Case Study of Liveness Verification in IronFleet

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Abstract. As more complicated software systems are becoming prevalent in today's world, more sophisticated program verification techniques are needed to reason about these. In particular, verification of liveness properties, or asserting that a property must occur, is traditionally difficult. In this paper, we survey the IronFleet methodology [2], a technique for building distributed systems that are provably correct, as it applies to verification of liveness properties. We consider the embedding of the Temporal Logic of Actions used in IronFleet, and discuss some limitations in their implementation.

1 Introduction

- 1.1 Safety Verification
- 1.2 Liveness Verification
- 2 IronFleet
- 2.1 Dafny
- 2.2 End-to-end Verification
- 2.3 Refinement
- 2.4 Liveness Verification in IronFleet

Limitations

3 Temporal Logic of Actions

The Temporal Logic of Actions (TLA) is an extension of Linear Temporal Logic introduced to reason about concurrent systems. TLA introduces "primed" variables, which represents the value of a variable in the next state. For example, the TLA action

$$x' = x + y$$

specifies that the value of x in the next state is equal to the value of x + y in the current state. An action is satisfied by a pair of states $\langle s, t \rangle$, where s is a valuation on the unprimed variables and t is a valuation on the primed variables.

The notion of primed variables allow us to specify a rich class of formulas not expressible in normal LTL.

First, we can represent the action $Unchanged f \equiv f' = f$ for any function f without primed variables, which states that f is a stuttering step. Using this, we can also represent the derived actions $[\mathcal{A}]_f$ and $\langle \mathcal{A} \rangle_f$ for any action \mathcal{A} . These respectively represent that an action either satisfies \mathcal{A} or stutters (w.r.t. f), and that an action that satisfies \mathcal{A} necessarily changes f. These are defined as follows:

$$[\mathcal{A}]_f \equiv \mathcal{A} \vee Unchanged f$$
 $\langle \mathcal{A} \rangle_f \equiv \mathcal{A} \wedge \neg (Unchanged f)$

TLA also introduces the action $Enabled \mathcal{A}$ which specifies that for any s, there is a t such that $\langle s, t \rangle$ satisfies \mathcal{A} .

TLA formulas add the temporal operator \Box , like in LTL. In addition, quantification over formulas is allowed. Derived formulas such as \Diamond are as in LTL. Other derived formulas include $F \leadsto G$ (leads to), WF_f(\mathcal{A}) (weak fairness), and SF_f(\mathcal{A}) (strong fairness). These are defined as follows:

$$F \leadsto G \equiv \Box(F \Rightarrow \Diamond G)$$

$$\mathrm{WF}_f(\mathcal{A}) \equiv \Box \Diamond \langle \mathcal{A} \rangle_f \lor \Box \Diamond \neg Enabled \langle \mathcal{A} \rangle_f$$

$$\mathrm{SF}_f(\mathcal{A}) \equiv \Box \Diamond \langle \mathcal{A} \rangle_f \lor \Diamond \Box \neg Enabled \langle \mathcal{A} \rangle_f$$

For use in verification, these derived formulas can express most liveness properties a user may want to express. Of course, for verification, we need proof rules allowing us to reason about these formulas, which we present below.

TODO: rules here

These rules allow us to reason about both strong fairness and weak fairness, both as a hypothesis and a conclusion. The use of these rules is demonstrated via a simple program that nondeterministically chooses one of two variables to increment ad infinitum. One can define a naive implementation of this program, as well as a more complex one using semaphores.

The TLA rules above can be used to prove weak fairness of the first implementation, strong fairness of the second, and it can even be used to prove that the semaphore implementation is a refinement of the naive implementation. Notably, all four of the above rules must be used for these proofs.

4 Related Work

See [3].

5 Conclusion

References

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