

# Competing under Information Heterogeneity: Evidence from Auto Insurance

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- Firms increasingly differ in *information precision* (data access/analytics) and in *cost structures*.
- This creates information asymmetries *between* firms (beyond classic buyer–seller asymmetry).
- Policy interest: regulations that equalize or share consumer risk information (e.g., centralized “risk bureau”).

# Research Questions

- How does heterogeneous information across insurers shape pricing, sorting, and market power?
- What happens to prices, surplus, profits, and sorting if information is shared/standardized?
- Distributional effects: who gains (low vs. high risk)? Efficiency effects: matching and costs?

- A tractable model of imperfect competition with firm-specific information precision and costs.
- New identification/estimation strategy using offered-price distributions and demand to recover signals.
- Evidence from Italian auto liability insurance with rich panel linking consumers across insurers.
- Counterfactuals: centralized risk bureau, full information, and privacy/high-variance restrictions.

## Institutional Background: Italian Auto Liability (RCA)

- Mandatory, annual, exclusive contracts; insurers cannot reject consumers.
- Large market:  $\approx 31$ M contracts in 2018;  $\approx 50$  national competitors.
- Key contract features widely standardized; little use of deductibles.

- Nationally representative matched insurer–insuree panel with claims frequency/severity, premiums, coverage.
- Tracks policyholders across insurers and time  $\Rightarrow$  measure risk using ex-post claims panel.
- Focus sample: new customers in Rome (2013–2021); top 10 firms + fringe group.

## Descriptive evidence

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# Sample & Summary Statistics

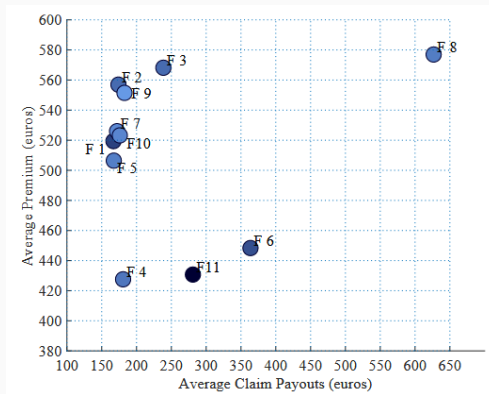
- $N \approx 124,428$  contracts; avg premium  $\approx 478$ ; within-year claim rate  $\approx 0.08$ .
- Demographics/vehicle: 56% male; avg age 48; BM class  $\approx 2$ ; car age  $\approx 8.3$  years.

Table 1: Summary statistics

Variables	Mean	Std. Dev.	Min	Max	N
Premium (€)	477.68	208.79	133.68	1335.05	124,428
Claim size (€)	260.89	10217.58	0	2521014	124,428
No. of claims (within contract year)	0.08	0.29	0	4	124,428
No. of accidents in last 5 years	0.81	1.22	0	3	124,428
BM class	2.06	2.51	1	15	124,428
Age	48.24	14.11	18	99	124,428
Man	0.56	0.50	0	1	124,428
Median city	0.10	0.30	0	1	124,428
Big city	0.62	0.49	0	1	124,428
Car age	8.30	5.27	0	19	124,428
Horsepower	66.88	26.84	0	493	124,428
Petrol vehicle	0.52	0.50	0	1	124,428
One installment	0.67	0.47	0	1	124,428



## Stylized Facts: Price Variation & Sorting



- Large cross-firm variation in average premiums even at similar average risks/market shares.
- Firms with higher average claim costs attract riskier consumers  $\Rightarrow$  sorting across firms.

## How we built Figure 2 (Savings distribution)

**Goal.** Show the distribution of individuals' savings (in UF) for the analysis sample, with extreme values trimmed to improve readability.

**Data.** Administrative SCOMP records. Savings come from the request file (*Solicitudes*): the AFP-reported balance in UF at the time of request. We restrict to the paper's analysis sample used elsewhere in the slides.

### Sample used for the figure.

- Start from the accepted certificates used in the analysis (one row per *certificado de saldo*).
- Keep annuity modality RV inmediata only; drop observations with ELD and with months guaranteed  $\neq 0$  to match the core sample used in the paper.
- Merge in savings from *Solicitudes* (balance in UF). If multiple requests exist for a certificate, keep the request closest (in time) to acceptance.

### Cleaning and construction.

- Remove missing/implausible balances (nonpositive UF).
- Compute the 99th percentile of savings and *truncate* the right tail at that value (values above p99 are set to p99).

## How was Figure 2 created?

### ❶ Step 1: Construct individual risk measures

- Panel regression of claim counts with individual fixed effects
- Log-normal regression of claim severity conditional on accident
- Risk measure = Expected frequency  $\times$  Expected severity

### ❷ Step 2: Firm-specific premium-risk regressions

- For each firm  $j$ :  $\text{Premium}_{ij} = \alpha_j + \beta_j \cdot \text{Risk}_i + \varepsilon_{ij}$
- Higher  $\beta_j$  suggests firm's prices are more responsive to actual risk

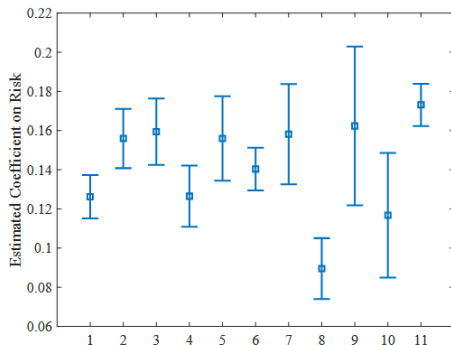
### ❸ Step 3: Bootstrap standard errors

- 200 bootstrap replications accounting for generated regressor
- Produces 95% confidence intervals shown as error bars

**Key insight:** Variation in  $\beta_j$  across firms indicates heterogeneous risk-rating precision

# Heterogeneity in Information Precision

- **ADD WHY WE NEED A MODEL**
- Measure how strongly each firm's premium responds to realized consumer risk (ex-post panel-based risk).
- Strong cross-firm differences in premium–risk slopes  $\Rightarrow$  heterogeneous precision.



## Model & Estimation

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# Conceptual Framework (Overview)

- $J$  insurers; standardized product; no outside option.
- Consumer true risk  $\theta$  (expected cost/year) unobserved ex ante.
- Firm  $j$  observes a private signal  $\hat{\theta}_j$  with precision that differs across firms.

$$\hat{\theta}_j \sim \mathcal{N}(\theta, \sigma_j^2), \quad \text{independent across } j \mid \theta, \quad (1)$$

- Lower  $\sigma_j^2 \Rightarrow$  higher information precision for firm  $j$ .
- Signals are used to form posterior beliefs about  $\theta$  *conditional on selection*.

$$p_j(\hat{\theta}_j) = \alpha_j + \beta_j \mathbb{E}[\theta \mid \hat{\theta}_j, D = j], \quad (2)$$

- $\alpha_j$ : baseline markup;  $\beta_j$ : pass-through/sensitivity to risk rating.
- $\mathbb{E}[\theta \mid \hat{\theta}_j, D = j]$  embeds selection  $\Rightarrow$  nonlinearity in  $\hat{\theta}_j$ .



- Consumers choose one insurer; utility depends on price and observable characteristics.
- No outside option (mandatory purchase)  $\Rightarrow$  shares across  $J$  firms sum to 1.
- Preference parameters allowed to vary with observables and risk type.

## Identification: Intuition

- Offered price is (strictly) increasing in the firm's private signal (auction-style monotonicity).
- Use observed *transaction* prices + demand model to invert to *offered-price* distributions by firm.
- How average prices move with risk identifies  $(\alpha_j, \beta_j)$ ; residual dispersion  $\Rightarrow \sigma_j^2$ .

# Estimation Steps

- ➊ Estimate demand and map transaction prices/shares to offered-price CDFs (firm-specific, nonparametric).
- ➋ Recover pricing coefficients  $(\alpha_j, \beta_j)$  from price–risk relationships.
- ➌ Use price dispersion to identify signal variance  $\sigma_j^2$  (information precision).
- ➍ Back out firm cost parameters from first-order conditions.

# Data Construction of Risk (Two-Part Model)

- Panel regressions to estimate individual risk:
  - Frequency (accident counts with FE) and severity (conditional paid amount).
  - Multiply predicted frequency  $\times$  predicted severity  $\Rightarrow$  expected cost per year.
- Controls for contract features (coverage, restrictions, devices) mitigate moral-hazard confounds.

## Results: Firm Heterogeneity

- Large differences across firms in information precision ( $\sigma_j^2$ ), pricing sensitivity ( $\beta_j$ ), and costs.
- Firms with less accurate risk-rating tend to have *more efficient* claim-processing costs.
- Baseline sorting: higher-risk consumers concentrate at firms with higher average claim payouts.

## Results: Price Sensitivity & Markups

- Estimated  $\beta_j$  varies markedly: some firms' prices are much more responsive to risk.
- Baseline markups ( $\alpha_j$ ) differ, consistent with market power from information advantages.

*[Insert plot: distribution of  $\beta_j$  and  $\alpha_j$  across firms.]*

- **Centralized Risk Bureau:** aggregate firms' signals (weighted by precision), share equally with all.
- **Full Information Benchmark:** firms observe true  $\theta$  (eliminate information asymmetry).
- **Privacy/Restriction:** firms can only use basic information; set  $\sigma_j^2$  to the worst observed.

## Counterfactual Results: Prices & Welfare

- Average premiums fall by  $\sim 21.6\%$  (bureau) to  $\sim 25.7\%$  (full information).
- Consumer surplus rises by  $\sim 15.7\%$  (bureau), close to  $\sim 16.9\%$  (full information).
- Firm profits decline on average; losses largest for firms with advanced risk-rating tech.

*[Insert bar chart:  $\Delta$  premium,  $\Delta$  CS,  $\Delta$  profit under each scenario.]*



## Distributional Effects by Risk Type

- Bureau/full-info mainly benefit *low-risk* consumers via sharper risk-based pricing.
- Privacy/high-variance benefits *high-risk* consumers (harder to distinguish from low-risk).

*[Insert plot: CS changes by risk decile under each scenario.]*

## Mechanism: Competition & Undercutting

- Equalizing information weakens incumbents' info-based market power.
- Common risk evaluation  $\Rightarrow$  more effective undercutting  $\Rightarrow$  stronger price competition.

- With equal access to risk, firms more efficient at processing claims re-target higher-risk consumers.
- Sorting shifts from info advantages to cost specialization.
- Efficiency gains: avg cost ↓ by  $\sim 3.7\%$  (full info) and by  $\sim 12$  per contract (bureau).

*[Insert figure: change in sorting patterns ( $\text{risk} \times \text{firm}$ ) vs. baseline.]*

- Alternative risk measures and controls for contract features.
- Bootstrapped uncertainty accounting for generated regressors.
- Poisson checks: premiums predicting claim counts; similar cross-firm heterogeneity.

*[Insert table/figure: robustness summaries.]*

- Centralized information can materially lower prices and raise consumer surplus.
- Distributional trade-offs: low-risk consumers gain more under information sharing; high-risk under privacy.
- Industry composition effects: advanced-screening firms lose profits; potential dynamic innovation effects.

- Abstract from dynamic pricing/learning and multi-product cross-selling mechanisms.
- Treat signals as reduced-form precision differences (black box of algorithms/data).
- Focus on new customers ( $\text{tenure} = 0$ ) to avoid dynamics  $\Rightarrow$  external validity caveats.

- Dynamic extensions with learning and switching costs.
- Endogenous investment in information precision and costs (innovation incentives under policy).
- Generalization to other selection markets (credit, health, annuities) under heterogeneous information.

- Information heterogeneity shapes pricing power, sorting, and efficiency.
- Centralized sharing can compress prices and reorient sorting toward cost efficiency.
- Welfare gains are sizable, with clear distributional patterns across risk types.



- Frequency model with individual fixed effects; severity model (log amounts).
- Predicted risk =  $\widehat{\text{freq}} \times \widehat{\text{severity}}$ ; controls for contract features.

*[Insert table/figure: frequency & severity regression summaries.]*

## Appendix: Identification Sketch

- Monotonicity of offers in signals  $\Rightarrow$  order-preserving mapping to signal quantiles.
- Demand-implied mapping from transactions to offers recovers firm-specific offer CDFs.
- Price–risk slope pins down  $(\alpha_j, \beta_j)$ ; residual dispersion identifies  $\sigma_j^2$ .

Questions?