

01-

a. 100101:  $1 \times 2^5 + 0 \times 2^4 + 0 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 1 \times 2^0$

$32 + 0 + 0 + 4 + 0 + 1$

37

b. 11010010:  $1 \times 2^7 + 1 \times 2^6 + 0 \times 2^5 + 1 \times 2^4 + 0 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 0 \times 2^0$

$128 + 64 + 0 + 16 + 0 + 0 + 2 + 0$

210

c. 100111100:  $1 \times 2^8 + 0 \times 2^7 + 0 \times 2^6 + 1 \times 2^5 + 1 \times 2^4 + 1 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 0 \times 2^0$

$256 + 0 + 0 + 32 + 16 + 8 + 4 + 0 + 0$

316

d. 0110101101:  $0 \times 2^9 + 1 \times 2^8 + 1 \times 2^7 + 0 \times 2^6 + 1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 1 \times 2^0$

$0 + 256 + 128 + 0 + 32 + 0 + 8 + 4 + 0 + 1$

429

02-

a.  $64_{10}$ : 64

0 32 | 2

0 16 | 2

0 8 | 2

0 4 | 2

0 2 | 2

0 1

1000000

b.  $78_{10}$ : 78

0 39 | 2

1 19 | 2

1 9 | 2

1 4 | 2

0 2 | 2

1 0 | 1

1001110

$$c-55_{10} : 55/2$$

$$1 \ 27/2$$

$$1 \ 13/2$$

$$1 \ 6/2$$

$$0 \ 3/2$$

$$110111$$

$$d-112_{10} : 112/2$$

$$56/2$$

$$28/2$$

$$14/2$$

$$7/2$$

$$3/2$$

$$1110000111$$

$$1110000111$$

$$03-0+2+0+5 \times 1+5 \times 1+5 \times 1+5 \times 1+5 \times 0+5 \times 0+5 \times 1 : 00111001_{10}$$

$$2-521_{10} : 521/2$$

$$1 \ 260/2$$

$$0 \ 130/2$$

$$65/2$$

$$1 \ 32/2$$

$$0 \ 16/2$$

$$0 \ 8/2$$

$$0 \ 4/2$$

$$2/2$$

$$0 \ 1$$

São necessários 10 bits para representar 521.

$$b-68_{10} : 68/2$$

$$0 \ 34/2$$

$$0 \ 17/2$$

$$1 \ 8/2$$

$$0 \ 4/2$$

$$0 \ 2/2$$

$$0 \ 1$$

São necessário 7 bits para representar 68

$$c-35_{10} \rightarrow 35_{12}$$

$$1 \ 17 \overline{) 2}$$

$$1 \ 8 \overline{) 2}$$

$$0 \ 7 \overline{) 2}$$

$$0 \ 2 \overline{) 2}$$

$$0 \ 1$$

São necessário 6 bits para representar 35

$$d-453_{10} \rightarrow 453_{12}$$

$$1 \ 226 \overline{) 2}$$

$$0 \ 113 \overline{) 2}$$

$$1 \ 56 \overline{) 2}$$

$$0 \ 28 \overline{) 2}$$

$$0 \ 14 \overline{) 2}$$

$$0 \ 7 \overline{) 2}$$

$$1 \ 3 \overline{) 2}$$

$$1 \ 1$$

São necessários 9 bits para representar 453

04-

$$a-101,011_2 = 1 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 + 0 \times 2^{-1} + 1 \times 2^{-2} + 1 \times 2^{-3}$$

$$4 + 0 + 1 + 0 + \frac{1}{2^2} + \frac{1}{2^3}$$

$$4 + 1 + 0,25 + 0,125 = 5,375$$

$$\underline{5,375}$$

$$b-111,1001_2 = 1 \times 2^2 + 1 \times 2^1 + 1 \times 2^0 + 1 \times 2^{-1} + 0 \times 2^{-2} + 0 \times 2^{-3} + 1 \times 2^{-4}$$

$$4 + 2 + 1 + \frac{1}{2} + 0 + 0 + \frac{1}{2^4}$$

$$4 + 2 + 1 + 0,5 + 0,0625$$

$$\underline{7,5625}$$



$$C = 010,0101_2: 0 \times 2^2 + 1 \times 2^1 + 0 \times 2^0 + 0 \times 2^{-1} + 1 \times 2^{-2} + 0 \times 2^{-3} + 1 \times 2^{-4} + 0 \times 2^{-5}$$

$$0 + 2 + 0 + \frac{1}{2} + 0 + \frac{1}{16} + 0$$

$$\underline{2,5625}$$

$$d = 001,101100_2: 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 + 1 \times 2^{-1} + 0 \times 2^{-2} + 1 \times 2^{-3} + 1 \times 2^{-4} + 0 \times 2^{-5} + 0 \times 2^{-6}$$

$$0 + 0 + 1 + \frac{1}{2} + 0 + \frac{1}{8} + \frac{1}{16} + 0 + 0$$

$$1 + 0,5 + 0,125 + 0,0625$$

$$\underline{1,6875}$$

15-

$$a = 0,152_{10}: \underline{0,00100}$$

$$0,152$$

$$b = 1,259_{10}: \underline{001,01000}$$

$$254$$

$$\times 2$$

$$0,304$$

$$\times 2$$

$$0,508$$

$$\times 2$$

$$0,608$$

$$\times 2$$

$$1,016$$

$$\times 2$$

$$1,216$$

$$\times 2$$

$$0,032$$

$$\times 2$$

$$0,432$$

$$\times 2$$

$$0,064$$

$$\times 2$$

$$0,864$$

$$\times 2$$

$$0,128$$

$$c = 25,24_{10}: 25|2$$

$$0,24$$

$$0,84$$

$$d = 32,0174_{10}: 32|2$$

$$0,0174$$

$$1|2$$

$$\times 2$$

$$\times 2$$

$$4|00000,000001$$

$$0,16|2$$

$$\times 2$$

$$0,6|2$$

$$0,48$$

$$1,68$$

$$0,8|2$$

$$\times 2$$

$$0,3|2$$

$$\times 2$$

$$\times 2$$

$$0,4|2$$

$$\times 2$$

$$1|1$$

$$0,96$$

$$1,36$$

$$0,1$$

$$0,2|2$$

$$\times 2$$

$$\underline{1001,001110}$$

$$\times 2$$

$$\times 2$$

$$100000,000001$$

$$0,1$$

$$\times 2$$

$$1,92$$

$$0,72$$

$$0,2|2$$

$$\times 2$$

$$\times 2$$

$$1,84$$

$$0,1$$

$$\times 2$$

06

a-158: 00110110 b-247: 0101001110 c-1558: 0011010111 d-1524: 1101010100

07. Porque o número 18423 possui o algarismo 8, que, não pertence aos algarismos octais (que vão de 0 a 7).

08-

a-182: 182 18

$$\begin{array}{r} 6 \ 2 \ 18 \\ 6 \ 2 \ 18 \\ \hline 266 \end{array}$$

b-197: 197 18

$$\begin{array}{r} 5 \ 24 \ 18 \\ 0 \ 3 \\ \hline 305 \end{array}$$

c-2445: 2445 18

$$\begin{array}{r} 5 \ 305 \ 18 \\ 1 \ 38 \ 18 \\ 0 \ 4 \ 18 \\ \hline 4615 \end{array}$$

d-2864: 2864 18

$$\begin{array}{r} 0 \ 358 \ 18 \\ 6 \ 99 \ 18 \\ 4 \ 5 \ 18 \\ \hline 5460 \end{array}$$

09-

a-4738: 1001110110 b-5268: 101010110 c-3751: 01111101001 d-1573: 110111010

10-

a-10101110: 238 b-101110: 268 c-11011010: 668 d-011001: 318

11-

$$\begin{array}{l} \text{a-} 249_{16}: 2 \times 16^2 + 4 \times 16^1 + 9 \times 16^0 \\ 512 + 64 + 9 \\ 585 \end{array} \quad \begin{array}{l} \text{b-} A6F3_{16}: A \times 16^3 + 6 \times 16^2 + F \times 16^1 + 3 \times 16^0 \\ 40960 + 1536 + 240 + 3 \\ 42739 \end{array}$$



$$c-A113_{16}: A \times 16^3 + 1 \times 16^2 + 1 \times 16^1 + 3 \times 16^0$$

$$\underline{40960 + 256 + 16 + 3}$$

$$41235$$

$$d-F2DB_{16}: F \times 16^3 + 2 \times 16^2 + D \times 16^1 + B \times 16^0$$

$$\underline{61440 + 512 + 208 + 11}$$

$$62171$$

12-

$$a-498_{10}: 498_{10}$$

$$\underline{2 \ 31_{16}}$$

$$\underline{15 \ 1}$$

$$\underline{1F2}$$

$$b-2453_{16}: 2453_{16}$$

$$\underline{5 \ 153_{16}}$$

$$\underline{9 \ 9}$$

$$\underline{995}$$

$$c-521_{10}: 521_{10}$$

$$\underline{9 \ 32_{16}}$$

$$\underline{0 \ 2}$$

$$\underline{209}$$

$$d-3782_{10}: 3782_{10}$$

$$\underline{6 \ 236_{16}}$$

$$\underline{12 \ 14}$$

$$EC6$$

13-

$$a-54_{16}: 101100_{10}$$

$$b-A35C_{16}: 101001110110010_{10}$$

$$c-B51F_{16}: 10110100111110_{10}$$

$$d-F8BD_{16}: 11111110111101_{10}$$

14-

$$a-5DF_{16}: 101110111110_{10}$$

$$b-F3_{16}: 1101111101_{10}$$

15-

$$a-101101_{10}: 2D_{16}$$

$$b-1001110_{10}: 4E_{16}$$

$$c-10110101_{10}: B5_{16}$$

$$d-101110110_{10}: 176_{16}$$

16-

$$7512_8: \overset{F}{1111} \overset{4}{0100} \overset{1}{0101} = F4A_{16}$$

$$2542_8: \overset{5}{0101} \overset{2}{0110} \overset{2}{0010} = 562_{16}$$

17.

a.  $1011 + 1011 = 1011$

$$\begin{array}{r} 1011 \\ 1011 \\ \hline 10110 \end{array}$$

b.  $1011 + 1010 = 1011$

$$\begin{array}{r} 1011 \\ + 1010 \\ \hline 100001 \end{array}$$

c.  $001101011 + 0111: 00110$

$$\begin{array}{r} 00110 \\ 00111 \\ \hline 1011 \\ 100100 \end{array}$$

d.  $01011 + 01100 + 01110 = 01011$

$$\begin{array}{r} 01100 \\ 01110 \\ \hline 100101 \end{array}$$

18.

a.  $10110 - 00111 = 10110$

$$\begin{array}{r} 10110 \\ 00111 \\ \hline 10111 \end{array}$$

b.  $11001 - 10011 = 11001$

$$\begin{array}{r} 11001 \\ 10011 \\ \hline 00110 \end{array}$$

c.  $1101101 - 101101 = 1101101$

$$\begin{array}{r} 1101101 \\ 101101 \\ \hline 1000000 \end{array}$$

d.  $10101100 - 10101 = 10101100$

$$\begin{array}{r} 10101100 \\ 10101 \\ \hline 10000001 \end{array}$$

19.

a.  $101101 \times 101 = 101101$

$$\begin{array}{r} 101 \\ 101101 \\ \hline 000000 \\ 101101 \\ \hline 1100001 \end{array}$$

b.  $100011 \times 110 = 100011$

$$\begin{array}{r} 110 \\ 100011 \\ \hline 000000 \\ 100011 \\ \hline 100011 \end{array}$$

c.  $1001011 \times 101 = 1001011$

$$\begin{array}{r} 101 \\ 1001011 \\ \hline 0000000 \\ 1001011 \\ \hline 0000000 \\ 10010110 \end{array}$$

d.  $1011010 \times 011 = 1011010$

$$\begin{array}{r} 011 \\ 1011010 \\ \hline 1011010 \\ 0000000 \end{array}$$

$10000110$

$$20-25: 2512$$

$$135-13512$$

$$1 \ 12/2$$

$$1 \ 67/2$$

$$0 \ 6/2$$

$$1 \ 33/2$$

$$0 \ 3/2$$

$$1 \ 16/2$$

$$1 \ 1$$

$$0 \ 8/2$$

$$11001 \rightarrow SM: 111001$$

$$0 \ 4/2$$

$$0 \ 2/2$$

$$0 \ 1$$

$$21-1011100110_2 = -230$$

$$10000111 \rightarrow SM: 11000011$$

22-

$$2-1011011_2: 0100100 \times$$

$$6-11001011_2: 00110100 \times$$

23-

$$2-1011_2: \begin{array}{r} 1011 \\ 0100 \\ \hline 10101 \end{array}$$

$$6-11011_2: \begin{array}{r} 11011 \\ 001000 \\ \hline 1001001 \end{array}$$

$$11001001 \ C-1001011: \begin{array}{r} 11001001 \\ 1001011 \\ \hline 1110101 \end{array}$$

$$2-100101110_2: 100101110$$

$$0110100001$$

$$\begin{array}{r} 100101110 \\ 0110100001 \\ \hline 1110111101 \end{array}$$

$$24-101101011_2: 101101011: 149 \times$$

$$010010100$$

$$010010100 \times +149$$



25-

a-101101-101141:

101101 101141

010010 010000

010011

1 1

010001

010011 010001

~~000001~~

b-100110-101101:

100110 101101

011001

010010

011010

1 1

011010

100111

010011

~~011010~~

01101

c-1001010-1011001:

1001010 1011001

0110101

0100110

0110110

0100111

1 1

~~001111~~

0110110 0100111

d-10011101-1101101:

10011101 1101101

0110010

0010010

0110011

1 1

0110011

0010011

~~0010011~~

~~10100000~~

26-

a-25-338:

010101 011011

101010

100100

101011

1 1

~~100101~~

101011 100101

~~001110~~

b-48-1415:

01001000 00010100

10101111

11101111

10111000

1 1

10111000

11101100

11101100

~~11011001~~

c-21-1816:

00010000 10101000

10111110

01010111

11011111

1 1

~~01010000~~

11011110 01010000

~~10000111~~

d-57-341:

101111 011100

010000

100011

010001

1 1

010001

111100

~~111100~~

~~1010101~~