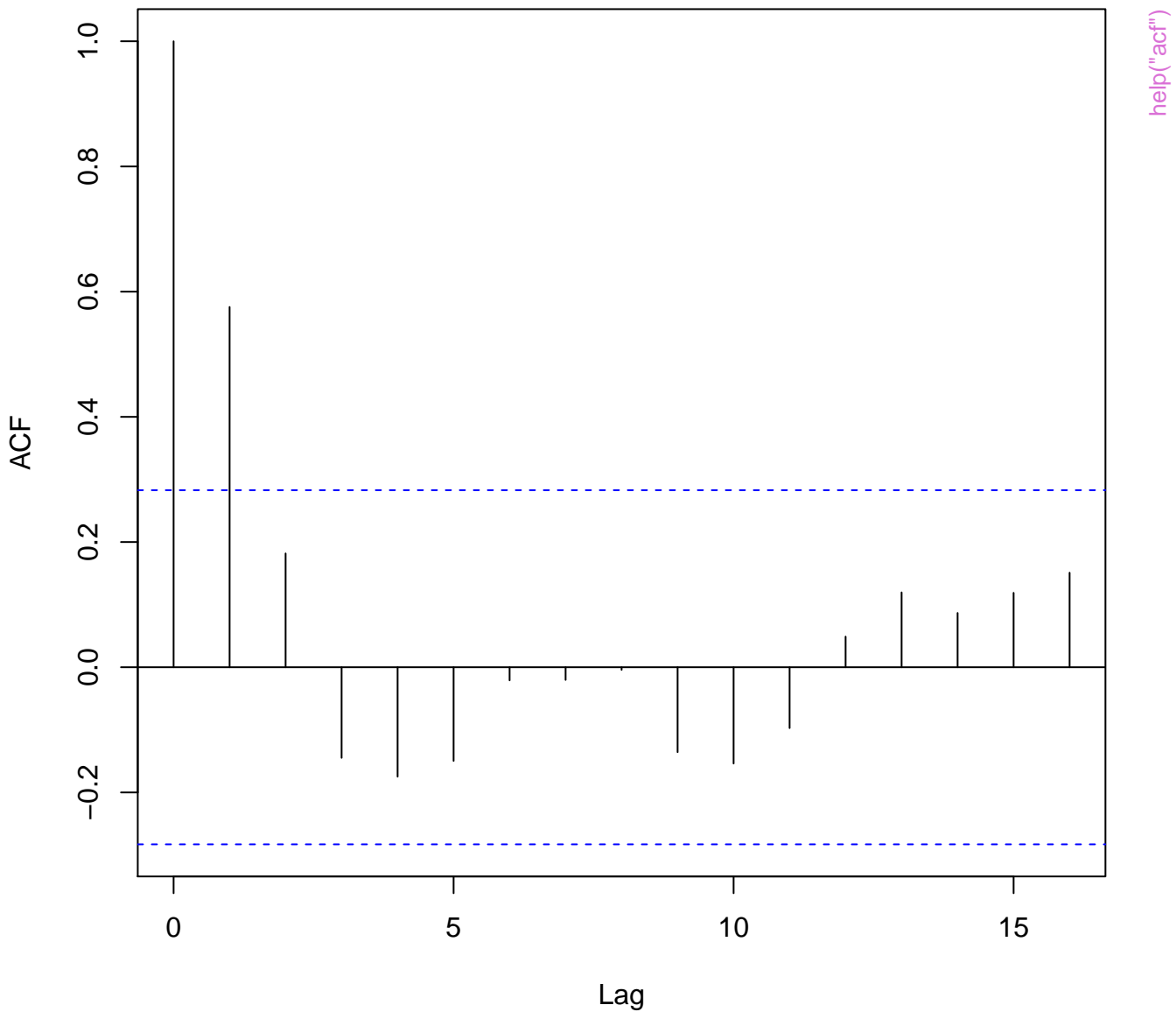
$N * f(x), f() = \text{true "density"}$



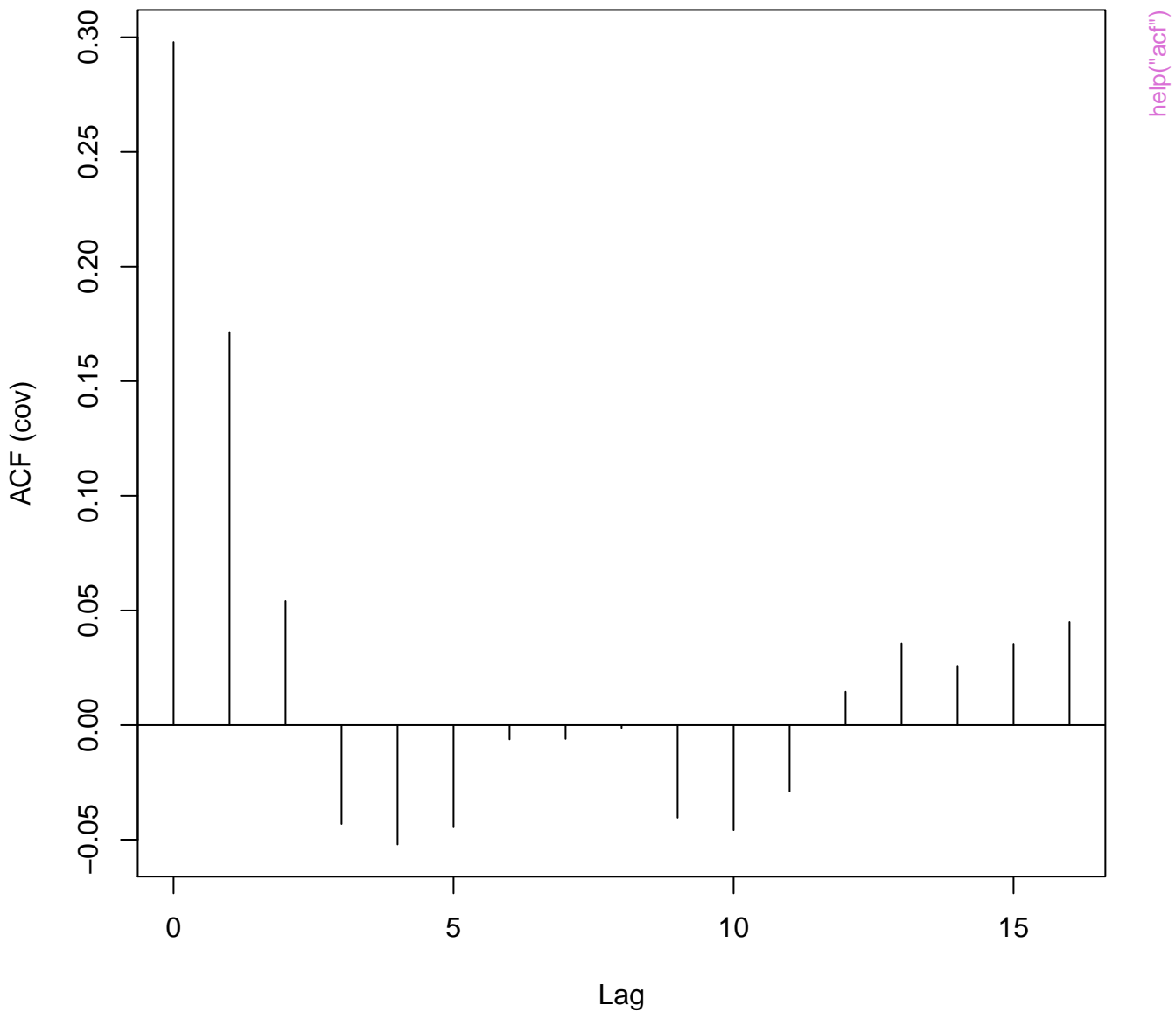
Q-Q-Plot of empirical and theoretical quantiles Wilcoxon Statistic, (m=4, n=6)



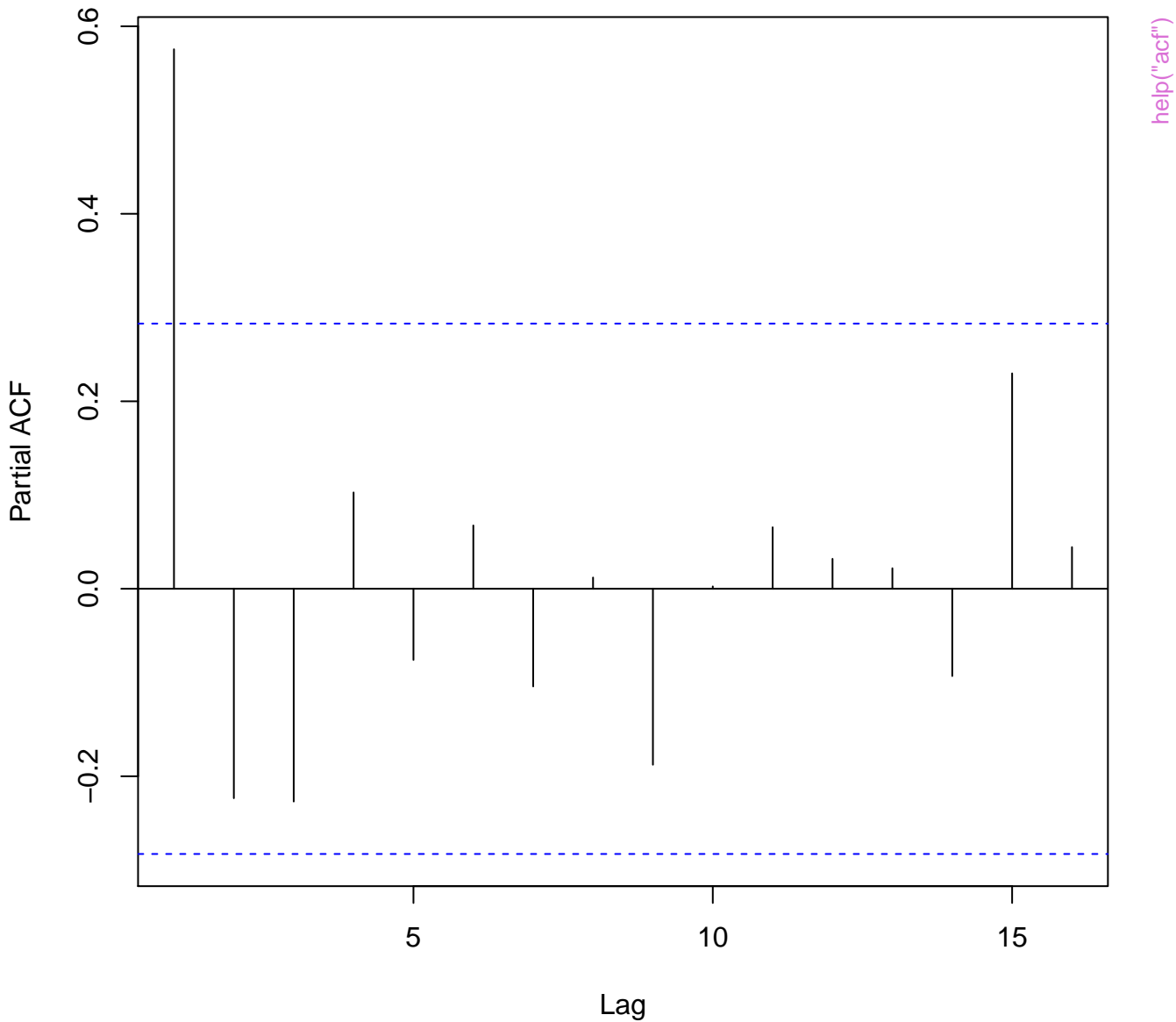
Series lh



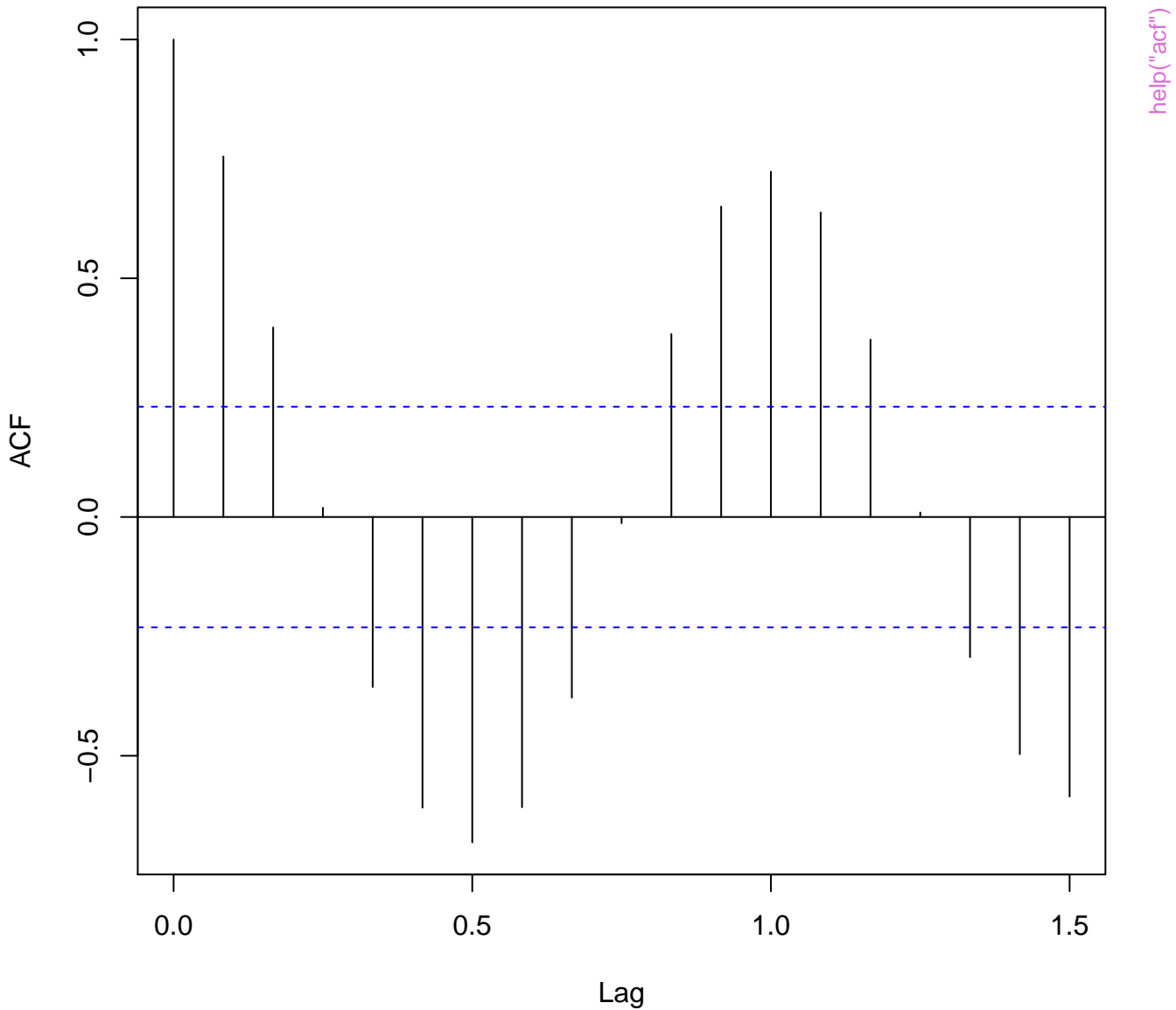
Series lh



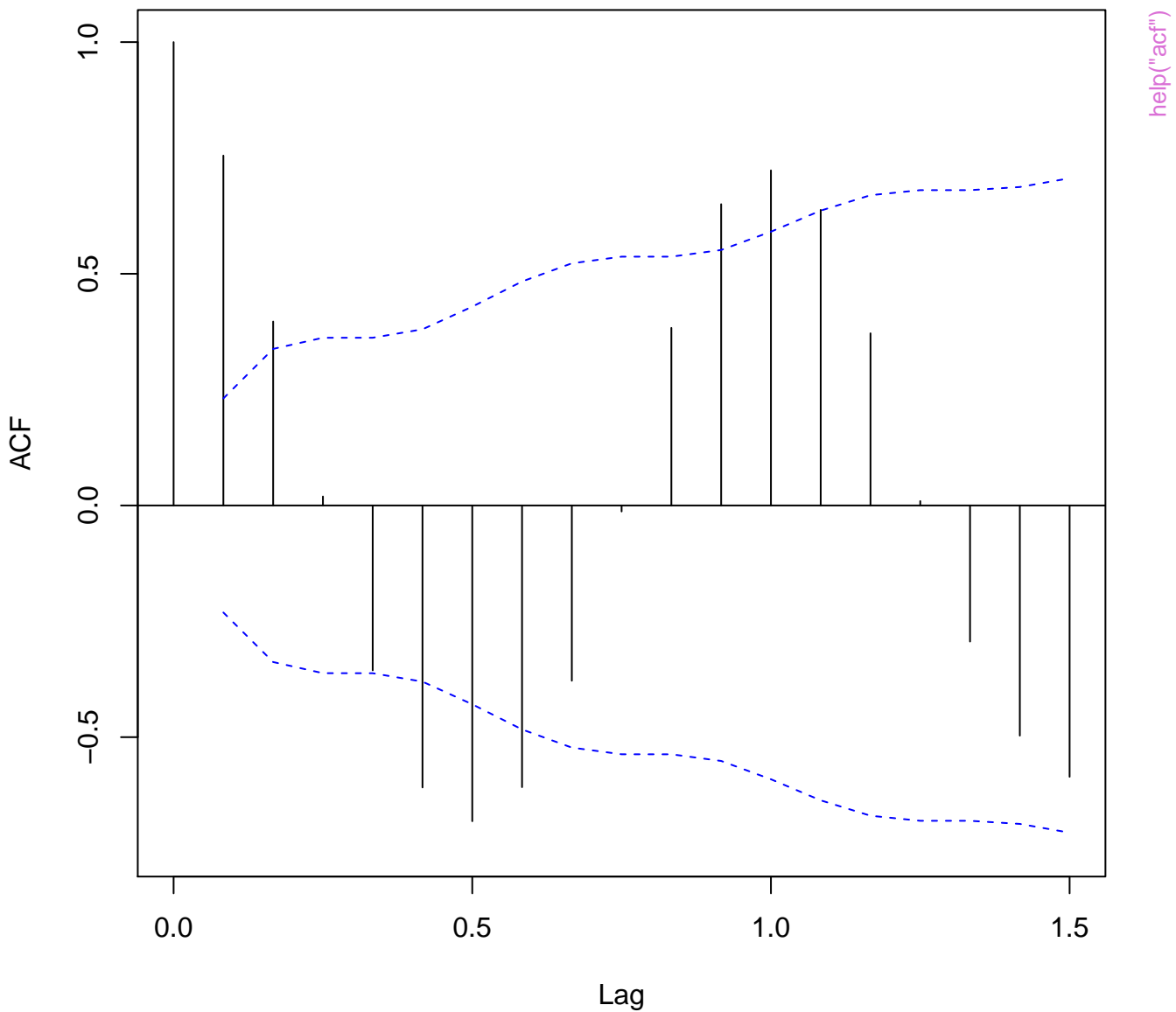
Series 1h



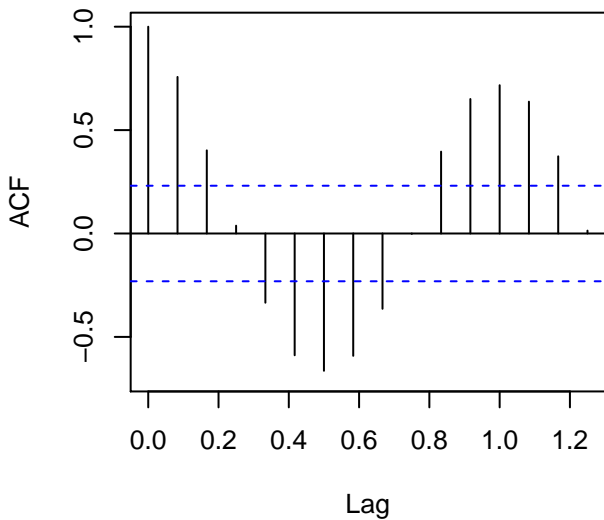
Series Ideaths



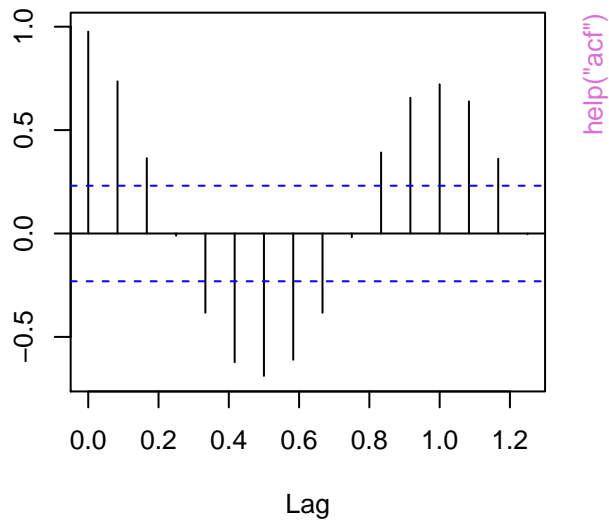
Series Ideaths



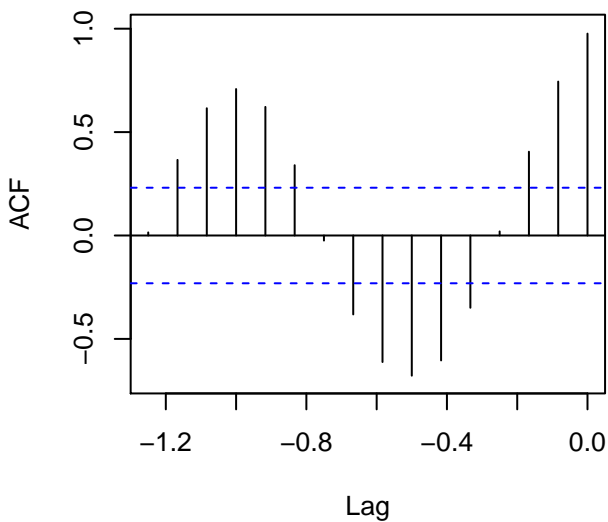
mdeaths



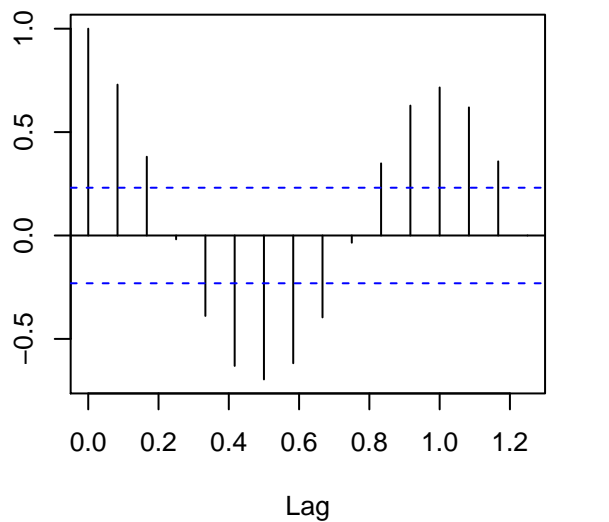
mdeaths & fdeaths



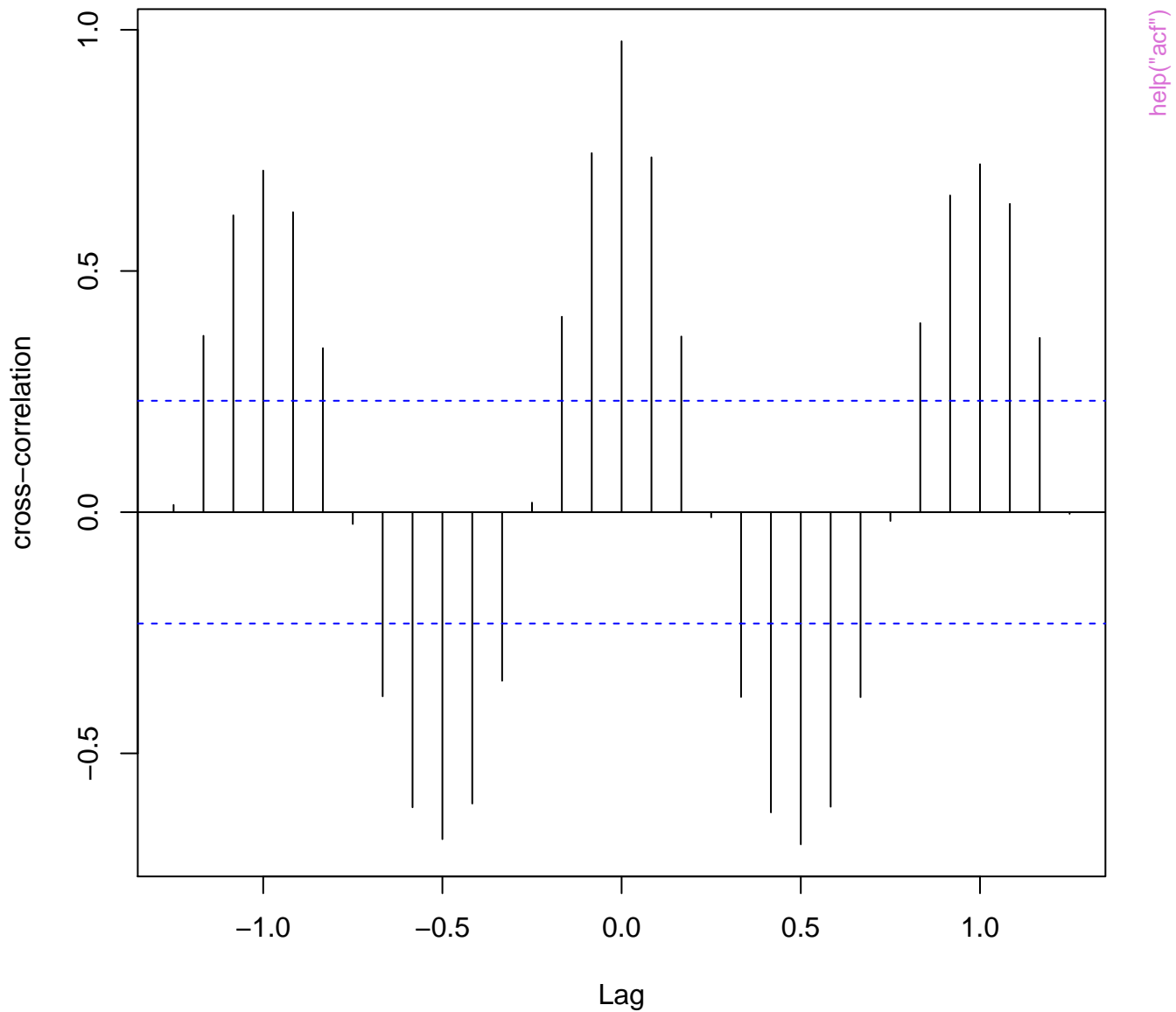
fdeaths & mdeaths



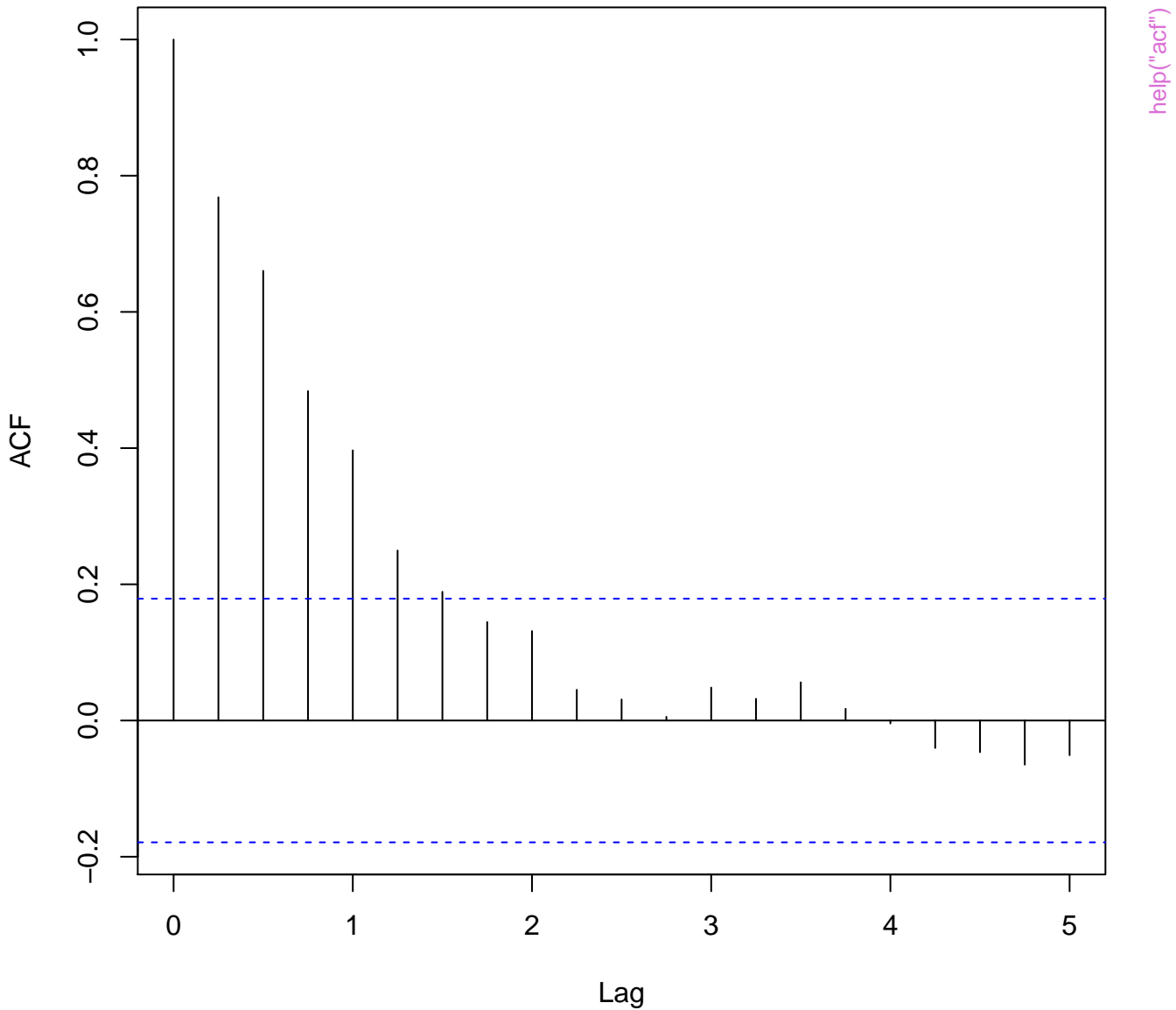
fdeaths



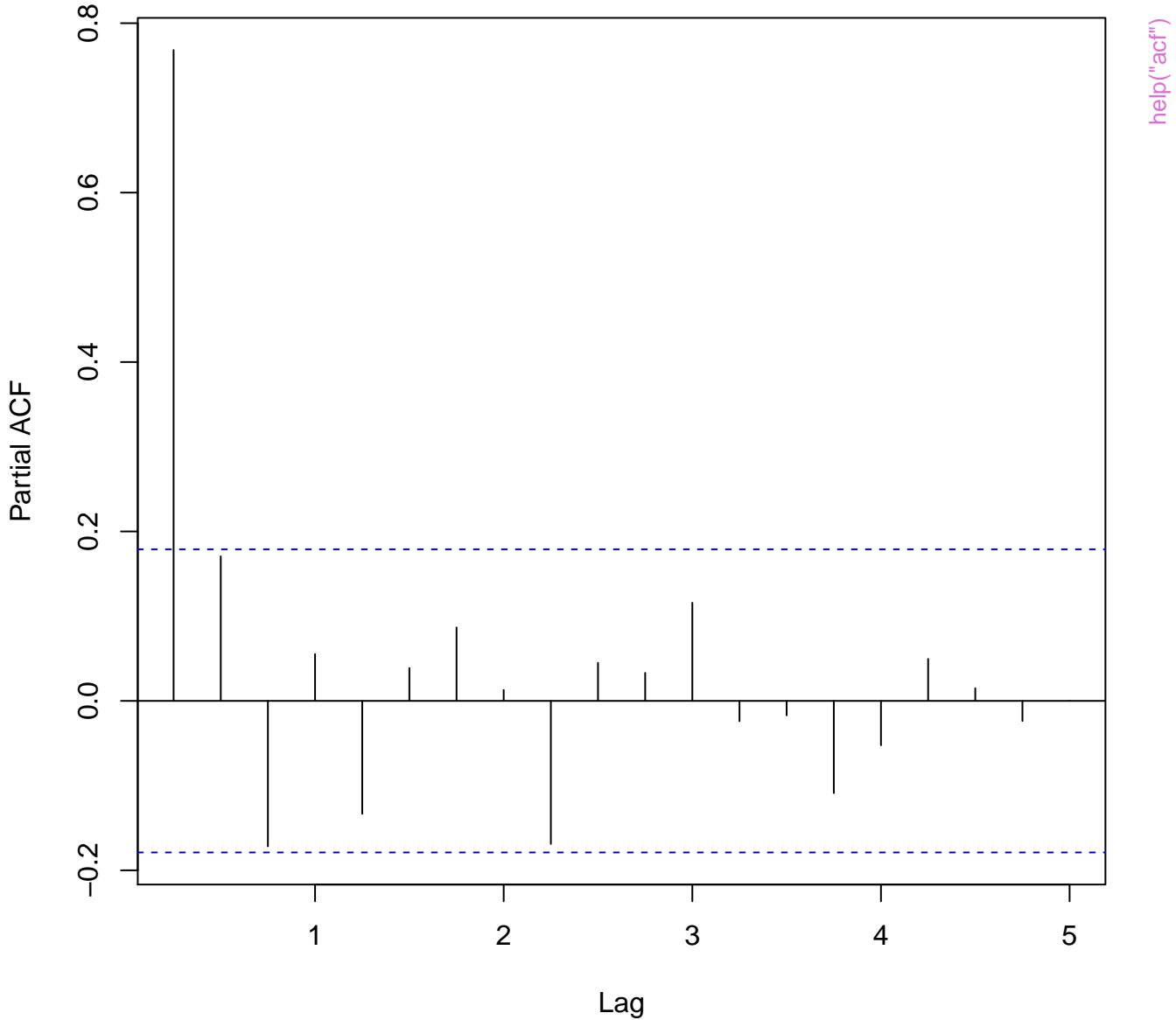
mdeaths & fdeaths

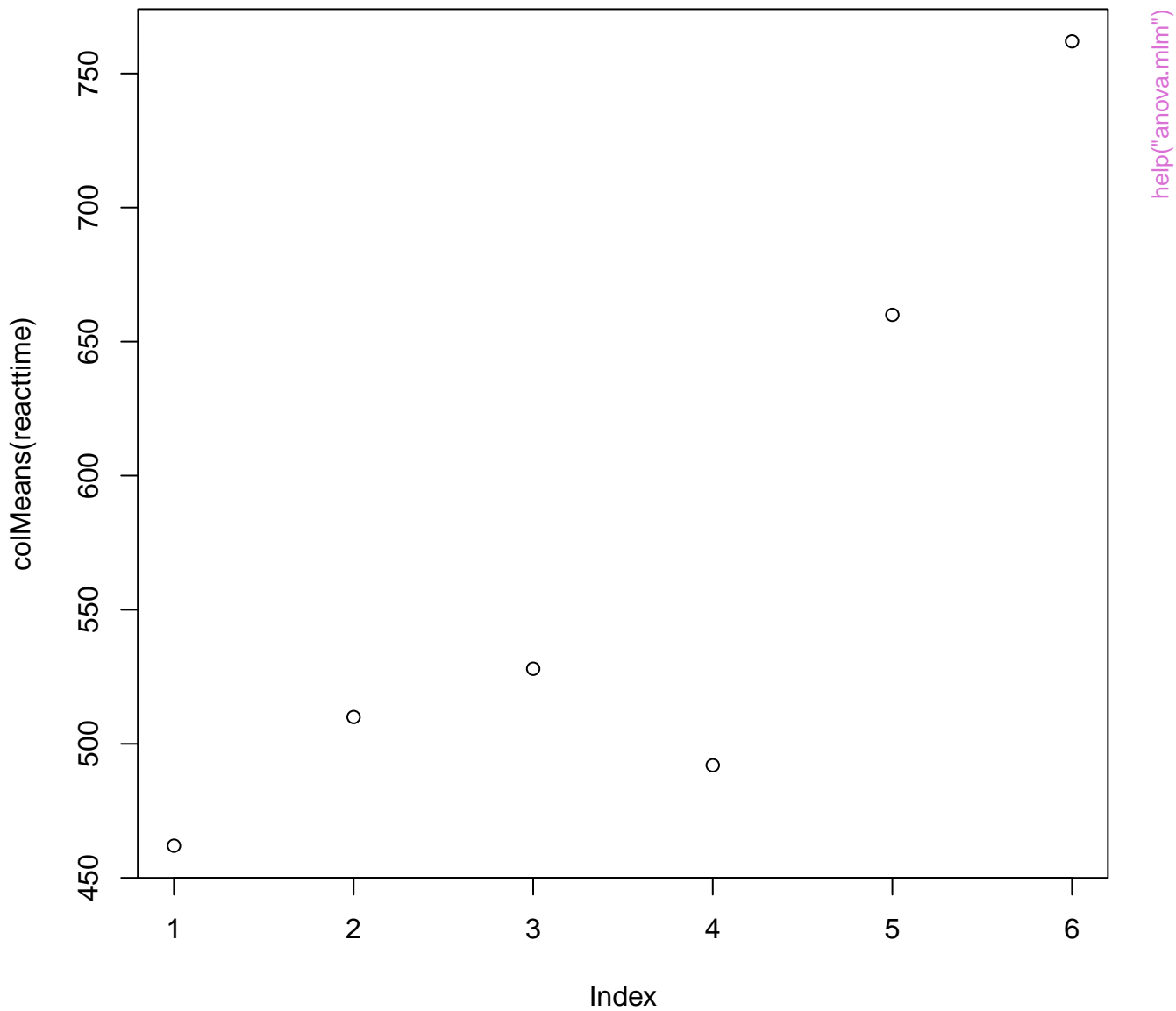


Series presidents

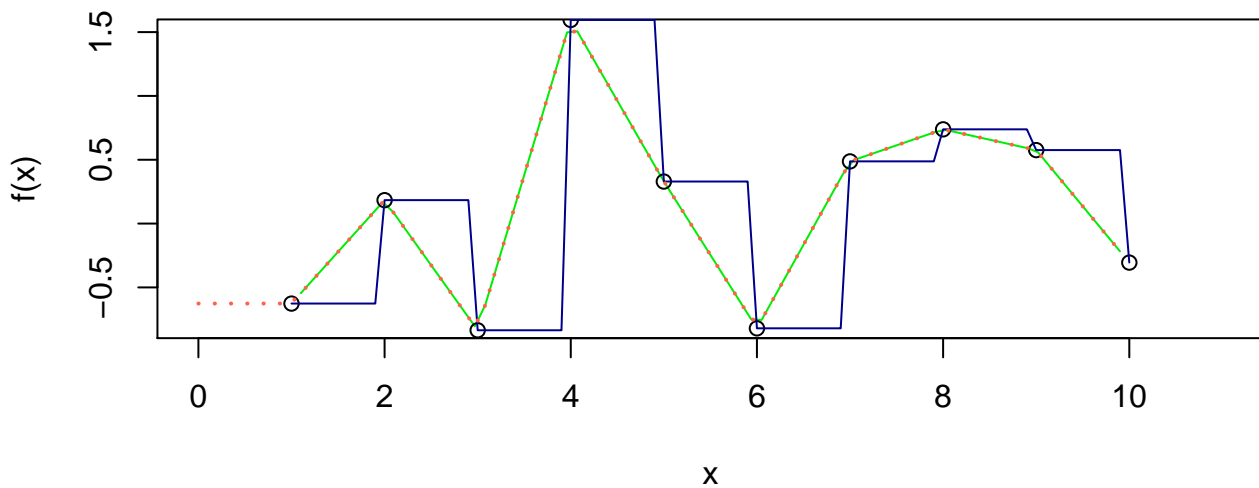
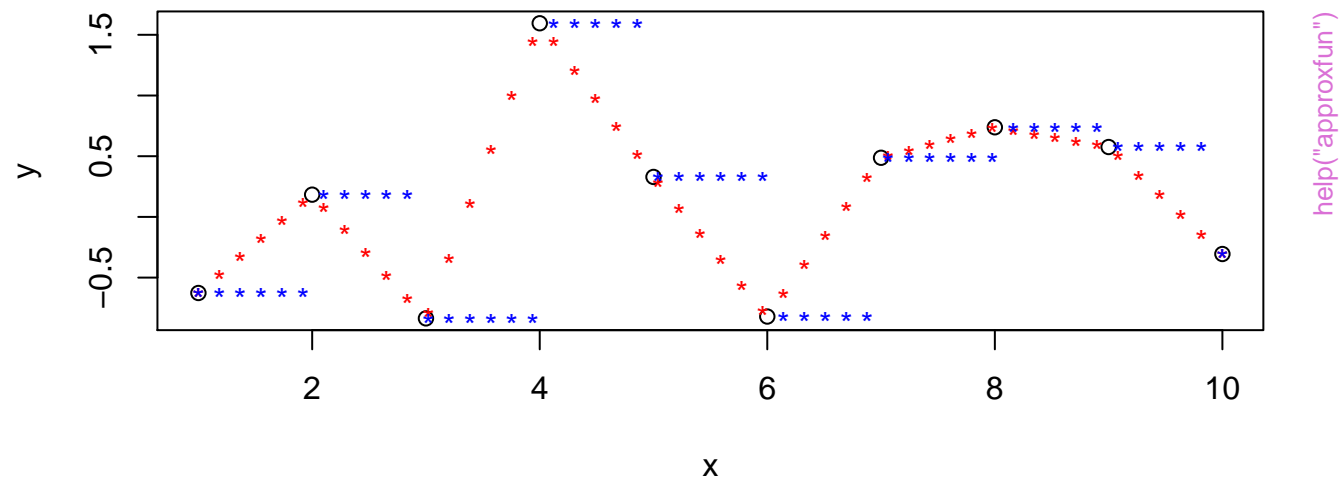


Series presidents

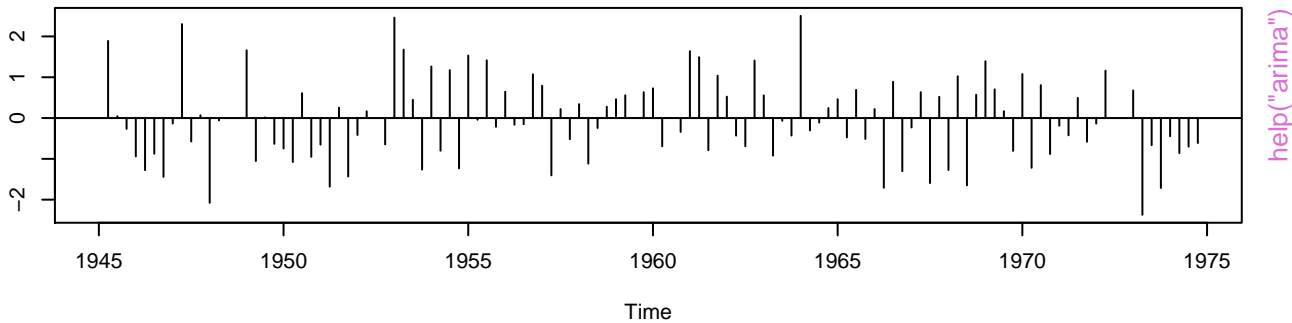




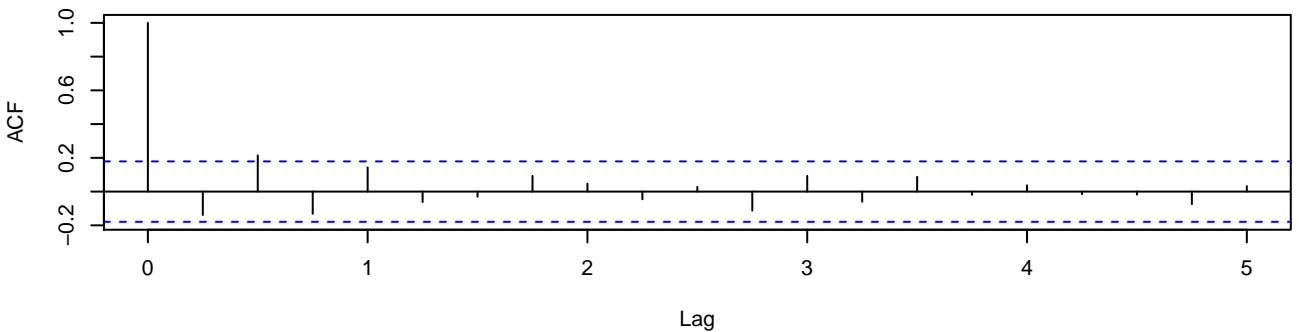
approx(.) and approxfun(.)



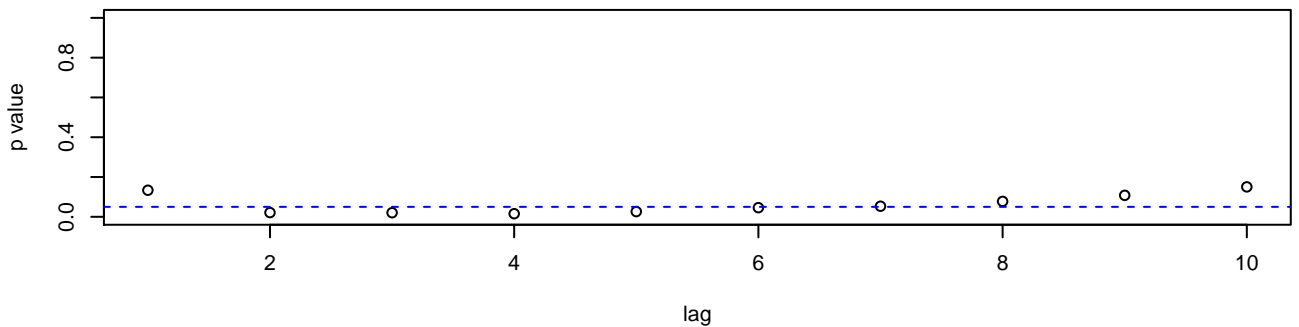
Standardized Residuals



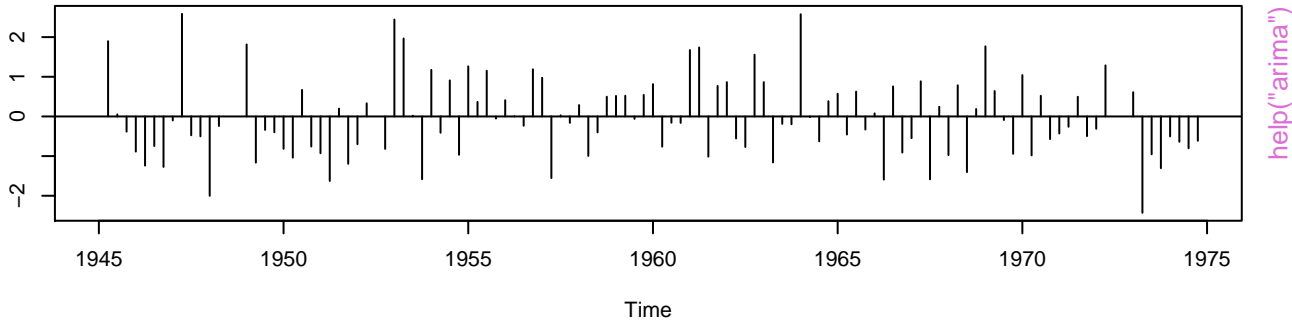
ACF of Residuals



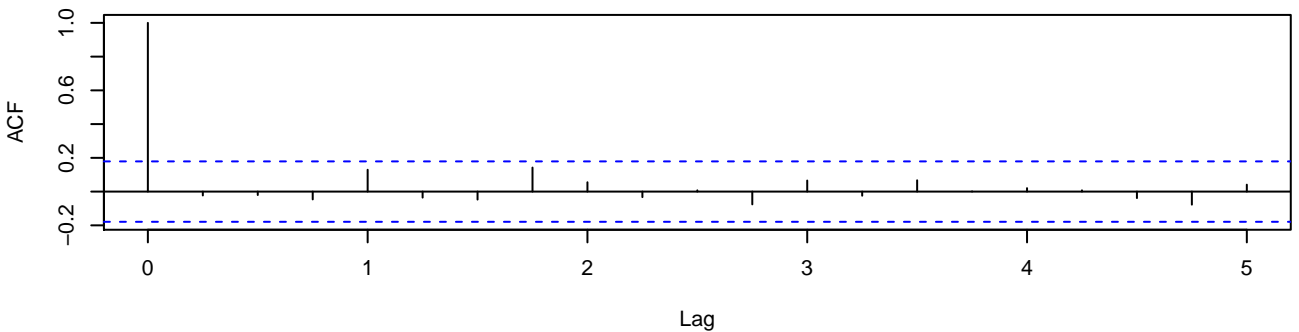
p values for Ljung–Box statistic



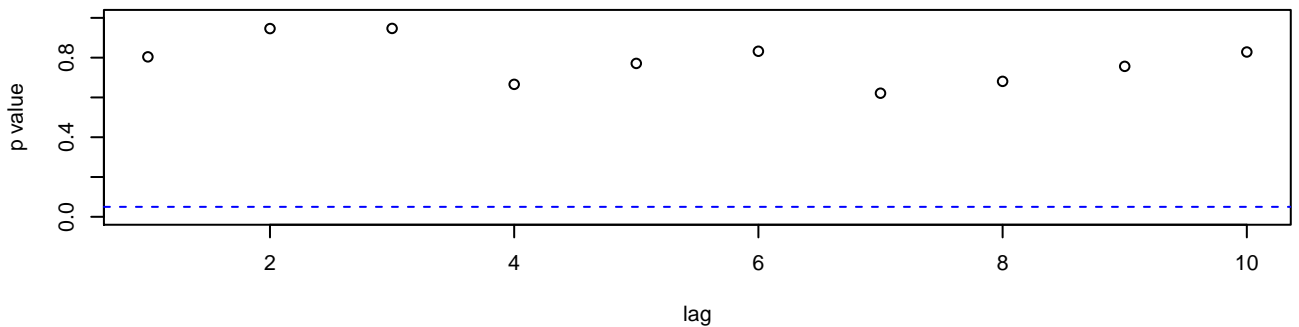
Standardized Residuals

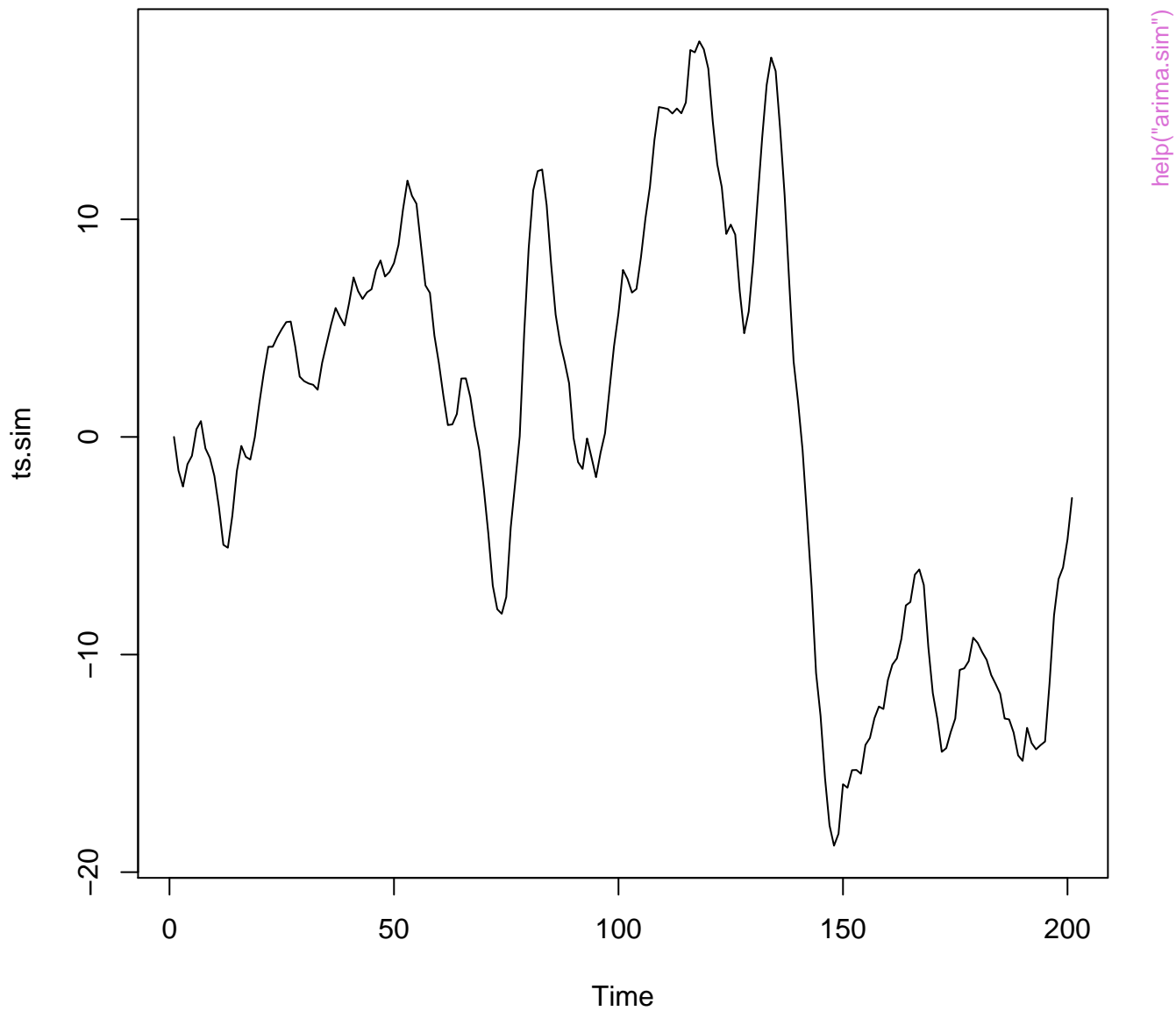


ACF of Residuals

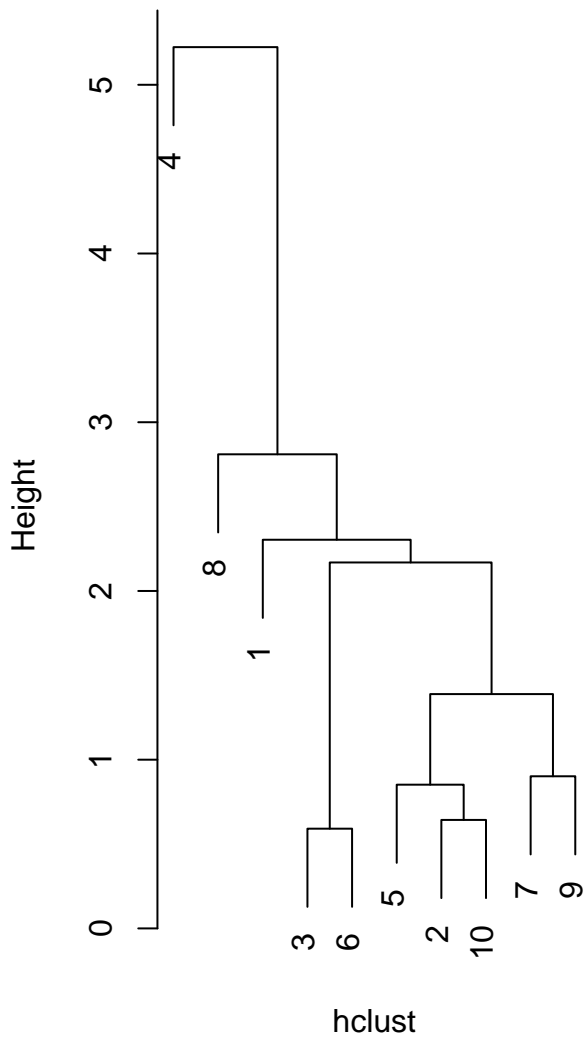


p values for Ljung–Box statistic



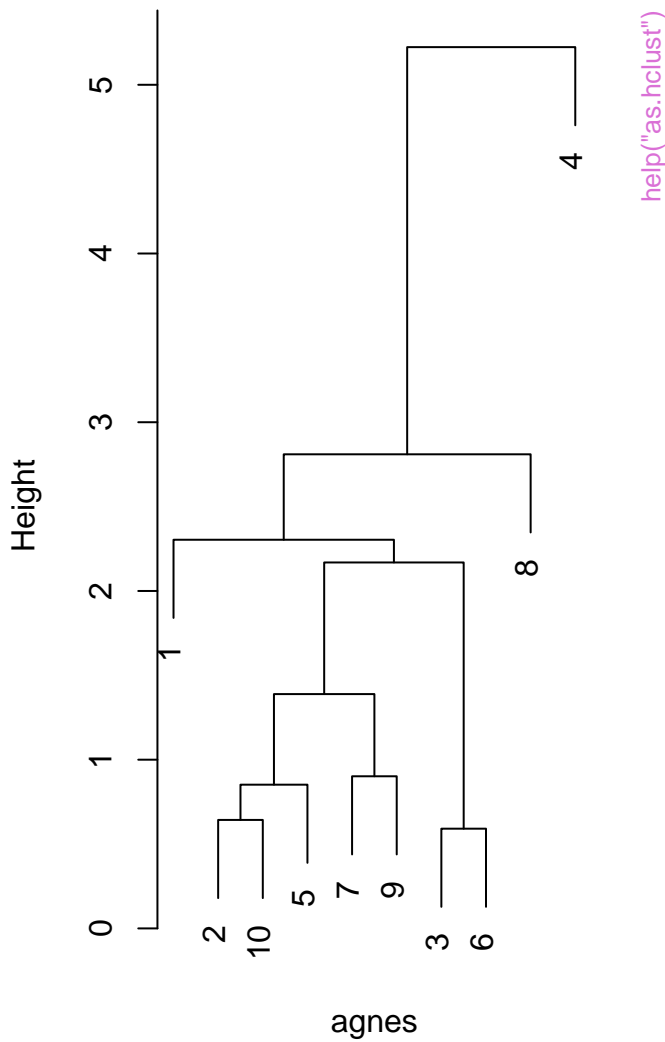


Cluster Dendrogram



dist(x)
hclust (*, "complete")

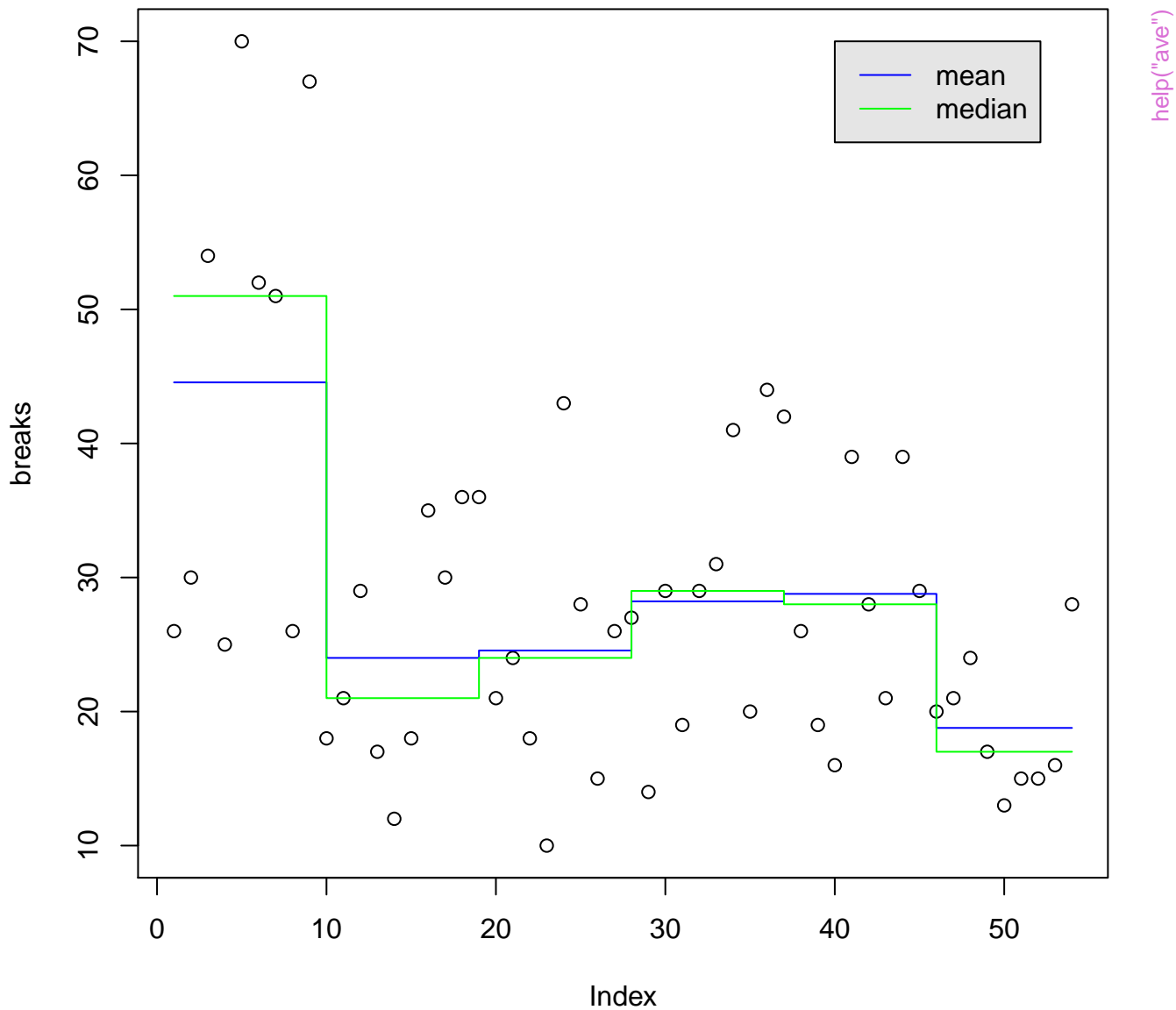
Cluster Dendrogram



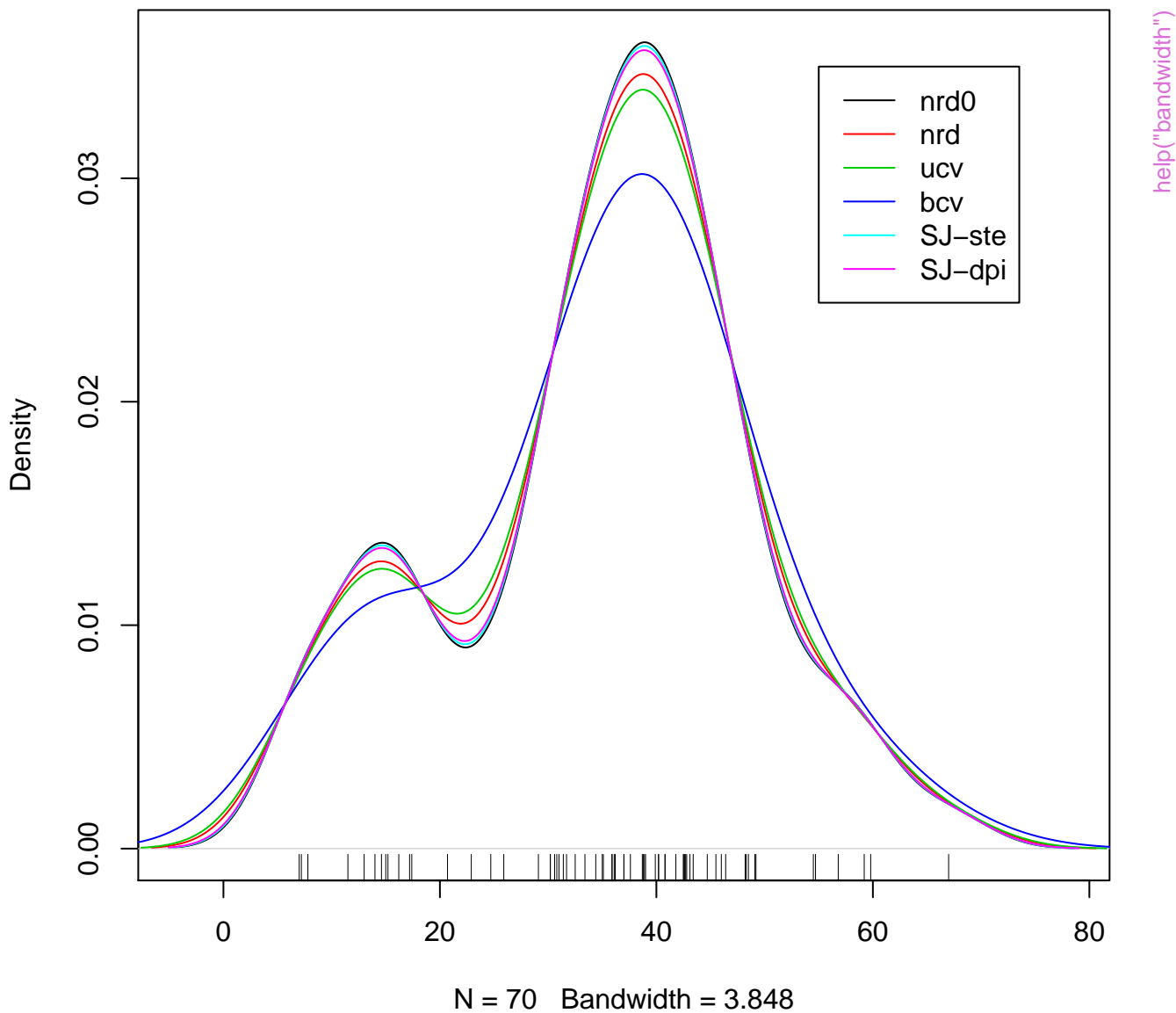
x
agnes (*, "complete")

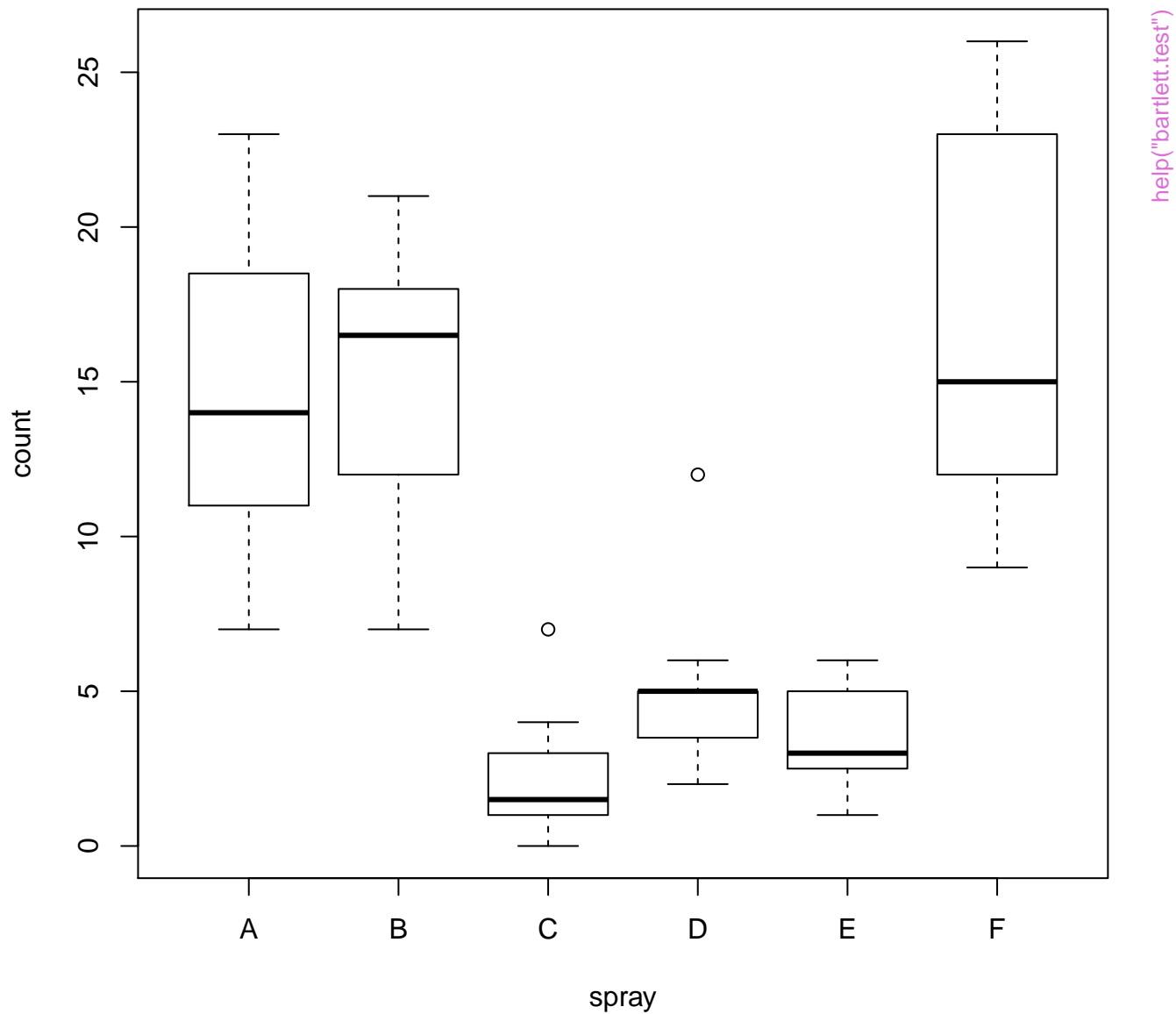
help("as.hclust")

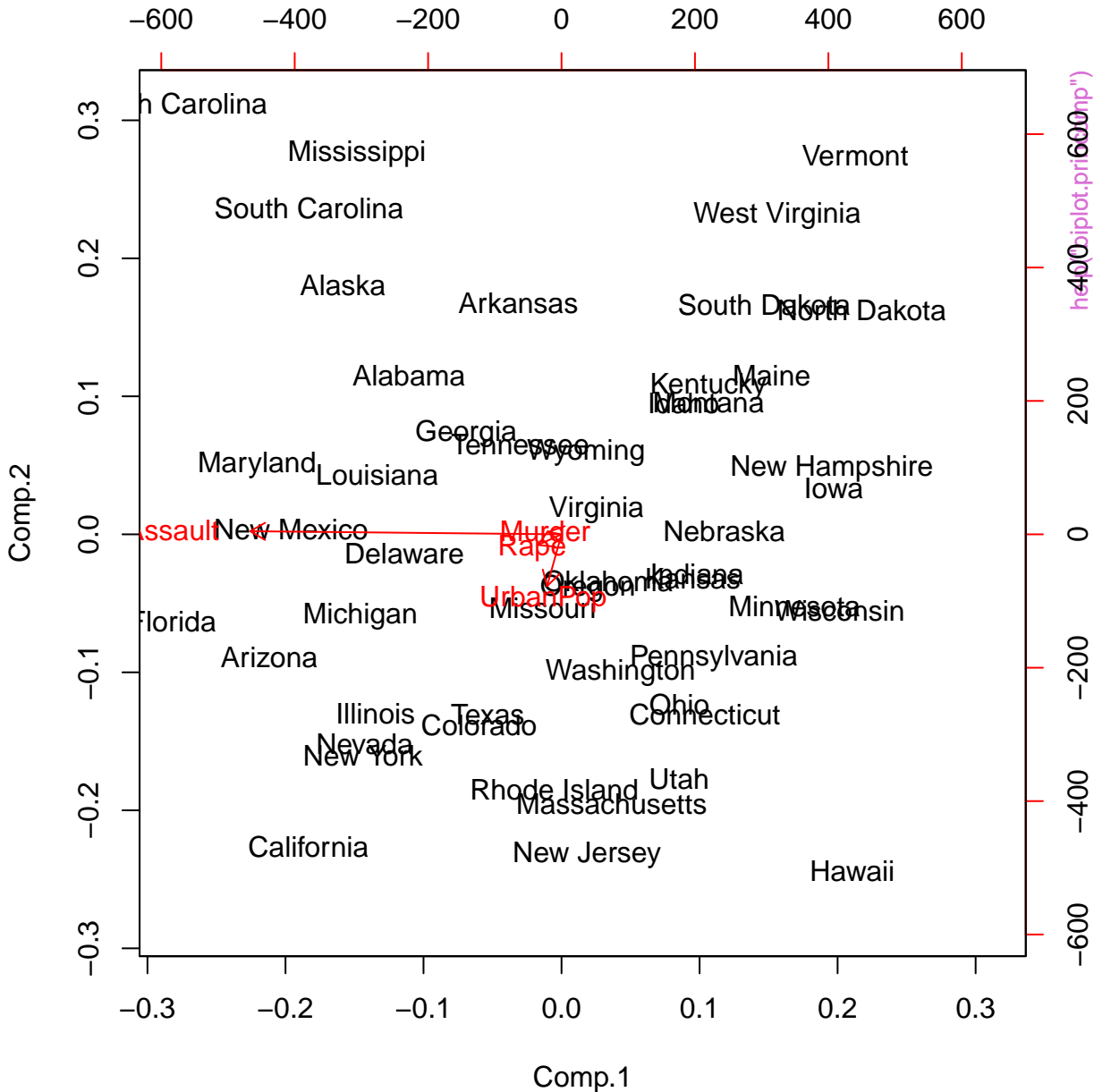
ave(Warpbreaks) for wool x tension combinations



density.default(x = precip, n = 1000)





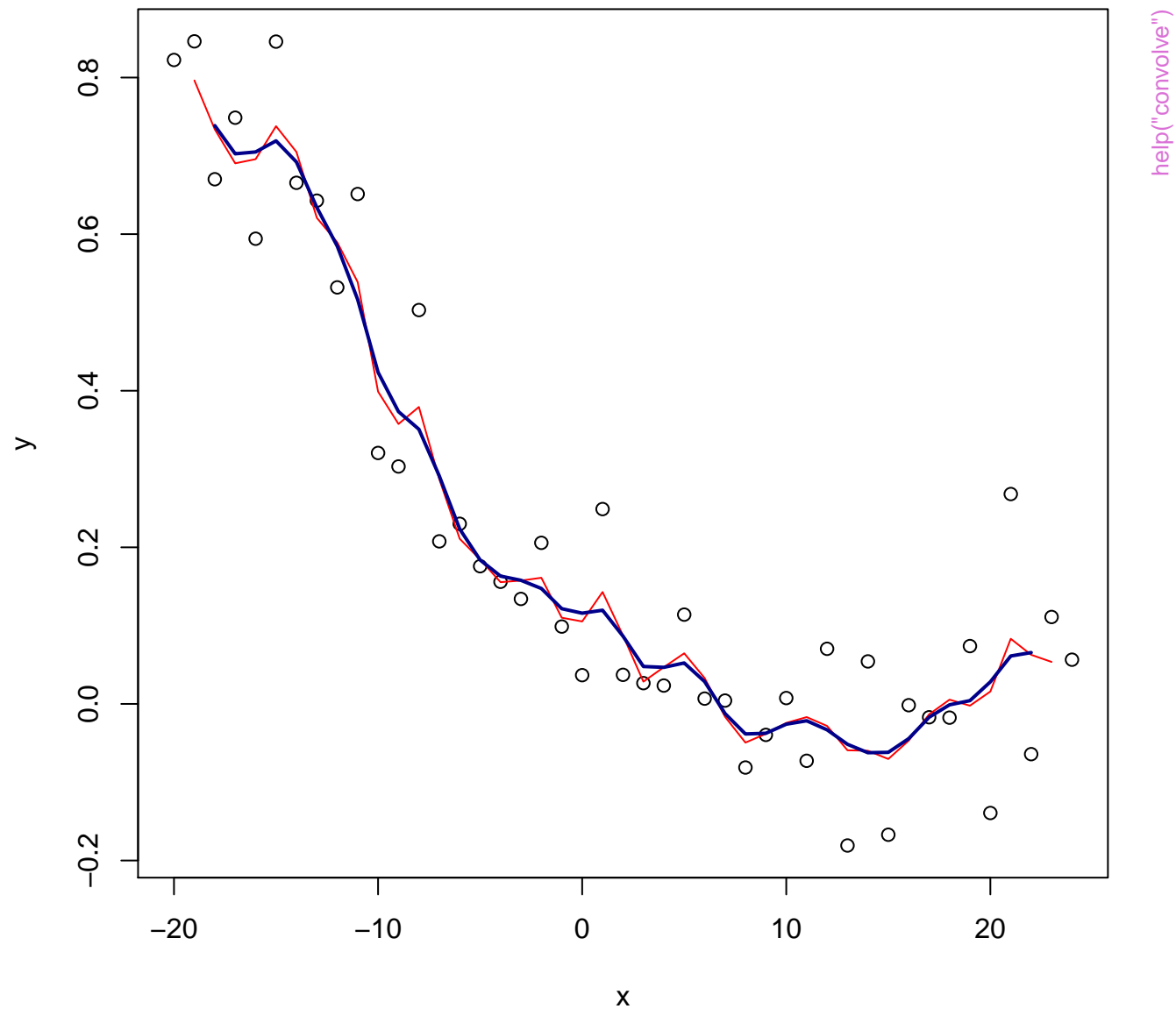


cmdscale(eurodist)

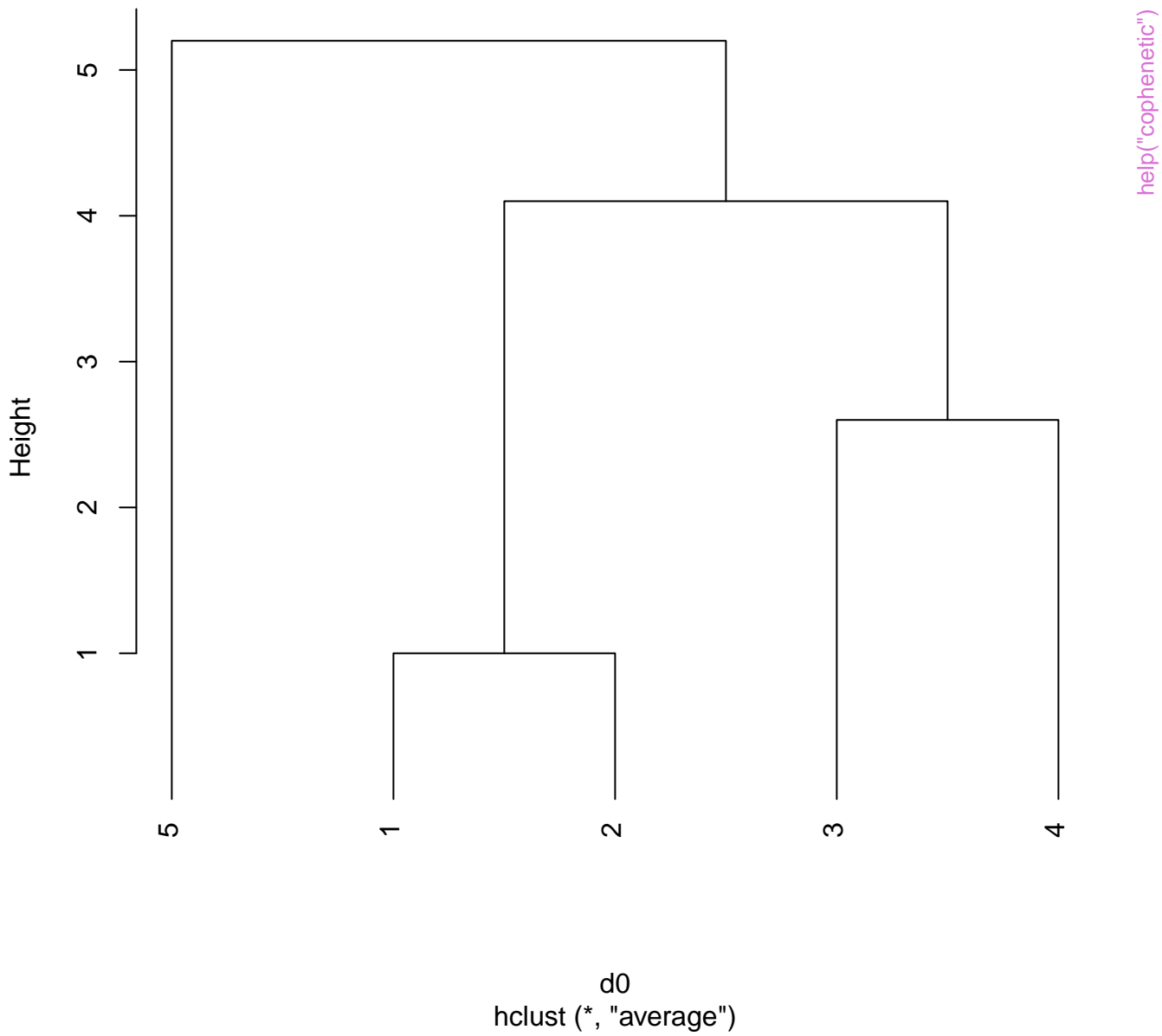


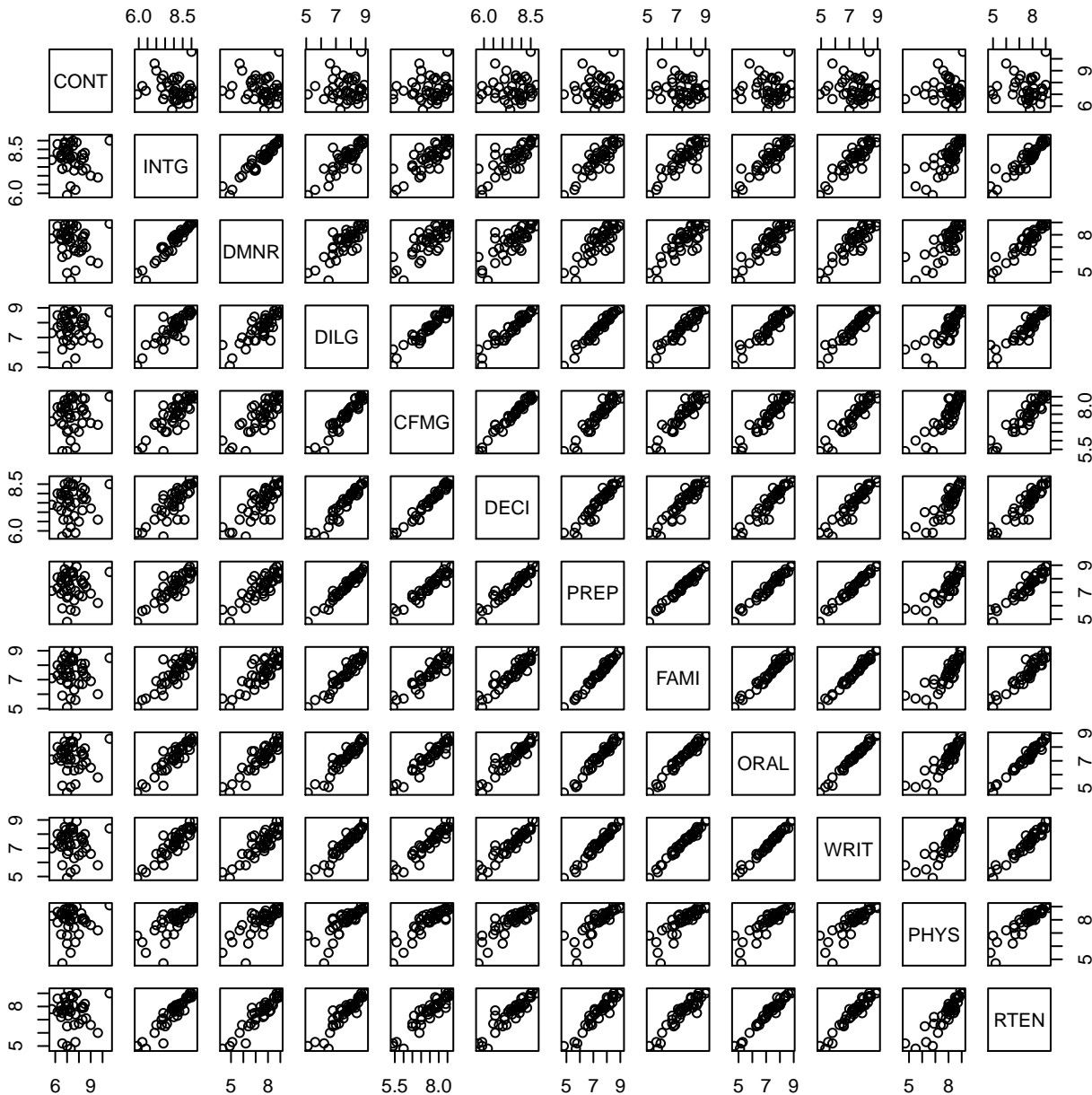
help("cmdscale")

Using `convolve(.)` for Hanning filters



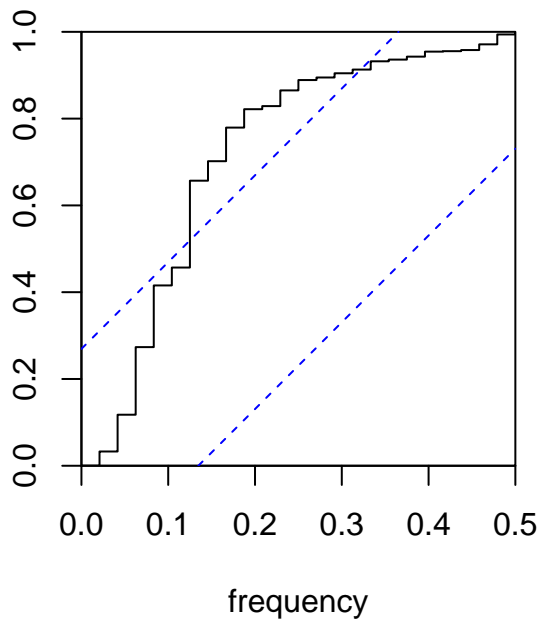
Cluster Dendrogram



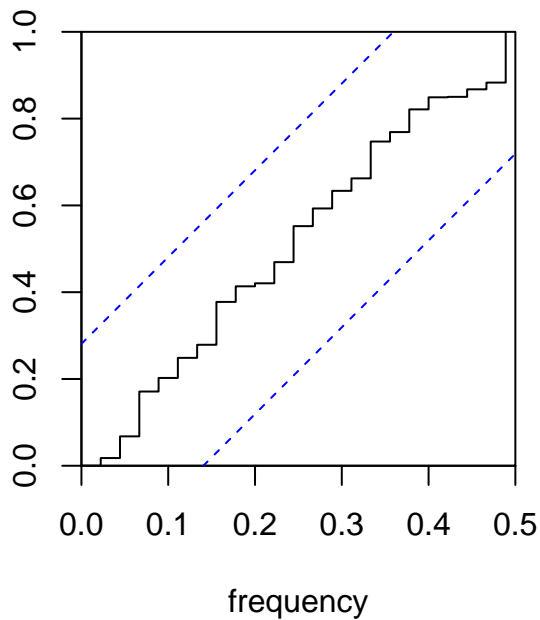


help("cor.test")

Series: lh

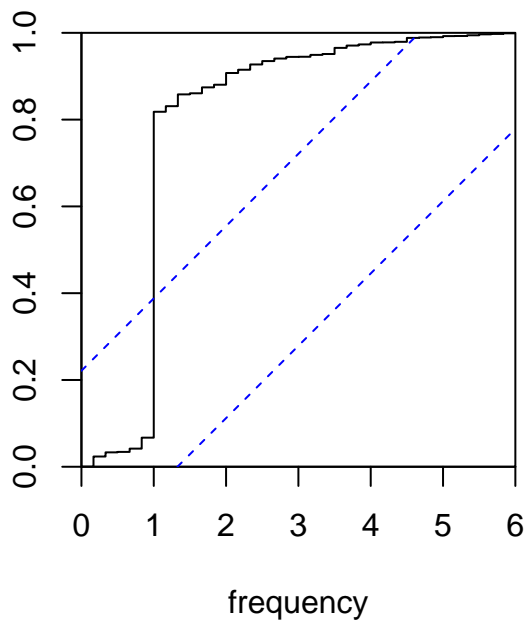


AR(3) fit to lh

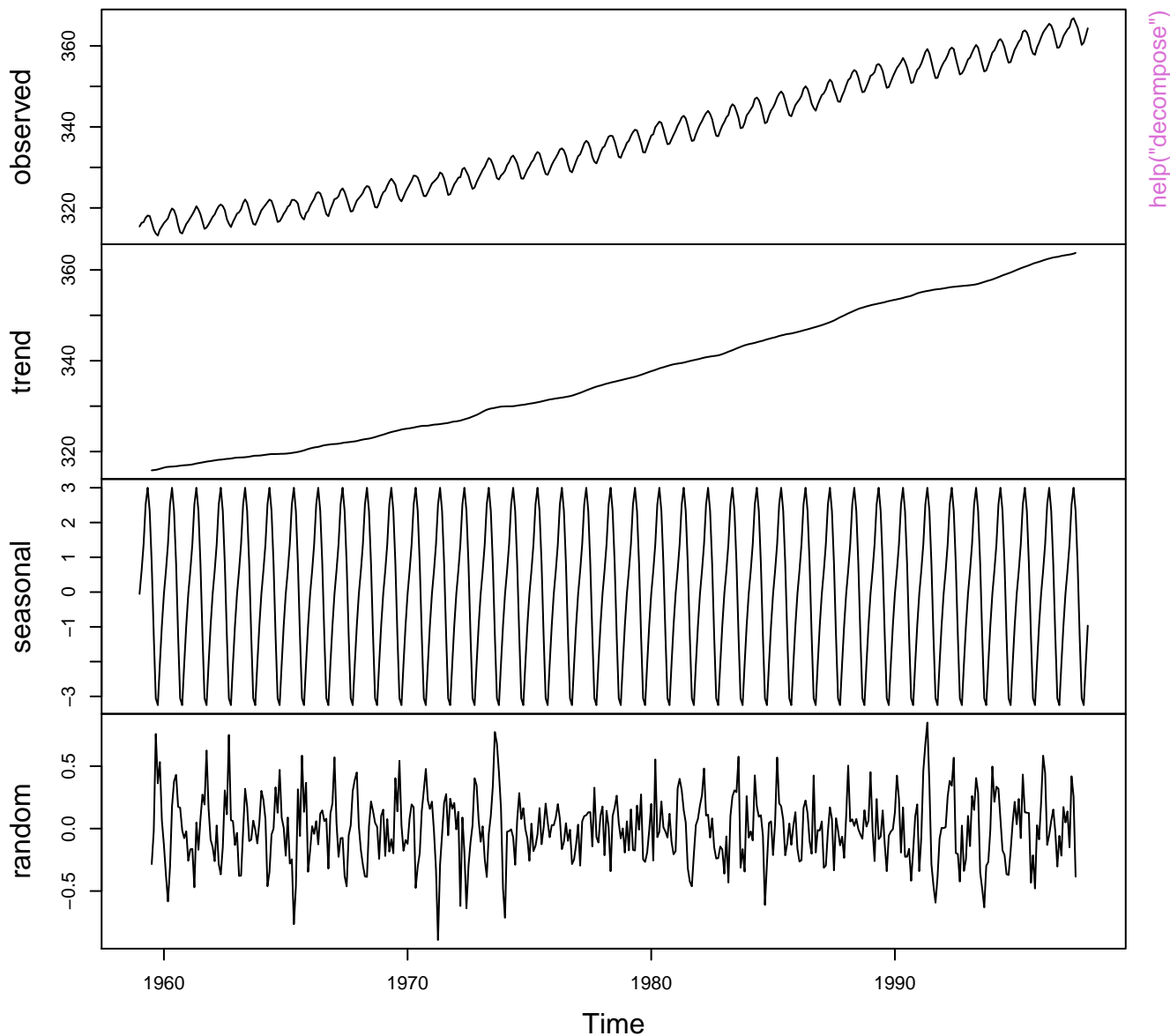


help("cpgram")

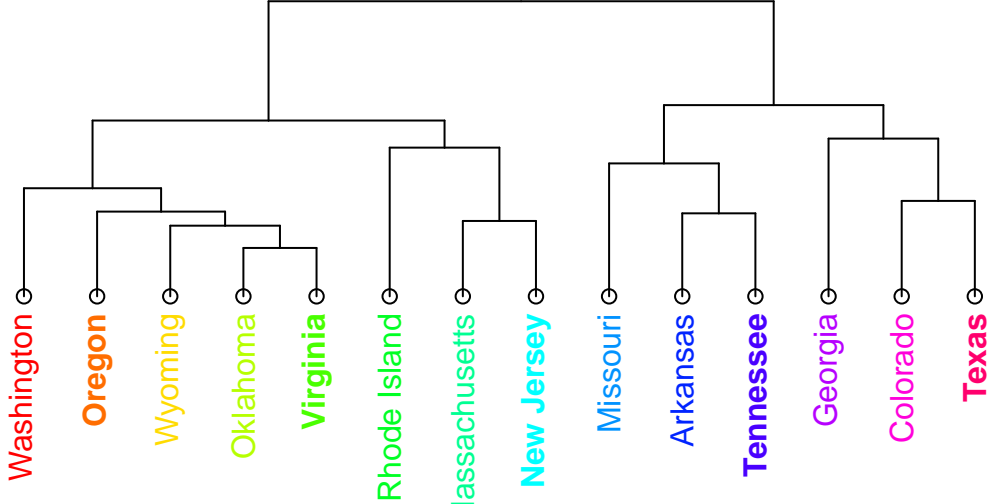
Series: Ideaths



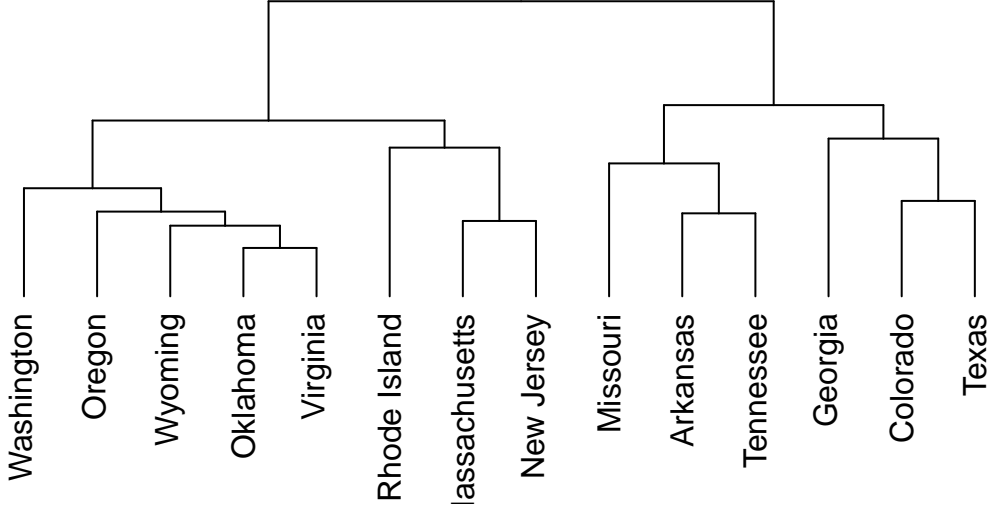
Decomposition of additive time series

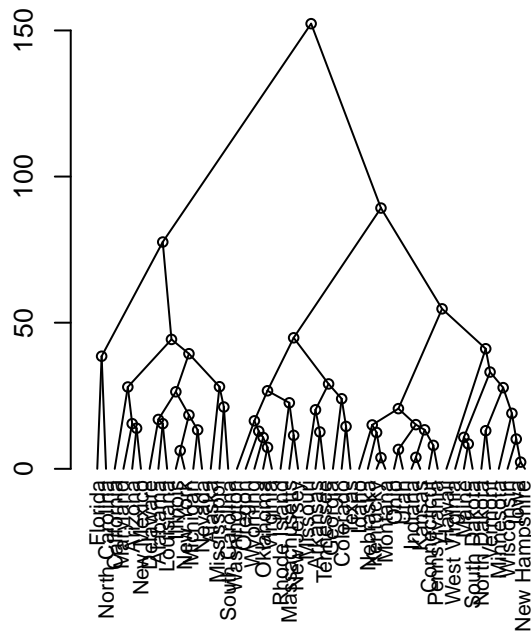
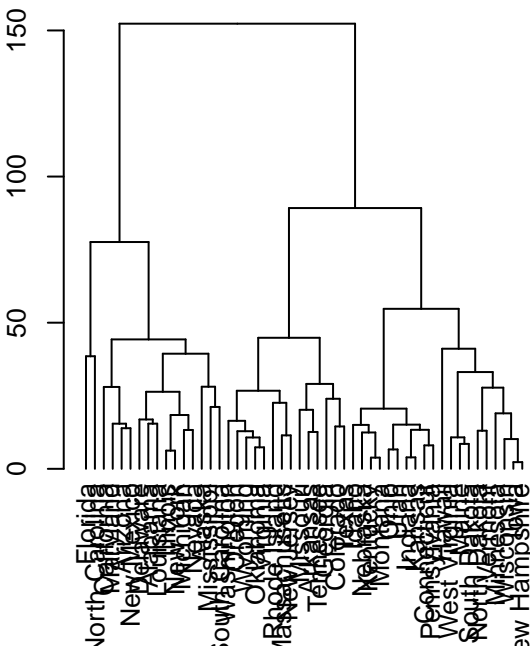


0 10 20 30 40

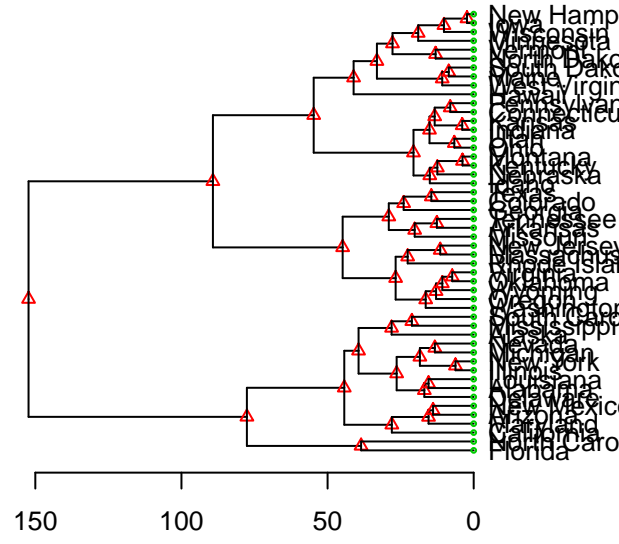
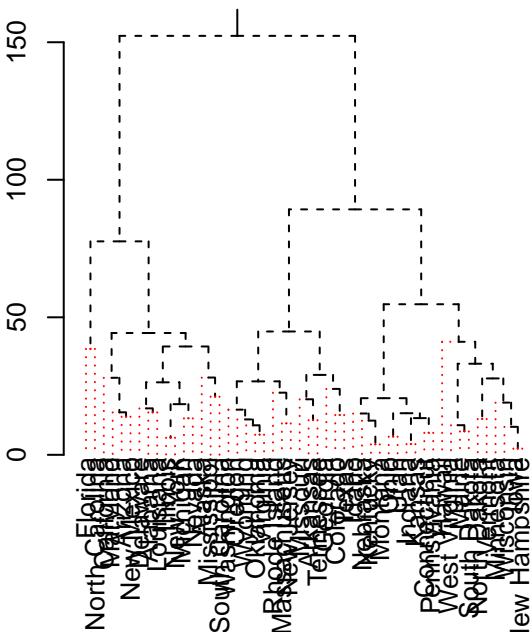


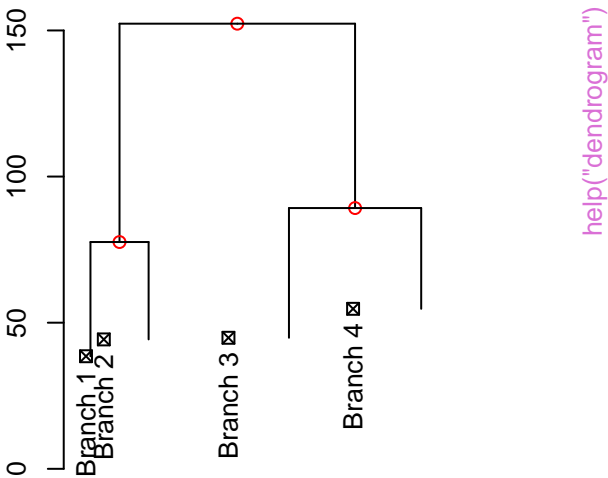
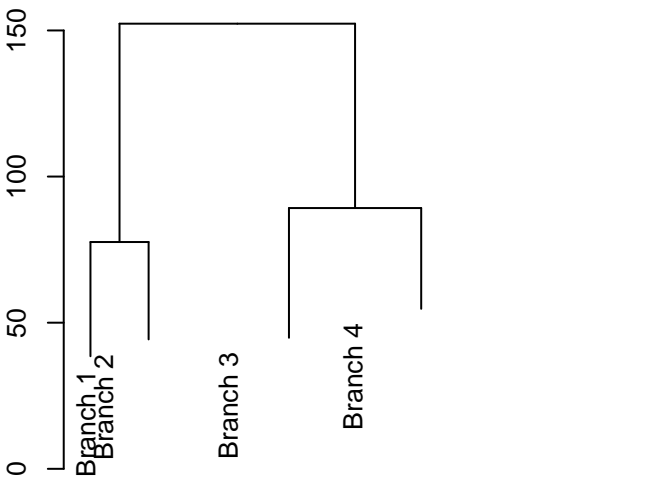
0 10 20 30 40



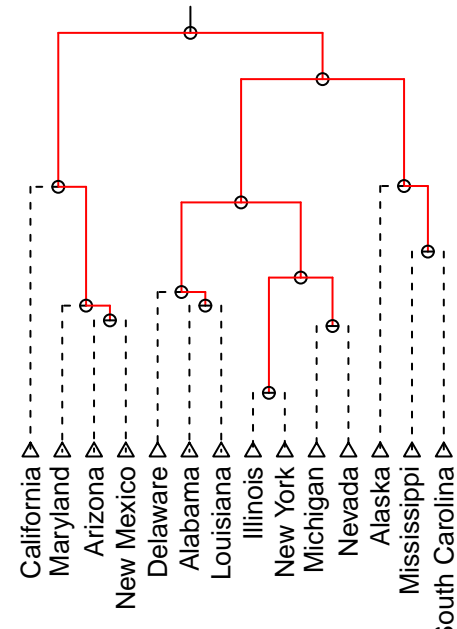
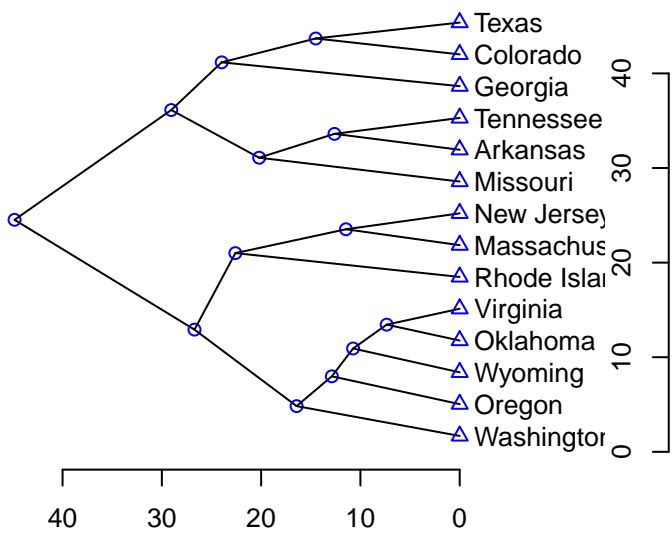


help("dendrogram")

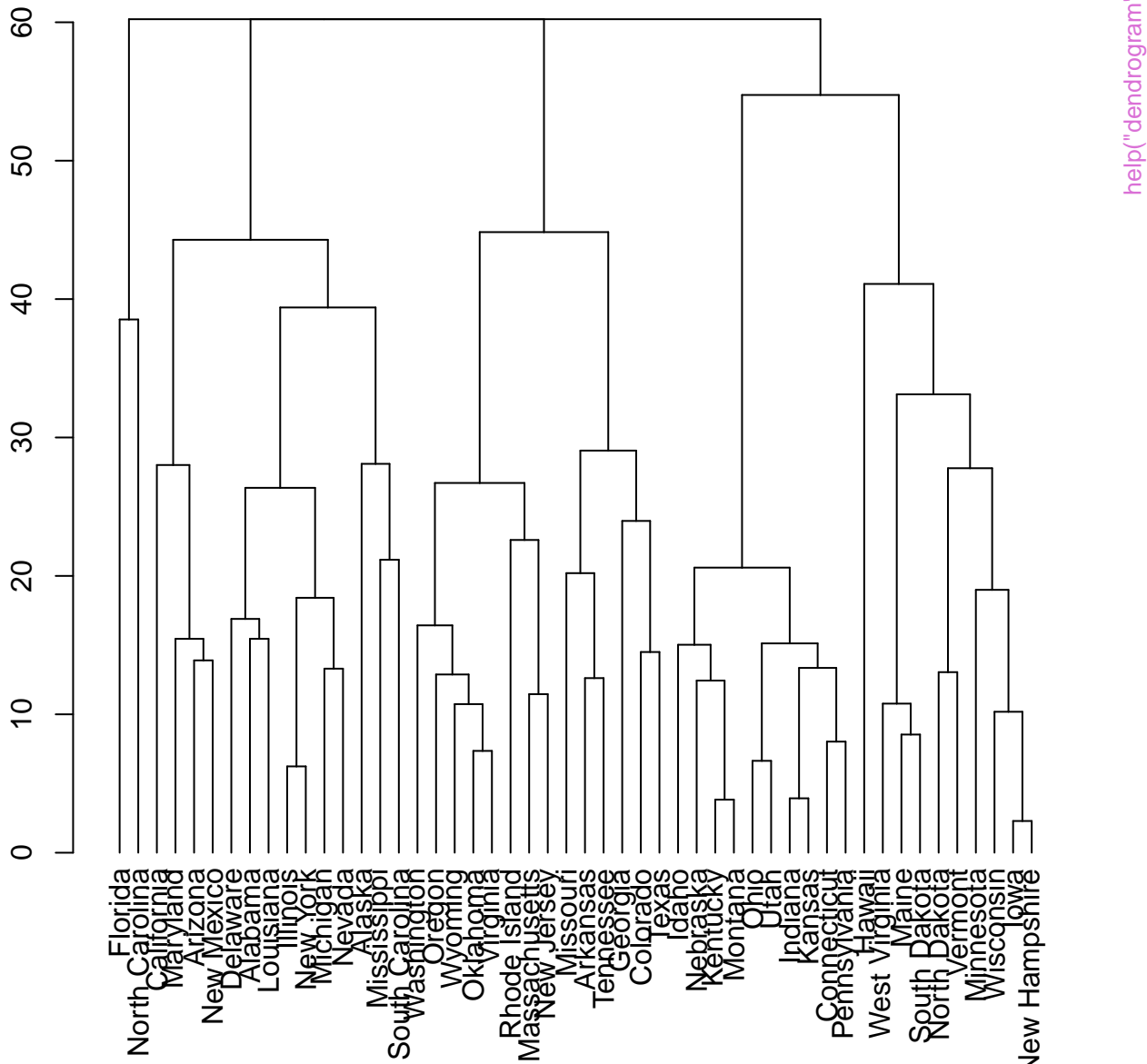


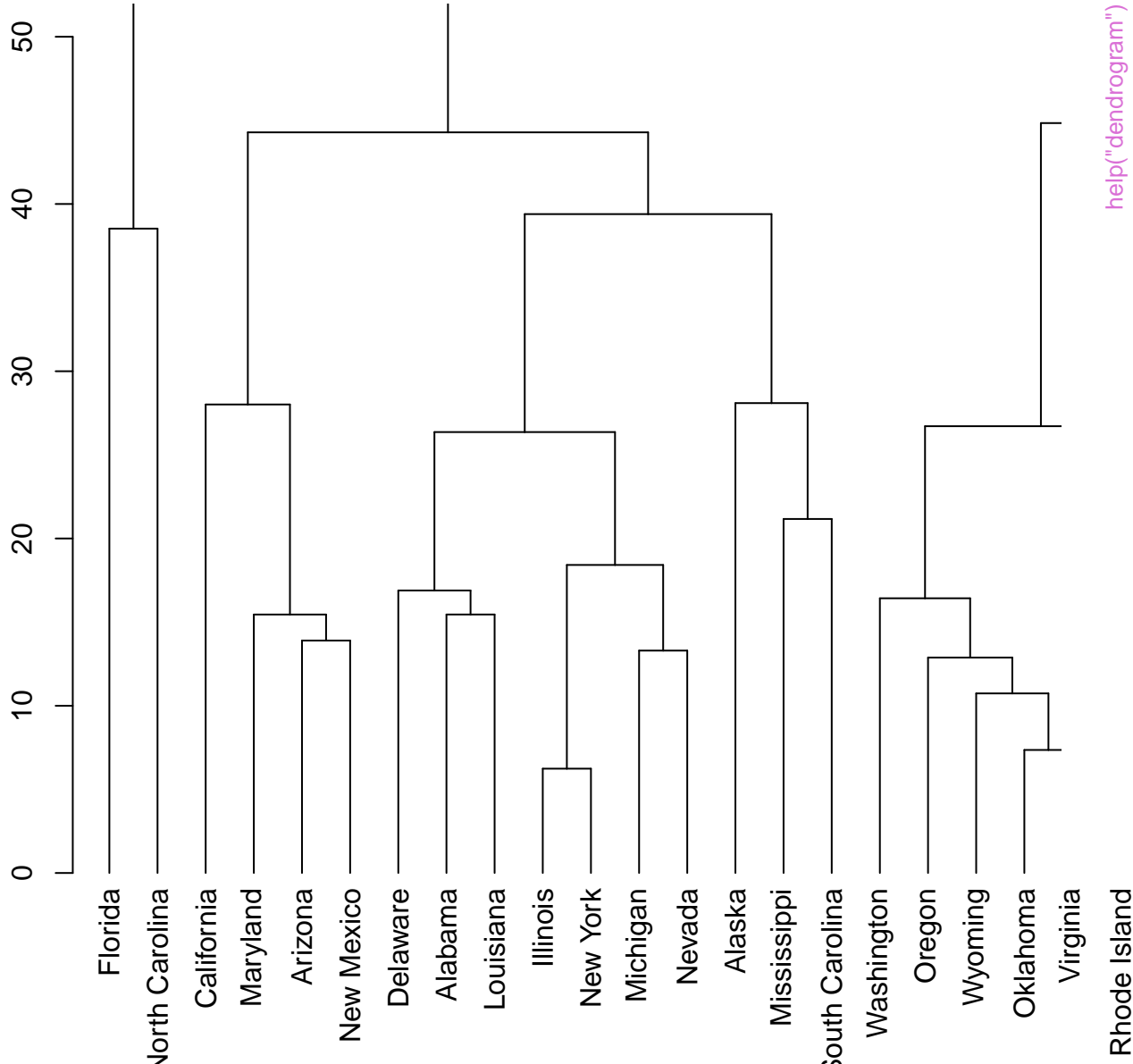


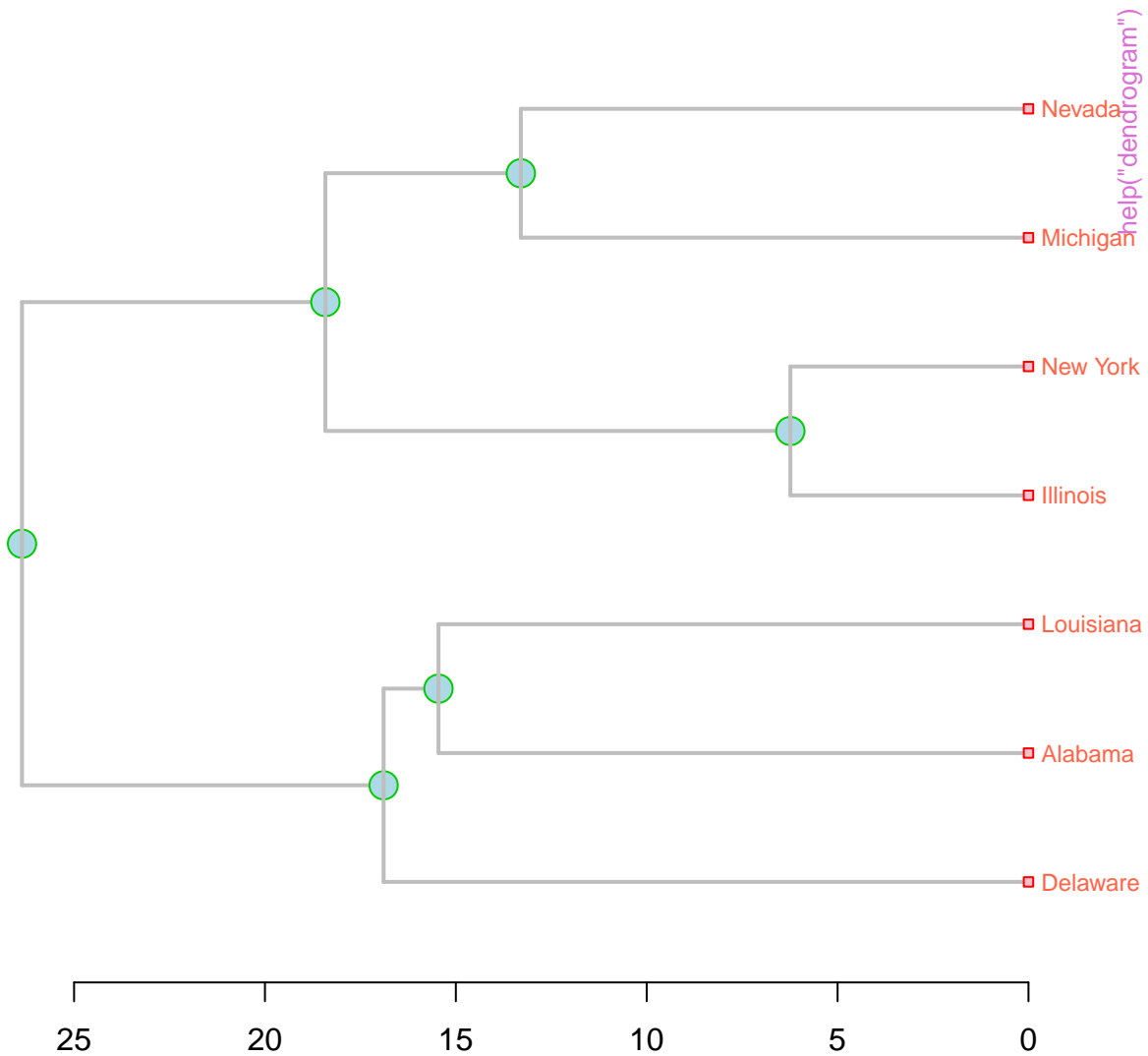
help("dendrogram")

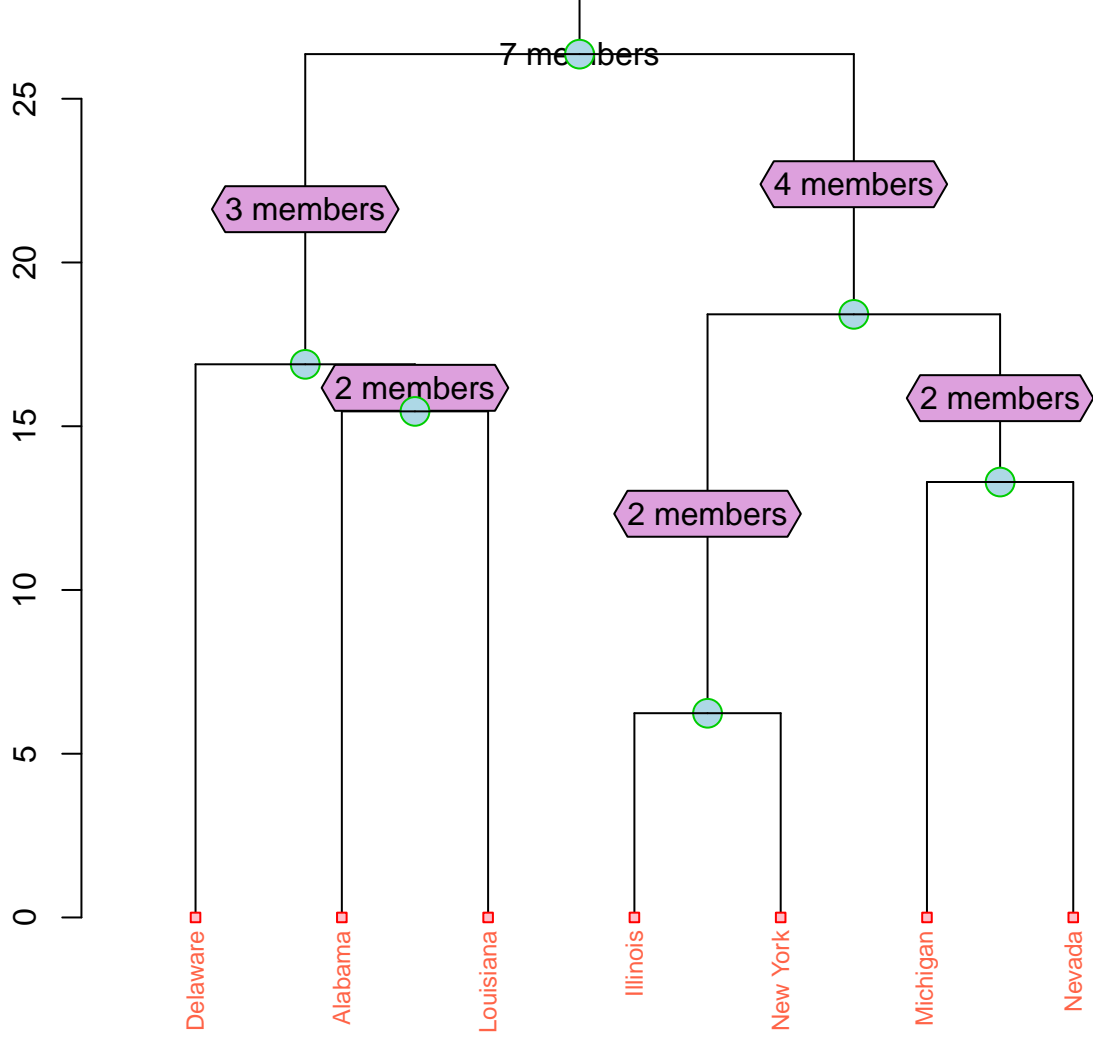


merge(d1, d2, d3, d4) |-> dendrogram with a 4-split

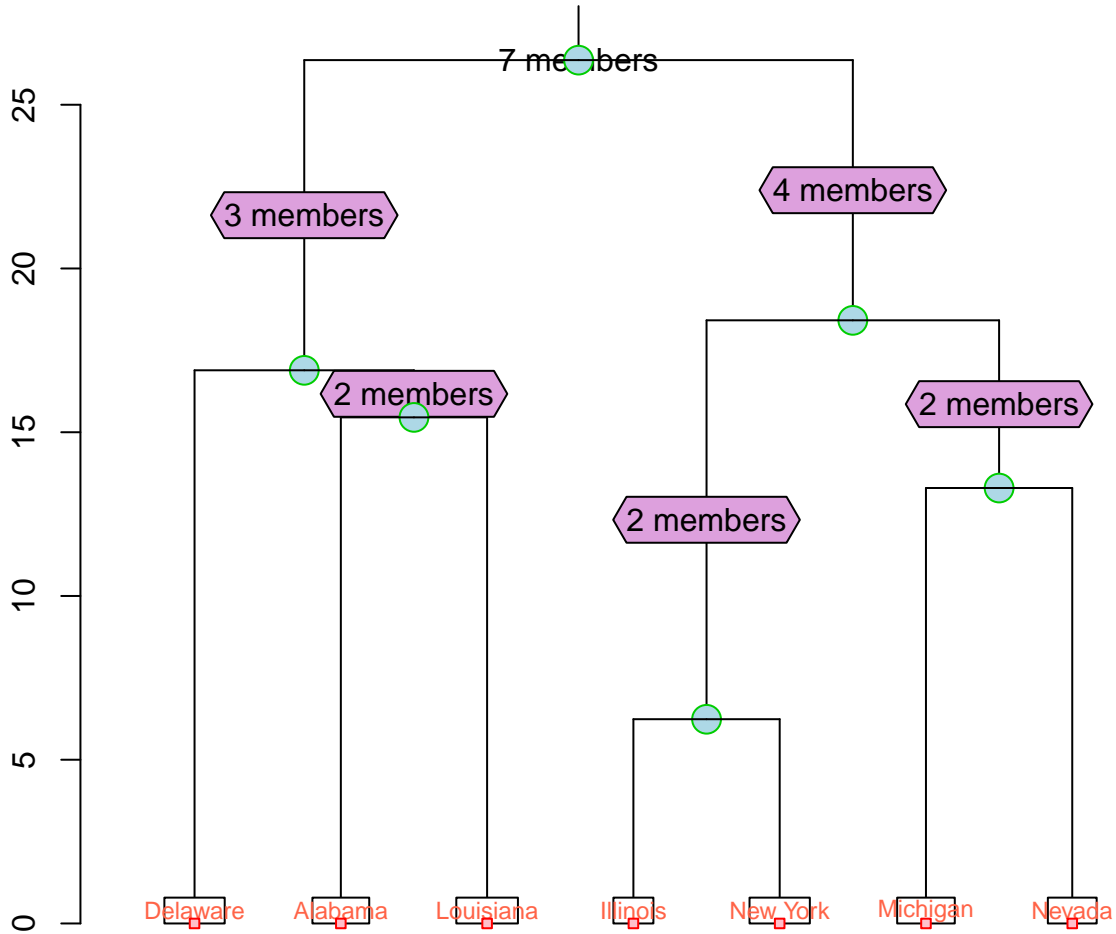






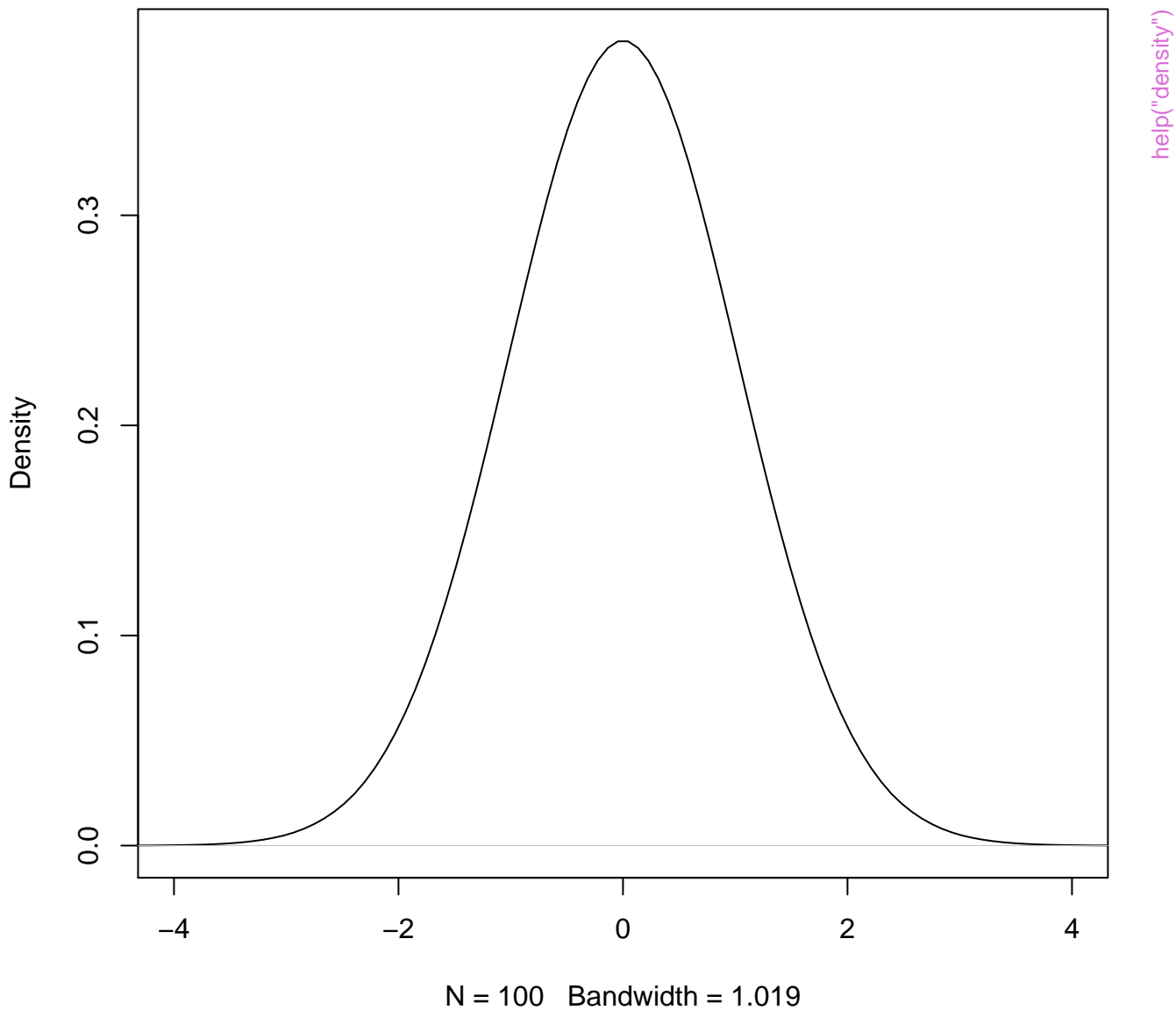


help("dendrogram")

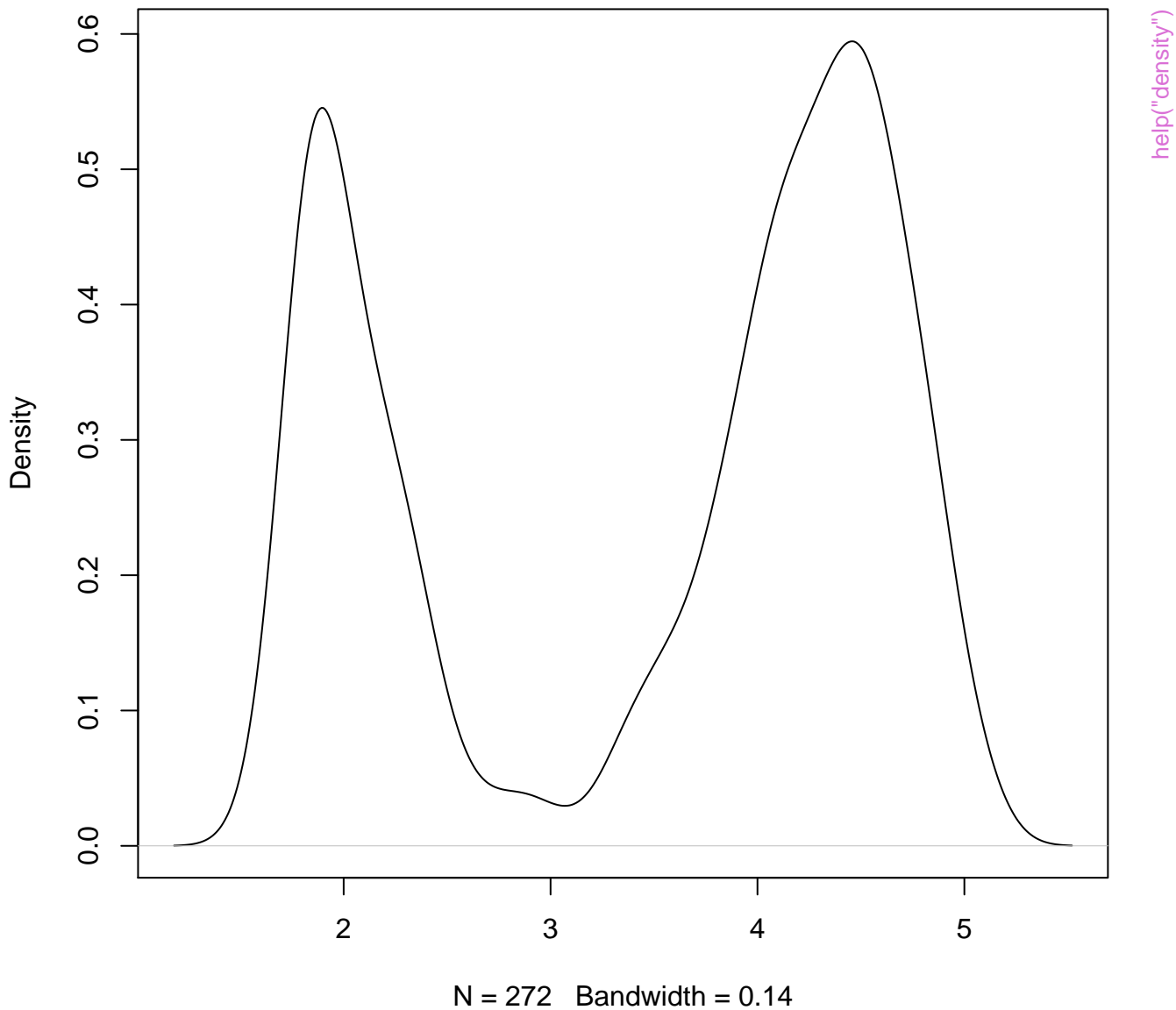


help("dendrogram")

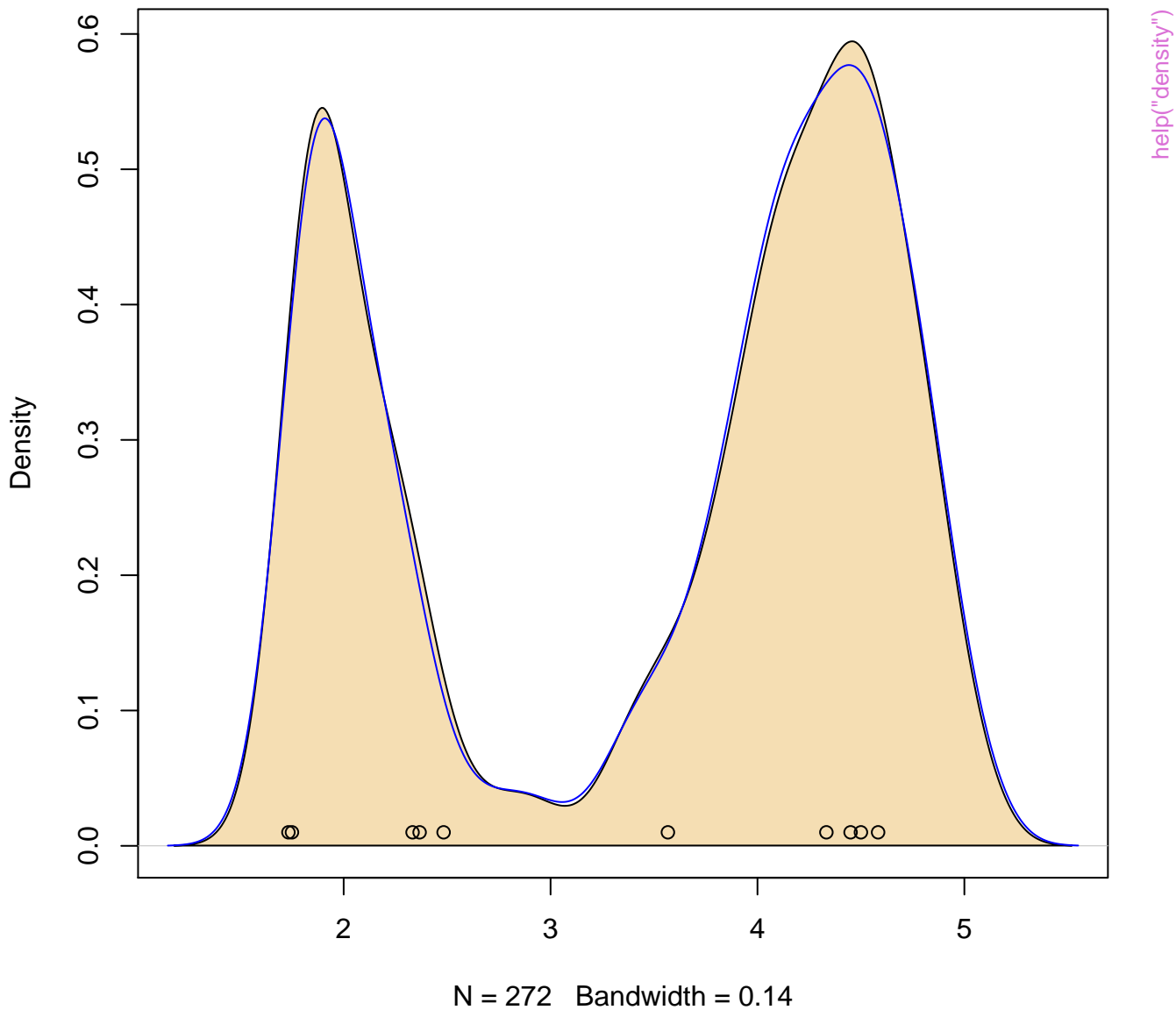
density.default(x = c(-20, rep(0, 98), 20))



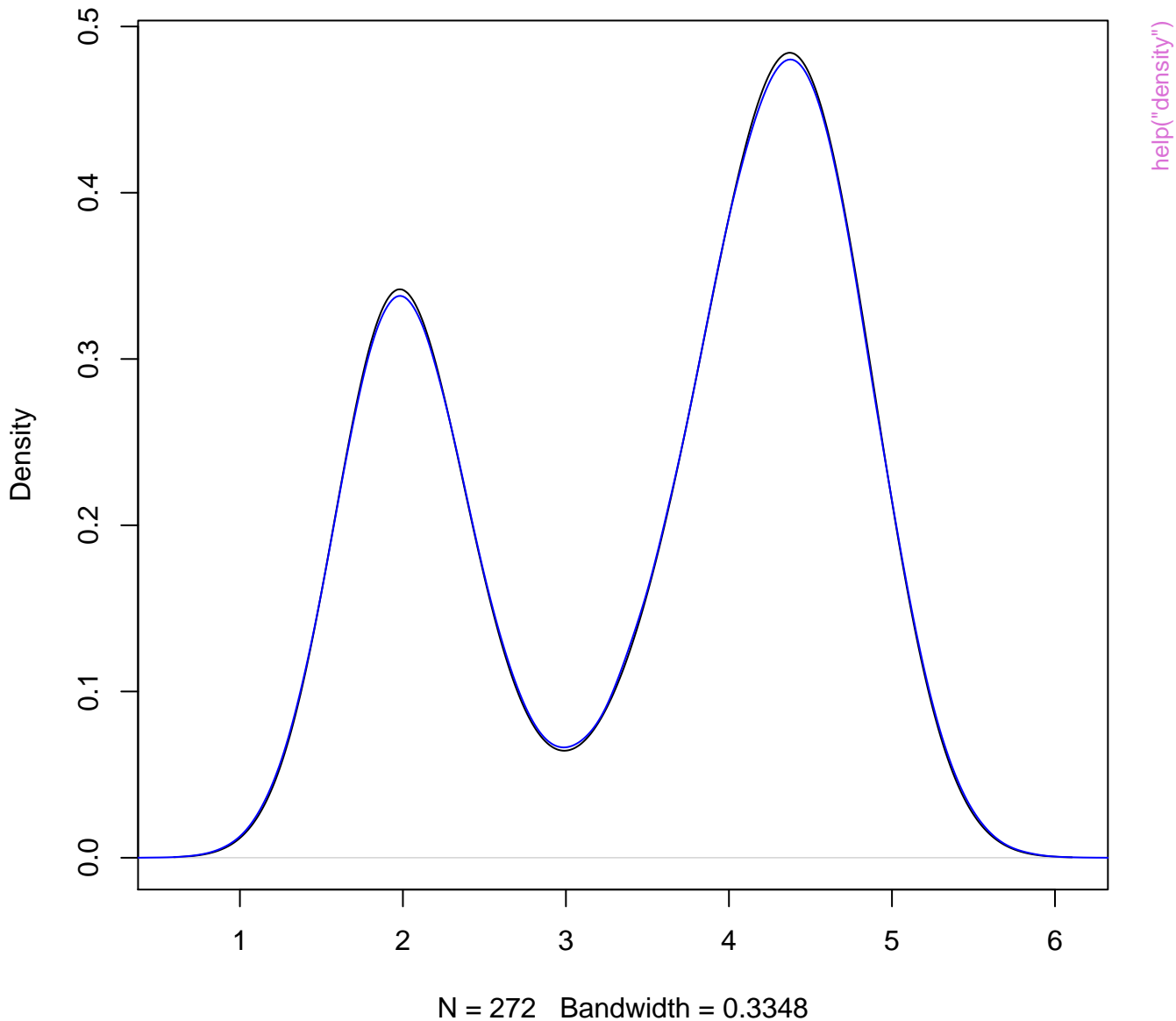
density.default(x = faithful\$eruptions, bw = "sj")



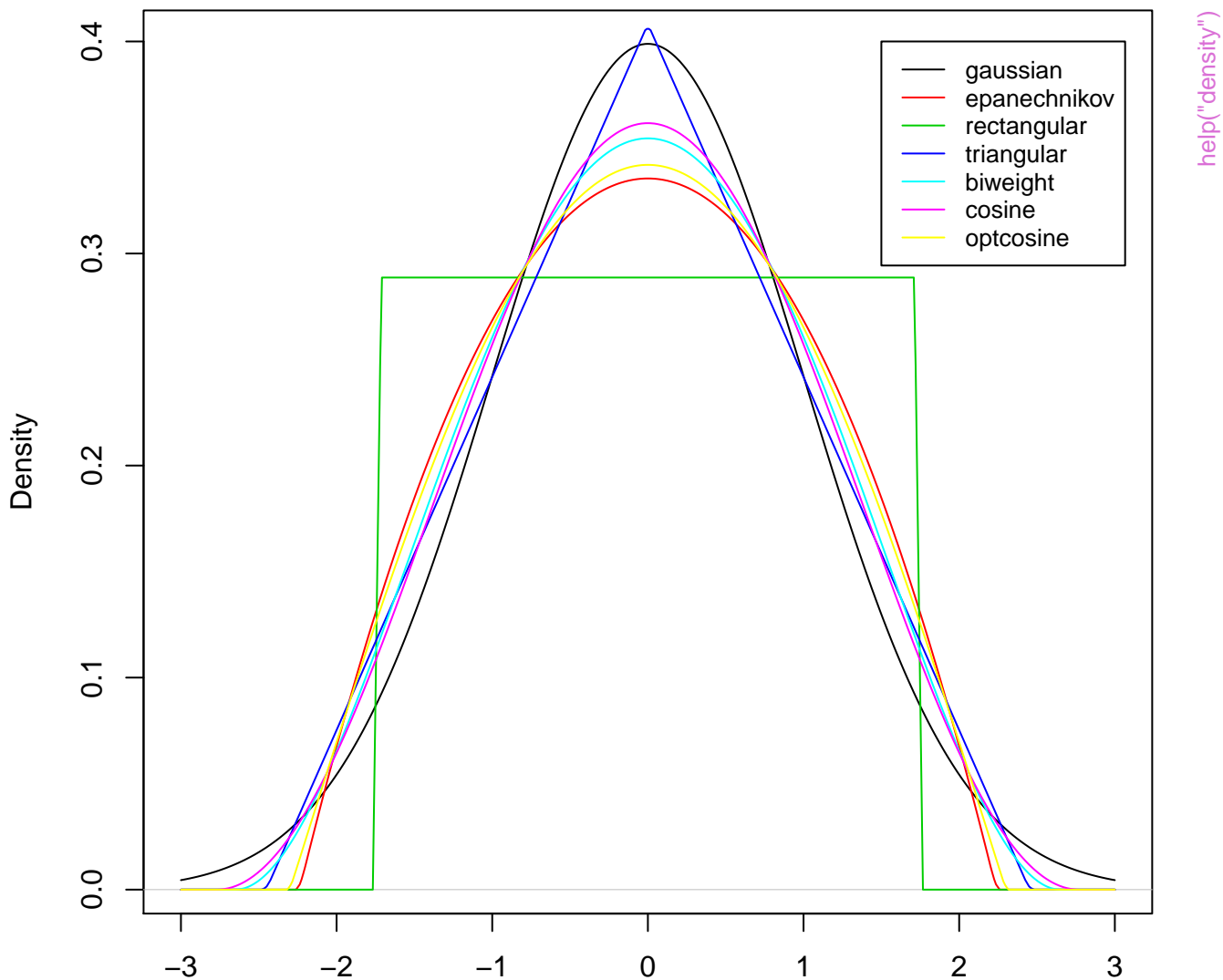
density.default(x = faithful\$eruptions, bw = "sj")



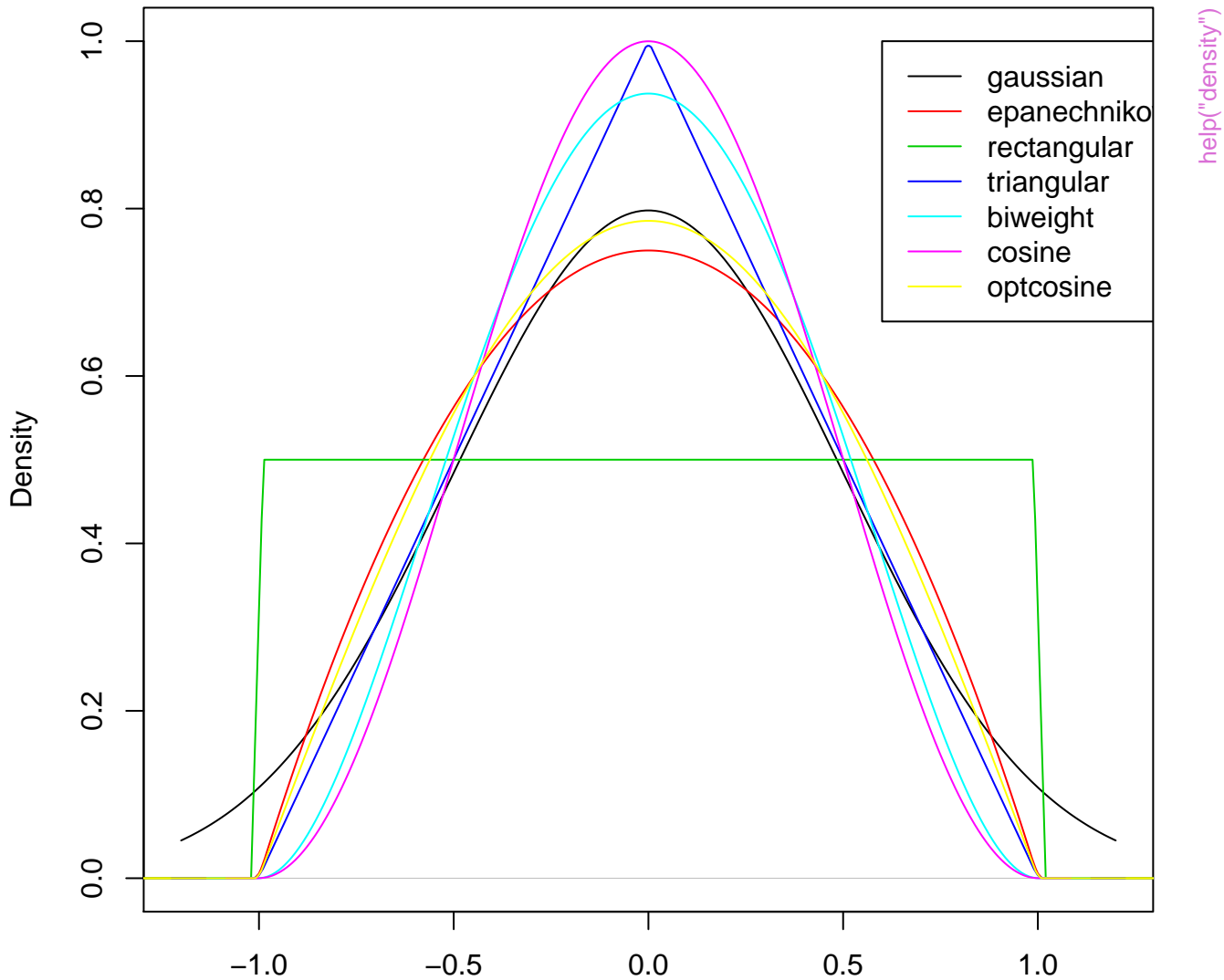
density.default(x = xx)



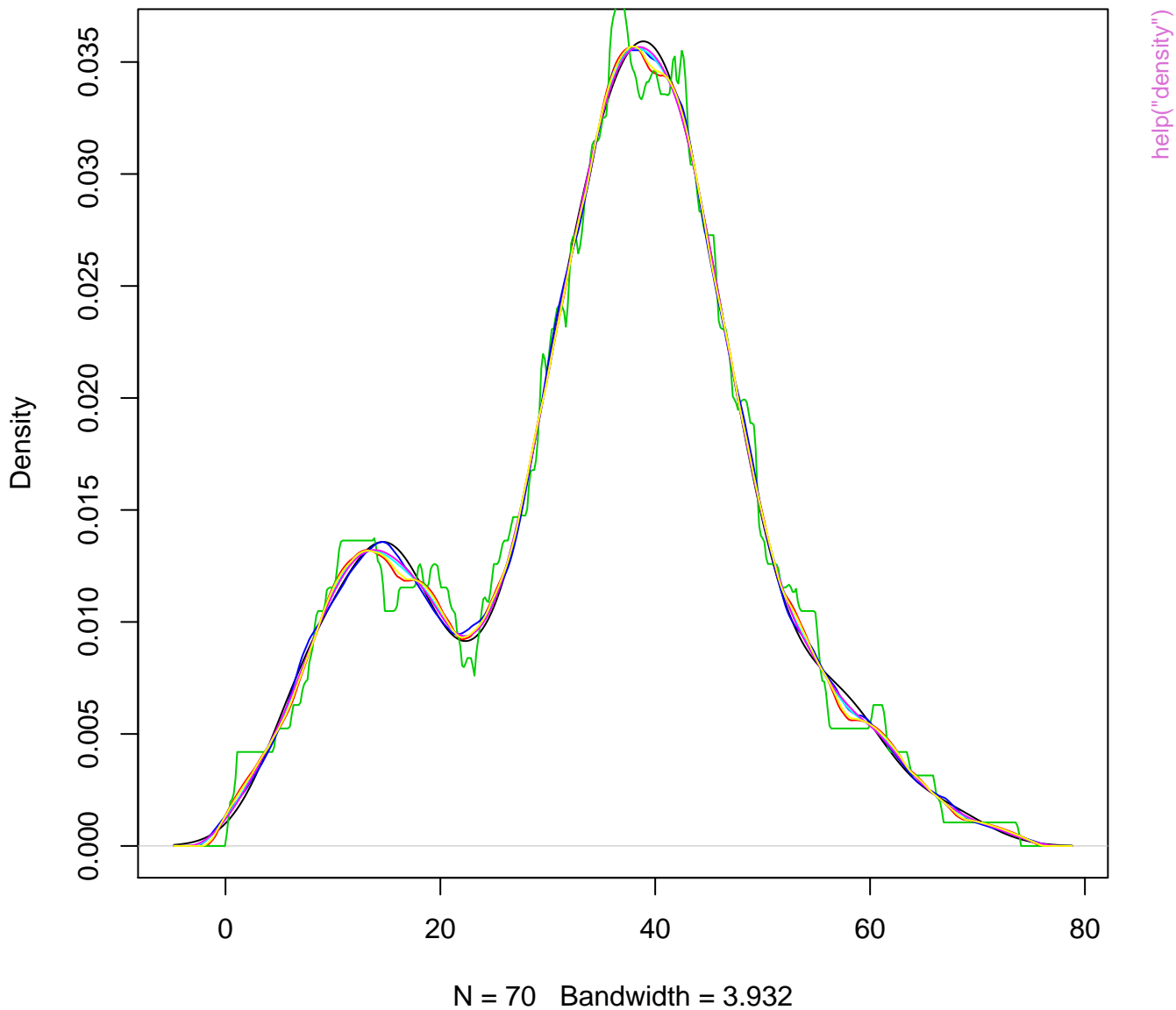
R's density() kernels with bw = 1



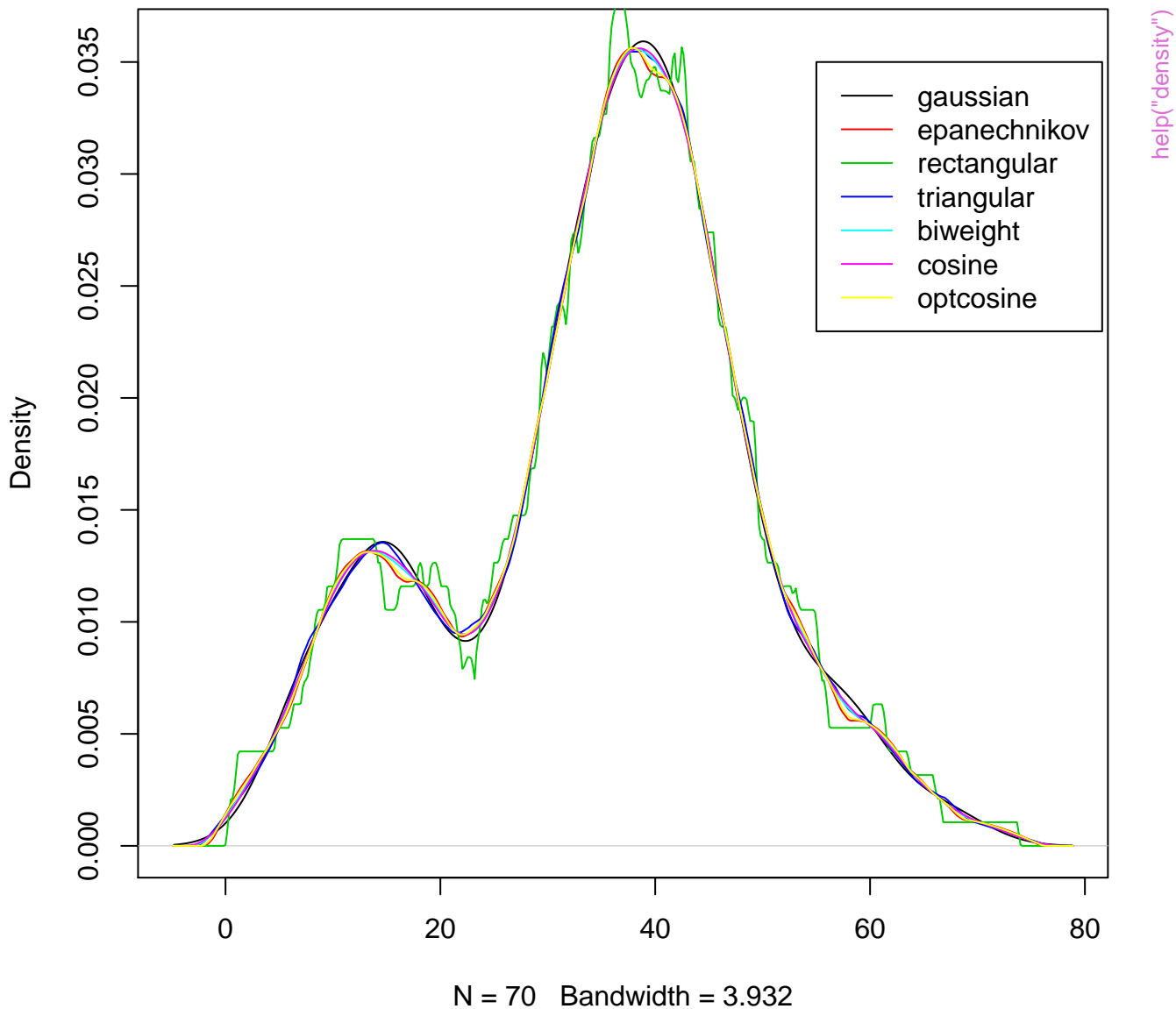
R's density() kernels with width = 1



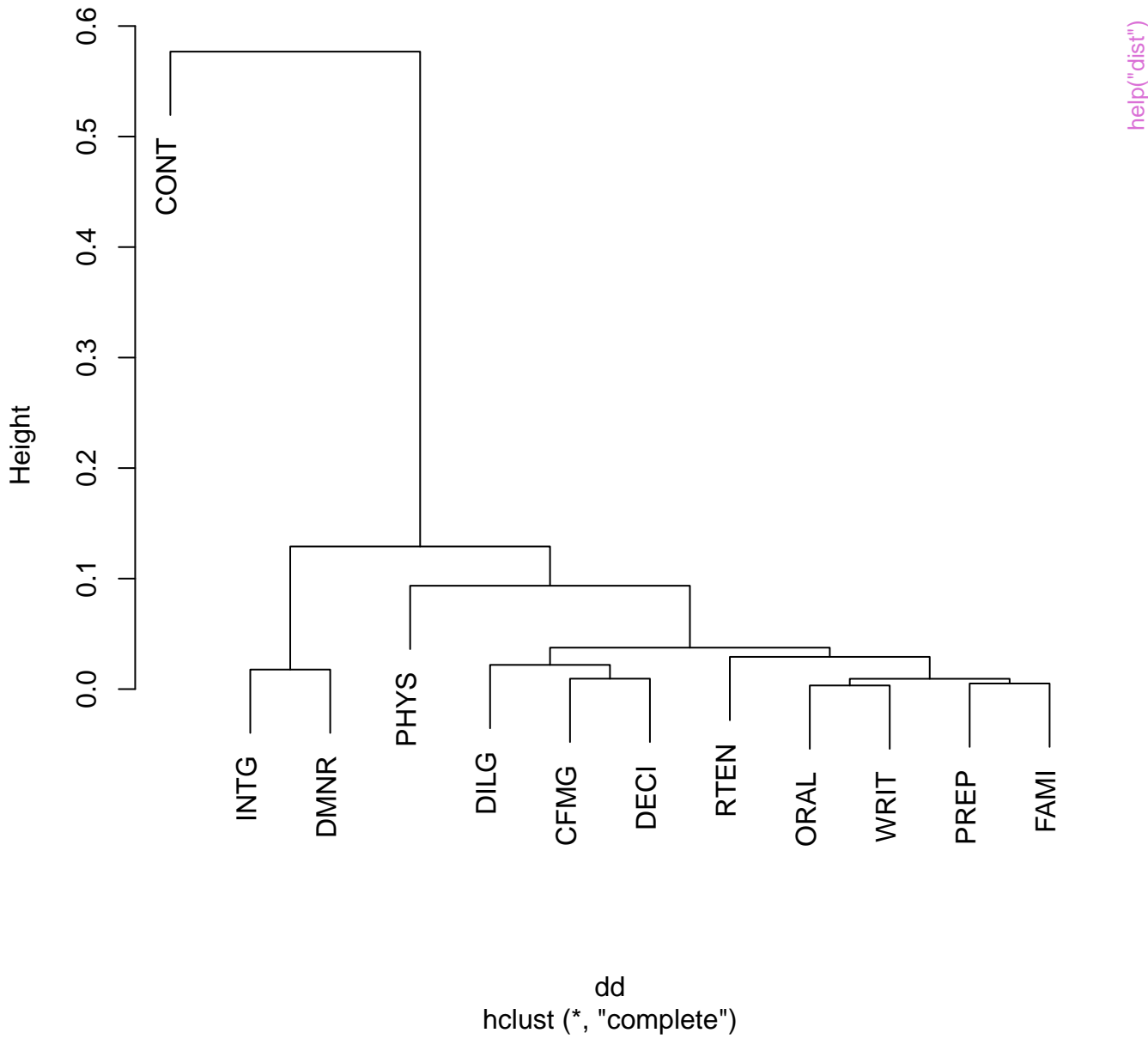
same sd bandwidths, 7 different kernels



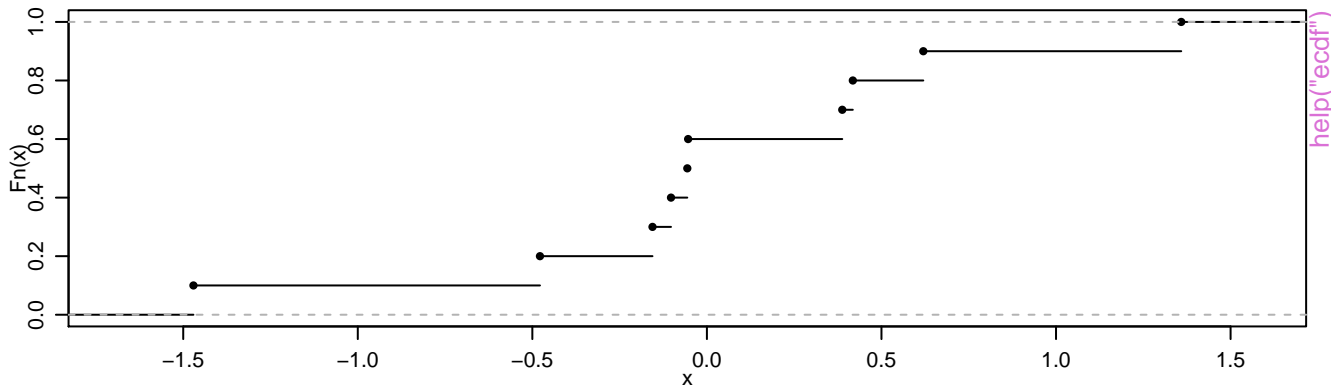
equivalent bandwidths, 7 different kernels



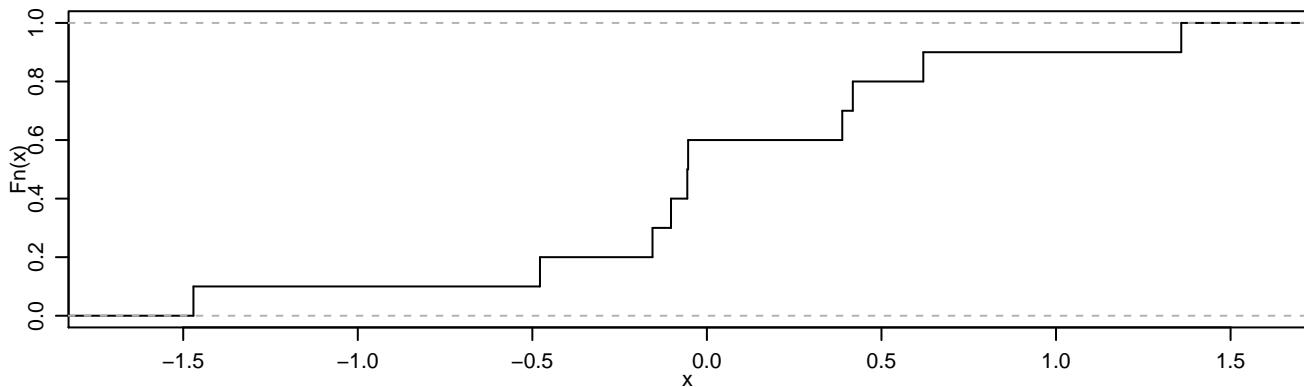
Cluster Dendrogram



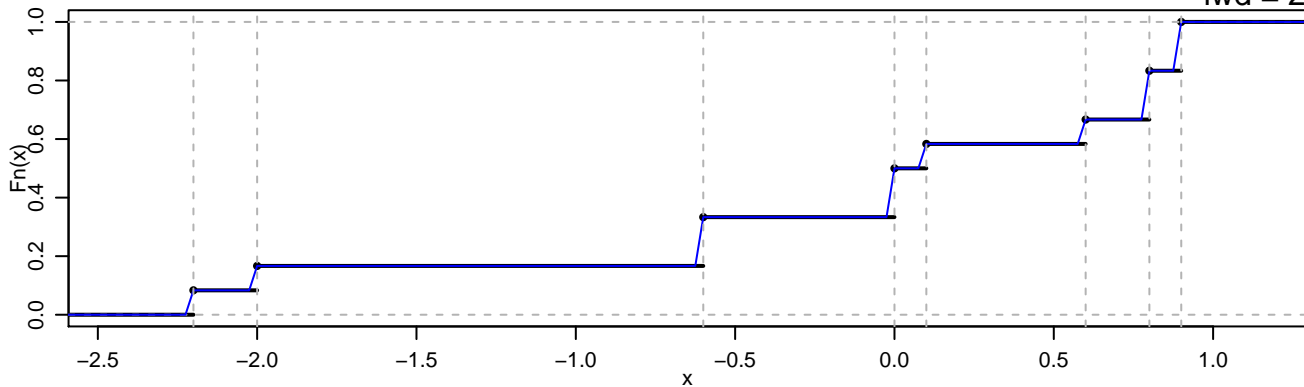
ecdf(rnorm(10))

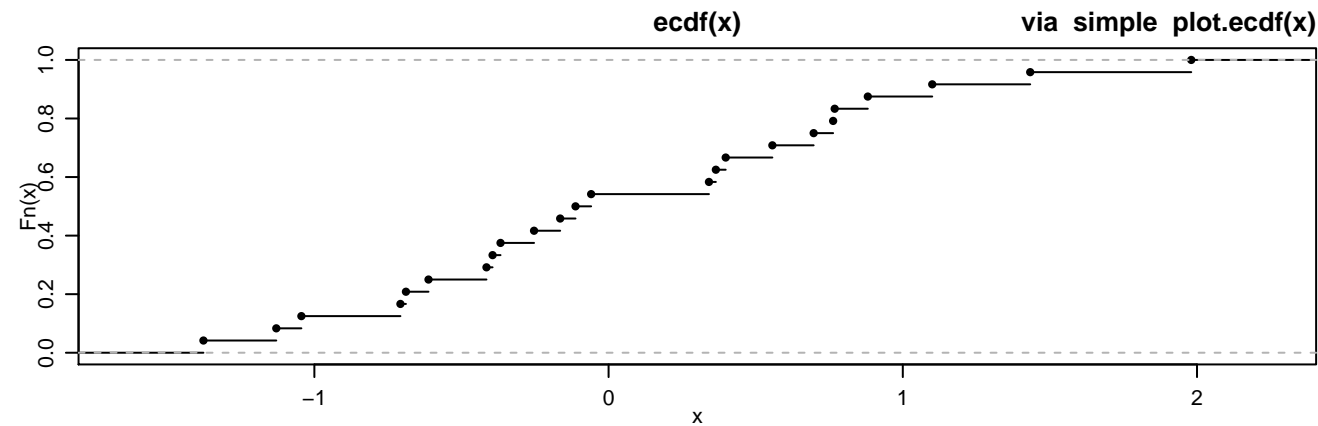
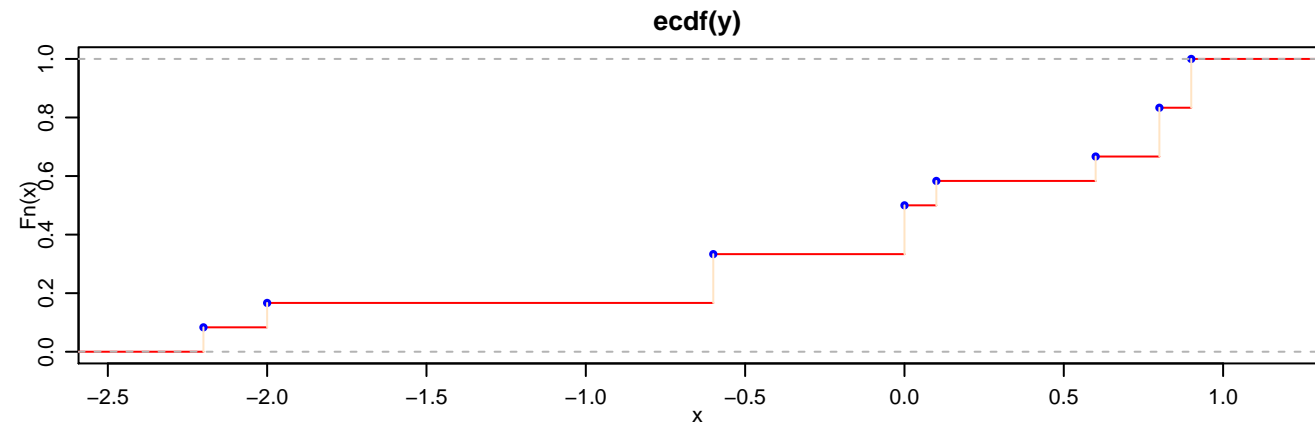
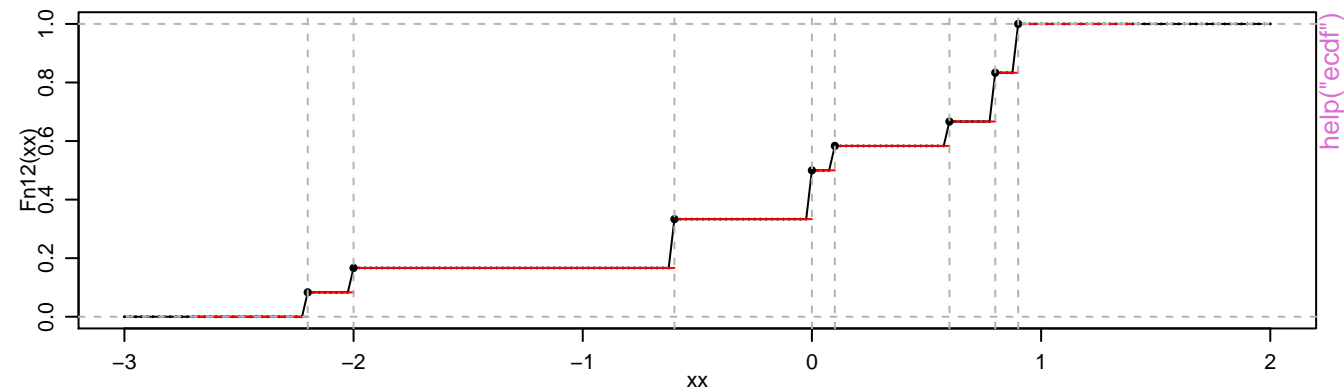


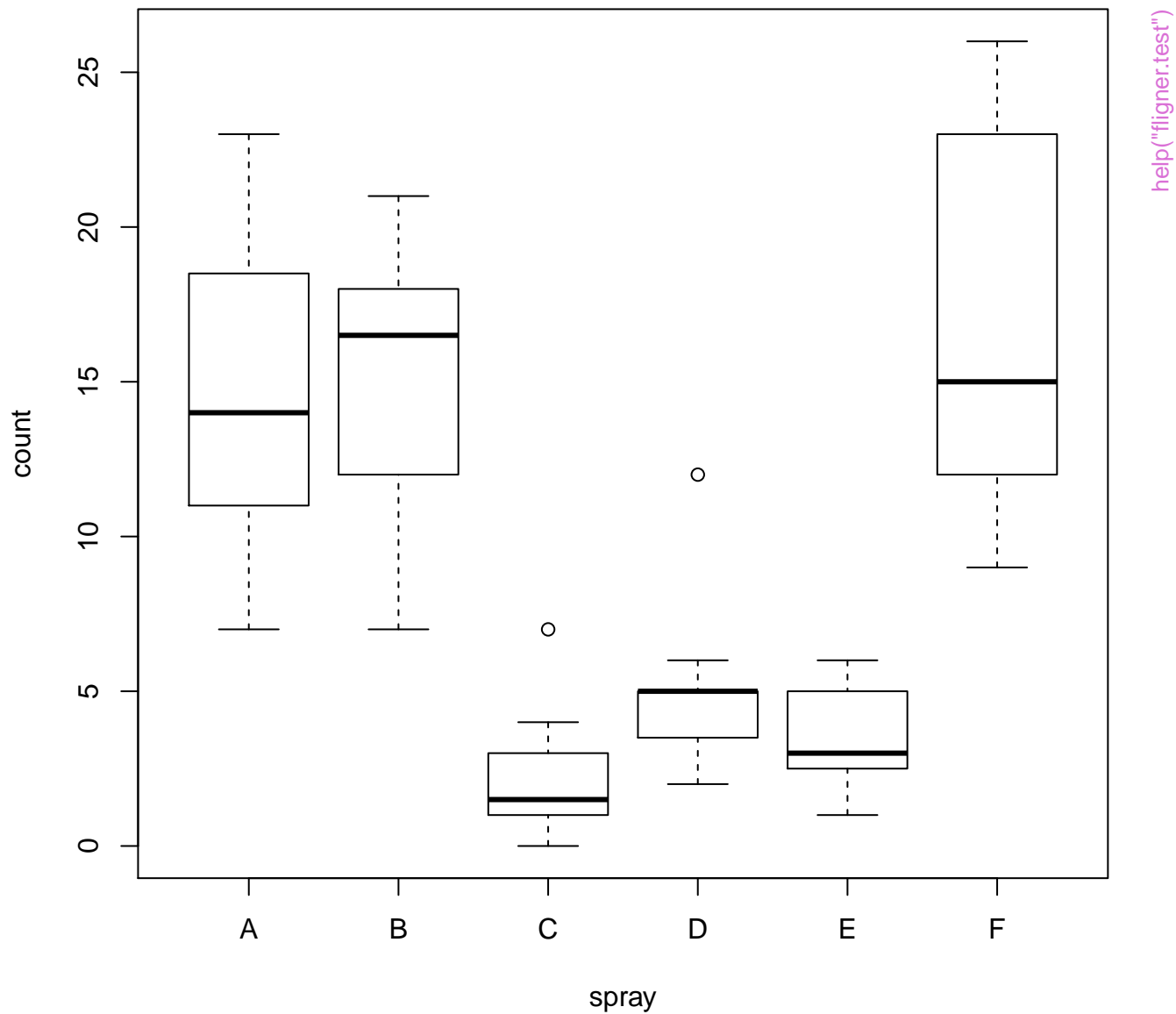
ecdf(rnorm(10))



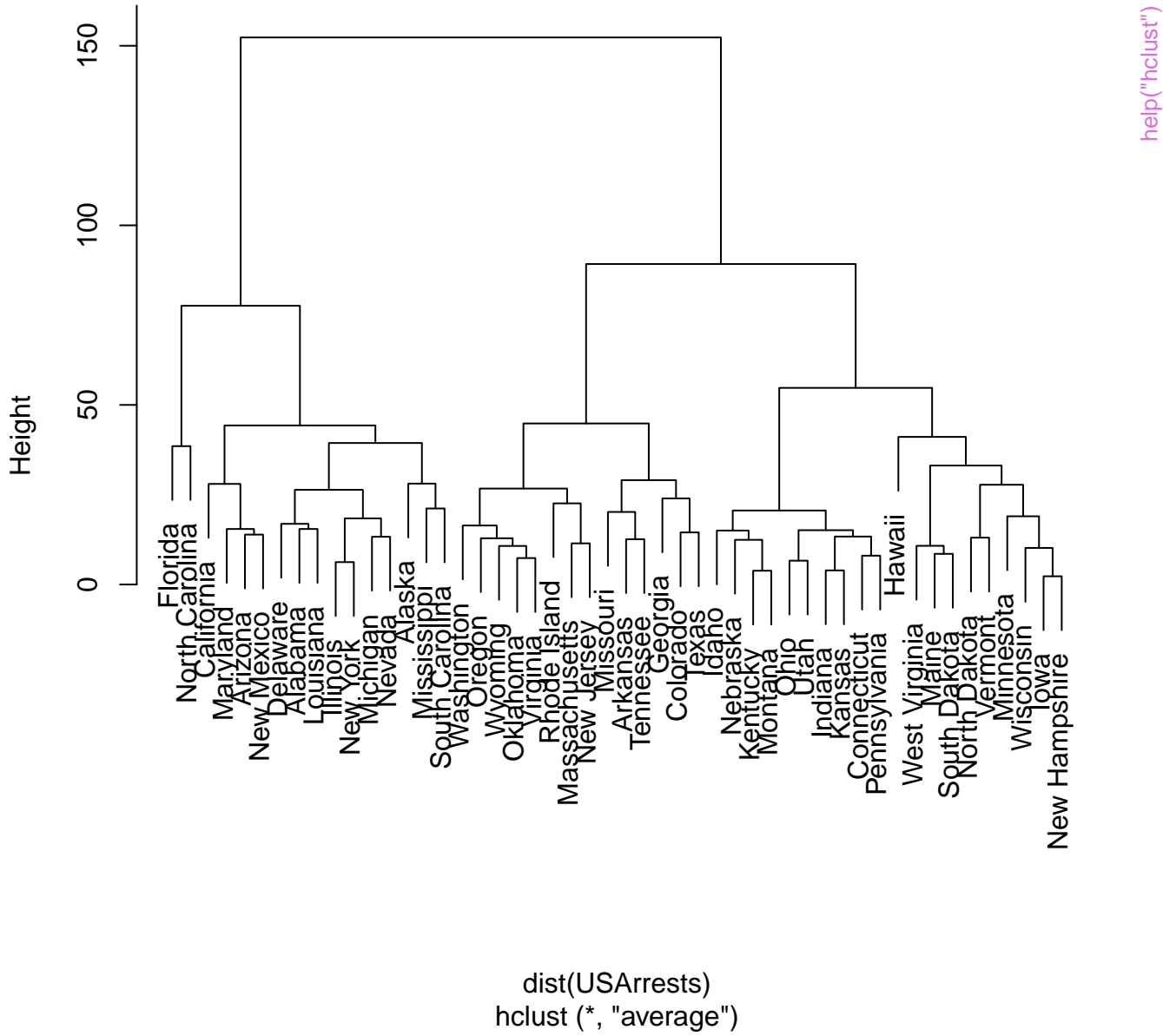
ecdf(y)



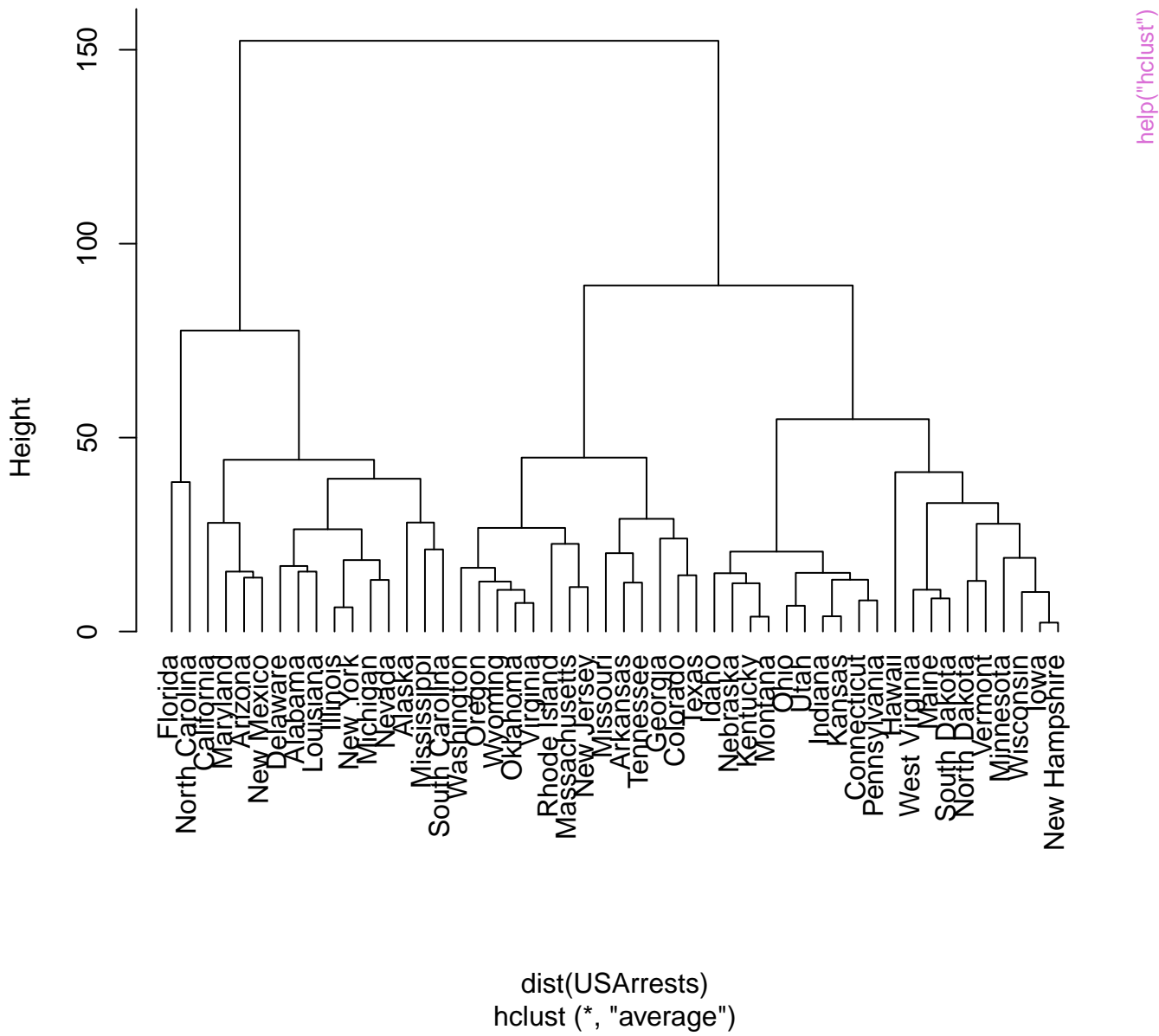




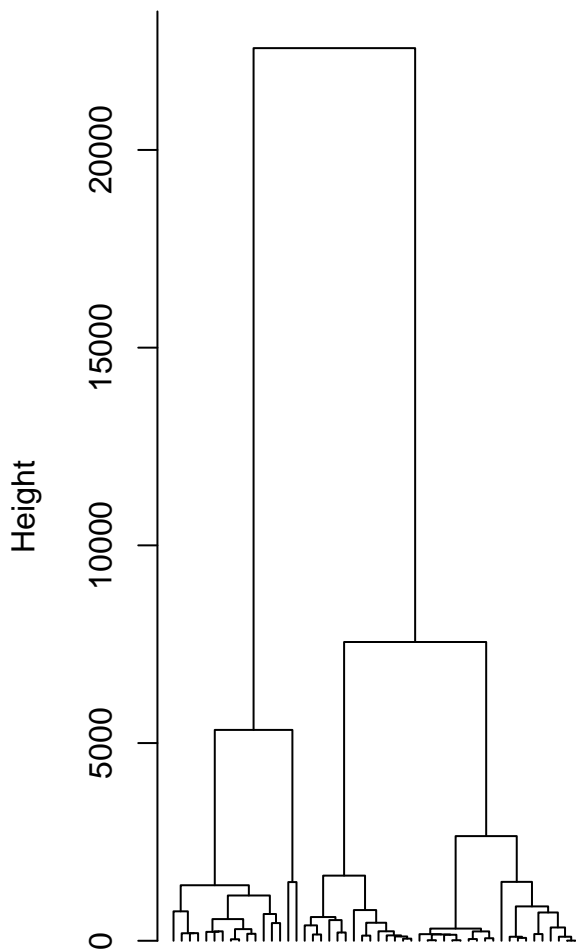
Cluster Dendrogram



Cluster Dendrogram

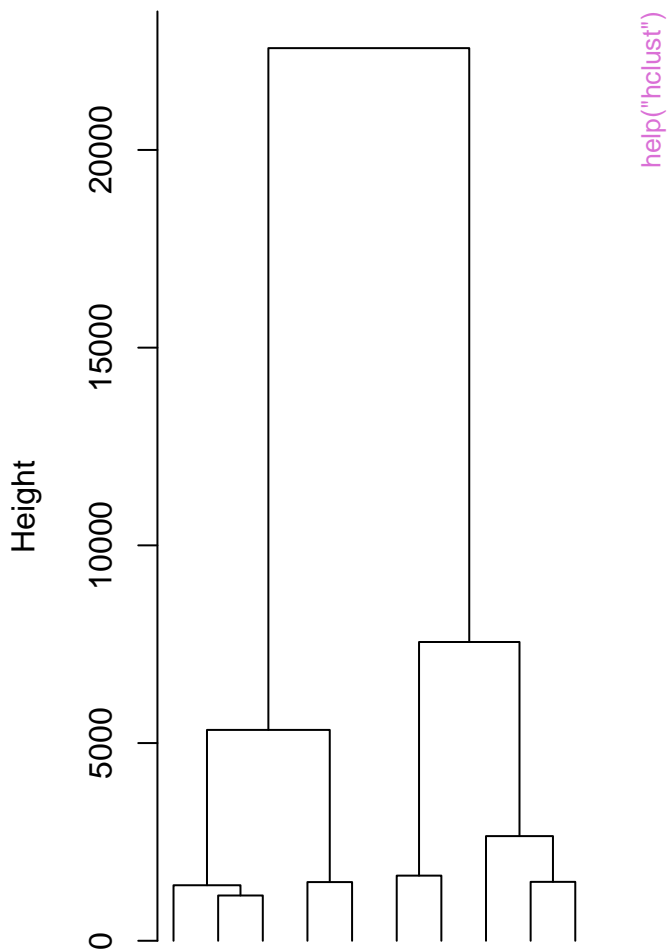


Original Tree



dist(USArrests)^2
hclust (*, "centroid")

Re-start from 10 clusters

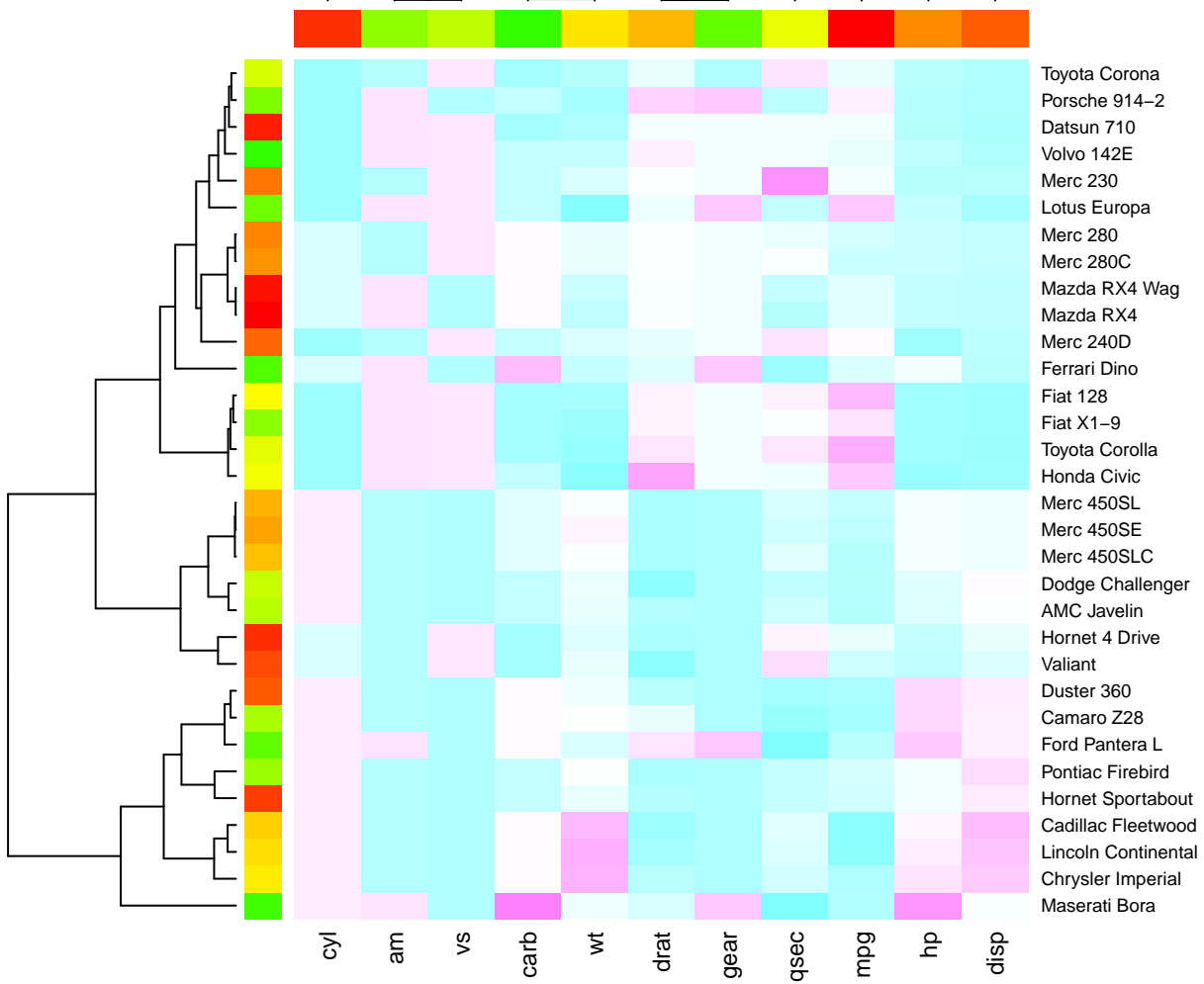


dist(cent)^2
hclust (*, "centroid")

help("hclust")

heatmap(<Mtcars data>, ..., scale = "column")

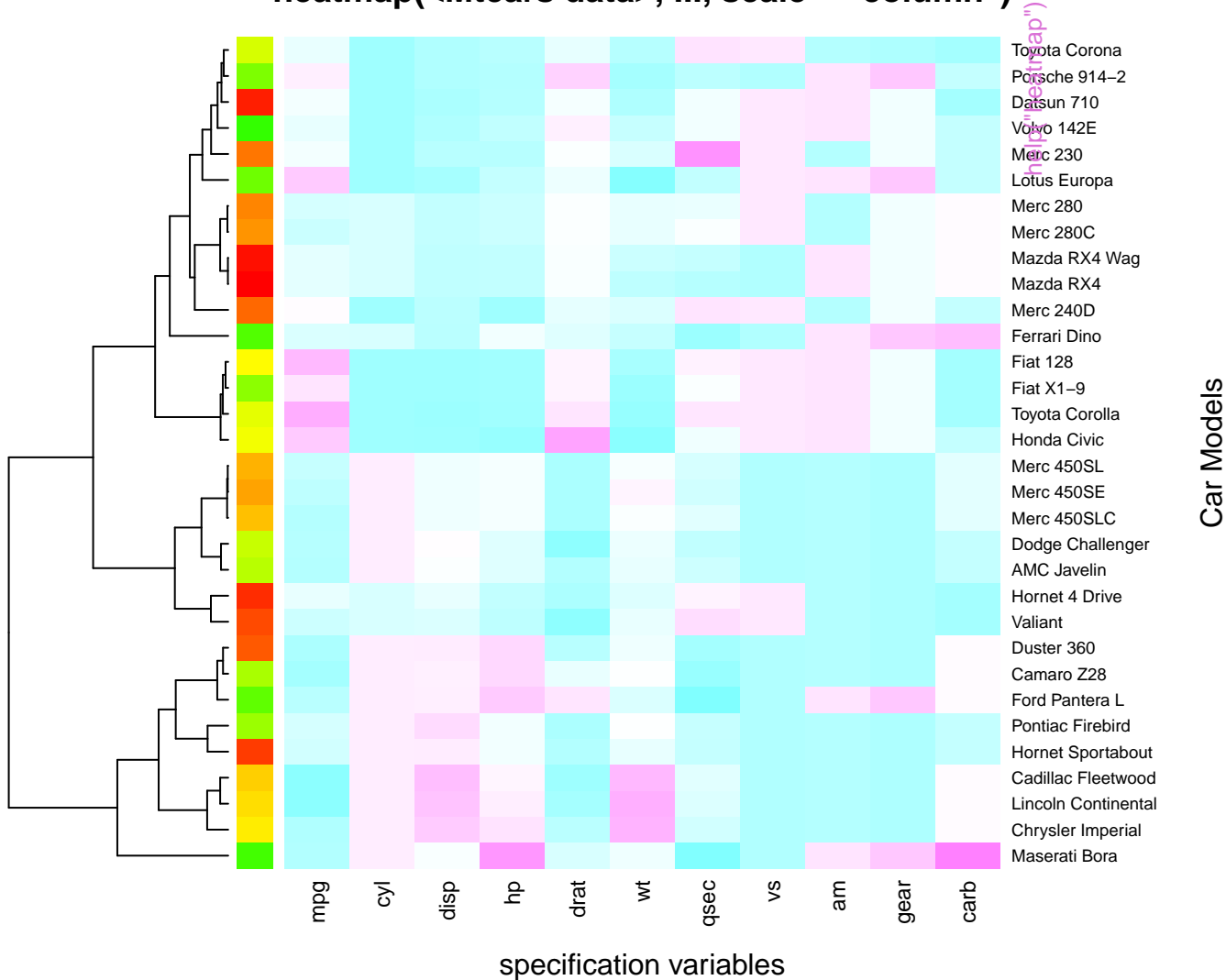
help("heatmap")

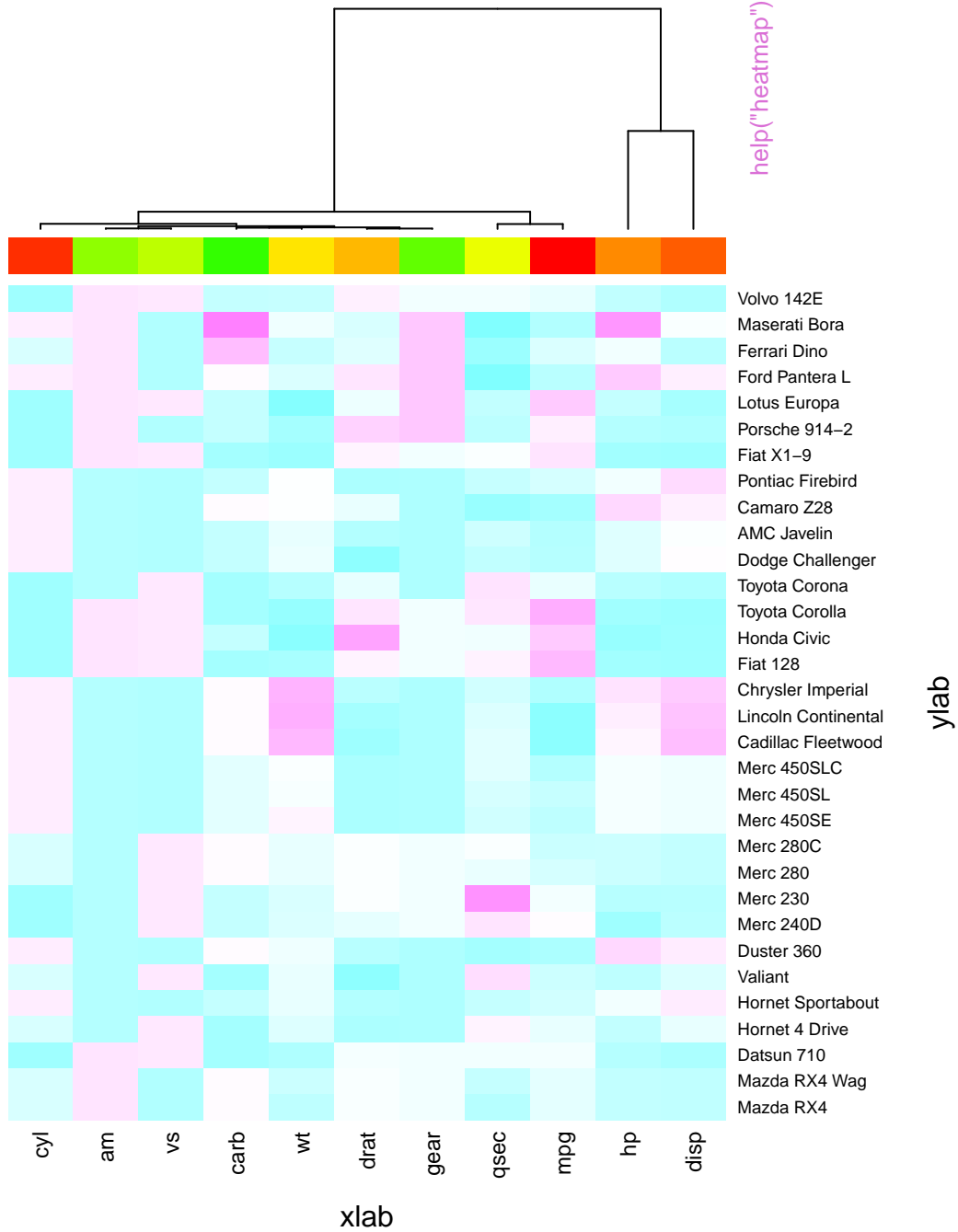


Car Models

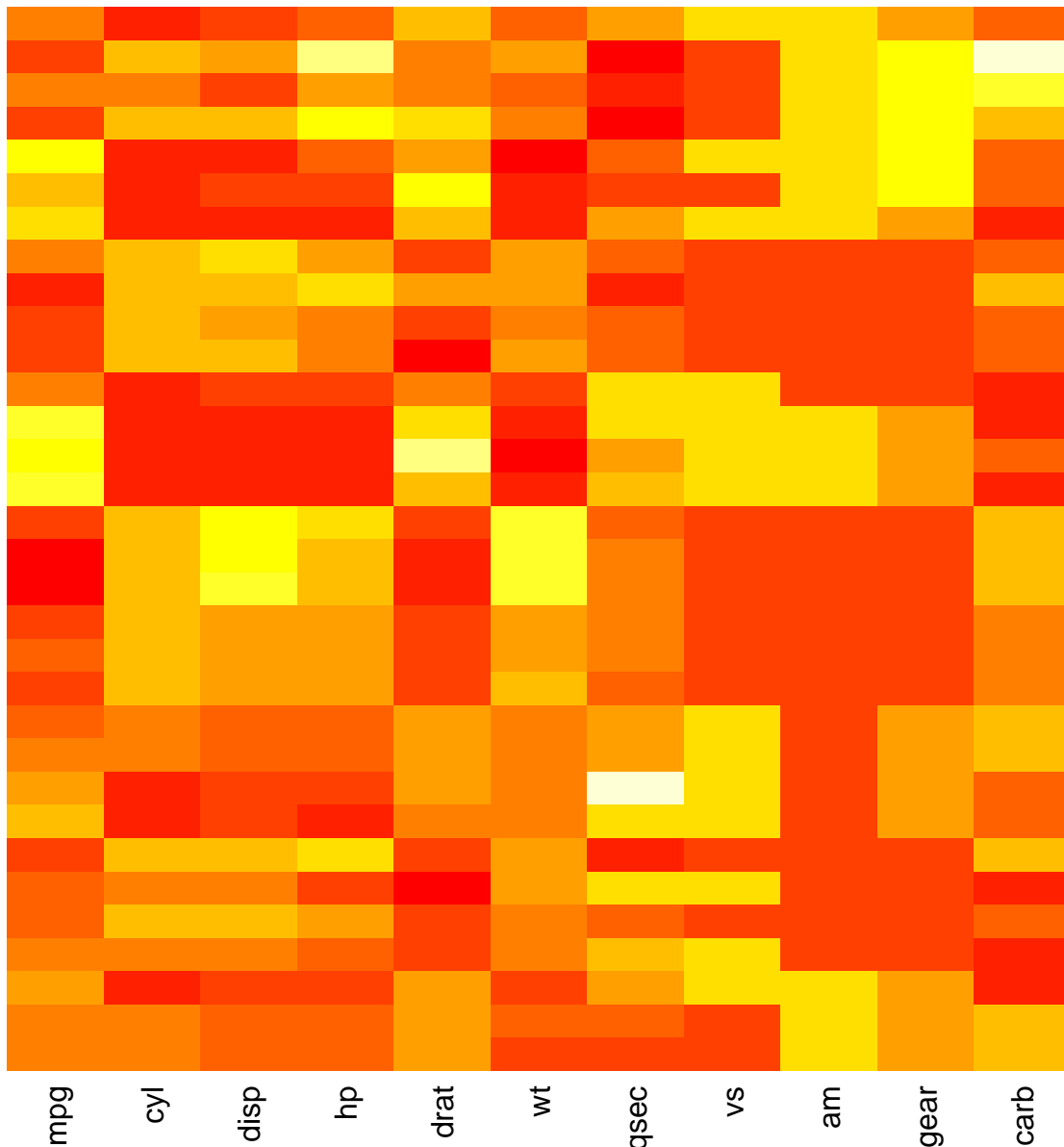
specification variables

heatmap(<Mtcars data>, ..., scale = "column")

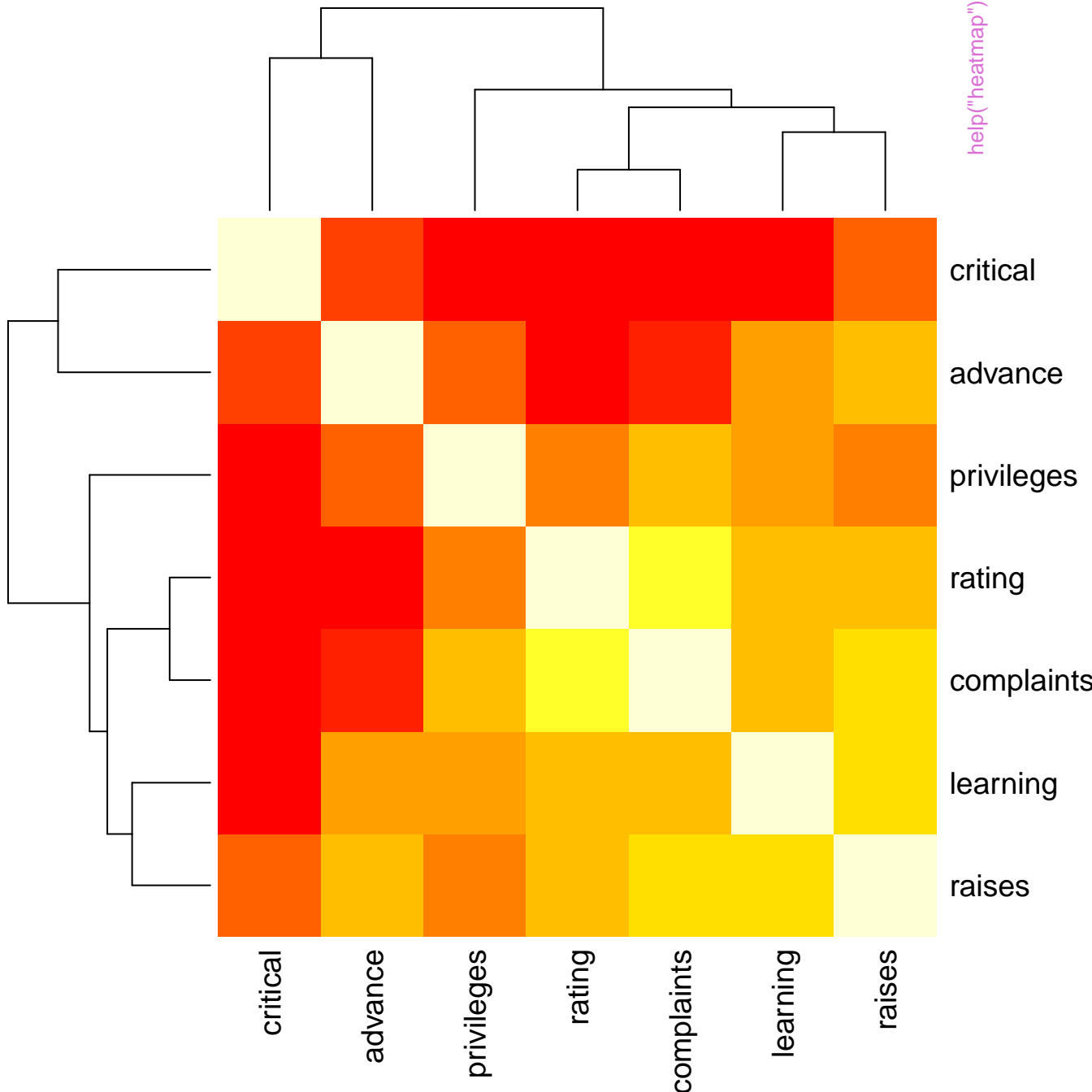


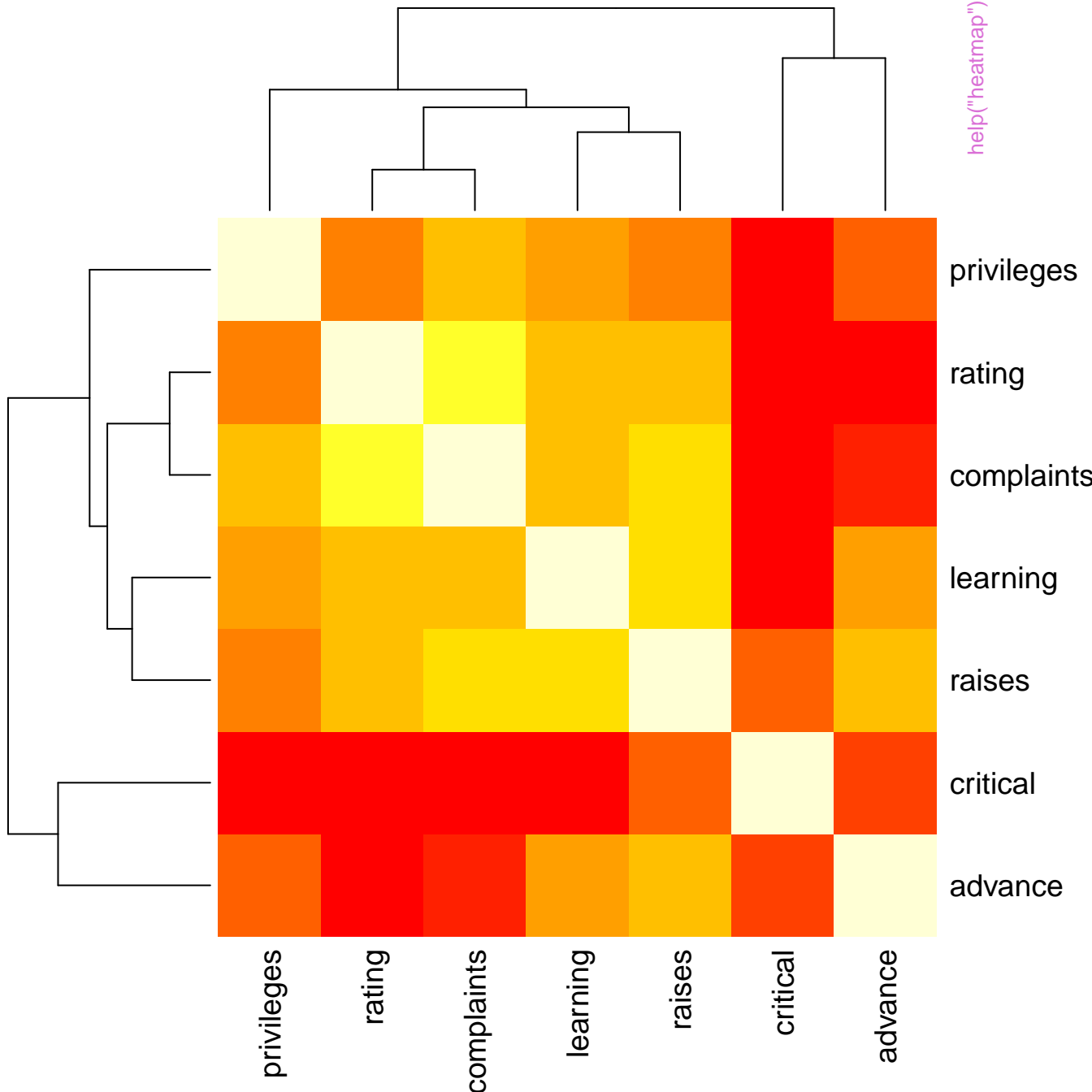


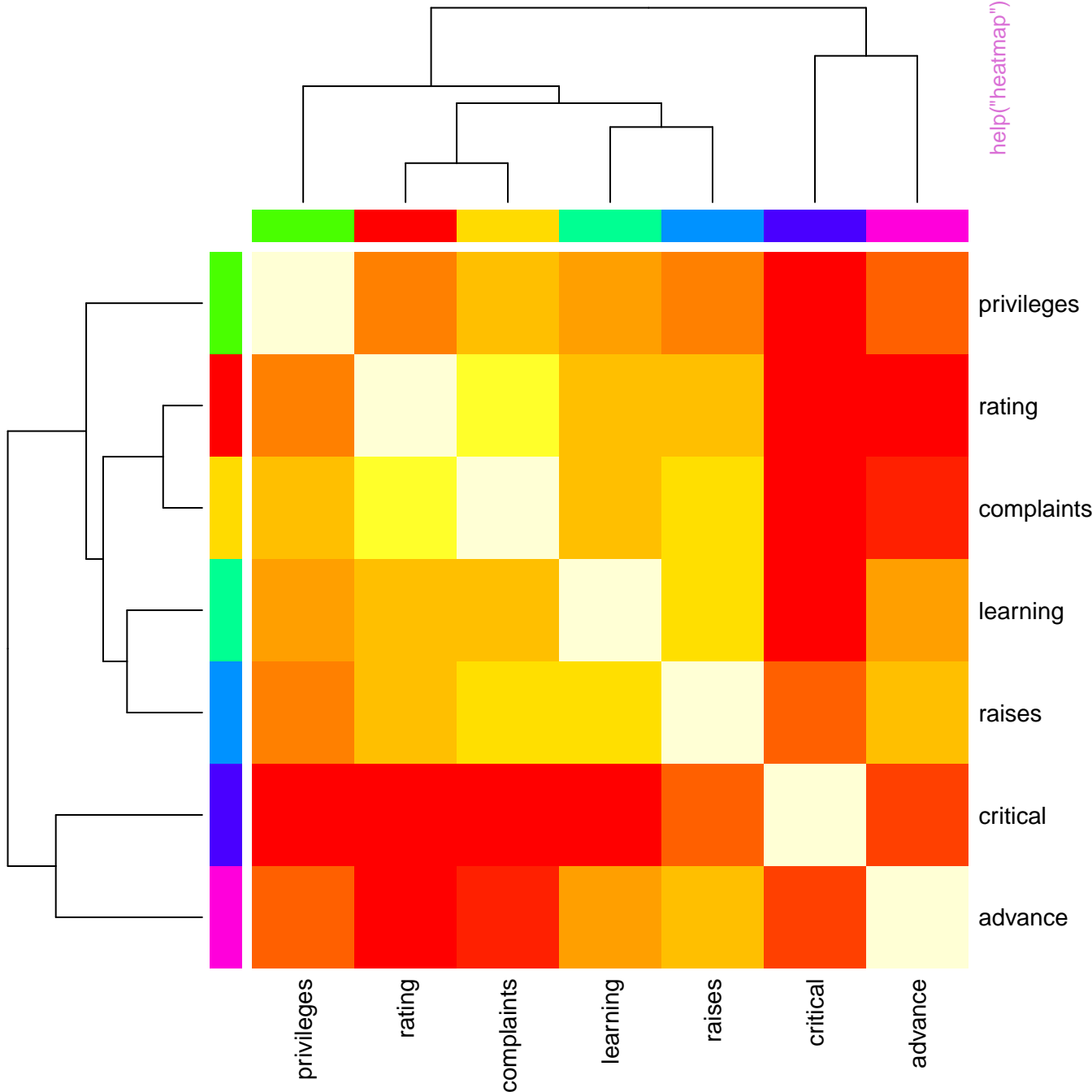
heatmap(*, NA, NA) ~= image(t(x))

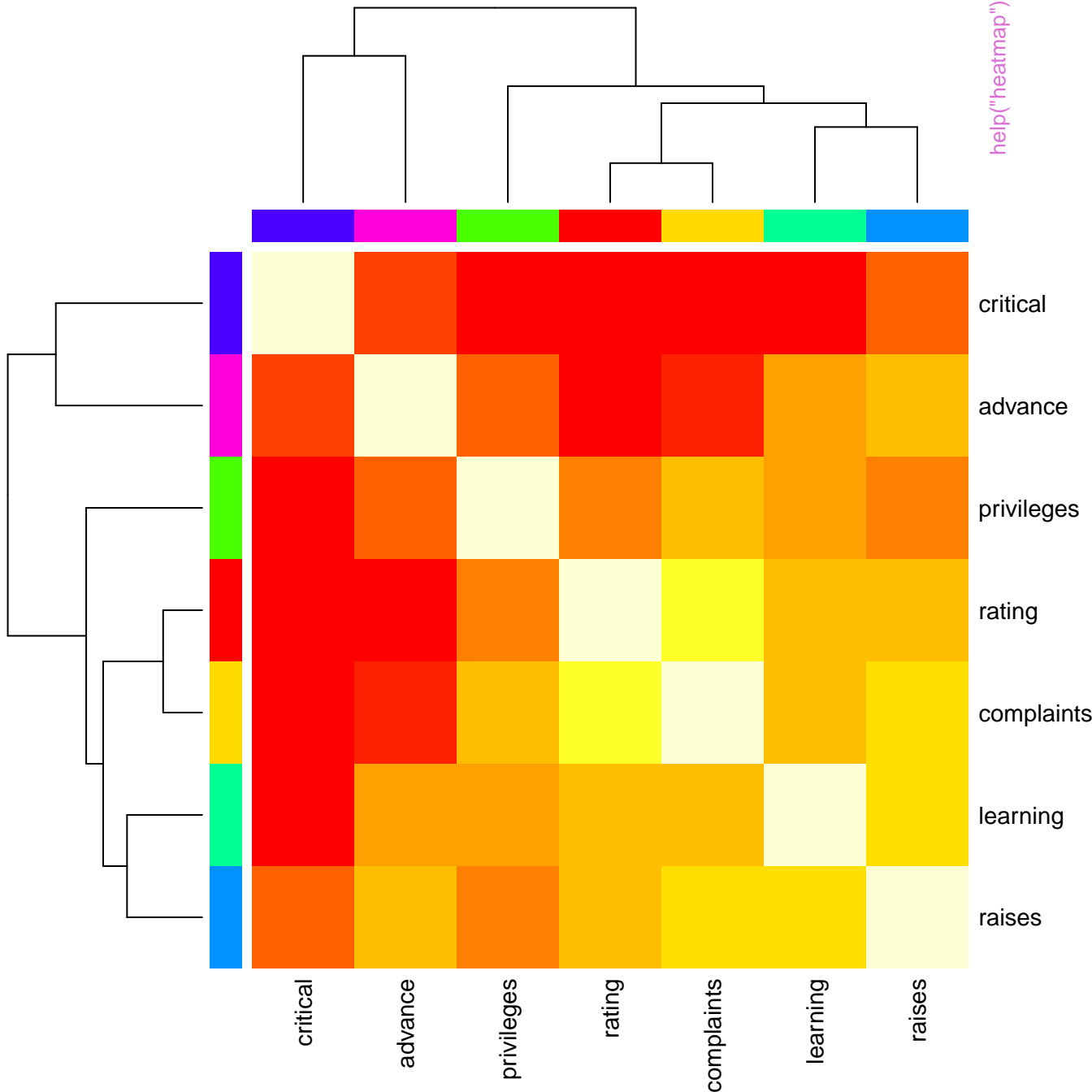


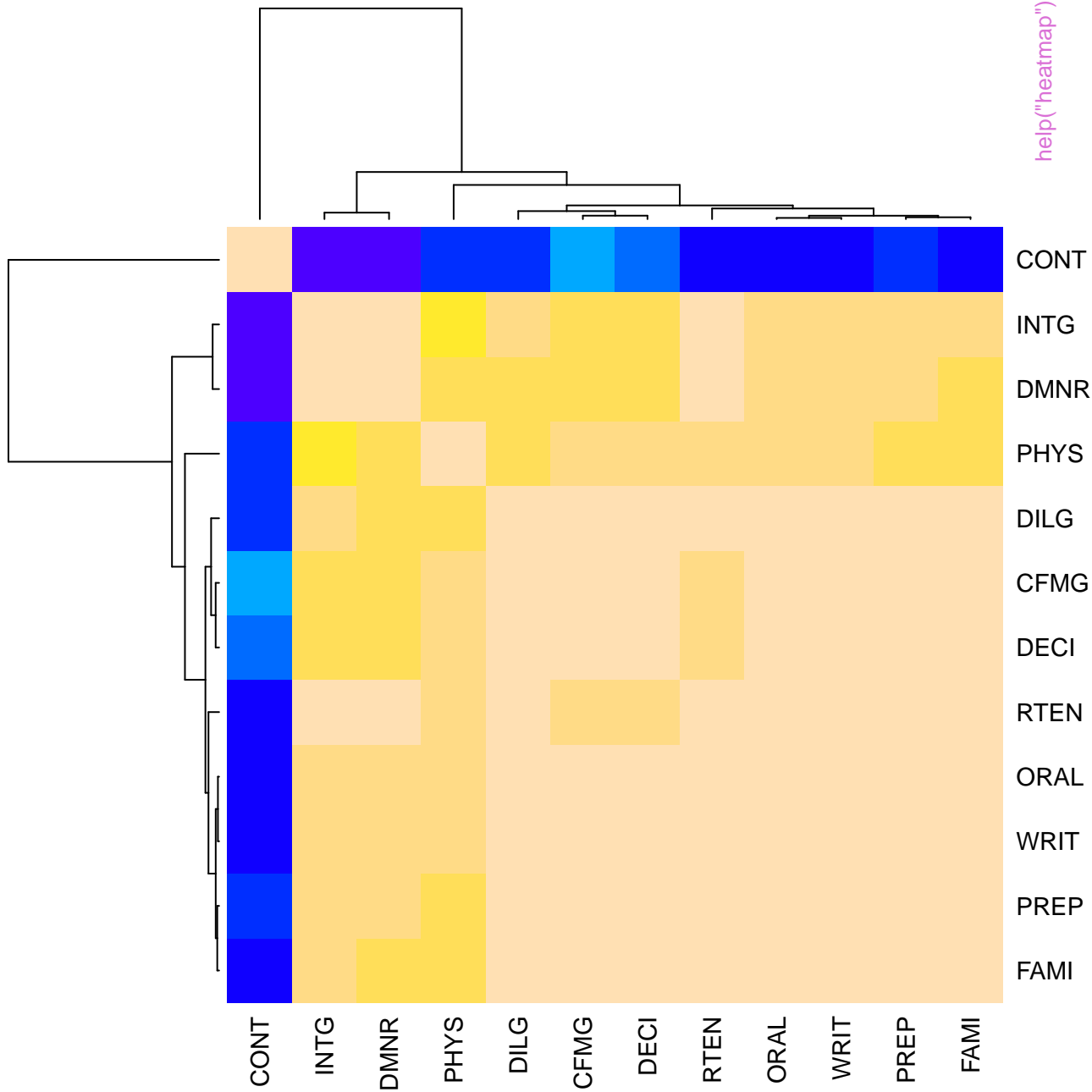
heatmap("hp", "carb")



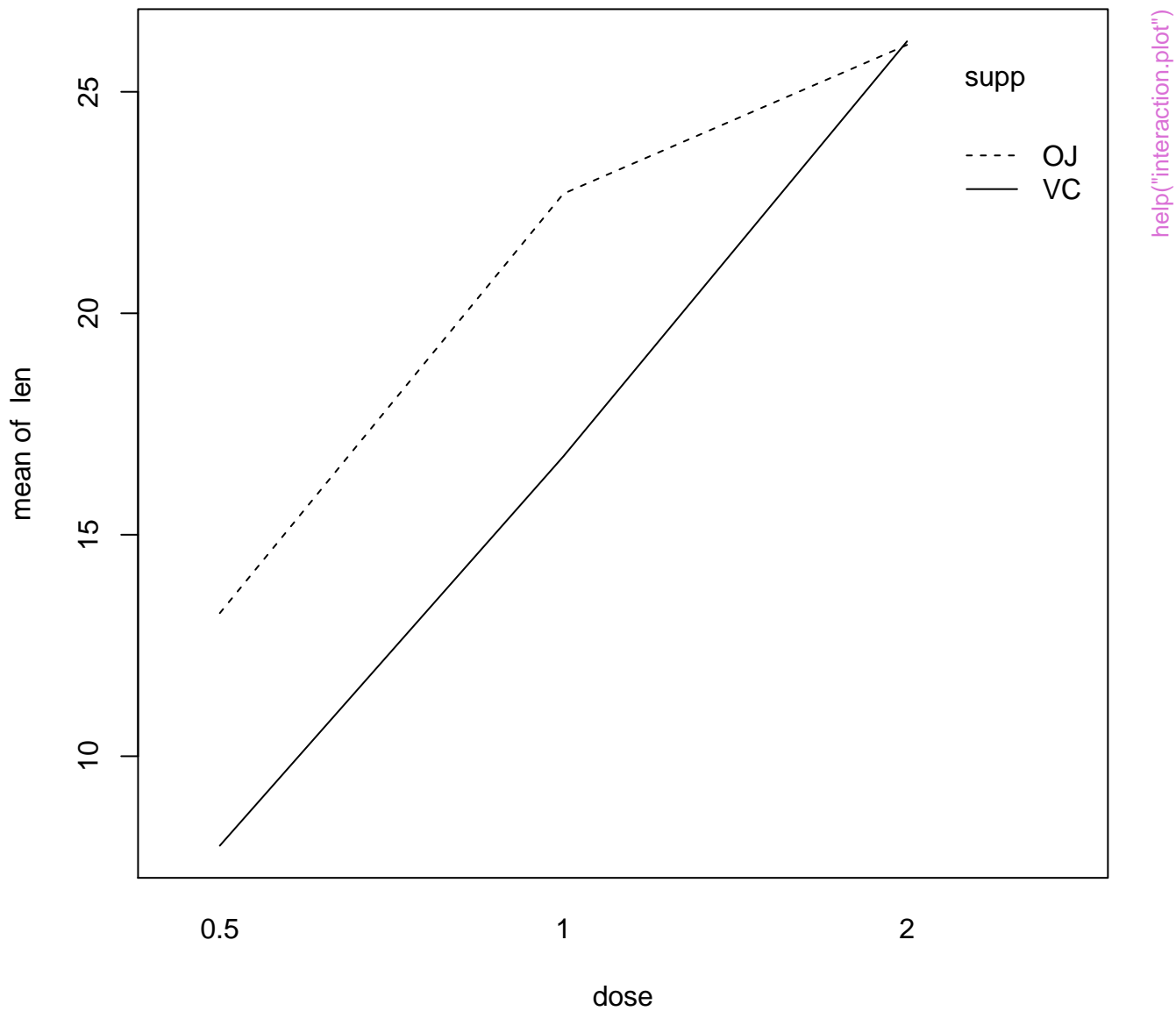


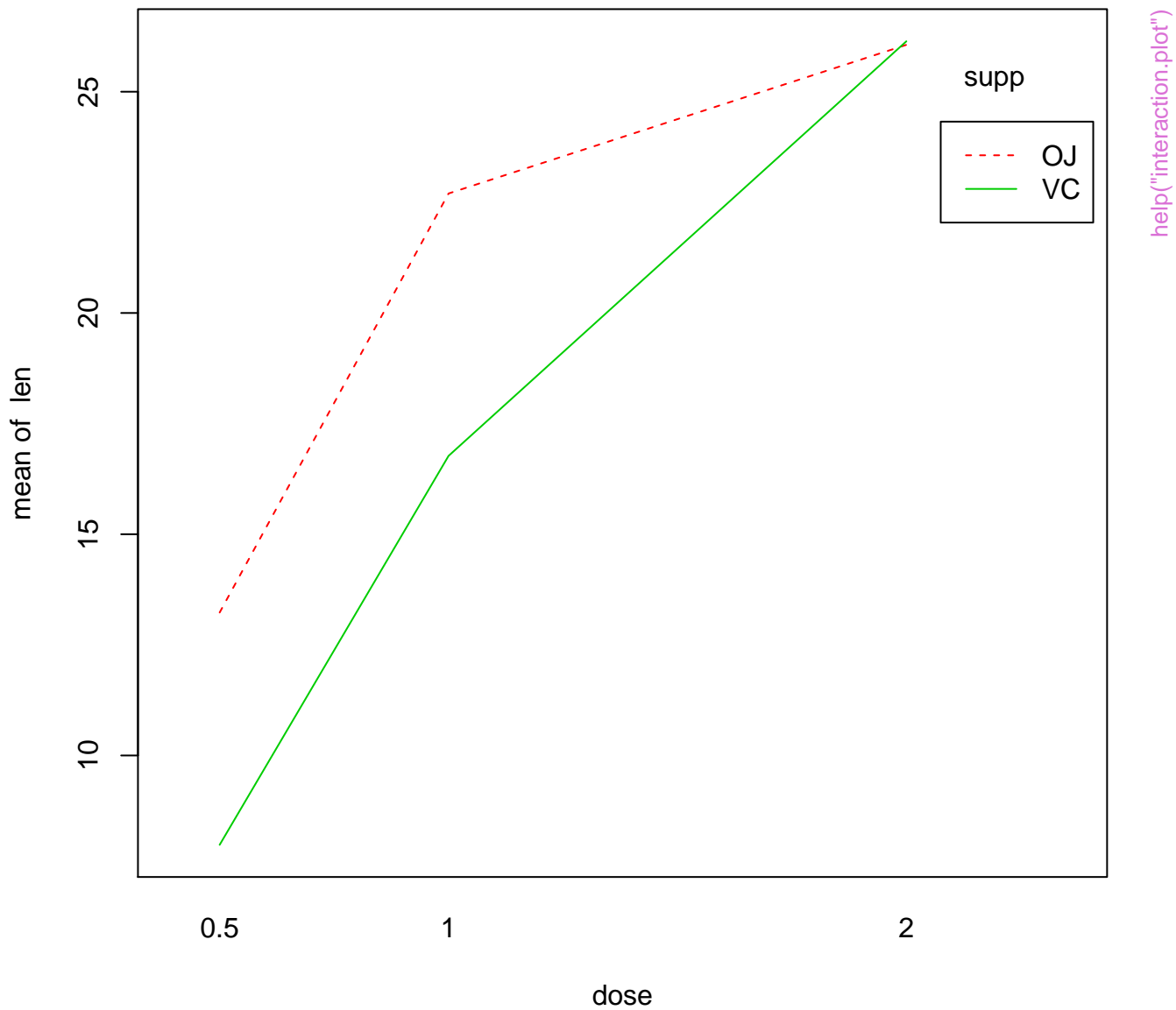


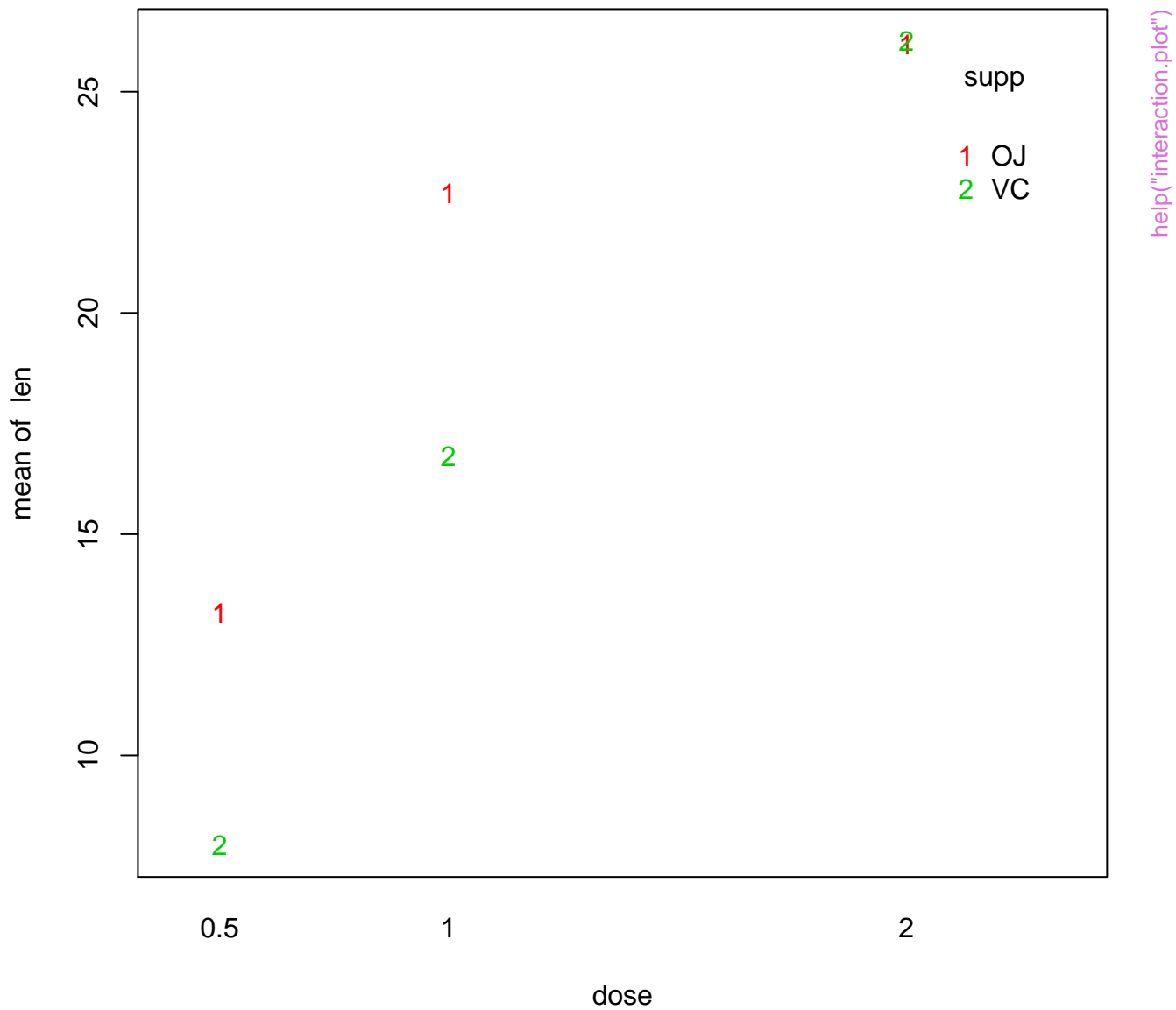


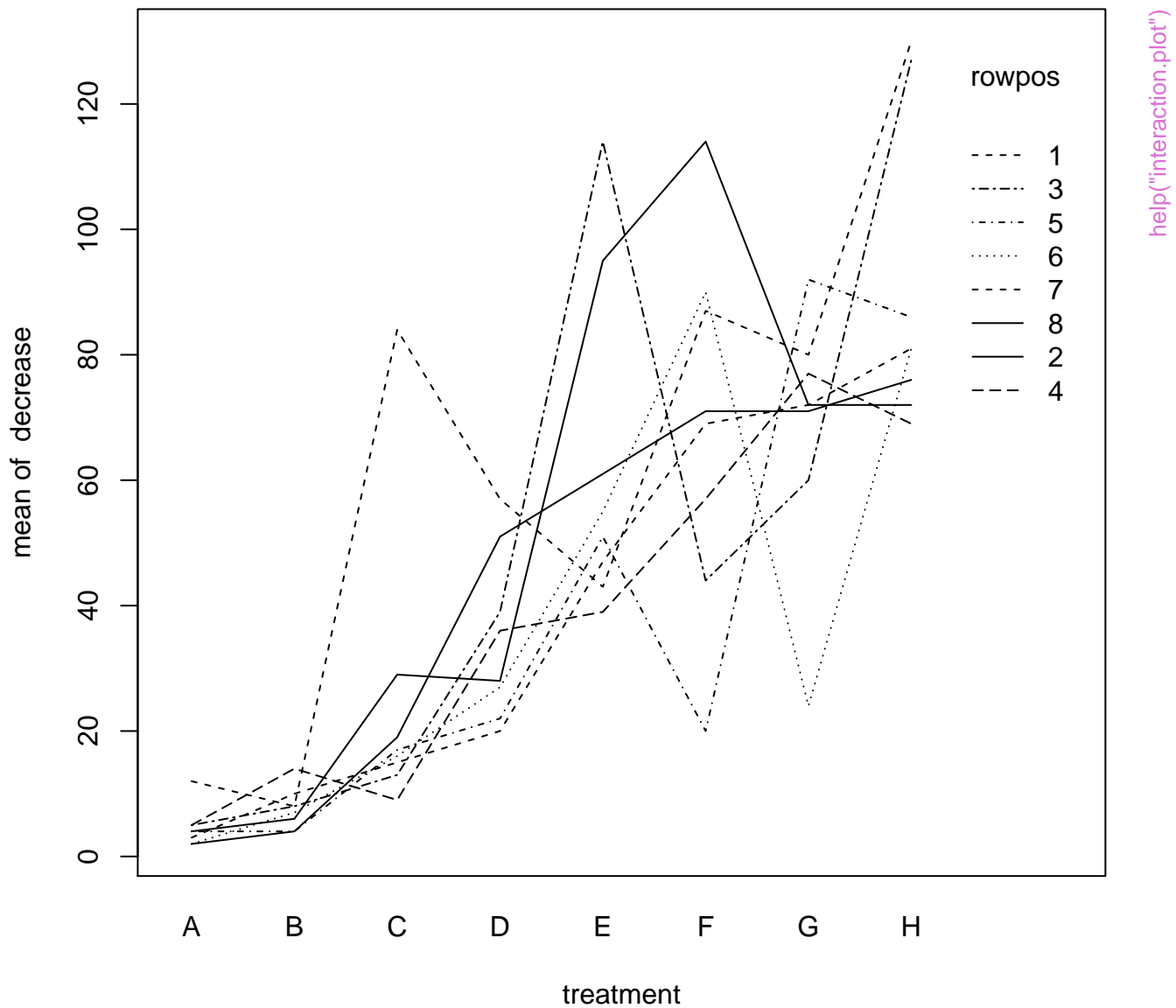


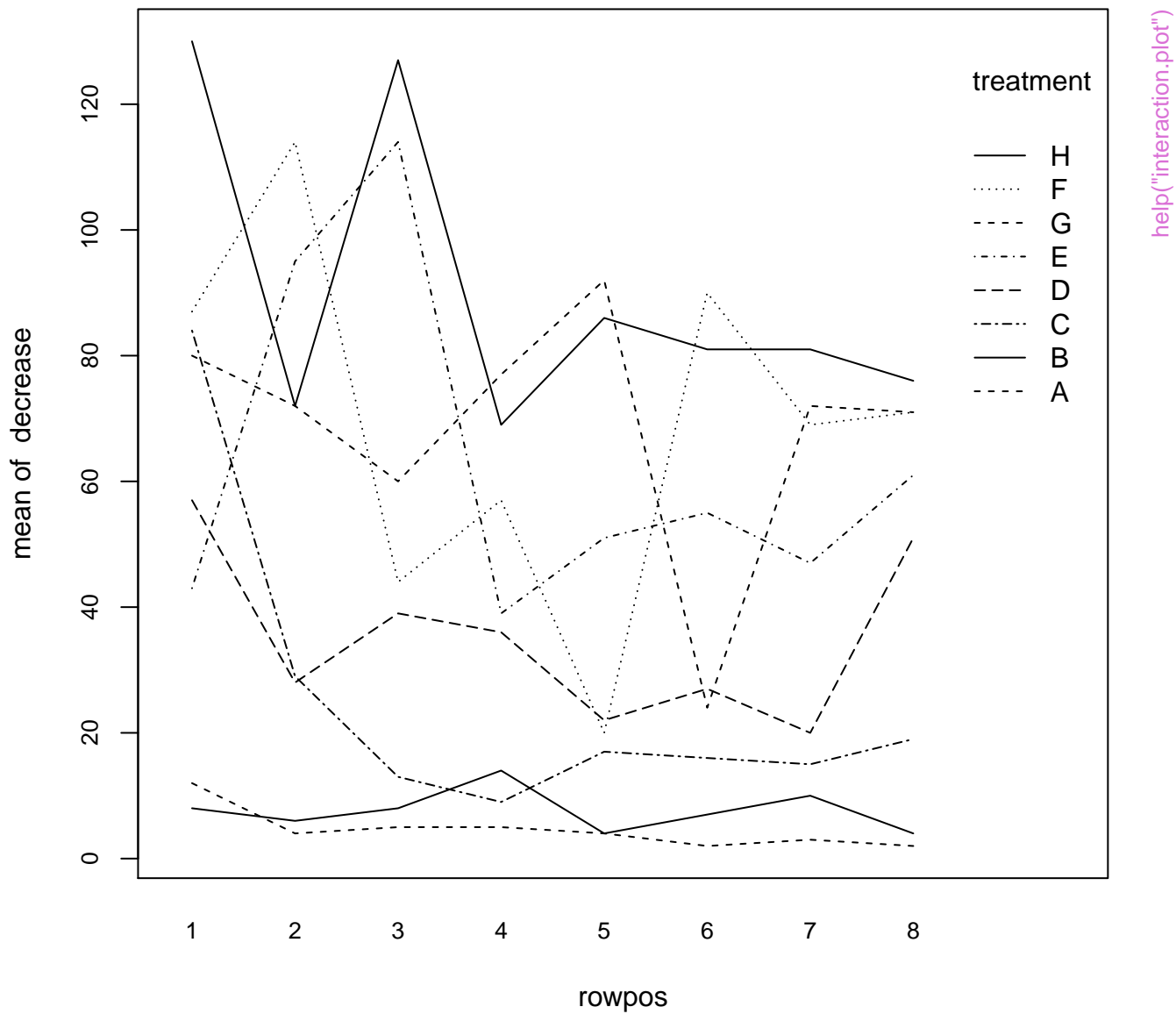
help("heatmap")

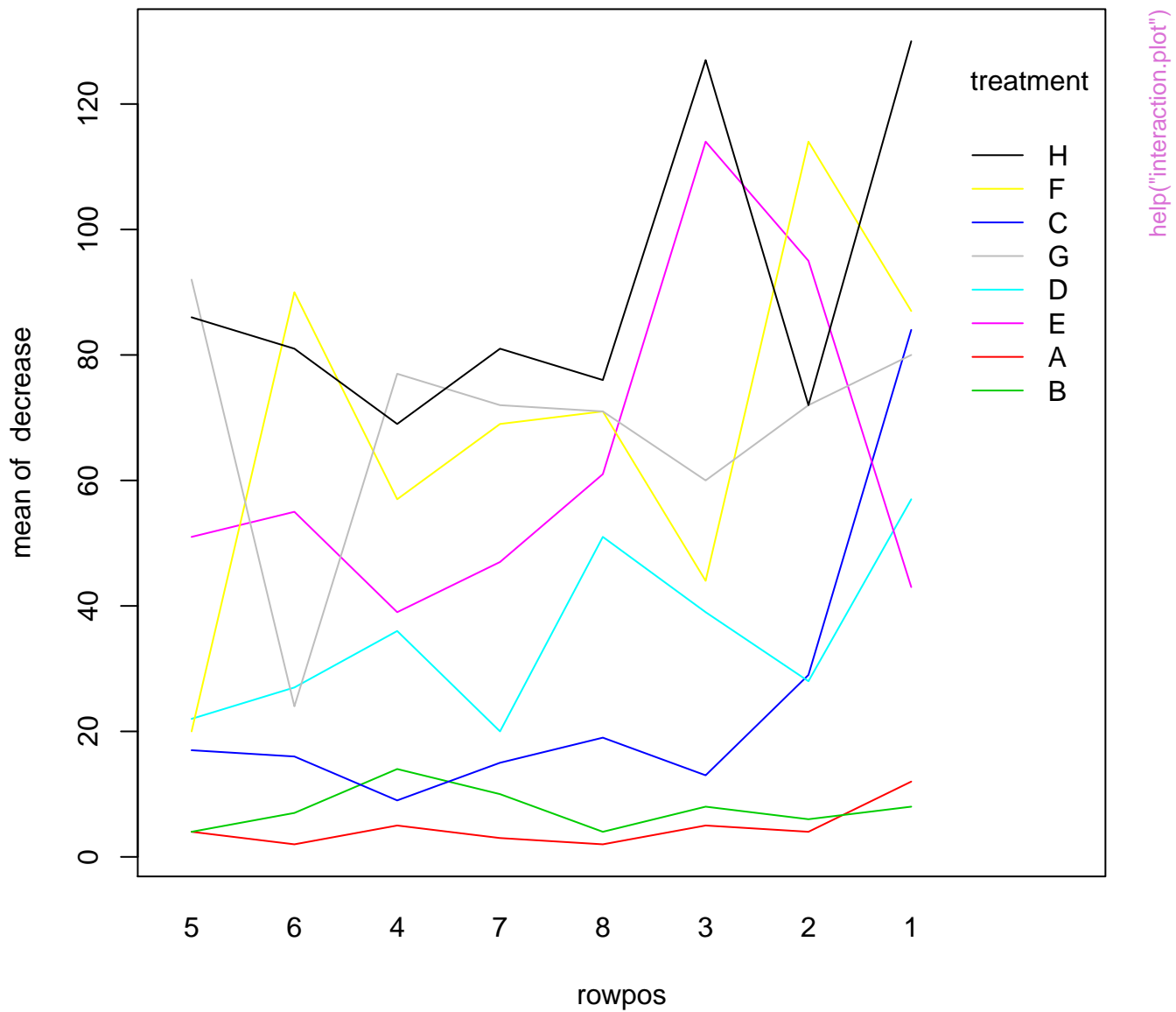




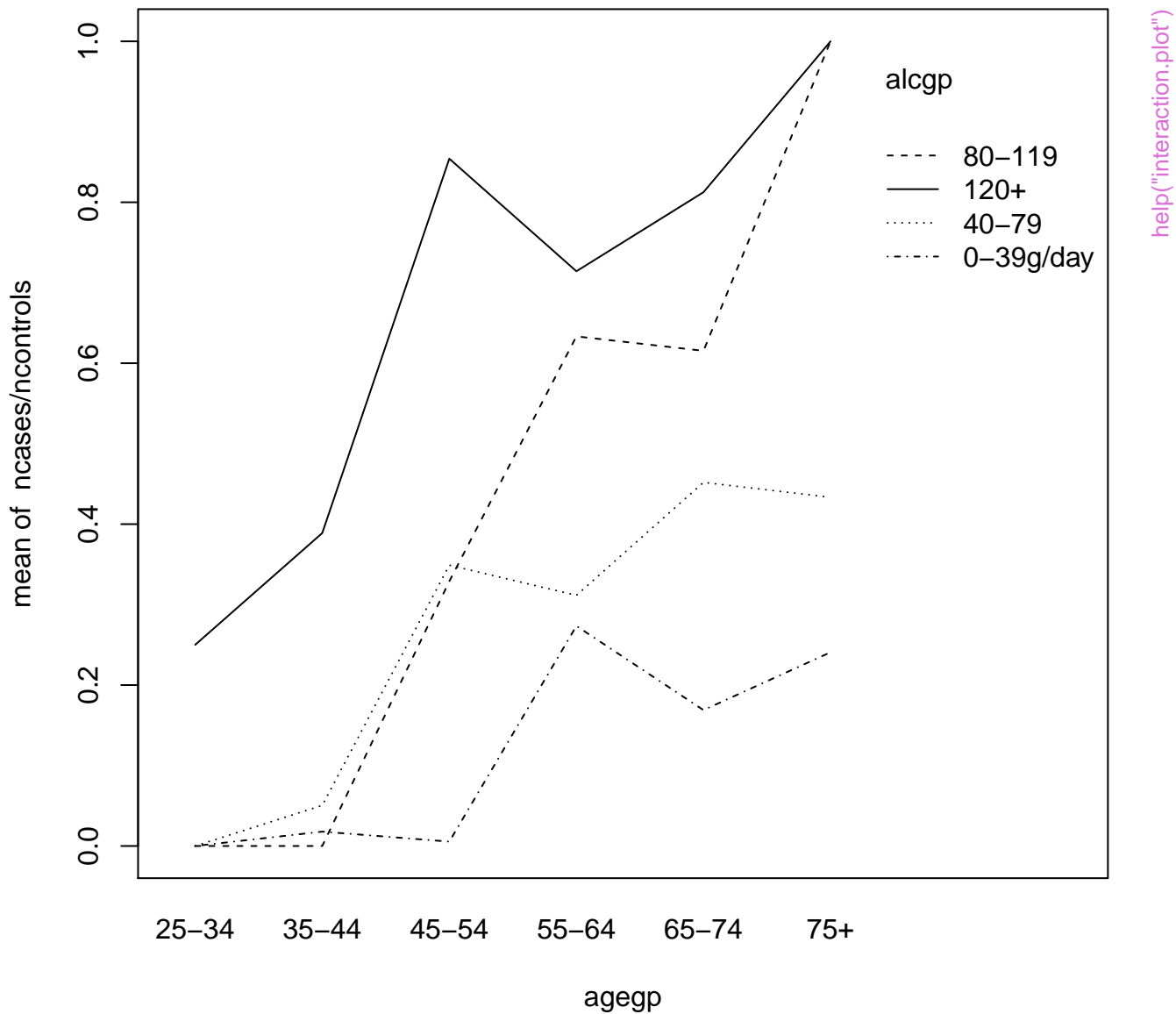


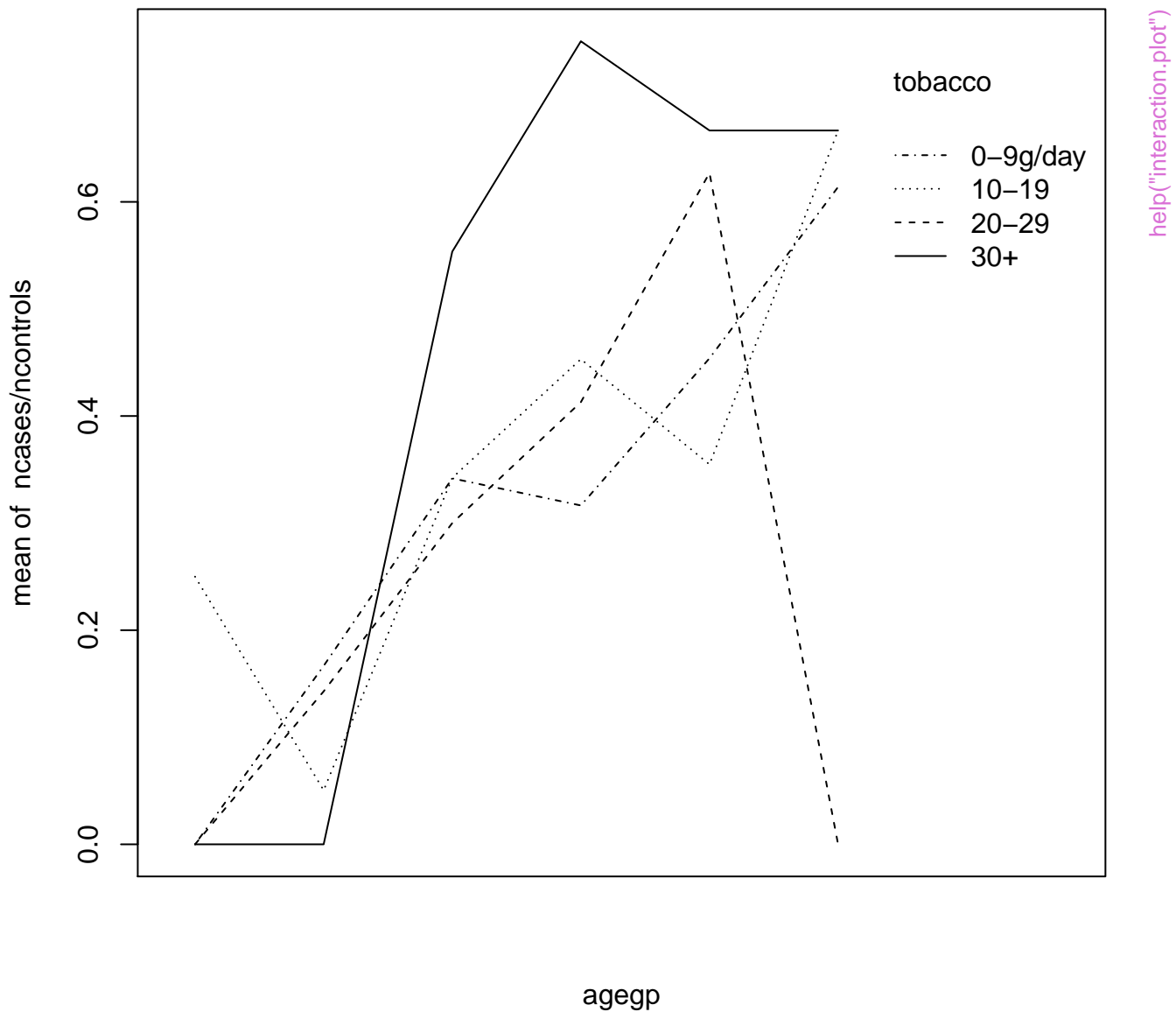


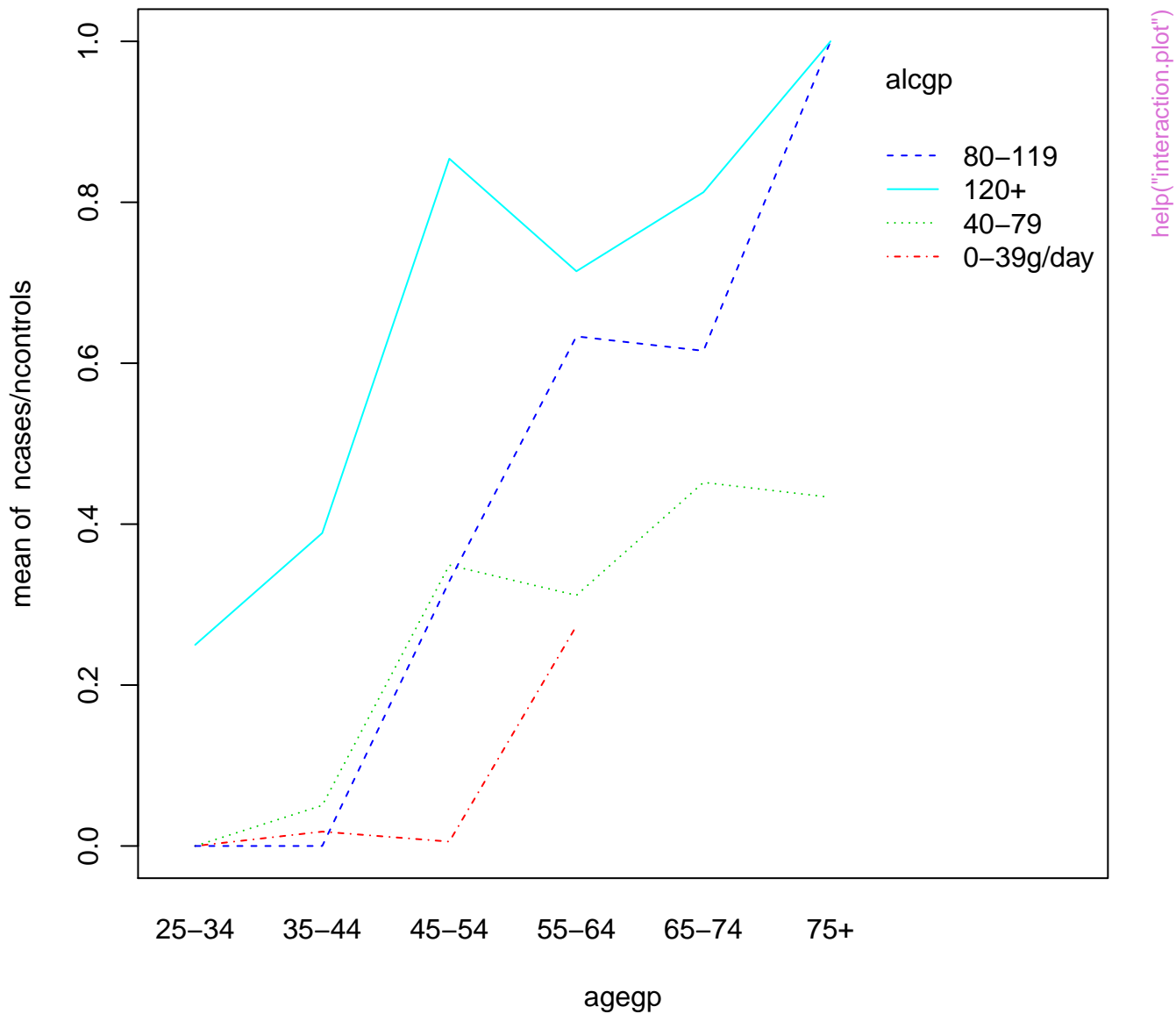




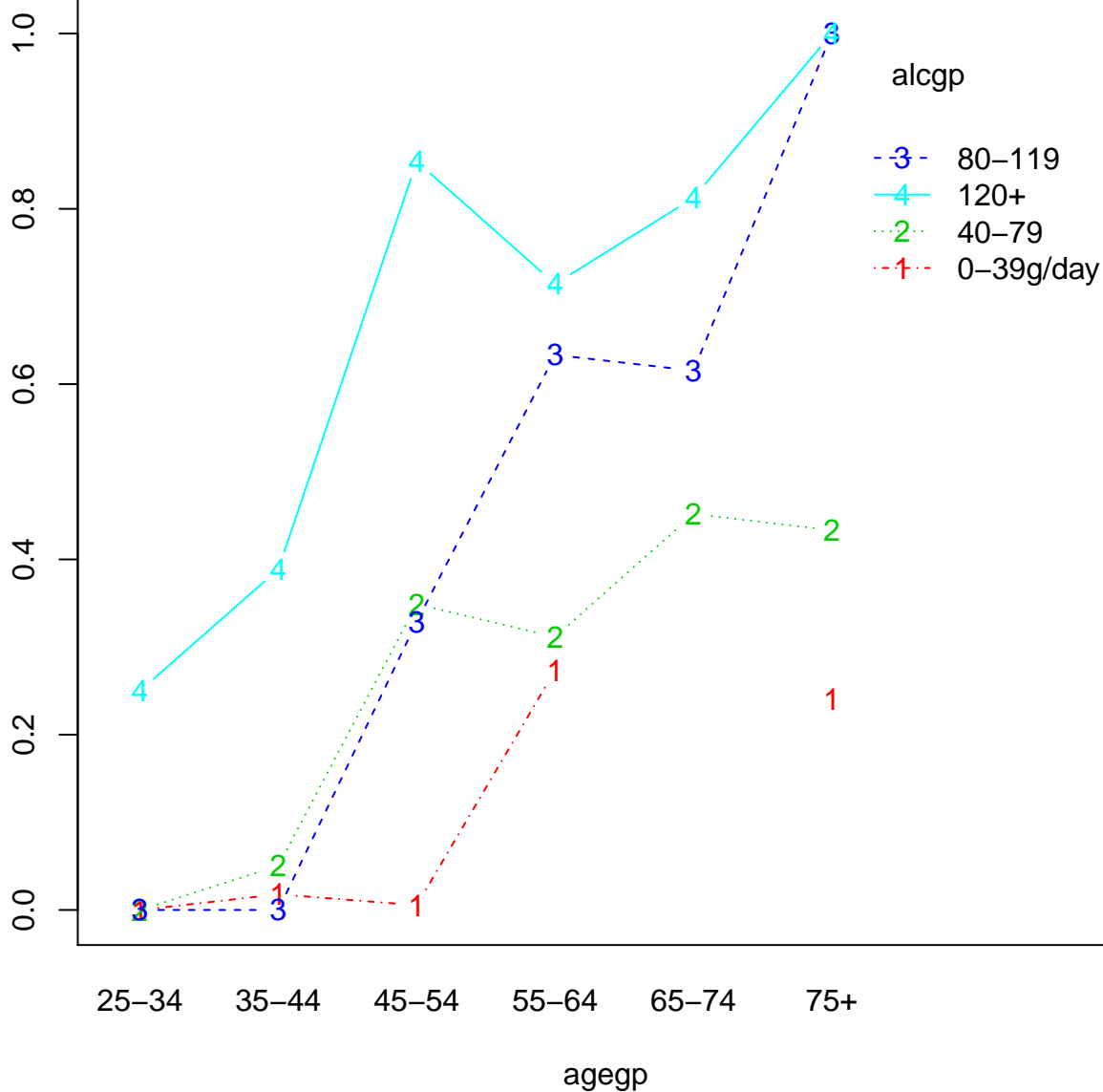
'esoph' Data



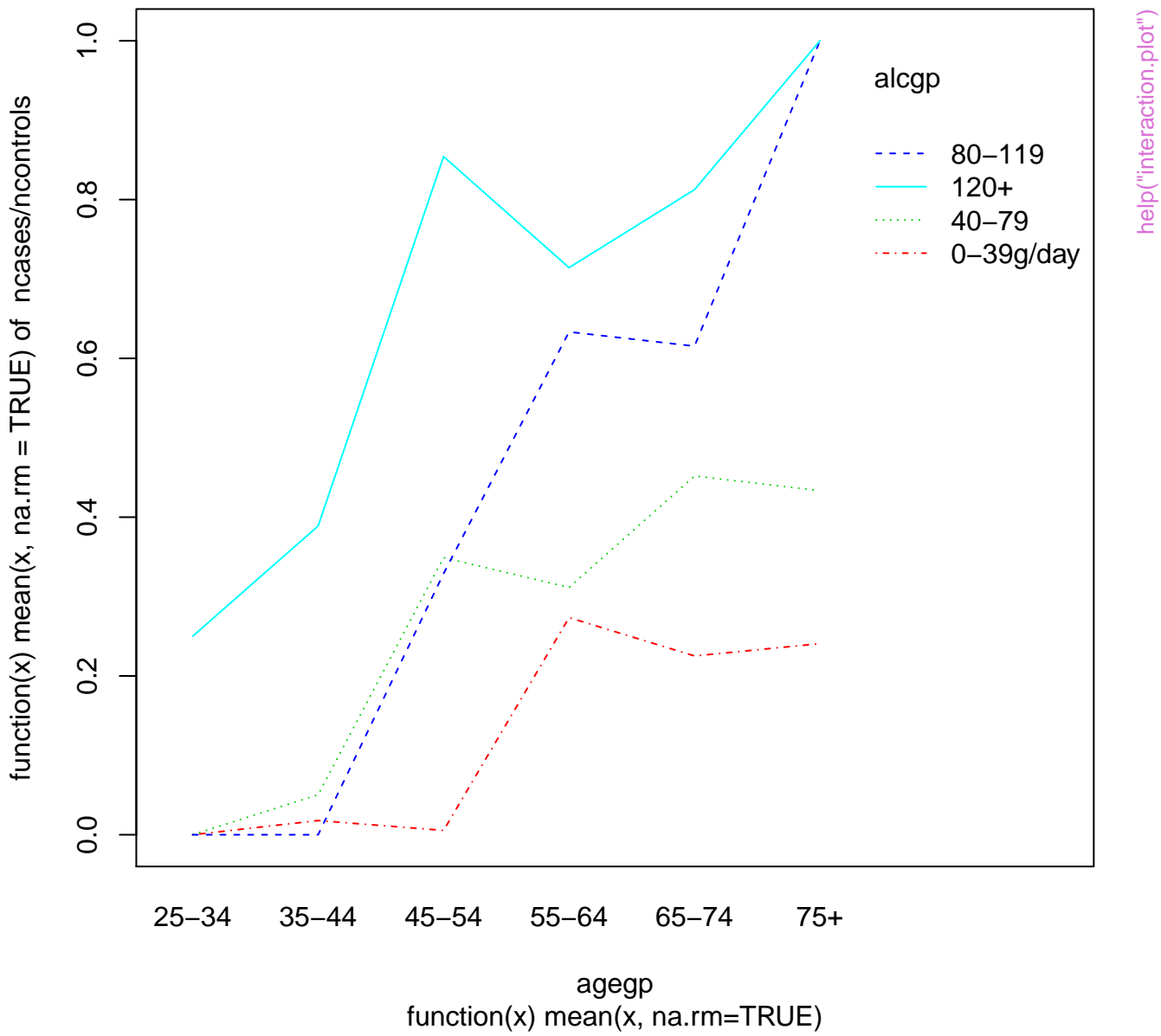




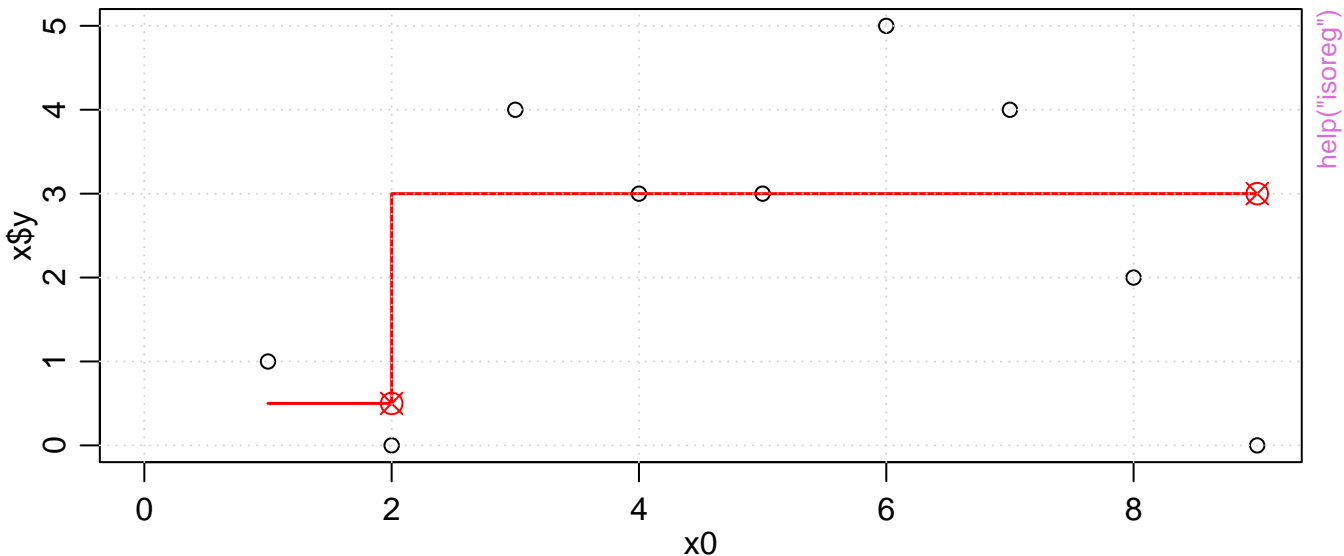
mean of ncases/hcontrols



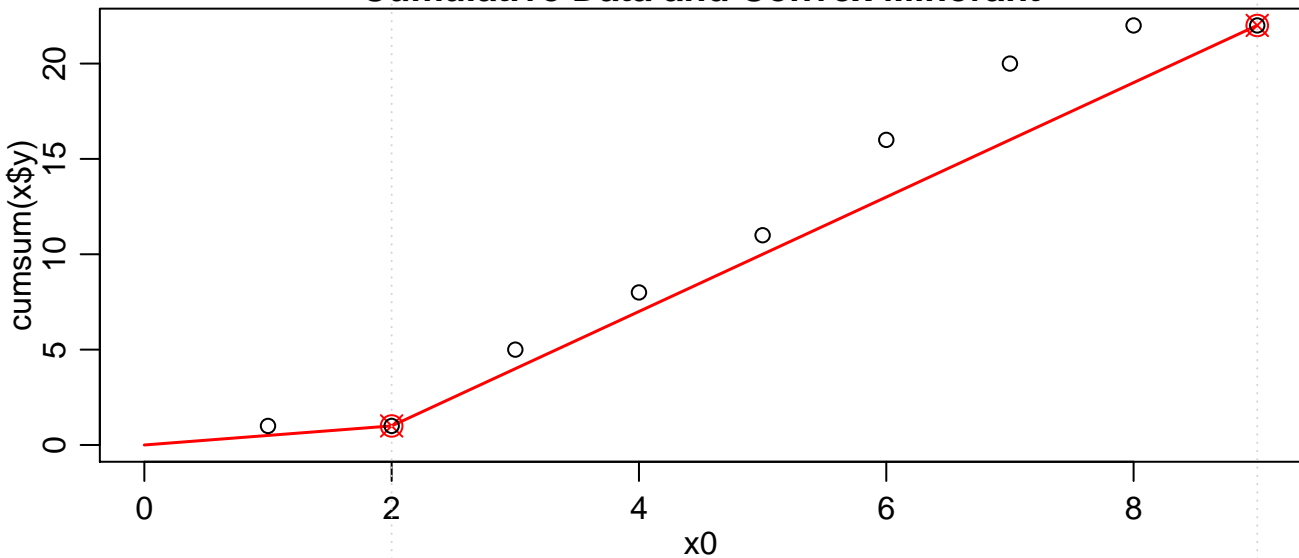
help("interaction.plot")



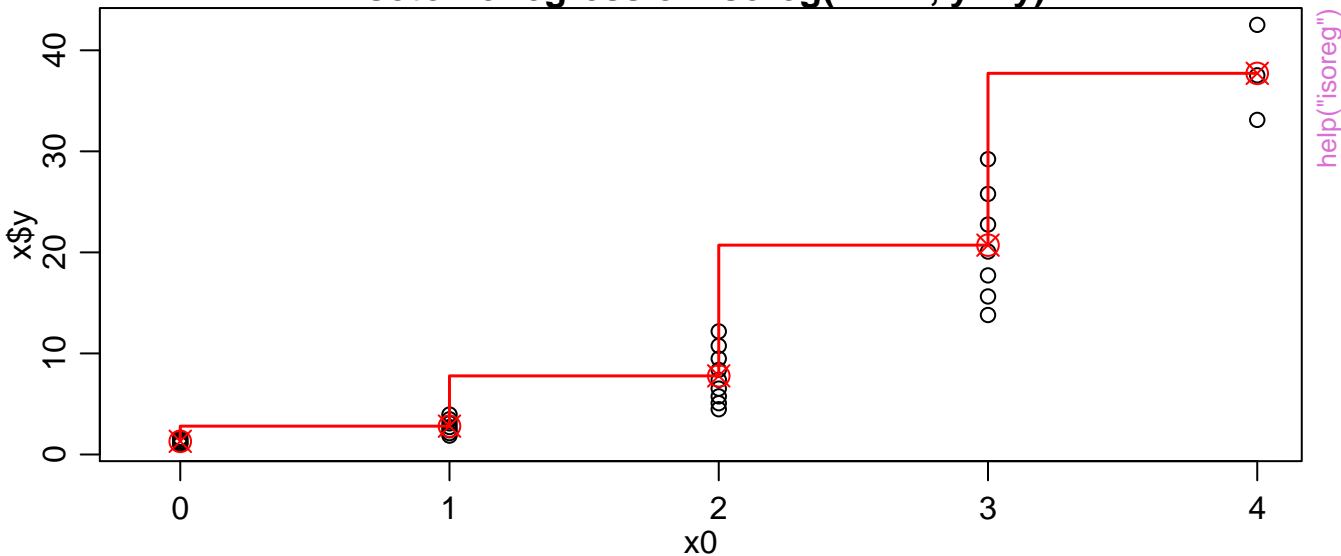
Isotonic regression isoreg($x = c(1, 0, 4, 3, 3, 5, 4, 2, 0)$)



Cumulative Data and Convex Minorant

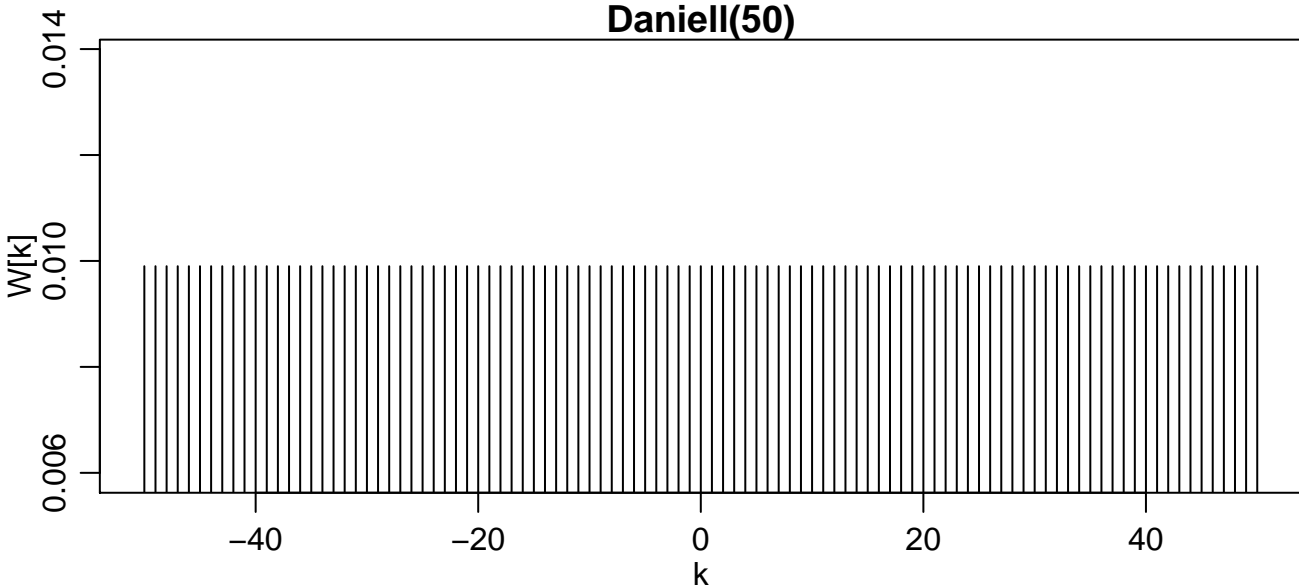


Isotonic regression isoreg($x = x.$, $y = y$)

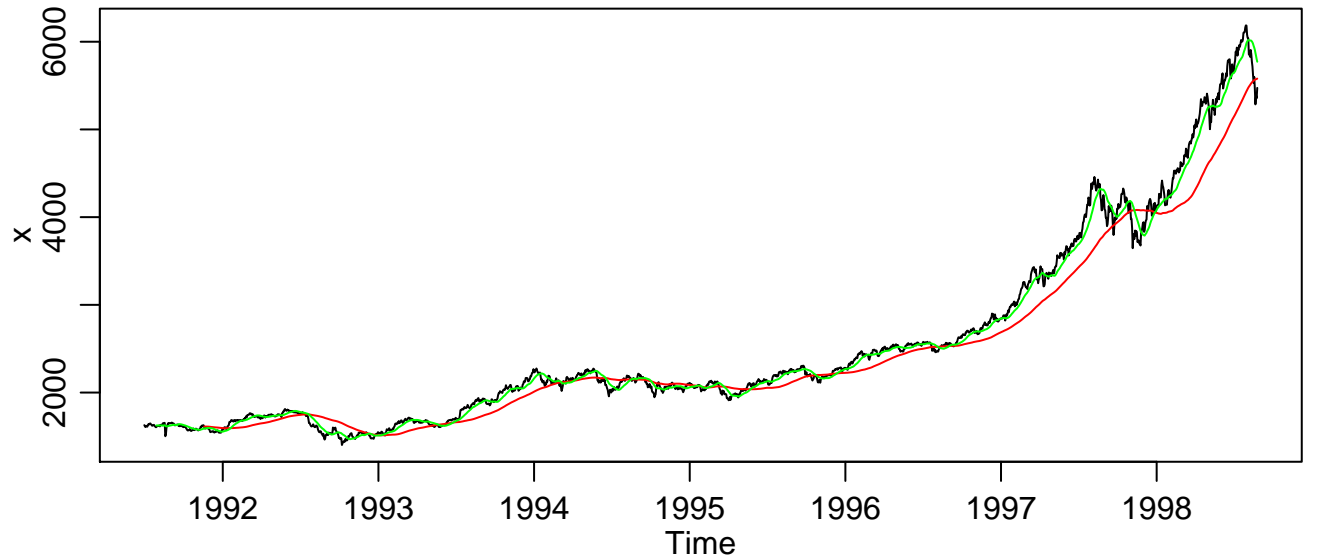
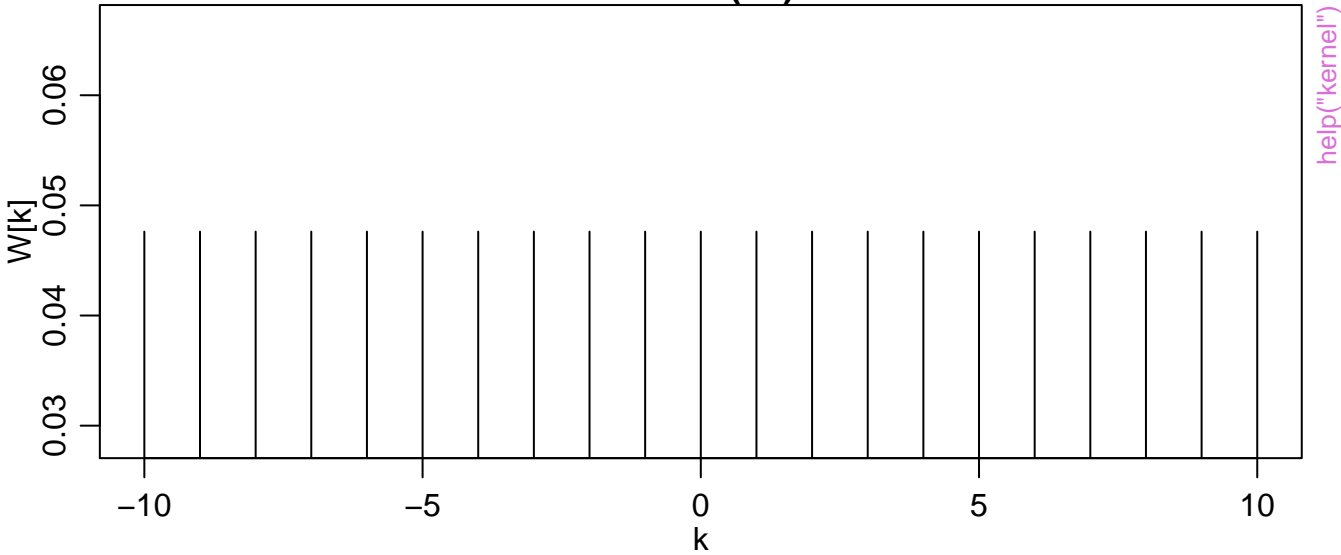


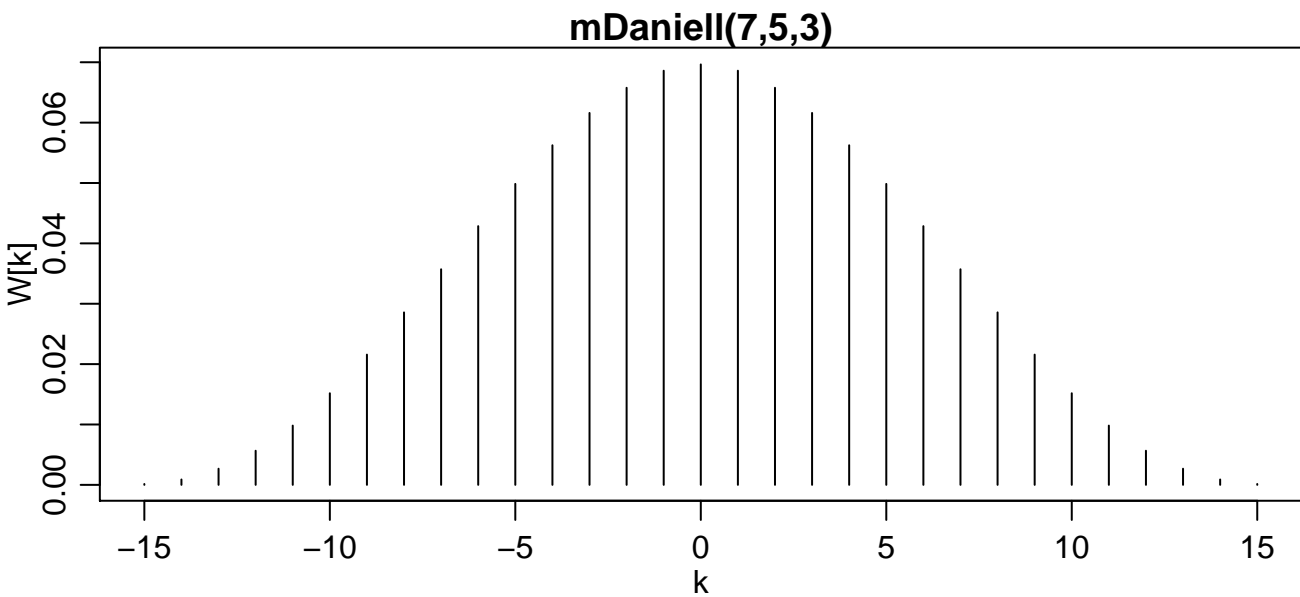
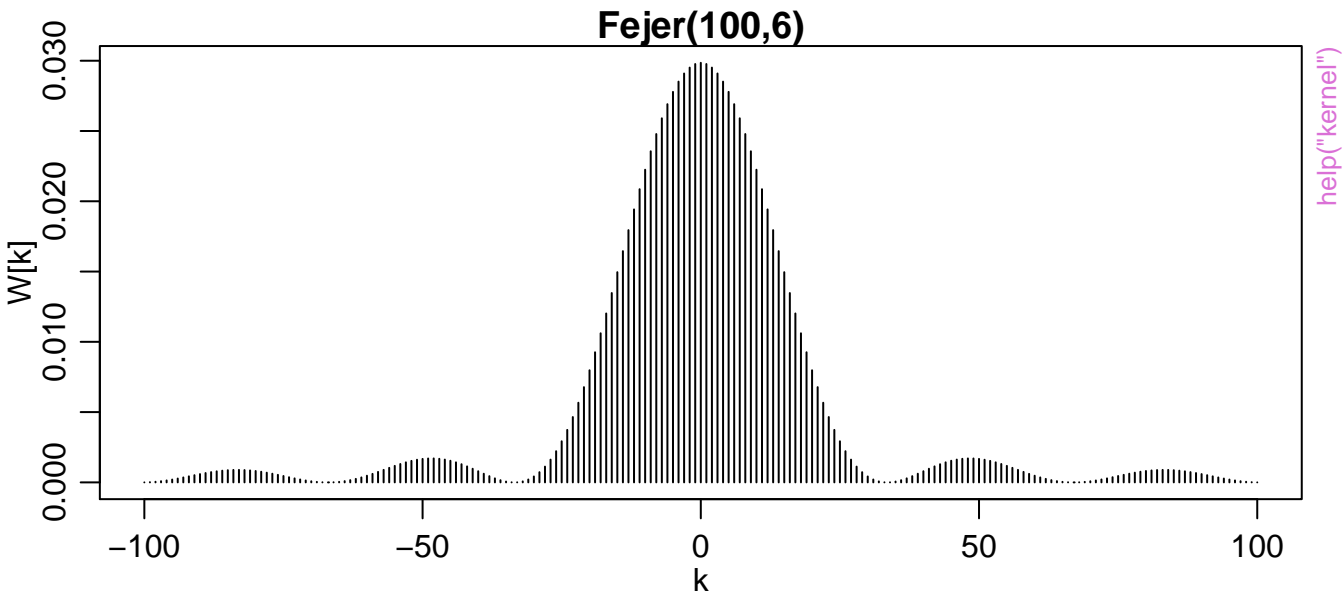
help("isoreg")

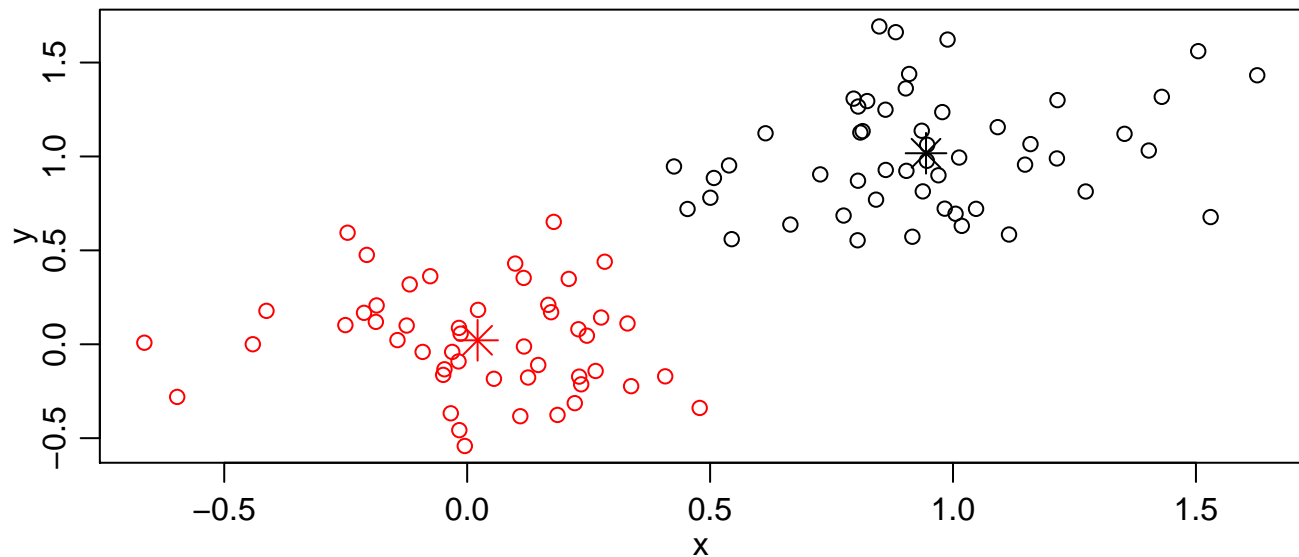
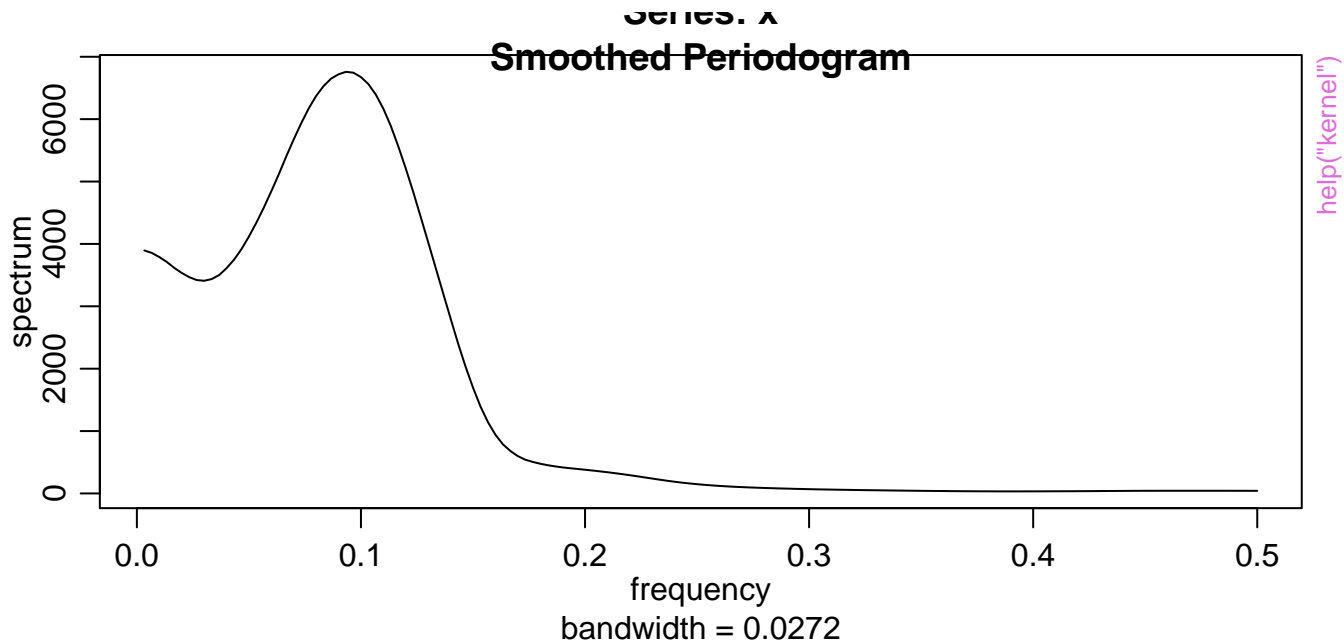
Daniell(50)

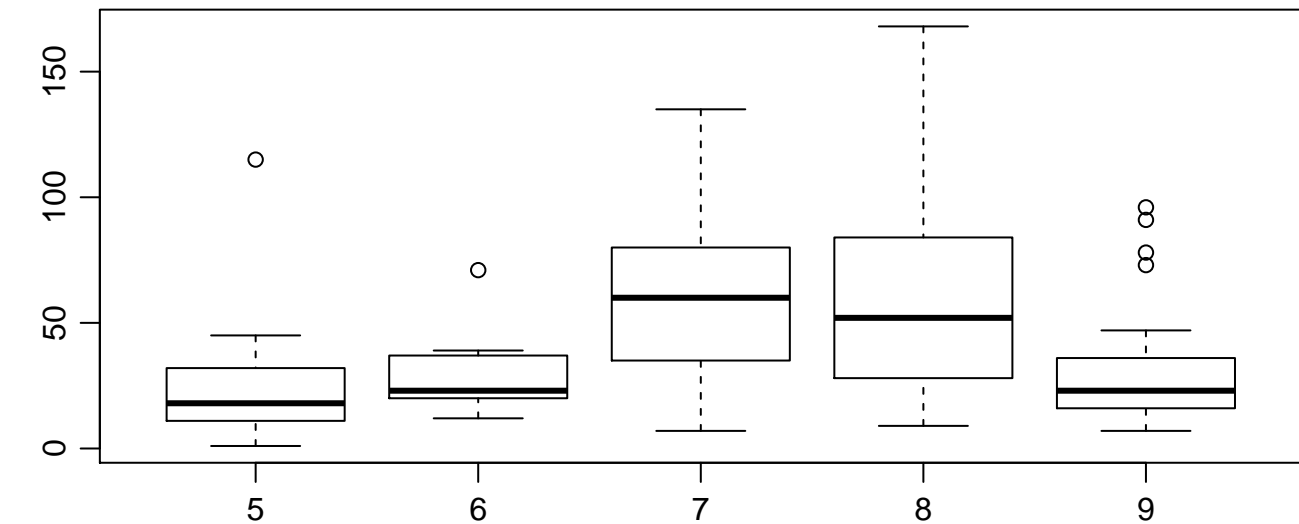
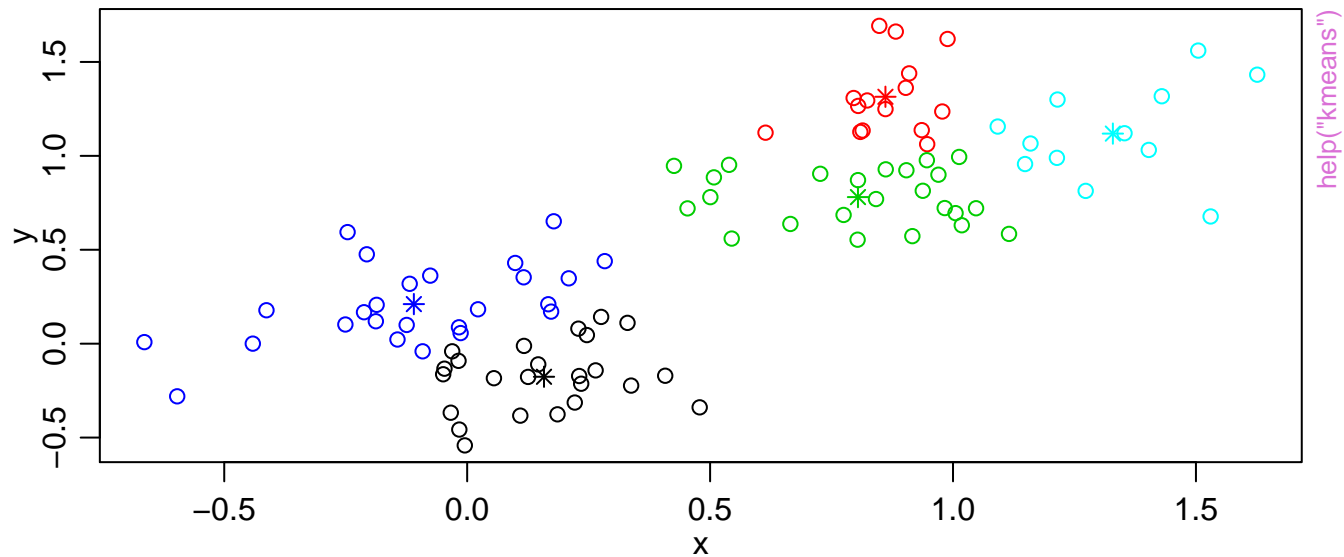


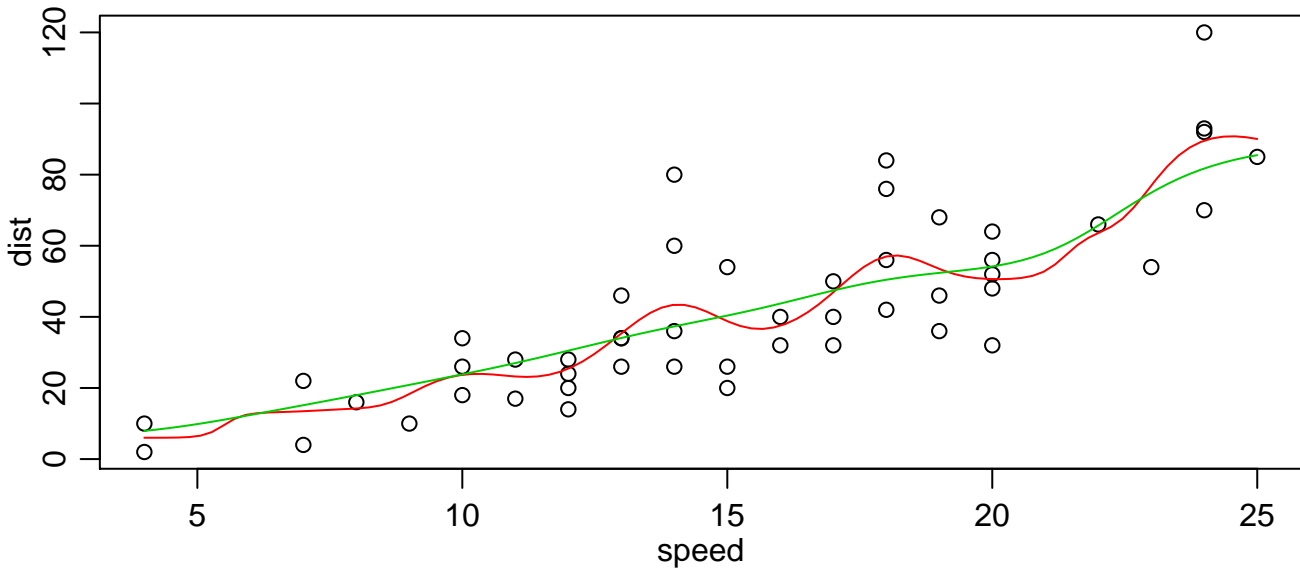
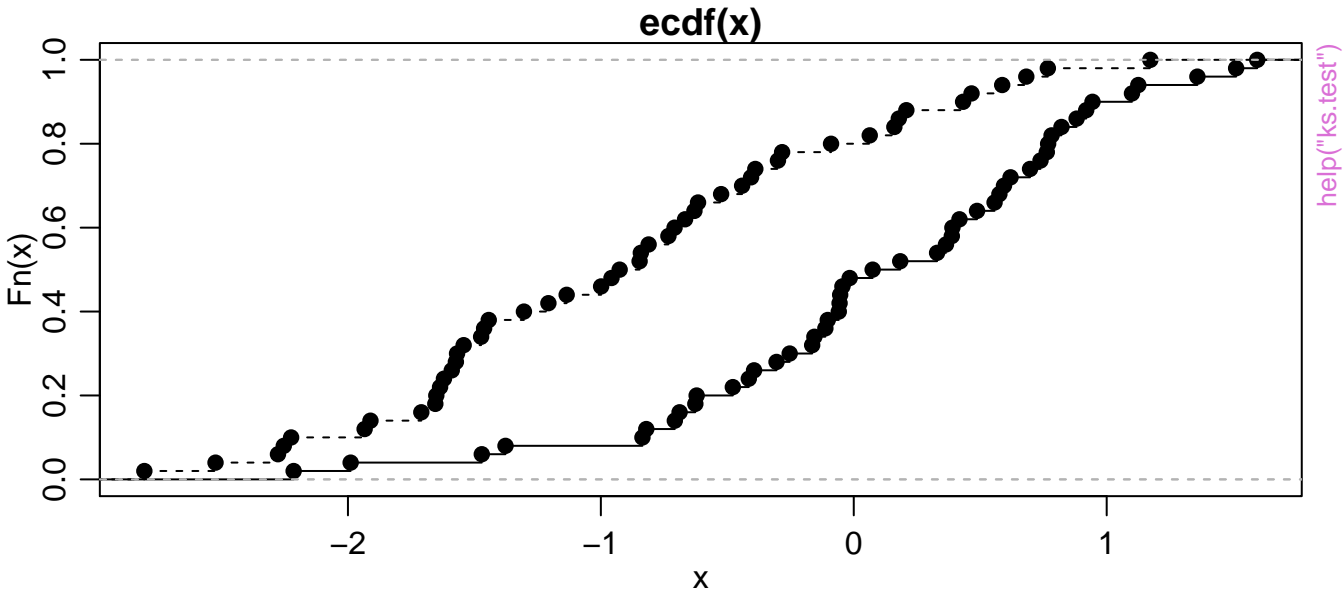
Daniell(10)

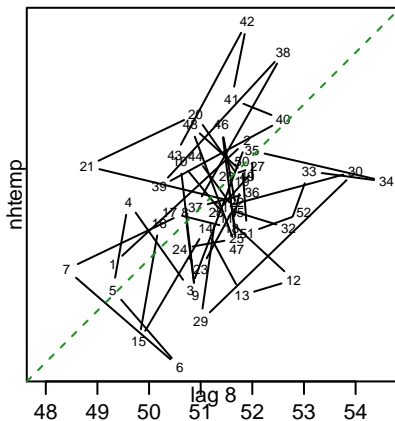
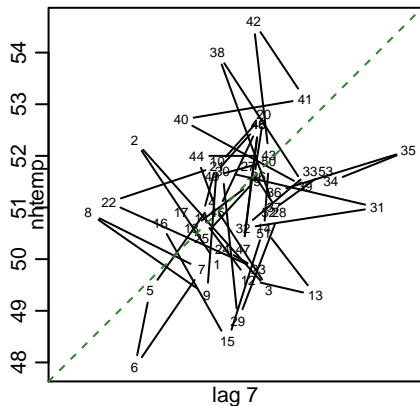
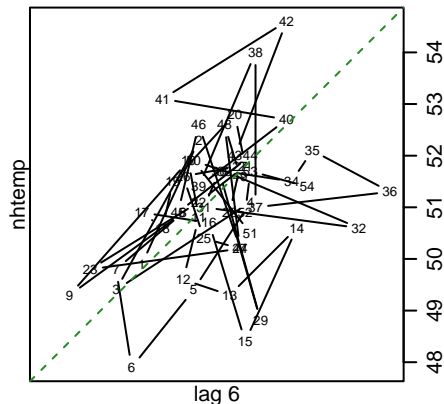
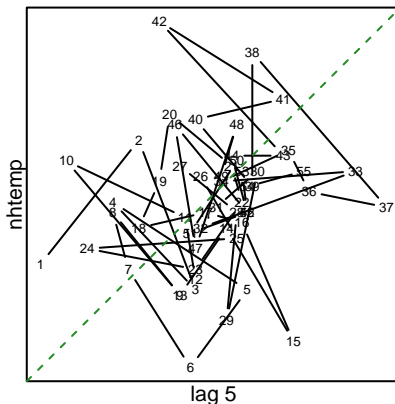
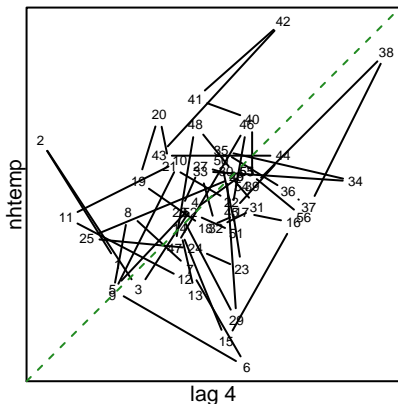
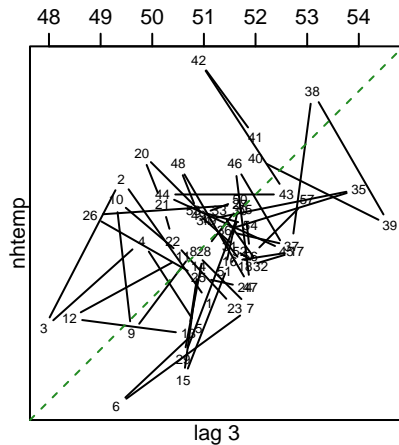
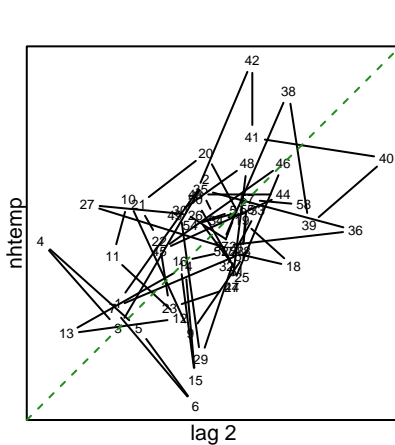
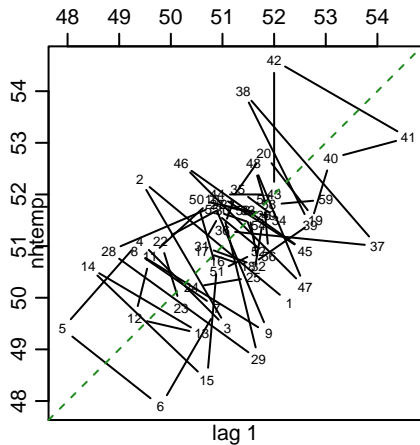






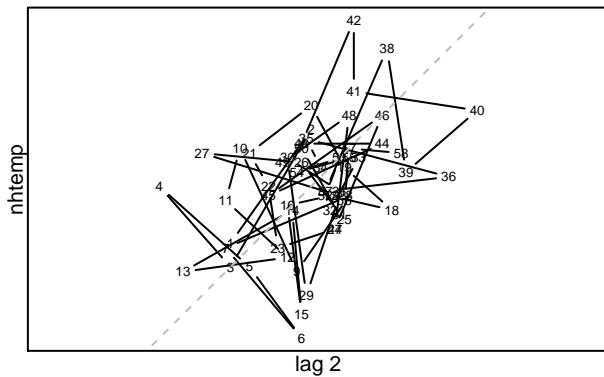
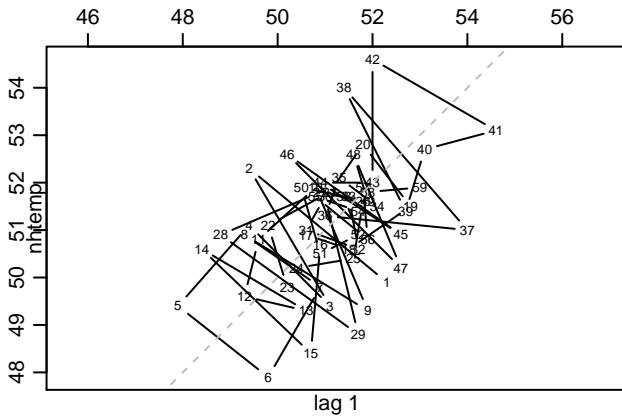




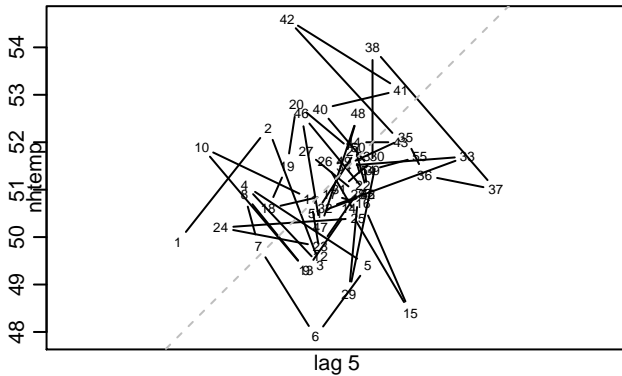
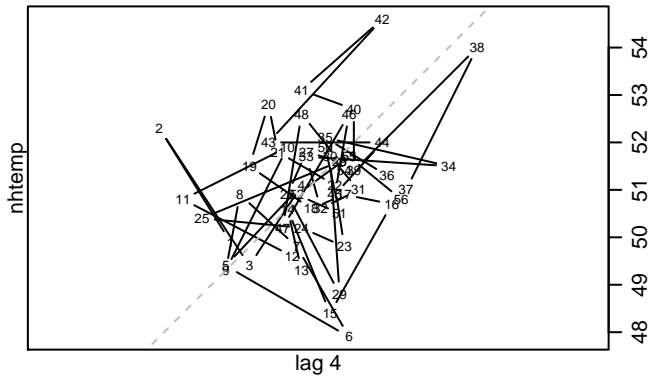
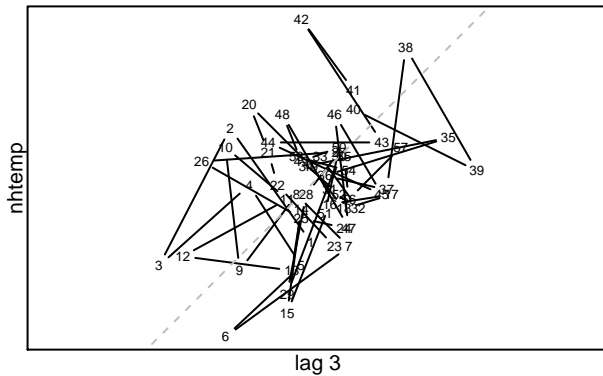


help("lag.plot")

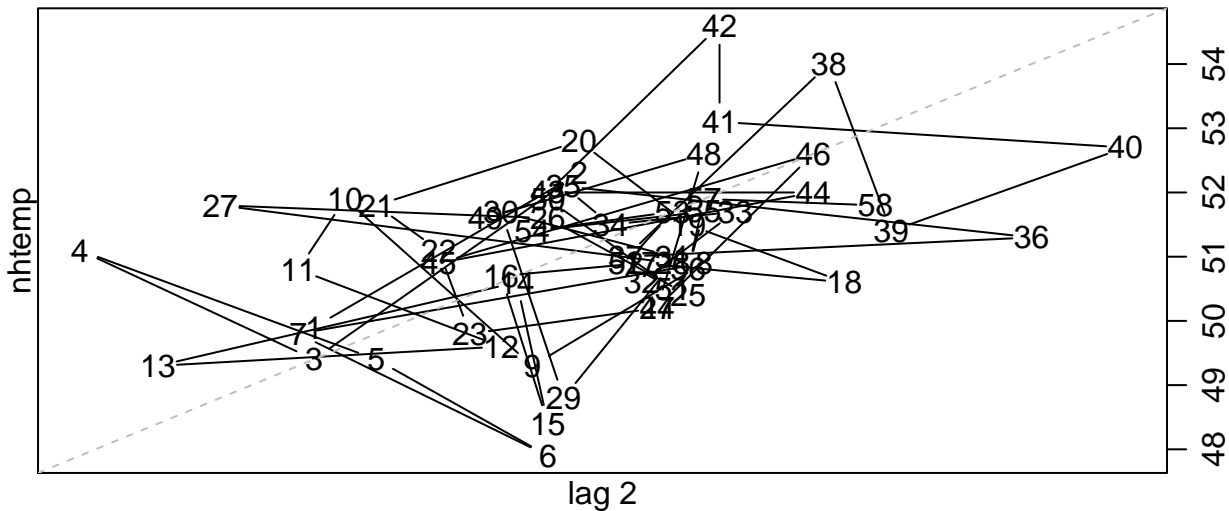
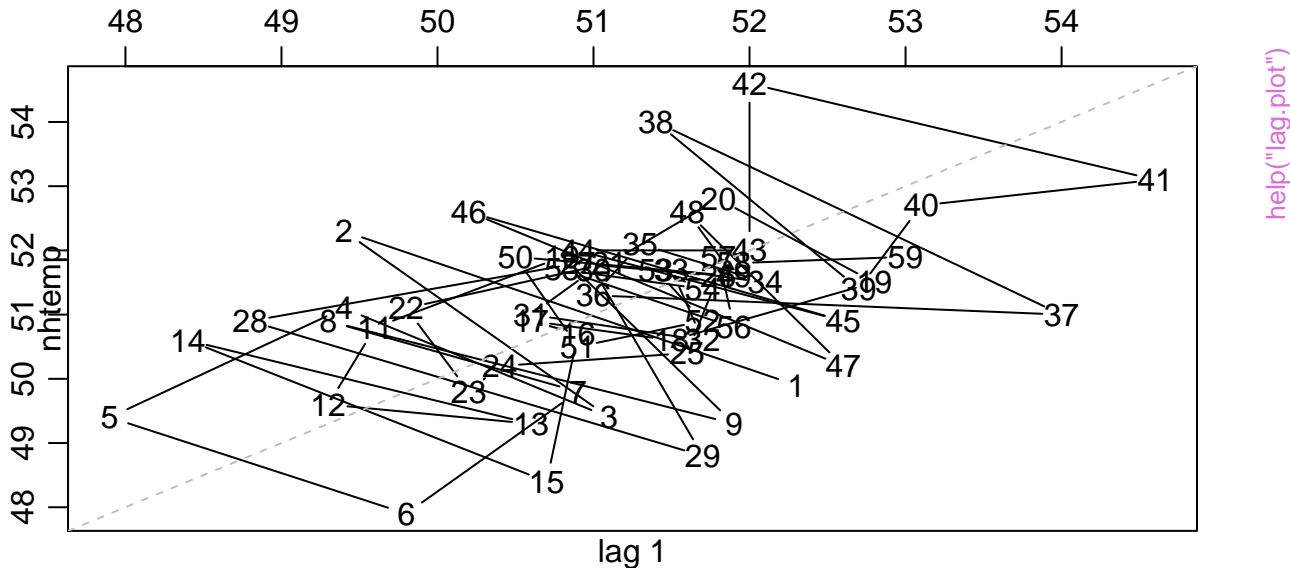
Average Temperatures in New Haven



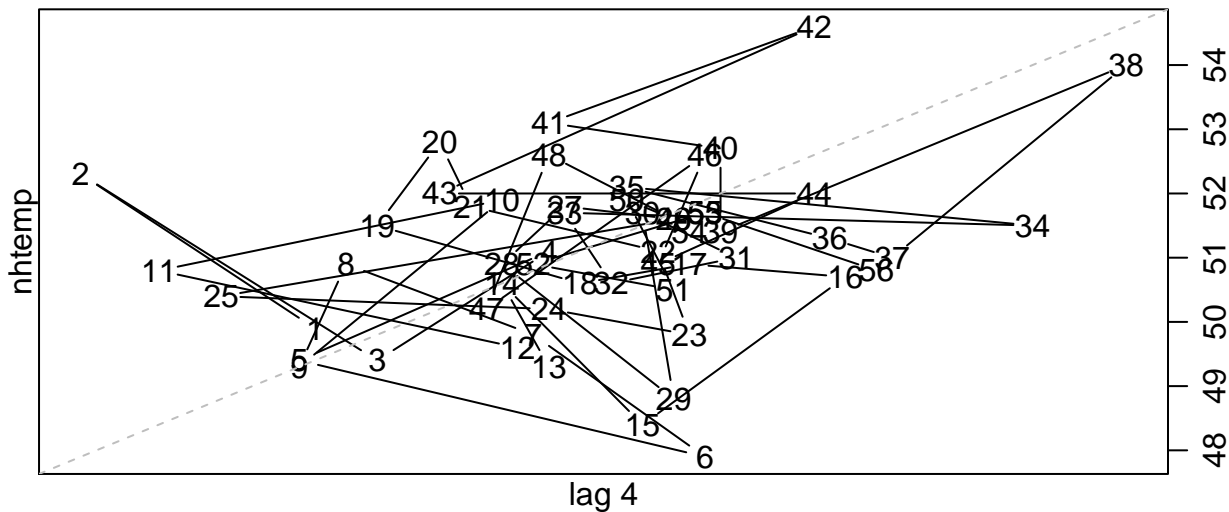
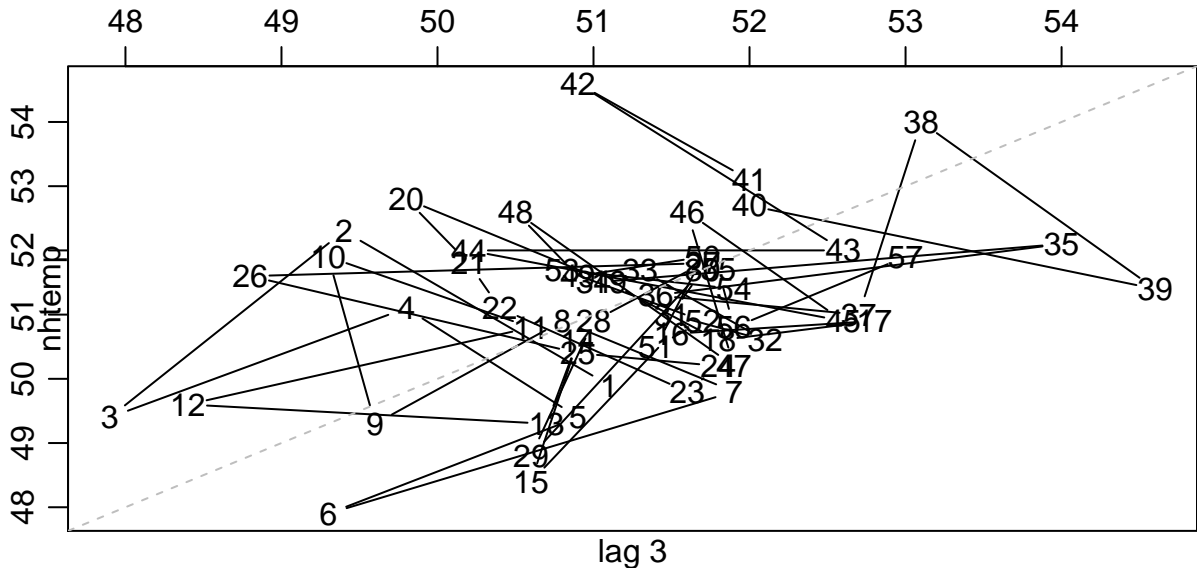
[help\("lag.plot"\)](#)



New Haven Temperatures

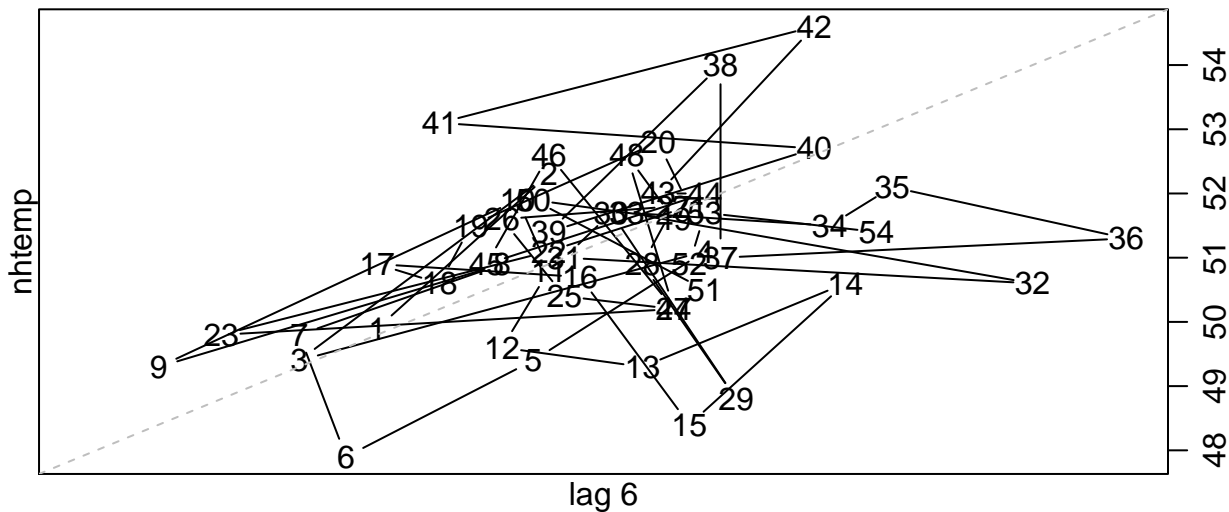
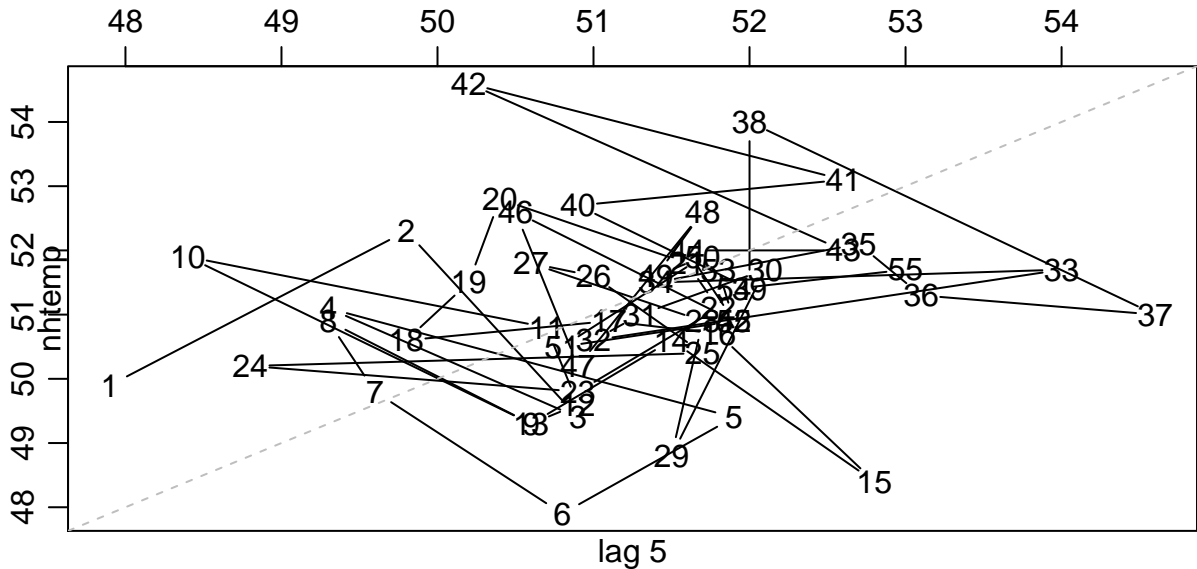


New Haven Temperatures

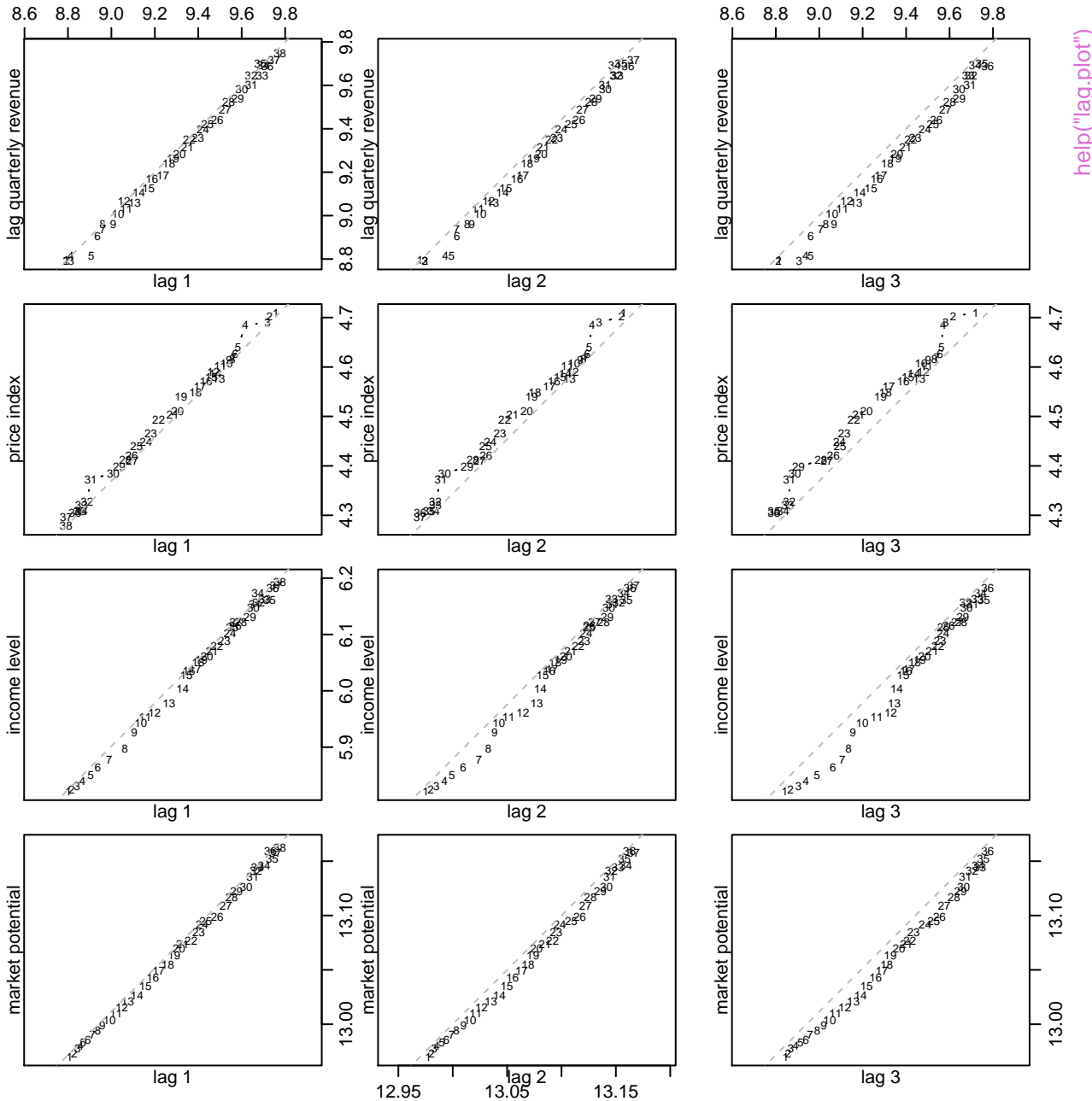


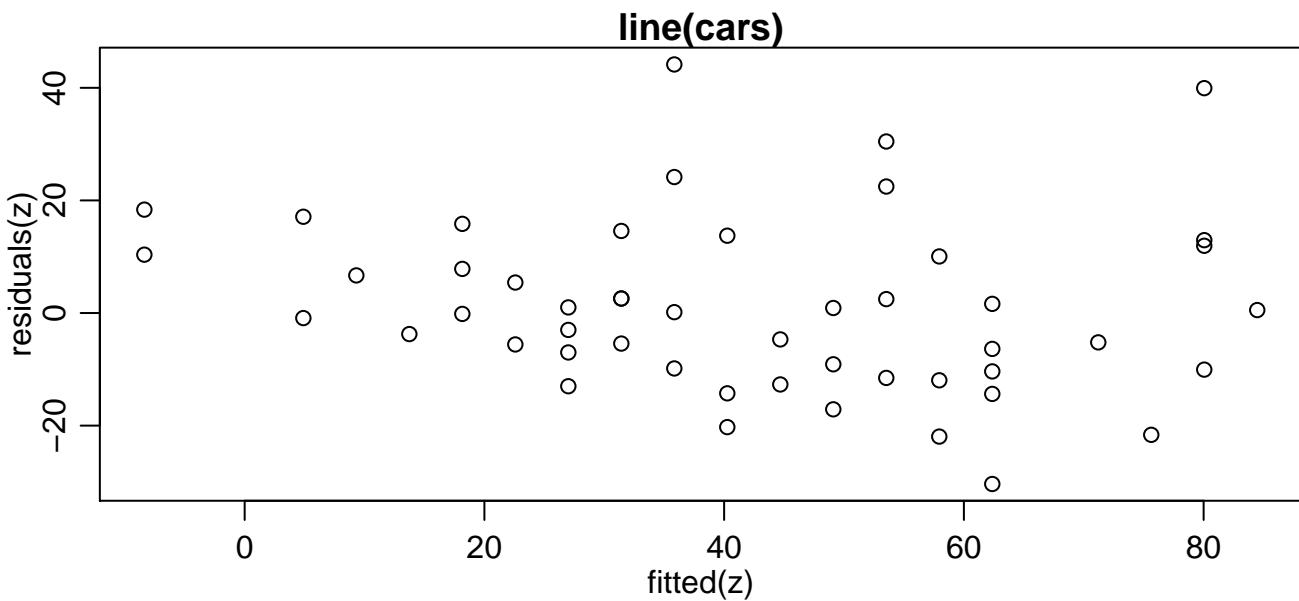
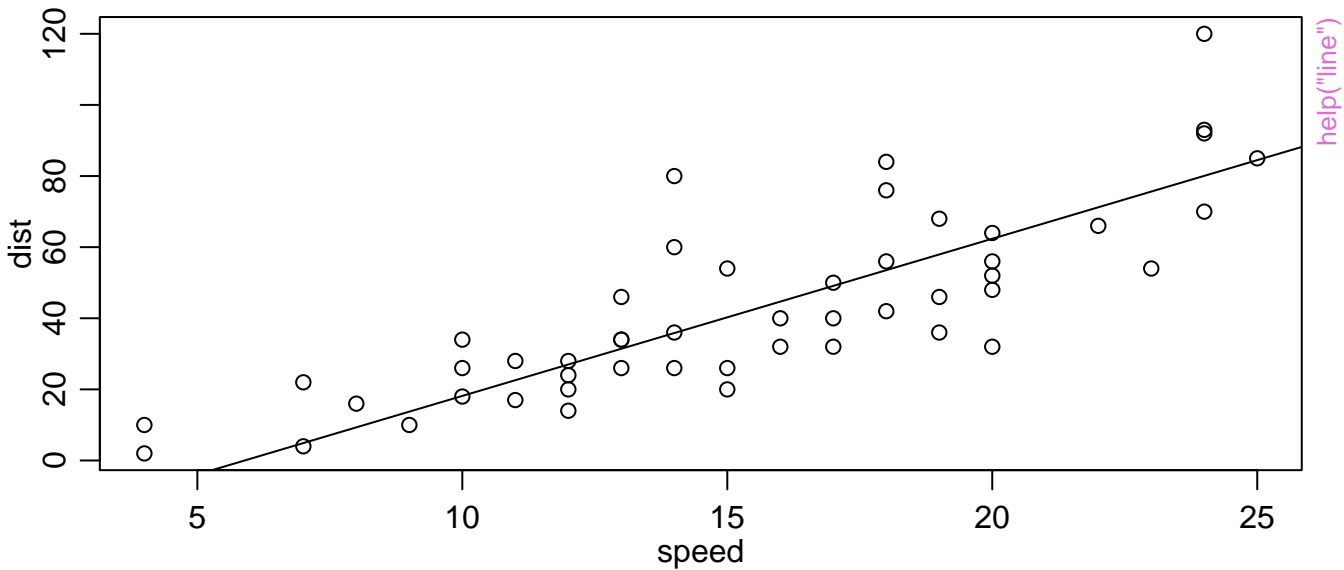
help("lag.plot")

New Haven Temperatures



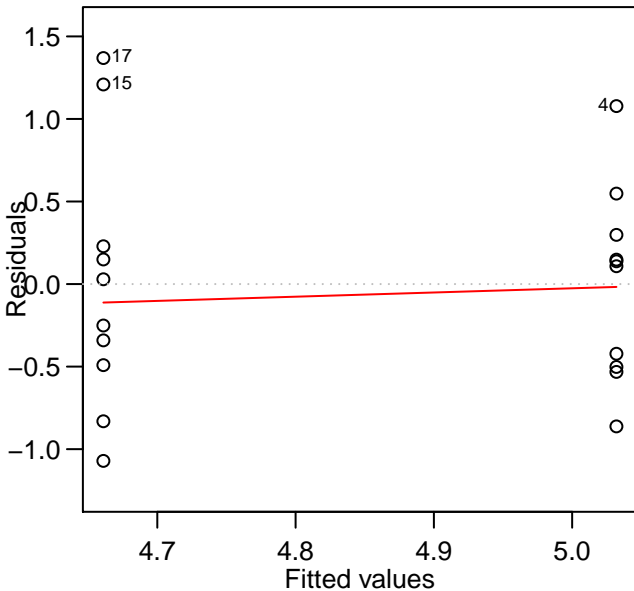
[help\("lag.plot"\)](#)



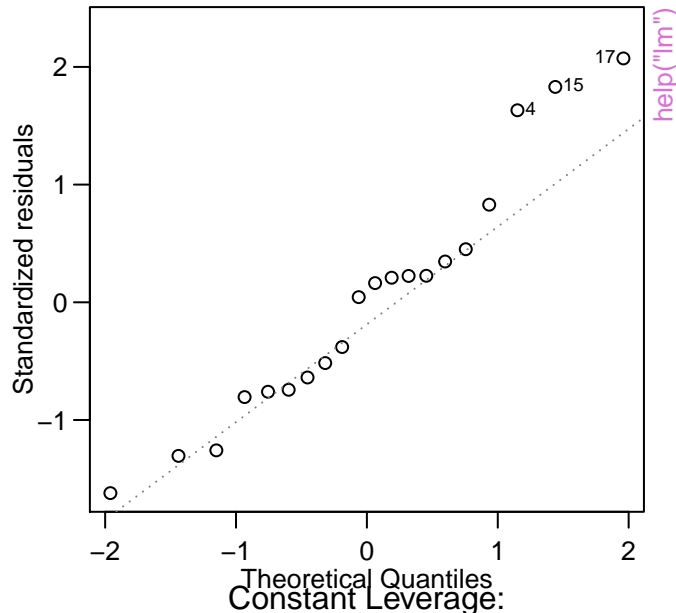


lm(weight ~ group)

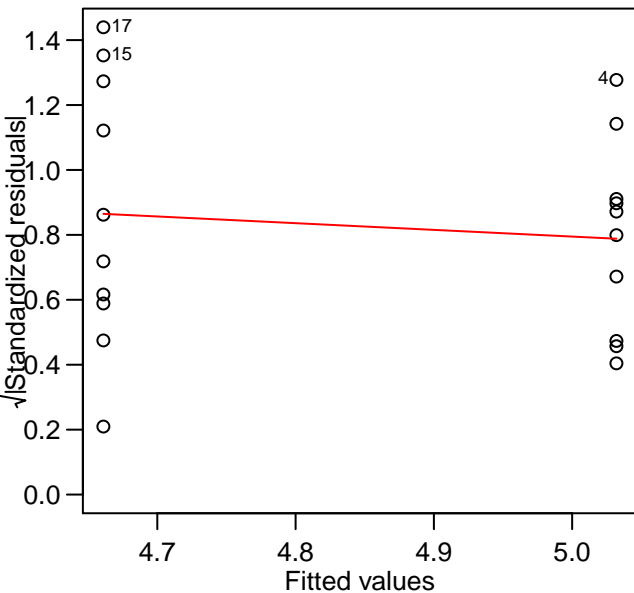
Residuals vs Fitted



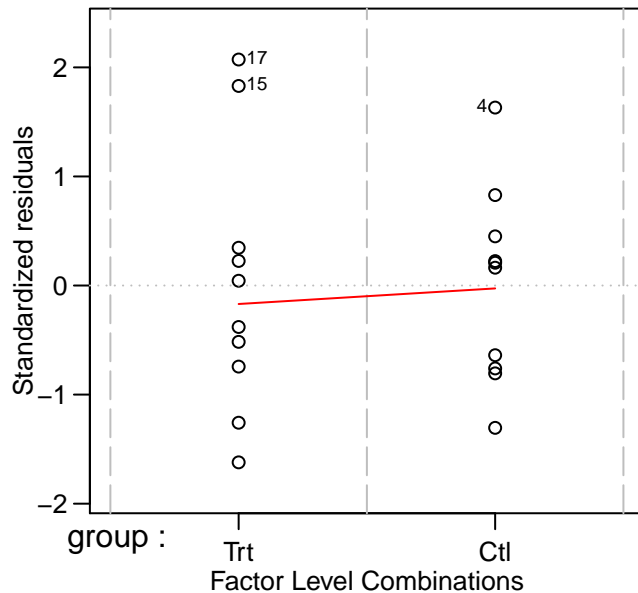
Normal Q-Q



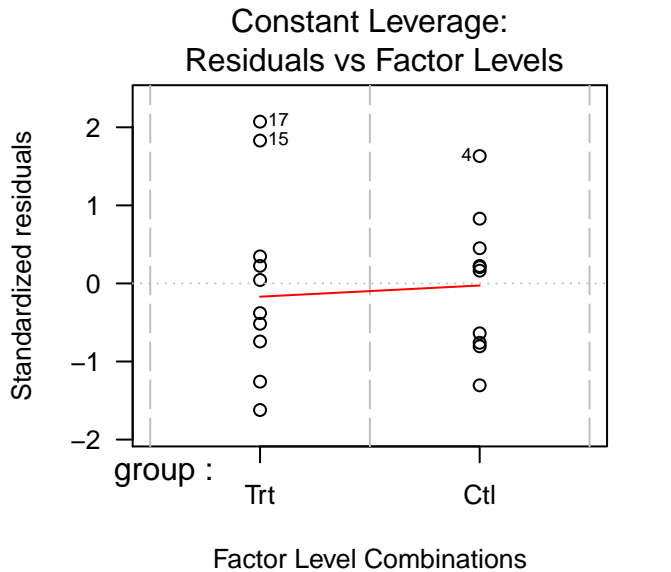
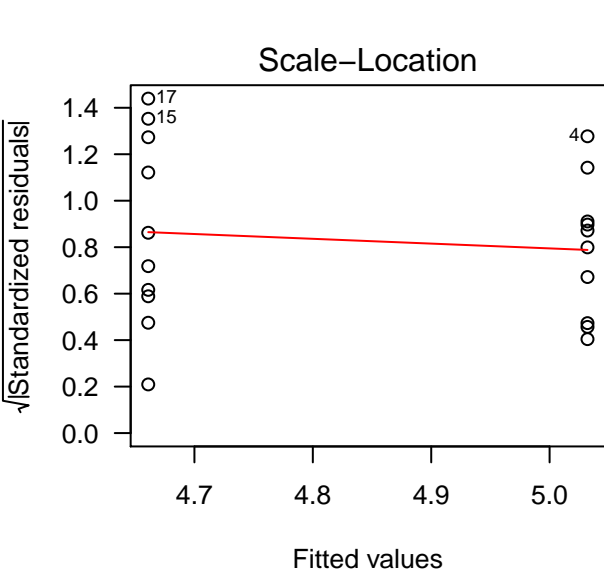
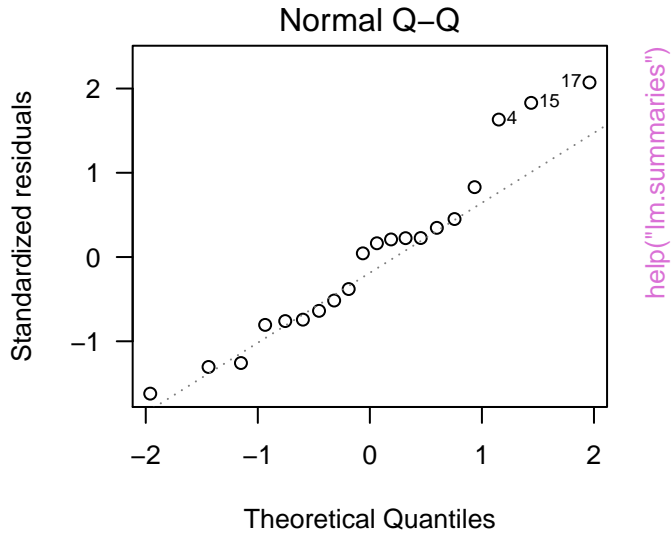
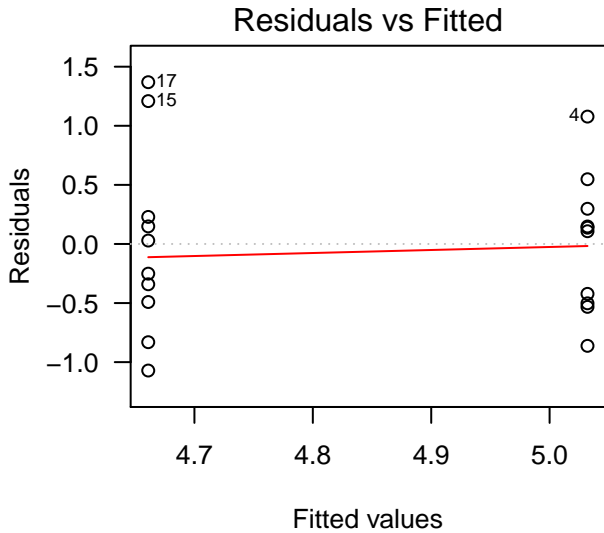
Scale-Location



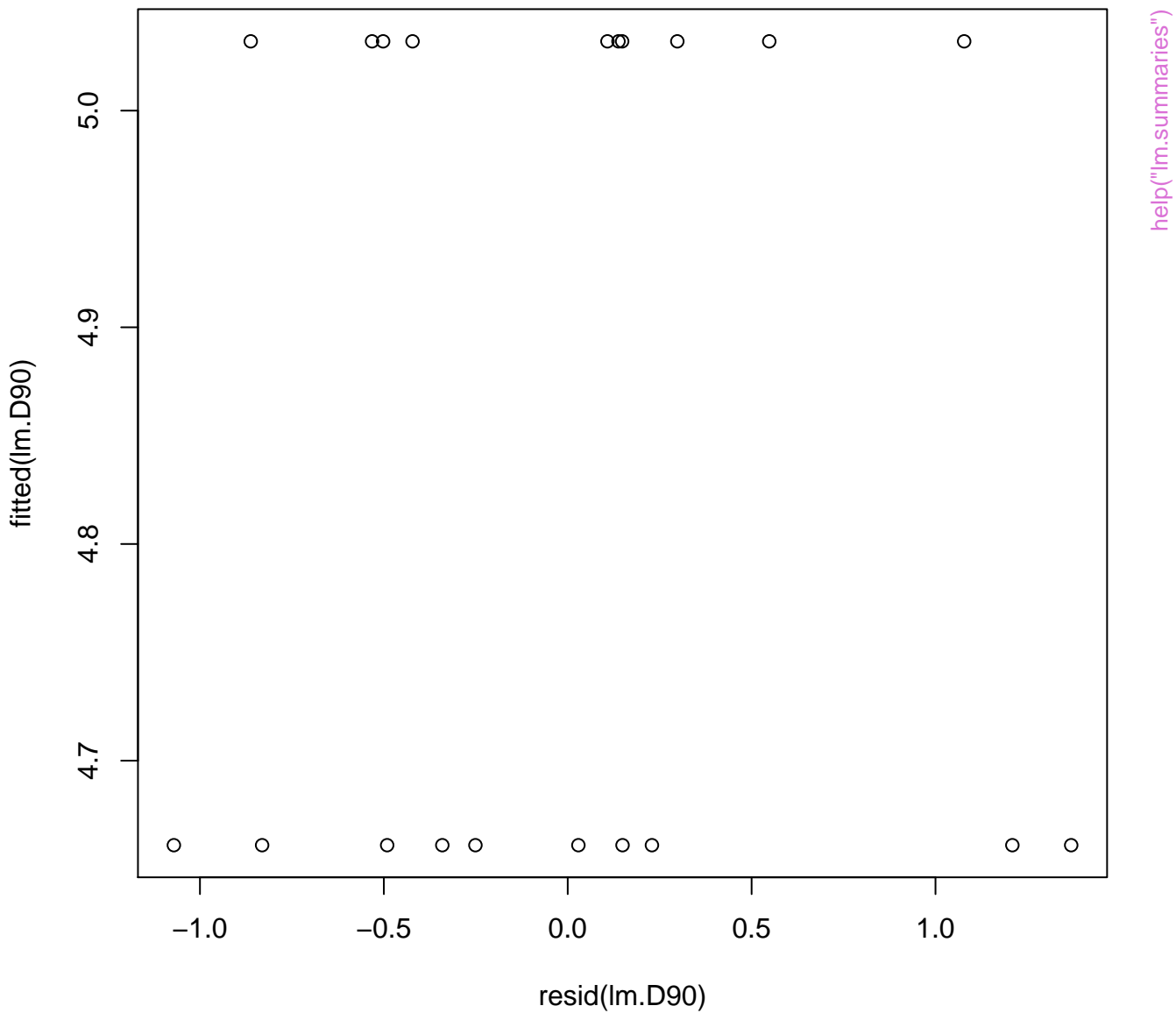
Residuals vs Factor Levels



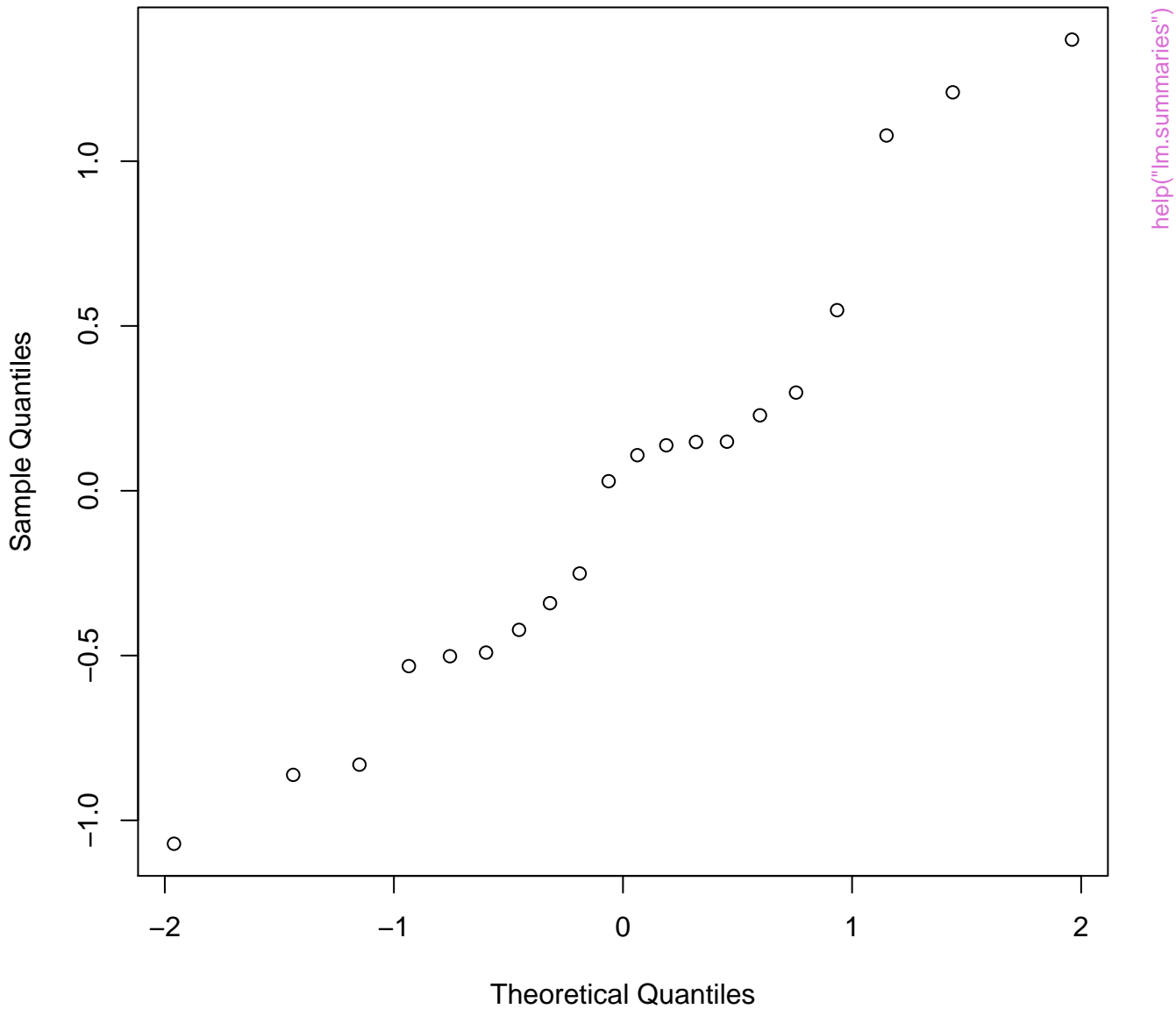
lm(weight ~ group)



help("lm.summaries")

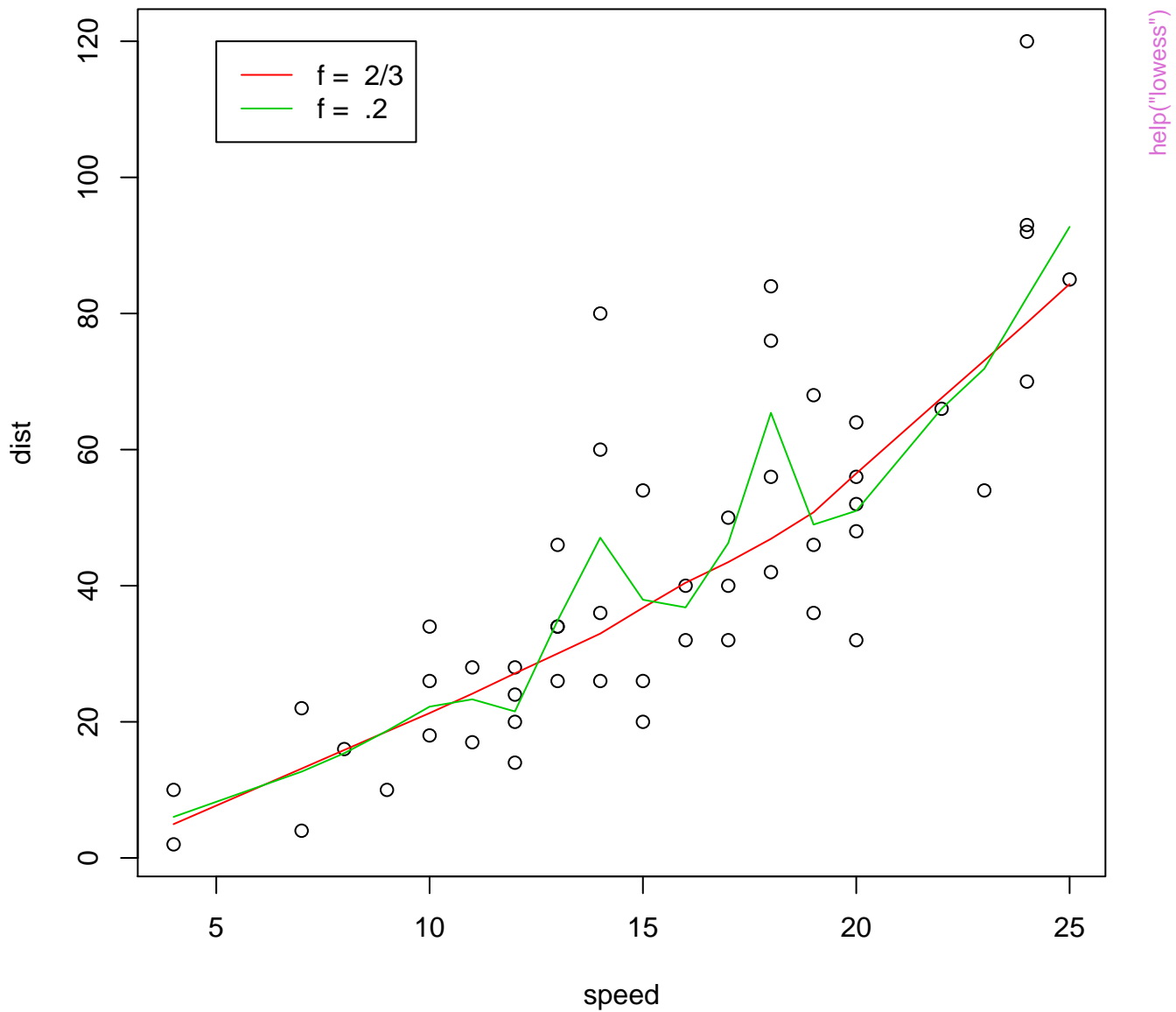


Normal Q-Q Plot

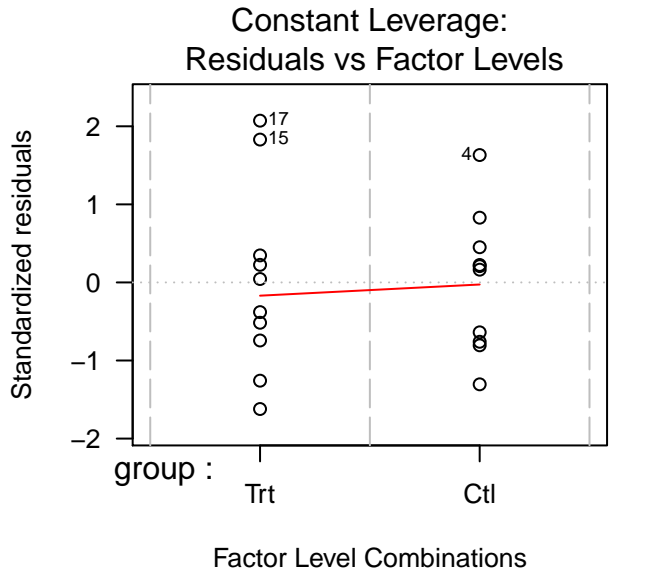
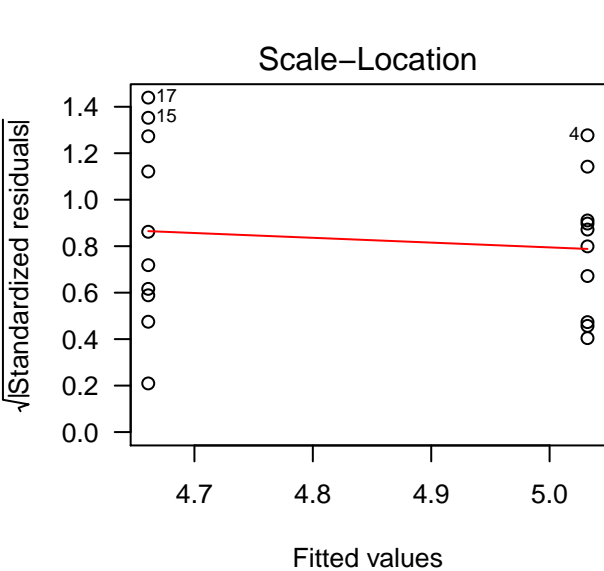
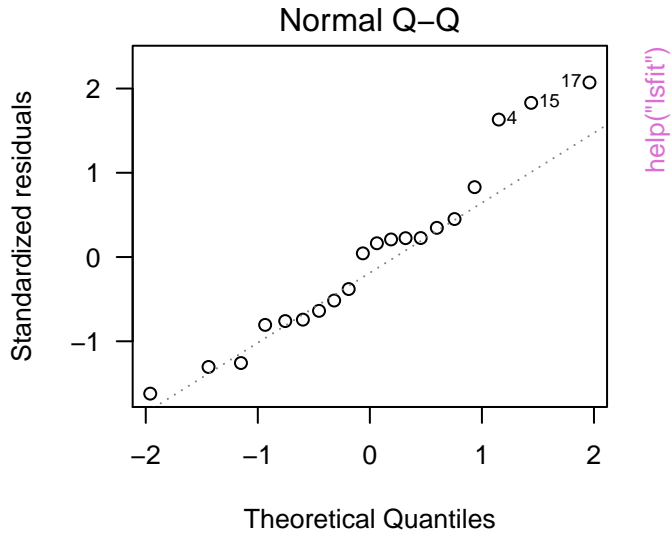
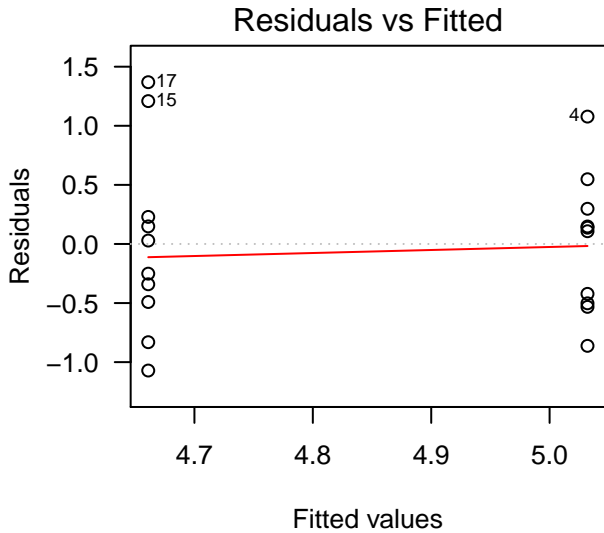


[help\("lm.summaries"\)](#)

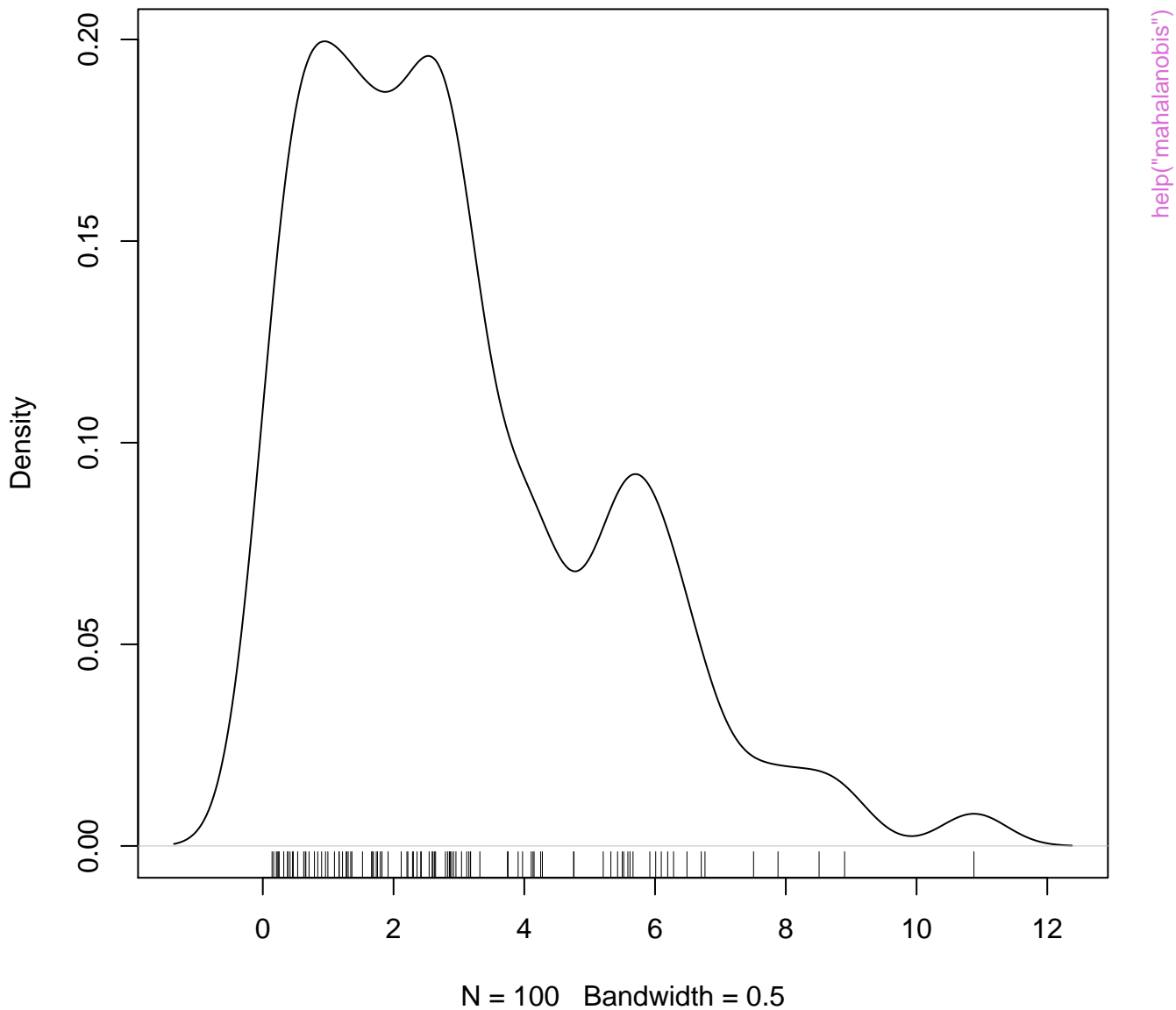
lowess(cars)



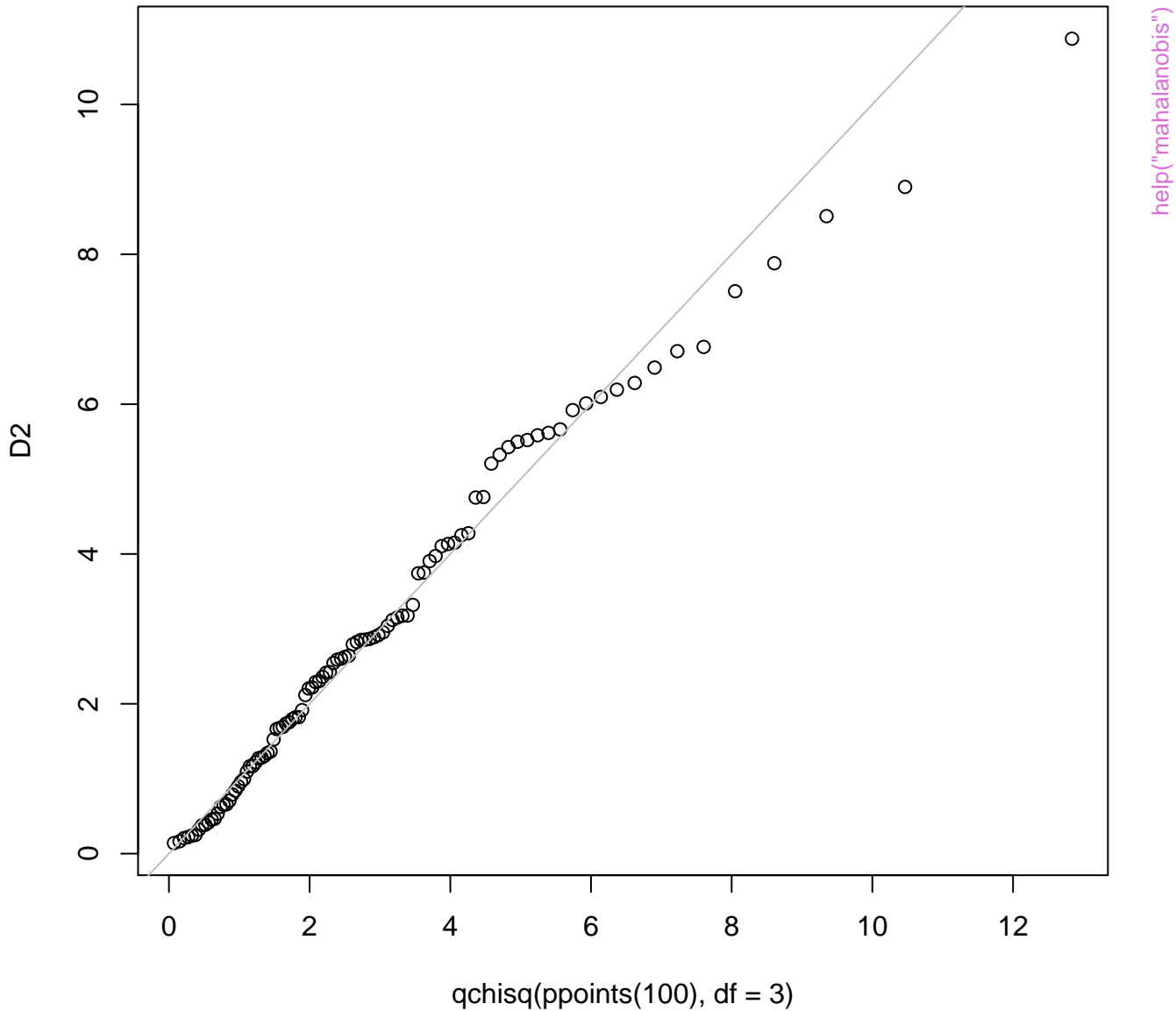
lm(weight ~ group)

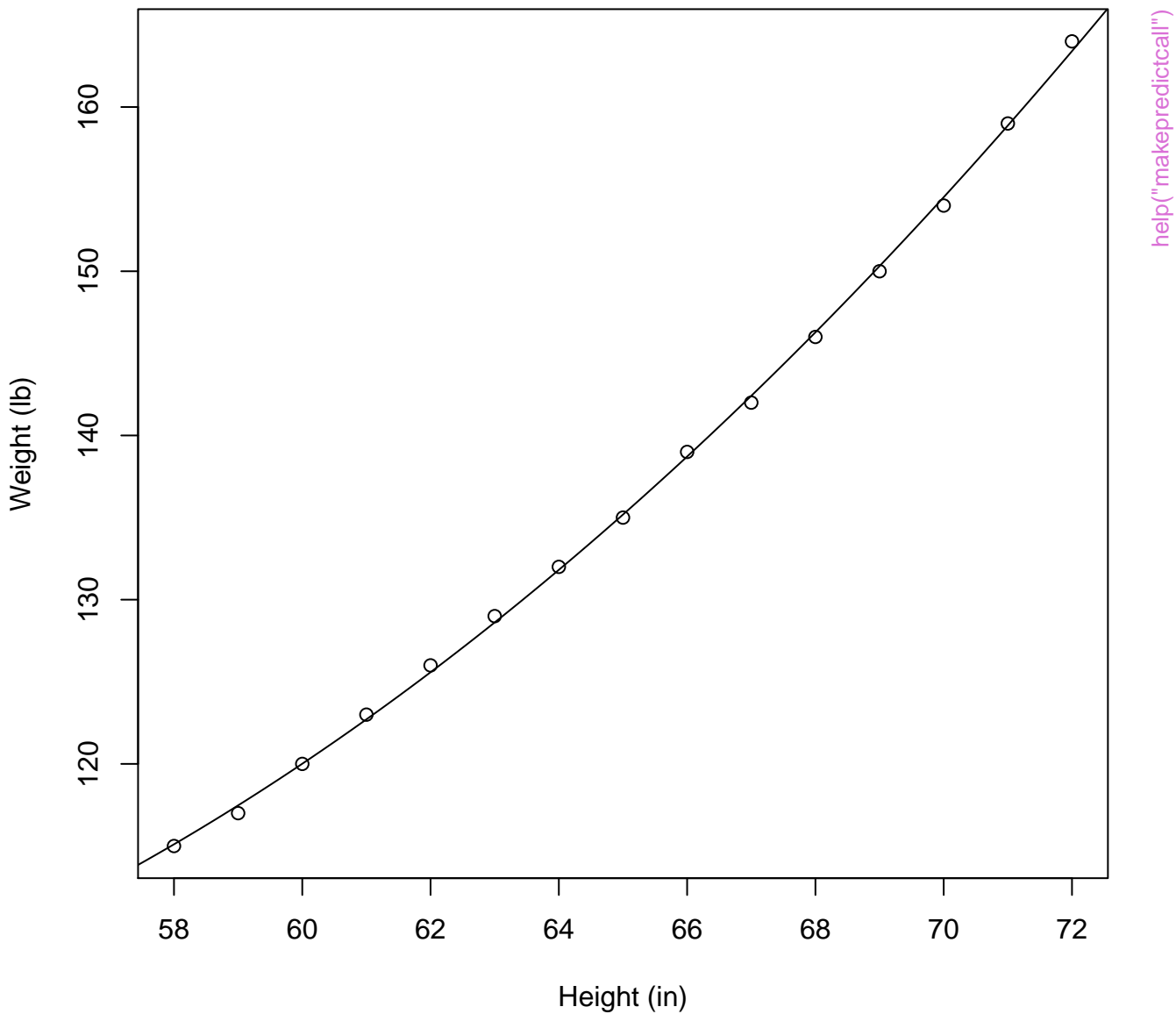


Squared Mahalanobis distances, n=100, p=3

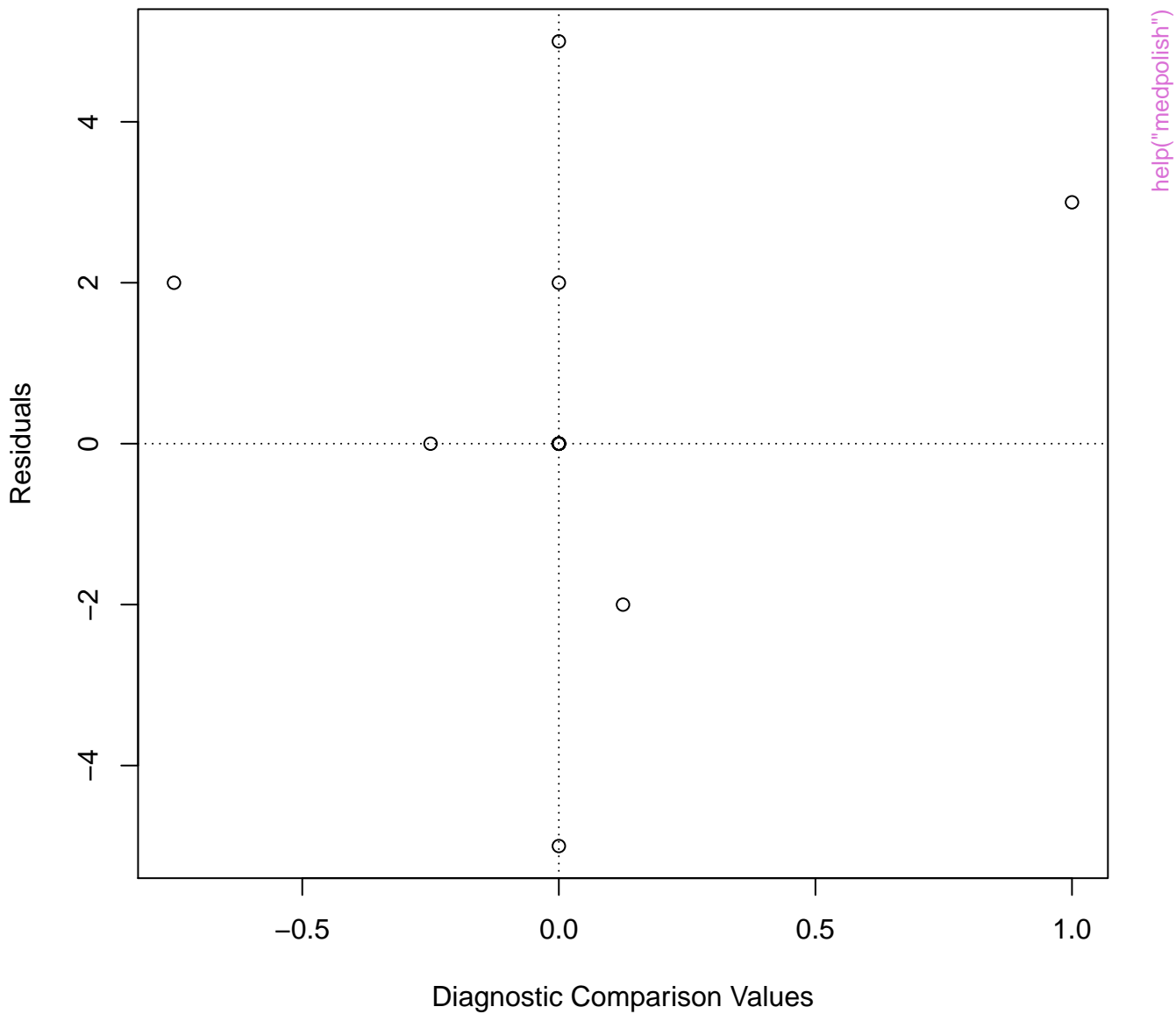


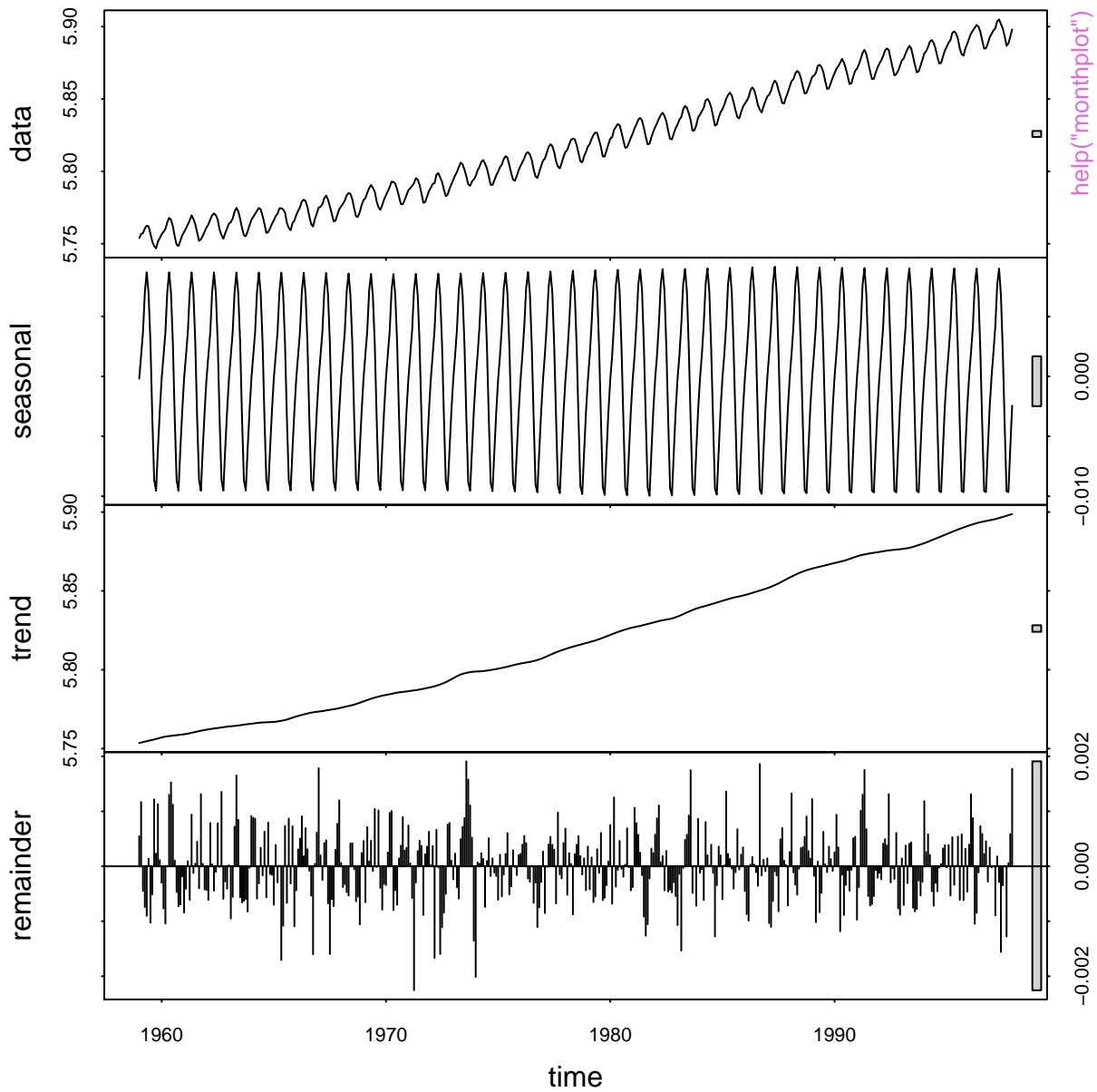
Q-Q plot of Mahalanobis D^2 vs. quantiles of χ^2_3

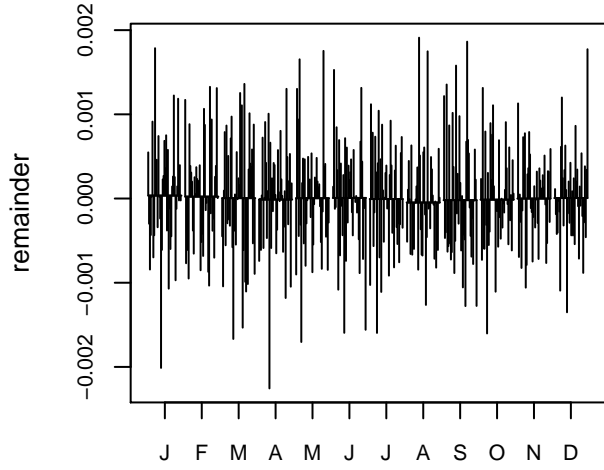
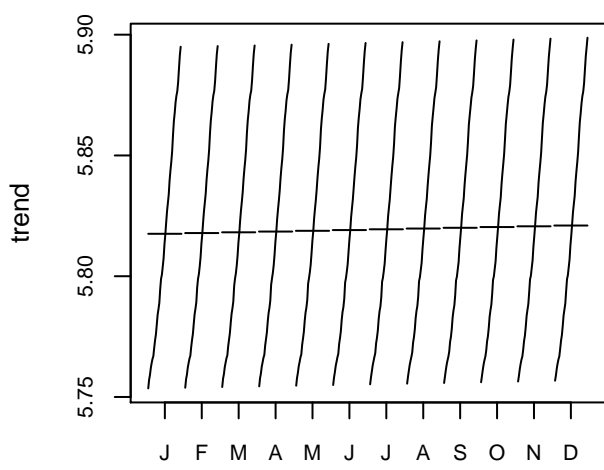
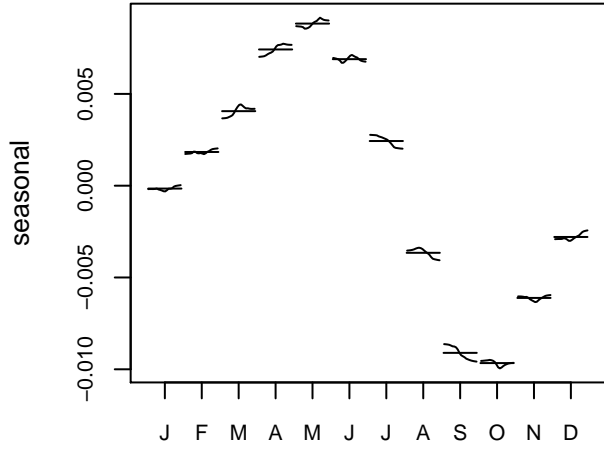
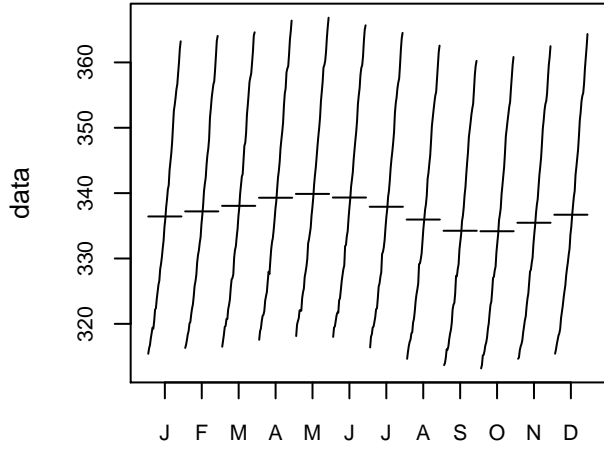




Tukey Additivity Plot

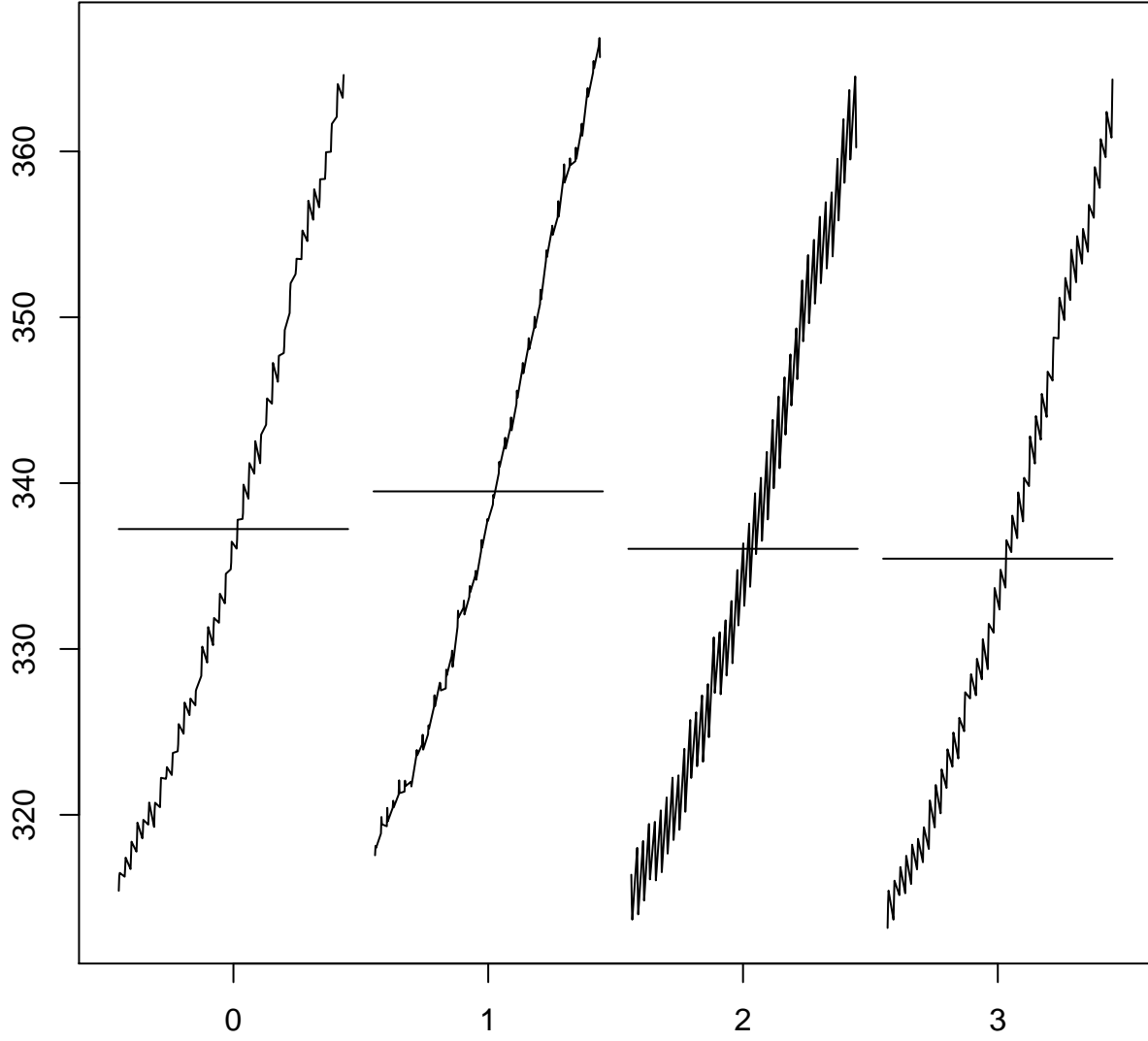






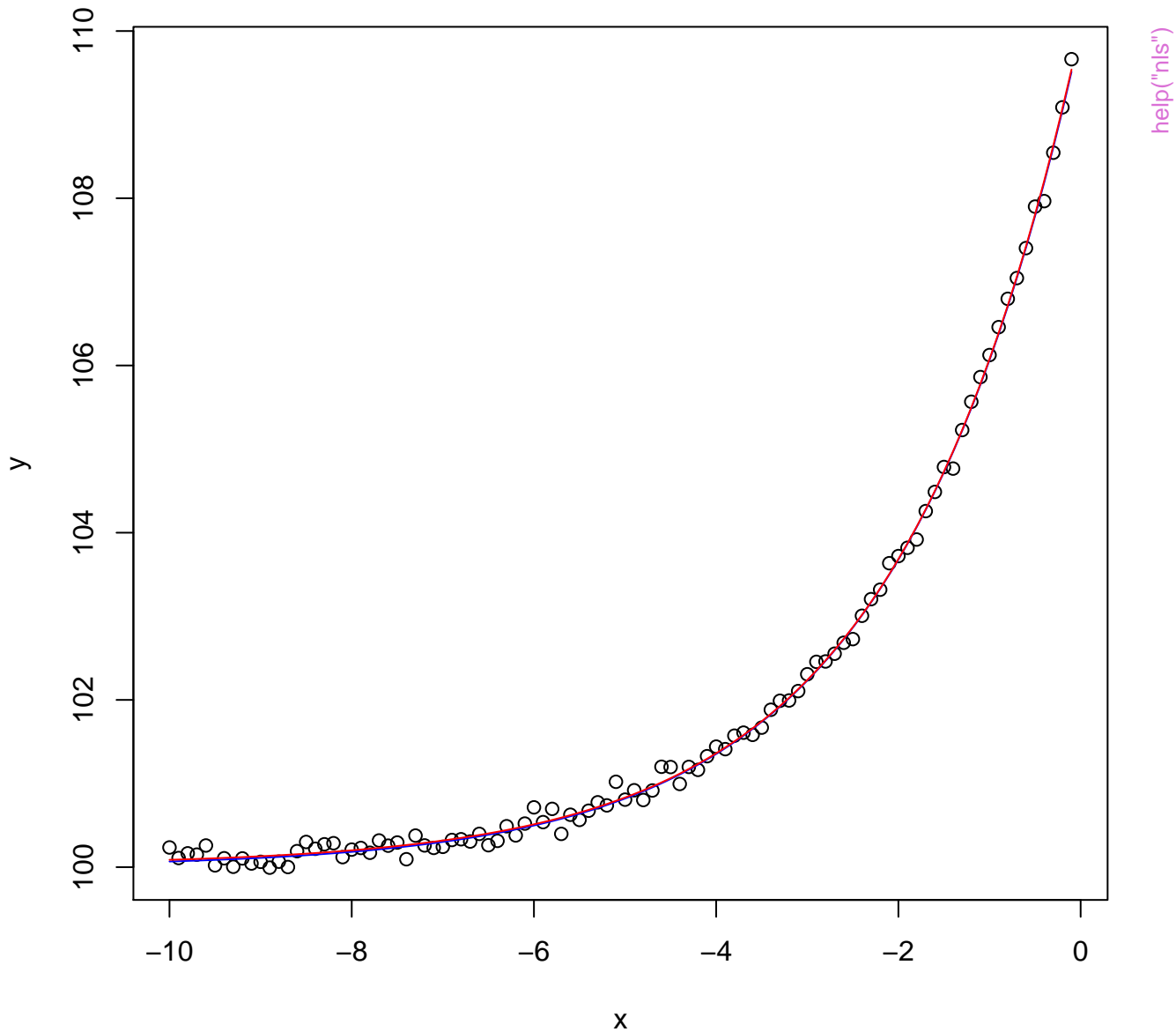
[help\("monthplot"\)](#)

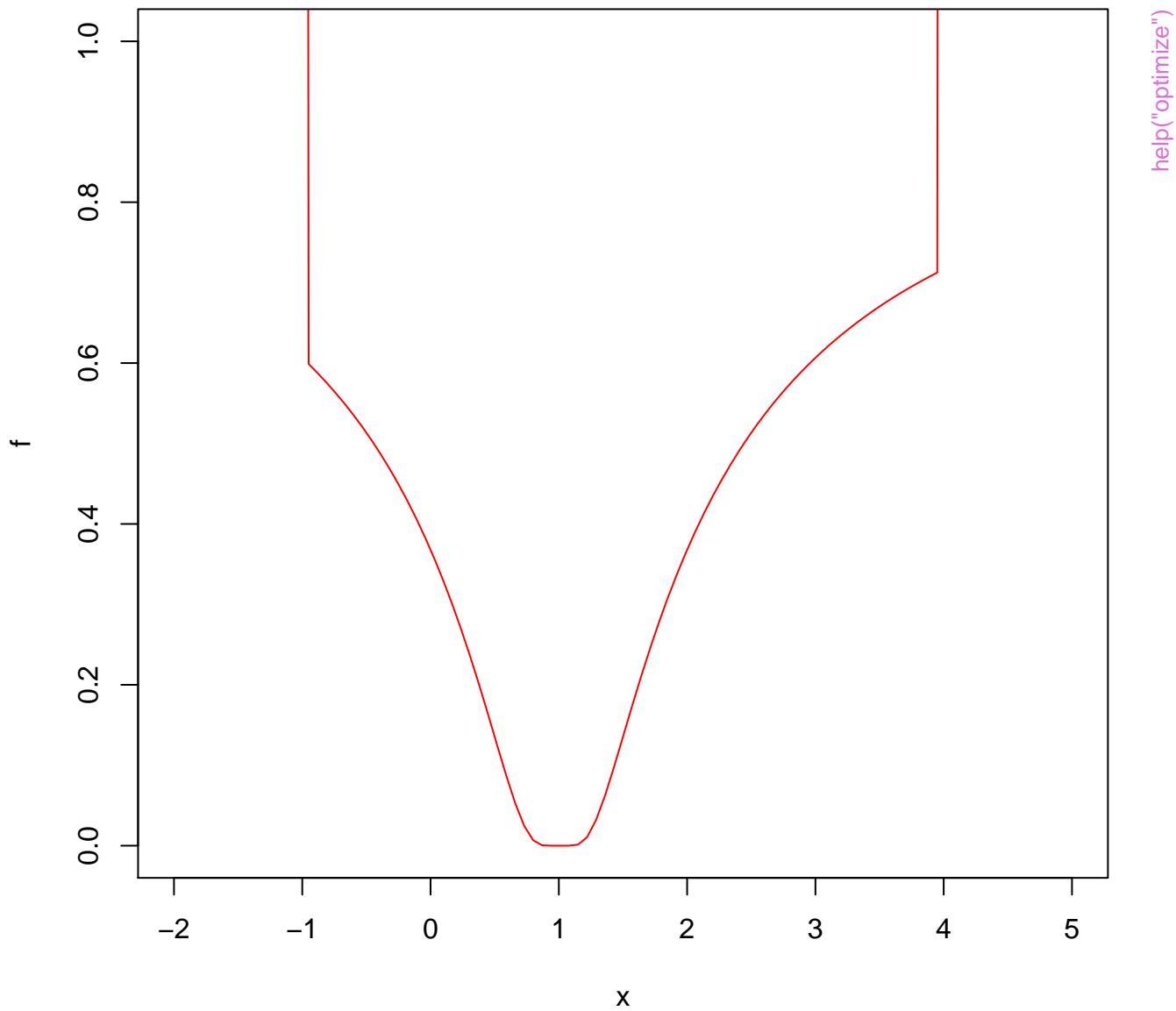
co2



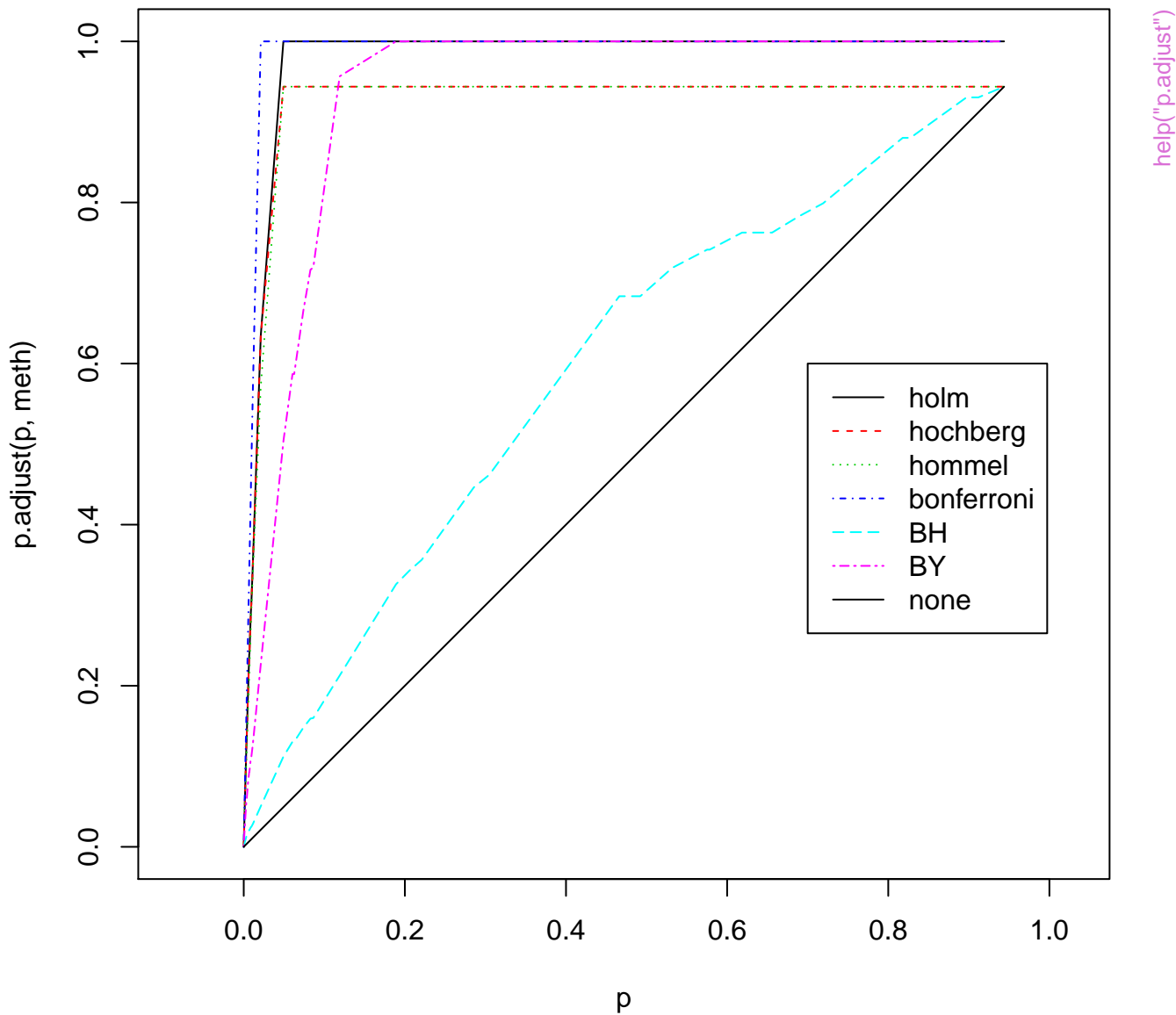
help("monthplot")

nls(*), data, true function and fit, n=100

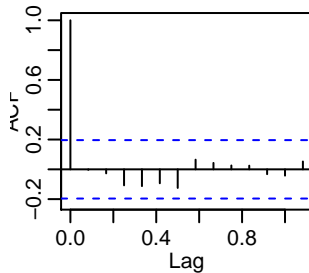




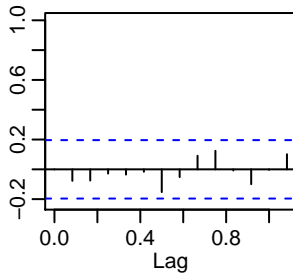
P-value adjustments



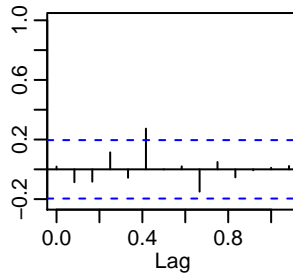
Series 1



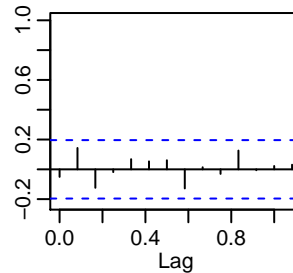
Srs1 & Srs2



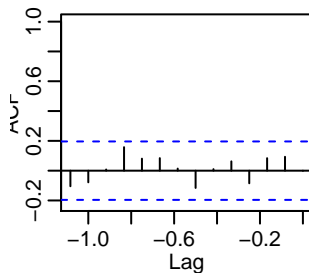
Srs1 & Srs3



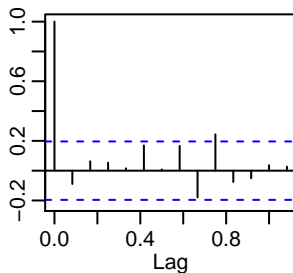
Srs1 & Srs4



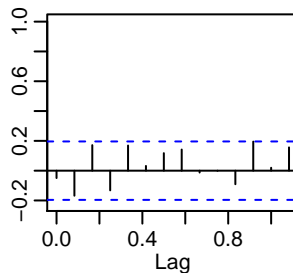
Srs2 & Srs1



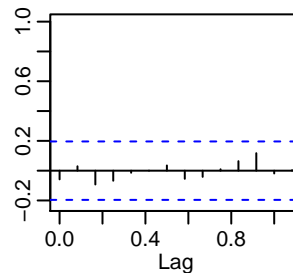
Series 2



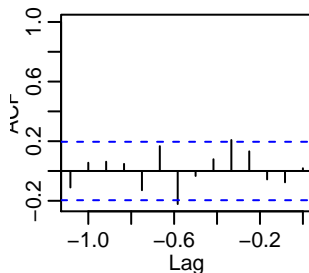
Srs2 & Srs3



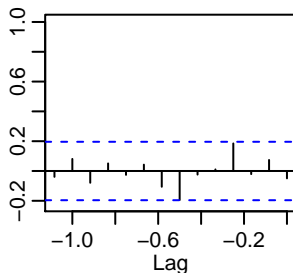
Srs2 & Srs4



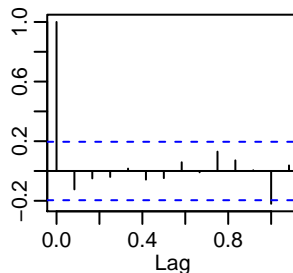
Srs3 & Srs1



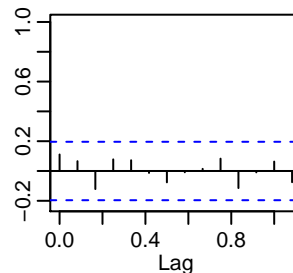
Srs3 & Srs2



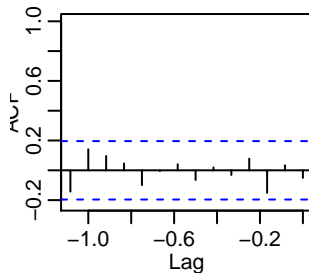
Series 3



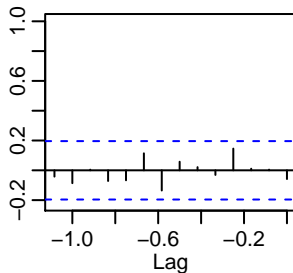
Srs3 & Srs4



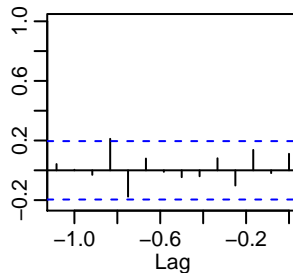
Srs4 & Srs1



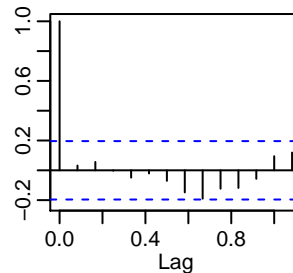
Srs4 & Srs2

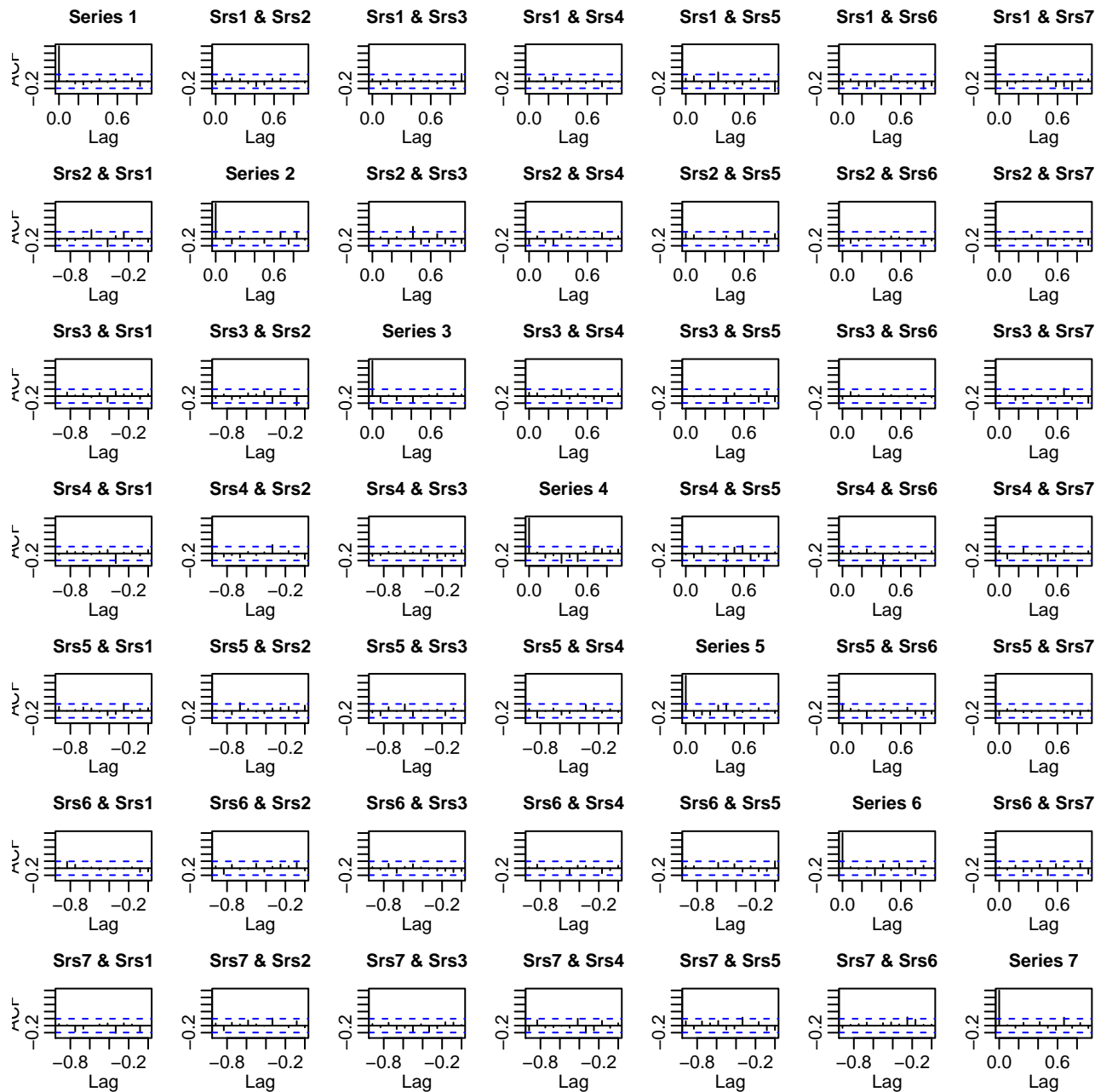


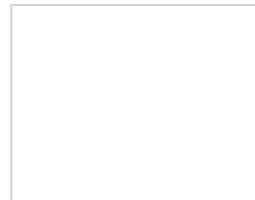
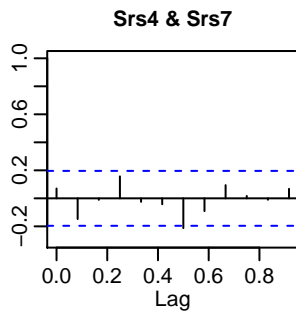
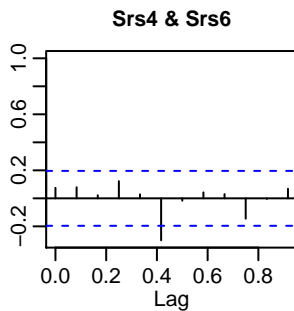
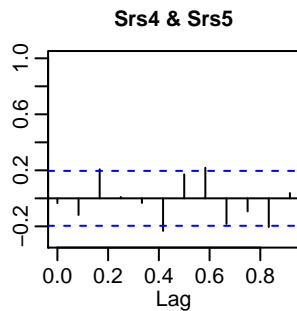
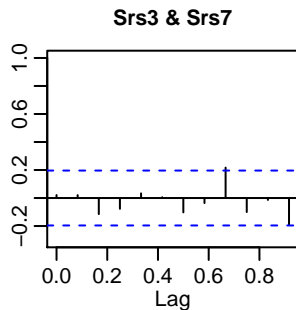
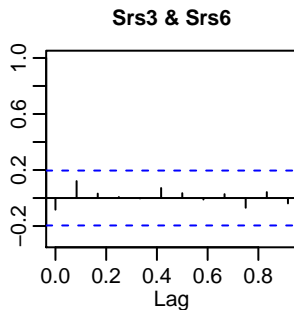
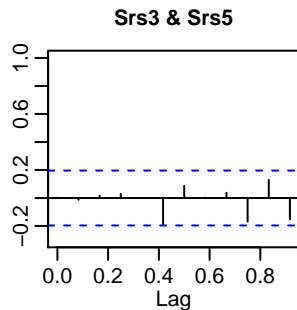
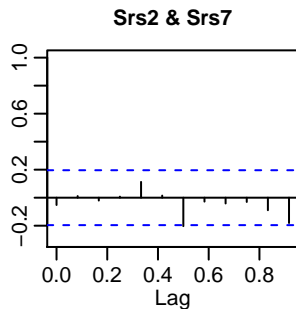
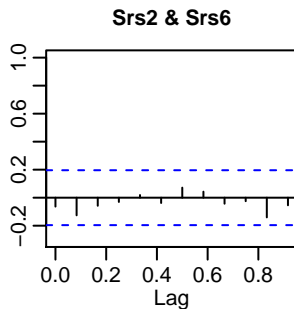
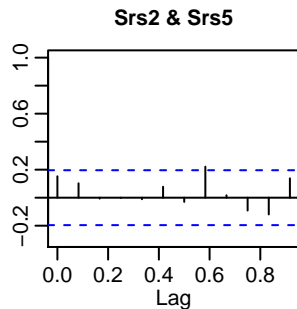
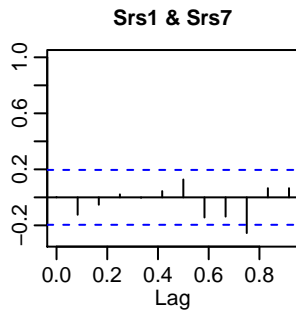
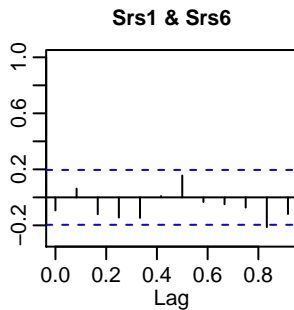
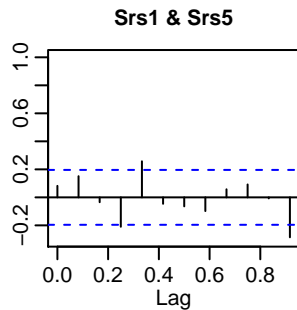
Srs4 & Srs3



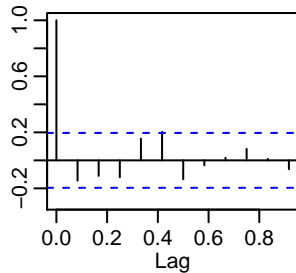
Series 4



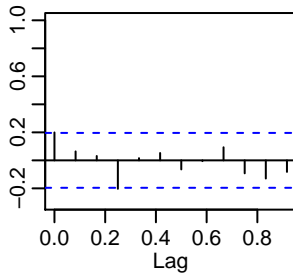




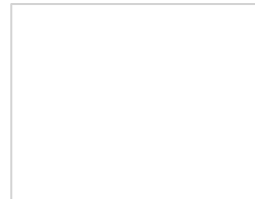
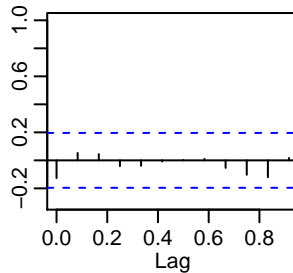
Series 5



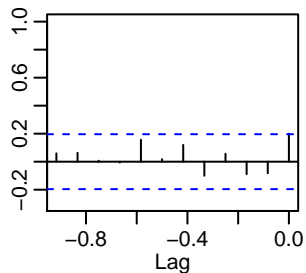
Srs5 & Srs6



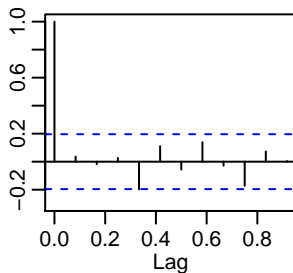
Srs5 & Srs7



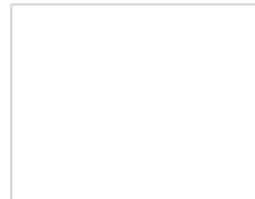
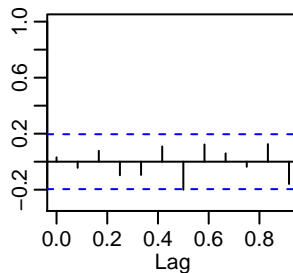
Srs6 & Srs5



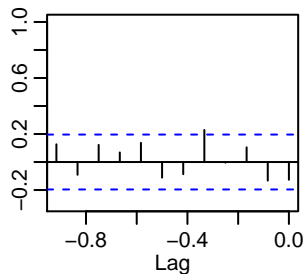
Series 6



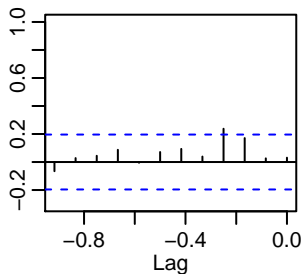
Srs6 & Srs7



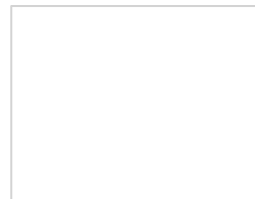
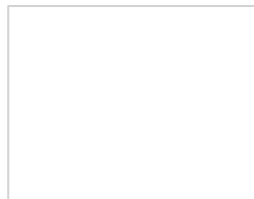
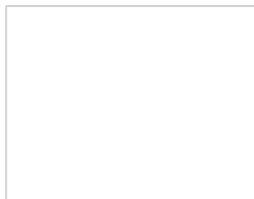
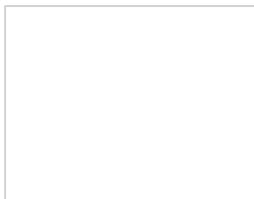
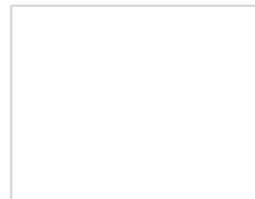
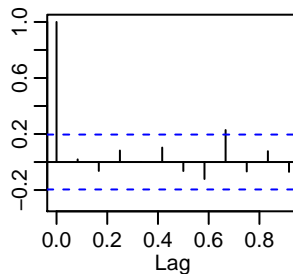
Srs7 & Srs5



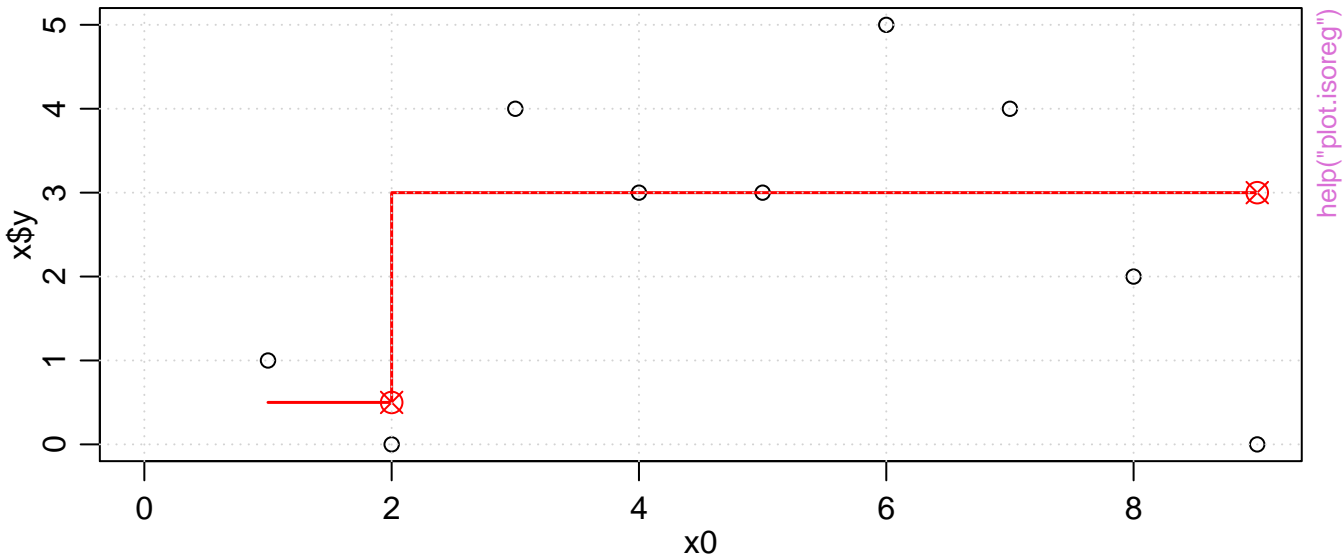
Srs7 & Srs6



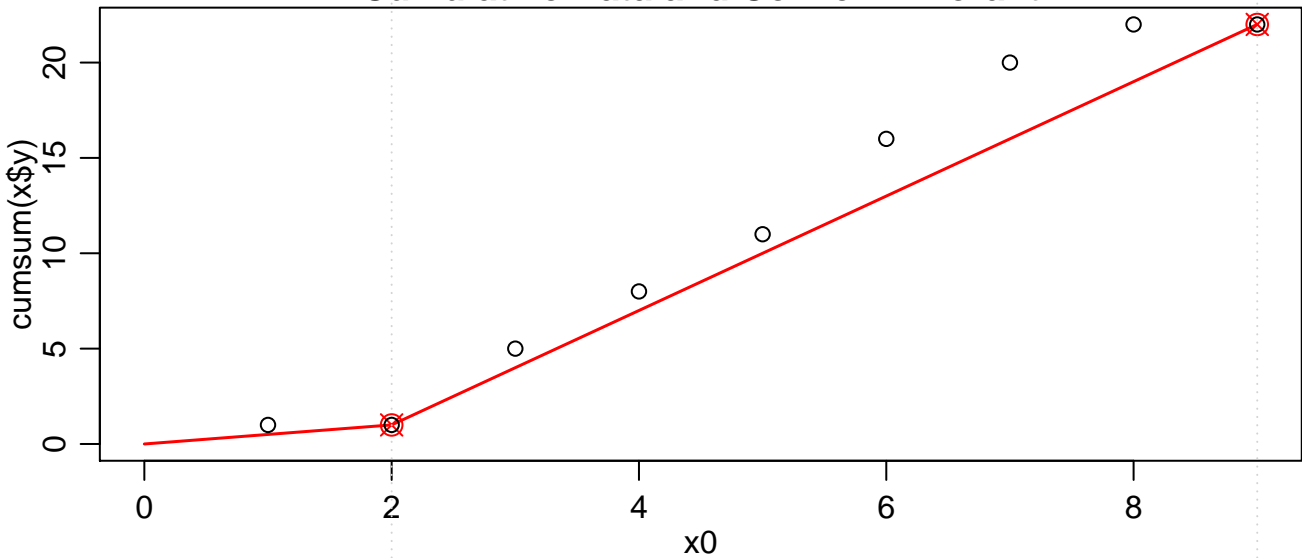
Series 7



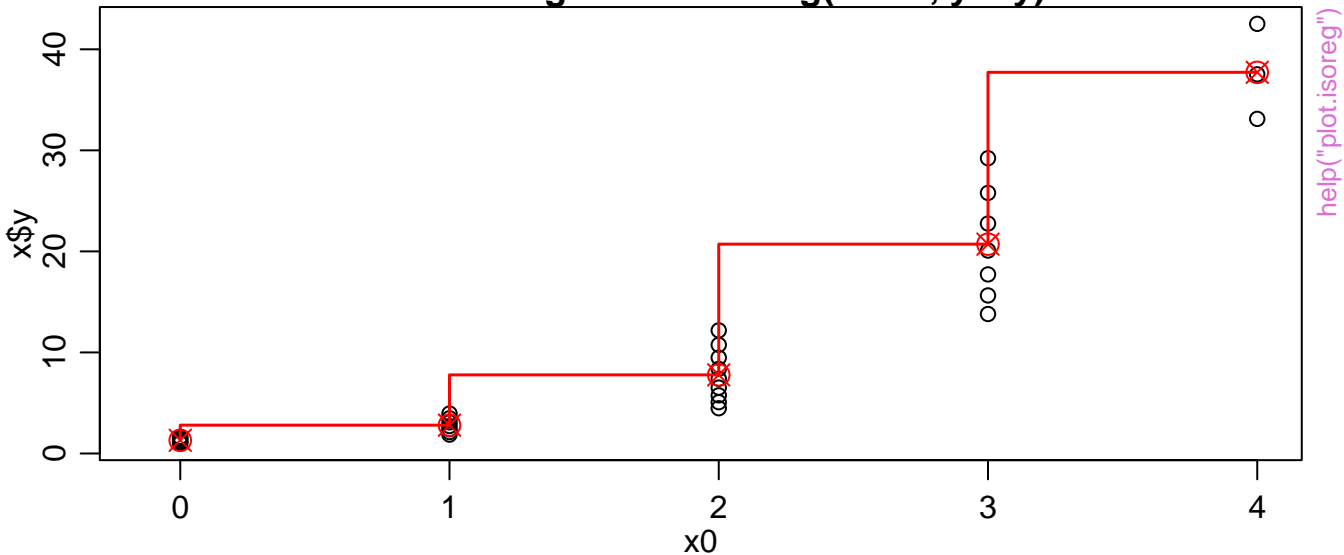
Isotonic regression isoreg(x = c(1, 0, 4, 3, 3, 5, 4, 2, 0))



Cumulative Data and Convex Minorant

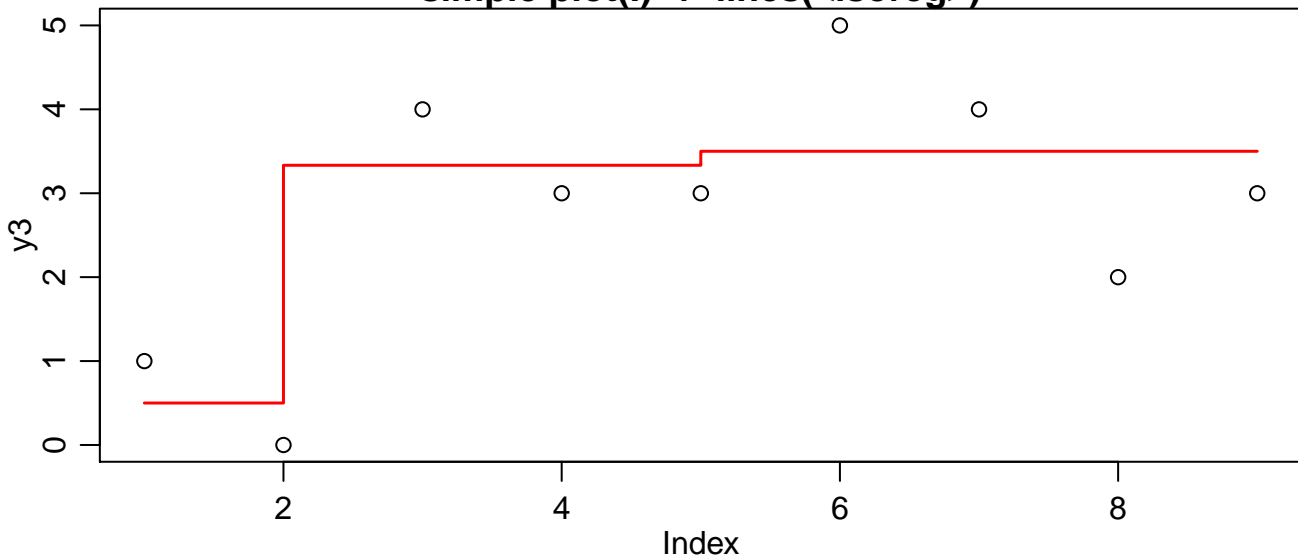


Isotonic regression isoreg(x = x., y = y)

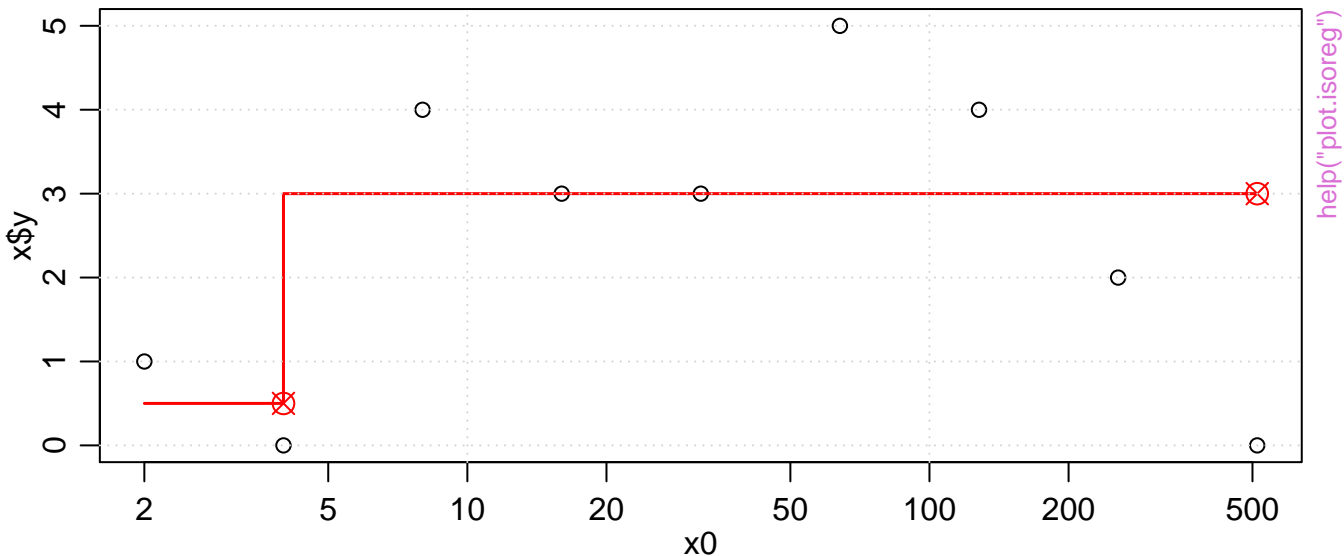


help("plot.isoreg")

simple plot(.) + lines(<isoreg>)

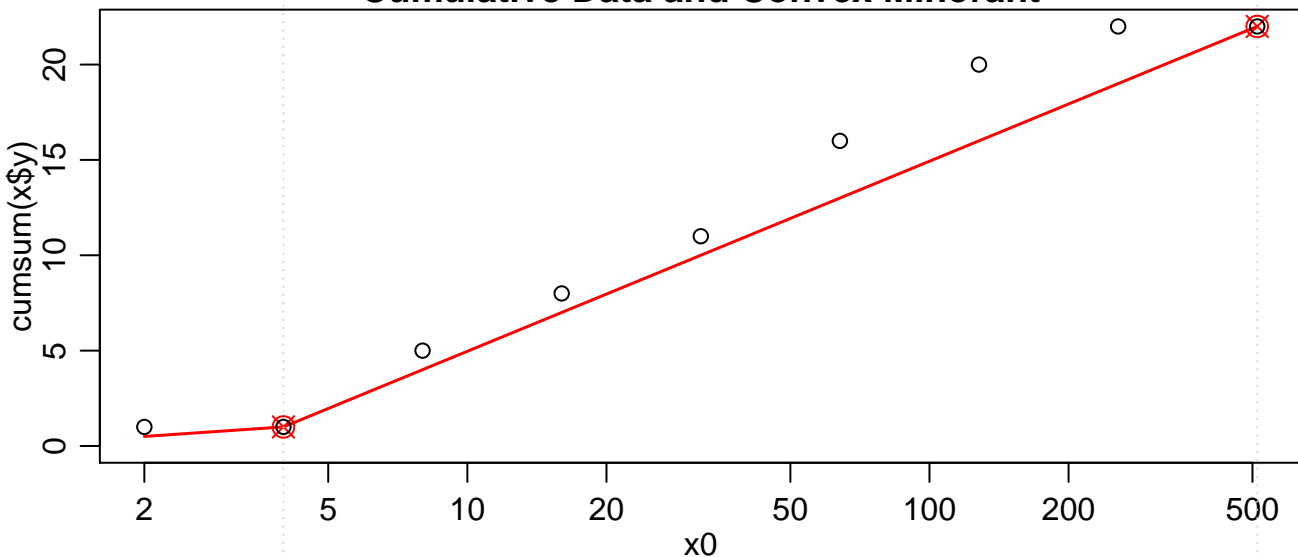


Isotonic regression isoreg($x = 2^{(1:9)}$, $y = c(1, 0, 4, 3, 3, 5, 4, 2, 0)$)

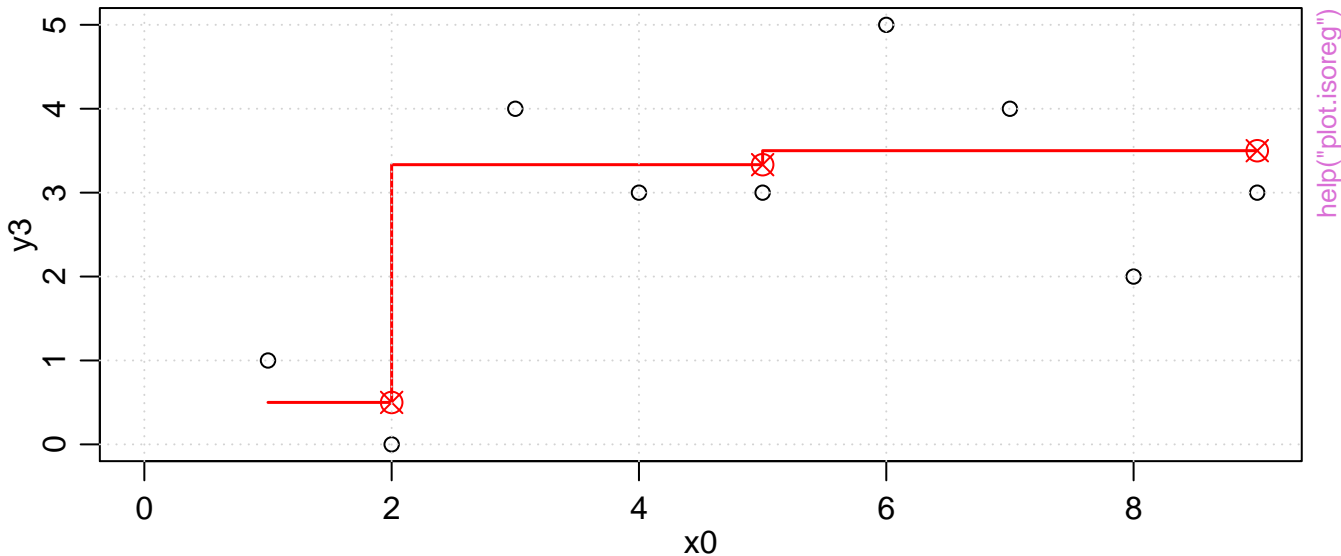


help("plot.isoreg")

Cumulative Data and Convex Minorant

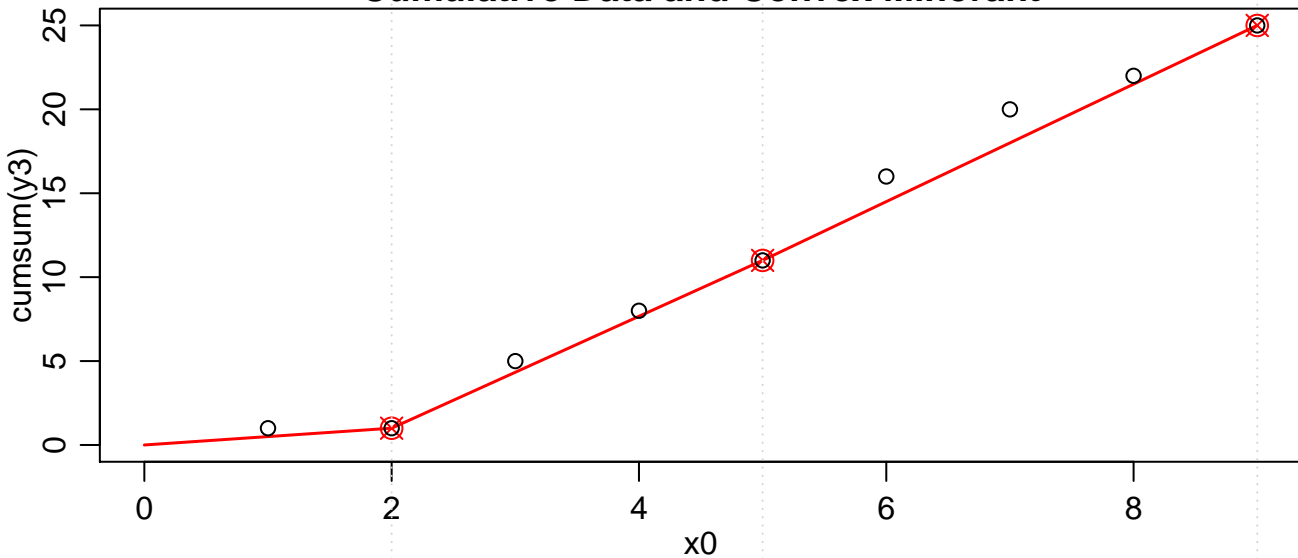


Isotonic regression `isoreg(x = y3 <- c(1, 0, 4, 3, 3, 5, 4, 2, 3))`

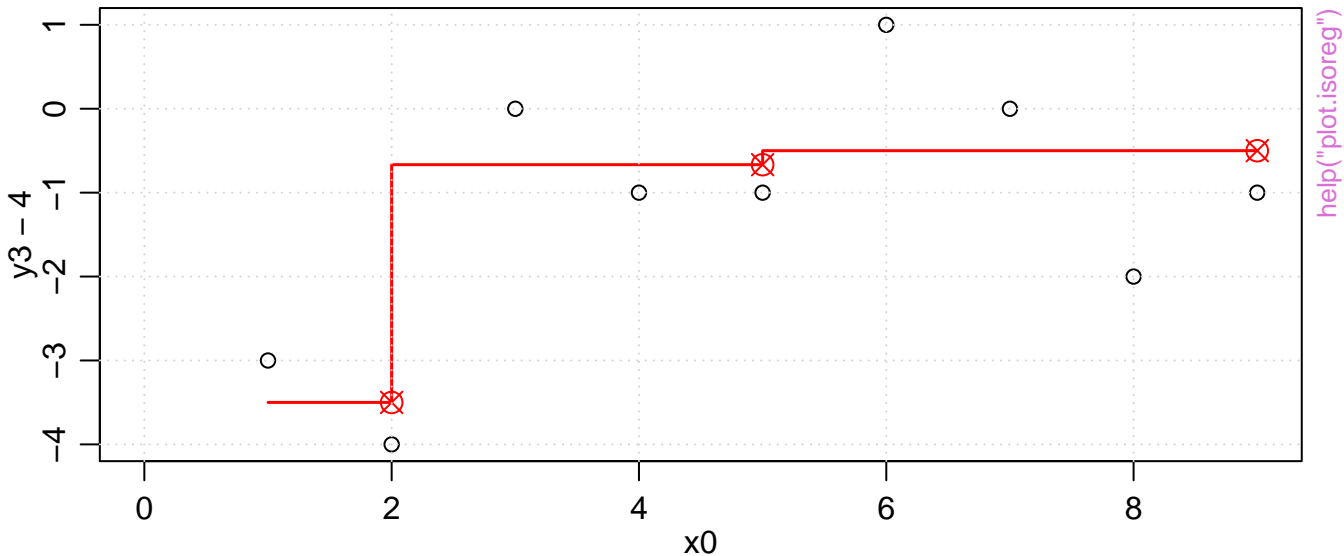


help("plot.isoreg")

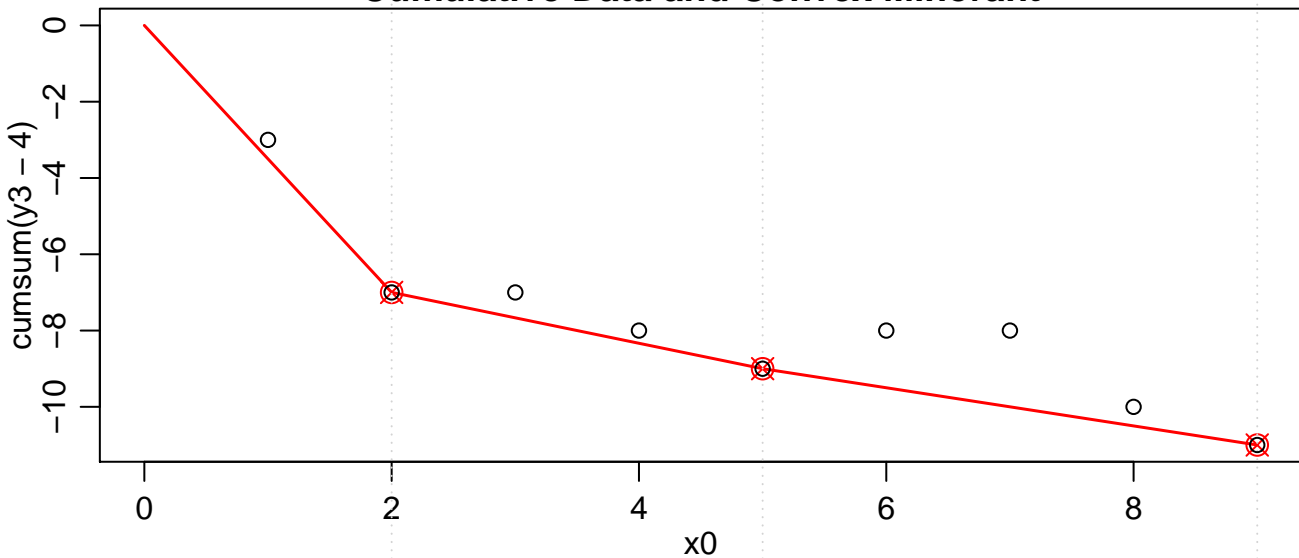
Cumulative Data and Convex Minorant



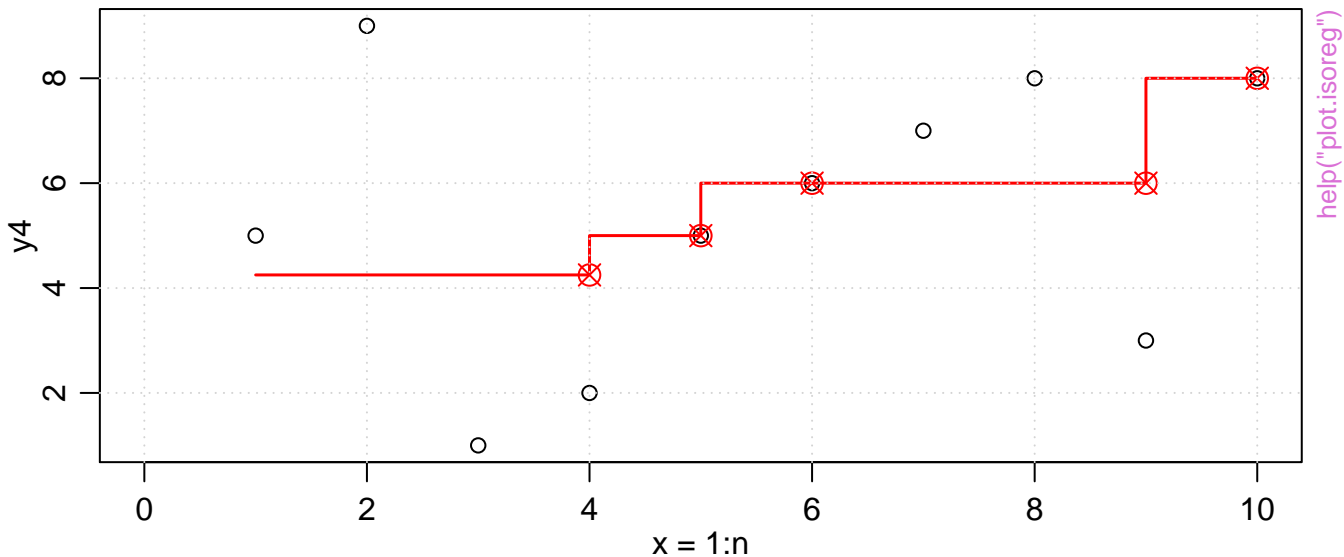
Isotonic regression isoreg($x = y_3 - 4$)



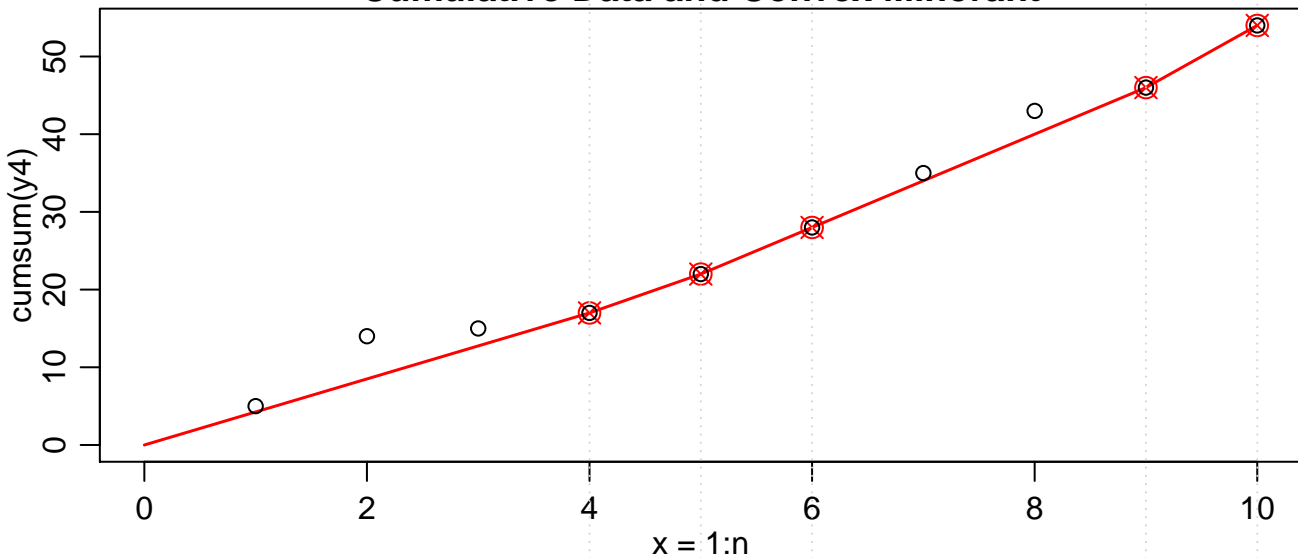
Cumulative Data and Convex Minorant



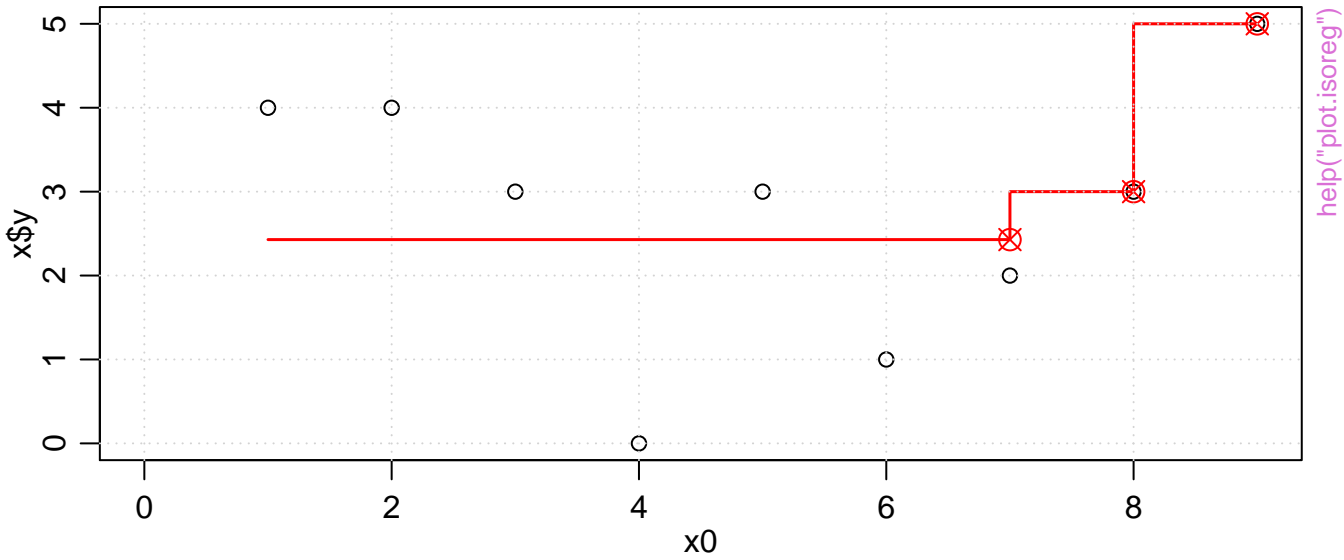
Isotonic regression isoreg(x = 1:10, y = y4 <- c(5, 9, 1:2, 5:8, 3, 8))



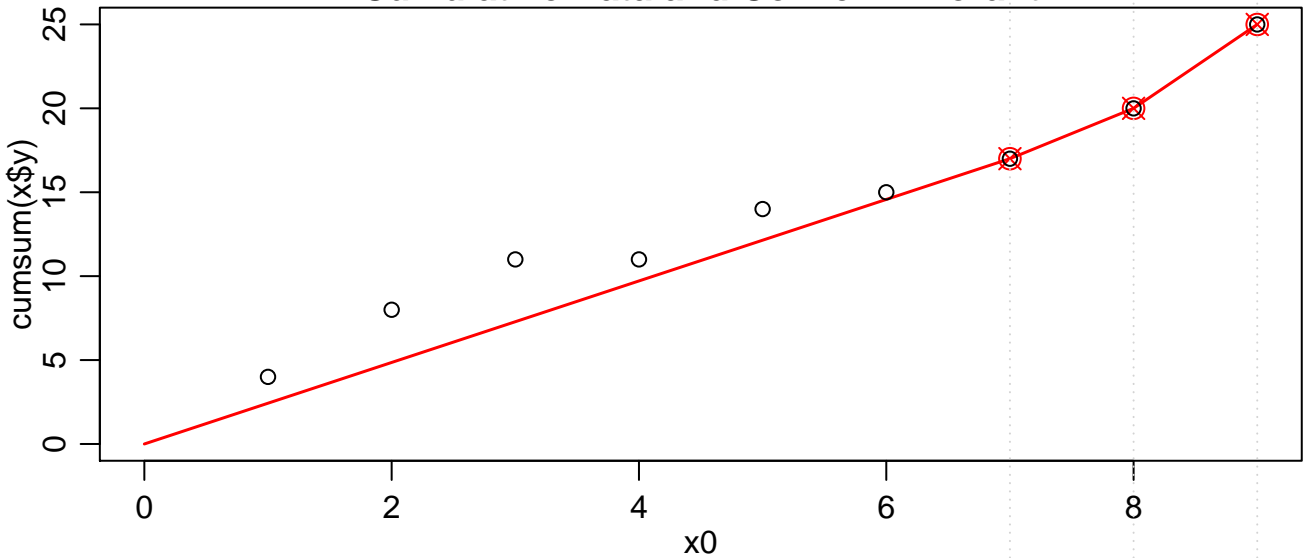
Cumulative Data and Convex Minorant



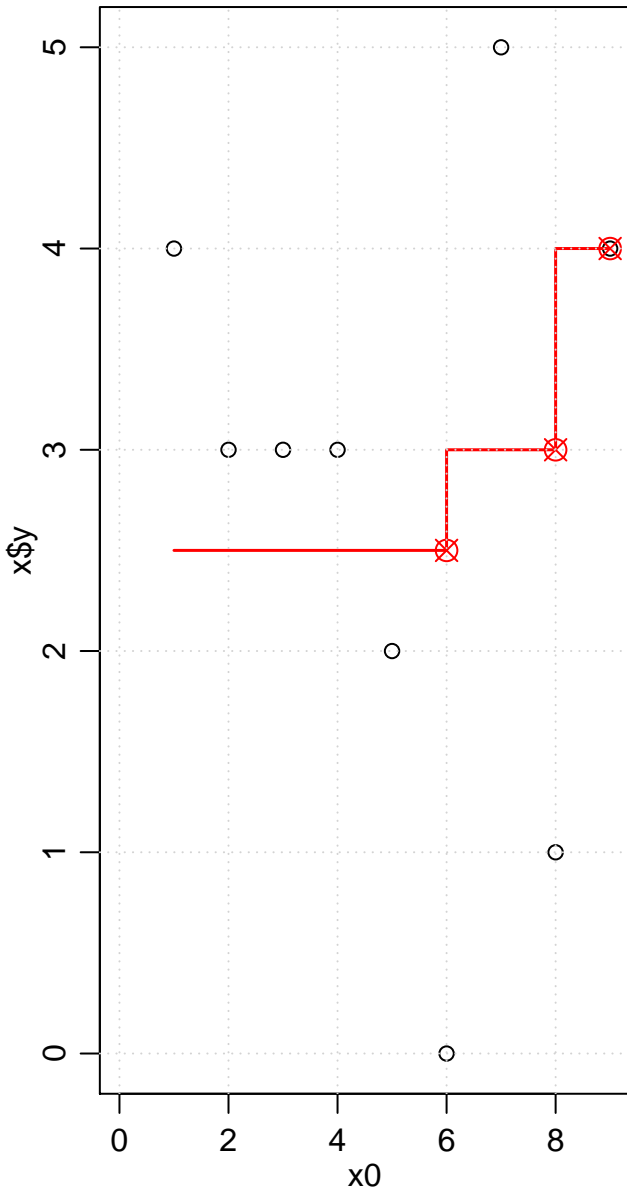
Isotonic regression isoreg($x = \text{sample}(9)$, $y = y3$)



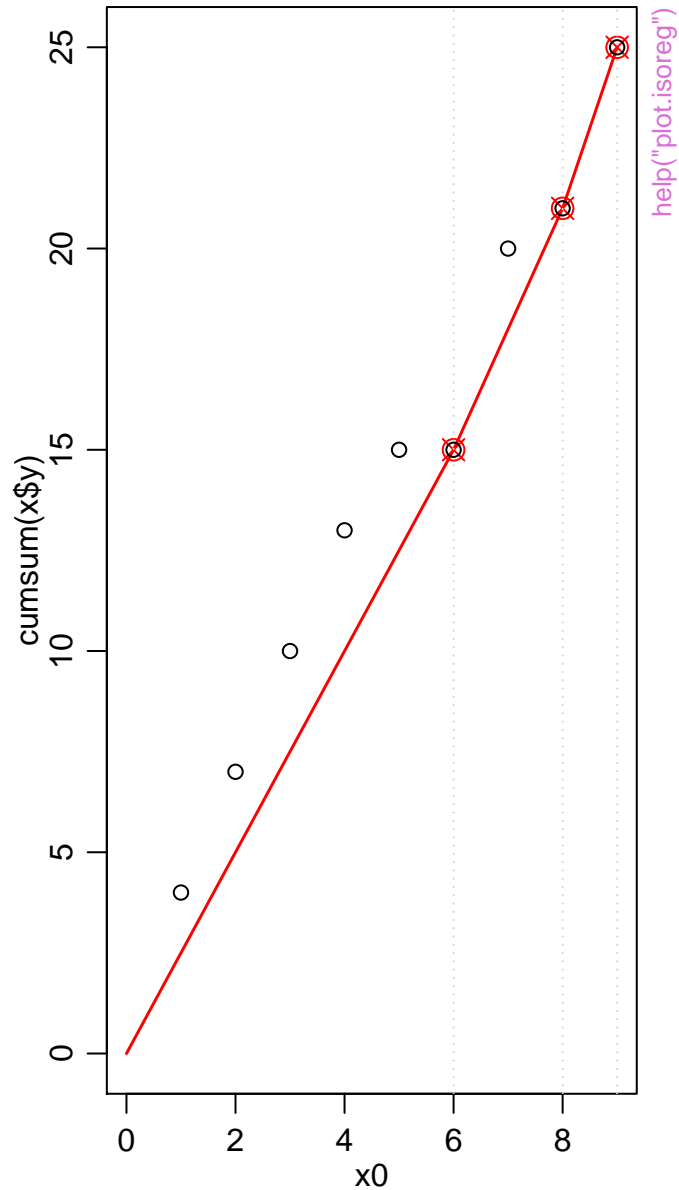
Cumulative Data and Convex Minorant



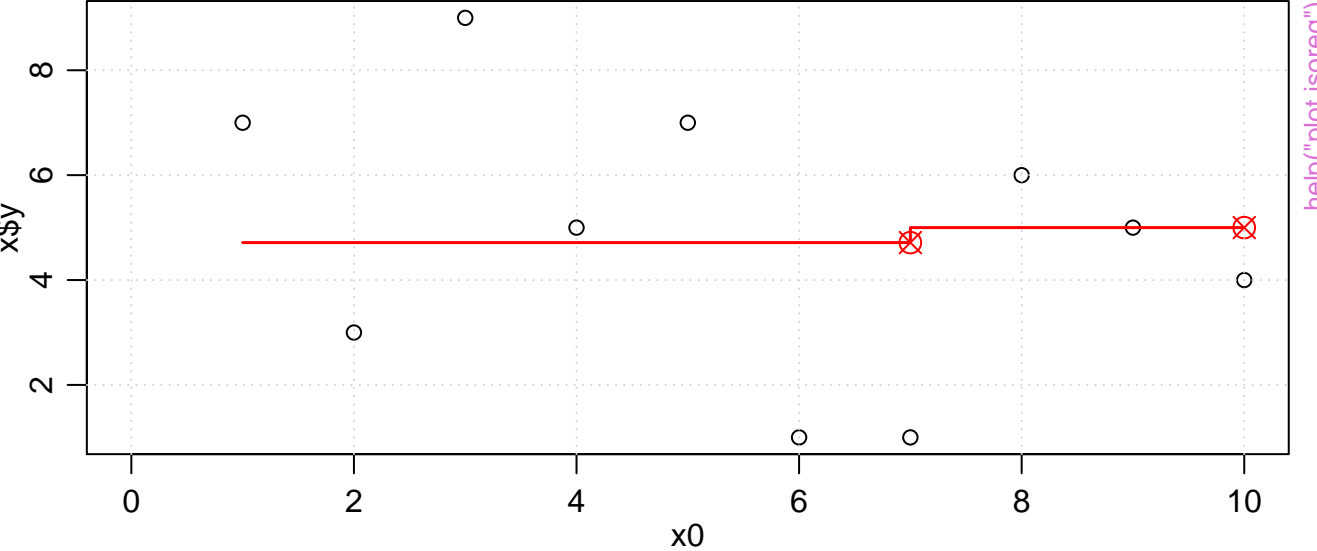
Isotonic regression isoreg(x = sample(9), y = y3)



Cumulative Data and Convex Minora

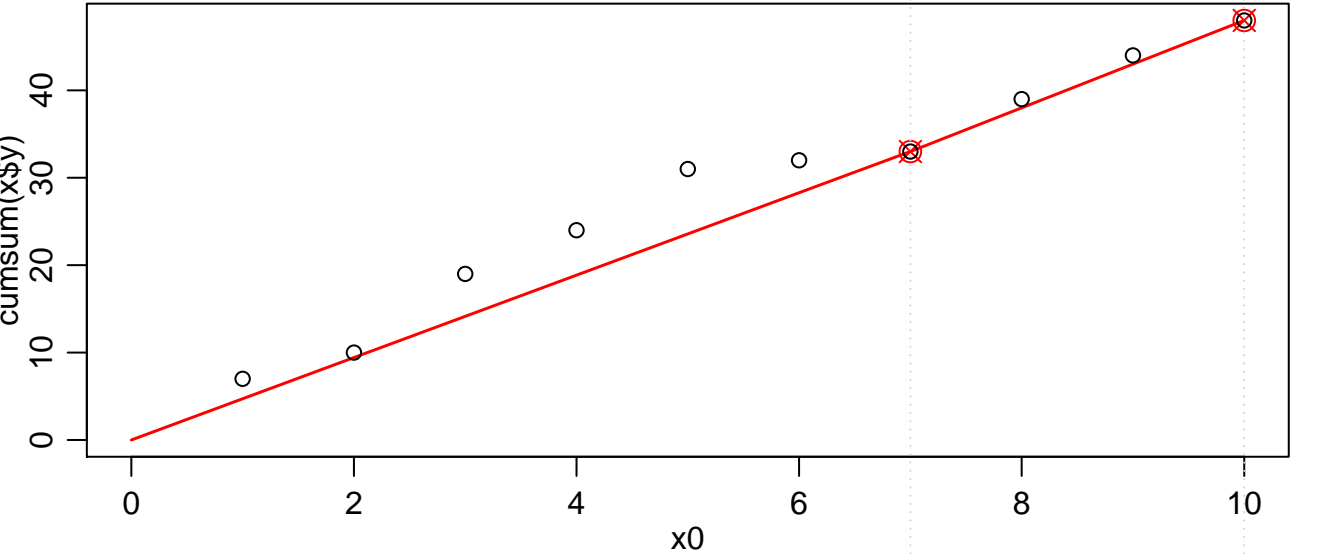


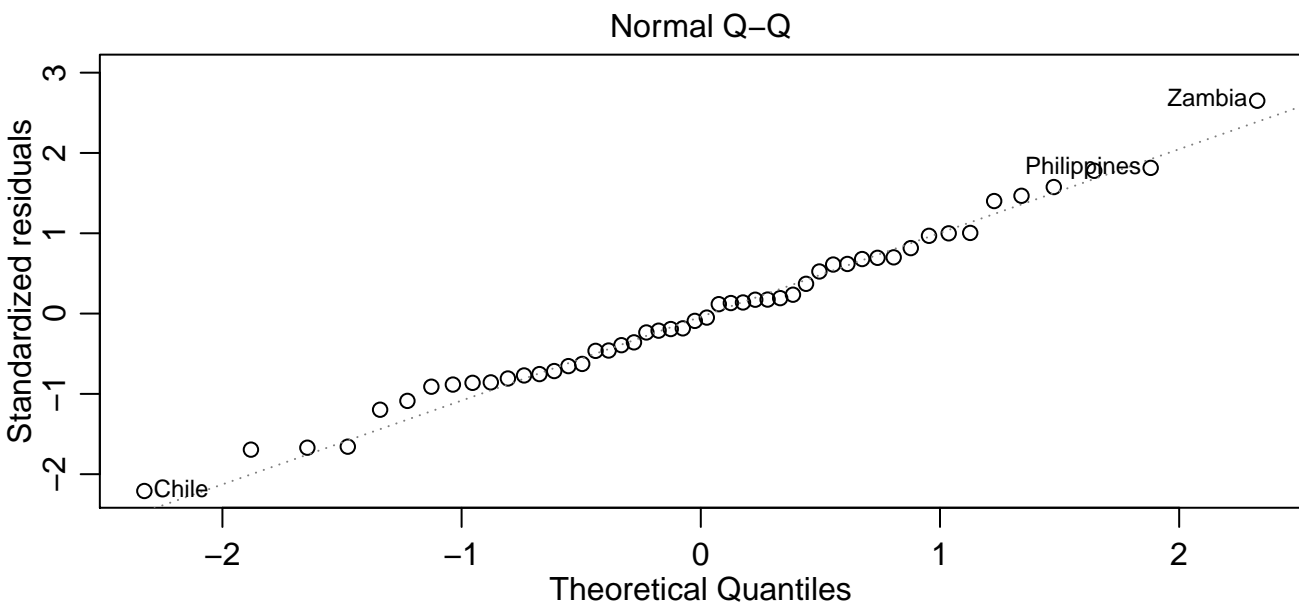
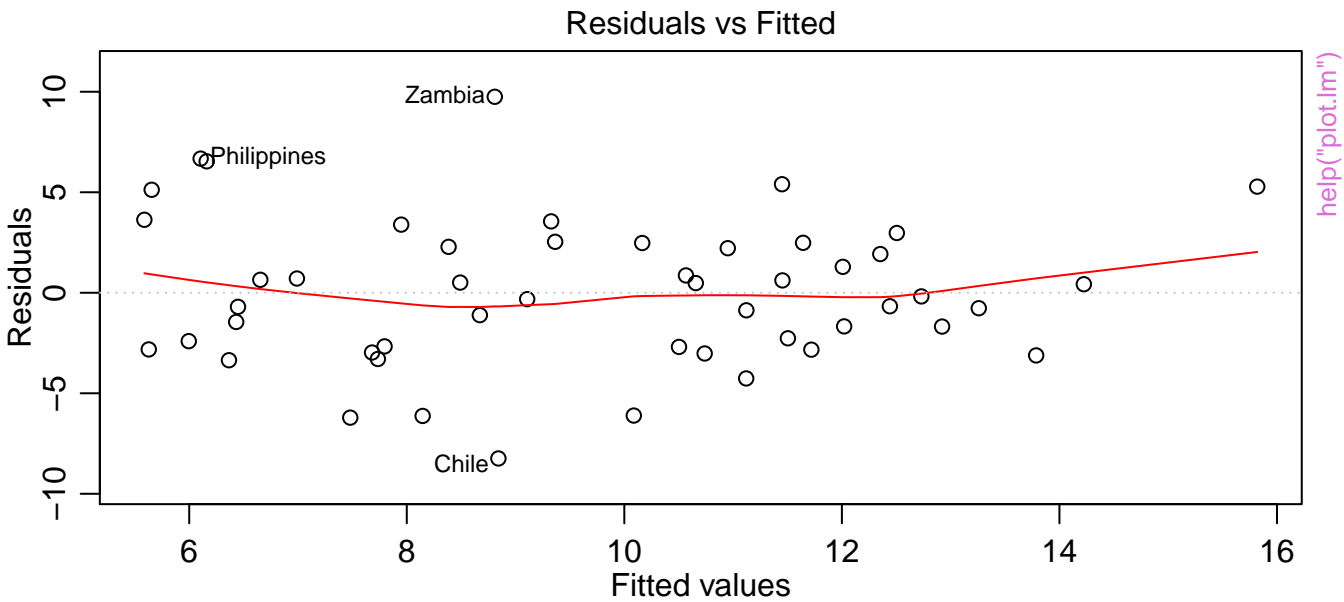
Isotonic regression isoreg(x = sample(10), y = sample(10, replace = TRUE))



help("plot.isoreg")

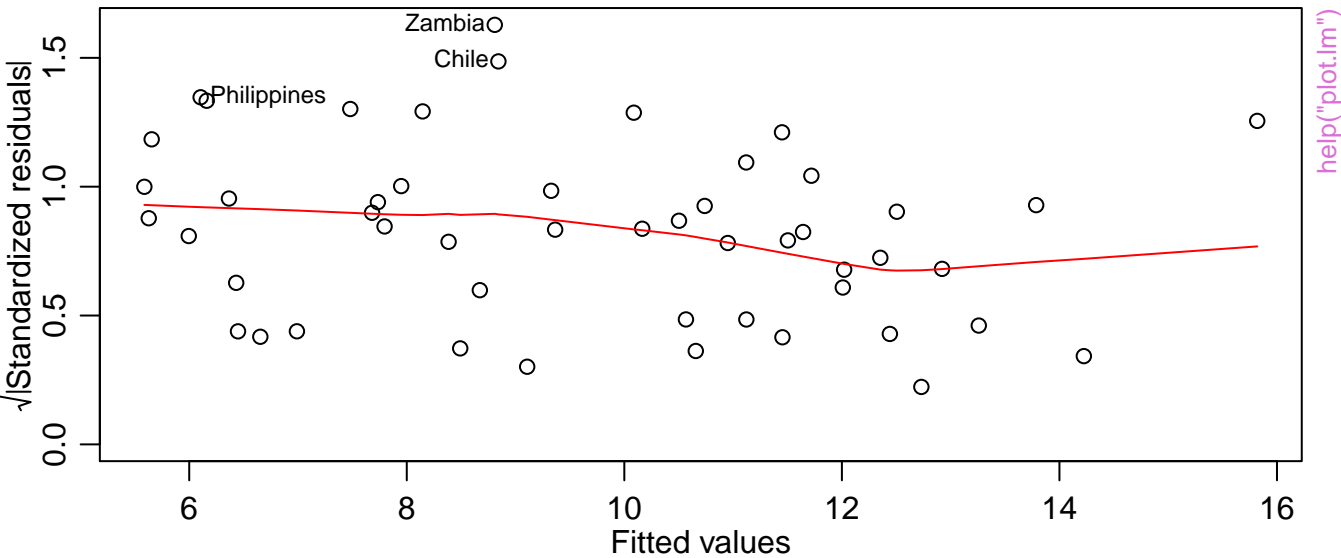
Cumulative Data and Convex Minorant



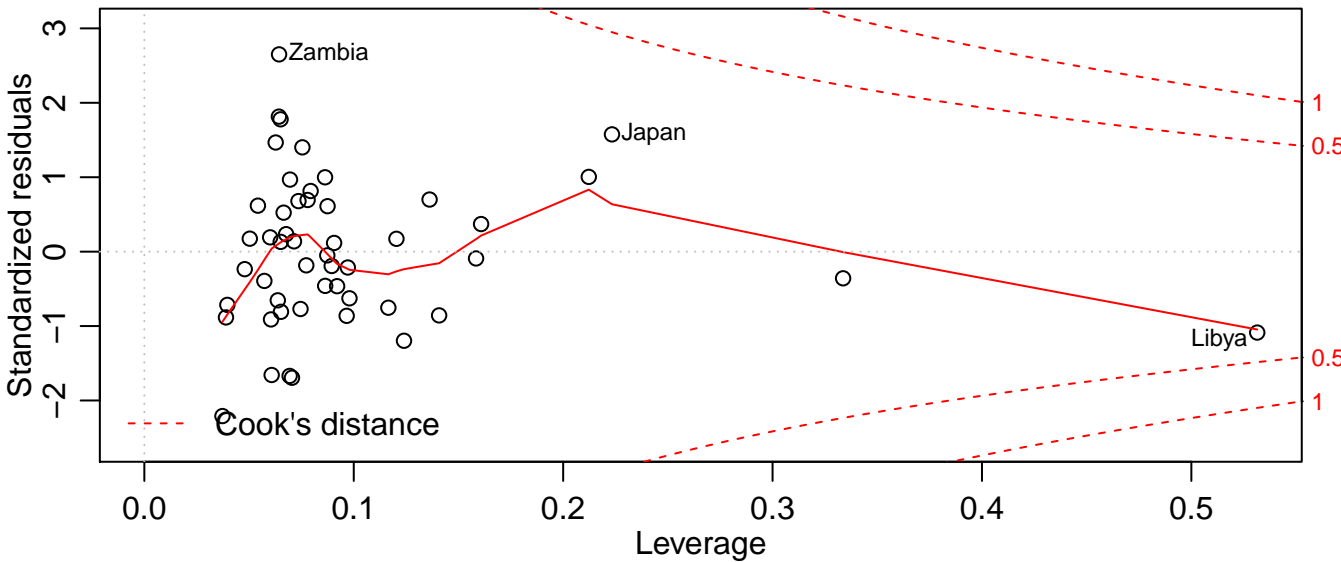


lm(sr ~ pop15 + pop75 + dpi + ddpi)

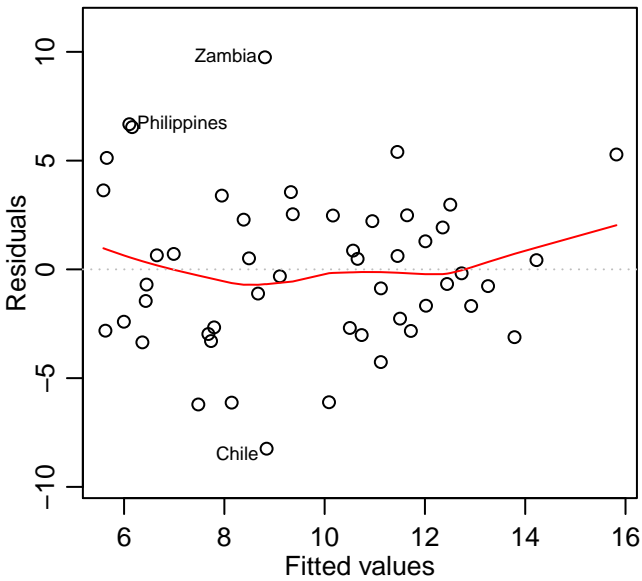
Scale-Location



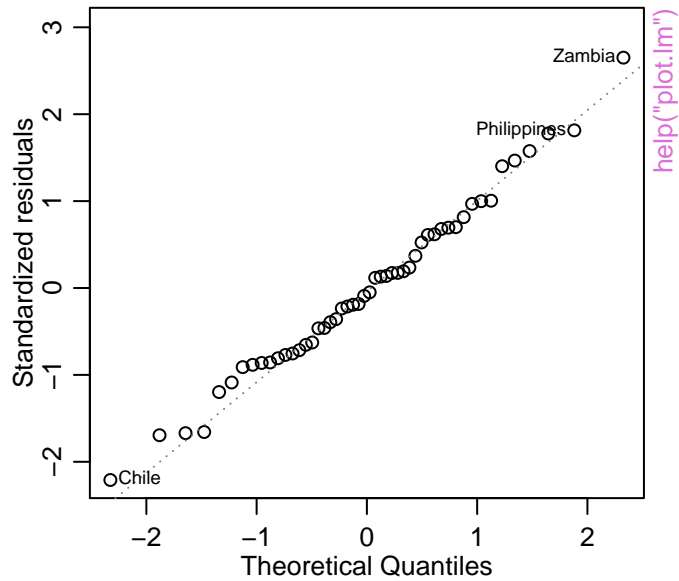
Residuals vs Leverage



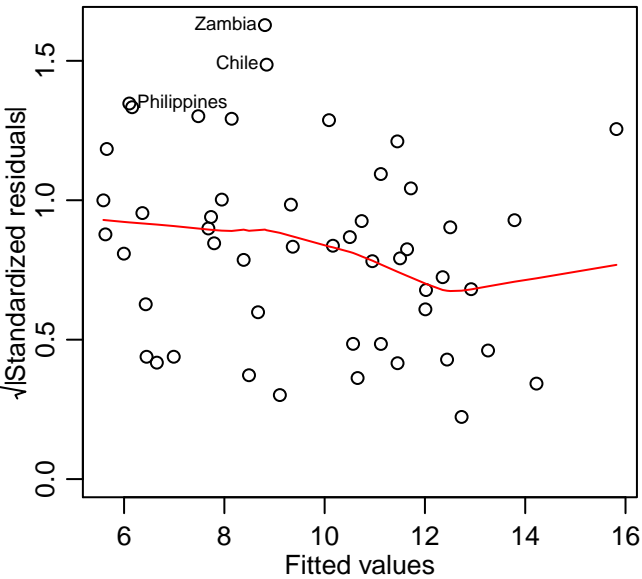
lm(sr ~ pop15 + pop75 + dpi + ddpi)
 Residuals vs Fitted



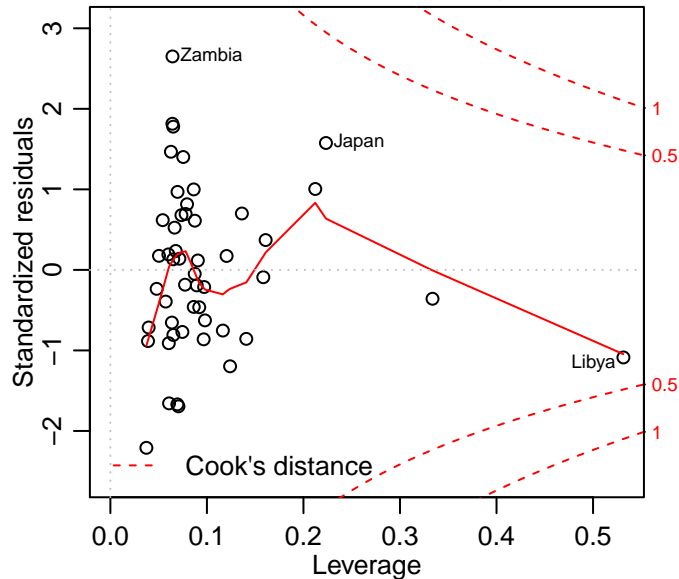
Normal Q-Q



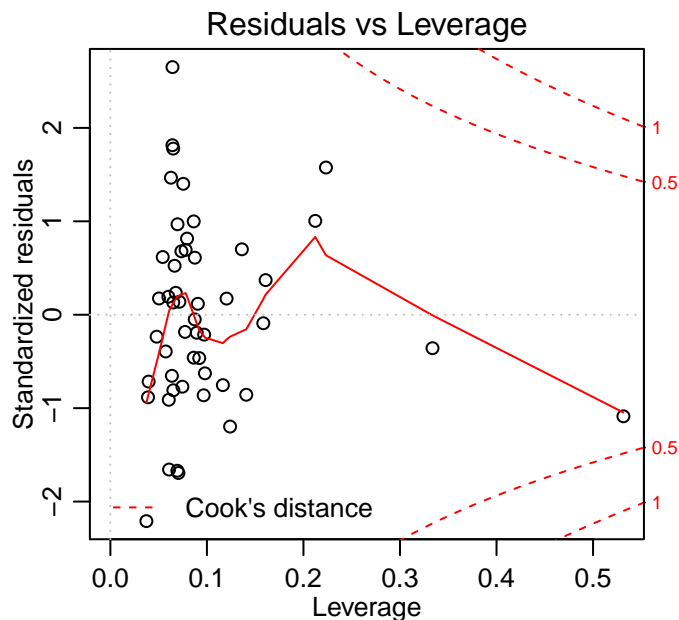
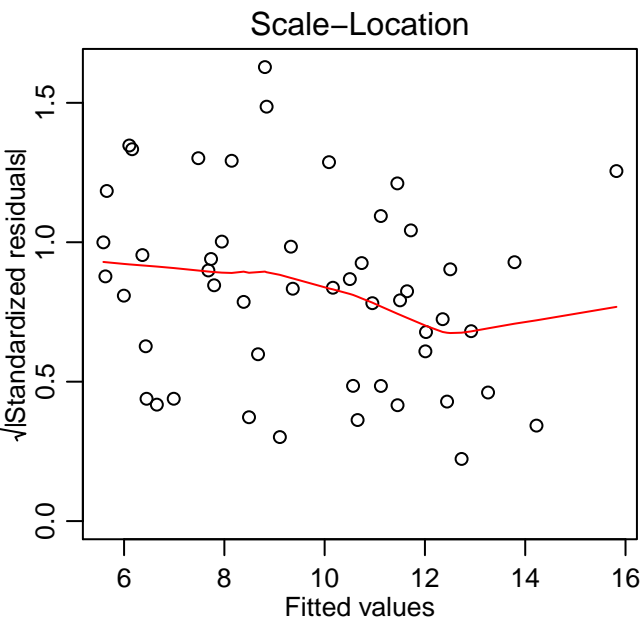
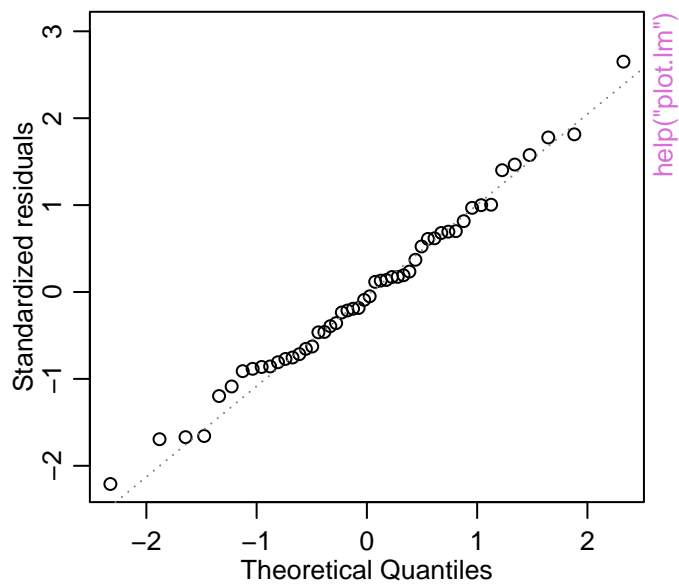
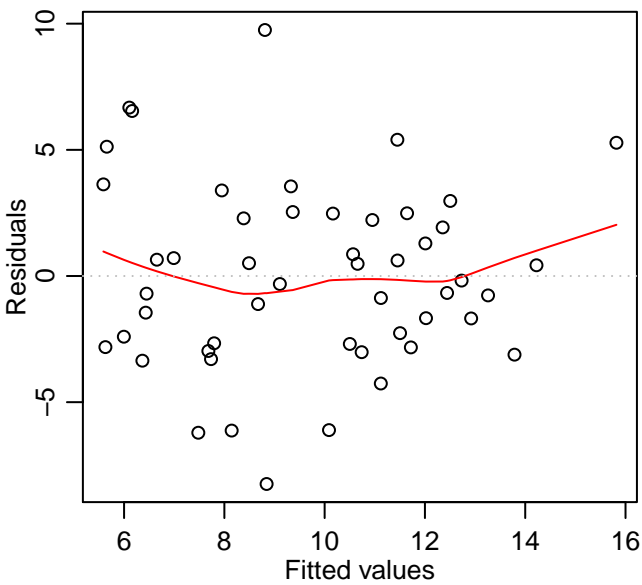
Scale-Location



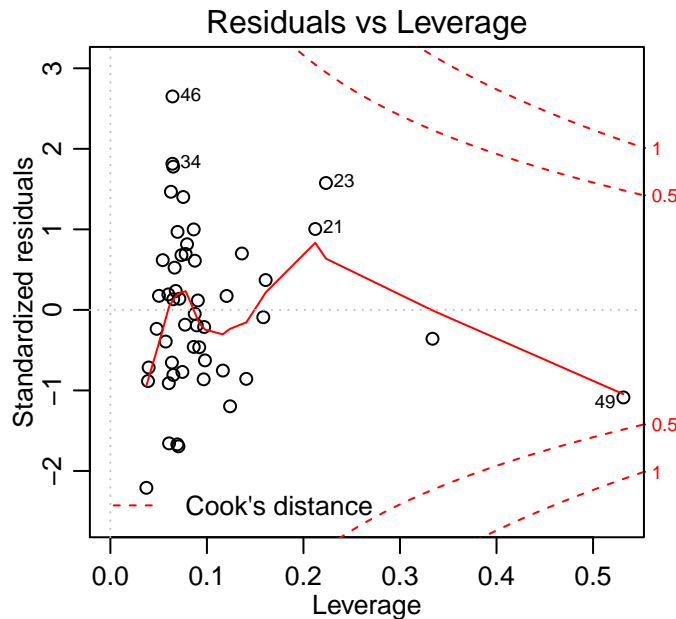
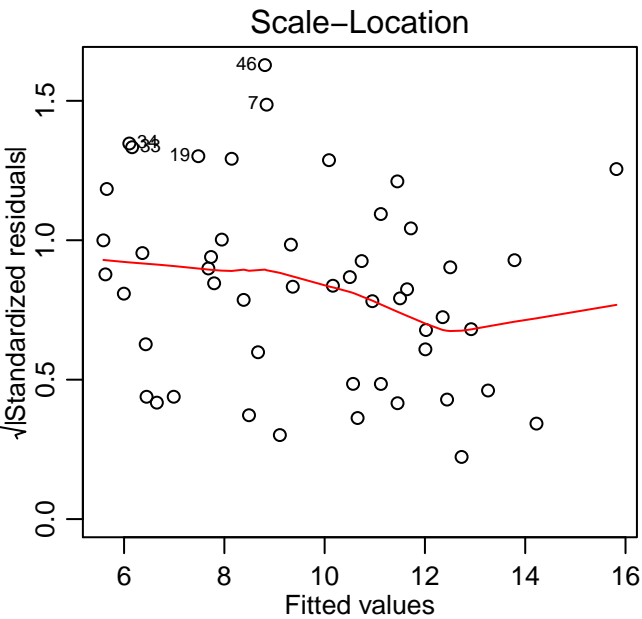
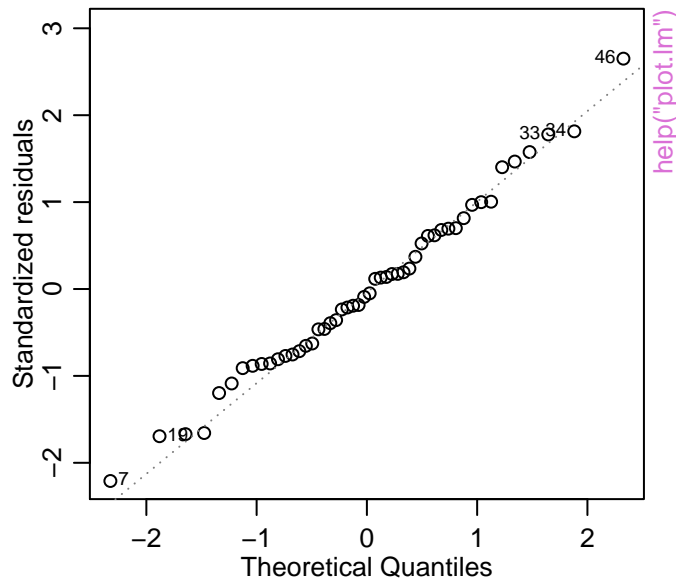
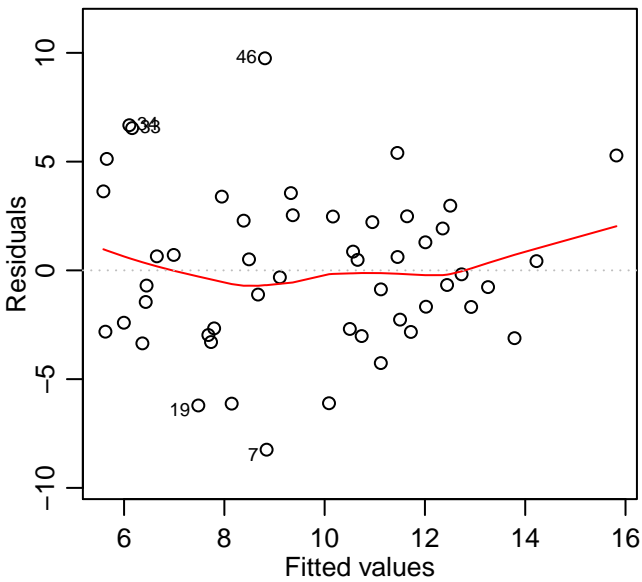
Residuals vs Leverage



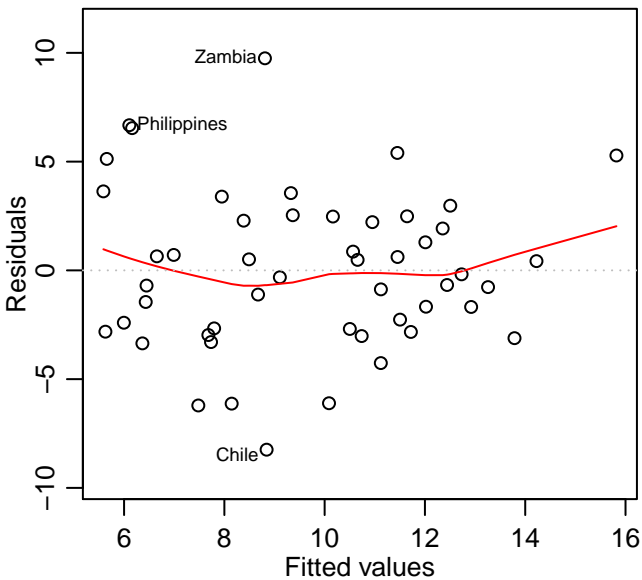
lm(sr ~ pop15 + pop75 + dpi + ddpi)



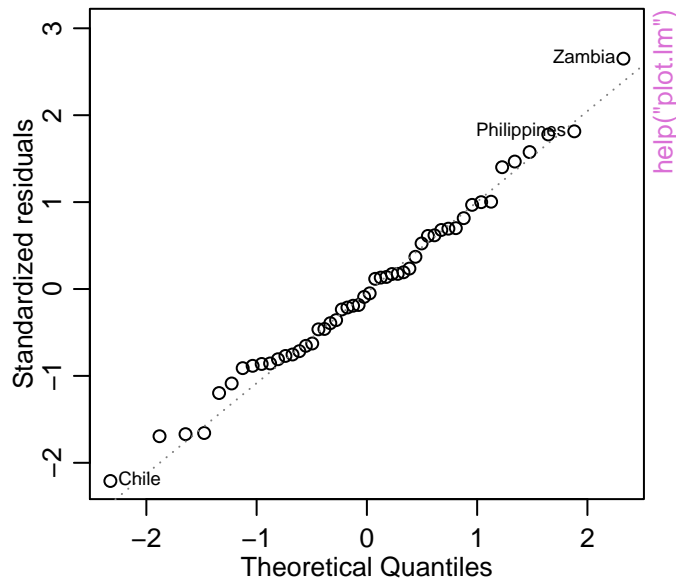
lm(sr ~ pop15 + pop75 + dpi + ddpi)



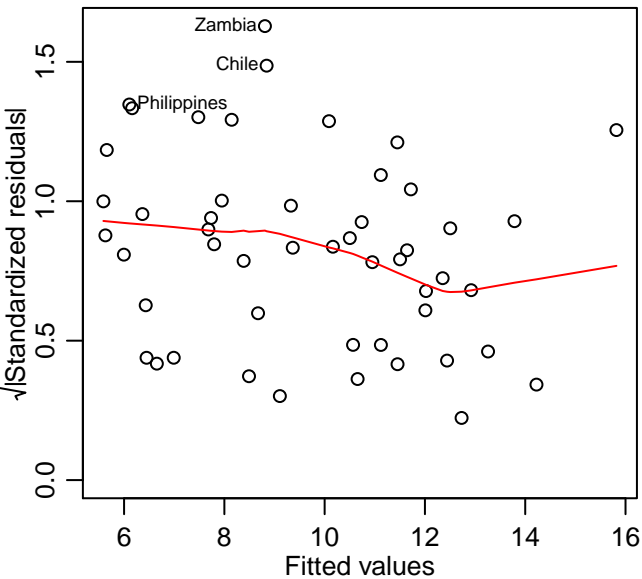
lm(sr ~ pop15 + pop75 + dpi + ddpi)
Residuals vs Fitted



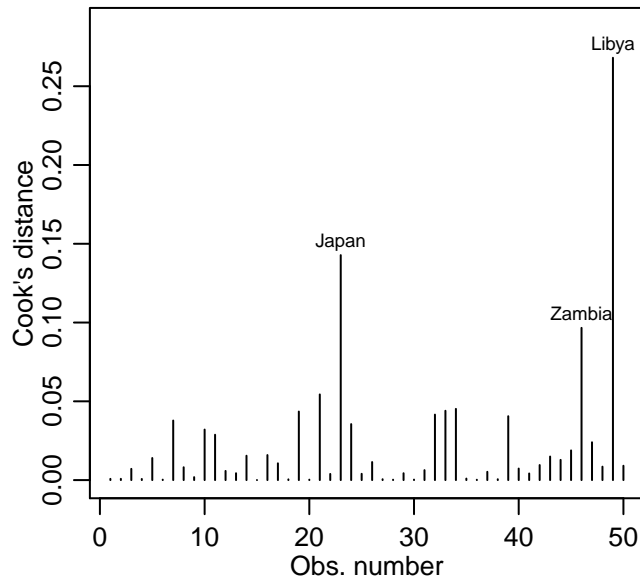
Normal Q-Q



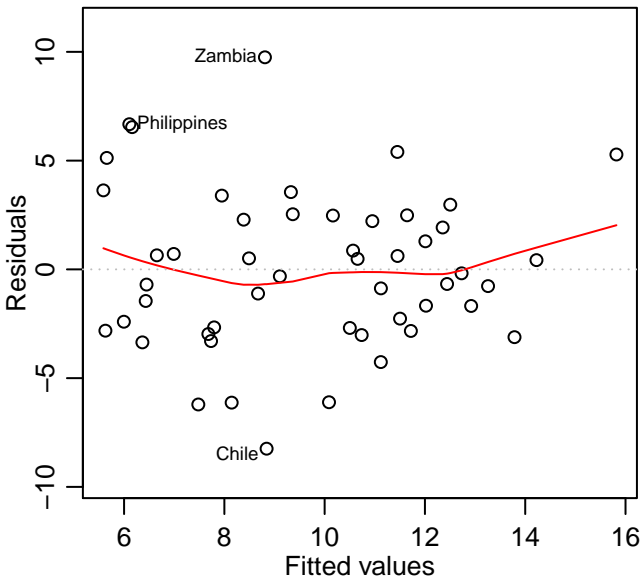
Scale-Location



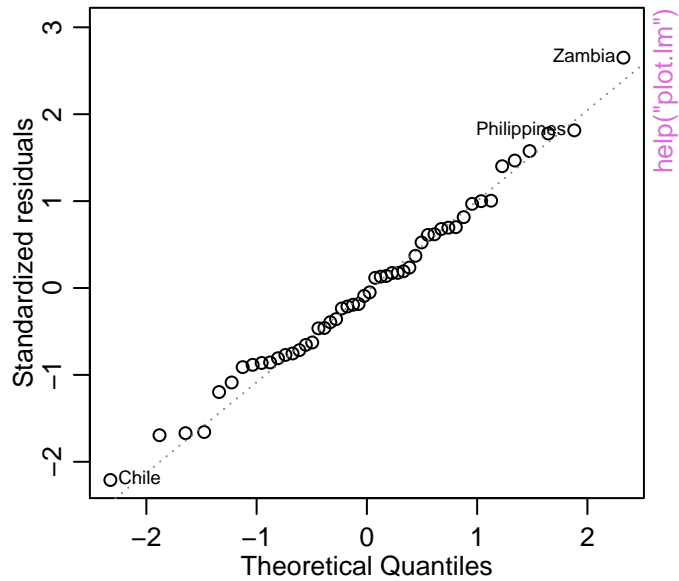
Cook's distance



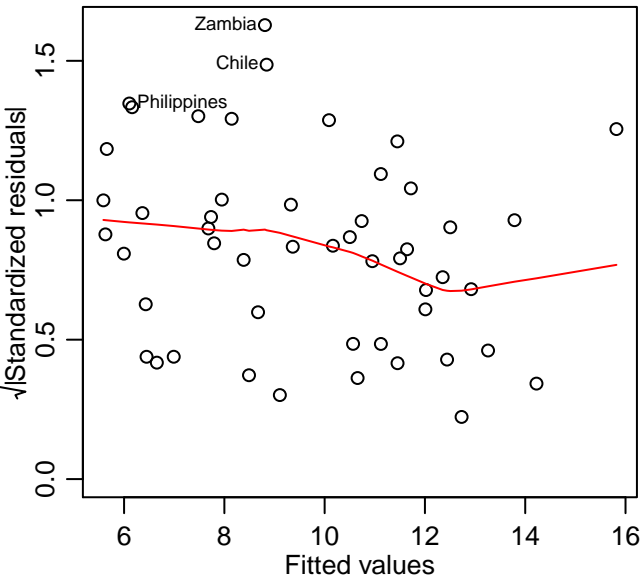
lm(sr ~ pop15 + pop75 + dpi + ddpi)
 Residuals vs Fitted



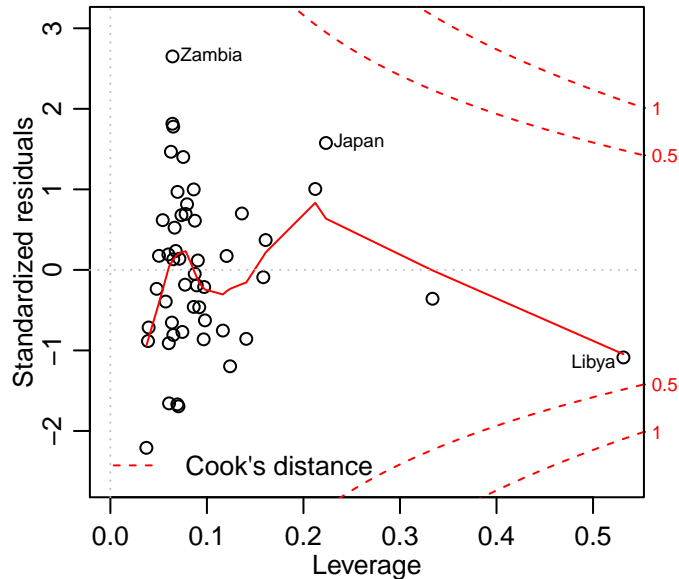
Normal Q-Q



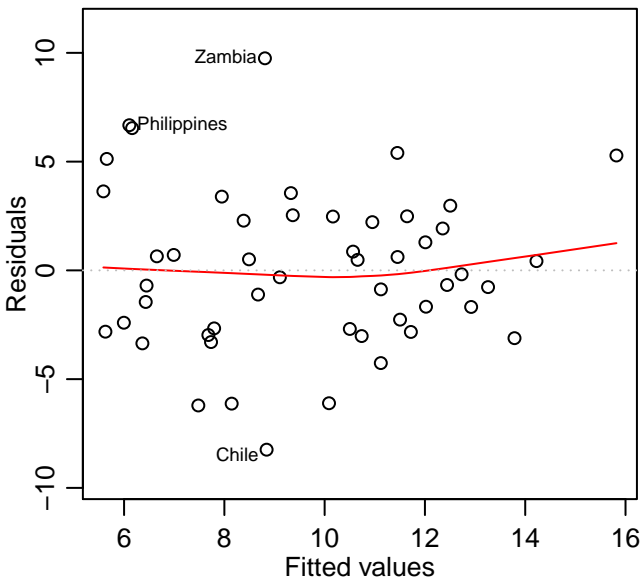
Scale-Location



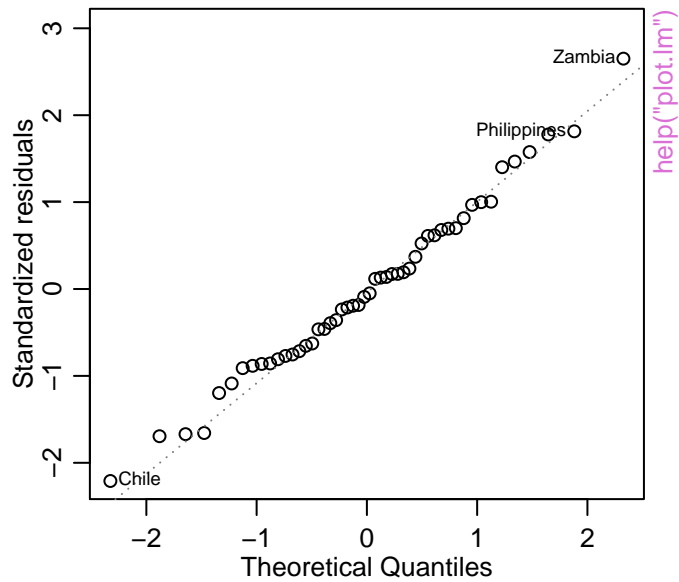
Residuals vs Leverage



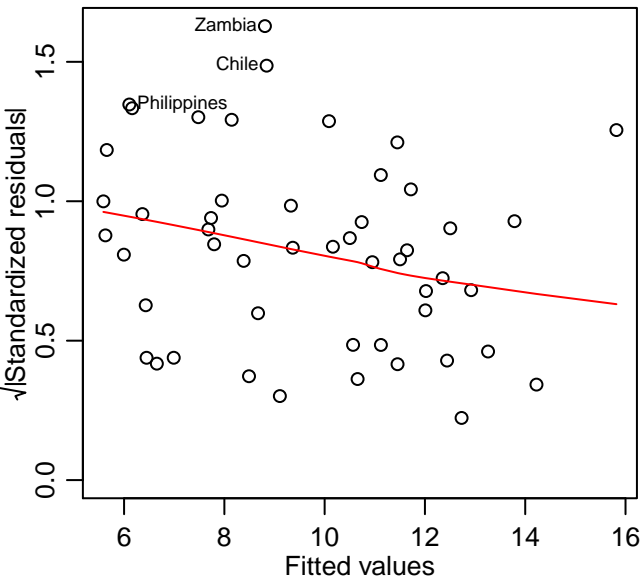
lm(sr ~ pop15 + pop75 + dpi + ddpi)
Residuals vs Fitted



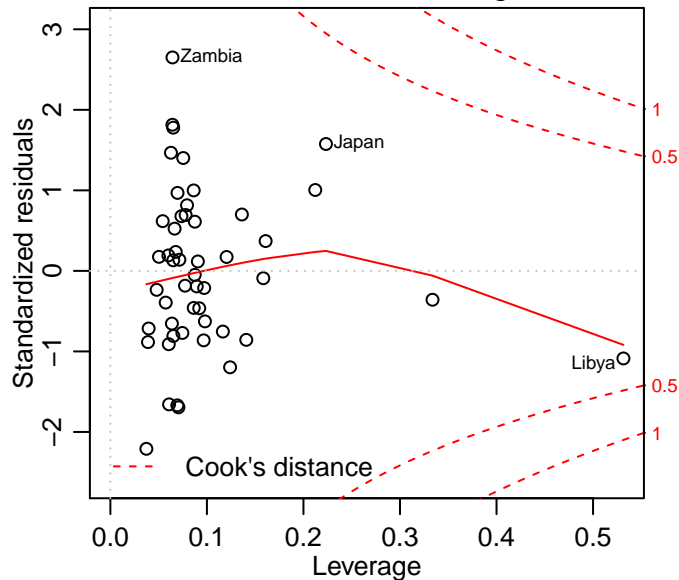
Normal Q-Q



Scale-Location

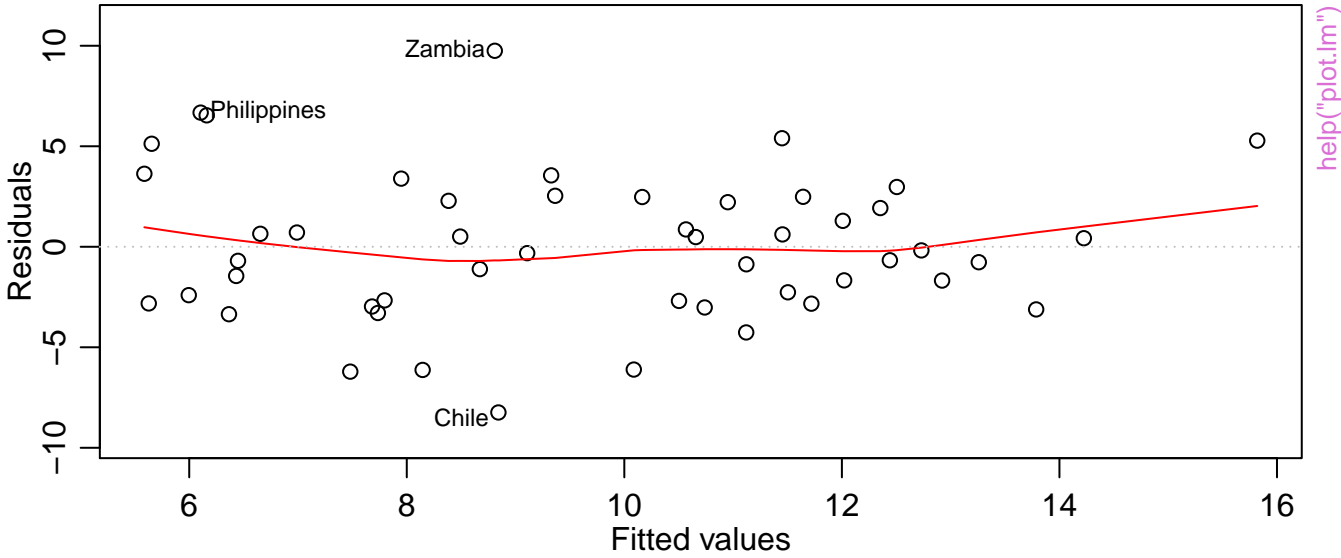


Residuals vs Leverage

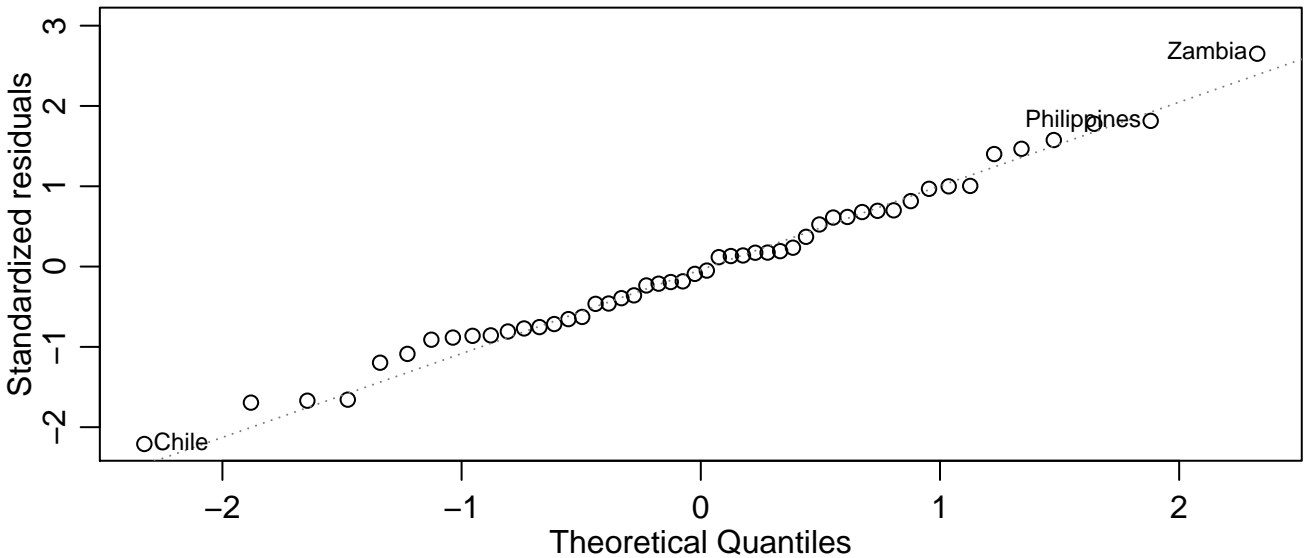


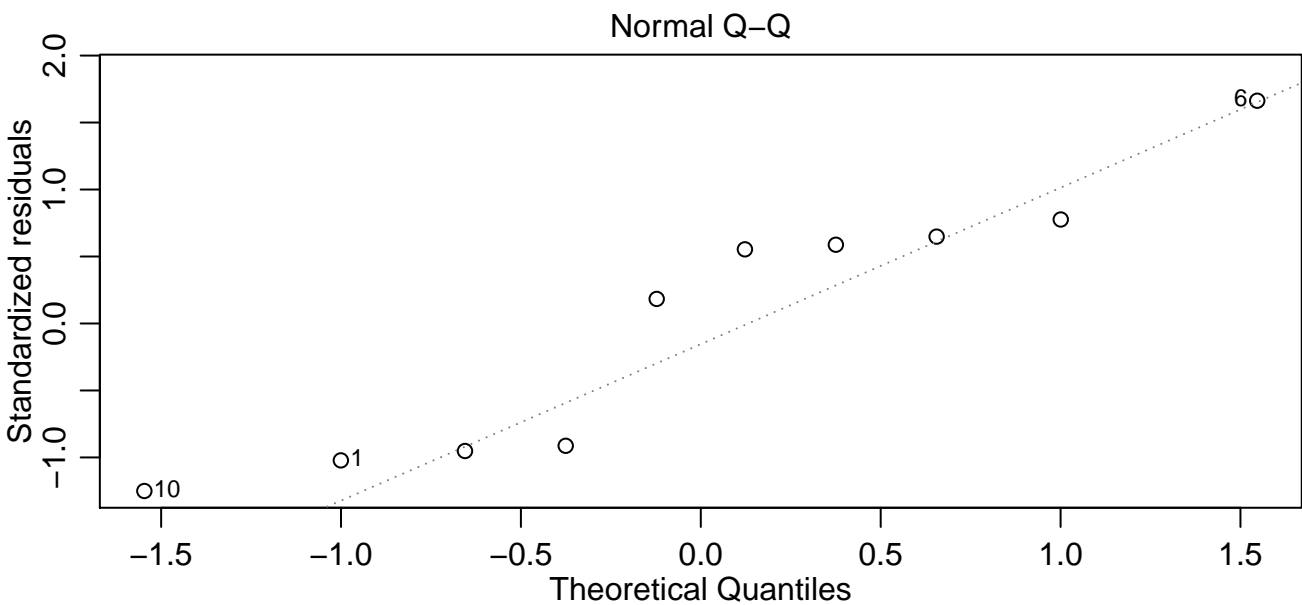
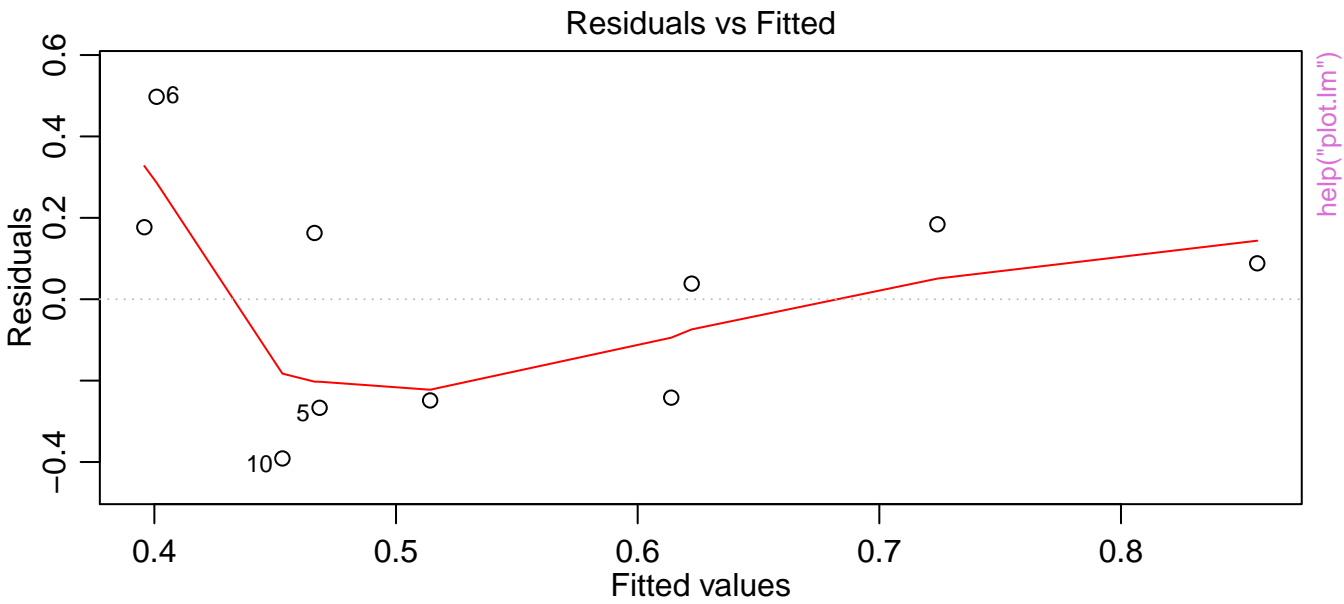
Saving Rates, $n=50$, $p=5$

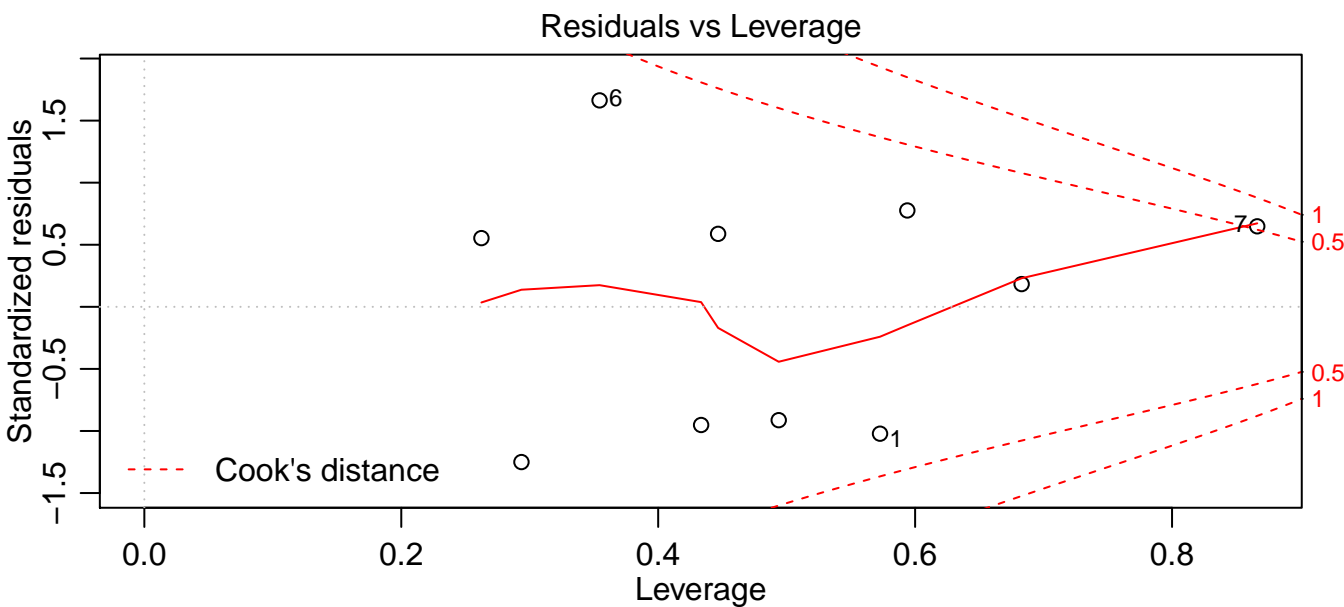
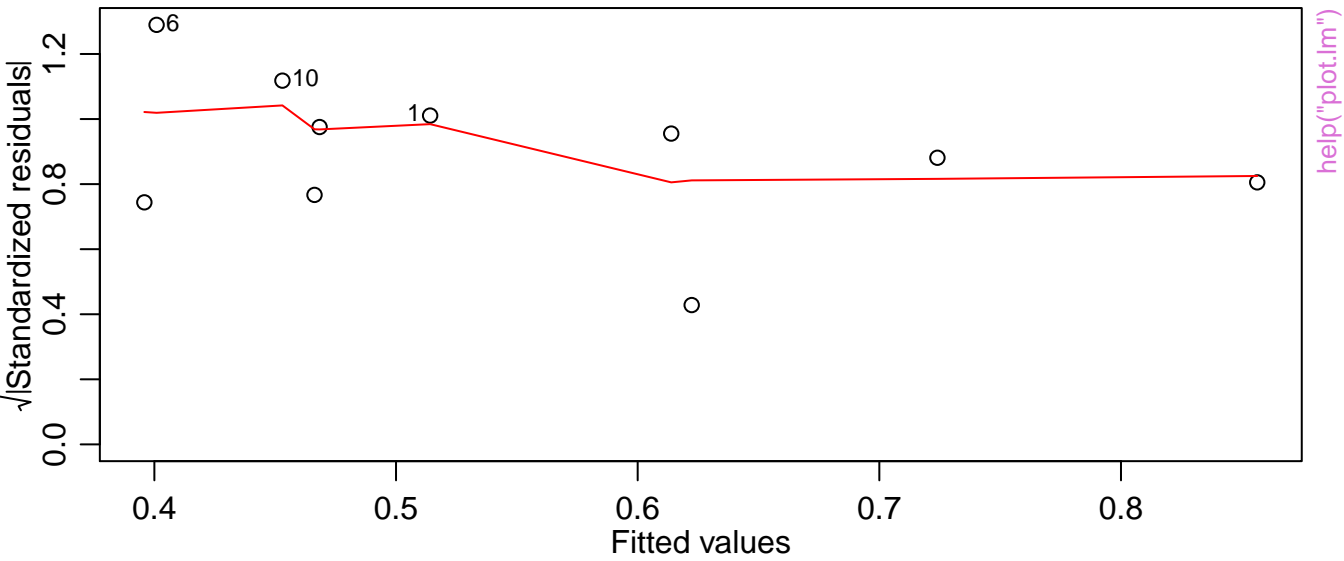
Residuals vs Fitted



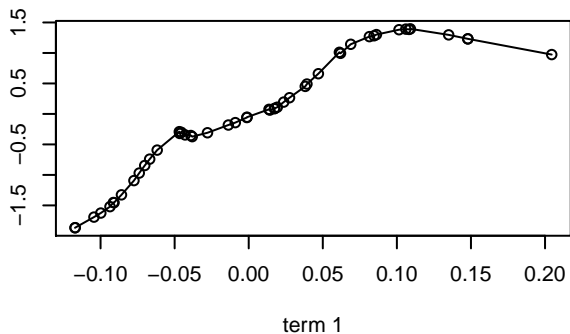
Normal Q-Q



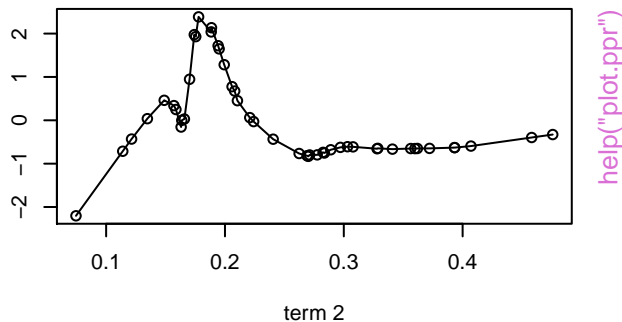


$$l(\text{long.var.name.1} \sim \text{long.var.name.2} + \text{long.var.name.3} + \text{long.var.name.4} + \text{Scale-Location})$$


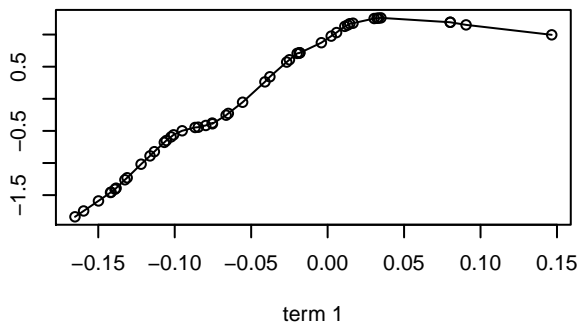
ppr(log(perm)~ ., nterms=2, max.terms=5)



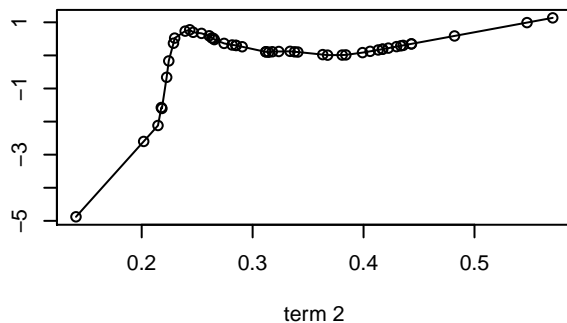
ppr(log(perm)~ ., nterms=2, max.terms=5)



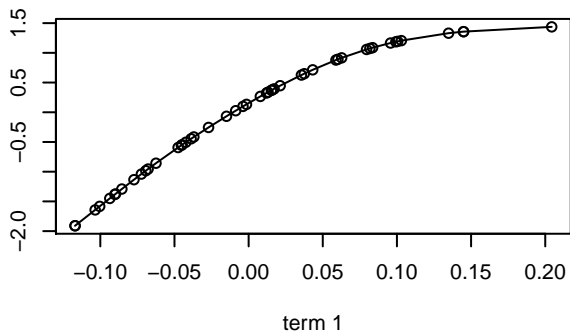
update(..., bass = 5)



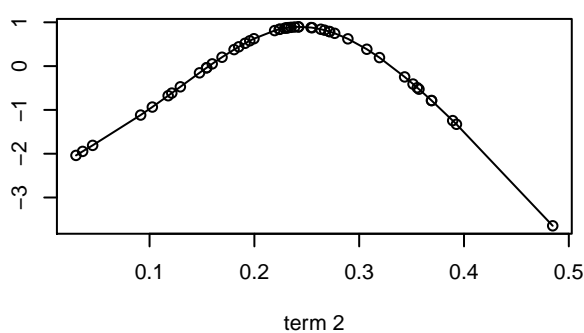
update(..., bass = 5)



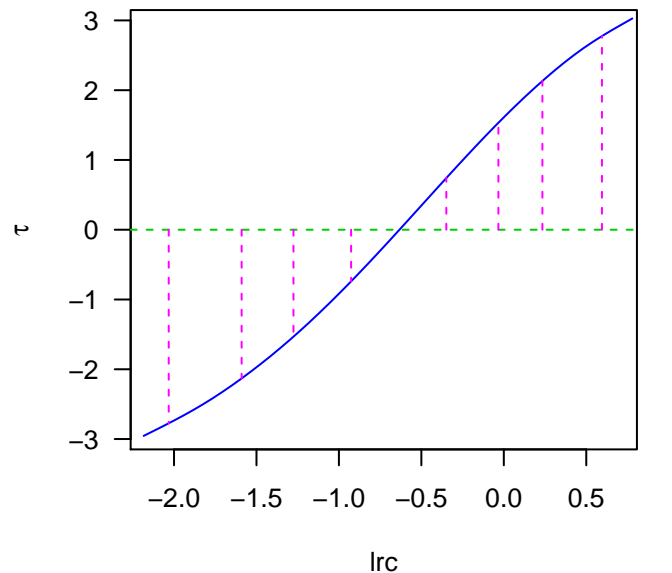
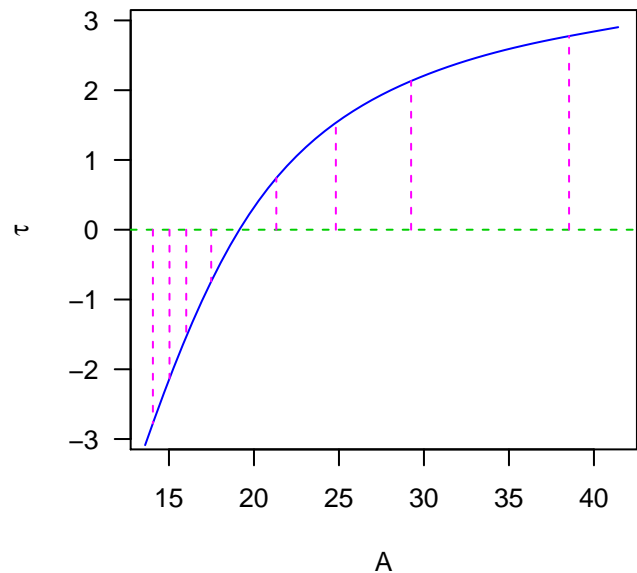
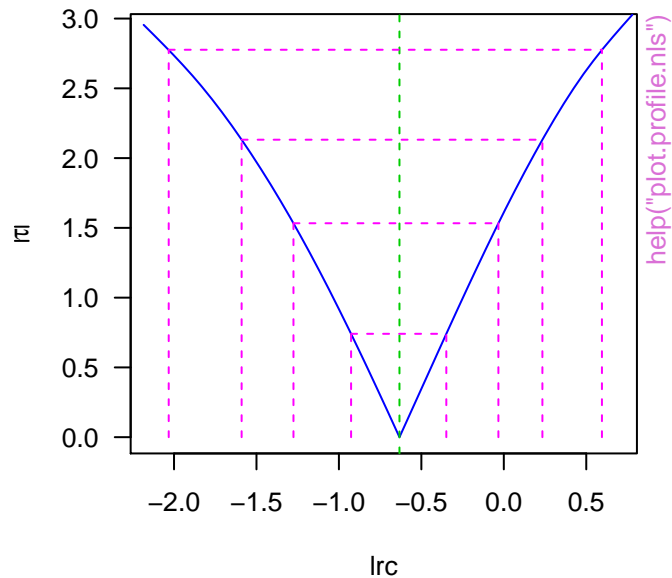
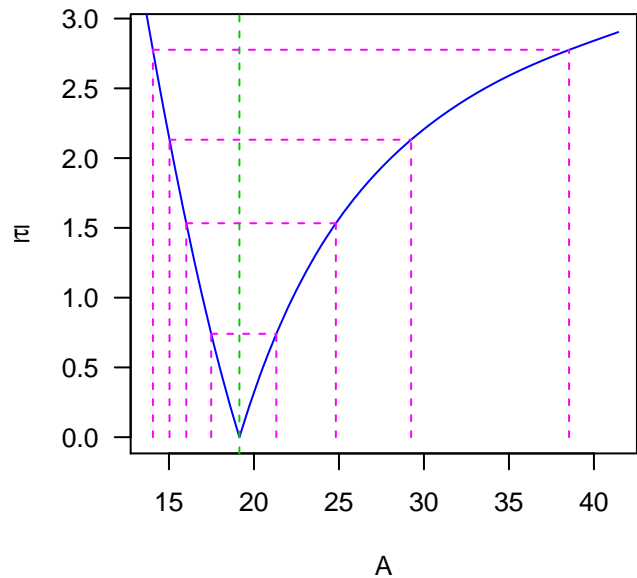
update(..., sm.method="gcv", gcvpen=2)



update(..., sm.method="gcv", gcvpen=2)

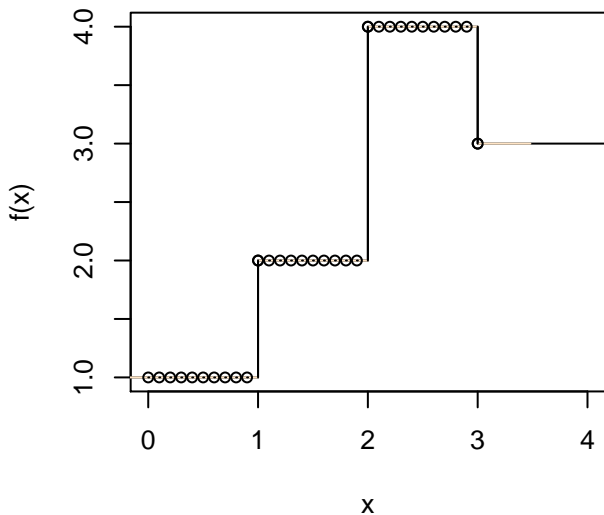


Confidence intervals based on the profile sum of squares

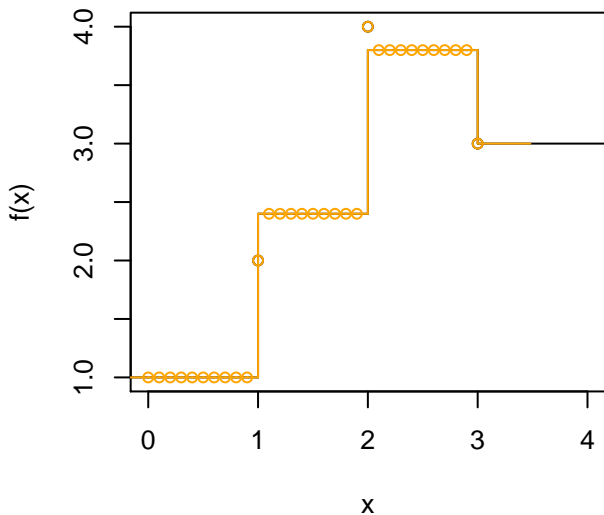


BOD data – confidence levels of 50%, 80%, 90% and 95%

stepfun(1:3, y0, f = 0)

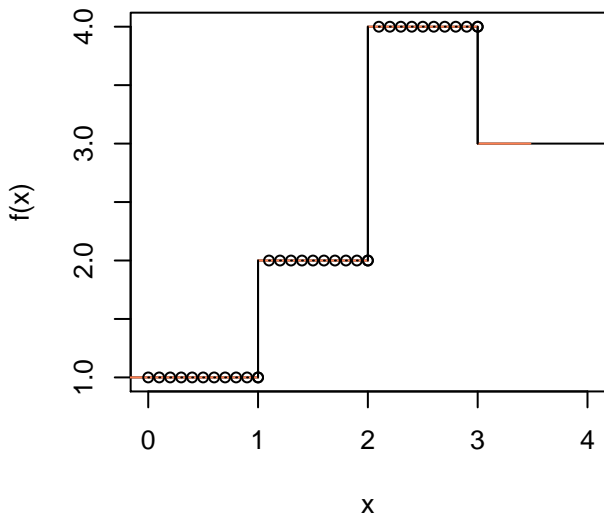


stepfun(1:3, y0, f = 0.2)

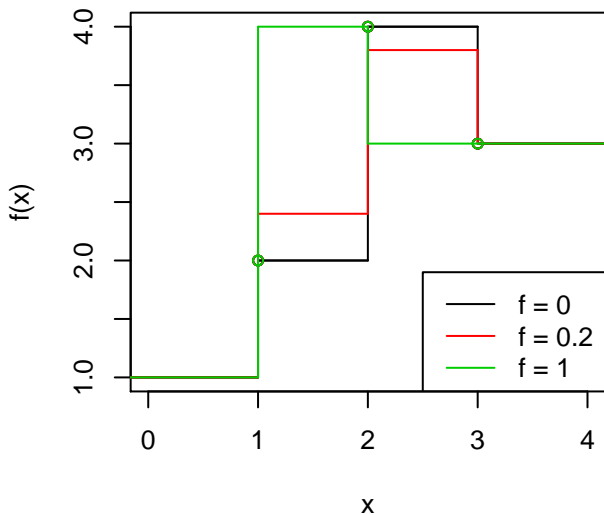


help("plot.stepfun")

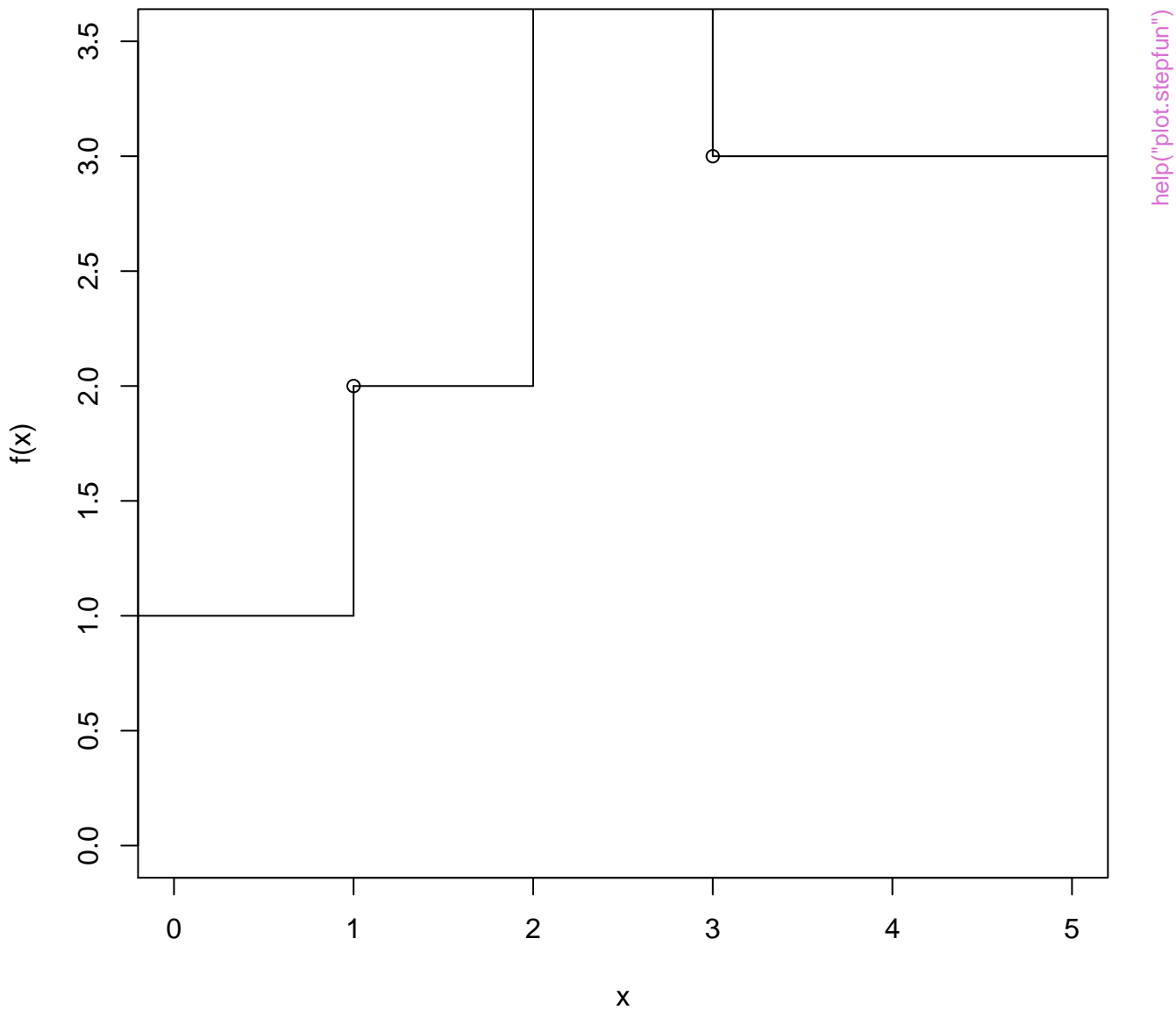
stepfun(1:3, y0, right = TRUE)



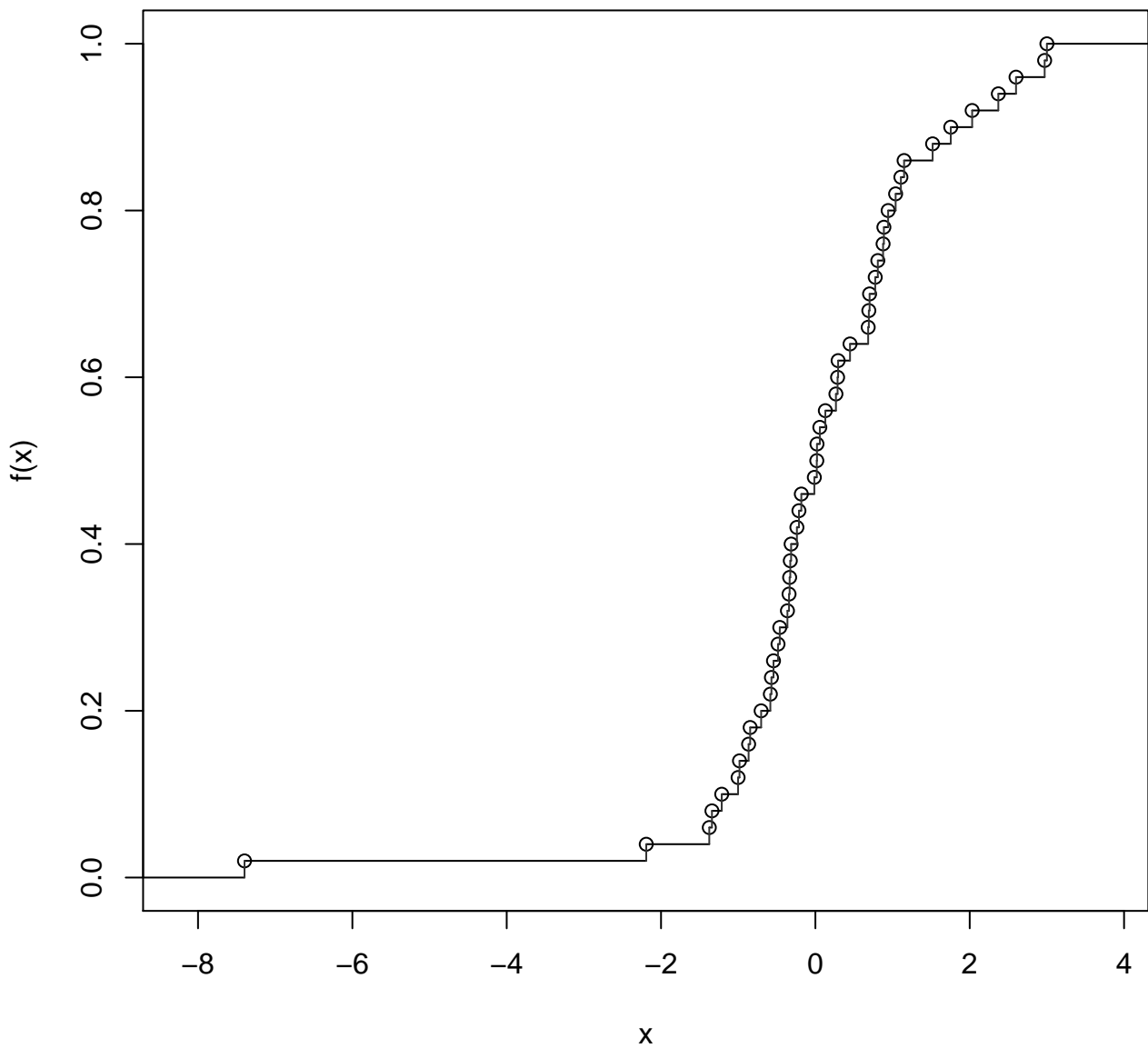
stepfun(x, y0, f=f) for f = 0, .2, 1



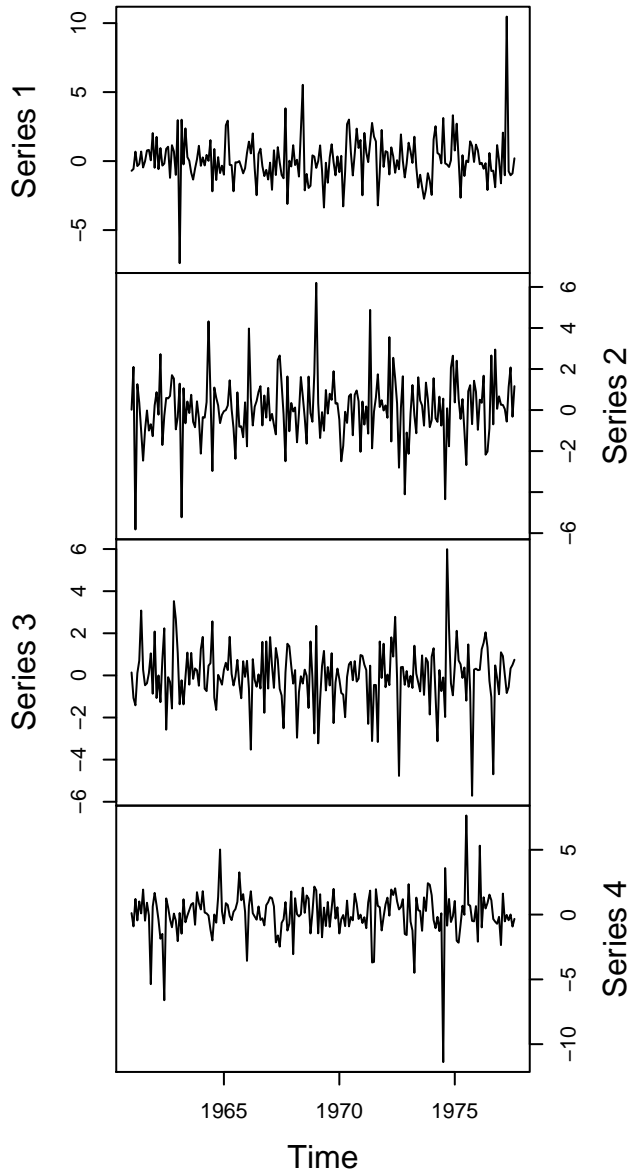
`plot(stepfun(*), xlim= . , ylim = .)`



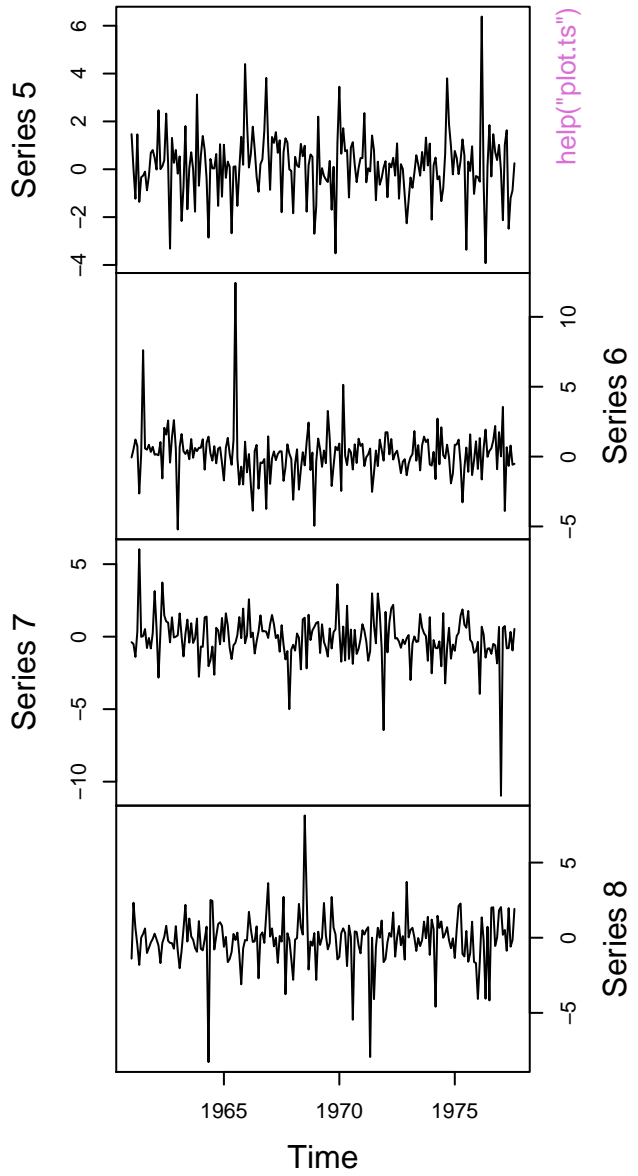
ecdf(rt(50, df = 3))



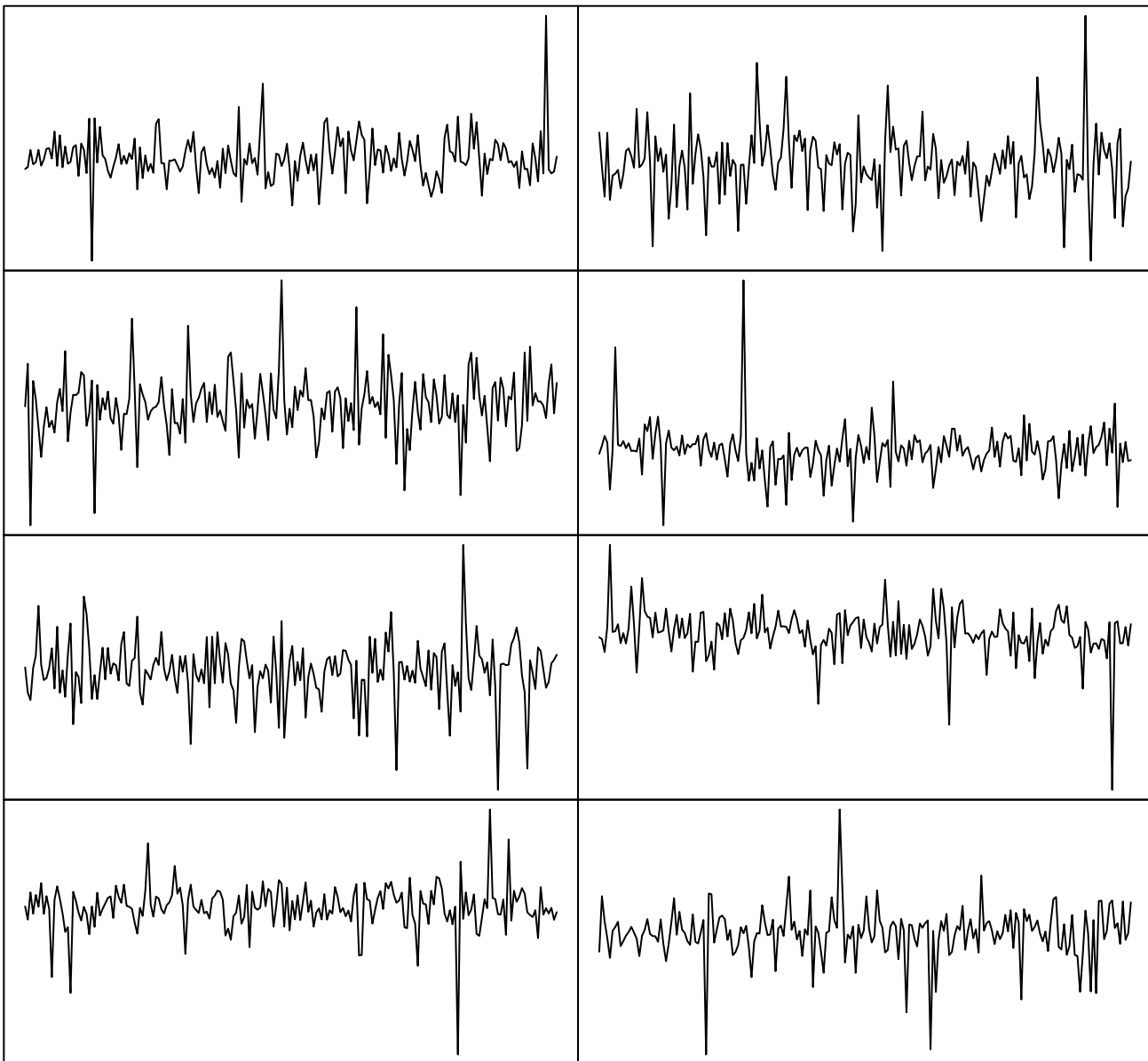
[help\("plot.stepfun"\)](#)



Z

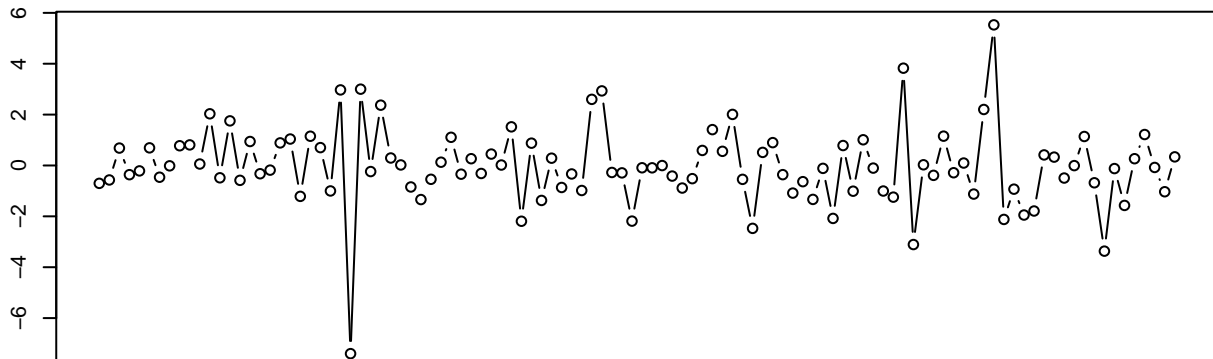


plot(ts(..), axes=FALSE, ann=FALSE, frame.plot=TRUE, mar..., oma...)

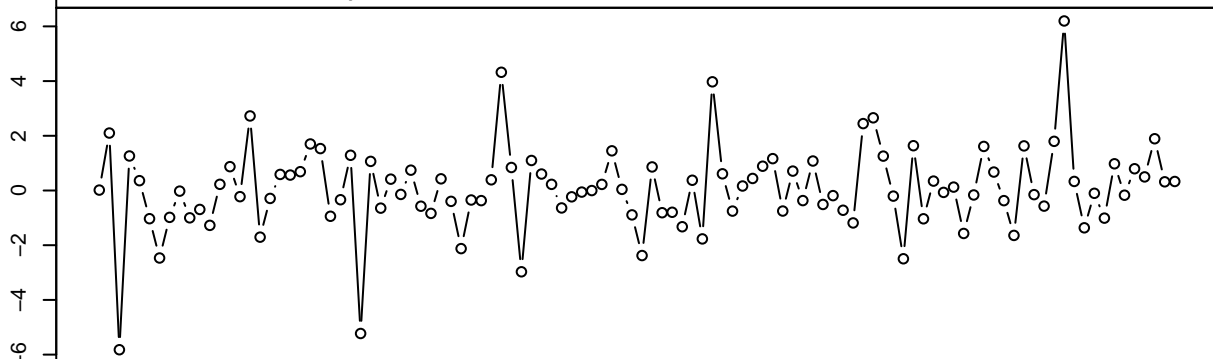


z

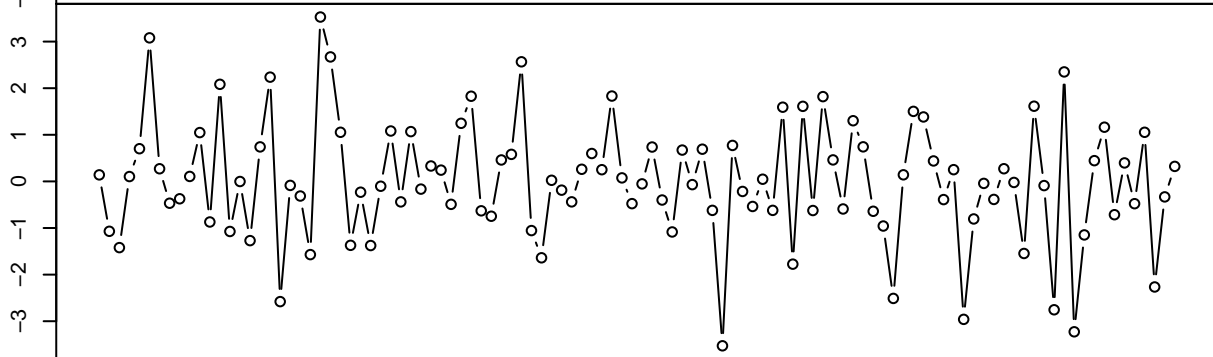
Series 1



Series 2



Series 3



1962

1964

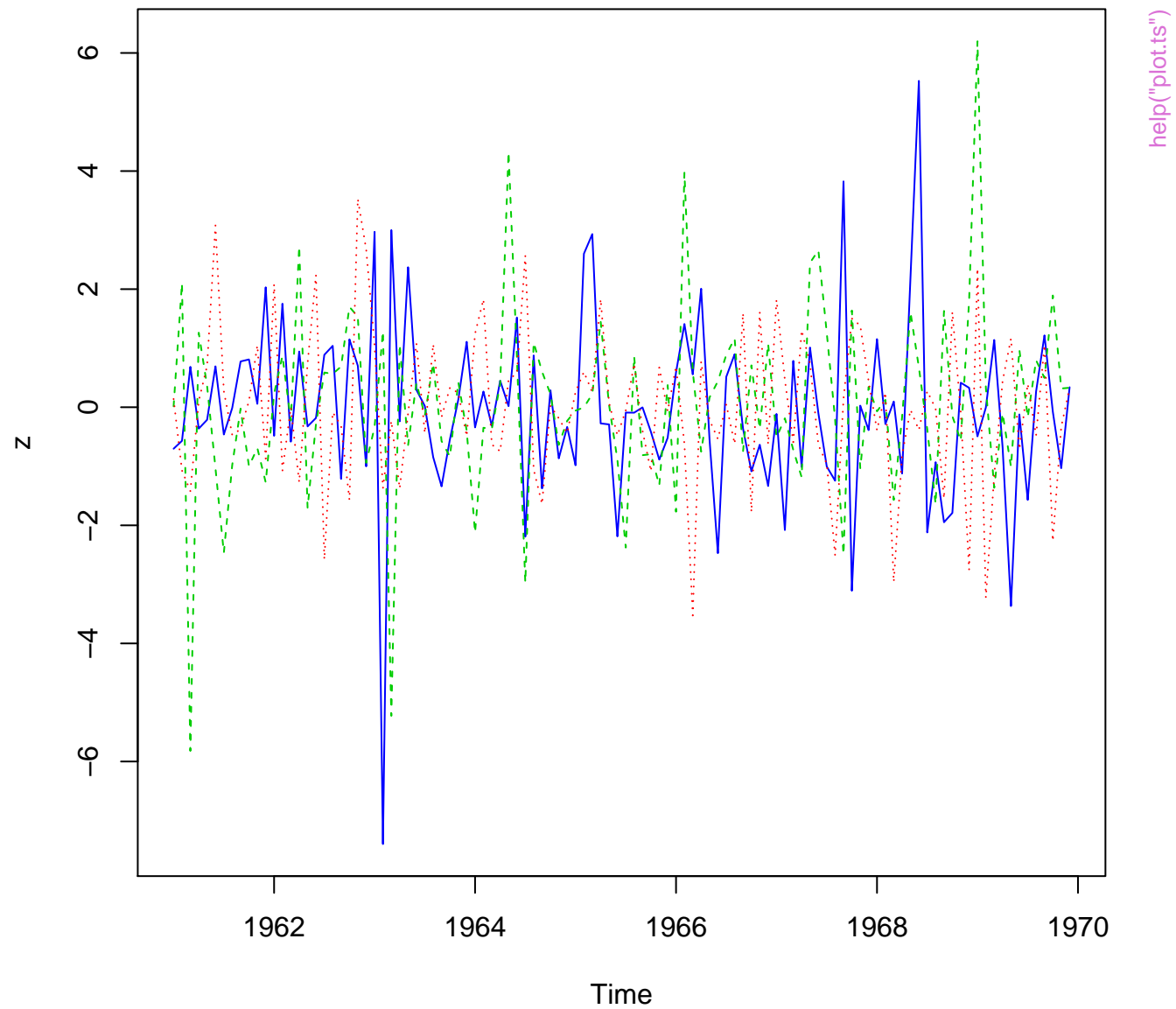
1966

1968

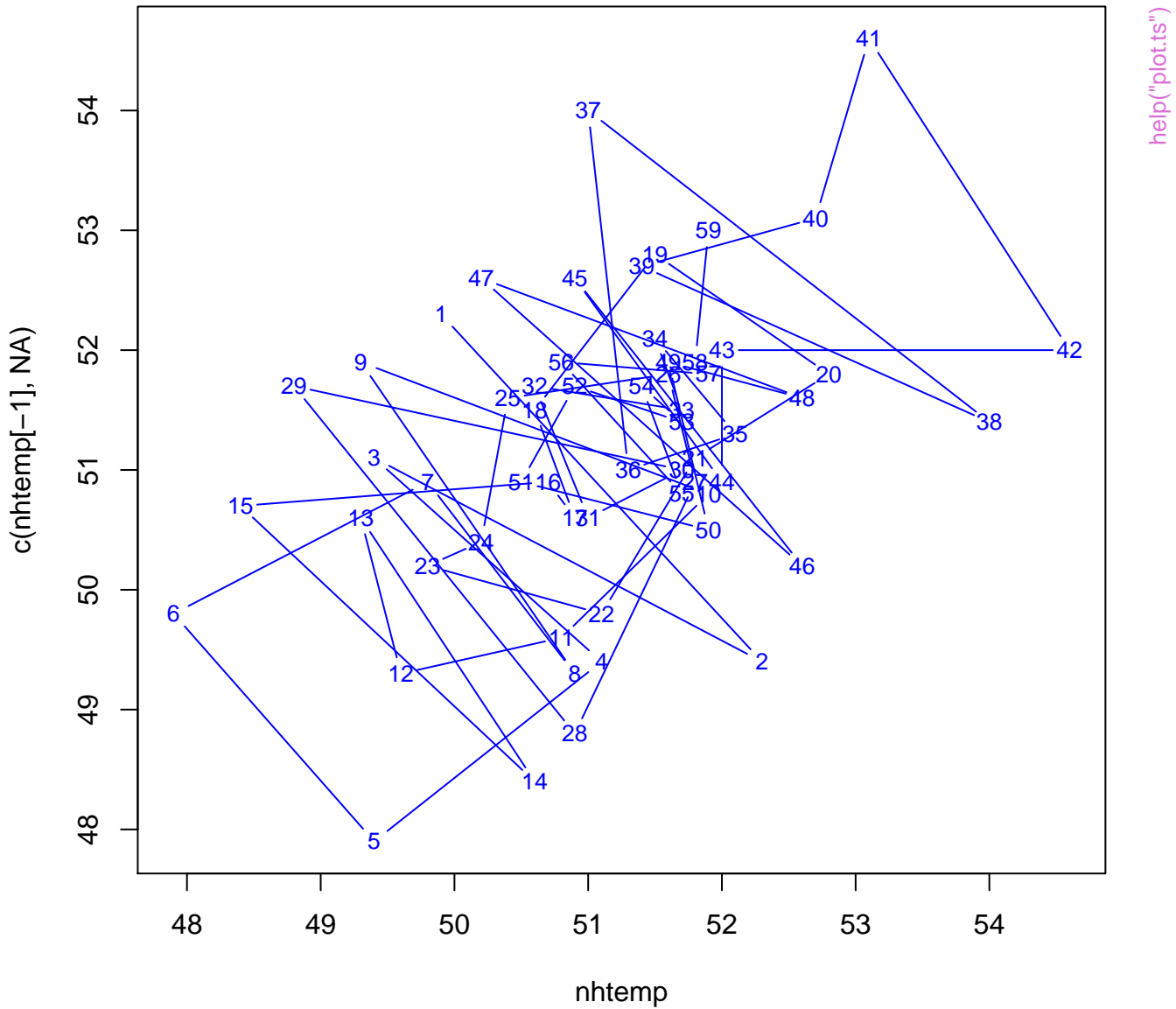
1970

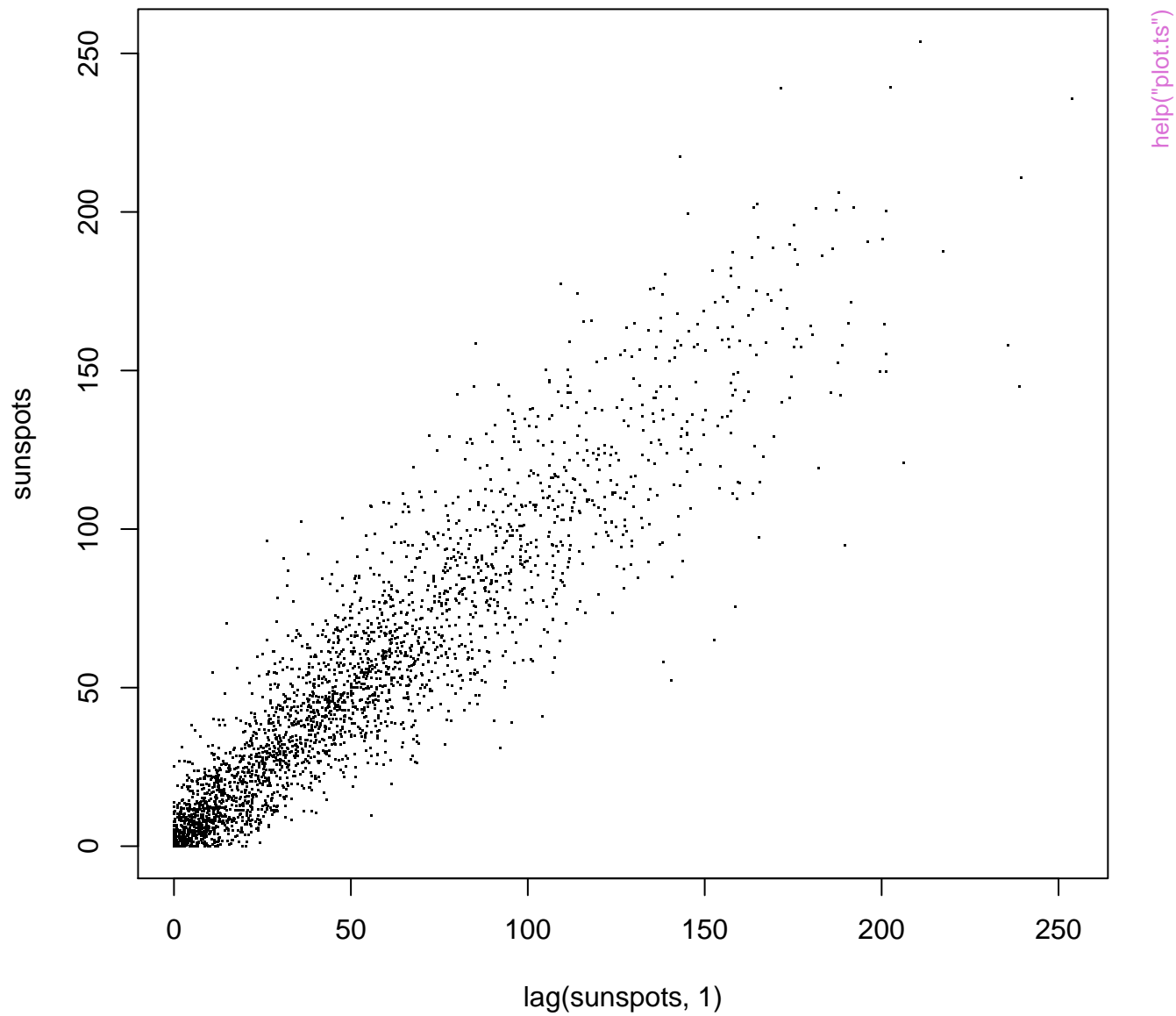
Time

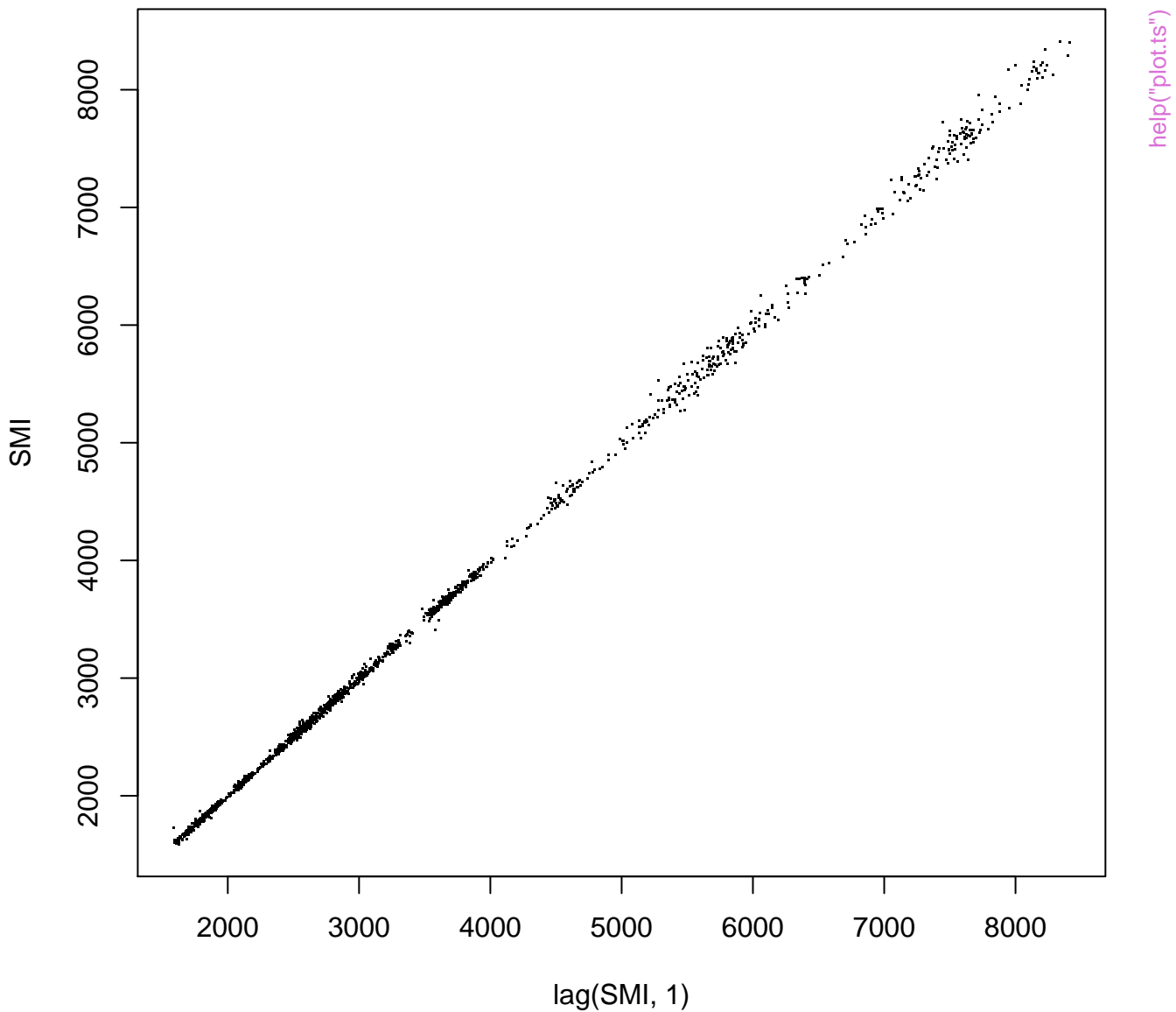
[help\("plot.ts"\)](#)



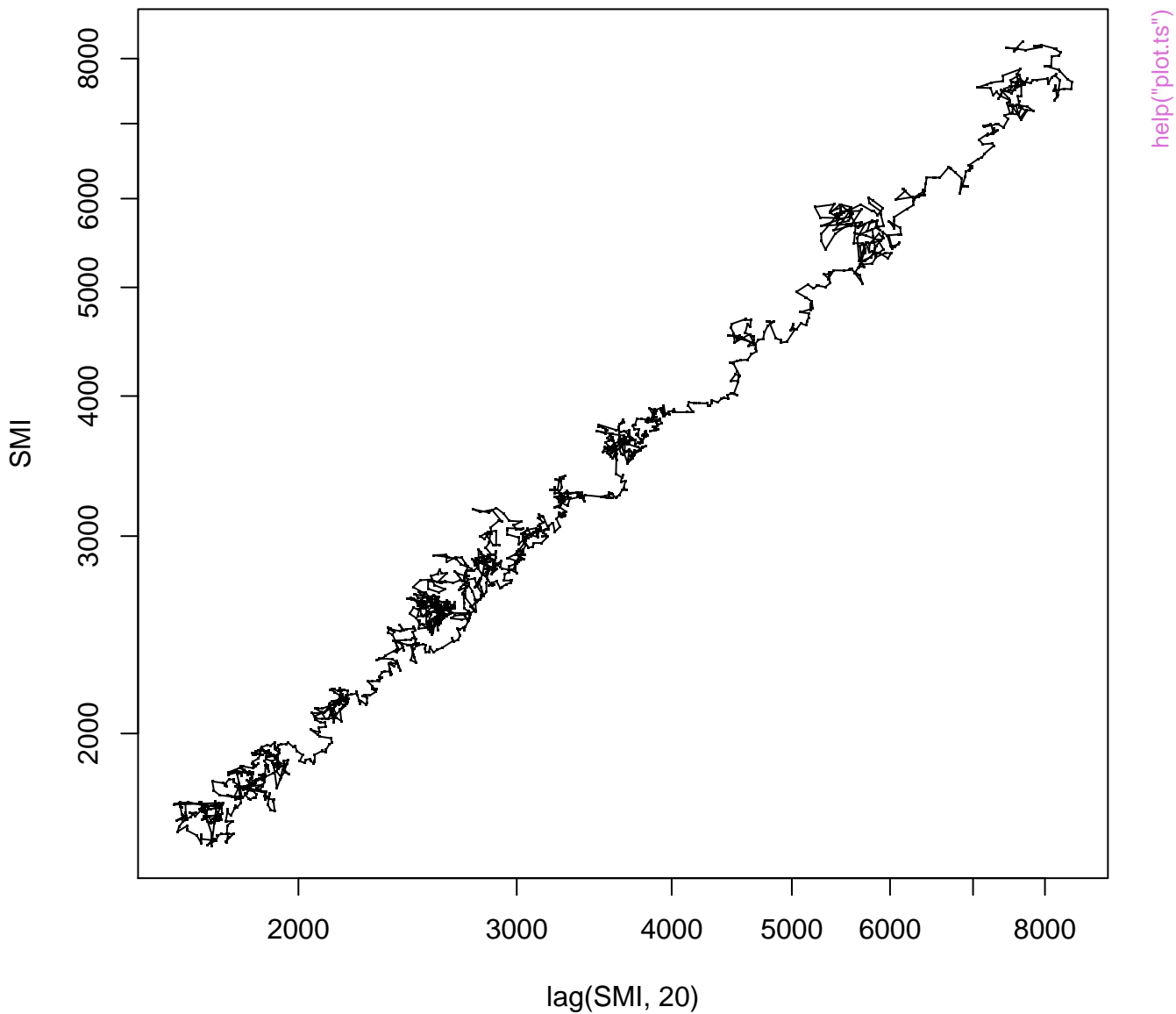
Lag plot of New Haven temperatures



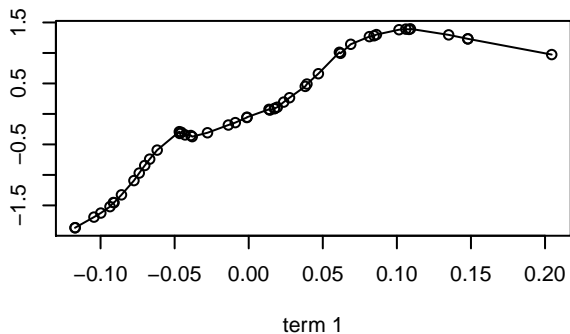




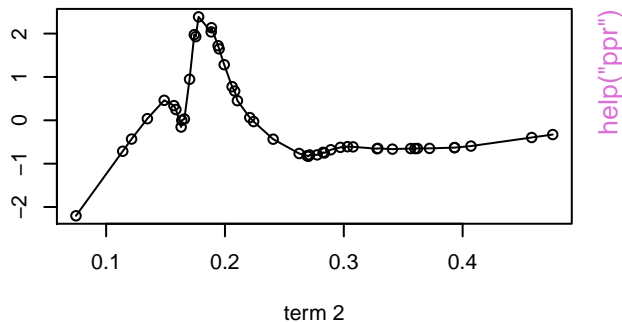
4 weeks lagged SMI stocks -- log scale



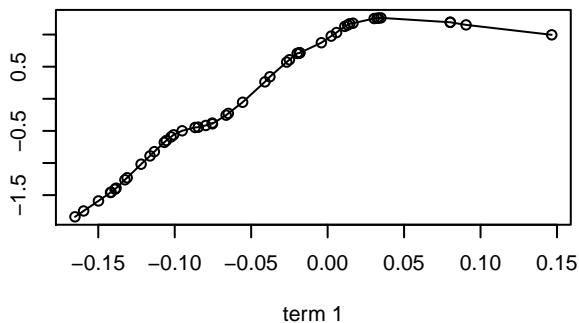
ppr(log(perm)~ ., nterms=2, max.terms=5)



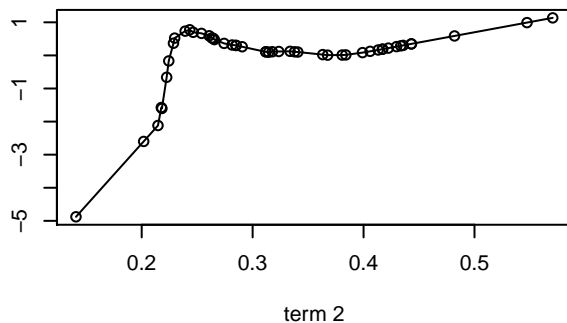
ppr(log(perm)~ ., nterms=2, max.terms=5)



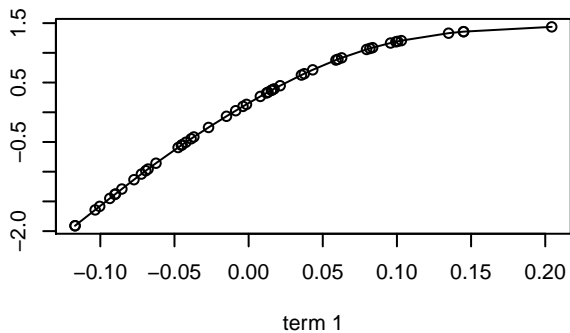
update(..., bass = 5)



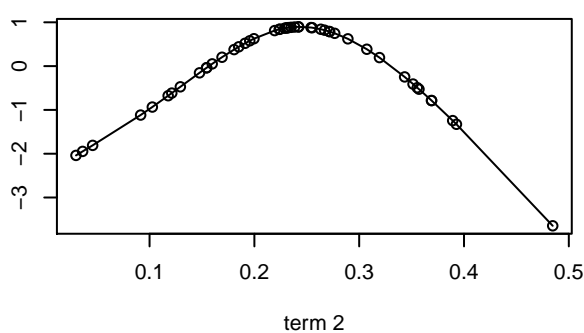
update(..., bass = 5)



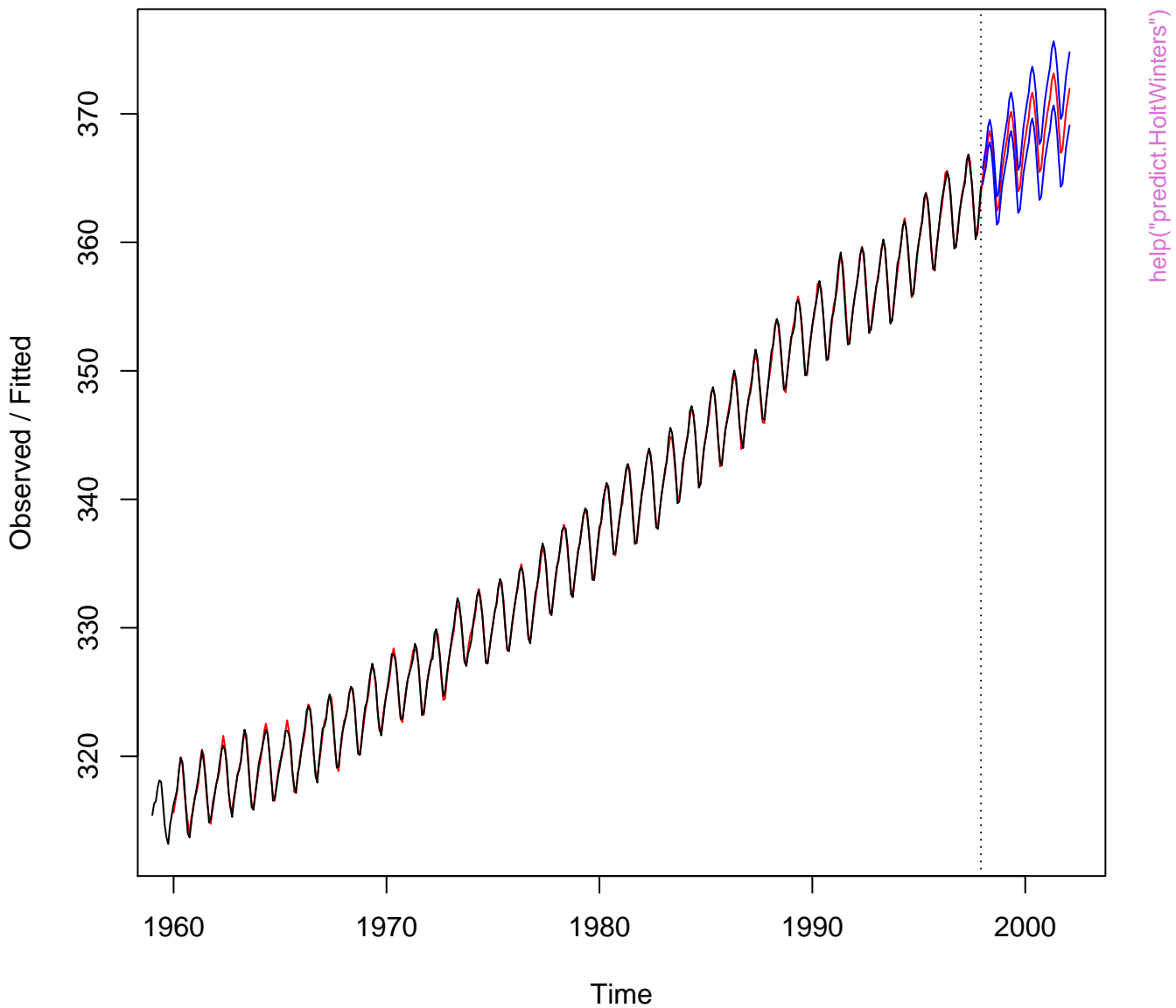
update(..., sm.method="gcv", gcvpen=2)

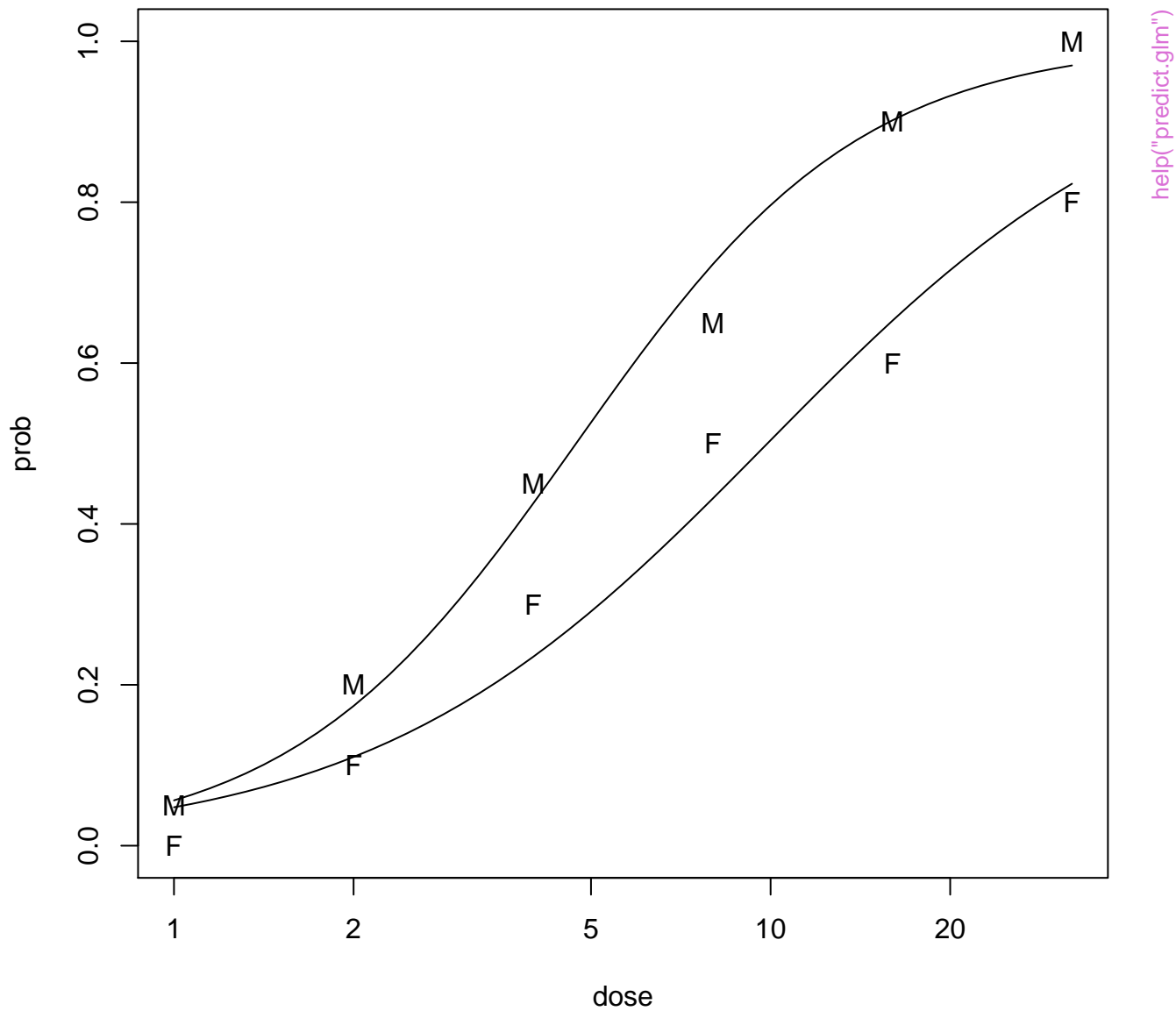


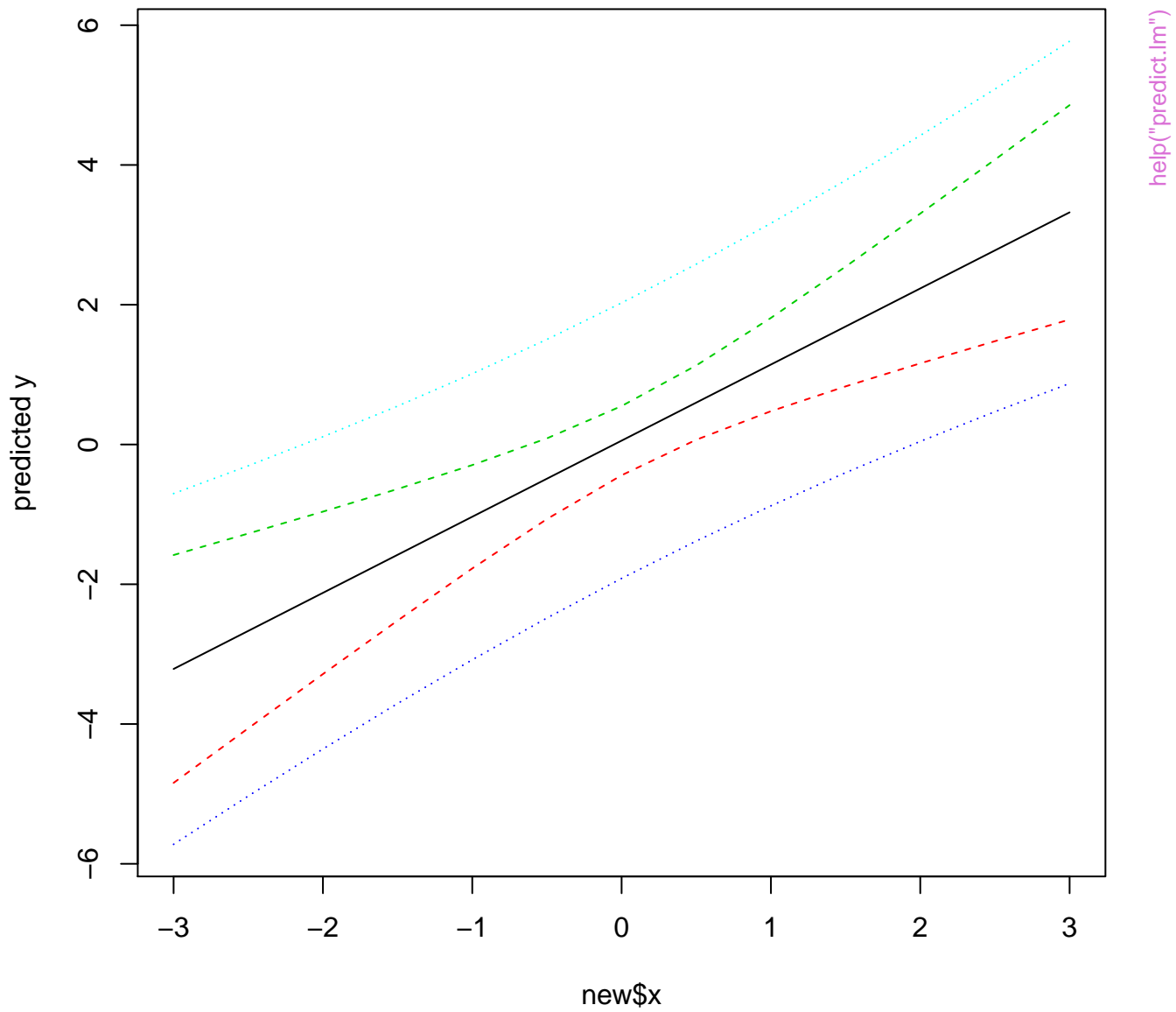
update(..., sm.method="gcv", gcvpen=2)



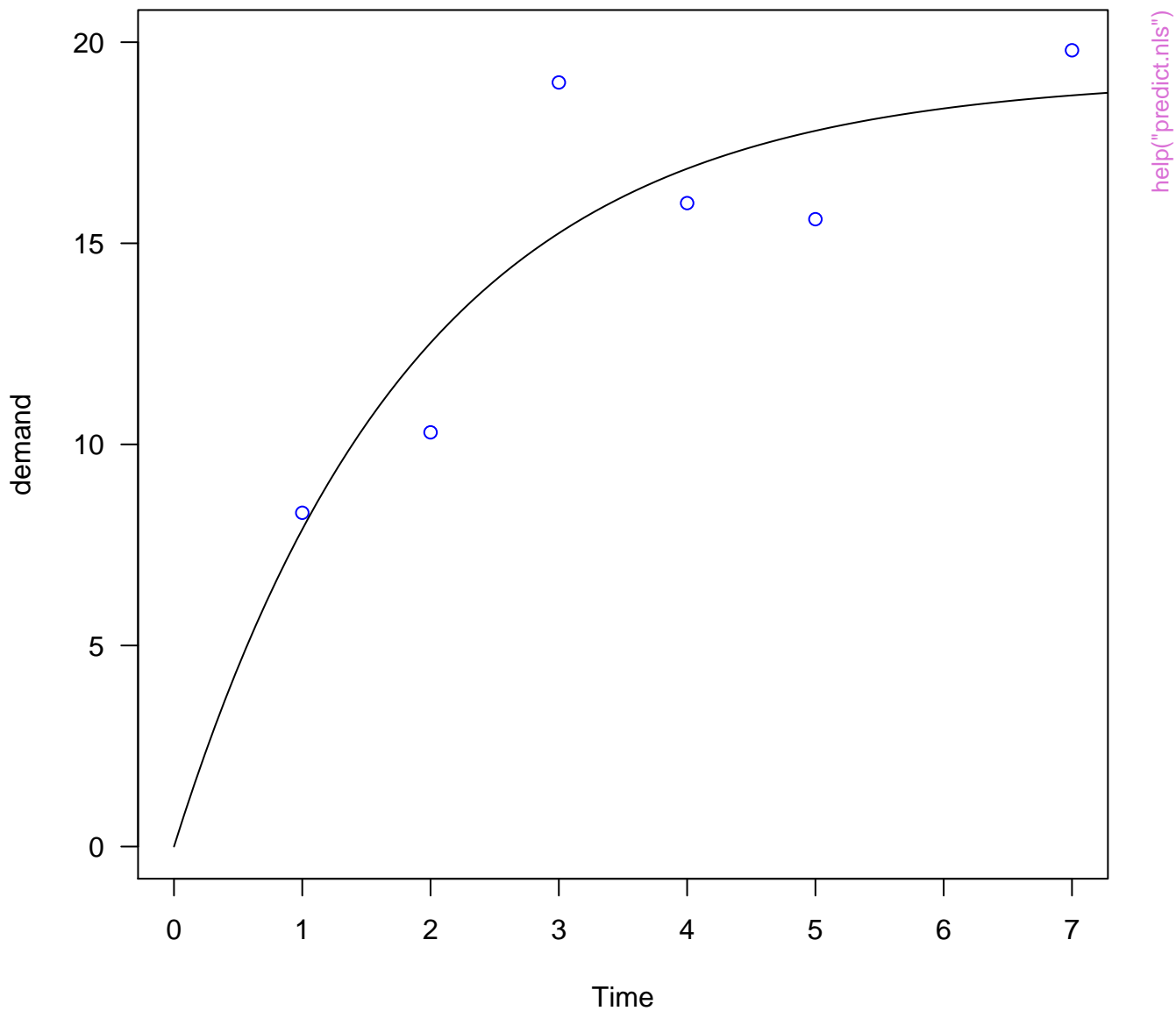
Holt-Winters filtering



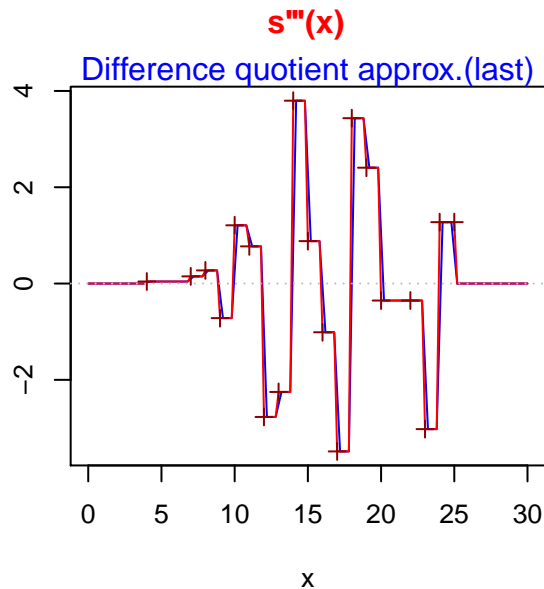
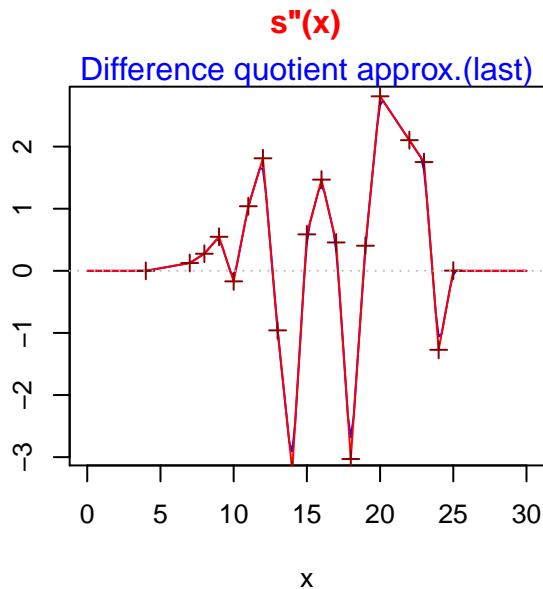
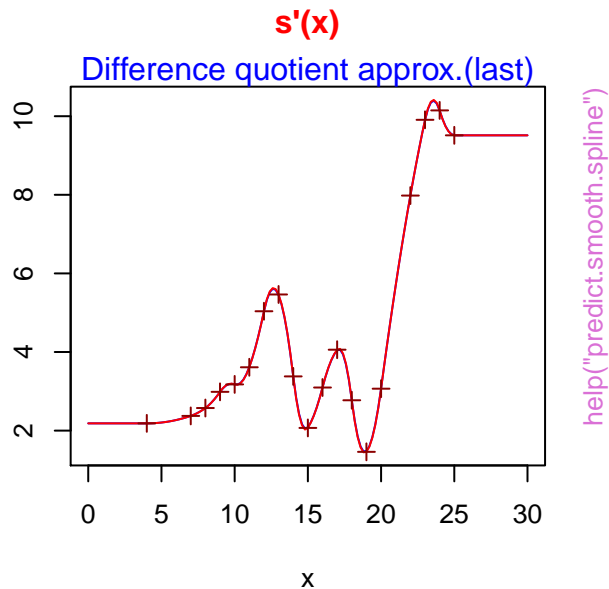
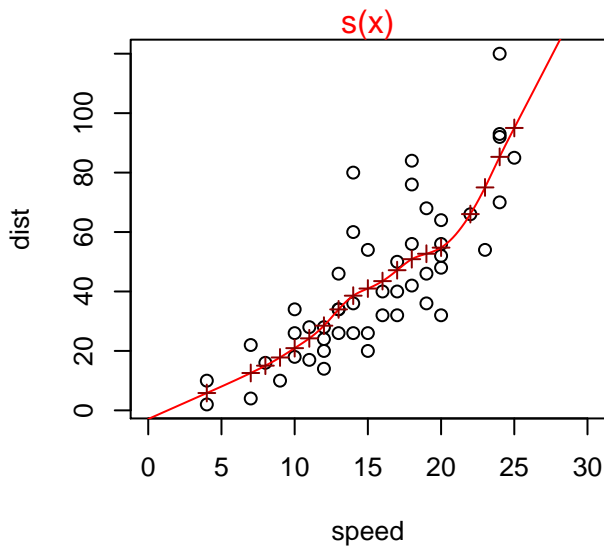




BOD data and fitted first-order curve

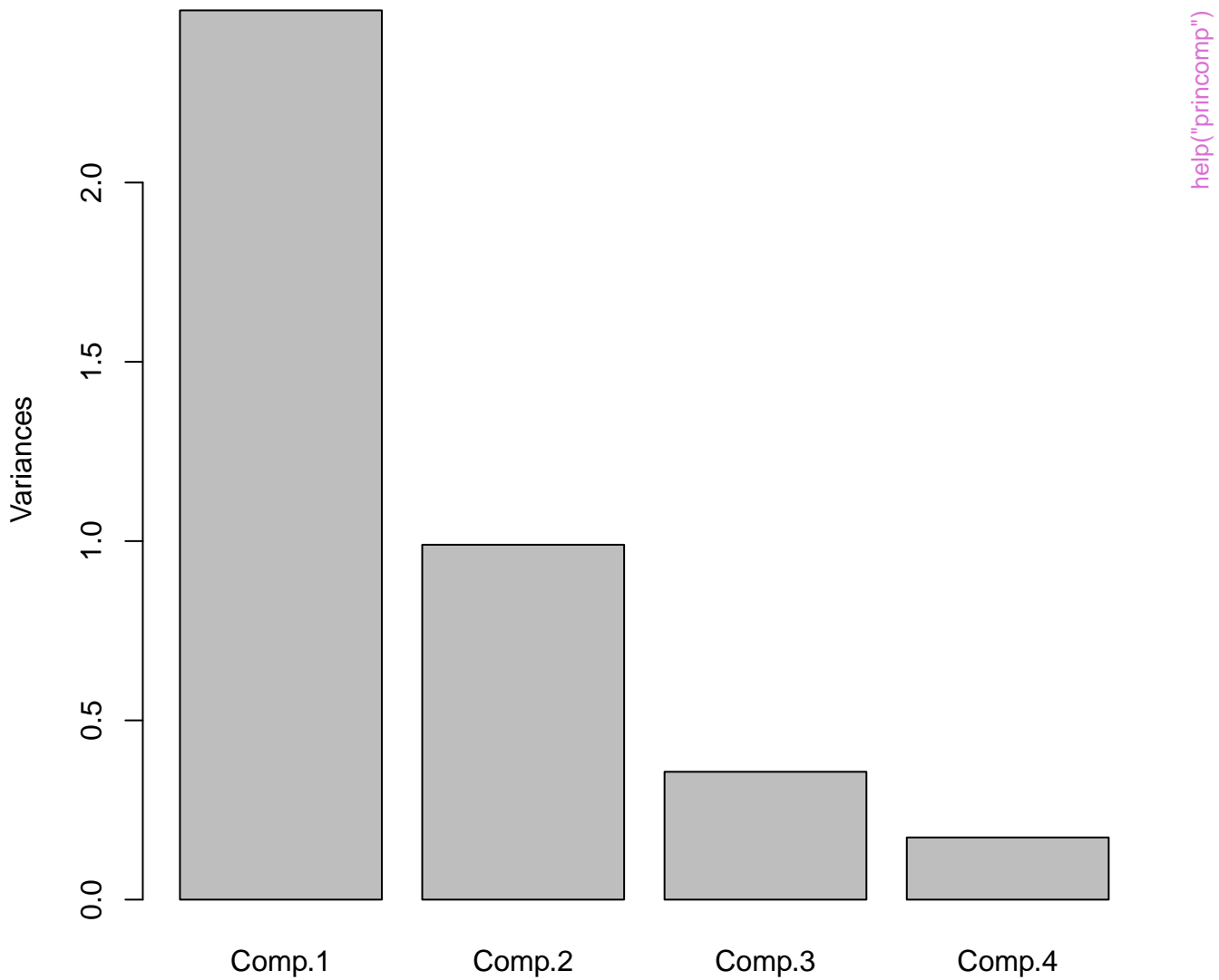


Smooth.spline & derivatives

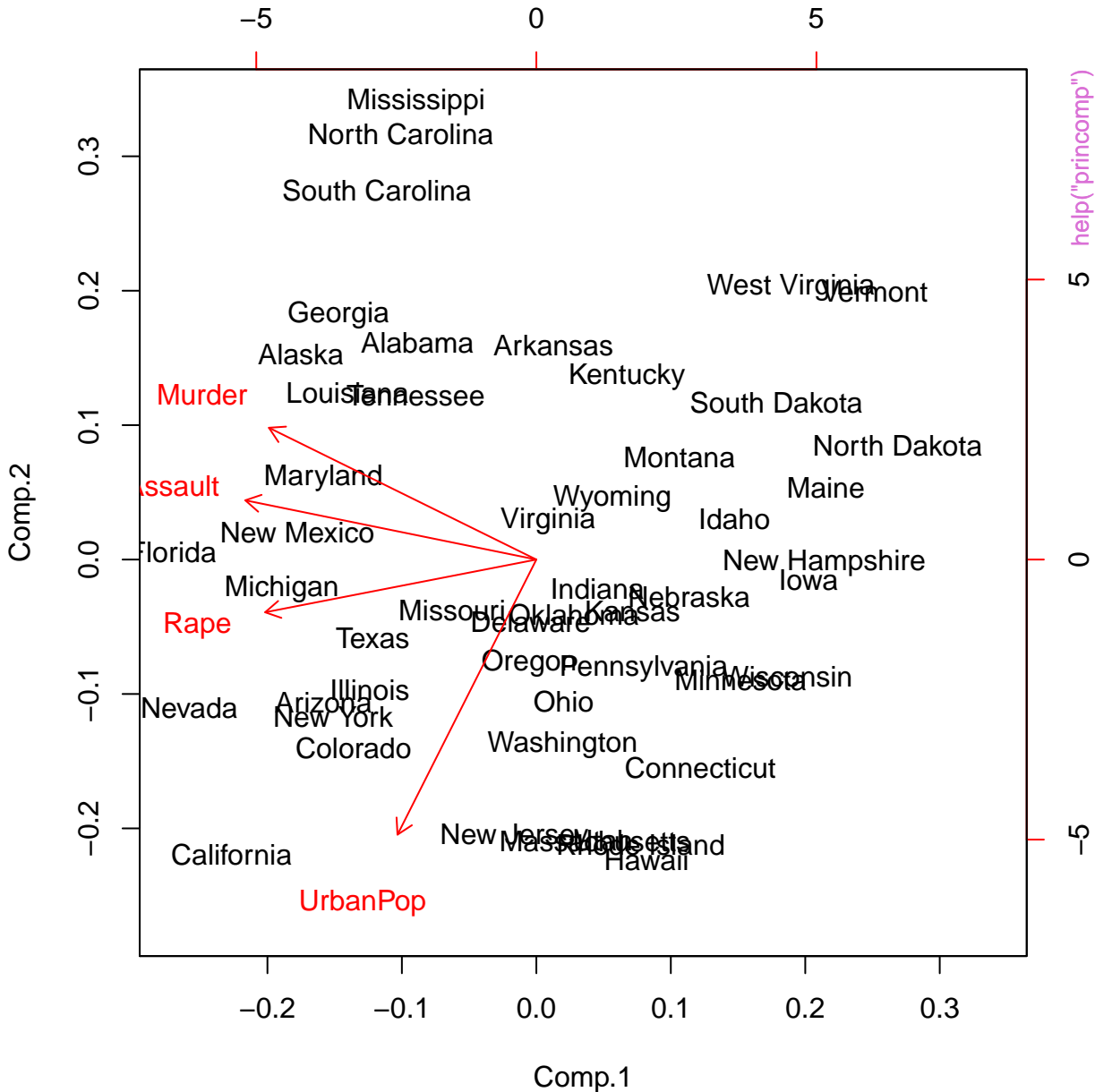


help("predict.smooth.spline")

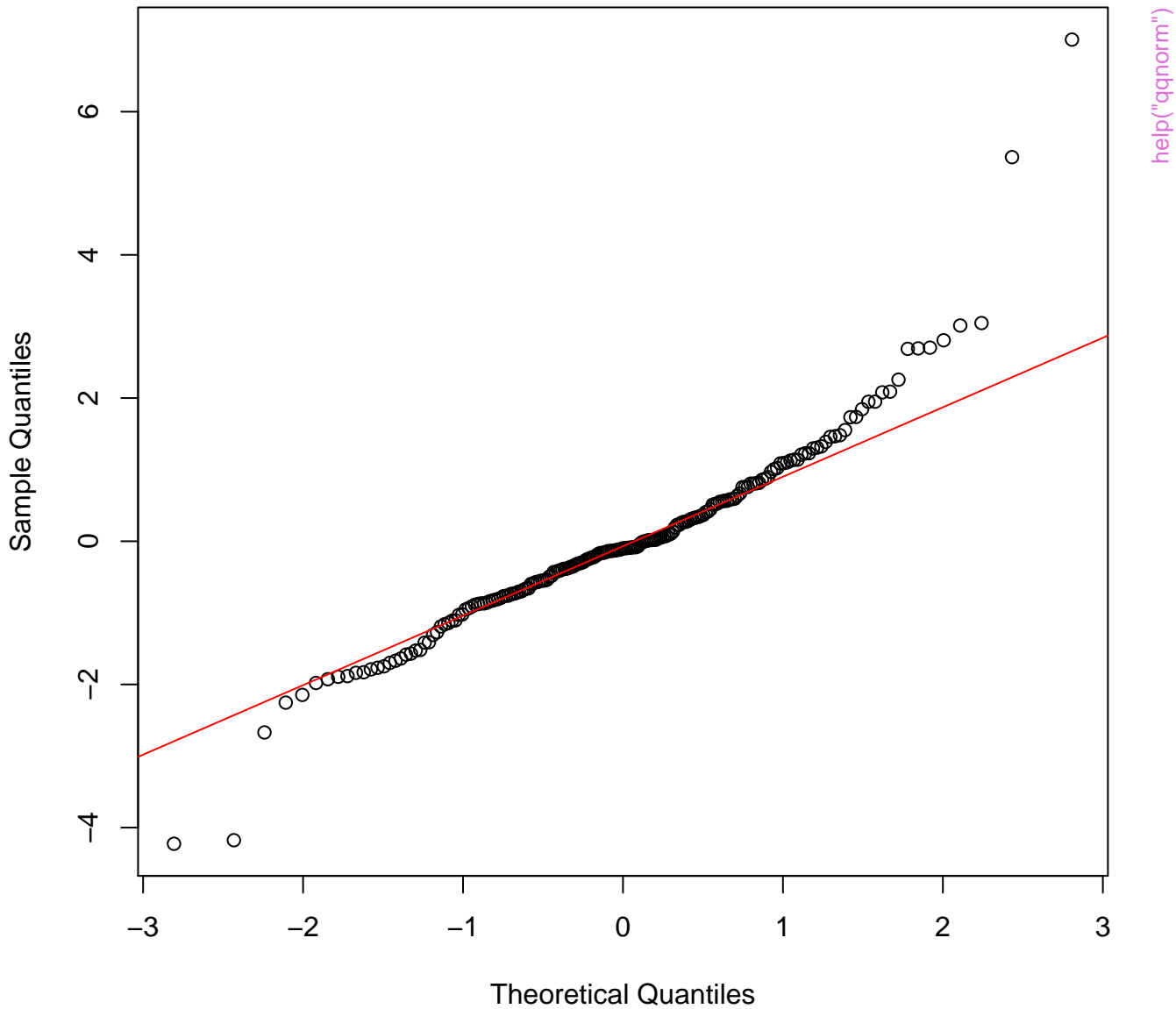
pc.cr

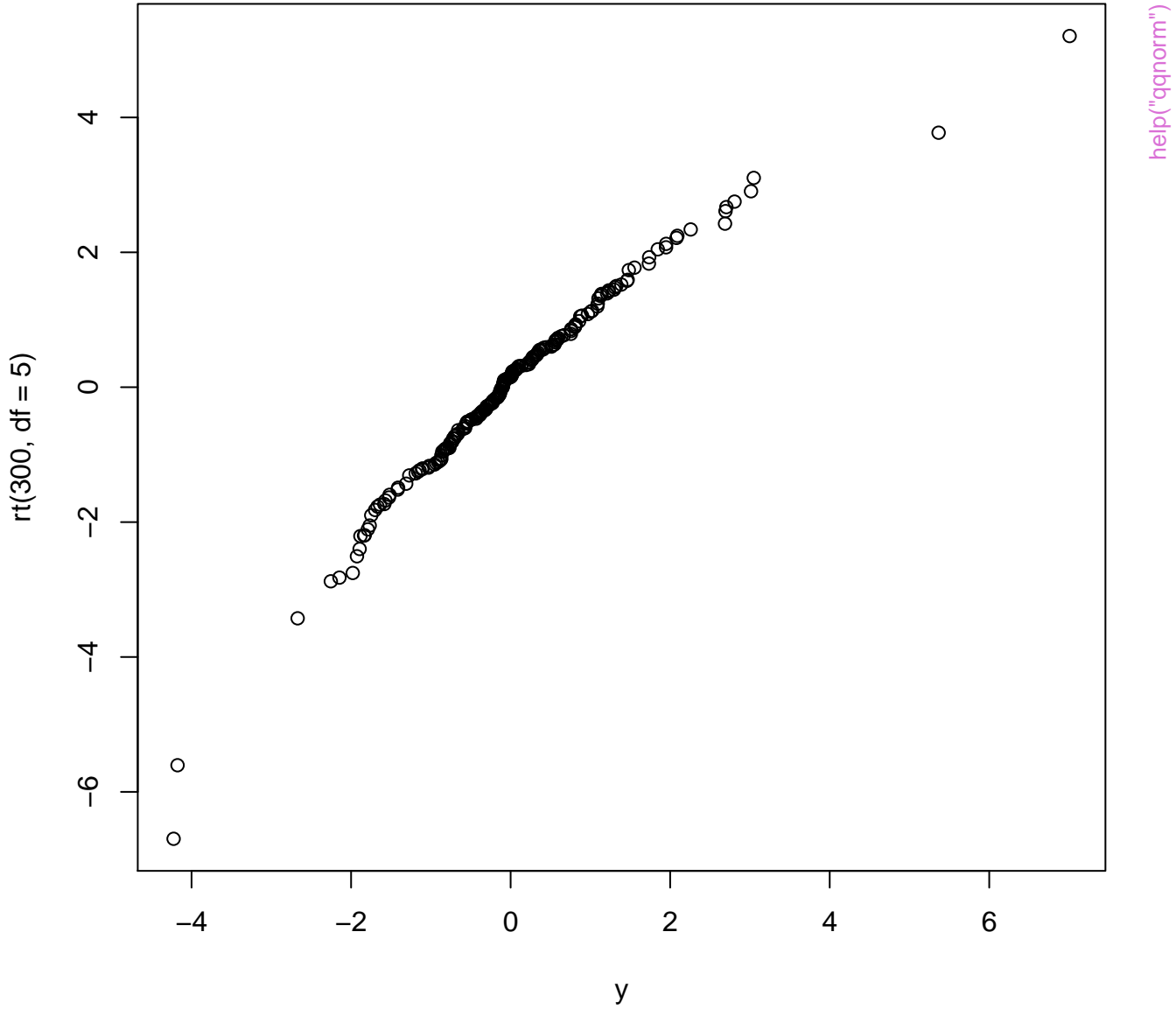


`help("princomp")`

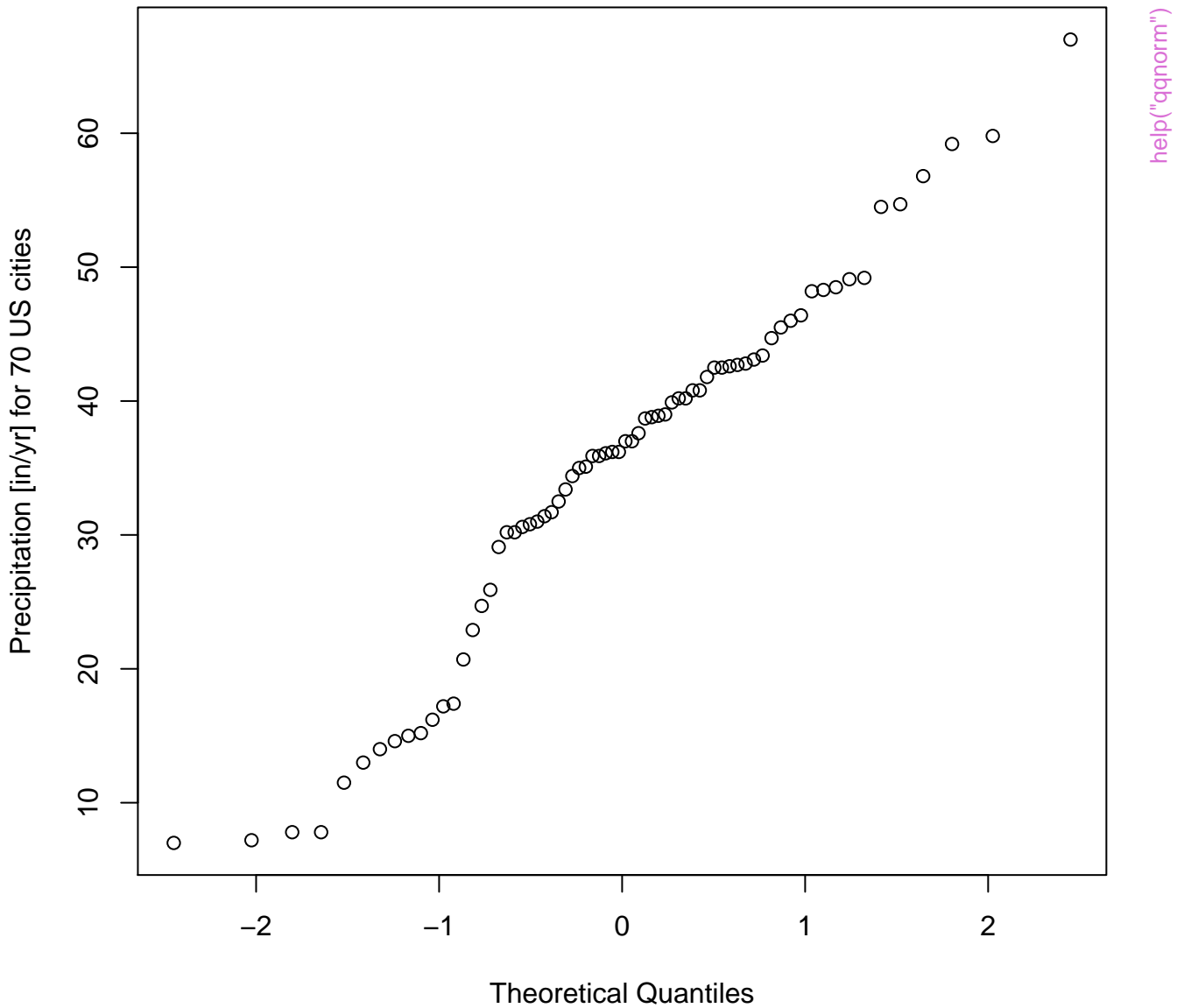


Normal Q-Q Plot





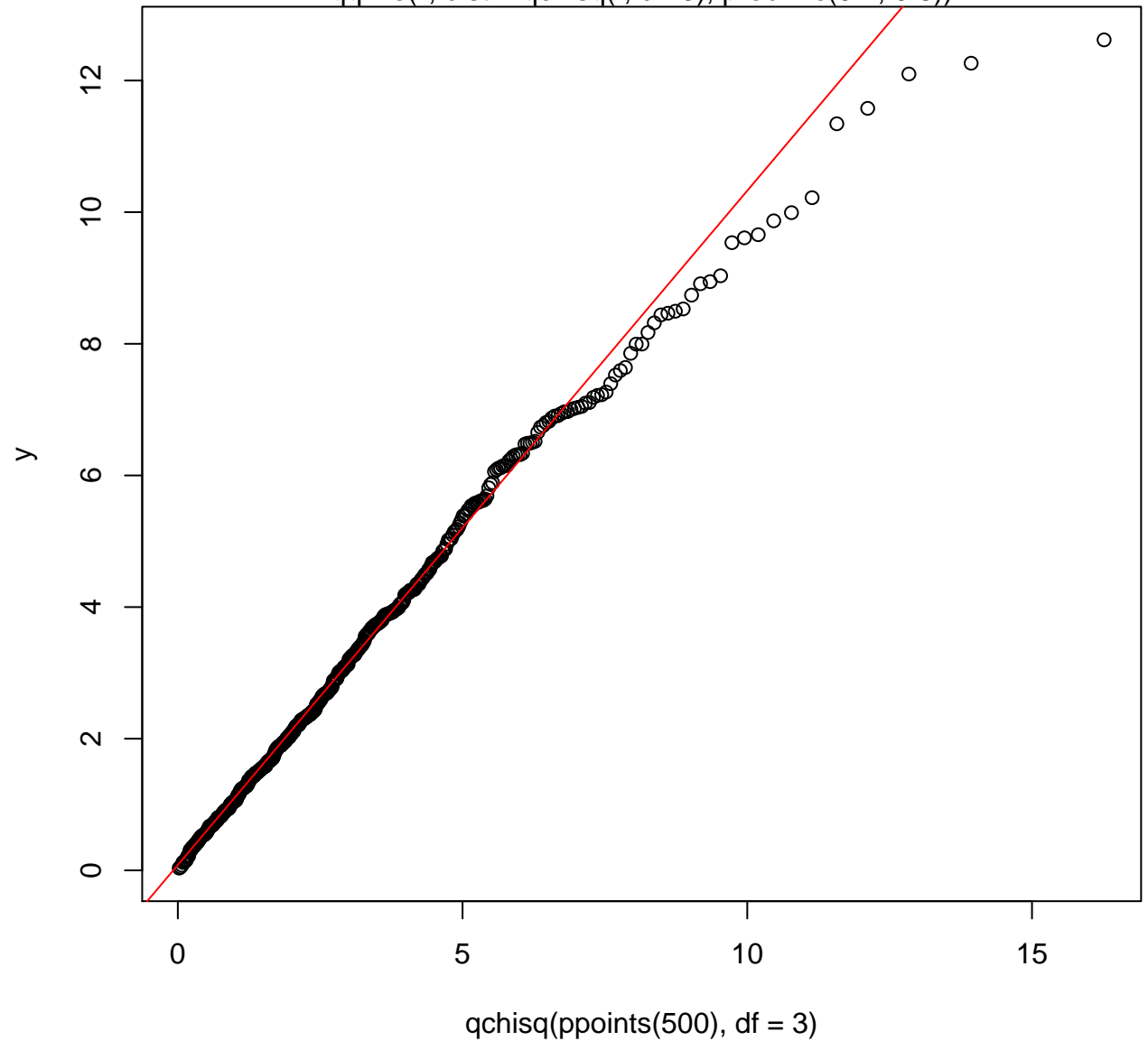
Normal Q-Q Plot



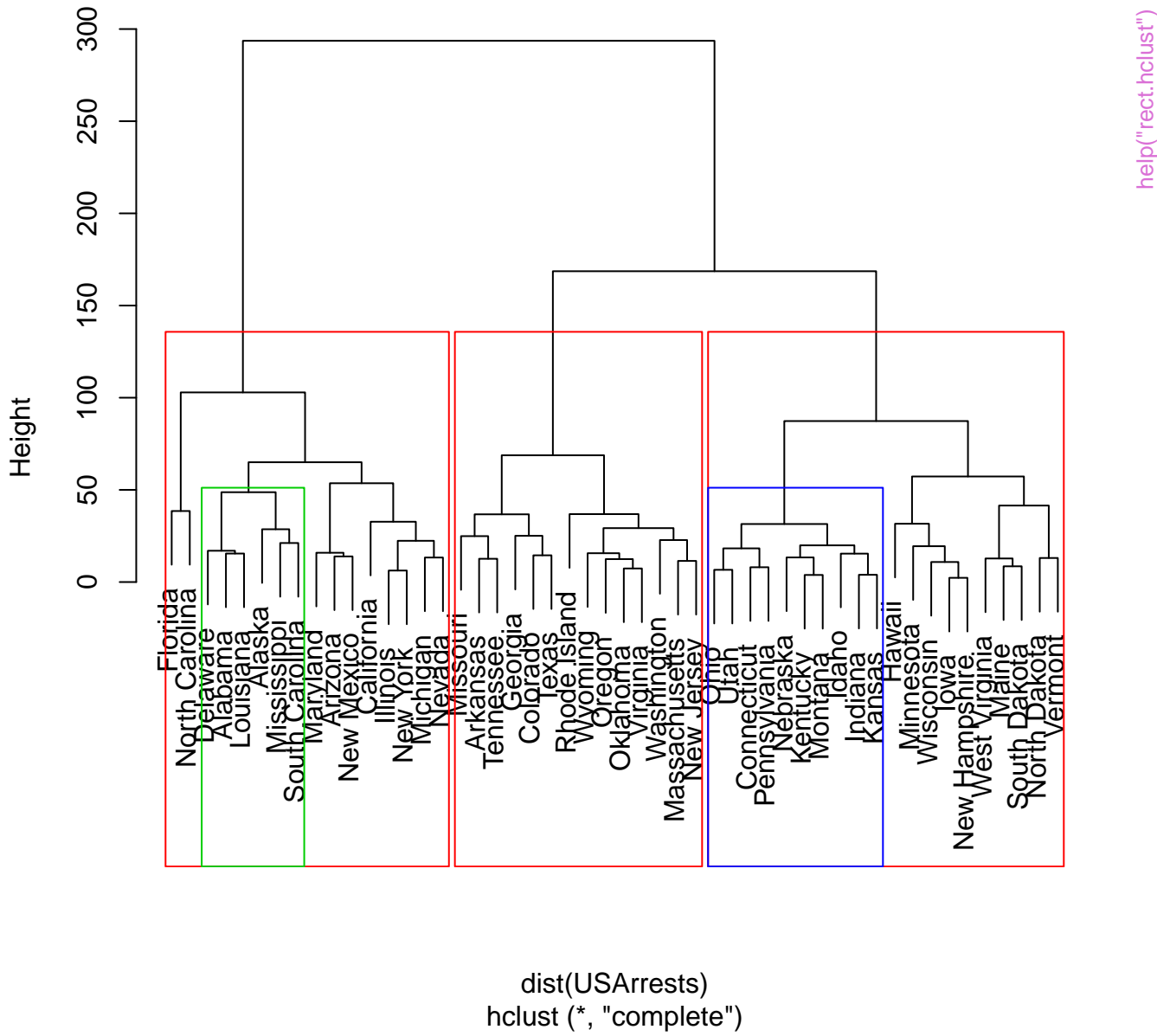
Q-Q plot for $\chi^2_{v=3}$

`qqline(*, dist = qchisq(., df=3), prob = c(0.1, 0.6))`

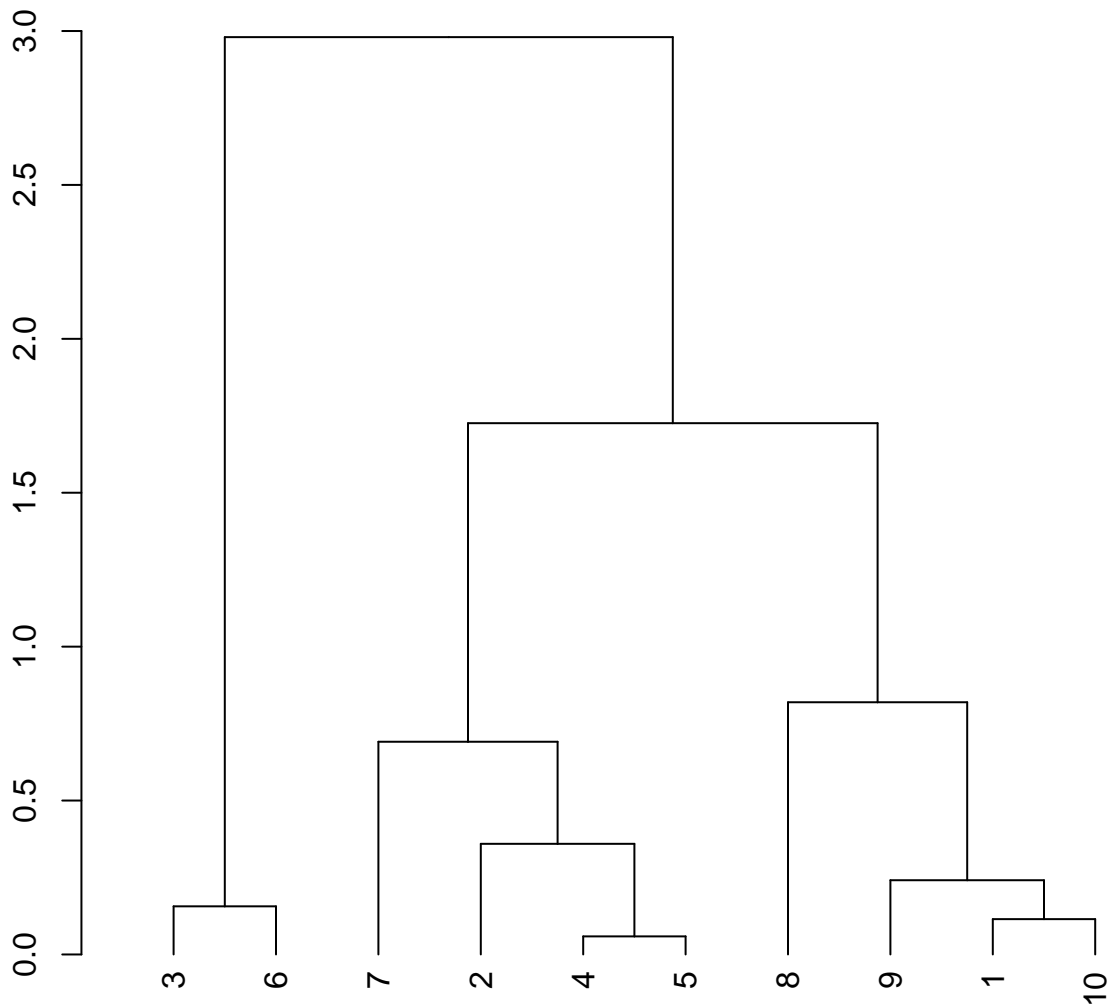
`help("qqnorm")`



Cluster Dendrogram

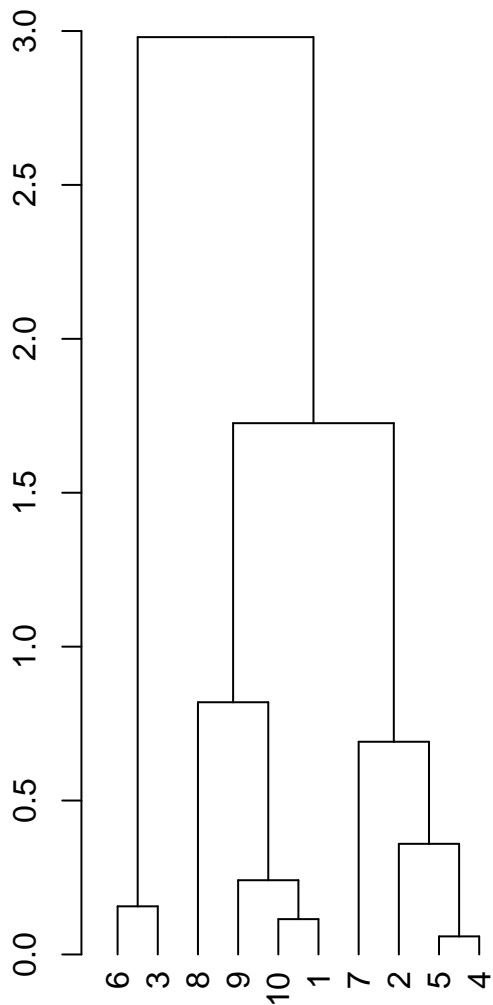


random dendrogram 'dd'

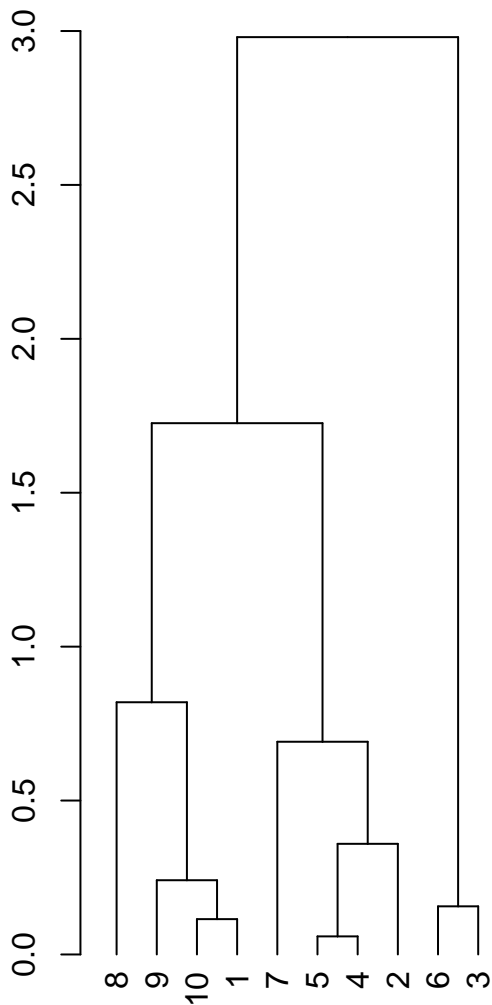


`help("reorder.dendrogram")`

reorder(dd, 10:1)

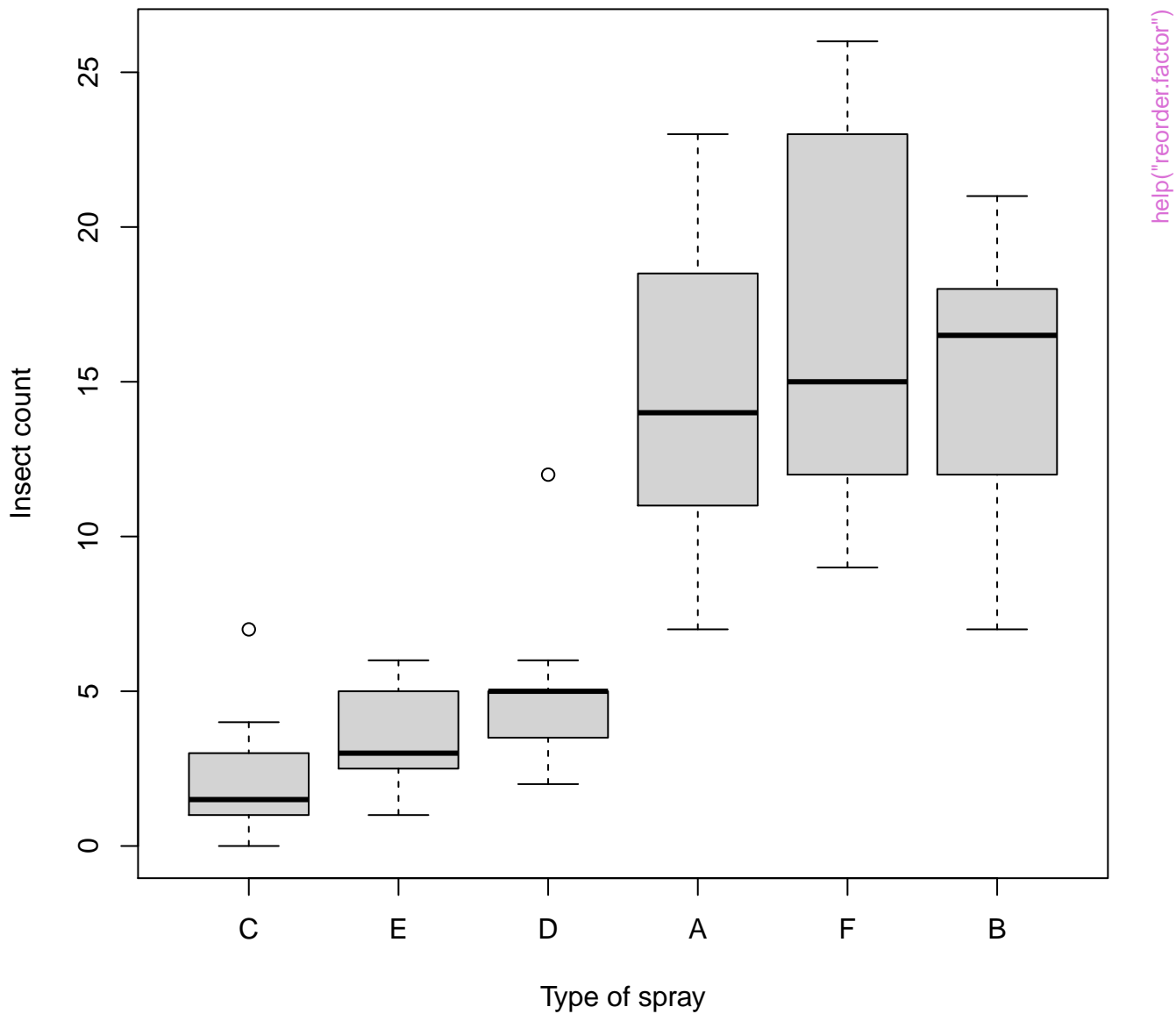


reorder(dd, 10:1, mean)

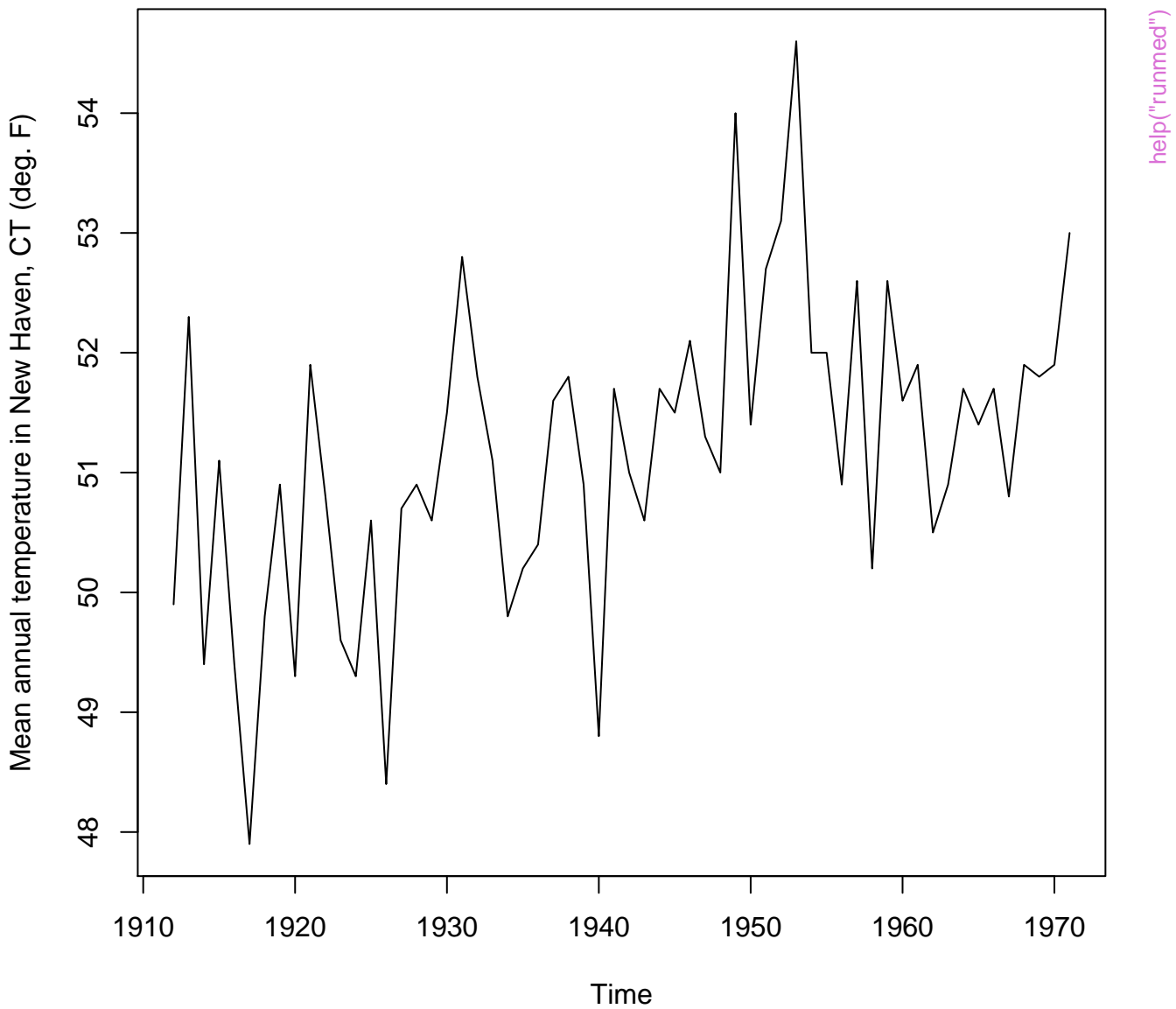


[help\("reorder.dendrogram"\)](#)

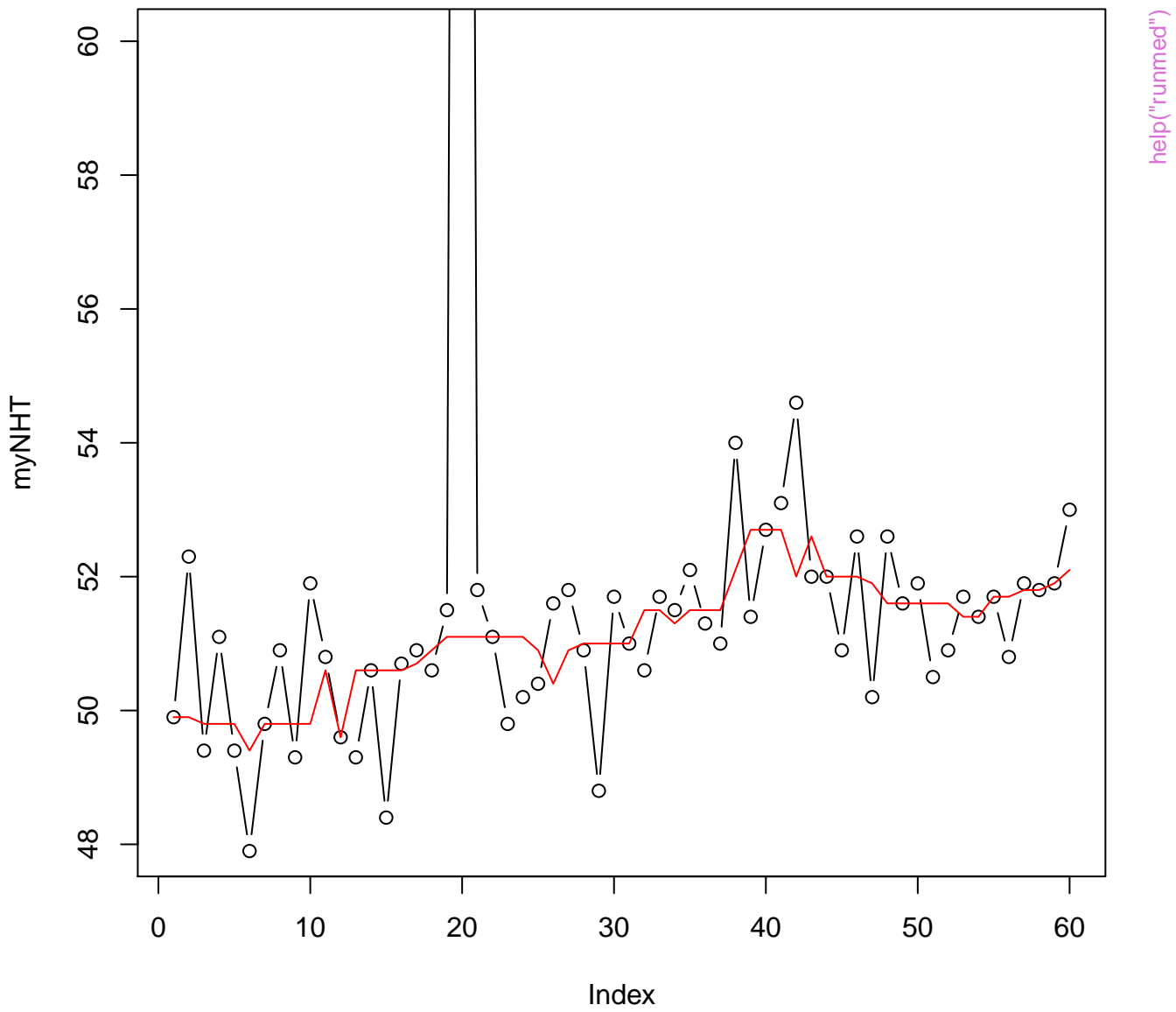
InsectSprays data



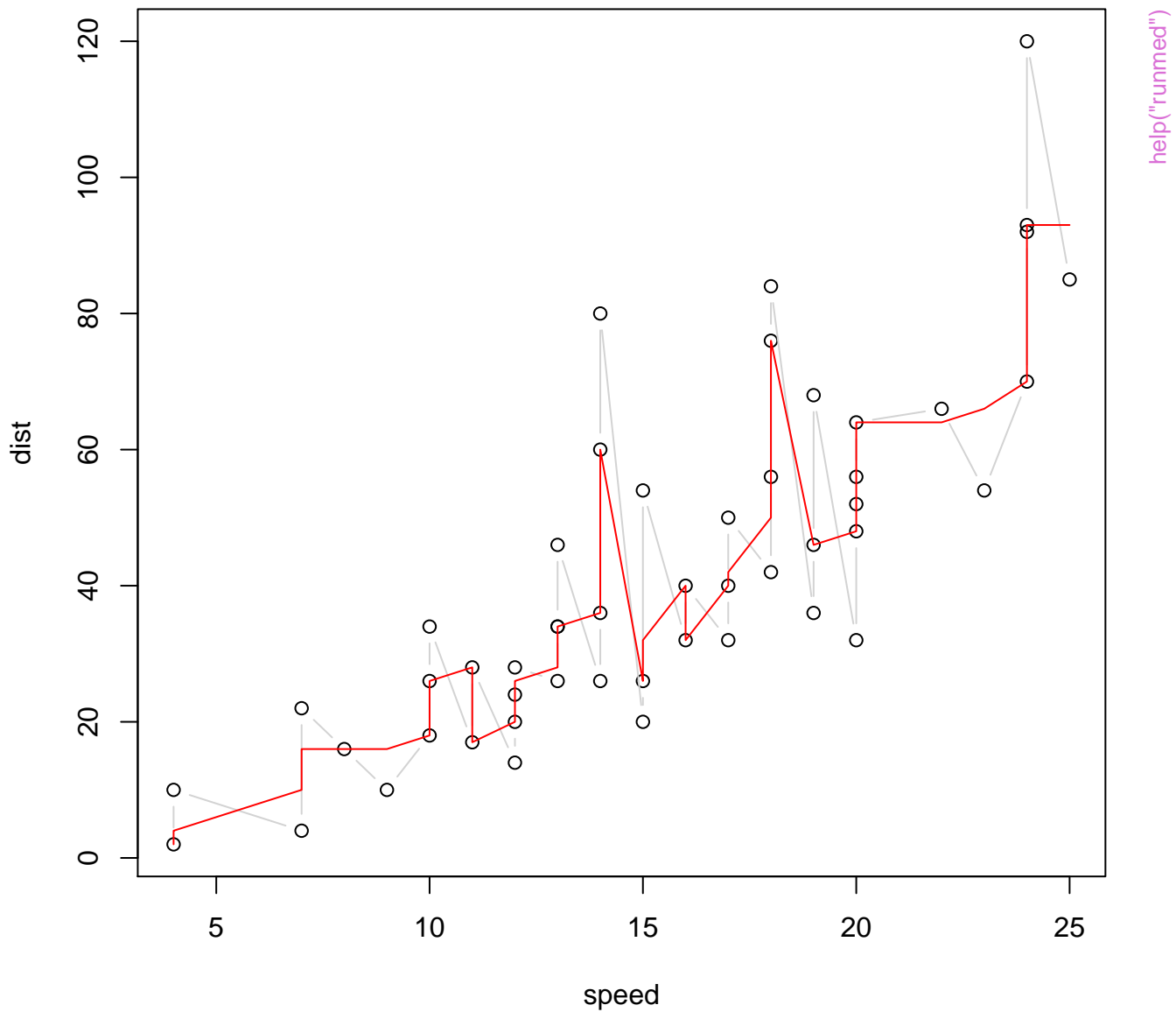
nhtemp data

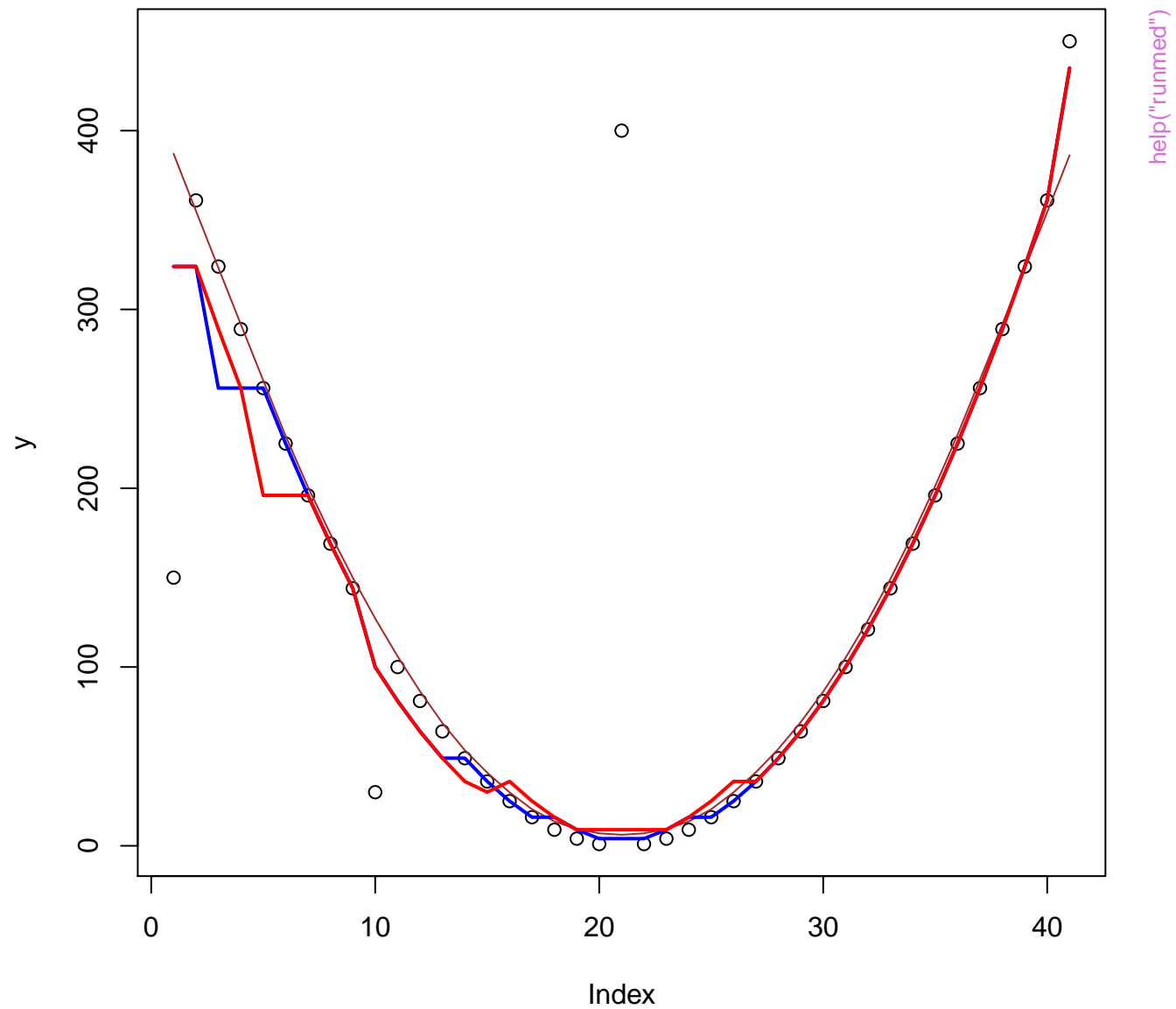


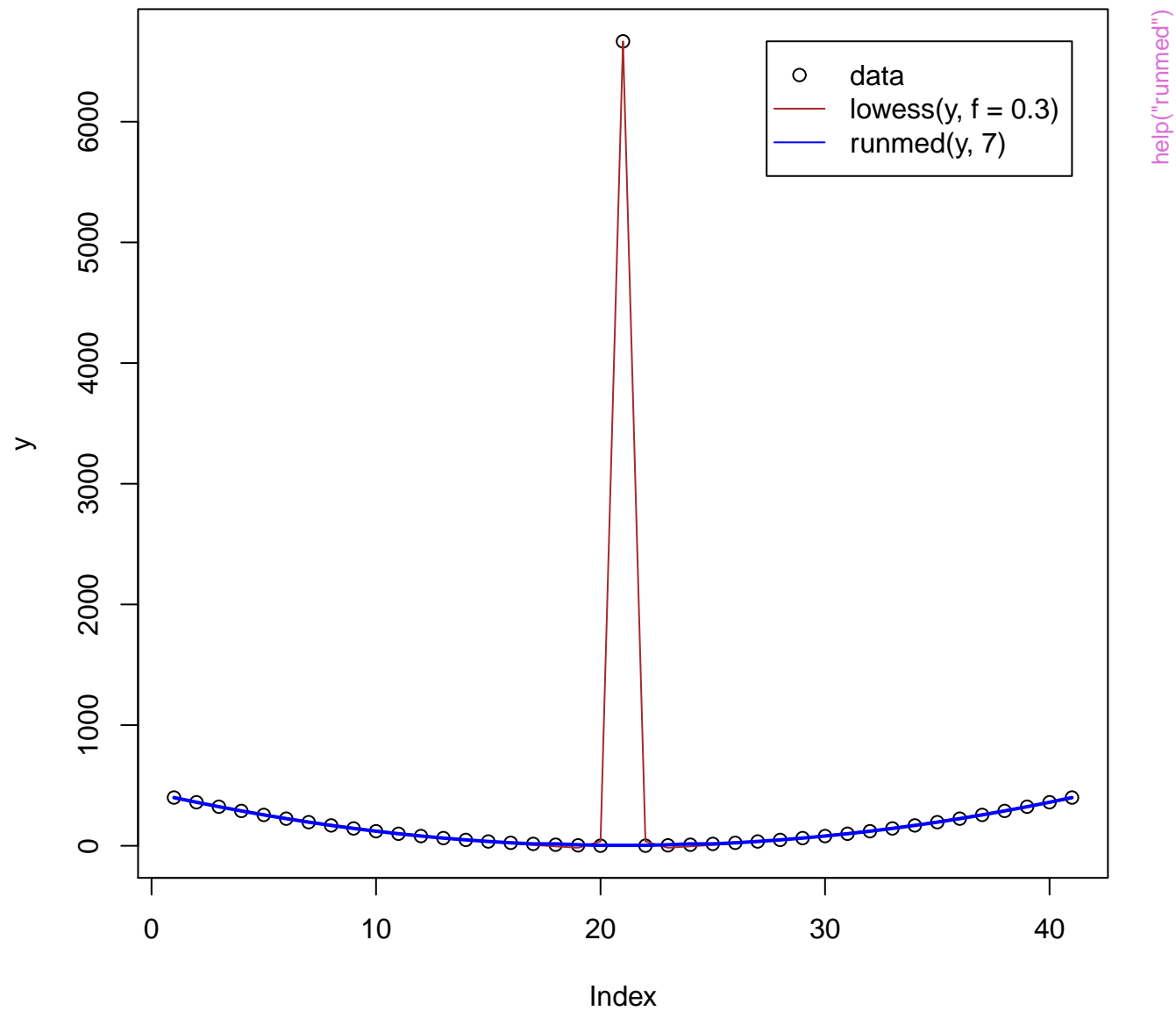
Running Medians Example

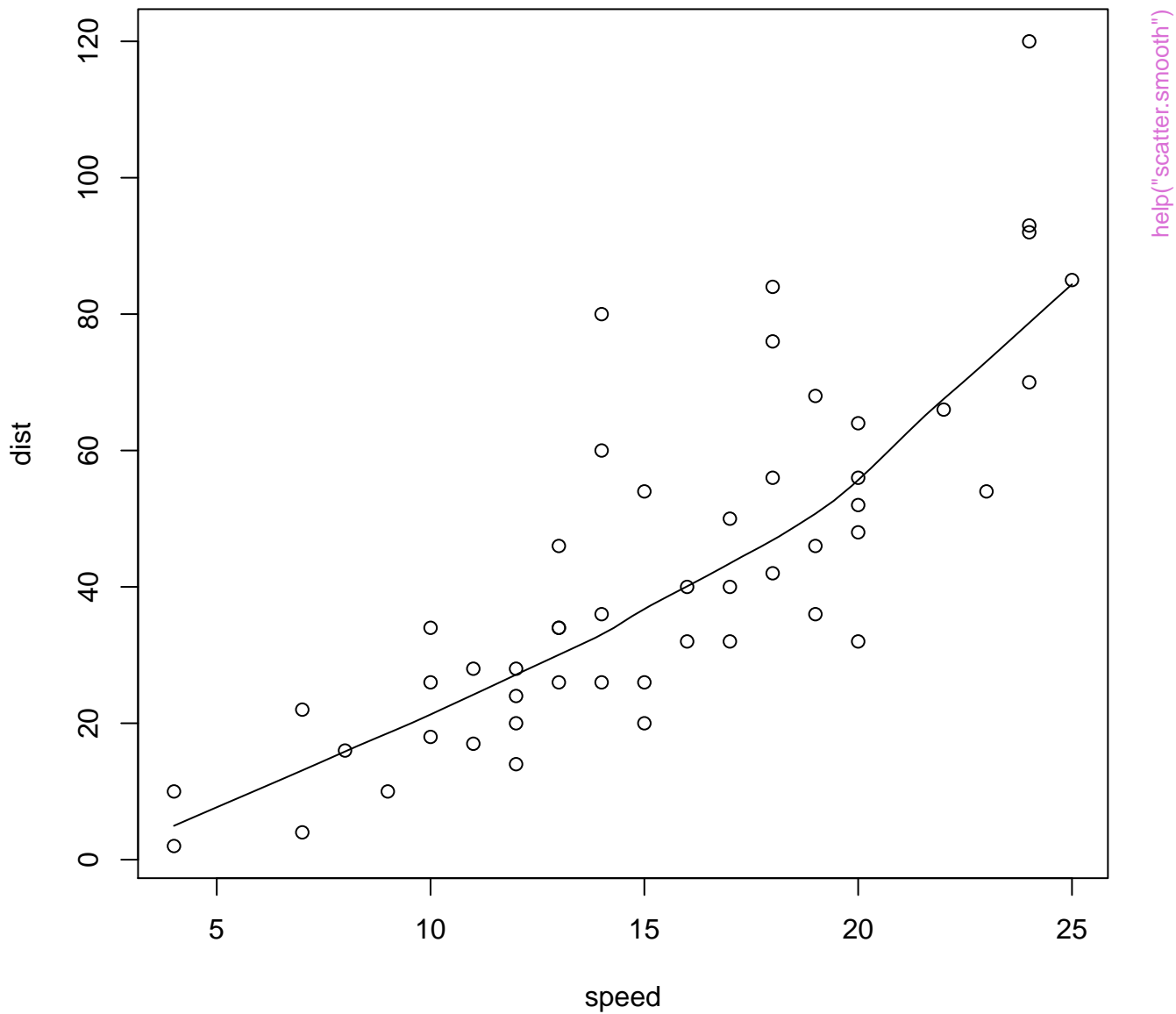


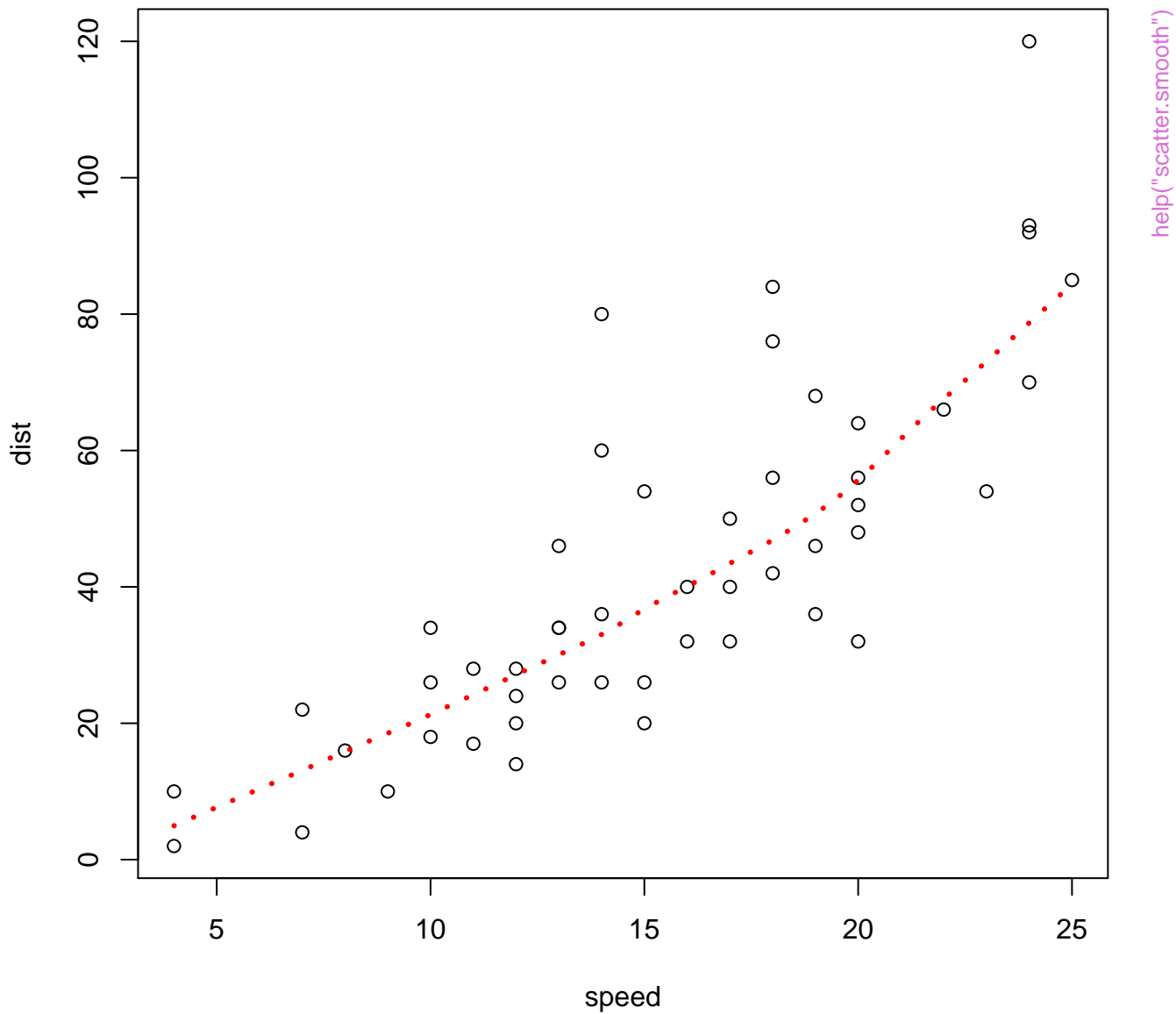
'cars' data and runmed(dist, 3)



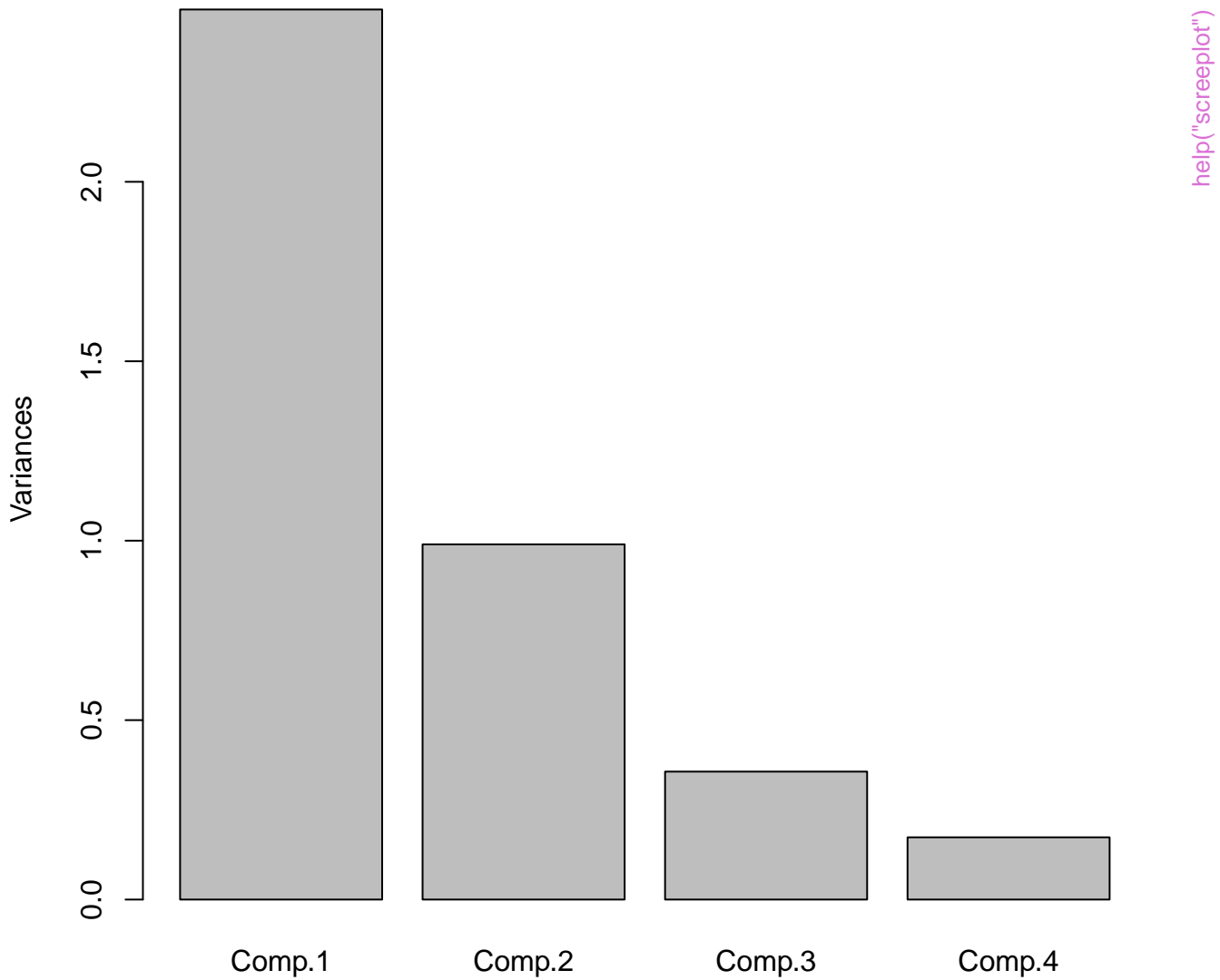








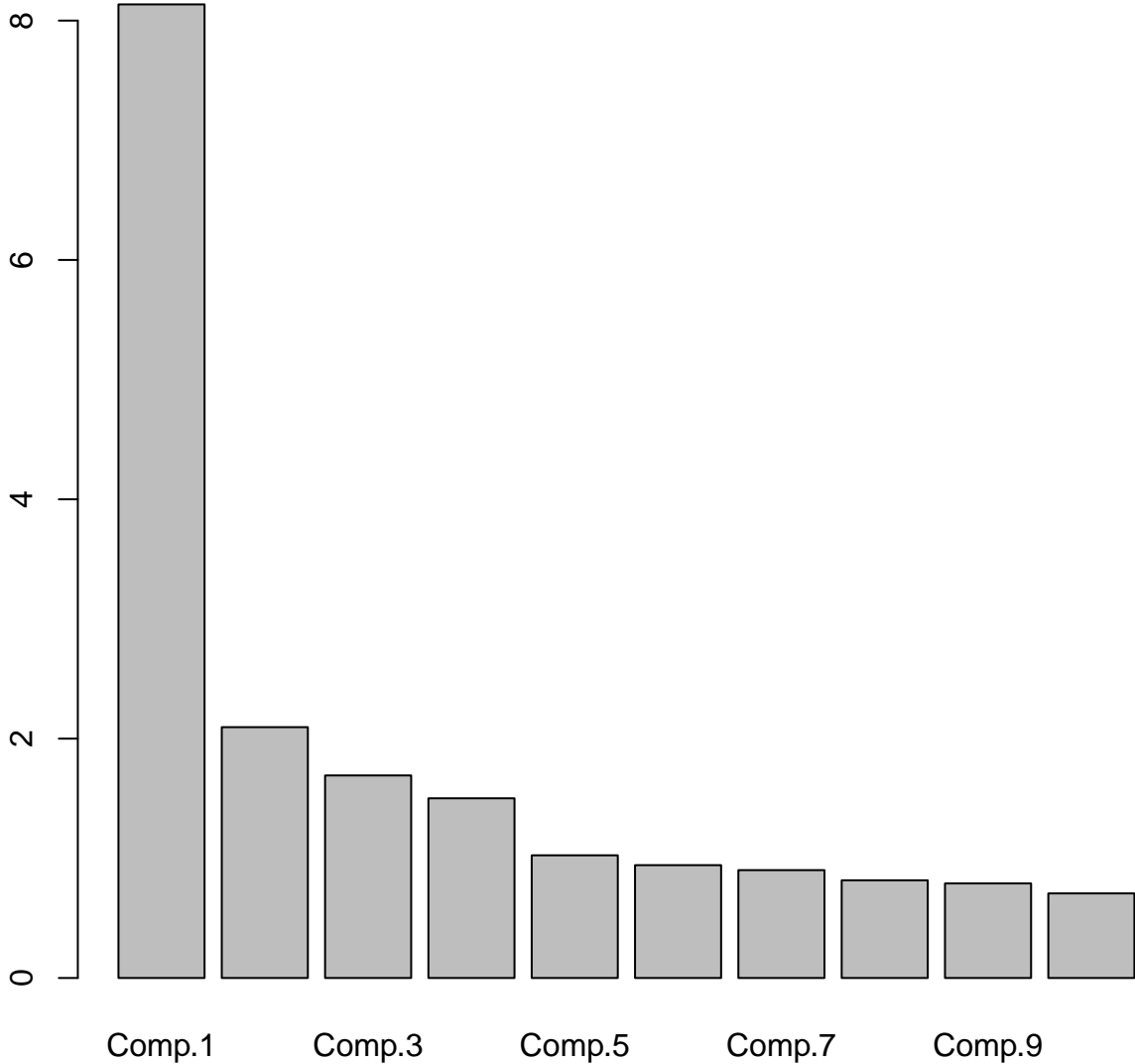
pc.cr



help("screepplot")

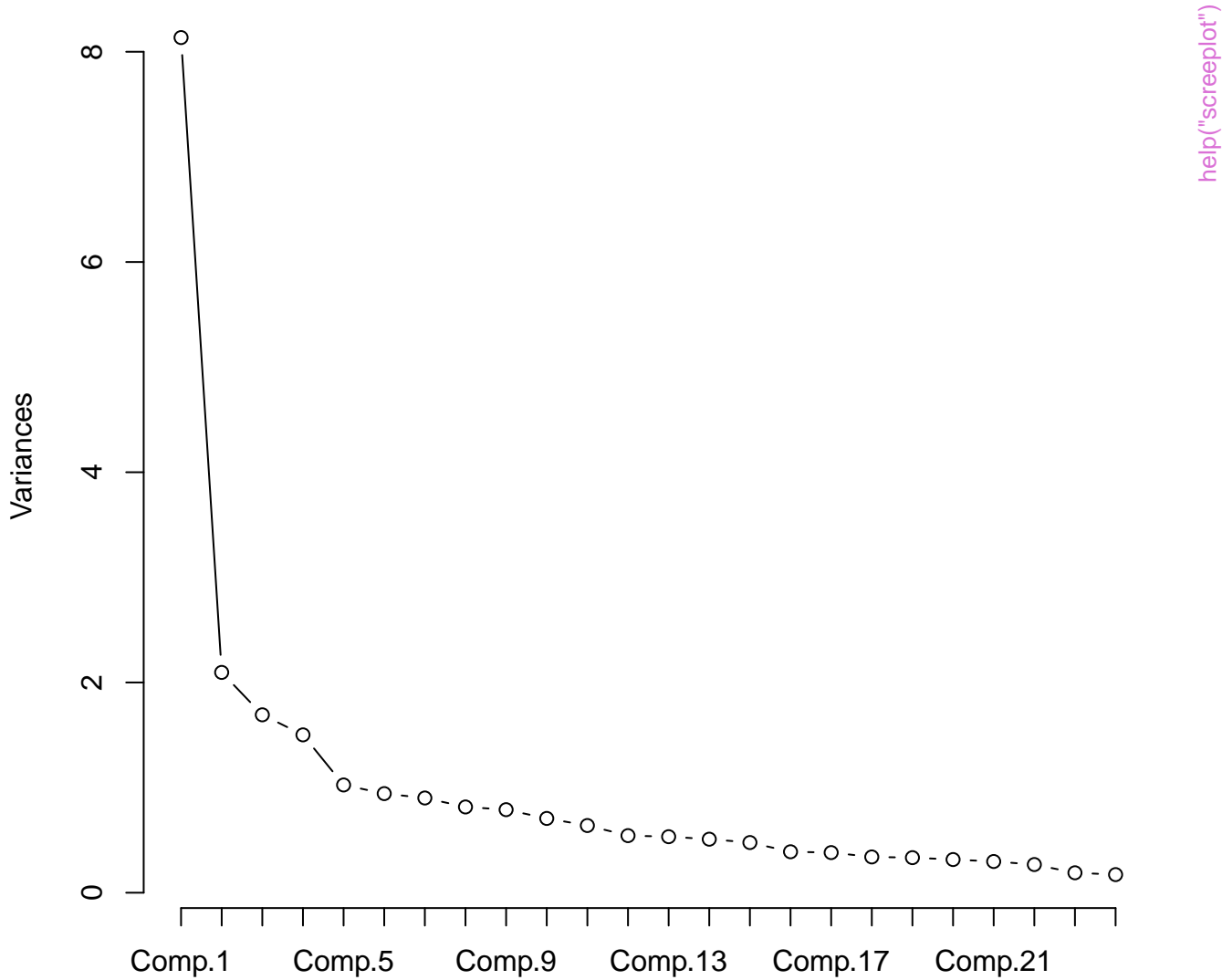
fit

Variances



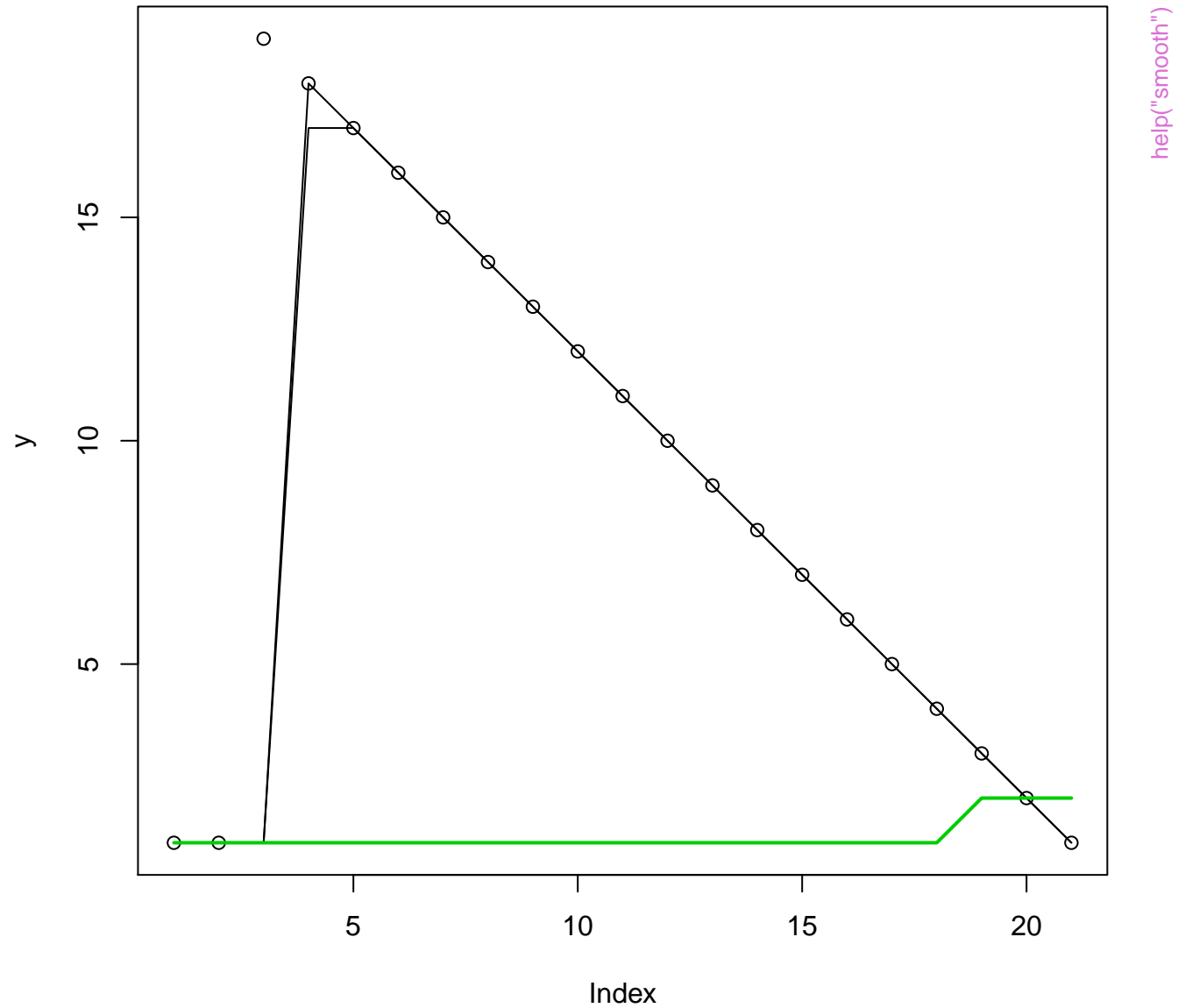
help("screepplot")

fit

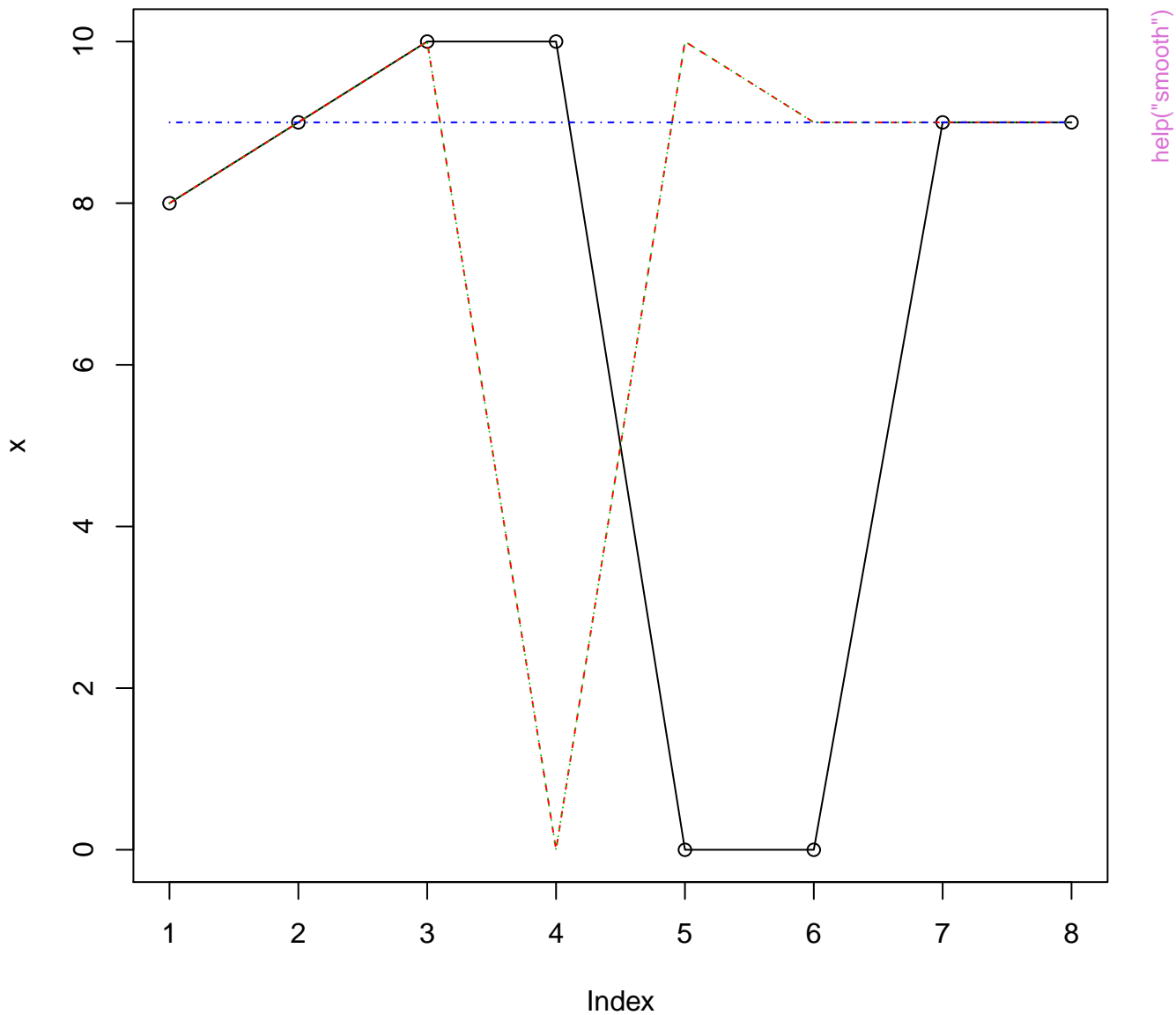


help("screepplot")

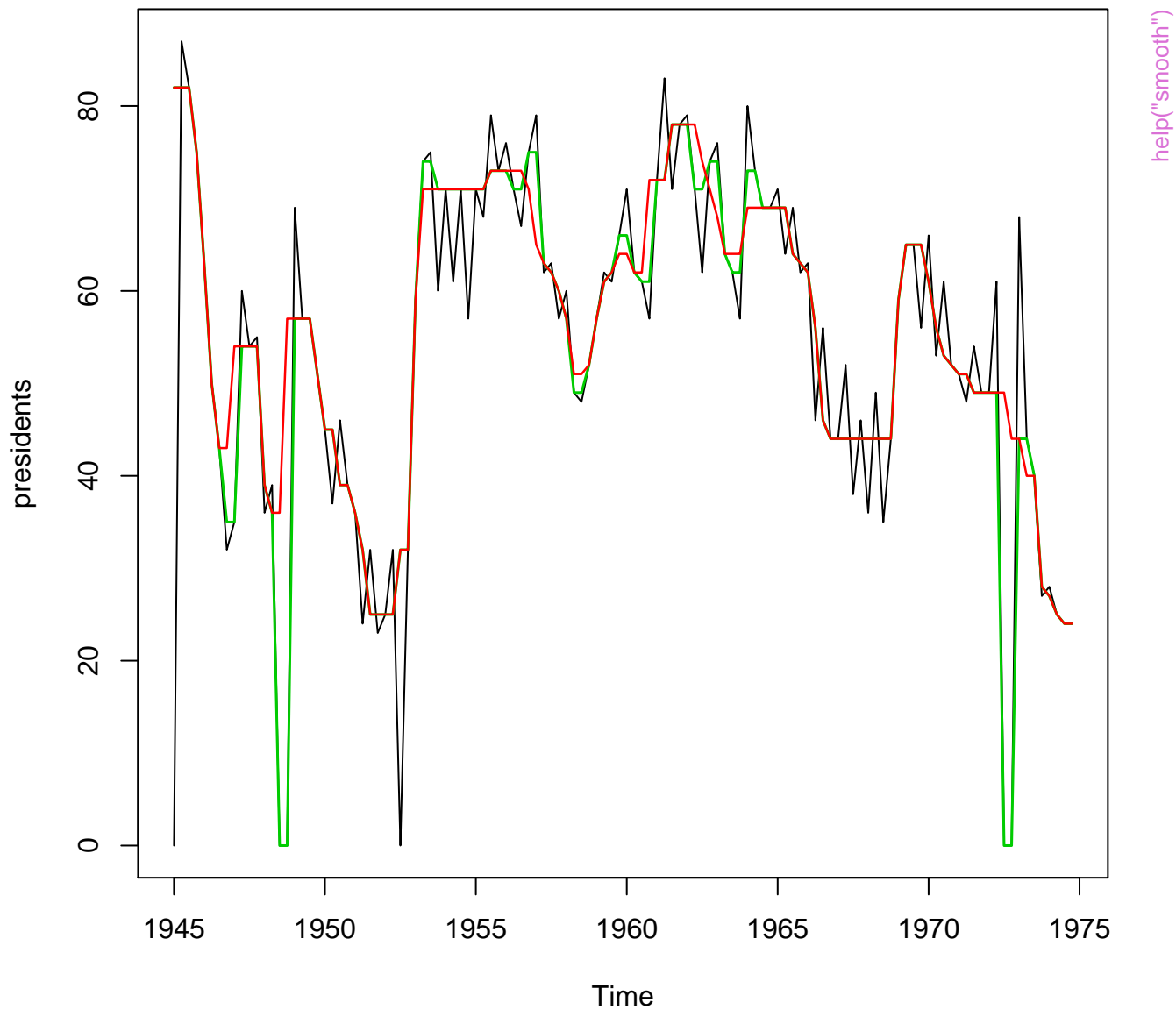
misbehaviour of "3RSR"



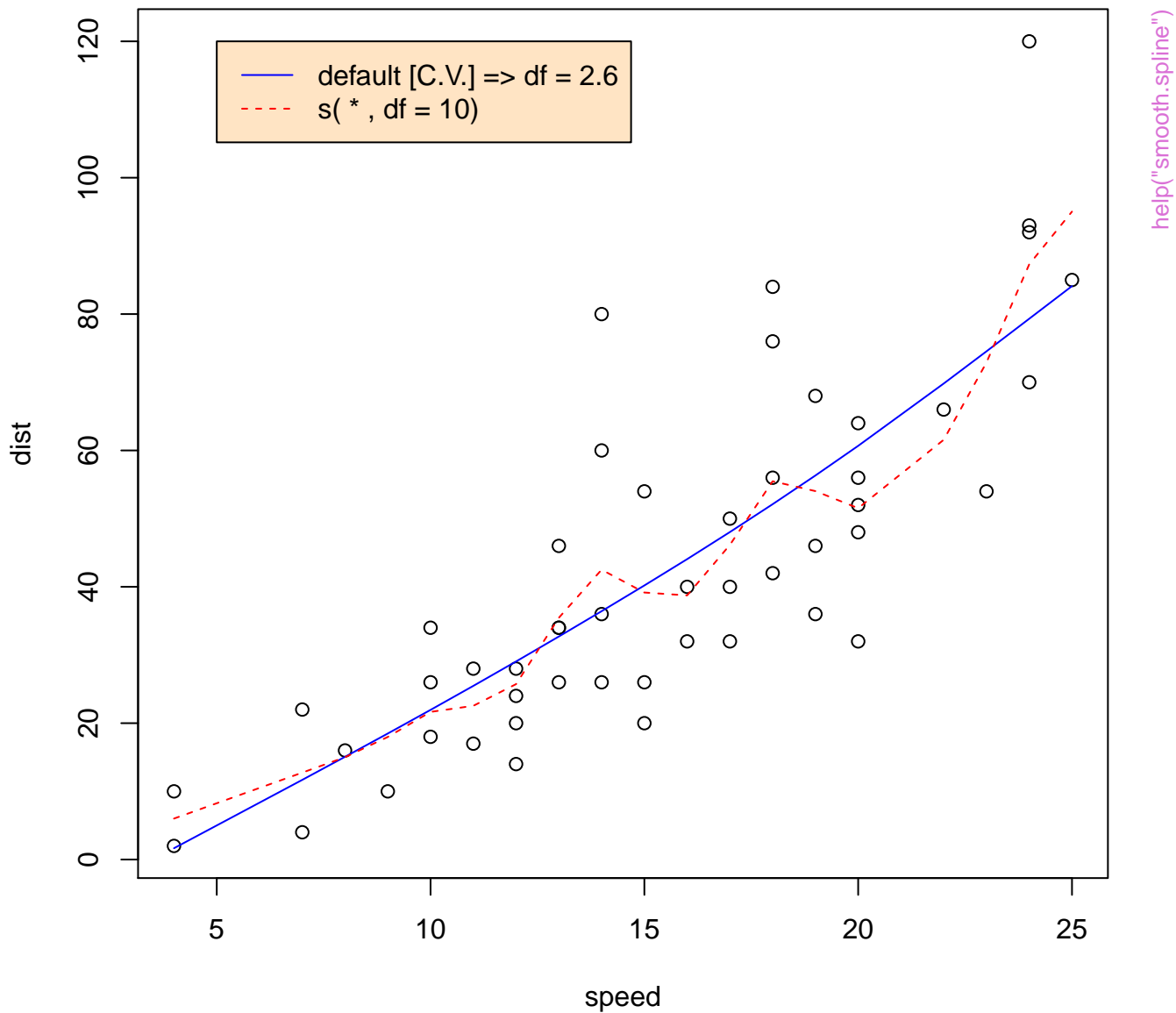
breakdown of 3R and S and hence 3RSS

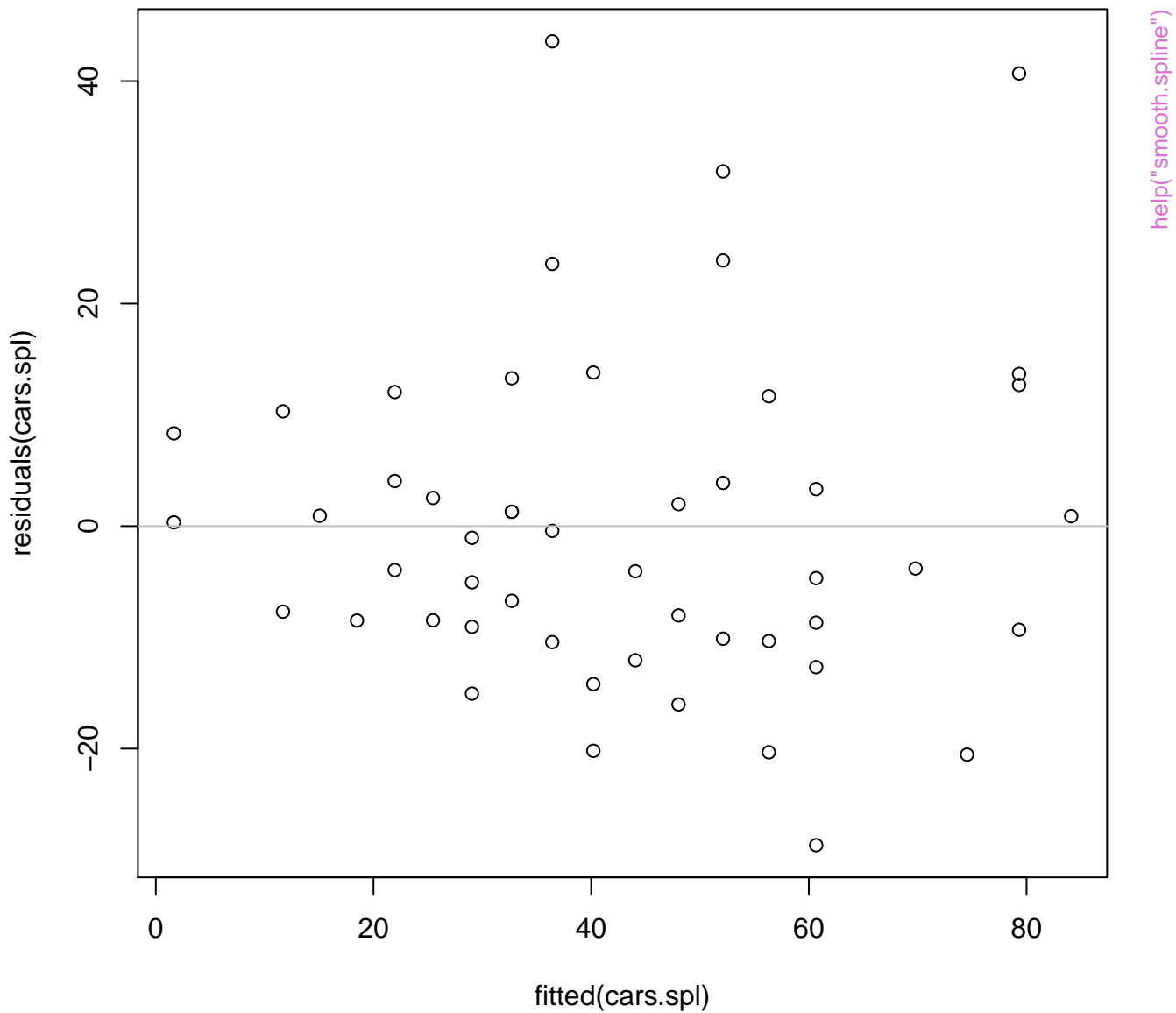


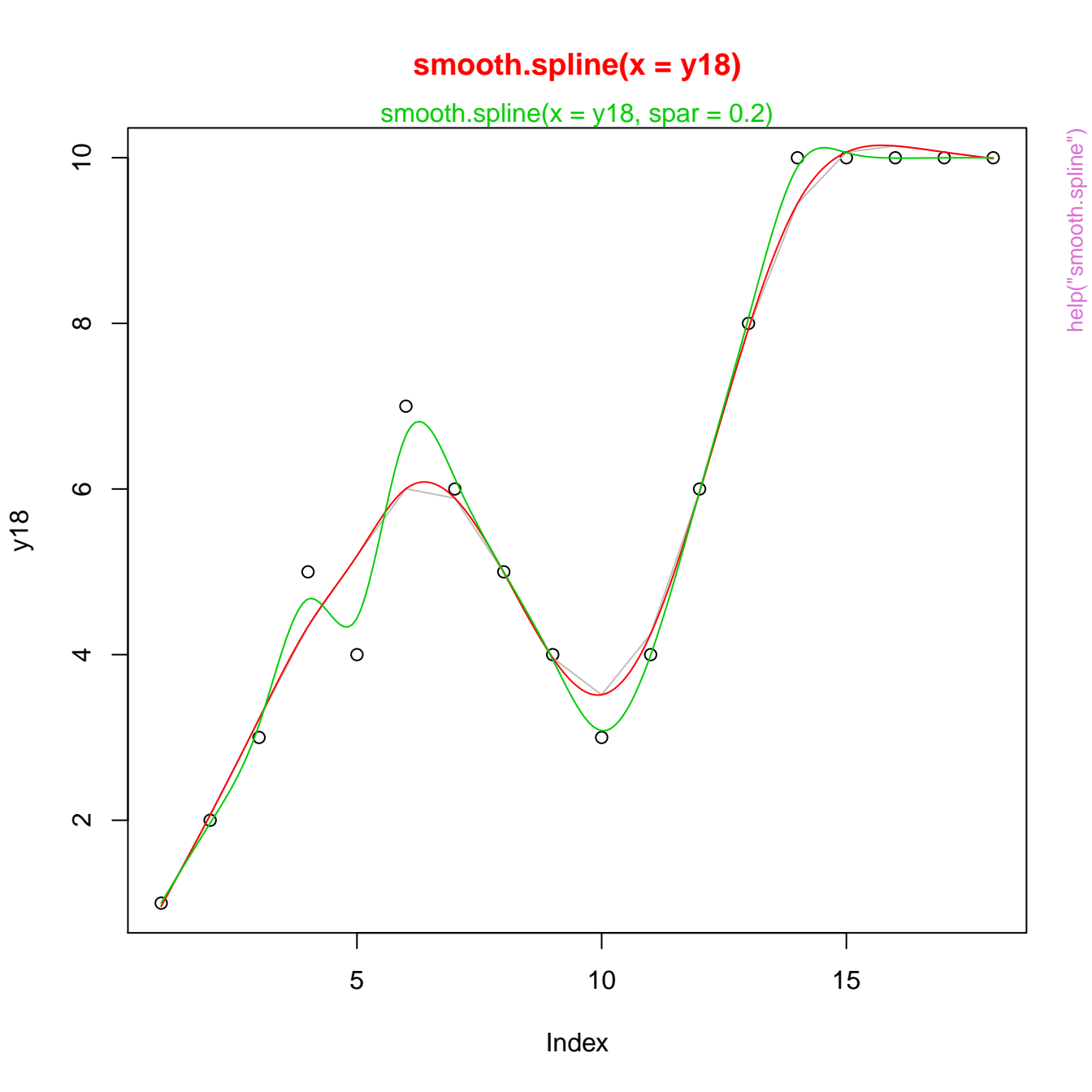
smooth(presidents0, *) : 3R and default 3RS3R



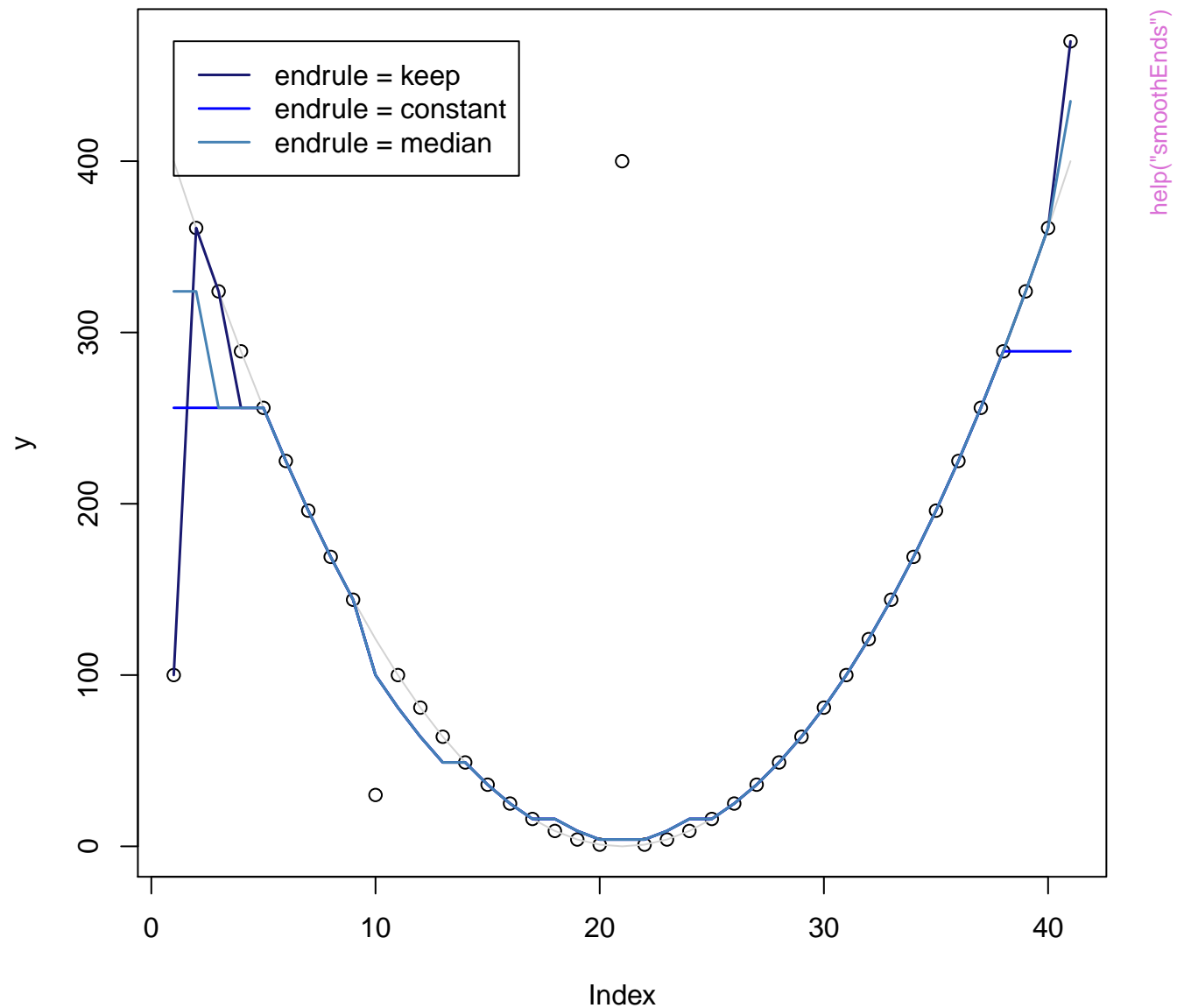
data(cars) & smoothing splines



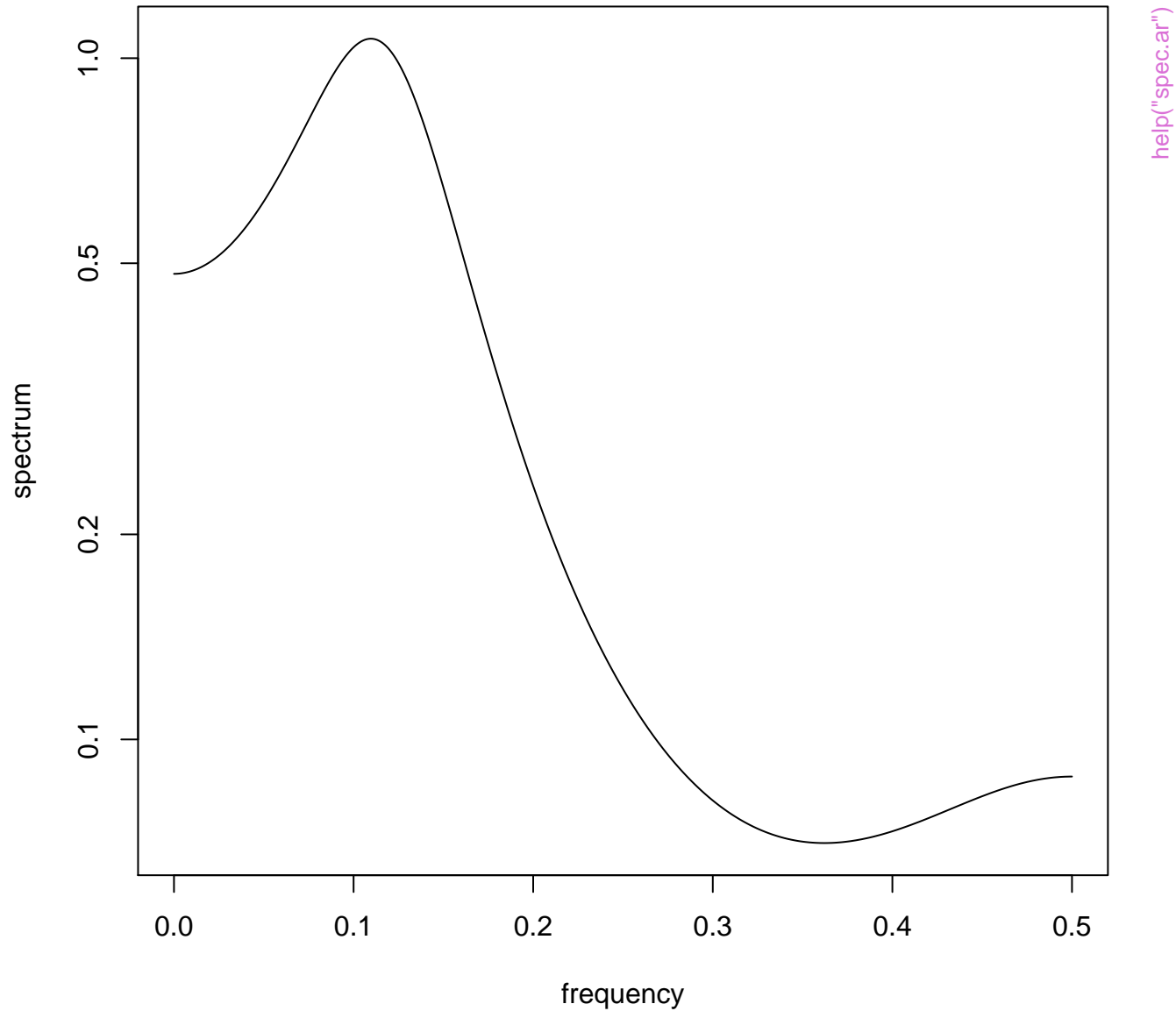




Running Medians -- runmed(*, k=7, end.rule = X)

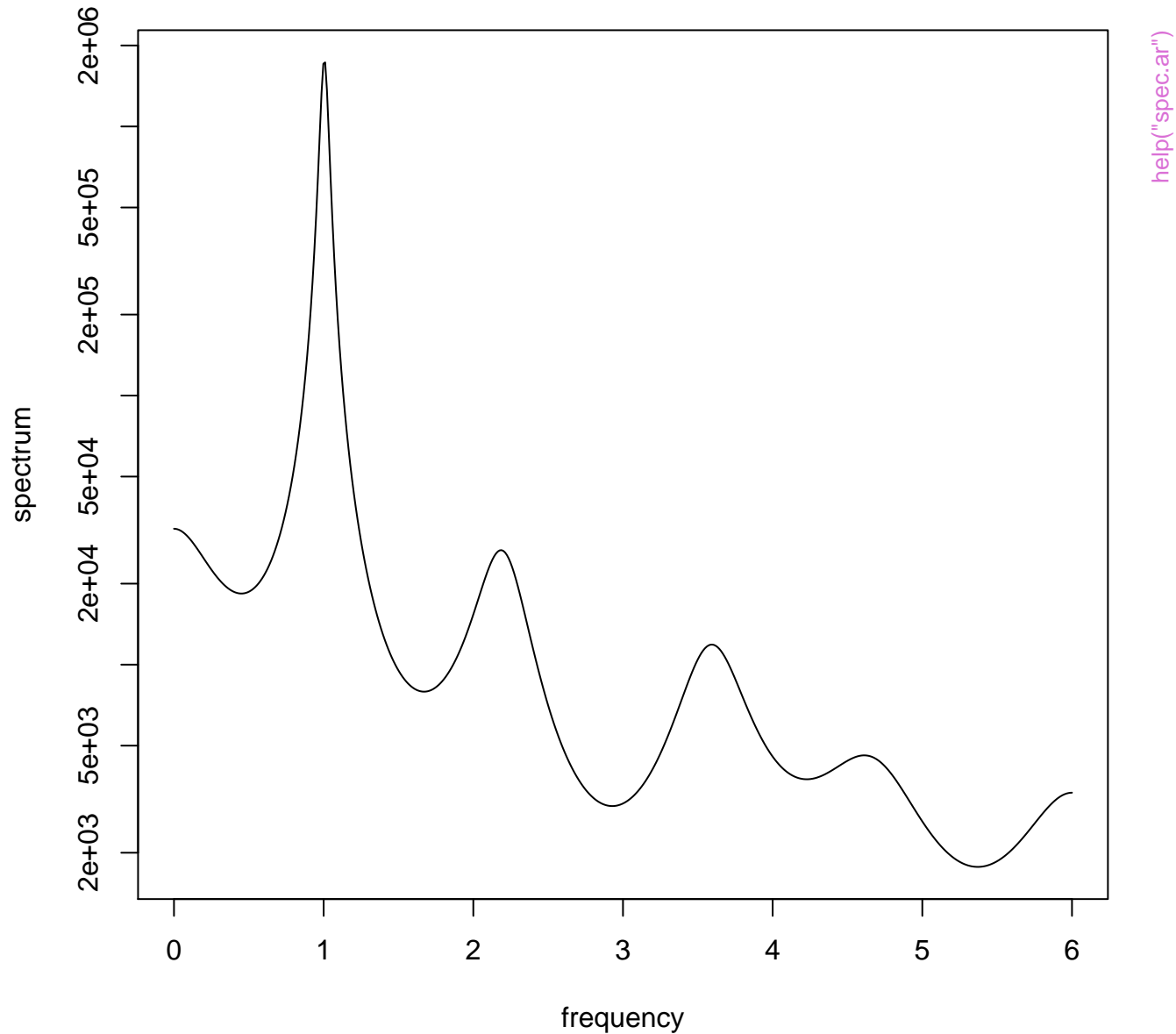


Series: lh
AR (3) spectrum

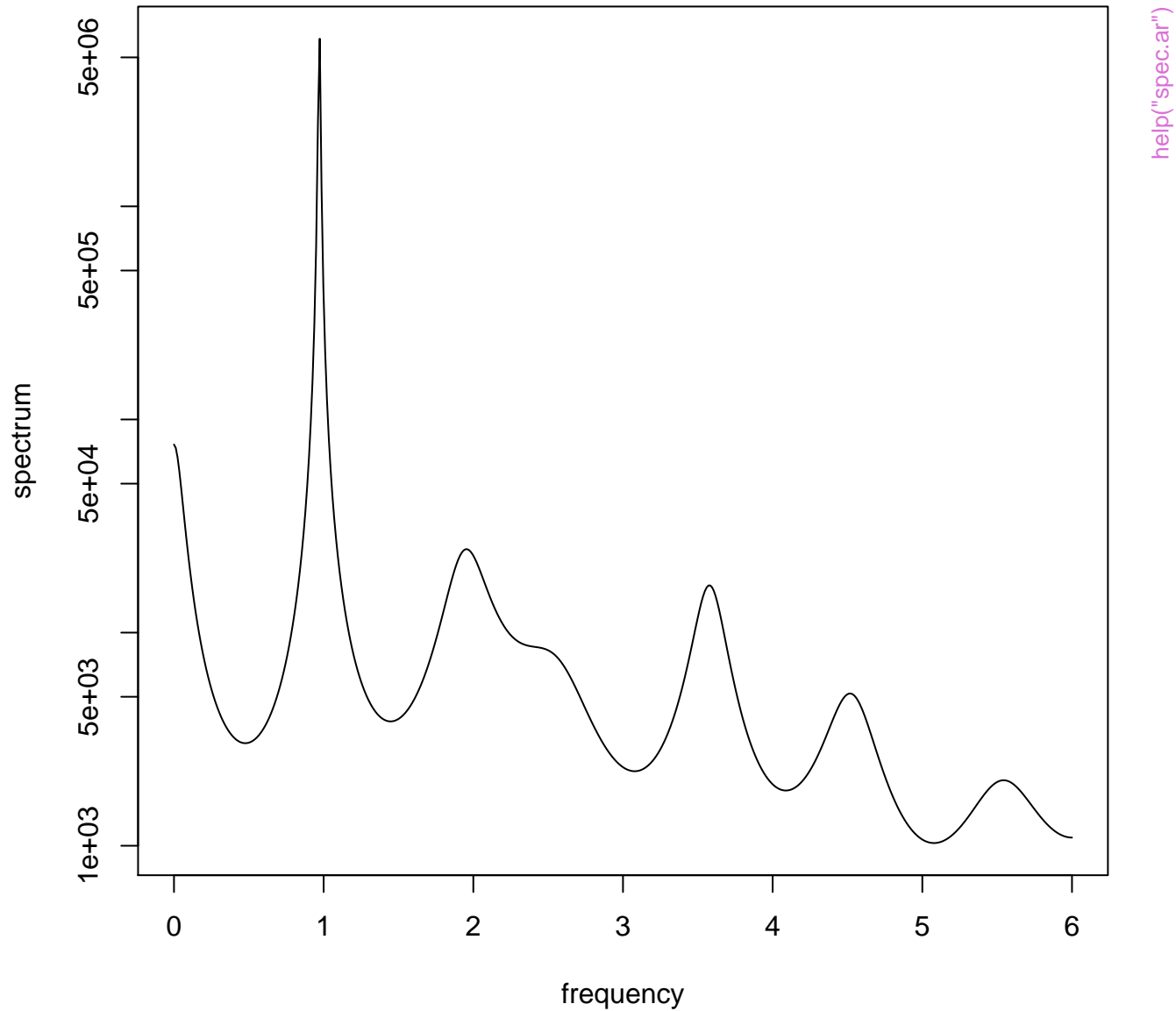


help("spec.ar")

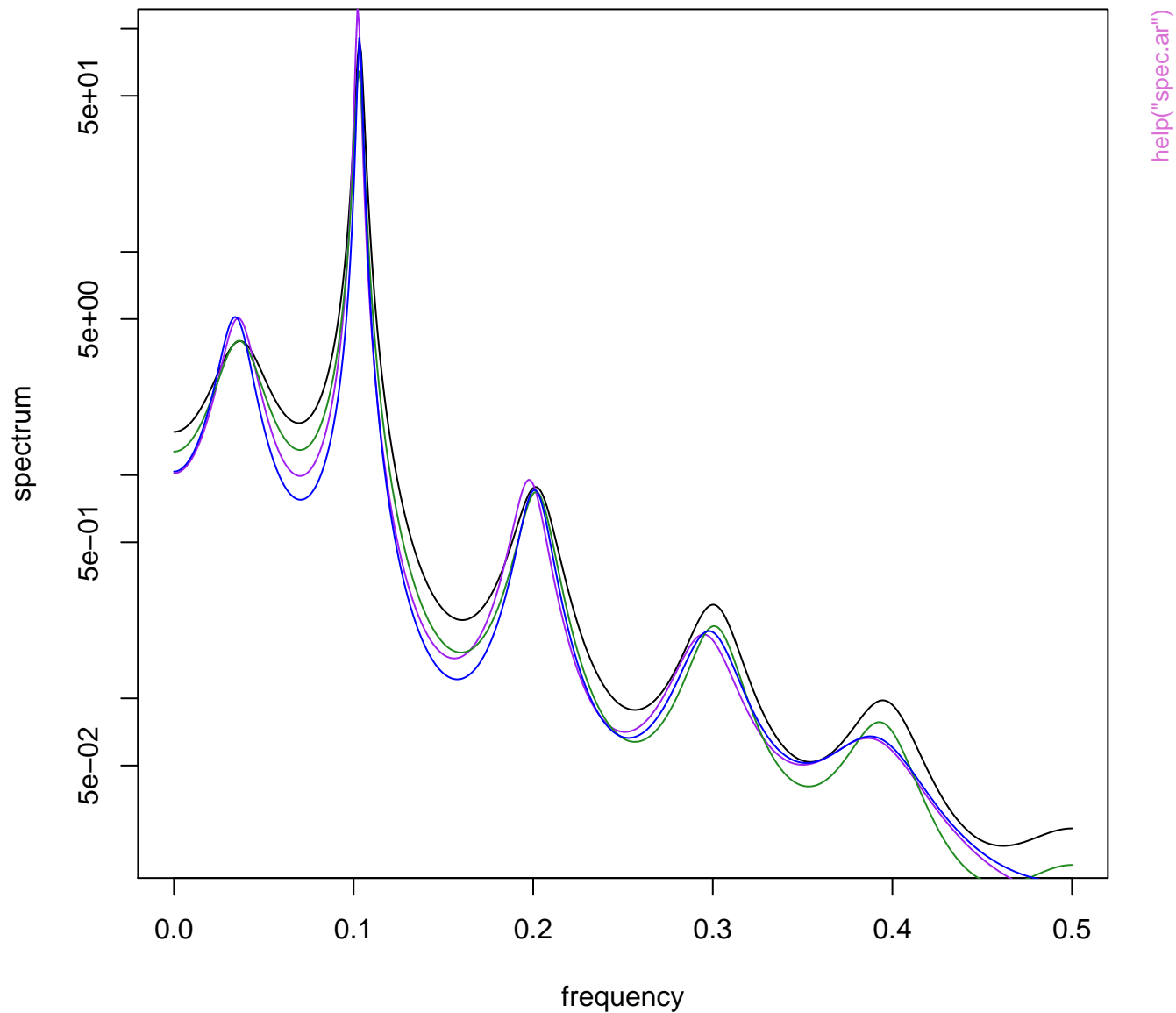
Series: Ideaths
AR (10) spectrum



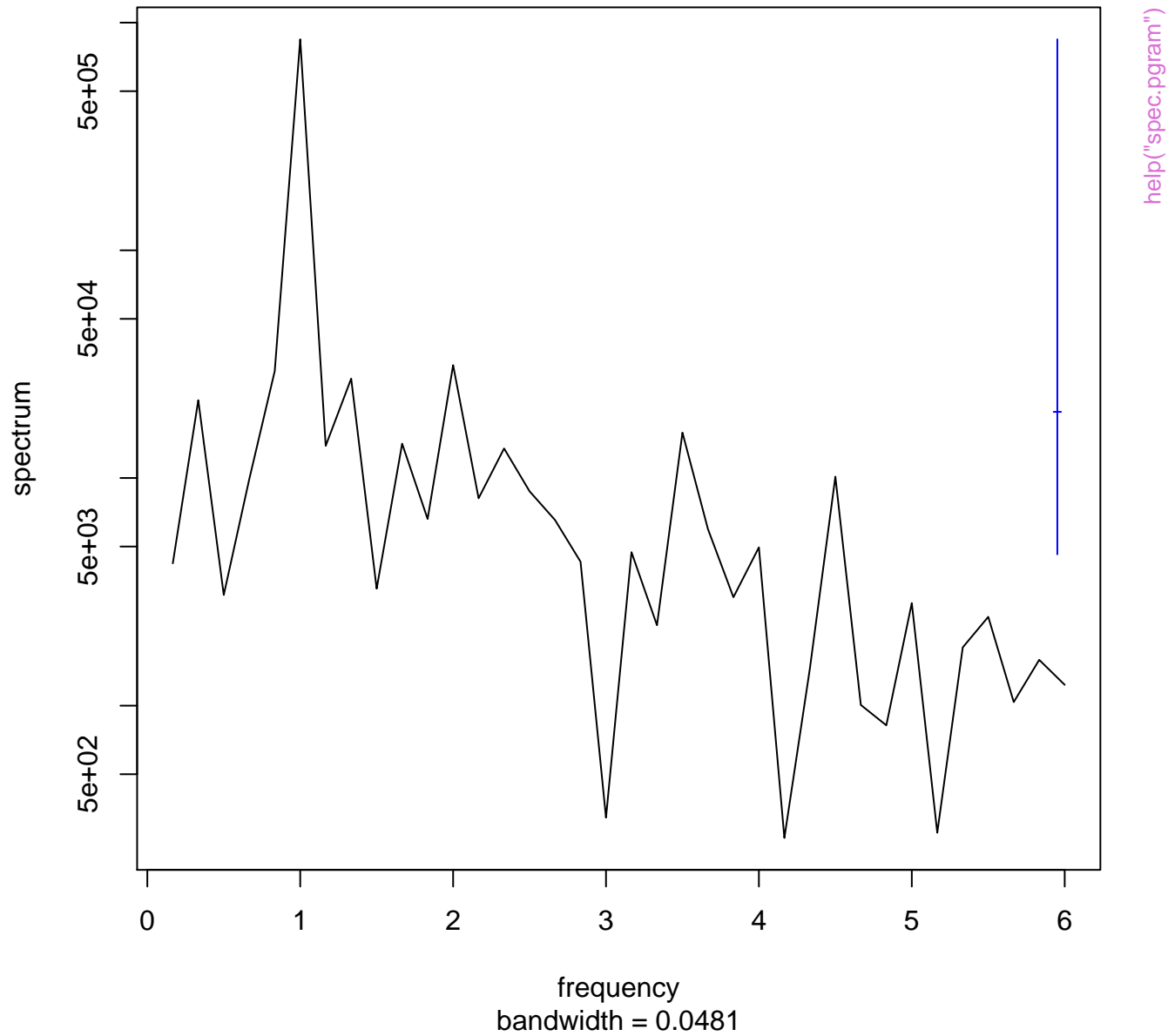
Series: Ideaths
AR (13) spectrum



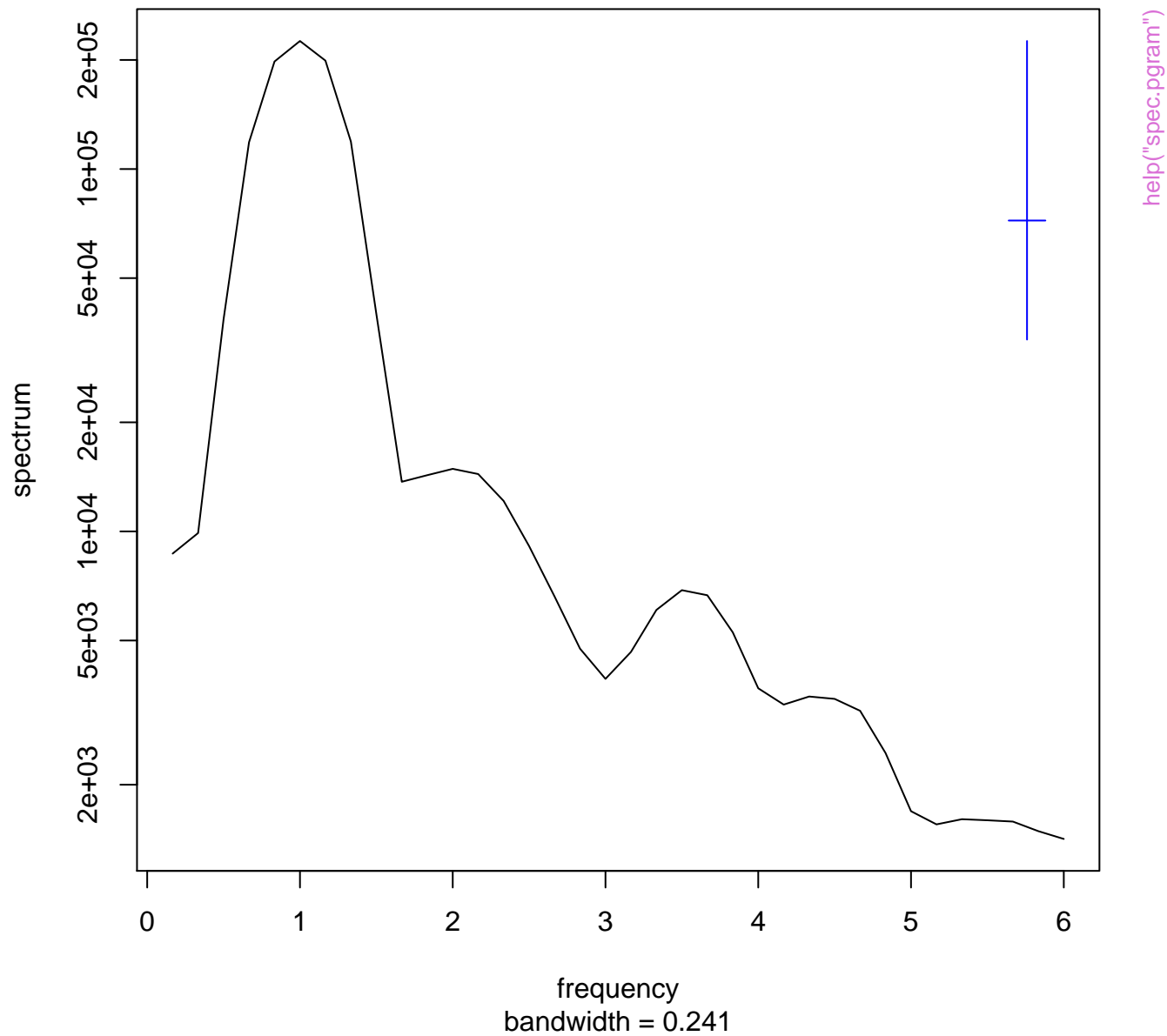
Series: log(lynx)
AR (11) spectrum



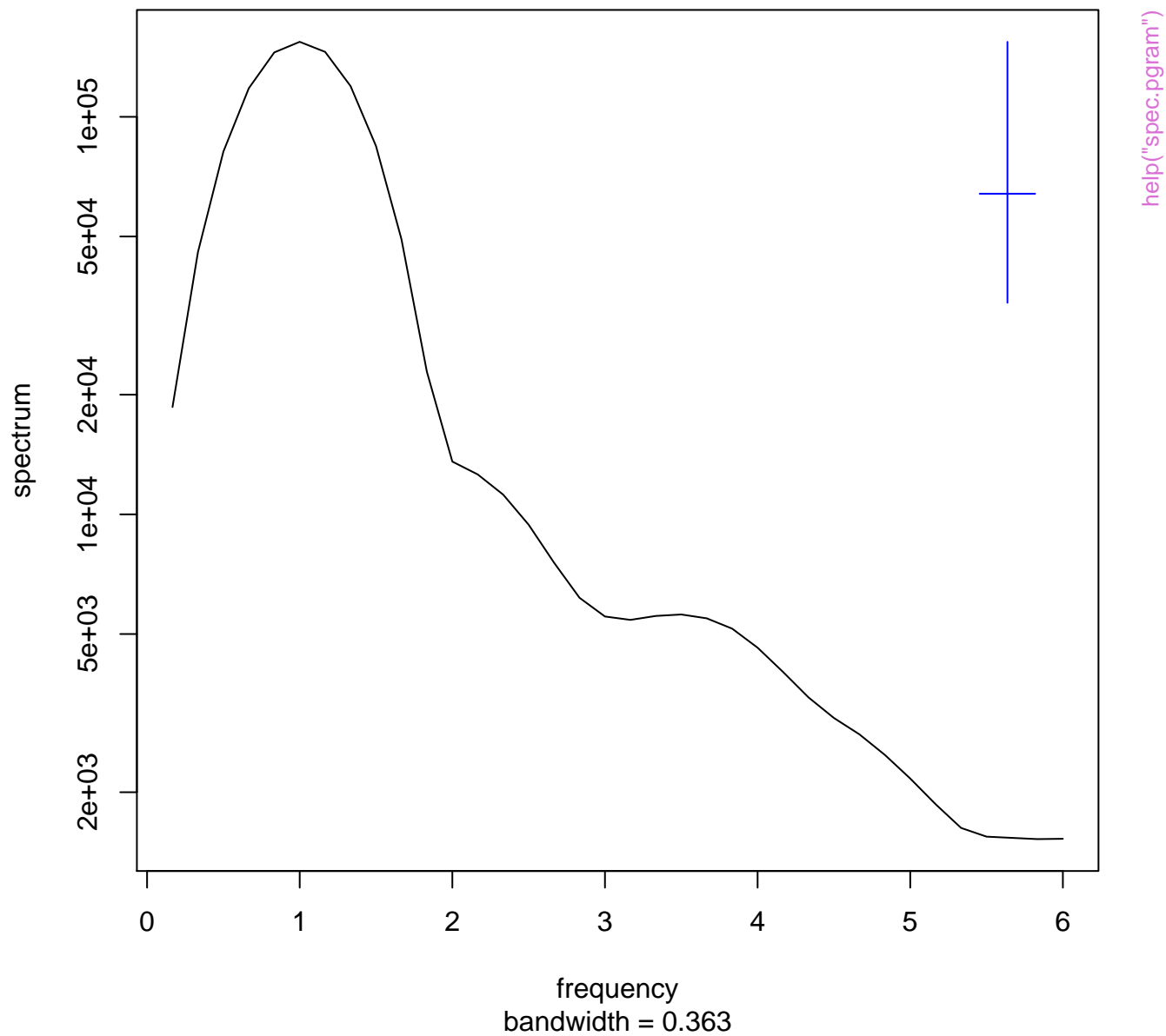
Series: x
Raw Periodogram



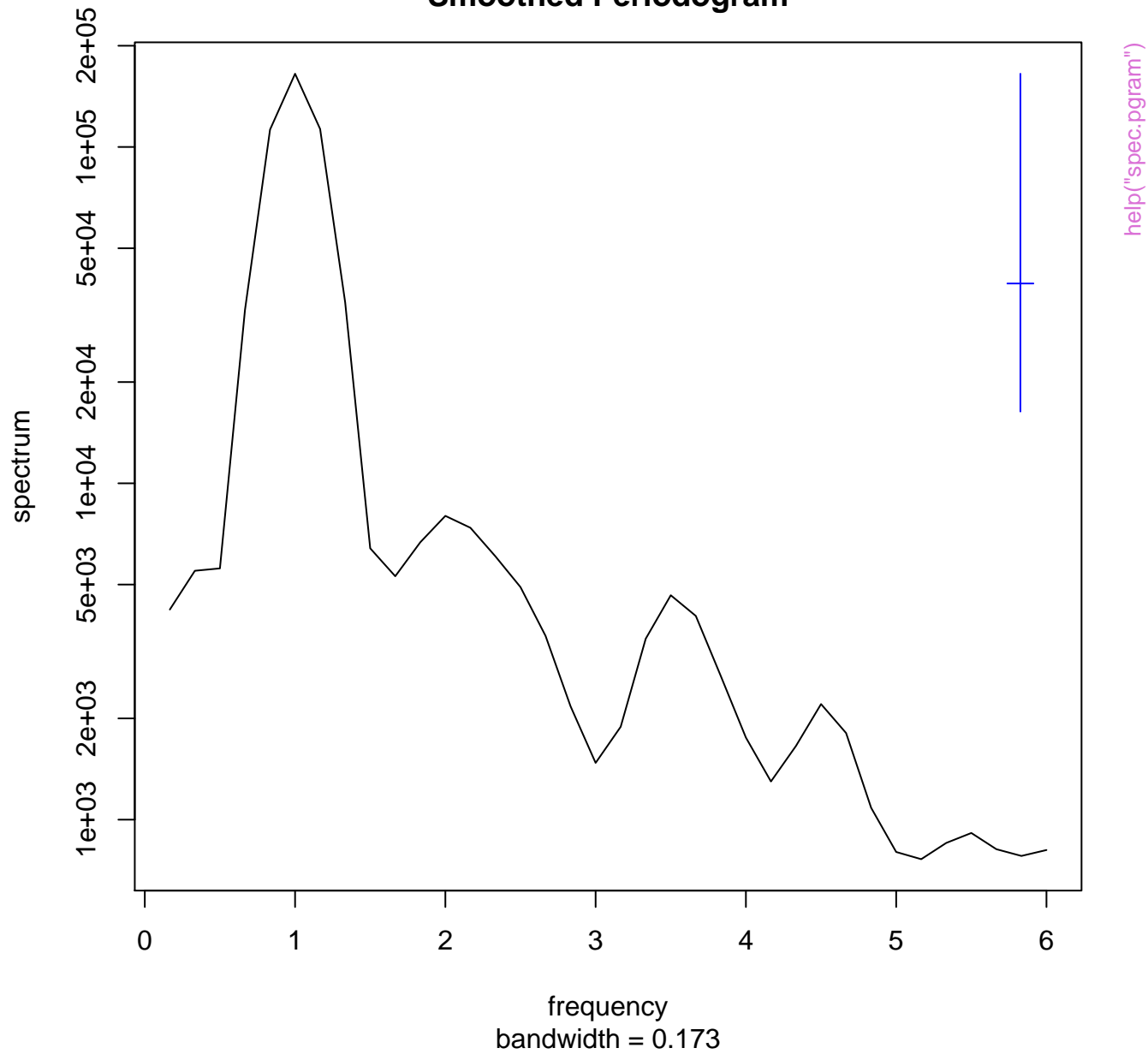
Series: x
Smoothed Periodogram



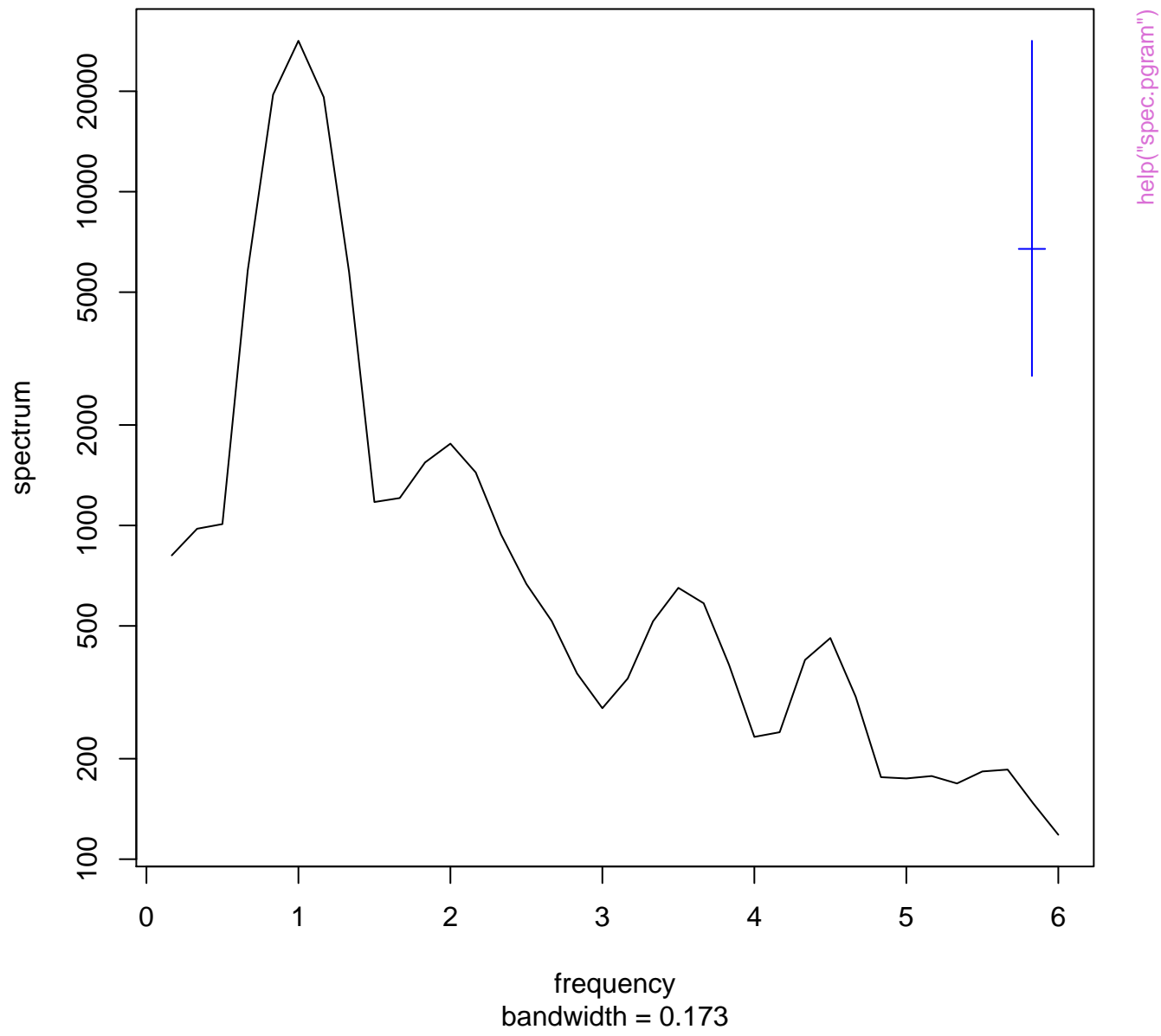
Series: x
Smoothed Periodogram



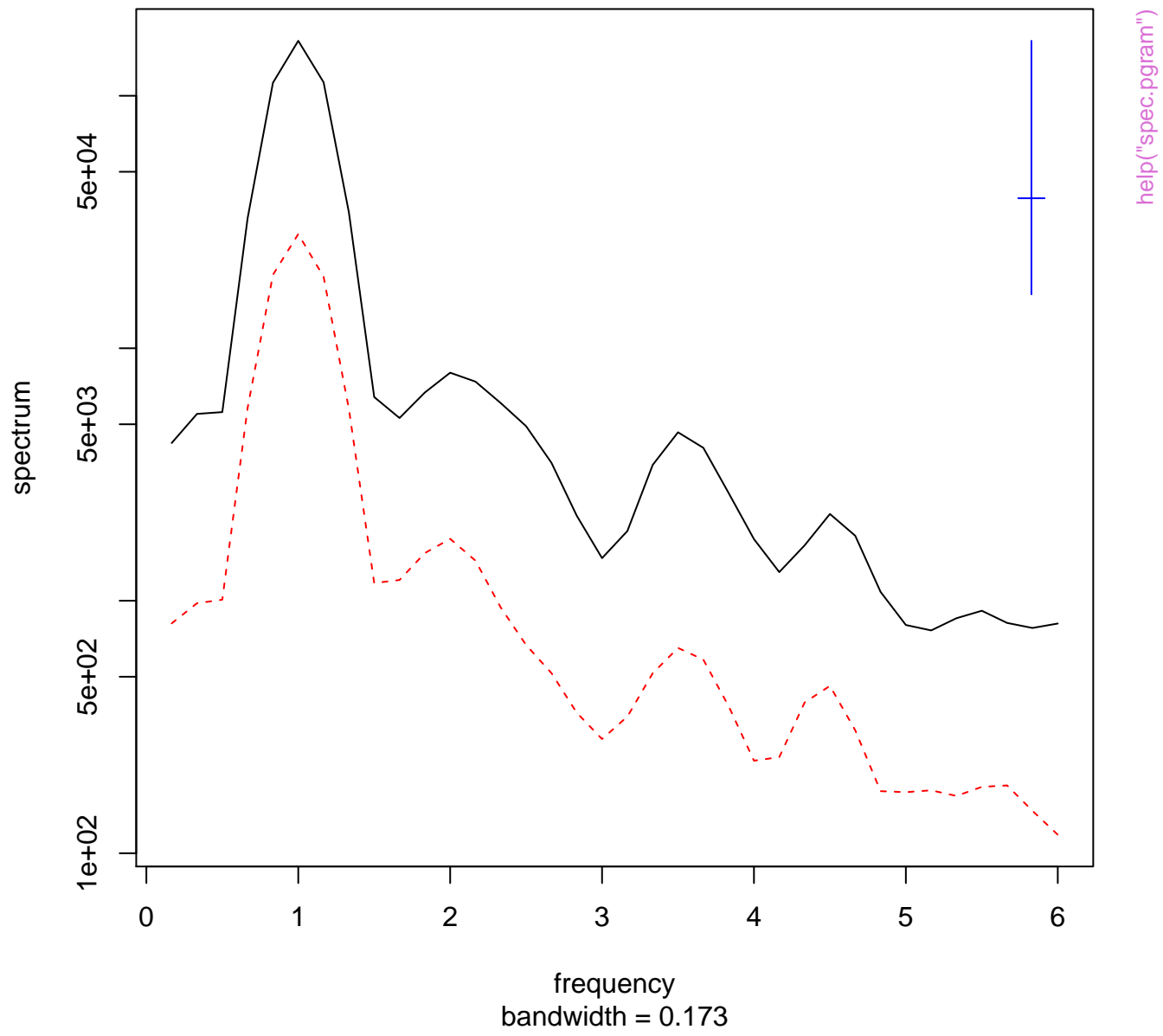
Series: x
Smoothed Periodogram



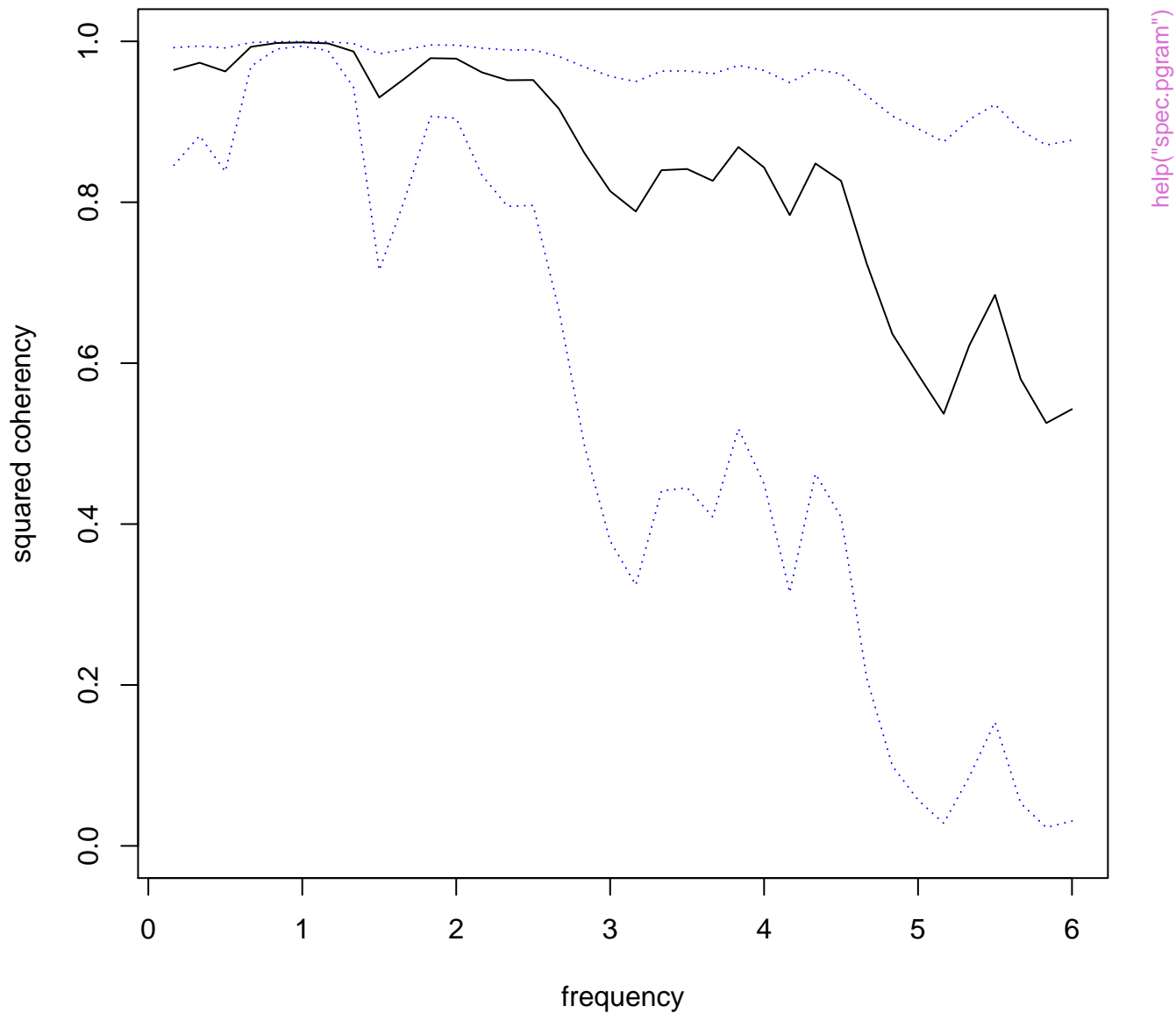
Series: x
Smoothed Periodogram



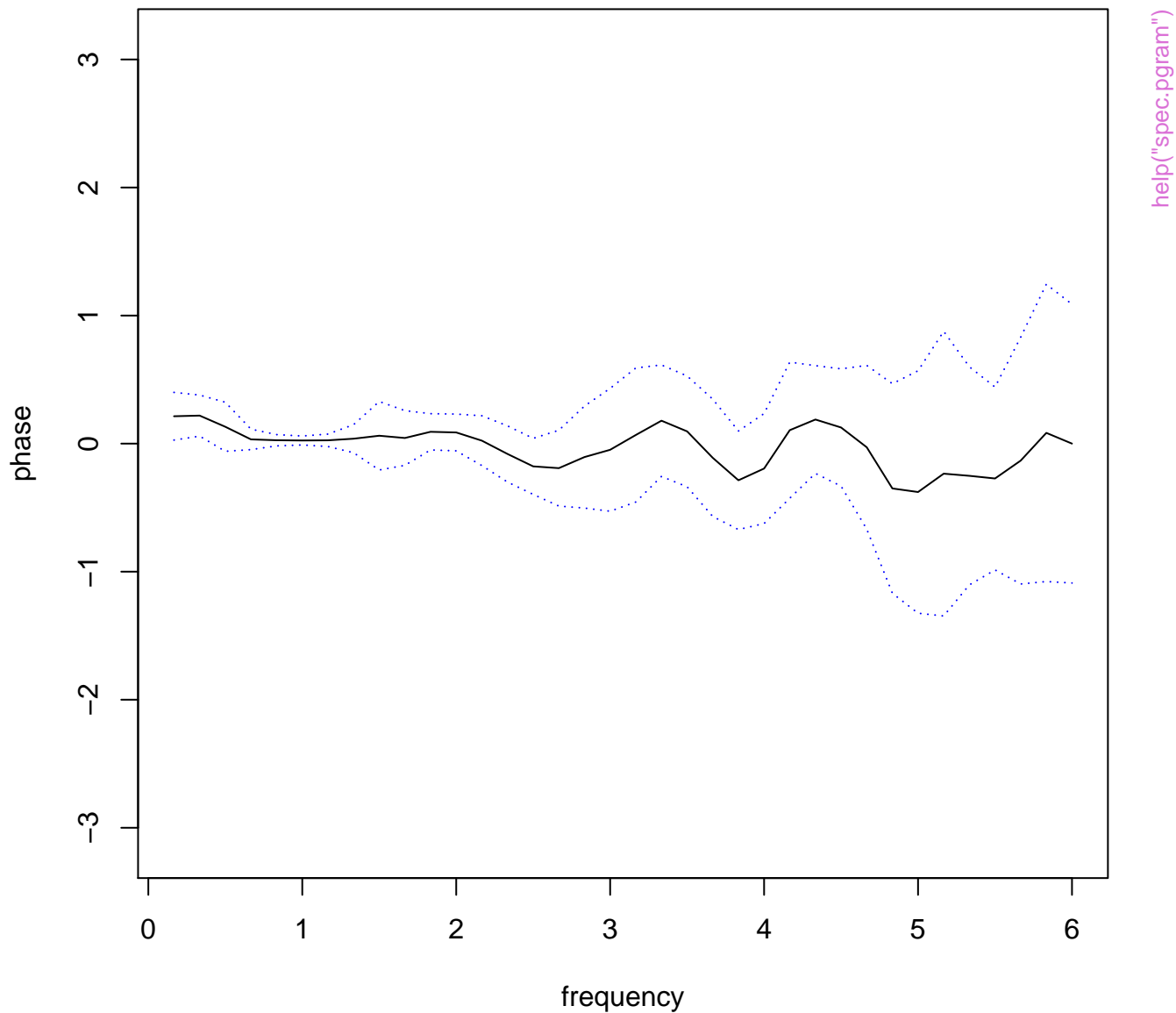
Series: ts.union(mdeaths, fdeaths)
Smoothed Periodogram



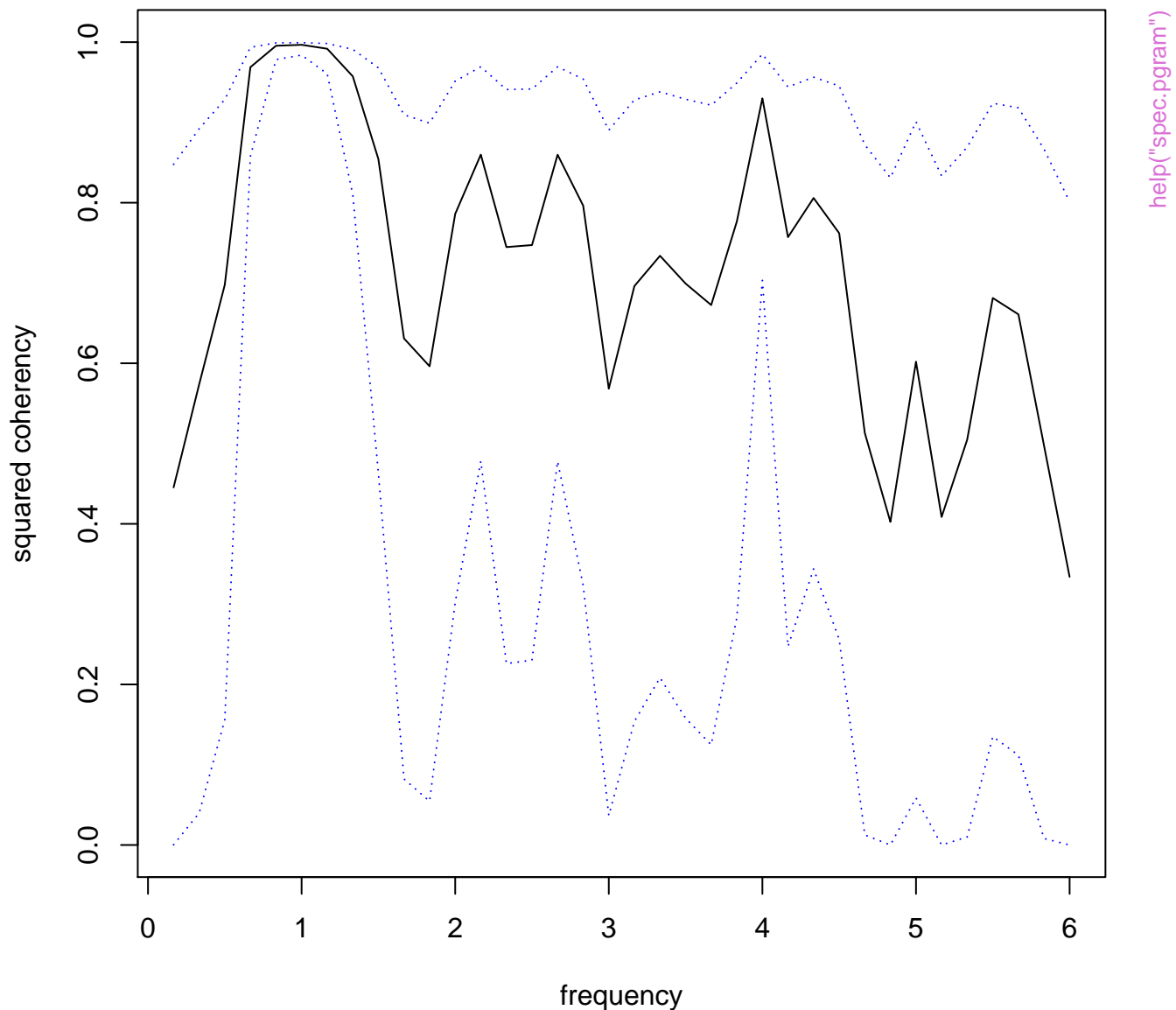
Series: ts.union(mdeaths, fdeaths) -- Squared Coherency



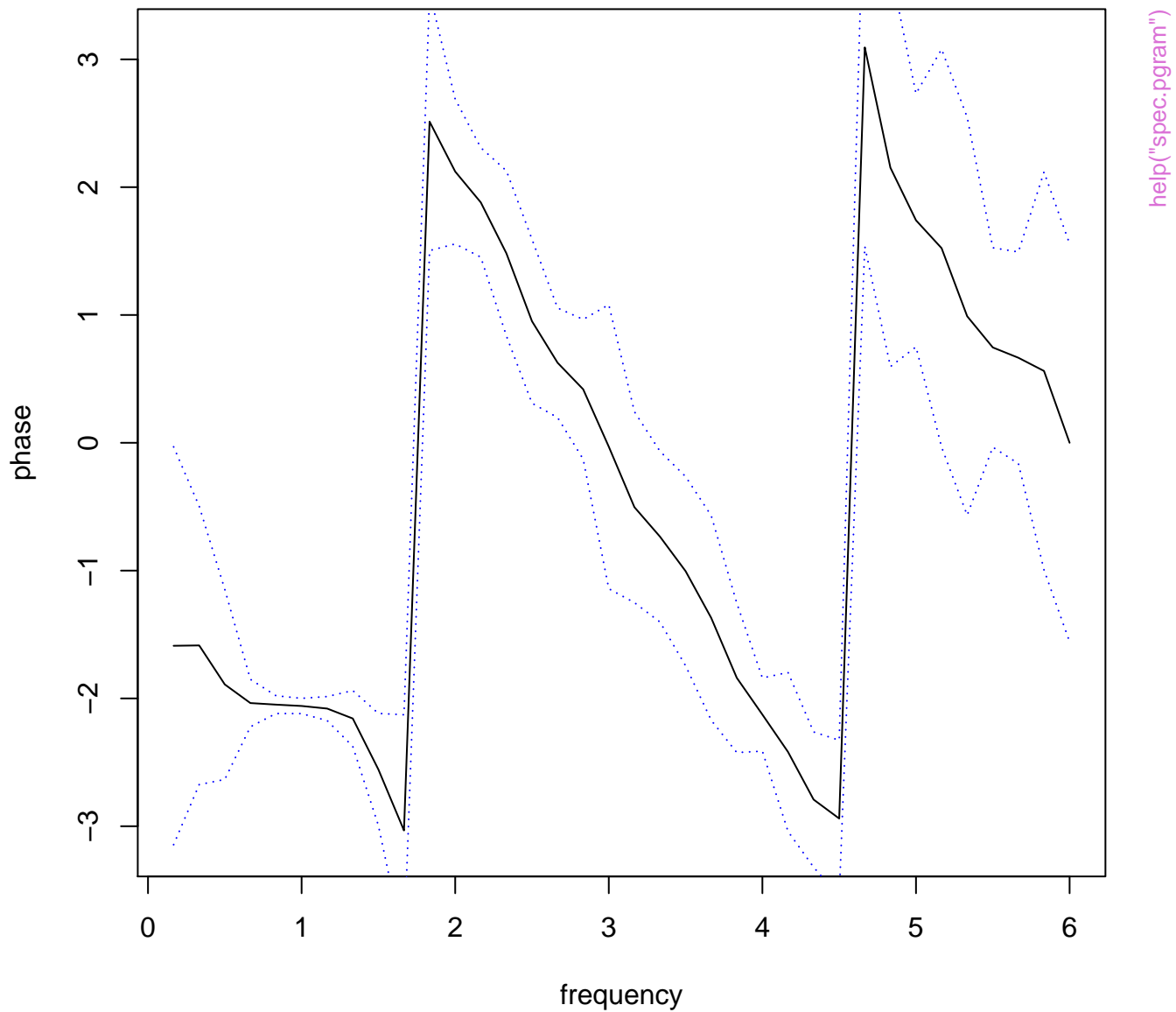
Series: ts.union(mdeaths, fdeaths) -- Phase spectrum



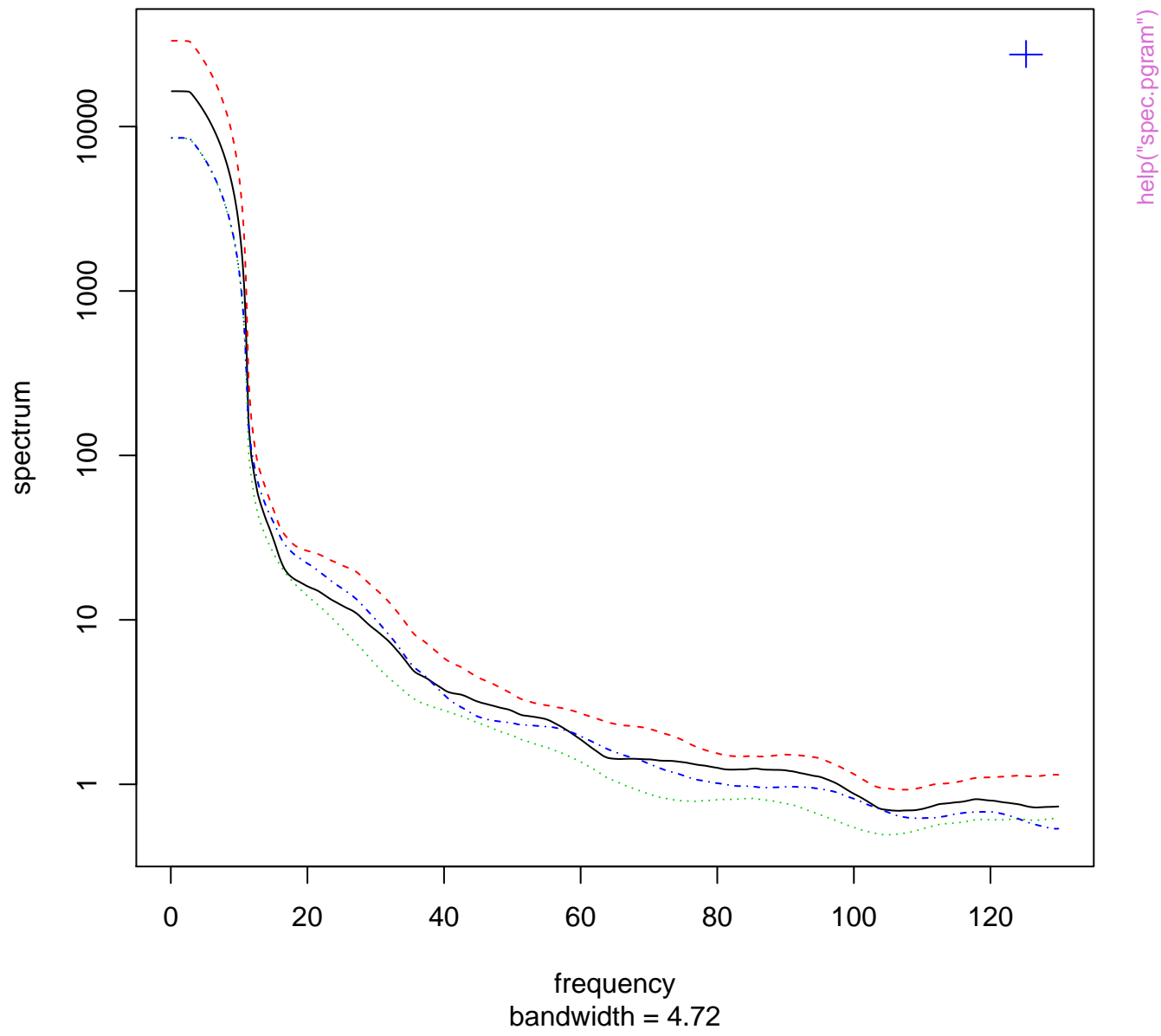
Series: ts.intersect(mdeaths, lag(fdeaths, 4)) -- Squared Coherency



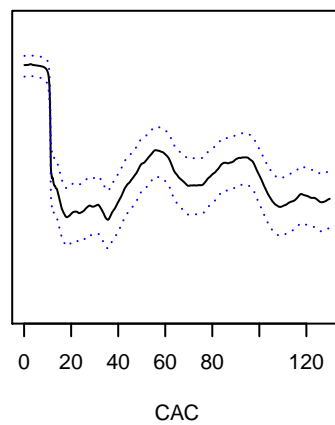
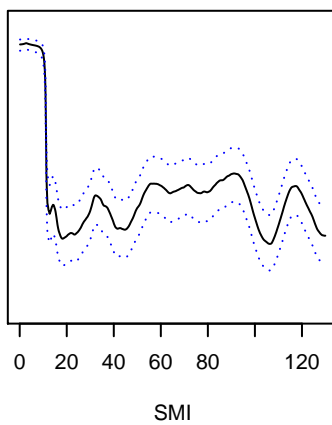
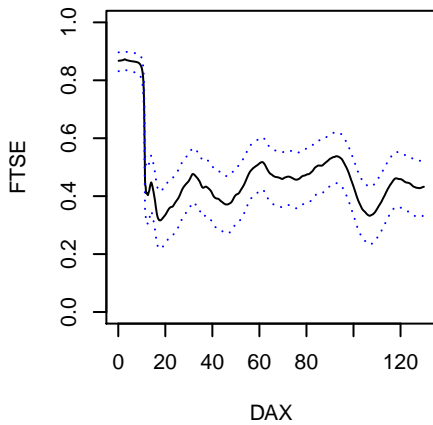
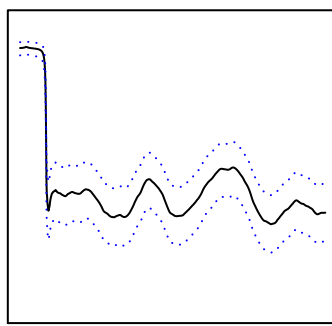
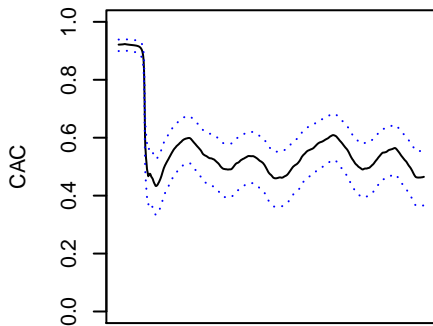
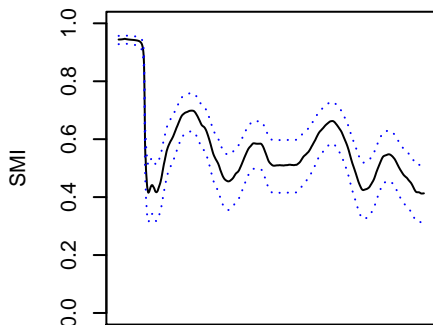
Series: ts.intersect(mdeaths, lag(fdeaths, 4)) -- Phase spectrum



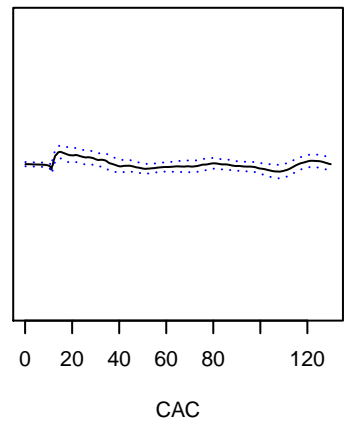
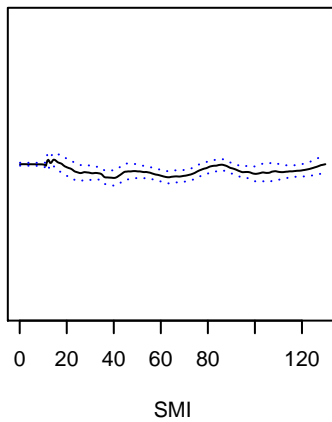
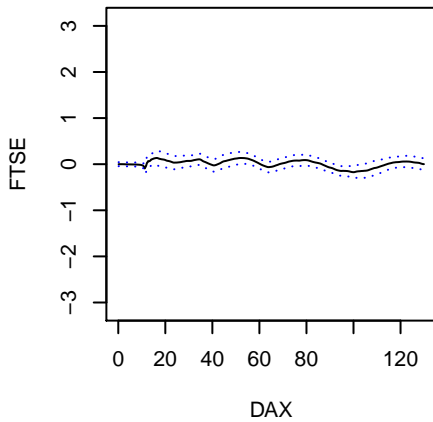
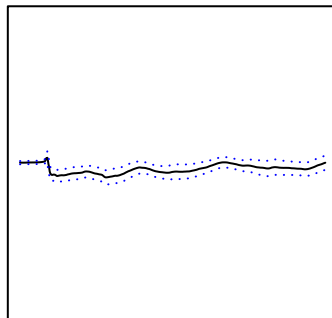
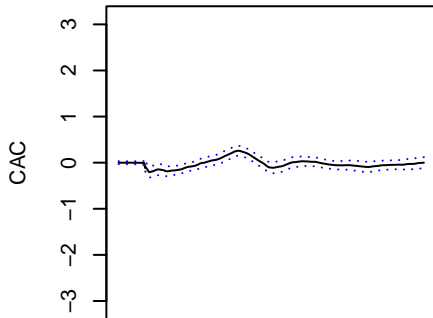
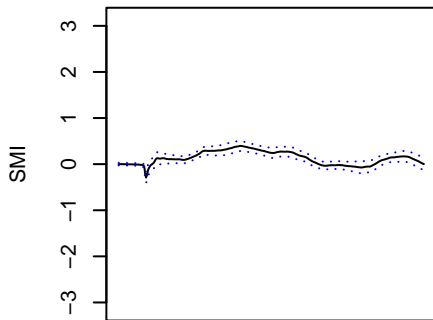
Series: x
Smoothed Periodogram



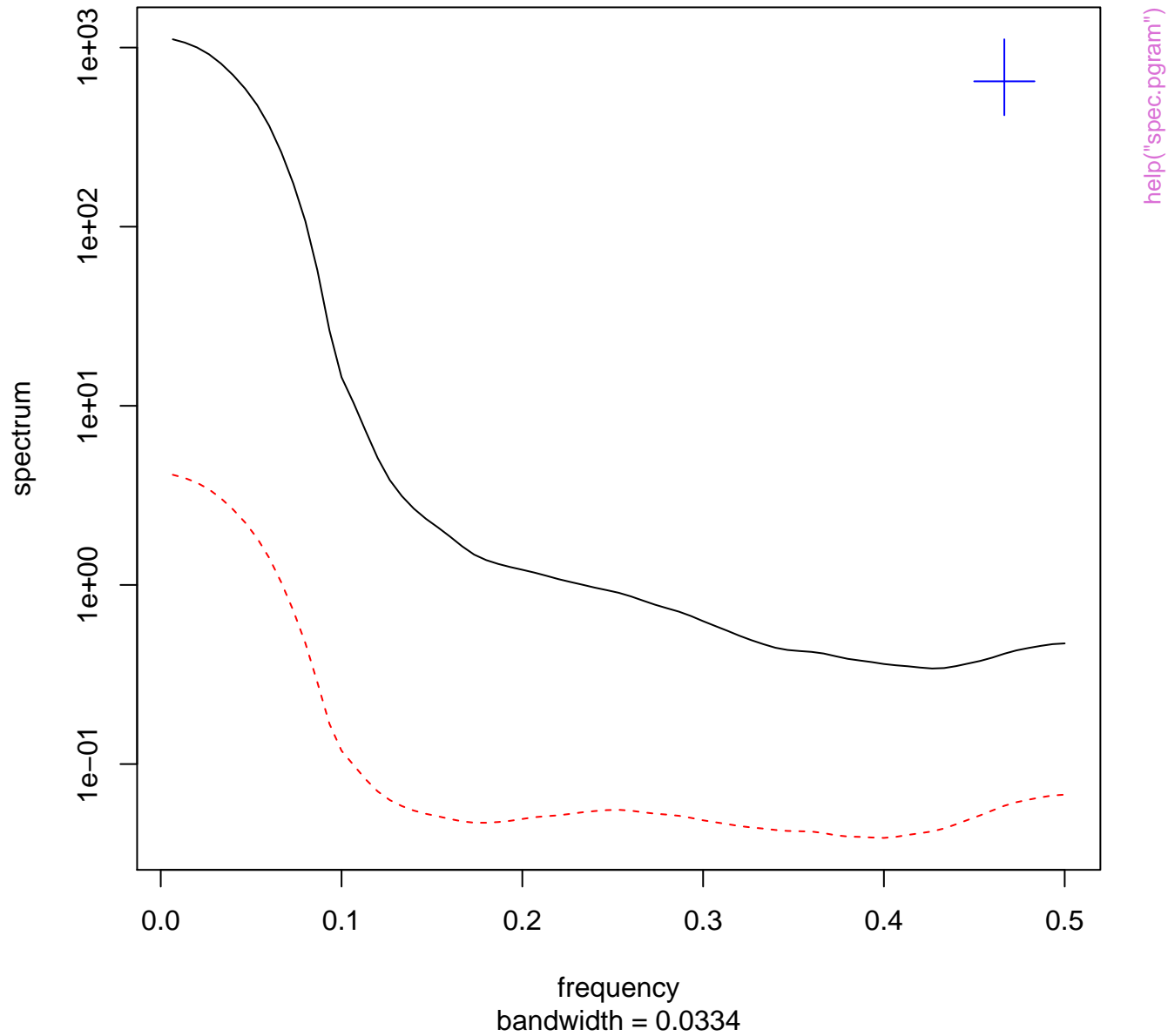
Series: x -- Squared Coherency



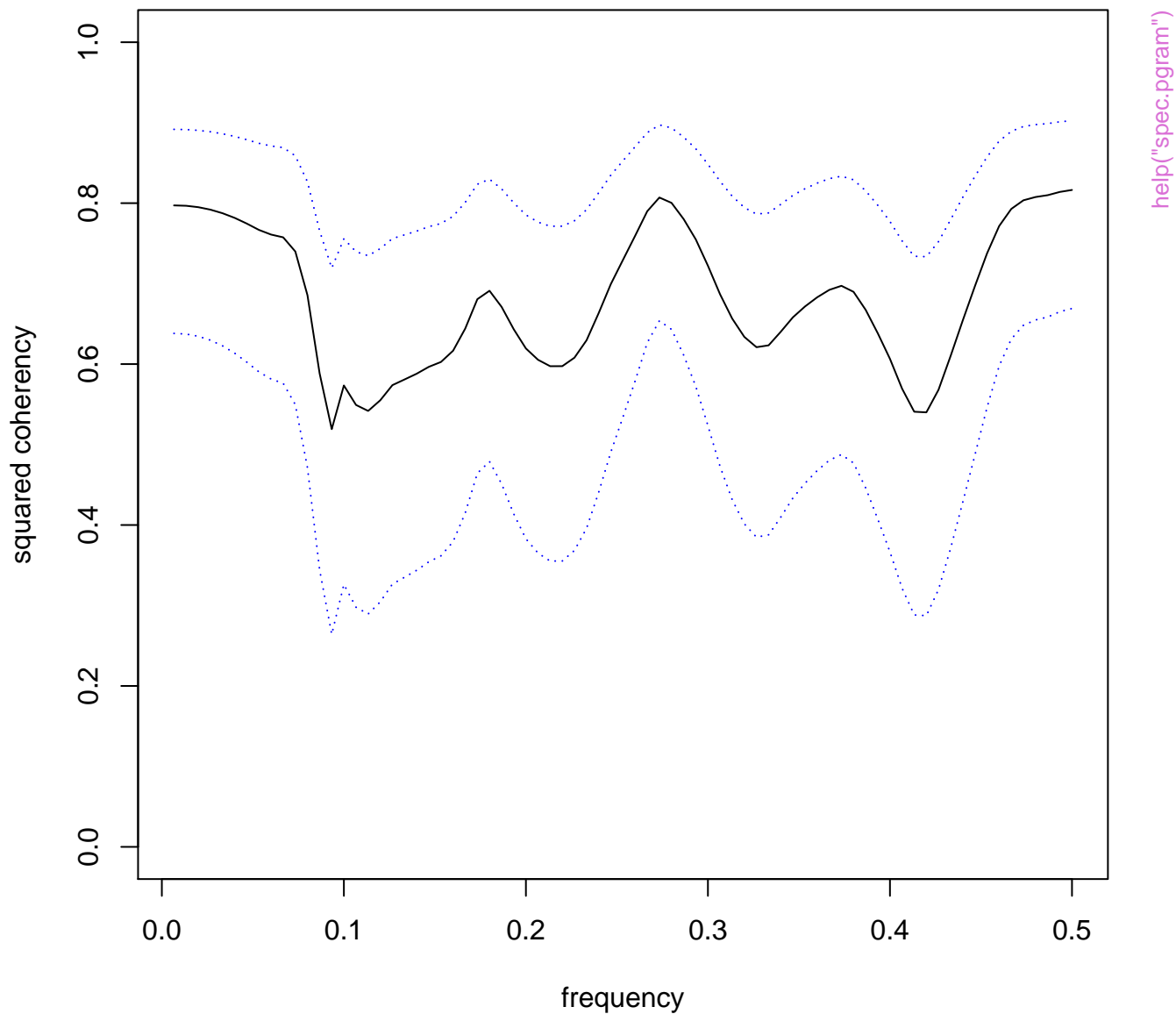
Series: x -- Phase spectrum



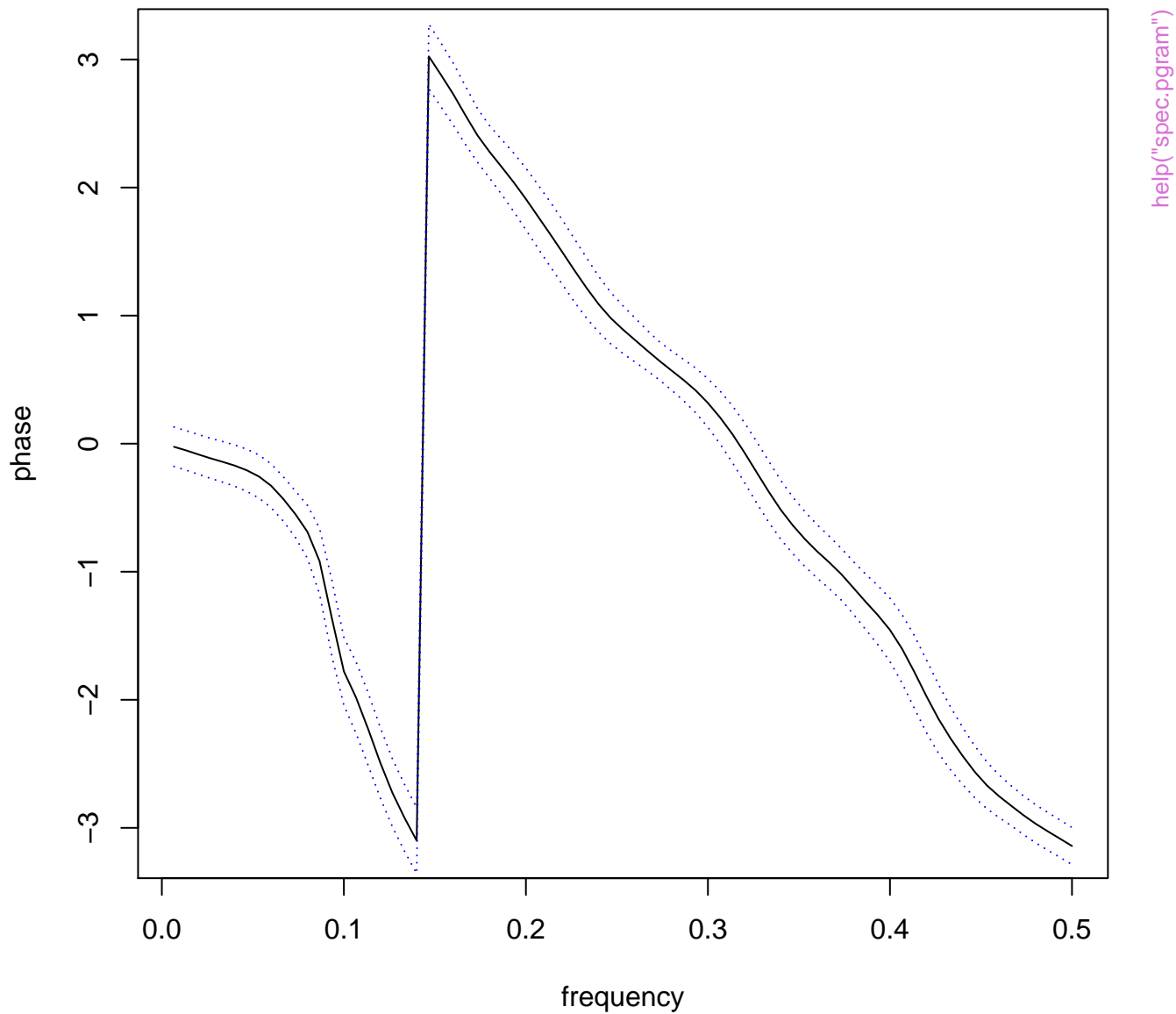
Series: x
Smoothed Periodogram



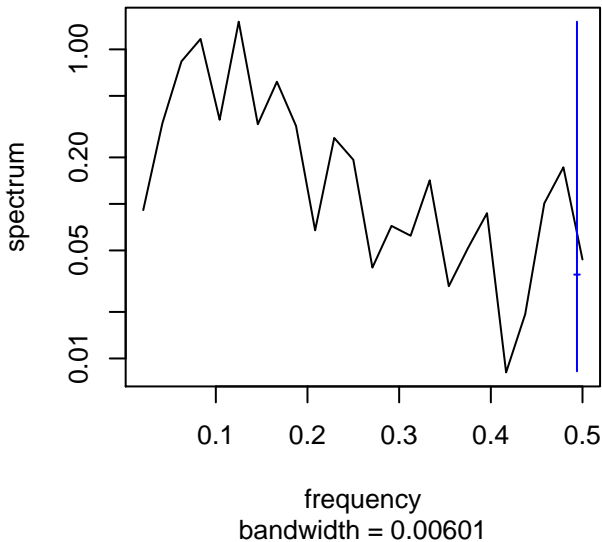
Series: x -- Squared Coherency



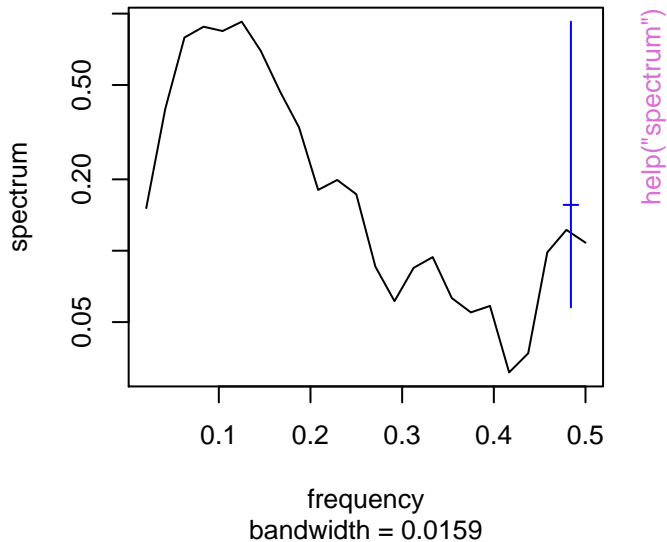
Series: x -- Phase spectrum



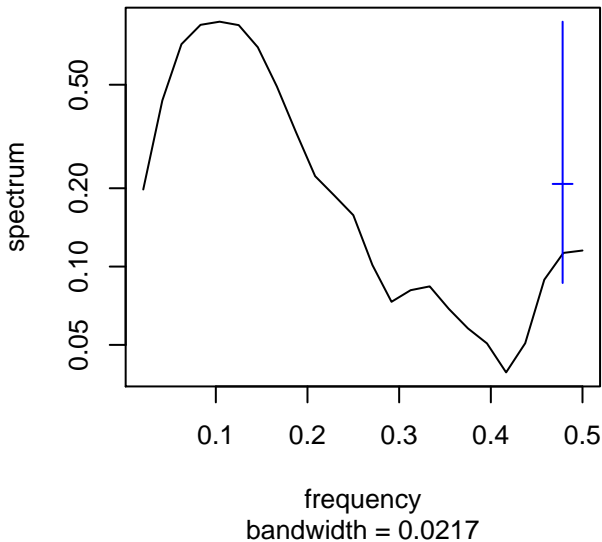
Series: x
Raw Periodogram



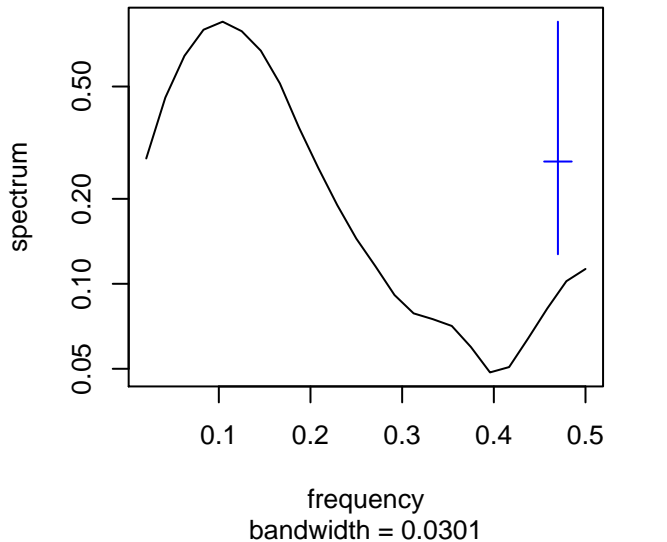
Series: x
Smoothed Periodogram



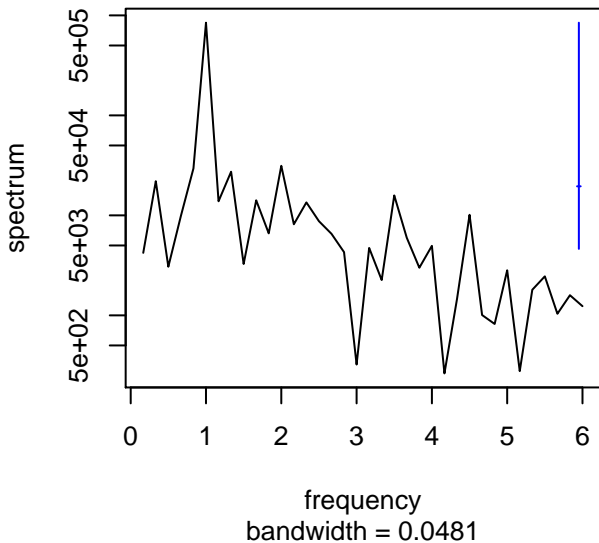
Series: x
Smoothed Periodogram



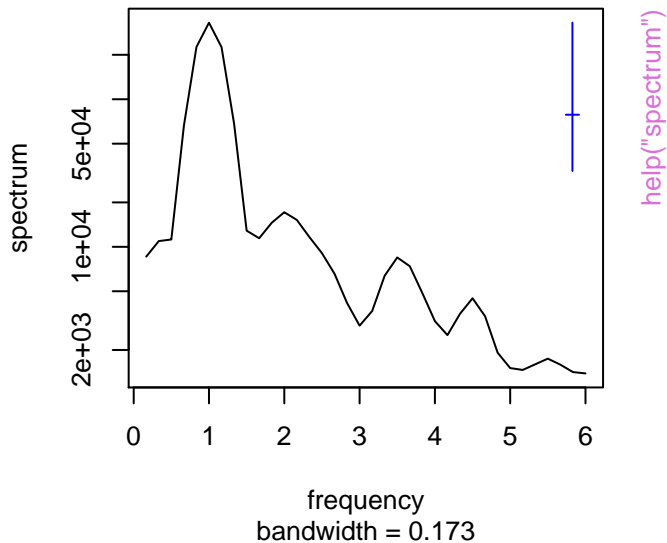
Series: x
Smoothed Periodogram



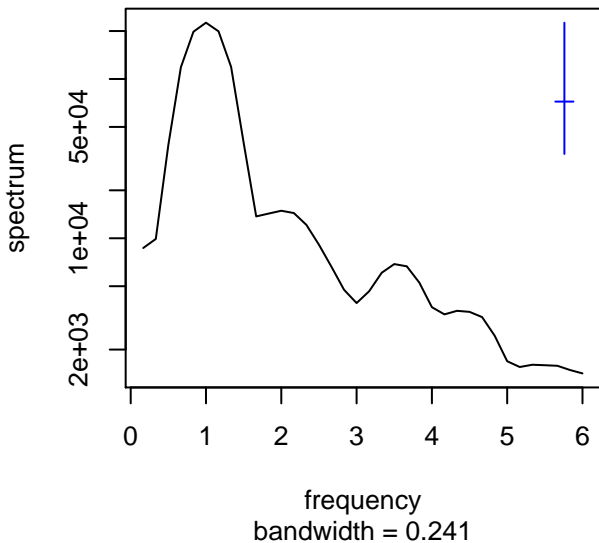
Series: x
Raw Periodogram



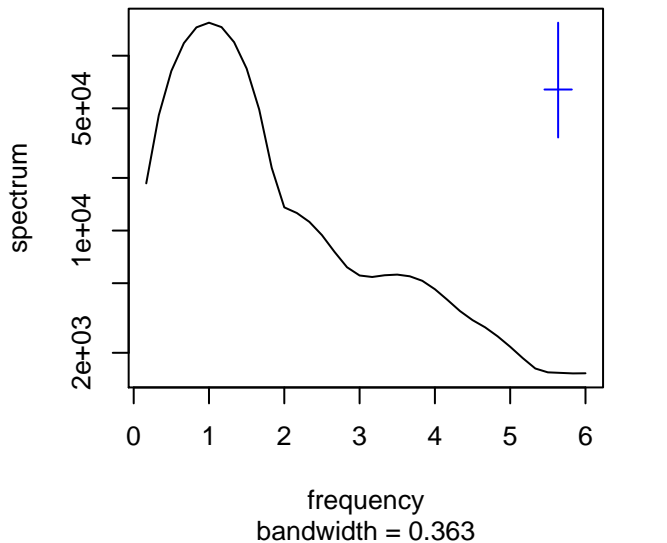
Series: x
Smoothed Periodogram



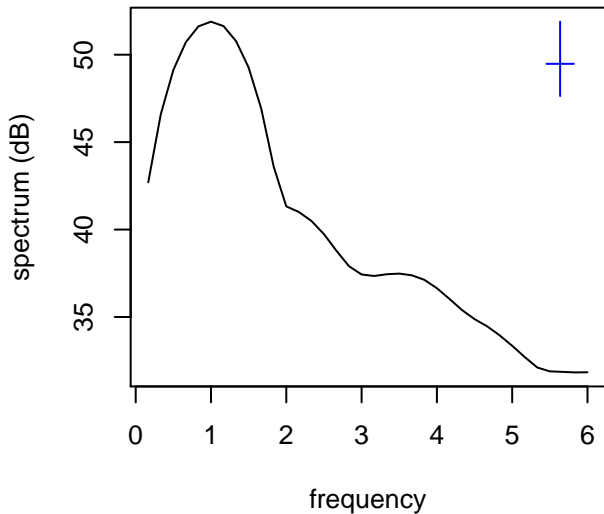
Series: x
Smoothed Periodogram



Series: x
Smoothed Periodogram

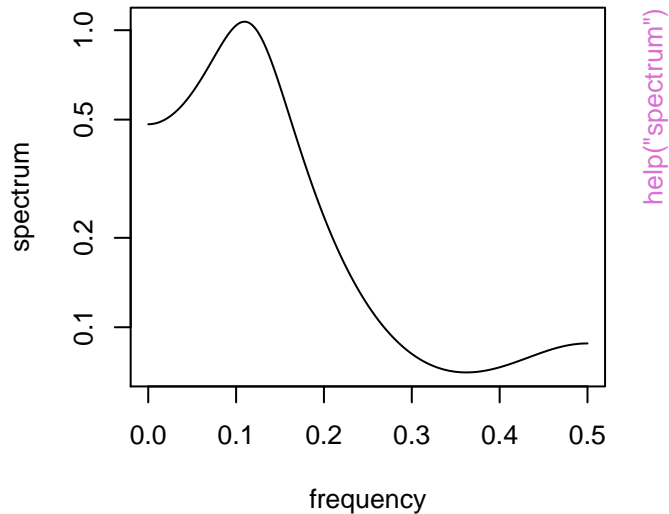


Series: x
Smoothed Periodogram

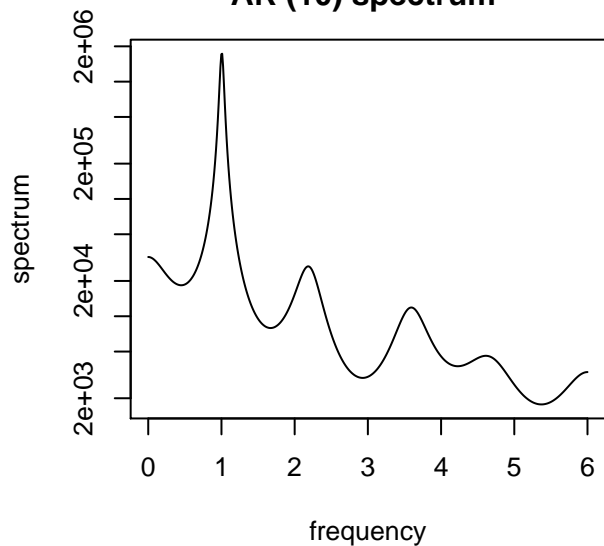


bandwidth = 0.363, 80% C.I. is (-1.84, 2.41)dB

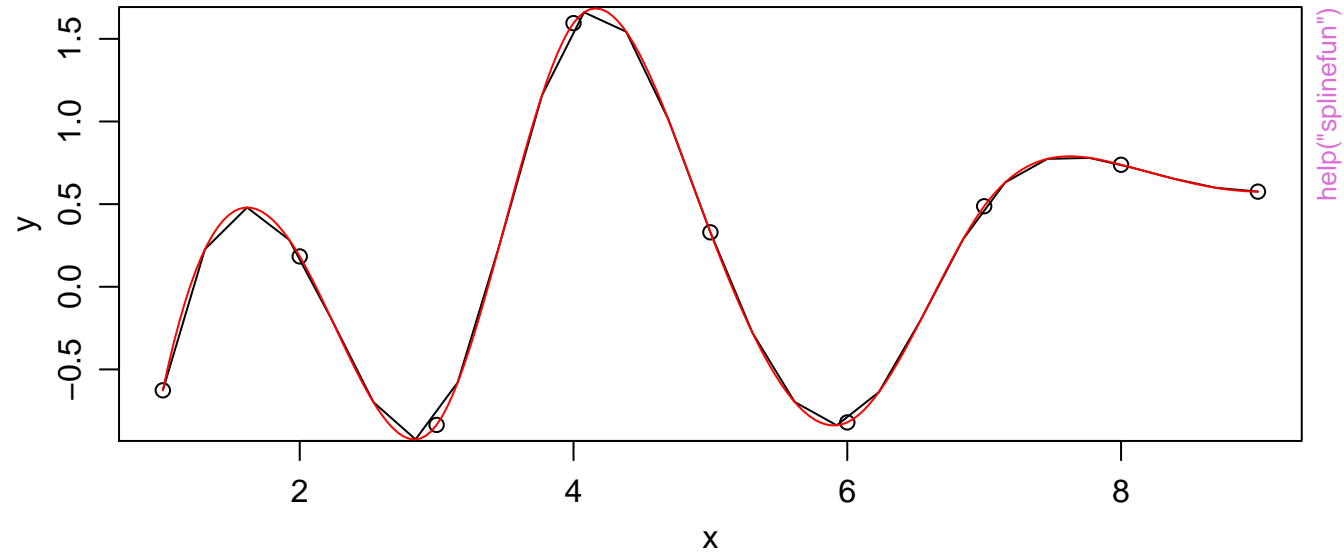
Series: x
AR (3) spectrum



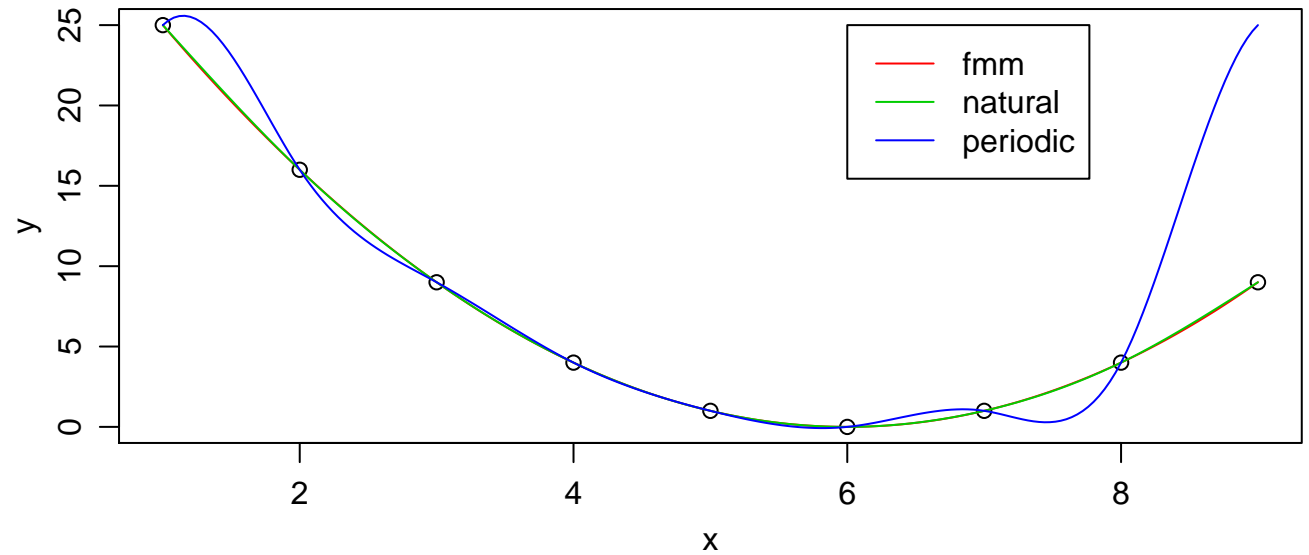
Series: x
AR (10) spectrum

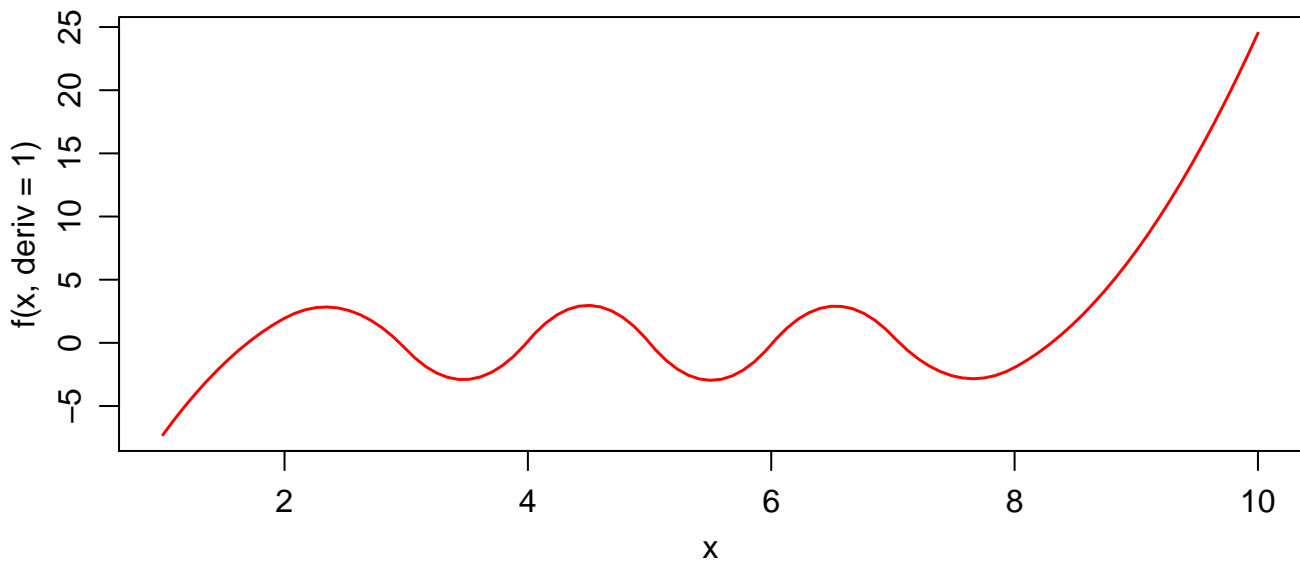
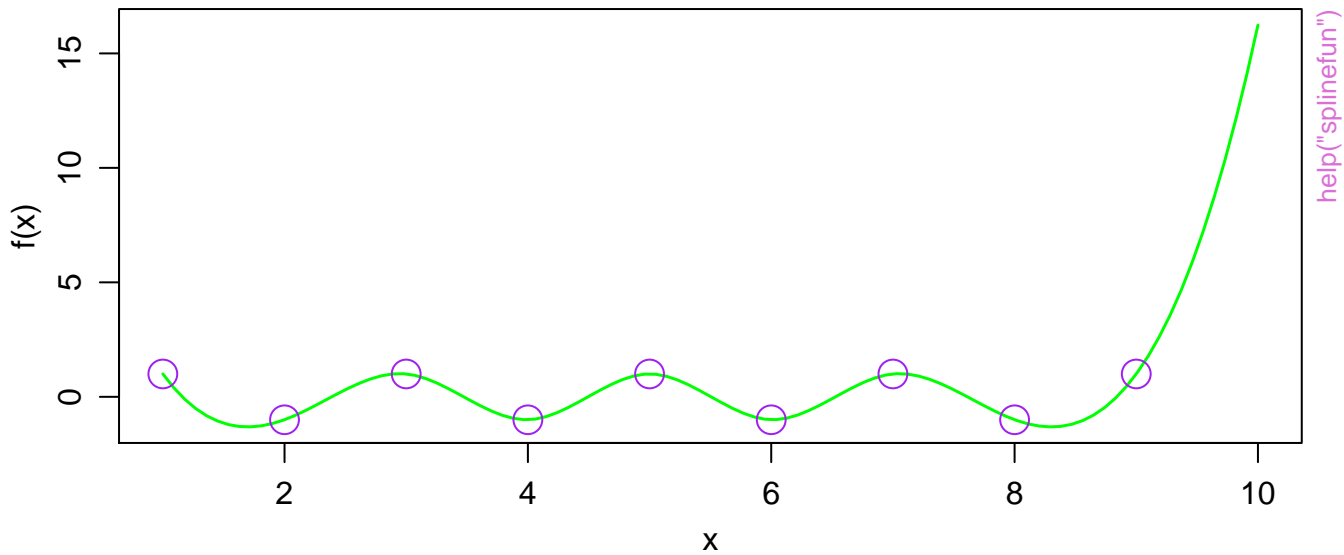


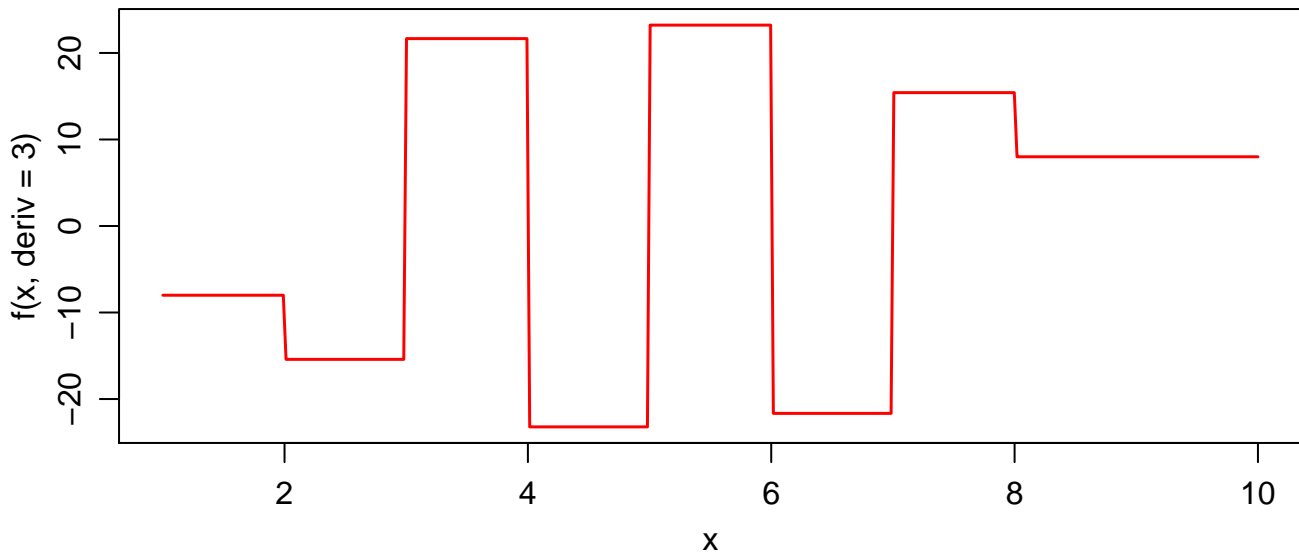
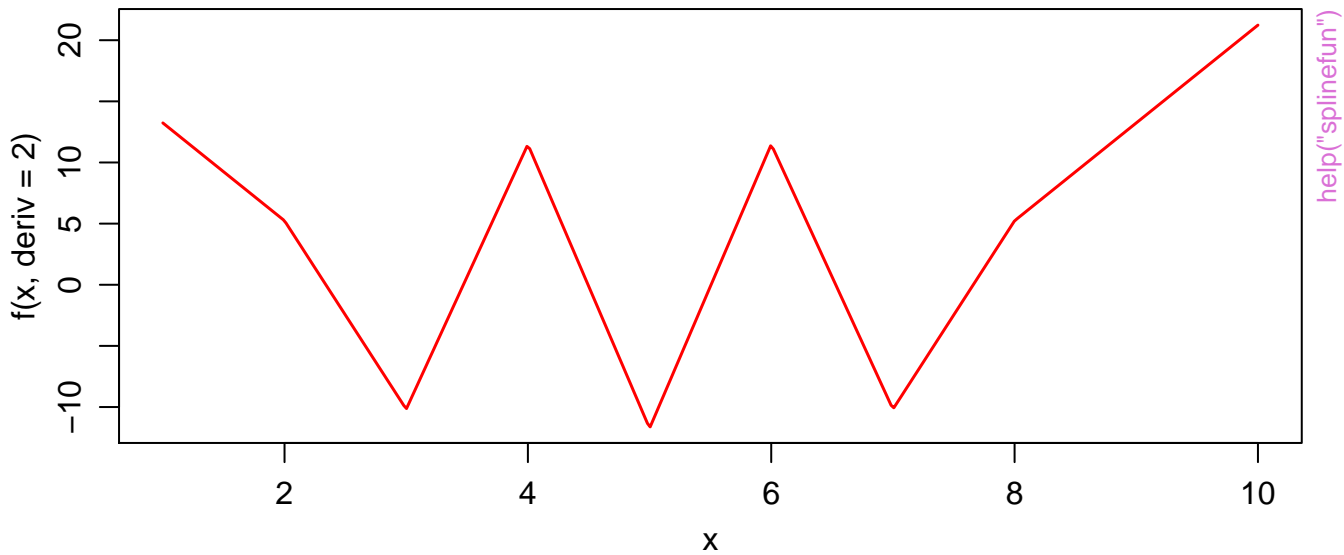
spline[fun](.) through 9 points



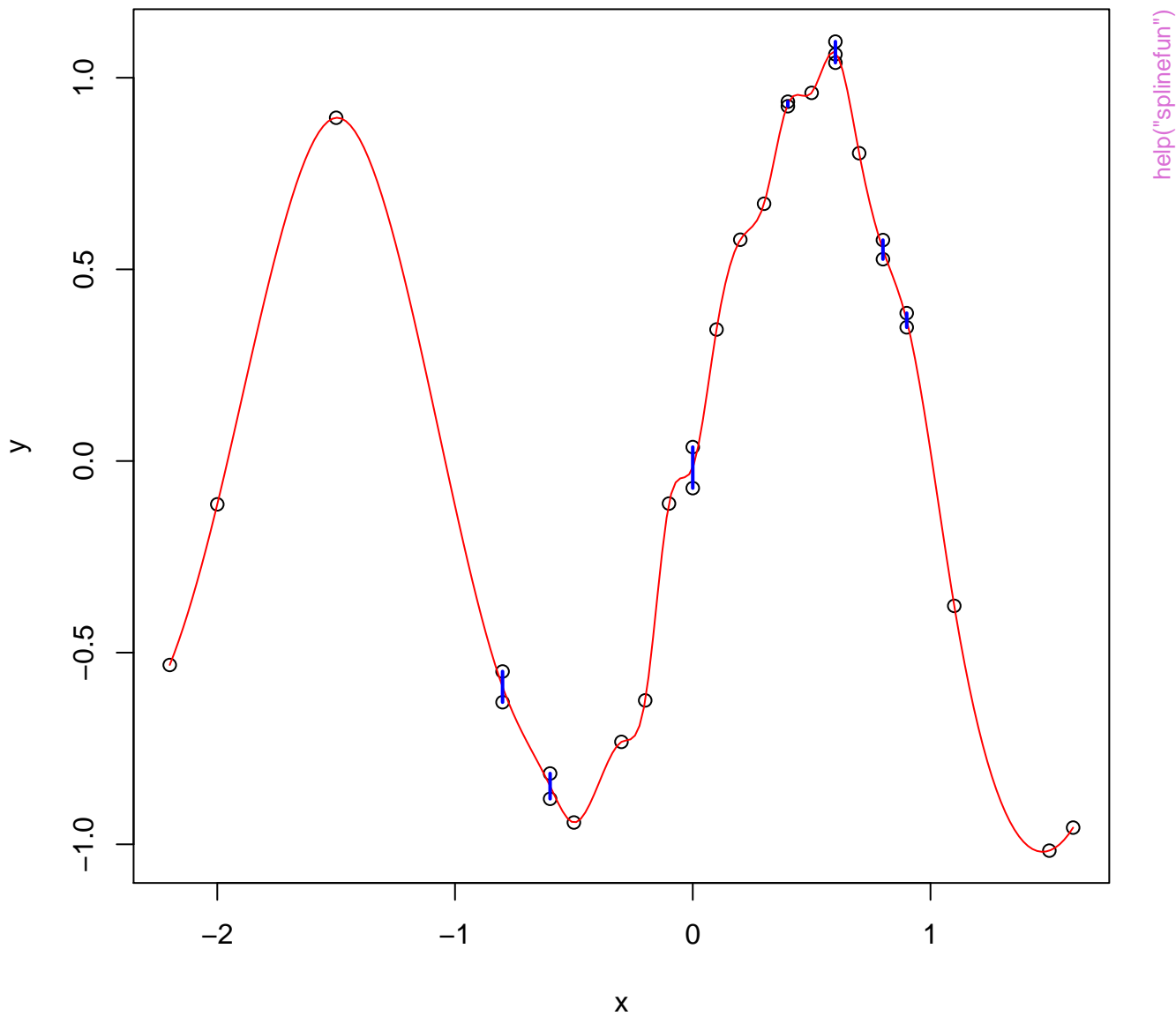
spline(.) -- 3 methods

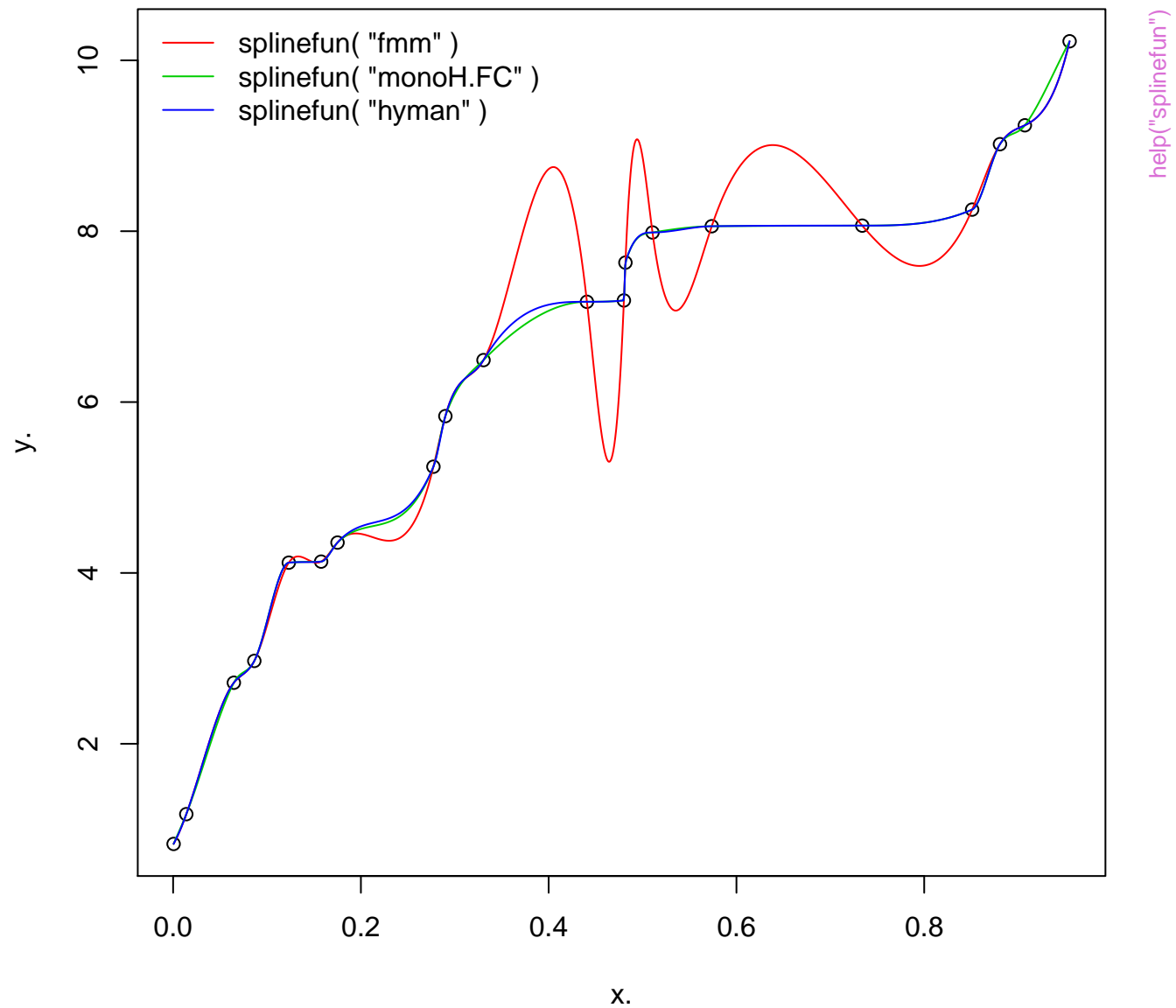


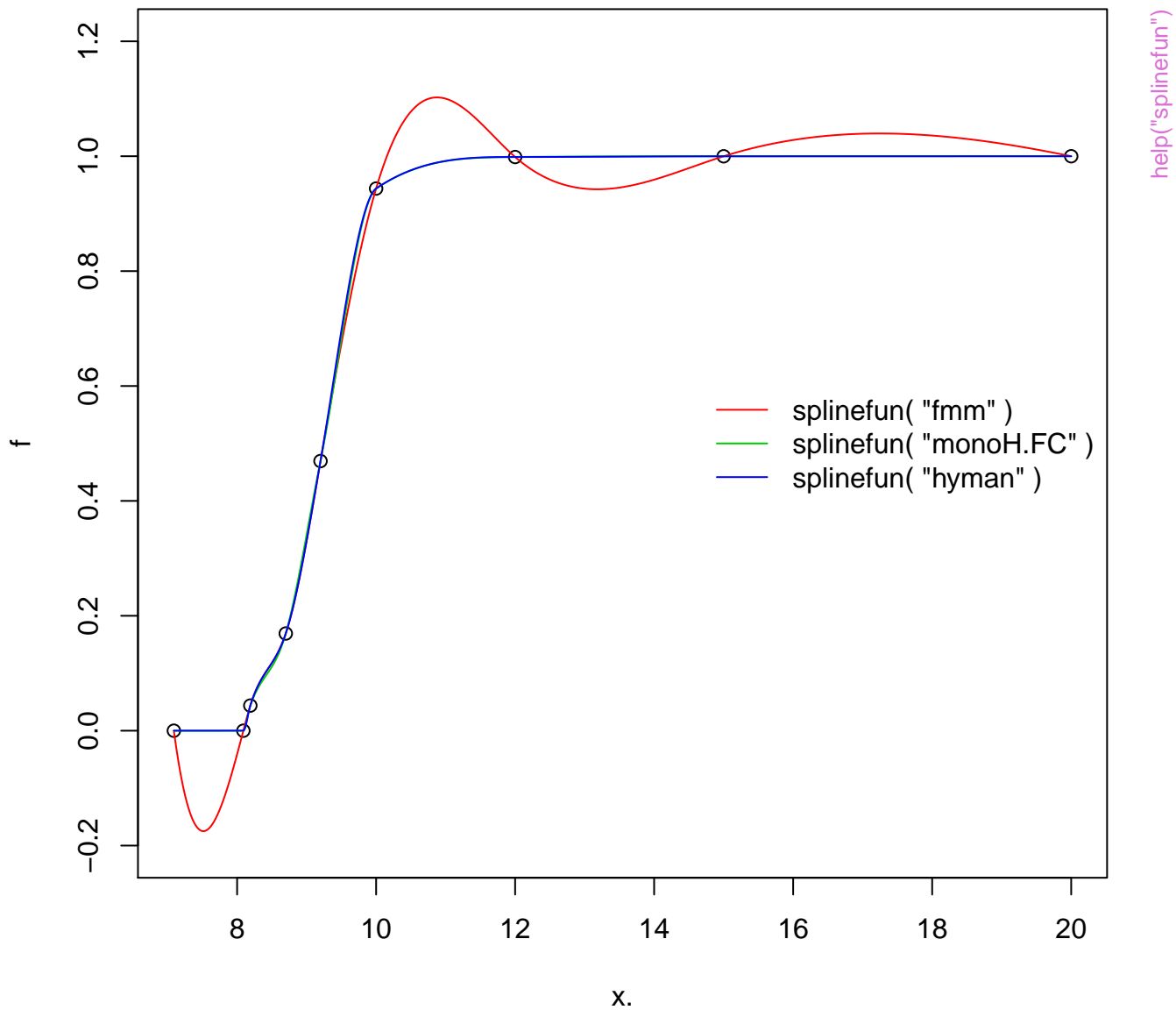




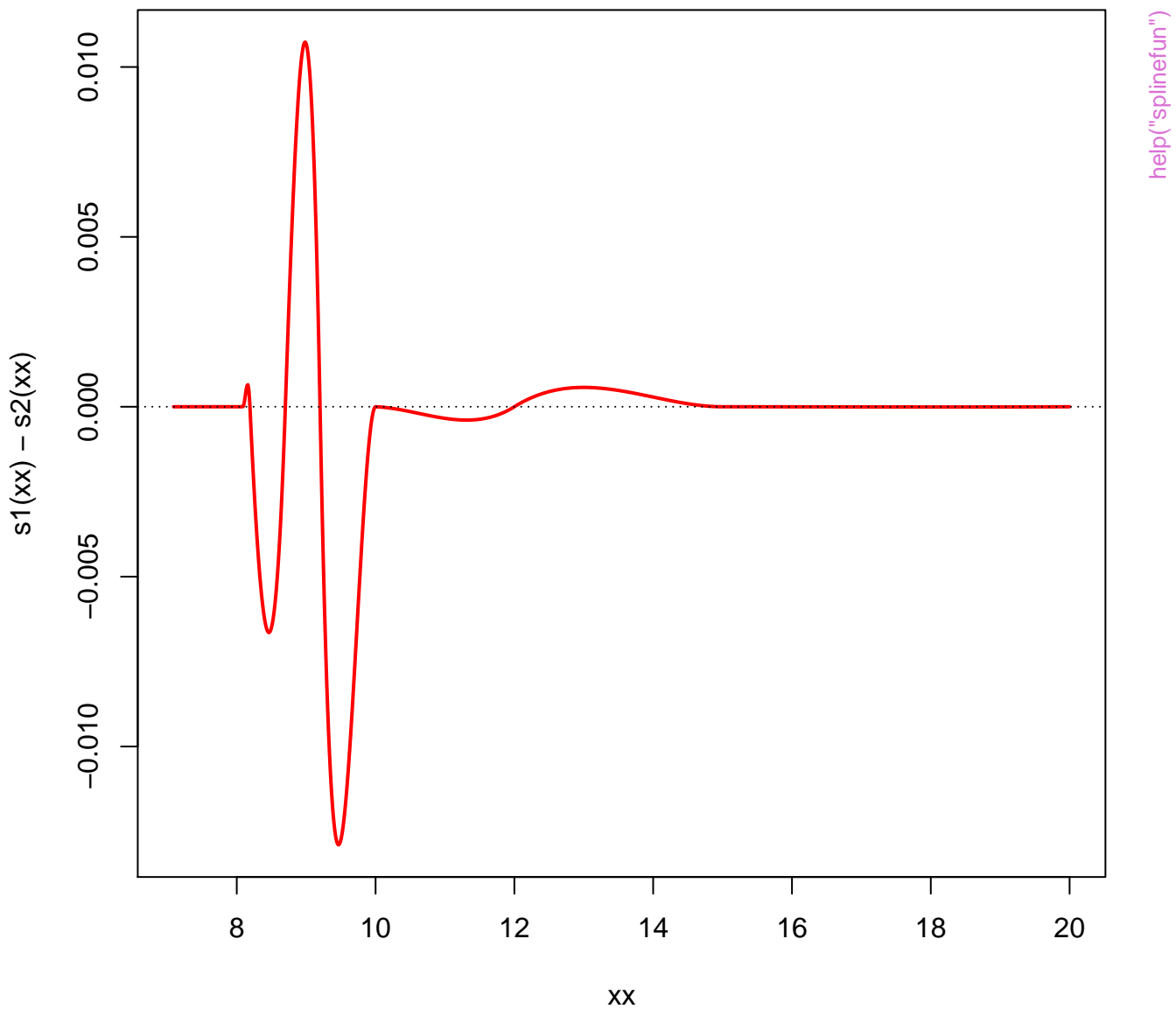
spline(x,y) when x has ties



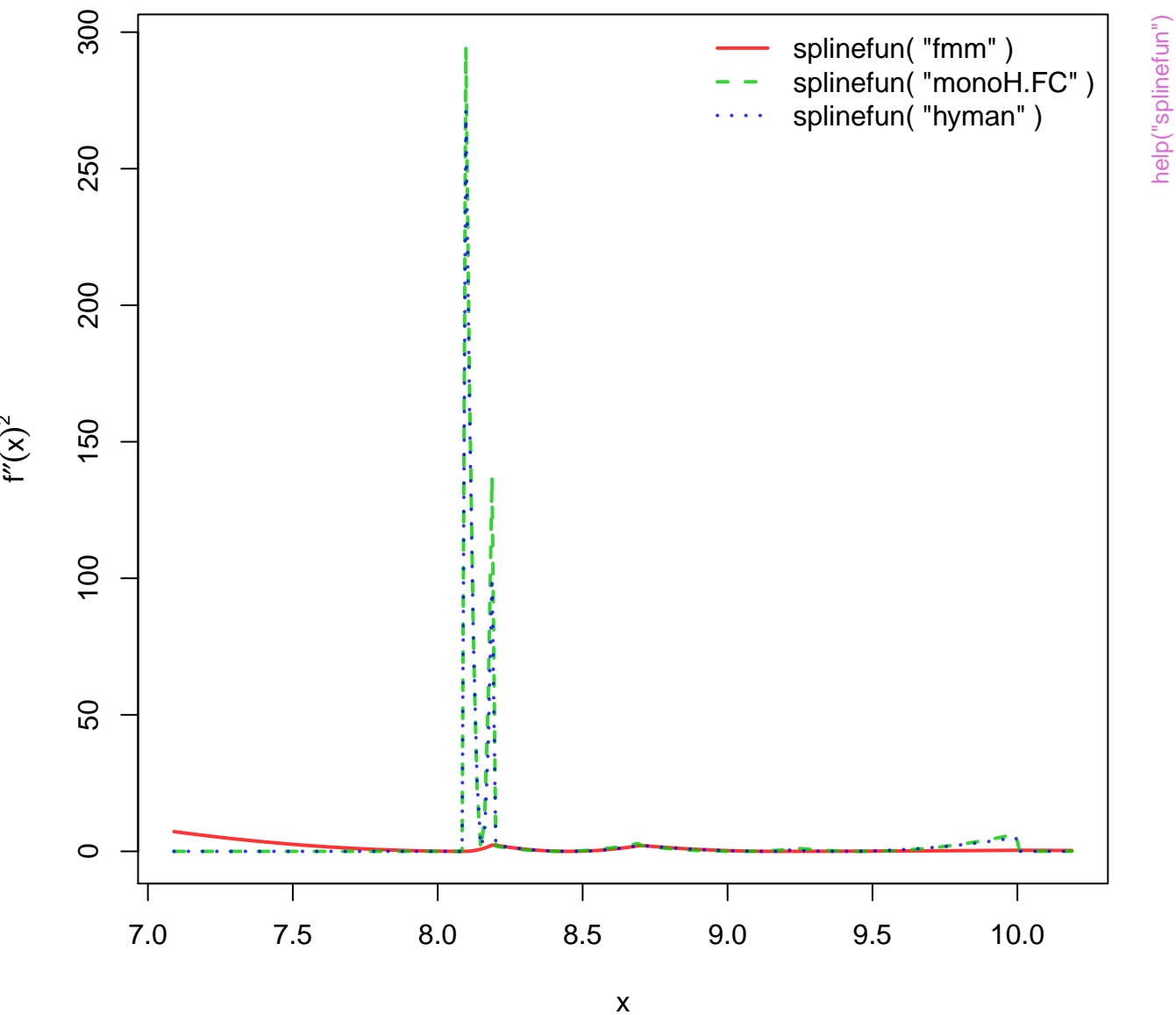


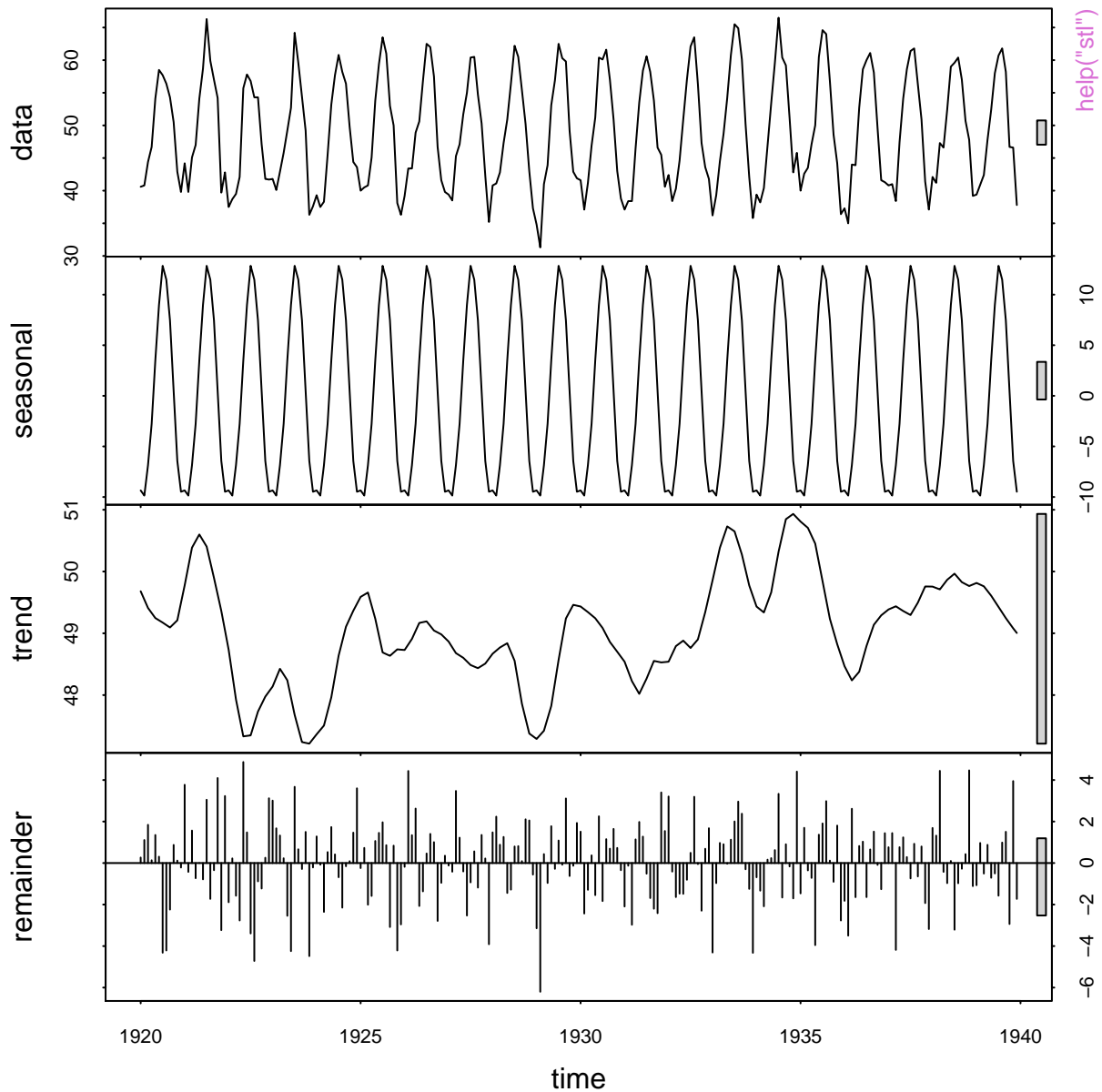


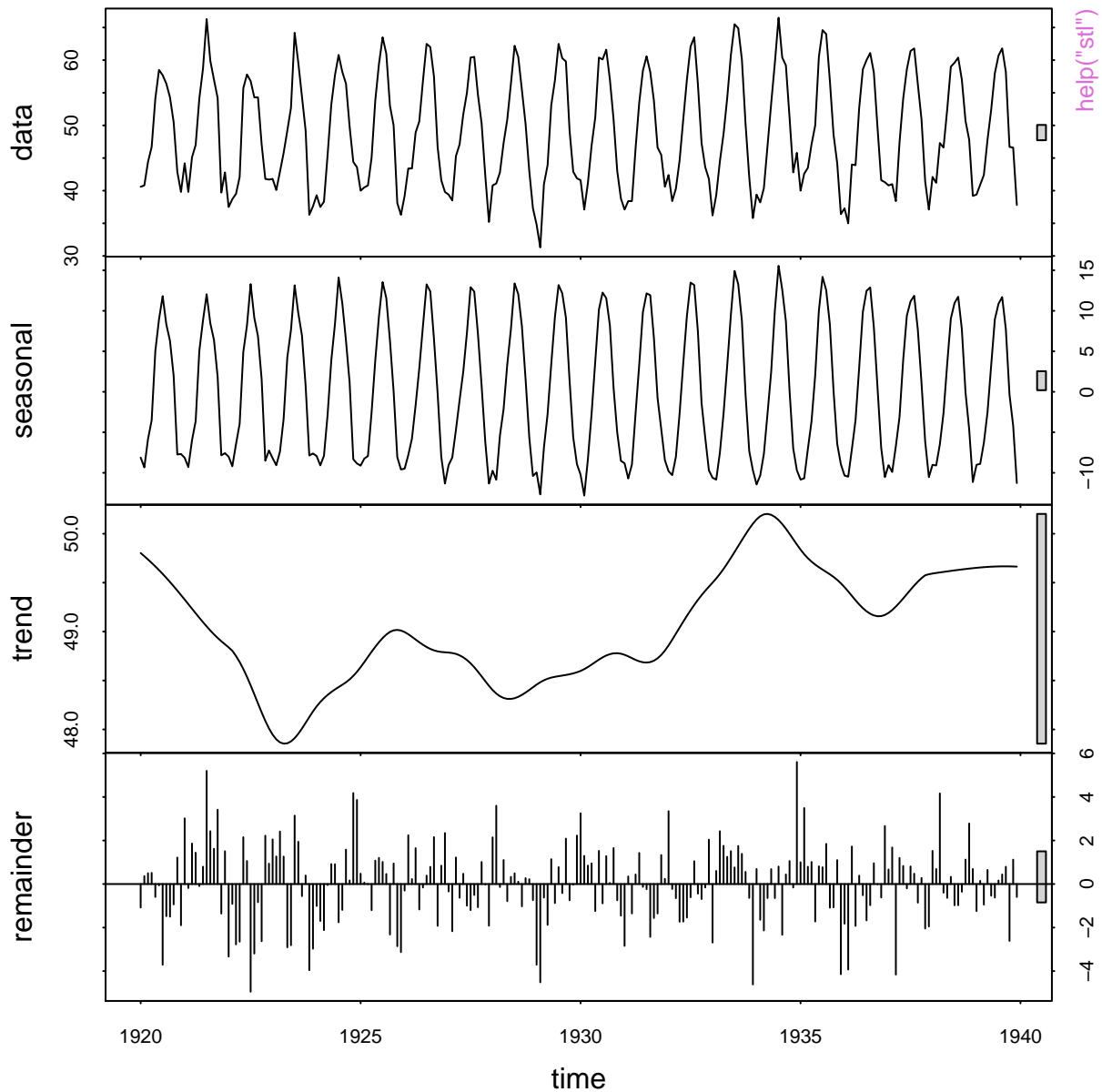
Difference monoH.FC – hyman

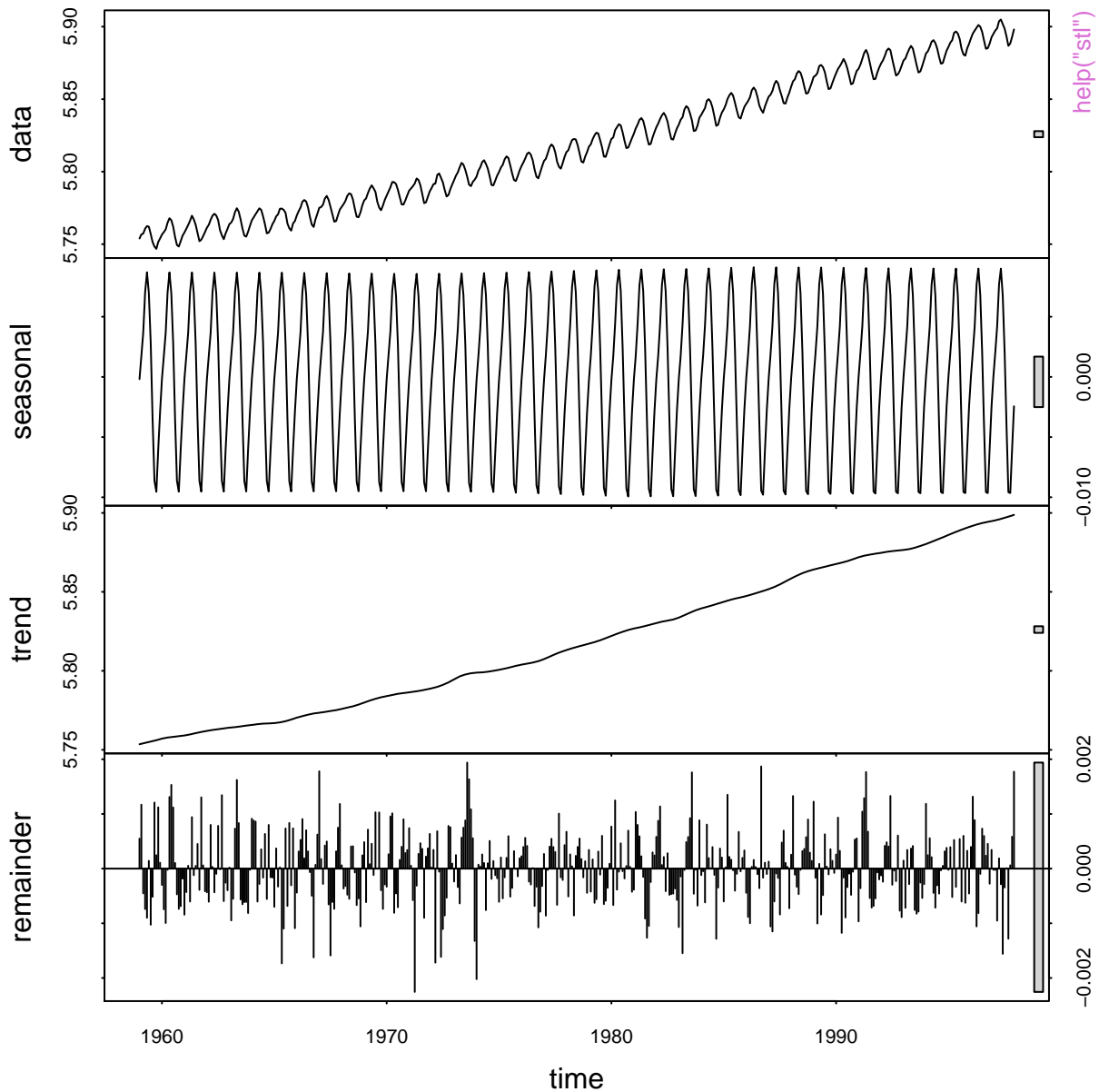


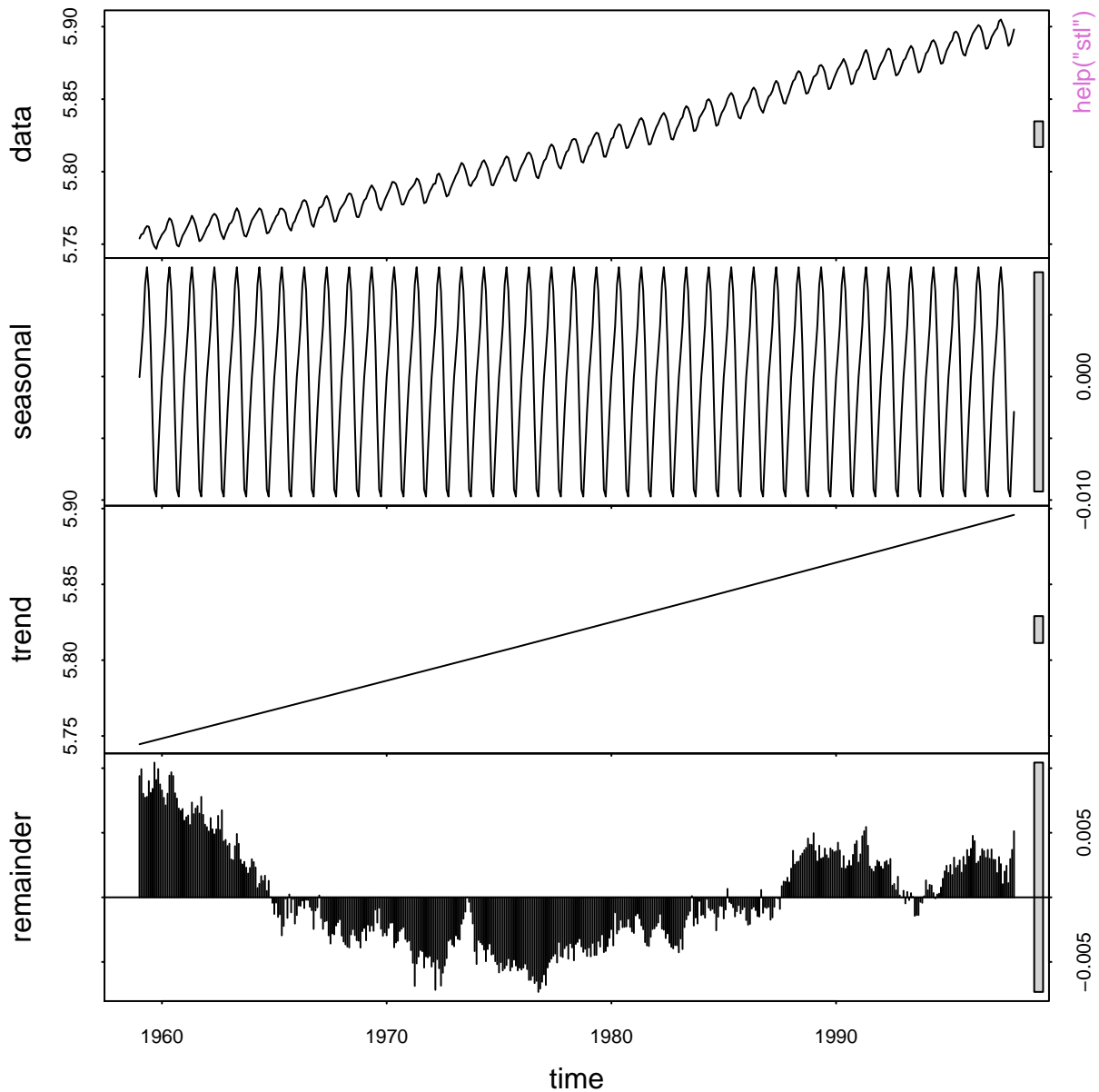
$f''(x)^2$ for the three 'splines'



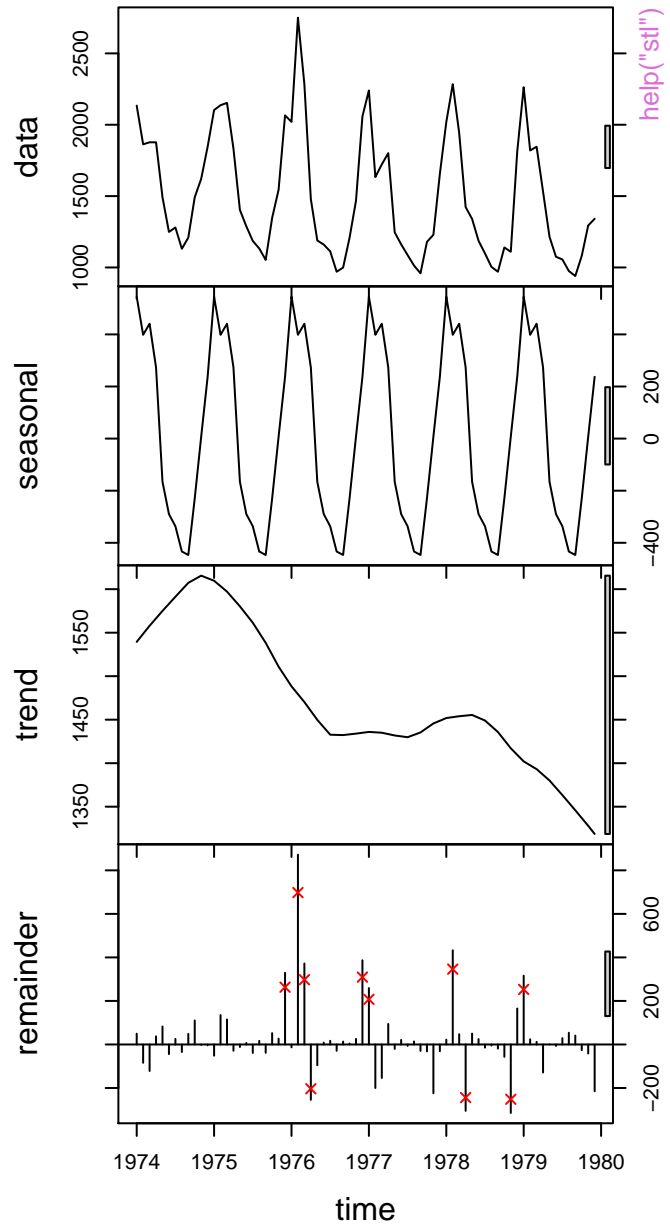
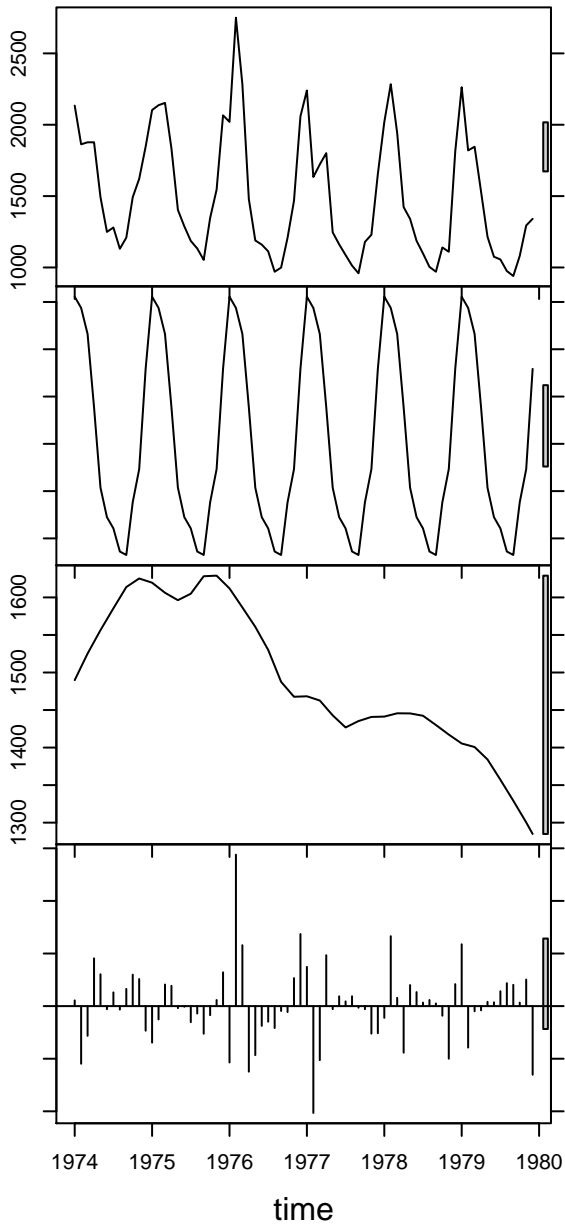




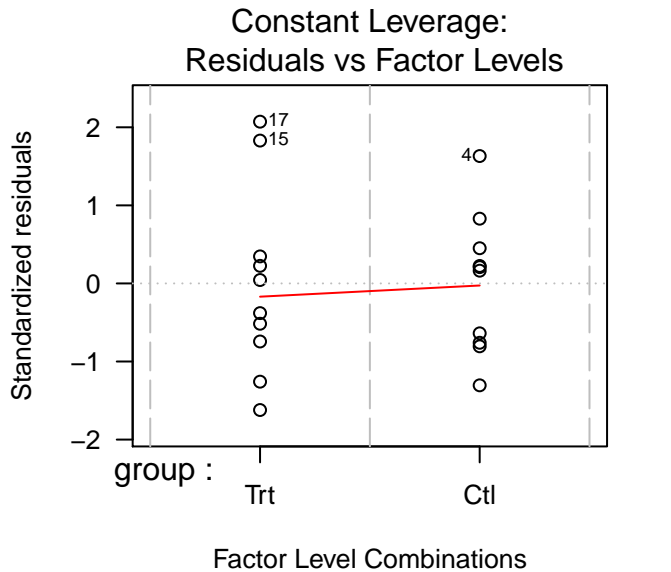
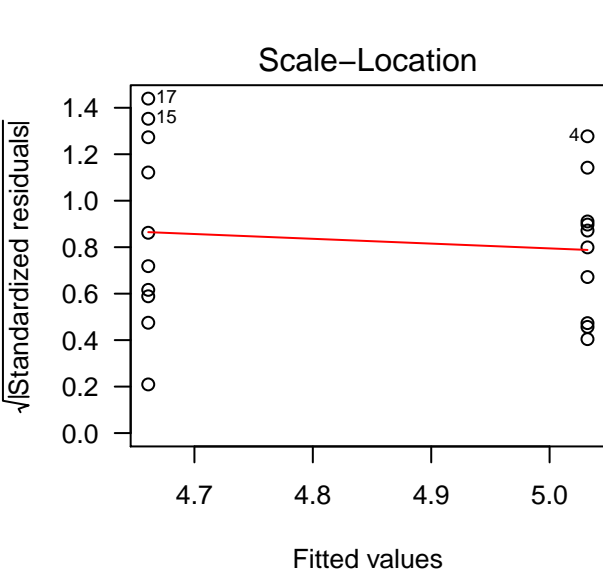
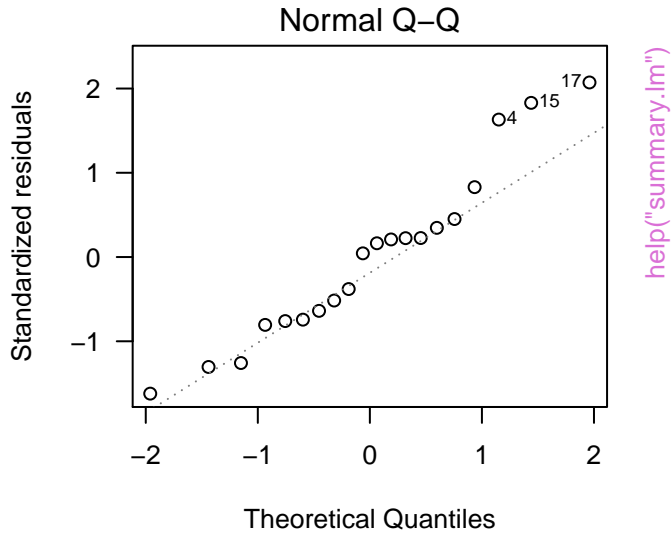
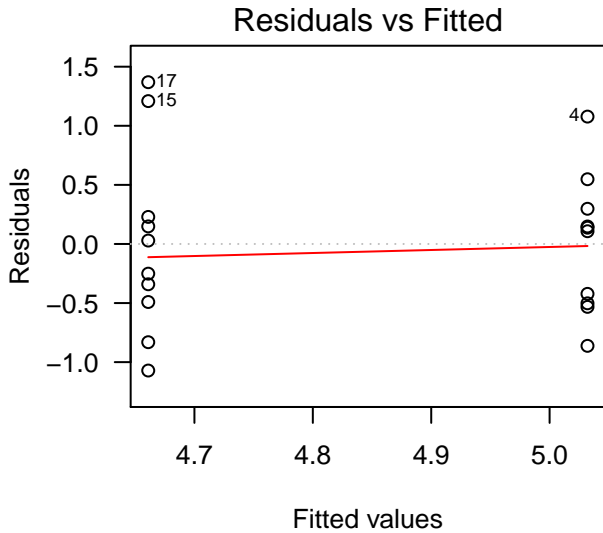


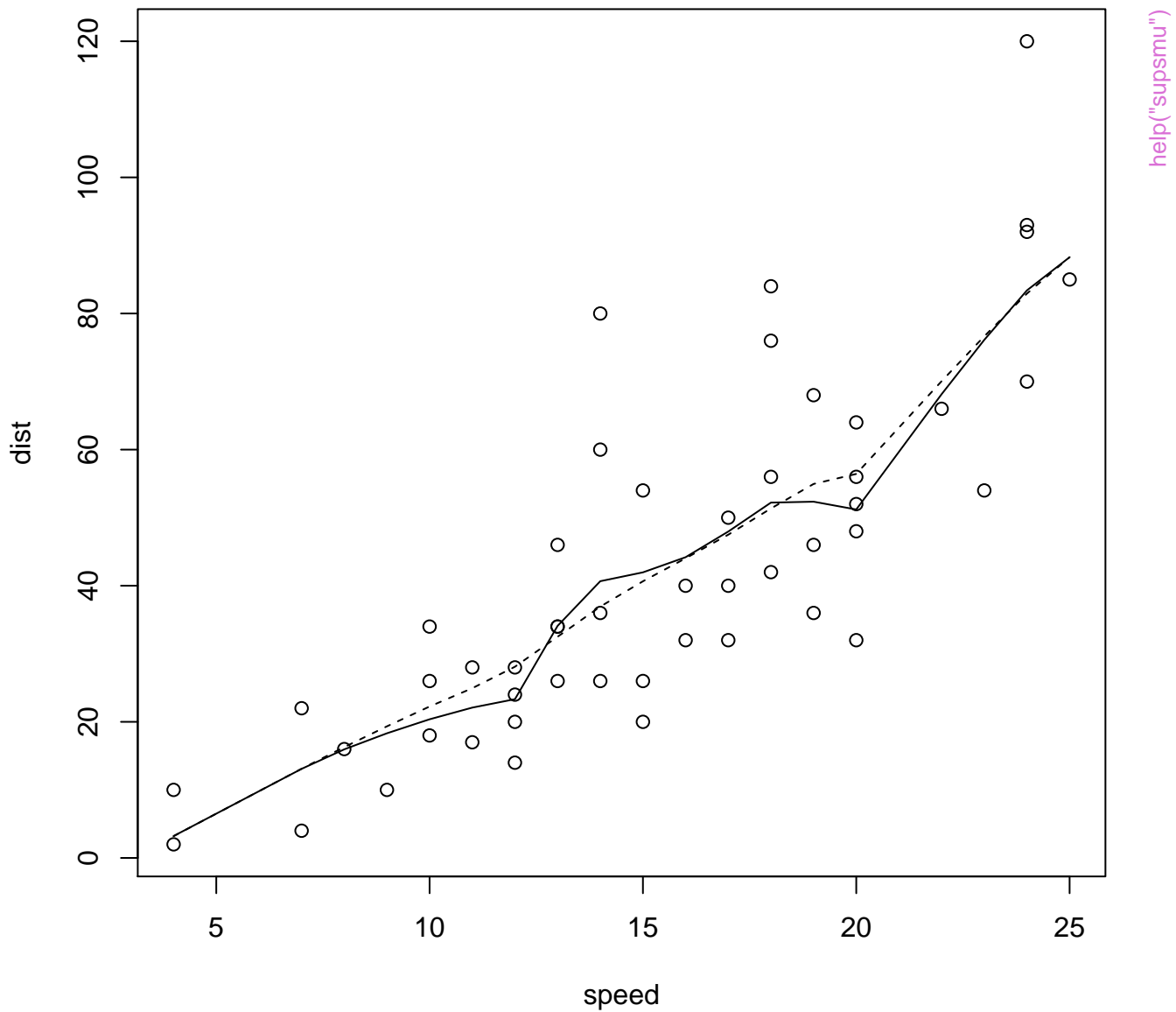


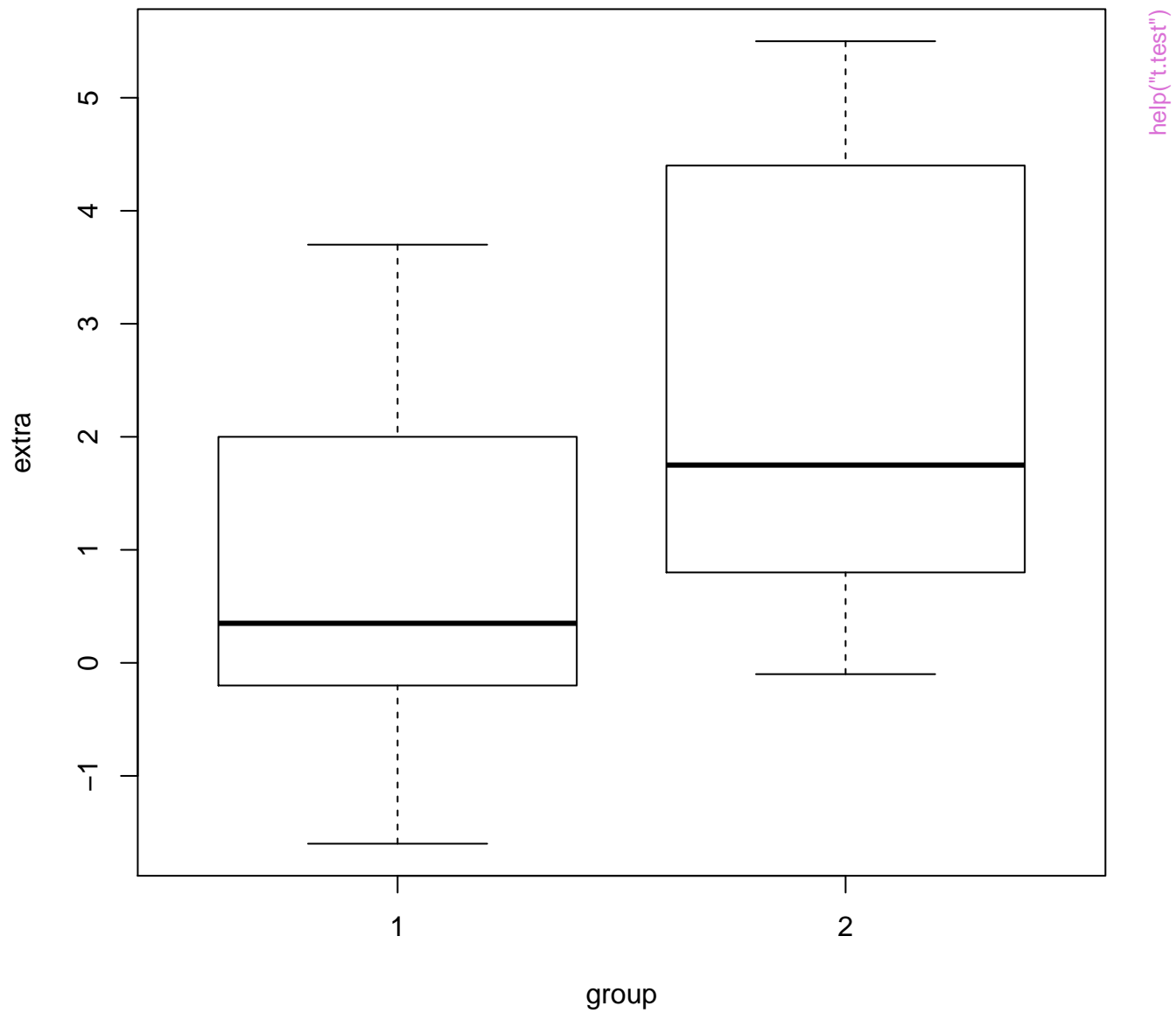
stl(mdeaths, s.w = "per", robust = FALSE / TRUE)



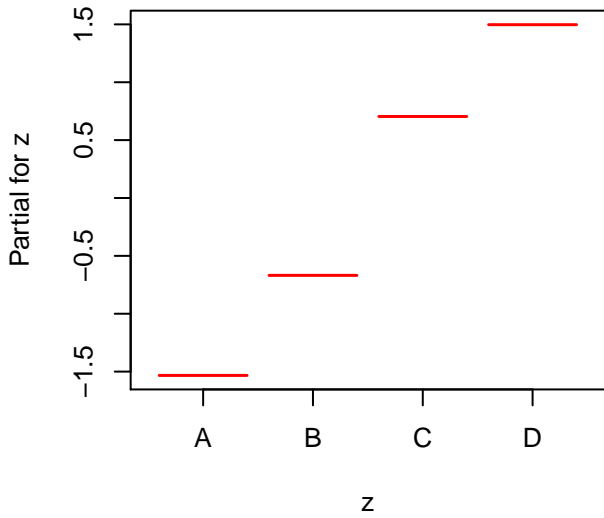
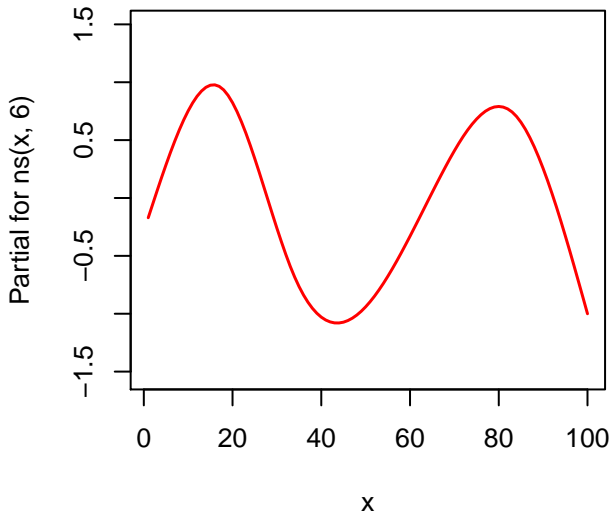
lm(weight ~ group)



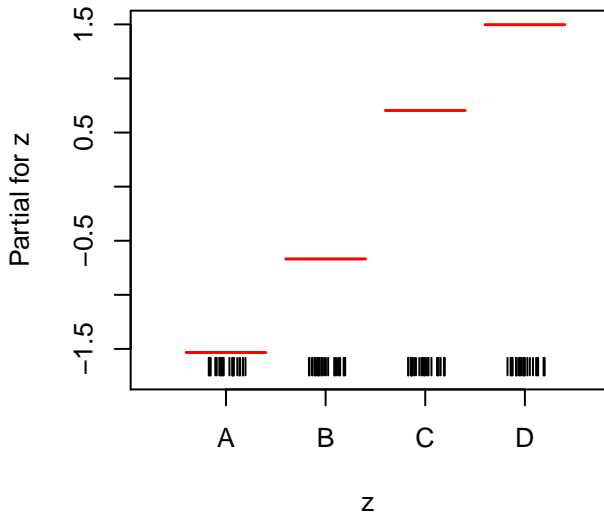
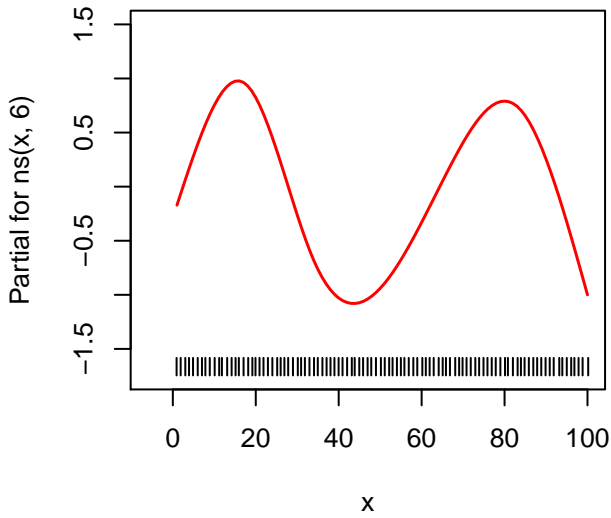




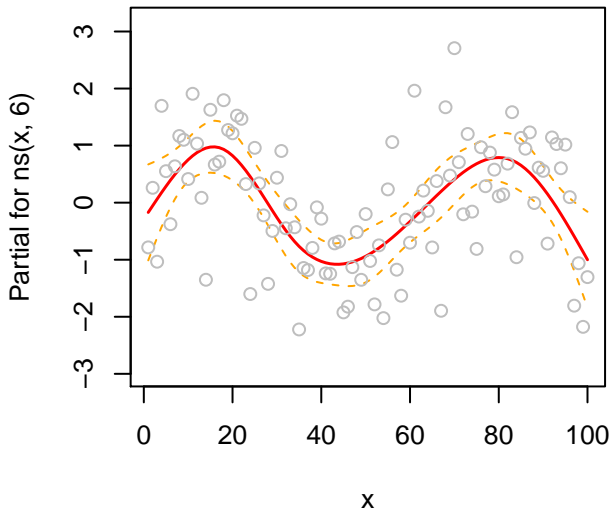
`termplot(glm(formula = y ~ ns(x, 6) + z) . termplot(glm(formula = y ~ ns(x, 6) + z) .`



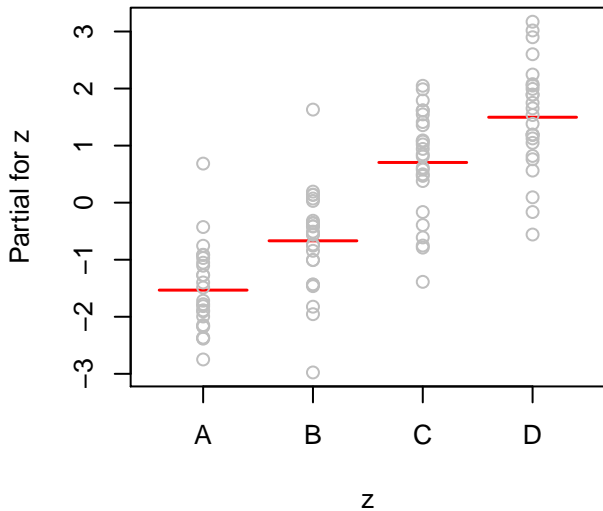
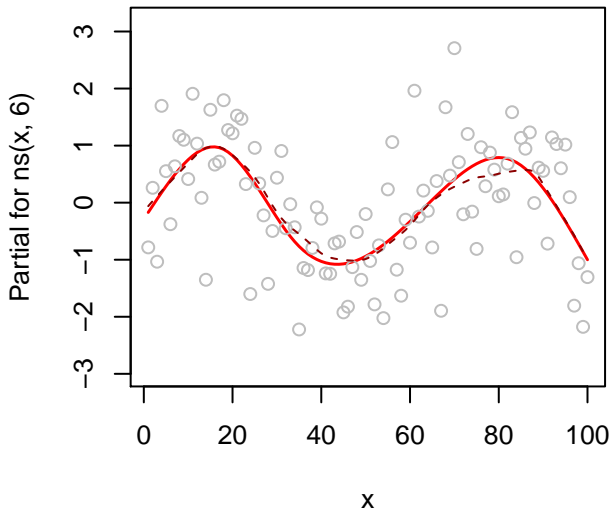
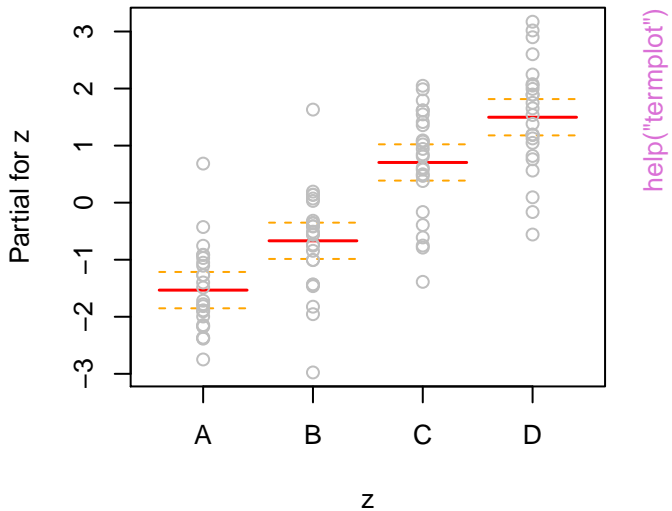
`help("termplot")`

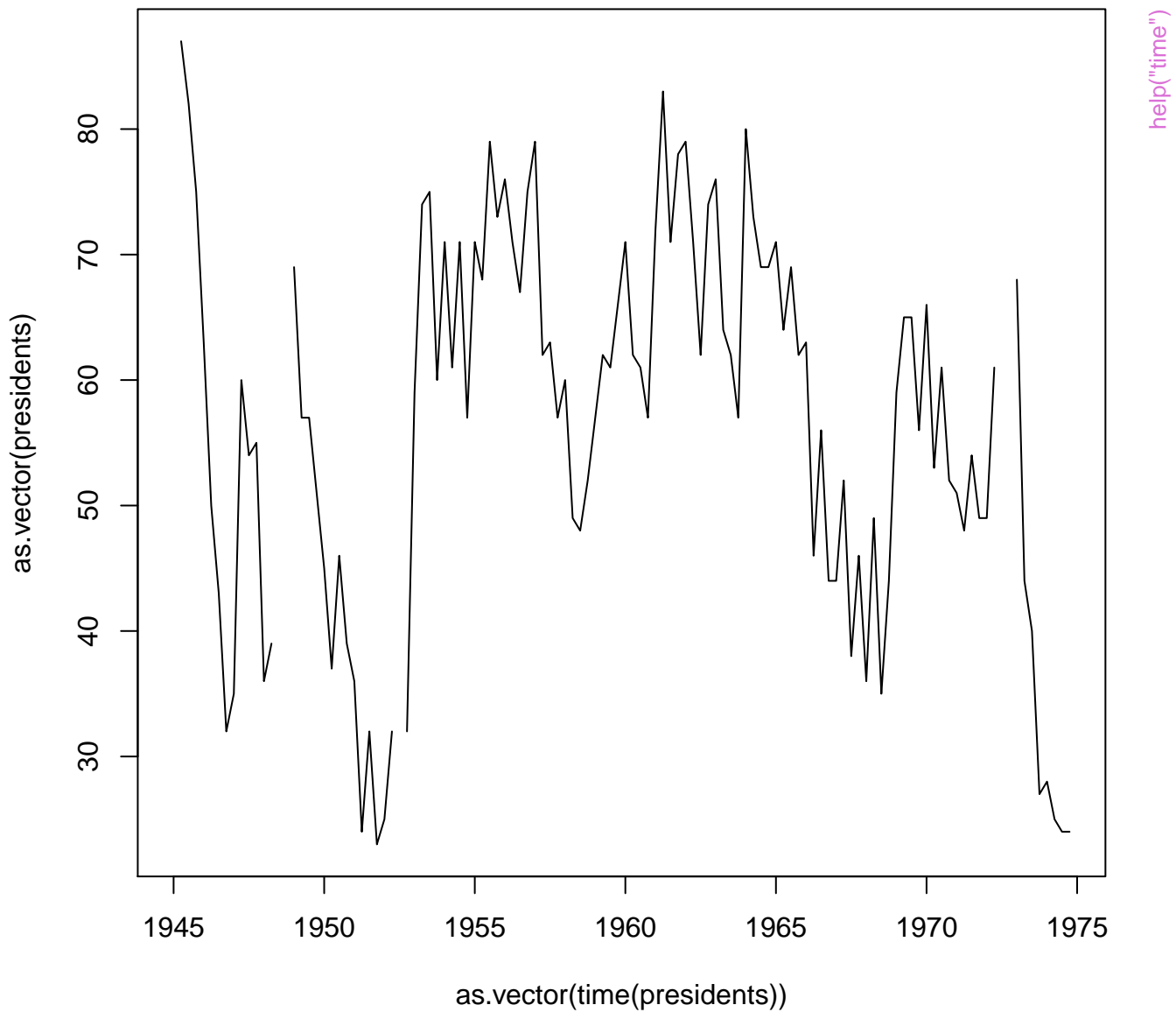


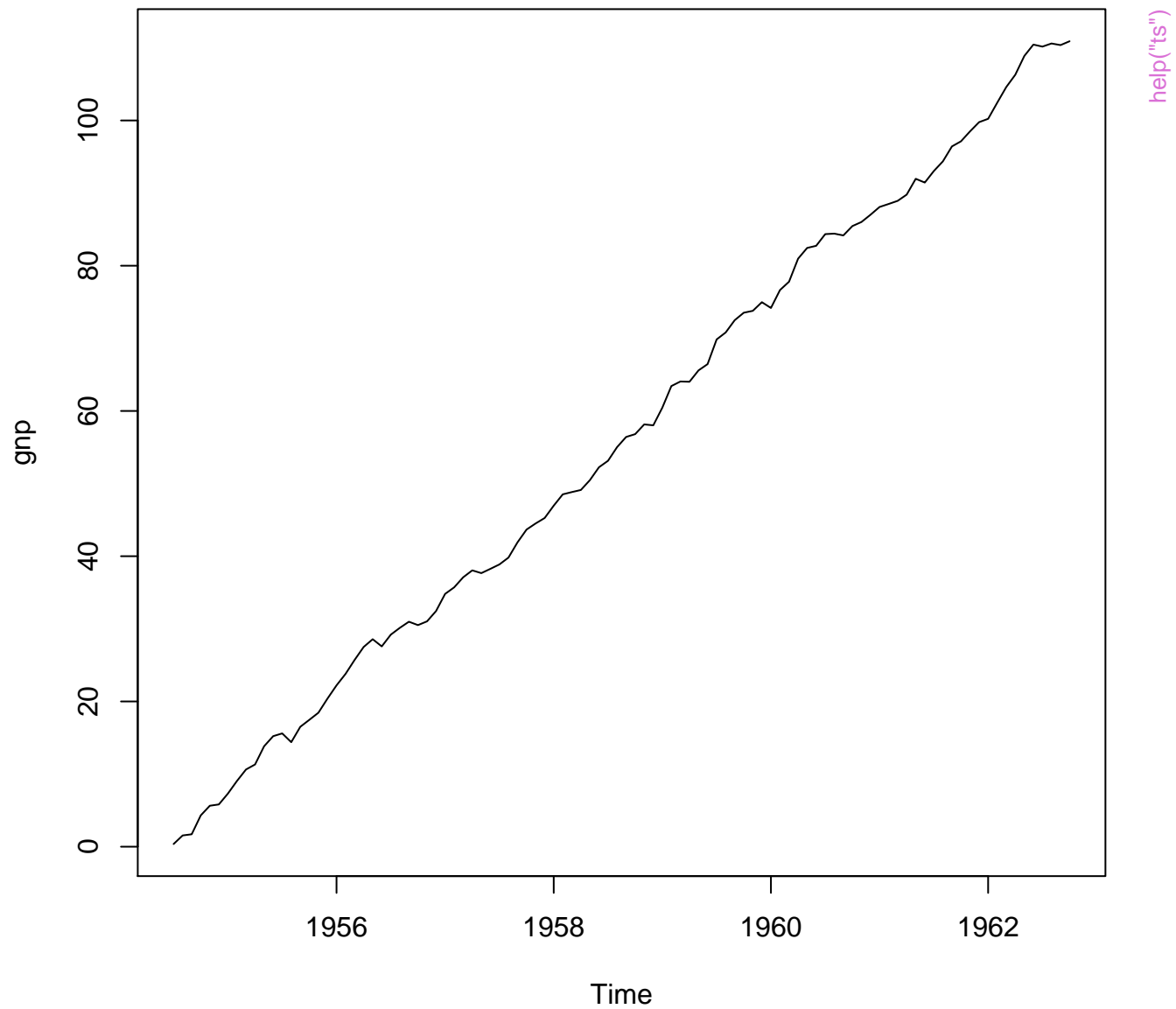
glm(formula = y ~ ns(x, 6) + z)



glm(formula = y ~ ns(x, 6) + z)







z

Series 1

2
1
0
-1
-2

Series 2

2
1
0
-1
-2
-3

Series 3

2
1
0
-1
-2

help("ts")

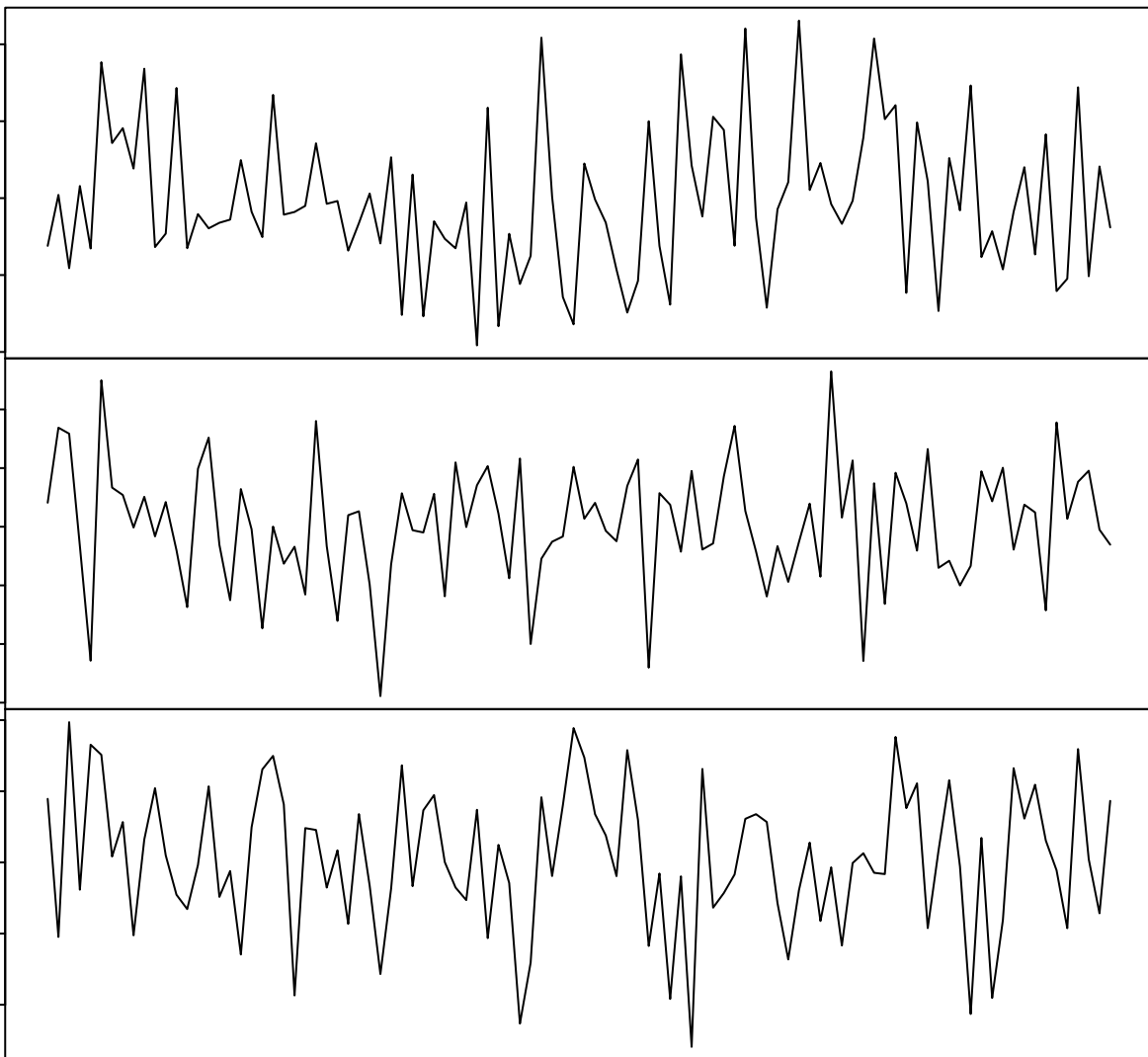
Time

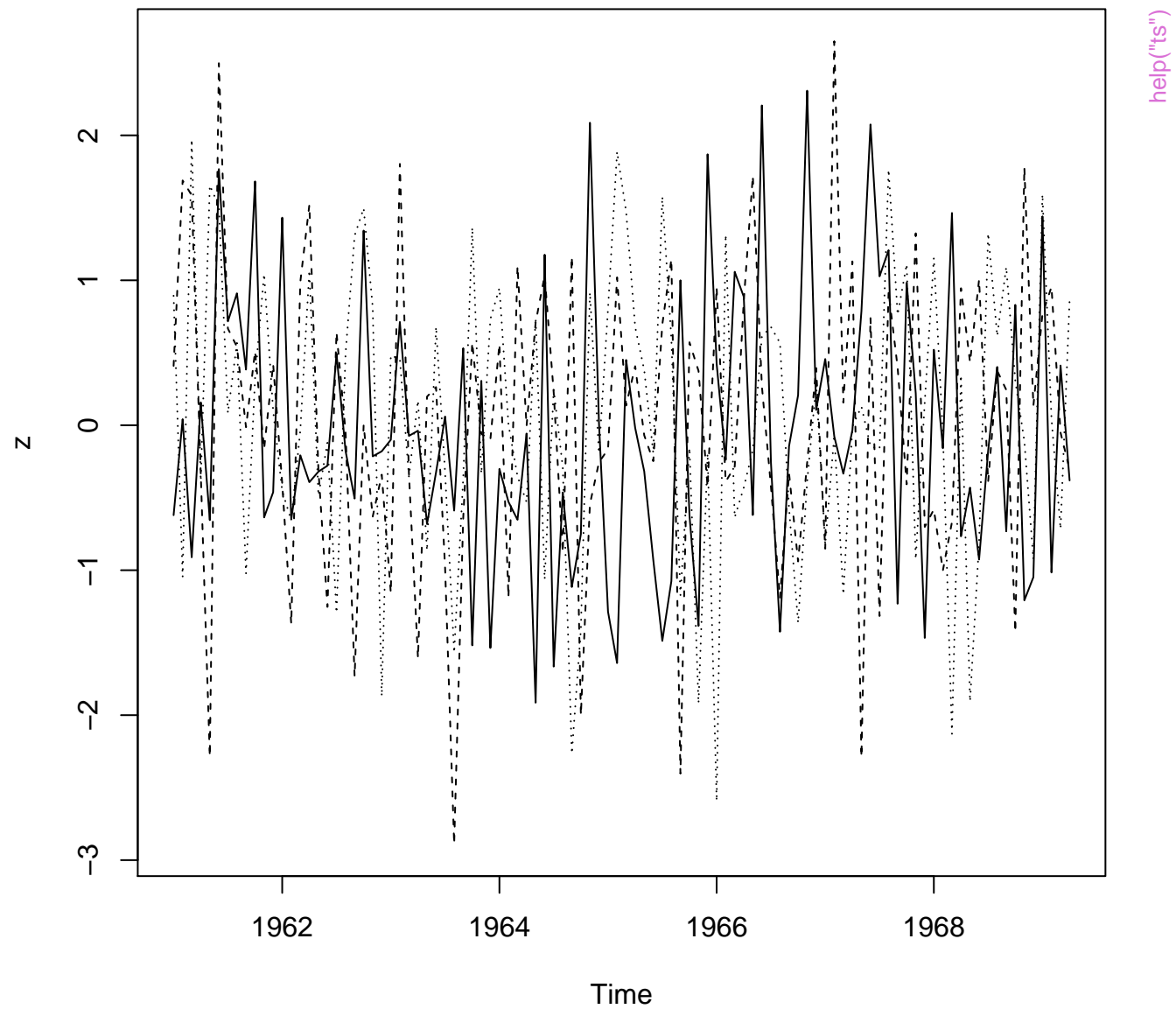
1962

1964

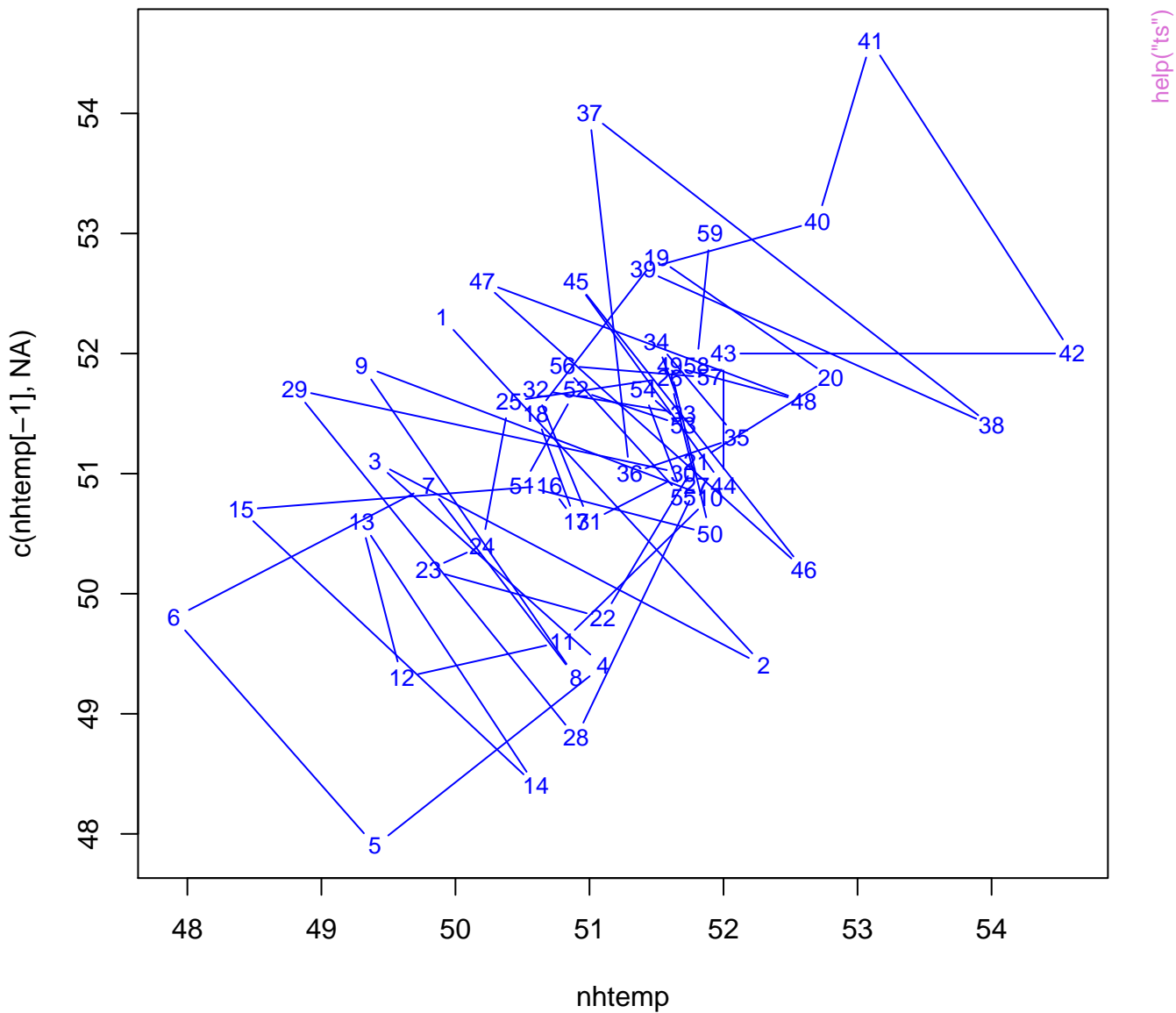
1966

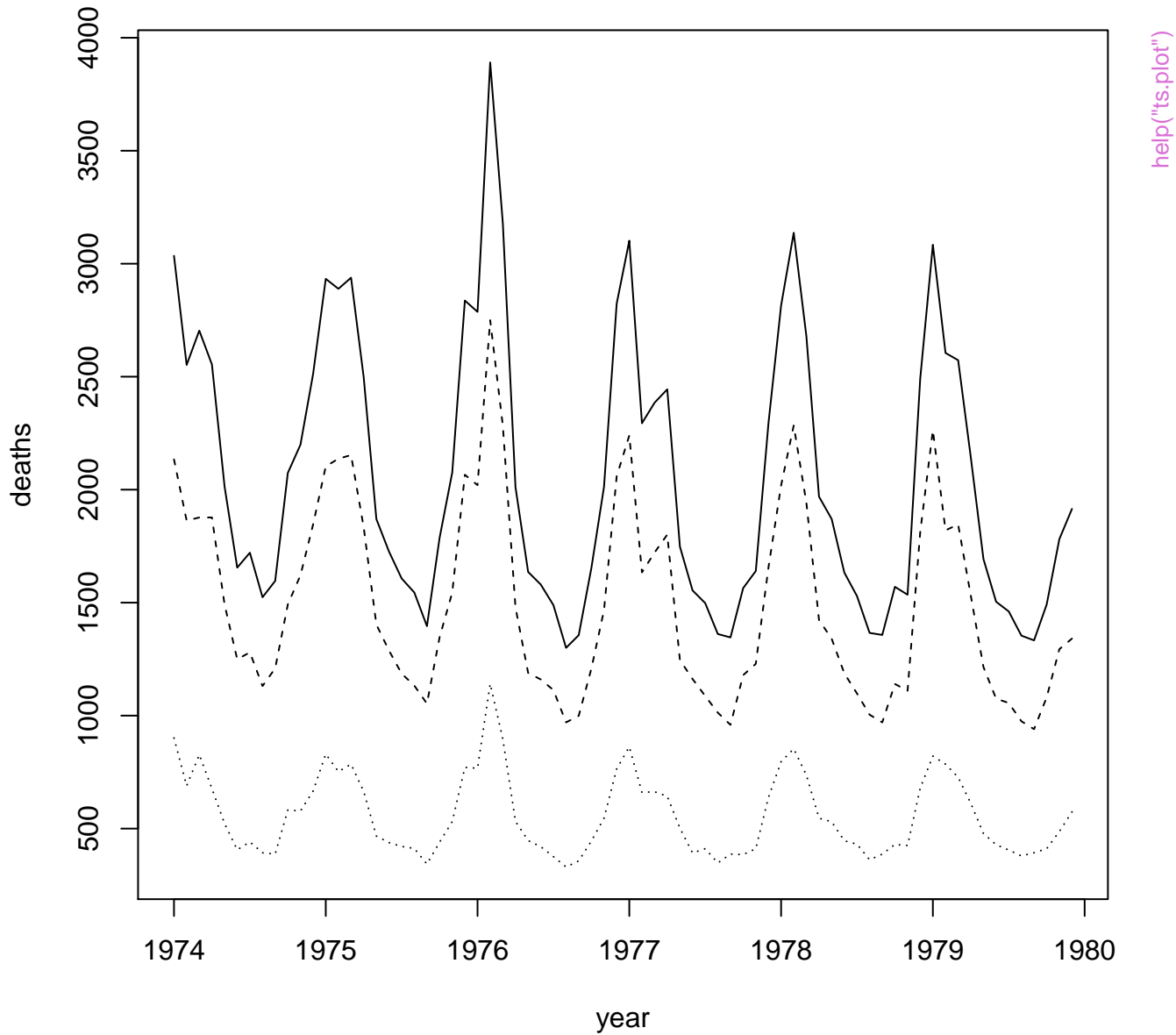
1968





Lag plot of New Haven temperatures





lm(weight ~ group)

