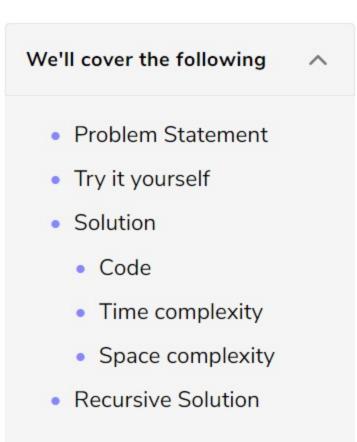


# Grokking the Coding Interview: Patterns for Coding Questions

Search Course

#### Unique Generalized Abbreviations (hard)



#### Problem Statement

Given a word, write a function to generate all of its unique generalized abbreviations.

A generalized abbreviation of a word can be generated by replacing each substring of the word with the count of characters in the substring. Take the example of "ab" which has four substrings: "", "a", "b", and "ab". After replacing these substrings in the actual word by the count of characters, we get all the generalized abbreviations: "ab", "1b", "a1", and "2".

₿

Note: All contiguous characters should be considered one substring, e.g., we can't take "a" and "b" as substrings to get "11"; since "a" and "b" are contiguous, we should consider them together as one substring to get an abbreviation "2".

#### Example 1:

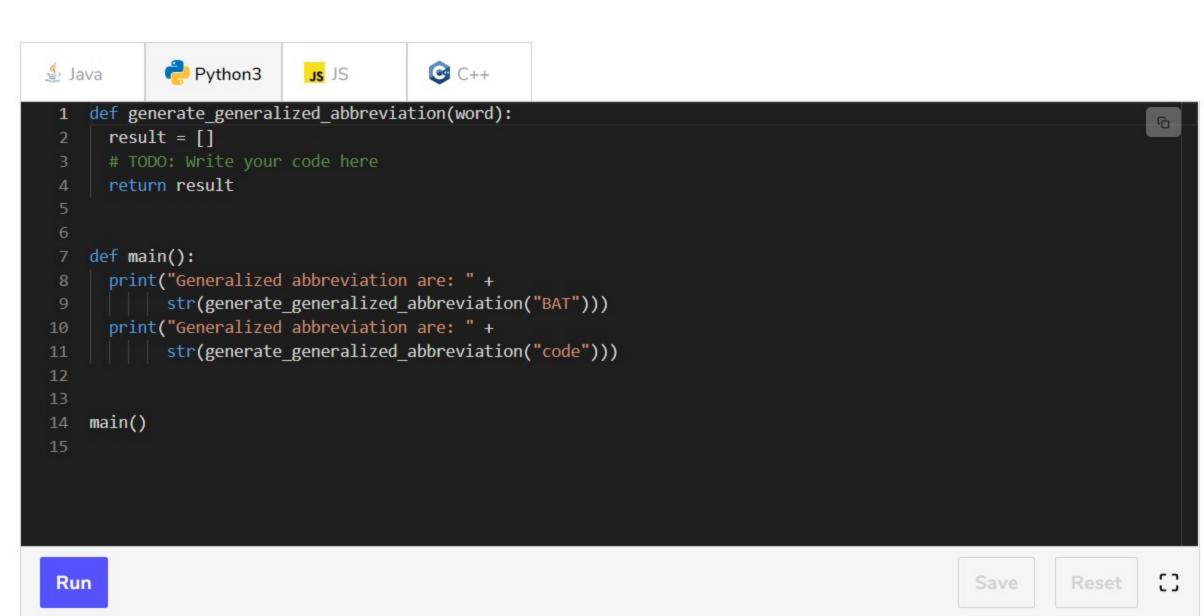
```
Input: "BAT"
Output: "BAT", "B1T", "B2", "1AT", "1A1", "2T", "3"
```

#### Example 2:

```
Input: "code"
Output: "code", "cod1", "co1e", "co2", "c1de", "c1d1", "c2e", "c3", "lode", "lod1", "lo1e", "lo2",
"2de", "2d1", "3e", "4"
```

#### Try it yourself

Try solving this question here:



# Solution

This problem follows the Subsets pattern and can be mapped to Balanced Parentheses. We can follow a similar BFS approach.

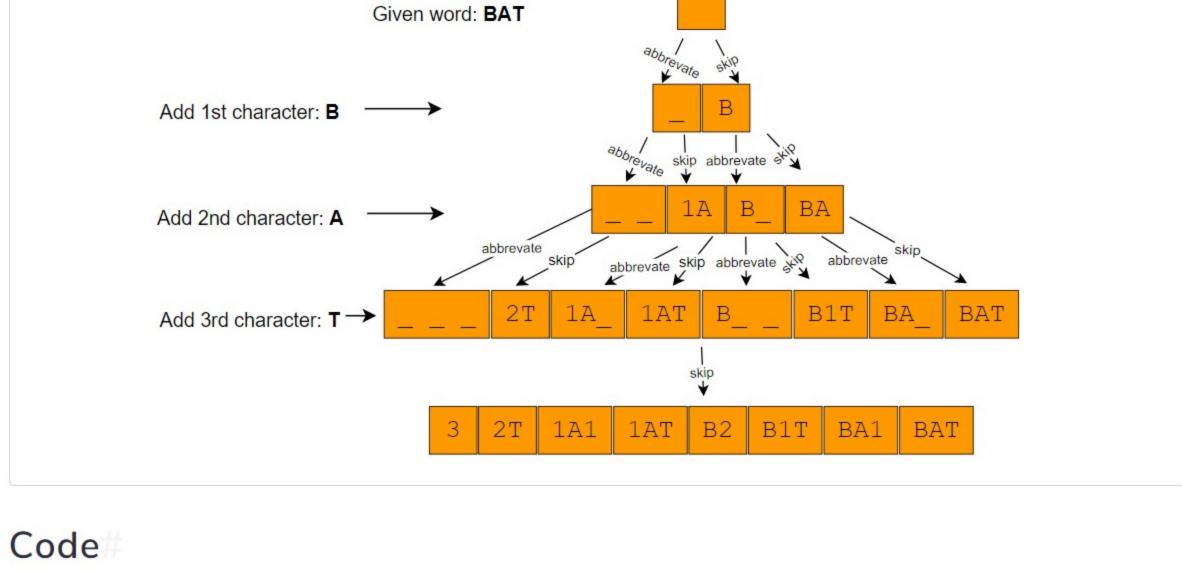
Let's take Example-1 mentioned above to generate all unique generalized abbreviations. Following a BFS approach, we will abbreviate one character at a time. At each step, we have two options:

- Abbreviate the current character, or
  Add the current character to the output and skip the abbreviation.
- riad the current character to the output and stap the abbreviation.

Following these two rules, let's abbreviate BAT:

- 1. Start with an empty word: ""
- 2. At every step, we will take all the combinations from the previous step and apply the two abbreviation rules to the next character.
- 4. In the next iteration, let's add the second character. Applying the two rules on \_ will give us \_ \_ and \_ 1A .

  Applying the above rules to the other combination B gives us B\_ and BA .
- 5. The next iteration will give us:  $\_$   $_$   $_$  ,  $_$  2T ,  $_$  1A $_$  ,  $_$  1AT ,  $_$  B  $_$   $_$   $_$  ,  $_$  B1T ,  $_$  BA $_$  ,  $_$  BAT
- 6. The final iteration will give us: 3, 2T, 1A1, 1AT, B2, B1T, BA1, BAT
  Here is the visual representation of this algorithm:



## Here is what our algorithm will look like:

```
1 from collections import deque
       class AbbreviatedWord:
         def __init__(self, str, start, count):
          self.str = str
          self.start = start
          self.count = count
  11
  12 def generate_generalized_abbreviation(word):
        wordLen = len(word)
        result = []
  14
  15
        queue = deque()
        queue.append(AbbreviatedWord(list(), 0, 0))
  17
         while queue:
          abWord = queue.popleft()
          if abWord.start == wordLen:
   19
            if abWord.count != 0:
   21
              abWord.str.append(str(abWord.count))
            result.append(''.join(abWord.str))
   22
  23
          else:
            # continue abbreviating by incrementing the current abbreviation count
   24
            queue.append(AbbreviatedWord(list(abWord.str),
   25
                                        abWord.start + 1, abWord.count + 1))
   27
            # restart abbreviating, append the count and the current character to the string
             if abWord.count != 0:
   29
              abWord.str.append(str(abWord.count))
   30
   Run
                                                                                               Save
                                                                                                         Reset
Time complexity
Since we had two options for each character, we will have a maximum of 2^N combinations. If you see the
```

## visual representation of Example-1 closely, you will realize that it is equivalent to a binary tree, where each

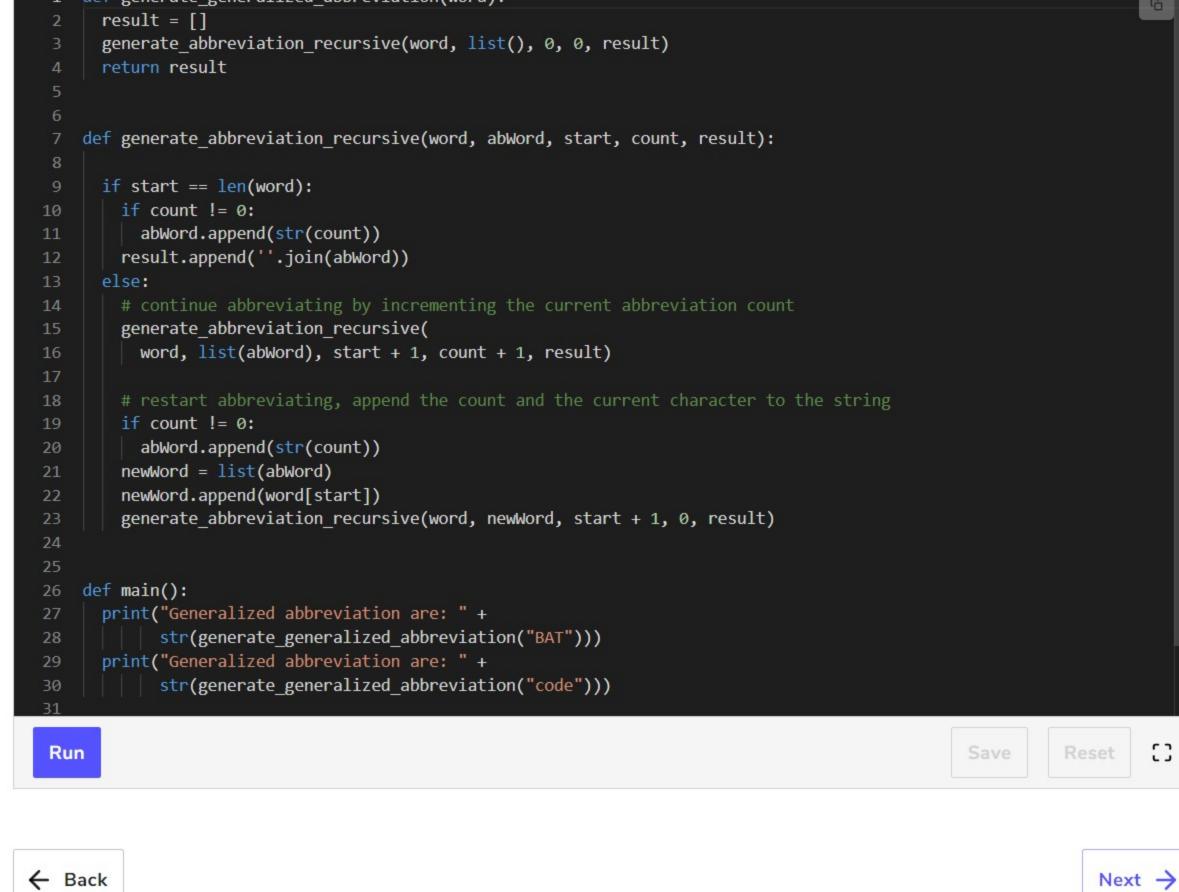
node has two children. This means that we will have  $2^N$  leaf nodes and  $2^N-1$  intermediate nodes, so the total number of elements pushed to the queue will be  $2^N+2^N-1$ , which is asymptotically equivalent to  $O(2^N)$ . While processing each element, we do need to concatenate the current string with a character. This operation will take O(N), so the overall time complexity of our algorithm will be  $O(N*2^N)$ .

All the additional space used by our algorithm is for the output list. Since we can't have more than  $O(2^N)$ 

# combinations, the space complexity of our algorithm is $O(N*2^N)$ . Recursive Solution

Balanced Parentheses (hard)

Here is the recursive algorithm following a similar approach:



Problem Challenge 1