

Assignment - I

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Linear programming

Quantitative Management
modelling

1) Solution:

- No. of labours = 35
- No. of hours labour work = 40 hrs
- Total Amount of Nylon = 5000 sq. ft
- Total number of labour hours = $35 \times 40 = 1400$ hrs

Collegiate requires 3 sq ft and Mini requires

2 sq ft of Nylon i.e.

$$3C + 2M \leq 5000$$

Time taken for each collegiate = 45 min

$$= \frac{45}{60} = \frac{3}{4}$$

Time taken for each Minis

$$= 40 \text{ min}$$

Total time taken for both

$$= \frac{40}{60} = \frac{2}{3}$$

$$\text{i.e. } \frac{3}{4}C + \frac{2}{3}M \leq 1400$$

a) Decision Variables :-

$P(C, M)$: Total profit

C : No. of Collegiate

M : No. of Minis

b) objective function:-

maximize profit

$$P(C, M) = 32C + 24M$$

c) Constraints:

$$3C + 2M \leq 500$$

$$3C + 2M \leq 5000$$

$$\frac{3}{4}C + \frac{2}{3}M \leq 1400$$

Non-negativity

$$C \geq 0$$

$$M \geq 0$$

$$0 \leq C \leq 1000$$

$$0 \leq M \leq 1200$$

d) Full mathematical formulation:

Maximize Probit $P(C, M) = 32C + 24M$

Constraints on C

$$3C + 2M \leq 5000$$

$$\frac{3}{4}C + \frac{2}{3}M \leq 1400$$

$$0 \leq C \leq 1000$$

$$0 \leq M \leq 1200$$

Non-Negativity

$$P(C, M) \geq 0$$

$$C \geq 0$$

$$M \geq 0$$

2. Solution:-

a) Decision Variables:

Let U_{ij} be no. of units of size e

U : No. of units

i : No. of plants

j : The size of plants cst: small, medium, large

~~cost~~ P : (Maximized Profit)

(b) Constraints: + ($15U_L + 15U_M + 12U_S \leq 900$) ~~constraint with 2nd~~

For plant 1 capacity

$$U_{1L} + U_{1M} + U_{1S} \leq 750$$

For plant 2 capacity

$$U_{2L} + U_{2M} + U_{2S} \leq 900$$

For plant 3 capacity

$$U_{3L} + U_{3M} + U_{3S} \leq 650$$

Storage limits

$$20U_{1L} + 15U_{1M} + 12U_{1S} \leq 13000$$

$$20U_{2L} + 15U_{2M} + 12U_{2S} \leq 12000$$

$$20U_{3L} + 15U_{3M} + 15U_{3S} \leq 5000$$

Sales forecast:

$$U_{1L} + U_{1M} + U_{1S} \leq 900$$

$$U_{2L} + U_{2M} + U_{2S} \leq 1200$$

$$U_{3L} + U_{3M} + U_{3S} \leq 750$$

Percentage for avoiding layoff

$$= \frac{U_{1L} + U_{1M} + U_{1S}}{750} \times 100$$

$$= \frac{U_{2L} + U_{2M} + U_{2S}}{900} \times 100$$

$$\text{Profit} = \frac{U_{3L} + U_{3M} + U_{3S}}{100} \times 100$$

Objective function:

L50

$$P = 420 (U_{1L} + U_{2L} + U_{3L}) + 360 (U_{1M} + U_{2M} + U_{3M}) \\ + 300 (U_{1S} + U_{2S} + U_{3S})$$

Constraints:-

Non-negativity

$$U_{1L} \geq 0$$

$$P \geq 0$$

$$000E1 \geq 2.05L + 0.75M + 1.00S$$

$$000E1 \geq 2.50S + 0.50L + 1.00S$$

$$000E2 \geq 2.00L + 0.50M + 0.50S$$

$$00P \geq 2.00L + 0.50M + 0.50S$$

$$00S1 \geq 2.50L + 0.50M + 0.50S$$

$$00F \geq 2.00L + 0.50M + 0.50S$$

To get previous and upcoming

$$00F \geq 2.00L + 0.50M + 0.50S$$

$$00F$$

$$00M \geq 2.00L + 0.50M + 0.50S$$

$$00P$$