BAB I PENGANTAR ke SISTEM KOMUNIKASI 1

1.1 Sistem Komunikasi

- Komunikasi : Penyampaian informasi atau penyaluran informasi dari satu tempat ke tempat yang lain
- Sistem : Sekumpulan elemen yang dikelompokkan dalam suatu kesatuan yang bekerja sama untuk mencapai satu tujuan tertentu
- Sistem komunikasi : Suatu sistem yang bertujuan untuk menyampaikan atau menyalurkan informasi dari satu tempat ke tempat lain

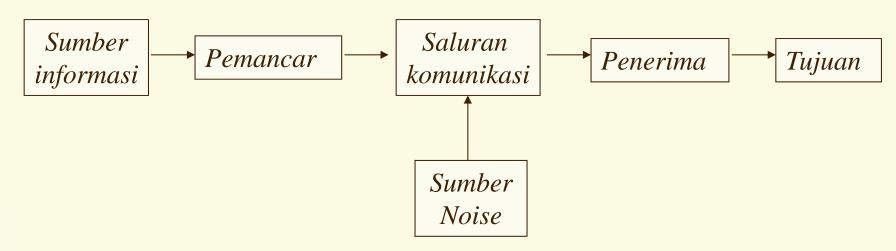
1.1.1 Macam-macam informasi

- Suara, tulisan, gambar, data dan lain sebagainya

1.1.2 Elemen dasar sistem komunikasi

- Pemancar : Menghubungkan sinyal informasi dengan saluran komunikasi (media transmisi)
- Saluran komunikasi : Menghubungkan pemancar dengan penerima
- Penerima : Menerima informasi yang dikirim melalui saluran komunikasi

1.1.3 Blok diagram sistem komunikasi



- Sumber informasi : diklarifikasikan dalam dua katagori yaitu analog (continous value) dan diskrit
- Pemancar : digunakan untuk mengubah pesan menjadi sinyal yang cocok untuk saluran komunikasi, jika pesan yang berasal dari sumber informasi tidak bersifat listrik, maka tidak bisa langsung dikirimkan
- Saluran komunikasi dan noise : saluran komunikasi ini dapat berupa udara, kabel, serat optik, wave guide dan sebagainya. Sedangkan noise merupakan gangguan dengan klasifikasi sebagai berikut :

 Internal noise dan External noise
- Penerima: menerima dan mendapatkan kembali sinyal termodulasi yang dipancarkan oleh pemancar setelah mengalami degradasi selama merambat dalam saluran komunikasi.

1.2 Pengantar modulasi dan macam-macamnya

1.2.1 Modulasi

- Suatu proses untuk merubah parameter gelombang pembawa (carrier) sebagai fungsi dari sinyal informasi
- Parameter gelombang pembawa:
 - Amplitudo: modulasi amplitudo (AM)
 - Frekuensi : modulasi frekuensi (FM)
 - Phase: modulasi phase (PM)
- Teknik modulasi : modulasi gelombang kontinyu dan modulasi pulsa
- Kegunaan modulasi : memudahkan radiasi, multiplexing, mengatasi keterbatasan peralatan, pembagian frekuensi dan mengurangi noise dan interferensi

1.2.2 Macam-macam sistem modulasi

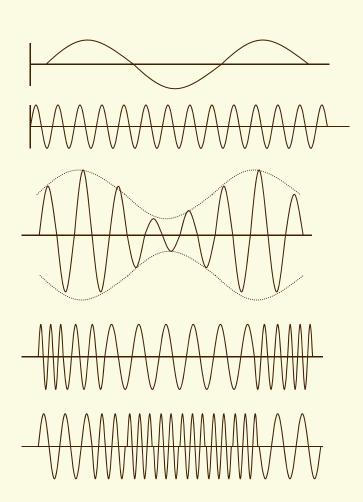
- Modulasi analog

Sinyal pemodulasi

Sinyal termodulasi

1. Modulasi amplitudo

- 2. Modulasi frekuensi
- 3. Modulasi phase



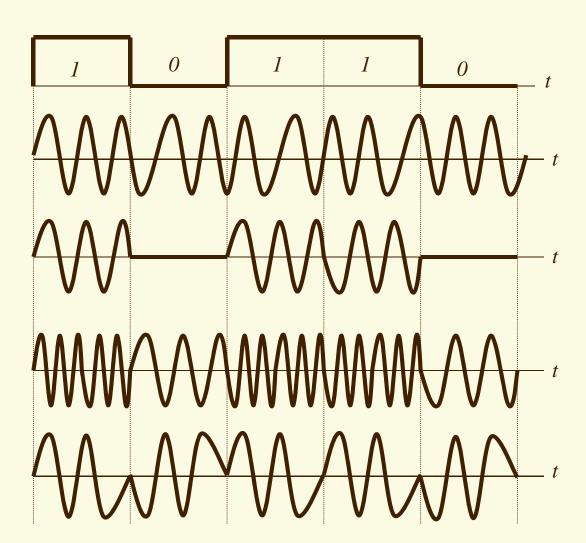
- Modulasi digital

Sinyal pemodulasi

Sinyal termodulasi

1. Amplitudo shift keying

- 2. Frekuensi shift keying
- 3. Phase shift keying



BAB II SISTEM MODULASI ANALOG

2.1 Pengertian modulasi analog

2.1.1 Gelombang pembawa (carrier) merupakan gelombang analog (kontinyu)

2.1.2 Parameter gelombang pembawa berupa:

- Amplitudo : modulasi amplitudo (AM)

- Frekuensi : modulasi frekuensi (FM)

- Phase : modulasi phase (PM)

2.2 Modulasi amplitudo

2.2.1 Sistem DSB-FC (Double Side Band Full Carrier)

- Banyak digunakan dalam sistem siaran AM (amplitudo modulation)
- Menempati daerah frekuensi medium ataupun gelombang pendek (SW)
- Mempunyai persamaan gelombang sebagai berikut :
 - a. Persamaan gelombang DSB-FC (AM)

$$e(t) = A(t) \cos \omega_c t \qquad \dots (2.1)$$

dimana,

A(t) = amplitudo yang berubah-ubah sebagai fungsi waktu

 $\omega_c = 2\pi f_c = frekuensi sudut$

 f_c = frekuensi gelombang pembawa (carrier frequency)

b. Persamaan gelombang pembawa

$$e_c(t) = E_c cos \ \omega_c t \ E_c = amplitudo$$

atau,

$$\omega_c = 2\pi f_c$$

$$e_c(t) = E_c \sin \omega_c t$$

c. Persamaan gelombang pemodulasi (informasi)

$$e_s(t) = E_s \cos \omega_s t$$

 $E_s = amplitudo$

$$\omega_s = 2\pi f_s = frekuensi sudut$$

d. Setelah mengalami proses modulasi amplitudo

$$A(t) = E_c + e_s(t)$$

= $E_c + E_s \cos \omega_s t$

bila, index modulasi (m) = E_s/E_c ______ syarat : $0 < m \le 1$ maka,

$$A(t) = E_c + mE_c \cos \omega_s t$$
$$= E_c (1 + m \cos \omega_s t)$$

e. Persamaan gelombang bermodulasi amplitudo

$$\begin{aligned} e_{AM} &= A(t) \cdot \cos \omega_c t \\ &= E_c (1 + m \cos \omega_s t) \cos \omega_c t \\ &= E_c \cos \omega_c t + m E_c \cos \omega_s t \cos \omega_c t \\ &= E_c \cos \omega_c t + \underline{m E_c} (\omega_c + \omega_s) t + \underline{m E_c} (\omega_c - \omega_s) t \\ &= 2 \end{aligned}$$

Persamaan diatas mempunyai tiga komponen, yaitu

1.
$$E_c \cos \omega_c t$$

: Gelombang pembawa

2.
$$\underline{m} \, \underline{E}_{\underline{c}} \, (\omega_c + \omega_s) t$$

: Upper sideband

3.
$$\underline{m} \, \underline{E}_{\underline{c}} \, (\omega_c - \omega_s) t$$

: Lower sideband

2

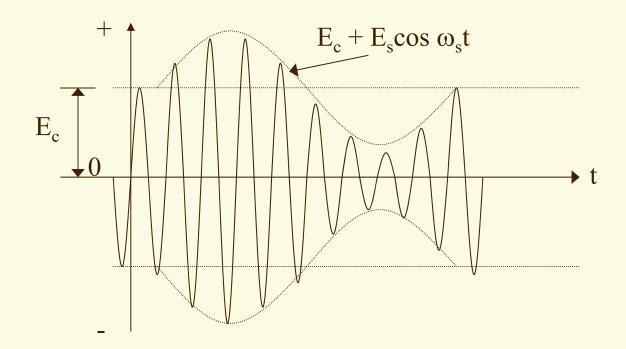
f. Bentuk gelombang DSB-FC

* Terdiri dari : - gelombang pembawa (carrier)

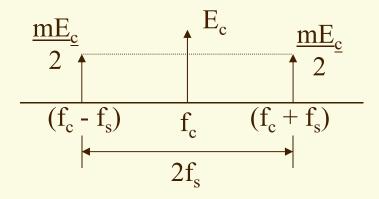
- gelombang USB

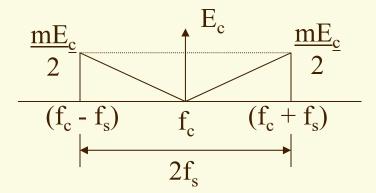
- gelombang LSB

* Bentuk:



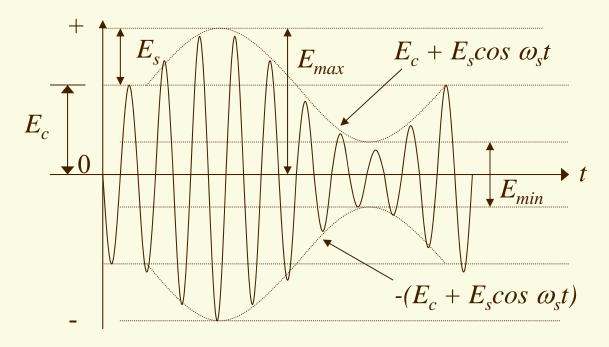
g. Spektrum frekuensi





 $Bandwidth: B = 2 x f_s$

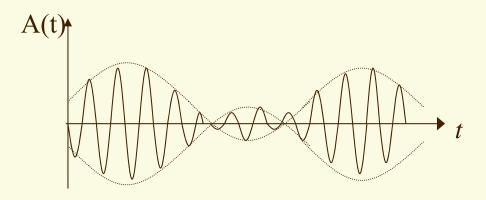
h. Index Modulasi



$$m = \frac{E_s}{E_c}$$
 $E_s = \frac{E_{max} - E_{min}}{2}$
 $m = \frac{E_{max} - E_{min}}{E_{max} + E_{min}}$
 $E_c = \frac{E_{max} + E_{min}}{2}$

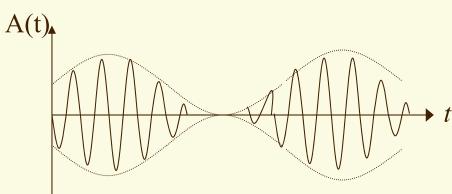


(Over modulasi)

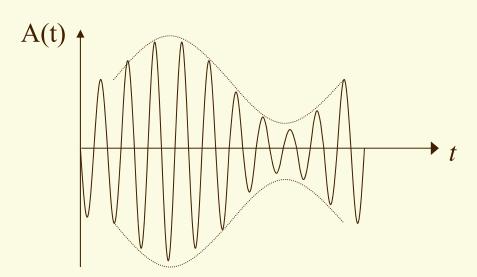


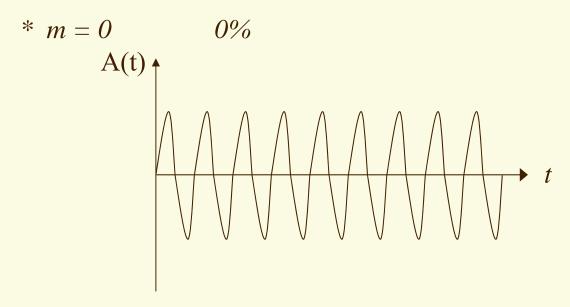


100%



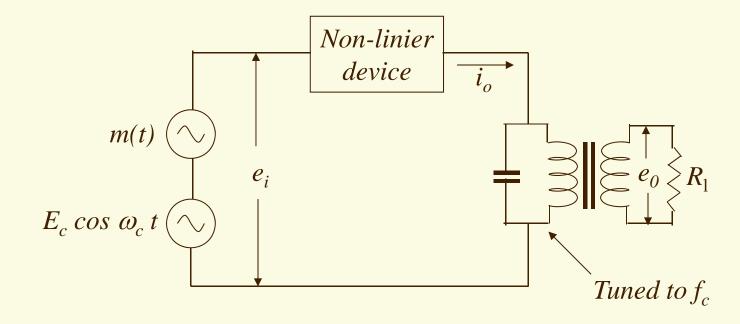




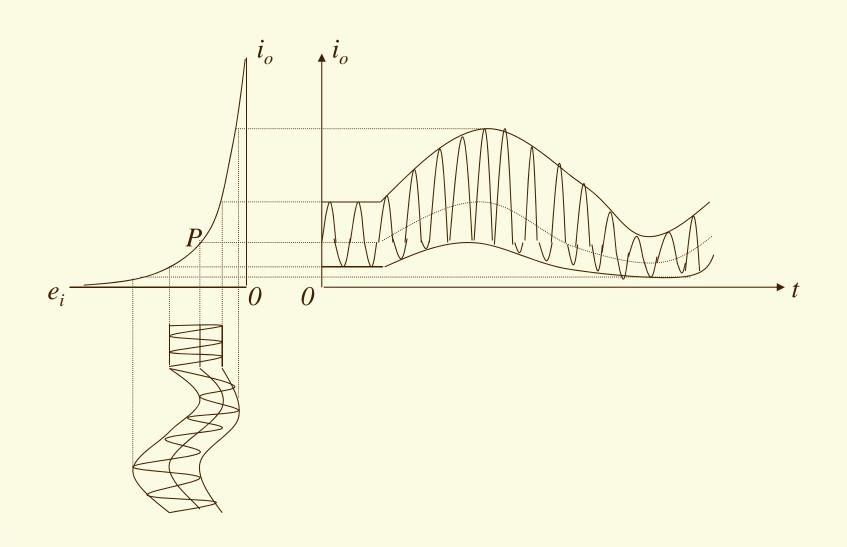


i. Teknik pembangkitan DSB-FC (AM)

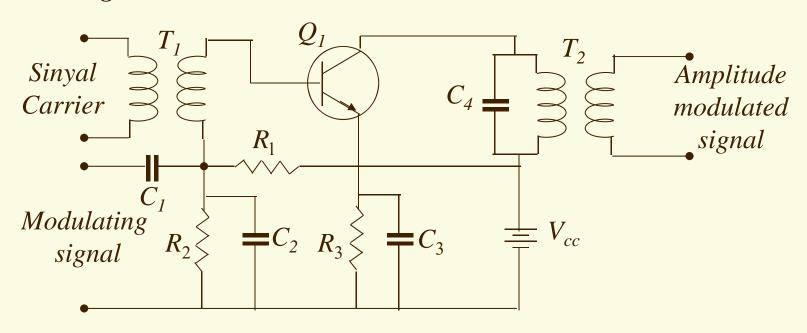
* Modulator non-linier



- Karakteristik non-linier device



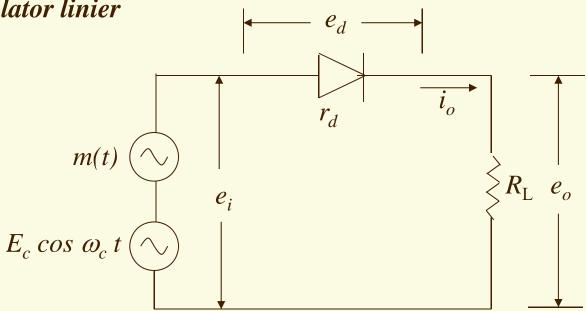
- Rangkaian modulator non-linier



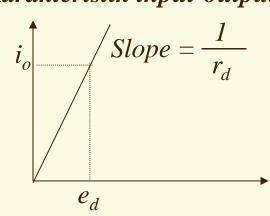
- Bentuk gelombang output

Sinyal input $f_c = 200 \text{ kHz}, 240 \text{ mV}_{p-p}$ $f_s = 3,125 \text{ kHz}, 90 \text{ mV}_{p-p}$ Sinyal output T_2 1,1 V_{p-p} \\display\limits\

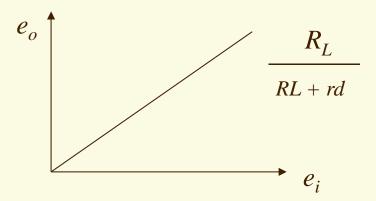
* Modulator linier



Karakteristik input-output diode



Karakteristik input-output modulator



- Analisa modulator linier adalah sebagai berikut :

Dimisalkan persamaan sinyal carrier dan sinyal pemodulasi seperti dibawah ini:

$$e_c(t) = a \cos \omega_c t$$

 $e_s(t) = m(t)$

dimana $a > E_s$ sinyal input modulator adalah :

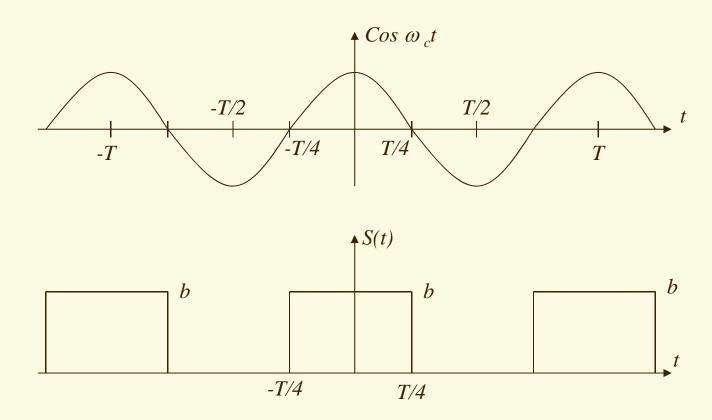
$$e_i(t) = a \cos \omega_c t + m(t)$$

arus diode mengalir hanya jika diode mendapat bias maju, maka :

arus diode mengalir hanya jika diode mendapat bias maju, maka :
$$I_o = \begin{cases} \frac{R_L}{R_L + r_d} & e_i(t) = b(a\cos\omega_c t + m(t)) & (a\cos\omega_c t > 0) \\ 0 & (a\cos\omega_c t < 0) \end{cases}$$

dimana,
$$b = \frac{R_L}{R_L + r_d}$$

- Tegangan output modulator yaitu dengan memanfaatkan fungsi switching S(t) seperti gambar dibawah :



- Dari gambar fungsi switching diperoleh persamaan:

$$e_o(t) = [a \cos \omega_c t + m(t)] S(t)$$

Dimana,
$$S(t) = \begin{bmatrix} b & (-T/4 < t < T/4), T = 1/f_c \\ 0 & (untuk yang lain) \end{bmatrix}$$

$$S(t) = b \left[\frac{1}{2} + \sum_{n=1}^{\infty} \frac{\sin(n\pi/2)}{n\pi/2} \cos n\omega t \right]$$

Karena itu $e_{o(t)}$ menjadi :

$$eo(t) = \{a\cos \omega t + m(t)\}b \begin{bmatrix} \frac{1}{2} + \frac{\sin(\pi/2)}{2}\cos \omega t + \sum_{n=1}^{\infty} \frac{\sin(n\pi/2)}{2}\cos n\omega t \\ \frac{1}{2} + \frac{\sin(\pi/2)}{2}\cos n\omega t \end{bmatrix}$$

$$= b \left[\frac{1}{2} m(t) + \frac{2a}{\pi} \cos^2 \omega ct + \frac{a}{2} \left[1 + \frac{4}{\pi a} m(t) \right] \cos \omega ct \right]$$

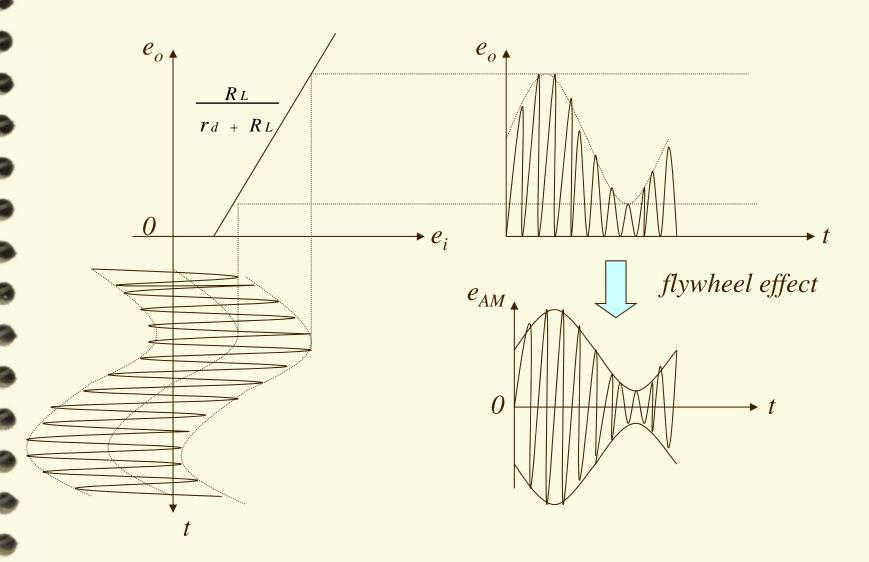
$$+ \sum_{n=3}^{\infty} \frac{\sin(n\pi/2)}{[\cos n\omega ct + m(t)] \cos n\omega ct}$$

Jika $e_o(t)$ dilewatkan BPF dengan frekuensi tengah f_c maka didapat gelombang AM dengan persamaan :

$$\mathcal{C}(t)_{AM} = \frac{ab}{2} \left[1 + \frac{4}{\pi a} m(t) \right] \cos \omega ct$$
$$= E_c \left[1 + mm(t) \right] \cos \omega ct$$

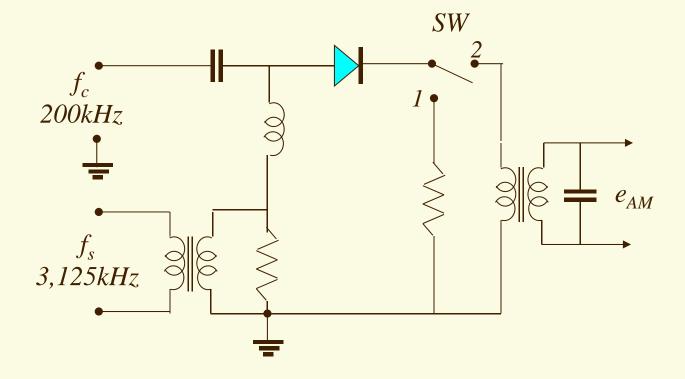
dimana,
$$E_c = ab/2$$
, dan $m=4/\pi a$

- Bentuk gelombang output modulator linier



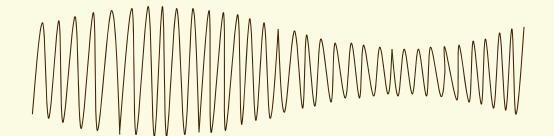
* *Modulator linier diode*

- Rangkaian

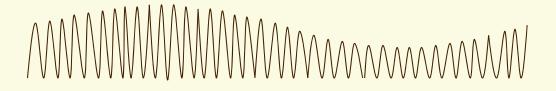


- Bentuk gelombang

SW-2 6,25 V_{p-p} , m=35%

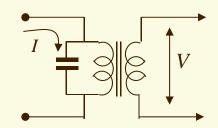


SW-1 200kHz, 0,75mA

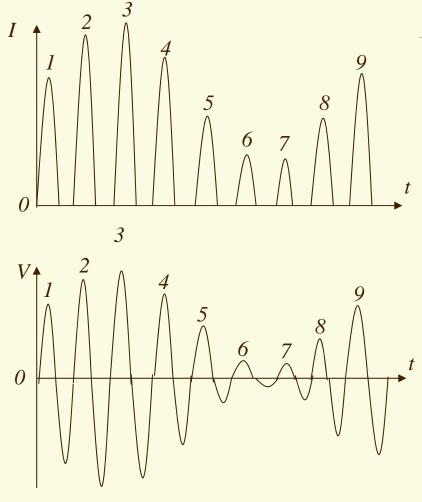


- Prinsip kerja rangkaian tertala

Gelombang arus ke rangkaian tertala



Output rangkaian tertala



* Metode-metode pengukuran Index modulasi

- (1) Mengukur harga peak-to peak dan minimum to minimum gelombang AM
- (2) Metode Trapesoidal
- (3) Metode Elliptical
- (4) Metode spektrum analizer

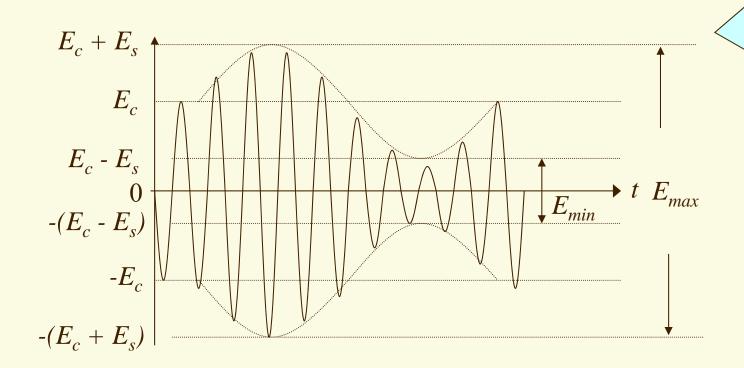
(1) Metode peak to peak dan minimum to minimum

$$E_{max} = 2(E_c + E_s)$$

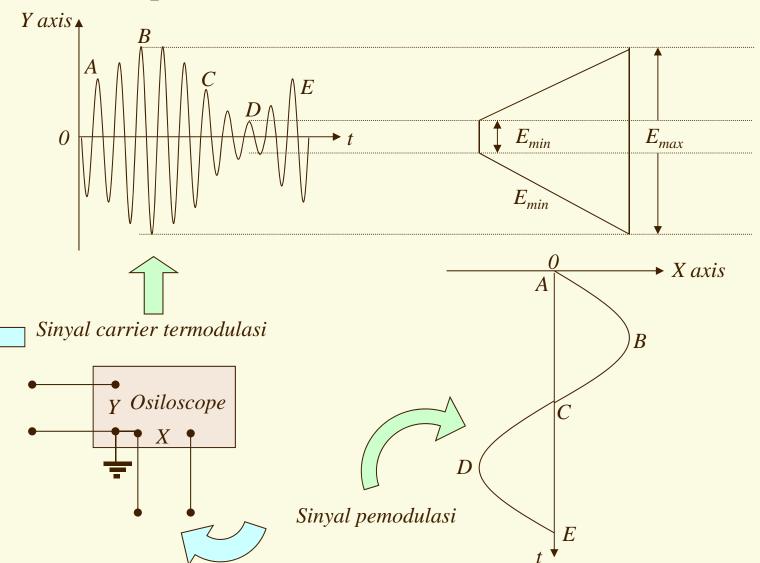
$$E_{min} = 2(E_c - E_s)$$



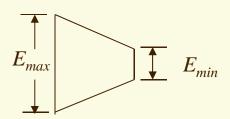
$$m = \frac{Es}{Ec} = \frac{E \max - E \min}{E \max + E \min}$$



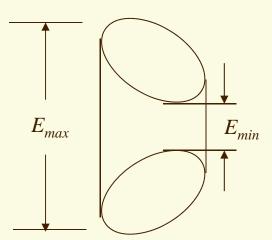
(2) Metode trapezoidal



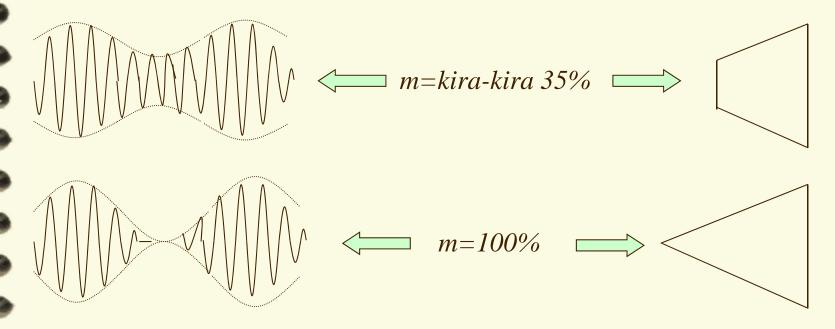
- Macam-macam pola pada trapesoidal

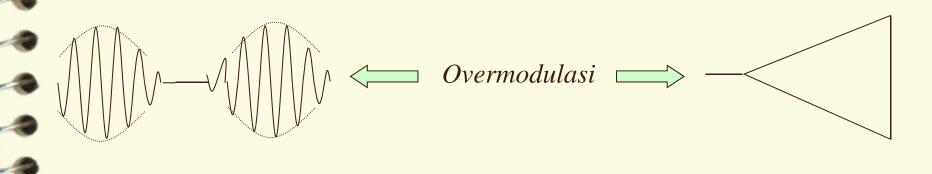


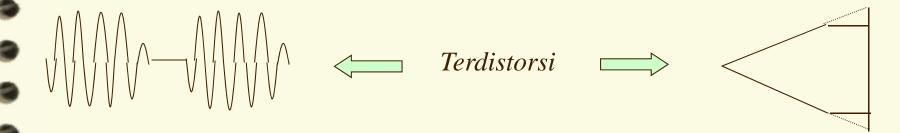
Trapesoidal phase sama



Trapesoidal berbeda phase







(3) Metode spektrum analyzer

$$X_c = 20 \log_{10} E_c \qquad [dB]$$

$$X_{SB} = 20 \log_{10} (mE_c/2)$$
 [dB]

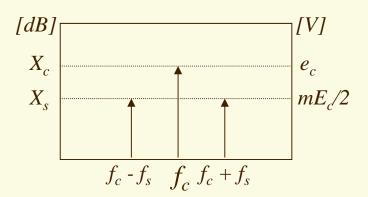
maka index modulasi m didapat :

$$m = 10^{(X_s-X_c+20log2)/20}$$

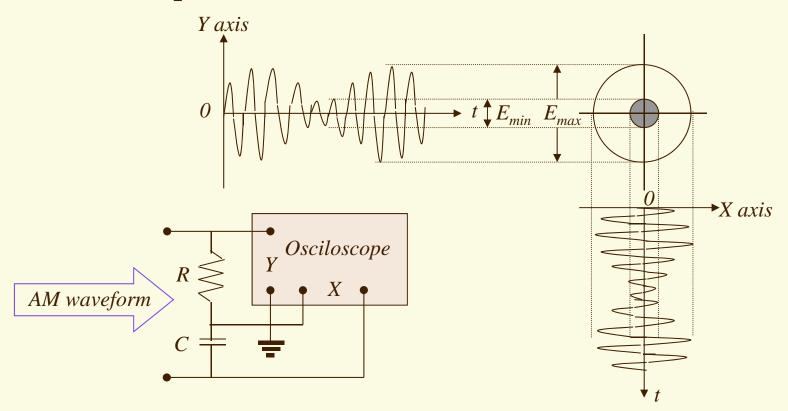
= $10^{(X_s-X_c+6)/20}$

atau,

$$m = 2 \cdot 10^{(Xs-Xc)/20}$$



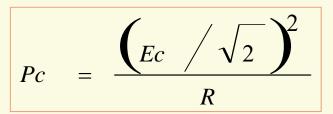
(4) Metode elliptical



* Perhitungan daya pada sinyal AM

♣ Daya total:

$$P_t = P_c + P_{LSB} + P_{USB}$$



$$Pt = \frac{Ec^2}{2R} + \frac{m^2 Ec^2}{8R} + \frac{m^2 Ec^2}{8R}$$

$$Pt = Pc + \frac{m^2}{4}Pc + \frac{m^2}{4}Pc$$

$$Pt = Pc \left(1 + \frac{m^2}{2}\right)$$

 P_t = daya carrier

 $P_{LSB} = daya \ sideband \ bawah$

 $P_{USB} = daya \ sideband \ atas$

$$P LSB = \frac{\left(\frac{mEc}{2} / \sqrt{2}\right)^2}{R}$$

$$P LSB = \frac{\left(\frac{mEc}{2} / \sqrt{2}\right)^2}{R}$$

2.2.1 Sistem DSB-SC (Double Side Band Suppressed Carrier)

♠ Persamaan sinyal carrier

sinyal pemodulasi



$$e_c(t) = E_c \cos \omega_c t$$

$$e_s(t) = E_s \cos \omega_s t$$



Output modulator DSB-SC

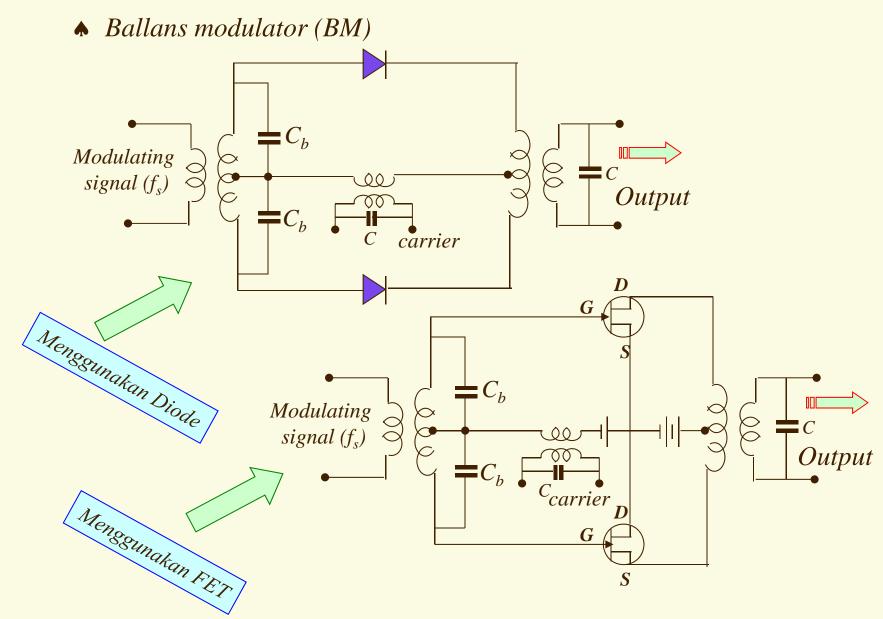


$$\begin{aligned} e_{DSB-SC}(t) &= e_c(t) \cdot e_s(t) \\ &= E_c \cos \omega_c t \cdot E_s \cos \omega_s t \\ &= \underbrace{E_c E_s [\cos(\omega_{c+} \omega_s) t + \cos(\omega_{c-} \omega_s) t]}_{2} \end{aligned}$$

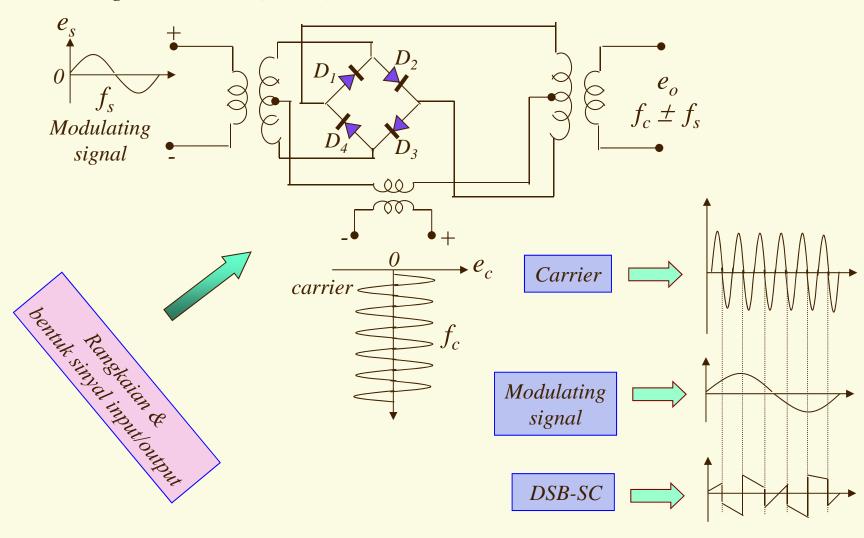
• Tanpa carrier

$$e_{DSB-SC}(t) = \underbrace{E_s \ cos(\omega_{c} + \omega_{s}) t - E_s \ cos(\omega_{c} - \omega_{s}) t}_{2}$$

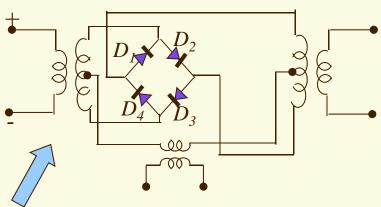
$$USB \qquad LSB$$



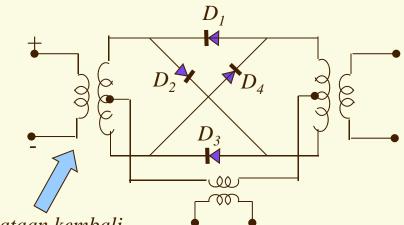
♠ Ring modulator (DBM)



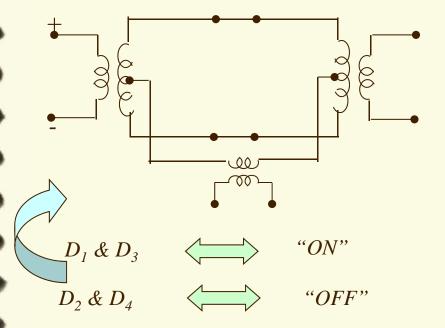
♠ Analisa ring modulator (DBM)

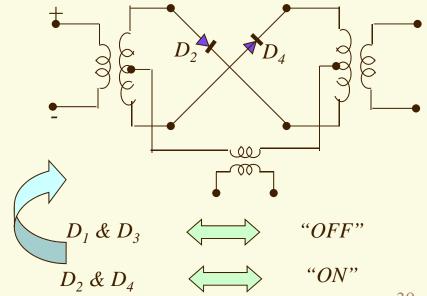


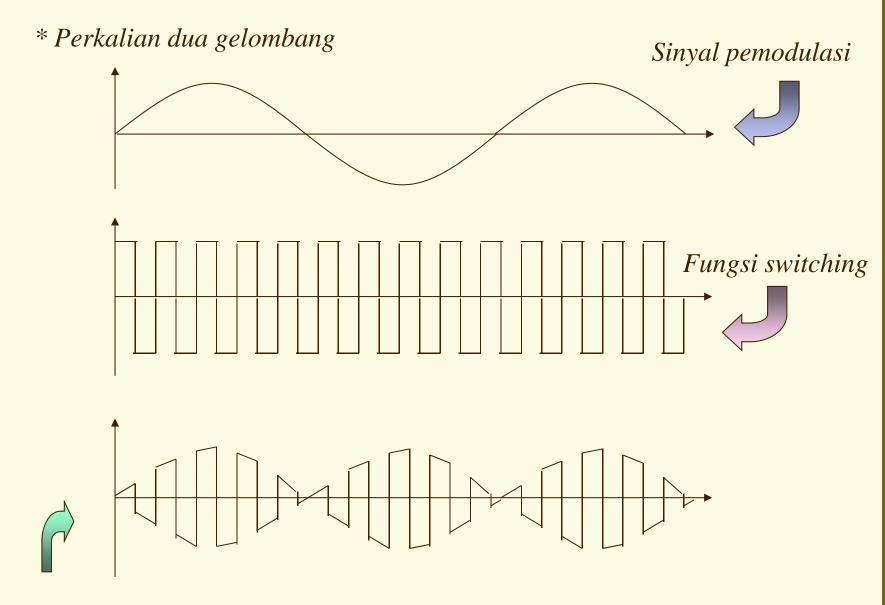
Rangkaian ring modulator



Penataan kembali rangkaian ring modulator







Hasil perkalian

* Perkalian dua gelombang menghasilkan bentuk gelombang seperti gambar sebelumnya dan bila dianalisa secara matematis sebagai berikut :

$$es = Es \cos \omega st$$

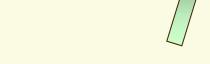
$$e_{c} = \sum_{n=1}^{\infty} E_{n} \cos \omega_{c} t$$

$$(n = 1, 3, 5,)$$

$$e_{DBM-out} = e_{c.es} = \frac{E_s}{2} \sum_{n=1}^{\infty} E_n \{ \cos(n\omega_c + \omega_s)t + \cos(n\omega_c - \omega_s)t \}$$

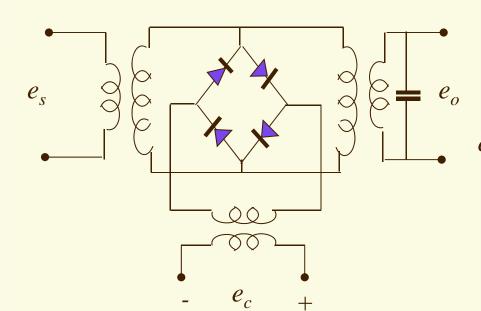


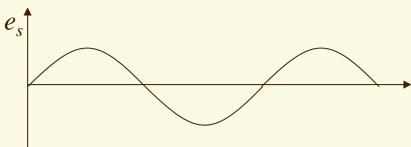
 $Bandpass\ filter\ pada\ n=1$

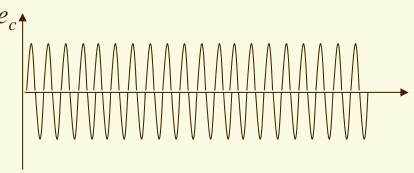


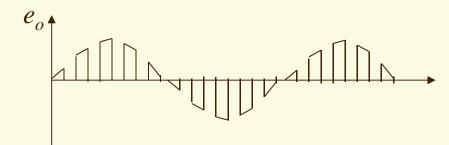
Menghasilkan output $f_c + f_s$ atau $f_c - f_s$

♦ Shunt bridge diode modulator





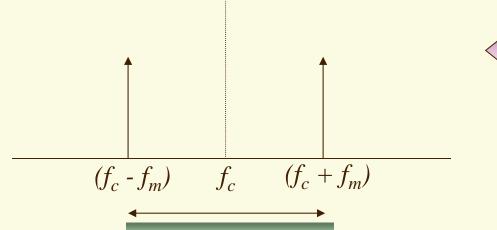




Bentuk gelombang input/output

♠ Spektrum sinyal DSB-SC

$Daya\ pancar\left(P_{t}\right) = P_{USB} + P_{LSB}$

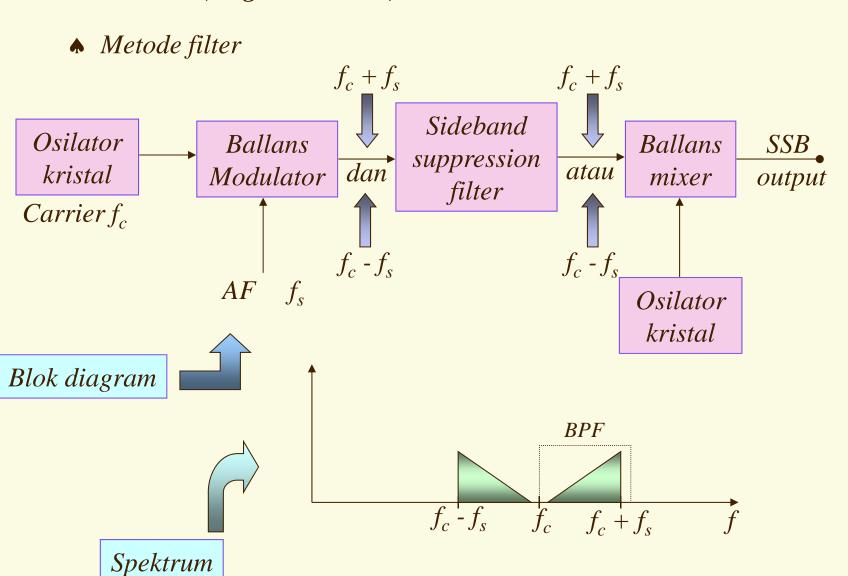


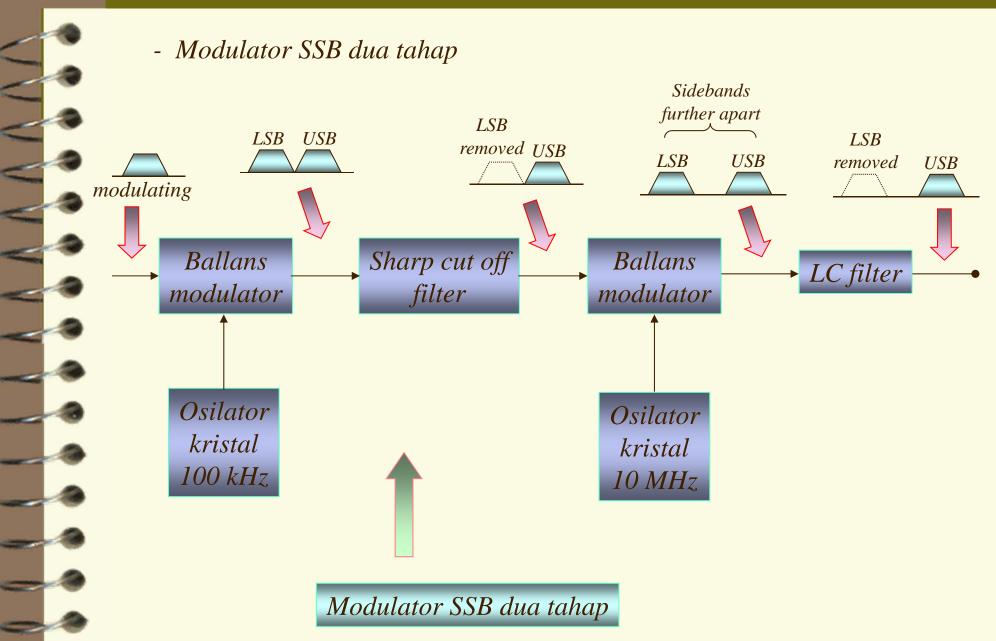
Bandwidth (BW)



 $BW = 2 x f_s$

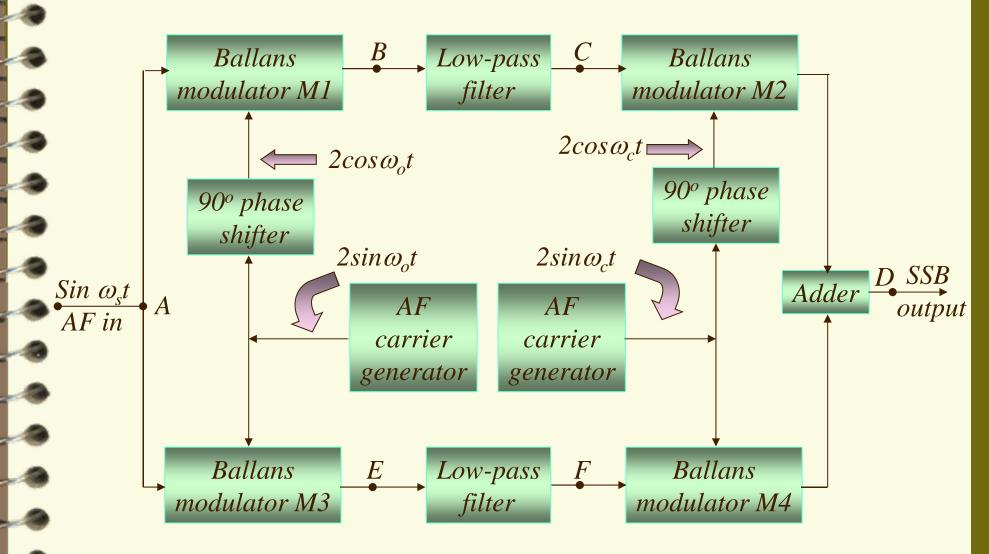
2.2.2 Sistem SSB (single side band)





♠ Metode penggeser phasa **Ballans** modulator M1 SSB output Carrier to linear AF in Audio 90º phase Adder amplifier amplifier shifter Carrier source AF **Ballans** → 90° phase modulator M2 shifter

♠ Metode ketiga dalam pembangkit SSB



- Spektrum sinyal SSB

Persamaan sinyal SSB

LSB:

$$cos(\omega_c - \omega_s)t = cos\omega_c t \cdot cos\omega_s t + sin\omega_c t \cdot sin\omega_s t$$

= $f(t) cos(\omega_c t + f'(t) sin(\omega_s t)$

dimana:

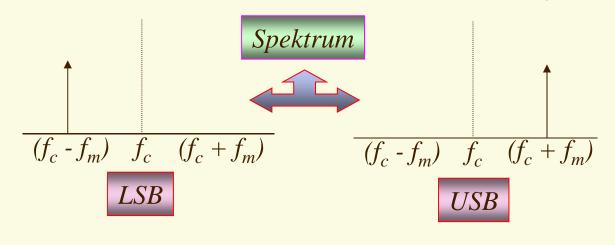
$$f(t) = \cos \omega_s t$$

$$f'(t) = \sin \omega_s t \qquad \text{Shift } -90^\circ$$

USB:

$$cos(\omega_c + \omega_s)t = cos\omega_c t \cdot cos\omega_s t - sin\omega_c t \cdot sin\omega_s t$$

= $f(t) cos \omega_c t + f'(t) sin \omega_s t$



 $Bandwidth = f_s$ $Daya\ pancar:$ $P_t = P_{USB}$ $= P_{LSB}$

2.3 Demodulator Amplitudo

- Merupakan proses untuk mendapatkan kembali sinyal informasi.
- Informasi yang diterima berasal dari modulator amplitudo

2.3.1 Demodulator DSB-FC A. Demodulator non linier

$$e_{AM} = E_c(1 + m\cos\omega st)\cos\omega ct$$

dan sinyal input ke modulator:

$$x = A_o + e_{AM}$$

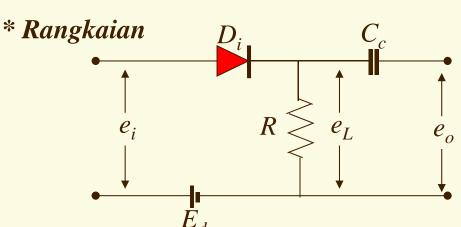
dimana : A_o = tegangan bias $y=kx^2$ = karakteristik I/O diode

maka tegangan output pada R:

$$\begin{split} e_{L} &= Ry = Rkx^{2} = Rk(A_{o} + e_{AM})^{2} \\ &= Rk(A_{o}^{2} + 2A_{o} e_{AM} + e_{AM}^{2}) \\ &= Rk[A_{o}^{2} + 2A_{o} E_{c}(1 + m \cos \omega_{s}t) \cos \omega_{c}t + E_{c}^{2}(1 + m \cos \omega_{s}t)^{2} \cos^{2}\omega_{c}t] \\ &= Rk[A_{o}^{2} + 2A_{o} E_{c}(\cos \omega_{c}t + m \cos \omega_{s}t \cdot \cos \omega_{c}t) + \frac{Ec^{2}}{2} (1 + 2 m \cos \omega_{s}t) \\ &+ \frac{m^{2}(1 + \cos 2\omega_{s}t)}{2} (1 + 2 \cos \omega_{c}t)] \end{split}$$

maka outputnya adalah:

$$e_o = RkE_c^2(m\cos\omega_s t + \frac{m^2}{4}\cos 2\omega_s t)$$



Ratio distorsi:

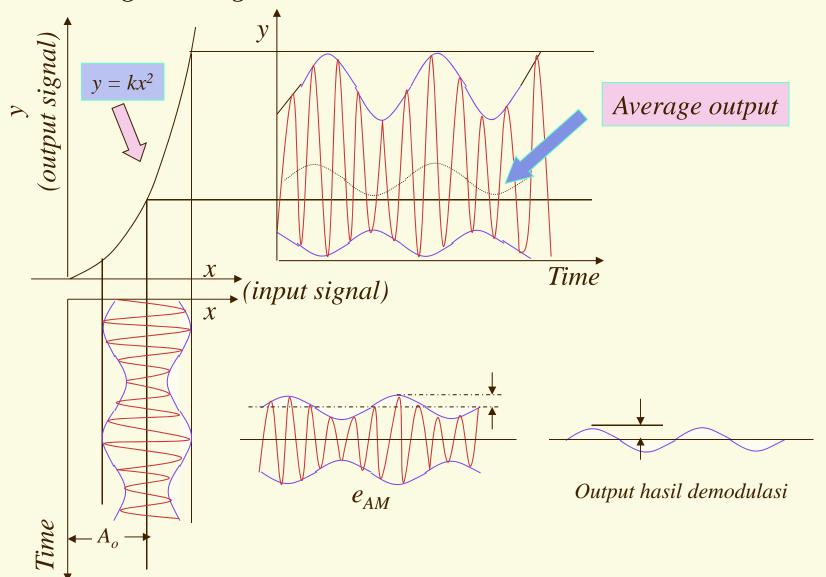
$$D = \frac{\text{harga rms dari harmonisa}}{\text{harga rms dari sinyal fundamental}} = \sqrt{\frac{E_2^2 + E_3^2 + \ldots + E_n^2}{E_1}}$$

$$D = \frac{m^2/4}{m/2} = \frac{m}{4} x 100$$
 [%]

$$\mu = \frac{\textit{amplitudo dari sinyal hasil demodulasi}}{\textit{amplitudo dari sinyal pemodulasi pada } e_{AM}}$$

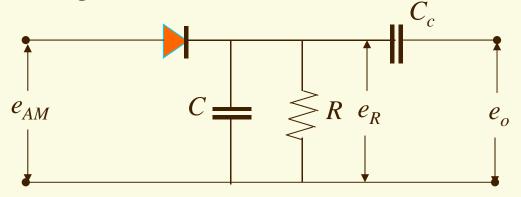
$$\mu = \frac{mRkE^{c^2}}{mE_c} = RkE_c \times 100 \, [\%]$$

* Bentuk gelombang

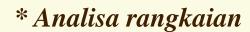


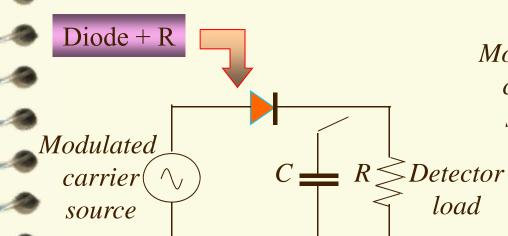
B. Detektor selubung diode

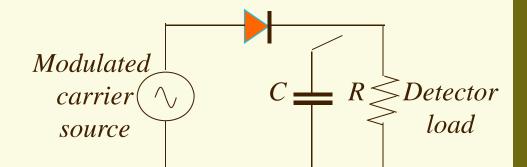
* Rangkaian



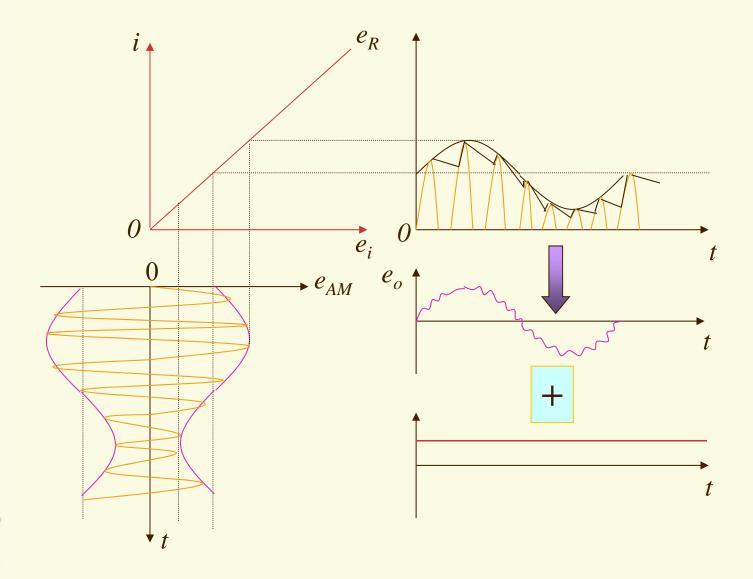
Diode + R + C







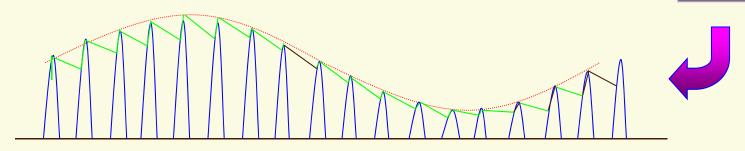
* Bentuk gelombang detektor selubung



* Bentuk gelombang hasil analisa rangkaian Rectified waveform Filtered waveform

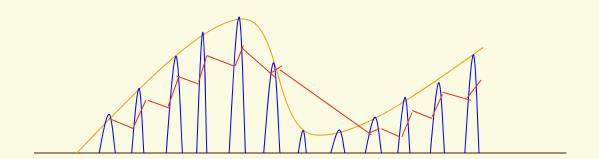
* Diagonal clipping





CR terlalu besar

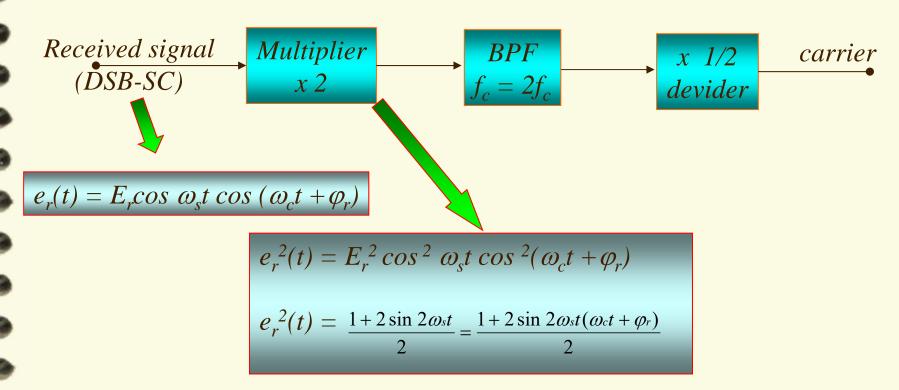




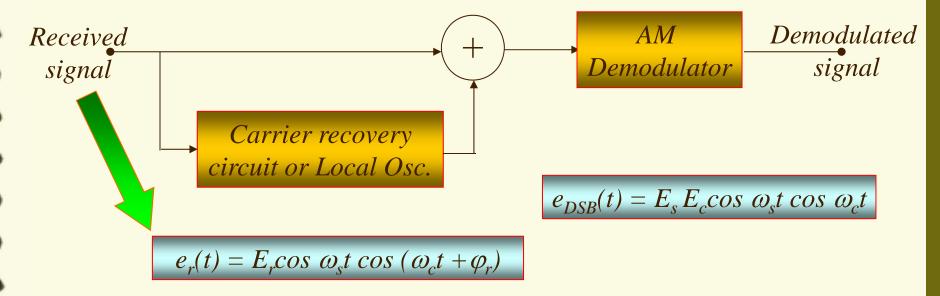
2.3.1 Demodulator DSB-SC

- Pembangkitan kembali sinyal carrier
- Demodulasi dengan menambahkan carrier
- Demodulasi perkalian
- Loop "Costas"

A. Pembangkitan kembali sinyal carrier



B. Demodulasi dengan menambahkan carrier * Blok diagram



$$e_r(t) = S(t) \cos(\omega_c t + \varphi_r)$$



 $S(t) = E_r cos \omega_s t$

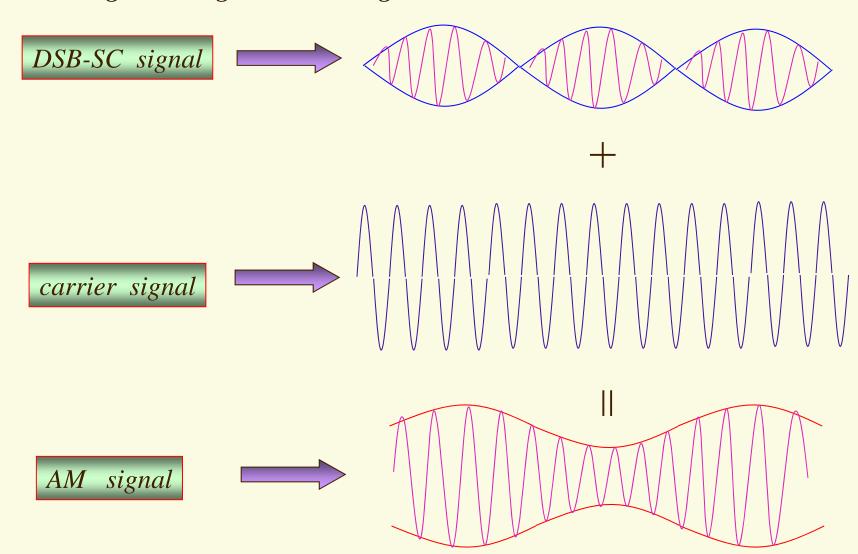
S(t) menggambarkan amplitudo carrier yang berubah-ubah

* Misal $C_o(t) = carrier$ yang dibangkitkan kembali dan frekuensi $C_o(t)$ sama dengan frekuensi $e_r(t)$ tetapi phasenya berbeda

maka:

$$\begin{split} &C_o(t) = E_o \cos{(\omega_c t + \phi_r)} \\ &sinyal \ jumlahan \ dari \ e_r(t) \ dan \ C_o(t) \ adalah : \\ &e_r(t) \ + C_o(t) = s(t) \cos{(\omega_c t + \phi_r)} + E_o \cos{(\omega_c t + \phi_c)} \\ &= s(t) \left\{ \cos{\omega_c t} \ \cos{\phi_r} - \sin{\omega_c t} \ \sin{\phi_c} \right\} + E_o \left\{ \cos{\omega_c t} \ \cos{\phi_r} - \sin{\omega_c t} \ \sin{\phi_c} \right\} \\ &= \left\{ s(t) \cos{\phi_r} + E_o \cos{\phi_c} \right\} \cos{\omega_c t} - \left\{ s(t) \sin{\phi_r} + E_o \sin{\phi_c} \right\} \sin{\omega_c t} \\ &= \sqrt{s(t)^2 + E_o^2} + 2E_o s(t) \left(\cos{\phi_r} \cos{\phi_c} + \sin{\phi_r} \sin{\phi_c} \right) \cos{(\omega_c t + \theta)} \\ &= \sqrt{s(t)^2 + E_o^2} + 2E_o s(t) \cos{(\phi_r} - \phi_c) \cos{(\omega_c t + \theta)} \\ &= dimana \qquad \theta = \tan^{-1} \frac{s(t) \sin{\theta_r} + E_o \sin{\theta_c}}{s(t) \sin{\theta_r} + E_o \cos{\theta_c}} \end{split}$$

* Bentuk gelombang DSB-SC dengan cara menambah carrier



* Persamaan yang digunakan:

$$A \cos x - B \sin x = \sqrt{A^2 + B^2} \cos (x + \theta)$$

$$dimana \theta = tan^{-1} (B/A)$$

Jika
$$\phi_r$$
 - $\phi_c \approx 0$ maka $\cos(\phi_r - \phi_c) \approx 1$



≈ persamaan AM

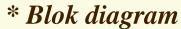


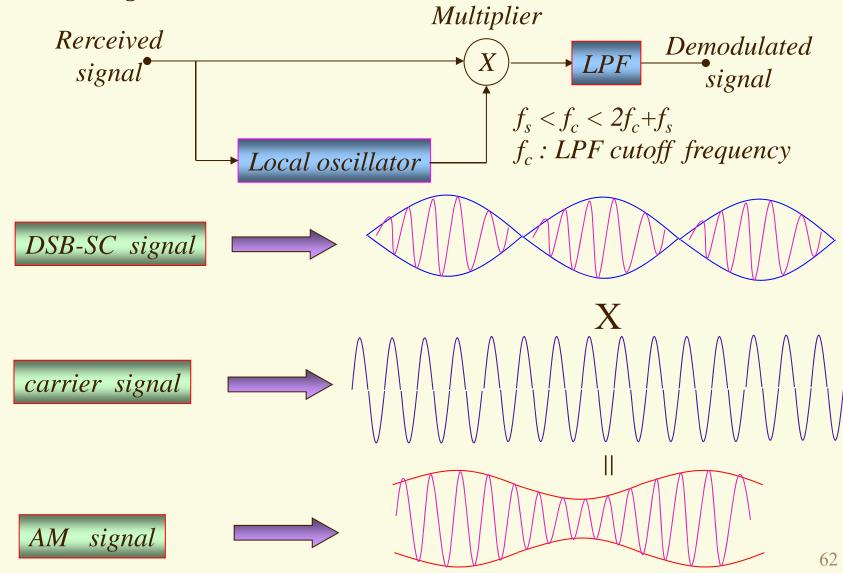
$$E_r(t) + C_o(t) \approx \{s(t) + E_o\} \cos(\omega_c t + \theta)$$
$$= E_o \{1 + s(t)/E_o\} \cos(\omega_c t + \theta)$$

persamaan menjadi



C. Demodulasi perkalian





* Persamaan yang digunakan (demodulasi perkalian)

"Misal sinyal yang diterima:"



$$e_r(t) = s(t) \cos(\omega_c t + \phi_r)$$



 $s(t) = E_r \cos \omega_s t$

Sinyal carrier
$$C_o(t) = \cos(\omega_c t + \triangle \omega + \phi_r + \triangle \phi)$$

Sinyal perkalian



$$e_r(t). \ C_o(t) = s(t) \cos (\omega_c t + \phi_r) \cos (\omega_c t + \Delta \omega + \phi_r + \Delta \phi)$$

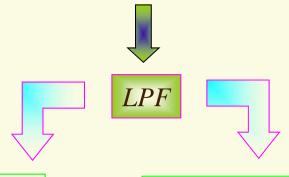
$$= (1/2) s(t) \cos \{(2\omega_c t + \Delta \omega)t + (2\phi_r + \Delta \phi)\}$$

$$+ (1/2) s(t) \cos \{(\Delta \omega t + \Delta \phi)$$

Bila $e_r(t)$ sama dengan frekuensi carrier $C_o(t)$ dan $\triangle \omega = 0$

Maka:

$$e_r(t)$$
. $C_o(t) = (1/2) s(t) cos (2\omega_c t + 2\phi_r + \triangle \phi) + (1/2) s(t) cos \triangle \phi$



$$Jika \triangle \phi = \pi /2 \longrightarrow 0$$

$$Jika \triangle \phi = 0 \longrightarrow (1/2) s(t)$$

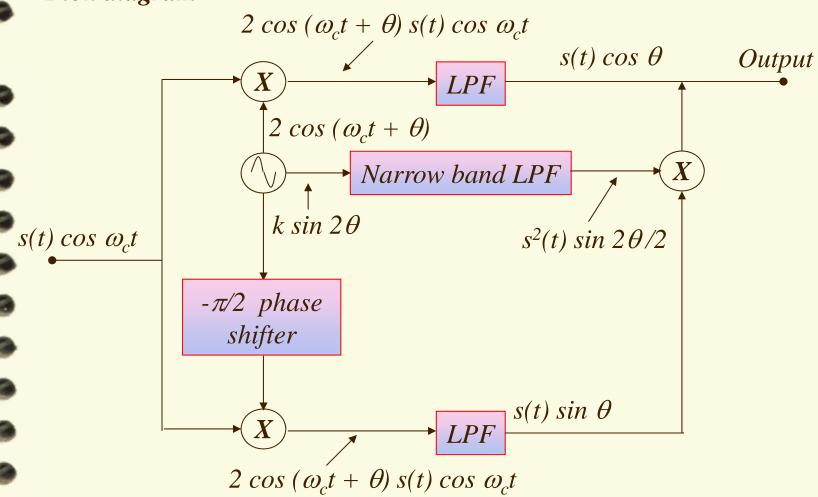




 $(1/2) s(t) cos \triangle \phi t$

D. Loop "Costas"

* Blok diagram



2.4 Modulasi sudut

- \triangleright Mempunyai sudut phase $\theta(t)$ yang berubah-ubah
- ➤ Perubahan tergantung pada sinyal pemodulasi
- \triangleright Mempunyai A(t) dan f_c tetap

* Persamaan: "
$$e(t) = A(t) \cos \{2\pi f_c t + \theta(t)\}$$
"

- * Macam-macam:
 - ➤ Modulasi frekuensi (FM)
 - ➤ Modulasi phase (PM)

2.4.1 Modulasi frekuensi

* Persamaan matematis:

Sinyal carrier

$$e_c = E_c \sin(\omega_c t + \theta_o)$$

 ω_c : $2\pi f_c$: frekuensi sudut carrier θ_o : phase awal

Sinyal pemodulasi

$$e_s = E_s \cos \omega_s t$$

 ω_s : $2\pi f_s$: frekuensi sudut sinyal pemodulasi

Frekuensi sesaat FM

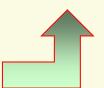
Frekuensi carrier + perubahan frekuensi sesuai sinyal pemodulasi

$$f_i = f_c + k_f e_s$$

$$= f_c + k_f E_s \cos \omega_s t$$

$$= f_c + \Delta f \cos \omega_s t$$

$$\Delta f = k_f E_s$$
 [Hz]
 $k_f = konstanta$ [Hz/V]



* Frekuensi sudut sesaat :

$$\omega_{i} = 2\pi f_{i}$$

$$= 2\pi (f_{c} + \Delta f \cos \omega_{s} t)$$

$$= \omega_{c} + \Delta \omega \cos \omega_{s} t \blacksquare$$

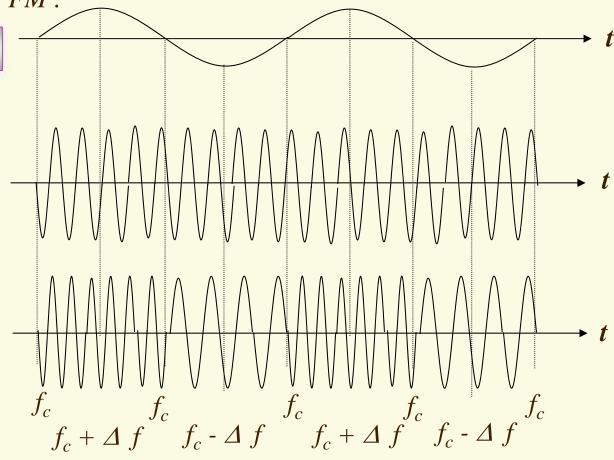
$$\Delta \omega = 2\pi \Delta f$$

* Bentuk gelombang FM:

Modulating signal

Carrier

FM wave



* Persamaan gelombang FM

$$\theta(t) = \int_{\theta}^{t} \omega_{i} dt$$

$$= \int_{\theta}^{t} (\omega_{c} + \Delta \omega \cos \omega_{s} t) dt$$

$$= \omega_{c} t + m_{f} \sin \omega_{s} t$$

$$= \int_{\theta}^{t} \omega_{c} + \Delta \omega \cos \omega_{s} t dt$$

$$= \int_{\theta}^{t} (\omega_{c} + \Delta \omega \cos \omega_{s} t) dt$$

$$= \int_{\theta}^{t} (\omega_{c} + \Delta \omega \cos \omega_{s} t) dt$$

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$$= \int_{\theta}^{t} (\omega_{c} + \Delta \omega \cos \omega_{s} t) dt$$

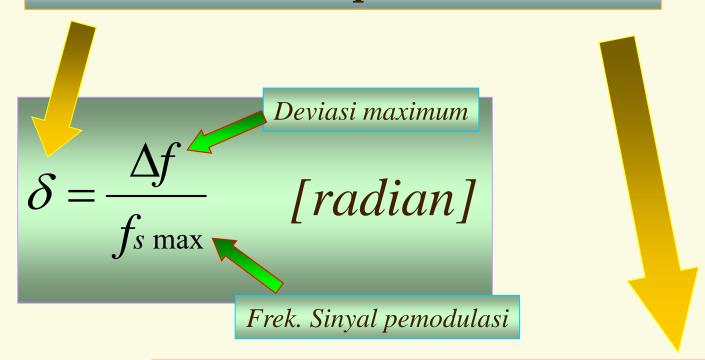
$$= \int_{\theta}^{t} (\omega_{c} + \Delta \omega \cos \omega_{s} t) dt$$

$$= \int_{\theta}^{t} (\omega_{c} + \Delta \omega \cos \omega_{s} t) dt$$

$$= \int_{\theta}^{t} (\omega_{c} + \Delta \omega \cos \omega_{s} t) dt$$

$$e_{FM} = E_c \sin(\omega_c t + m_f \sin \omega_s t + \theta_o)$$
 $\theta_o = 0$
 $e_{FM} = E_c \sin(\omega_c t + m_f \sin \omega_s t)$

* Rasio deviasi & persen modulasi



$$\beta = \frac{\Delta f}{\Delta f} \frac{sebenarnya}{max \ imum} x100 [\%]$$

* Spektrum gelombang FM

- Menggunakan fungsi Bessel

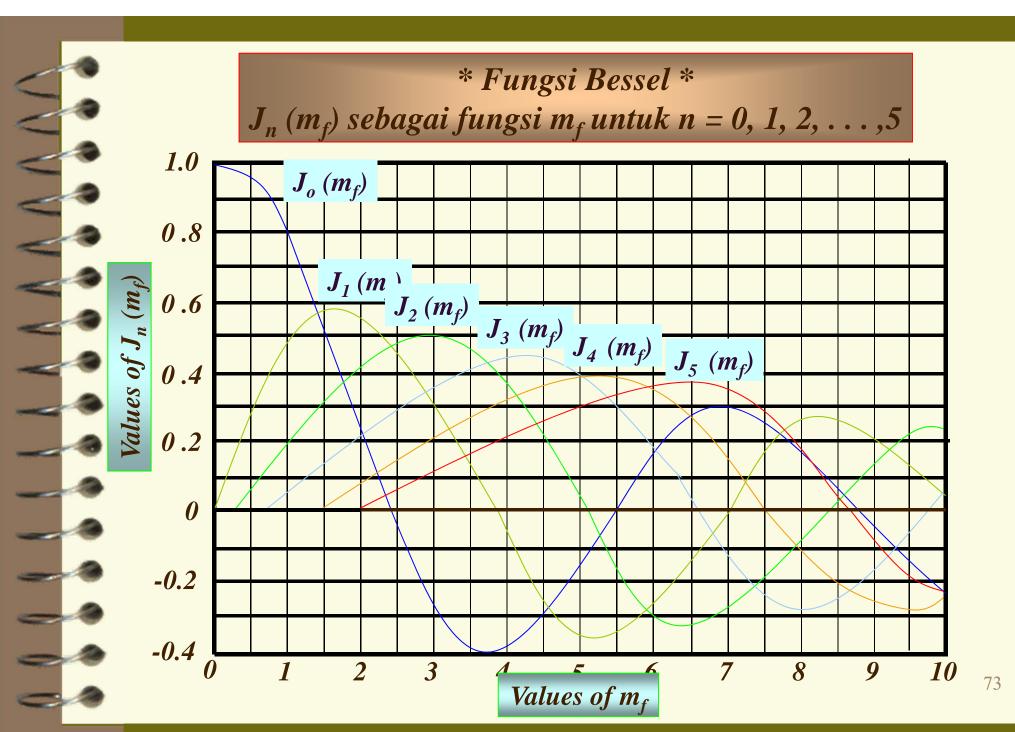
$$\begin{split} e_{FM} &= E_c \sin \left(\omega_c t + m_f \sin \omega_s t \right) \\ &= E_c [\sin \omega_c t \cdot \cos(m_f \sin \omega_s t) + \cos \omega_s t \cdot \sin(m_f \sin \omega_s t)] \\ &= E_c \sin \omega_c t \left\{ J_o(m_f) + 2 \sum_{n=1}^{\infty} J_2 n(m_f) \cos 2n \omega_c t \right. \\ &+ E_c \cos \omega_c t \left\{ 2 \sum_{n=0}^{\infty} J_2 n + 1(m_f) \cos \left(2n + 1 \right) \omega_s t \right\} \\ &= E_c \left\{ J_o(m_f) \sin \omega_c t \right. \\ &+ 2 J_1(m_f) \cos \omega_c t \cdot \sin \omega_s t + 2 J_2(m_f) \sin \omega_c t \cdot \cos \omega_s t \\ &+ 2 J_3(m_f) \cos \omega_c t \cdot \sin 2 \omega_s t + 2 J_4(m_f) \sin \omega_c t \cdot \cos 2 \omega_s t \\ &+ 2 J_5(m_f) \cos \omega_c t \cdot \sin 3 \omega_s t + 2 J_6(m_f) \sin \omega_c t \cdot \cos 3 \omega_s t \\ &+ \dots \right\} \end{split}$$

* Lanjutan

- Menggunakan fungsi Bessel

$$e_{FM} = E_c \{J_o(m_f) \sin \omega_c t + J_1(m_f) \{\sin (\omega_c + \omega_s) t - \sin (\omega_c - \omega_s) t\} + J_2(m_f) \{\sin (\omega_c + 2\omega_s) t + \sin (\omega_c - 2\omega_s) t\} + J_3(m_f) \{\sin (\omega_c + 3\omega_s) t - \sin (\omega_c - 3\omega_s) t\} + \dots \}$$

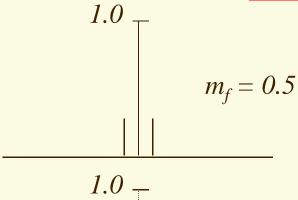
$$e_{FM} = E_c [J_o(m_f) \sin \omega_c t + 2 \sum_{n=1}^{\infty} J_n(m_f) \sin(\omega_c + n \omega_s) t + 2 \sum_{n=1}^{\infty} (-1)^n J_n(m_f) \sin(\omega_c + n \omega_s) t]$$

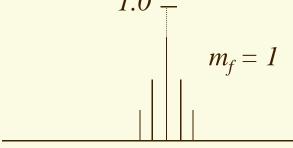


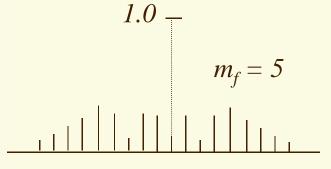
* Tabel fungsi Bessel

 J_2 J_5 0.00 1.000 0.10 0.9975 0.0499 0.0013 0.0001 0.20 0.9900 0.0995 0.0050 0.0002 0.0001 0.25 0.9845 0.1241 0.0078 0.0003 0.0001 0.30 0.9776 0.1484 0.0111 0.0006 0.0001 0.40 0.9604 0.1961 0.0197 0.0013 0.0001 0.50 0.9385 0.2423 0.0306 0.0026 0.0002 0.60 0.9120 0.2867 0.0437 0.0044 0.0004 0.0001 0.70 0.8812 0.3290 0.0588 0.0069 0.0006 0.0001 0.80 0.8463 0.3689 0.0758 0.0103 0.0011 0.0001 0.90 0.8075 0.4060 0.0946 0.0144 0.0017 0.0002 1.00 0.7652 0.4400 0.1150 0.0195 0.0025 0.0003 0.0001 1.25 0.6459 0.5107 0.1711 0.0369 0.0059 0.0008 0.0001 1.50 0.5119 0.5579 0.2321 0.0610 0.0118 0.0018 0.0003 1.75 0.3690 0.5802 0.2940 0.0919 0.0209 0.0038 0.0006 0.0001 2.00 0.2239 0.5767 0.3529 0.1289 0.0340 0.0070 0.0012 0.0002 2.50 -0.0484 0.4971 0.4461 0.2166 0.0738 0.0195 0.0043 0.0008 0.0002 74

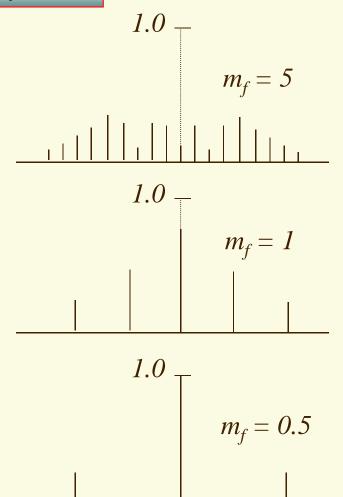
* Spektrum sinyal FM



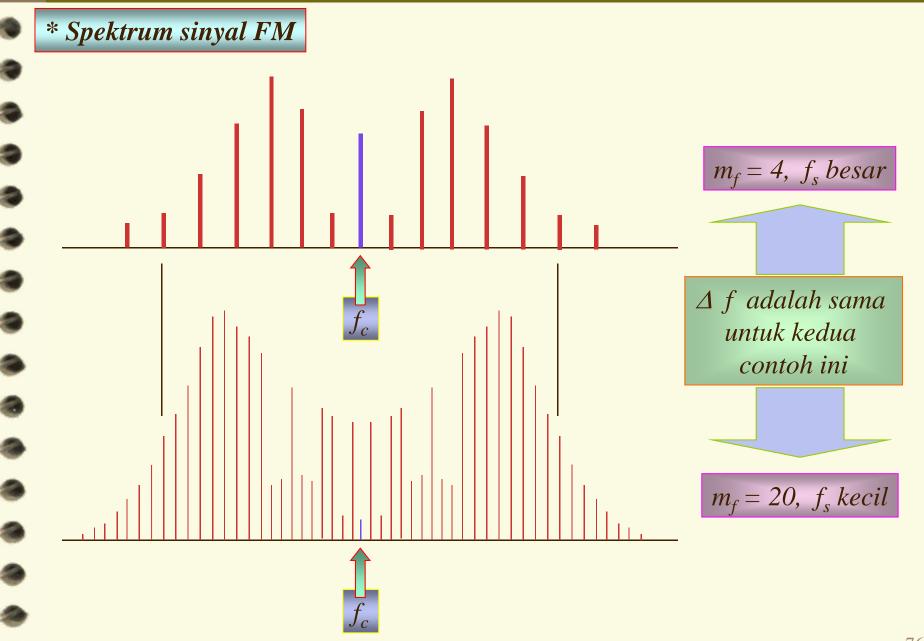




 f_s : tetap, m_f : makin besar (Δf : makin besar)



 Δ f:tetap, f_s : makin besar $(m_f: makin kecil)$



* Bandwidth FM*

Tergantung index modulasi (m_f)

$$B_{FM} = 2 f_s$$
; $f \ll f_s \longrightarrow m_f \ll 1$
narrowband FM

$$B_{FM} = 2(\Delta f + f_s)$$
; $\Delta f \ll f_s \longrightarrow m_f >> 1$ wideband FM



Lebih tepat
$$B_{FM} = 2 N f_s$$
$$N = jumlah sideband$$



- \blacksquare Membuat amplitudo carrier tak termodulasi sama dengan satu kemudian tentukan m_f dengan grafik fungsi Bessel.
- Dengan melihat amplitudo carrier dan amplitudo sideband berdasarkan tabel berikut :

Beberapa harga m_f untuk mengukur index modulasi

	Carrier = 0	Sideband pertama =0	Carrier = Sideband pertama
m_f	2,40 5,52 8,65	3,83 7,02 10,17	1,44 3,11

* Daya sinyal FM *

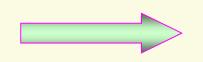
$$P_T = P_C + P_{SB}$$

$$P_T = D$$
aya total yang dikirimkan

$$P_C = Daya \ carrier$$

 $P_{C} = Daya\ carrier$ $P_{SB} = Daya\ total\ sideband$

$$P_T = \frac{E_c^2}{2R}$$



$$E_c = Tegangan \ peak \ carrier$$

$$P_C = J_o^2(m_f) P_T$$

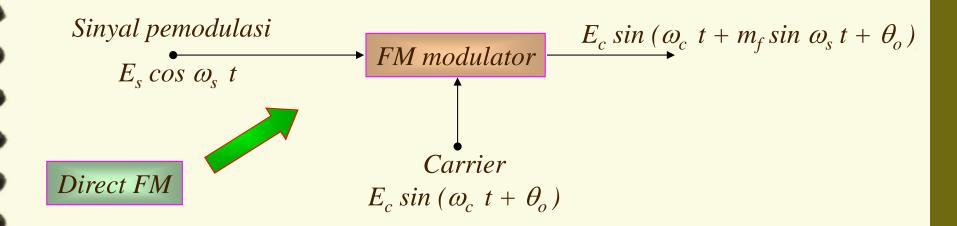
$$P_{SB}I = 2 J_1^2 (m_f) P_T$$

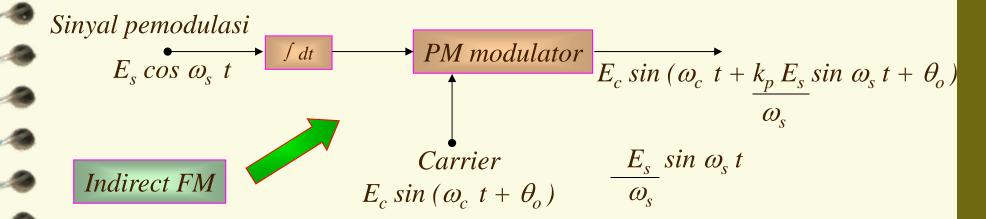
$$P_{SB} = P_T - P_C$$

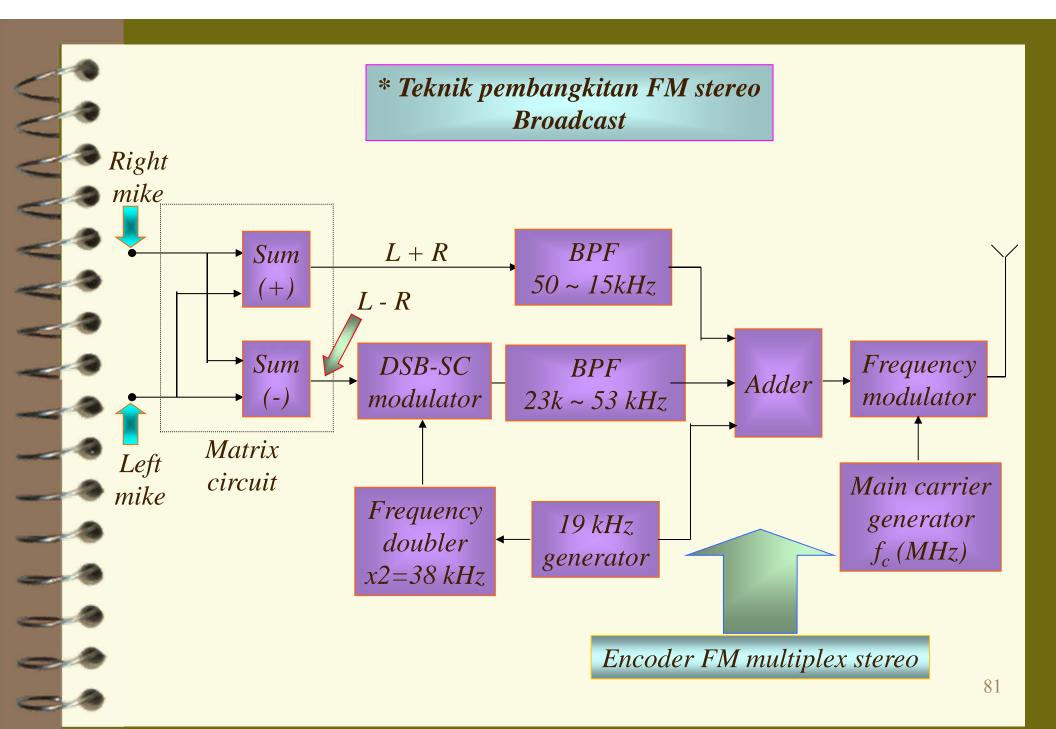


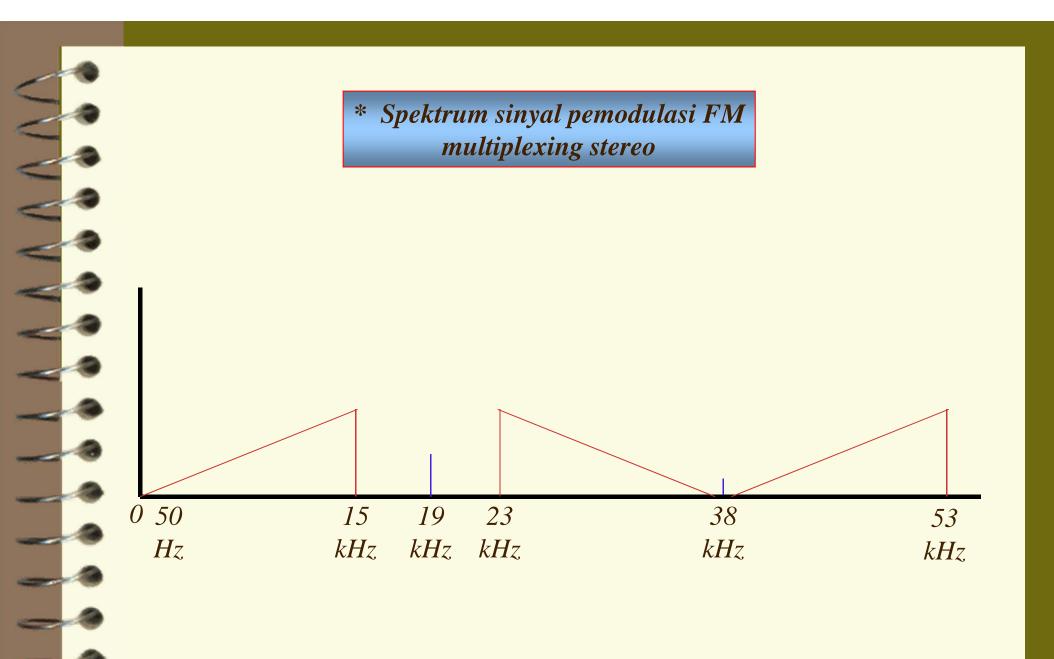
 $m_f = Index \ modulasi \ sinyal \ FM$

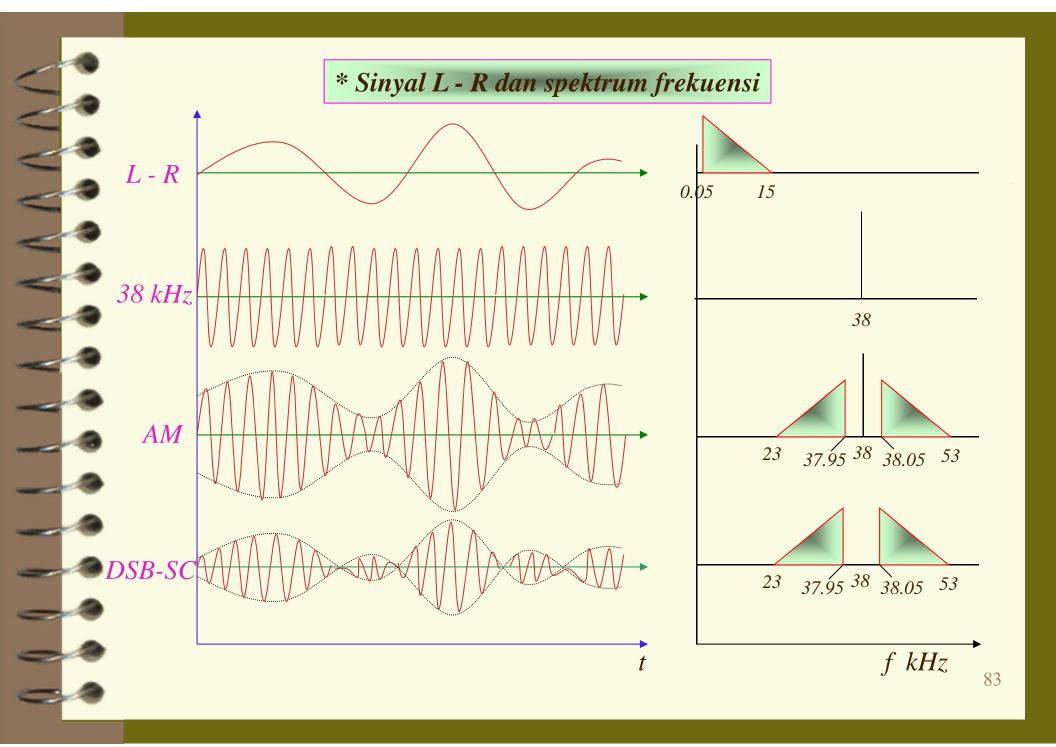
* Pembangkitan sinyal FM *



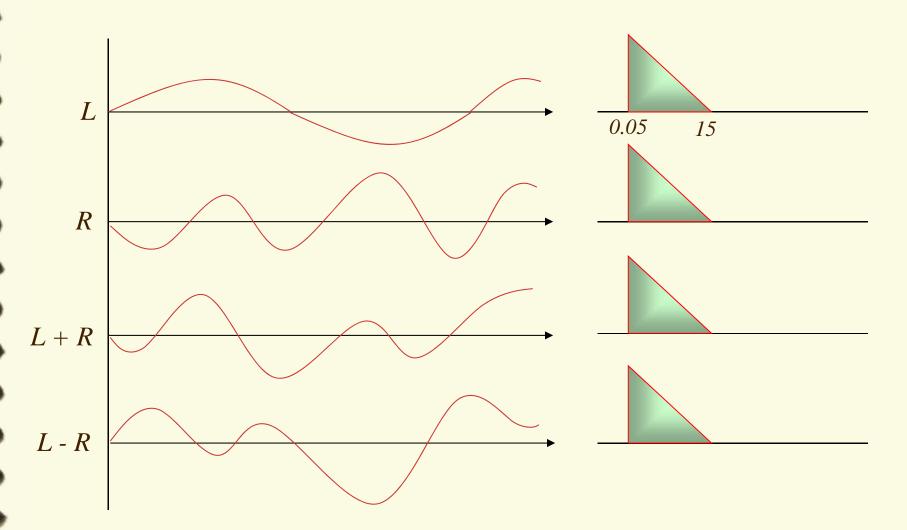




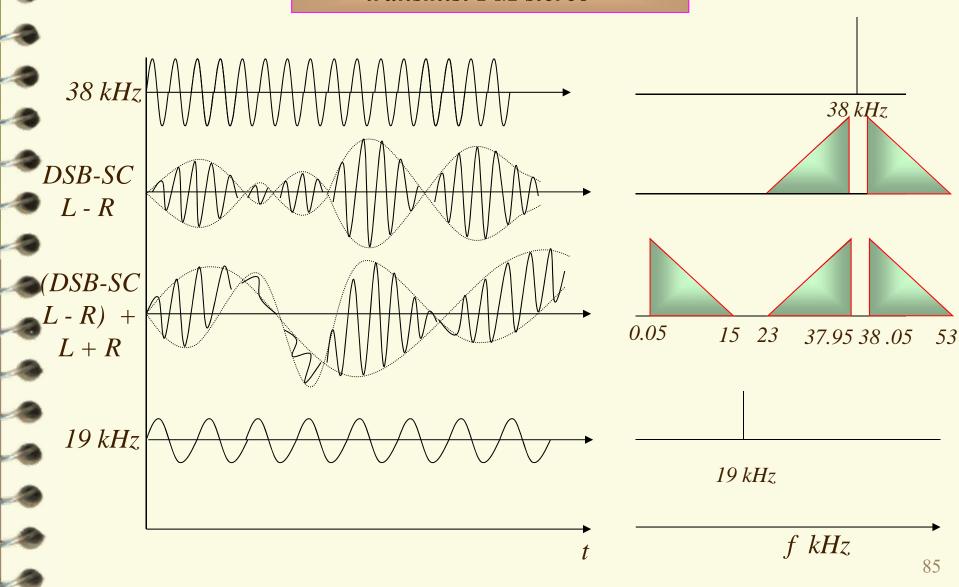




* Bentuk gelombang & spektrum transmisi FM stereo *



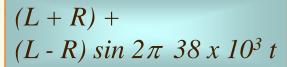
* Bentuk gelombang & spektrum transmisi FM stereo *



Decoder FM stereo L + R**LPF** Frequency Add discriminator 50 Hz ~ 15 kHz (+)AMFM stereo L - RBPFAdder signal Sub demodu R 23 kHz ~ 53 kHz lator Frequency **BPF** *Matrix* multiplier 19 kHz circuit x2 = 38kHzSistem Matrix 86

* Decoder FM stereo $(L+R) + (L-R)\sin 2\pi 38x10^3 t$ FM stereo Frequency signal discriminator Frequency 38 kHz **BPF** multiplier switching 19 kHz. x2 = 38kHzsignal Jenis switching

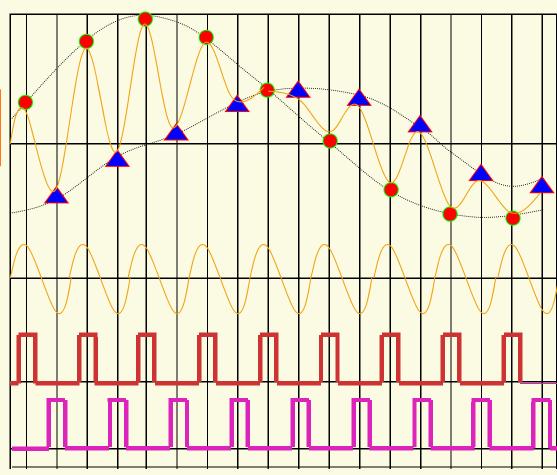
* Bentuk gelombang decoder FM stereo jenis switching *

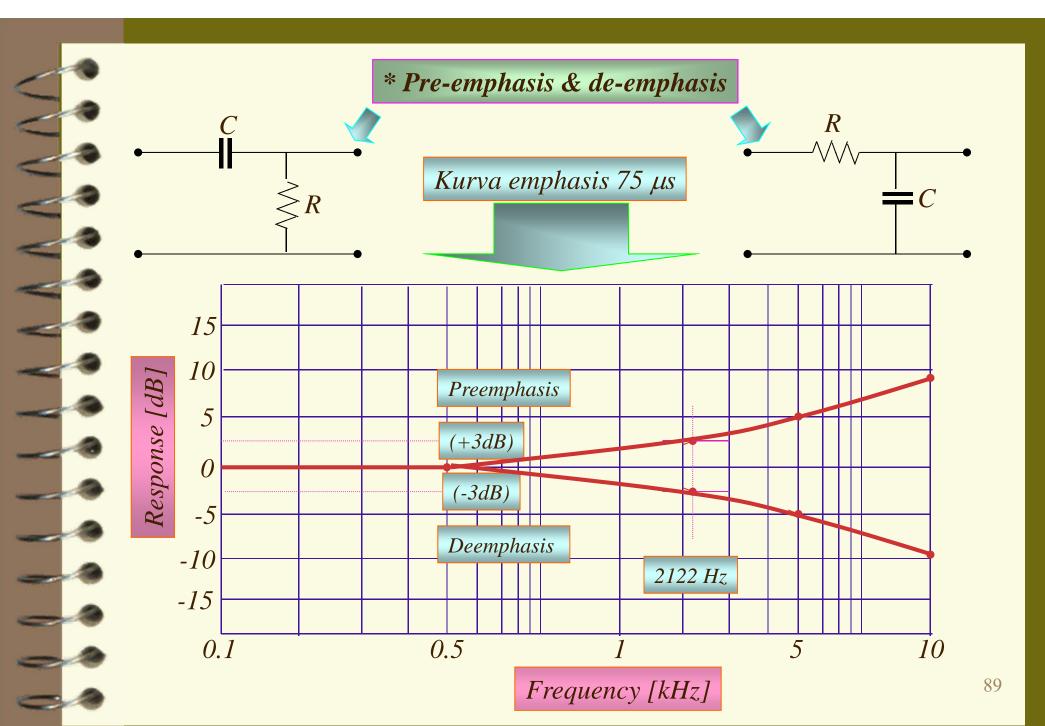


Sub-carrier

Switch A ON

Switch B ON





* Jenis-jenis emisi FM *

- K FIA (sebelumnya F_1). : Carrier digeser frekuensinya (FSK) dan diterima dengan pendengaran
- K FIB (sebelumnya F_1): Carrier digeser frekuensinya (FSK) dan diterinma secara mekanis atau elektronik
- K F2A (sebelumnya F_2): Carrier digeser frekuensinya (FSK) dan termodulasi tone, diterima dengan pendengaran
- K F3E (sebelumnya F_3): Carrier termodulasi frekuensi, dimodulasi dengan suara analog atau music.
- K F3C (sebelumnya F_4): Carrier termodulasi frekuensi, dimodulasi dengan elemen-elemen gambar diam (faximail)
- K F3F (sebelumnya F_5): Carrier termodulasi frekuensi, dimodulasi dengan gambar bergerak (televisi yang digunakan pada TV satelit)

2.4.2 Demodulator FM (diskriminator frekuensi)

Macam-macam

K Slope detektor

K Detektor ballans

K Demodulator PLL

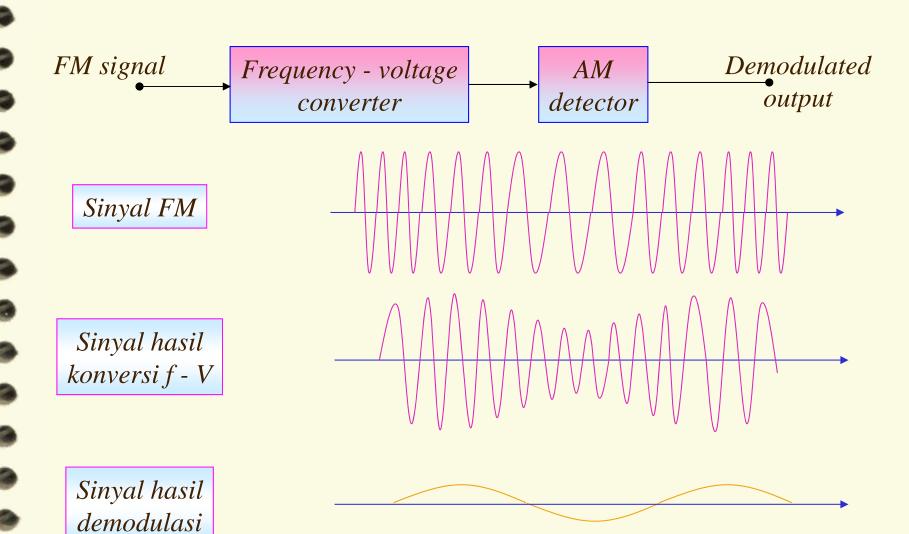
K Detektor Quadrature

K Diskriminator Foster Seeley

K Detektor ratio

Konversi frekuensi ke tegangan & Detektor AM

Diagram blok dan bentuk sinyal konversi frekuensi ke tegangan dan detektor AM



Persamaan demodulator FM

Persamaan sinyal FM

$$e_{FM} = E_c \sin(\omega_c t + m_f \sin \omega_s t)$$

dimana,

$$m_f = \Delta\omega / \omega_s = \Delta f / f_s$$
, $\omega_s = 2\pi f_s$

diffrerensiasi

$$e'_{FM} = E_c (\omega_c + \omega_s m_f \sin \omega_s t) \cos (\omega_c t + m_f \sin \omega_s t)$$

$$= E_c \omega_c (1 + \omega_s m_f \cos \omega_s t) \cos (\omega_c t + m_f \sin \omega_s t)$$

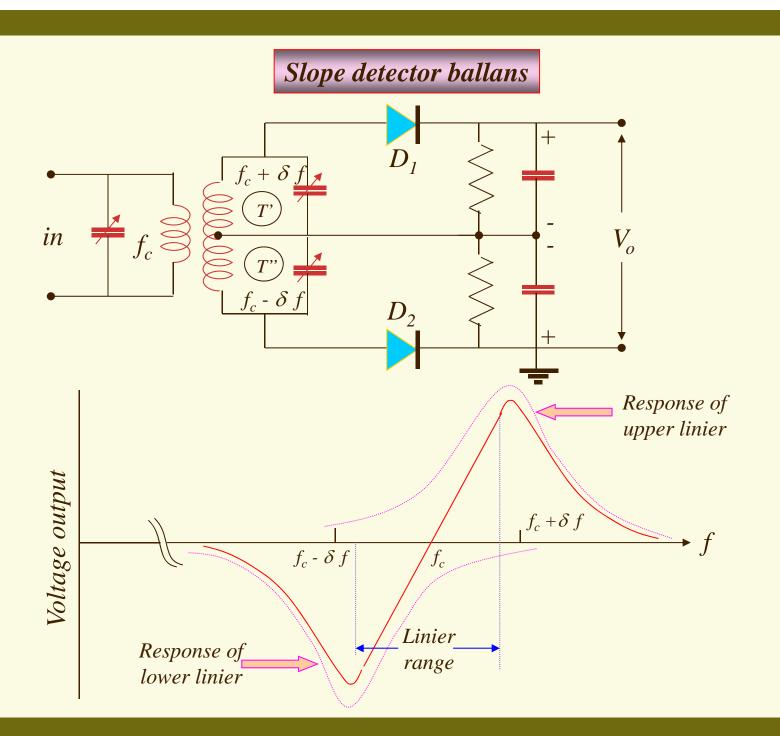
$$= E_c' (1 + m \cos \omega_s t) \cos (\omega_c t + m_f \sin \omega_s t)$$

dimana,

$$E_c' = E_c \omega_c \quad dan \quad m = \underline{\omega_s m_f} = \Delta \omega / \omega_c$$

Slope detector FM Input f_c + δf Output Amplitude voltage change \boldsymbol{A} $f_c + \delta f$ Frequency Frequency deviation

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BAB III FREQUENCY DIVISION MULTIPLEXING [FDM]

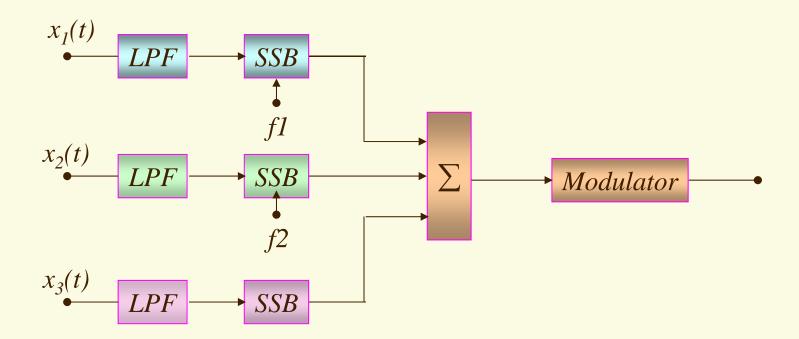
3.1 Multiplexing

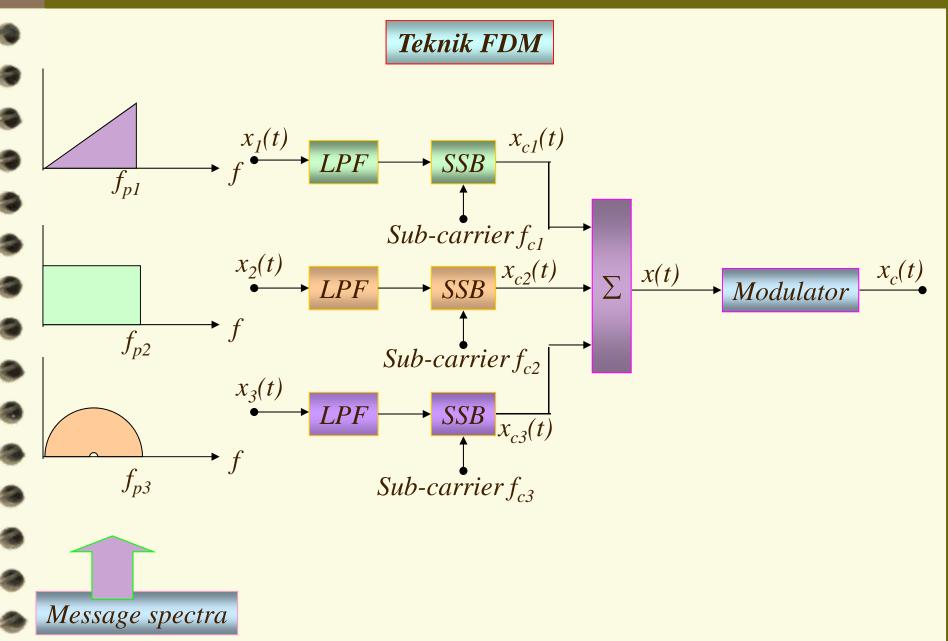
- * Definisi: Suatu cara pengiriman beberapa macam informasi atau sinyal melalui sebuah saluran secara bersama-sama dengan tujuan meningkatkan effisiensi saluran
- * Jenis: Frequency Division Multiplexing [FDM]
 - Time Division Multiplexing [TDM]

3.2 Teknik FDM

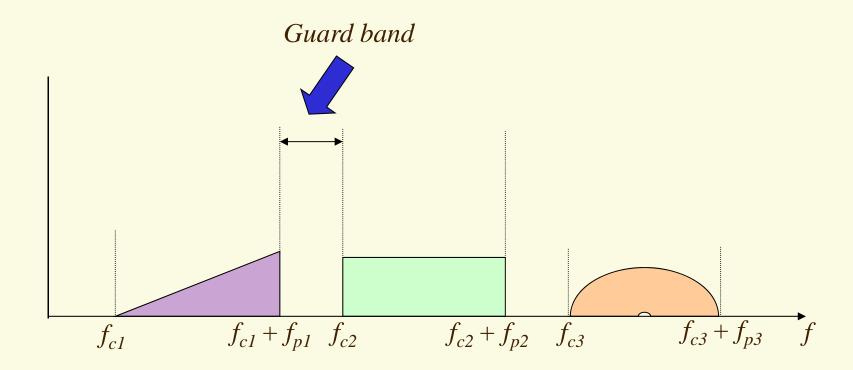
- Beberapa informasi atau sinyal dikirim secara bersama-sama dengan menggunakan beberapa frekuensi yang berbeda
- Digunakan beberapa carrier (sub carrier) untuk dimodulasi dengan masing-masing sinyal informasi

Prinsip FDM

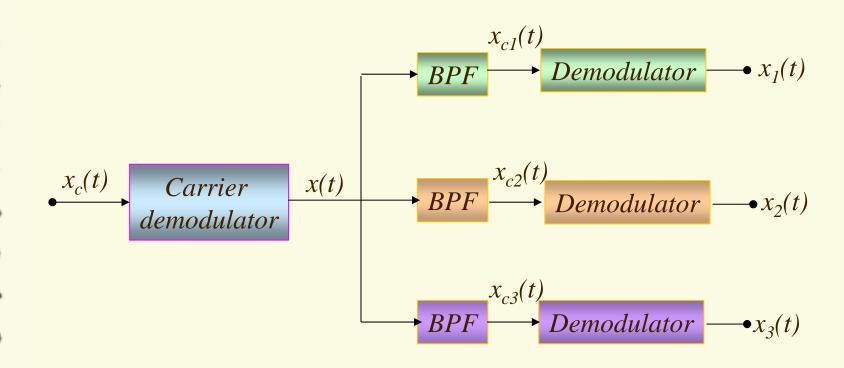




Spektrum hasil multiplexing



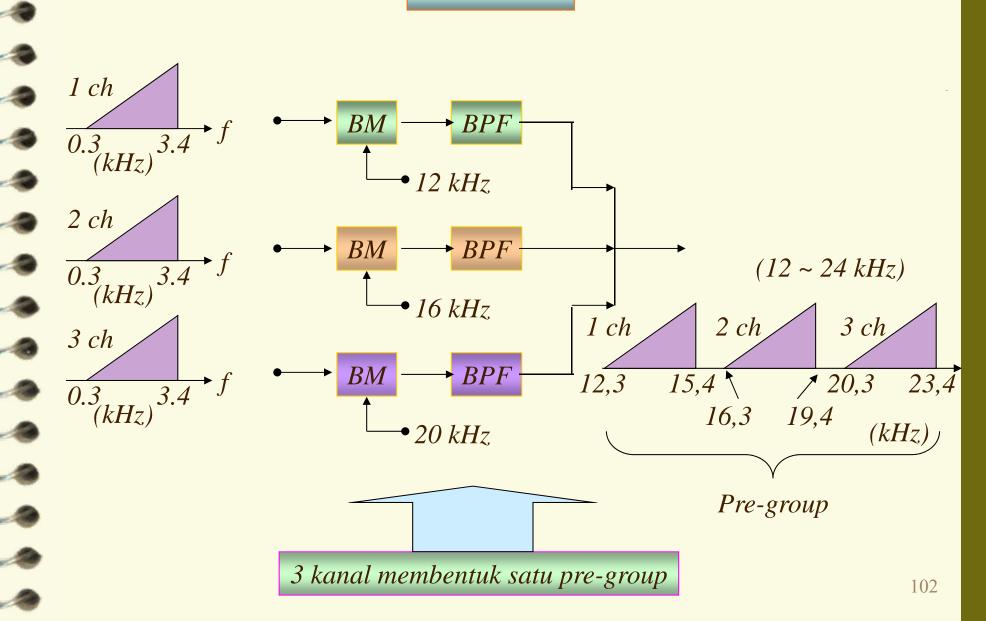
Penerima FDM

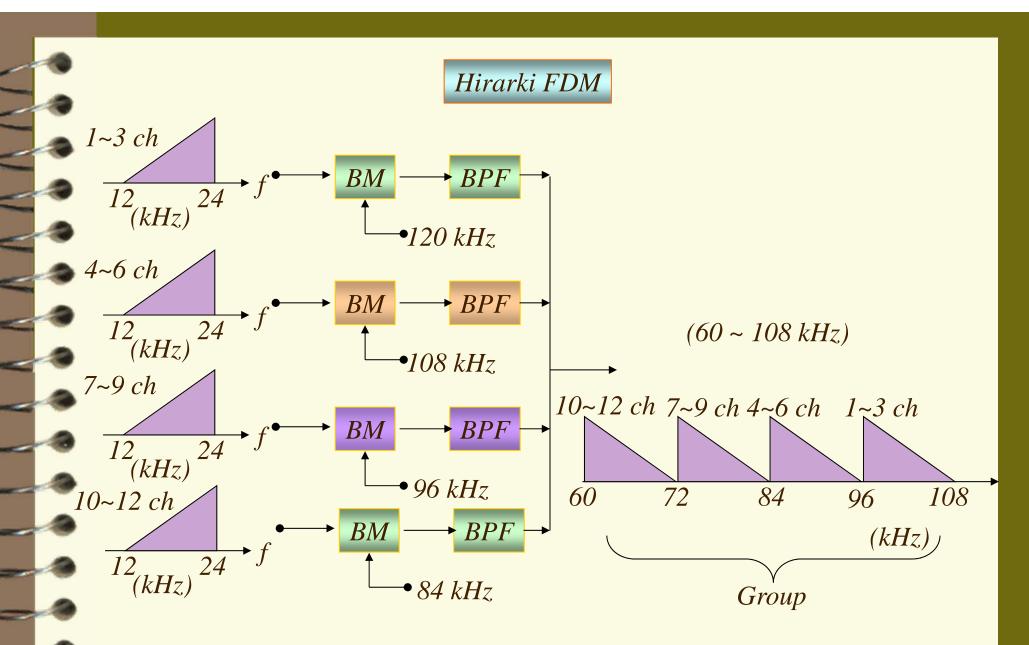


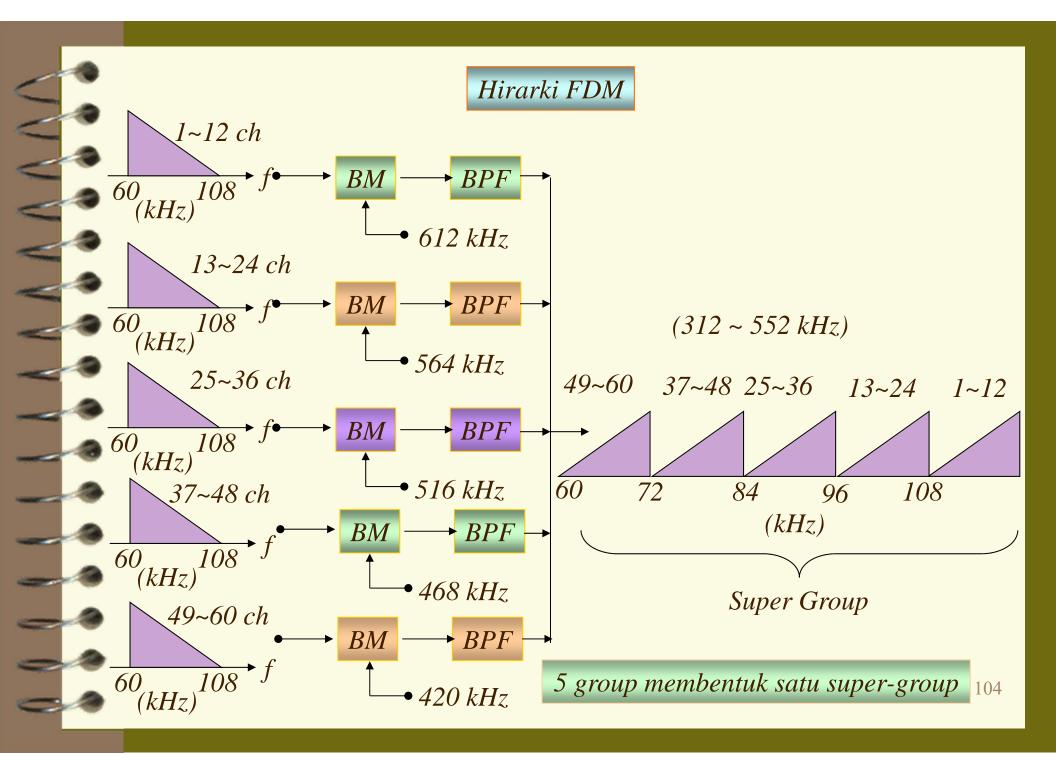
Hirarki FDM dari Bell system

Istilah	Komposisi	Range frekuensi Bandwidth Banyaknya		
	- 1	(kHz)	(kHz)	kanal suara
Group	12 Voice channel	60 - 108	48	12
Super	5 Group	0.1.0		
group		312 - 552	240	60
Master	10 Super			
group	group	564 - 3084	2520	600
Super	6 Master			
master group	group	500 - 17.500	17.500	3600









Tabel carrier hirarki FDM

* Channel Multiplexer

Channel	Carrier frequency	LSB Frequency range
1	108 kHz	104 ~ 108 kHz
2	104 kHz	100 ~ 104 kHz
3	100 kHz	96 ~ 100 kHz
4	96 kHz	92 ~ 96 kHz
5	92 kHz	88 ~ 92 kHz
6	88 kHz	84 ~ 88 kHz
7	84 kHz	80 ~ 84 kHz
8	80 kHz	76 ~ 80 kHz
9	76 kHz	72 ~ 76 kHz
10	72 kHz	68 ~ 72 kHz
11	68 kHz	64 ~ 68 kHz
12	64 kHz	60 ~ 64 kHz

Tabel carrier hirarki FDM

* Group Multiplexer (60 Voice channel)

Group	Carrier frequency	LSB Frequency range
1	420 kHz	312 ~ 360 kHz
2	468 kHz	<i>360</i> ~ <i>408 kHz</i>
3	516 kHz	408 ~ 456 kHz
4	564 kHz	456 ~ 504 kHz
5	612 kHz	504 ~ 552 kHz

Freq. Range 312 ~ 552 kHz



Bandwidth 240 kHz

Tabel carrier hirarki FDM

* Supergroup Multiplexer (600 Voice channel)

Channel	Carrier frequency	LSB Frequency range
1	612 kHz	60 ~ 300 kHz
2	Direct	312 ~ 552 kHz
3	1116 kHz	564 ~ 804 kHz
4	1364 kHz	812 ~ 1052 kHz
5	1612 kHz	1060 ~ 1300 kHz
6	1860 kHz	1308 ~ 1548 kHz
7	2108 kHz	1556 ~ 1796 kHz
8	2356 kHz	1804 ~ 2044 kHz
9	2604 kHz	2052 ~ 2292 kHz
10	2852 kHz	2300 ~ 2540 kHz

Freq. Range 60 ~ 2540 kHz



Bandwidth 2480 kHz

BAB IV RANGKAIAN RESONANSI & TRANSFORMATOR

* Proses Resonansi

RLC

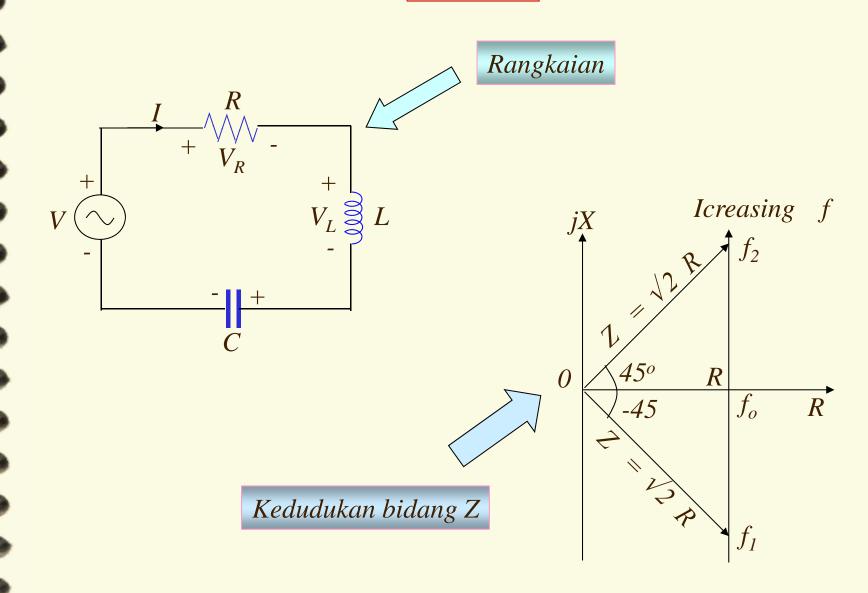
Komponen real (resisitif) + imajiner (reaktif)

RLC

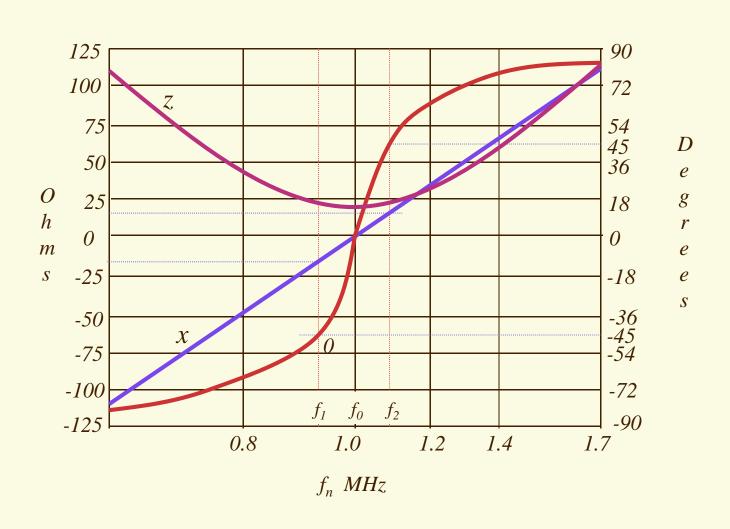
Komponen resistif (impedansi & admitansi real saja)

Resonansi

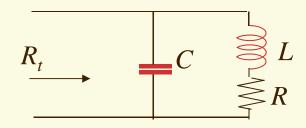
RLC Seri



Respons frekuensi rangkaian RLC seri



Rumus-rumus perencanaan untuk rangkaianRL//C



Quality

Exact Expression

Unit

Approximate Expression $Q_t \ge 10$

$$\omega_{o}$$

$$= \left(\frac{1}{LC - R^2C^2}\right)^{1/2}$$

rad/s

$$=\frac{1}{\sqrt{LC}}$$

$$Q_t$$

$$=\frac{1}{\omega_0 CR} = \frac{R_t}{\omega_0 L}$$

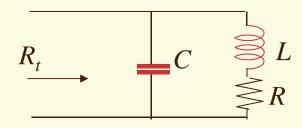
 $=\frac{\omega_0 L}{R}$

$$\omega_0 L$$

$$=\frac{1}{\omega_0 C} \left(\frac{Q_t^2 + 1}{Q_t^2} \right)$$

$$=\frac{1}{\omega_0 C}$$

Rumus-rumus perencanaan untuk rangkaianRL//C



Quality

Exact Expression

Unit

Approximate Expression $Q_t \ge 10$

$$R_t$$

$$= \left(\frac{L}{CR}\right) = \omega_0 L Q_t$$

ohms

$$=Q_t^2 R = \frac{Q_t}{\omega_0 C}$$

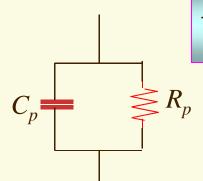
$$= R(Q_t^2 + 1)$$

$$=\frac{\omega_0 L}{R}$$

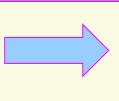
 \boldsymbol{B}

hertz

$$=\frac{f_0}{O_t}=\frac{1}{2\pi CR_t}$$



Rumus konversi paralel-seri untuk rangkaian RC



$$R_s$$

$$X_p = \frac{1}{\omega C_p}$$

Parallel Equivalent of the Series Network

$$Q_p = \frac{R_p}{X_p}$$

$$X_s = \frac{1}{\omega C_s}$$

Series Equivalent of the Parallel Network

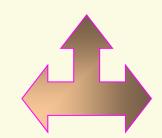
$$Q_s = \frac{X_s}{R_s}$$

$$R_{pe} = R_s \left(1 + Q_s^2 \right)$$

$$X_{pe} = X_s \left(\frac{Q_s^2 + 1}{Q_s^2} \right)$$

$$C_{pe} = C_s \left(\frac{Q_s^2}{Q_s^2 + 1} \right)$$

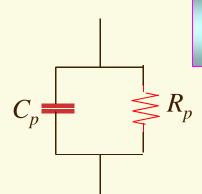
Exact Formula



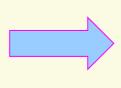
$$R_{se} = \frac{R_p}{1 + Q_p^2}$$

$$X_{se} = X_p \left(\frac{Q_p^2}{Q_p^2 + 1} \right)$$

$$C_{se} = C_p \left(\frac{Q_p^2 + 1}{Q_p^2} \right)$$



Rumus konversi paralel-seri untuk rangkaian RC





$$X_p = \frac{1}{\omega C_p}$$

Parallel Equivalent of the Series Network

$$Q_p = \frac{R_p}{X_p}$$

$$X_s = \frac{1}{\omega C_s}$$

Series Equivalent of the Parallel Network

$$Q_s = \frac{X_s}{R_s}$$

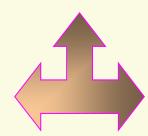
Approximate Formulas

If
$$Q_s \ge 10$$

$$R_{pe} = R_s Q_s^2$$

$$X_{pe} = X_s$$

$$C_{pe} = C_s$$

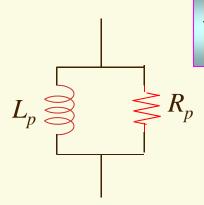


If
$$Q_p \ge 10$$

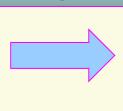
$$R_{se} = \frac{R_p}{O_p^2}$$

$$X_{se} = X_p$$

$$C_{se} = C_p$$



Rumus konversi paralel-seri untuk rangkaian RL





Define:

$$X_p = \omega L_p$$

Define:

$$X_s = \omega L_s$$

Parallel Equivalent of the Series Network

$$Q_p = \frac{R_p}{X_p}$$

Series Equivalent of the Parallel Network

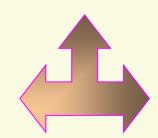
$$Q_s = \frac{X_s}{R_s}$$

$$R_{pe} = R_s \left(1 + Q_s^2 \right)$$

$$X_{pe} = X_s \left(\frac{Q_s^2 + 1}{Q_s^2} \right)$$

$$L_{pe} = C_s \left(\frac{Q_s^2}{Q_s^2 + 1} \right)$$

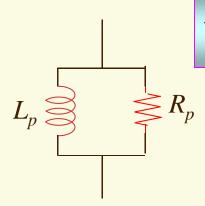
Exact Formula



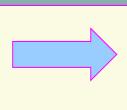
$$R_{se} = \frac{R_p}{1 + Q_p^2}$$

$$X_{se} = X_p \left(\frac{Q_p^2}{Q_p^2 + 1} \right)$$

$$L_{se} = L_p \left(\frac{Q_p^2 + 1}{Q_p^2} \right)$$



Rumus konversi paralel-seri untuk rangkaian RL





Define:

$$X_p = \omega L_p$$

Define:

$$X_s = \omega L_s$$

Parallel Equivalent of the Series Network

$$Q_p = \frac{R_p}{X_p}$$

Series Equivalent of the Parallel Network

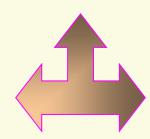
$$Q_s = \frac{X_s}{R_s}$$

If
$$Q_s \ge 10$$

$$R_{pe} = R_s Q_s^2$$

$$X_{pe} = X_s$$

$$L_{pe} = L_s$$



If
$$Q_p \ge 10$$

$$R_{se} = \frac{R_p}{2}$$

$$X_{se} = X_p$$

$$L_{se} = L_p$$