g13-tp4-ex1

May 28, 2024

1 Estruturas criptograficas: TP4 problema 1

1.1 Dilithium

Este é um algoritmo de assinatura digital pós-quântico que nos permite perceber se aconteceu uma alteração não autorizada, ou seja, o remetente poderá utilizar a assinatura digital para provar, que uma determinada informação não foi modificada e que a mesma veio de um determinado emissor.

1.1.1 KeyGen

A função keygen é responsável por gerar uma chave pública e uma chave privada (Byte strings), para que possam ser utilizadas pelo emissor e o recetor, para assinar um determinado conteúdo, e verificá-lo respetivamente.

1.1.2 Sign

A função sign é capaz de receber uma chave privada sk, e uma mensagem M (byte string), e gerar uma assinatura "sigma". Esta assinatura terá toda a informação necessária para que a função verify possa verificar a validade da mensagem relativamente à sua integridade.

1.1.3 Verify

A função verify recebe uma chave pública pk, a mensagem que queremos verificar M, e a assinatura sigma, que terá nela toda a informação necessária para extrair os parâmetros para a verificação da mensagem. Após a extração de todos os parâmetros necessários, e consequente verificação, a função retorna um valor booleano True caso a mensagem não tenha sido alterada, e caso contrário retorna False.

```
[324]: from hashlib import shake_256, shake_128 import os from functools import reduce
```

```
[325]: class DLTHM:

def __init__(self, security_strength = 2):
    # ML-DSA-44
    if security_strength == 2:
        self.q = 8380417
        self.d = 13
        self.tau = 39
```

```
self.lam = 128
        self.gama1 = 2^17
        self.gama2 = (self.q-1)/88
        self.k = 4
        self.1 = 4
        self.eta = 2
        self.beta = 78
        self.omega = 80
    # ML-DSA-65
    elif security_strength == 3:
        self.q = 8380417
        self.d = 13
        self.tau = 49
        self.lam = 192
        self.gama1 = 2^19
        self.gama2 = (self.q-1)/32
        self.k = 6
        self.l = 5
        self.eta = 4
        self.beta = 196
        self.omega = 55
    # ML-DSA-87
    elif security_strength == 5:
        self.q = 8380417
        self.d = 13
        self.tau = 60
        self.lam = 256
        self.gama1 = 2^19
        self.gama2 = (self.q-1)/32
        self.k = 8
        self.l = 7
        self.eta = 2
        self.beta = 120
        self.omega = 75
   self.n = 256
   Zq = IntegerModRing(self.q)
   self.Tq = Zq^256
   R.<X> = PolynomialRing(Zq)
   self.Rq = R.quotient(X^256 + 1)
# Função auxiliar para transformar bytes em bits
```

```
def BytesToBits(self, B):
    b = [0] * len(B) * 8
    B = self.BytesToByteArray(B)
    for i in range(len(B)):
        for j in range(0,8):
            b[8*i+j] = mod(B[i], 2)
            B[i] = B[i] // 2
    return b
# Função auxiliar para transformar bits em bytes
def BitsToBytes(self, b):
    1 = len(b) // 8
    B = [0] * 1
    for i in range(0,8*1):
        B[i // 8] += ZZ(b[i]) * 2^(mod(i,8))
    return bytes(B)
# Função auxiliar para transformar bytes em bytearray
def ByteArrayToBytes(self, B):
    return bytes(B)
# Função auxiliar para transformar bytearray em bytes
def BytesToByteArray(self, Bytes):
    return list(Bytes)
# Função shake_256
def H(self, bytes, length):
    return shake_256(bytes).digest(length//8)
# Função shake_128
def H128(self, bytes, length):
    return shake_128(bytes).digest(1024)
# Função auxiliar para transformar inteiros bits
def IntegerToBits(self, x, alpha):
    y = []
    for i in range(alpha):
        y.append(ZZ(x) \% 2)
        x = ZZ(x) // 2
    return y
def CoefFromThreeBytes(self, b0, b1, b2):
    if b2 > 127:
        b2 -= 128
    z = 2^16 * b2 + 28 * b1 + b0
    if z < self.q:</pre>
```

```
return z
    else:
        return None
def CoefFromHalfByte(self, b, eta):
    if eta == 2 and b < 15:
        return 2 - (b % 5)
    elif eta == 4 and b < 9:
        return 4 - b
    else:
        return None
def RejNTTPoly(self, rho):
    a = [None] *256
    j = 0
    c = 0
    while j < 256:
        h = self.H128(self.BitsToBytes(rho), 1024)
        a[j] = self.CoefFromThreeBytes(h[c], h[c+1], h[c+2])
        c += 3
        if a[j] is not None:
            j += 1
    return a
def RejBoundedPoly(self, rho):
    a = [None] *256
    j = 0
    c = 0
    while j < 256:
        z = self.H(self.BitsToBytes(rho), 2048)[c]
        z0 = self.CoefFromHalfByte(z % 16, self.eta)
        z1 = self.CoefFromHalfByte(z // 16, self.eta)
        if z0 is not None:
            a[j] = z0
            j += 1
        if z1 is not None and j < 256:
            a[j] = z1
            j += 1
        c += 1
    return a
# Função NTT
def NTT(self, f):
    f_{-} = list(f)
    k = 1
```

```
len = 128
      while len >= 2:
          start = 0
          while start < 256:
              zeta = mod(17^(self.BitReverse(k)), self.q)
              k += 1
              for j in range(start, start + len):
                  t = mod(ZZ(zeta) * ZZ(f_[j + len]), self.q)
                   f_{j} = mod(ZZ(f_{j}) - ZZ(t), self.q)
                   f_{[j]} = mod(ZZ(f_{[j]}) + ZZ(t), self.q)
              start = start + 2 * len
          len = len // 2
       # f = 8347681
       # for j in range(256):
       f_{j} = (f * f_{j}) % self.q
      return f_
  # Função NTT Inversa
  def NTTInverse(self, f_):
      f = list(f)
      k = 127
      len = 2
      while len <= 128:
          start = 0
          while start < 256:
              zeta = mod(17^(self.BitReverse(k)), self.q)
              for j in range(start, start + len):
                  t = f[j]
                  f[j] = mod(ZZ(t) + ZZ(f[j + len]), self.q)
                  f[j + len] = mod(ZZ(zeta) * (ZZ(f[j + len]) - ZZ(t)), self.
⊶q)
              start = start + 2 * len
          len = len * 2
      return f
  # Função auxiliar para inverter bits de um número com 7 bits
  def BitReverse(self, i):
      return int('{:07b}'.format(i)[::-1], 2)
```

```
def ExpandA(self, rho):
      A = [[None]*self.l for _ in range(self.k)]
      for r in range(self.k):
          for s in range(self.1):
              A[r][s] = self.RejNTTPoly(self.BytesToBits(rho) + self.
→IntegerToBits(s, 8) + self.IntegerToBits(r, 8))
      return A
  def ExpandS(self, rho):
      s1 = [None]*self.1
      s2 = [None] *self.k
      for r in range(self.1):
          s1[r] = self.RejBoundedPoly(self.BytesToBits(rho) + self.
→IntegerToBits(r, 16))
      for r in range(self.k):
          s2[r] = self.RejBoundedPoly(self.BytesToBits(rho) + self.
→IntegerToBits(r + self.1, 16))
      return s1, s2
  def Power2Round(self, r):
      r_plus = mod(r, self.q)
      r0 = self.mod_plus_minus(r_plus, (2**self.d))
      r1 = (ZZ(r_plus) - ZZ(r0)) // (2**self.d)
      return r1, r0
  # Multiplicação de matrizes
  def MatrixMultiplication(self, A, u):
      aux = A.copy()
      res = [0] * self.n
      for i in range(self.k):
          aux[i] = self.MultiplyNTTs(A[i], u[i])
      for i in range(self.k):
          res = self.ArrayAddition(res, aux[i])
      return res
  # Adição de matrizes
  def MatrixAddition(self, A, B):
      res = []
      for i in range(self.k):
          res.append(self.ArrayAddition(A[i], B[i]))
```

```
return res
  # Adição de vetores
  def ArrayAddition(self, A, B):
      res = [0] * self.n
      for i in range(self.n):
          res[i] = ZZ(A[i]) + ZZ(B[i])
      return res
  # Subtração de vetores
  def ArraySubtraction(self, A, B):
      res = [0] * self.n
      for i in range(self.n):
          res[i] = A[i] - B[i]
      return res
  # Multiplicação de polinómios NTT
  def MultiplyNTTs(self, f, g):
      h = [0] * self.n
      for i in range(128):
          # print(f[2*i])
          # print([2*i + 1])
           # print(g[2*i])
           # print(g[2*i + 1])
          h[2*i], h[2*i + 1] = self.BaseCaseMultiply(f[2*i], f[2*i + 1], ___
\rightarrowg[2*i], g[2*i + 1], 17^(2* self.BitReverse(i) + 1))
      return h
  def BaseCaseMultiply(self, a0, a1, b0, b1, y):
      c0 = mod((a0 * b0) + (a1 * b1 * y), self.q)
      c1 = mod((a0 * b1) + (a1 * b0), self.q)
      return c0, c1
  def round(self, x):
      return int(x + 0.5)
  def bitlen(self, a):
      return len(bin(a)) - 2
  def mod_plus_minus(self, x, y):
      result = (ZZ(x + y // 2) \% y) - (y // 2)
      return result
```

```
def SimpleBitPack(self, w, b):
    z = []
    for i in range(256):
        z += self.IntegerToBits(w[i], self.bitlen(b))
    return self.BitsToBytes(z)
def SimpleBitUnpack(self, v, b):
    c = self.bitlen(b)
    z = v
    w = [0] * 256
    for i in range(256):
        w[i] = self.BitsToInteger(z[i*c:(i+1)*c])
    return w
def BitsToInteger(self, y):
    x = 0
    for i in range(len(y)):
        x = 2*x + y[len(y) - i - 1]
    return x
def BitPack(self, w, a, b):
    z = []
    for i in range(256):
        z += self.IntegerToBits(b - w[i], self.bitlen(a + b))
    return self.BitsToBytes(z)
def BitUnpack(self, v, a, b):
    c = self.bitlen(a + b)
    z = self.BytesToBits(v)
    w = [0] * 256
    for i in range(256):
        w[i] = b - self.BitsToInteger(z[i*c:(i+1)*c])
    return w
# Codifica a public key
def pkEncode(self, rho, t1):
    pk = rho
    for i in range(self.k):
```

```
pk += self.SimpleBitPack(t1[i], 2 ** (self.bitlen(self.q - 1) -__
\hookrightarrowself.d) - 1)
      return pk
  # Descodifica a public key
  def pkDecode(self, pk):
      rho = pk[:32]
      z = pk[32:]
      t1 = []
      for i in range(self.k):
           t1.append(self.SimpleBitUnpack(z[i * 320: (i + 1) * 320], 2**(self.
⇔bitlen(self.q - 1)-self.d) - 1))
      return rho, t1
  # Codifica a secret key
  def skEncode(self, rho, K, tr, s1, s2, t0):
      sk = rho
      sk += K
      sk += tr
      for i in range(self.1):
           sk += self.BitPack(s1[i], self.eta, self.eta)
      for i in range(self.k):
           sk += self.BitPack(s2[i], self.eta, self.eta)
      for i in range(self.k):
           sk += self.BitPack(t0[i], 2**(self.d - 1) - 1, 2**(self.d - 1))
      return sk
  # Descodifica a secret key
  def skDecode(self, sk):
      rho = sk[:32]
      K = sk[32:64]
      tr = sk[64:128]
      v1 = 128 +((32 * self.bitlen(2 * self.eta)) * self.l)
      y = sk[128:v1]
      v2 = v1 + ((32 * self.bitlen(2 * self.eta)) * self.k)
      z = sk[v1:v2]
      w = sk[v2:]
```

```
s1 = [None]*self.1
      for i in range(self.1):
           s1[i] = self.BitUnpack(y[i * 96: (i + 1) * 96], self.eta, self.eta)
      s2 = [None] *self.k
      for i in range(self.k):
           s2[i] = self.BitUnpack(z[i * 96: (i + 1) * 96], self.eta, self.eta)
      t0 = [[0] * self.n for _ in range(self.k)]
       for i in range(self.k):
           t0[i] = self.BitUnpack(w[i * 416: (i + 1) * 416], 2**(self.d - 1) -
41, 2**(self.d - 1)
      return rho, K, tr, s1, s2, t0
  def ExpandMask(self, rho, mu):
      c = 1 + self.bitlen(self.gama1 - 1)
      s = []
      for r in range(self.1):
           n = self.IntegerToBits(mu + r, 16)
           n_bytes = self.BitsToBytes(n) # Convert bits to bytes if needed
           \Delta = []
           for i in range(32 * c):
               hash_input = rho + n_bytes
               hash_output = self.H(hash_input, 1024)
               v.append(hash_output[i % len(hash_output)]) # Collect_
⇔necessary hash output bytes
           s_r = self.BitUnpack(v, self.gama1 - 1, self.gama1)
           s.append(s_r)
      return s
  def Decompose(self, r):
      r_plus = mod(r, self.q)
      r0 = mod(r_plus, 2*self.gama2)
       if ZZ(r_plus) - ZZ(r0) == self.q - 1:
           r1 = 0
           r0 = ZZ(r0) - 1
       else:
           r1 = (ZZ(r_plus) - ZZ(r0)) // 2*self.gama2
```

```
return (r1, r0)
def HighBits(self, r):
    (r1, r0) = self.Decompose(r)
    return r1
def LowBits(self, r):
    (r1, r0) = self.Decompose(r)
    return r0
# Função para gerar as chaves
def keygen(self):
    zeta = os.urandom(32)
    temp_bytes = self.H(zeta, 1024)
    # temp_bits = self.BytesToBits(temp_bytes)
    rho, rho_, K = temp_bytes[:32], temp_bytes[32:96], temp_bytes[96:]
    A_hat = self.ExpandA(rho)
    # print(A_hat)
    s1, s2 = self.ExpandS(rho_)
    ntt_s1 = []
    for i in range(self.1):
        ntt_s1.append(self.NTT(s1[i]))
    t = [
            reduce(self.ArrayAddition, [
            self.MultiplyNTTs(A_hat[i][j], ntt_s1[j])
            for j in range(self.1)
        ] + [s2[i]])
        for i in range(self.k)
    ]
    t1 = [[0] * self.n for _ in range(self.k)]
    t0 = [[0] * self.n for _ in range(self.k)]
    for i in range(self.k):
        for j in range(self.n):
            t1[i][j], t0[i][j] = self.Power2Round(t[i][j])
    pk = self.pkEncode(rho, t1)
    tr = self.H(pk, 512)
```

```
sk = self.skEncode(rho, K, tr, s1, s2, t0)
      return pk, sk
  def w1Encode(self, w1):
      w1_hat = []
      for i in range(self.k):
           w1_hat += self.BytesToBits(self.SimpleBitPack(w1[i], (self.q - 1) / __
\hookrightarrow (2 * self.gama2) - 1))
      return w1_hat
  def InfinityNorm(self, w, num):
      for i in range(len(w)):
           for j in range(self.n):
               if abs(ZZ(w[i][j])) >= num:
                   return False
      return True
  def MakeHint(self, z, r):
      r1 = self.HighBits(r)
      v1 = self.HighBits(r + z)
      if r1 != v1:
           return 0
       else:
           return 1
  def SampleInBall(self, rho):
      c = [0] * 256
      k = 8
      for i in range(256 - self.tau, 256):
           while self.H(self.BitsToBytes(rho), 1024)[k] > i:
               k += 1
           j = self.H(self.BitsToBytes(rho), 1024)[k]
           c[j] = (-1) ** self.H(self.BitsToBytes(rho), 1024)[i + self.tau -_{\sqcup}]
→256]
           c[i] = ci
```

```
k += 1
    return c
# Codifica a assinatura
def sigEncode(self, c_, z, h):
    sig = c_{-}
    for i in range(self.1):
        sig += self.BitPack(z[i], self.gama1 - 1, self.gama1)
    sig += bytes(self.HintBitPack(h))
    return sig
def HintBitPack(self, h):
    y = [0] * (self.omega + self.k)
    index = 0
    for i in range(self.k):
        for j in range(self.n):
            if h[i][j] != 0:
                y[index] = j
                index += 1
        y[self.omega + i] = index
    return y
# Função para assinar
def sign(self, sk, m):
    rho, K, tr, s1, s2, t0 = self.skDecode(sk)
    s1_hat = [self.NTT(s1[i]) for i in range(self.1)]
    s2_hat = [self.NTT(s2[i]) for i in range(self.k)]
    t0_hat = [self.NTT(t0[i]) for i in range(self.k)]
    A_hat = self.ExpandA(rho)
    mu = self.H(tr + m, 512)
    rnd = os.urandom(32)
    rho_= self.H(K + rnd + mu, 512)
    k = 0
    (z, h) = (None, None)
```

```
while (z, h) == (None, None):
          y = self.ExpandMask(rho_, k)
          # print(y)
          # print(len(y))
          y_ntt = [self.NTT(y[i]) for i in range(self.1)]
          w = [self.NTTInverse(reduce(self.ArrayAddition, [
                  self.MultiplyNTTs(A_hat[i][j], y_ntt[j])
                  for j in range(self.1)
              1))
              for i in range(self.k)
          ]
          w1 = [[0] * self.n for _ in range(self.k)]
          for i in range(self.k):
              for j in range(self.n):
                  w1[i][j] = self.HighBits(w[i][j])
          c_ = self.H(mu + self.BitsToBytes(self.w1Encode(w1)), 2 * self.lam)
          # print("c_", c_)
          c1_ = c_{:32}
          c2_{-} = c_{-}[32:]
          c = self.SampleInBall(self.BytesToBits(c1_))
          c_hat = self.NTT(c)
          cS1 = [self.NTTInverse(reduce(self.ArrayAddition,
              [self.MultiplyNTTs(c_hat, s1_hat[j])])
              ) for j in range(self.1)
          ]
          cS2 = [self.NTTInverse(reduce(self.ArrayAddition,
              [self.MultiplyNTTs(c_hat, s2_hat[j])])
              ) for j in range(self.k)
          1
          z = [self.ArrayAddition(y[i], cS1[i]) for i in range(self.k)]
          tt = [self.ArraySubtraction(w[i], cS2[i]) for i in range(self.k)]
          r0 = [[0] * self.n for _ in range(self.k)]
          for i in range(self.k):
              for j in range(self.n):
                  r0[i][j] = self.LowBits(tt[i][j])
          if self.InfinityNorm(z, self.gama1 - self.beta) or self.
```

```
(z, h) = (None, None)
        else:
            cT0 = [self.NTTInverse(reduce(self.ArrayAddition,
                [self.MultiplyNTTs(c_hat, t0_hat[j])])
                ) for j in range(self.k)
            ]
            sub = [self.ArrayAddition(w[i], cS2[i]) for i in range(self.k)]
            su = [self.ArrayAddition(sub[i], cT0[i]) for i in range(self.k)]
            h = [[0] * len(cT0[0]) for _ in range(len(cT0))]
            for i in range(len(cT0)):
                for i in range(len(cT0)):
                    h[i][j] = self.MakeHint(-cT0[i][j], su[i][j])
            count = 0
            for i in range(len(h)):
                if h[i] == 1:
                    count += 1
            if self.InfinityNorm(cT0, self.gama2) or count > self.omega:
                (z, h) = (None, None)
        k += self.1
    for i in range(self.1):
        for j in range(self.n):
            z[i][j] = self.mod_plus_minus(z[i][j], self.q)
    sig = self.sigEncode(c_, z, h)
    return sig
def Verify(self, pk, M, sig):
    rho, t1 = self.pkDecode(pk)
```

1.1.4 Geração de chaves

```
[326]: dilithium = DLTHM(2)
    print("KEYGEN")
    pk, sk = dilithium.keygen()

    print("Public Key: ", pk)
    print("Secret Key: ", sk)
```

KEYGEN

Public Key: b'x15x861x84xfcsx83xe5x8fxd7!/xb3LExc5xa21%xb6xebxe9 $xe7A\x8ar\x90\x12\x807\xea\xec8\xc5T\xce}v;z\xe2x\#\xe4\x85\xd9E\xb9\xff\r^\xfa\xeq$ $xcb\xcb,6(\xb6\xcb(\xadd))+\x86\x14\x9f\x0521\x8c\xcf(\xaep\xee\xce^\x86\x00I)$ $\xc7\x87\xc9\xd5\xbe\x881\xf7\x95\xbe\xc7Kk@\xec\x05\xc0\x8c\xe0\x8f\xf6\x$ $x1f\xd0\xc2\x15\xc2lLdE\n\xea\n\x0b\x0f\xa1cBNH\xa7\x08^\xb2\xad\xd0\xb10\xce\x9$ $xb2Y>op\\x05\\x84Cr]\\xbf\\19\\xcf\\xad\\x9d\\x8fF\\xd0\\x93\\g\\x97\\xecW\\xbc\\xd6z\\x1eZ\\xdbw$ $w\xa3g\xb9s\xed\xe2s\xdd\xb6\&AaZ\xe8\x12J\x99\#\xd3\x18\xc1\xfb\xd2\x9au\xc3KG\xc$ $eNx1f\\xee]xf8\\xef\\xdb\\x1a\\xa9\\x1d(\\xa7\\xde\\xa9\\rW_q\\xb3\\x02\\x08\\xfb\\x16_x91$ $xea\\x10;\\xddF\\xd0\\x9c\\x8b\\x8a\\xc9]\\xd9GF*\\xcf\\xc1Q\\xad\\x0eT\\xa5\\xd0A]\\xf9\\x9dAFE$ $\xdc\x1e\xec\&\x0e\xe0\xf\x91\xb7;P\x8b\x82B\xc6\xf6\x85\xc7h\xdd\xab\xbfv\x94\x$ $91\#\xcaj\x11\x7f\xdeXF\x05\{\x1e\x8d\xca\xdcaS<\xa2k\xdd\x0e\x86\x7f\xd6\xd7,UF\xd6\xd6\xd7,UF\xd6\xd6\xd7,UF\xd6\xd7,UF\xd6\xd7,UF\xd6\xd7,UF\xd6\xd7,UF\xd6\xd7,UF$ $b1\x82(\x8b\xc6\x05)$ Yq\x7f(\x98\x88\xad\x14j\xeb\x95-(y\x90Y\xe1\x8e\x03\x93j(\x $\label{lem:delay} $$ de\x91\x85\t$a=;\x04*\xf8\x11\xd6\xec>*\x00] o\xc5\x8bo\x7f#%\'_\xe3.Z\x862\xd99R$ $\xd39c!\xab.H\x15{pp\xb3\x940y\xeeb\x93\xe0\xb1\xc8\xc7+3\xe7\x817\x01\xf1\x9eKr$ $\$ ~\xc2\xa7\xbb\xe3\xfc\xfa\xe5\xfck{\xe0\xe0\xb3\xech7\x1b\xef7P\xb4\xdc\x9b]\xc4 $\label{label} $$ \ad\x86\x8d\x98\x85\x11\x9f\x02\xd4\xac\xdc\xaf/\xcd\x0c\xc8\x83\x1f\xcd\$ $xc0bc\xbc9\x95r\x1d\xdc\xab\xe4v\x1f\xde\xbb\xbd;\xd7\x1f\x18\xa8\xde\x90\x100L$ $fWx05\xdb\xab^{\xe0}\xa0\xa0\xf6\xf7\xdd\x96SH\xa9^{xe4W}\xdf\x84K\x99$ d2`e&1\x13\x92\x0e\xa1\xffX R\x99z*-S3%c\$\x06\x88\xd6\x972X\x92\x95\x0b\xe7\xddj $\x11^{61}x05\\xfb5\\xeao\\xceg\\xd2\\x944\\x87F\\x9e\\x0e\\x05m\\xf2\\t\\xf9\\xdd*3\\x97y\\xb7\\$ $xc20J\\xaee%8\\xba#e\\x08\\xa6\\x97\\x99$CT\\xc7L\\x9a\\xe1\\x16\\xf8y\\x86S\\x00\\xd3\\xd0\\xd2$ $\xbdn\xf2^?Y\x83[\x8b\xfcM\xec\xd2\xae\x90K\xd5\x13\xf35p\xab\x89/{\x16\xb0\x08}$ $x9e?\x19\x88\x89\x16\{\x1a7E\xf4\\xbf\xdc\xf5]\xb8\\xe5E\x984Y\xa1\xd0pg4\xcc\xf5]$ $abH\x12\xbe\xd0\xba\xaeBP\xc2\x8c4\xa3\'\xaa2\t\xa8\x18<\v\xa98D\x8f\xae\'\xbe\xab$ $8\xe5kT\x8e\xe2\xe^xc86\xc9\x0fHH\xc6\xdc\xda\#\xc2]0rY\x8d\xafNP.\xf4\x00\$ $xa8: xfa\\x87\\xb66\\xe9\\xf9\\xe0\\xf3\\xc6dN\\xd0\\xd3\\xc0V\\xdc2*I\\trw\\xb8\\xf8\\xda\\x8d\\x8d\\x8d$ $x8f\\x0c\\x1aW594IP\\xb4j\\xfd\\xf7E\\xcc\\xb2R\\x17\\n\\x99\\xf76\\x10\\xc2\\xf0\\x0e\\x8d\\xae\\xexicx\\xexi$ $xf0\\x0b\\x1cU\\xf1ZXd\\xbe\\xcc\\x83H\\x8d\\xe7*\\xae"\\xaasP\\xa3EGh\\xec2\\xa3T\\xa8\\xe5\\xb$ $e\fdA\xaf\xe9\xb0M\xf3Gw\xcb\x92\xcd\xb3\x89\x10\x05\xfe\xf2r\xfe\xd4\n\x15\x1a$ $M\x90\xd^x08\x90; j/xfa\x0e\xe40\xffA\x8cC\x9a\x058b\x00\xc2\xd0\x01\xc9\xa$ $7\x16td\xb2\xcc\xe6w\x05\xa1\x85\x99\xe6\x92\xd1\x19C\xfe\xc4r\x95\v\x1f\x90\'$ # +\x03\xce\x85K*E\x1c1r\x0f\x89\x8f\x7f~\xef\xeeu\x93\x15\x8e\xca\xac!\x97|i\$\xa3 $\x0^x96\x9a\xd9\xaa\xa0\xac^x9e\x88y\xcf\xb9\xc9\xea\xa0,\xe2\x82b.Ri\x0f\x17$

Secret Key: $b'\times15\times861\times84\times5\times85\times7!/\timesb3LE\times5\times21\%\times6\timese9\times$ $xe7A\x8a7\x90\x12\x807\xea\xec\xfb=\xee9\x92\%+\xd0\xaay7i1Kw\xf7\\xbc\x96\xdc\x$ $c5=N\times1fX\times86\timesd4\&N\times9d\timesad\timesfa\timesa2\times8bf\timesfd\timesad\times17\times13n\timesf8>\times8a\times23$ $xf2P\times 9xf2P\times 9xf2P\times 4xa3\times 96\times 2xf2P\times 9xf2P\times 9xf2P$ $a3f\xb9\x082\x18\xbb\xd6{\xa9\xa6n\xb7A1\x0b\xeb\xc0\xa1\x1c\x91\x90"\x19\x84\xd}$ $a\x02\x81\xc8\x02eD\x16Rc8\x06\xd8BP\x01\x00*\x818\x10\x02\x0cXFB\xa3FJD\x82E\7 $\x86L"\x01\x18\x04\x0c\x8a\x06\r\t\x97qX\x08\x11\x90(m\x080%\x037\x02\xd4\x86\x0$ $0X\times08\times06\times38\times22$ $82\xe1\& \x19\xb8d\x121hZ\xb6\x91\x92\$,\xa3\x90\x8c\x00\x98PX\x101Q20\x91\x960\x8$ $0\xc0\x84\x11C\x88LF\x8d$\x92)a\xb2\%\xa3\x92I\x81\x000\x18\xb4\tc$0\xa4\x12@\x82$ $x86\x0c\xc1\x04Q\x8a\x85\x99\x06\x04\x91\x16\x81\xdb2Q\x08e"\xc0\x94\x11\x1$ $8d\x08"fbBr\x8c0\&0\x84\x05\x8c0D\x1a\x820a\x94,A6q\xd1 F\x12\xb0\x05 \x11PB0A\xd$ $2H.\x12\x05q\x02\xb9\x8c\x08\x80\x90\x81\xb2\x8cJ\x142\xe3D^Q\x92)\x105Q\x9a4\x8$ $c\x94\x16\x88\x1aFH\n\xa5E\xd3\x84\x89\xe0\x86q\xdc\xc6\r!\x87$!\x92\xa4\xc6$ $L^x91qx88x160x19xa70xa06Ix91xb6x89xd1x92x00cx80Mx12x08Rxc4xa4pb$ $\x82\x10\x11\x19\x8c\x9b\x90\x89T\x02DR\x18-\xdcB\t\xda\x00*\x93\x00)\x00\x89\x8$ $1\xe4\x001\x1a\&\&\xd2B\x04\xd9\x92$"G\x0e\x19\xb8 \x0c\xb4\x81\x00\x00\x12\x1c\xc$ 5M\xcb\xc2E`\x181\xdb\xa4\x11I@I\x98&\x89\x84@\x12\xe1\x06(\x14\tj\x82\xa4\x91\x $8a\x94\x01\xdb\x14b\n8\r\x03\x111\x1c\x17\x84\x83\x16h\x98\x06pB$q\x00\x91$

\x1a\xc1, \xc2H\x81\x06\x89B\x10\x02JHeB\x96Q\x9b(B\x88@\x00\x19\x05&\x8bD\x86\x $0c\x12*A\xb8d\x18\xc6e\x1a\xb3e\x10\xa5\%RH*\xcc\x18\x00\x01H&C6FL\x98\%L\x08i\xa0$ 4d[x04Ebxb0x89x83(rxe1x101x13xa5)rxc1xc2x10Hx10rxe0&x8axa3xa4 $\a6h\x0b\xa0Q\xcc\x96\x84\x93"\x12\x83D(D\xc6\x85\$B\n\x8c$\x12\x94\xa2H\x126!\x$ $xc9\xb4M\x1a''(\x02E\&\x0c\x12J\xc8\x02m\x1222\x14!\&\x12\x14\x84d\x00\x01\x8a\x96$ 20i\x8c\xc4\x8cd\x18L\xca\x16\x88\x08\x07\t\x11!,\x88\x94a!\n\xc3\xa8\x01\xb5\r $\xd1\xd2\xd2\xb2)\x14\xc3\x08\x11\x81\x84\x92\xb4\x80\xc1\x14\x82L\x94\x81\xd1\$ $xc0\x10\x08\x86\x00\xc8(D\xd36\x0e\x90$@\xdb\xc0p\n\xb30\xc2\x88MD\x86a\xa4\x02d$ \x932\x01\x12\x99\x80\x1c\x10e[\x90\x04BgRCpM\xd6\xd3\xeca^\xcdkx\x99R\xe9\x0fi $c\xb1\xb1\x83\'\x11\xd5\&6\x08\xfd\x03wQ\x81\xb9p^\xfb\x97\xa9\xed\xb9\xc85"Pz\x8$ $3\xc^xe^x.\xc^4\xa^xa^xs^x.\xs^xe^x$ $a^x16\\x9;\\x94\\x84YM\\xa6\\xacw&;\\x1d\\x81{Q}xd3\\x1b^xe1\\x16h0\\x87\\xfd\\x8aA\\x$ $d0\xa0\xbu\x82\x8c\xf1\x95\xba?\x89G\xe8\x8e; \{1\xac\xd2i\xfd\xf2\&n\xb0\xc2)\xa$ $f\x07\xf3\xdb\xd3\xbf\x0e\x05\xd4\xed\xc9\xa2\x18f\x1d\x01e\xa7:\x08\xd4aU-\x13\xbernel (x)$ $xc7f\x85\x059\xf5\x17L\xa7F\xe6\xca\x8f\xc8\xce\xc8\xf6\x96Hd9\xef\xddC\xa6\xa3\$ $xb0*E\x8d\xee\xed\xc2i\xfa\xcf\x02.\x03u\xd6\xa8\x01\xcf\x8d\xef\xafa\xb3\xa5\x$ $f7x\xa4\xc7c.Y\x11\xef\xd6h\x18 \xa0\xe6v\xcf\xab\xf11\xbe\x16\xcb\x07"1\xa2\x15$ $\x191\xa8f\xc1:\xdd9\xd7\x9a^\Q\x07\x15y7\xfa\x02\We\x9eV\xbc\x1b\xc1A\x1e4\Q\xb$ $3\xaa\xa6\x19\x96Z\x11-\xb9w\&\x13CN^\xae\xcbu0\xfbn\xa3C\x84m\xb1\x84\x18iI\x19$ $\a6a\x66\xc6\xce\xf5\x04\x02\xe6n\x06\$Vgs\x0f\x7f\xd5\x7f\xe0g?\x9eYDs/z\x8b2$ $Du \times dC \times d1 \times a09 \times b4 \times 17Mio \times 8d \times e4 \times ca \times e3E \times 1cP \times 80\& \times cd \times c0 \times e7 \times 1d3ZF \times dd, x$ $\x01\x03\x93\xf7\x1a\xde=)\xb6\v5\xbf\xa0\x99\xc3\xf4R\x80\xe8\x8e\xd0\x03\#\xb1'$ $\xcd2\x1a\x00\x06e\xe4\x02p\xa6a\x8a\xd8o\x14\x8b\x08\xae:\x0e\xb4y\x9f/\xc1\xe4$ $\xcf\xdbX\xf7\x0ce\xac\&\xd2\x8fJ\xfd\x8b\xa1\xc9\x90\xabN \xcd\xb1\xc0\xee\x1cJ$ $4\xb6\x1b\xba\x88r\xf6\x91m\x905\xe3\xe5(\xa4m/\xd0\xbf\xf43\xa0\xfcb\x0ea\xcf!\$ $f\x1c\xc08d\xbb\xd4\x16,Es\xd1\xc3t^\xee\xaa+\x15\xe0\x13j\x1e\&\x13r\xc0\xae\xdd$ $x96\x96b6\xba\xa2W\x18\x8f\xb6ZH\k\xc6wH5\xefY\xaa\xe1\xa7\xcc\xc0V(\x19I = NS<)$ $xf0\x97\xfewoM\xd7\x9d\x1d\x92\x8b\x9e\'\x82\xba:\x9e\xf8V\x96\xf4\xe8\x9a\xc5n\$ $xeb\x12\xa7\x08YT\xc1=\x0b\x00\xdd6\xfcgo\xe0\xfe\x83\x1b\xa3b\xf7^\x19G\x0c\xf$ $9\x98pc\x0c\x11M1:\xeb\x1e7\xf3Q(!\xd4\xfcW\xa2\xba\x16\xfa\x13\xfb!\x01\xbd\xd9$ $3\xf6i\xcf\xd1S0\x89\x9c\x12\xe1CZ1\xd9\x80\xf4\xdb^,\x0ba?\xe1\xcf\xa9\xec\xdf$ $x000\x91\x87\x90\tgd\xd9:\x16\xc4\xb3\xfb\xbf\xf6\xe8`\xa8p&m\x05r\xdf0\xf0\xf8.$ $\x14^8\x17\xc5*\x1c2\x93\x10\x9asJ\xe6\x0c\xf2W\xc3\xd6\xdd\xcb\x15\x1f)\x1e$ $x15\\xe3\\x93\\xe0\\xf15\\x87\\xcfs\\xc6\\xb5Z\\x03=\\x98\\xa9\\xca\\x9b\\x13\\x0fq-\\x0bp7\\x98$ $\x842\xde''\xf6\xae\xfaB0\x08\xe0\x81\x9d\xd1\xb4\xbd:\x8c\x82\x99\xfe#\x03M\x99\xfe$ $F\xd0\xd4\xba?\x99\xa33\xc6\xa6\xff\xe5\xd1J\xe0\xdb;\rw\xea\xf8\x8b\xd6\xaf$ $x^{15}\neq x^{11}$ $c3\x17\x1e3\xd4p\x1f0\xba\xd9lf\x06\xfeb\xdc\xf5^\x1c\xcd\xd29\x02\x11\xd4^\xfa0$ $x11 \times 3n \times f / x17 \times 3n \times f / x3 \times f / x3 \times f / x3 \times f / x3 \times f / x4 \times f$ $a7\\x10K!\\x82\\xb9\\xb8S\\xc8R\\xe1\\x1e\\xe0\\xda9U\\xd3\\x14\\xeaMJ\\x87\\x9b\\xd0\\xdc\\xf9$ $\x85\x13YWVec\x88\x1b\r\xed\xd7\xa87\x93\x17\xf6$\x13\x89\xc4q%\xf6Rd\xa5\xa0XWQ$ $xd9\x9cF\xc7\xc2\xd4\xd3=\x93W\xd4\x0?\x96D\xd0\xbaHN\x0e\xdd4d\x08\x8d\xc0\x96\xd$ fe\xa2\xf30:\x83\xec!"Bo\xa3\xc5\xa6\x9b\x81!\x80\xa0\x03\x91\xad\xc7[\xa1\xda\x $x14r\t\xcd\x7fV\xba\x88\xf22dna\xc7J\xdf\x1c\xac\xd0\xbb\|A^T?\xbc\xb4\x13\xe7\x0$ $7e!\xd1\xf3\x1c\xbf\x87\xb9\x8f\xc5\x82\%\x821\x80\x97\x96\xc0]-\xebDq[\xee\xd21\x80\x97\x96\xc0]$

1.1.5 Assinatura

```
[327]: print("SIGN")
sig = dilithium.sign(sk, b"Hello World")
print("Assinaura (sigma): ", sig)
```

SIGN

Assinaura (sigma): $b'\x15\x8bg\x54\xe45Va\xdd\x87\xecY\x1f&q\x07\xf4\xf3JP\xe3JP\x$ $xacz\xd9\x0c\xe8.!\xe7\x8b\xbb+\xce\xba\x9e\xa3Z0\xc4/\xab^;\xb3\xa9-\xc2\xd4\t$ $8\x99\x13\x9c\x12\xd8\xf9\x0bn\xb5\x04\xd6\x84Kw\xa4\x7f\xf1g_\xa1\x0f\x95Mt\x0b$ $63I\xc8\xb8\x15\x12\x95\xf2a\x12\x05\xecy\x81"\r\xae\xda\r|=\x01)\W\x10\xc2\xd8\x$ $ec\x97cn\x8d\xf3P\x0b\xd1G\x97(\#\xa3\xb5T\xb9\x82\xe80\xea\x7fX\tr<\x07\xa16\x1$ $d\x88!\xfc+\xf5\x82\xd6\x00\xe8\xda\x08\x89b\xc0\x19\xf1\x1f\x19\xd8\xd1\x0e\x1f$ $\x98\xa7b\xa1[\xd7\xfd\xe1\x1a\x97o0s*@Ca\xf2\xdb\xd5\xc1\xcc%\xacjB)Mf\xcem\xf$ $a\xb1\xo2\x94\x92+)\xdc\xfau\xe9}\xb3\xf0\xf2\xc5\xff\xd8\x98_\xb2I\xo7\r\xae\xfau\xeq$ $9)@\x84\xf4\xc1\x8aU\xceUV\x1a\xffZmNs4\x1b\xe0G\xe5\x17\xe7\x85\x01\xd3$\x87\x1$ $e\xe^x1f\xa8cK\xc2o3\x97\xf3\xd90\x98\xabIG\xec\xb1v1R\xdf1uk\xe3\#\x94\xdd=E\x8$ $18U-1\times a9\times x7f([a\times f6\times b\times x4\times x12\#\times aeB$*\x8b\times b2_u-\xa0*m\&\xa7\times c5$ $\xca\xfe\xfe^-\xa4\x0ea\xb6B\)\xc5g\xb2\xfb\x9b\x1d\x91\r\x8f\x8d\'\xc5\xed0\xb$ $b\xf4''\xed\xfc(\x15\xec\xe72\xbfxSa\xda\xd6!)y\xbe\xf3]\x02\xac\xbf6\x$ $a4\xda\xfbx|\xa2\x9bW@\x95^\x1e\x9c\xc9 V"]o\x0c\xe1\xcbh+e\x9b^\xc3f\x$ $05\x9d\xe2\x91\x19P\xc2\x1c\x1cy\x06e\xc2(\xb9S8\X\x1e\x0b\xca\xaf;\x9d\xa8\x00$ $\xc2\xd7a\&\xfa\x95\xe8Q\xe3EHJ\x1az\%x84\xce\xbe0\x16\x00\x80F\xc1\xf1V\xee\x8d1$ $\x12{\xa5}x9a\x93\x1d^xb7\x19*s\x1d5\xb9k\xda\x0b\xa4\x0c-Z|\x9b\xbf\x9e\xe8X<$ $x92\x8b\x85\xfc]L90f\xebA\x1a\xf7{1\x12\x93\xaa9B\x00:\xd4i\x1cPk\x0f/\xe1\xe9\n}$ 1\xe8\xd3\'2\x8b\xe9T!\xe6J\x91Ft\xb0\xcc\xcd8!2^?r:0\xeac?2\x82t\x91\x94\x89\x9 $8\x17^{\xc2[\x078\xd3]p\xceT\xc7\xdb\xe1\x96''i7\xb9\x94\x84i<;\x9b@\x17\xe92\xc}$ $f\x92\x14\xa8\x1c\xb4\xc1P,,_3\x03\x0en\x82\x8fkc\x1f\xc7\n\xba\%\xee\xbe\x0f\xfa$ $\xde\xach\xfb\x91\x89 ua\xf8\%\xaf\xad0m\x89\xbe\xa7\x18\x85\xa28\xdb\t\x1e2a*X\x$ ab\xdcb0\x90\x85\x8esA~\x84d\xff!\x0b\xc1\x91^2\xe8\xc5\x0693\x8f\x7f\xe2G\xce\x $f0E^0\\x82\\x03\\xbc\\xe5\\xe8\\xa0\\m0\\xb0^h\\x92\\x19.Dk\\n\\xed\\xb0\\x98\\xeab\\x8e\\xacM\\xc$ $d\xde\x814\x90G\xf6\[\x9a\xd3\xe2j\xfaZP\xd2\xc0\x8a\xc7\xcc\x1b\xaa\xfbzi\xf62k$ $\xb0\xb02; \x19i\{\xe9\x83\xaf\xa4\x1e9\xe3\xaf\xae\x13\xc1\xc0u\xa9\xf9!\xaaT\x9$ $a\x91rn?\t/\xac\x88J\x18\x06\%\xd9\xd4\xdf\xff\xd9\xbf"K;\xa59\xb6\#\xe4\xfd\$ $x9d\x87\n\xad\xb1\x16\xb1\xb6\x8a\xe8\x80>\x1b=\xf6\x8c\x91\xc8o\xcb\xb0\xe1\xbc$ $\xf40\x1b\xb2\x10\xe9\xd2\xd2\xd2\xf2a\xd2\xf2a\xd3\#p\xc5\xb6/K\xc1;\xbe\x11\xe3$ $\xe51\xb9\x99\x04"y\xfed*\xe6\xd4U\r\xc9\xce^\x8e\xb9$ \tre\x94\xd6"\xa8\xf7\xd$ $3\x85\xa9\xcf\xceq\xc5m\x9c\xcb\x01\x81\xf89\xd8\xc4r\xc9L\x12\x0erkY\x92H\x$ $e8\x86Y\xa4(m\xc5\x1bDH\x7fje\xd4\xb8\xbb\x08\xdd\xf7\xc2\x90^9m\xca\xc1\x7f\xbb$ $\x00\x8b\xf1(\x3\x06=]v\x9g\x11t\x97\xf0\x85v\xc3\xbbV5\xf3Y*\xe1\x1$ $3q5\xebi\xb5|s:\xc3\xca\x9d\x897\x81\x18\xd9:_&\x07,\x7f\x02\xf0z\x11\x01\xbe\xd$ $30D\xda\xb5\x87\xc60\&\x08V\xf7^\x91\xb3\x0b\x93\xe7zMd\x1d\xc7.1\x83\x89\xc4p0\x$ $87\xc6N\xo1R\#\%\xfd{\xa7CB\x93\xbc\x94\#-!A}\xed\xbb\x127L"]\xbf\x13w\xd7\x18\x88P$ $x8b \times d0 \times b1 \times d1 \times c - x8d \times 96 \times 08 + xe1Y^xf3 \times 17 \times 1fS \times e1 \times 1d \times 06 \times e3 - xe3 \times d0B \times dc$ $\xf5\x9c\xe7q\xfe\x83\xf2D\x98M\xb2\xaa\x03\xfdf\xc5g!\xc0\x10+[?G3m\x83\x05v\xaa\xaa]$ $4\xbf\xb9\xed\x13k\x01\xfe8\xf6}\xa6\xb9k\xcb\x81\xa5\xa0\xf35,mS\x8c\x8d\xe95\x$ $85 \times x^{1} \times 6^{xf} \cdot x^{2} \times 3G \times 73 \times 71 \times 92 \times 10^{x} \cdot x^{2} \times 10^{x$ $cen/Z\x12\%^x1cR\xac?p\x834\xcd-\xe02\x07v^7\x7fB<\xe6?\x01\xc4s\xa2\x1a0;5R\xb1$ $0] \x9e\x9c\xed\x011q\x890\xc1\x07\xcf3\n\x87T\xbd\x10,\xb3\xfbf\xedr\xecDNJ0\xd8$ $\x82\xda/5\xa5A\xd9\xb3\xf6\t\xdd\x8e\xcd6\xaa\x02\#MZ\x05\xe4xHpz\x87\x8f6/\xaaD$ $xd2\\x1e2Q\\x1e$z\\x8c\\xaa\\xdaj\\xb3\\x08\\xc6\\xbc)\\x00-\\x0b\\xcf\\x10/:\\x1a\\x95\\xe9\\xb$ $b] xf3n xc2 x16 xa2 xc6 xc4 xdf xb2 xc3 x0b x15 xf9{0 xfdEd xdd xf6 xd4 xae x83}$ $xe1\\xe3\\xf2\\xe7\\xd6\\xc4\\xe0\\x13\\xe89\\xcf\\x96/\\xc1\\xf9\\x95-\\xa5\\xfc\\xf$ $a\x08\xa7\x08\xe21R\xc5\xf4\x8b\{G7\x0b\n\xf4<\t\x1b1\x97\xaa\x8f\xdb\xbf\x825\x$ $fc\xcdpB\xa4\x85,\x8e\x17\x8d\xa2\xaf\x9f\xc1\',\xed\xed\xfb\xf9\x83\xd9\xb52\x1$ $4\x83q\x87\xa4\x94\x88\xb8.\xd9\xbe-\xc2B\x86\xa9\x1djKo\x98\xa6\#dj\x0b(\x15\xf5)$ $s1\xf3\xc9\xb0[\x15\x00\xbck\x8f\x98\xdf\xe6\x1d9\4\x1b\xd2\xc4\xba%\x0f\xb3m\x$ $876\xb30\xe8|\xda\xff\xbe\x18\x04Ay\xa1\xfc\x08N\xf9\to\xaa)\x90\xb7\xdaD\xc1f\x$ = xa6 x1b xb8 xdb xf6 I xc0 x8d x1ek xf7C xf9 x10q xcb xbf x0e xd7?4 x0c x85 xee? $xef\\x99\\x84\\x0f\\xb2r\\xfe0>\\x0e\\xc4\\MppB\\x7f\\xf33Q>U\\x17\\xd9\\x00\\xe3\\xbaS\\xe0\\' At more of the context of the$ $xce\xf6\xf9T\xe9\x94\xddi\xd5\xce\xbe\x19\x0eA\xda0\xdc+\xbe\x92\xd1\x91]_1\x83\xdf$ $xc8K\xb3\xef!M<q\xa1[,\x8e\x04\xb0=\x8aHd\n0rN\xb1\xa07^"\x9b8\x1e[:\x1a\x06<\x8$ $6r\xdch\xee\xd4\xf9\{L\xbc\'\xcdy\x12\{s\x82\xe1\x16\xfd\x9a\xbe\xdb\|\xd4\xb0\x14\$ $x02\x1c\x86\x02\x13\xbdS=\xe9\xb8S\xc2P\xbcT\xc9\xff\xccu\xe4\xbf\xe4,/\x83v8\xd$ $4\xa10Ab\x06\xe1\xfa\xb7\x16eC\xae\x8b\xfa\xf5\x7f\xec3\x01\xa2\x8bT\xe2\x15\xa2$ x8844Nx9bxa6xd4x04B)xc6x05d2xf8xdf#xdbDx0bxfcxc6N,(x18xc2M1x81xd2M1x81xd2M1x84xd2M1x81xd2M1x81xd2M1x84xd2M1x $e\x1e\x04\x8d\x6\%\x04\x82\xab\x0ff\t9\x8e\x9f5BY\xa6\x89H\xae%Tu\xfa9E\x06M\xab$ $a\x9f\xba\xf2]\x7f\xa6\xc03\x08\xba^\xe9\xfe\xab\x84\x965\xa1\x1f1\x1e_3\xc3$ $\x afbc\x b5NA\t\x edm"S\x 06x\x de\x 87\x e6\x ac\x c6\x ce\x e1G\x adC\x 00\x 89\x b2\x b32\x b$ $1\xd8-\x7f\xca\xc8G\x80\xc8\x0f\xc9r\x8b\xcf._Y\xbf\x18V\xd5bmD?\xc0j\xa31\x8b\x$ $f5e\\xfdt\\x80q\\xa2g\\x89\\xfa\\xddB\\x85\\xd3q\\NqR\\xec\\xa2I\\x07\\xff\\x00\\x00\\x00\\x00\\x00\\x00$

1.1.6 Verificação

```
[328]: print("VERIFY")
# dilithium.Verify(pk, b"Hello World", sig)
```

VERIFY