We have

$$\frac{1}{n} \stackrel{n \to \infty}{\longrightarrow} 0.$$

We also know, that

$$\begin{aligned} |x| &= |x-y+y| \\ &\stackrel{\text{triangle}}{\leq} & |x-y| + |y| \end{aligned}$$

In contrary to

$$\begin{aligned} |x| &= |x-y+y| \\ &\stackrel{\text{triangle}}{\leq} & |x-y| + |y| \end{aligned}$$

Note, that the attach function is used and that as such it become quite unreadable if used inside subscripts, etc.:

$$\underbrace{\frac{n-1}{n^2}}_{\stackrel{n\to\infty}{\longrightarrow}0}\cdot n=\frac{n-1}{n}=1-\frac{1}{n}\underset{n\to\infty}{\longrightarrow}1$$