Calculale. au M. Turnie

Def.

Fie Zo, Z, ## alfabete, f: Zo* > Z,*. M. Twing M= (K, Z, S, A) calc. f

dc. Zo, Z = Z, + w = Zo*, f(w) = u, atunic (s, #w#) | m (h, #u#).

Extinderea molimi de folie calc. Twing.

A) f: M->M fet. calc. Twing

Fie I +#, the M, n = In

o folie $f: \mathbb{M} \to \mathbb{M}$ este calc. de o M.T. M, dc. M calc. f die $f': 3IY^* \to 3IY^*$, unde $f'(I^m) = If^{(n)}$, $m \in \mathbb{M}$.

Prin generalistare:

o M.T. cale f: MK→ M, dc calc. f':(3I) K→ 3Iy*, unde f'(Im,.., Imk) = If(m,., nk), + m,.., nk≥0.

Fie of felica successor:
$$f(m) = mH$$
, $m \in M$

$$M = (H, Z, S, A)$$

$$K = 32.5$$

$$Z = 3I, H^{\frac{1}{2}}$$

$$A = 20$$

$$S: \qquad \frac{2}{20} \qquad V \qquad S(2, V)$$

$$20 \qquad H \qquad (20, T)$$

$$(20, HII^{\frac{1}{2}}) \stackrel{\leftarrow}{\longleftarrow} (20, HII^{\frac{1}{2}}) \stackrel{\leftarrow}{\longleftarrow} (4, HIM^{\frac{1}{2}})$$

$$\overline{u} \quad g = umal: \qquad (20, HIM^{\frac{1}{2}}) \stackrel{\leftarrow}{\longleftarrow} (4, HIM^{\frac{1}{2}})$$

$$m = 0 \qquad , (20, H^{\frac{1}{2}}) \stackrel{\leftarrow}{\longleftarrow} (20, H^{\frac{1}{2}}) \stackrel{\leftarrow}{\longleftarrow} (4, HIM^{\frac{1}{2}})$$

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B) Limbaj devidabil Turing

Del.

Fre $\overline{Z_0} \not\ni \sharp$ un affahet. Atunci limbajul $L \subseteq \overline{Z_0}^*$ este decidabil Turning de si munai de. Jundie $\times_L : \overline{Z_0}^* \to 3 \mathfrak{D}$, \mathfrak{D}' este calculabile Turing, unde $\forall w \in Z_0^*$,

File Zo=3ay, L=3weZo* | Iw parie). M= (K, Z, S, s) este a proc. de decizie pd L.

K= 320,21, .., 264

Z=3a, 图, 图,料

1 = 20

S:
$$\frac{2}{20}$$
 $\frac{1}{20}$ $\frac{1}{2$

(H)

#

25

26

(h, R)

 $(20, \mathbb{O})$

c) Limitaj Twing acceptat

Fie Zo \$#, alfahet. Spunun ca o M. Twring acuptà sixul w & Zo*, dace M.T. se equote pt w.

M.T. Macepta limfajul L= Zo* (=> L=3 w=Zo* | Macuptà ws.

-6x:

Zo = 3 a, fy

L=3w=Zo* | w contine al pulie 'a'y.

Leste acceptat de M= (K, Z, S, s),

K= 3204

z=3a, h, #9

1 = 20

S: $\frac{g}{g_0}$ ∇ $\frac{g(g,\nabla)}{g_0}$ $\frac{g(g,\nabla)}{g_0}$ $\frac{g(g,\nabla)}{g_0}$ $\frac{g(g,\nabla)}{g_0}$

Compunerea M. Twing

Lema

Fie M o M. Twing & fie (2;, wiai ui), i=1,23 config. al M.T. M.

Dacc (21, wiai ui) | M (22, ww2 az uz), pt un sir w

fi (22, w2 az uz) | M (23, w8 a3 u3)

aturci (21, wiai ui) | M (25, ww8 a3 u3).

Idea deu: dace M mu se agasée un timpul aplubr:

(22, W2 a2 u2) + (23, W3 93 u3)

j aun M mu are a modalitate directà de a detecta capatul etg. al fenzii mu trebuie sa faca nicio incercare in timpul ac. ofilii de a-si muta capul la etg. primului ein fel din wzazuz. Dar apai de pomeste din config. (gz, wwzazuz) va aguige in (gz, wwzazuz) ta apuige in (gz, wwzazuz) fara a patrunde in primule [w] patrate ale fenzii.

Masini Turing de faxa:

1) souvre sunfaluri

121 marini de souire sintoluri

$$Wa = (K, \overline{Z}, S, A)$$

z) duplas. L/R

$$V_L = (324, Z, S_1, 2) \stackrel{\text{Mot}}{=} L$$

Réguli de compouvre a M. Twing Ox: M1, M2 -> M. Turning >M1 -> M2

ex:
$$M_1, M_2, M_3$$

$$> M_1 - \frac{a}{3} M_3$$

$$\downarrow L$$

$$M_2$$

Def.

O scheme de M. Turing este un Juplu (M, M, Mo),

m -> a multime finite de M.T. en alfatetul comme Z si

multime de stari disjuncte

Mo e M -> maoine initiale

M -> folie, M: M × Z -> M

Fie M -> M.T. compusa

n urape apliele simuland affile M.T. initiale Mo. Coud Mo se aprèrle, in mape affile alter M.T. die M.

n (Mo, a) -> nedef. => The aprile

n (Mo, a) = n em z) n continue appele du st virt a lui n

Reguli de represendance a une scheme (M, M, Mo):

10 M.T. Mo este marcate au >

2° a e z , m (n,a) = m', sagenta etichetata cu a, m a, m'

 $> \mathbb{R} \xrightarrow{a} \mathbb{R}$

ex: Z=39, f, c, #1

$$> \mathcal{R} \stackrel{\text{A.f.}}{=} \mathcal{R} \stackrel{\text{Mot}}{=} > \mathcal{R} \stackrel{\text{Mot}}{=} > \mathcal{R} \stackrel{\text{Mot}}{=} > \mathcal{R}$$

Motable.

80: ? M. Twing Le cojsière

(
$$\Delta$$
, $\# w \#$) $+ \frac{*}{M} (L, \# w \# w \#)$

> $L_{\#} \rightarrow \mathcal{R}$ $\sqrt{\frac{1}{2}} + \mathcal{R}_{\#} + \mathcal{R}_{\#} + \mathcal{R}_{\#} + \mathcal{R}_{\#}$

afe # $\frac{L_{\#}}{2}$ # $\frac{$

 $a \rightarrow # fc#a \xrightarrow{L^2_{\#}} # afc#a \xrightarrow{\mathcal{R}} # afc#a \xrightarrow{\mathcal{R}}$ $\xrightarrow{\sharp}$ \sharp $a \neq c \neq a$ $\xrightarrow{R^2 +}$ \sharp $a \neq c \neq a \neq b$ \xrightarrow{L} \sharp $a \neq c \neq a \neq b$ $\xrightarrow{L^2 +}$ -> #a#c#ah b Hafc #ah R +afc #af # --> #al##al R#, #al##al# -> #al##alc L#, #al##alc => #alc#alc == # #alc#alc == # #alc#ale#

tutotwt -> tutotwtwt

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