(2.2) in time and space Let us expand derives: 2 + (V-g gtv 2vd) + 2i (V-ggir 2vd) - V-g m²d: 0 Part A V-g gtv 2v 5 = V-g (gtt 2t 2t + gti 2ib)=A Parl B $\sqrt{-g}$ $g^{(1)}$ $\partial \mathcal{D} \bar{\mathcal{J}} = \sqrt{-g} \left(g^{t} \partial_{t} \bar{\mathcal{J}} + g^{(1)} \partial_{J} \bar{\mathcal{J}} \right) = B^{(1)}$ 30 roeluce the order of your derivative, me define $y_i = \partial_i \Phi$ $(\partial_i G)$ $A = \prod = \sqrt{-g} \left(g^{tt} \partial_t \mathcal{E} + g^{ti} \mathcal{V}_i \right) \quad (2.7)$ Ulhoro (2.6) eurs unlet. 3 rom (2.7) $\frac{\partial_t \overline{\Phi}}{\partial t} = \frac{1}{\sqrt{9}} - \frac{gt \dot{\lambda}}{gt \dot{t}} \Psi_{\dot{\lambda}} \qquad (2.8)$ and using (2.6) and (2.8) in (25) B'= V-g [gti (T] - gt f 4;) + gif 4; V-g gtt gtt => V-9 [gtt | T] - gtd V+ + gid V+] - Bi gtt | V-9 (3.9)

3 he time derivative, of
$$V_{L}$$
 can be computed using $(d.6)$ and (2.8) :

 $2tV_{L} = 2t 3tV_{L} = 3t (2tV_{L})$
 $\Rightarrow 2tV_{L} = 2t 3tV_{L} = 3t (2tV_{L})$

30 compute the time devazedine of V_{L} , v_{L}
 $v_{L} = 2t (2tV_{L}) = 2t (2tV_{L})$
 $v_{L} = 2t (2tV_{L}) = 2t (2tV_{L})$
 $v_{L} = 2t (2tV_{L}) = 2t (2tV_{$

$$\partial_t \psi_i = \partial_t \left(\beta^{\frac{1}{2}} \psi_j - \frac{\alpha \Pi}{\sqrt{r}} \right) \qquad (2.13)$$

$$B' = \alpha \sqrt{7} \left[\alpha^{-2} \beta^{i} \left(\beta^{j} + \beta^{-1} \right) + \left(\gamma^{i} - \alpha^{-2} \beta^{i} \beta^{j} \right) \gamma_{j} \right]$$

$$= \alpha \sqrt{\left[\alpha^{-2} \beta^{i} \beta^{0} \gamma_{j} - \beta^{i} \right]} + \left[\beta^{i} \gamma_{j} - \alpha^{-2} \beta^{i} \beta^{j} \gamma_{j} \right]$$

$$-) B' = \alpha \sqrt{\gamma} \gamma^{ij} \gamma_{j} - \beta^{i} T$$
 (2. J4)

and finally

