

Plan your Open Spaces



Reply is made up of a network of highly specialised companies. And each one is full of expert engineers and computer scientists with an incredible variety of skills.

Teamwork and collaboration in our offices are key to our success, as they allow us to share knowledge, expertise and experience in a way that achieves the best results for our clients around the world.

In fact, when we are working on a project, it is essential to have the right people with the right skills close by. So in Reply, we like to move Replyers around our spaces regularly.

We need your help to allocate Replyers to the correct empty seats in the Reply office in the most efficient way. A way that will improve the chances of project success.



1 PROBLEM STATEMENT

The aim of this problem is to assign Replyers, either Developers or Project Managers (PM), to empty seats in the Reply office in the most efficient way. Thus, a map of the office will be provided with a list of Developers \mathcal{D} and a list of Project Managers \mathcal{M} .

A Developer \mathcal{D}_i is defined as a triplet containing:

- a company C_i to which he or she belongs.
- a bonus \mathcal{B}_i given for each Developer or Project Manager from the same company next to them.
- a set of skills S_i .

A Project Manager \mathcal{M}_j is defined as a tuple containing:

- a company C_i to which they belong.
- a bonus \mathcal{B}_j given for each Developer or Project Manager from the same company next to them.

While working, it's always good to have skilled colleagues nearby. So people with some common skills to complete the tasks, but also specific skills that they can share with, or learn from, other colleagues. Your task is to find the best place in the office for each Replyer, so that the work potential is maximized. You can decide not to assign a Developer or Project Manager, but this means missing the potential they would provide.

2 SCORING

When two Developers \mathcal{D}_i and \mathcal{D}_j sit together in adjacent tiles, they have a work potential WP equal to the product of the following two factors:

- the number of common skills shared by both Developers (i.e. the shared skill sets of both Developers): $|S_i \cap S_j|$
- the number of distinct skills of the two Developers (i.e. the joined skill sets of both Developers minus the set of common skills): $|S_i \cup S_j| |S_i \cap S_j|$



Therefore, given two adjacent Developers, their work potential $WP(\mathcal{D}_i, \mathcal{D}_j)$ is

$$WP(\mathcal{D}_i, \mathcal{D}_i) = |\mathcal{S}_i \cap \mathcal{S}_i| \cdot (|\mathcal{S}_i \cup \mathcal{S}_i| - |\mathcal{S}_i \cap \mathcal{S}_i|) \tag{1}$$

Note: this means that if both Developers have only common skills or have no skill in common, their work potential will be 0.

In addition to the work potential, each pair of adjacent Developers \mathcal{D}_i and \mathcal{D}_i gets a **bonus potential** BP if they belong to the same company:

$$BP(\mathcal{D}_i, \mathcal{D}_j) = \begin{cases} \mathcal{B}_i \cdot \mathcal{B}_j & \mathcal{C}_i = \mathcal{C}_j \\ 0 & \mathcal{C}_i \neq \mathcal{C}_j \end{cases}$$
 (2)

The Project Managers behave like any other Developer with one caveat: Project Managers only have bonus potential (BP), so for them the work potential (WP) is not taken into account. The **total potential** (TP) given by a pair of adjacent Replyers, whether they are Developers or Project Managers, $P(\mathcal{R}_i, \mathcal{R}_j)$ (where \mathcal{R} represents either \mathcal{D} or \mathcal{M}) is the addition of their work potential and their bonus potential:

$$TP(\mathcal{R}_i, \mathcal{R}_j) = WP(\mathcal{R}_i, \mathcal{R}_j) + BP(\mathcal{R}_i, \mathcal{R}_j)$$
 (3)

The overall grading of a given distribution of workers is the sum of the total potential of each pair of adjacent workers.

You will need to consider three things:

- The total potential contributed by a pair of adjacent employees is counted on the edge between their desks, not on their desks. This means that given the pair of adjacent employees, their contribution to the overall grading is counted only once (as there is only one common edge between their tiles).
- Given an employee in position (X,Y), the adjacent employees are only those placed directly above (position (X,Y-1)), below (position (X,Y+1)), on the left (position (X-1,Y)) or on the right (position (X+1,Y)). In particular, any other employee placed on the diagonal (positions $(X\pm 1,Y\pm 1)$) is NOT considered to be adjacent to the given worker.
- In the office there are three kinds of tiles:
 - Project Manager desks cells, represented with the character 'M'.



- Developer desks cells, represented with the character '.'.
- Unavailable cells (walls, corridors,...), represented with the character '#'.

Project Managers and Developers can **only** be placed on the desks matching their role (i.e. Developers on Developer desks and Project Managers on Project Managers Desks). On the unavailable cells no Replayer can be placed.

3 CONSTRAINTS

The number of Developers, Project Managers and skills and the size of the map are constrained in the following way:

- Number of Developers: $10 \le |\mathcal{D}| \le 100000$
- Number of Project Managers: $2 \le |\mathcal{M}| \le 20000$
- Number of skills (assigned to a Developer): $1 \le |\mathcal{S}_i| \le 100$
- Width of the office floor: $10 \le W \le 1000$
- Height of the office floor: $10 \le H \le 1000$

4 INPUT FORMAT

Input data will be provided in a text file in plain ASCII format.

On the first line you will find two integers, W and H, separated by a space character. They represent the width and the height of the office floor respectively.

Then comes a section representing the office floor itself. It consists of H lines containing a string of length W.

These strings are composed by a succession of any of the characters described in the following table:

Character	Description
#	Unavailable cell
_	Developer desk cell
M	Project Manager desk cell



After the floor section you will find a line containing an integer representing the number of Developers, $|\mathcal{D}|$, followed by that many lines containing text strings describing the Developers themselves.

Each Developer \mathcal{D}_i is described with the following information separated by space characters:

- A string indicating the Reply company C_i the Developer works for.
- An integer indicating the bonus potential \mathcal{B}_i this Developer contributes.
- An integer indicating the number of skills (the cardinality of the skill set) $|S_i|$ of that Developer.
- $|S_i|$ text strings describing each skill of the Developer.

Finally you will find a line with an integer representing the number of Project Managers, $|\mathcal{M}|$, followed by that many lines containing text strings describing the Project Managers themselves.

The Project Managers, like the Developers, are described by text strings containing information separated by space characters. In the case of the managers, these lines contain the following information:

- A string indicating the Reply company C_i the Project Manager works for.
- An integer indicating the bonus potential \mathcal{B}_i this Project Manager contributes.

Input example

```
######
#_##_
#MM__

10
opn 7 2 java bpm
clstr 5 2 python azure
opn 8 2 python java
com_vl 4 3 java cybersecurity big_data
mac 1 2 nlp big_data
clstr 3 2 azure c#
com_vl 6 2 cybersecurity python
opn 2 3 bpm python project_management
```



```
ble 5 4 java c sql junit
clstr 1 4 python c java bpm
3
opn 2
ble 1
mac 5
```

5 OUTPUT FORMAT

The output data will have to be saved into a file in plain ASCII format.

The output file consists of $|\mathcal{D}| + |\mathcal{M}|$ lines with a text string each. The first $|\mathcal{D}|$ lines represent the Developers and the last $|\mathcal{M}|$ lines represent the Project Managers.

Each line consists of either the letter X if that Developer or Project Manager is not placed or two integers separated by a space character:

- the horizontal coordinate of the desk from the left.
- the vertical coordinate of the desk from the top.

In both cases, the coordinate is zero-based. This means that the top left corner of the map has coordinates (0,0). The order of the Developers and Project Managers in the output file is assumed to be the same as that of the input file.

Output example

```
1 1
4 1
X
X
3 2
4 2
X
X
X
X
X 2
```

2 2



6 Scoring and visualization

Let's consider the specific example of an input and an output presented above for a demonstration of the scoring.

If we index the chosen Replyers in the following way (in the parenthesis is their position if they have been assigned a place):

- 1. $\mathcal{D}_0(1,1) \to \text{opn } 7 \text{ 2 java bpm}$
- 2. $\mathcal{D}_1(4,1) \to \text{clstr 5 2 python azure}$
- 3. $\mathcal{D}_2(3,2) \to \text{mac } 1 \text{ 2 nlp big} \text{ data}$
- 4. $\mathcal{D}_3(4,2) \rightarrow \text{clstr } 3 \text{ 2 azure c} \#$
- 5. $\mathcal{M}_0(1,2) \to \text{opn } 2$
- 6. $\mathcal{M}_1(2,2) \to \text{mac } 5$

With the provided office map and Replayer distribution, all the pairs of adjacent workers we get and their respective total scores are:

- $\mathcal{D}_0(1,1)$ and $\mathcal{M}_0(1,2)$
 - $-TP(\mathcal{D}_0, \mathcal{M}_0) = 0 + 14 = 14$:
 - * $WP(\mathcal{D}_0, \mathcal{M}_0) = 0$ (Managers have no Work Potential)
 - * $BP(\mathcal{D}_0, \mathcal{M}_0) = 7 \cdot 2 = 14$ (Both belong to the same company)
- $\mathcal{M}_0(1,2)$ and $\mathcal{M}_1(2,2)$
 - $TP(\mathcal{M}_0, \mathcal{M}_1) = 0 + 0 = 0$:
 - * $WP(\mathcal{M}_0, \mathcal{M}_1) = 0$ (Managers have no Work Potential)
 - * $BP(\mathcal{M}_0, \mathcal{M}_1) = 0$ (They belong to different companies)
- $\mathcal{M}_1(2,2)$ and $\mathcal{D}_2(3,2)$
 - $-TP(\mathcal{M}_1, \mathcal{D}_2) = 0 + 5 = 5$:
 - * $WP(\mathcal{M}_1, \mathcal{D}_2) = 0$ (Managers have no Work Potential)
 - * $BP(\mathcal{M}_1, \mathcal{D}_2) = 5 \cdot 1 = 5$ (Both belong to the same company)
- $\mathcal{D}_2(3,2)$ and $\mathcal{D}_3(4,2)$
 - $-TP(\mathcal{D}_2, \mathcal{D}_3) = 0 + 0 = 0$:
 - * $WP(\mathcal{D}_2, \mathcal{D}_3) = 0 \cdot 4 = 0$ (0 common skills, 4 different skills)



- * $BP(\mathcal{D}_2, \mathcal{D}_3) = 0$ (They belong to different companies)
- $\mathcal{D}_3(4,2)$ and $\mathcal{D}_1(4,1)$

$$-TP(\mathcal{D}_3,\mathcal{D}_1) = 2 + 15 = 17$$
:

- * $WP\left(\mathcal{D}_{3}, \mathcal{D}_{1}\right) = 1 \cdot 2 = 2$ (1 common skill, 2 different skills)
- * $BP\left(\mathcal{D}_{3}, \mathcal{D}_{1}\right) = 3 \cdot 5 = 15$ (Both belong to the same company)

The potential given by all the adjacent pairs is:

$$TP = 14 + 0 + 5 + 0 + 17 = 36 \tag{4}$$

Please note that the bonus given by an adjacent pair is counted only once (on the edge between the Replyers) NOT twice (on each of the seats the Replyers are placed on).

On the Code Challenge platform you can find a visualizer for each submitted solution. The visualization provides a heat map of the points given by each pair of adjacent Developers and/or Project Managers.

In the image below you can see the visualization of the example's output provided in the previous section.

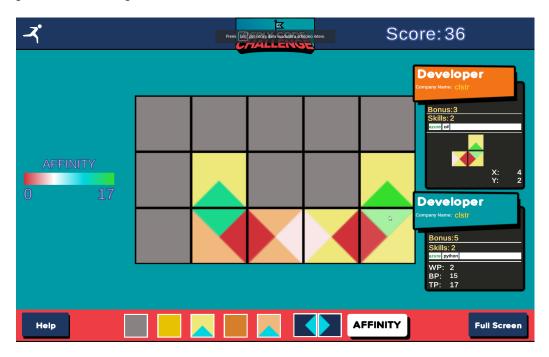


Figure 1: Example of the heat map the visualizer produces for a given answer. In this case, the example output is used.