

--- DATA ANALYSIS PLAN ---

Data preparation

1. Data validation and exclusion

1.1 Participant comment review

Participant comments after testing will be reviewed to validate a proper test result. Comments pertaining to technical difficulties and/or disturbances that may have affected the test result will be reviewed by at least two of the authors and lead to exclusion if so judged.

1.2 Non-native speaker exclusion

Furthermore, participants who are non-native Swedish speakers will be excluded in the analysis for CERAD learning, CERAD recall and FAS.

2. Index score for Stroop

Index scores will be calculated for the second part of Stroop test (color-word incongruence) by taking the number of correct answers divided by the time in seconds.

3. Data standardization

Data will then be standardized from raw scores according to the normative regression models for each cognitive test using age, education, input method and sex as predictors resulting

in Z-scores, indicating standard deviations above or below expected score. For a full overview of the multiple linear regression models used, and how they were calculated, see (Mindmore, 2022; van den Hurk et al., 2021).

4. Normality check

To test for normality, data will be visually inspected, and a subsequent Shapiro-Wilk test will be conducted.

Primary analysis

5. Primary hypothesis analysis

For the primary hypothesis, if data is acceptably normally distributed: parametric independent sample one-tailed t-tests will be used to test for differences between the patient group compared to norms. Otherwise a one-sided Wilcoxon signed rank test will be conducted.

Exploratory analysis

6. Generating virtual control group

a control group will be generated by using the predicted scores from normative regression models for the participants included in the study, leading to a virtual control group.

7. ANOVA for each test

After which an ANOVA with the three groups will be done.

8. Post-huc Tukey HSDs

Tukey post-hoc test will be done to test for pairwise comparisons

9. Simple linear regressions in memory domain

The tests in the memory domain (CERAD learning, CERAD delayed recall and Corsi) will be correlated to the sum-score of 6-QEMP using simple linear regression.

10. Simple linear regressions between subjective symptoms and cognitive test results

Each cognitive test will be correlated to the sum-scores of the SMBQ using simple linear regression.

Importing the necessary packages and loading data files

```
In [15]: from mindmore_standardisation import mindmore_standardis
import pandas as pd
import numpy as np
from matplotlib import pyplot as plt
from scipy import stats
from statsmodels.stats.multicomp import pairwise_tukeyhs
import seaborn as sns
from test_occasion_calculator import what_test_occassion
from mindmore_standardisation import mindmore_standardis
```

```

from MindmoreVirtualControls import MindmoreVirtualContr
import datetime
import EDA
import pingouin as pg

```

```

DataFile = pd.read_csv('Data/merged_datafile.csv', encodi
DataFile.rename(columns={'ICBTvs.TAU Sub _sum_Förmätn': '

```

```

C:\Users\FRF8\Anaconda3\envs\ICBTvsTAU\lib\site-packages
\outdated\utils.py:14: OutdatedPackageWarning: The packa
ge outdated is out of date. Your version is 0.2.1, the l
atest is 0.2.2.

```

Set the environment variable OUTDATED_IGNORE=1 to disabl
e these warnings.

```

    return warn(

```

```

C:\Users\FRF8\Anaconda3\envs\ICBTvsTAU\lib\site-packages
\outdated\utils.py:14: OutdatedPackageWarning: The packa
ge pingouin is out of date. Your version is 0.5.2, the l
atest is 0.5.3.

```

Set the environment variable OUTDATED_IGNORE=1 to disabl
e these warnings.

```

    return warn(

```

1. Data validation and exclusion

1.1 Participant comment review

At this point in analysis, all patient comments have been reviewed and no results were excluded for this reason.

1.2 Non-native speaker exclusion

Marking participants for exclusion if non-native for CERAD and FAS

```

In [2]: DataFile.loc[DataFile.MotherTongue == 0, 'Exclude'] = "E
DataFile.loc[DataFile.Exclude == 'Exclude FAS, CERAD', '

DataFile.loc[DataFile.Exclude == 'Exclude FAS, CERAD', '
DataFile.loc[DataFile.Exclude == 'Exclude FAS, CERAD', '
DataFile.loc[DataFile.Exclude == 'Exclude FAS, CERAD', '

```

```
# Let's see how many are now excluded from the analysis
print("The number of excluded participants for CERAD Lea
      DataFile['CERAD_LEARNING'].isna().sum())

print("The number of excluded participants for CERAD_DEL
DataFile['CERAD_DELAYED'].isna().sum())

print("The number of excluded participants for FAS_INDEX
DataFile['FAS_INDEX'].isna().sum())
```

The number of excluded participants for CERAD Learning is: 21

The number of excluded participants for CERAD_DELAYED is: 21

The number of excluded participants for FAS_INDEX is: 22

2. Index scores for Stroop

Due to a product update, index scores had already been calculated by the product

3. Data standardization

Starting out with #3, standardisation. For a full review of the script. See `mindmore_standardisation.py`

```
In [3]: x = mindmore_standardiser(DataFile)
merged_datafile = x.CERAD_learning()
merged_datafile = x.CERAD_recall()
merged_datafile = x.CORSI_FWD()
merged_datafile = x.FAS()
merged_datafile = x.SDMT()
merged_datafile = x.Stroop_index_standardizer()
merged_datafile = x.Stroop_inhibition_standardiser()
```

4. Normality check

Let's move on to step #4, visually inspecting data and then conducting a ShapiroWilk test for Normality

Firstly creating a visualizations for all standardized scores

```
In [4]: EDA.EDA(merged_datafile)
```

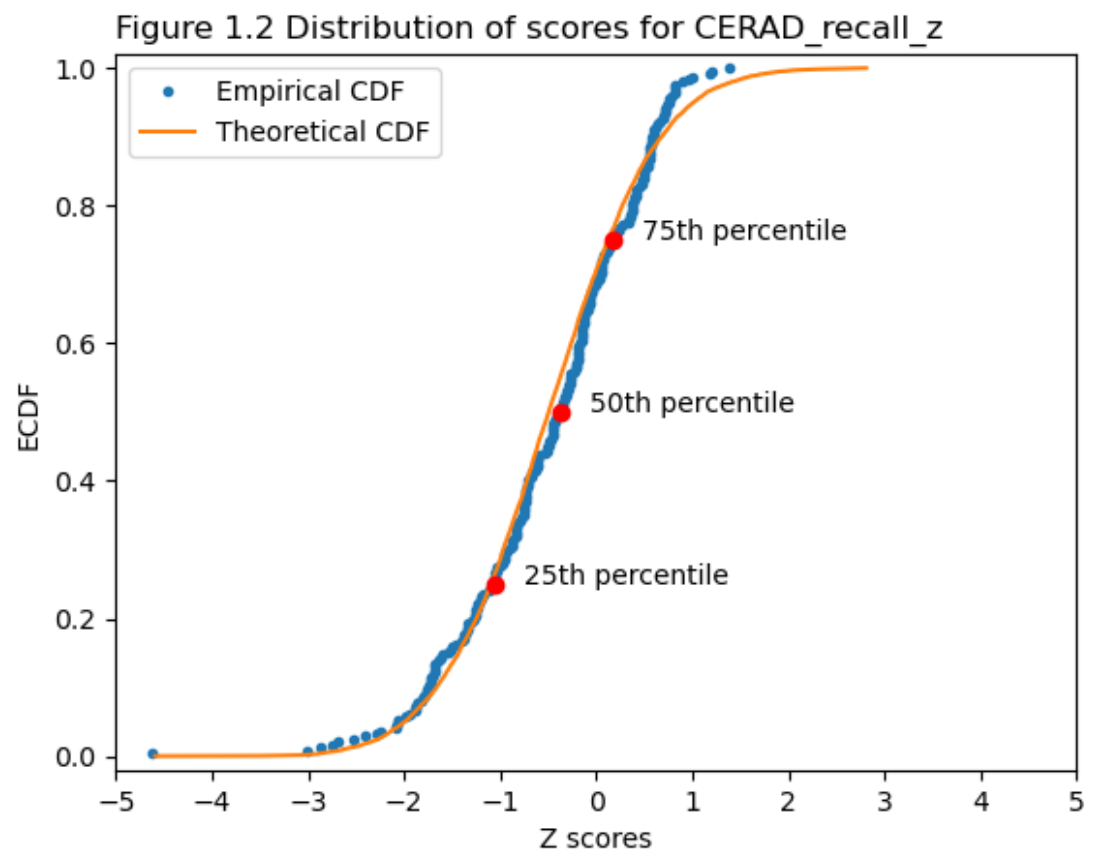
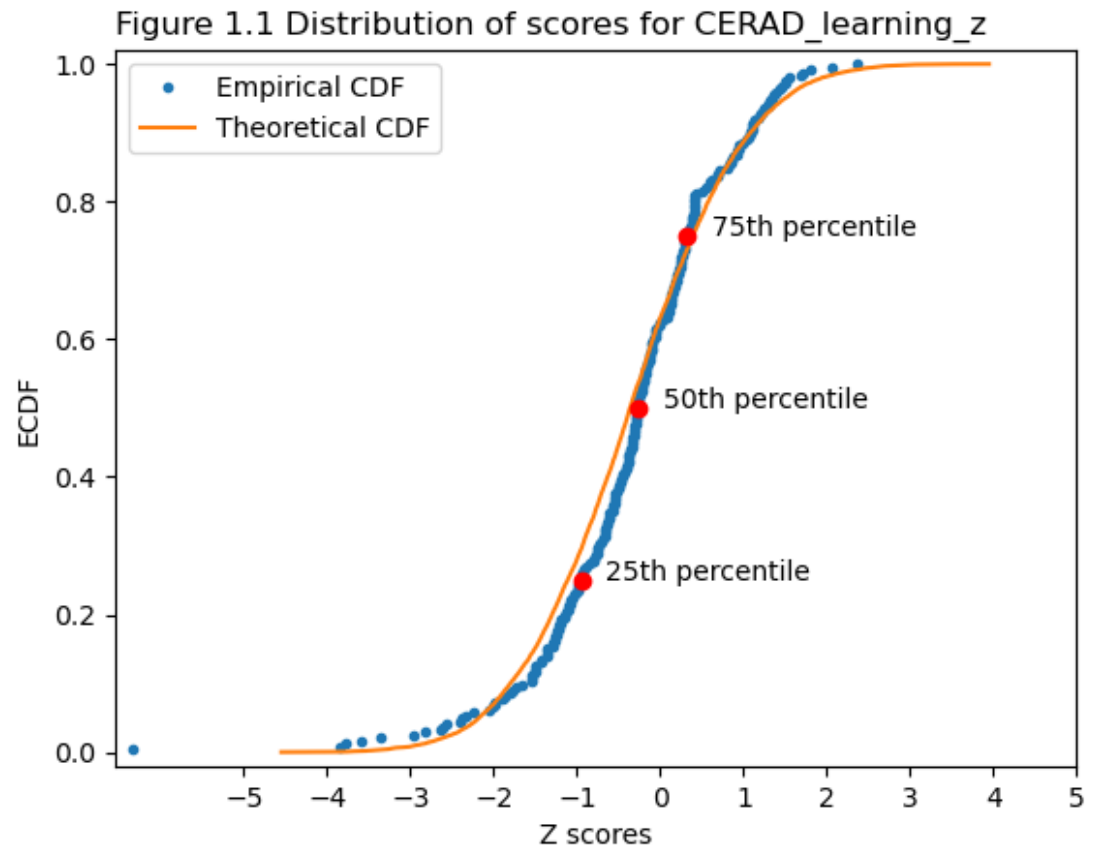


Figure 1.3 Distribution of scores for CORSI_FWD_z

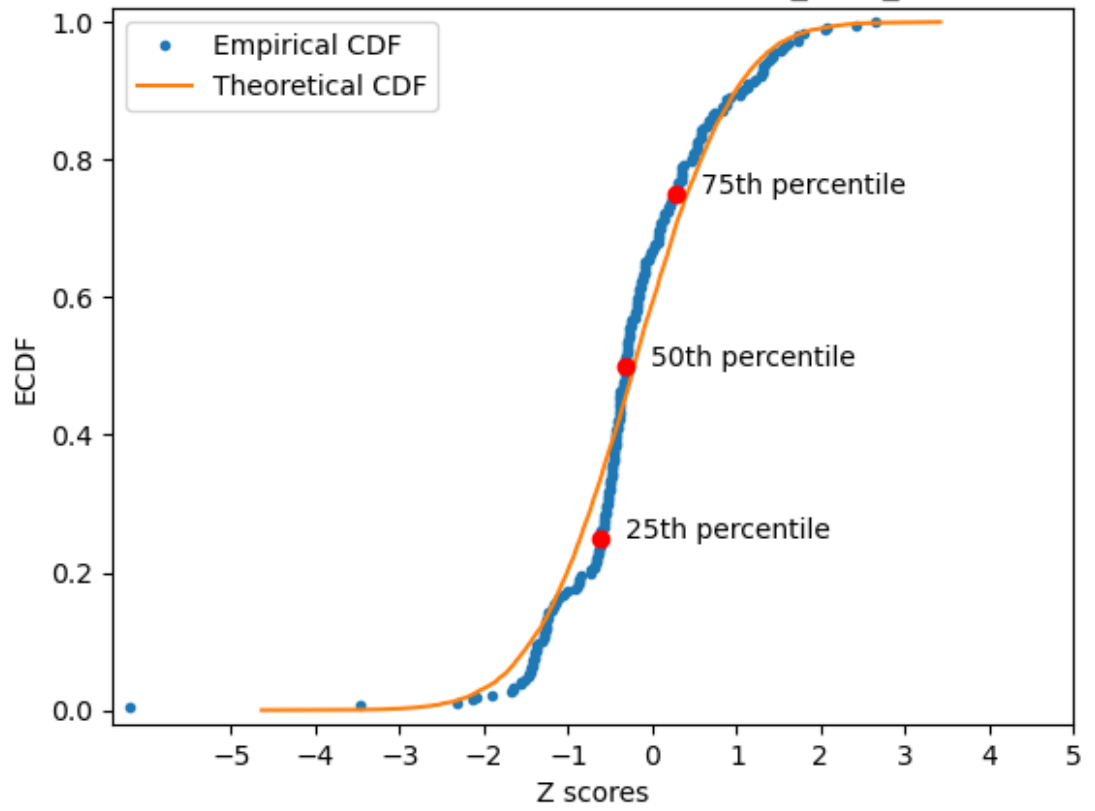


Figure 1.4 Distribution of scores for FAS_z

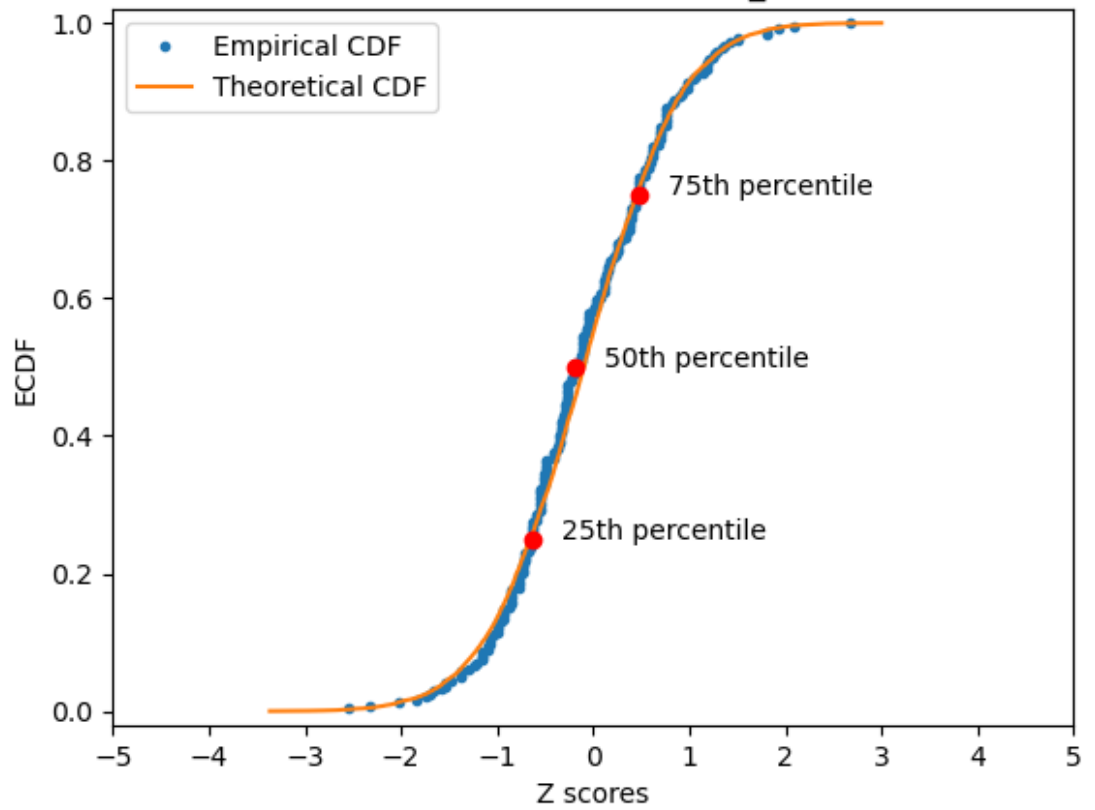


Figure 1.5 Distribution of scores for SDMT_z

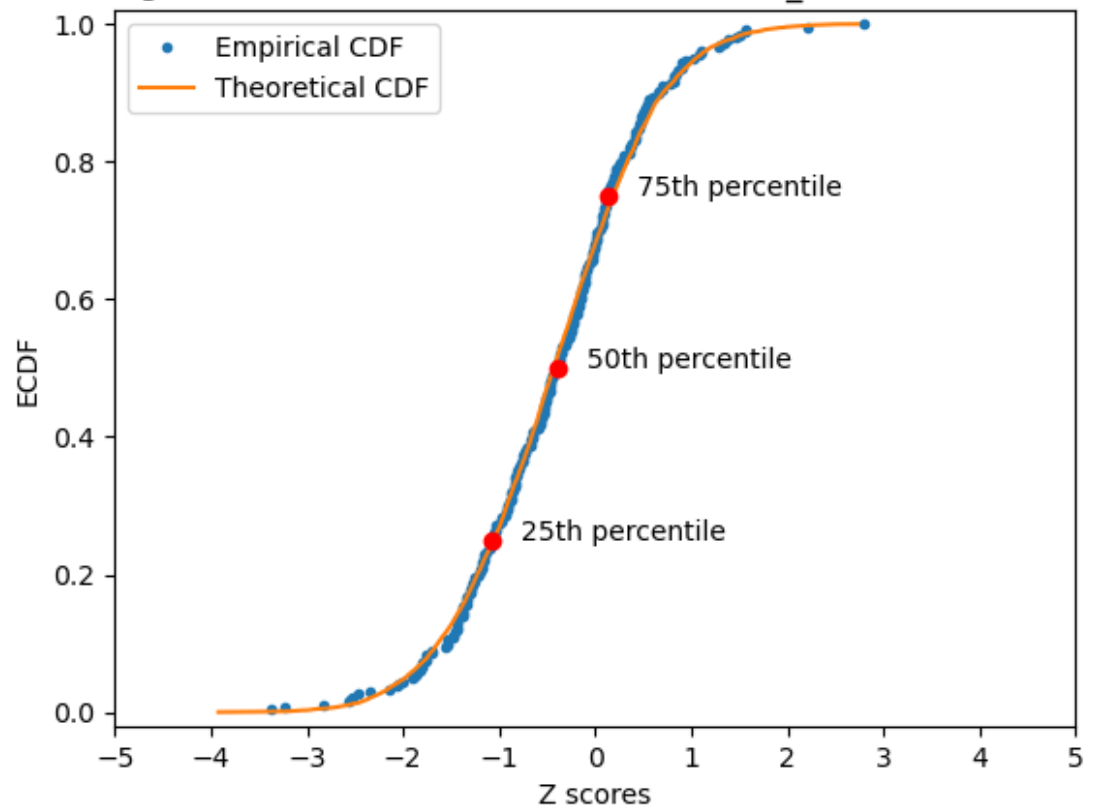
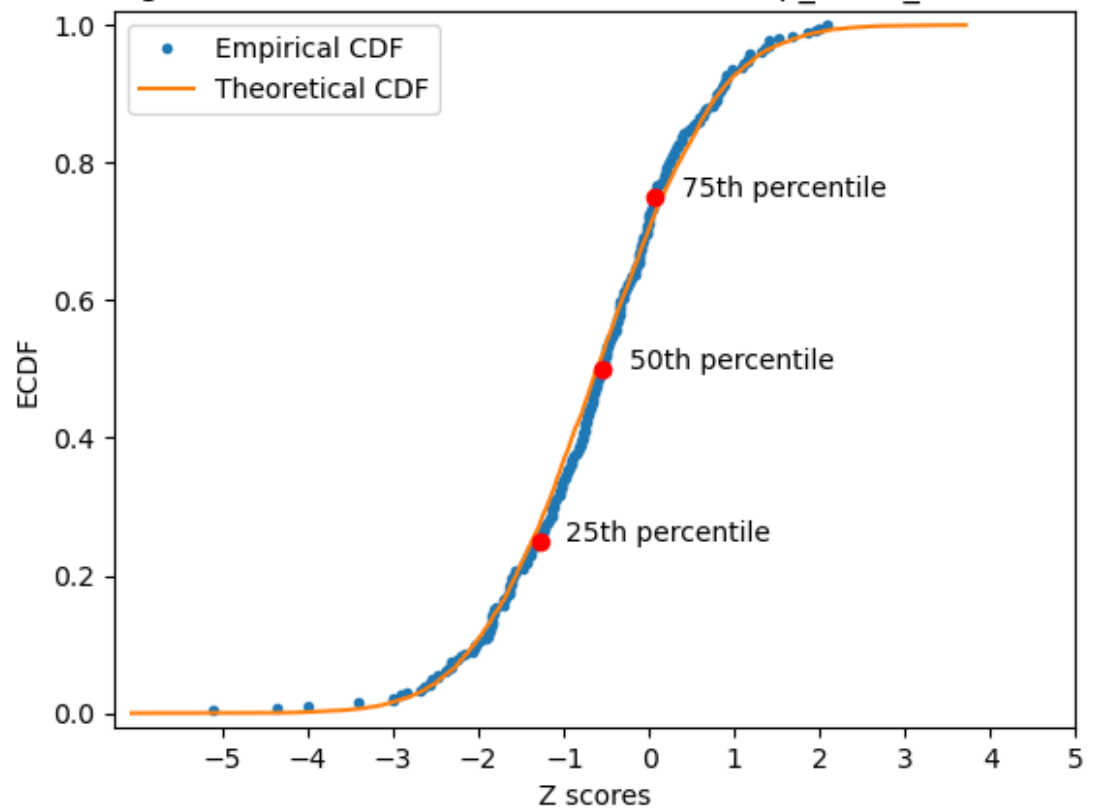
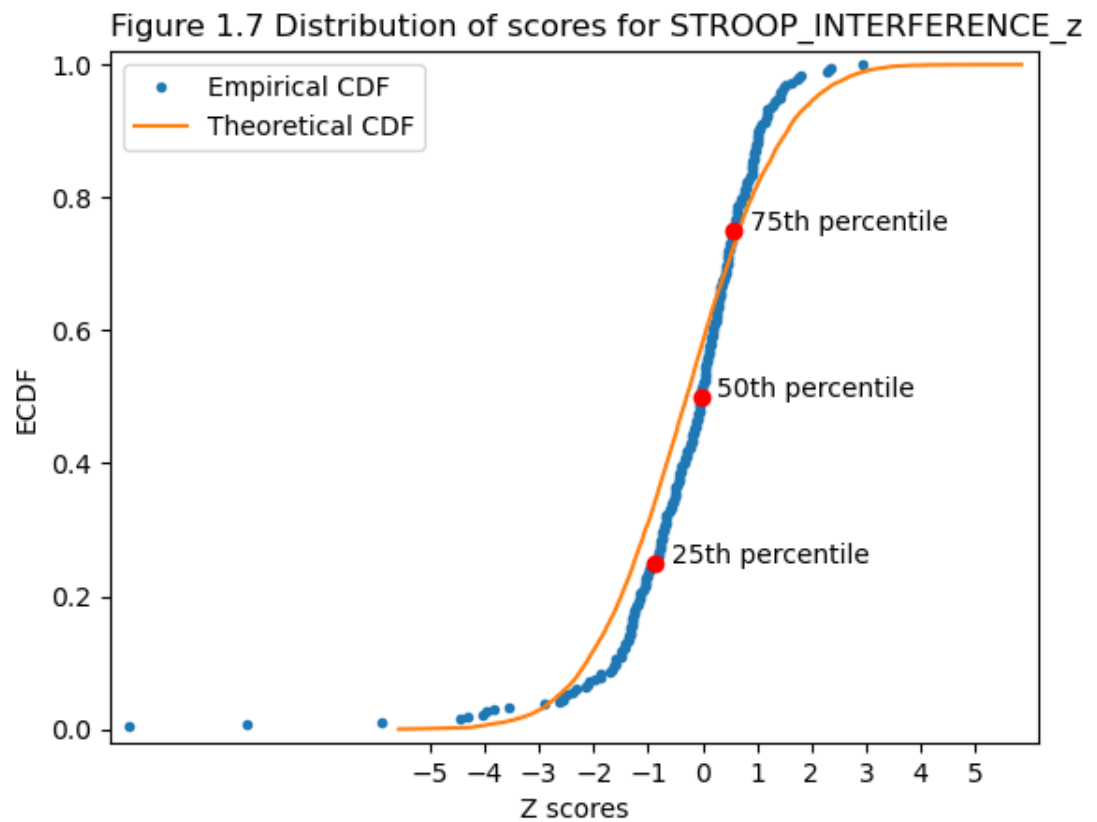


Figure 1.6 Distribution of scores for Stroop_index_z





Looking at the data, we can see that it is fairly normally distributed with some extreme outliers. Let's do the Shapiro-Wilk test for normality.

```
In [6]: standardised = merged_datafile.filter(regex='z$')
ShapiroWilk = []
for columns in standardised:
    ShapiroWilk.append(stats.shapiro(standardised[column]))

col = standardised.columns.tolist()
ShapiroWilk = pd.DataFrame(ShapiroWilk, index=col).sort_
print(ShapiroWilk.round(2))
```

	statistic	pvalue
FAS_z	0.99	0.55
SDMT_z	0.99	0.44
Stroop_index_z	0.99	0.02
CERAD_recall_z	0.97	0.00
CERAD_learning_z	0.95	0.00
CORSI_FWD_z	0.93	0.00
STROOP_INTERFERENCE_z	0.83	0.00

Based on these tests as well as a visual inspection of the data, FAS and SDMT follow rules of normality which means that we

will do a one-sample t-test for these two tests, and a Wilcoxon signed-rank test for the others. Beginning with the t-tests.

Primary analysis

5. Primary hypothesis analysis

```
In [7]: t_test = []
normal = standardised[['FAS_z', 'SDMT_z']]
for columns in normal:
    a = normal[columns].dropna()
    t_test.append(stats.ttest_1samp(a, 0, alternative='two-sided'))

col = normal.columns.tolist()
t_test = pd.DataFrame(t_test, index = col)

t_test.round(4)

t_test = t_test.rename(columns = {'statistic': 't_test_s'})
```

And to calculate effect size (Cohen's d)

```
In [8]: t_test['CohensD'] = 0
t_test = t_test.reset_index()
def CohensDOS(row):
    return normal[row['index']].mean()/normal[row['index']].std()

t_test['CohensD'] = t_test.apply(lambda row: CohensDOS(row), axis=1)
t_test = t_test.set_index('index')
```

And for the non-normal inferential statistics.

```
In [9]: Wilcoxon = []

nonnormal = standardised[['CERAD_learning_z', 'CERAD_recall_z',
                           'CORSI_FWD_z', 'Stroop_index_z']]

for columns in nonnormal:
```

```

a = nonnormal[columns].dropna()
Wilcoxon.append(stats.wilcoxon(a, alternative='l

col = nonnormal.columns.tolist()
Wilcoxon = pd.DataFrame(Wilcoxon, index = col)

Wilcoxon.round(4)

Wilcoxon = Wilcoxon.rename(columns = {'statistic': 'Wilc

```

Calculating effect size for Wilcoxon using Rank-Biserial correlation (Kirby, 2014)

```

In [10]: Wilcoxon['RankBiserial'] = 0

Wilcoxon = Wilcoxon.reset_index()

def RankBiserial(row):

    d = nonnormal[nonnormal[row['index']] != 0]
    d = nonnormal[row['index']].dropna()

    r = stats.rankdata(abs(d))
    rsum = r.sum()
    r_plus = np.sum((d > 0) * r)
    r_minus = np.sum((d < 0) * r)
    rbc = r_plus / rsum - r_minus / rsum
    return rbc

Wilcoxon['RankBiserial'] = Wilcoxon.apply(lambda row: Ra
Wilcoxon = Wilcoxon.set_index('index')

```

Summarizing it into a descriptive table

```

In [11]: DescriptiveTable = standardised.describe()
DescriptiveTable = DescriptiveTable.transpose()

DescriptiveTable = DescriptiveTable.merge(t_test, left_i
                                     how='outer').merge(Wilcoxon, left
                                     right_index=True
DescriptiveTable.drop(labels=['25%', '50%', '75%'], axis
print(DescriptiveTable.round(8))

```

min	max \	count	mean	std
CERAD_learning_z	245.0	-0.334515	1.128791	-6.327
918 2.371209				
CERAD_recall_z	245.0	-0.501192	0.921808	-4.617
542 1.392112				
CORSI_FWD_z	266.0	-0.218479	0.950105	-6.211
740 2.642359				
FAS_z	244.0	-0.106253	0.818160	-2.547
825 2.681607				
SDMT_z	266.0	-0.440868	0.924864	-3.375
359 2.792290				
STROOP_INTERFERENCE_z	266.0	-0.278261	1.445925	-10.524
169 2.939983				
Stroop_index_z	266.0	-0.617332	1.126034	-5.106
889 2.094363				

	t_test_statistic	pvalue_x	Cohen's d
nsD \			
CERAD_learning_z	NaN	NaN	
NaN			
CERAD_recall_z	NaN	NaN	
NaN			
CORSI_FWD_z	NaN	NaN	
NaN			
FAS_z	-2.028605	0.021795	-0.129
868			
SDMT_z	-7.774494	0.000000	-0.476
685			
STROOP_INTERFERENCE_z	NaN	NaN	
NaN			
Stroop_index_z	NaN	NaN	
NaN			

	Wilcoxon_statistic	pvalue_y	Ranks
kBiserial			
CERAD_learning_z	10390.0	0.000013	
-0.310436			
CERAD_recall_z	6983.0	0.000000	
-0.536552			
CORSI_FWD_z	12174.0	0.000004	
-0.314353			
FAS_z	NaN	NaN	
NaN			
SDMT_z	NaN	NaN	
NaN			
STROOP_INTERFERENCE_z	15224.0	0.021916	

-0.142576

Stroop_index_z

7699.0 0.000000

-0.566388

From the t-tests and the Wilcoxon tests we can observe a difference between patients with stress related mental disorders and the normative sample on every measure. Let's see if we can visualize it with the means for each cognitive test with 95% confidence interval (assuming normality)

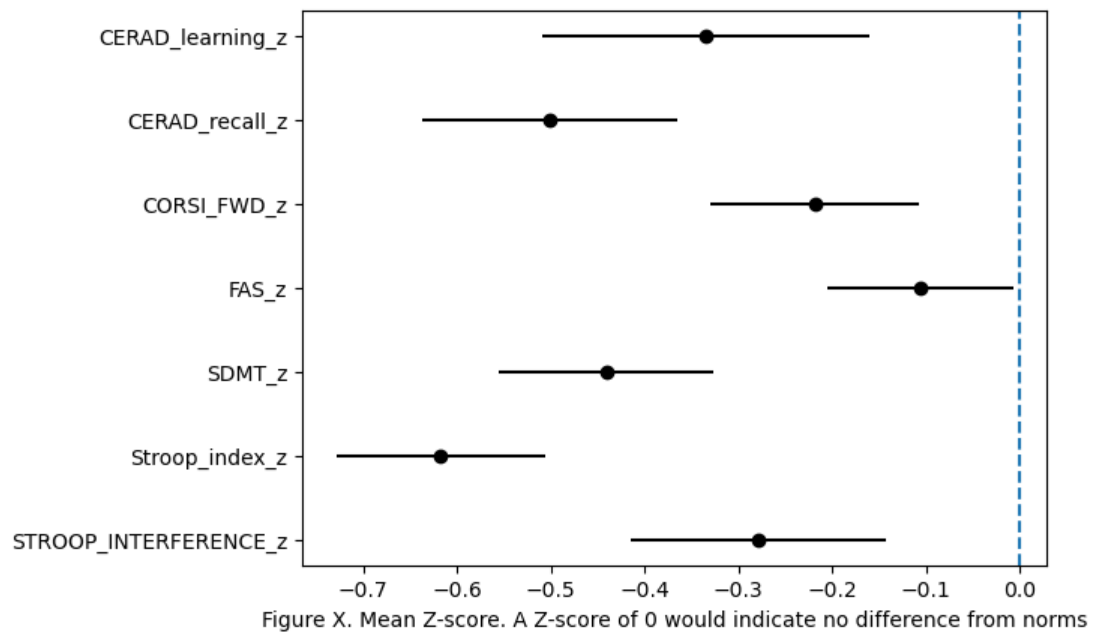
```
In [12]: def W_array(array, conf=0.95): # function that returns w
        t = stats.t(df = len(array) - 1).ppf((1 + conf) / 2)
        W = t * np.std(array, ddof=1) / np.sqrt(len(array))
        return W # the error

CI = list()
mean_list = list()
for columns in standardised:
    CI.append((W_array(standardised[columns]))) # makes
    mean_list.append(np.mean(standardised[columns])) # s

#Getting the order correct
mean_list.reverse()
column_list = standardised.columns.tolist()
column_list.reverse()

plt.errorbar(x=mean_list, y=range(len(standardised.columns)))
plt.axvline(0, ls='--') # this is only to demonstrate th
                        # of the 95% CI contain the ac
plt.yticks(range(len(standardised.columns.tolist()))), col
plt.xlabel("Figure X. Mean Z-score. A Z-score of 0 would

plt.show();
```



Exploratory analysis

6. Generating virtual control group

```
In [13]: ControlGroup = merged_datafile.copy()

ControlGroup['diagnosis'] = "Virtual control"

x = MindmoreVirtualControl(ControlGroup)
ControlGroup = x.CERAD_learning()
ControlGroup = x.CERAD_recall()
ControlGroup = x.CORSI_FWD()
ControlGroup = x.FAS()
ControlGroup = x.SDMT()
ControlGroup = x.Stroop_index_VC()
ControlGroup = x.Stroop_inhibition_VC()

ControlGroup = ControlGroup.drop(columns=['CERAD_learning_z', 'CORSI_FWD_z', 'FAS_z', 'SDMT_z', 'Stroop_index_z', 'STROOP_INTERFERENCE_z', 'SubjectiveMemory', 'CERAD_LEARN', 'CERAD_DELAYED_PREDICTED', 'FAS_predicted'])

# And now standardizing this file for a more appropriate
x = mindmore_standardiser(ControlGroup)
ControlGroup = x.CERAD_learning()
ControlGroup = x.CERAD_recall()
```

```

ControlGroup = x.CORSI_FWD()
ControlGroup = x.FAS()
ControlGroup = x.SDMT()
ControlGroup = x.Stroop_index_standardizer()
ControlGroup = x.Stroop_inhibition_standardiser()

# And excluding the participants as was previously gener
ControlGroup.loc[ControlGroup.MotherTongue == 0, 'Exclud
ControlGroup.loc[ControlGroup.Exclude == 'Exclude FAS, C

ControlGroup.loc[ControlGroup.Exclude == 'Exclude FAS, C
ControlGroup.loc[ControlGroup.Exclude == 'Exclude FAS, C
ControlGroup.loc[ControlGroup.Exclude == 'Exclude FAS, C

```

7. ANOVA for each test

Now that a virtual control group is generated, we can move on to do an ANOVA with our three groups. Please note that we are no longer looking at standardised scores but instead an comparison of the predicted score of a generated control group vs the actual scores for each diagnostic group

In [17]:

```

#Now that a virtual control group is generated, we can m
# with our three groups. Please note that we are looking

AnovaGroup = pd.concat([merged_datafile, ControlGroup])

# AnovaGroup.to_csv('Exports/DataWControlGroup20221125.c

ADGroup = AnovaGroup[AnovaGroup['diagnosis'] == 'Adjustm
EDGroup = AnovaGroup[AnovaGroup['diagnosis'] == 'Exhaust
VirtualGroup = AnovaGroup[AnovaGroup['diagnosis'] == 'Vi

AnovaCol = ['CERAD_learning_z', 'CERAD_recall_z',
'CORSI_FWD_z', 'FAS_z', 'SDMT_z', 'Stroop_index_z',
'STROOP_INTERFERENCE_z']
ANOVA = []
for x in AnovaCol:
    AD = ADGroup[x].dropna()
    ED = EDGroup[x].dropna()
    VG = VirtualGroup[x].dropna()

```

```
# ANOVA.append(stats.f_oneway(AD, ED, VG))
ANOVA.append(pg.anova(data = AnovaGroup, dv=x, betwe

ANOVA = pd.concat(ANOVA)
ANOVA = ANOVA.set_index(pd.Series(AnovaCol))

ANOVA = ANOVA.round({'F':2, "np2":2, "p-unc":3})

ANOVA[['ddof1', 'ddof2', 'F', 'p-unc', 'np2']] = ANOVA[['
    'ddof2', 'F', 'p-unc', 'np2']].apply(lam

print(ANOVA)
```

	Source	ddof1	ddof2	F	p-un
c np2					
CERAD_learning_z	diagnosis	2	508	6.79	.00
1 .03					
CERAD_recall_z	diagnosis	2	508	14.27	.
0 .05					
CORSI_FWD_z	diagnosis	2	529	3.8	.02
3 .01					
FAS_z	diagnosis	2	507	.85	.42
7 .0					
SDMT_z	diagnosis	2	529	11.26	.
0 .04					
Stroop_index_z	diagnosis	2	529	26.91	.
0 .09					
STROOP_INTERFERENCE_z	diagnosis	2	529	3.97	.0
2 .01					

8. Post-huc Tukey HSDs

It seems we have a significant result in difference between the groups for all of our cognitive tests. Let's do the post-hoc analysis using pairwise comparisons with Tukey HSD. We'll also include a visualization.

```
In [20]: TukeyList = []

for x in AnovaCol:
    TukeyList.append(x)
    TukeyList.append(x)
    TukeyList.append(x)
```



```

TukeyHSD = []
counter = 1

for x in AnovaCol:
    AD = ADGroup[x].dropna()
    ED = EDGroup[x].dropna()
    VG = VirtualGroup[x].dropna()

    ANOVAGroupsNA = AnovaGroup.filter(items=[x, 'diagnosis'])
    print(x+" results are "+str(stats.tukey_hsd(AD, ED, VG)))

    tukey = pairwise_tukeyhsd(endog=ANOVAGroupsNA[x],
                              groups=ANOVAGroupsNA['diagnosis'],
                              alpha=0.05)

    #Doing some plotting to visualize group differences
    tukey.plot_simultaneous(xlabel = "Figure "+str(counter))
    plt.show()

    sns.violinplot(data=ANOVAGroupsNA, x='diagnosis', y='score')
    plt.show()

    counter += 1

    tukeyTable = pd.DataFrame(data=tukey._results_table)
    print("Results for cognitive test "+x+" "+str(tukeyTable))
    TukeyHSD.append(tukeyTable)

TukeyHSD = pd.concat(TukeyHSD)

TukeyHSD = TukeyHSD.set_index(pd.Series(TukeyList))

TukeyHSD = TukeyHSD.round({'meandiff':2, 'p-adj':3, 'lower':2, 'upper':2})

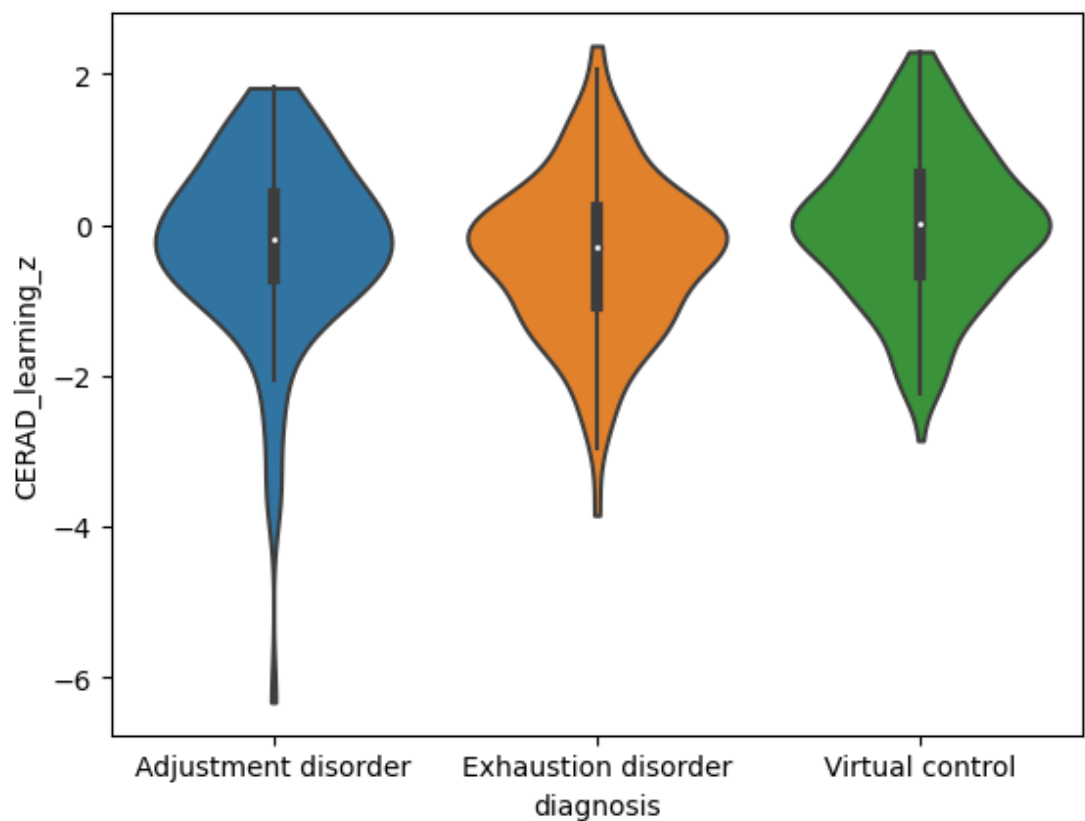
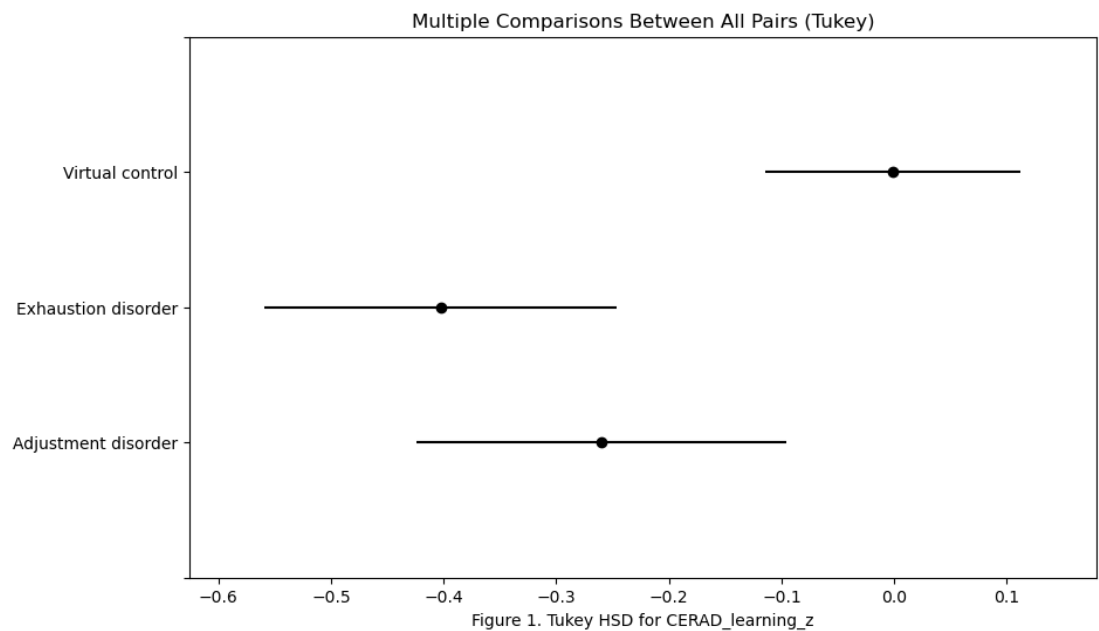
TukeyHSD[['meandiff', 'p-adj', 'lower', 'upper']] = TukeyHSD[['meandiff', 'p-adj', 'lower', 'upper']].a

TukeyHSD['95% CI'] = "["+TukeyHSD['lower']+", "+TukeyHSD['upper']+"]"
TukeyHSD.drop(columns=['lower', 'upper', 'reject'], inplace=True)
print(TukeyHSD)

```

CERAD_learning_z results are Tukey's HSD Pairwise Group Comparisons (95.0% Confidence Interval)

Comparison	Statistic	p-value	Lower CI	Upper CI
(0 - 1)	0.143	0.547	-0.177	0.463
(0 - 2)	-0.259	0.074	-0.537	0.019
(1 - 0)	-0.143	0.547	-0.463	0.177
(1 - 2)	-0.402	0.001	-0.671	-0.132
(2 - 0)	0.259	0.074	-0.019	0.537
(2 - 1)	0.402	0.001	0.132	0.671



Results for cognitive test CERAD_learning_z

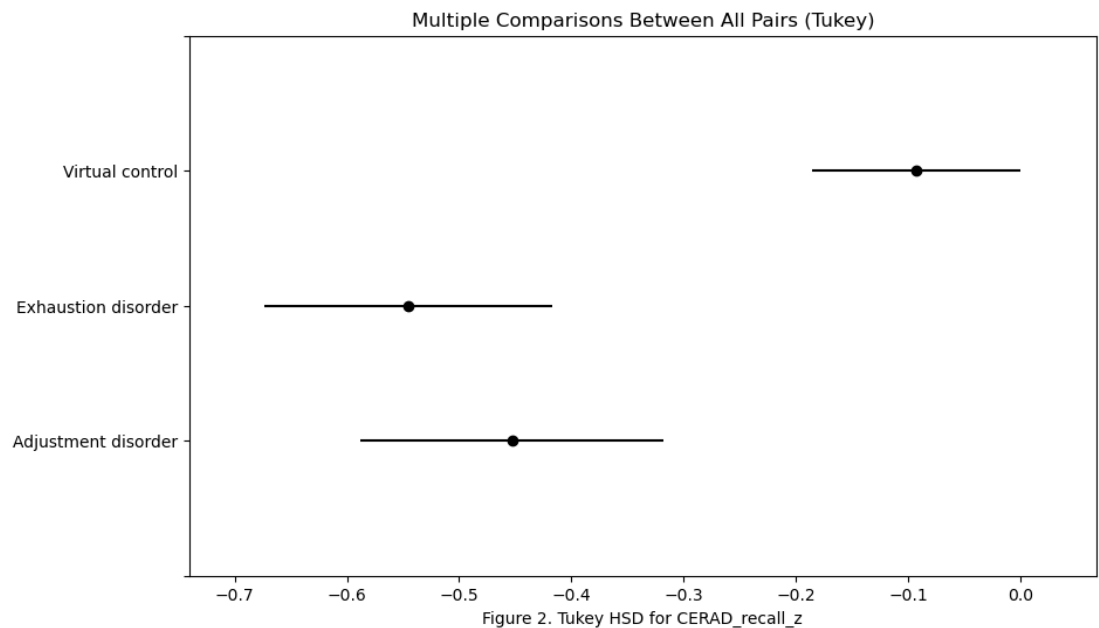
group1	group2	meandiff	p-adj	lower	upper
0	Adjustment disorder	Exhaustion disorder	-0.1428	0.5469	-0.4631
1	Adjustment disorder	Virtual control	0.2587	0.0740	-0.0191
2	Exhaustion disorder	Virtual control	0.4015	0.0014	0.1322

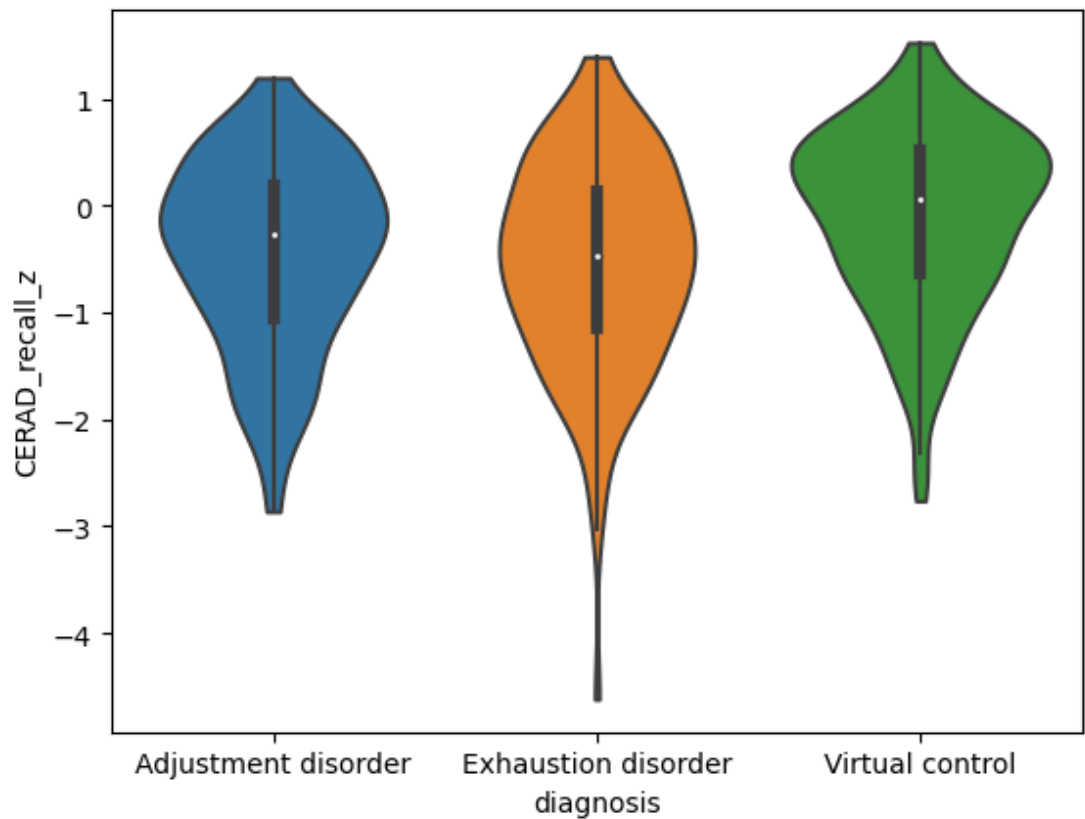
reject

0	False
1	False
2	True

CERAD_recall_z results are Tukey's HSD Pairwise Group Comparisons (95.0% Confidence Interval)

Comparison	Statistic	p-value	Lower CI	Upper CI
(0 - 1)	0.092	0.688	-0.170	0.355
(0 - 2)	-0.360	0.001	-0.588	-0.132
(1 - 0)	-0.092	0.688	-0.355	0.170
(1 - 2)	-0.452	0.000	-0.673	-0.231
(2 - 0)	0.360	0.001	0.132	0.588
(2 - 1)	0.452	0.000	0.231	0.673





Results for cognitive test CERAD_recall_z

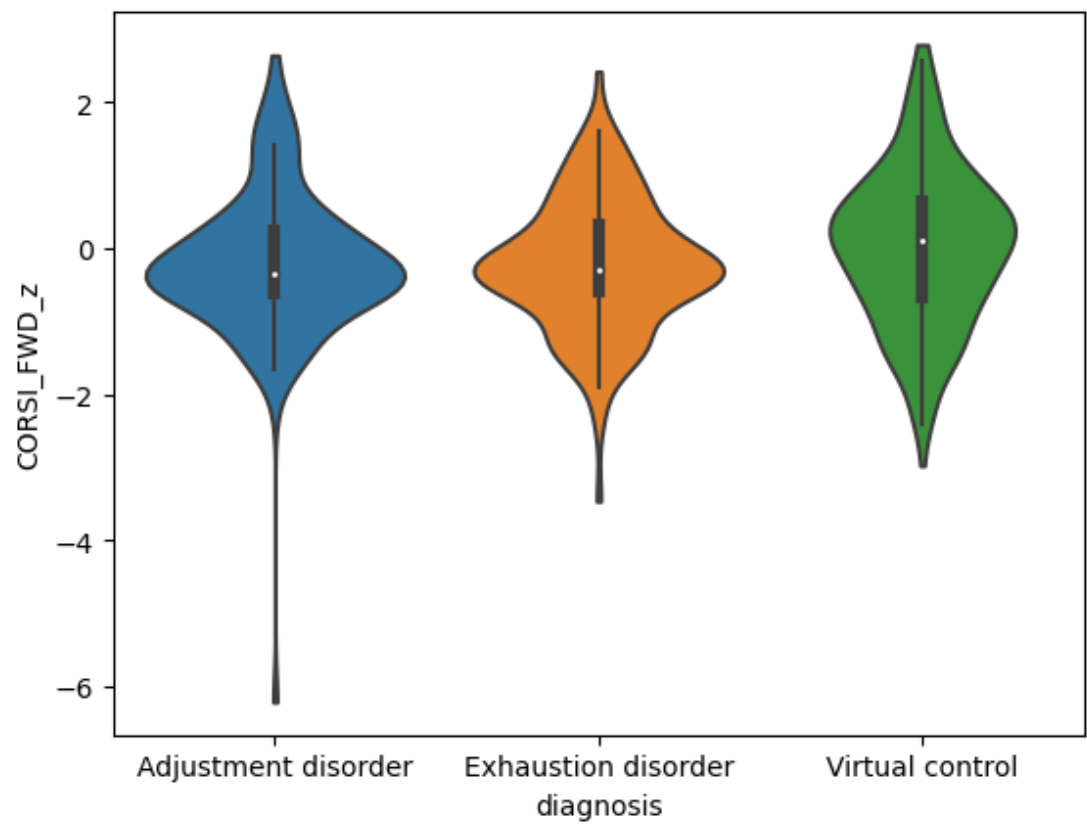
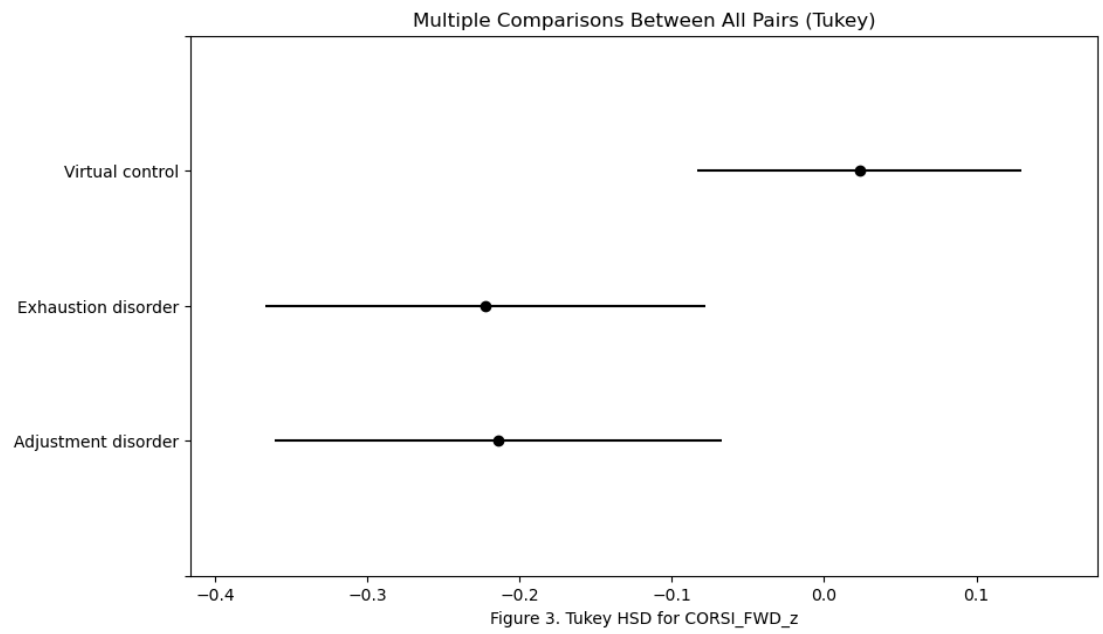
group1	group2	meandiff	p-adj	lower	upper
0	Adjustment disorder	Exhaustion disorder	-0.0921	0.6877	-0.3547
0	Adjustment disorder	Virtual control	0.1704	0.0007	0.1323
1	Adjustment disorder	Virtual control	0.5877	0.0000	0.2313
2	Exhaustion disorder	Virtual control	0.4521	0.6729	

reject

0	False
1	True
2	True

CORSI_FWD_z results are Tukey's HSD Pairwise Group Comparisons (95.0% Confidence Interval)

Comparison	Statistic	p-value	Lower CI	Upper CI
(0 - 1)	0.008	0.998	-0.283	0.299
(0 - 2)	-0.238	0.072	-0.491	0.016
(1 - 0)	-0.008	0.998	-0.299	0.283
(1 - 2)	-0.246	0.057	-0.497	0.005
(2 - 0)	0.238	0.072	-0.016	0.491
(2 - 1)	0.246	0.057	-0.005	0.497



```

Results for cognitive test CORSI_FWD_z
roup1          group2 meandiff  p-adj  lower  u
pper \
0  Adjustment disorder  Exhaustion disorder  -0.0080
0.9977 -0.2993  0.2833
1  Adjustment disorder      Virtual control    0.2376
0.0716 -0.0159  0.4911
2  Exhaustion disorder      Virtual control    0.2456
0.0567 -0.0054  0.4966

```

```

reject
0  False
1  False
2  False

```

FAS_z results are Tukey's HSD Pairwise Group Comparisons (95.0% Confidence Interval)

Comparison	Statistic	p-value	Lower CI	Upper CI
(0 - 1)	0.147	0.409	-0.124	0.419
(0 - 2)	0.055	0.847	-0.180	0.290
(1 - 0)	-0.147	0.409	-0.419	0.124
(1 - 2)	-0.093	0.608	-0.321	0.136
(2 - 0)	-0.055	0.847	-0.290	0.180
(2 - 1)	0.093	0.608	-0.136	0.321

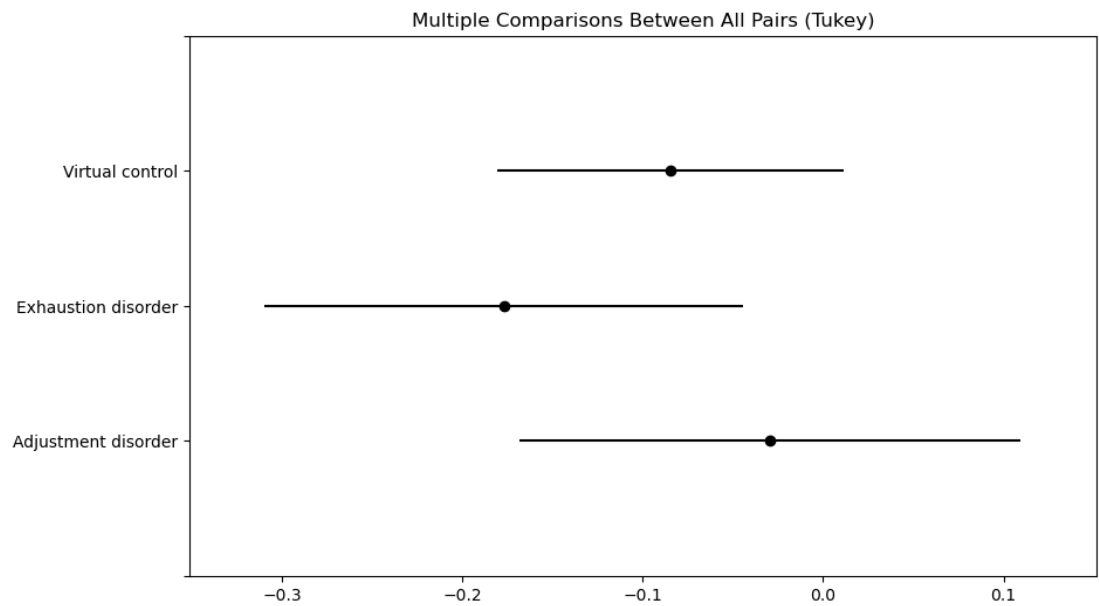
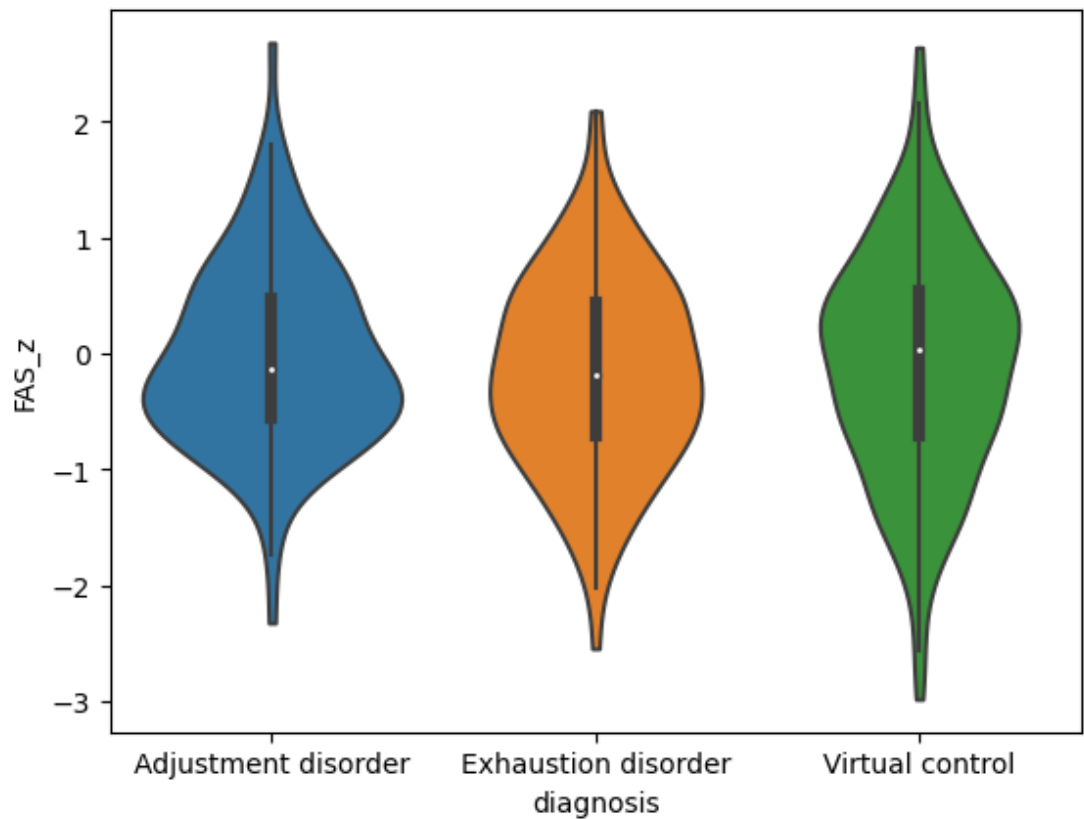


Figure 4. Tukey HSD for FAS_z



Results for cognitive test FAS_z

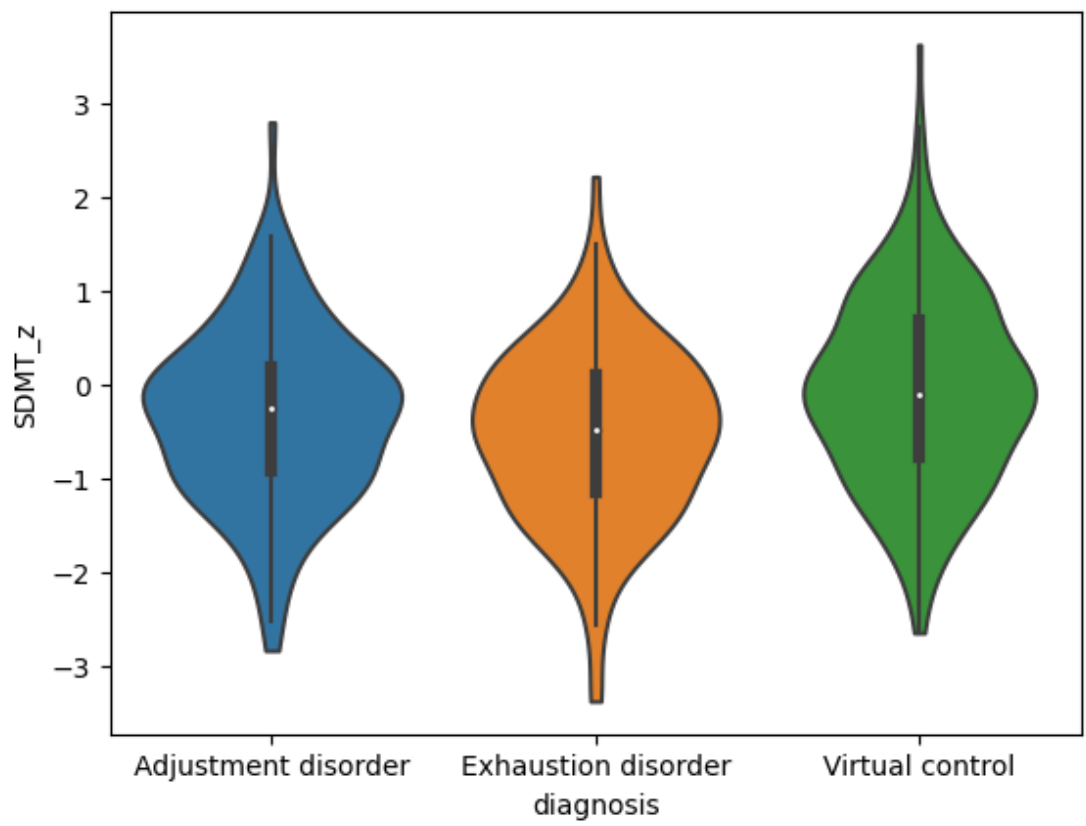
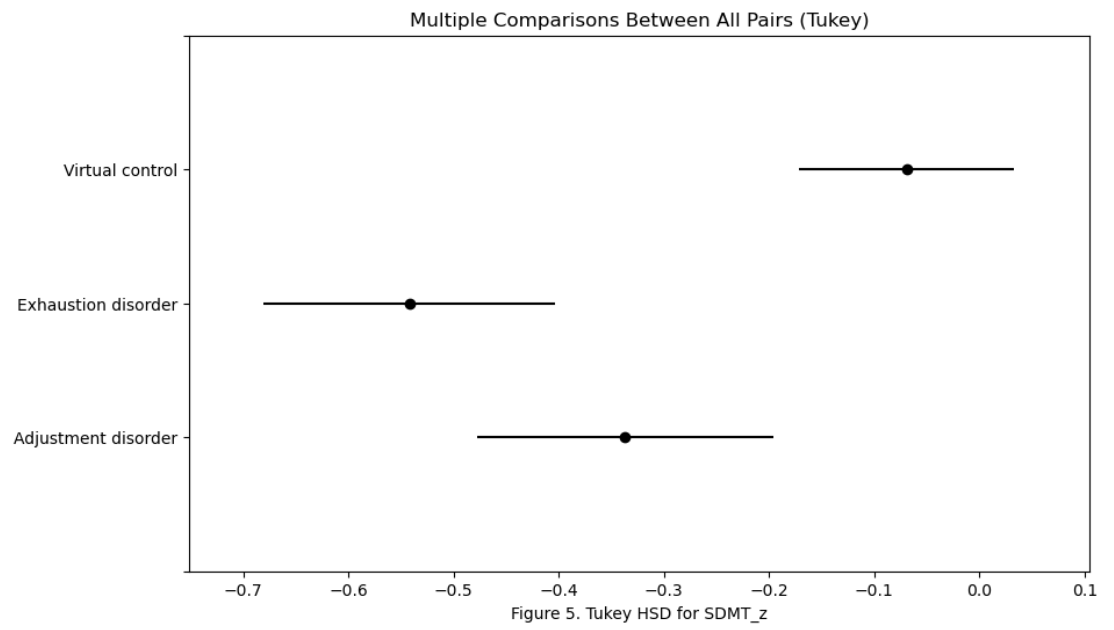
group2	meandiff	p-adj	lower	upper	group1
0 Adjustment disorder					Exhaustion disorder
	-0.4089	0.1240	-0.419	0.4089	
1 Adjustment disorder					Virtual control
	-0.8466	0.1801	-0.290	0.8466	
2 Exhaustion disorder					Virtual control
	-0.6079	0.3210	-0.136	0.6079	

reject

0	False
1	False
2	False

SDMT_z results are Tukey's HSD Pairwise Group Comparisons (95.0% Confidence Interval)

Comparison	Statistic	p-value	Lower CI	Upper CI
(0 - 1)	0.205	0.197	-0.074	0.484
(0 - 2)	-0.268	0.027	-0.511	-0.024
(1 - 0)	-0.205	0.197	-0.484	0.074
(1 - 2)	-0.473	0.000	-0.713	-0.232
(2 - 0)	0.268	0.027	0.024	0.511
(2 - 1)	0.473	0.000	0.232	0.713

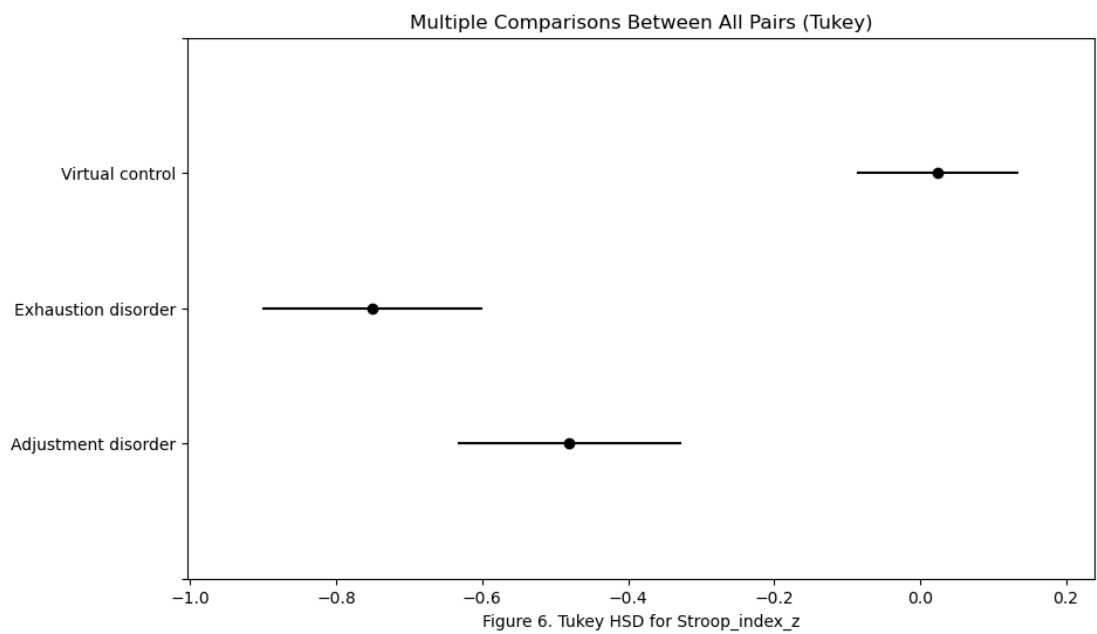


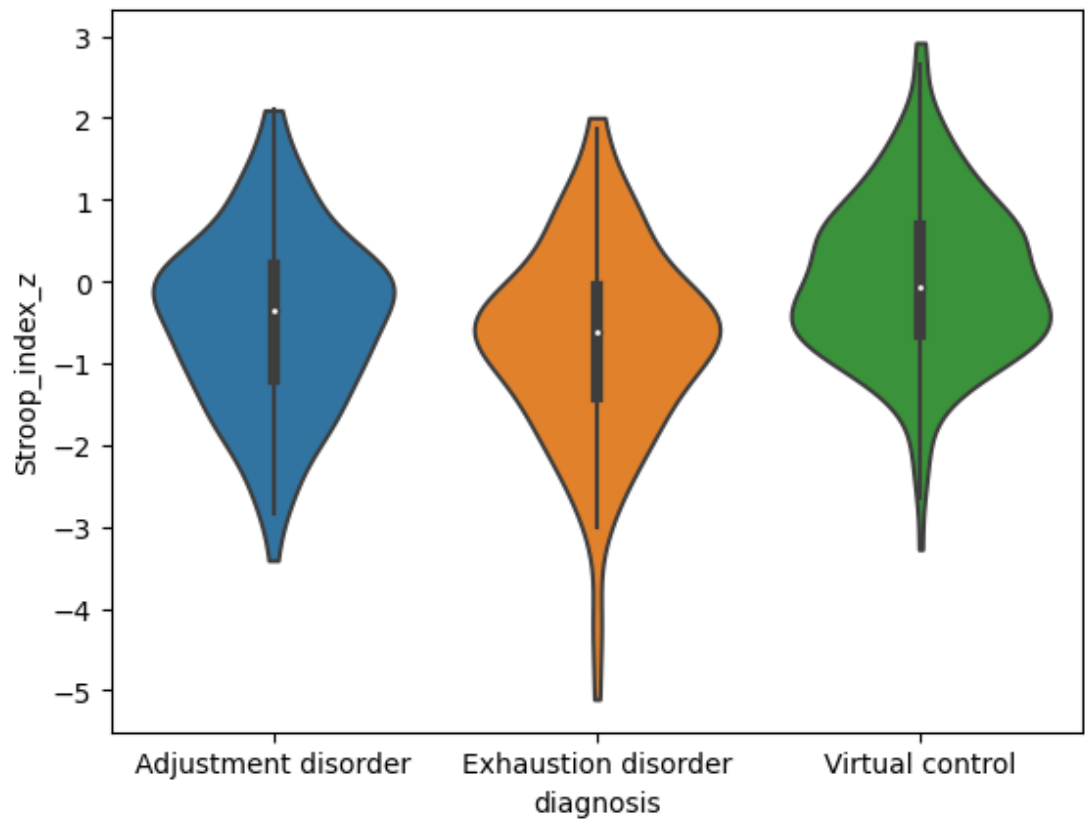
Results for cognitive test SDMT_z					group1
group2	meandiff	p-adj	lower	upper	\
0 Adjustment disorder	Exhaustion disorder	-0.2050			
0.1970	-0.4844	0.0744			
1 Adjustment disorder	Virtual control	0.2676			
0.0269	0.0244	0.5107			
2 Exhaustion disorder	Virtual control	0.4726			
0.0000	0.2318	0.7133			

	reject
0	False
1	True
2	True

Stroop_index_z results are Tukey's HSD Pairwise Group Comparisons (95.0% Confidence Interval)

Comparison	Statistic	p-value	Lower CI	Upper CI
(0 - 1)	0.270	0.093	-0.034	0.573
(0 - 2)	-0.505	0.000	-0.769	-0.241
(1 - 0)	-0.270	0.093	-0.573	0.034
(1 - 2)	-0.774	0.000	-1.036	-0.513
(2 - 0)	0.505	0.000	0.241	0.769
(2 - 1)	0.774	0.000	0.513	1.036





Results for cognitive test Stroop_index_z

group1	group2	meandiff	p-adj	lower	upper
0	Adjustment disorder	Exhaustion disorder	-0.2697	0.0928	-0.5729
1	Adjustment disorder	Virtual control	0.5047	0.0000	0.2407
2	Exhaustion disorder	Virtual control	0.7744	0.0000	0.5131

reject

0	False
1	True
2	True

STROOP_INTERFERENCE_z results are Tukey's HSD Pairwise Group Comparisons (95.0% Confidence Interval)

Comparison	Statistic	p-value	Lower CI	Upper CI
(0 - 1)	0.300	0.132	-0.066	0.666
(0 - 2)	-0.074	0.848	-0.392	0.244
(1 - 0)	-0.300	0.132	-0.666	0.066
(1 - 2)	-0.374	0.015	-0.689	-0.059
(2 - 0)	0.074	0.848	-0.244	0.392
(2 - 1)	0.374	0.015	0.059	0.689

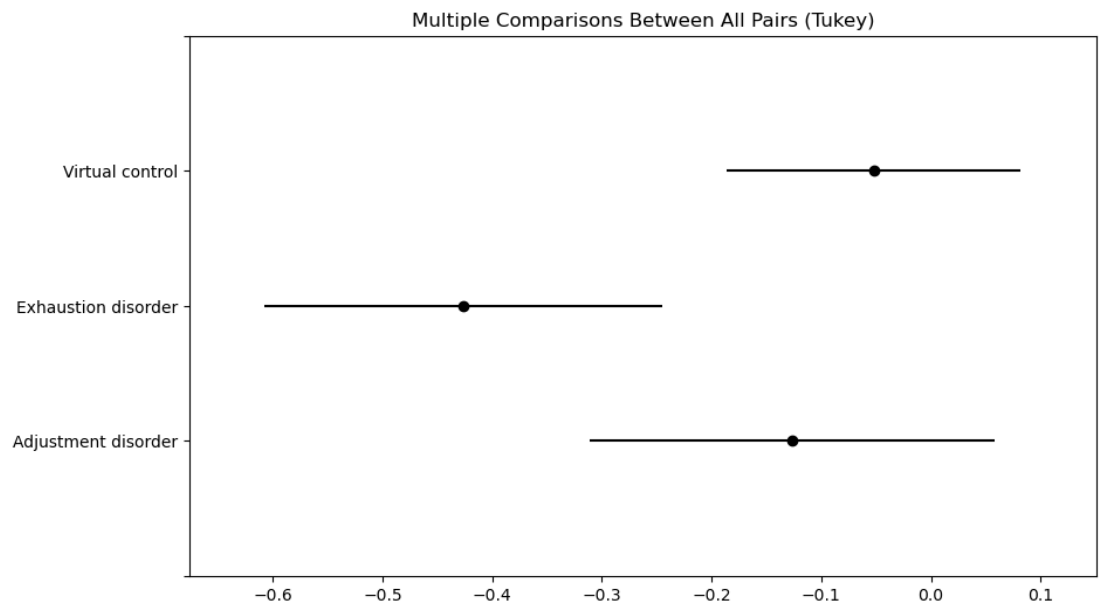
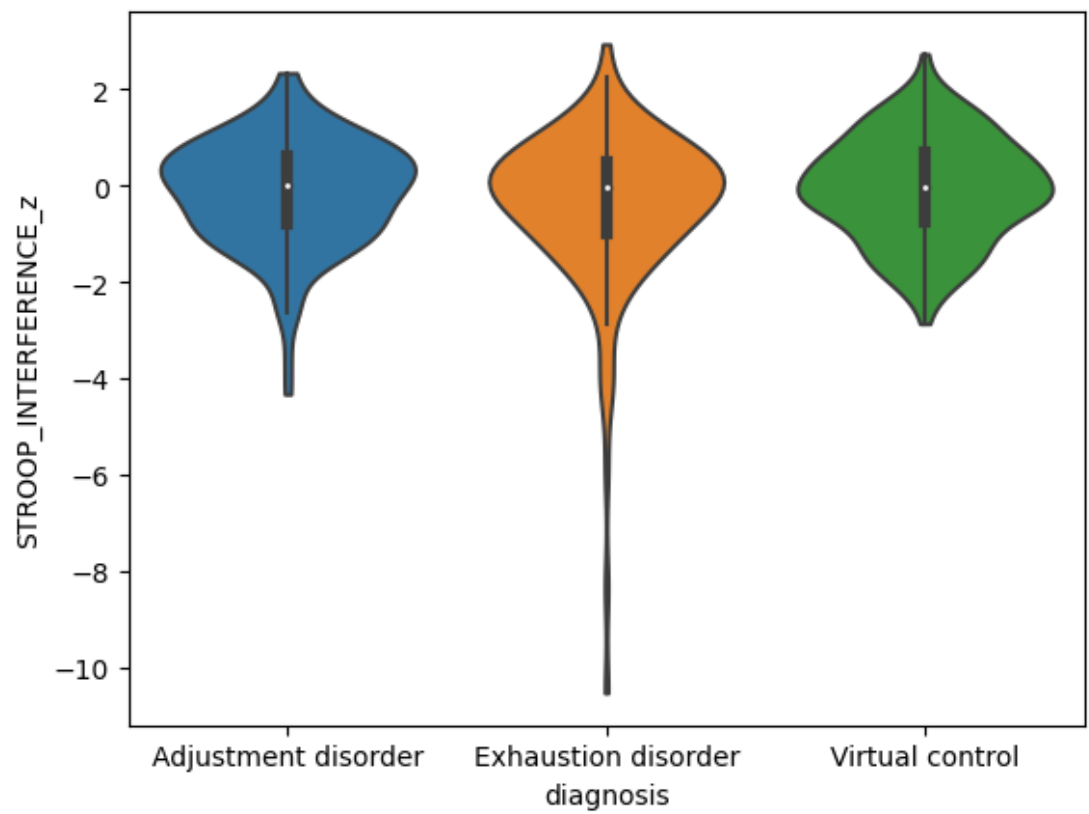


Figure 7. Tukey HSD for STROOP_INTERFERENCE_z



Results for cognitive test STROOP_INTERFERENCE_z

group1	group2	meandiff	p-adj	lower	upper
0 Adjustment disorder	Exhaustion disorder	-0.2998			
0.1324	-0.6658	0.0661			
1 Adjustment disorder	Virtual control	0.0740			
0.8485	-0.2445	0.3925			
2 Exhaustion disorder	Virtual control	0.3738			
0.0152	0.0586	0.6891			

	reject
0	False
1	False
2	True

group2	meandiff	group1
CERAD_learning_z isorder	-0.14	Adjustment disorder Exhaustion d
CERAD_learning_z control	.26	Adjustment disorder Virtual
CERAD_learning_z control	.4	Exhaustion disorder Virtual
CERAD_recall_z isorder	-0.09	Adjustment disorder Exhaustion d
CERAD_recall_z control	.36	Adjustment disorder Virtual
CERAD_recall_z control	.45	Exhaustion disorder Virtual
CORSI_FWD_z isorder	-0.01	Adjustment disorder Exhaustion d
CORSI_FWD_z control	.24	Adjustment disorder Virtual
CORSI_FWD_z control	.25	Exhaustion disorder Virtual
FAS_z isorder	-0.15	Adjustment disorder Exhaustion d
FAS_z control	-0.06	Adjustment disorder Virtual
FAS_z control	.09	Exhaustion disorder Virtual
SDMT_z isorder	-0.2	Adjustment disorder Exhaustion d
SDMT_z control	.27	Adjustment disorder Virtual
SDMT_z control	.47	Exhaustion disorder Virtual
Stroop_index_z		Adjustment disorder Exhaustion d

isorder	-0.27		
Stroop_index_z		Adjustment disorder	Virtual
control	.5		
Stroop_index_z		Exhaustion disorder	Virtual
control	.77		
STROOP_INTERFERENCE_z		Adjustment disorder	Exhaustion d
isorder	-0.3		
STROOP_INTERFERENCE_z		Adjustment disorder	Virtual
control	.07		
STROOP_INTERFERENCE_z		Exhaustion disorder	Virtual
control	.37		

	p-adj	95% CI
CERAD_learning_z	.547	[-0.46, .18]
CERAD_learning_z	.074	[-0.02, .54]
CERAD_learning_z	.001	[.13, .67]
CERAD_recall_z	.688	[-0.35, .17]
CERAD_recall_z	.001	[.13, .59]
CERAD_recall_z	.0	[.23, .67]
CORSI_FWD_z	.998	[-0.3, .28]
CORSI_FWD_z	.072	[-0.02, .49]
CORSI_FWD_z	.057	[-0.01, .5]
FAS_z	.409	[-0.42, .12]
FAS_z	.847	[-0.29, .18]
FAS_z	.608	[-0.14, .32]
SDMT_z	.197	[-0.48, .07]
SDMT_z	.027	[.02, .51]
SDMT_z	.0	[.23, .71]
Stroop_index_z	.093	[-0.57, .03]
Stroop_index_z	.0	[.24, .77]
Stroop_index_z	.0	[.51, 1.04]
STROOP_INTERFERENCE_z	.132	[-0.67, .07]
STROOP_INTERFERENCE_z	.848	[-0.24, .39]
STROOP_INTERFERENCE_z	.015	[.06, .69]

9. Simple linear regressions in memory domain

Now let's move on to the regressions. Firstly we'll start by looking at the relationship between subjective memory impairment and our memory tests

```
In [21]: MemoryRegressions = []
          MemTests = ['CERAD_learning_z', 'CERAD_recall_z', 'CORSI'
```

```

for tests in MemTests:
    a = merged_datafile[merged_datafile[tests].notnull()]
    MemoryRegressions.append(stats.linregress(a[tests],
                                                y=a['SubjectiveMemory'],
                                                alternative='two-sided'])

MemoryRegressions = pd.DataFrame(MemoryRegressions, index=tests)
print(MemoryRegressions)

```

		slope	intercept	rvalue	pvalue
CERAD_learning_z	-0.759242	14.370512	-0.214767	0.000714	0.221490
CERAD_recall_z	-0.601144	14.323201	-0.138865	0.029780	0.275013
CORSI_FWD_z	-0.142458	14.615492	-0.034191	0.578775	0.256283

Now there's seems to be a small association between subjective memory impairment and the CERAD tests. Let's plot it using a scatter plots

```

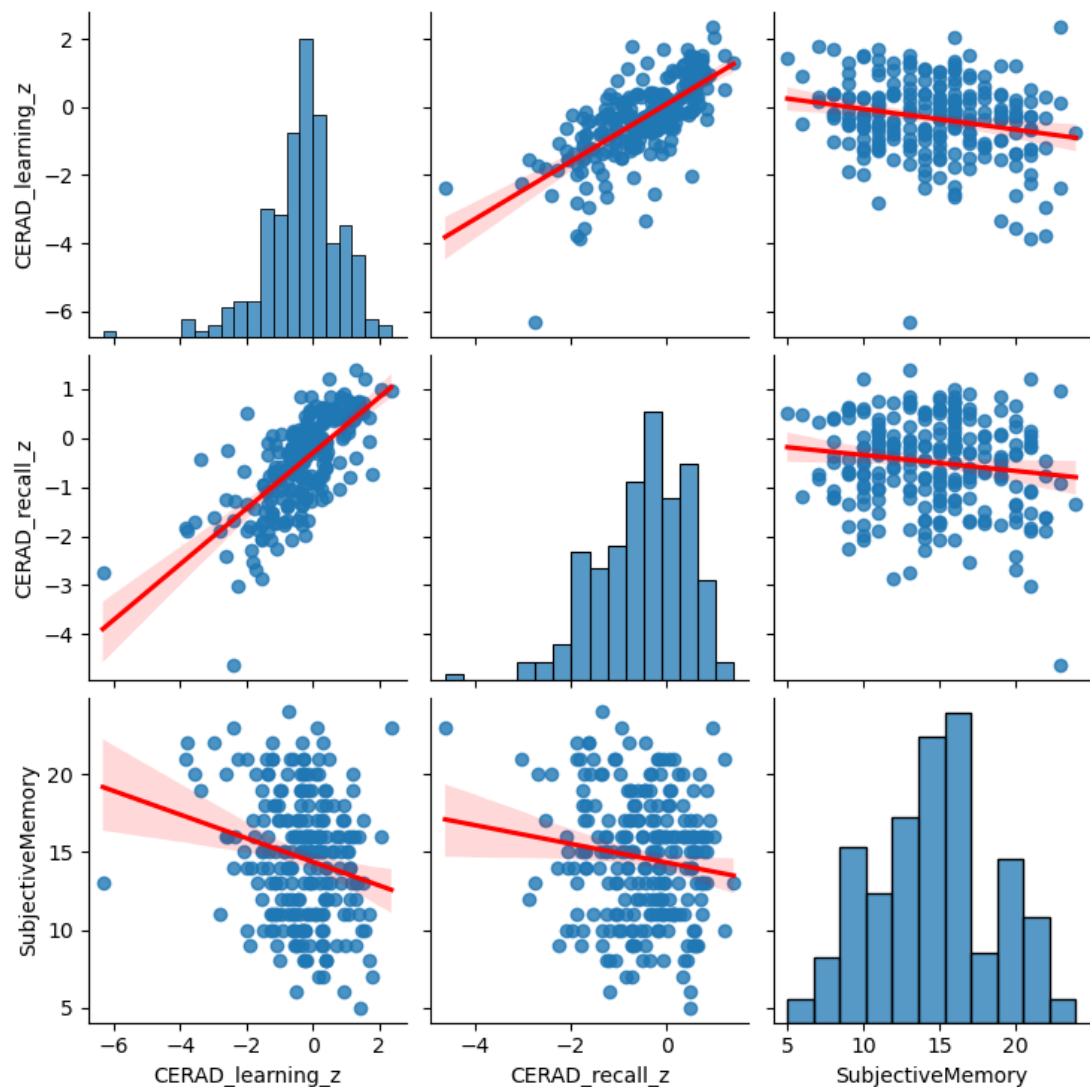
In [22]: sns.pairplot(merged_datafile[['CERAD_learning_z', 'CERAD_recall_z', 'SubjectiveMemory']],
                    plot_kws={'line_kws':{'color':'red'}})

```

```

Out[22]: <seaborn.axisgrid.PairGrid at 0x1cb2a8675b0>

```



10. Simple linear regressions between subjective symptoms and cognitive test results

And now for the regressions for the subjective symptom measure SMBQ and the cognitive test results

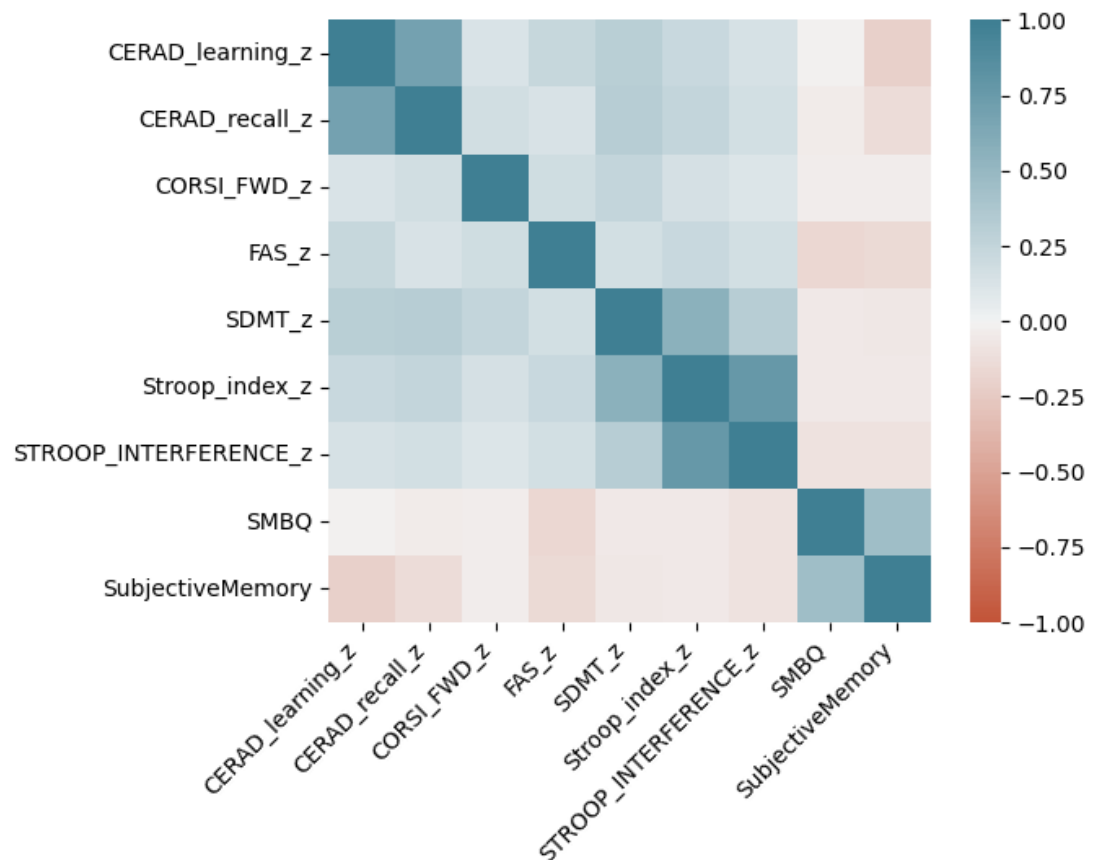
```
In [23]: LinearRegressions = []
for columns in AnovaCol:
    a = merged_datafile[merged_datafile[columns].not
    LinearRegressions.append(stats.linregress(a[columns],
                                                y=a['SubjectiveMemory']))
    altern

LinearRegressions = pd.DataFrame(LinearRegressions, index=AnovaCol)
print(LinearRegressions)
```

		slope	intercept	rvalue	
pvalue	stderr				
CERAD_learning_z		-0.007443	5.205673	-0.009179	0.
886335	0.052015				
CERAD_recall_z		-0.041136	5.187546	-0.041429	0.
518654	0.063642				
CORSI_FWD_z		-0.035741	5.200838	-0.037893	0.
538344	0.058010				
FAS_z		-0.180406	5.183928	-0.161537	0.
011506	0.070848				
SDMT_z		-0.057750	5.183186	-0.059600	0.
332882	0.059530				
Stroop_index_z		-0.039627	5.184183	-0.049792	0.
418653	0.048921				
STROOP_INTERFERENCE_z		-0.060253	5.191880	-0.097217	0.
113687	0.037965				

For FAS but not the other tests are we finding a relationship to SMBQ. Let's visualize the correlation matrix using a heatmap

```
In [53]: Heatmap = merged_datafile[standardised.columns.tolist()+
corr = Heatmap.corr()
ax = sns.heatmap(
    corr,
    vmin=-1, vmax=1, center=0,
    cmap=sns.diverging_palette(20, 220, n=200),
    square=True
)
ax.set_xticklabels(
    ax.get_xticklabels(),
    rotation=45,
    horizontalalignment='right'
);
```

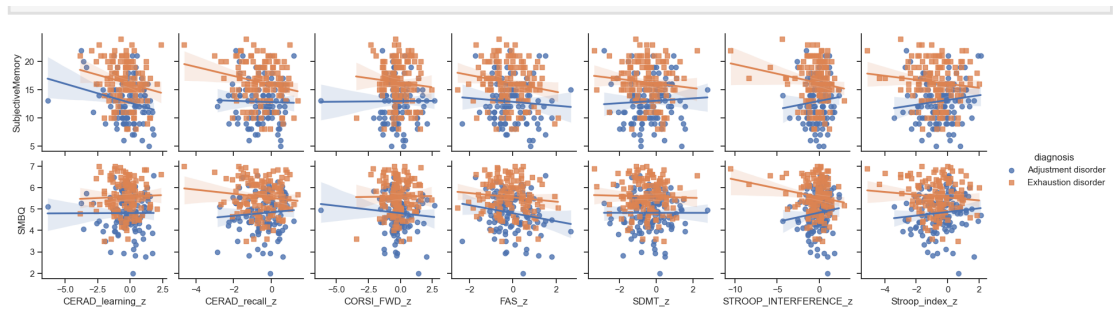



And we can also visualize the relationship between the subjective symptom ratings split by diagnosis

```
In [26]: sns.set_theme(style="ticks")

sns.pairplot(merged_datafile[['CERAD_learning_z',
'CERAD_recall_z',
'CORSI_FWD_z',
'FAS_z',
'SDMT_z',
'STROOP_INTERFERENCE_z',
'Stroop_index_z',
'SubjectiveMemory', 'SMBQ',
'diagnosis']], hue='diagnosis',
kind='reg', y_vars=['SubjectiveMemory', 'SMBQ'],
x_vars=['CERAD_learning_z',
'CERAD_recall_z',
'CORSI_FWD_z',
'FAS_z',
'SDMT_z',
'STROOP_INTERFERENCE_z',
'Stroop_index_z'],
markers=["o", "s"])

plt.show()
```



In []: